MATTER - ANTIMATTER IN THE UNIVERSE

Charming Creviolation

Chia-Wei Liu

arXiv:2404.19166

Collaborate with Xiao-Gang He

TSUNG-DAO LEE INSTITUTE

Wuhan, April 26, 2025 - LHCb



Charming physics - CP violation

 $a_{CP}(D^0 \to K^+K^-) - a_{CP}(D^0 \to \pi^+\pi^-) = (-1.54 \pm 0.29) \times 10^{-3}$ $a_{CP}^{KK} = (7.7 \pm 5.7) \times 10^{-4}, \quad a_{CP}^{\pi\pi} = (23.2 \pm 6.1) \times 10^{-4}$

Short distance predictions are **an order smaller**! Data driven approach:

> Factorization with fitted hadron matrix element. PRD 86, 036012 (2012). Fusheng Yu's talk Use the relations of final state interactions; $P^{LD} = E$. PRD 86, 014014 (2012); PRD 109, 073008 (2024). Consider the re-scattering of $\pi\pi \to KK$. PRL 131, 051802 (2023).

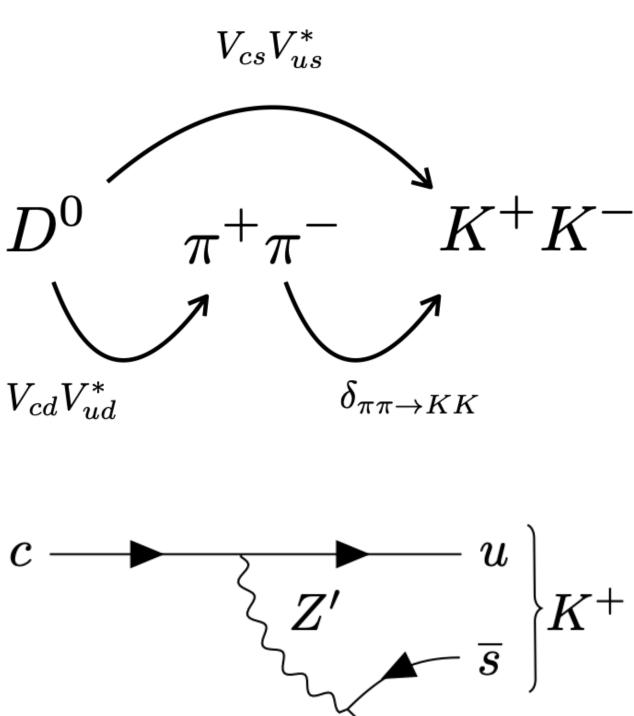
• SM *naively* predicts $a_{CP}^{\pi\pi} = -a_{CP}^{KK}$ but data found opposite!

 D^0

 \overline{u}

PRL 122, 211803 (2019); PRL 131, 091802 (2023)





108, 035005 (2023) PRD



Э

 \overline{u}

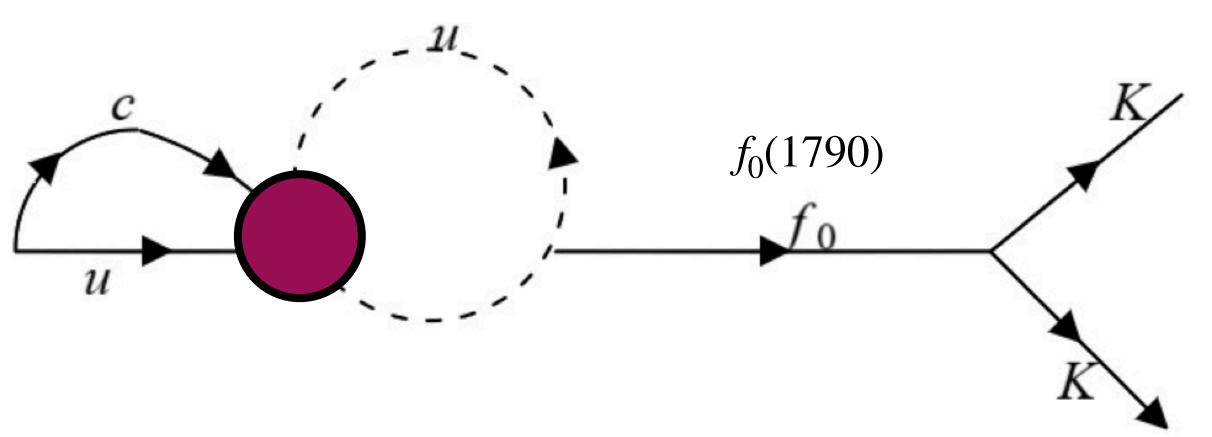
Charming physics - CP violation

Reasons to go **beyond** charmed mesons:

 $a_{CP}^{KK} = (7.7 \pm 5.7) \times 10^{-4}, \quad a_{CP}^{\pi\pi} = (23.2 \pm 6.1) \times 10^{-4}$

PHYSICAL REVIEW D 81, 074021 (2010) **Two-body hadronic charmed meson decays**

Hai-Yang Cheng^{1,2} and Cheng-Wei Chiang^{1,3}



1. f_0 might be a glueball which mainly decays to kaons. Leading order amplitude $\propto m_{\rm s}$.

