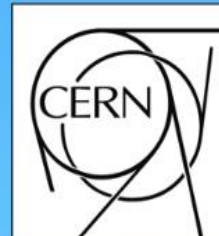




北京航空航天大学
BEIHANG UNIVERSITY



Introduction to Data Analysis at CMS concepts, examples, how-to-s & more

上帝粒子如何被发现

第三届

中国CERN冬令营



PEKING
UNIVERSITY

Antonis Agapitos



Outline: in this talk



1. Intro: CERN, LHC, beams, & collisions
 2. Detector basics, physics objects, & Trigger
 3. The Physics objects we use: e , μ , τ , jets, γ , “MET”
 4. LHC collisions’ kinematics & variables
 5. CMS PAGs & POGs, overview

 6. What is data analysis? The concept of Signal & BKG.
 7. Measurements & Searches
 8. Resonances: examples
 9. Production modes & BRs
-
10. How to... (read plots, pulls, limits, ROCs, etc.)
 11. Jets reconstruction, clustering, substructure, & tagging
 12. The taggers we use (DeepAK8, Particle Net, Part. Transformer)

Break

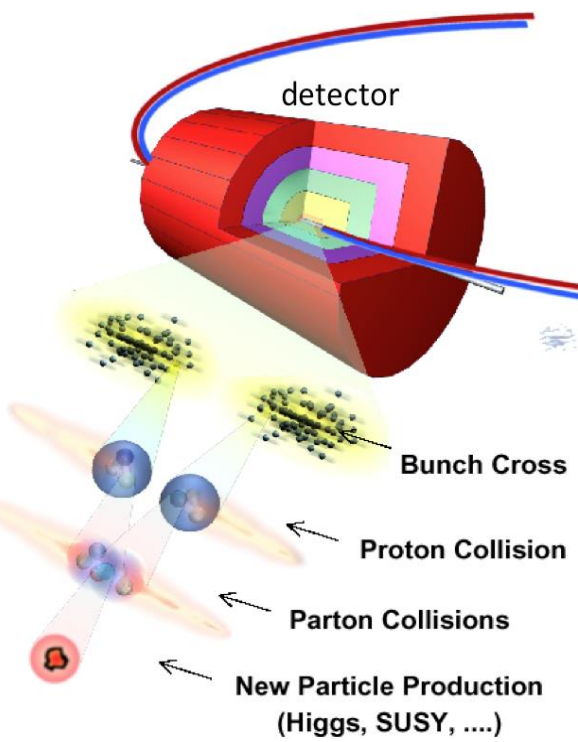
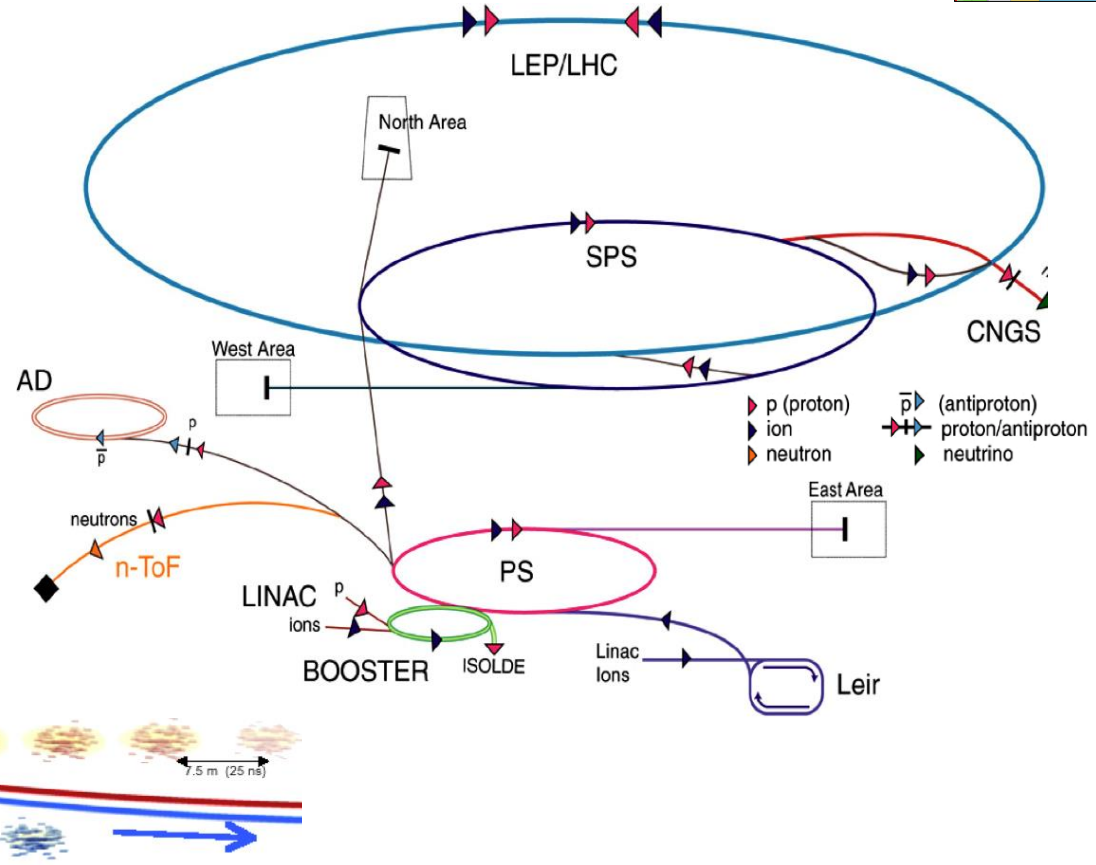
Analyses Examples:

1. Search with 4 jets in 2 pairs, prediction with parametric fit
2. Search in diphoton spectrum (reso & non-reso cases)
3. Search for resonant $X \rightarrow gWW$ in fully hadronic mode.
 - Selection, binning, data driven prediction, post-fit results, etc

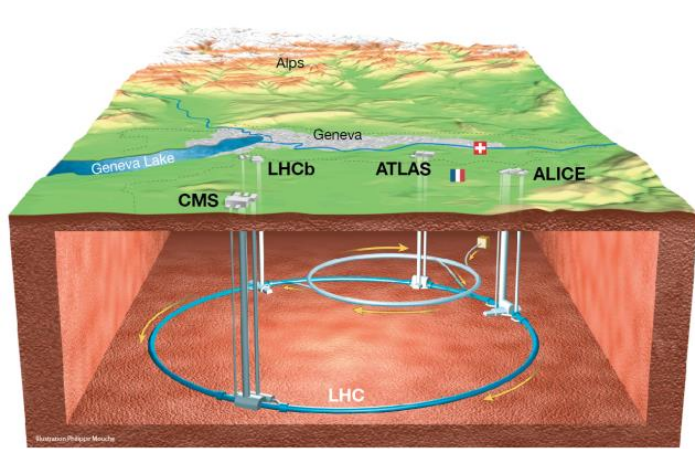
LHC acceleration, beams & collisions

CERN's Accelerators complex

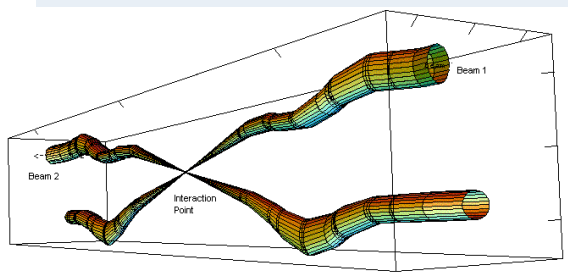
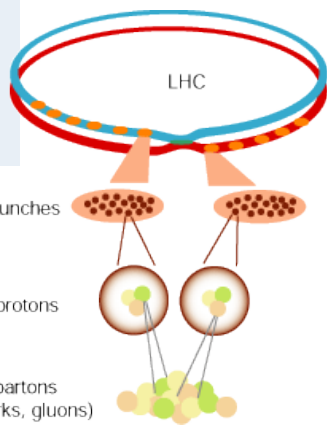
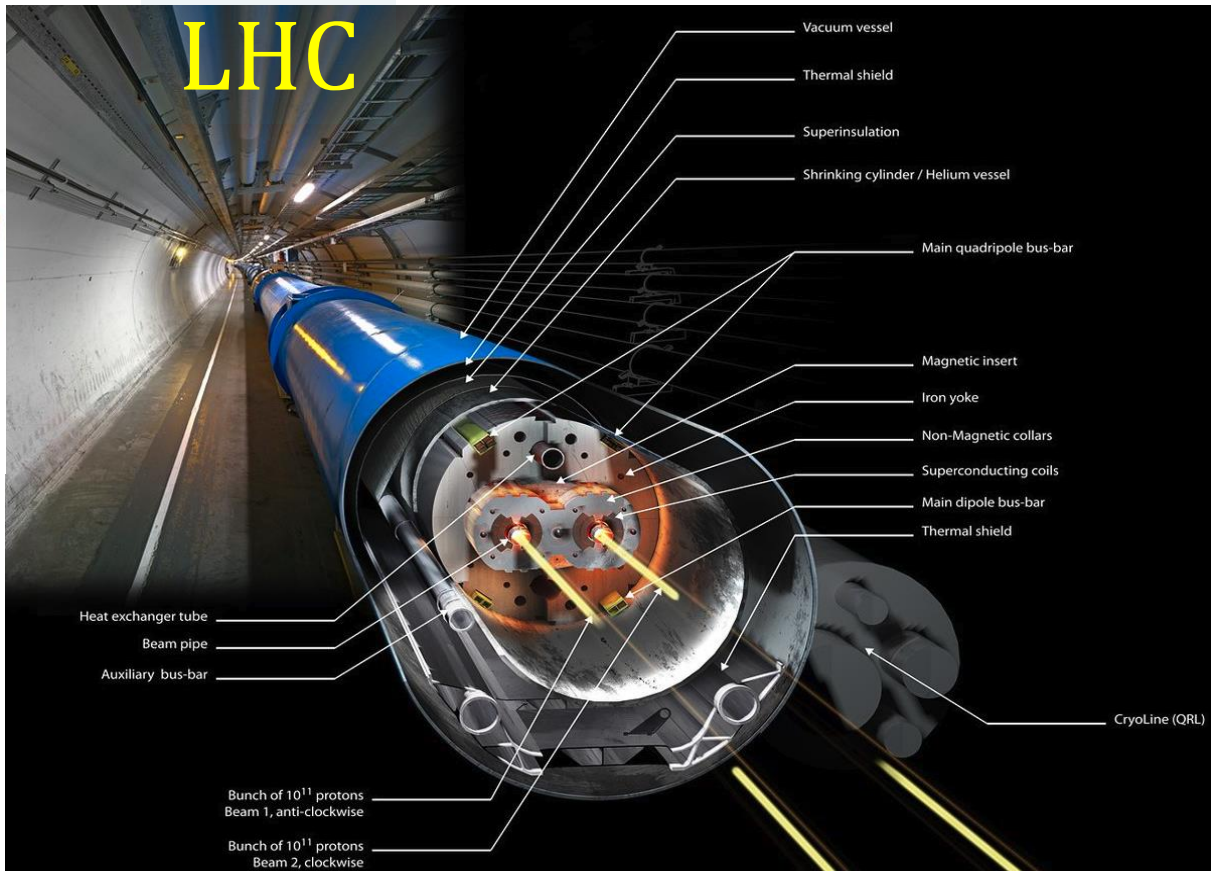
- **LINAC2** → 50 MeV
- **PS-Booster** → 1.4 GeV (0.16 km)
- **PS-Ring** → 26 GeV (0.63 km)
- **SPS** → 450 GeV (7 km)
- **LHC** → 7 TeV (26,7 km)



- 2 beams $\times 7 \text{ TeV} = 14 \text{ TeV}$, $L \sim 10^{34} \text{ sec}^{-1} \text{ cm}^{-2}$
- $\sim 2800 \times 2$ proton-bunches, 25ns, 7.5m spacing, 7.5 cm length, 1 mm (16 μm) width
- 4 collision points: ATLAS, CMS... PU $\sim 25\text{--}80$
- 40 M bunch-x-ing/sec \rightarrow 800 M pp collisions
- Physics on: pp, p-Pb, Pb-Pb

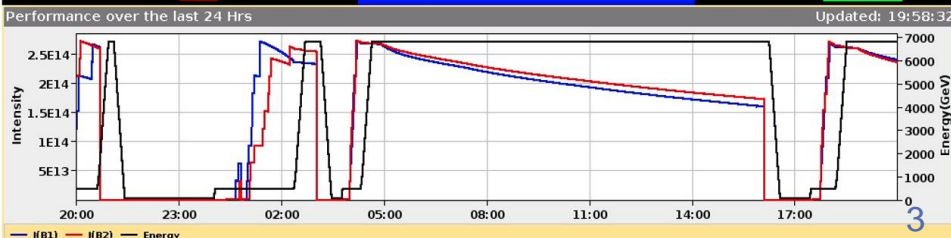


- 26.7 km
- 40-175 m bellow ground
- 1232 dipole magnets
- 392 quadrupoles
- 2x8 RF-cavities
- Revolution freq: 11.3MHz,
- $B = 8.33 \text{ T}$,
- $I \sim 12500 \text{ Ampere}$,
- NbTi superconductor
- $T = 1.9 \text{ K} = -271.3 \text{ C}^\circ \text{ (He)}$
- Vacuum $\sim 100 \text{ nPa}$
- 4 collision p. \rightarrow 4 Exprms

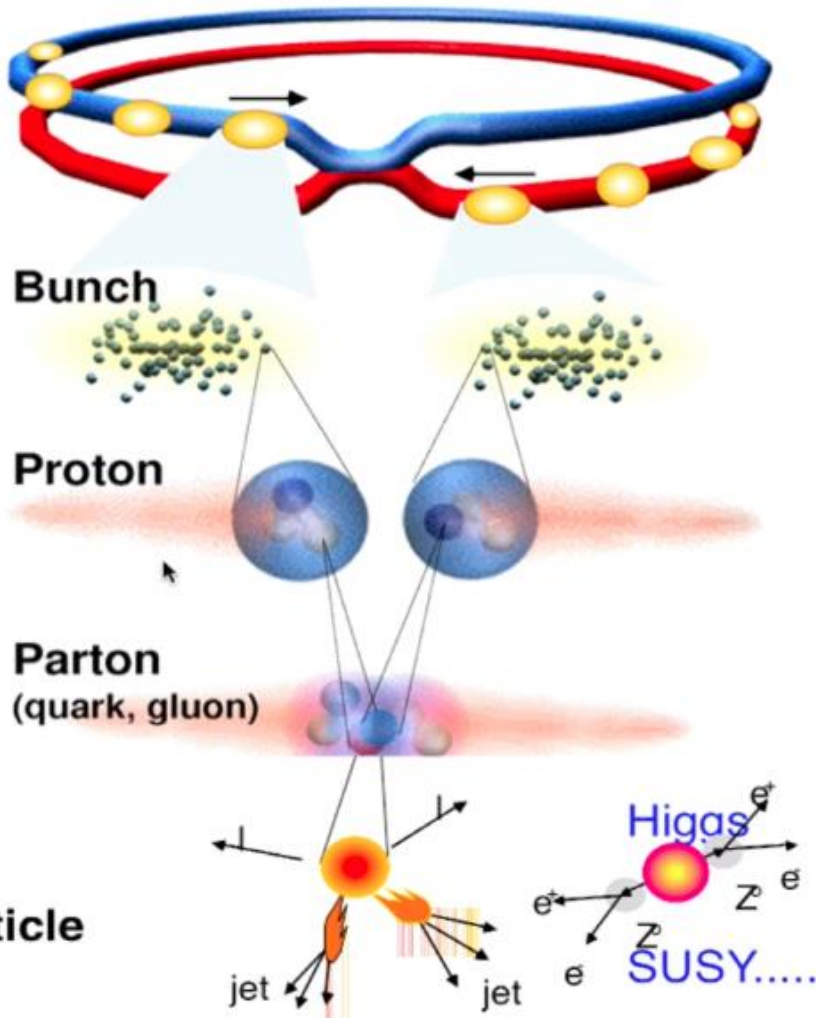


09-Aug-2022 19:58:44 Fill #: 8113 Energy: 6800 GeV I(B1): 2.41e+14 I(B2): 2.37e+14

	ATLAS	ALICE	CMS	LHCb
Experiment Status	PHYSICS	PHYSICS	STANDBY	PHYSICS
Instantaneous Lumi [(ub.s)^-1]	15769.353	8.479	15462.443	329.060
BRAN Luminosity [(ub.s)^-1]	0.0	8.8	0.0	293.3
Fill Luminosity (nb)^-1	52315.465	30.874	51219.820	1126.716
Beam 1 BKGD	4.753	1.903	10.206	0.195
Beam 2 BKGD	4.531	2.236	12.930	3.227
Beta*	0.33 m	10.00 m	0.33 m	2.00 m
Crossing Angle (urad)	-160(V)	200(V)	160(H)	-200(H)
LHCb VELO Position	OK			
Gap: 53.9 mm				
TOTEM:				STANDBY

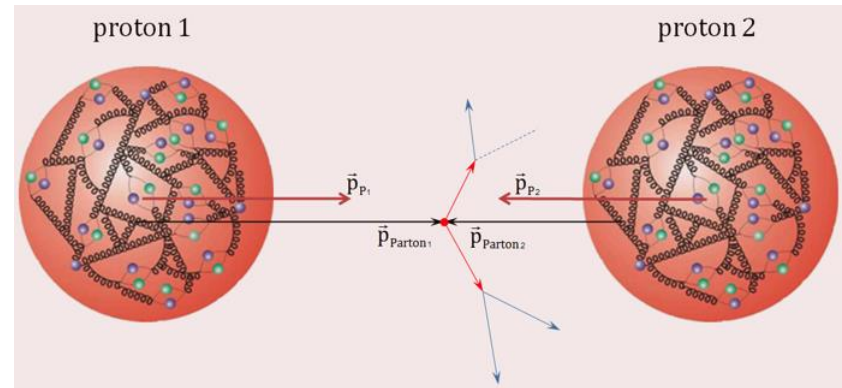


Collisions at the LHC: summary



Proton - Proton	2808 bunch/beam
Protons/bunch	10^{11}
Beam energy	7 TeV (7×10^{12} eV)
Luminosity	$10^{34} \text{cm}^{-2} \text{s}^{-1}$

Crossing rate 40 MHz



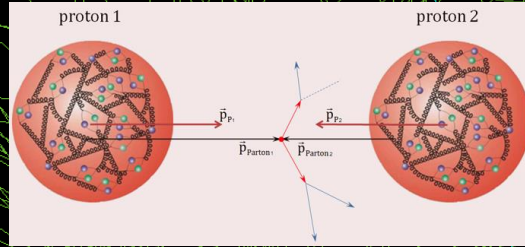
New physics rate $\approx .00001$ Hz

Event selection:
1 in 10,000,000,000,000

While the protons have 7+7 TeV energy, the partons have a small fraction of that,
 \rightarrow the parton interaction has energy about an order of magnitude lower than 14 TeV

Rho Z

A “real-life” example of 78 reconstructed collisions in a single event.
 HL-LHC will produce ~200 simultaneous pp collisions in a single bunch crossing.

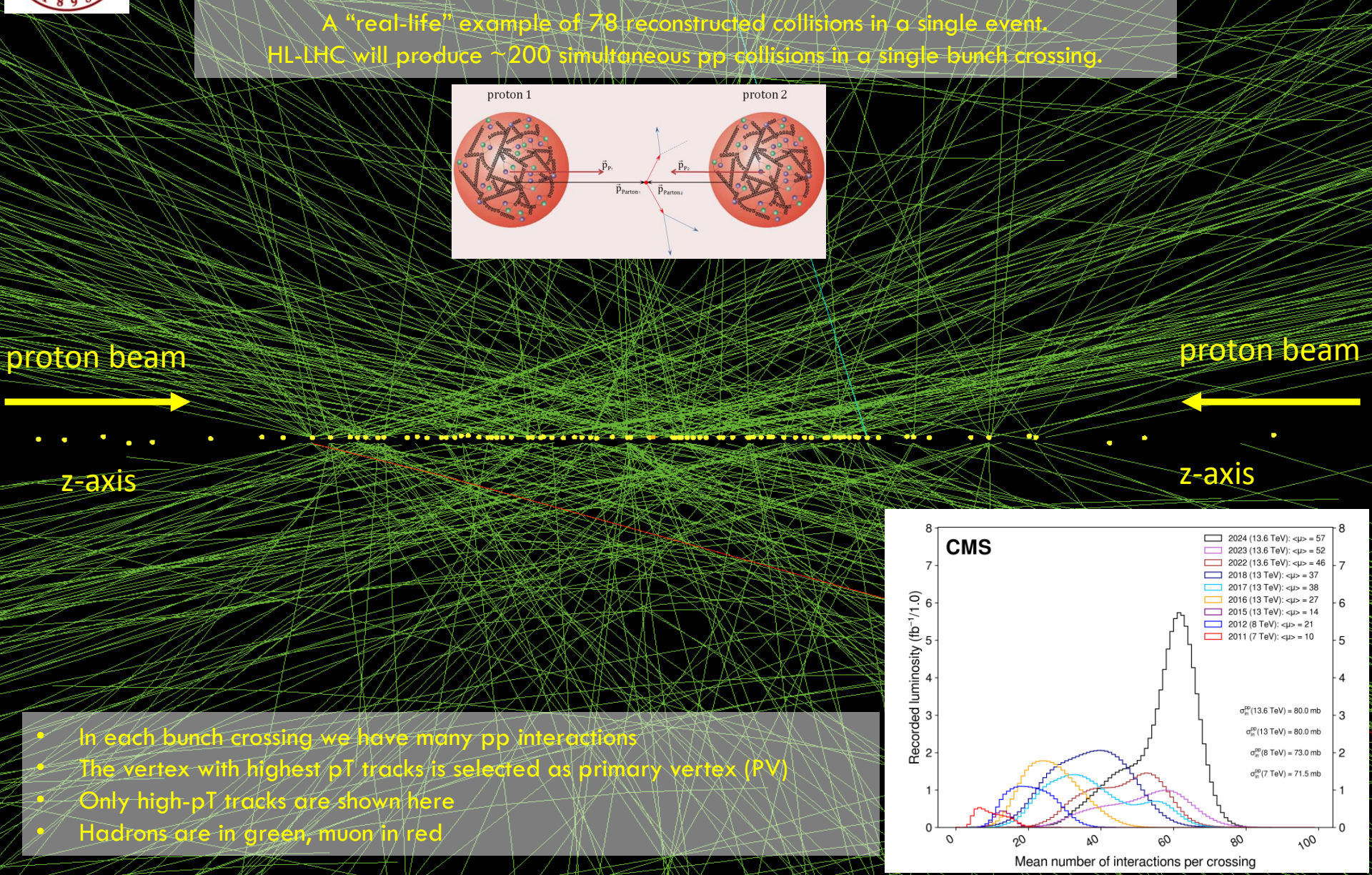


proton beam

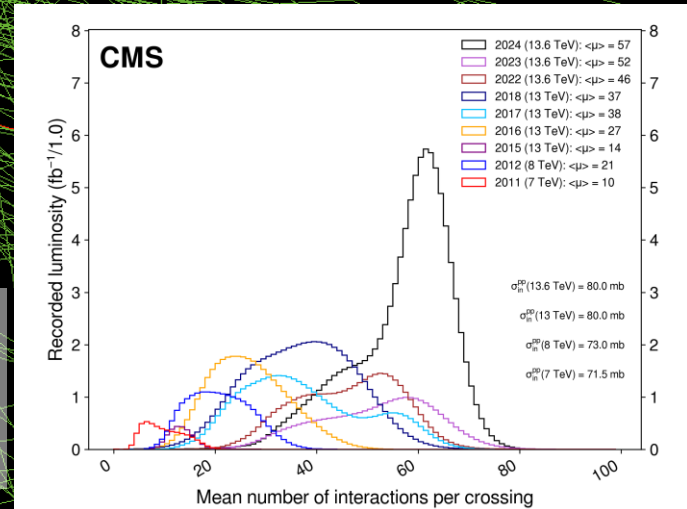
 z-axis

proton beam

 z-axis



- In each bunch crossing we have many pp interactions
- The vertex with highest pT tracks is selected as primary vertex (PV)
- Only high-pT tracks are shown here
- Hadrons are in green, muon in red



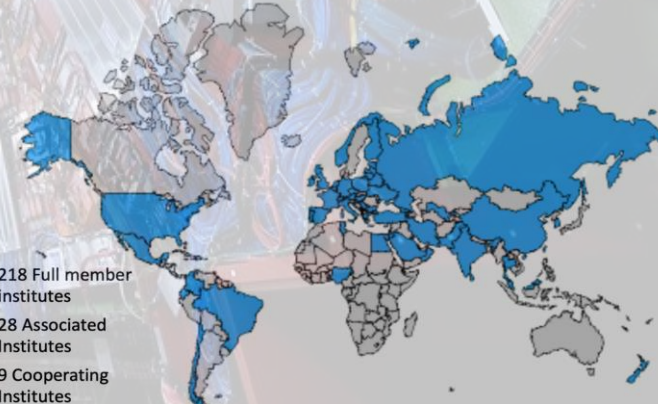
CMS Detector/Experiment

Compact Muon Solenoid
Mass: ~ 12500 Tonnes
Size: $\sim 15\text{m} \times 22\text{m}$
Magnetic field: 4 T (3.8 T)

CMS collaboration is 31 yo
 ~ 6100 collaborators
 ~ 250 Institutes
 ~ 57 countries
[here for more](#)



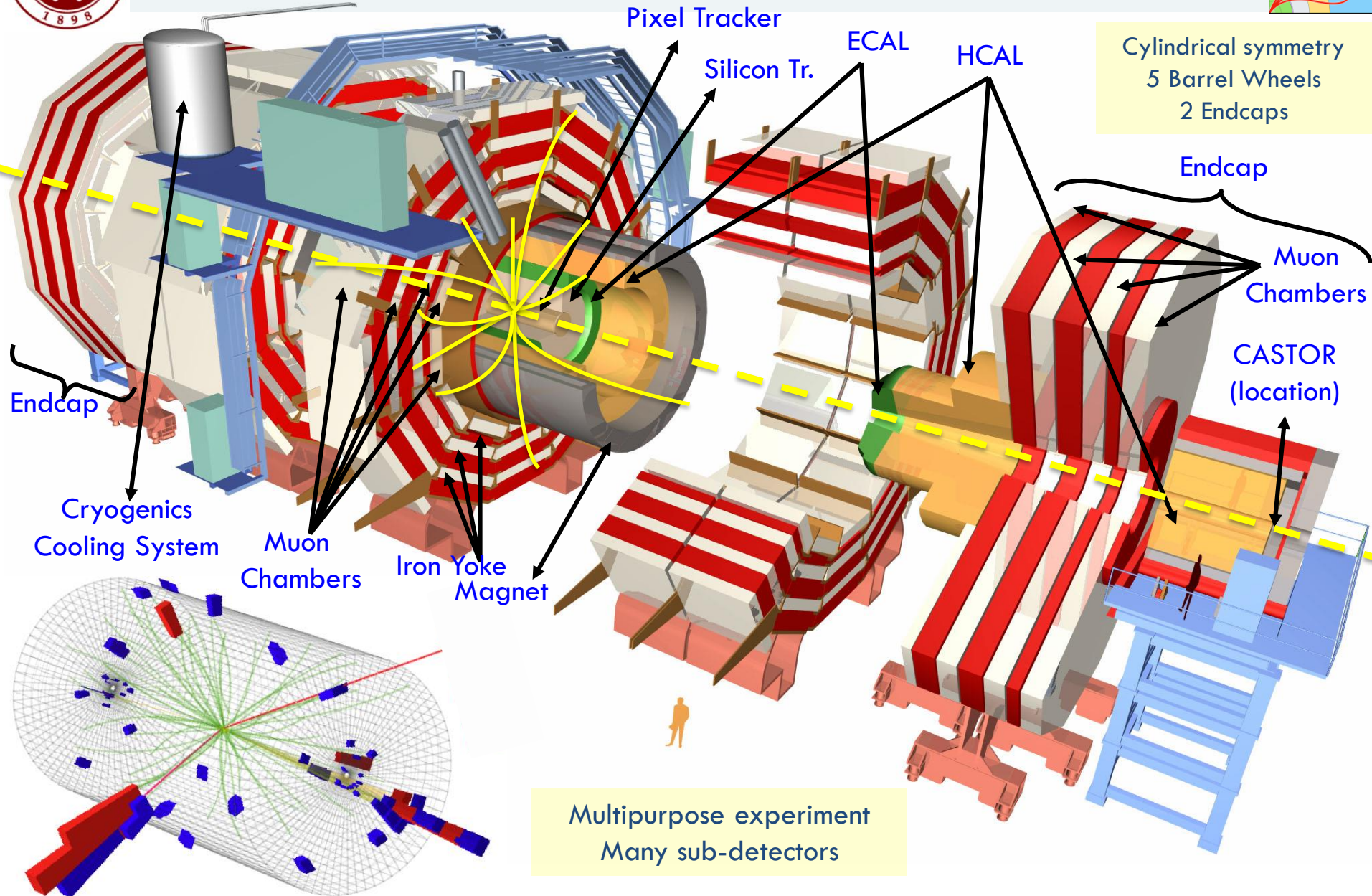
The CMS experiment has **6055** active members from **255** institutes coming from **57** countries

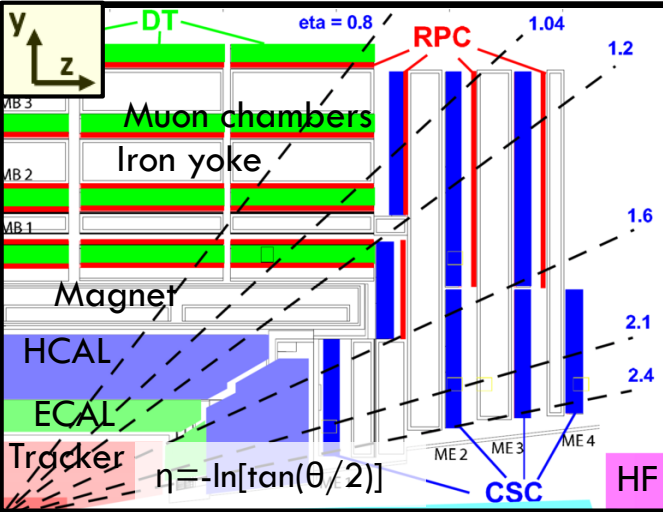
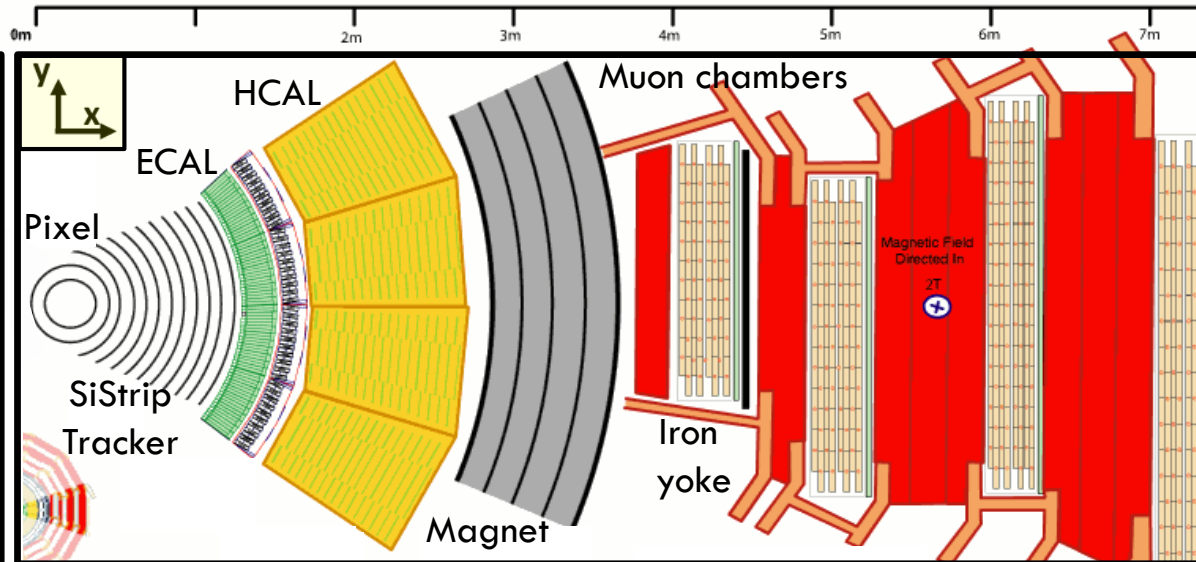


218 Full member institutes
28 Associated Institutes
9 Cooperating Institutes

2121	1162	1295	1088	269	113
Phd Physicists (396 women 1725 men)	Physics Doctoral Students (312 women 850 men)	Non Doctoral Students (351 women 944 men)	Engineers (160 women 928 men)	Technicians (22 women 247 men)	Administratives (68 women 45 men)

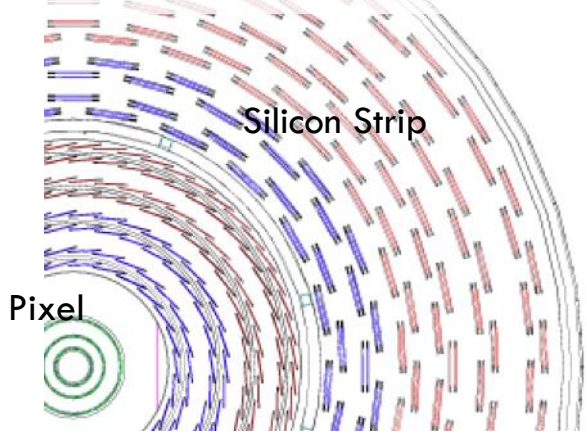
CMS overview





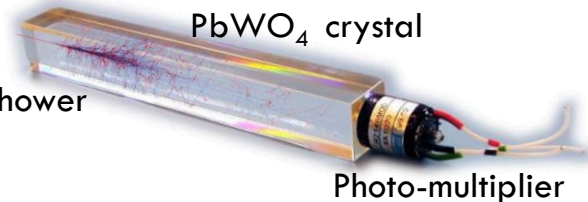
Pixel & Silicon Tracker

- 70M pixels.
- "e-holes" pairs → signal.
- $|\eta| < 2.5, 2.4$ (hits:10-13).



ECAL (e^\pm, γ)

- 76k crystals $PbWO_4$.
- $X_0 \sim 0.9cm, |\eta| < 3$.



HCAL ($p^\pm, n, \pi, K, \Delta, \dots$)

- HB, HE(16 layers), HO, HF.
- Plastic scint.: Quartz fibers.
- Brass(Cu-Zn) absorber
- $X_0 \sim 1.5cm, |\eta| < 3$.

Solenoid Magnet, Iron Yoke

- NiTi, $T \sim 1.8K, I \sim 19kA, B \sim 4T$.

Muon chambers:

- DTs, CSCs, RPCs, $|\eta| < 2.4$.
- Argon-based gasses.

Trigger: L1 → HLT → DAQ

- 40M → 40K → ~ 100 ev./s
- Store: Tier-0-1-2 → GRID...

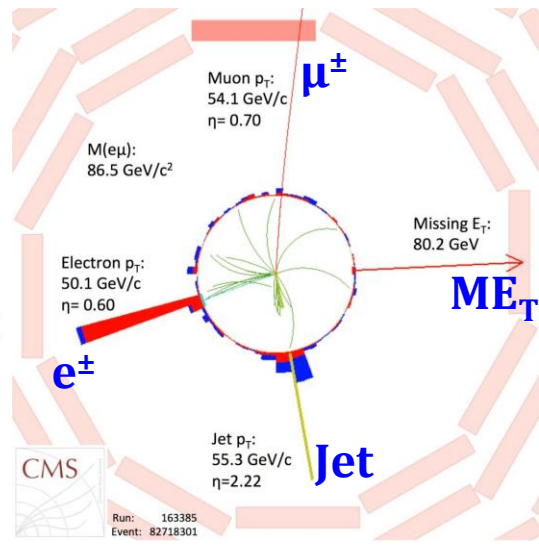
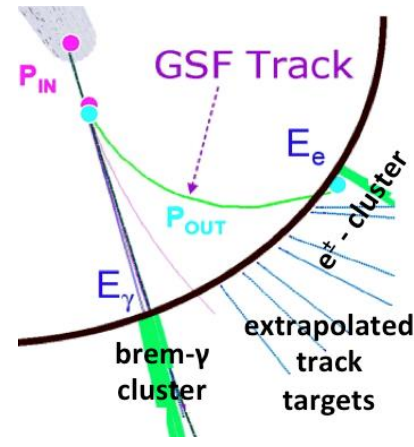
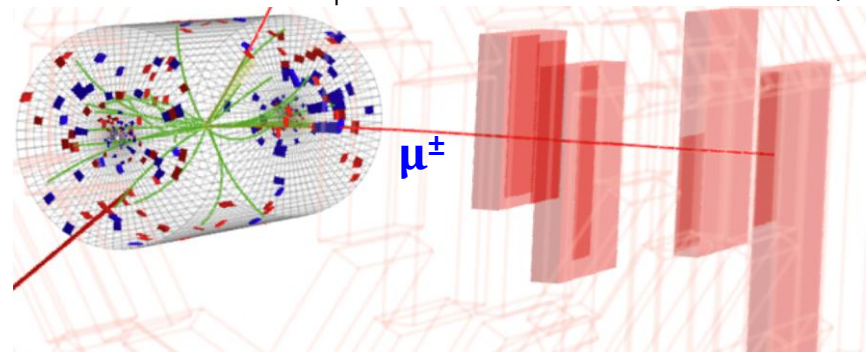
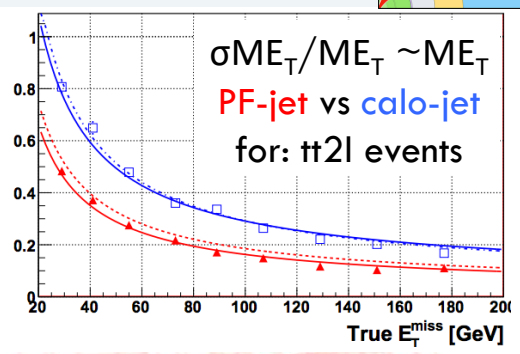
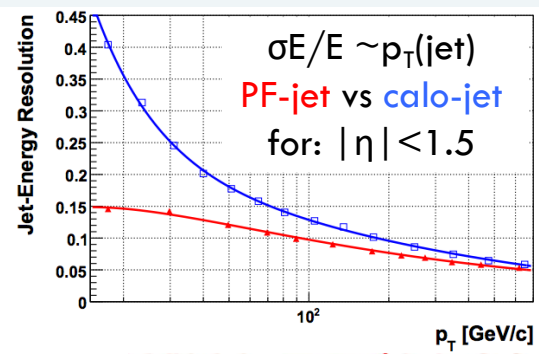
From signals → Physics object reco

- ◆ Main Strategy: “Particle Flow”.
- Input: vertexes/tracks/calor-clust.
- Clustered to 5 type of particles: $\gamma, e^\pm, \mu^\pm, \text{had}^{\pm,0}$.

LEPTONS:

- ◆ Muons [μ^\pm] (\sim stable, $\tau \sim 2 \mu\text{s}$)
- Reco: Tracker & μ -chambers info.
- Purity-Eff. enhance with cuts: hits, Iso, $d_z \dots$

- ◆ Electrons [e^\pm]
- e^\pm interact with tracker → radiates “ γ ”.
- Reco: ECAL & Tracker info.
- Correct for brem- γ → fit to get “ e^\pm ”.
- Reject γ -conversion.
- Purity-Eff. enhance cuts: χ^2/ndf , hits, Iso, $d_{z,xy}$, E/p -match, E/H , $\Delta\phi_{in}$, $\Delta\eta_{in}$ → Correct MC eff-SF.

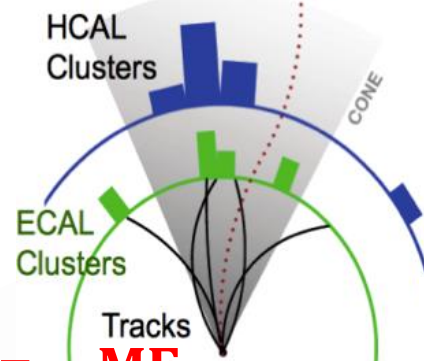
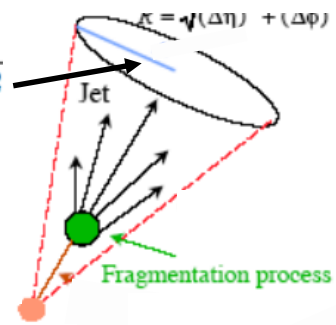


From signals → Physics object reco

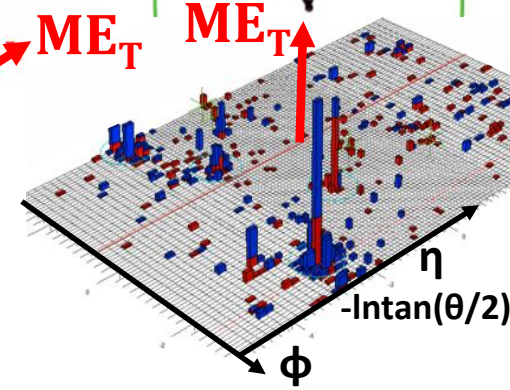
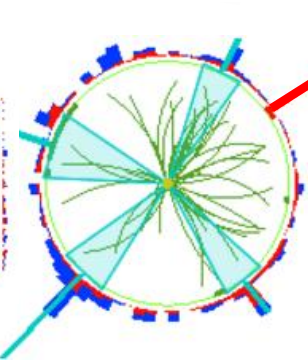
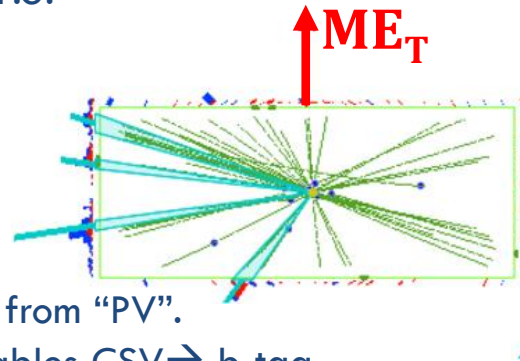
COMPOSITE OBJECTS

- ◆ Jets = hadronized q,g
- Flow in cone: $\Delta R, \eta-\phi$ plane:
- Jet = "PF-objects" + clustering algorithm.
- "anti- k_T ", $R=0.4$ or 0.8 or 1.5 .

$$\Delta R \equiv \sqrt{(\Delta\eta)^2 + (\Delta\phi)^2}$$

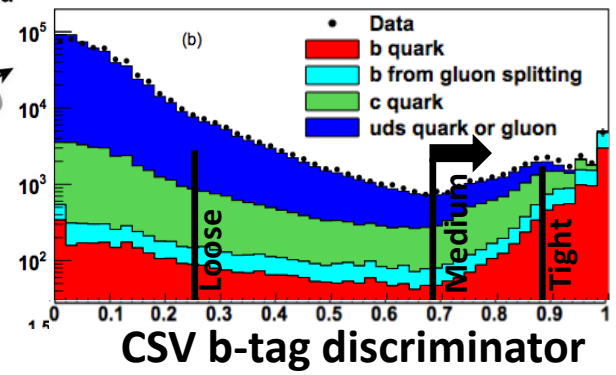
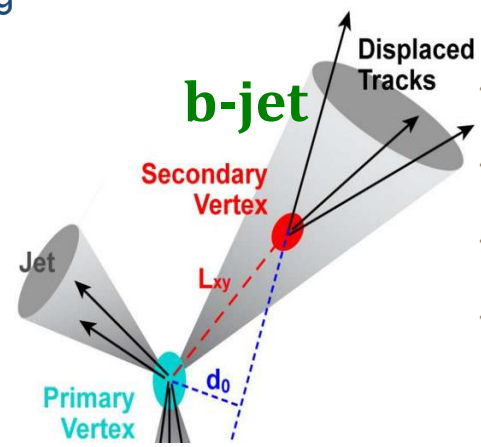


- ◆ b-jets
- b-hadrons: long-lived
- Fly ~mm. $b \rightarrow Wc/u$
- Produce "SV" in a distance from "PV".
- Identify "SV" → build variables CSV → b-tag



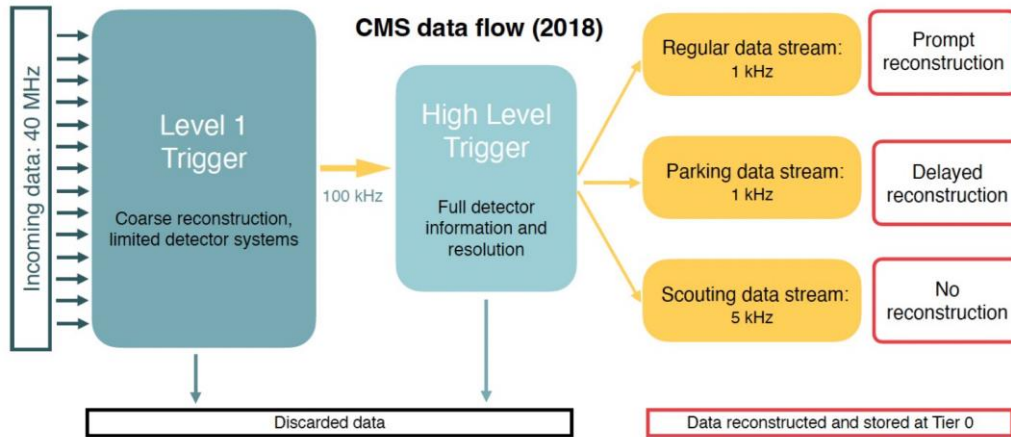
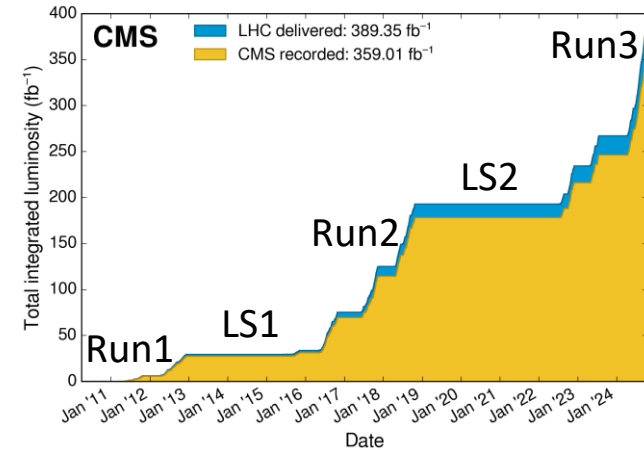
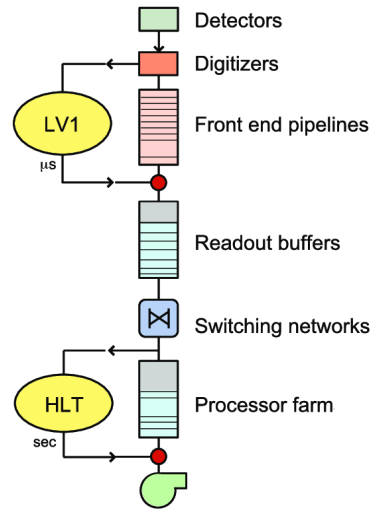
- ◆ ME_T
- Momentum imbalance in "xy"-plane using all PF-objects:

$$\vec{E}_T \equiv -\sum_i \vec{p}_{T,i}$$



(I will skip " γ ", " τ_h ", g-tagger, t-tagger, performance plots & calibr. Technics)

- 40 MHz crossing rate.
- We can't record and store all...
- We need to make a wise decision of which events to keep for offline analysis
→ this is done by the "Trigger"
- CMS trigger has two tiers:
 - **Level 1 Trigger:** 40 MHz → 100 kHz (reduction by ~400)
 - **High Level Trigger (HLT)** 100 kHz → 1000 Hz (reduction by ~100)



- Most of events are QCD (not interesting)
- Physics criteria on what to keep, like, high energy leptons, MET, b-jets, H_T , ...

Year	Standard rate [Hz]	Parking rate [Hz]	Scouting rate [Hz]
2011	100	-	400
2012	100	500	500
2016	1000	500	500
2017	1200	500	4000
2018	1350	900	5000



HLT paths & Trigger efficiency



- In the offline analysis, we take data events from a “dataset” depending on what physics we do e.g., single μ /e, photon, JetHT, ...

Sample name

/JetHT/Run2018A-UL2018_MiniAODv2-v1/MINIAOD
 /JetHT/Run2018B-UL2018_MiniAODv2-v1/MINIAOD
 /JetHT/Run2018C-UL2018_MiniAODv2-v1/MINIAOD
 /JetHT/Run2018D-UL2018_MiniAODv2-v2/MINIAOD

- Each dataset can have events accepted by several “HLT paths”:

Trigger name	act. lumi	eff. lumi
HLT_PFHT1050.v*	59.96	59.96
OR HLT_PFJet500.v*	59.96	59.96
OR HLT_AK8PFJet500.v*	59.96	59.96
OR HLT_AK8PFJet400_TrimMass30.v*	59.96	59.96
OR HLT_AK8PFJet420_TrimMass30.v*	59.96	59.96
OR HLT_AK8PFHT800_TrimMass50.v*	59.96	59.96
OR HLT_AK8PFHT850_TrimMass50.v*	59.96	59.96
OR HLT_AK8PFHT900_TrimMass50.v*	59.96	59.96

- Each event has HTL val. either accepted (1) or rejected (0).
- We evaluate trigger eff. using another orthogonal dataset

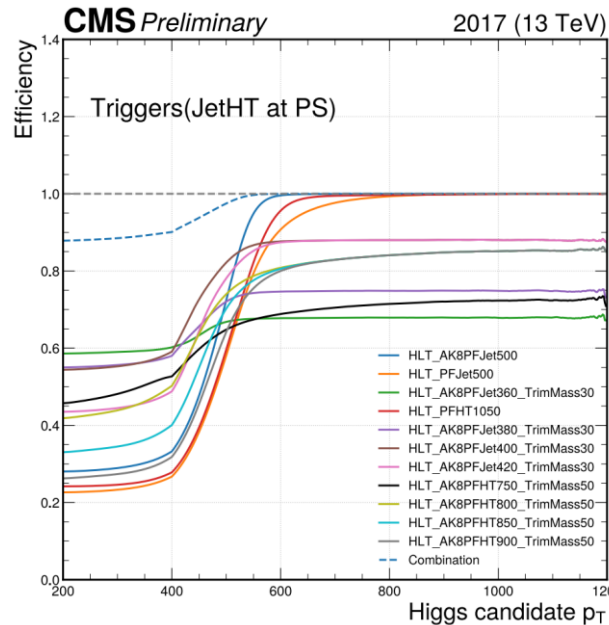
$$\text{eff}(var = x, \text{trigger}) = \frac{N_{\text{events}}(var > x \ \&\& \ \text{trigger} == \text{True})}{N_{\text{events}}(var > x)}$$

HL-Triggers:

- μ : Single_Muon OR MET
- e: Single_Electron OR Photon

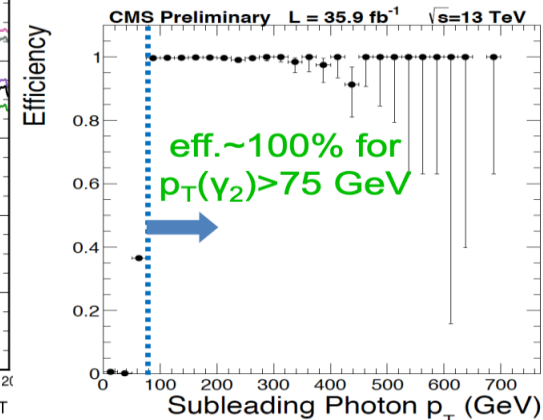
Period	Channel	Dataset	Trigger name
2016	electron	SingleElectron	HLT_Ele27_WPTight_Gsf.v* OR HLT_Ele115_CaloldVT_GsfTrkIdT.v* HLT_Photon175.v*
		SinglePhoton	HLT_Mu50.v* OR HLT_TkMu50.v* HLT_PFMETNoMu120_PFMHTNoMu120_IDTight.v*
2017	electron	SingleElectron	HLT_Ele35_WPTight_Gsf.v* OR HLT_Ele115_CaloldVT_GsfTrkIdT.v* HLT_Photon200.v*
		SinglePhoton	HLT_Mu50.v* OR HLT_OldMu100.v* OR HLT_TkMu100.v* HLT_PFMETNoMu120_PFMHTNoMu120_IDTight.v*
2018	electron	Egamma	HLT_Ele32_WPTight_Gsf.v* OR HLT_Ele115_CaloldVT_GsfTrkIdT.v* OR HLT_Photon200.v*
		SingleMuon MET	HLT_Mu50.v* OR HLT_OldMu100.v* OR HLT_TkMu100.v* HLT_PFMETNoMu120_PFMHTNoMu120_IDTight.v*

Trigger “turn-on” curves



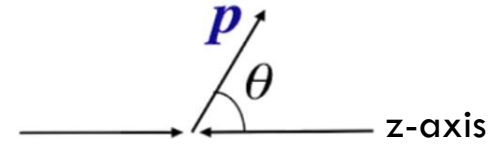
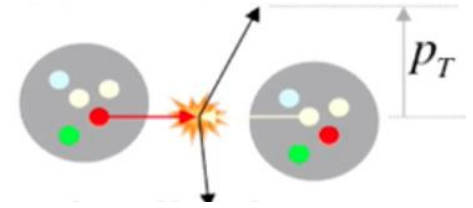
Triggers: [2016 DoubleEG data, 35.9 fb⁻¹]

- Use HLT_DoublePhoton60 “or” HLT_ECALHT800 for main analysis
- Use HLT_Ele27_WPTight_Gsf for $Z \rightarrow e^+e^-$ control sample (energy scale and efficiency measurement)



pp collisions' kinematics

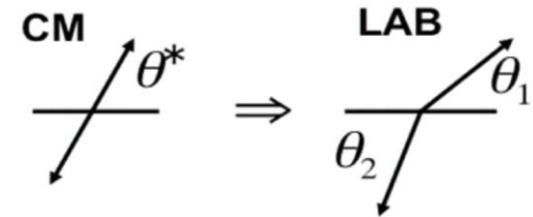
- Natural variables would be: p, θ, ϕ, \dots but...
- Longitudinal momentum & energy: p_z, E , can NOT be used
 - they are conserved, but are unknown
 - particles close to beam axis escaping detection have large p_z
- More useful transverse momentum: p_T



$$p_T \equiv \sqrt{p_x^2 + p_y^2} = |p| \sin \theta$$

Parton CM (energy)² $\rightarrow \hat{s} = x_1 x_2 s$

- Lab frame \neq parton-parton CM frame
 \rightarrow additionally, p, E & θ , are NOT Lorentz invariant along z-axis boosts.



- Rapidity “ y ”

$$y \equiv \frac{1}{2} \ln \frac{E + p_z}{E - p_z} = \frac{1}{2} \ln \frac{1 + \beta \cos \theta}{1 - \beta \cos \theta}$$

- Pseudo-rapidity “ η ”
 (it is just a function of θ)

$\beta \rightarrow 1$ ($m \ll p_T$):

$$\eta \equiv -\ln \tan \frac{\theta}{2}$$

Advantage!!!
 $\Delta \eta$ is invariant under z-axis Lorentz boosts

- Distance between 2 particles:

$$\Delta R = \sqrt{\Delta \eta^2 + \Delta \phi^2} \text{ also an invariant.}$$

\rightarrow To take away: particles are described by p_T, η, ϕ coordinates

1. Mandelstam invariant variables:

$$s \equiv (p_1 + p_2)^2 = (p_3 + p_4)^2 = (E_1 + E_2)^2 + (\vec{p}_1 + \vec{p}_2)^2,$$

$$t \equiv (p_1 - p_3)^2 = (p_2 - p_4)^2 = (E_1 - E_3)^2 + (\vec{p}_1 - \vec{p}_3)^2,$$

$$u \equiv (p_1 - p_4)^2 = (p_2 - p_3)^2 = (E_1 - E_4)^2 + (\vec{p}_1 - \vec{p}_4)^2,$$

where in the relativistic limit $((p_i/E_i) \rightarrow 1)$ turn to:

$$s = 2p_1p_2 = 2p_3p_4$$

$$t = -2p_1p_3 = -2p_2p_4$$

$$u = -2p_1p_4 = -2p_2p_3$$

where momenta $(p_i \equiv p_i^\mu)$ stands for the generic interaction “1+2→3+4” and thus $p_1 + p_2 = p_3 + p_4$. The \sqrt{s} is the total (initial and final) energy into the lab-frame; it is also true that: $s + t + u = m_1^2 + m_2^2 + m_3^2 + m_4^2$.