- 2. Its mass is too close to D meson, enhancing SU(3) breaking effects from mass splitting.
- 3. Unlike $D^0 \rightarrow h^+ h^-$, CP-even phase shifts in baryon decays can be directly measured. PRD 86, 036012 (2012); PRD 86, 014014 (2012); For *D* CPV see:

Enhancement of charm CP violation due to nearby resonances Stefan Schacht^{a,*}, Amarjit Soni^b PLB 825, 136855 (2022)

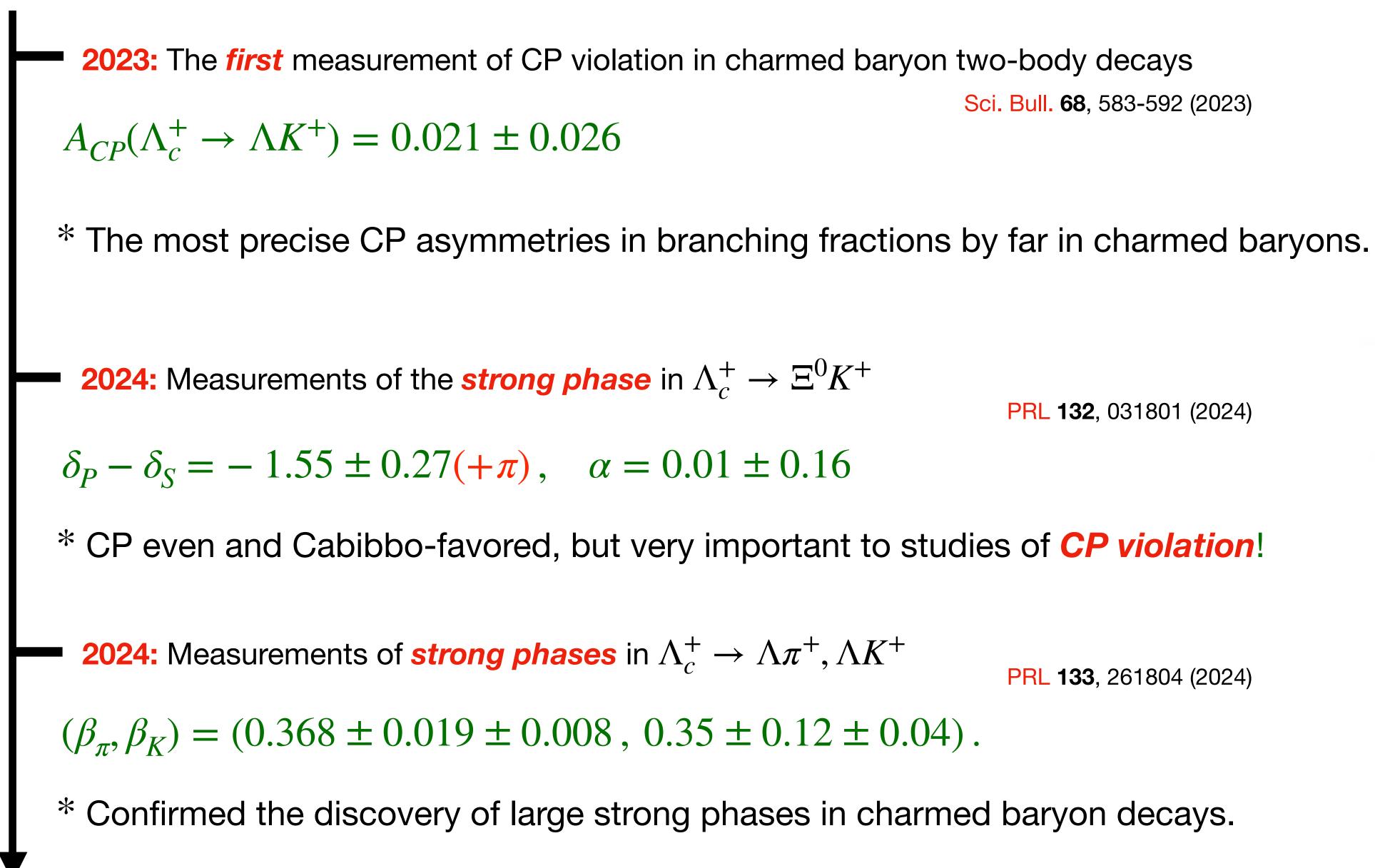
```
PRD 109, 073008 (2024); PRL 131, 051802 (2023).
```







Experimental status of charmed baryon decays



Sci. Bull. 68, 583-592 (2023)

PRL 132, 031801 (2024)

PRL 133, 261804 (2024)



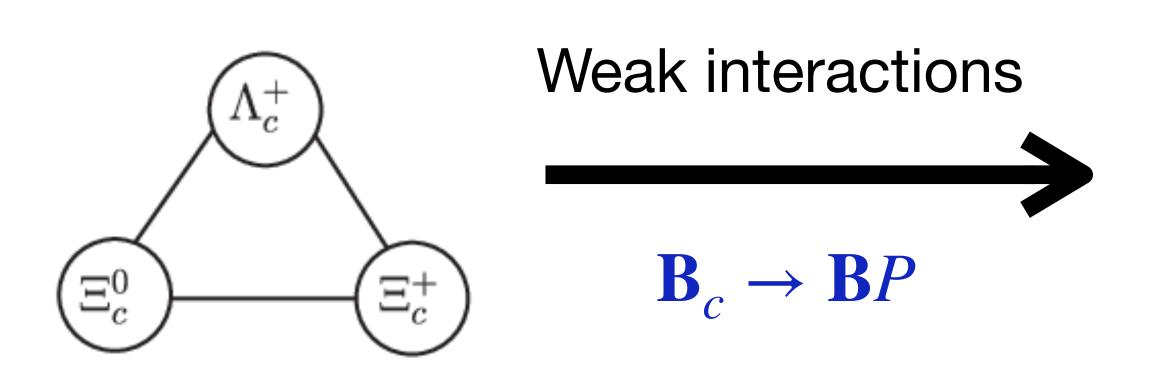








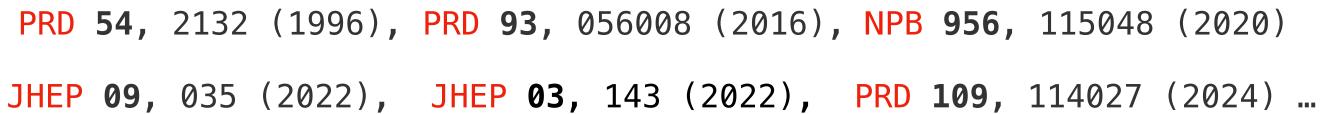
By far, the only *reliable* (?) way is the $SU(3)_F$ symmetry.



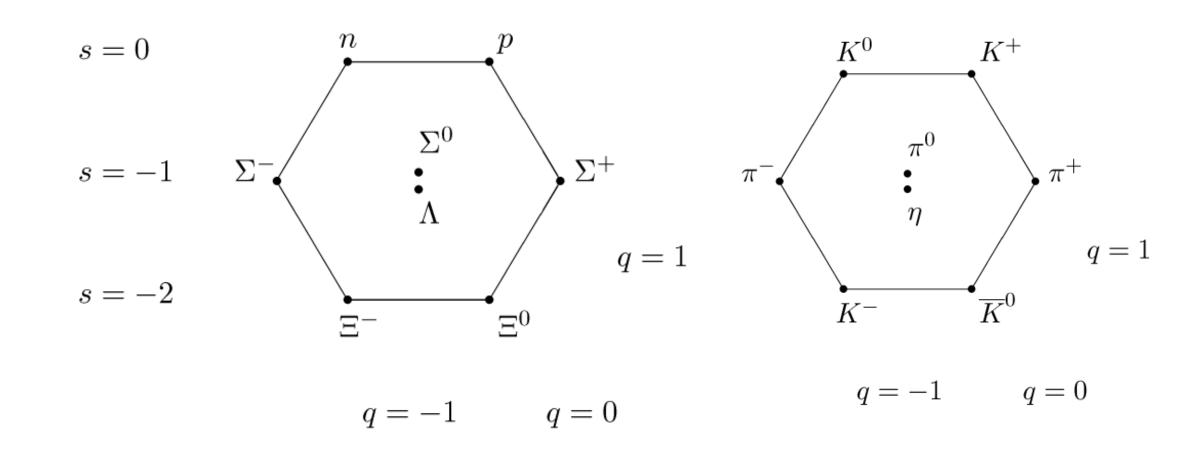
For instance:

 $A_{CP}(\Lambda_b^0 \to p\pi^+ K^- \pi^-) = (2.45 \pm 0.46 \pm 0.10) \% \longrightarrow A_{CP}(\Lambda_b^0 \to p\pi^+ \pi^- \pi^-) = -(12 \pm 3) \%.$