2. Transverse momentum: $p_T \equiv \sqrt{p_x^2 + p_y^2} = |p| \sin \theta$.
3. Transverse energy : $E_T \equiv E \sin \theta = p_T(E/|p|)$.
4. Transverse mass (of a single particle): $m_T \equiv \sqrt{p_T^2 + m^2}$.
5. Rapidity: $y \equiv \frac{1}{2} \ln[(E + p_z)/(E - p_z)]$.
6. Pseudorapidity: $\eta \equiv \lim_{(E/p) \rightarrow 1} y = -\ln[\tan(\theta/2)]$.
7. Invariant η - ϕ solid angle: $\Delta R \equiv \sqrt{(\Delta\eta)^2 + (\Delta\phi)^2}$.
8. Four-momentum of a particle as function of different variables:

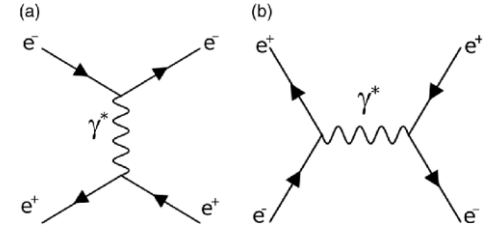
$$f(E, p_x, p_y, p_z): p^\mu \equiv (E; p_x, p_y, p_z),$$

$$f(m_T, p_x, p_y, y): p^\mu = (m_T \cosh y; p_x, p_y, m_T \sinh y),$$

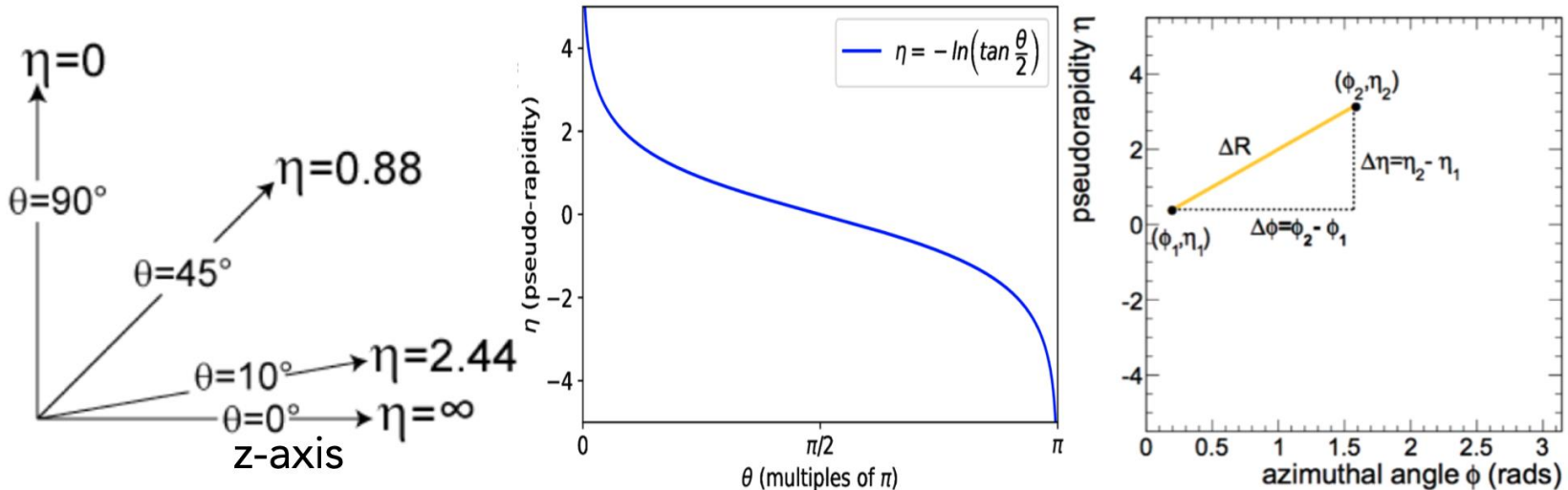
$$f(m_T, p_T, y, \phi): p^\mu = (m_T \cosh y; p_T \cos \phi, p_T \sin \phi, m_T \sinh y),$$

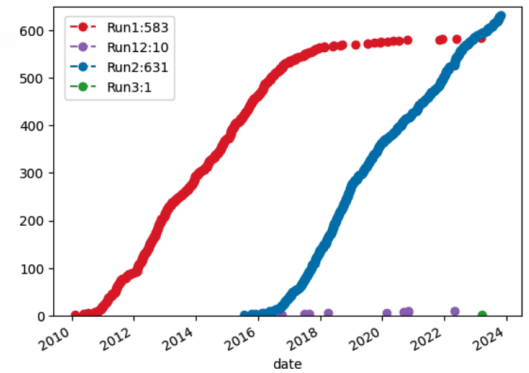
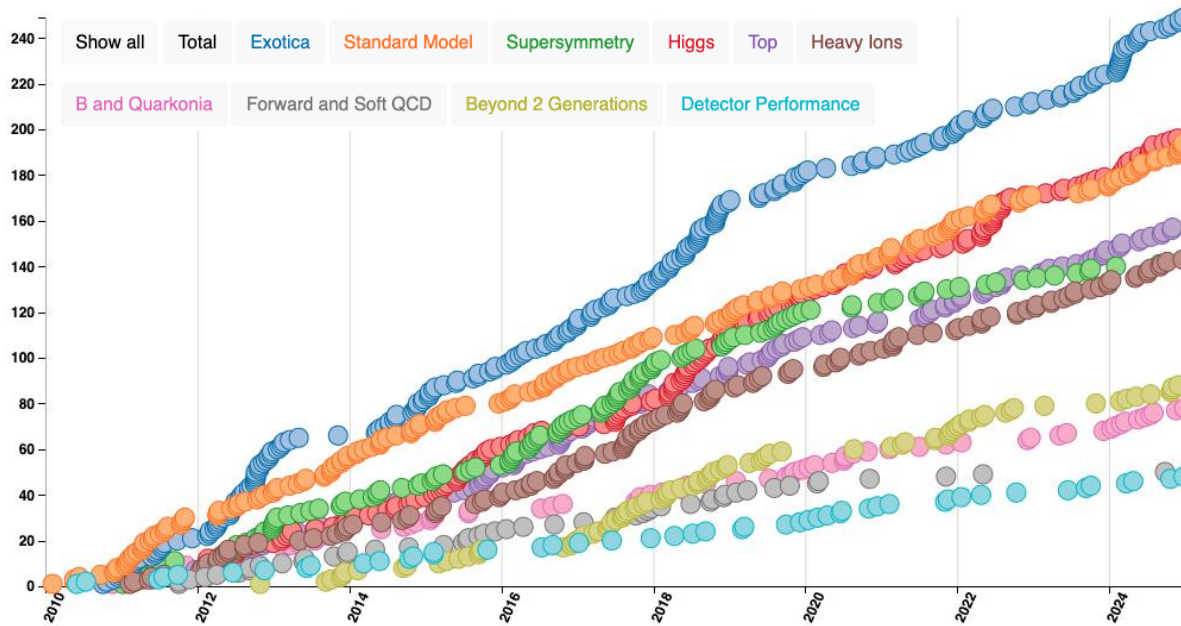
$$f(m, p_T, \eta, \phi): p^\mu = (\sqrt{m^2 + p_T^2} \cosh^2 \eta; p_T \cos \phi, p_T \sin \phi, p_T \sinh \eta).$$

(a) t-channel and (b) s-channel diagrams contributing to Bhabha scattering in the SM.

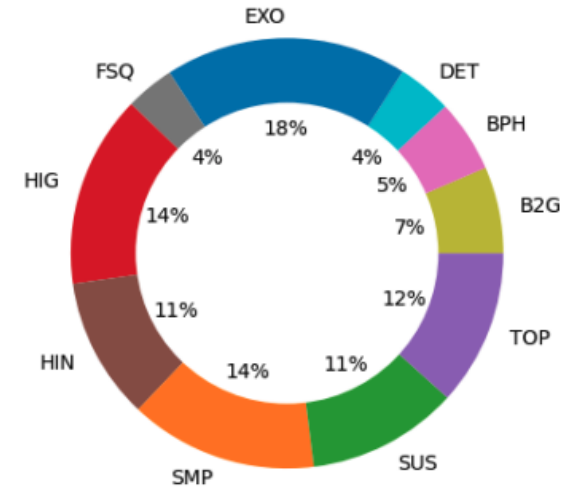


9. Invariant mass of n particles: $M \equiv \sqrt{(p_1^\mu + p_2^\mu + \dots + p_n^\mu)^2} = \sqrt{(E_1 + E_2 + \dots)^2 - (\vec{p}_1 + \vec{p}_2 + \dots)^2}$.
10. Invariant mass of 2 particles: $M = \sqrt{E_1^2 + E_2^2 + 2E_1E_2 - p_1^2 - p_2^2 - 2\vec{p}_1 \cdot \vec{p}_2}$.
11. Invariant mass of 2 particles for $(E_i/p_i) \rightarrow 1$: $M = \sqrt{2p_1p_2(1 - \cos \theta)}$.
12. Transverse mass of 2 particles: $M_T \equiv \sqrt{(E_1 + E_2)^2 - (\vec{p}_{T1} + \vec{p}_{T2})^2}$.
13. Transverse mass of 2 particles for $(E_i/p_i) \rightarrow 1$: $M_T = \sqrt{2p_{T1}p_{T2}(1 - \cos \theta)}$.
14. Transverse hadronic activity: $H_T \equiv \sum_i p_T(jet[i])$ (where the sum runs over all jets above some thresholds, which in particular analysis are $p_T > 30$ GeV, $|\eta| < 4.5$).
15. Hadronic recoil: $\vec{H}_T^{miss} \equiv -\sum_i \vec{p}_T(jet[i])$ where the sum runs over all jets. (Usually used in Z+jets samples where is equal with the $p_T(Z)$). It is true that: $|\vec{H}_T^{miss}| \neq H_T$ due to the threshold(s) imposed to selected jets in H_T .
16. Transverse missing energy (or momentum): $\vec{E}_T \equiv -\sum_i \vec{p}_T(i)$ where the sum runs over, all reconstructed objects: jets, leptons, taus, photons (without cut thresholds).





- **1347 collider data papers** submitted (as of 2025-1-1)
 - Publication statistics Run2 not yet at plateau!
 - ~90 analyses in CWR or beyond, ~200 in AWG progress
- <https://cms-results.web.cern.ch/cms-results/public-results/publications-vs-time/>



- Physics Analyses Groups (PAGs)
 - (BSM) Searches : **SUS, EXO, B2G**
 - SM Measurements (mostly): **SMP, TOP, BPH, HIG, HIN**

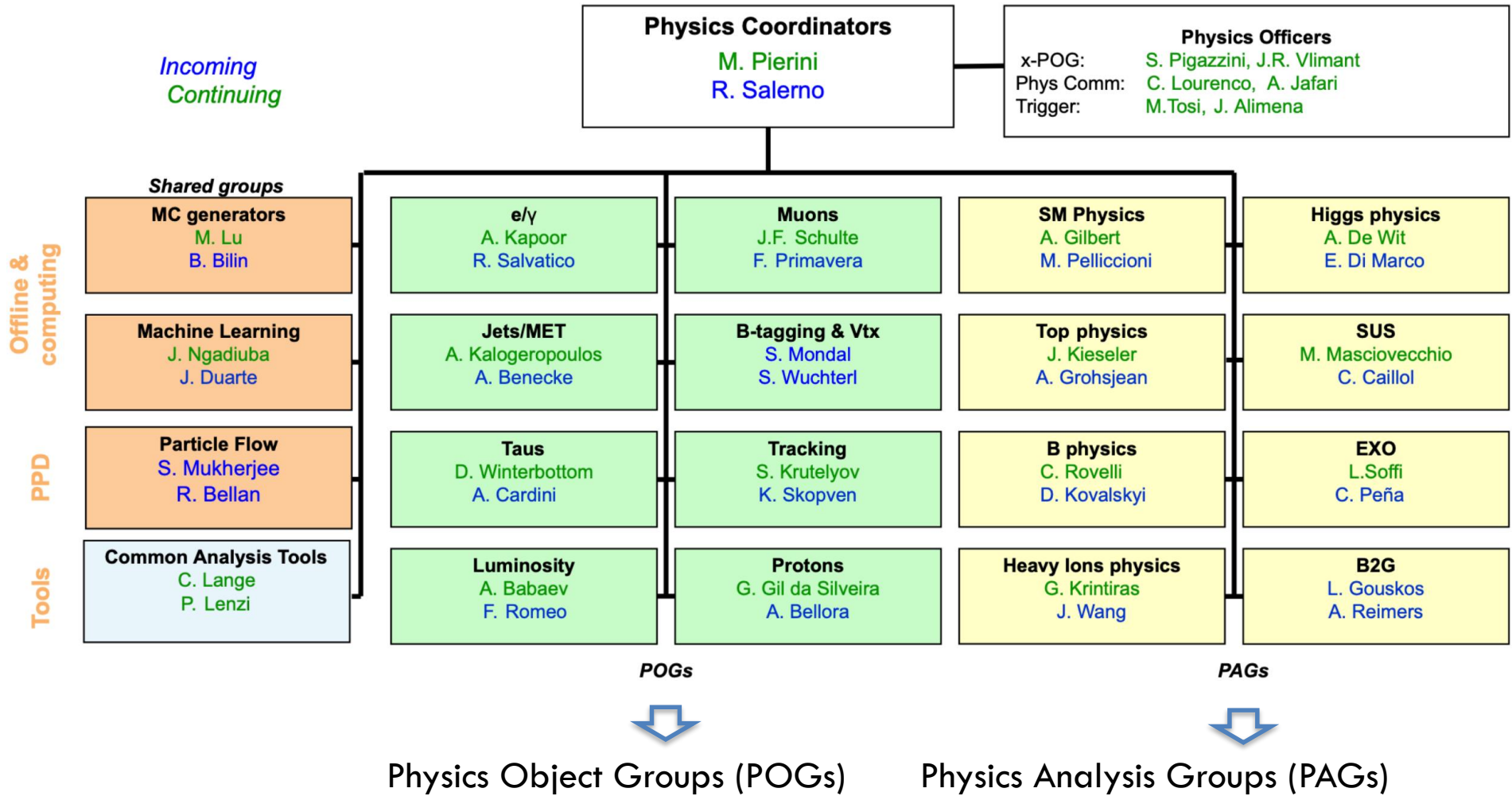
CMS titles

- ❖ 600 "Search"
- ❖ 52 "Observation"
- ❖ 21 "Evidence"
- ❖ 336 "Measurement"
- ❖ 42 "Study"



CMS organigram at Physics coordination areas: POGs & PAGs

How is our community organized?





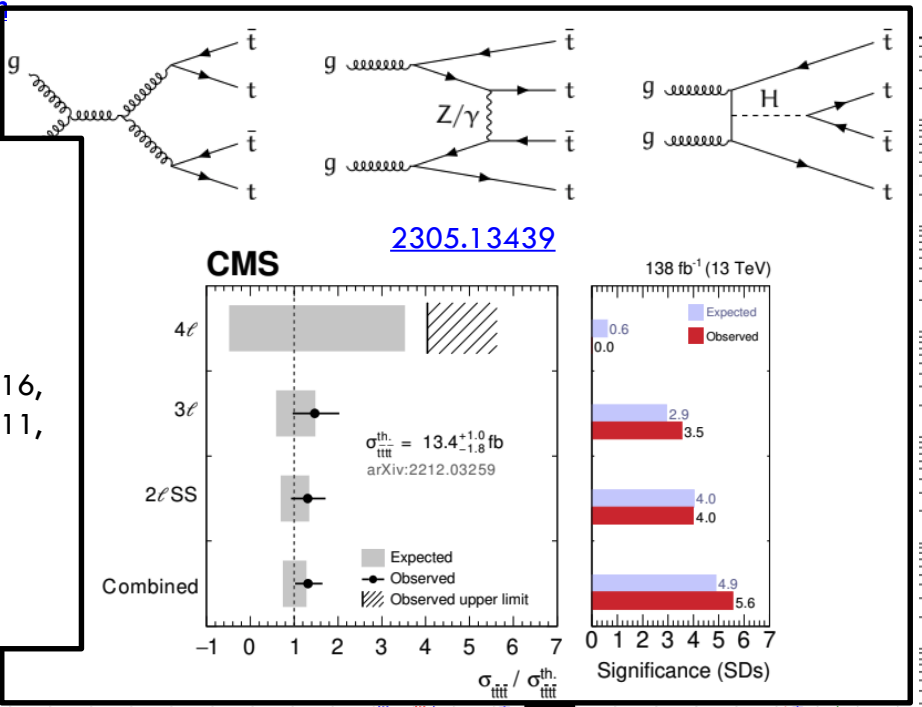
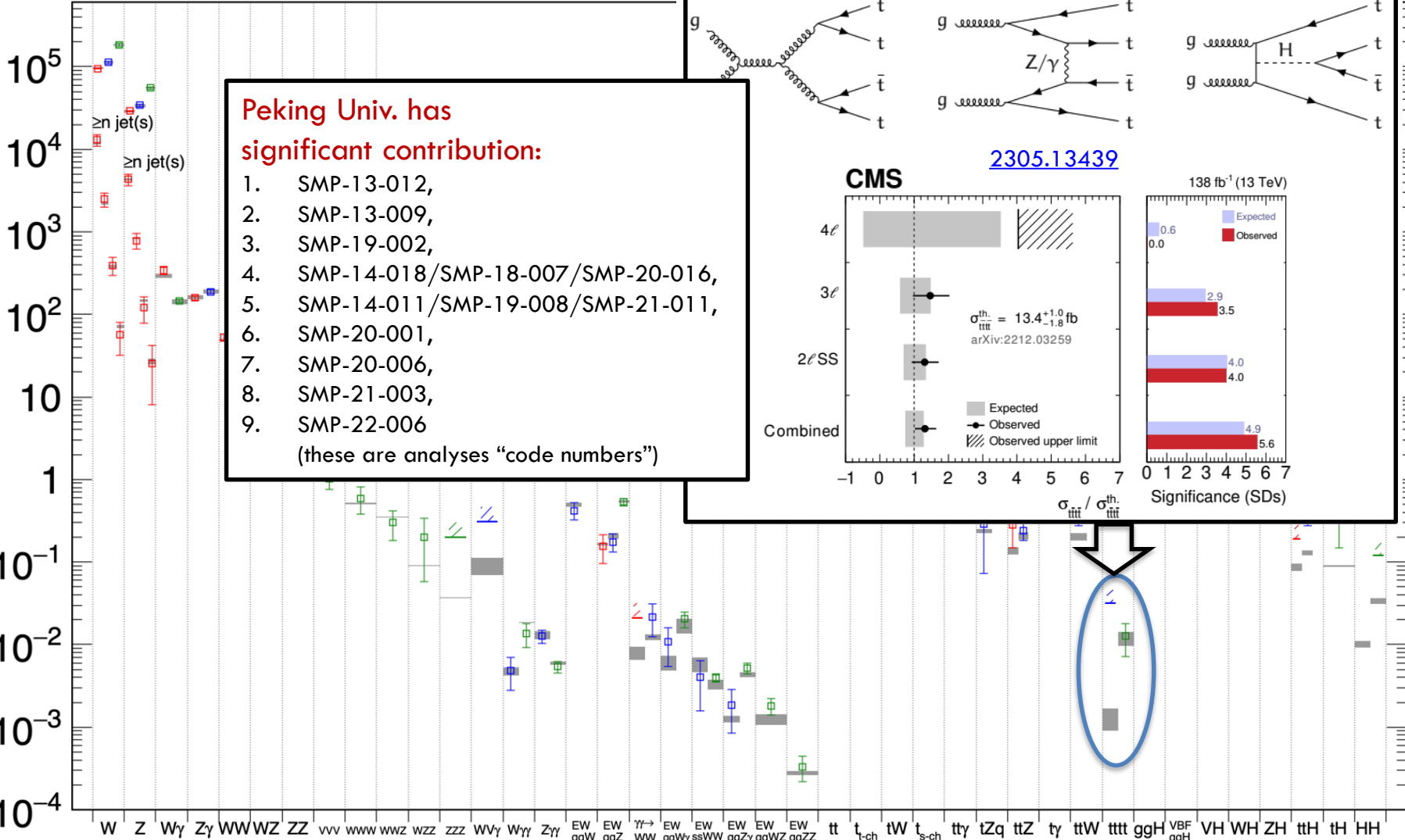
Several SM measurements (summary)



June 2021

These are from SMP, HIG, TOP (m

Production Cross Section, σ [pb]



All results at: <http://cern.ch/go/pNj7>



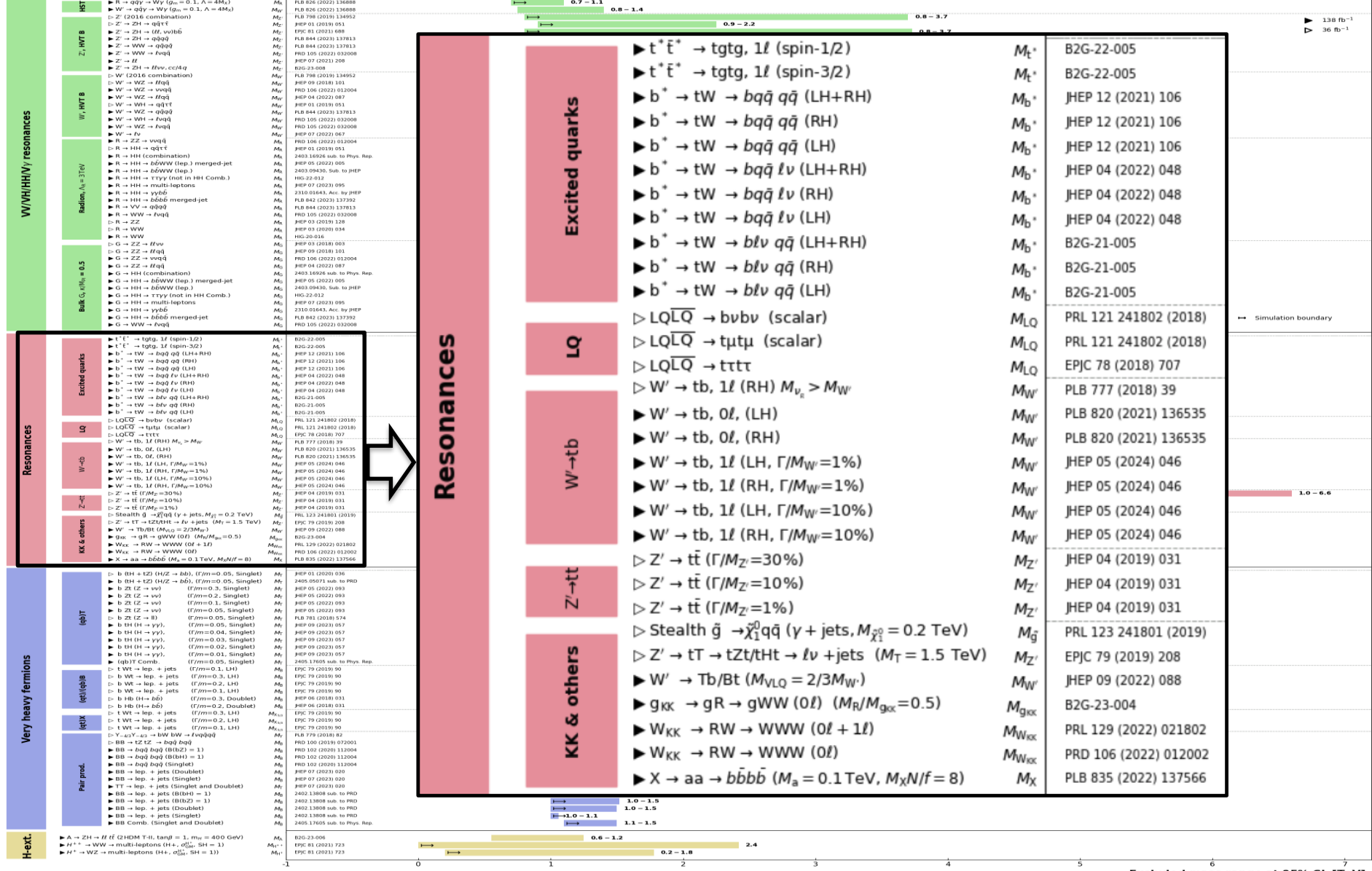
Excl. Limits from several searches (summary)



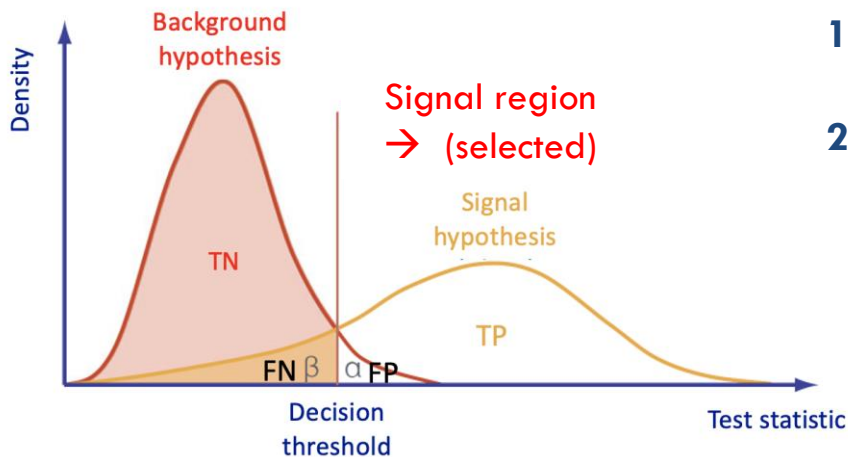
Overview of CMS B2G Results

These are from B2G only ([more here](#))

36 - 138 fb⁻¹ (13 TeV)



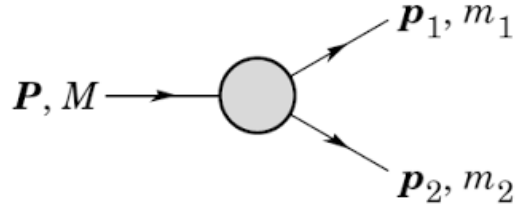
- **What is Data Analysis?**
→ The offline “Data Analysis” refers to the processing of real data (and MC simulated) events (samples) in order to make physics conclusions. Examples will follow.
- **What is Signal (S) and Background (B)?**
→ For each analysis there is a process which we want to study or search for, this is Signal (S). Other SM processes which have similar kinematics and final state appear as Background (B).
- Every analysis has as common goal: to **select Signal and reject Background**. This is done by **exploiting kinematics and applying cuts on kinematic variables**.
- We optimize these cuts based on **signal significance** e.g. S/\sqrt{B} (or others)
- Finally, we **count S & B events** in some bins and make inferences on physics.



Two general types of analyses in HEP:

1. **SM Measurements:**
We measure events of an existing physics process.
2. **Searches for BSM physics:**
We look for a process which is not predicted by SM but from by BSM.
If such a process exists, it will appear as an excess of events compatible with the BSM model simulation.

Invariant mass of a system of 2 particles:



$$M^2 = (E_1 + E_2)^2 - \|\mathbf{p}_1 + \mathbf{p}_2\|^2$$

$$= m_1^2 + m_2^2 + 2(E_1 E_2 - \mathbf{p}_1 \cdot \mathbf{p}_2)$$

$$M^2 = (E_1 + E_2)^2 - \|\mathbf{p}_1 + \mathbf{p}_2\|^2$$

$$= [(p_1, 0, 0, p_1) + (p_2, 0, p_2 \sin \theta, p_2 \cos \theta)]^2$$

$$= (p_1 + p_2)^2 - p_2^2 \sin^2 \theta - (p_1 + p_2 \cos \theta)^2$$

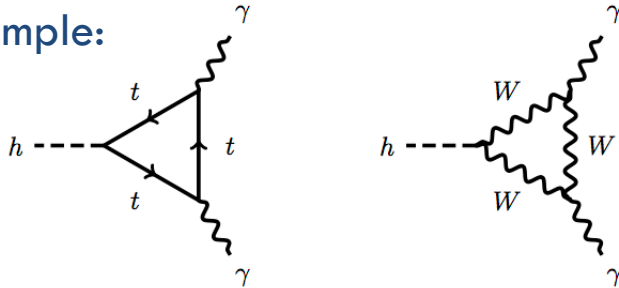
$$= 2p_1 p_2 (1 - \cos \theta).$$

} For massless particles

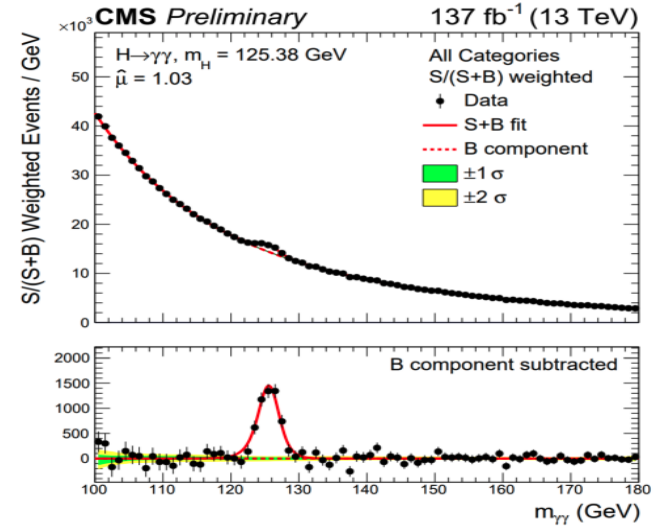
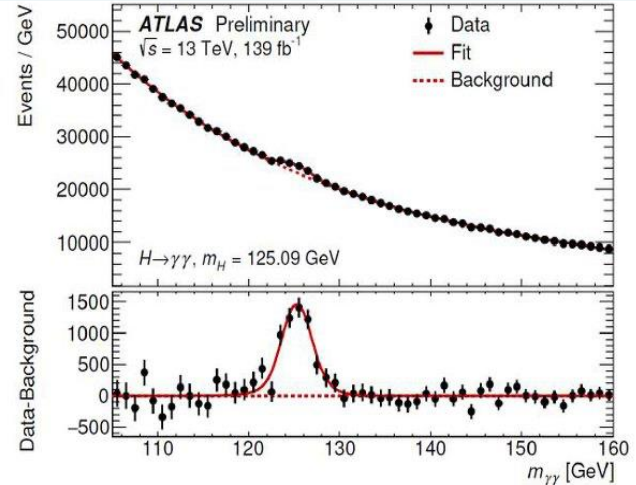
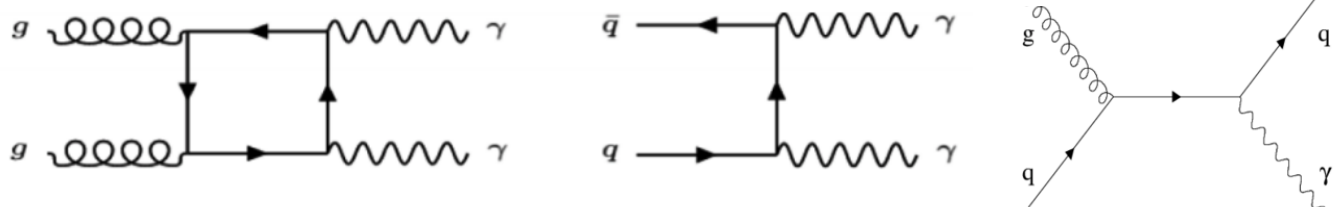
$$M^2 = 2p_{T1} p_{T2} (\cosh(\eta_1 - \eta_2) - \cos(\phi_1 - \phi_2)) \quad (\text{using } \eta, \phi)$$

Diphoton example:

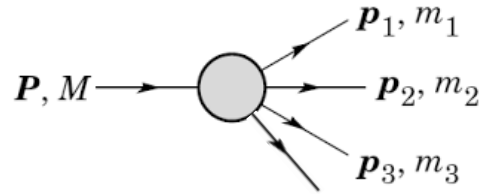
Signal:



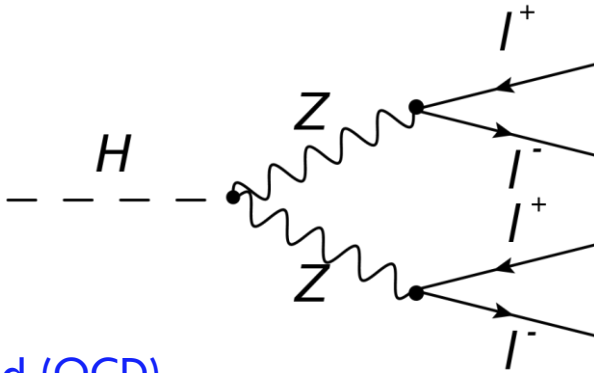
Background (QCD):



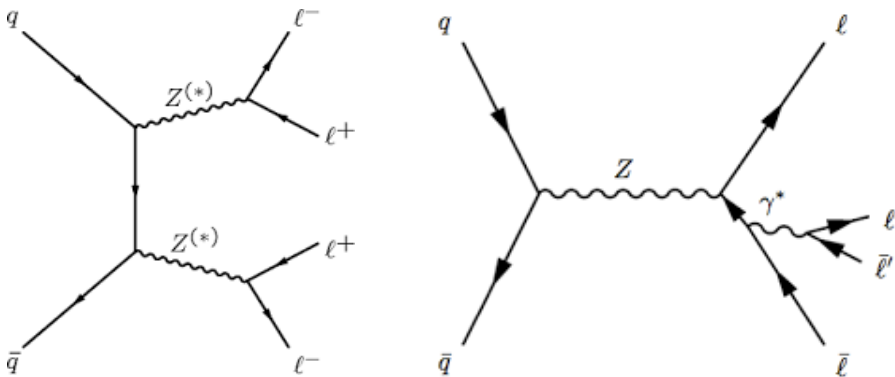
Invariant mass of a system of 3,4... particles:
... Similar formulas



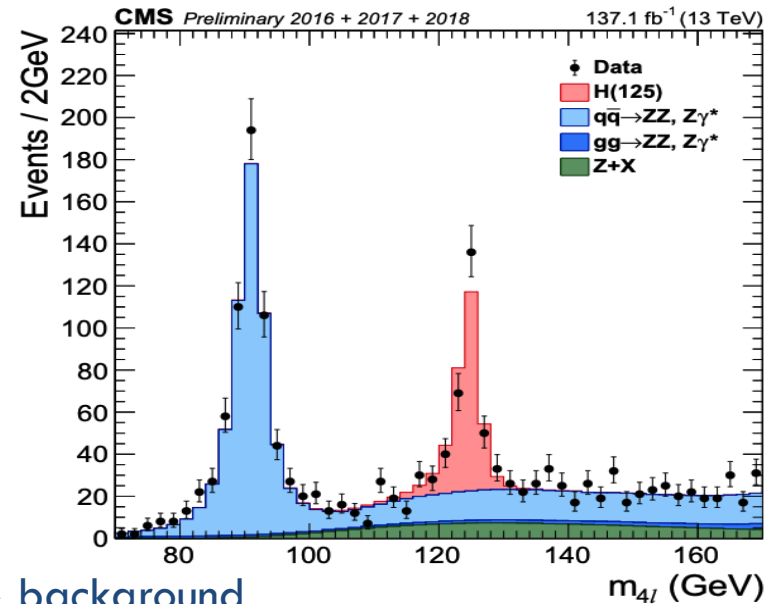
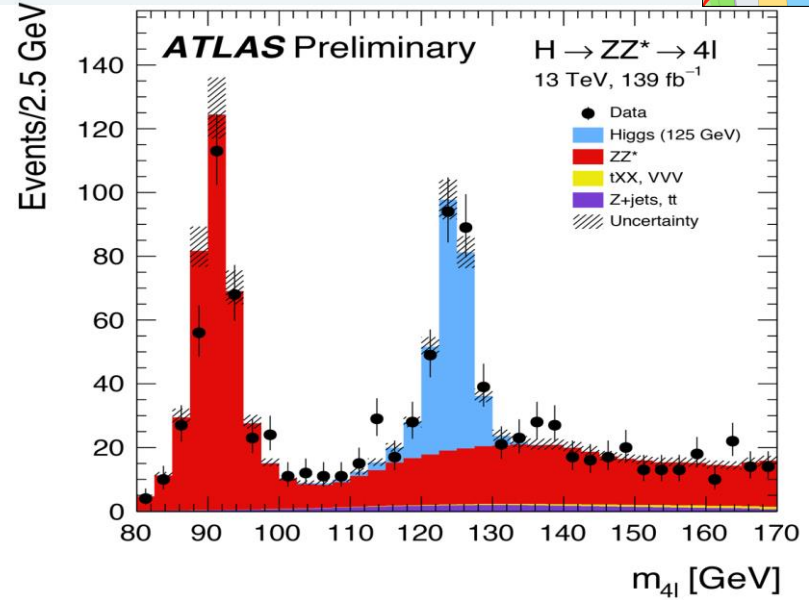
Signal:



Background (QCD)



MC samples are used to simulate both signal & background



Resonances with neutrinos: Transverse mass (M_T)

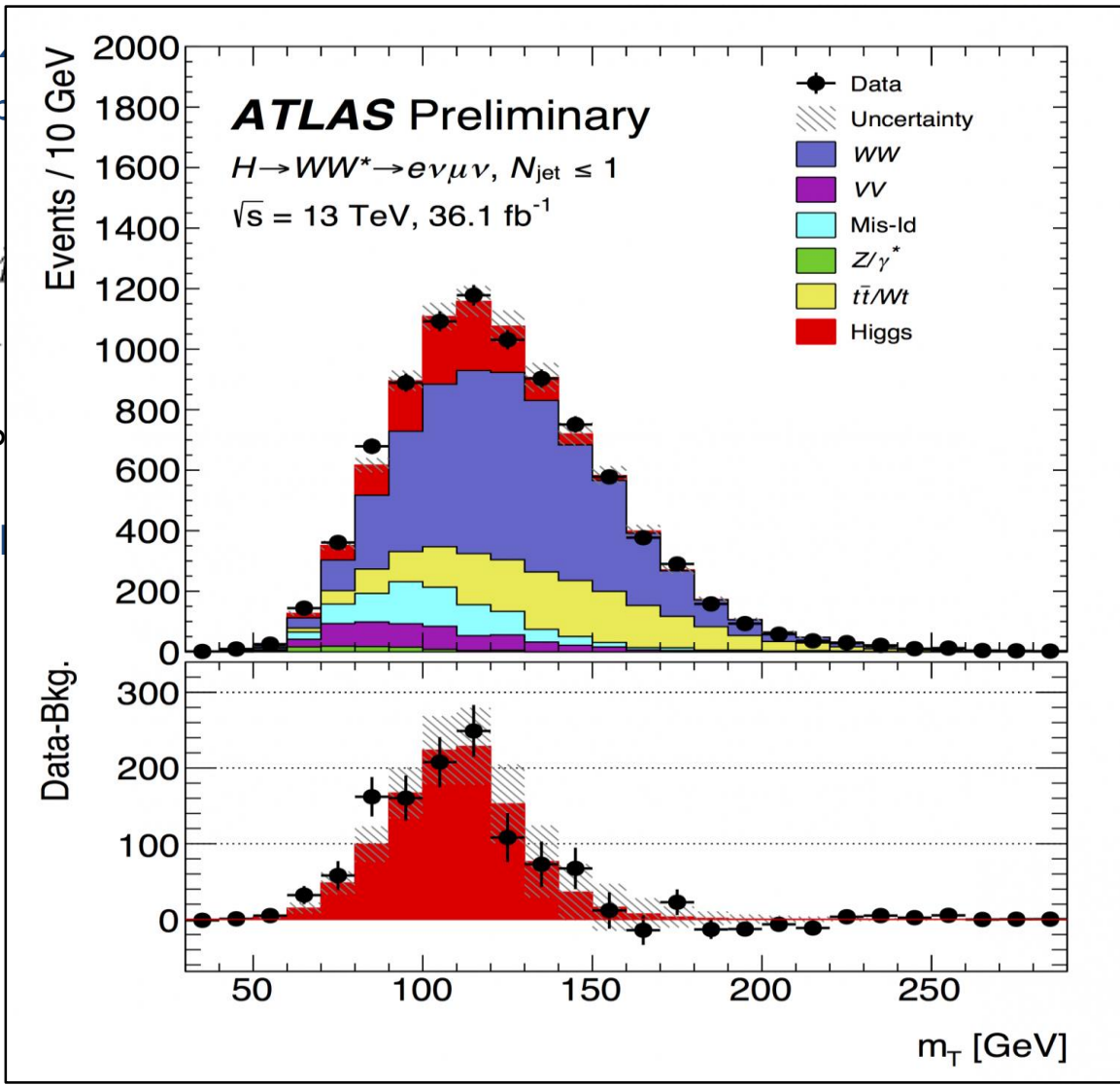
Transverse mass of a system of 2,3, ... particles, with 1 (or more) invisible p (like neutrinos: ν) \rightarrow MET

$$M_T^2 = m_1^2 + m_2^2 + 2(E_{T,1}E_{T,2} - \vec{p}_{T,1} \cdot \vec{p}_{T,2})$$

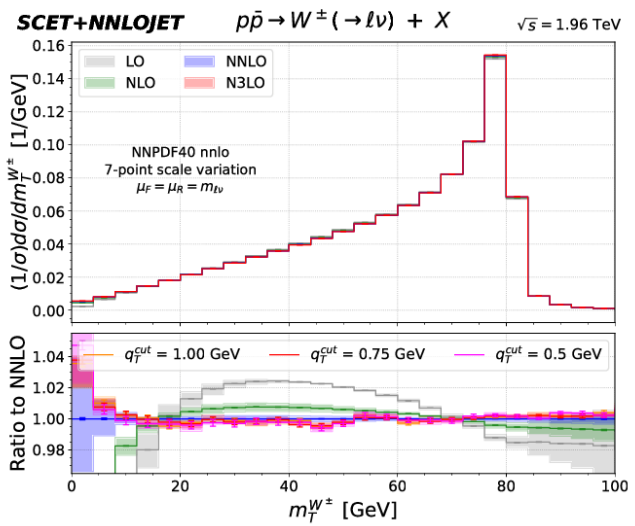
For massless particles $M_T^2 \rightarrow 2E_{T,1}E_{T,2} (1 - \cos\theta)$

(see [here](#) for more, also search for Jacobian p

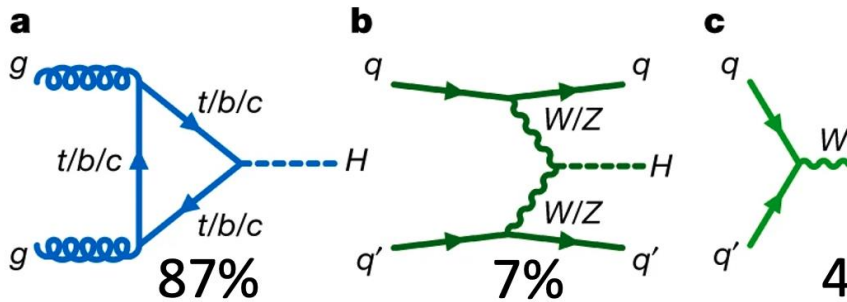
Asymmetric peak, a bit lower than the nominal masses.



Q: why the $e\nu\mu\nu$ channel has been selected?



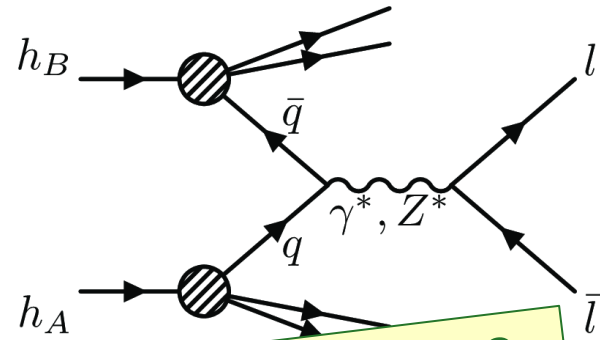
- The pp collisions are essentially parton collisions where gluons and quarks interact →
- Several different way to produce a particular particle (e.g a Higgs) and a final state.
- Let's study Higgs production → 4 main mechanisms:



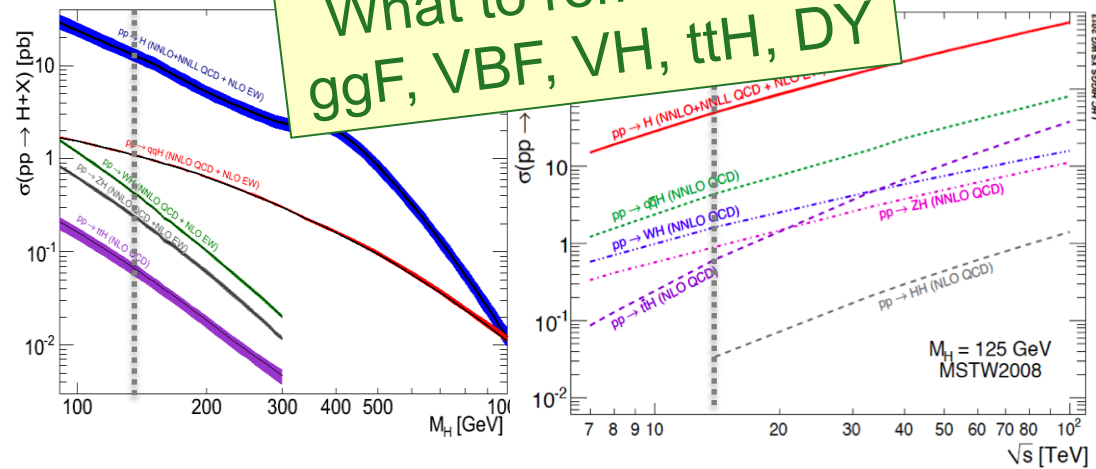
- a: gluon-gluon Fusion (**ggF**)
- b: Vector Boson Fusion (**VBF**)
- c: V-boson association (**VH**)
- d: top pair association (**ttH**)
- e: single t association (rare)

- Final state provides evidences for the production mode, e.g. forward jets in VBF, b-jets in ttH, etc.
- Similar stands for all others W, Z, tt,...
- We rely on MC for the correct productions which is usually inclusive.

Another important production mechanism (which does not apply to Higgs production) is the Drell-Yan (DY) production. This is qqbar-annihilation essentially:



What to remember?
ggF, VBF, VH, ttH, DY





BRs: how to & what to remember



Unstable particles (have decay widths and) decay into two or more particles.

The relative fraction of each decay mode is called Branching Fraction or Ratio (BR or BF).

All BRs can be found in [PDG](#)
 (there is also an app [here](#))
 You can find tables like →

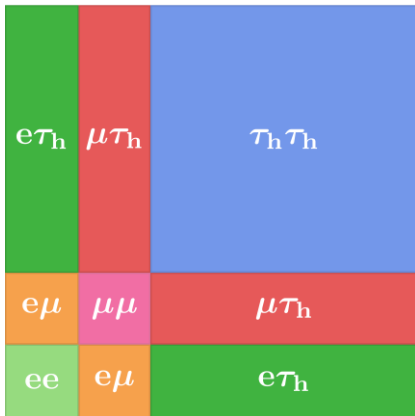
W⁺ DECAY MODES		Fraction (Γ_i/Γ)
$\ell^+ \nu$	[b]	(10.86 ± 0.09) %
$e^+ \nu$		(10.71 ± 0.16) %
$\mu^+ \nu$		(10.63 ± 0.15) %
$\tau^+ \nu$		(11.38 ± 0.21) %
hadrons		(67.41 ± 0.27) %
...		...

Z DECAY MODES		Fraction (Γ_i/Γ)
$e^+ e^-$	[h]	(3.3632 ± 0.0042) %
$\mu^+ \mu^-$	[h]	(3.3662 ± 0.0066) %
$\tau^+ \tau^-$	[h]	(3.3696 ± 0.0083) %
$\ell^+ \ell^-$	[b,h]	(3.3658 ± 0.0023) %
$\ell^+ \ell^- \ell^+ \ell^-$	[i]	(4.55 ± 0.17) × 10 ⁻³ %
invisible	[h]	(20.000 ± 0.055) %
hadrons	[h]	(69.911 ± 0.056) %
...		...

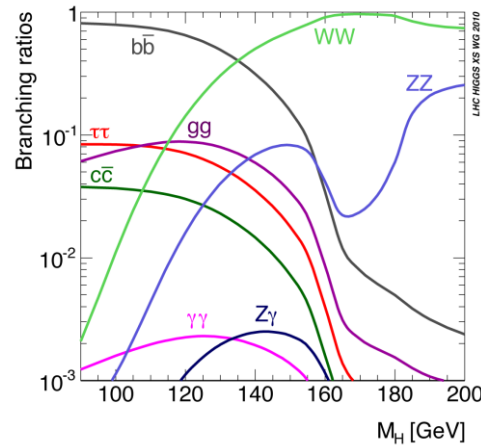
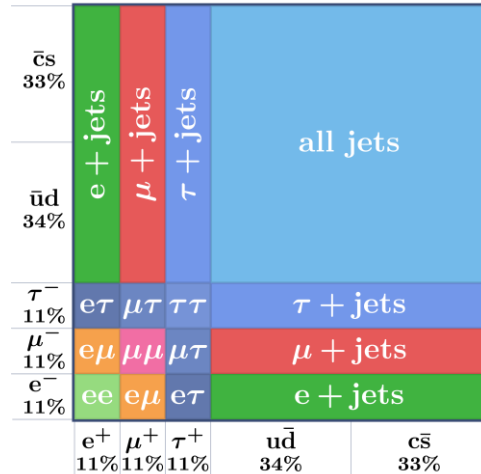
τ⁻ DECAY MODES		Fraction (Γ_i/Γ)
$\mu^- \bar{\nu}_\mu \nu_\tau$	[g]	(17.39 ± 0.04) %
$\mu^- \bar{\nu}_\mu \nu_\tau \gamma$	[e]	(3.67 ± 0.08) × 10 ⁻³ %
$e^- \bar{\nu}_e \nu_\tau$	[g]	(17.82 ± 0.04) %
$e^- \bar{\nu}_e \nu_\tau \gamma$	[e]	(1.83 ± 0.05) %
...		...

With these BRs, we can estimate the BRs for pairs or particles like $t\bar{t}$, $\tau\tau$, HH , WW , WZ , ZZ , etc.
 (We can use double-entry matrix like this to help calculations)

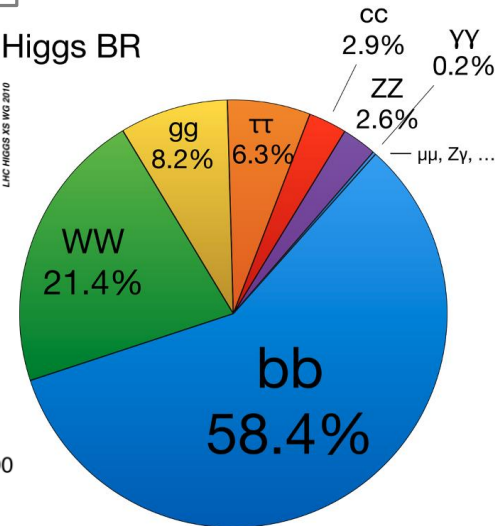
$\tau\tau$ decay modes



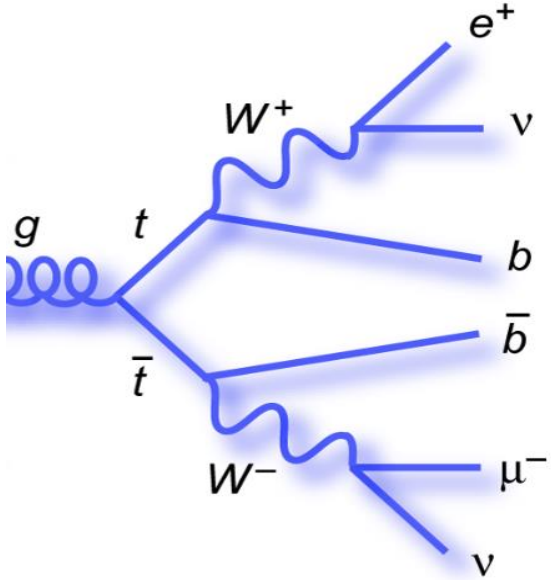
$t\bar{t} \rightarrow b\bar{b}WW$ decay modes



Higgs BR



Can you estimate the 0l,1l,2l BRs in tt decays?

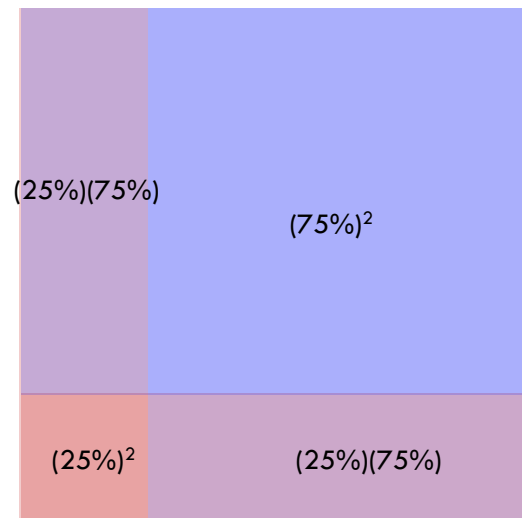


- In CMS we consider “leptons” the e & μ (as are ~stable)
- The τ (unstable) has lep. decays ~35% and hadronic (τ_h) ~65%
- $BR(t \rightarrow bW) \sim 100\%$ (because of CKM matrix...)
- The W has BRs: ~11% $\mu\nu$, ~11% $e\nu$, and ~11% $\times 0.35 \tau_{lep.\nu}$

$\rightarrow BR(W \rightarrow l\nu) \sim 25\%$
 $\rightarrow BR(W \rightarrow \text{jets}) \sim 75\%$

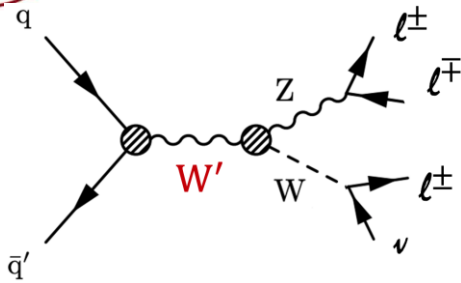


- $BR(WW \rightarrow 0l) \sim (75\%)^2 \sim 56\%$
- $BR(WW \rightarrow 1l) \sim 2 \times 75\% \times 25\% \sim 38\%$
- $BR(WW \rightarrow 2l) \sim (25\%)^2 \sim 6\%$

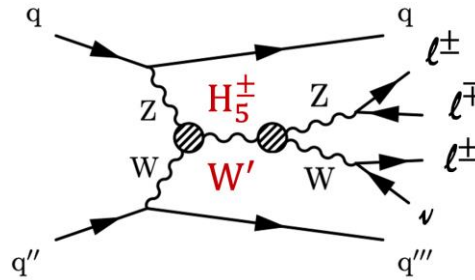




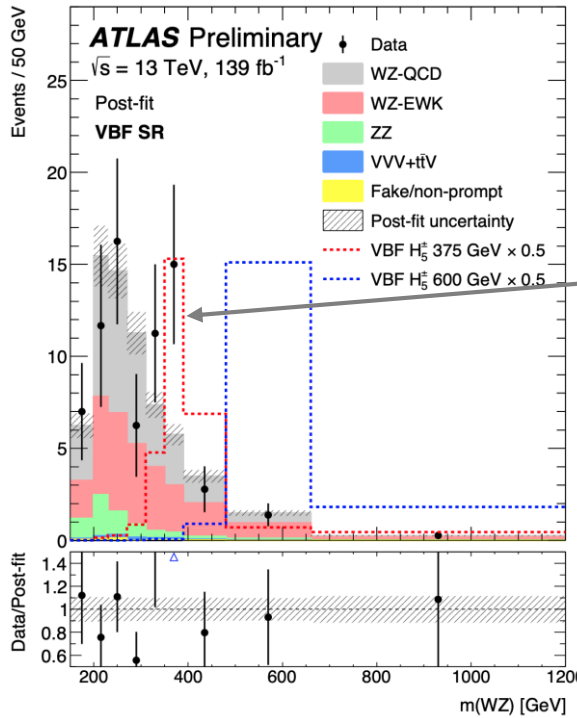
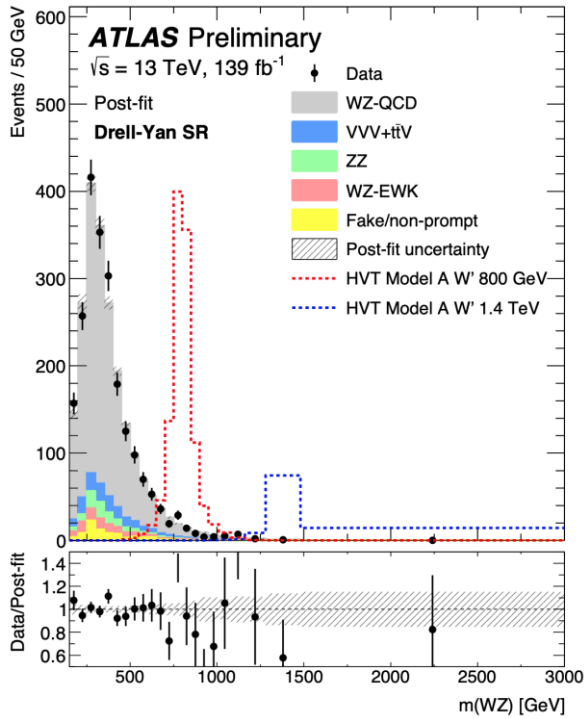
Break



SR for DY



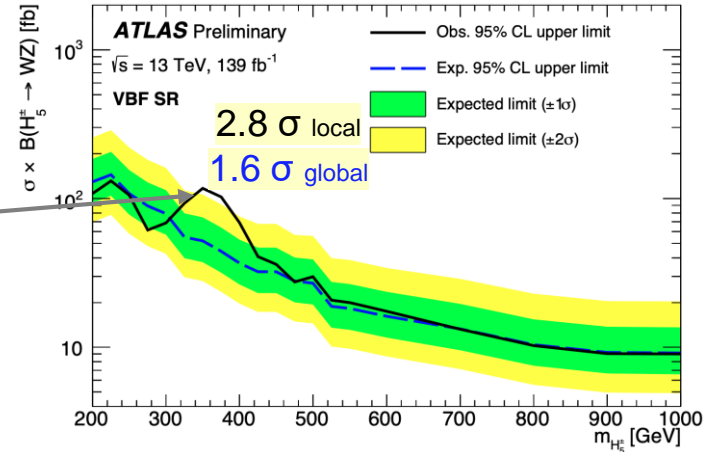
SR for VBF



Excess of data events at ~350 GeV

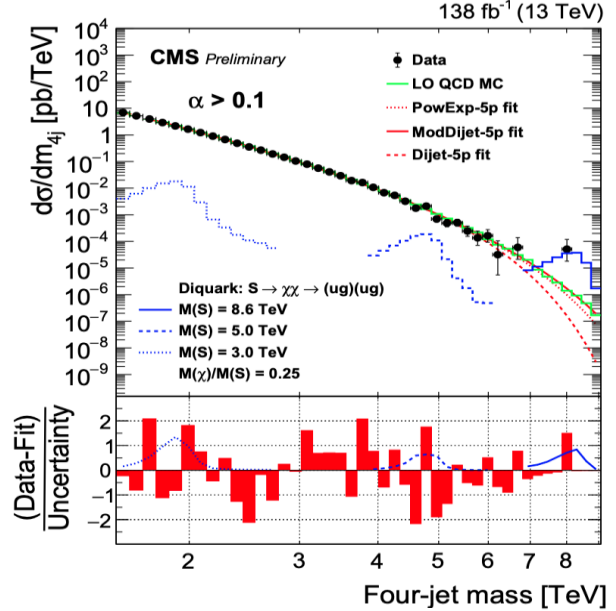
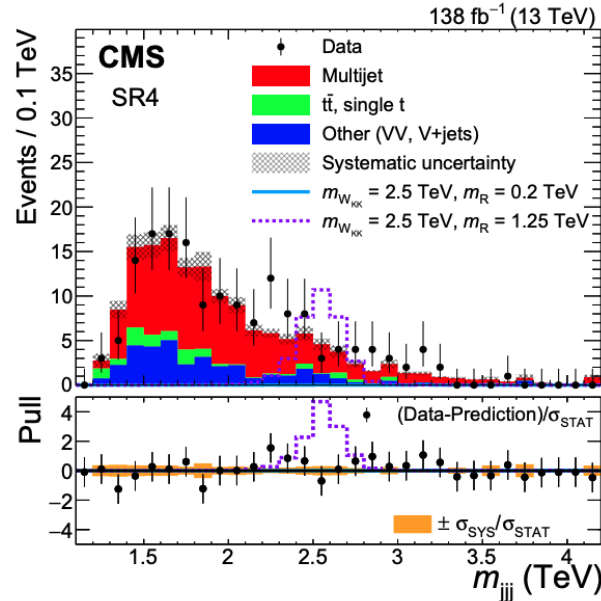
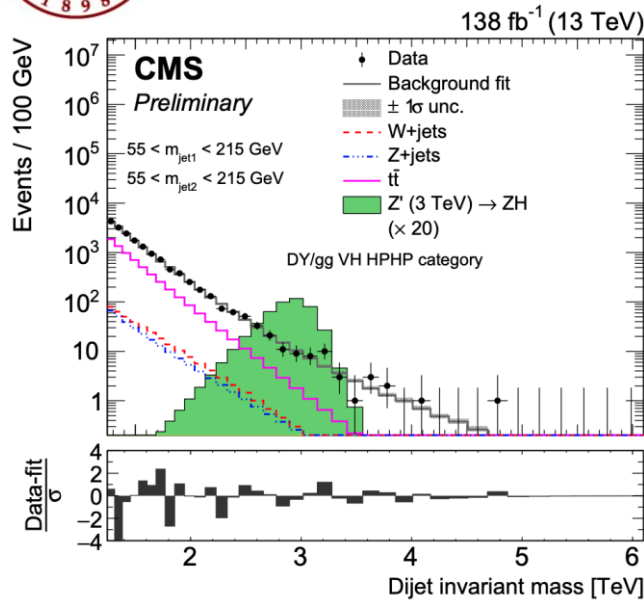
Data & prediction (postfit) are in agreement withing stat.

Limits on H_5^\pm σ BR in VBF

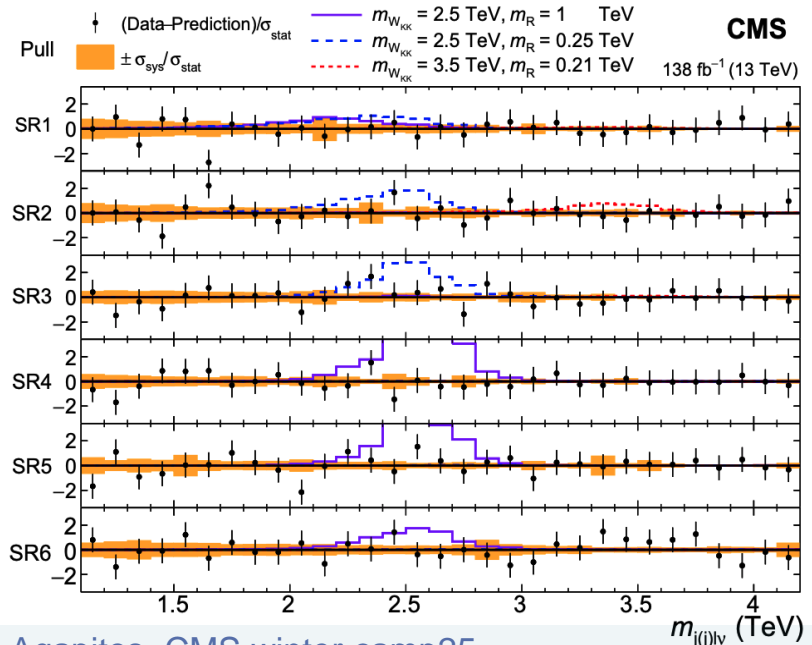


It is important to distinguish the probability to find a fluctuation in some particular location from the probability to find such a fluctuation anywhere. The former is called the **local** significance whereas the latter is referred to as the **global** significance.

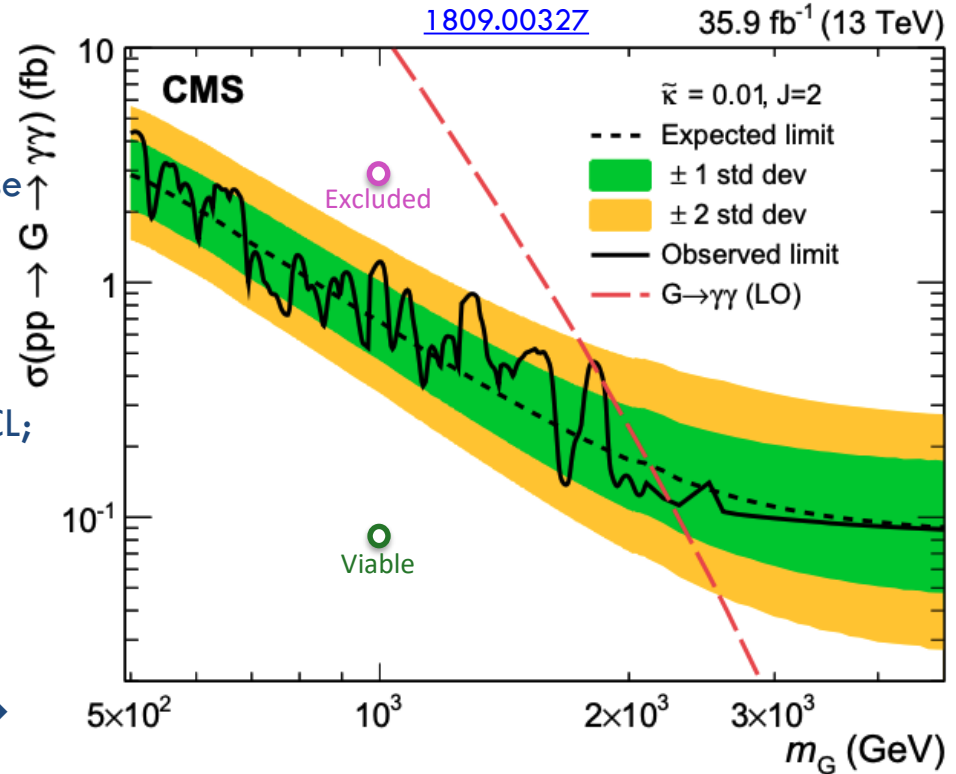
[LLE](#) is the reason these two are different.



- The **errorbars** are by definition of size 1; this is only to illustrate how far (in s.d.) a point is from the horizontal line of zero.
- If only stat. unc. is present in we expect
 ~68% of points to be within ± 1
 ~95% of points to be within ± 2 ... etc



- 1 parameter to scan: Graviton (G) mass m_G .
- We set upper limits on $\sigma \times BR$
Expected \rightarrow limit based on prediction without use of data.
Observed \rightarrow limit resulted from the data.
- Limits are at “**95% Confidence Level (CL)**”.
 \rightarrow The “signal hypothesis” is excluded at 95% CL; i.e. 1 out of 20 repetitions would result in the opposite (on average).
- Area **above lines** ($\sigma \times B$ here) is excluded.
- Area **below lines** is “viable”, i.e. might hide the process but statistics is not enough to probe it. \rightarrow These are **upper limits**.
- The expected limit evaluation comes with $\pm 1\sigma$ and $\pm 2\sigma$ standard deviation belts.
 (These comes from the likelihood scan...)

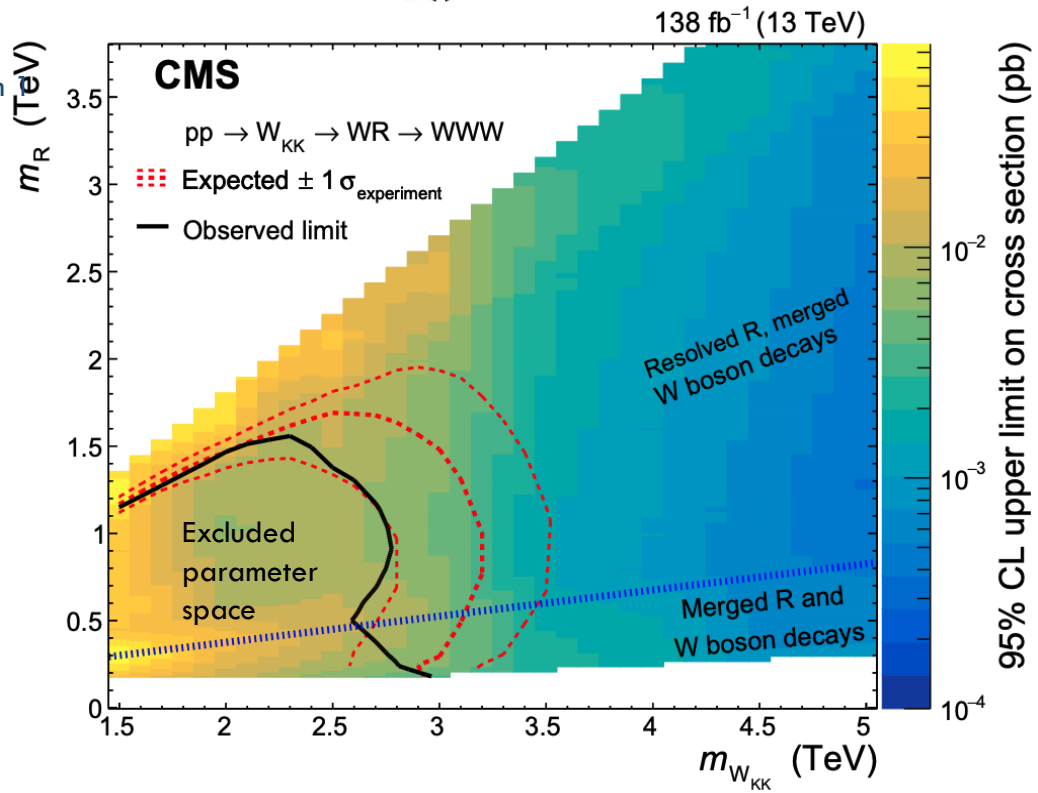
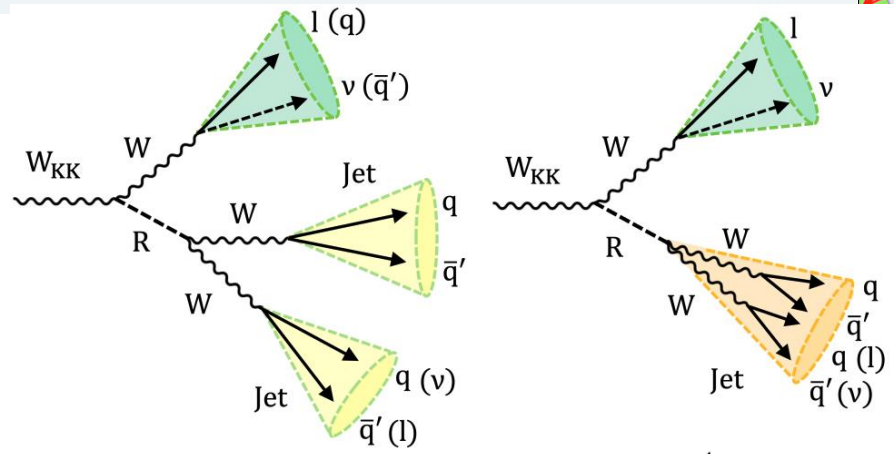


- Spikes (deeps) in observed limit indicate local excesses (deficits) of data events.
- **Theory model (red)** predict the $\sigma \times B$ vs m_G ; here m_G below ~ 2100 GeV are excluded. This is taken from intersection theory&obs.

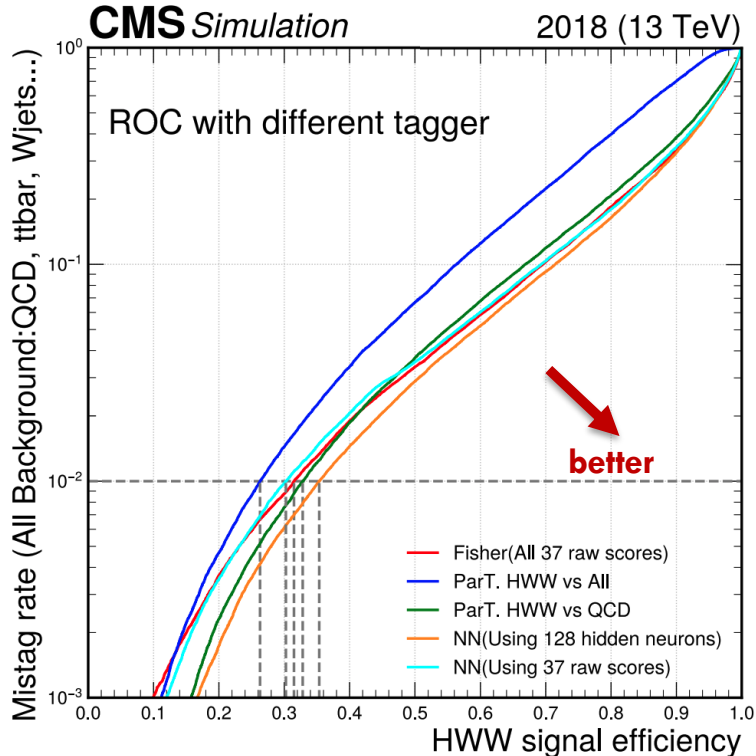
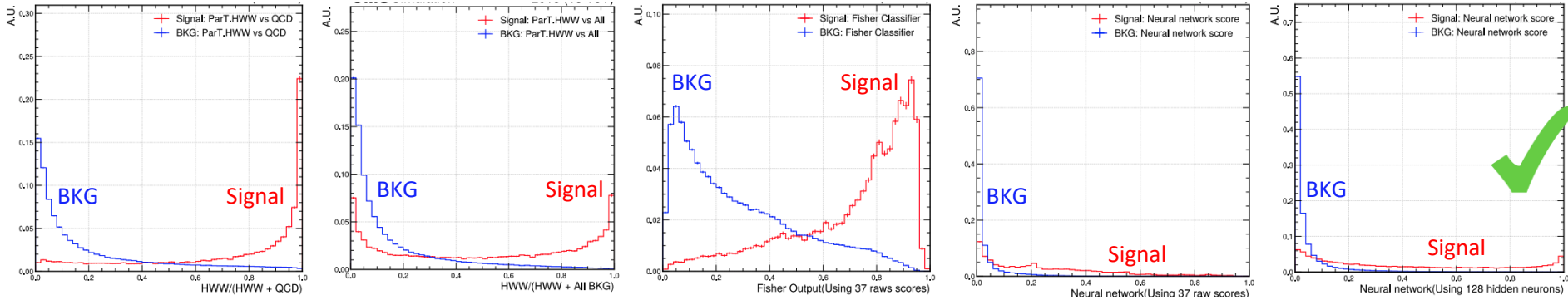
Limit at $m_G = 500$ GeV is 4 fb \rightarrow we exclude scenarios which predict $4 \times 36 \times \text{Eff.}$ events at 95% CL
 Limit at $m_G = 4$ TeV is 0.09 fb \rightarrow we exclude scenarios which predict 3 events ($= 0.09 \times 36 \times \text{Eff.}$)

How to read limits: 2 parameters (masses)

- 2 new particles W_{KK}, R
 \rightarrow 2 masses to scan for setting limits
- We set **upper limits** on $\sigma \times B$ for all masses these are model independent.
- We set **lower limits** on W_{KK}, R masses, this is shown as a contour line (it was a single point in parameter case).
- Area lower-left of the curve is the excluded parameter space. This is model dependent result.
- Observed and expected are shown: Expected has only $\pm 1\sigma$ band (in red \rightarrow)
- Here we have observed $\sim 1\sigma$ weaker than the expected (due to excesses in data).

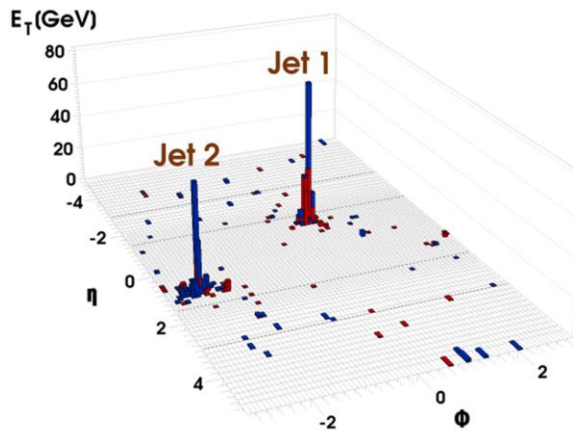
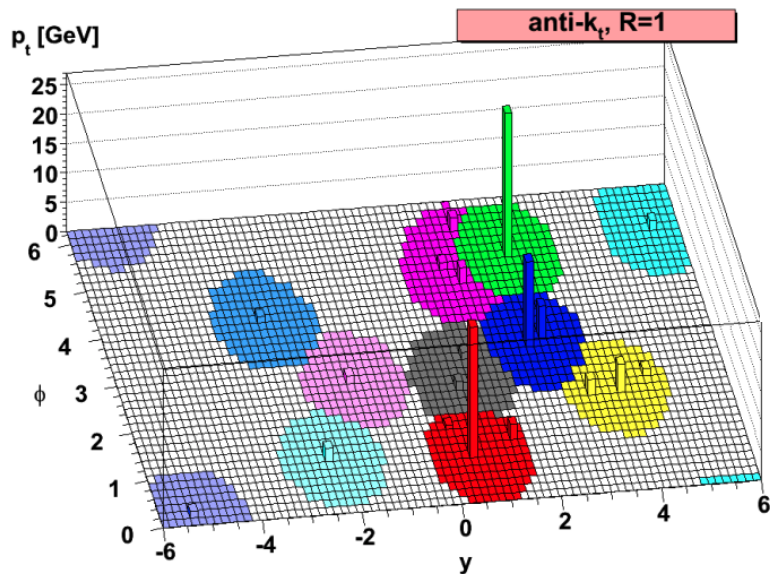
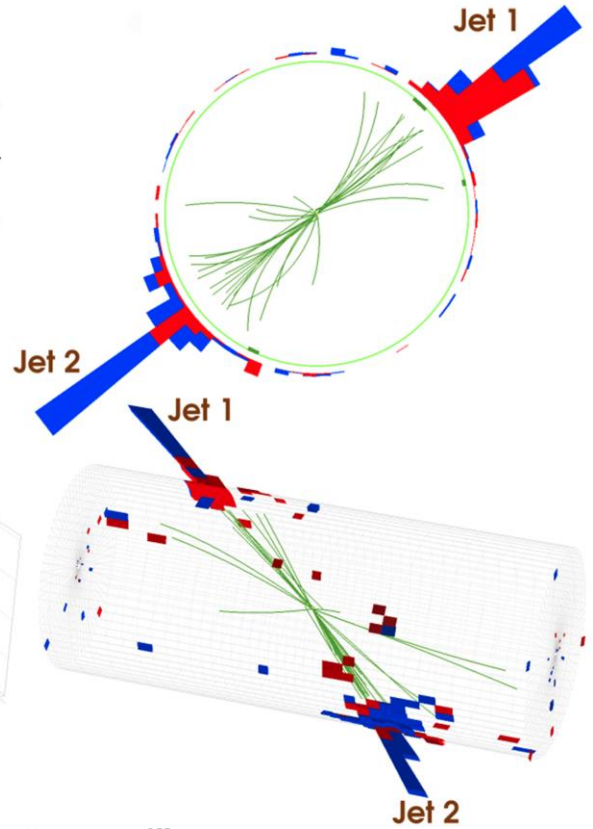
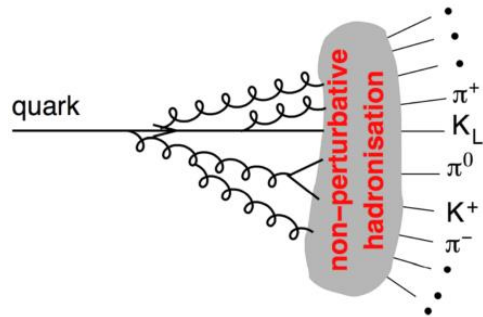


Assume we have 5 variables (classifiers) which separate **signal** from **BKG**



- ROCs: Receiver Operation Characteristics
- Use in binary classification problems to evaluate prediction performance (separation power) of a variable.
- BKG eff. vs. Signal eff. or similarly: “1-False positive” vs. “True positive” signal
- The higher the S/\sqrt{B} the better the performance.
- In this example the **orange (NN 128)**, it has the best performance at 10⁻² BKG rejection rate.

- Quarks & gluons hadronized into “sprays of long-lived” particles. These propagate in similar directions to the initial q/g forming jets.
- We use the anti-kT algorithm to cluster individual particles (PF candidates) into jets
 → PFJets (*using clustering par. R*)



- [Details & illustrations here.](#)
- [10k-citations paper!](#)

- Anti-kT algo. forms “conical” jets,
 → i.e. circles in η - ϕ plane with radius “R”.
 (This R is the “clustering parameter”).
- Circle’s center is the p^μ direction of jet.
- The η - ϕ distance of 2 jets is

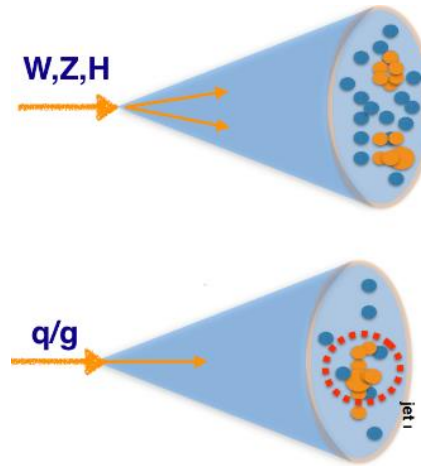
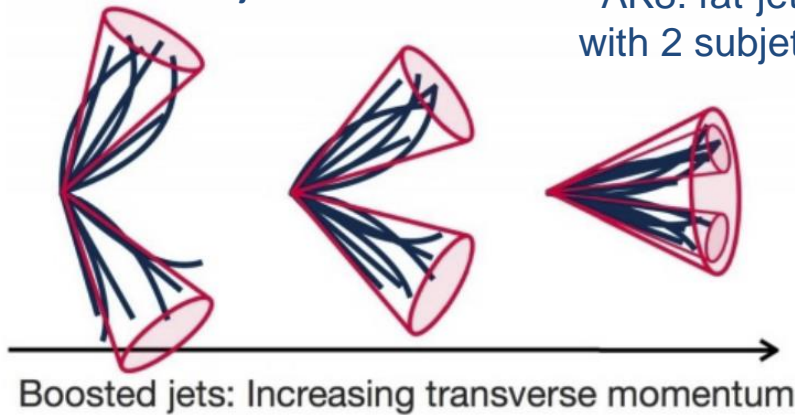
$$\Delta R \equiv \sqrt{(\Delta\eta)^2 + (\Delta\phi)^2} > R=1.0$$

Boosted objects \rightarrow small angular separation of the products \rightarrow merged to one jet

Boost should be significant: $\Delta R \sim 2m_j/p_{Tj} < 0.8 \rightarrow p_T(W, \dots) > 200 \text{ GeV}$ for merging.

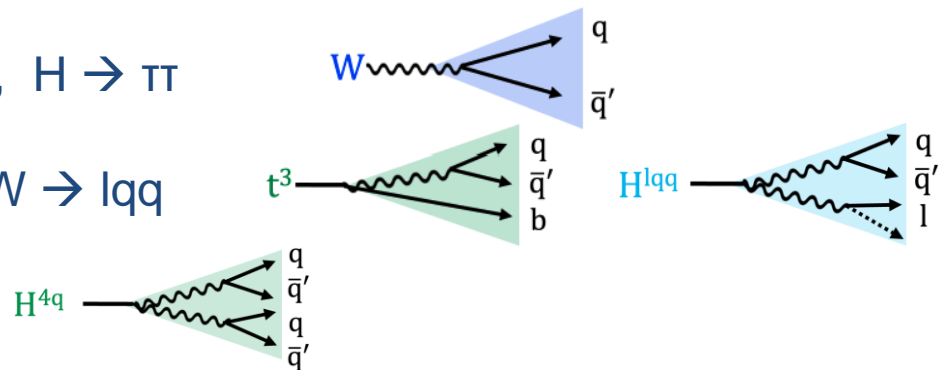
AK4: narrow jets

AK8: fat-jet with 2 subjets



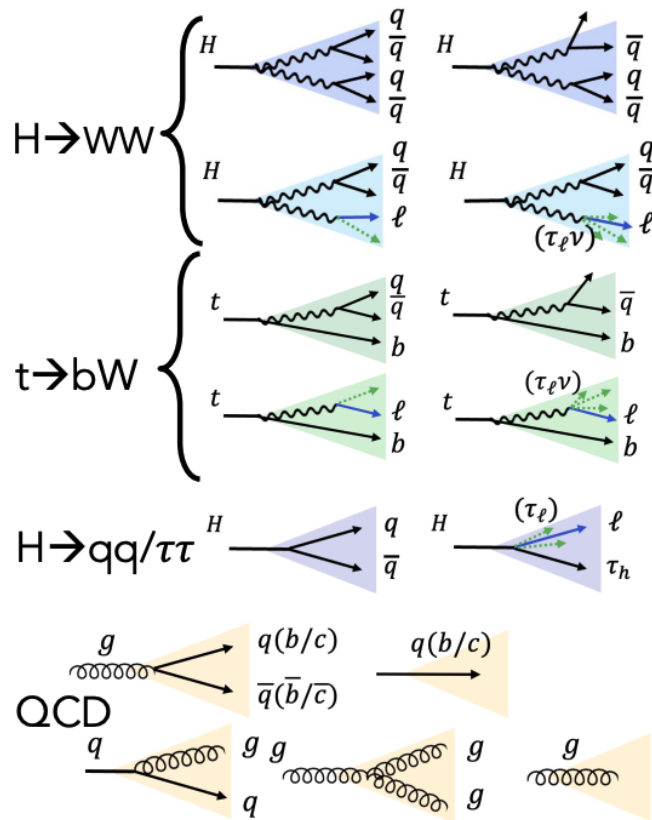
We can make use of the different substructure and separate QCD from W/Z/H/t originated jets

- 2 sub-jets: $W/Z \rightarrow qq$, $H \rightarrow bb/cc$, $H \rightarrow \tau\tau$
- 3 sub-jets: $t \rightarrow bW \rightarrow bqq$, $H \rightarrow WW \rightarrow lqq$
- 4 sub-jets: $H \rightarrow WW/ZZ \rightarrow 4q$



ParticleTransformer(abbr. ParT) 37 raw scores

- 37 classes in total:
16 Signal + 21 Background
- Link of [Congqiao's talk in JMAR meeting](#).



Signal Category	Label	Background Category	Label	
H → WW full-hadronic	3q(0c)	t → bW hadronic	bq(0c)	
	3q(1c)		bq(1c)	
	3q(2c)		bqq(0c)	
	4q(0c)		bqq(1c)	
	4q(1c)	t → bW leptonic	bev	
	4q(2c)		bμν	
H → WW semi-leptonic	evqq(0c)	H → qq	bτ _h ν	
	evqq(1c)		bτ _e ν	
	μνqq(0c)		bτ _μ ν	
	μνqq(1c)		bb	
	e3νqq(0c)	H → ττ	cc	
	e3νqq(1c)		qq (q=u/d)	
	μ3νqq(0c)		ss	
	μ3νqq(1c)		τ _h τ _h	
	τ _h νqq(0c)	τ _h τ _e		
	τ _h νqq(1c)	τ _h τ _μ		
	QCD		QCD	b
				bb
		c		
		cc		
		others		

Input: all PF info from MC simulation

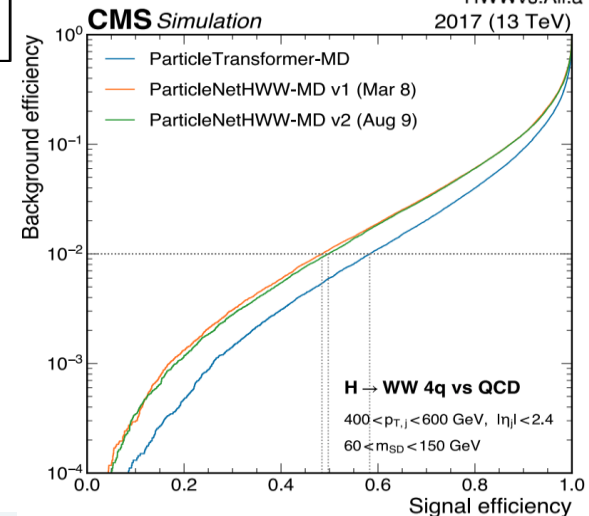
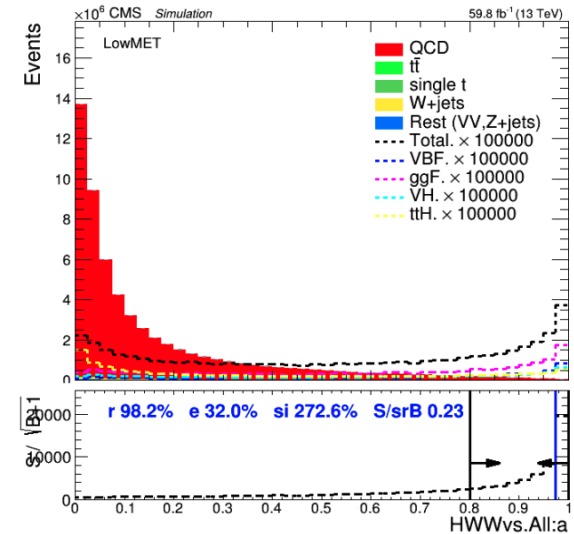
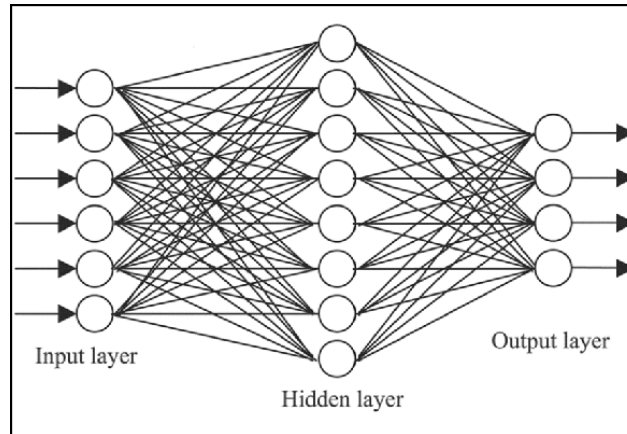
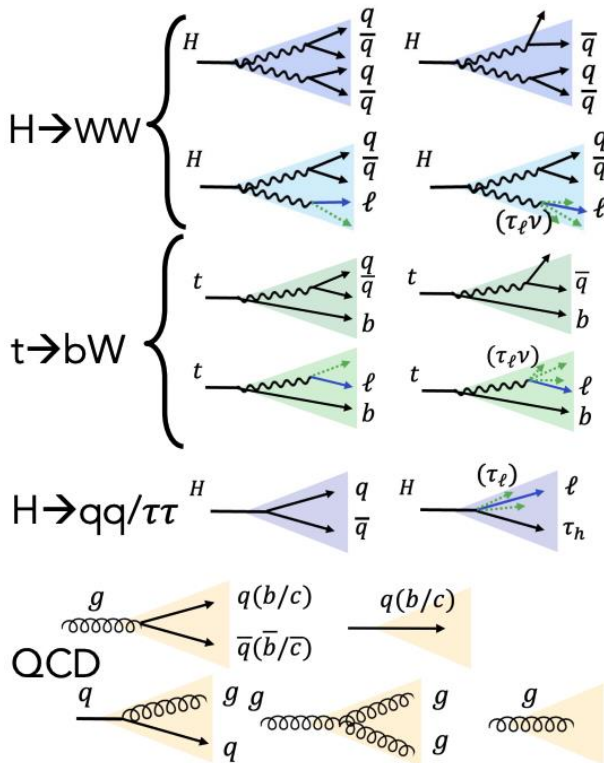


Training on Graph NN or attention-based NN or Deep learning NN (training with labels)



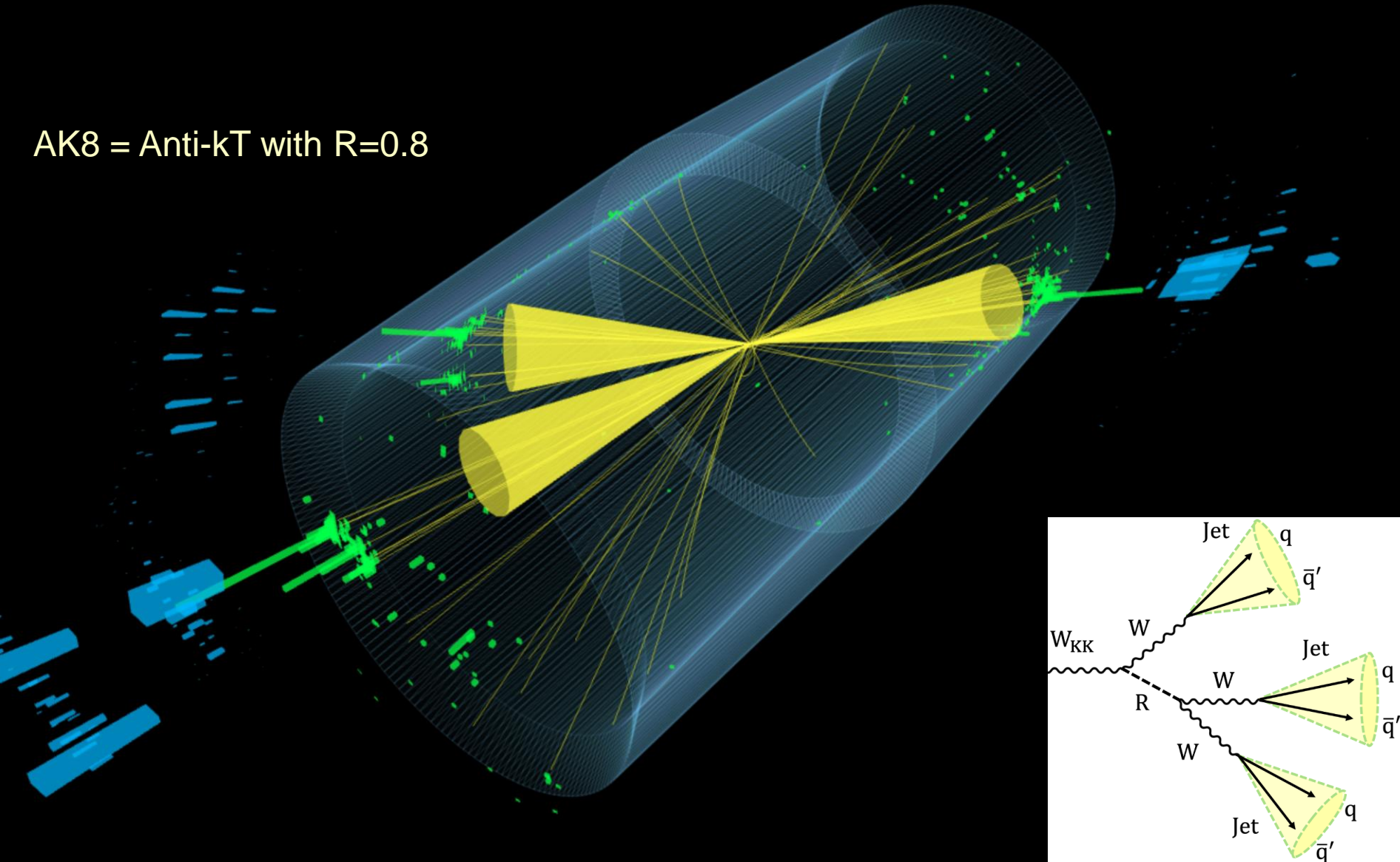
Output: classes scores which sum to 1

We form ratios of scores and use them as taggers!



The "full story" in Congqiao's [talk](#) earlier today!

AK8 = Anti-kT with $R=0.8$

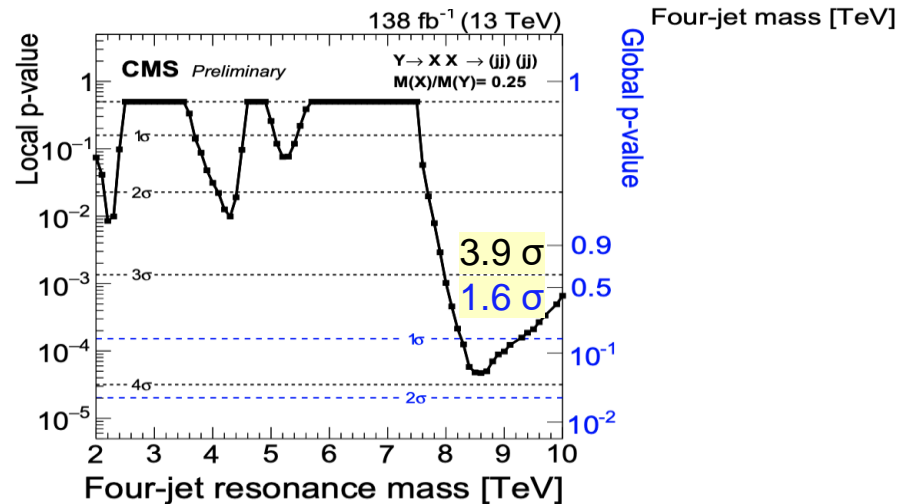
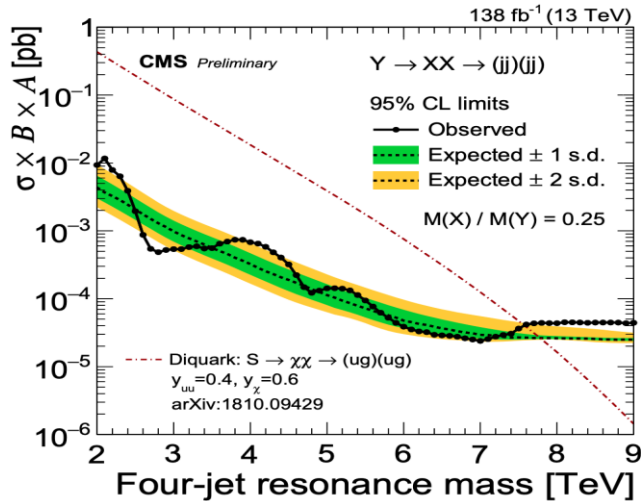
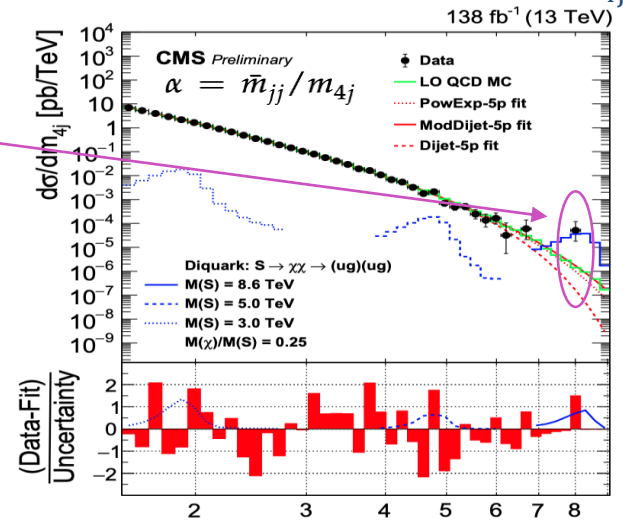
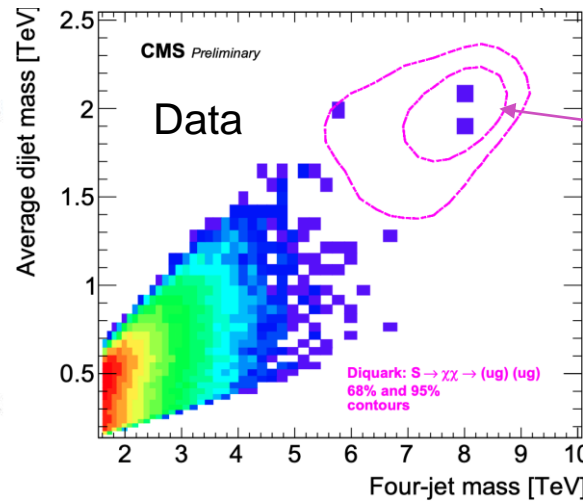
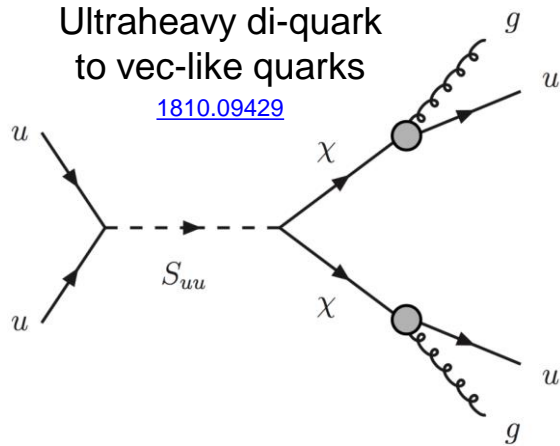




Let's examine real analyses examples

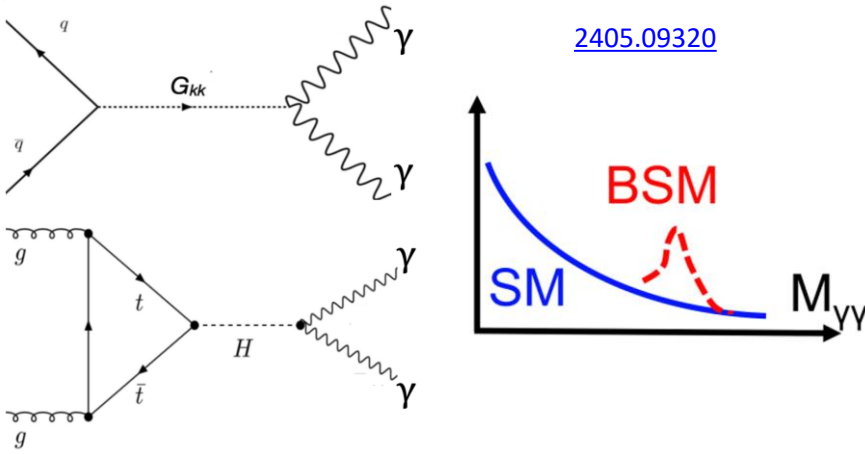
2 pairs of 2 jets: $A \rightarrow XX \rightarrow (jj)(jj)$

- 4 narrow (AK4) jets \rightarrow paired to 2 di-jets, symmetrized masses, we select $\frac{|m_{jj1} - m_{jj2}|}{m_{jj1} + m_{jj2}} < 0.1$.
- Search over: m_{4j} and average di-jet mass \bar{m}_{jj} ; fit param. function to the data in slices of $\frac{\bar{m}_{jj}}{m_{4j}}$.

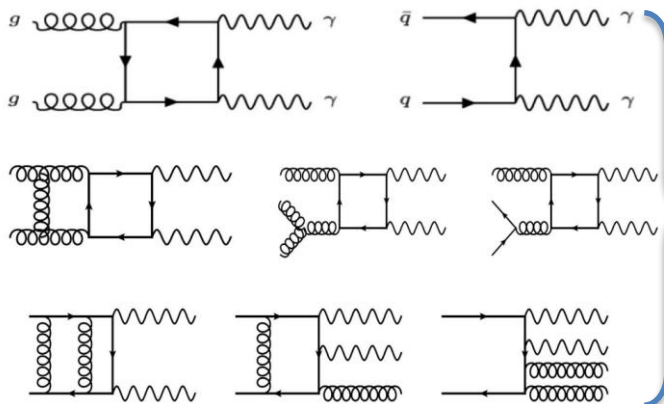




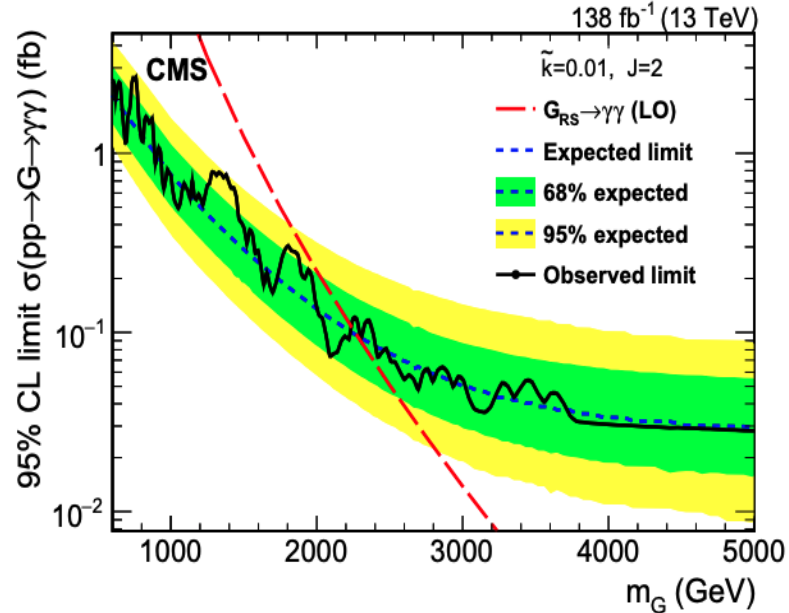
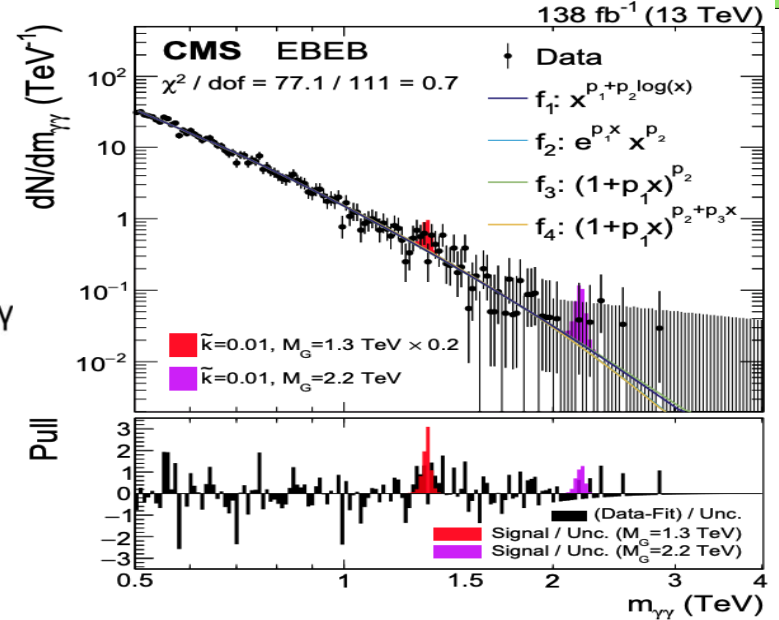
Search for new physics in diphoton spectrum



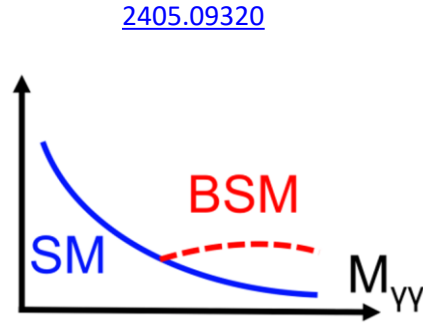
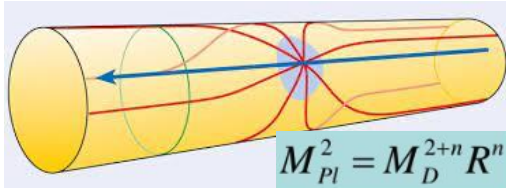
1. Signal from (Bulk RS) Warped Extra Dim. models (Radion or Graviton) or Heavy Higgs.
2. Simple selection: 2γ with $p_T > 125\text{GeV}$, at least one central $|\gamma| < 1.44$, $\gamma\gamma$ -trigger.
3. Background processes: we do not simulate them, we use parametric functions instead:



$$\begin{aligned}
 f_1(x) &= p_0 x^{p_1+p_2} \log(x), \\
 f_2(x) &= p_0 e^{p_1 x} x^{p_2}, \\
 f_3(x) &= p_0 (1 + x p_1)^{p_2}, \\
 f_4(x) &= p_0 (1 + x p_1)^{p_2+p_3 x},
 \end{aligned}$$



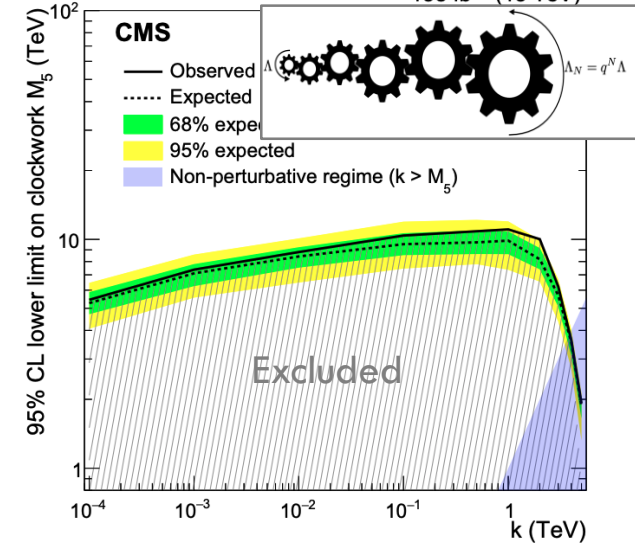
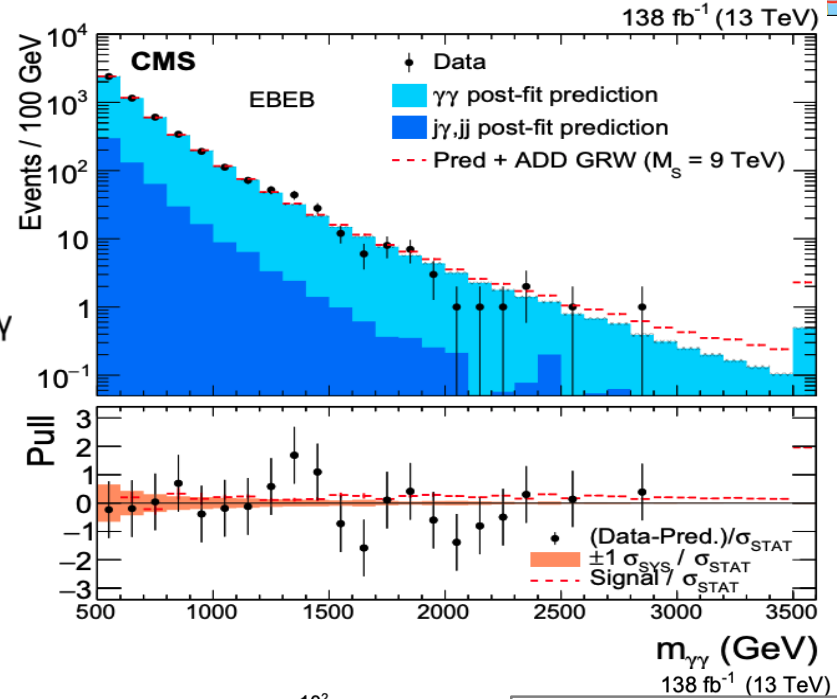
- ADD large ED model



- Select $\gamma\gamma$ events.
- EBEB (here \rightarrow) and EBEE categories
- QCD BKG prediction:
 - $\gamma\gamma$: Sherpa scaled at NNLO with MCFM.
 - $i\gamma, ij$ = fakes: 10-30%, data-driven with fake rate.
- Fit the two binned $m_{\gamma\gamma}$ spectra in range 0.5-4 TeV.
- Lower limits on M_S (or Λ_T) scale vs number of ED: (~ 11 TeV)

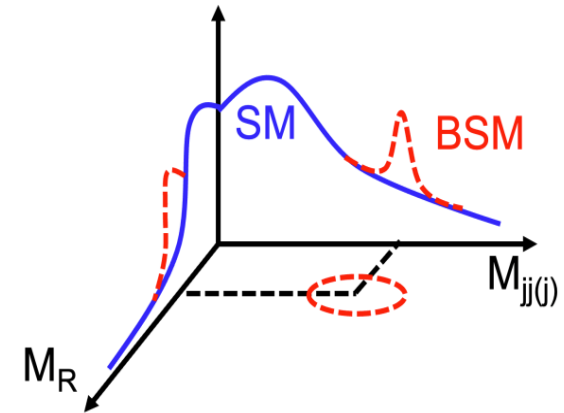
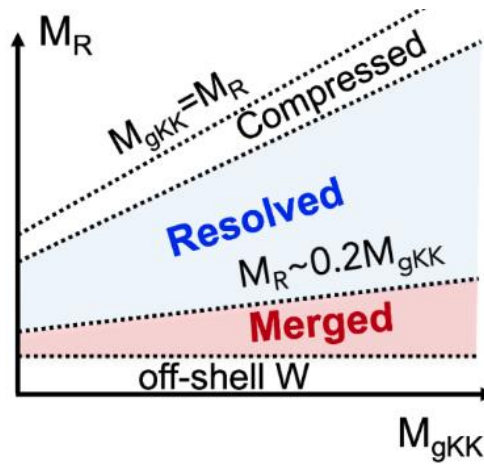
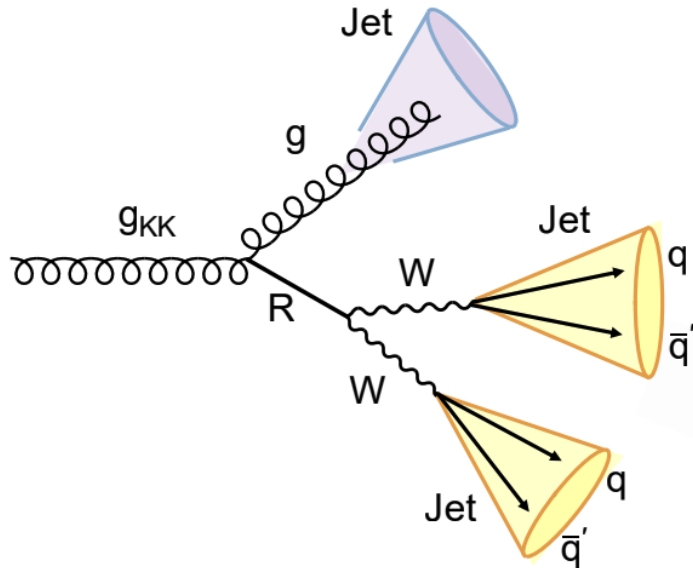
Signal:	GRW	Hewett		HLZ				
		negative	positive	$n_{ED} = 3$	$n_{ED} = 4$	$n_{ED} = 5$	$n_{ED} = 6$	$n_{ED} = 7$
Expected:	$8.7^{+0.7}_{-0.6}$	$7.3^{+0.3}_{-0.3}$	$7.8^{+0.6}_{-0.5}$	$10.3^{+0.8}_{-0.7}$	$8.7^{+0.7}_{-0.6}$	$7.9^{+0.6}_{-0.5}$	$7.3^{+0.6}_{-0.5}$	$6.9^{+0.6}_{-0.5}$
Observed:	9.3	7.1	8.3	11.1	9.3	8.4	7.8	7.4

- Interpretation on Continuum Clockwork Mechanism \rightarrow
 Constrains on M_5 mass vs clockwork spring "k".



2410.17303
B2G-23-004

- Use signal from Extended Warped ED model, ([2201.08476](#), [2112.13090](#)) where the process: $g_{KK} \rightarrow gR \rightarrow gWW$ is dominant.
- We focus on the 0l channel: $g_{KK} \rightarrow gR \rightarrow gWW \rightarrow \text{jets}$ (BR~56%).



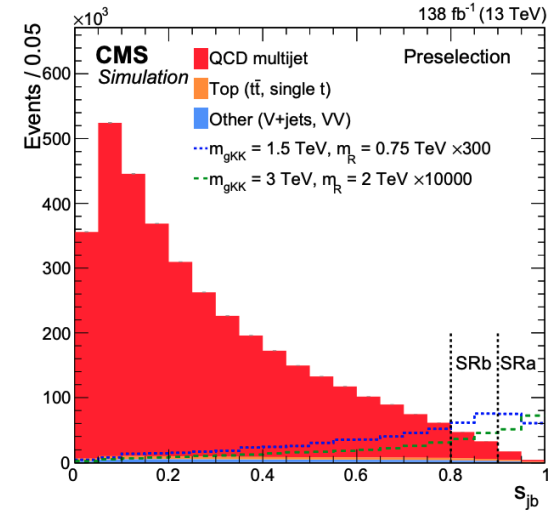
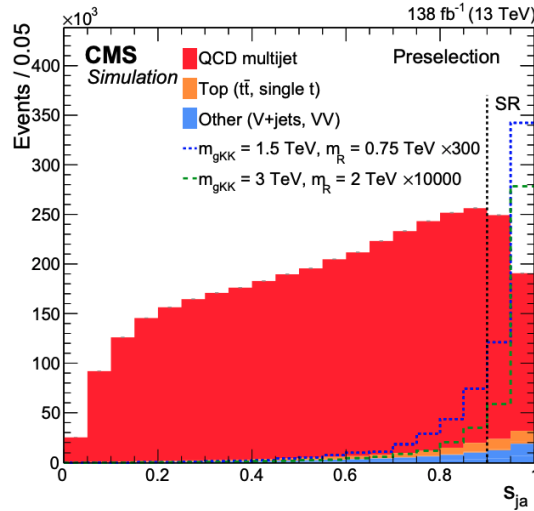
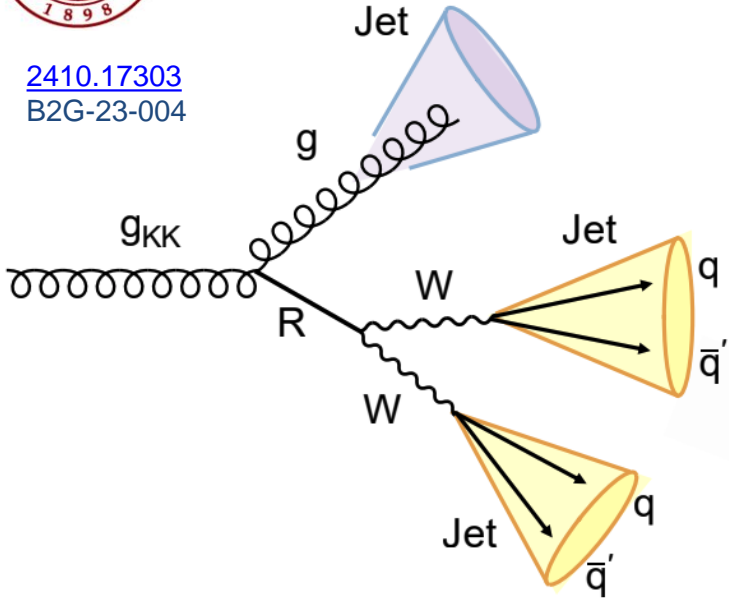
Strategy:

1. Tri-jet selection,
2. identify (tag) 2 jets as W-candidates with PNet,
3. form m_{jj} (R) and m_{jjj} (g_{KK}),
4. bin over m_{jj} , fit m_{jjj} .

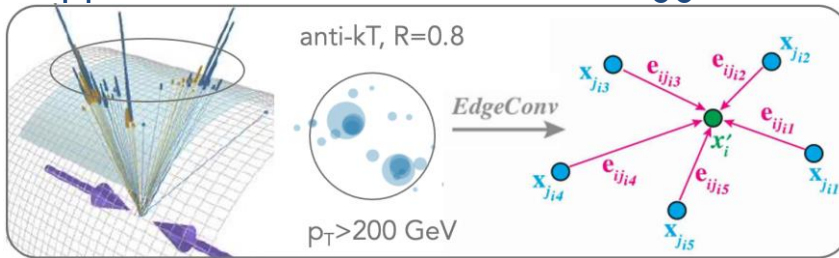
Selection basics:

1. $N_{i-AK8} = 3$, $N_{lep} = 0$,
2. $p_{Tj1(j2,i3)} > 400$ (200) GeV, $|\eta_j| < 2.4$,
3. $m_{i\alpha,ib} > 50$ GeV,
4. $H_T > 1.1$ TeV.