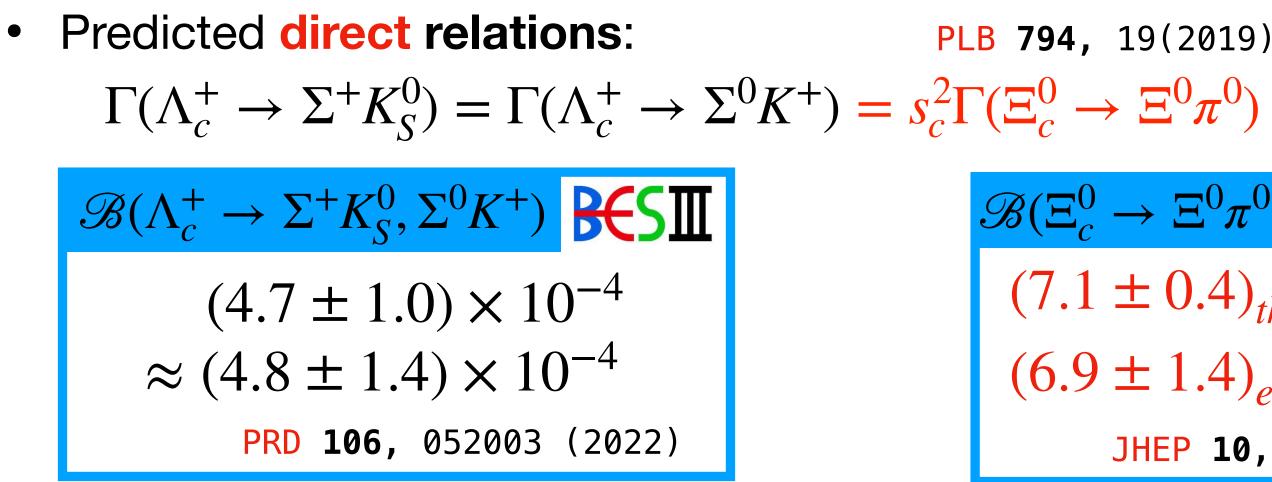
X. G. He, C. W. Liu, J. Tandean, 2503.16954 LHCb, 2503.16954



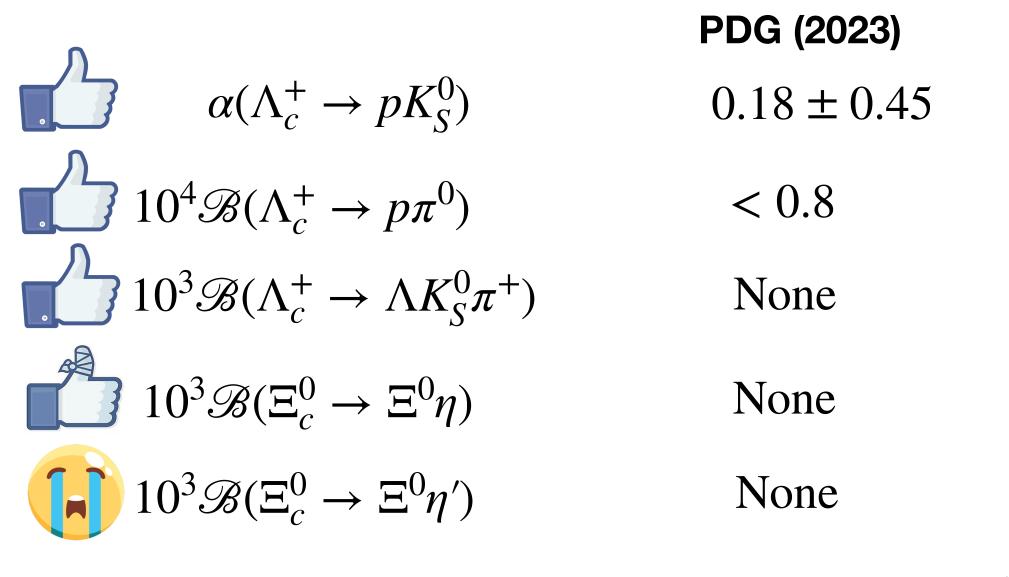








• Tests on **predictions** of **global fits** since last year:



There are some **shortcomings** in $SU(3)_F$ symmetry approach.

PLB 794, 19(2019)

$$3(\Xi_c^0 \to \Xi^0 \pi^0)$$
 BELLE
 $(7.1 \pm 0.4)_{th} \times 10^{-3}$
 $(6.9 \pm 1.4)_{exp} \times 10^{-3}$
JHEP 10, 045 (2024)

PRD 109, 093001; PRD 109, L071302

Theory (2023)	Data (2024)	
-0.40 ± 0.49	-0.744 ± 0.015	LHCb THCp
1.6 ± 0.2	1.79 ± 0.41	₿€SⅢ
1.97 ± 0.38	1.73 ± 0.28	₿€SⅢ
2.94 ± 0.97	1.6 ± 0.5	BELLE
5.66 ± 0.93	1.2 ± 0.4	BELLE





The $SU(3)_F$ is an approximate symmetry with errors in 10^{-1} .



There exhibits Z_2 ambiguities:

$$\Gamma \propto |F^2| + \kappa^2 |G^2|, \quad \alpha = \frac{2\kappa \operatorname{Re}(F^*G)}{|F^2| + \kappa^2 |G^2|}$$