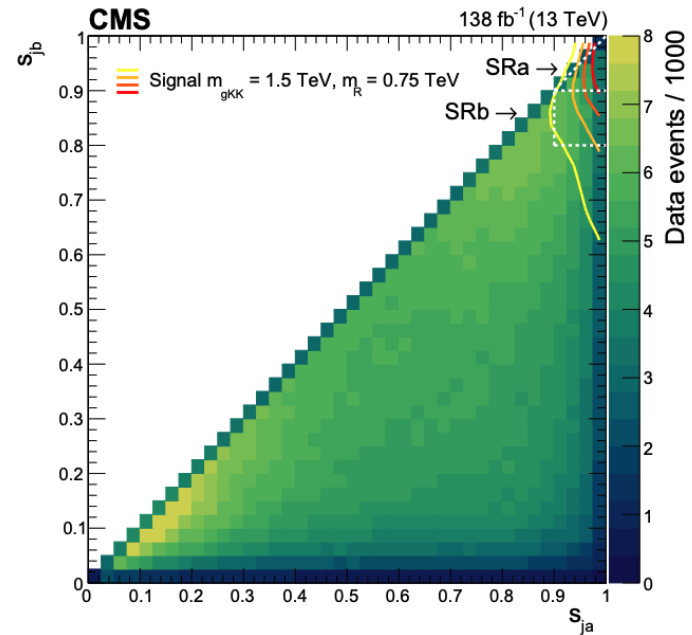
2410.17303
B2G-23-004



- W → qq identification with ParticleNet tagger [1902.08570](#)



- Graph NN, treat jets as particle cloud
- Convolution on point clouds (EdgeConv [1801.07829](#))
- Tagger score: $s_j = p(W \rightarrow qq) / [p(W \rightarrow qq) + p(QCD)]$
- Define SRa and SRb based on scores →



- Two highest PNet score jets: i_a, i_b are assigned as W-cand. (gluon is i_c).
- Demand SD masses: m_{i_a, i_b} to be on W-mass peak:

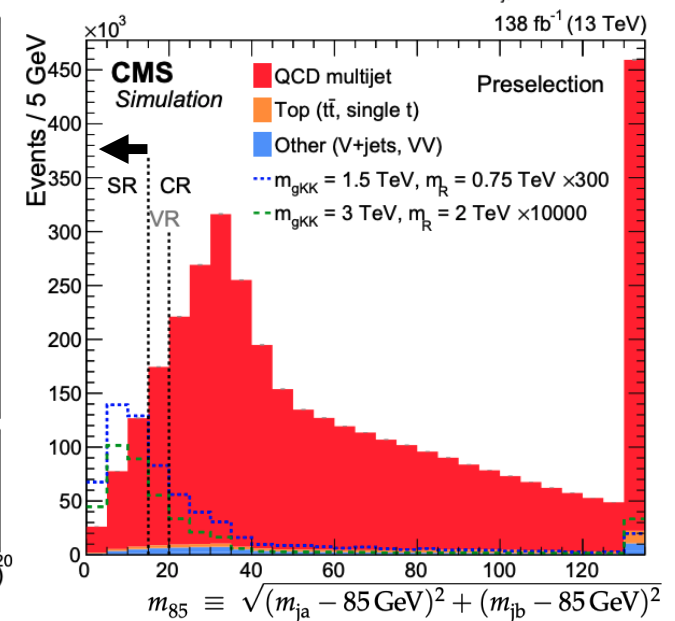
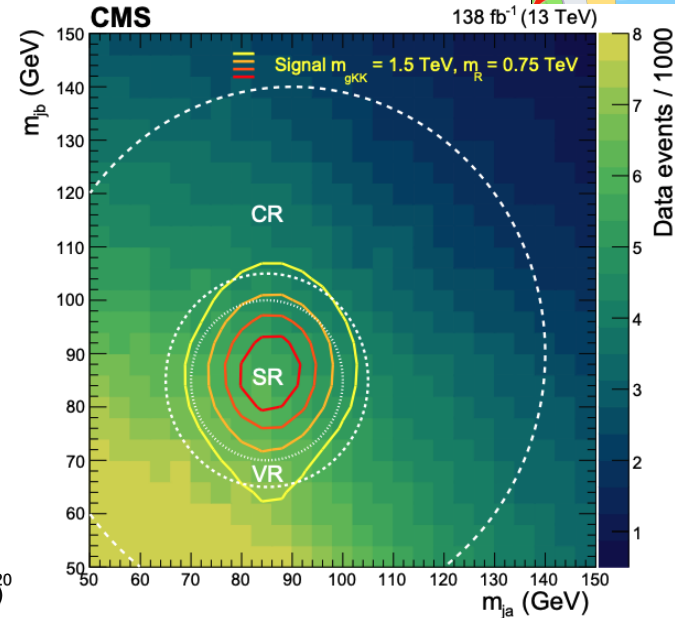
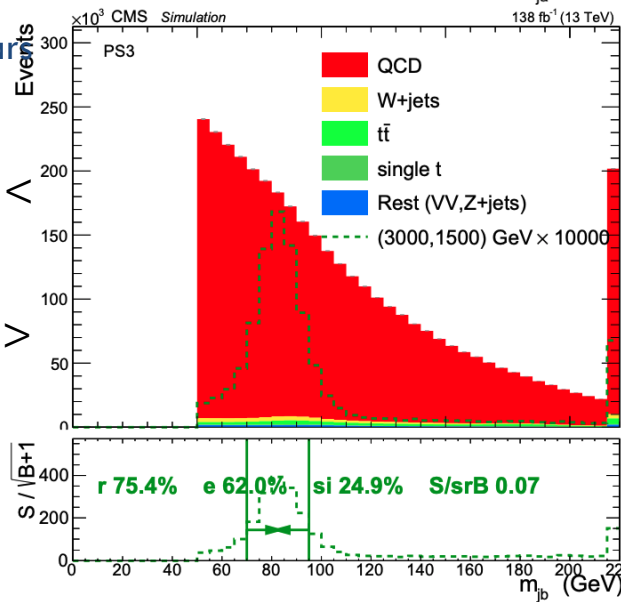
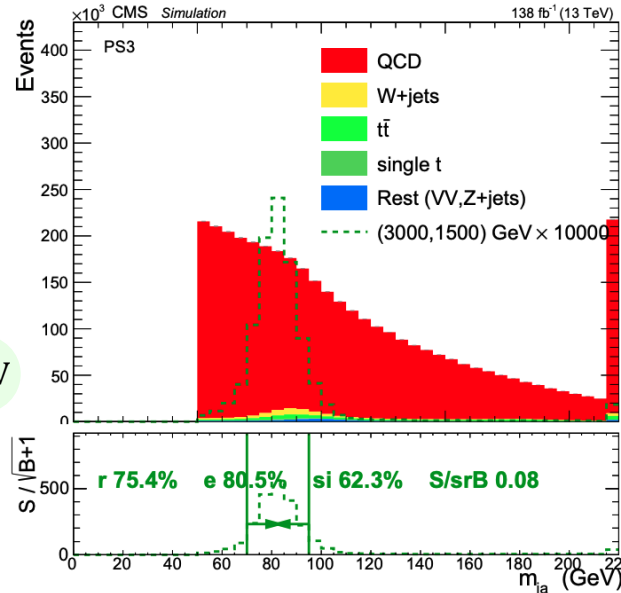
$$m_{85} \equiv \sqrt{(m_{j_a} + 85)^2 + (m_{j_b} + 85)^2} < 15 \text{ GeV}$$

→ Circular area has better performance than rectangular.

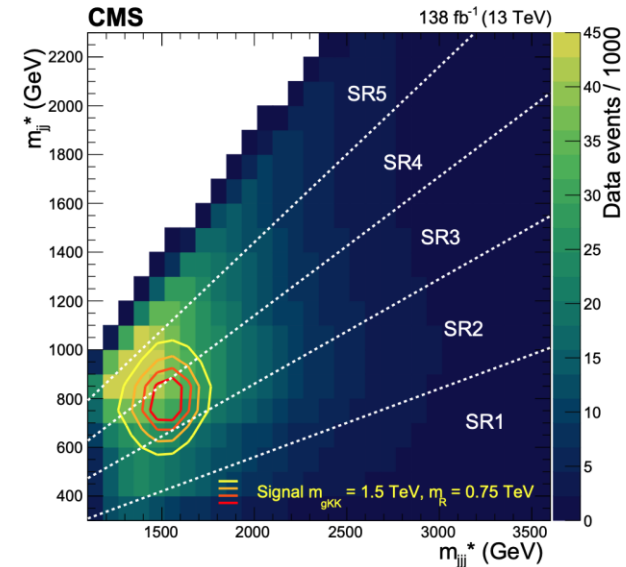
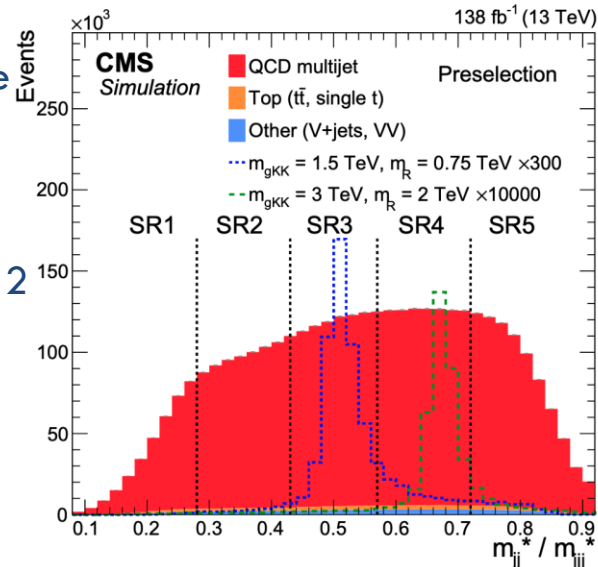
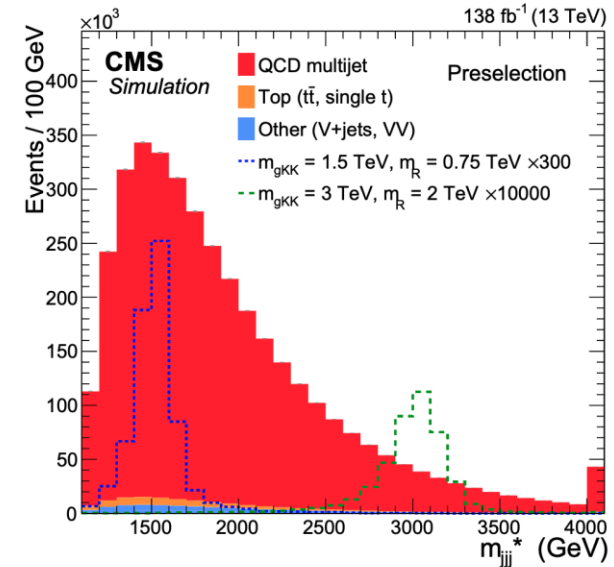
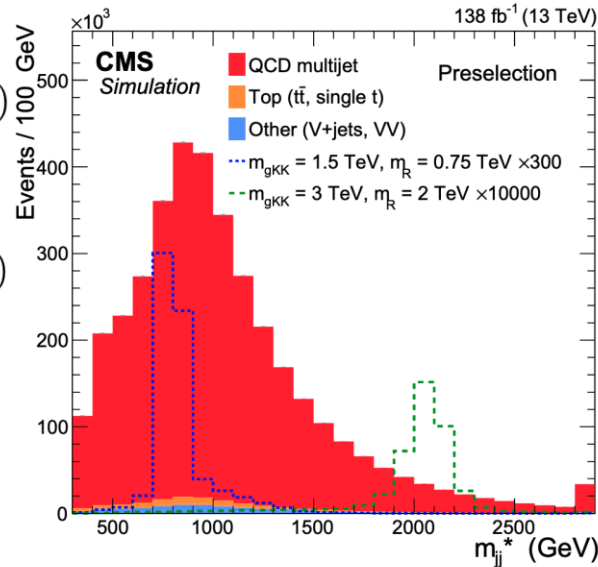
→ 85 GeV values optimal

→ Cut value of 15 GeV appears optimal for all points tested.

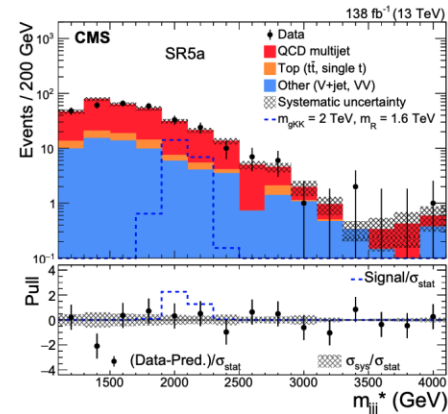
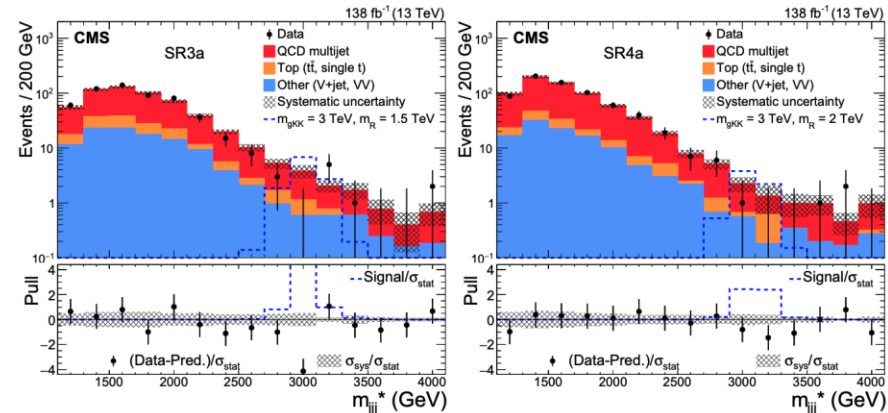
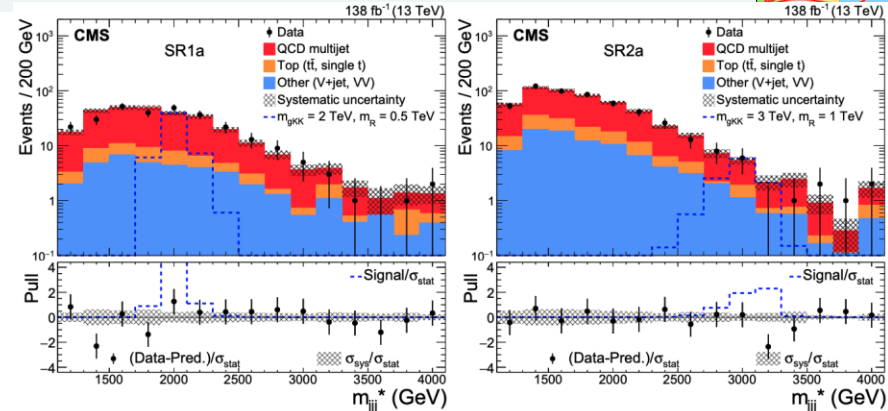
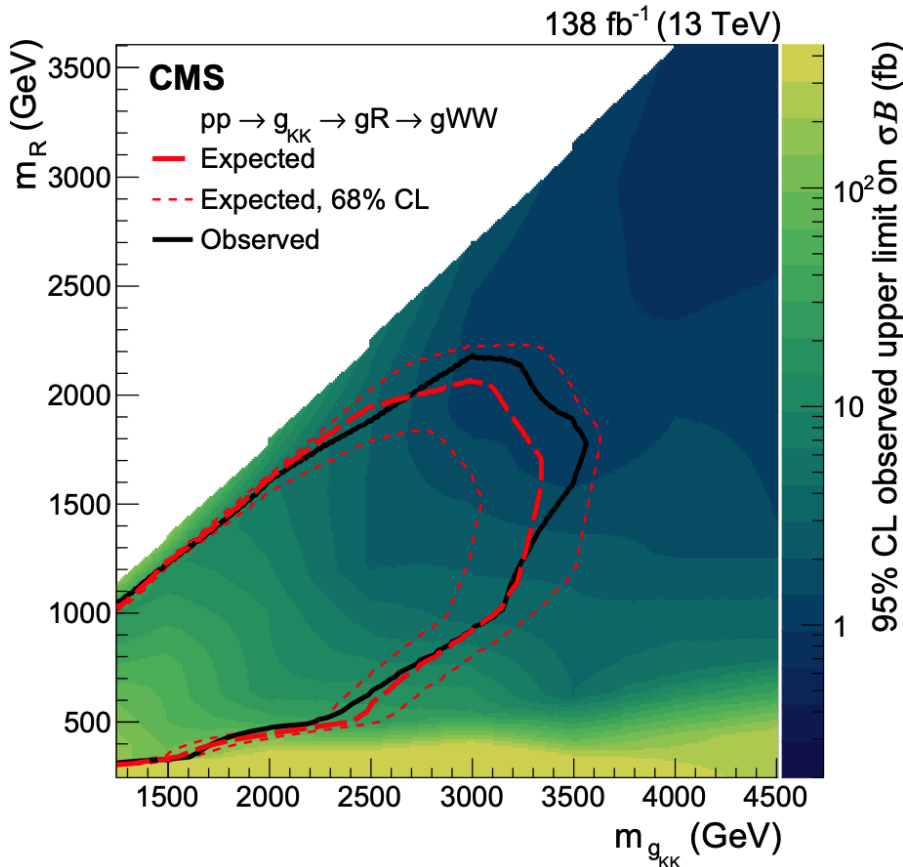
- Signal Regions (SRs) have: $m_{85} < 15 \text{ GeV}$.
- Control Regions (CRs) are: $m_{85} > 15 \text{ GeV}$ & $m_{90} < 50 \text{ GeV}$
- Validation Regions (VRs): $15 < m_{85} < 20 \text{ GeV}$.



- M_R reco. from i_a, i_b :
 $m_{jj}^* \equiv m_{jj} - m_{ja} - m_{jb} + 2(85 \text{ GeV})$
- M_{gKK} reco. from i_a, i_b, i_c :
 $m_{jjj}^* \equiv m_{jjj} - m_{ja} - m_{jb} + 2(85 \text{ GeV})$
- \rightarrow i.e. we correct invariant masses to mitigate reso. effect from jet SD masses.
 \rightarrow sharper peaks (see Fig.4).
 \rightarrow $\sim 3\%$ significance gain.
- From ratio m_{jj}^*/m_{jjj}^* and define 5 bins SR1—5 \rightarrow
- Effectively binning over m_R .
- In each of these 5 SR we have 2 SRs (SRa, SRb) based on PNet scores.
- Thus, we have 10 SRs.
 \rightarrow We fit the m_{jjj}^* spectra.



- Define CRs in m_{j_a, j_b} sideband with:
 $m_{85} > 15 \text{ GeV}$ & $m_{90} < 50 \text{ GeV}$.
- Form 10 CRs: CR1—5a, CR1—5b.
- Predict QCD as:
$$\text{Pred}_{\text{SRxy}}^{\text{QCD}} \equiv [\text{Data} - \text{Rest}]_{\text{CRxy}} \frac{\text{QCD}_{\text{SRxy}}}{\text{QCD}_{\text{CRxy}}}$$
- MC for the rest processes.
- Exclusion limits on $\sigma \times B$ and on masses:





Welcome to CMS!

Get ready for long & exciting journey!

An optional hands-on exercise as homework (next)

CMS Collaboration



Hands-on exercise: Signal discrimination optimization, significance evaluations



1. Generate distributions for B & S.

- get simple python code from [here](#)
- or you can get the coping from lxplus:

“`cp /afs/cern.ch/work/a/agapitos/public/WWW/gKK/ForSYSUschool/1D-optimization.py .`”

- L34 we define a BKG distribution (gamma function)
- L40 we define a signal distribution (gaussian)
- check the number of events and the parameters set
- run with “`python 1D-optimization.py &`”

Gamma distribution

- $\alpha > 0$ shape
- $\beta > 0$ rate

$$x \in (0, \infty)$$

$$f(x) = \frac{\beta^\alpha}{\Gamma(\alpha)} x^{\alpha-1} e^{-\beta x}$$

2. Find the optimal cut value of x variable, based on **significance** S/\sqrt{B} ,

- Need to loop over the different bin configurations from left and right
- comment in the L69-99, and run again. Do you see the two for loops...?

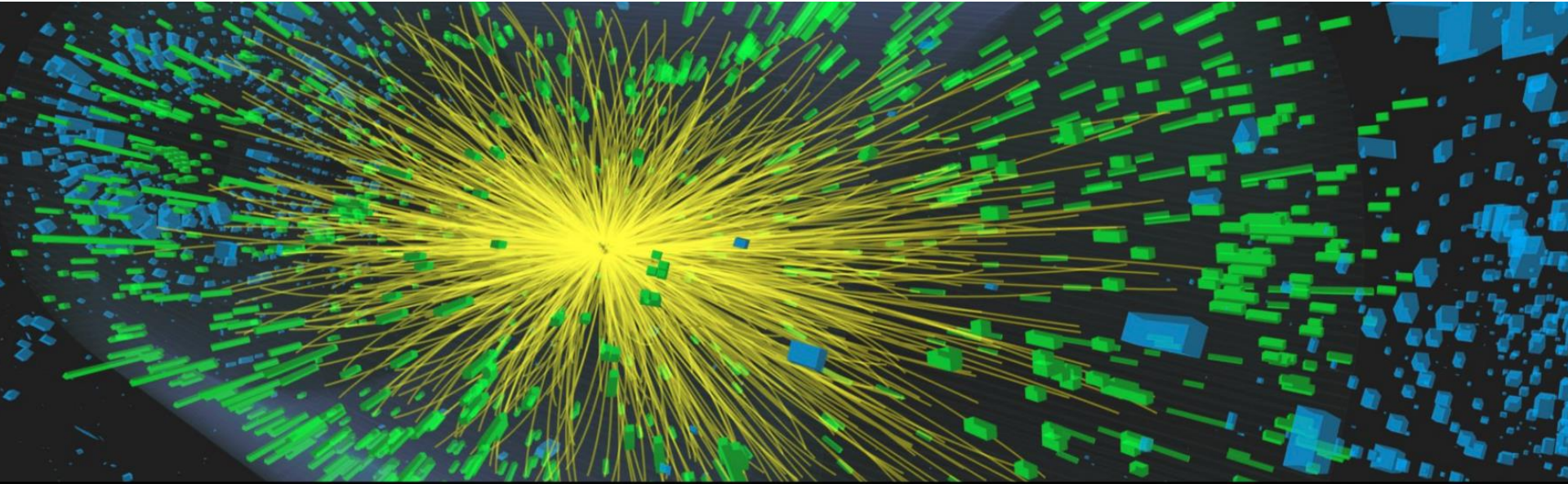
3. Repeat with **different signal**:

- comment out/in the L40/41 → use flat distribution for signal

4. Change normalization of S or B and redo optimization.

- What do you observe/conclude...?

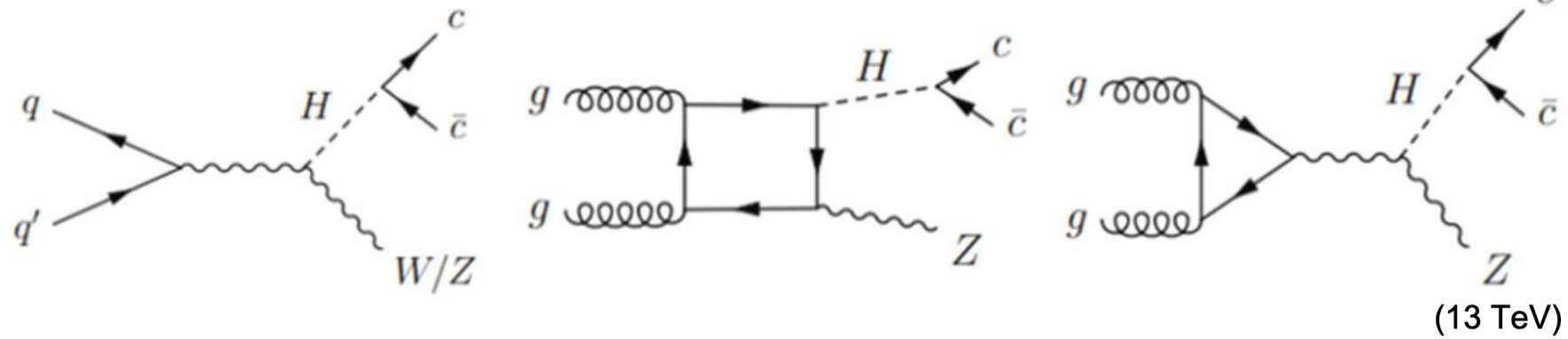
Code designed
by Leyun Gao
(PKU PhD student)



VH production with $H \rightarrow cc$ probe

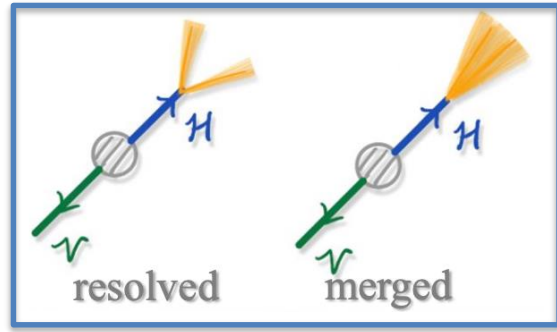
We want to measure $H \rightarrow cc$ (x-sec, couplings etc.) Rare mode $BR(cc) \sim 3\%$
 Which production mode would you use and why? $\rightarrow VH \sim 4\%$ but low BKG!

[PRL](#)



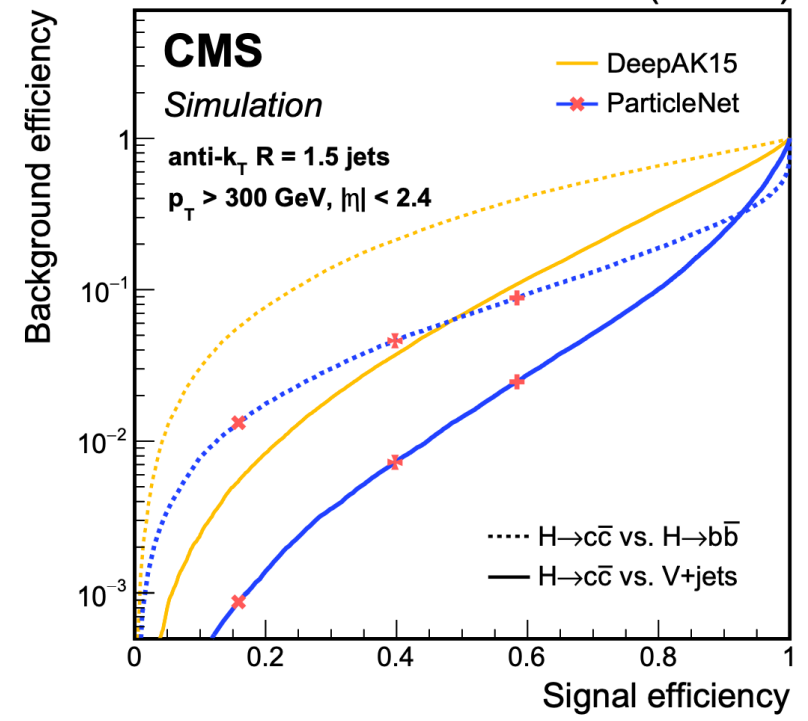
3 channels based on W/Z final states:

- $Z \rightarrow \nu\nu$
- $W \rightarrow \mu\nu/e\nu$
- $Z \rightarrow ee/\mu\mu$



Selection basics:

- 0,1,2l
- 2 AK4 / 1 AK15
- c / cc-tagger



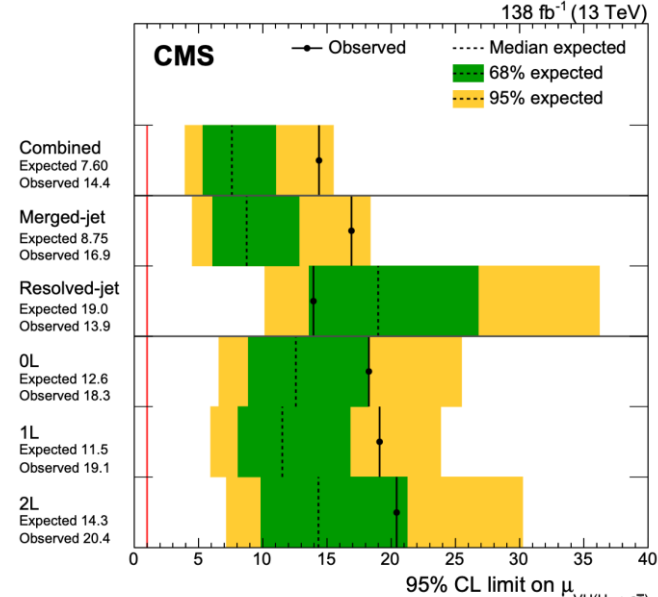
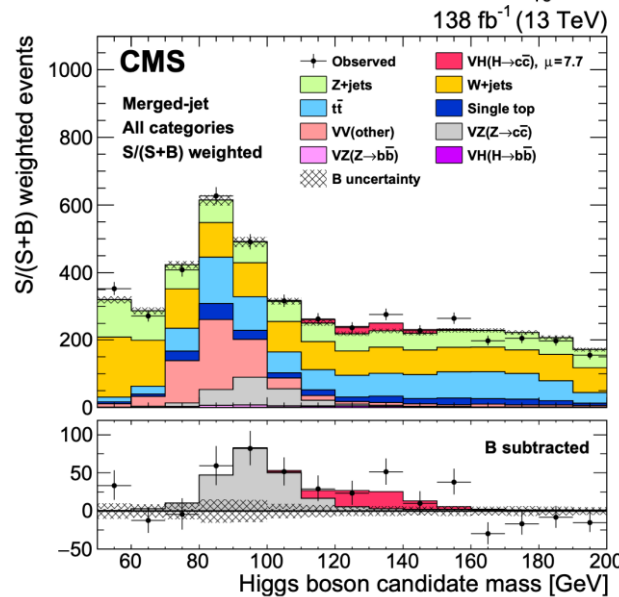
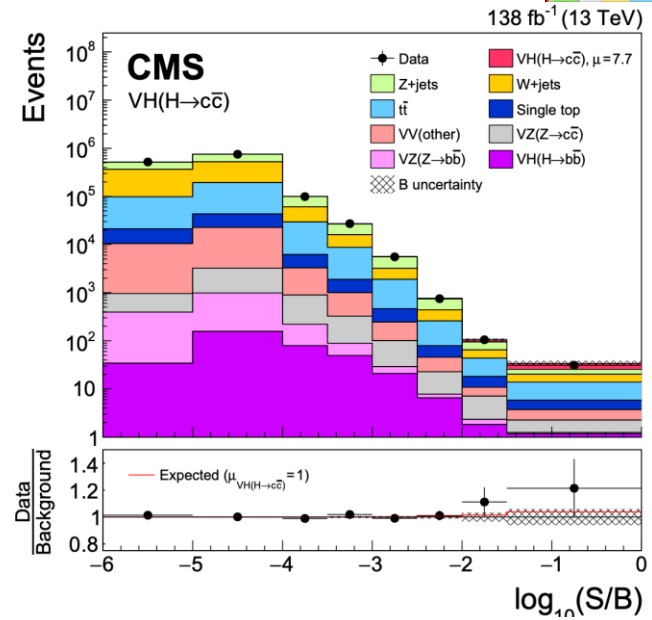
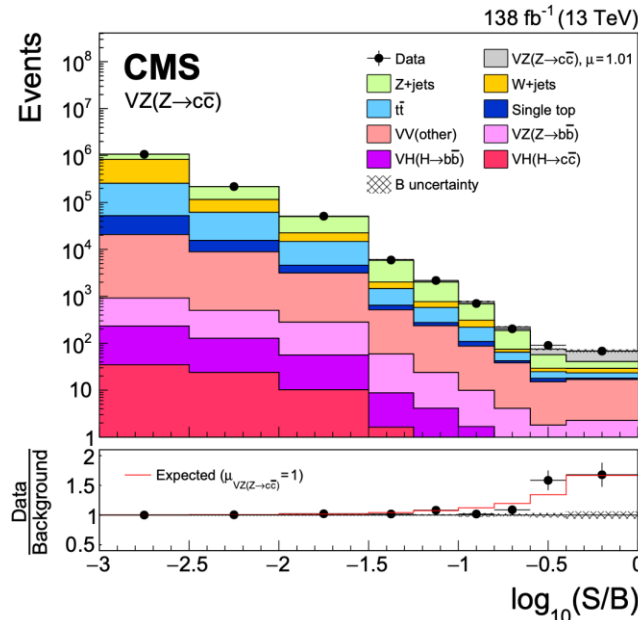
Resolved case:

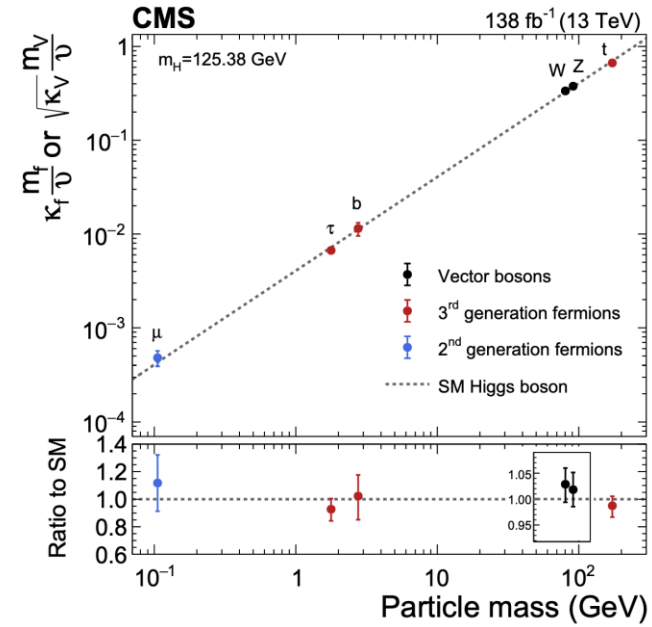
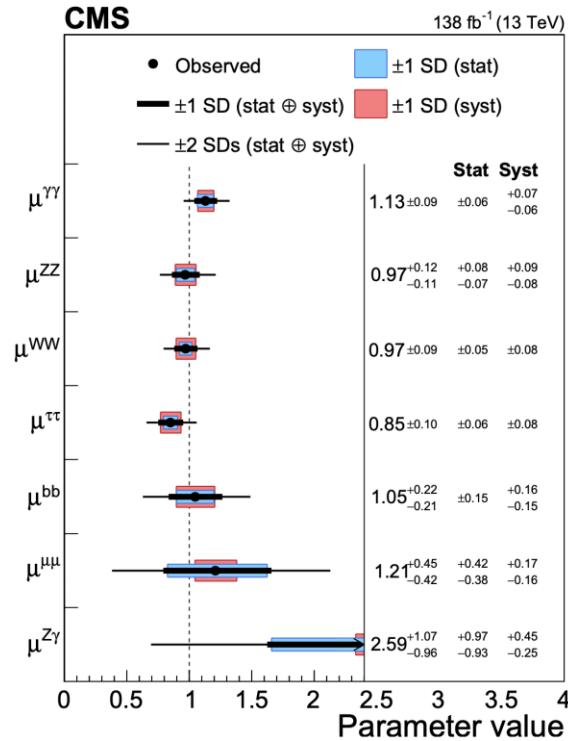
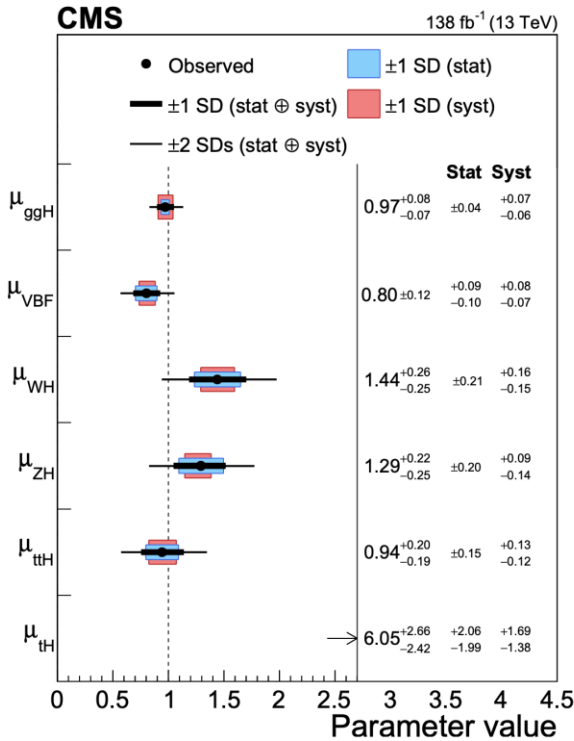
- Use BDTs to discriminate signal
- What is a BDT?
 - LM technique which combines input variables...
 - Advantageous in case where several variables have poor discrim. power.
- Calibration with $Z \rightarrow cc$
- First observation 5.7σ

Merged case:

- Use SD mass of AK15 jet
- Fit $Z \rightarrow cc$ & $H \rightarrow cc$

Result: upper limit on σ_B :
 Observed x14 SM prediction
 Expected x7 SM prediction

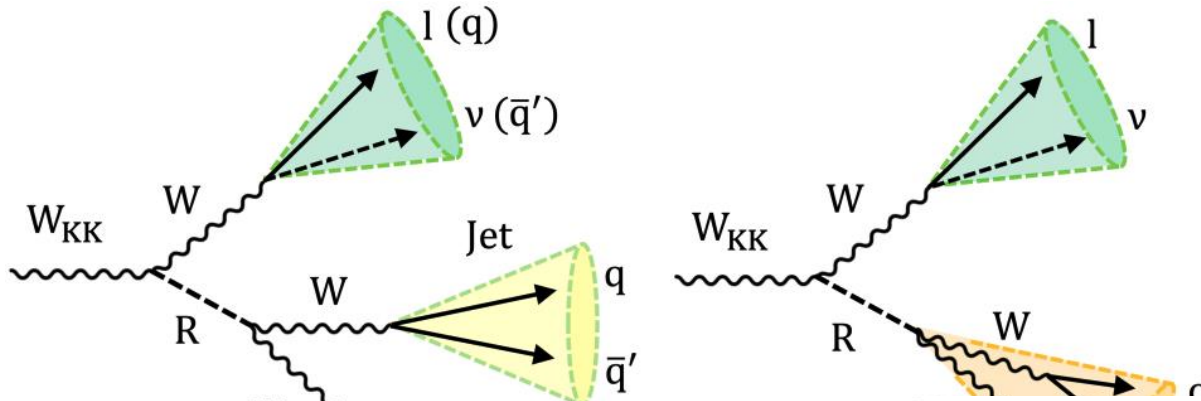




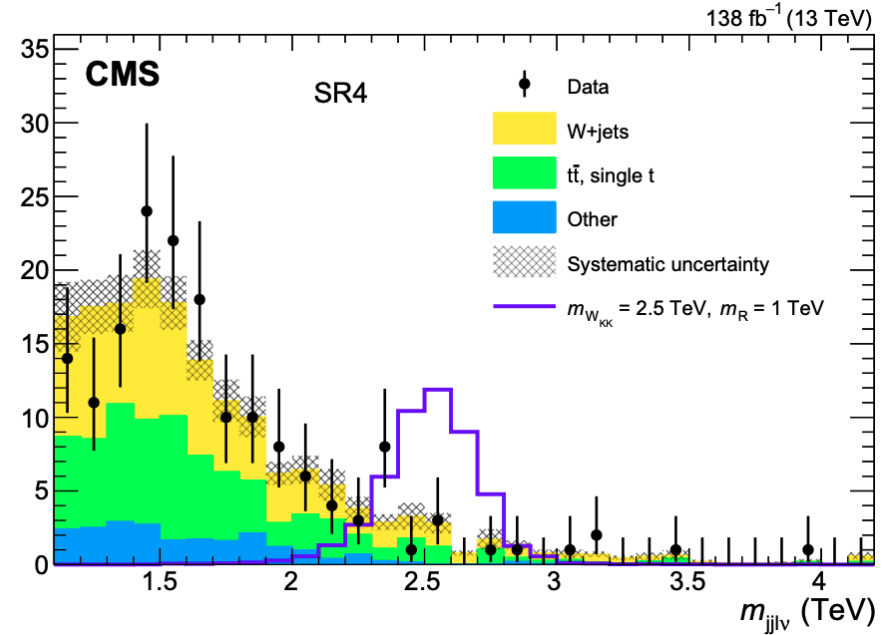
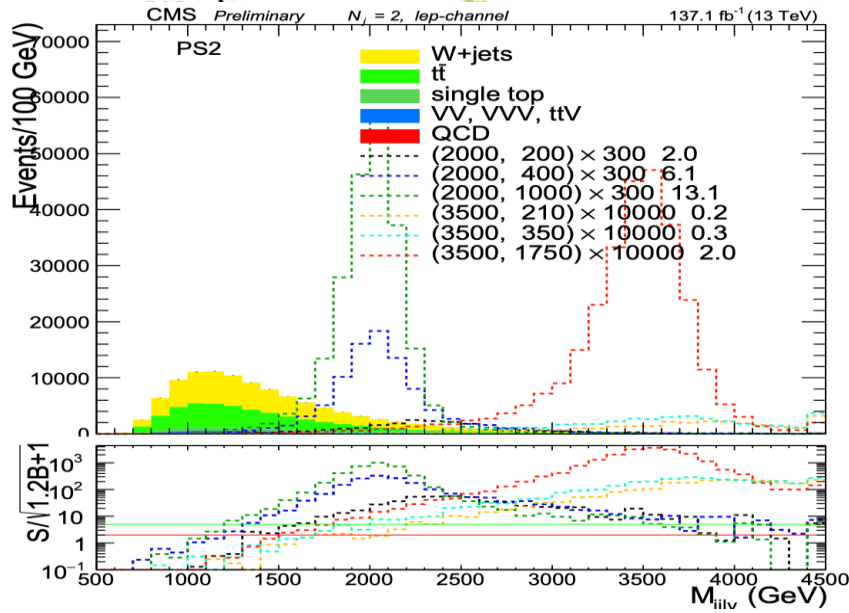
- We are in the era of precision measurements of H sector
- Production modes
- Decay modes
- Measured coupling modifiers to fermions & bosons, as functions of masses

Step 1: Focus on the topology / final state, and based on this make a preselection:

[PRL](#)

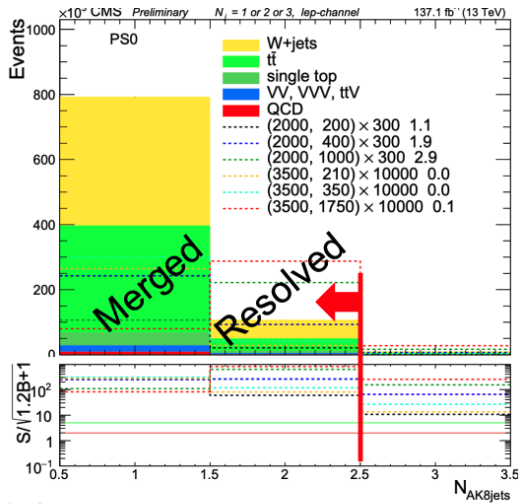


- Signal comes from the Extended Warped ED model
- 2 Branes, EW propagated into extended bulk
- 2 New particles involved
- Di-resonant signal

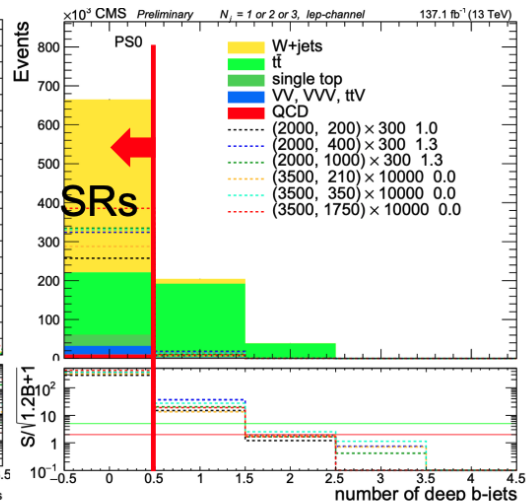


• Q: Which trigger would you use?

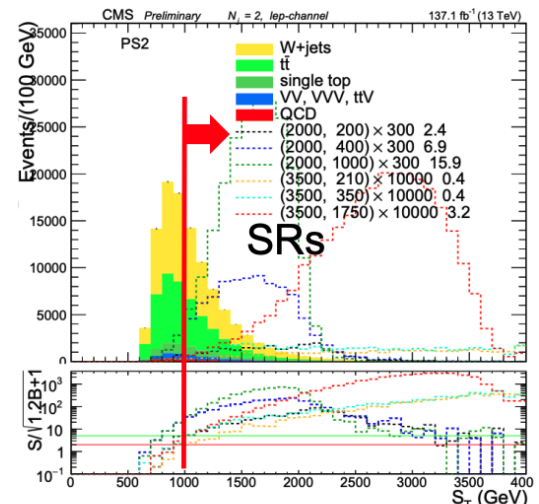
Step 2: we explore kinematics at preselection, i.e. we plot variables and check if further selection cuts can improve **sensitivity** (S/\sqrt{B}). Examples:



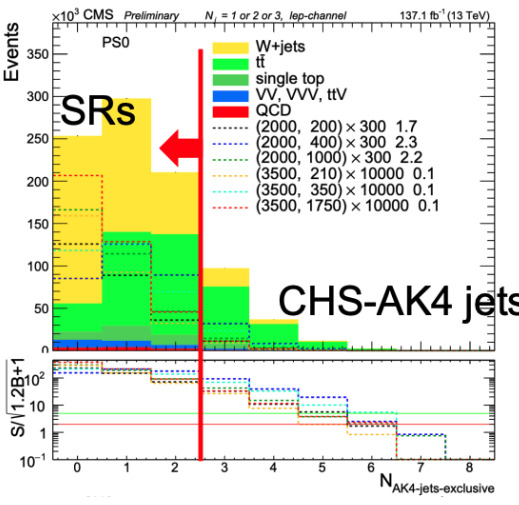
PUPPI-AK8 jets



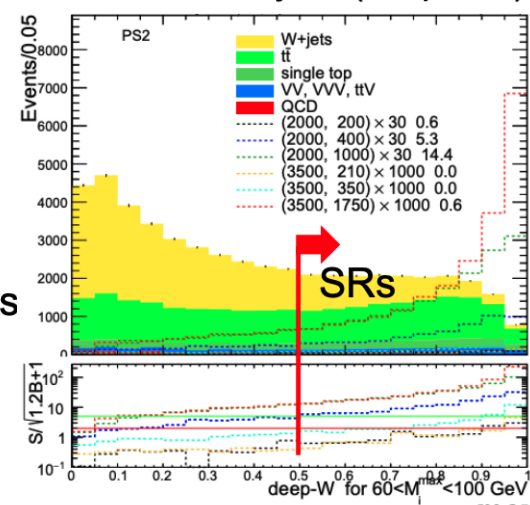
CHS-AK4 jets (deepCSV)



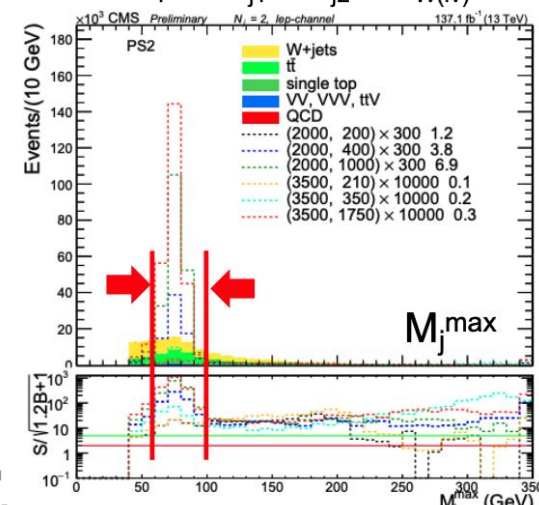
$S_T = PT_{j1} + PT_{j2} + PT_{W(lv)}$



CHS-AK4 jets



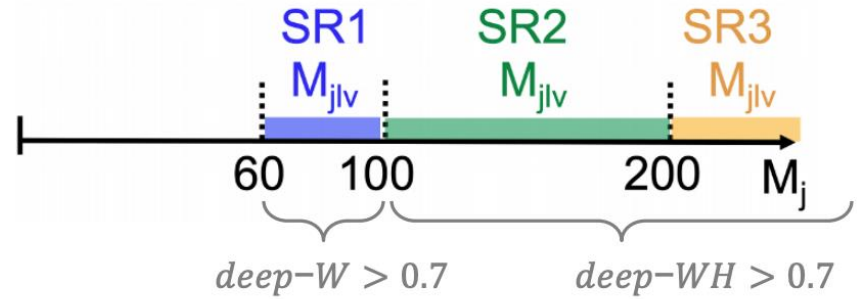
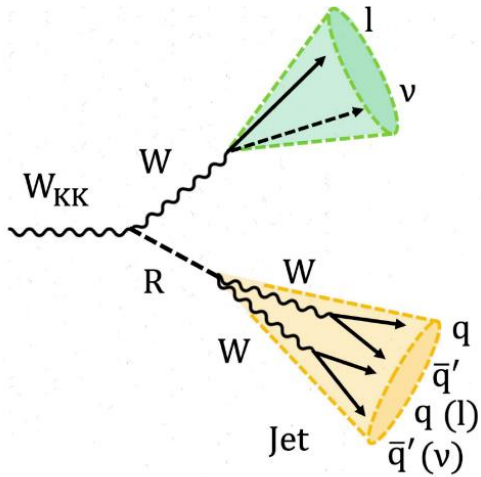
deep- W^{\max}



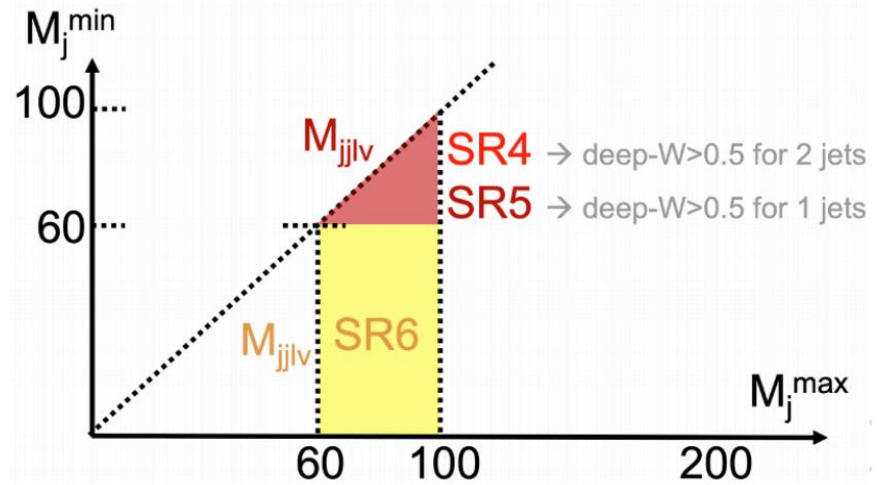
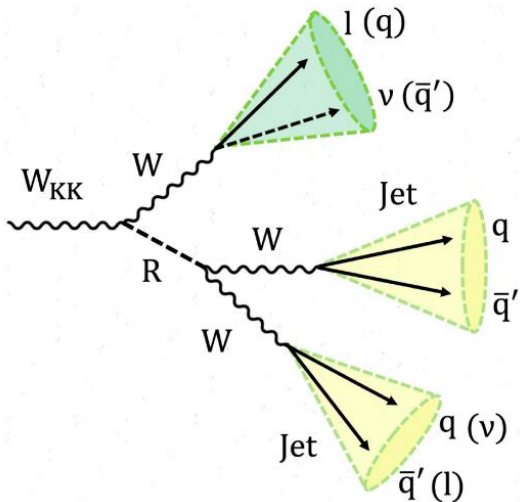
M_j^{\max}

At the end, we set a list of cuts which define signal region (SR)

$N_j=1$



$N_j=2$



The analysis full selection is defined here as preselection + extra cuts
 → This defined the SR

The SR is further “binned” into 6 different categories SR1, SR2,..., SR6.

The $m_{j\ell\nu}$ and $m_{jj\ell\nu}$ are the variables where signal W_{KK} peaks these are the “observables” used for the fit.
 to extract potential signal from the data.

- $N_j=1,2;$
- $N_b^M=0, N_{j-AK4-exc} \leq 2;$
- M_j^{\max} : 60-..., (60-100) GeV for $N_j=1(2);$
- Taggers deep-W(WH) $>0.7(0.7)$, for $M_j:60-100(>100)$ GeV; while loosen to deep-W >0.5 in $N_j=2$ with $M_j^{\min} >60$ GeV case;
- $S_T > 1$ TeV;
- $M_{j\ell\nu}(M_{jj\ell\nu}) > 1.1$ TeV for $N_j=1(2);$

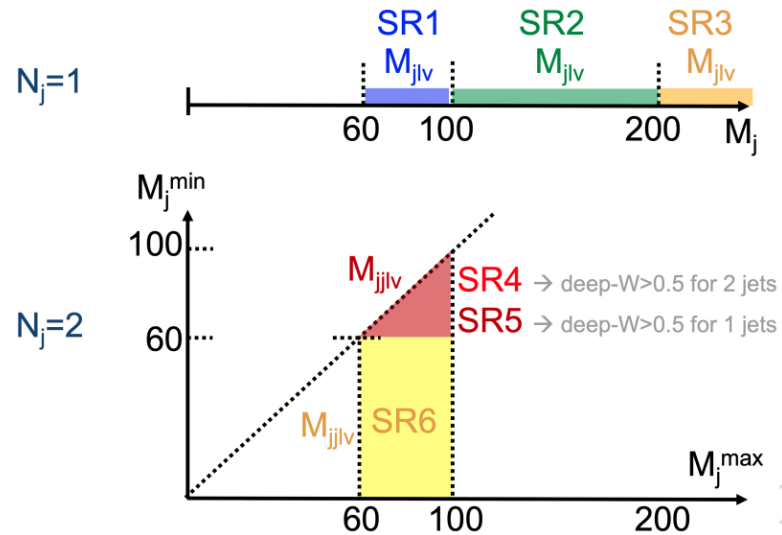


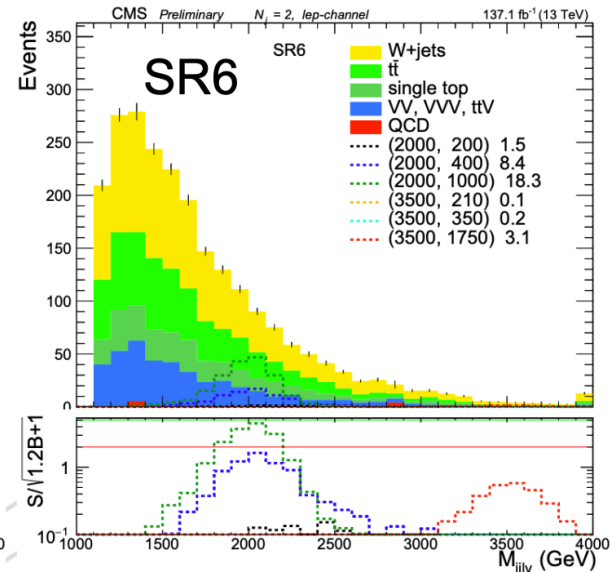
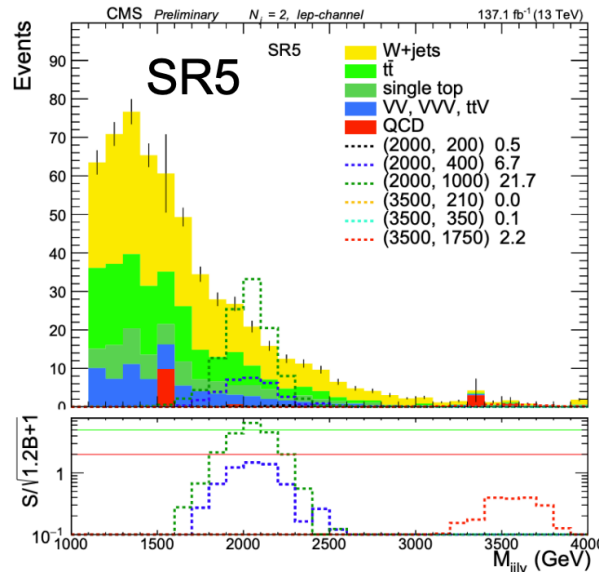
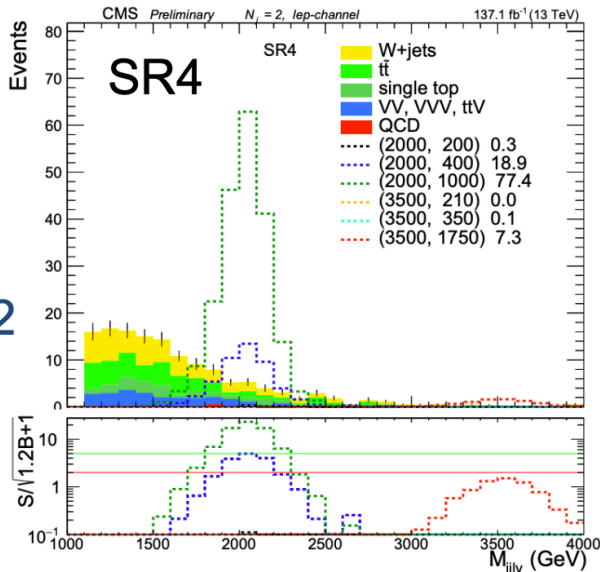
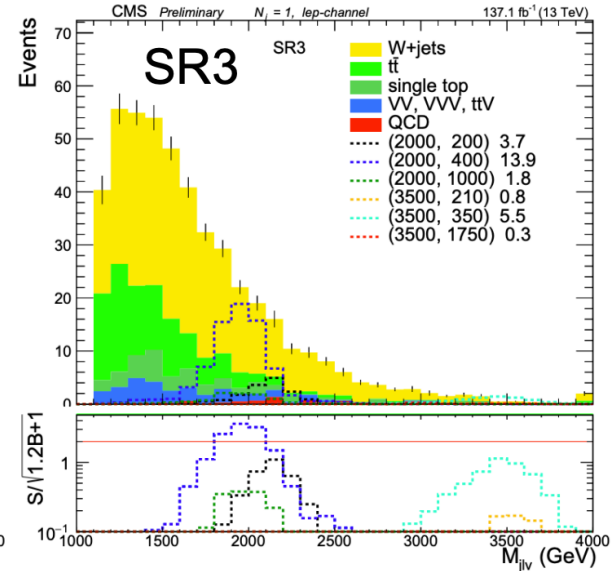
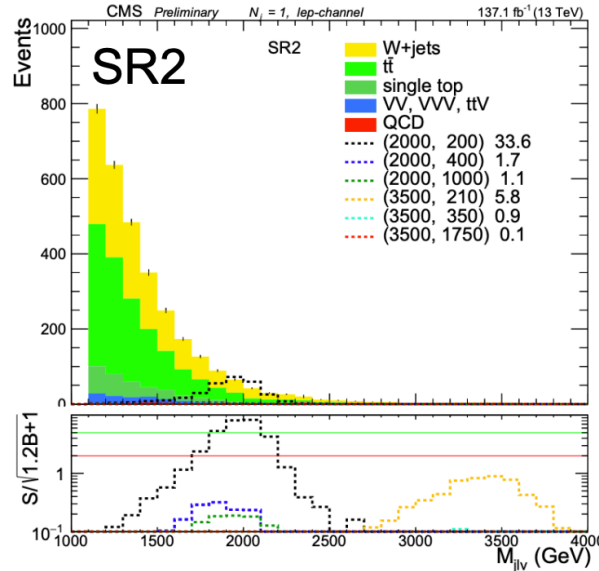
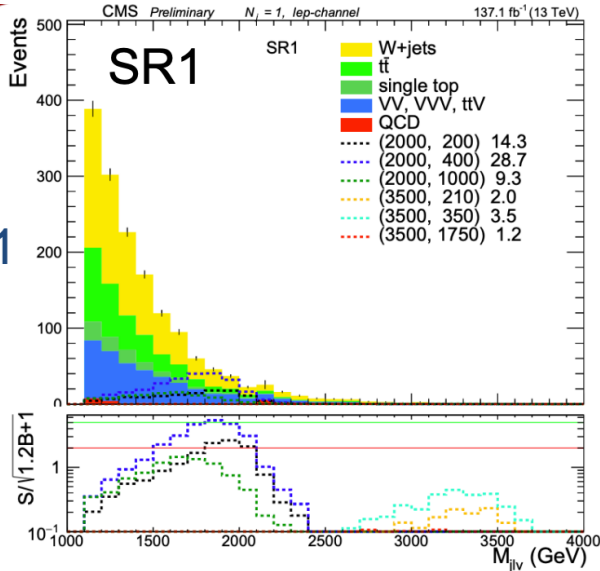
Figure 22: Signal region categorized into six orthogonal regions (SRs): SR1-6

Table 9: Differences in kinematic cuts between the six SRs.