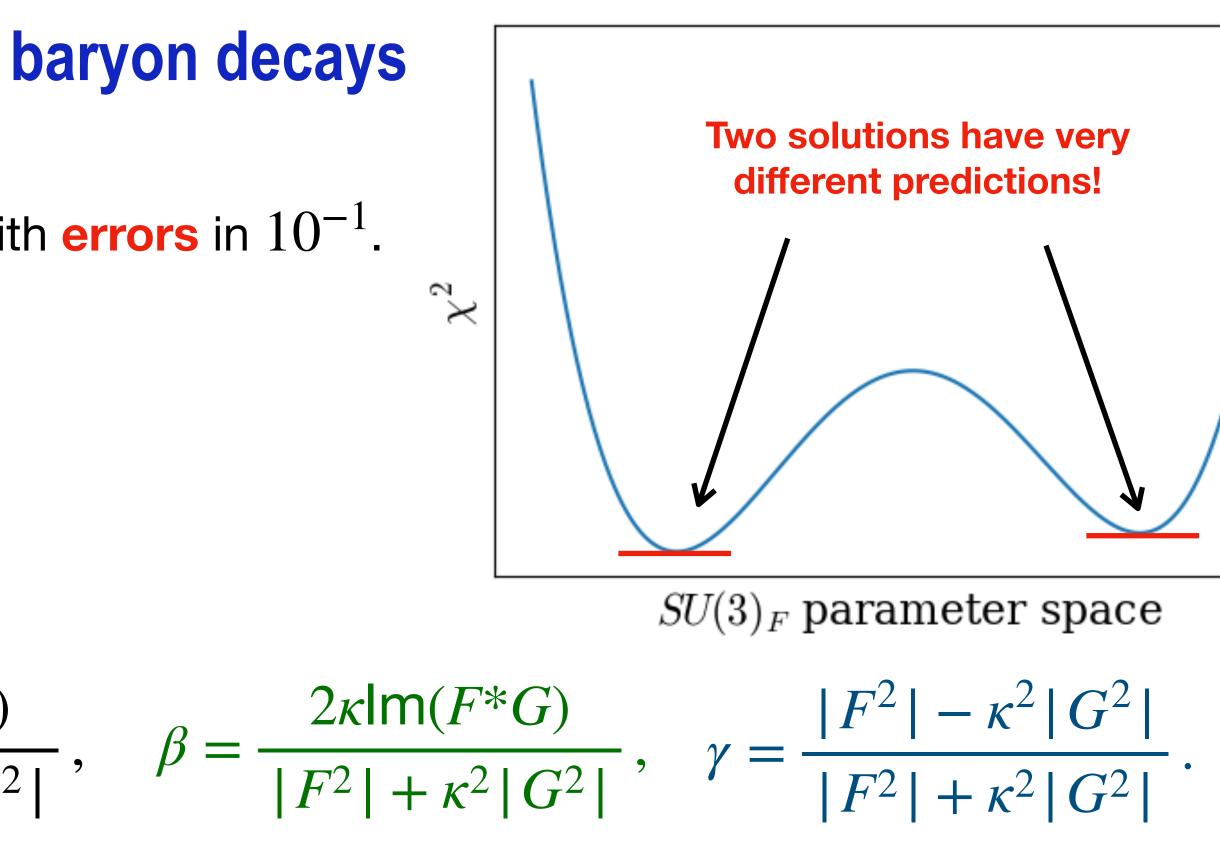
In general, the amplitudes cannot be fully reconstructed without β and γ as input.



Precise β and γ data can break the ambiguities, highlighting the importance of $KHC\delta$



Nevertheless, there are *still* a few **ambiguities**.



 Γ and α are invariant under $(F, G) \to (F^*, G^*)$ and $F \leftrightarrow \kappa G^*$ but β and γ flip signs.

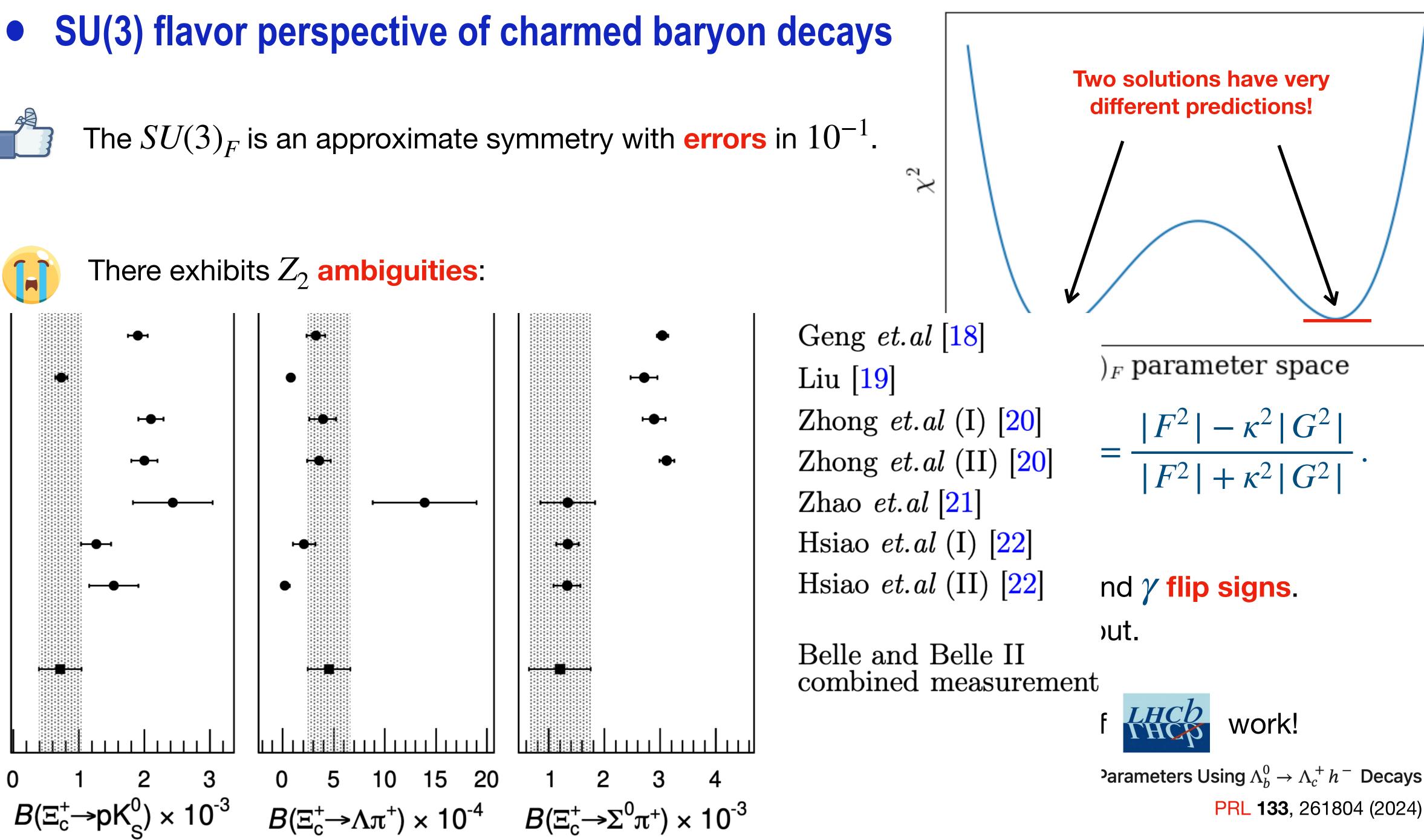


Measurement of Λ_b^0 , Λ_c^+ , and Λ Decay Parameters Using $\Lambda_b^0 \to \Lambda_c^+ h^-$ Decays PRL 133, 261804 (2024)