Region	M_j^{\max} [GeV]	taggers	M_j^{\min} [GeV]	tagger	N_j^{AK8}	N_j^{AK4}	N_b^M
SR1	60-100	deep-W >0.7	-	-	1	≤ 2	0
SR2	100-200	deep-WH >0.7	-	-	1	≤ 2	0
SR3	≥ 200	deep-WH >0.7	-	-	1	≤ 2	0
SR4	60-100	deep-W >0.5	60-100	deep-W >0.5	2	≤ 2	0
SR5	60-100	deep-W $> (<)0.5$	60-100	deep-W($<$) >0.5	2	≤ 2	0
SR6	60-100	deep-W >0.7	0-60	-	2	≤ 2	0

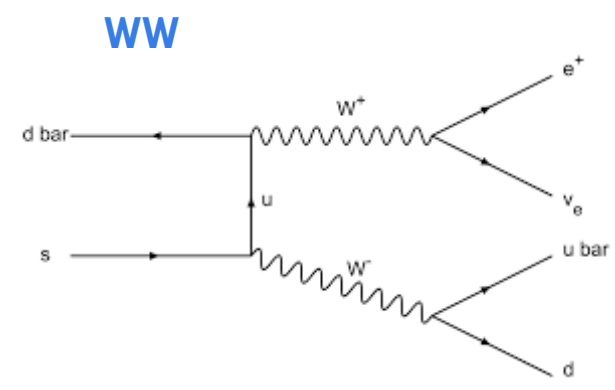
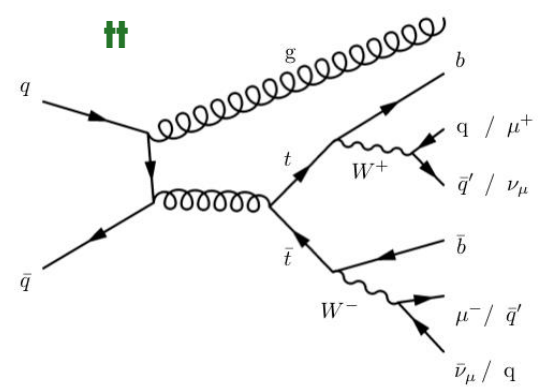
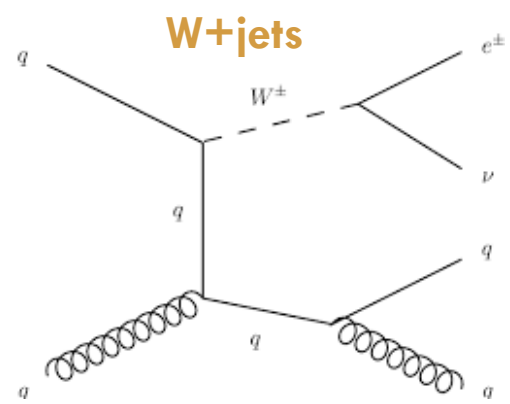
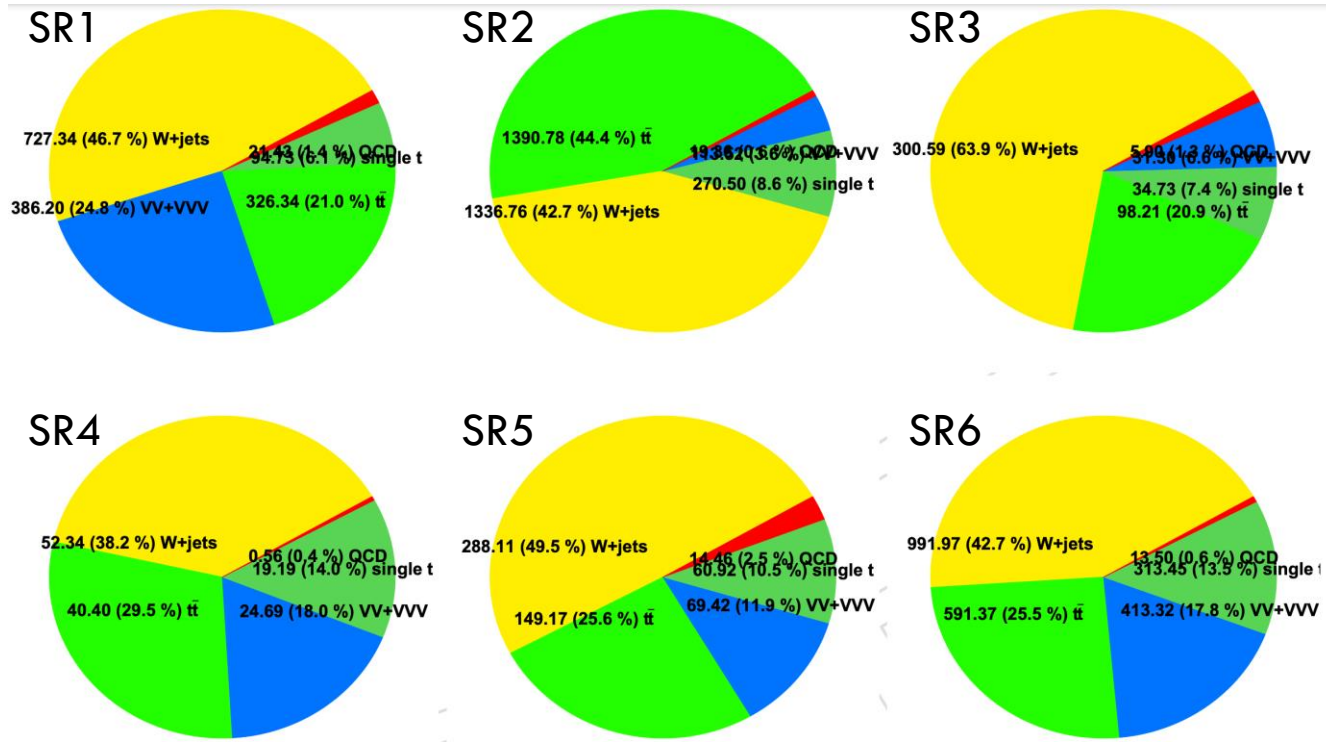
$N_j=1$

$N_j=2$



BKG composition in the 6 SRs

BKG composition in these 6 SRs →

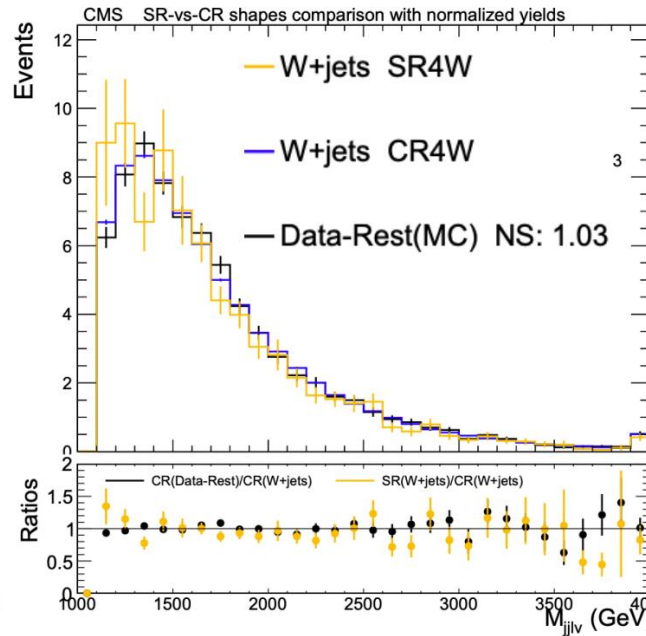
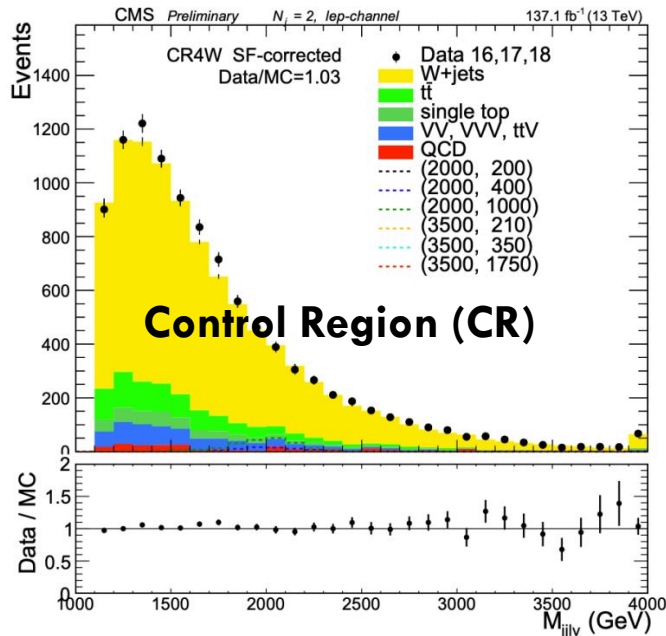




W+jets BKG Data-Driven prediction with CR



- MC very useful but it has limitations; not to be fully trusted.
 - Need to either validate that performs well in data or
 - to be replaced... by a **“Data-Driven prediction”** using real data.
 For this purpose...:
- We define **Control Region (CR)**, inverting a cut condition (tagger for this example).
- The resulting CR is pure in W+jets, signal free, has large stat. and
 - the W+jets has similar kinematics in CR and SR.
- Thus we use the data as [Data-rest] in CR to derive W+jets spectrum:



We do the assumption:

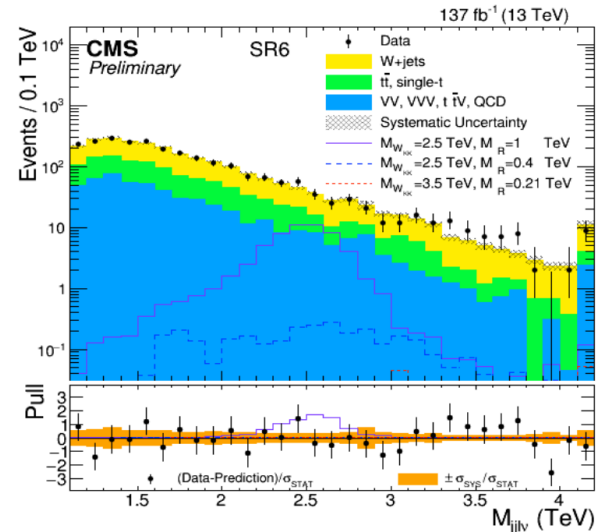
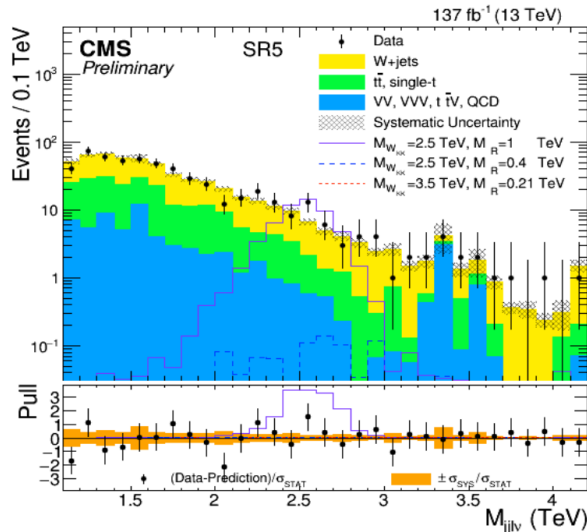
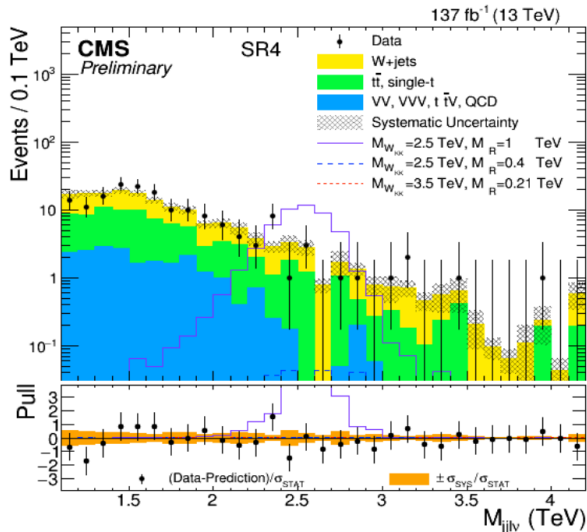
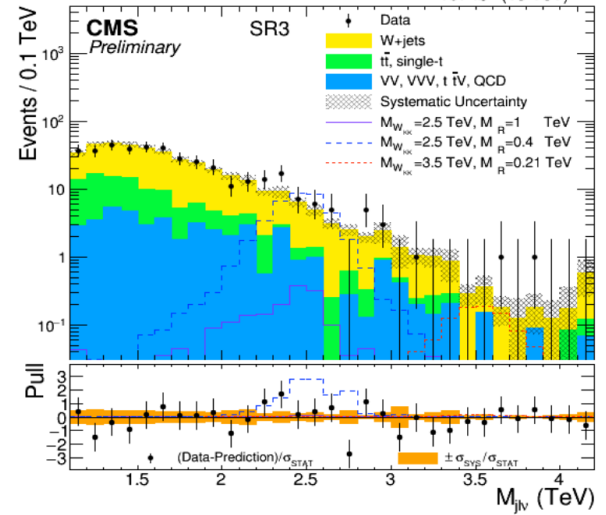
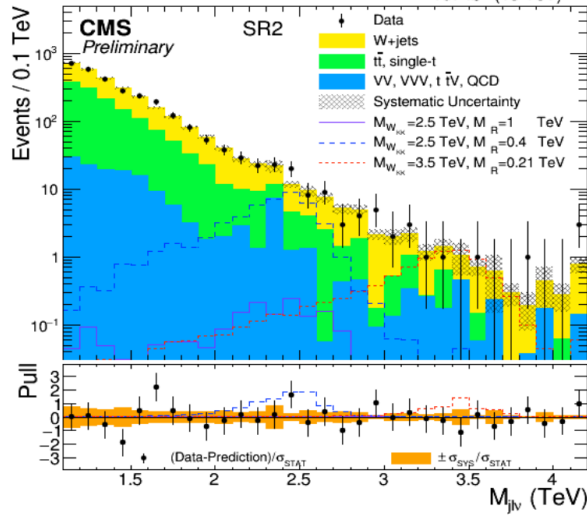
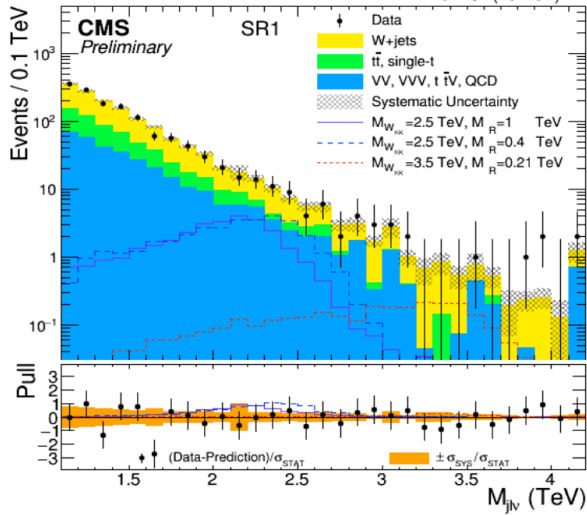
$$\frac{\text{Pred}^{\text{SR}}}{\text{MC}^{\text{SR}}} = \frac{[\text{Data} - \text{rest}]^{\text{CR}}}{\text{MC}^{\text{CR}}}$$

i.e. we trust MC simulates well the SR/CR ratio of the spectra.

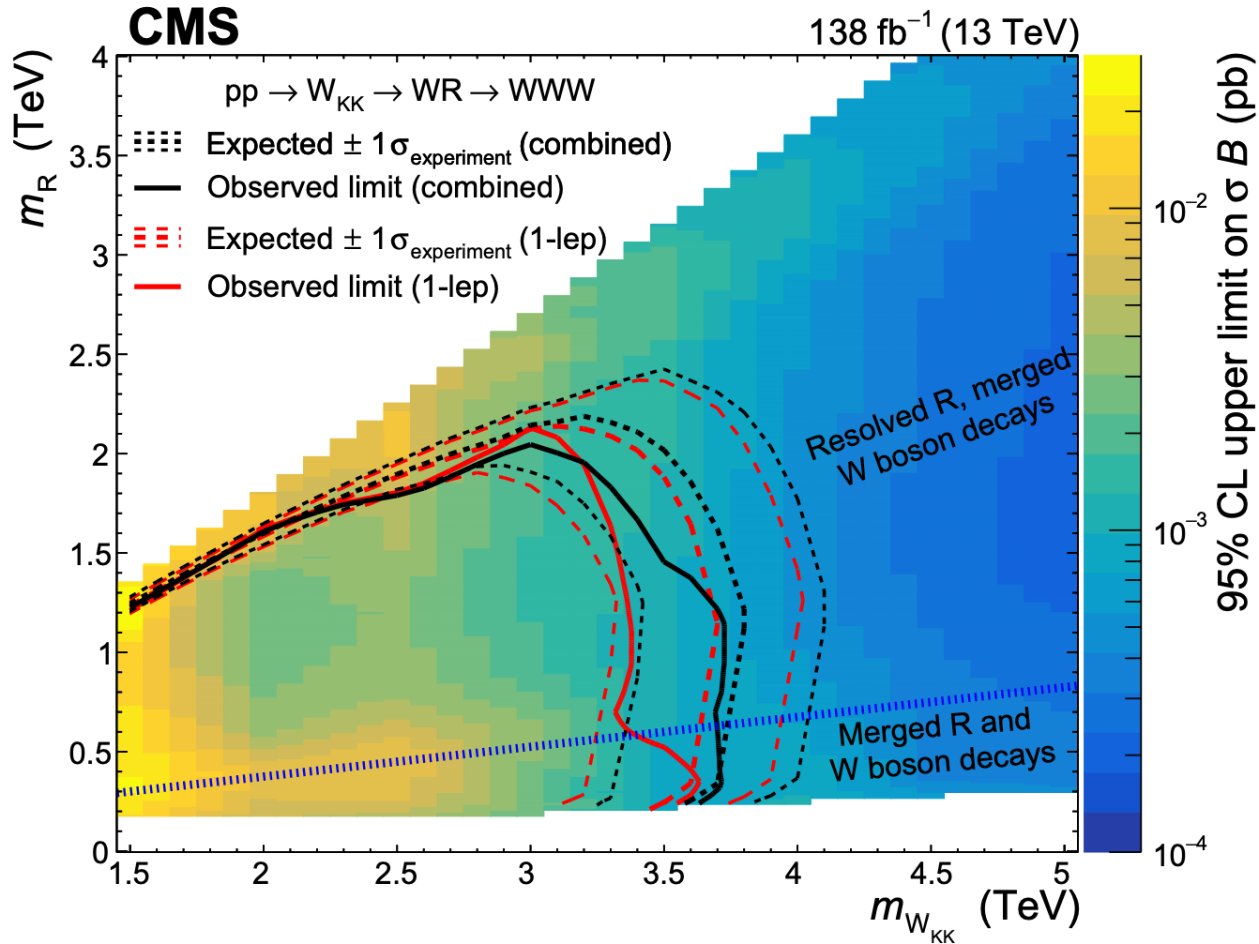
We solve for “Pred”.
The resulting spectrum replaces MC as prediction.
(Find more [here](#)).

Final “post-fit” prediction

- We fit all 6 SRs simultaneously and get the “post-fit” prediction of the spectra.
- Systematics uncertainties are considered with nuisance parameters in this fit:
(these are for BKG prediction, rates of BKGs, PDFs, JES/R, tagger efficiencies etc.)



- As the data are in agreement with SM prediction - no evidence of signal / new physics.
- Thus we set limits to the model parameters / masses.



- In this example observed limit is weaker than the expected (why?) this is indicative of an excess of events (present at SR6)

Boosted objects \rightarrow small angular separation of the products \rightarrow merged jets with substructure:

$W/Z \rightarrow qq$

$H \rightarrow bb$ or $H \rightarrow qqqq$, or $H \rightarrow qq\bar{l}\nu$

\rightarrow anti-kt clustering

\rightarrow Large-R jets: $\Delta R = \sqrt{(\Delta\phi^2 + \Delta\eta^2)} \approx 2m/p_T$

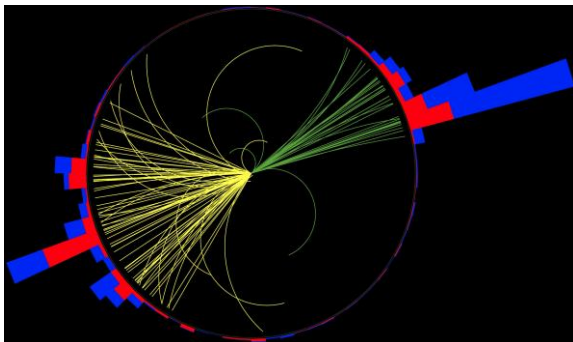
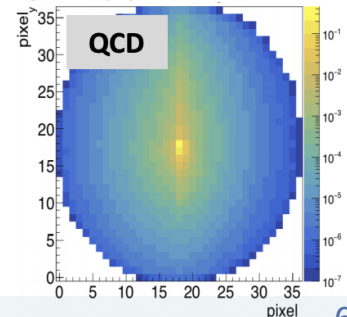
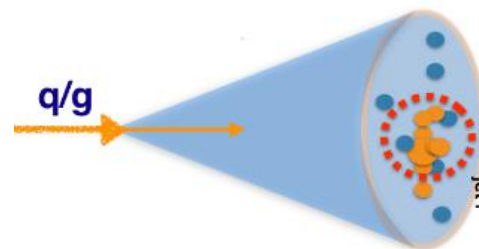
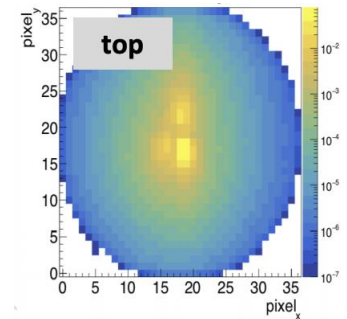
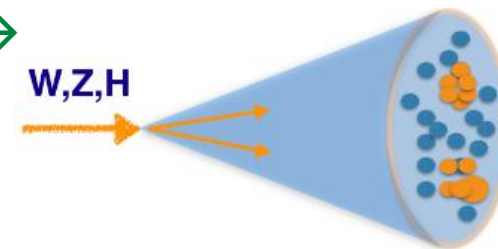
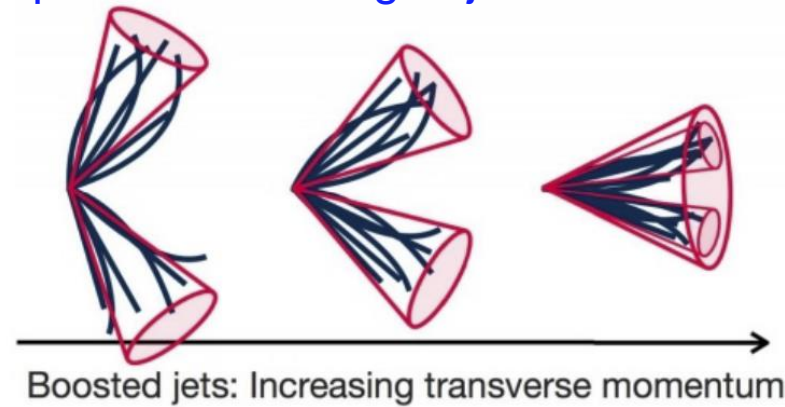
\rightarrow “Groomed” Soft-Drop Masses: $M_J \sim M_V \pm 0.2 M_V$

$$\tau_N = \frac{1}{d_0} \sum_k p_{T,k} \min \{ \Delta R_{1,k}, \Delta R_{2,k}, \dots, \Delta R_{N,k} \}$$

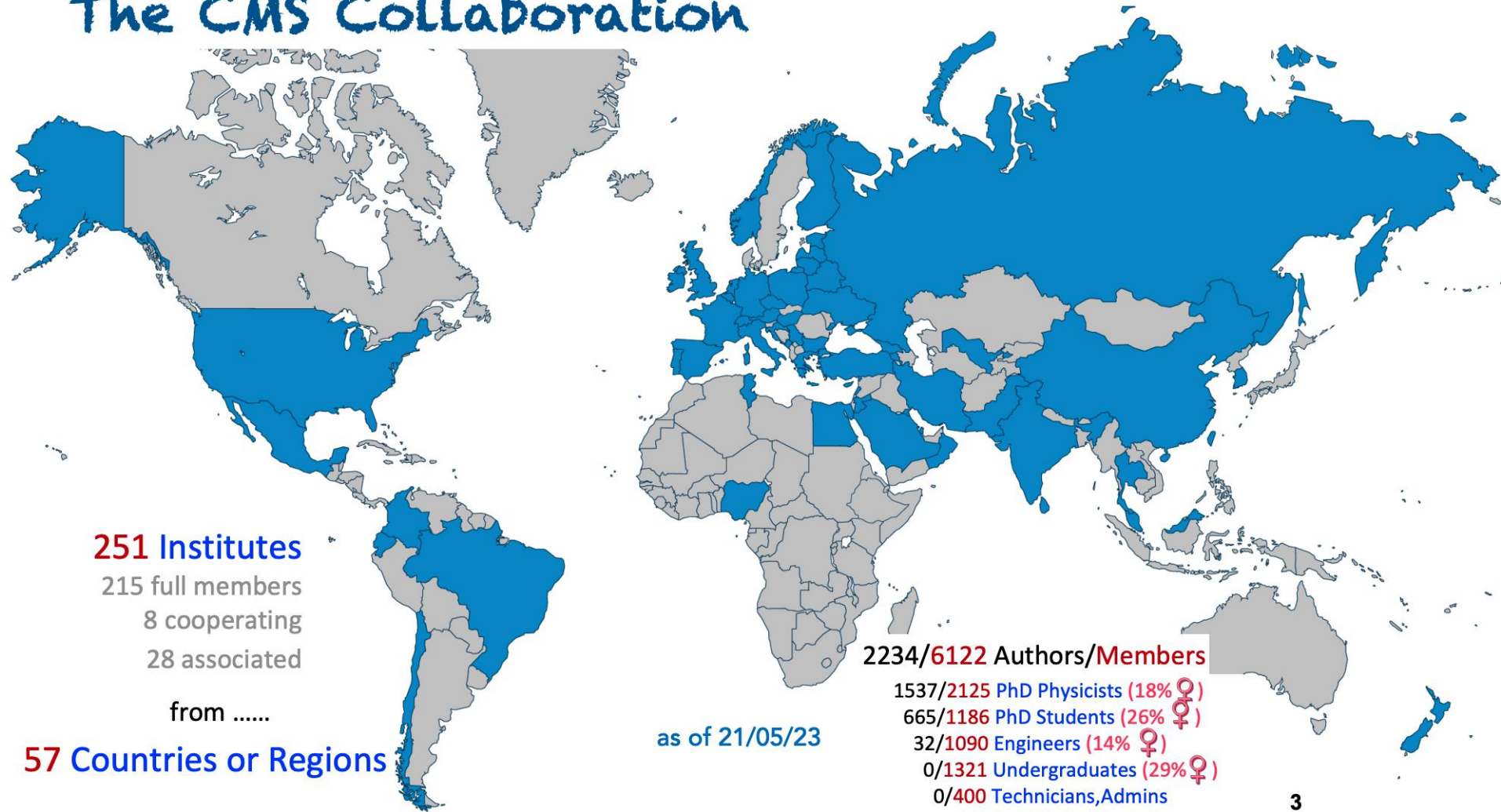
Taggers based on (2-prong) substructure

- $T_N =$ N-subjettiness \rightarrow ratios: $T_2/T_1 = T_{21} \rightarrow$
- Decorrelated taggers T_{21}^{DDT}

Deep-NN taggers & Image taggers (soon)



The CMS Collaboration

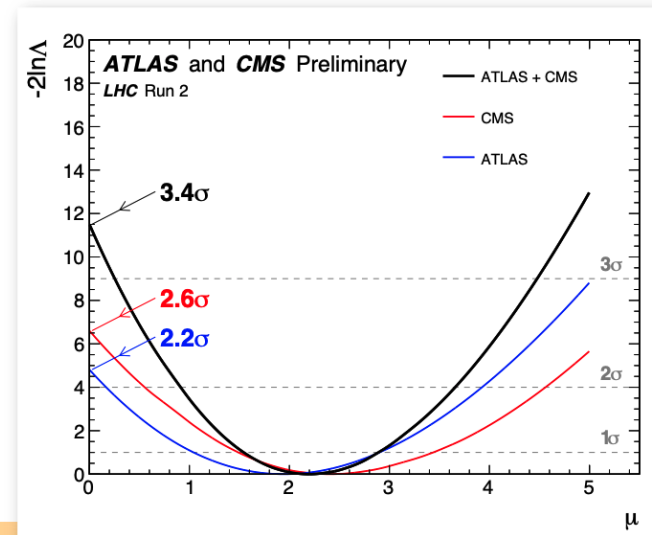
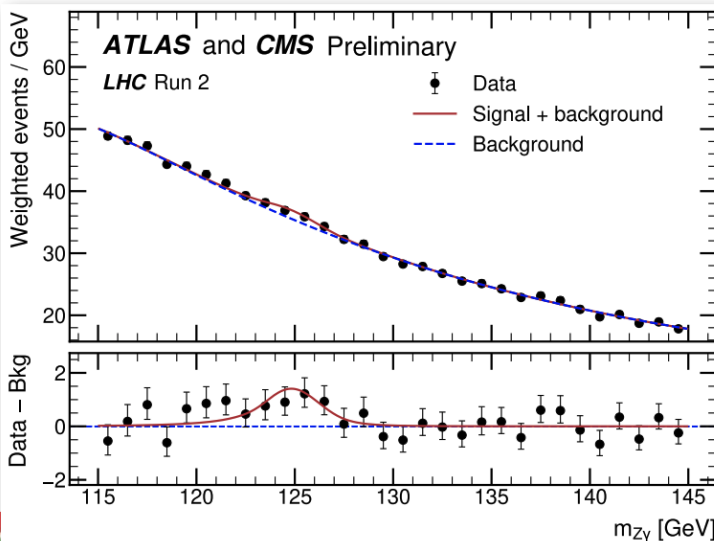
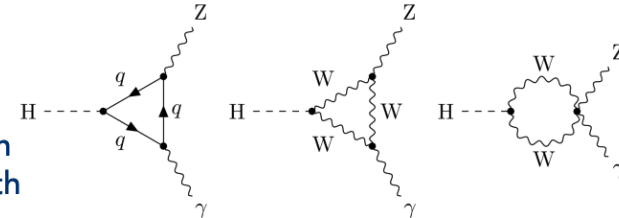


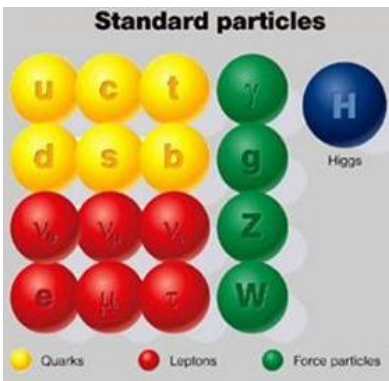
Evidence for the Higgs boson decay to a Z boson and a photon at the LHC

HIG-23-002

ATLAS and CMS

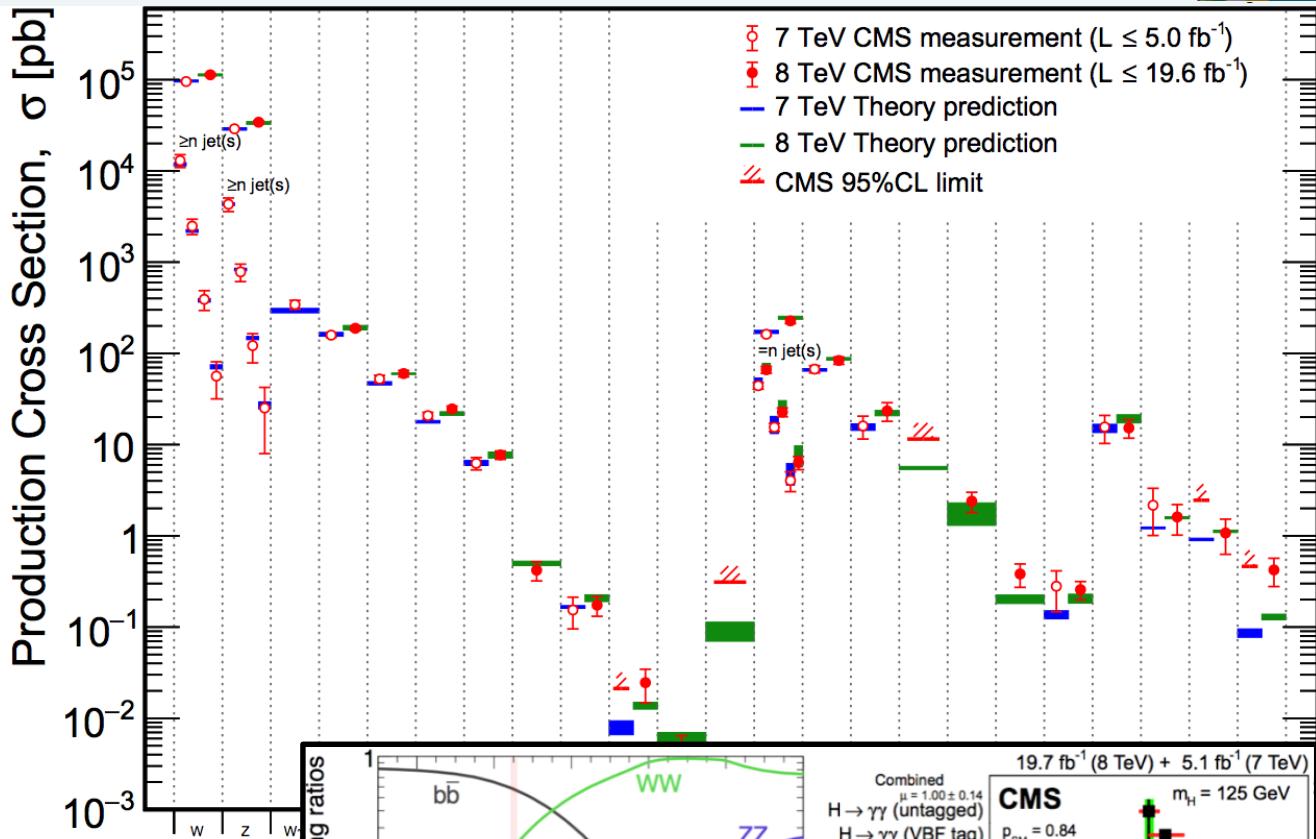
- Combined evidence of $H \rightarrow Z\gamma$ from ATLAS and CMS (previously published) results
- Similar analysis strategy. Correlated (TH) and uncorrelated (EXP) systematic uncertainties considered in the combination
- **Observe evidence for a signal with 3.4σ significance (expected 1.6σ)**
- Observed signal cross section corresponds to 2.2 ± 0.7 times the SM cross section
- The $H \rightarrow Z\gamma$ branching ratio is measured $(3.4 \pm 1.1) \times 10^{-3}$ compatible within 1.9σ with SM prediction



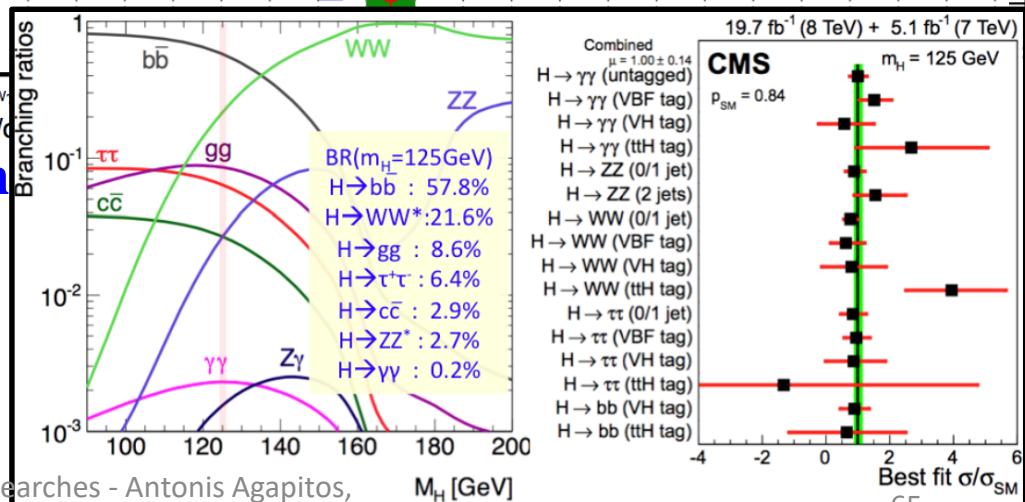


- ◆ SM:
- Very successful gauge theory.
- Precisely predicts processes:
 $\sigma \sim [10^{11} - 10^{-3}] \text{ pb}$

- ◆ Along with successful prediction of Higgs BR \rightarrow measurements...
- ◆ No evidence for any deviation(s) from the SM.



All results at: <http://cds.cern.ch>

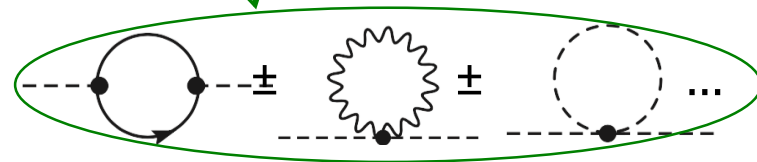


◆ m_{Higgs} : renormalizable $\rightarrow m_{\text{Higgs}}^2 = m_{\text{bare}}^2 - [\pm\lambda\Lambda_{\text{cut}}^2 \pm \dots] = 125^2 \text{ GeV}^2$

◆ New Physics at: $\Lambda_{\text{cut}} \sim 10^2 - 10^{18} \text{ GeV} \leftrightarrow$ “Hierarchy/Naturalness” Problem

$\Lambda_{\text{cut}} \sim 10^{18} \text{ GeV}$ (Planck scale):

$$125^2 = \text{12345678901234567890123456789012345} - \text{[12345678901234567890123456788996720]}$$

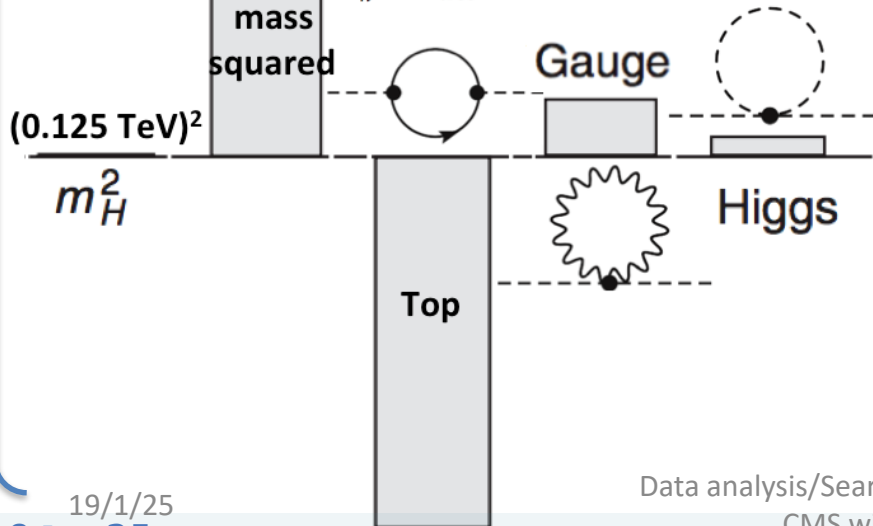


$\Lambda_{\text{cut}} \sim 10^4 \text{ GeV}$: top loop $-\frac{3}{8\pi^2} Y_t^2 \Lambda^2 \sim -(2 \text{ TeV})^2$

gauge loop $+\frac{1}{16\pi^2} g^2 \Lambda^2 \sim +(0.7 \text{ TeV})^2$

Higgs loop $+\frac{1}{16\pi^2} \lambda^2 \Lambda^2 \sim +(0.5 \text{ TeV})^2$

$m_h^2 \simeq m_{\text{tree}}^2 - (100 - 10 - 5) \times (200 \text{ GeV})^2$

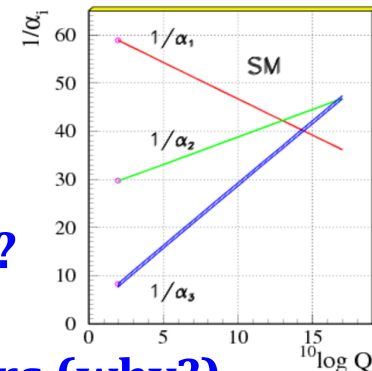


◆ Problem if: $\Lambda_{\text{cut}} > \sim \text{TeV}$
 \rightarrow There is a “missing” mechanism for m_H convergence.

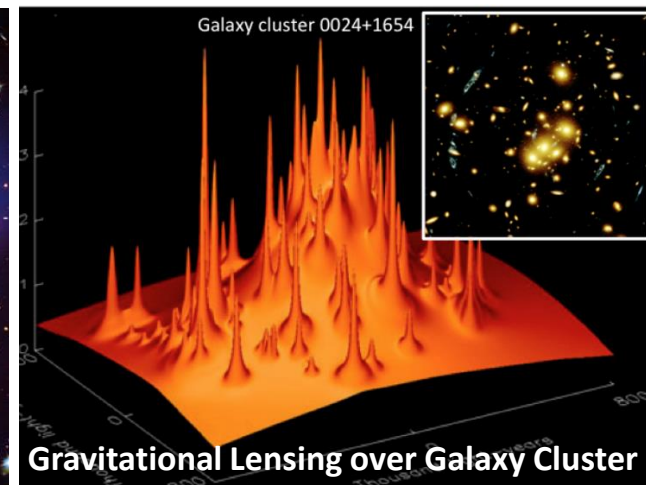
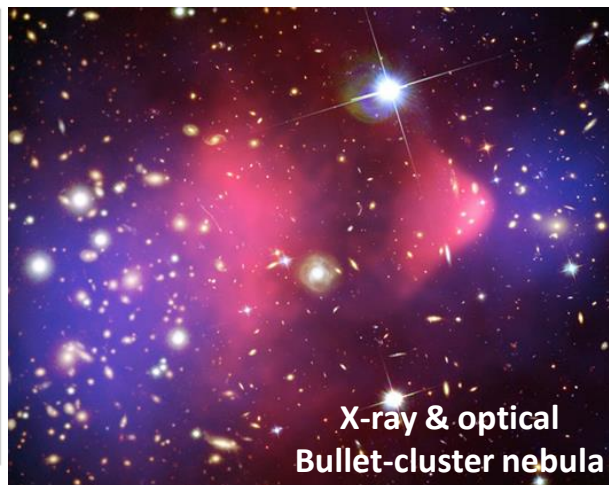
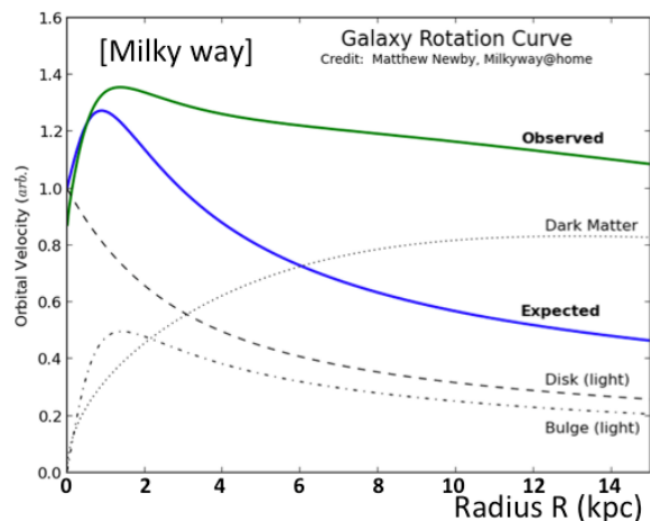
◆ Maybe new bosons (?) at scales: $\Lambda_{\text{cut}} \sim 10^2 - 10^{18} \text{ GeV}$.

◆ Open Questions:

- Unification “GUT”?
- Gravity QFT ?
- 25 Free Parameters (why?)
- 3 fermions families (why?)

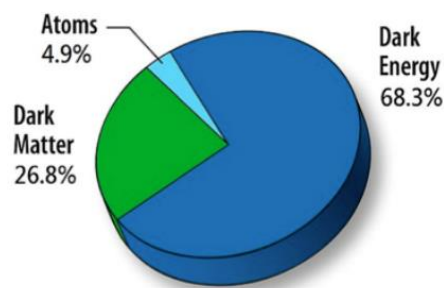


◆ Dark Matter:

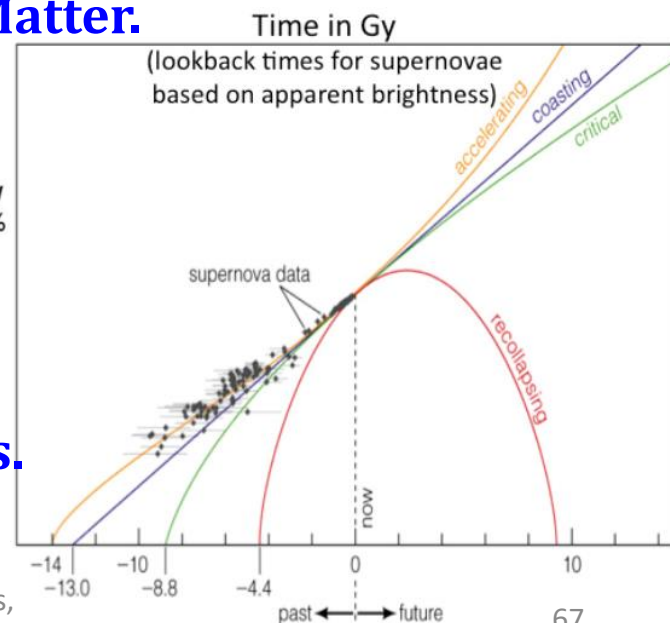


- ~5 times more “Dark” Matter than Visible Matter.
- Particle-nature matter → which particle?

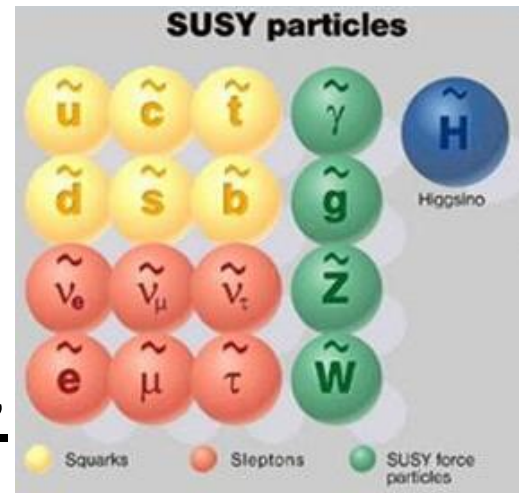
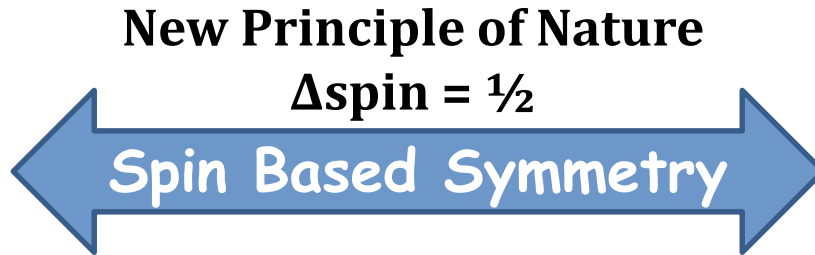
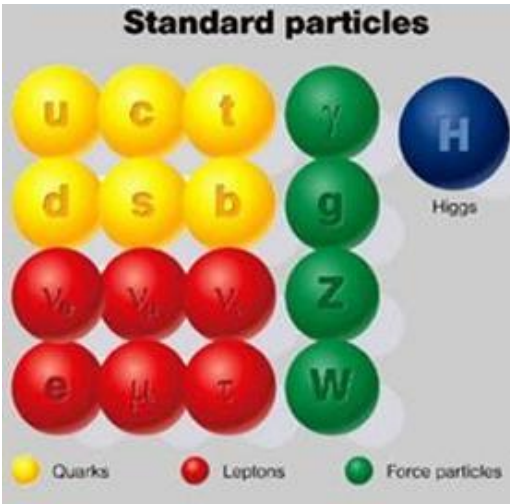
◆ Dark Energy: accelerated expansion (why? who?)



- ◆ SM: cannot explain large scale observations.
SM → «effective» rather than fundamental.



SUperSYmmetry: SUSY



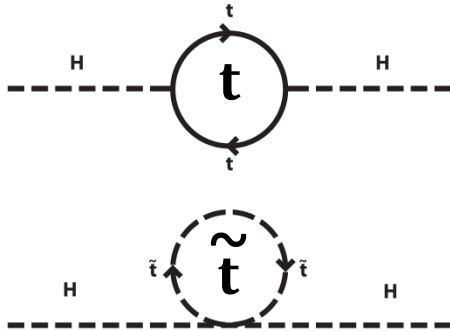
Fermion \leftrightarrow Boson

$M_{\text{SM-particle}} < \text{or} \ll M_{\text{SUSY-Particle}}$

SUSY: a translation is "Superspace".

SUSY proposes solutions to SM problems:

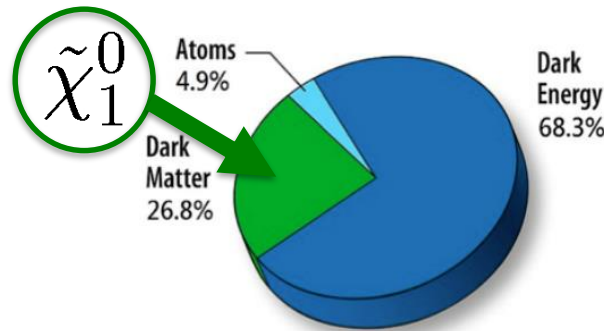
◆ Hierarchy Problem



Sparticle loops cancel out corrections (if $\Lambda_{\text{cut}} \sim < 1 \text{ TeV}$)

19/1/25

◆ Dark Matter Problem

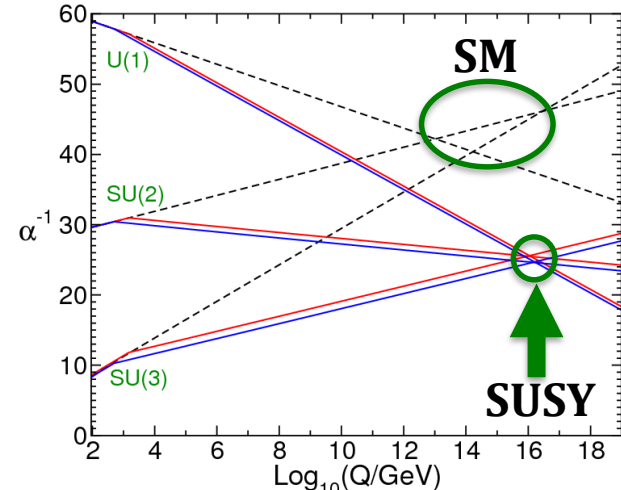


LSP = Dark Matter (if "R-parity" conserved)

$$P_R = (-1)^{2s+3(B+L)}$$

Data analysis/Searches - Antonis Agapitos, CMS winter camp25

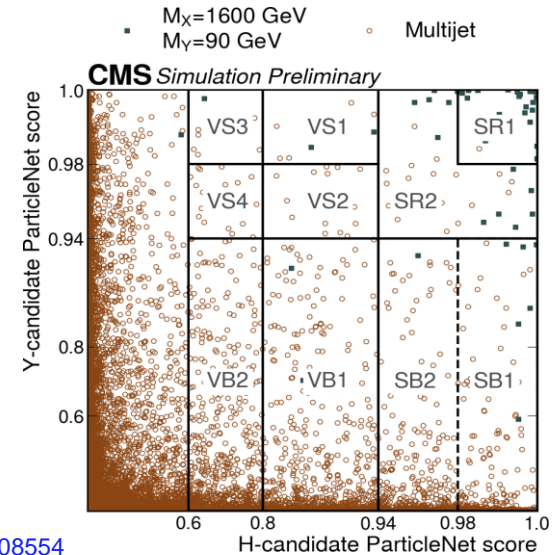
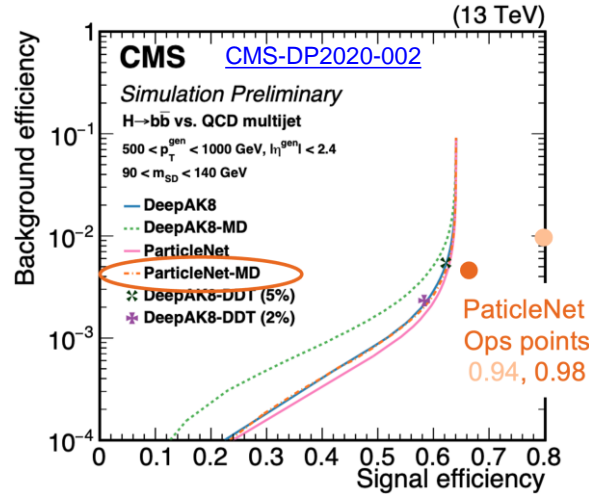
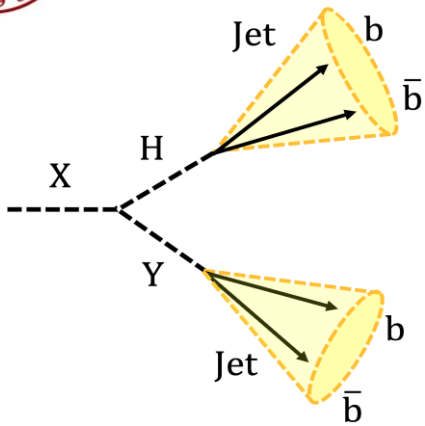
◆ GUT



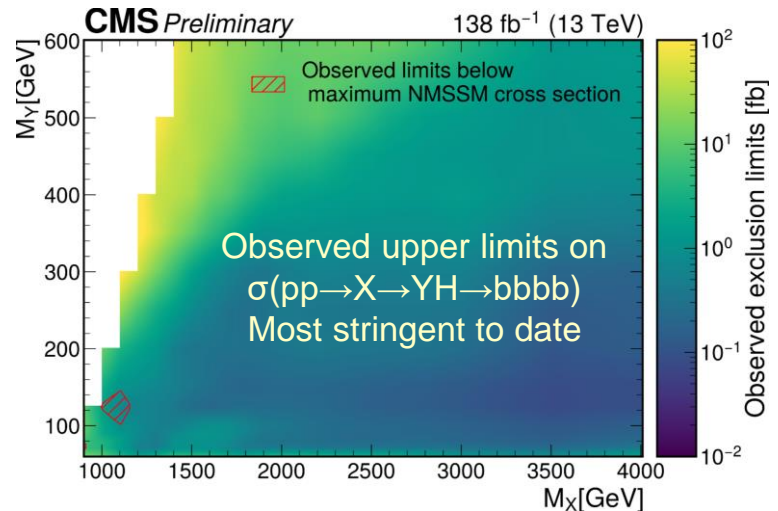
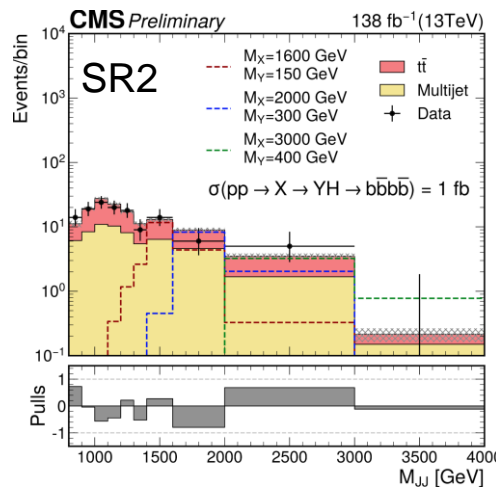
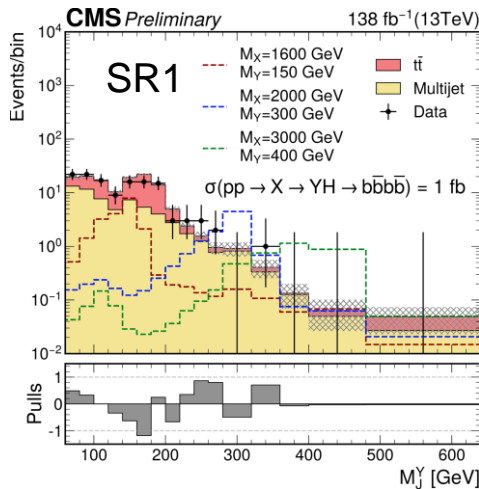
a^i converges @ 10^{16} GeV



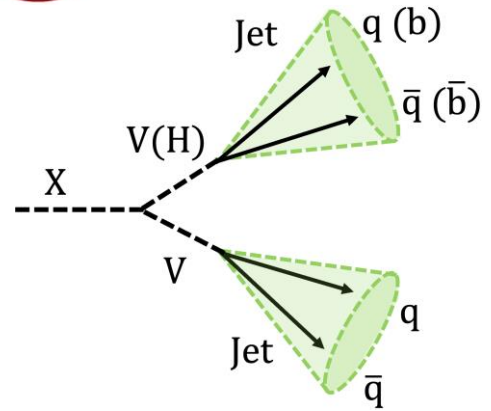
X → YH → 4b boosted



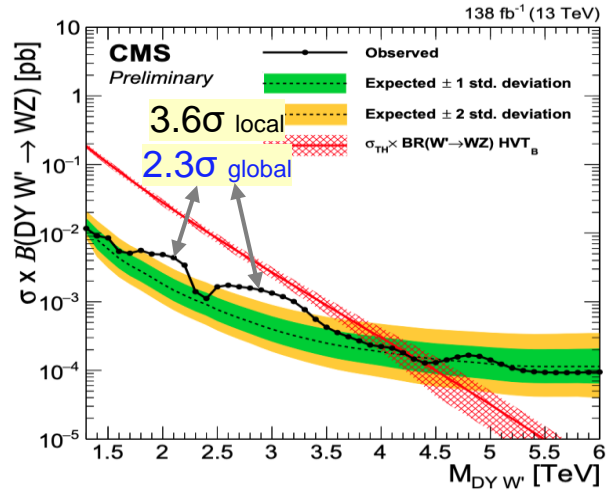
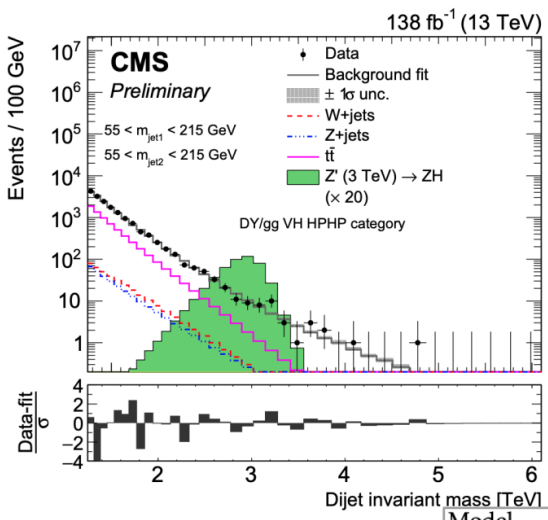
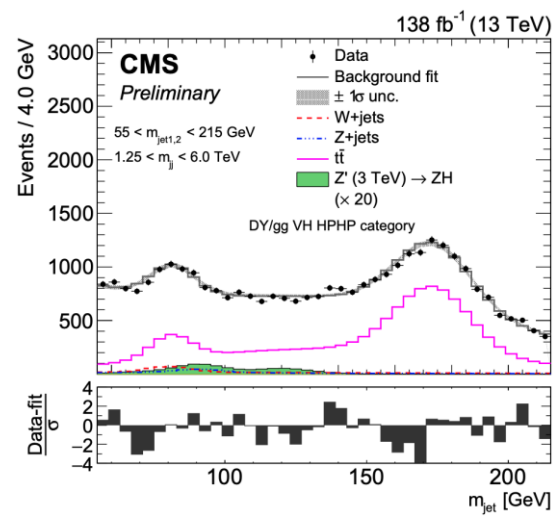
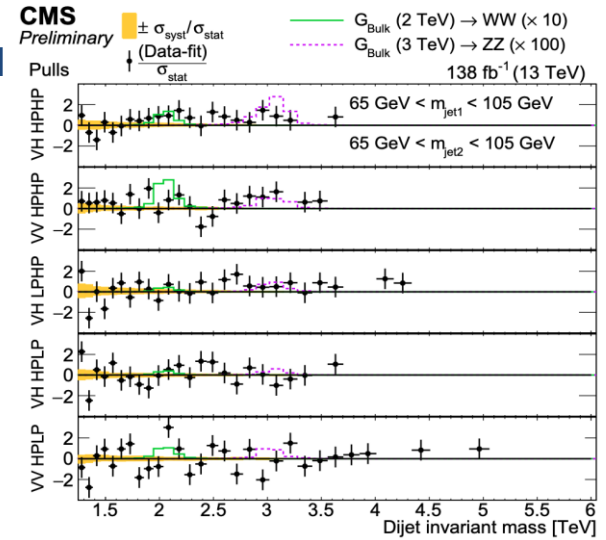
- X, Y: scalars, $M_X \gg M_{Y(H)}$;
- Models: NMSSM [0910.1785](#), Two-real-scalar-singlet extension [1908.08554](#)
- 2D search over M_{jj} , M_j^Y variables
- 2 (wide) jets, $m_{H(Y)}$: 110-140(>60) GeV, $|\Delta\eta_{jj}| < 1.3$
- Tagging with Graph CNN ([ParticleNet](#)), mistag~0.5%, eff~70%, calibration with $g \rightarrow bb$ jets