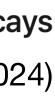




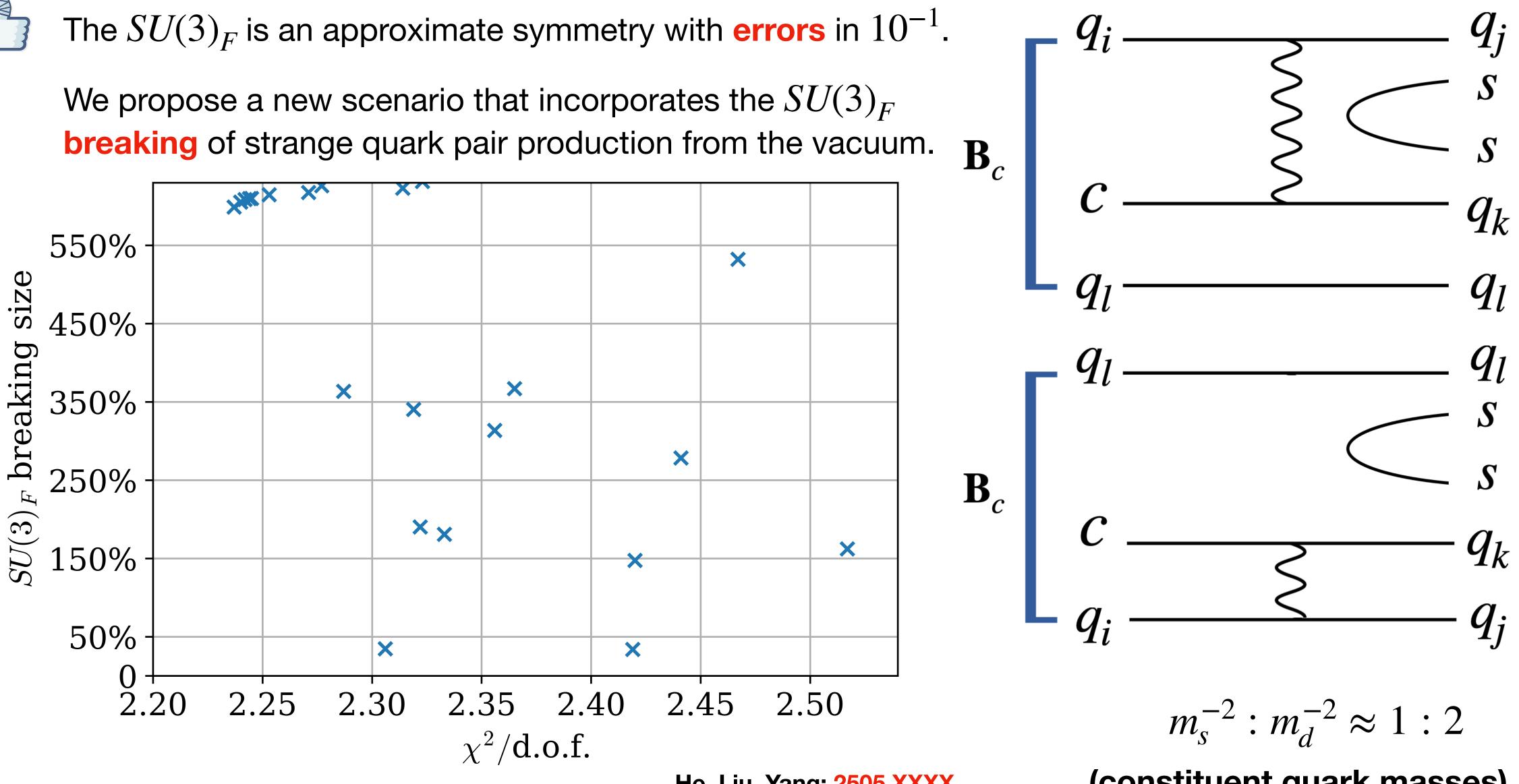












He, Liu, Yang; 2505.XXXX

(constituent quark masses)



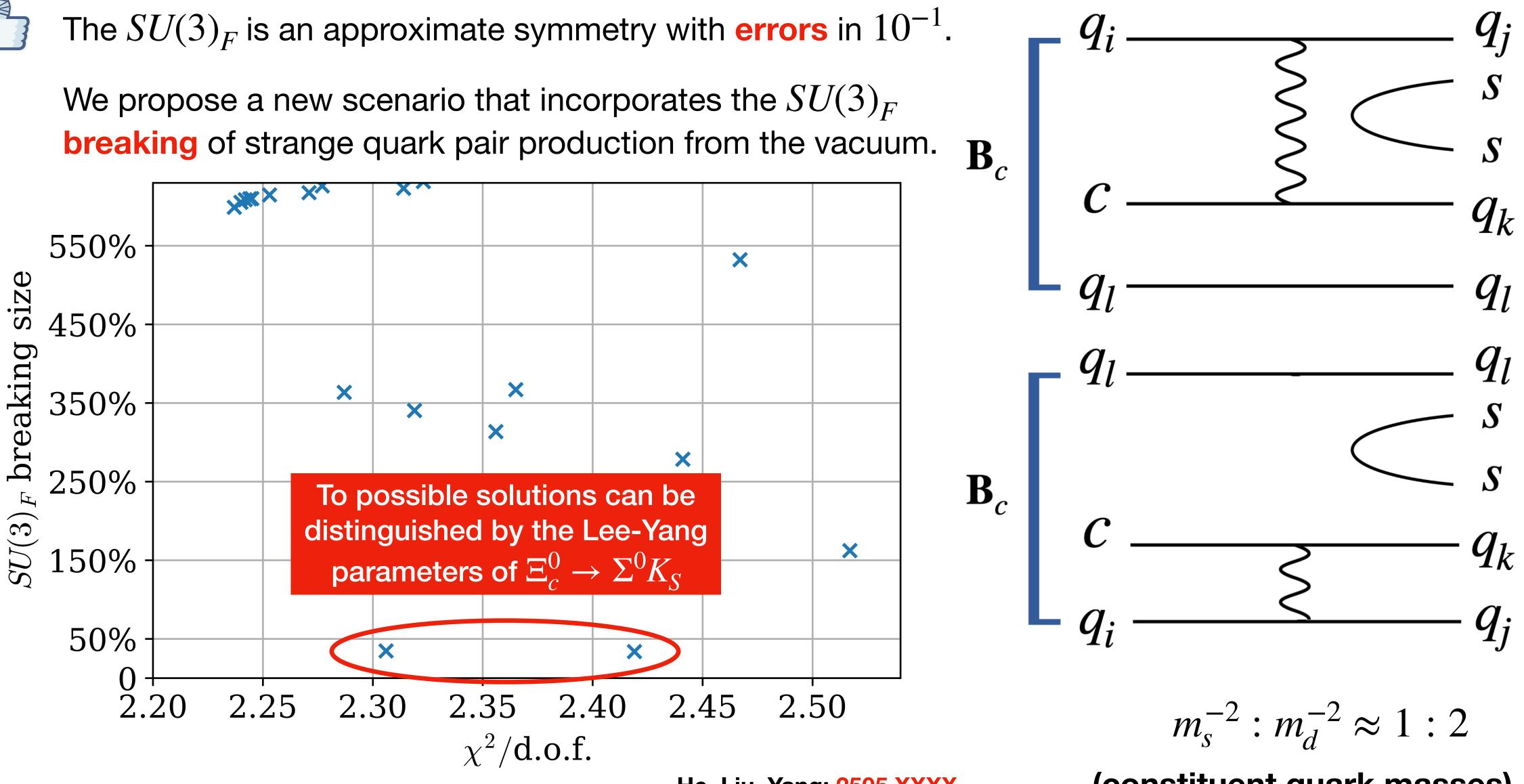












He, Liu, Yang; 2505.XXXX

(constituent quark masses)













The large χ^2 is mainly contributed by two channels:

PDG $10^2 \mathscr{B}(\Xi_c^0 \to \Xi^- \pi^+)$ 1.43 ± 0.32 $10^2 \mathscr{B}(\Xi_c^+ \to \Xi^- \pi^+ \pi^+)$ 2.9 ± 1.3

Both of them are the normalized channels in $\Xi_c^{0,+}$, indicating an possible underestimation of factor two in the experimental side.