$X \rightarrow VV, VH$ in DY/gg & VBF



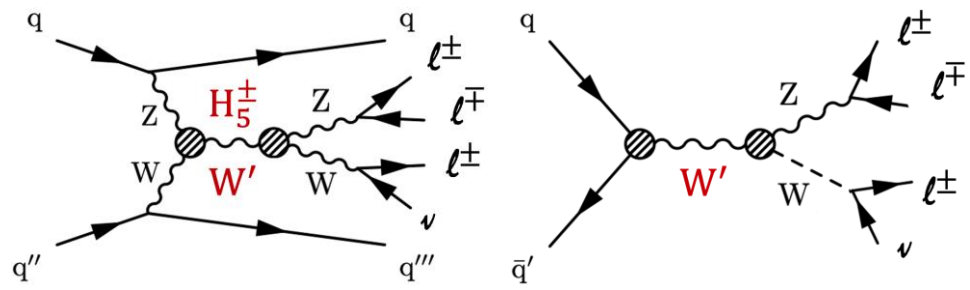
- $X \rightarrow WW, ZZ, WZ, WH, ZH$
- Production: DY/ggF & VBF targeted
- 2 wide AK8 jets, $m_{j1,2}$: 55-215 GeV
extra 2 narrow fwd jets for VBF
- Tagging with DeepAK8 classifier:
 $W/Z/H \rightarrow qq/bb$, against q/g
 \rightarrow 10 categories
- Method: 3D-fit of m_{j1}, m_{j2}, m_{jj}



- Best limits to date \rightarrow
- 2 modest excesses for $W' \rightarrow WZ$ at $\sim 2.1, 2.9$ TeV

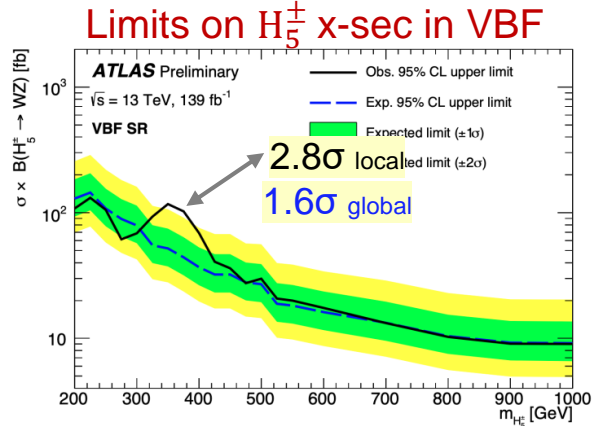
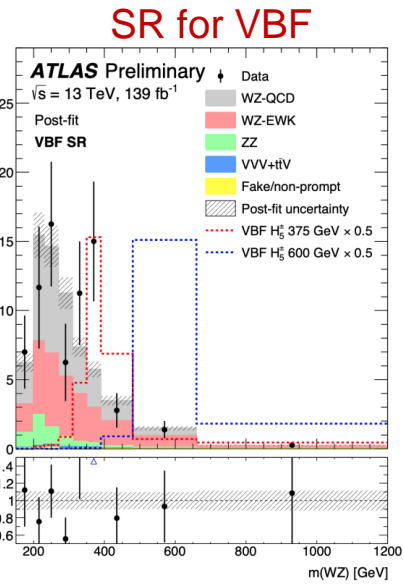
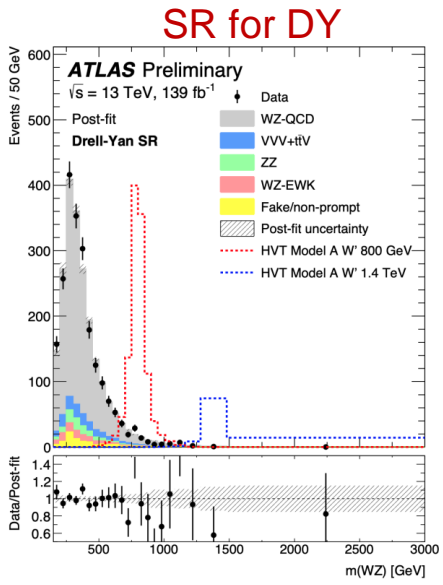
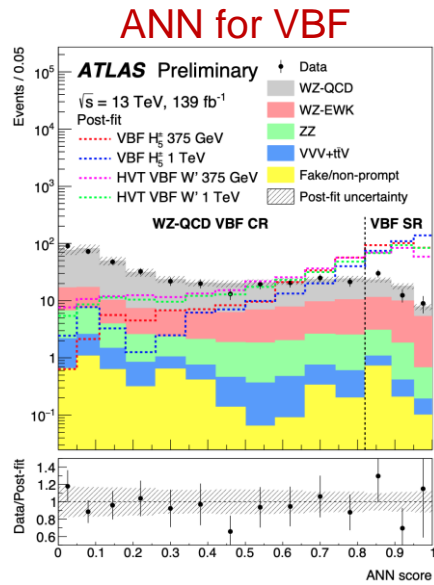
Model	Observed limit (TeV)
Radion DY/gg	VV 2.7
HVT model B, W'	WZ / WH 4.4 / 4.0
HVT model B, Z'	WW / ZH (1.3-3.1, 3.3-3.5) / 3.9
HVT model B, V'	VV+VH / VV / VH 4.8 / 4.5 / 4.2
$G_{bulk} (\tilde{\kappa} = 0.5)$ DY/gg	VV 1.4

$X^\pm \rightarrow W^\pm Z \rightarrow \ell^\pm \nu \ell \ell$ via VBF & DY



- Georgi-Machacek (GM) model [NPB](#), [PLB](#)
 → Fermiophobic 5-plet of scalars: $H_5^{\pm\pm}, H_5^\pm, H_5^0$
 → H_5^\pm is probed here in VBF (WZ-fusion) topology
- HVT model: W'^\pm via DY or WZ-fusion

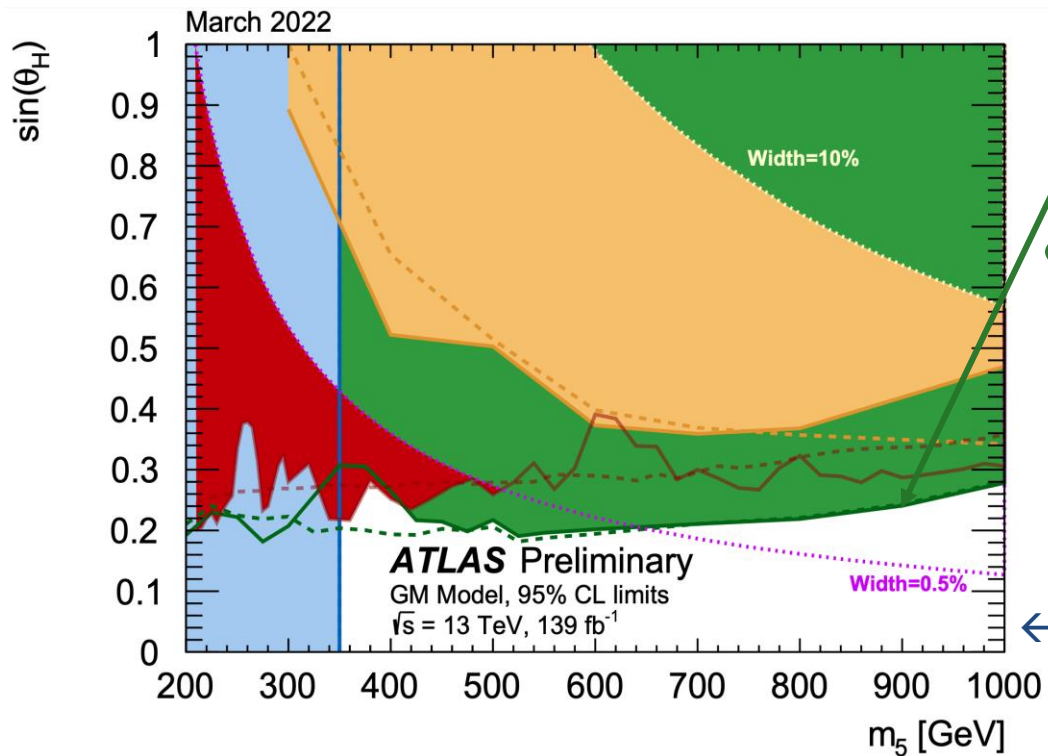
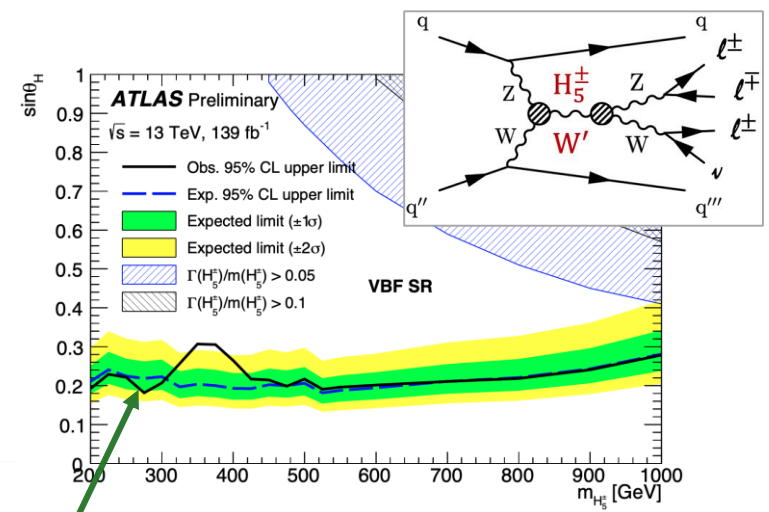
- Fully lep. ($\ell = e/\mu$)
- Low BKG, but also low BRs
 → best for low m_X
- VBF: 2 jets, $m_{jj} > 100$ GeV, ANN classification
- DY: p_T imbalance: $\frac{p_T^V}{m_{WZ}} > 0.35$
- Reconstruct $Z \rightarrow \ell\ell$, $W \rightarrow \nu\ell$, and m_{WZ}
- Prompt- ℓ BKG from MC, fake from data



- Constrains also on:
- param. $\sin\theta_H$ in GM
 - HVT models A(B)
 $m_{W'} \sim 2.4(2.5)$ TeV

Interpretation of BSM Higgs searches in GM model

- 4 BSM Higgs searches are interpreted in Georgi-Machacek model [NPB, PLB](#)
- “H5 plane” used, it refers to the 5-plet [1610.07922](#)
 - m_5 : mass scale of 5-plet
 - $\sin\theta_H$: mixing parameter (of the VEVs)
- Constrains obtained comparing x-sec limits and theoretical predictions

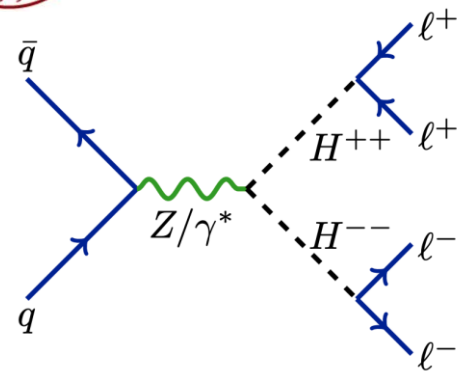


- $R \rightarrow VV$ (semi-leptonic) VBF
 Eur. Phys. J. C 80 (2020) 1165
- $H^\pm \rightarrow W^\pm Z$ VBF ← **Tightest constraint**
 ATLAS-CONF-2022-005
- $H \rightarrow ZZ \rightarrow 4l + ll\nu\nu$ VBF
 Eur. Phys. J. C 81 (2021) 332
- $pp \rightarrow H^{\pm\pm} H^{\mp\mp} \rightarrow W^\pm W^\pm W^\mp W^\mp$
 Via DY \rightarrow x-sec independent of H5 plane param.
 JHEP 06 (2021) 146

← White area is not excluded



$H^{++}H^{--} \rightarrow 4\ell$

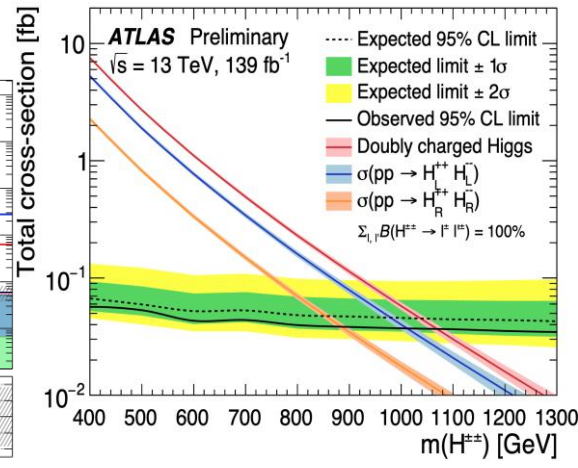
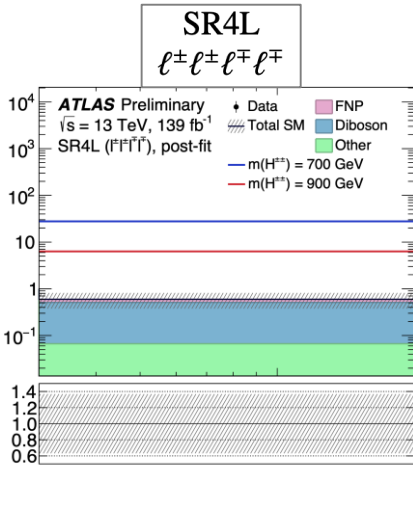
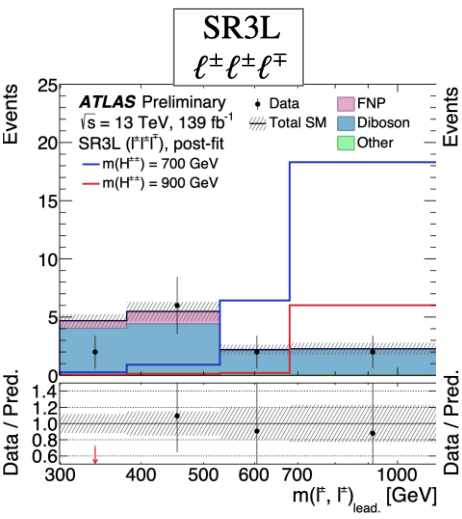
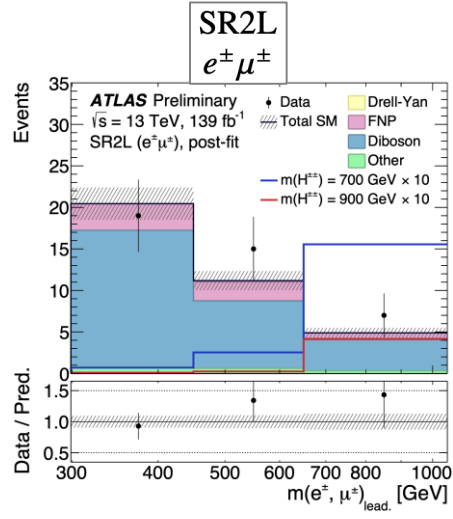


- 2,3,4 ℓ ($\ell=e/\mu$)
- At least 1 SS ℓ pair (generic probe)
SS ℓ resonance: BKG-free signature
- 5 SRs: 2 ℓ : $\mu\mu, ee, e\mu \rightarrow$
3 ℓ : all together
4 ℓ : 2 SS pairs
- Observable: $m(\ell^\pm, \ell^\pm)_{\text{lead}} > 300$ GeV
- BKGs: VV, Fake & NonPrompt (FNP)
- CRs & VRs sidebands for prediction

signal regions	SR2L	SR3L	SR4L
Channel	$e^\pm e^\pm$ $e^\pm \mu^\pm$ $\mu^\pm \mu^\pm$	$\ell^\pm \ell^\pm \ell^\mp$	$\ell^+ \ell^+ \ell^- \ell^-$
Nr. Leptons	2	3	4
$m(\ell^\pm, \ell^\pm)_{\text{lead}}$ [GeV]	≥ 300	≥ 300	≥ 300
$p_T(\ell^\pm, \ell^\pm)_{\text{lead}}$ [GeV]	≥ 300	≥ 300	-
$\Delta R(\ell^\pm, \ell^\pm)_{\text{lead}}$	< 3.5	-	-
\bar{M} [GeV]	-	-	≥ 300
Z-veto	-	✓	✓

- Left-Right Sym. Models production via DY
- 3-3-1 models [1806.04536](#)
- See-Saw type-II [hep-ph/0305288](#)
- Georgi-Machacek [NPB](#), [PLB](#)

Upper limit on $H^{++}H^{--}$ production x-sec assuming $B_{H \rightarrow \mu\mu} = B_{H \rightarrow e\mu} = B_{H \rightarrow ee} = 1/3$

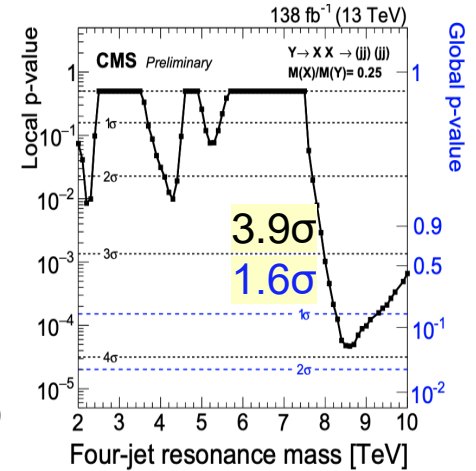
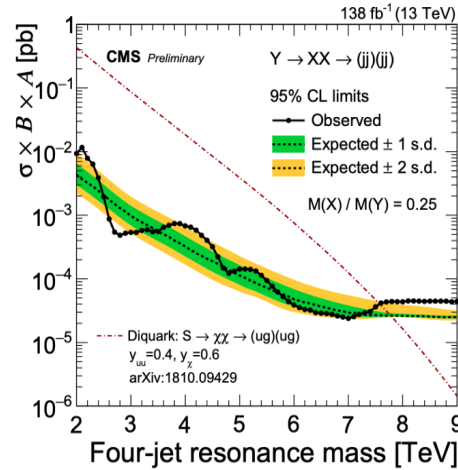
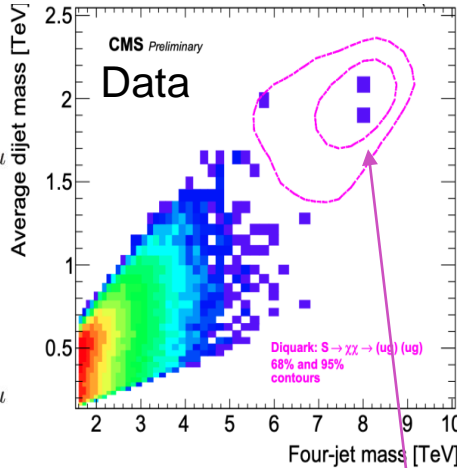
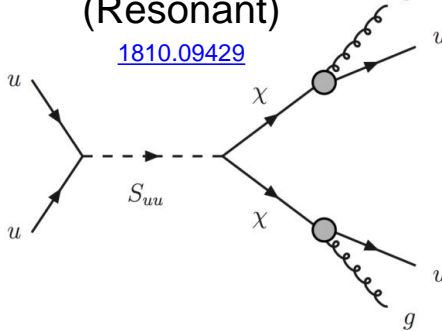


$(Y) \rightarrow XX \rightarrow (jj)(jj)$ paired di-jets

- 4 narrow jets \rightarrow paired to 2 di-jets, symmetrized masses: $\frac{|m_1 - m_2|}{m_1 + m_2} < 0.1$
- Search over: m_{4j} and average di-jet mass \bar{m}_{jj} ; fit 3p-function to the data in slices of $\frac{\bar{m}_{jj}}{m_{4j}}$

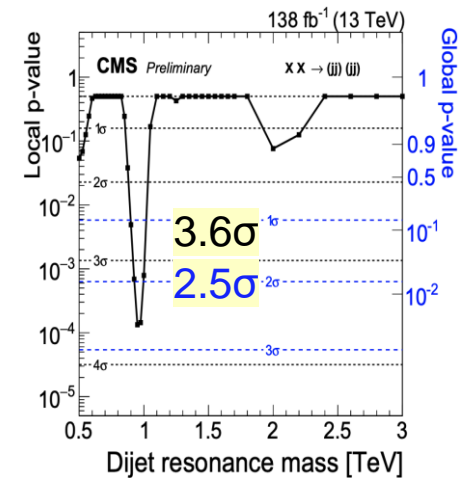
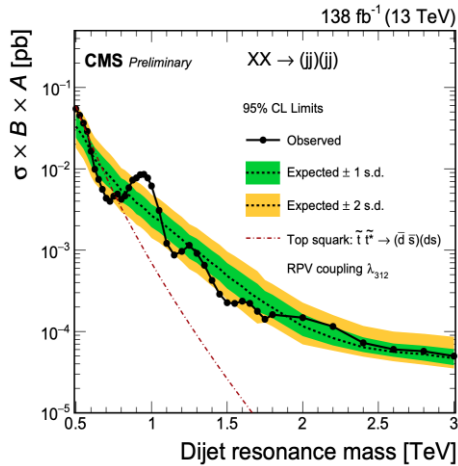
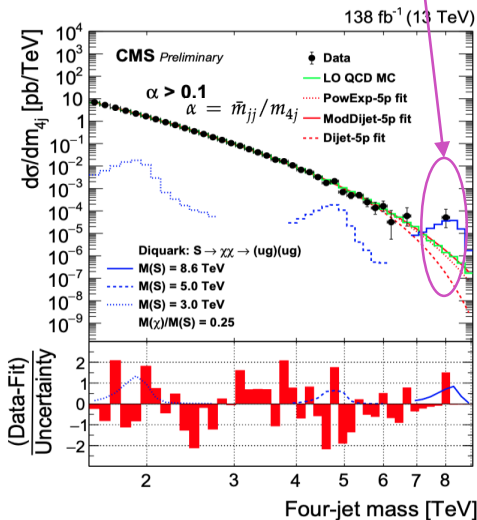
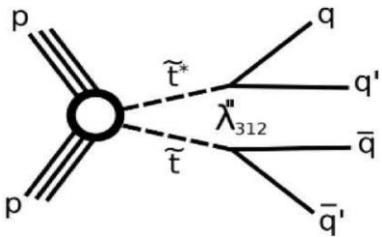
Ultraheavy di-quark to vec-like quarks (Resonant)

[1810.09429](#)



RPV SUSY (non-resonant)

[1209.0764](#)





VBF \rightarrow N \rightarrow $\mu^\pm\mu^\pm$

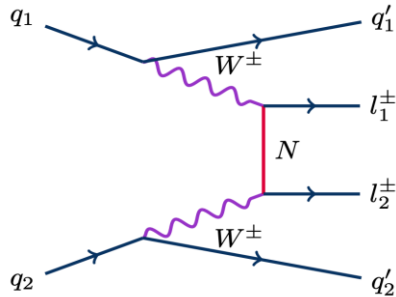
Heavy Majorana N. & W.O. Probe

EXO-21-003



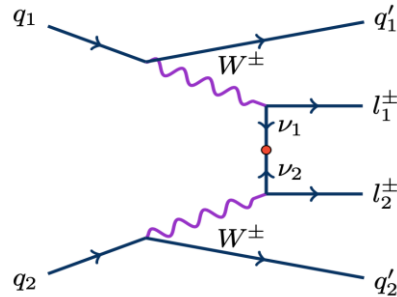
The "neutrinoless double- β decay" version of the LHC

VBF HMN at Seesaw Type-I
mixing element $|V_{\mu N}|^2 = 1$



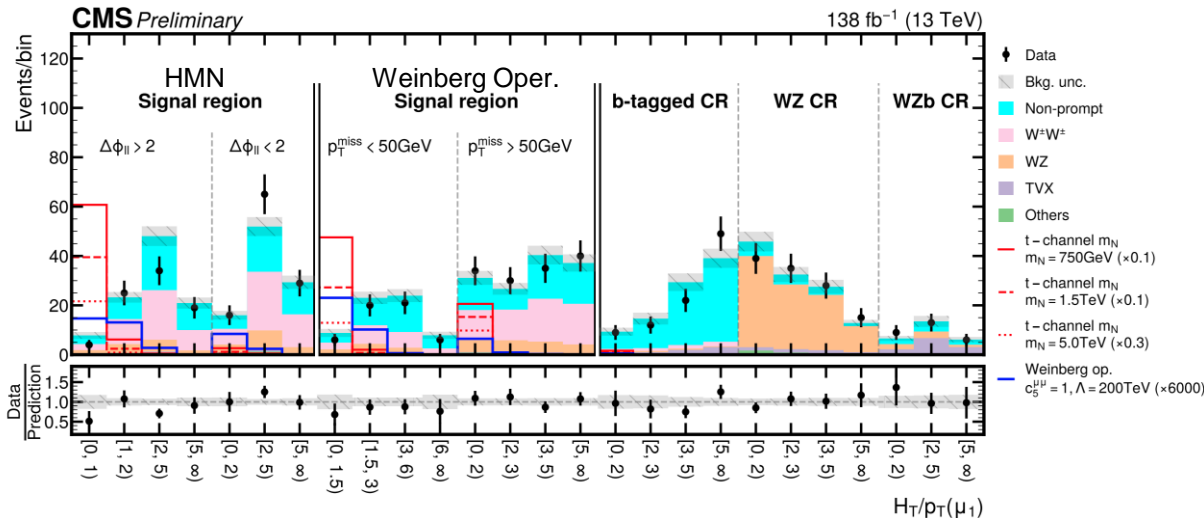
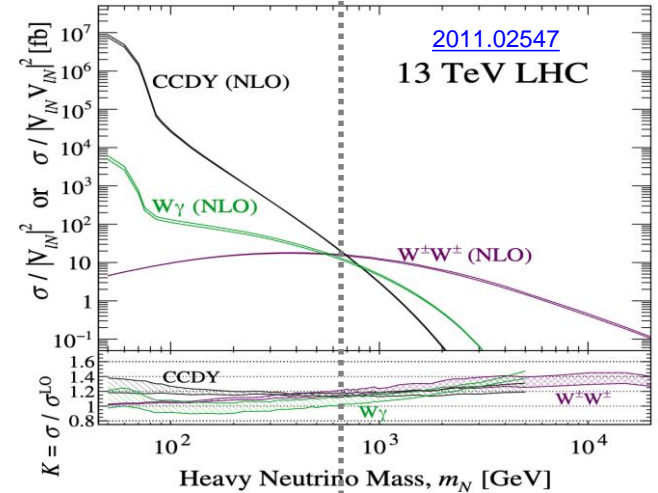
EFT Weinberg Oper. Dim. 5

Wilson coef. $C_5^{ll'} = 1$

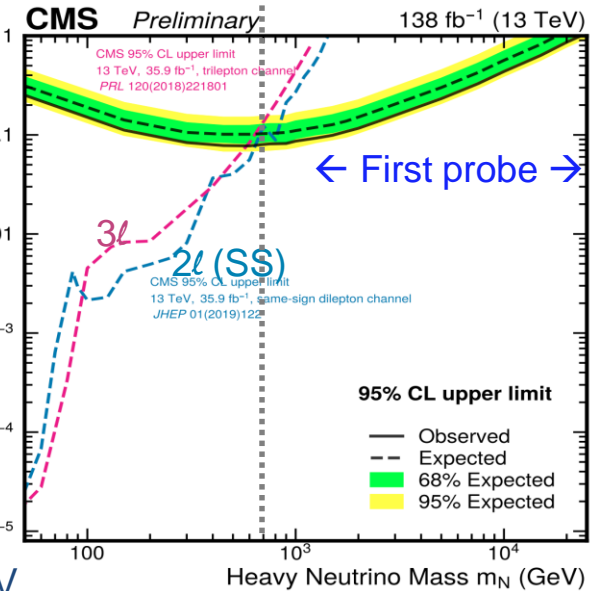


- Use VBF t-channel which dominates high m_N for first time
- 2μ SS + 2 fwd jets; cuts on $\Delta\eta_{jj}$, m_{jj} ; fit on $H_T/p_{T\ell_1}$:

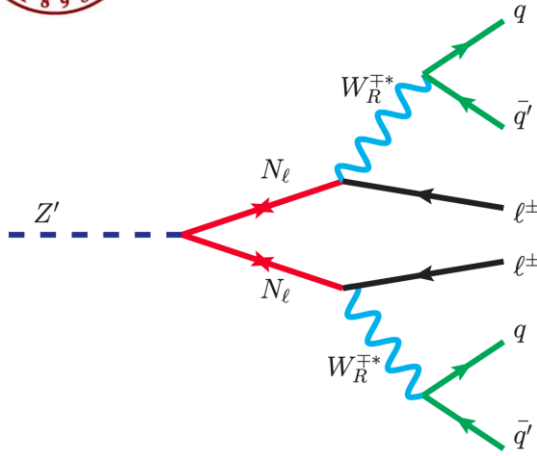
$qq \rightarrow W \rightarrow \ell N$ direct \leftrightarrow VBF t-channel



- HMN: excluded up to $m_N \sim 23$ TeV
- WO: upper limit on eff. mass $|m_{\mu\mu}| \sim C_5^{ll'}$: obs(exp): 10.8(12.8) GeV



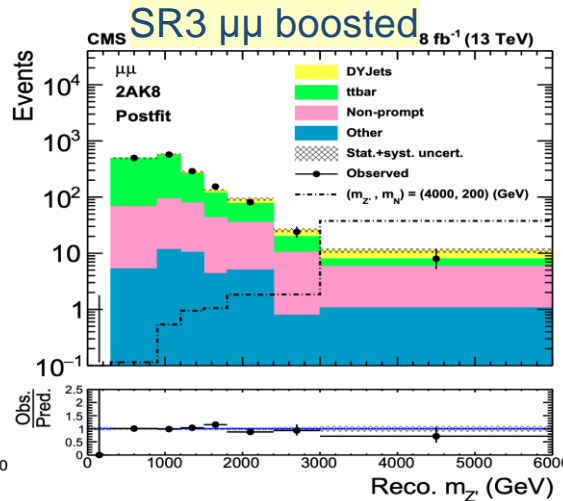
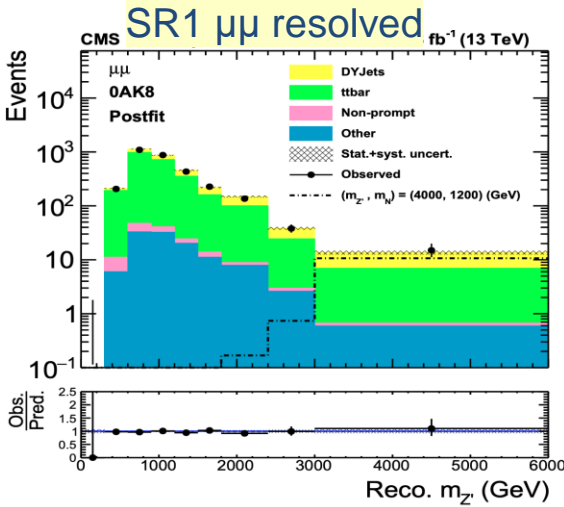
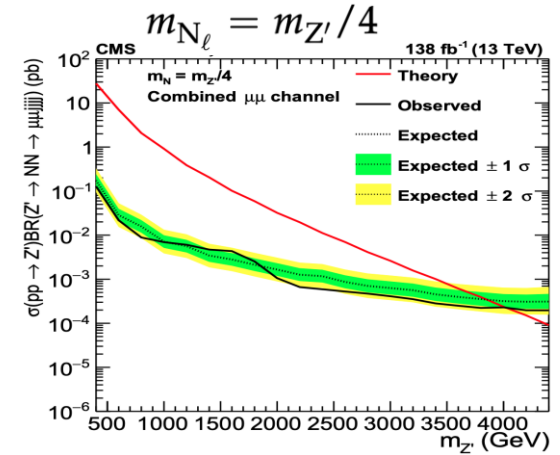
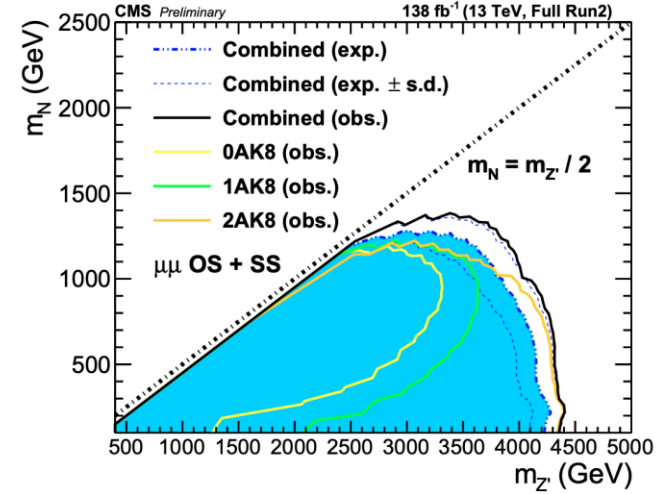
$Z' \rightarrow NN \rightarrow \ell jj \ell jj$ Heavy Majorana Neutrino pair



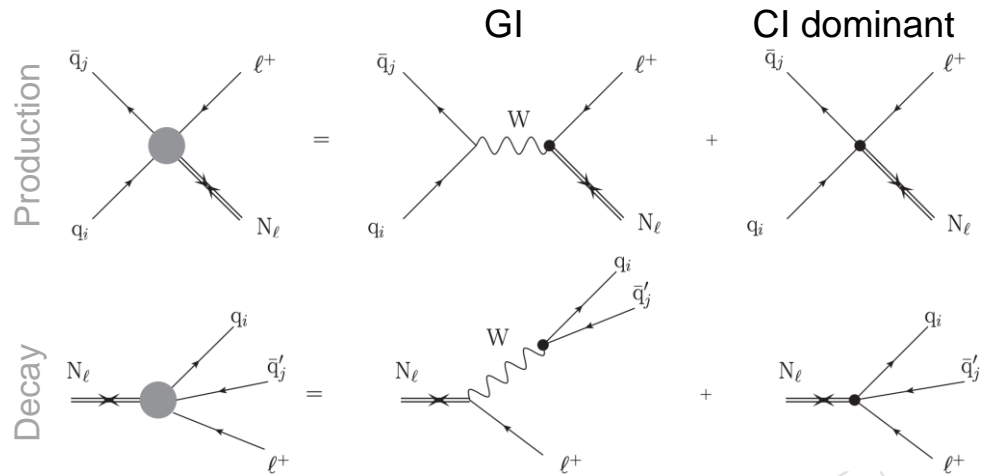
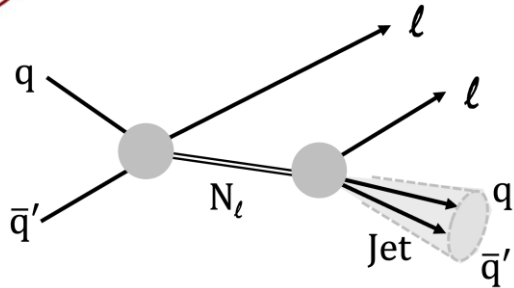
- $ee, \mu\mu$ (OS & SS), $m_{\ell\ell} > 150$ GeV
- Resolved & Boosted probed
- Binning on # of wide AK8 jets:

SR	N(AK8 jet)	N(tight leptons)	N(AK4 jet)
SR1 (0AK8)	= 0	= 2	≥ 4
SR2 (1AK8)	= 1	≥ 1	≥ 2
SR3 (2AK8)	≥ 2	—	—
- Reconstruct N_ℓ as “jjl” and $m_{Z'}$ minimizing $m(jj\ell)$ -asymmetry
- Prediction from $e\mu, m_{\ell\ell}$ SBs

- LRSM: $Z', W_R^\pm, N_{e/\mu/\tau}$
- $m_{N_\ell} < m_{W_R^\pm} = 5$ TeV
- Off-shell W_R^\pm , no mixing



- First search of this type for Run2
- Best direct limits on $m_{Z'}, m_N$ plane

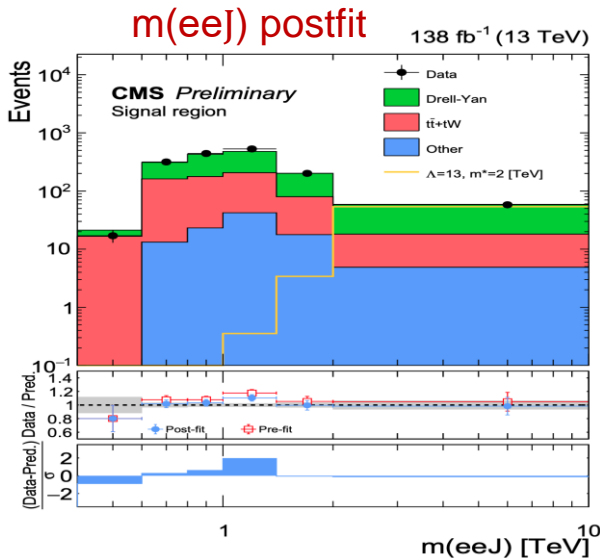


Composite-fermion models

[1510.07988](#), [1707.00844](#), [1810.00374](#), [1903.12285](#)

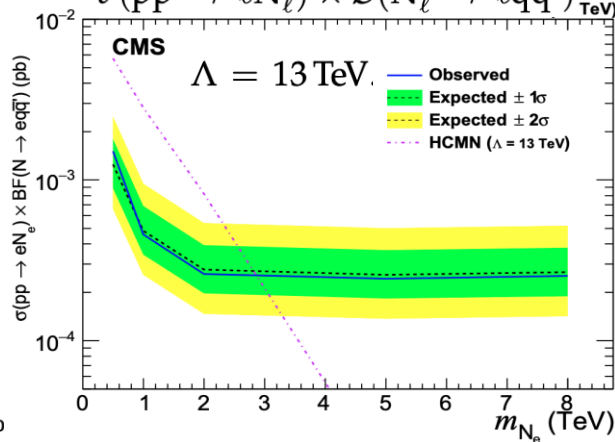
- Excited states of SM fermions
- Effective interactions: gauge (GI) & contact (CI) between ordinary and excited fermions
- $m(N_\ell)$: [500 GeV, Λ]

- $ee, \mu\mu$ (SS&OS), $m(\ell) > 300$ GeV, ≥ 1 wide AK8 jet
- Use $e\mu, m_{\ell\ell}$: 150-300 GeV as CRs
- Fit: $m(\ell\ell)$ constrain separately N_μ, N_e masses

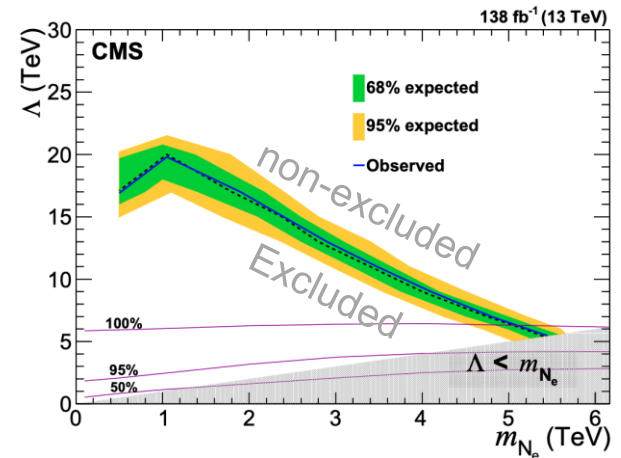


Upper x-sec. limits on:

$$\sigma(pp \rightarrow \ell N_\ell) \times \mathcal{B}(N_\ell \rightarrow \ell q \bar{q}')$$



Limits on $m(N_\ell), \Lambda$ plane



A toolkit for BSM searches: Objects

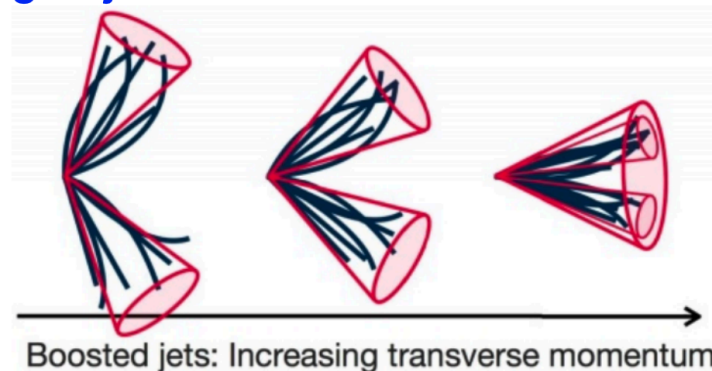
Boosted objects \rightarrow small angular separation \rightarrow merged jets

(W/Z \rightarrow qq; H \rightarrow bb/qqqq/qqlv)

\rightarrow anti-kt clustering

\rightarrow Large-R jets: $\Delta R = \sqrt{(\Delta\phi^2 + \Delta\eta^2)} \approx 2m/p_T$

\rightarrow "groomed" Masses: $M_J \sim M_V \pm 0.2 M_V$



Taggers based on (2-prong) substructure

CMS:

- $T_N =$ N-subjettiness \rightarrow ratios: $T_2/T_1 = T_{21} \rightarrow \tau_N = \frac{1}{d_0} \sum_k p_{T,k} \min \{ \Delta R_{1,k}, \Delta R_{2,k}, \dots, \Delta R_{N,k} \}$
- Decorrelated taggers T_{21}^{DDT}

ATLAS:

- D_2 : 2-point E_{cf} / 3-point E_{cf}
- **TCC-jets** Track-Calo Clusters
also unifying tracker & calo info.

Deep-NN taggers & Image taggers (soon)

MET + lep from Boson:



\rightarrow Reco the W(H) assuming $M_{W(H)} = 80(125)$ GeV

b-jet tagging based on MVA, DNN

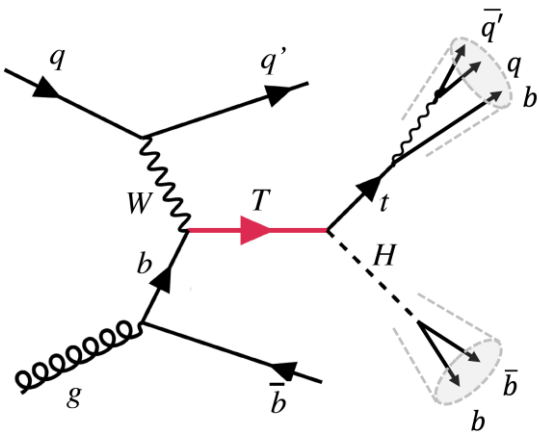
$$D_2^{\beta=1} = E_{\text{CF3}} \left(\frac{E_{\text{CF1}}}{E_{\text{CF2}}} \right)^3$$

$$E_{\text{CF1}} = \sum_i p_{T,i}$$

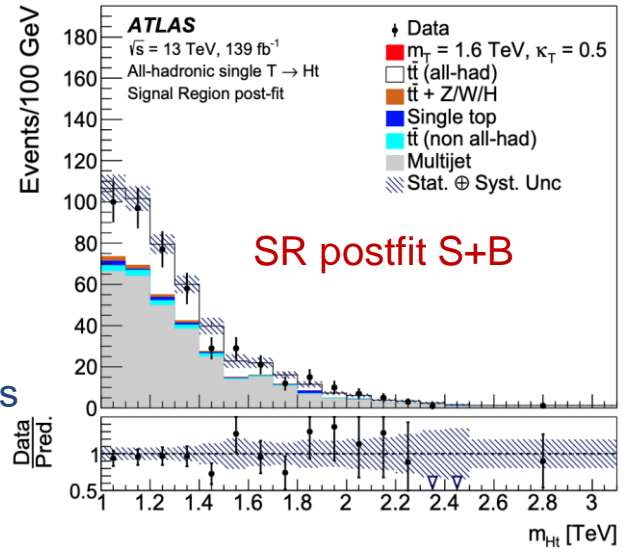
$$E_{\text{CF2}} = \sum_{ij} p_{T,i} p_{T,j} \Delta R_{ij}$$

$$E_{\text{CF3}} = \sum_{ijk} p_{T,i} p_{T,j} p_{T,k} \Delta R_{ij} \Delta R_{jk} \Delta R_{ki}$$

Single Vector-like $T \rightarrow Ht \rightarrow (bb)(bqq)$ boosted

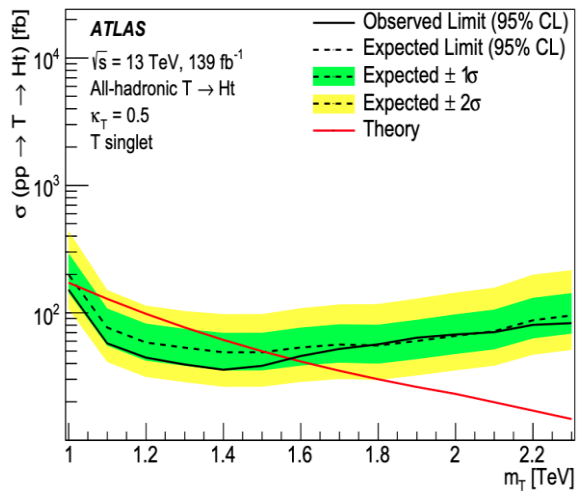


- 2 wide jets ($R=1.0$)
- Tagging with:
 - H: m_j : 100-140 GeV, T_{21}
 - t: m_j : 140-225 GeV, DNN
 - b: RTrack, DL1 (DNN)
- Classification 81 categories based on: "H, t, other" & "0b, 1b, 2b" jets \rightarrow SR, VR, NR
- Search over $m_{jj} \rightarrow$ QCD & tt, data-driven pred.

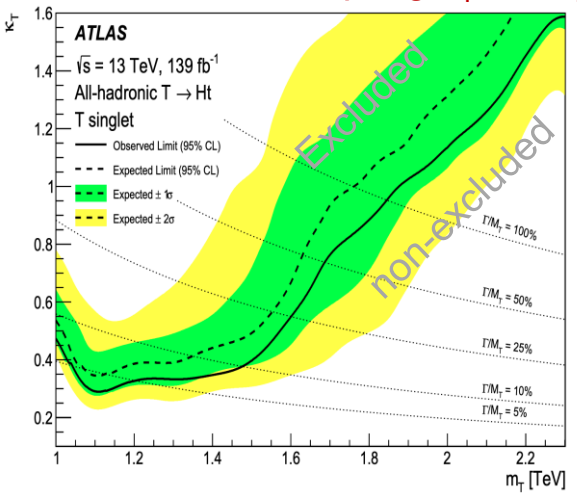


- T assumed to couple to 3rd gen.
- Here: $BR_{T \rightarrow Ht} = 1/4$, $m_T > 1\text{TeV}$
- κ_T controls production coupling

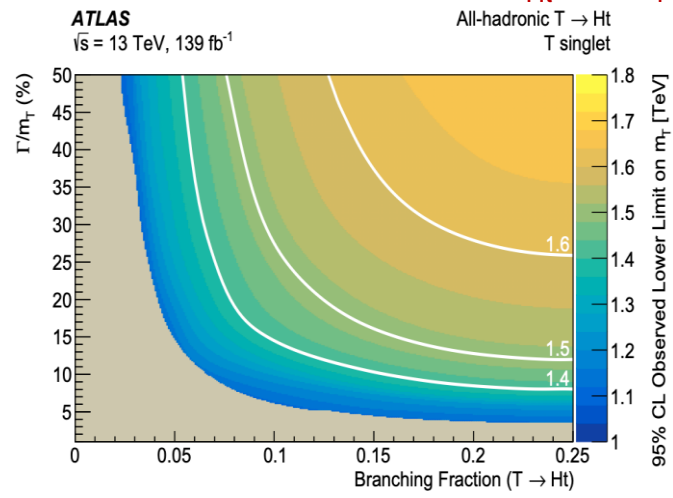
Limits on x-sec. for $\kappa_T = 0.5$



Constraints on coupling κ_T vs m_T



Obs. limit on x-sec. vs BR_{Ht} , Γ/m_T



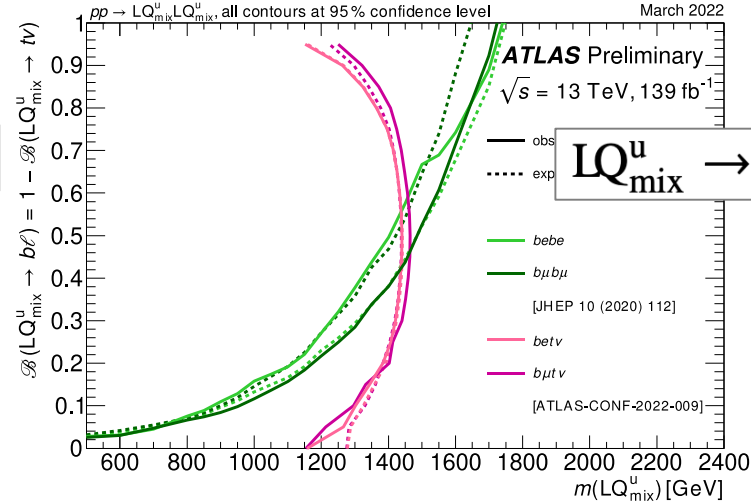
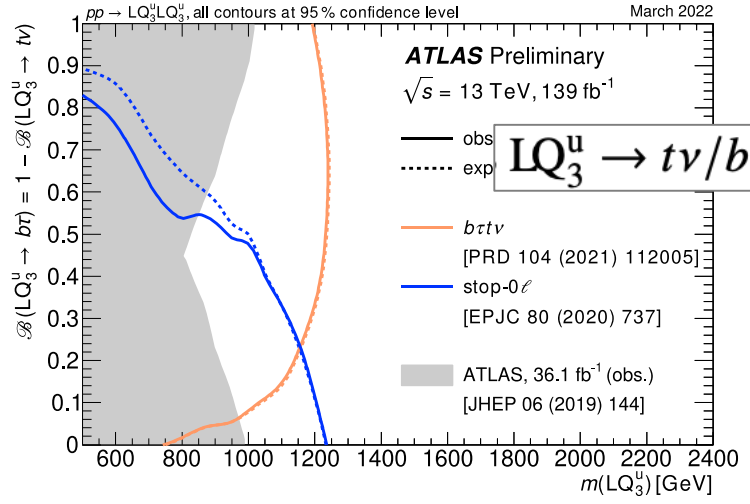
Summary plots for scalar LQ-pairs production

- 4 scenarios; all decays in 3rd gen quarks as final state
- 5 dedicated LQ searched + 2 SUSY searches re-interpretations used → exclusion $m_{LQ} \sim 1.2$ TeV

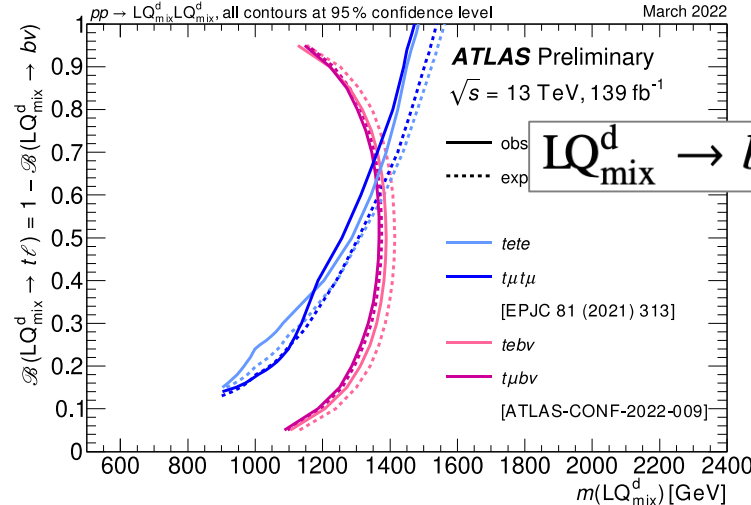
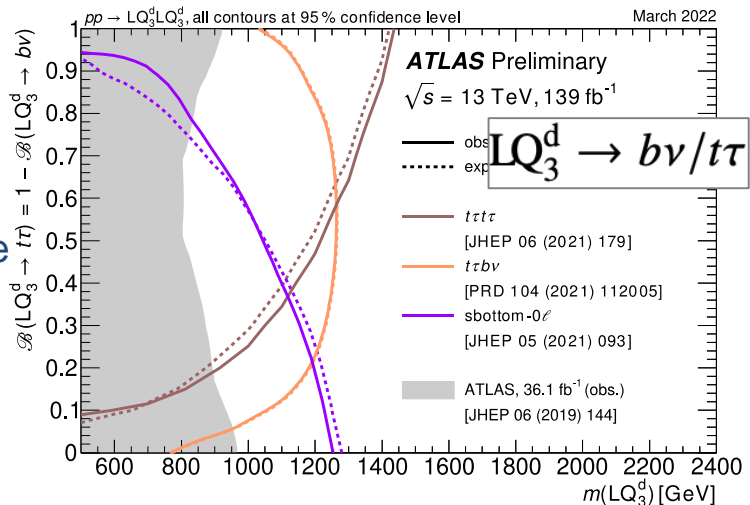
LQ → 3rd gen

LQ → mixed gen

LQ up-type



LQ down-type



Extended (3 branes) Warped ED model

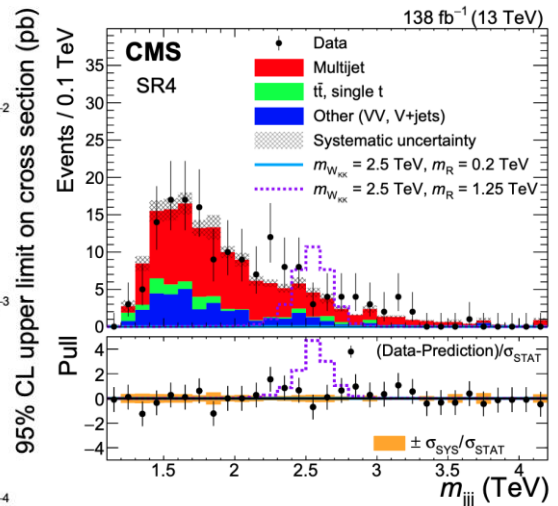
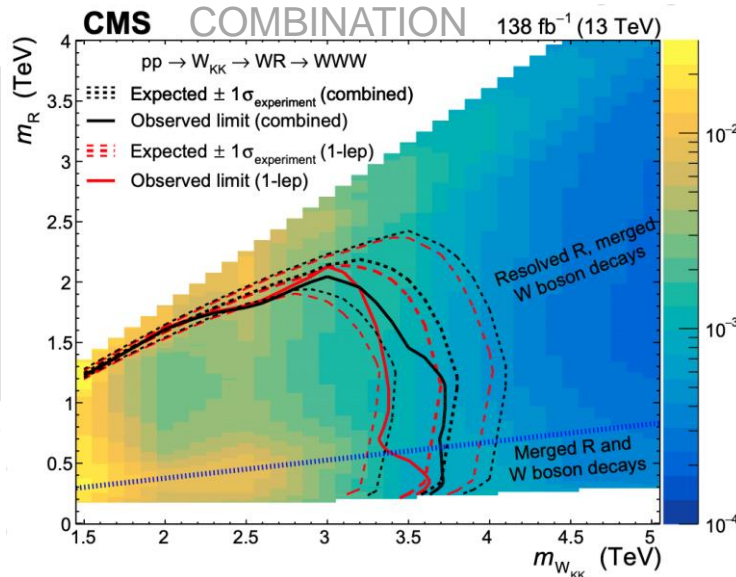
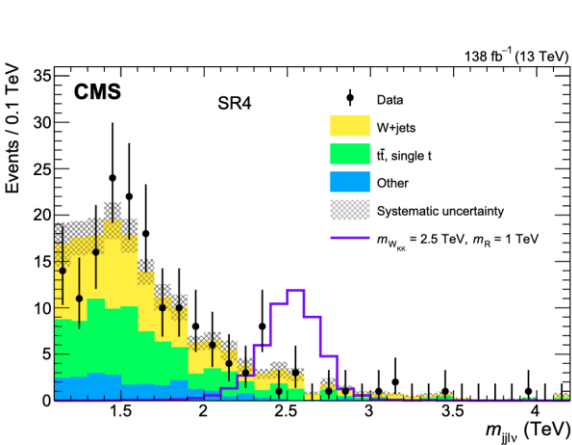
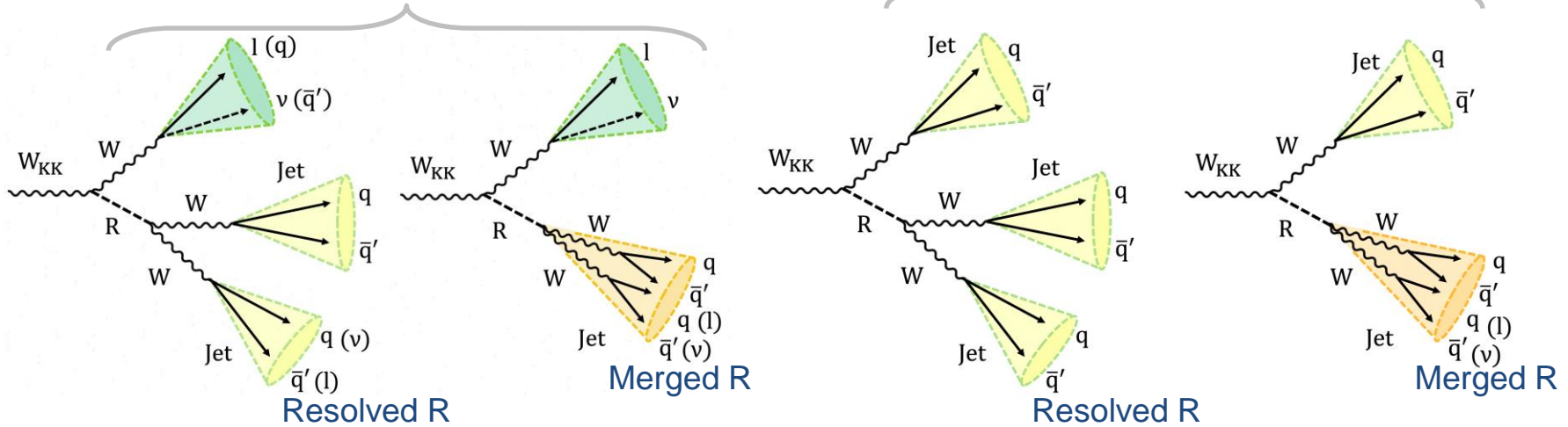
[1711.09920](#), [1612.00047](#), [1809.07334](#)

[B2G-20-001](#)

1-lep + jets

Full-hadronic

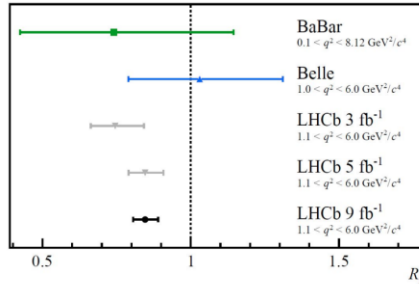
[B2G-21-002](#)



$X \rightarrow LL \rightarrow \geq 3b, \tau\tau/\tau\nu/\nu\nu$ vector-like lep. pair

New results from LHCb showing hints of **lepton flavor universality violation**

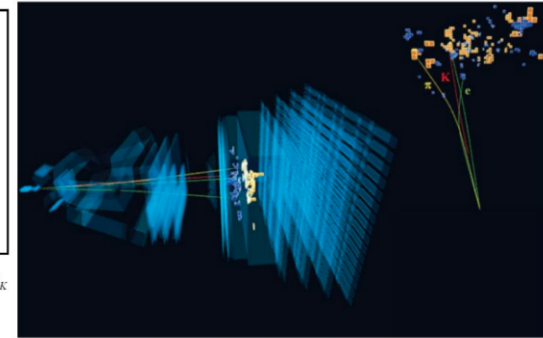
- Difference between **measurement** and **prediction** now at **3.1σ** for R_K
- Interestingly, the **electron** measurement alone is **compatible with SM**, making the **muon** measurement the one that **deviates** in the ratio



Intriguing new result from the LHCb experiment at CERN

The LHCb results strengthen hints of a violation of lepton flavour universality

23 MARCH, 2021

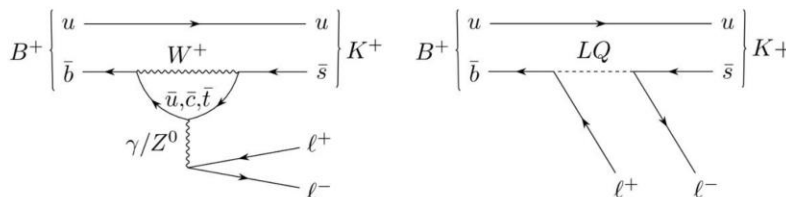


Very rare decay of a beauty meson involving an electron and positron observed at LHCb (Image: CERN)

$$R_K = \frac{\mathcal{B}(B^+ \rightarrow K^+ \mu^+ \mu^-)}{\mathcal{B}(B^+ \rightarrow J/\psi (\rightarrow \mu^+ \mu^-) K^+)} \bigg/ \frac{\mathcal{B}(B^+ \rightarrow K^+ e^+ e^-)}{\mathcal{B}(B^+ \rightarrow J/\psi (\rightarrow e^+ e^-) K^+)}$$

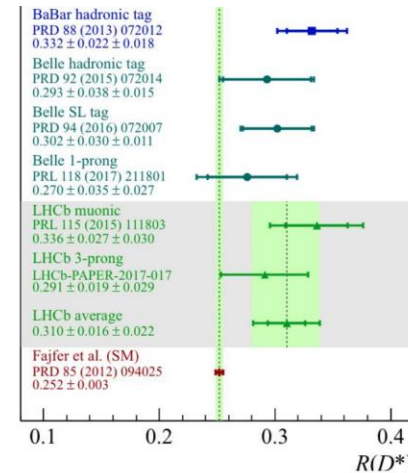
Similar results also present for R_{D^*} measurements

- Deviation from SM at **3.4σ**
- The **tau measurement** is even **further** from SM **compared** to the **muon** channel
- A combined explanation of both anomalies hint to BSM with **yukawa-like structure favoring to third generation families**
- Among the many options, one that provides a combined explanation for both anomalies is the **4321** model, extending the SM sector:
SU(4)xSU(3)xSU(2)xU(1)
- A **Leptoquark (U₁)** is then predicted to exist as the source of **LFV**



$$\mathcal{R}(D^{(*)-}) \equiv \frac{\mathcal{B}(B^0 \rightarrow D^{(*)-} \tau^+ \nu_\tau)}{\mathcal{B}(B^0 \rightarrow D^{(*)-} \mu^+ \nu_\mu)}$$

$$\mathcal{R}(D^{(*)0}) \equiv \frac{\mathcal{B}(B^- \rightarrow D^{(*)0} \tau^- \bar{\nu}_\tau)}{\mathcal{B}(B^- \rightarrow D^{(*)0} \mu^- \bar{\nu}_\mu)}$$

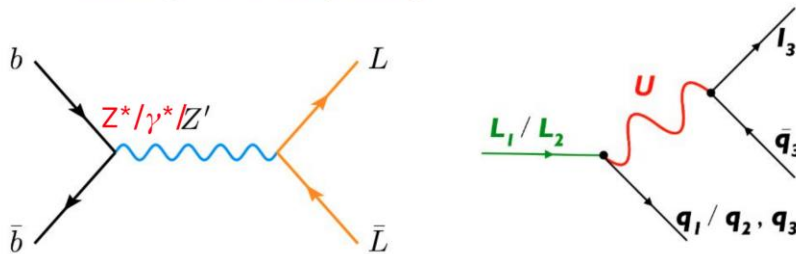


$X \rightarrow LL \rightarrow \geq 3b, \tau\tau/\tau\nu/\nu\nu$ vector-like lep. pair

The SU(4) extension also brings **new families of vector-like fermions**

In this talk: vector-like leptons

- They are produced through **Electroweak** interactions or pair produced with a **Z'**, also required to exist due to **UV completion**
- Coupling to SM fermions through the leptoquark U_1 resulting in a **3-body decay**



The VLL is a multiplet with a neutral (**N**) and charged (**E**) components

- We will focus on **second generation VLLs** coupling to **third generation fermions**
- In the resolved case, all final states contain at least **4 b jets** and a varying number of **taus, neutrinos, and light jets** from top decays

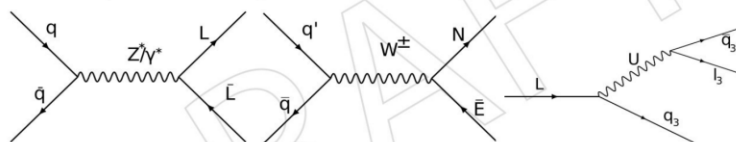


Figure 1: Left and centre: example Feynman diagrams showing production of VLL pairs through s-channel bosons, as expected at the LHC. In these diagrams L represents either the neutral VLL, N, or the charged VLL, E. Right: vector-like lepton decays proceed through their interactions with the vector leptoquark, U, and are primarily to third generation leptons and quarks.

Di Luzio, L., Fuentes-Martin, J., Greljo, A. *et al.* [Maximal flavour violation: a Cabibbo mechanism for leptoquarks](#). *J. High Energ. Phys.* **2018**, 81 (2018).

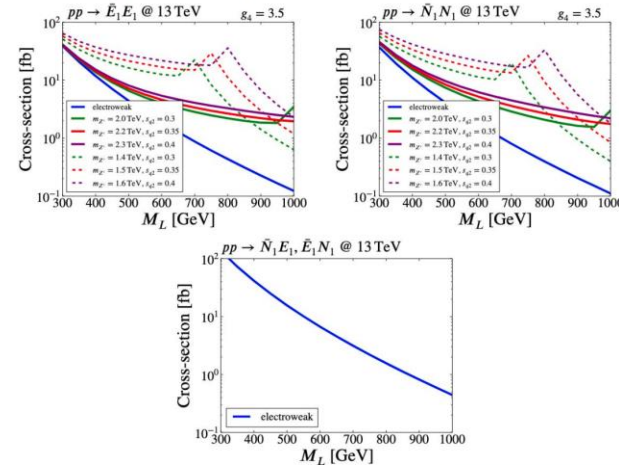
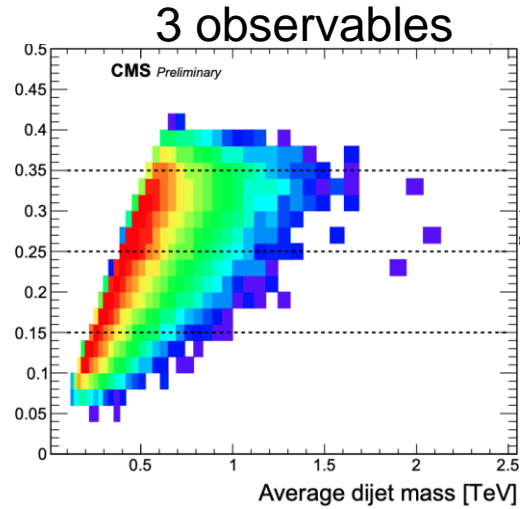
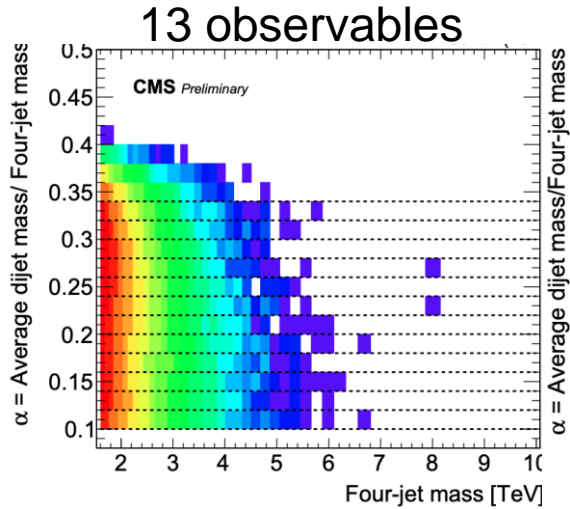


Table 1: Illustrative contributions from different VLL production and decay modes to the 0-, 1-, and 2- τ signal regions. The decay products in parentheses represent the objects coming from the intermediate vector leptoquark, U, in the decay. For brevity, no distinction is made between particles and antiparticles, the multiplicities of each decay mode are not shown, and the impacts of object misidentification are not considered in the table.

tau multiplicity	production + decay mode	final state
0 τ	EE \rightarrow b(ν_τ)b(ν_τ)	4b + 4j + 2 ν_τ
	EN \rightarrow b(ν_τ)t(ν_τ)	4b + 6j + 2 ν_τ
	NN \rightarrow t(ν_τ)t(ν_τ)	4b + 8j + 2 ν_τ
1 τ	EE \rightarrow b(b τ)b(ν_τ)	4b + 2j + τ + ν_τ
	EN \rightarrow b(ν_τ)t(b τ)	4b + 4j + τ + ν_τ
	EN \rightarrow b(b τ)t(ν_τ)	4b + 4j + τ + ν_τ
	NN \rightarrow t(b τ)t(ν_τ)	4b + 6j + τ + ν_τ
2 τ	EE \rightarrow b(b τ)b(b τ)	4b + 2 τ
	EN \rightarrow b(b τ)t(b τ)	4b + 2j + 2 τ
	NN \rightarrow t(b τ)t(b τ)	4b + 4j + 2 τ



$(\Upsilon) \rightarrow XX \rightarrow (jj)(jj)$ paired di-jets



$$\Delta R = |(\Delta R_1 - 0.8)| + |(\Delta R_2 - 0.8)|$$

$$\Delta R_1 = \sqrt{(\eta_{j_a} - \eta_{j_b})^2 + (\phi_{j_a} - \phi_{j_b})^2} < 2.0$$

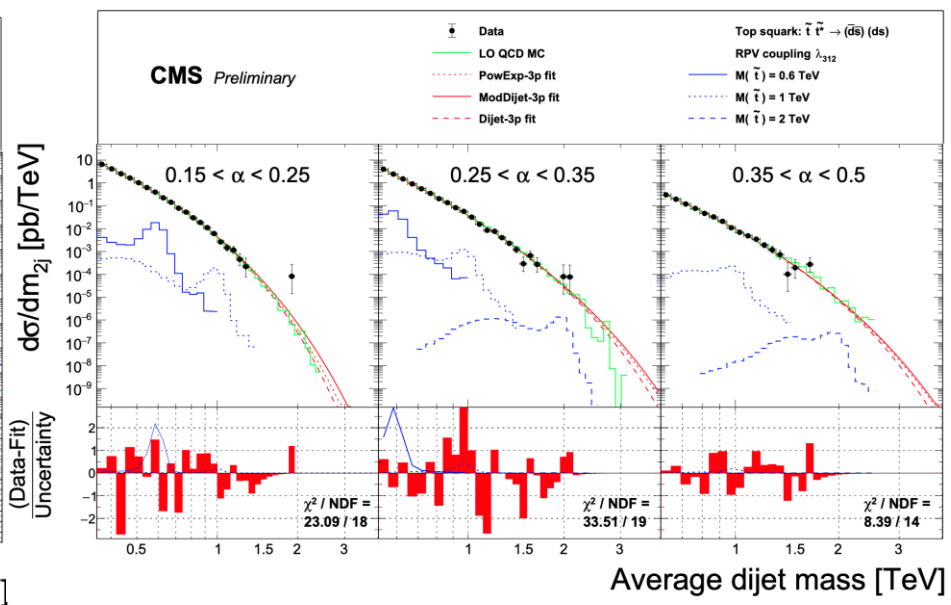
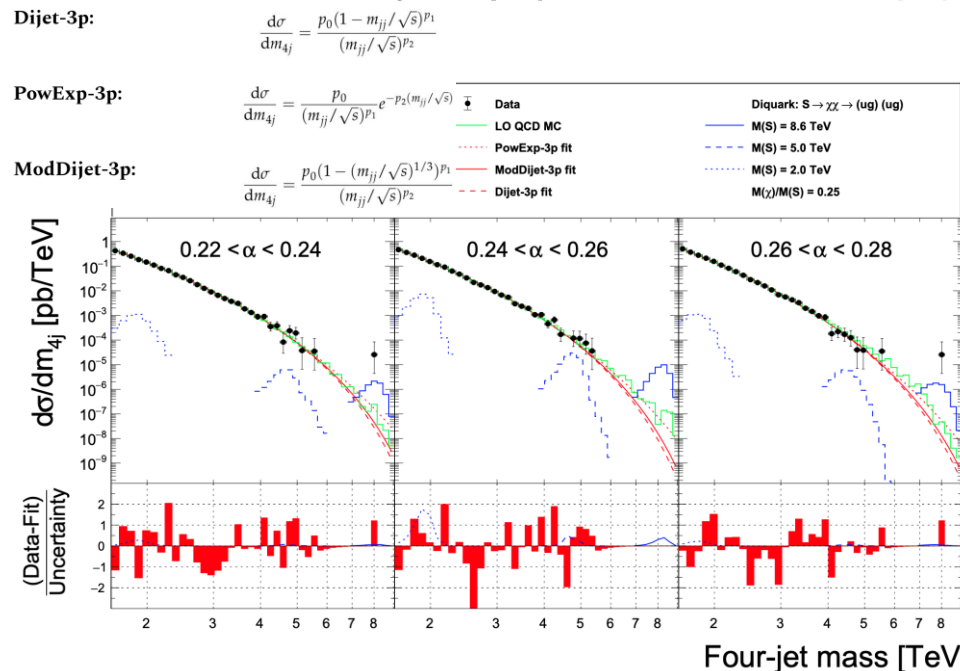
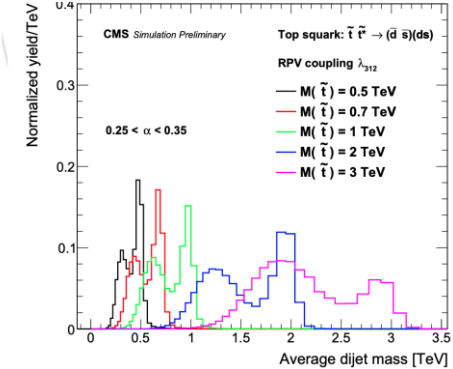
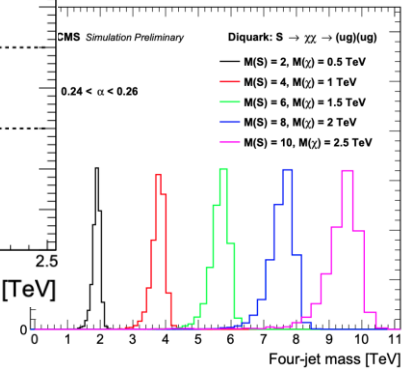
$$\Delta R_2 = \sqrt{(\eta_{j_c} - \eta_{j_d})^2 + (\phi_{j_c} - \phi_{j_d})^2} < 2.0$$

$$\Delta \eta = |\eta_1 - \eta_2| < 1.1$$

$$\text{asymmetry} = \frac{|m_1 - m_2|}{m_1 + m_2} < 0.1$$

$$\bar{m}_{jj} = (m_1 + m_2)/2$$

$$\alpha = \bar{m}_{jj}/m_{4j}$$



Introduction: Physics Background

→ Neutrino masses:

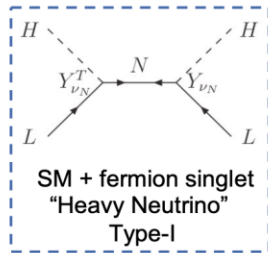
- ❖ Confirmed by neutrino oscillation experiments
- ❖ Not included in the SM

→ Why no neutrino mass mechanism in the SM?

- ❖ $SU(2)_L \times U(1)_Y$ EW symmetry & only Dimension-4 operators in Lagrangian
- ❖ Economical particle content:
 - Only left-hand neutrinos, Dirac mass is thus forbidden.

→ To generate neutrino masses, one must go beyond the SM:

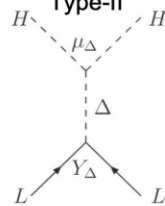
❖ Potential BSM particle solution: Seesaw models



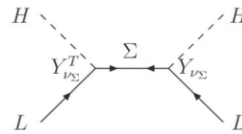
SM + fermion singlet
"Heavy Neutrino"
Type-I

BSM Model for
This analysis

SM + scalar triplet
"Secondary Higgs"
Type-II



SM + fermion triplet
Type-III



Why named as Seesaw?
The heavier BSM particle is,
The lighter SM neutrino will be!



Phys.Rev.Lett. 43 (1979) 1566-1570

❖ EFT solution: Weinberg Operator

Majorana Mass: Weinberg Operator
the unique dimension-5 extension to the SM gives a neutrino mass without any new fields in the theory

F. Tanedo

$$\frac{1}{\Lambda} \left[\begin{matrix} 1/2 \\ \bar{L} \end{matrix} \cdot \begin{matrix} -1/2 \\ \tilde{H} \end{matrix} \right]^2 \rightarrow \frac{\langle h \rangle^2}{\Lambda} \bar{\nu}_L \nu_L + \dots$$

HYPERCHARGE MASS
 $(\bar{\nu}_L \ e_L)$ $\frac{1}{\sqrt{2}} \begin{pmatrix} h \\ -\varphi \end{pmatrix}$
 SU(2)_L MULTIPLETS

THIS IS SOME HEAVY SCALE THAT GENERATES THE WEINBERG OPERATOR
 WEINBERG, PHYS. REV. LETT. 43, 1566 (1979)

$$\mathcal{L}_5 = \frac{C_5^{\ell\ell'}}{\Lambda} [\Phi \cdot \bar{L}_\ell^c] [L_\ell \cdot \Phi]$$

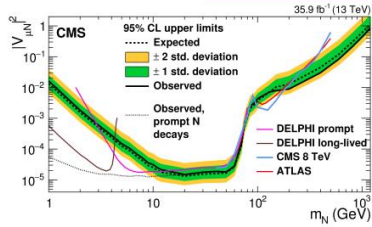
$$\sqrt{2}\Phi \approx v + h$$

$$\mathcal{L}_5 = -\frac{C_5^{\ell\ell'}}{2\Lambda} h h \bar{\nu}_\ell \nu_\ell - \frac{C_5^{\ell\ell'} v}{\Lambda} h \bar{\nu}_\ell \nu_\ell - \frac{C_5^{\ell\ell'} v^2}{2\Lambda} \bar{\nu}_\ell \nu_\ell + \text{H.c.}$$

Experimental perspective of Seesaw Type-I

→ Type-I Seesaw model & Heavy neutrinos has been widely probed in different collider facilities

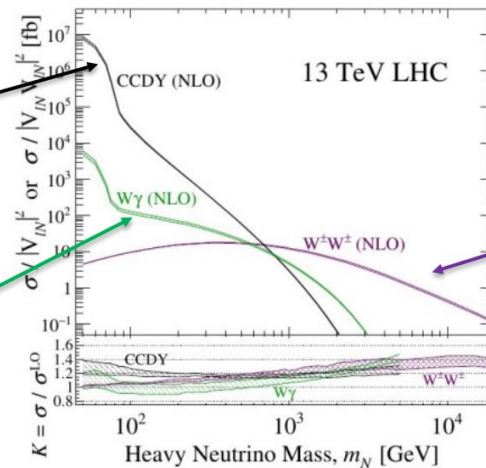
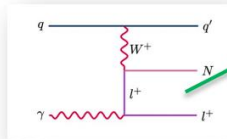
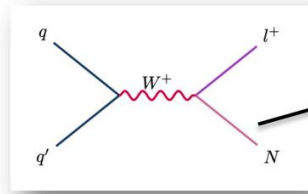
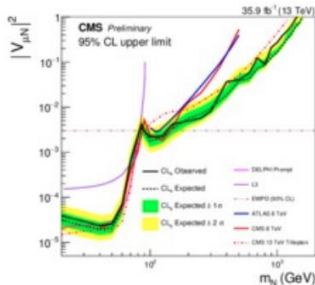
❖ In CMS there are joint efforts in the past ten years. ([Sihyun @ EXO Workshop](#))



World best limit from CMS 2016 analysis!

Upper: EXO-17-012: Tripleton

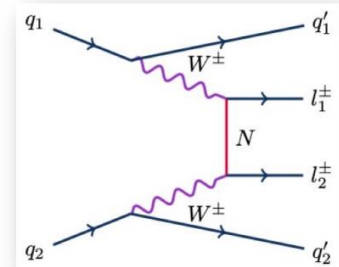
down: EXO-17-028: Same-Sign Lepton + 2 jets



[Phys. Rev. D 103, 055005](#)

Newly proposed approach:

The t-channel production have more sensitivity at higher mass phase space



Traditional heavy neutrino hunting strategy: S-channel production

- Pros: Larger cross section in the mass window, high sensitivity
- Cons: Cross section drops sharply when **away** from mass window, low sensitivity

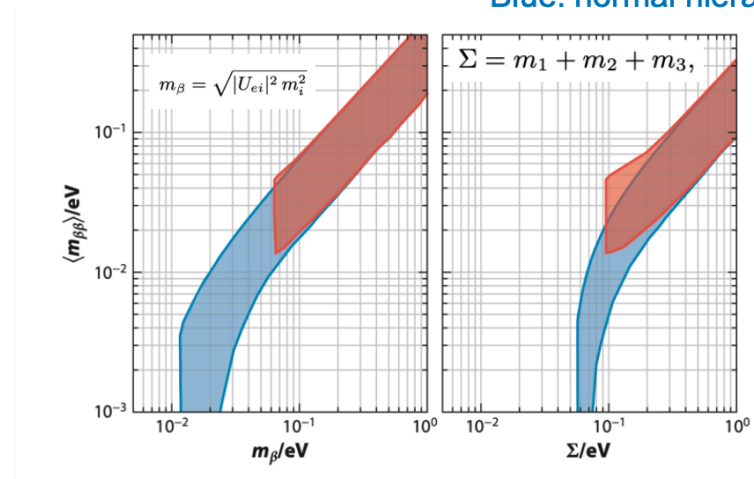
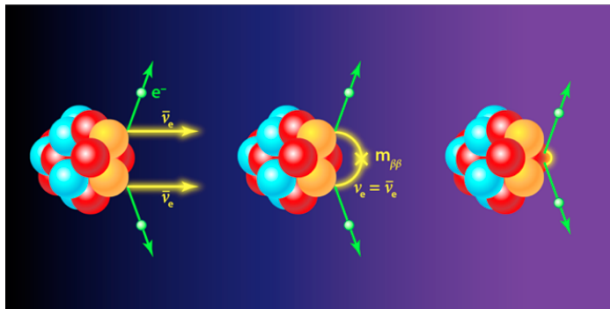
Motivation 1:

Make use of the VBF t-channel production of heavy neutrinos to enhance the sensitivity at higher mass region.

Experimental perspective of Weinberg Operator

- Weinberg Operator (WO) has been applied as the theoretical background of neutrino experiments in the context of nuclear physics.
- ❖ Weinberg operator offers Majorana mass to SM neutrinos, thus is suitable for neutrino less double beta decay ($0\nu\beta\beta$) experiments
 - Stringent limits are obtained for electron channel

Red: inverted hierarchy
Blue: normal hierarchy



Annu. Rev. Nucl. Part. Sci. 2019. 69:219–51

- ❖ However, bounded by typical energy scale, nuclear experiments cannot provide hints for 2 or 3 generations. Must turn to collider experiment for help!

Experimental perspective of Weinberg Operator

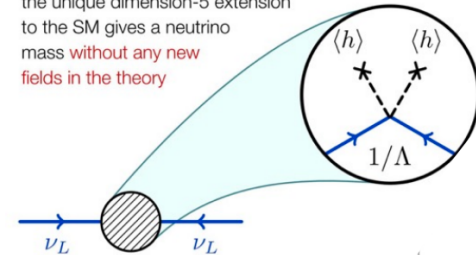
→ Here lies the abyss: Monte Carlo issue for WO simulation

- ❖ Head-on neutrino lines appears and makes it hard for Monte Carlo generation;
- ❖ Newly proposed solution: [Phys. Rev. D 103, 115014](#)
 - ▶ Approximate head-on lines with a Majorana fermion line

$$\begin{array}{c}
 \nu_\ell(p) \quad \nu_{\ell'}^c(-p) \\
 \longrightarrow \quad \longleftarrow \\
 p \quad \quad \quad -p
 \end{array}
 = \frac{i\not{p}}{p^2} \frac{-iC_5^{\ell\ell'} v^2}{\Lambda} \frac{i\not{p}}{p^2} = \frac{im_{\ell\ell'}}{p^2}$$

Majorana Mass: Weinberg Operator

the unique dimension-5 extension to the SM gives a neutrino mass **without any new fields in the theory**



→ Thus, collider search for WO becomes achievable

- ❖ Typical **process**: VBF same-sign muon production

Wilson Coefficients

$$\mathcal{L}_5 = \frac{C_5^{\ell\ell'}}{\Lambda} [\Phi \cdot \bar{L}_\ell^c] [L_{\ell'} \cdot \Phi] + \text{H.c.}$$

→ SM Higgs Doublet q_1
→ SM Lepton l_1^\pm
→ High order terms ν_1
→ EFT Scale q_2

$v = \sqrt{2}\langle\Phi\rangle \approx 246 \text{ GeV}$ Higgs vev
→ Effective Majorana Mass $m_{\ell\ell'} = C_5^{\ell\ell'} v^2 / \Lambda$

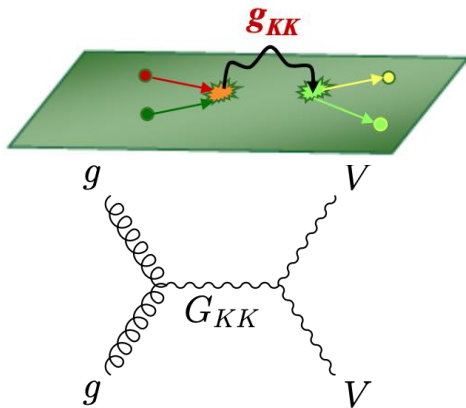
Motivation 2:

Probing Weinberg Operator with VBF same-sign di-muon production
 Put limits to EFT Wilson Coefficient and thus effective neutrino mass

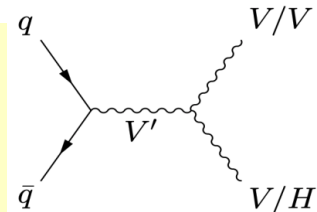
Motivation for a Diboson search

- SM shortcomings indicate some kind of New Physics (Hierarchy, Unific. DM, DE)

1. (Bulk RS) Warped ED,
 spin-0 Radion ($kr\pi = 35, \Lambda_R = 3 \text{ TeV}$)
 spin-2 Bulk Graviton ($\sim k = 0.5, 1.0, \dots$)

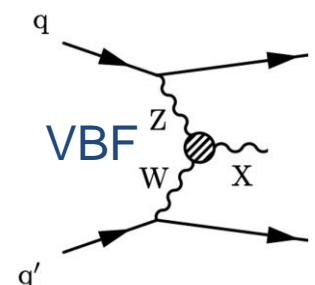
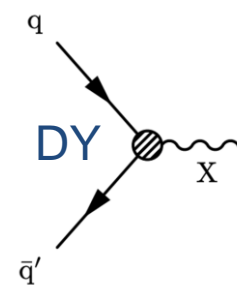
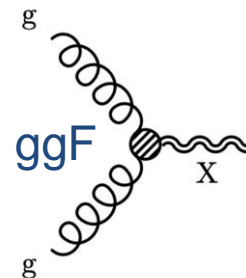


2. Heavy vector triplet (HVT)
 spin-1 Z', W' , coupling with SM
 \rightarrow Models A, B, C



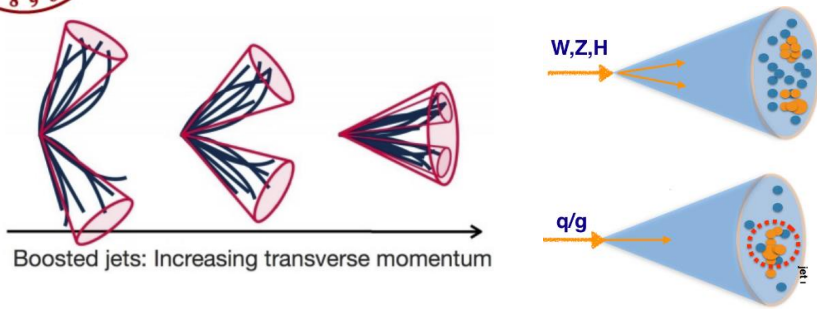
- 3. Little Higgs models
- 4. Two Higgs doublets models (MSSM)
- 5. Extended WED models ($V_{KK} \rightarrow RV$)
- 6. Technicolor models

- Predict heavy bosons at TeV
- 3 production modes:
- Decay modes include VV, VH





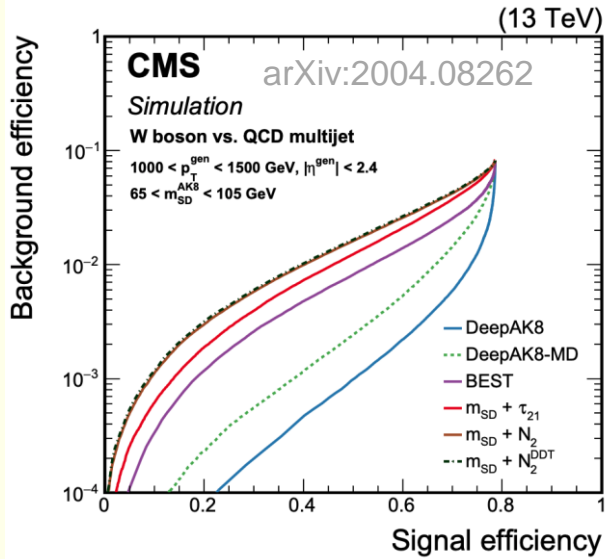
Boson tagging as boosted jets



1. Use large-R (radius param.) jets
2. Clustering with anti- k_T ;
3. soft-drop or trimmed jet mass
4. substructure, energy-flow, jet shape observables



Various substructure techniques
 Most advanced available: deep-AK8
 → classification to 17 jet categories
 → flexibility forming modular taggers

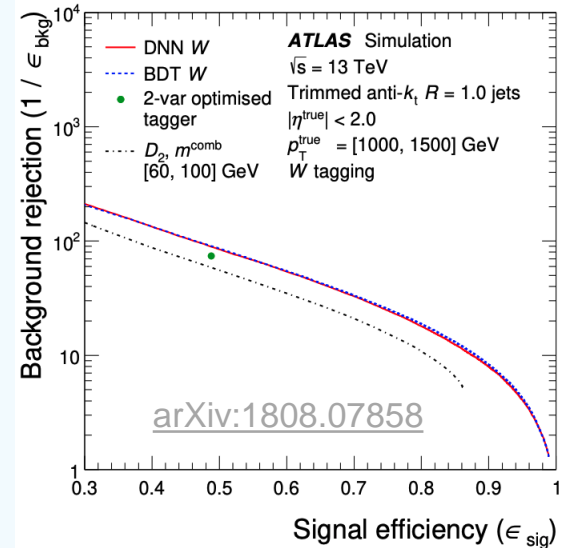


N-subjettiness τ_{21} or τ_{21}^{DDT} alternative



Track-Calo Cluster (TCC) jets
 (utilize tracker & calo info)

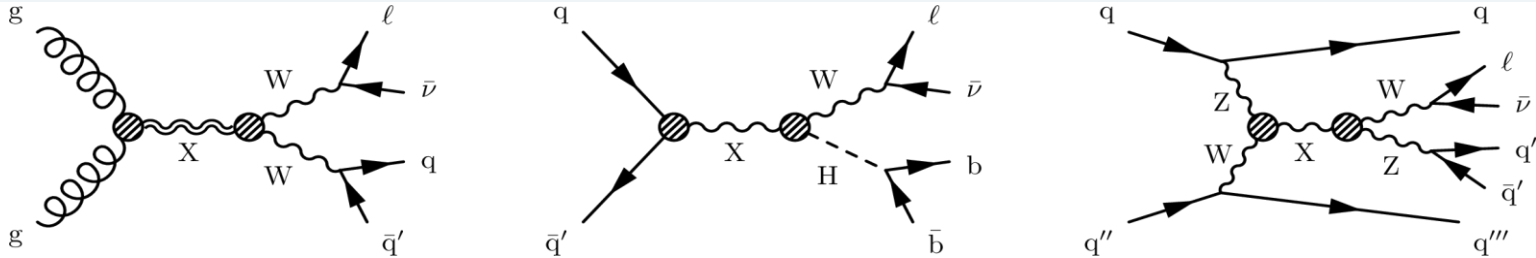
- tagging with BDT and DNN
- subjets' handling with VR track-jets



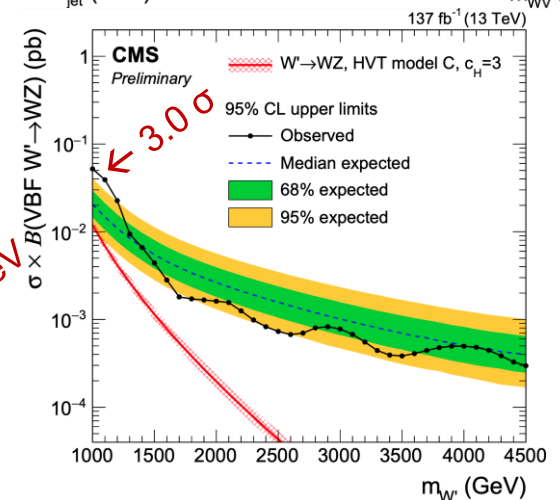
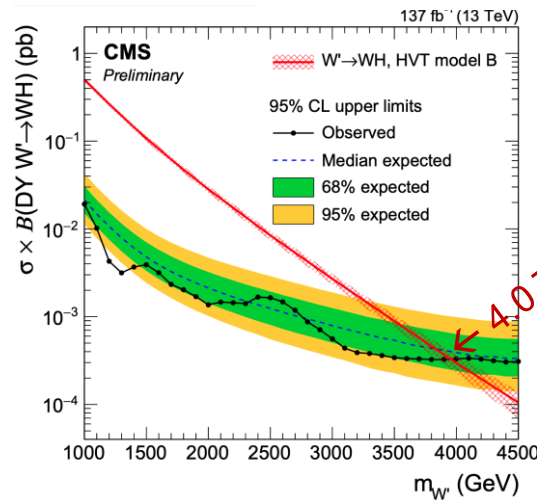
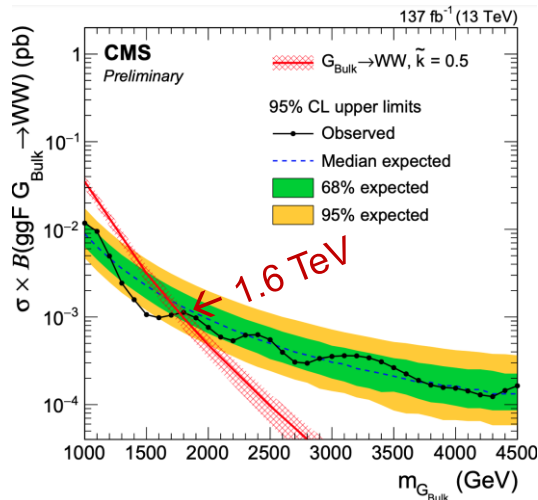
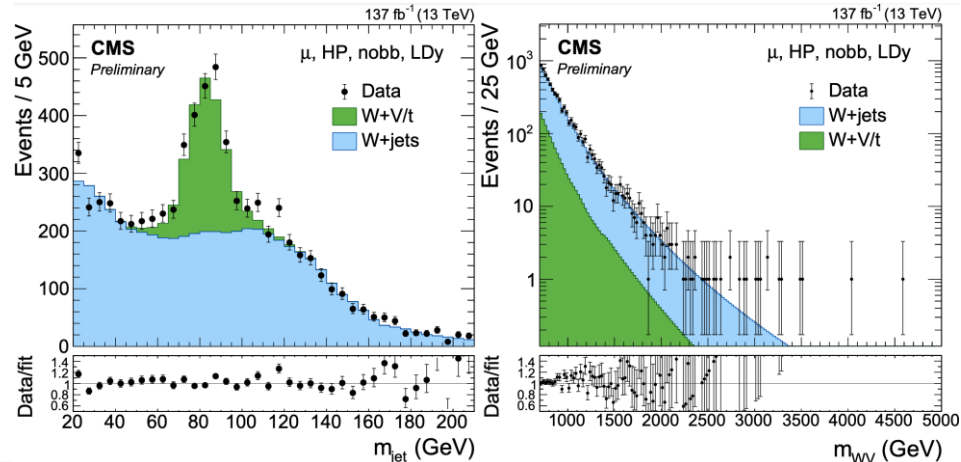
D_2 : 2-point E_{cf} / 3-point E_{cf}



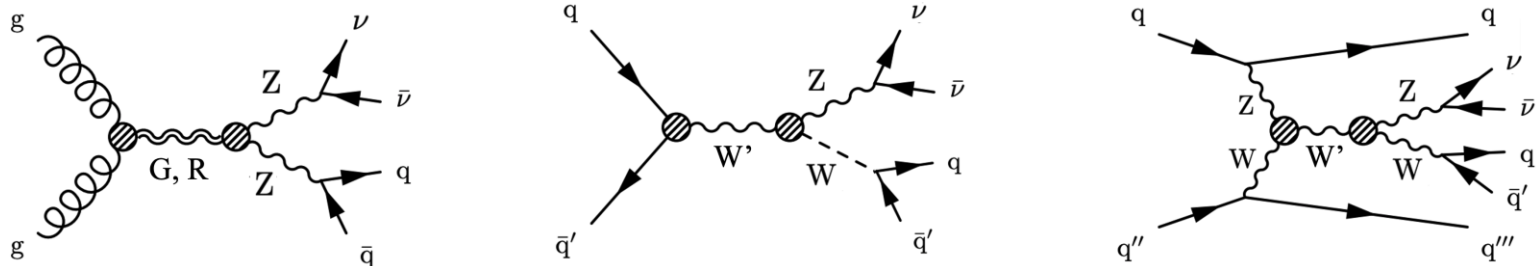
$X \rightarrow WV, WH \rightarrow lv qq/bb$



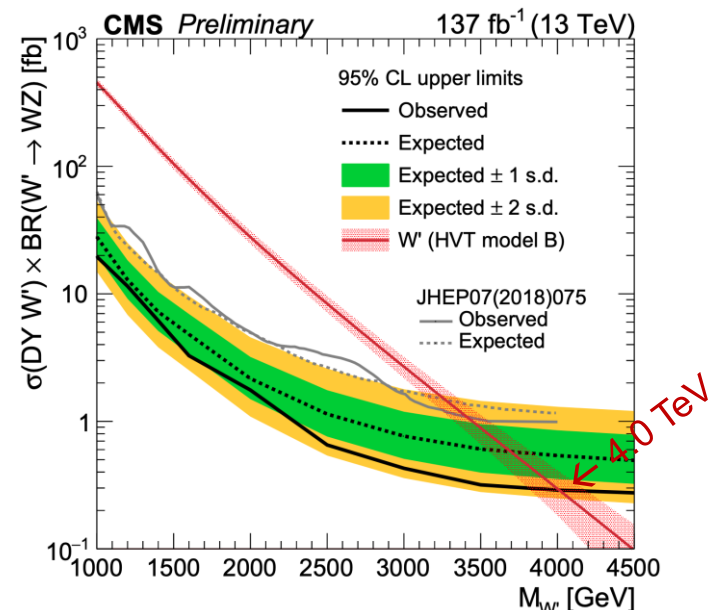
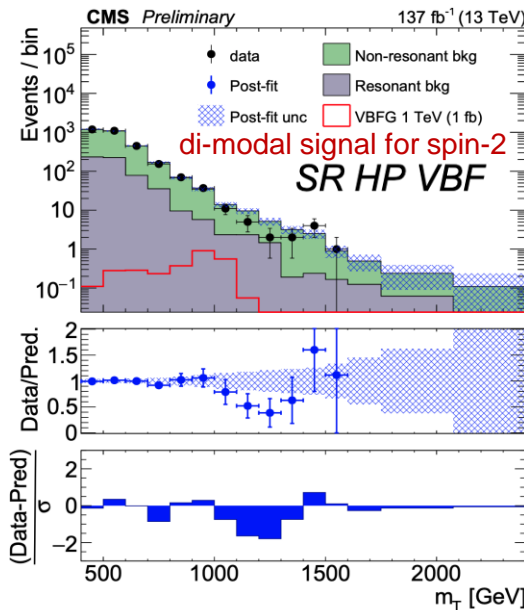
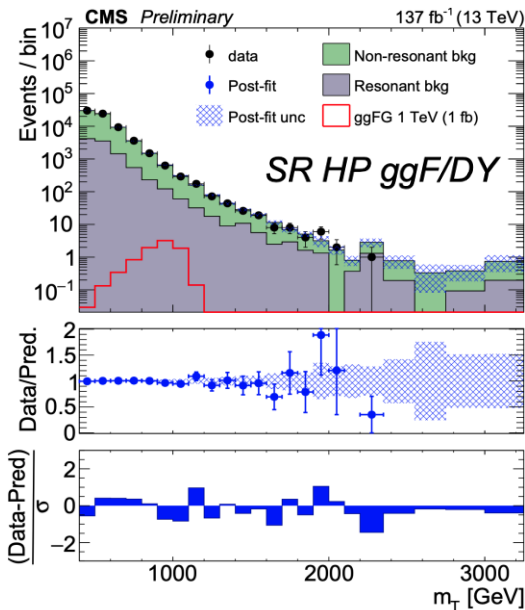
- 2D fit to the m_{Jet}, M_{WV} masses
 - V/H-tagging: τ_{21}^{DDT} , double-b tagger
 - W_{lv}, J , back-to-back
 - 2 forward jets for VBF, 0 b-jets
 - 24 categories based on 4 criteria: e/μ , L/H purity, VBF/bb/nobb, L/H $\Delta y_{J,lv}$
 - BKGs: non-reso (W+jets), reso (tt)
- Prediction with kernel-approach at M_{WV}



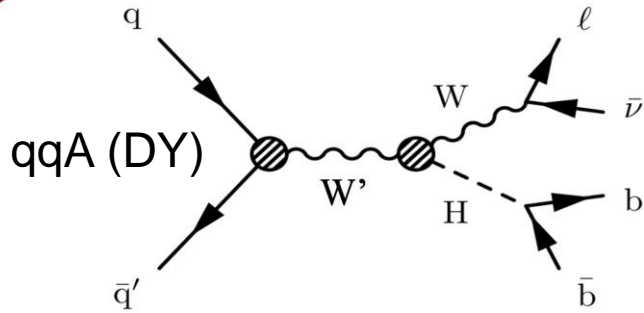
$X \rightarrow ZV \rightarrow \nu\nu qq$



- Use $M_T(J, p_T^{\text{miss}})$ as observable; τ_{21} for V-tagging; veto $b, l, \tau_h, \gamma, p_T^{\text{miss}} \parallel j$ events
- Categorization to 4 sample: VBF, ggF/DY topology $|\Delta\eta_{jj}| < 4, \eta_1\eta_2 < 0, m_{jj} > 500$ GeV
 τ_{21} High/Low purity $\tau_{21} < 0.35, 0.35 < \tau_{21} < 0.75$
- SR: $65 < m_J < 105$ GeV; CR: m_J sideband ($m_J: 30-65, 135-300$ GeV)
- Dominant BKG: W/Z +jets, estimated from the data in CR per M_T bin



$W' \rightarrow WH \rightarrow l\nu bb$

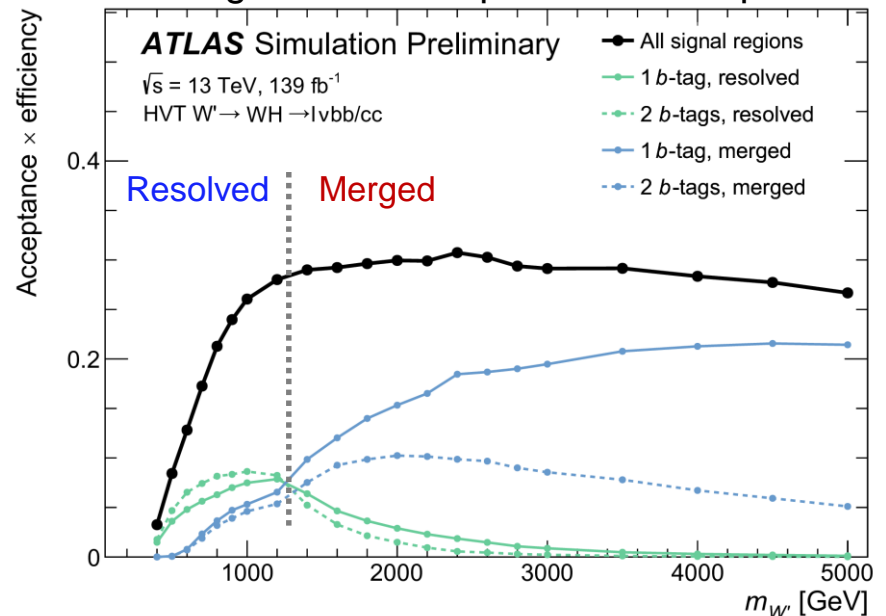


- **1-lep:** e/μ , $E_{T,miss}$
- $W \rightarrow l\nu$ reconstructed by $M_W=80$ GeV constraint
- Higgs reconstructed:
2 small-R jets or 1 large-R jet
- Observable: M_{WH}
- BKG rejection with various mass dependent kinematic selections on: $E_{T,miss}$, M_T , $p_{T,W}$ and more
- BKG: (flavor decomposition)
 - Top
 - W+hf
 - W+hI, W+l

4 categories:

- **Resolved H:** 2 small-R jets ($R=0.4$)
1 or 2 b-tagged jets ($MV2c10$)
 m_{jj} : 110-140 GeV \rightarrow SR; sidebands \rightarrow CR
- **Merged H:** 1 large-R TCC jet ($R=1.0$)
1 or 2 b-tagged VR track-jets
 m_j : 75-145 GeV \rightarrow SR; sidebands \rightarrow CR
- 4 SRs & 4 CRs in total

Signal acc. \times eff. per SR for 1-lep.



Resolved

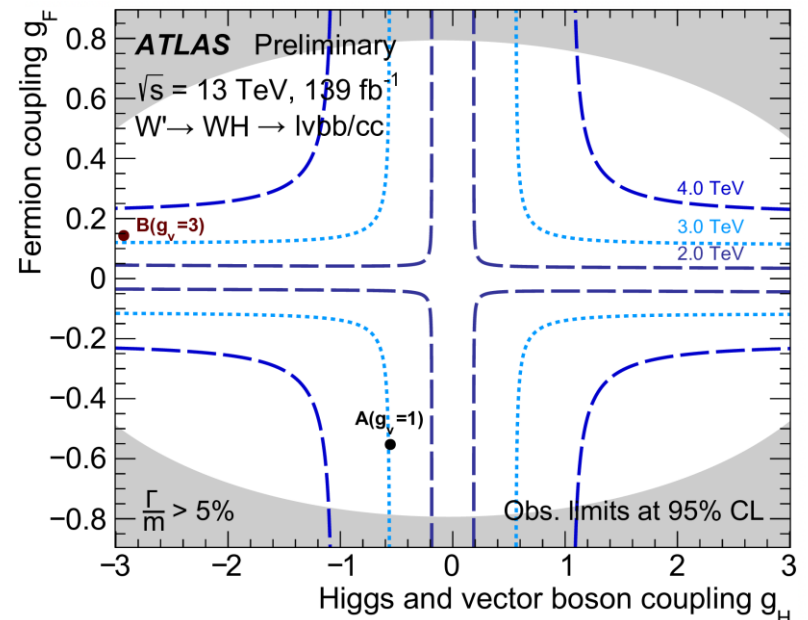
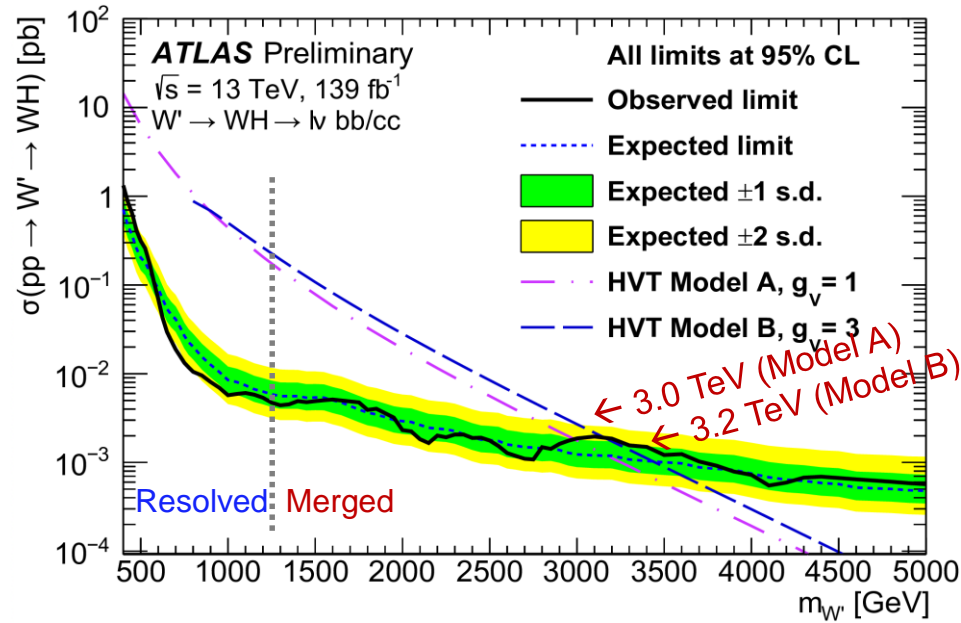
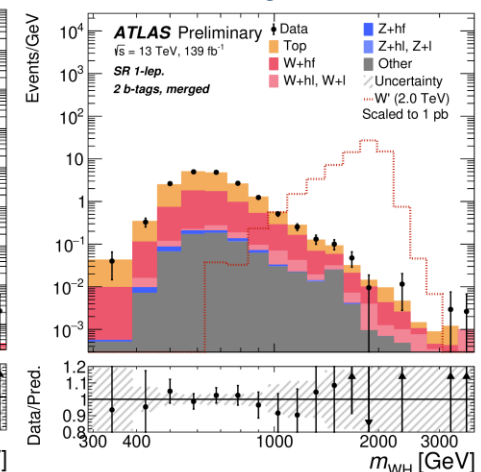
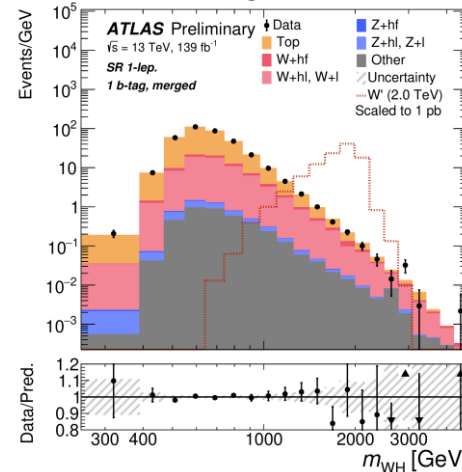
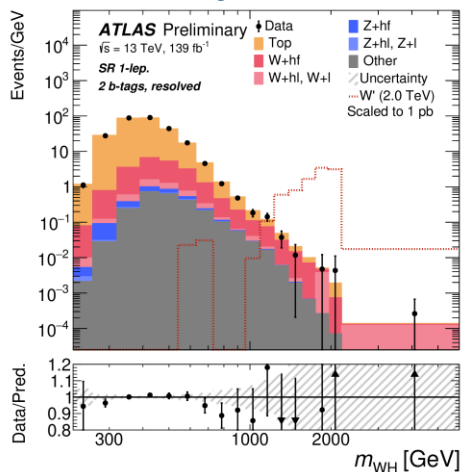
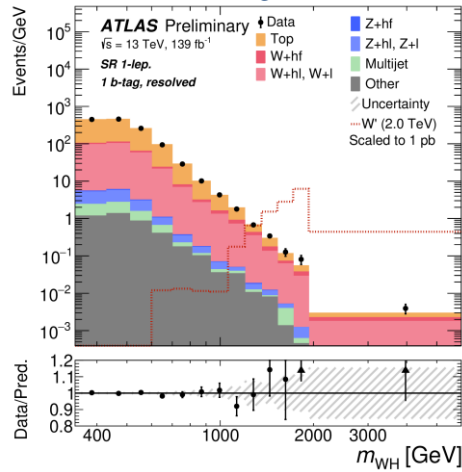
Merged

1b

2b

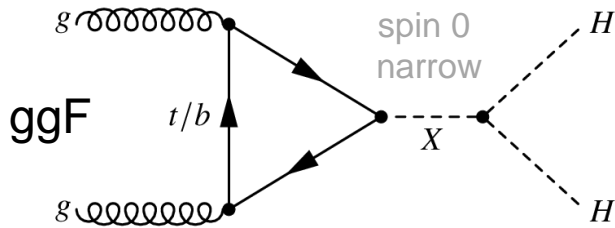
1b

2b



$X \rightarrow HH \rightarrow bb \gamma\gamma$ (Resolved)

MSSM or RS ED



- 2 small-R b-jets ($R=0.4$)
(tagger: DL1r, eff.~77%)

- 2γ , $m_{\gamma\gamma}$: 120-130 GeV SR
sideband \rightarrow CR for fit

- 4-body mass:

$$m_{b\bar{b}\gamma\gamma}^* = m_{b\bar{b}\gamma\gamma} - m_{b\bar{b}} - m_{\gamma\gamma} + 250 \text{ GeV}$$

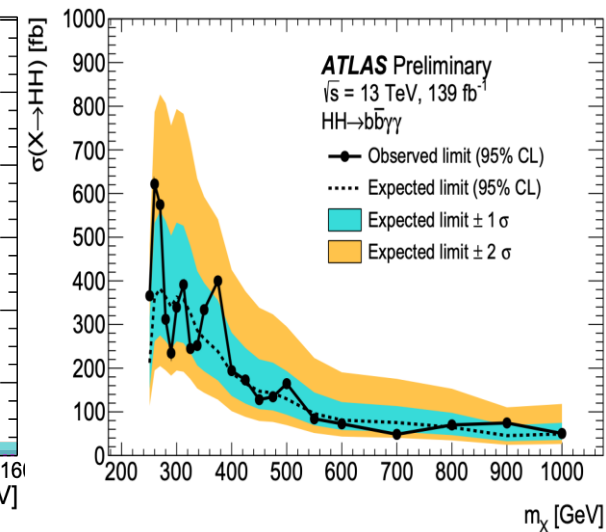
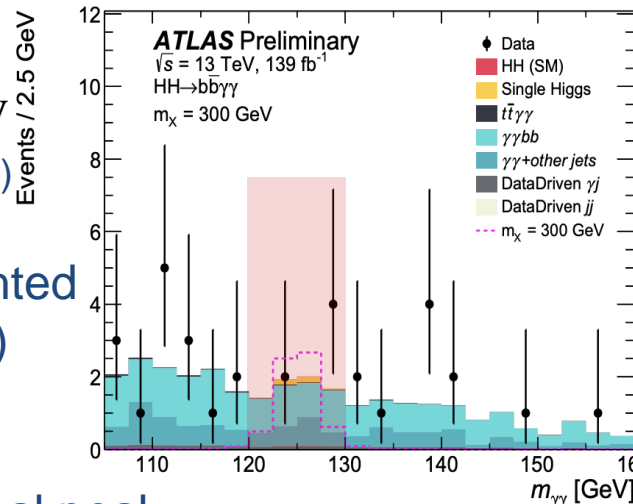
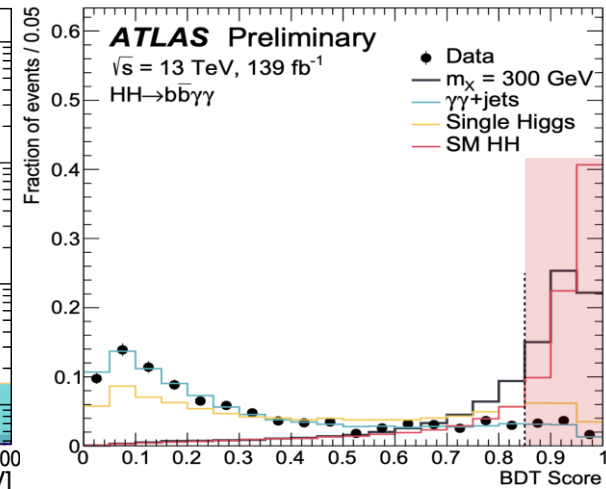
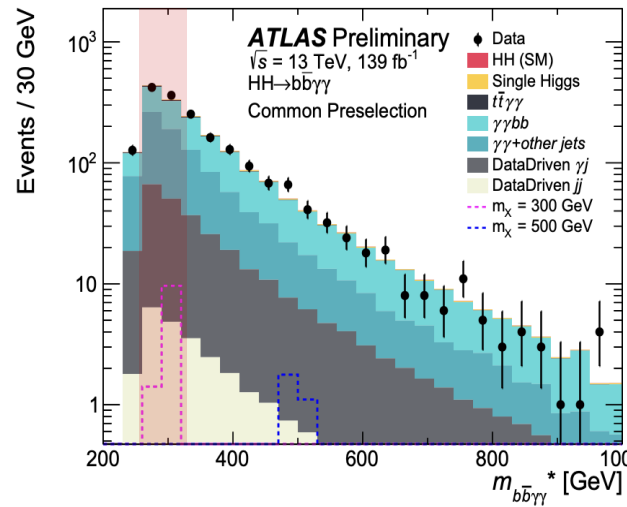
(Canceling detector resolution effects)

- 2 BDTs are combined weighted
(for $\gamma\gamma$ +jets, single-H BKGs)

- Search by:

\rightarrow slicing $m_{b\bar{b}\gamma\gamma}^*$ around signal peak

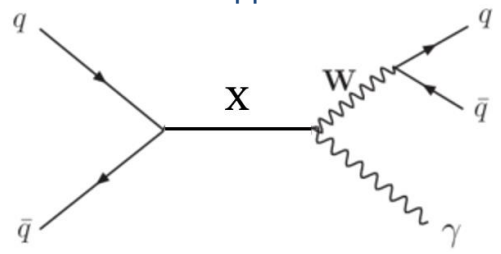
\rightarrow fitting analytic function at $m_{\gamma\gamma}$



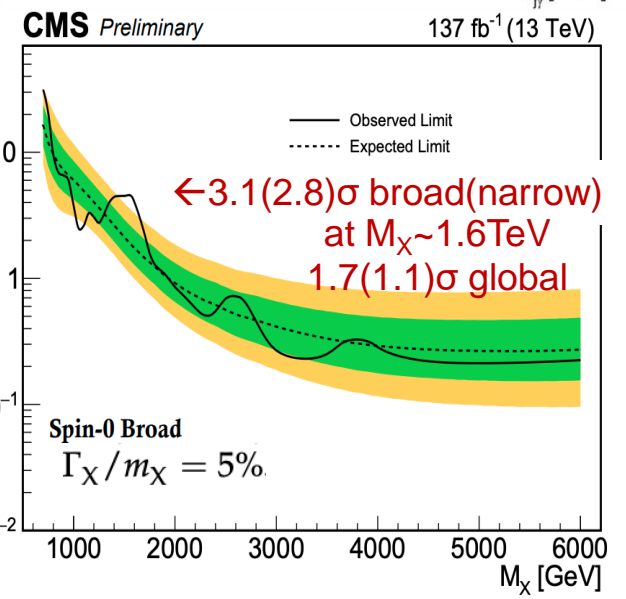
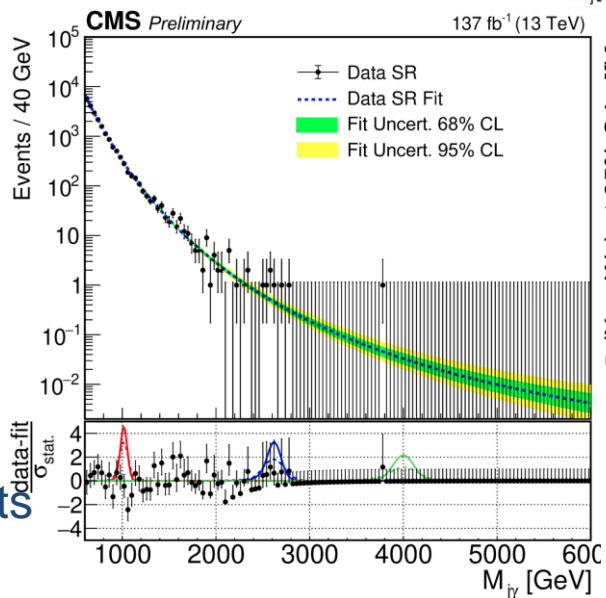
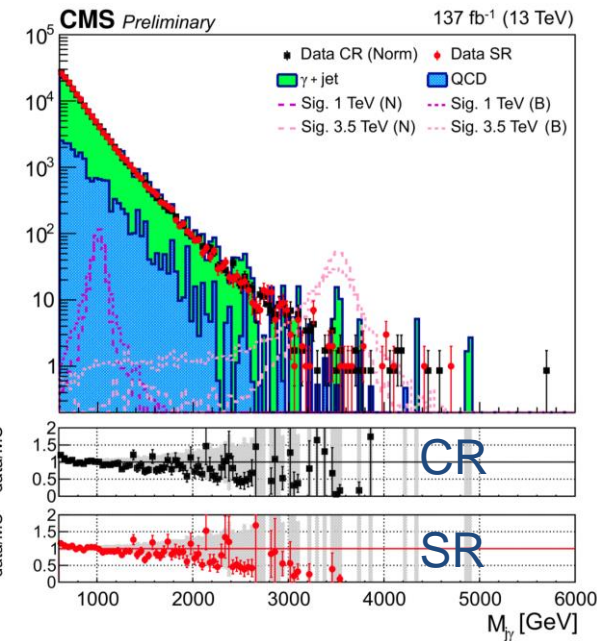
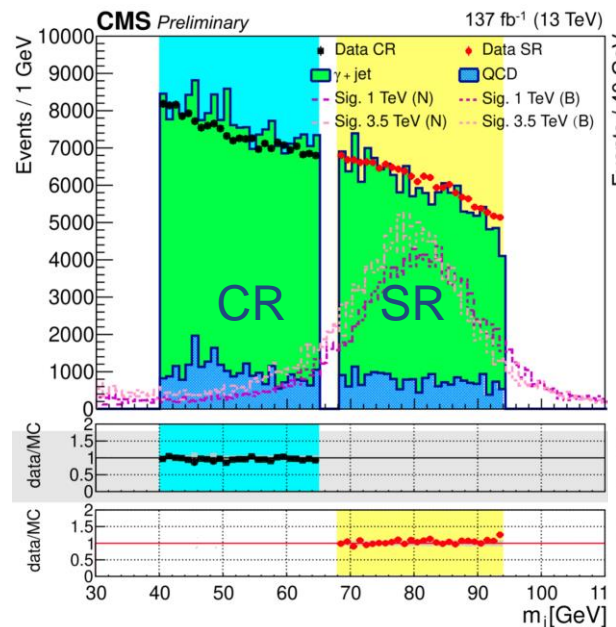
Also, non-resonant signal (κ_λ)
is simultaneously probed

$X \rightarrow W\gamma \rightarrow qq\gamma$

Generic $V_{qq}+\gamma$ search

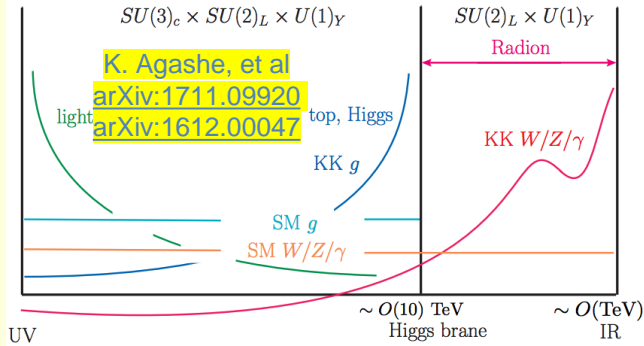


- $W \rightarrow qq$ merged ($R=0.8$) jet
- W-tagging with τ_{21}, m_J^{SD}
- Central γ
- Main BKG: γ +jets
- Low m_J^{SD} as CR
- BKG estimate: fitting analytic function to $M_{J\gamma}$
- Best limits to date on: $\sigma_{pp \rightarrow X} \times \text{Br}(X \rightarrow Wqq\gamma)$
- Model (in)dependent limits spin 0&1, narrow/broad



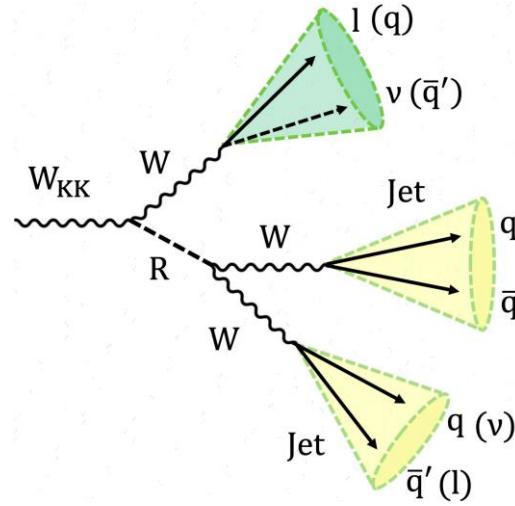
$X \rightarrow RW \rightarrow WWW \rightarrow lv$ jets

- First tri-boson search
- New model: Extended Warped ED
 \rightarrow suppressed di-SM processes
 \rightarrow enhanced tri-SM processes

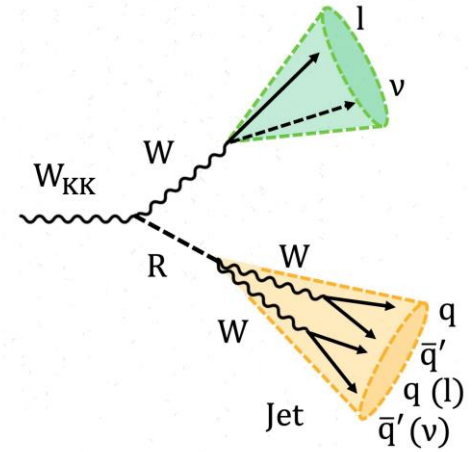


- Only EW in extended bulk dominant: $V_{KK} \rightarrow R V \rightarrow VVV$
Di-resonant
- $W \rightarrow lv$: reconstruction
- 1 or 2 AK8 massive jets, 0 b-jet
- deep-AK8 taggers for W & R
- Radion tagging with H_{4q} & W_{qq}
- Calibration with SM-proxy jets:
top for $R^{3q,4q}$, W for R^{lqq}

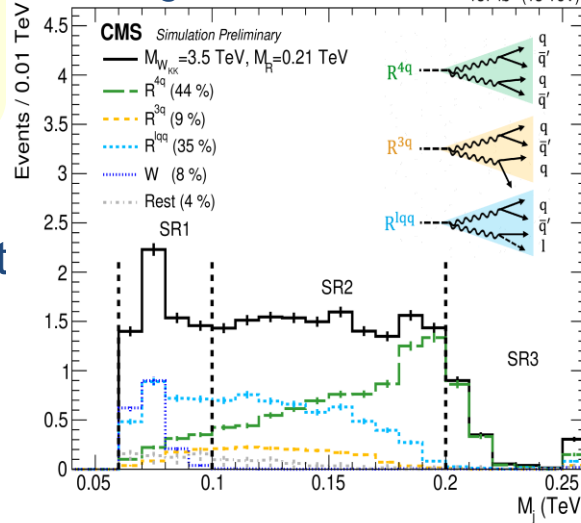
Resolved Radion



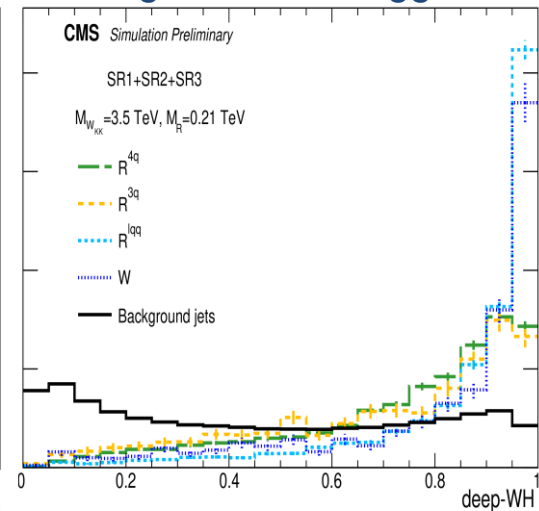
Merged Radion



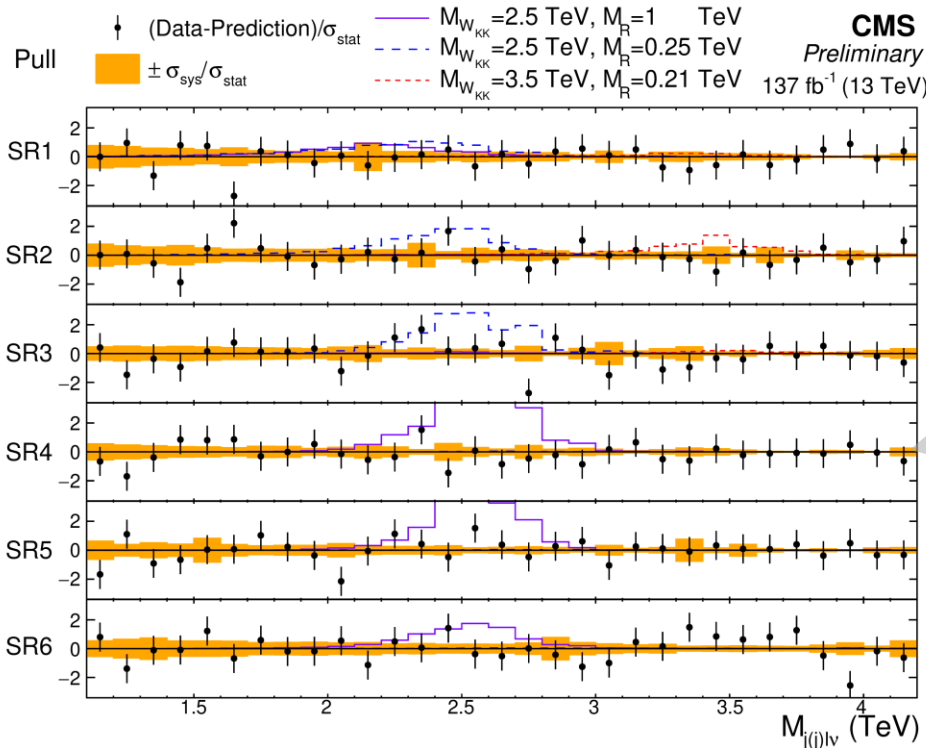
Merged Radion mass



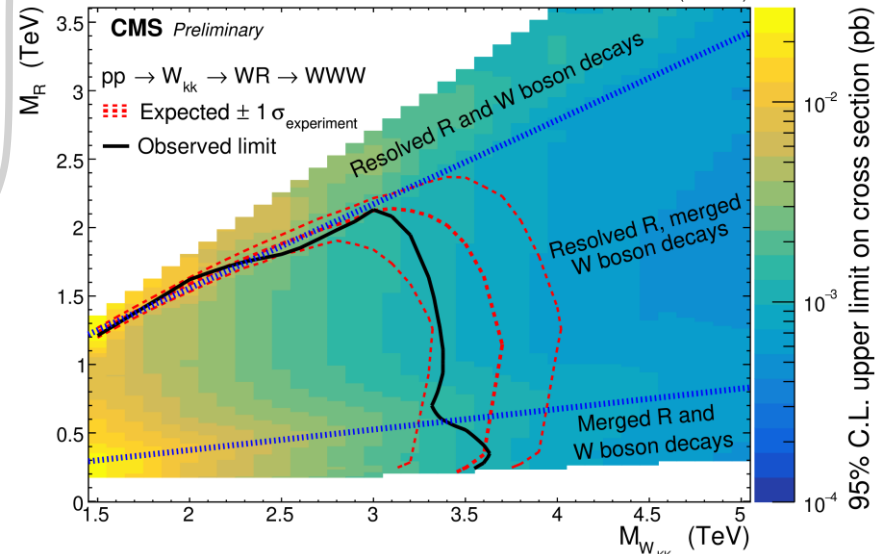
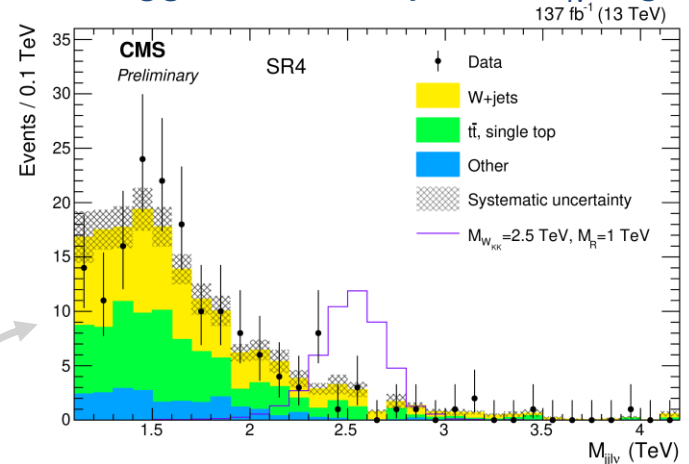
Merged Radion tagger



- Probe simultaneously merged & resolved
- Categorize to 6 SRs:
 SR1-3 \rightarrow 1 jets (merged) $\rightarrow M_{lvj}$
 SR4-6 \rightarrow 2 jets (resolved) $\rightarrow M_{lvjj}$



2 W-tagged massive jets + W_{lv} region:



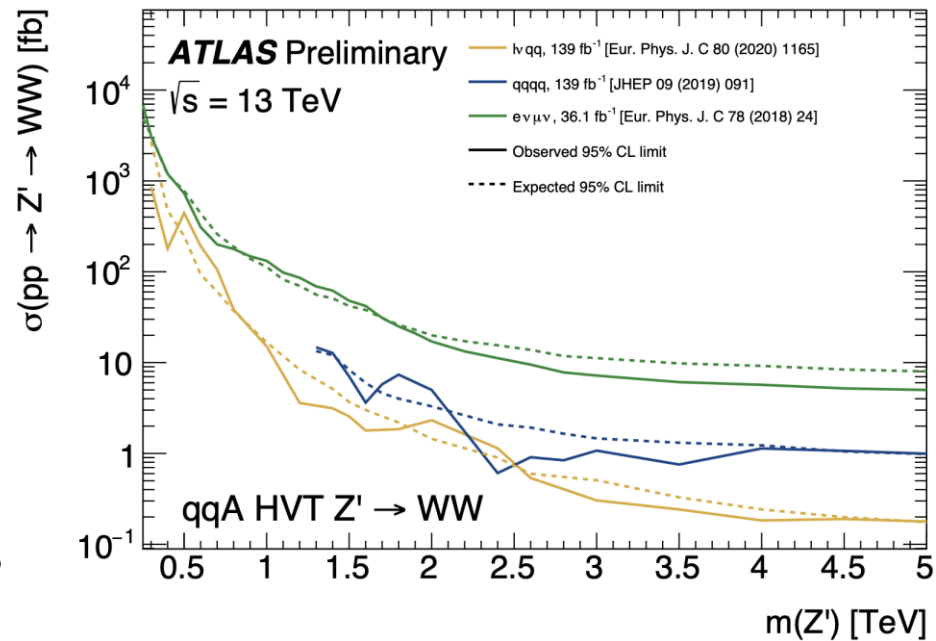
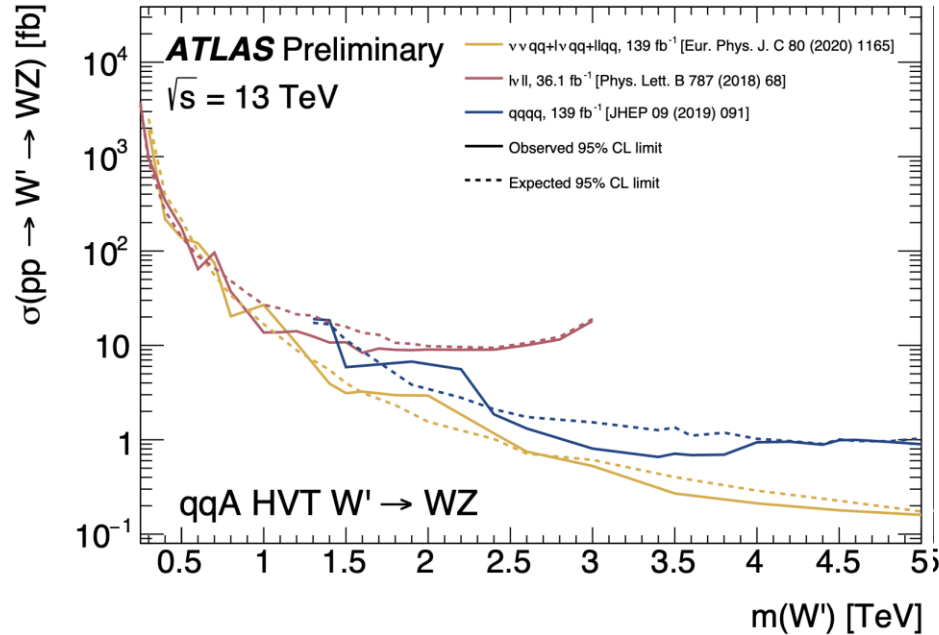
- First limits on $\sigma(W_{KK} \rightarrow RW \rightarrow WWW)$ and on $[M_{W_{KK}}, M_R]$ space

Results interpretation in $Z_{KK} \rightarrow ZWW$
 Relevant search $g_{KK} \rightarrow Rg \rightarrow ggg$ at [talk](#)



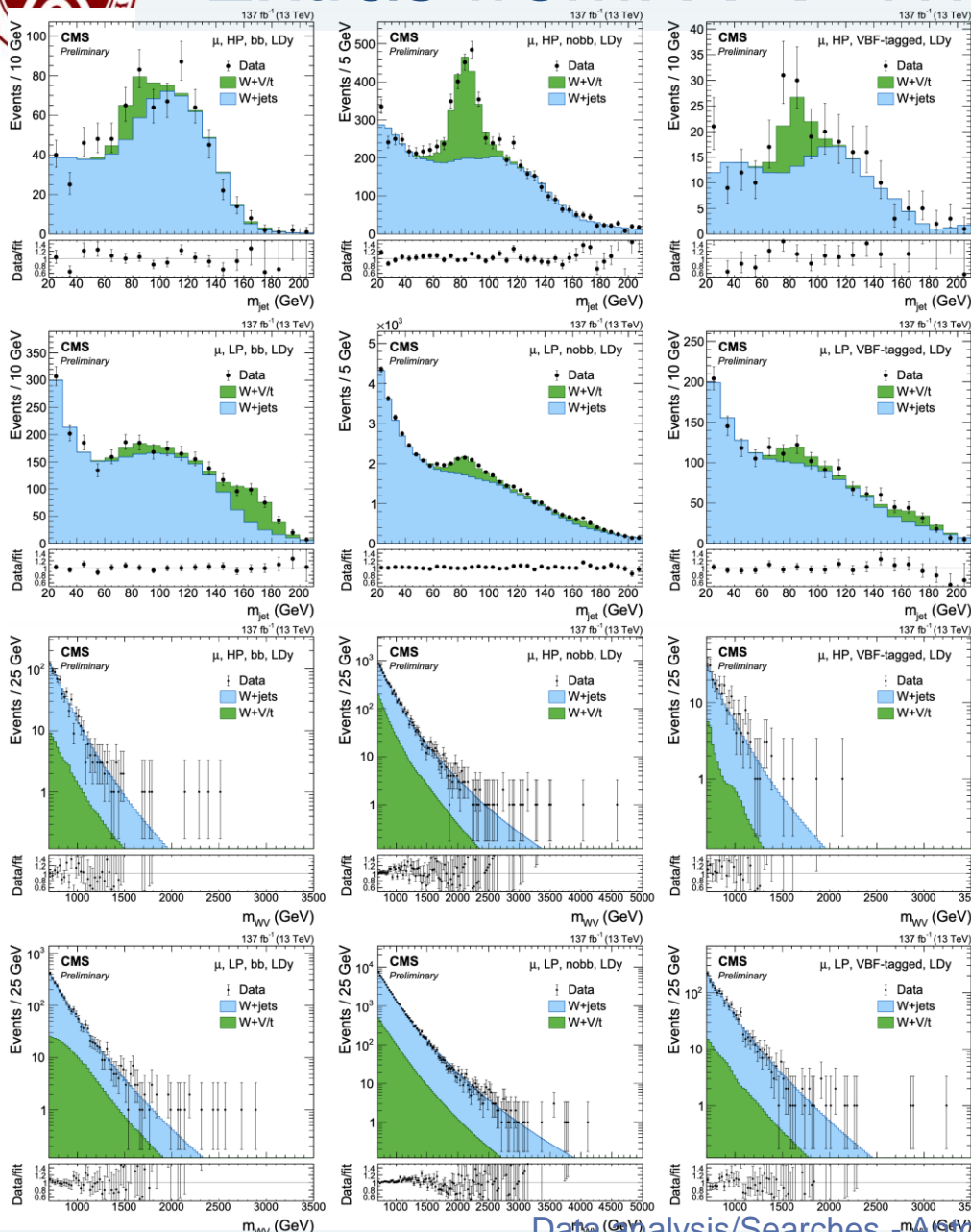
Summary Results & Conclusions

Summary of results (11 ATLAS searches) upper limits on $\sigma \times \text{BR}$ (limits superimposed)



- DNN techniques are exploited to probe very rare events:
 - BKG suppression; Identify V/H in hadronic modes; b-tagging;
- Many analysis/channels are ongoing and more results will come soon
- The TeV-scale exploration is in the beginning (~5% of the LHC lumi. delivered)
- We have long way ahead, with potential surprises and a lot of fun – stay tuned!

Extras from: $X \rightarrow WH, WH \rightarrow l\nu qq/bb$

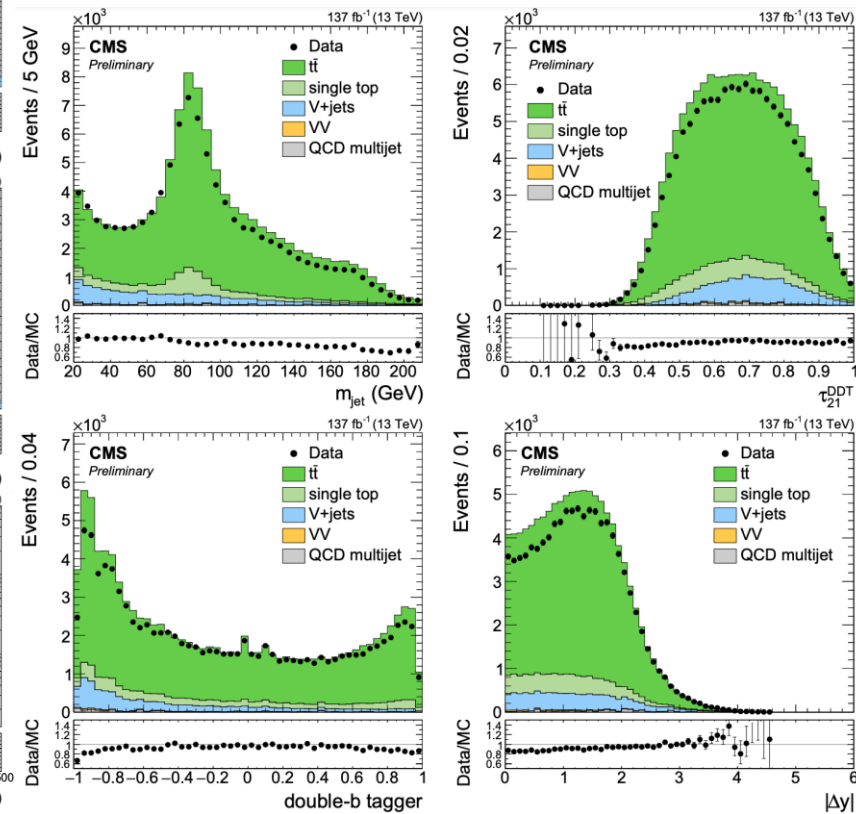


$$\tau_{21} = \tau_2 / \tau_1$$

$$\tau_{21}^{DDT} \equiv \tau_{21} - M \log(m_{jet}^2 / (p_T \mu))$$

$$M = -0.08$$

$$\mu = 1 \text{ GeV}$$



$$P_{sig}(m_{WV}, m_{jet} | m_X) = P(m_{WV} | m_X, \theta_1) \cdot P(m_{jet} | m_X, \theta_2)$$

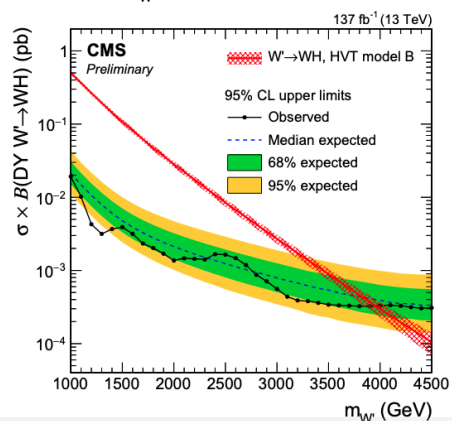
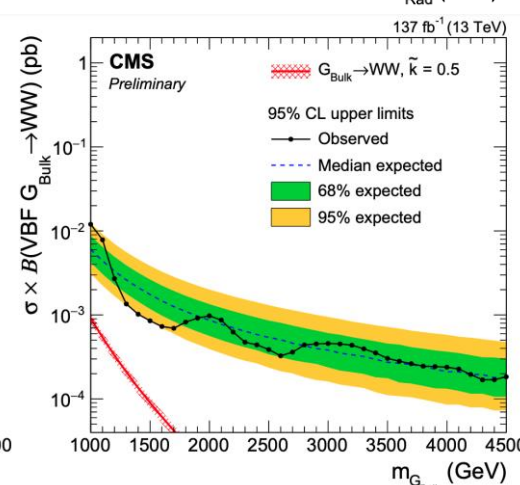
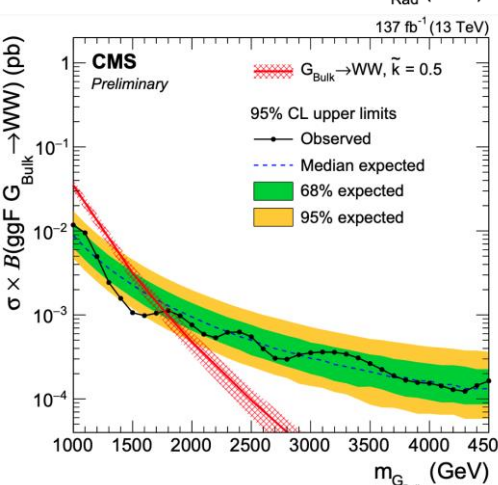
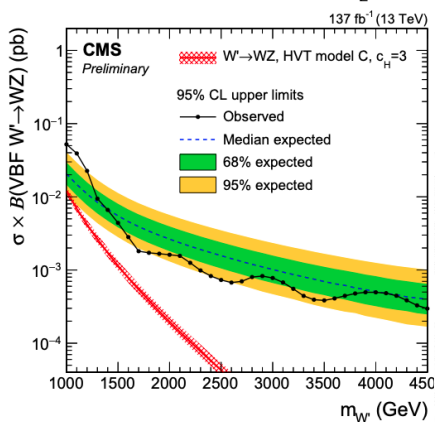
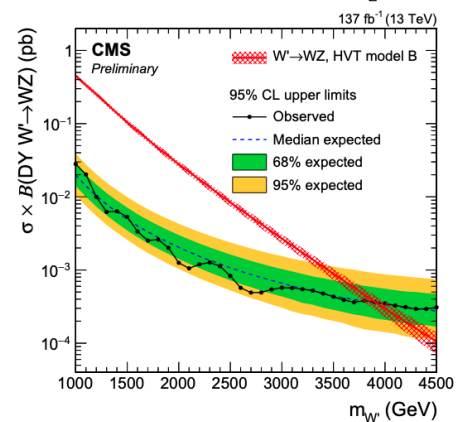
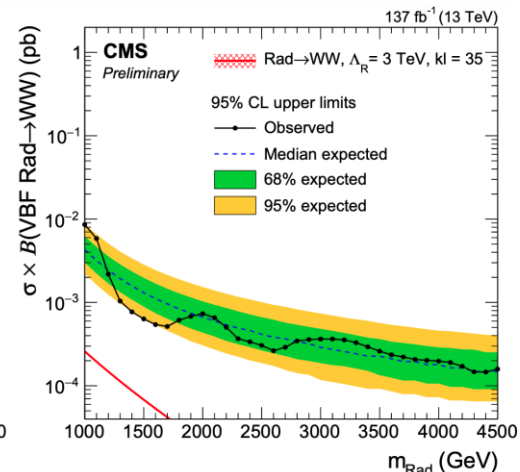
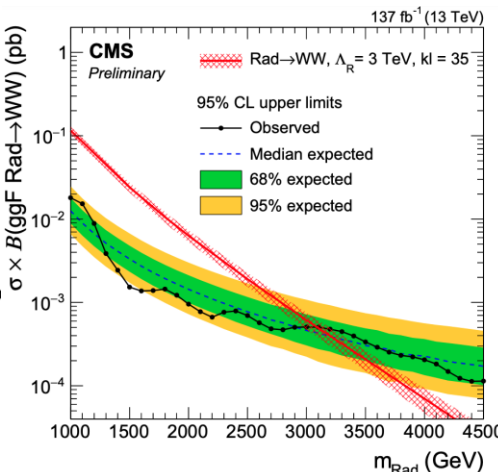
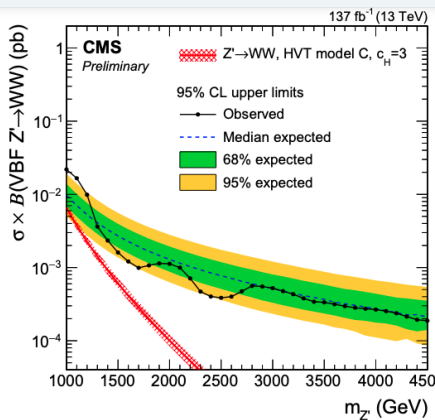
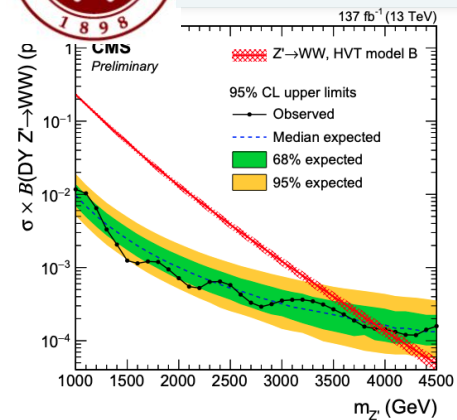
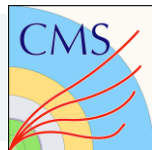
$$P_{W+jets}(m_{WV}, m_{jet}) = P(m_{WV} | m_{jet}, \theta_1) \cdot P(m_{jet} | \theta_2)$$

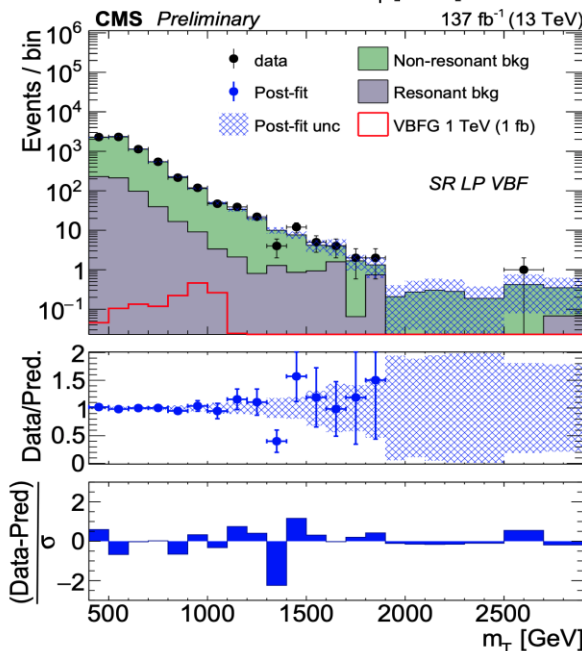
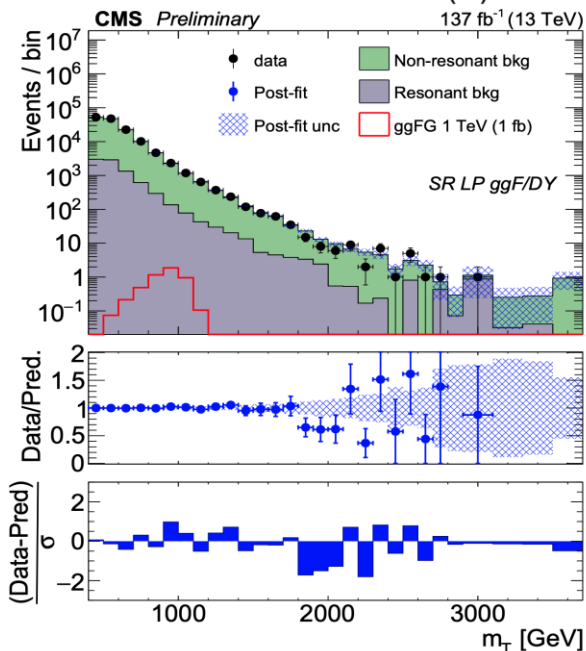
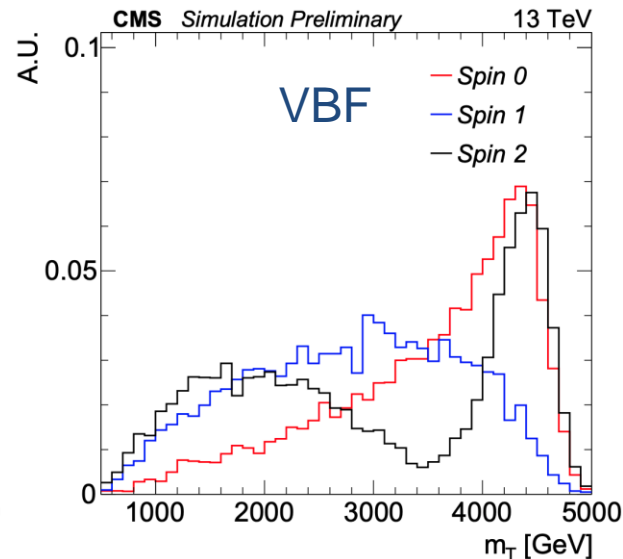
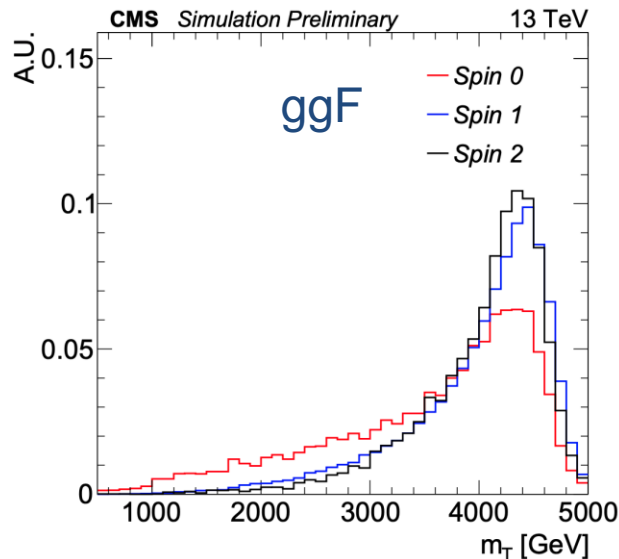
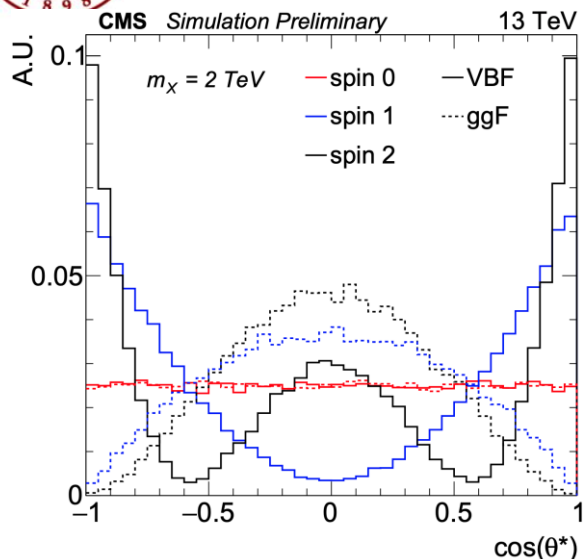
$$P_{W+V/t}(m_{WV}, m_{jet}) = P(m_{WV} | m_{jet}, \theta_1) \cdot P(m_{jet} | \theta_2)$$

$$P_i(m) = \frac{w_i}{\sqrt{2\pi}\sigma} \exp \left[-\frac{1}{2} \left(\frac{m - s(p_{T,jet}^{gen.}) \cdot m_{WV}^{part.}}{\sigma(p_{T,jet}^{gen.})} \right)^2 \right]$$



Extras from: $X \rightarrow WH, WH \rightarrow l\nu qq/bb$





MET trigger eff:

200 GeV \rightarrow 75%

250 GeV \rightarrow 95%

plateau \rightarrow 98%

$$m_T = \sqrt{2p_T^J p_T^{\text{miss}} [1 - \cos \Delta\phi]}$$

$$N_{\text{pred}}^{\text{non-res}} = \alpha \times (N_{\text{CR}}^{\text{obs}} - N_{\text{CR}}^{\text{res}})$$

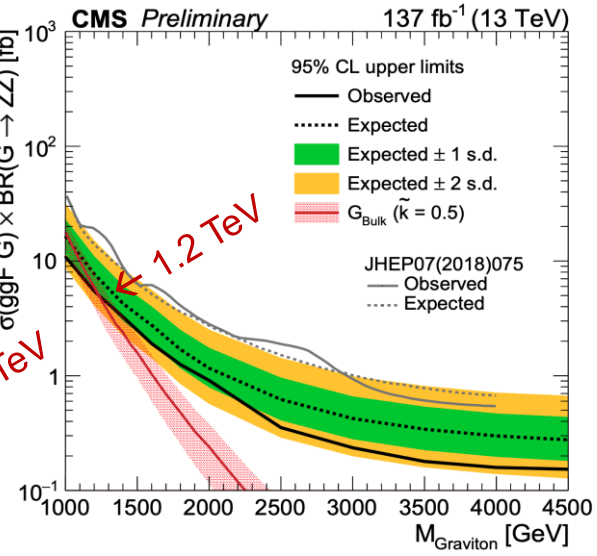
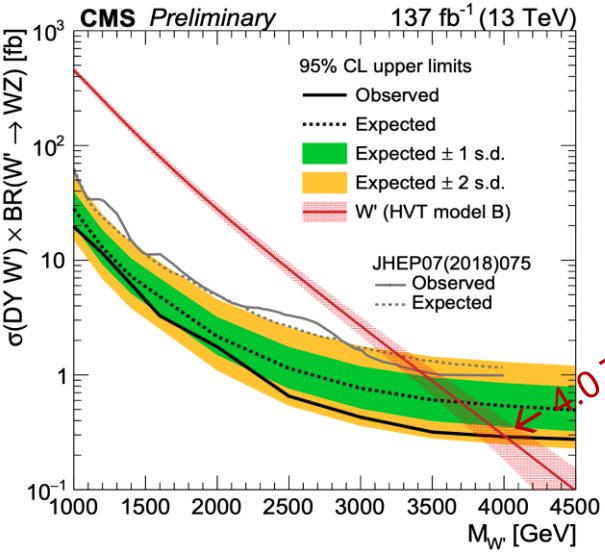
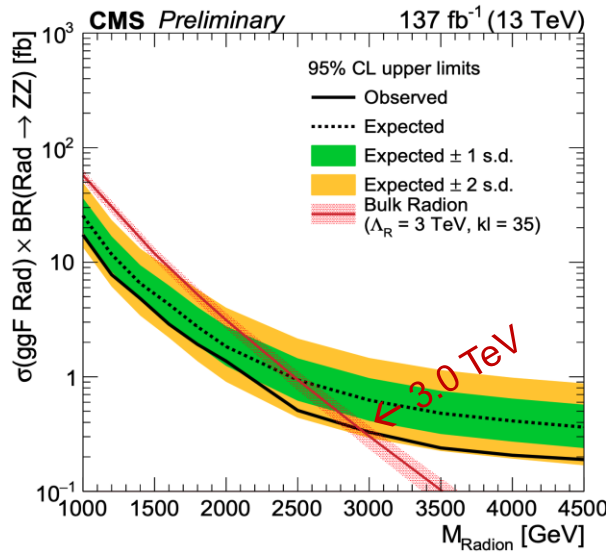
$$\alpha = \frac{N_{\text{SR}}^{\text{non-res}}}{N_{\text{CR}}^{\text{non-res}}}$$

spin-0

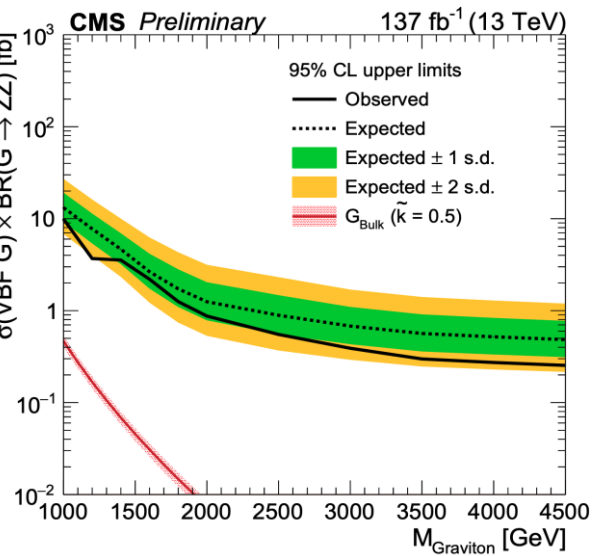
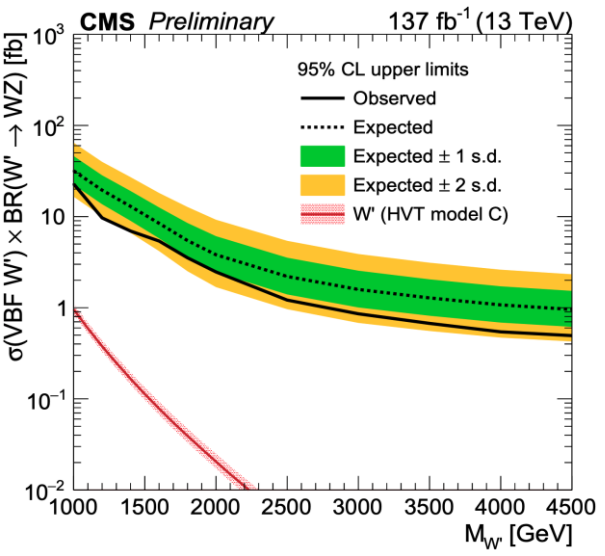
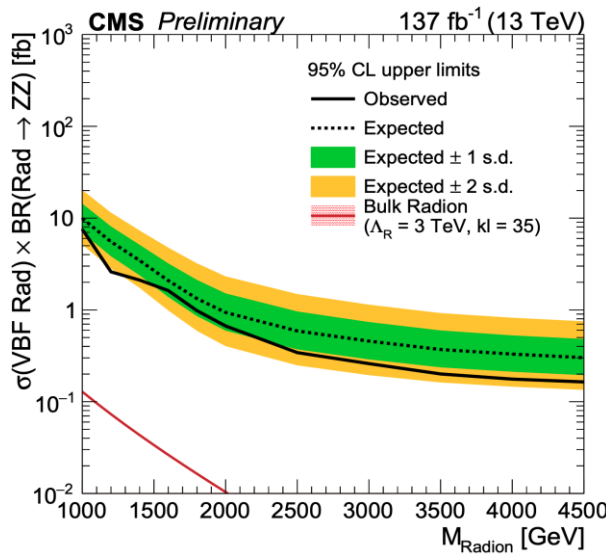
spin-1

spin-2

ggF/DY

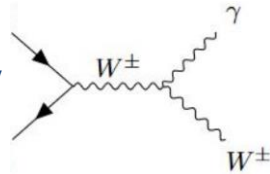


VBF



$X \rightarrow W\gamma \rightarrow qq\gamma$

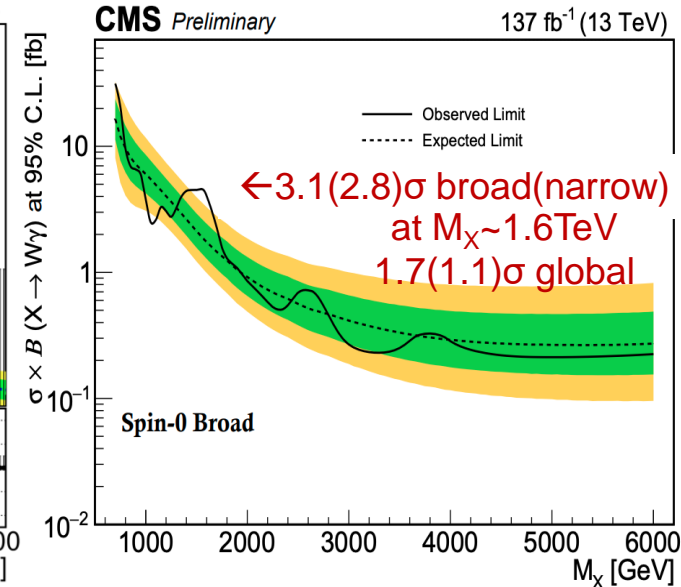
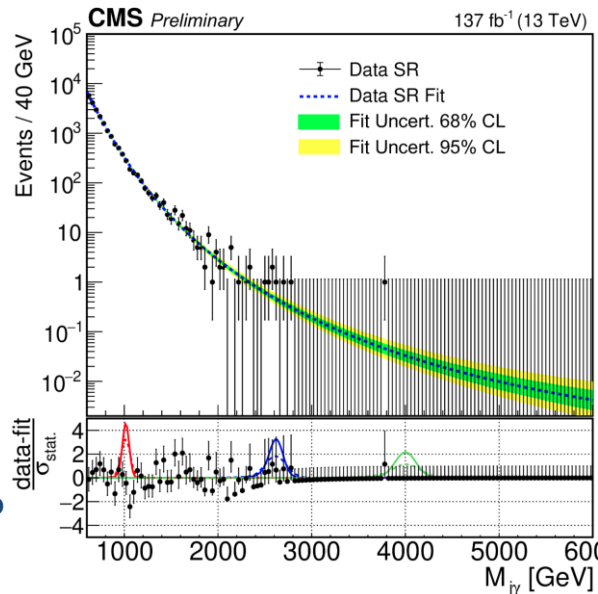
- Generic search for $V_{qq} + \gamma$
- $W \rightarrow qq$ AK8 jet
- tagging with $\tau_{21} < 0.35$
- $p_{Tj(\gamma)} > 225$ GeV, $|\eta_{j(\gamma)}| < 2(1.44)$
 $\Delta R_{j\gamma} > 1.1$, $p_{T\gamma}/m_{J\gamma} > 0.37$, $\cos\theta^* < 0.6$
- Main BKG: γ +jets
- Calibration from low m_j CR
- BKG estimate: fitting analytic function to $M_{J\gamma}$
- Best limits to date on:
 $\sigma_{pp \rightarrow X} \times \text{Br}(X \rightarrow Wqq\gamma)$
- Model independent limits for spin 0,1,
 narrow 0.01%, broad 5%

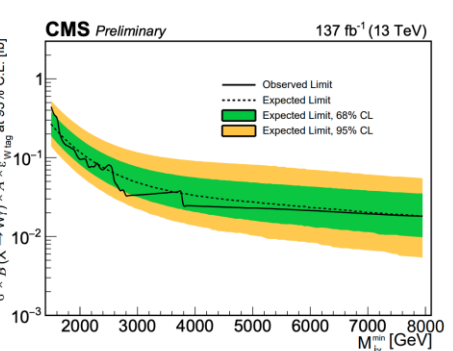
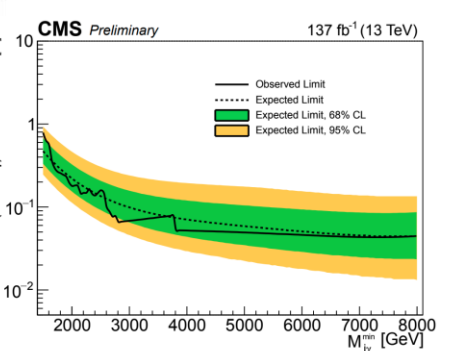
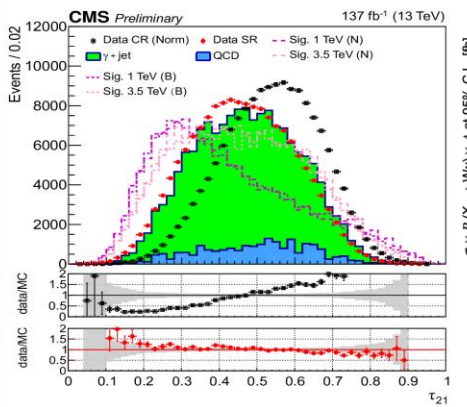
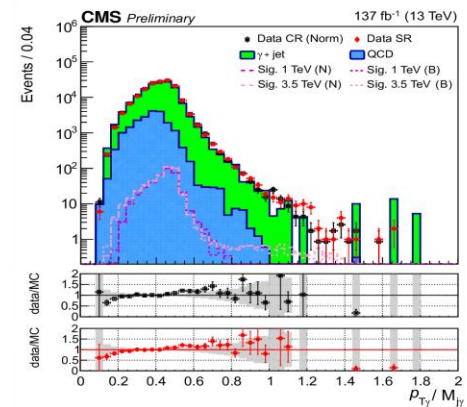
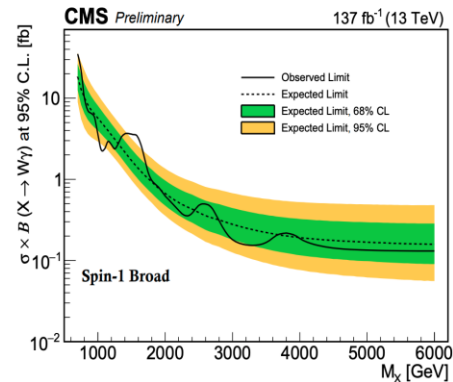
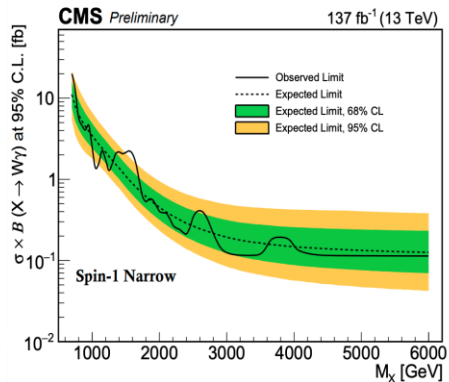
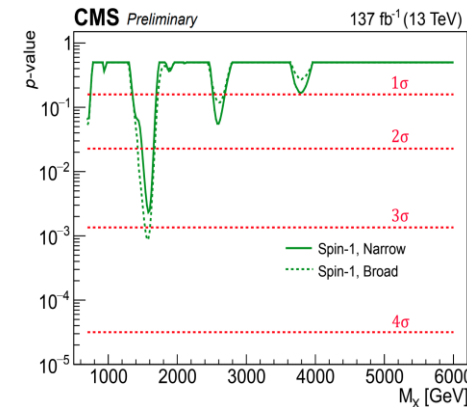
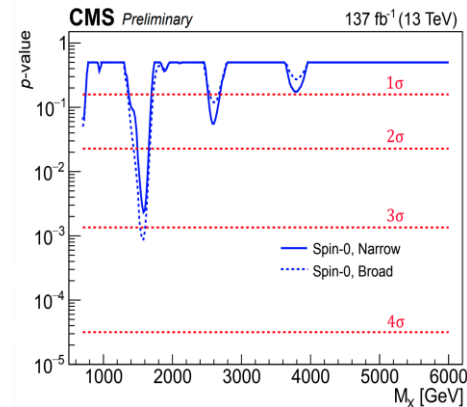
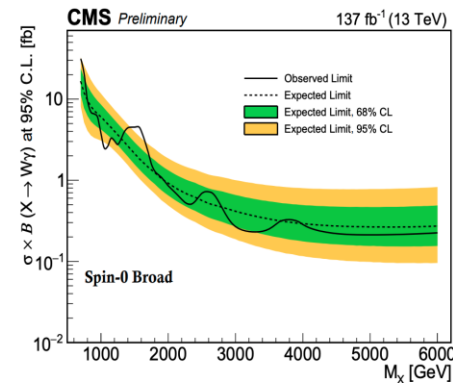
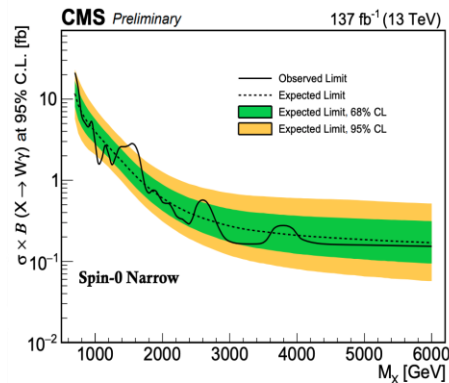
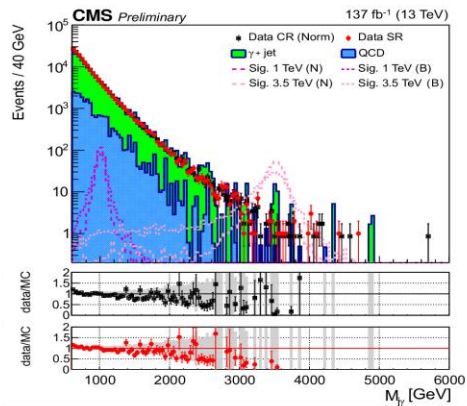
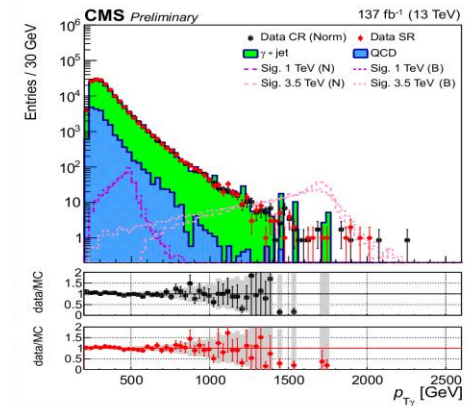


Theory motivation:

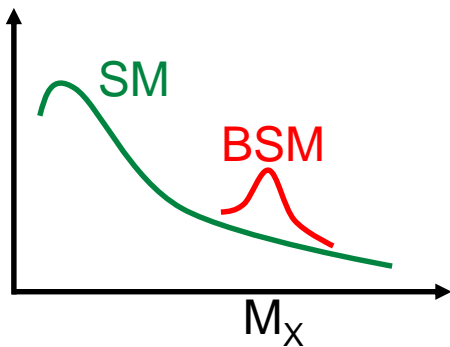
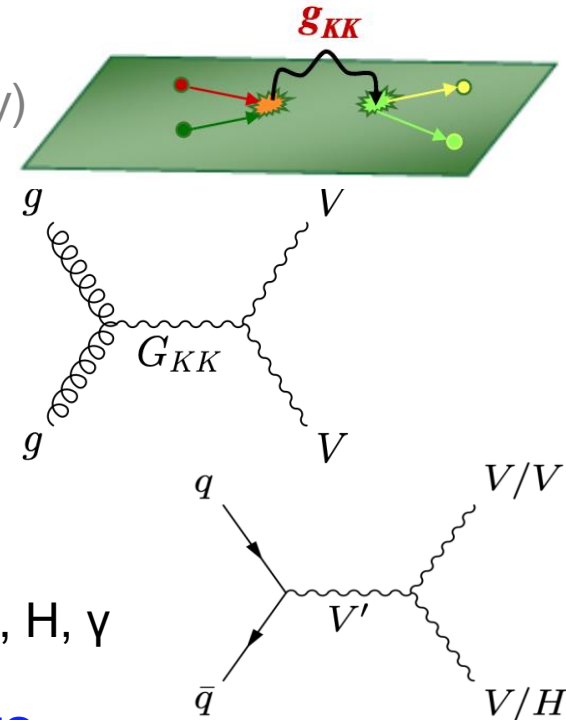
- Triplet pseudo-Goldstone bosons π_3
<https://arxiv.org/pdf/1608.01675.pdf>
- Scalar or pseudoscalar $SU(2)_L$ Φ^α
 coupling via anomaly-induced interaction
- Two Higgs doublet (H+) MSSM
- Technicolor
- HVT

JER: 15%, 8%, 4% for 10, 100, 1000 GeV





- SM shortcomings indicate some kind of **New Physics** (Hierarchy problem, Unific.of Gravity, Dark Matter/Energy)
- Many BSM theories have been proposed: (Extended Gauge-Symmetry models; RS Warped ED; Two Higgs doublet models; Little/Composite Higgs)
 - Predicting **new heavy boson(s) X** with
 - spin 0: Radion/Higgs
 - spin 1: W'/Z' (HVT)
 - spin 2: Graviton
 at the **TeV scale** decaying to a pair of SM bosons → W, Z, H, γ
- Therefore we can **search for BSM Physics in Dibosons FSs**



→ HOW TO... search?

Probing Diboson FS at TeV-scale is a challenge to reconstruct boosted & merged V/H revealing substructure

- Selection based on **V -like objects** suppressing BKG
- Predict in a **Data-Driven** way the SM BKG
- **Look for a peak-structure at M_{VV} tails**