Same underestimations occurs in $\Xi_c^0 \rightarrow \Xi^-$ PDG $10^2 \mathscr{B}(\Xi_c^0 \rightarrow \Xi^- e^+ \nu_e) \qquad 1.05 \pm 0.20^*$ $10^2 \mathscr{B}(\Xi_c^0 \rightarrow \Xi^- \mu^+ \nu_\mu) \qquad 1.02 \pm 0.21^*$ *Using $\mathscr{B}(\Xi_c^0 \rightarrow \Xi^- \pi^+) = (1.42 \pm 0.32) \%$

$SU(3)_F$ broken
2.90 ± 0.11
5.98 ± 0.44

He, **Liu**, Yang; **2505.XXXX**

$\ell^+ \iota$	\mathcal{C}
----------------	---------------

$SU(3)_F$	Lattice	Lattice
4.10 ± 0.46	2.38 ± 0.44	3.58 ± 0.12
3.98 ± 0.57	2.29 ± 0.42	3.47 ± 0.12
PLB 823, 136765 (2021)	CPC 46, 011002 (2022)	2504.07302



The large χ^2 is mainly contributed by two channels:

PDG $10^2 \mathscr{B}(\Xi_c^0 \to \Xi^- \pi^+)$ 1.43 ± 0.32 $10^2 \mathscr{B}(\Xi_c^+ \to \Xi^- \pi^+ \pi^+)$ 2.9 ± 1.3

Both of them are the normalized channels in $\Xi_c^{0,+}$, indicating an possible underestimation of factor two in the experimental side.

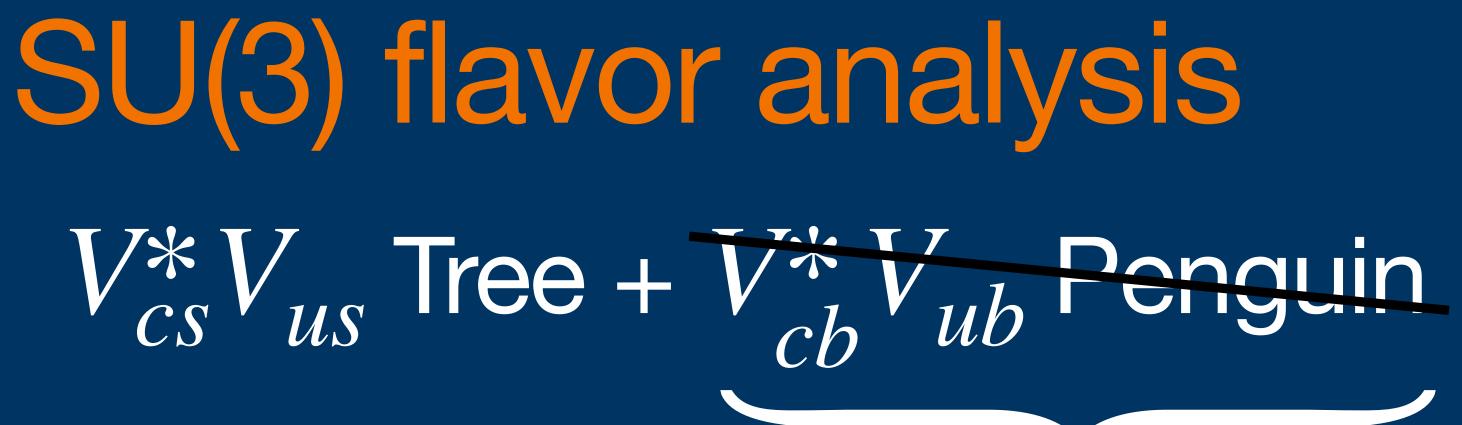
Same underestimations occurs in $\Xi_c^0 \rightarrow \Xi^-$ PDG $10^2 \mathscr{B}(\Xi_c^0 \rightarrow \Xi^- e^+ \nu_e) \qquad 2.12 \pm 0.13^*$ $10^2 \mathscr{B}(\Xi_c^0 \rightarrow \Xi^- \mu^+ \nu_\mu) \qquad 2.05 \pm 0.19^*$ *Using $\mathscr{B}(\Xi_c^0 \rightarrow \Xi^- \pi^+) = (2.90 \pm 0.11) \%$

$SU(3)_F$ broken
2.90 ± 0.11
5.98 ± 0.44

He, **Liu**, Yang; **2505.XXXX**

$\ell^+ \iota$	\mathcal{C}
----------------	---------------

$SU(3)_F$	Lattice	Lattice
4.10 ± 0.46	2.38 ± 0.44	3.58 ± 0.12
3.98 ± 0.57	2.29 ± 0.42	3.47 ± 0.12
PLB 823, 136765 (2021)	CPC 46, 011002 (2022)	2504.07302



Insensitive to CP-even quantities & undetermined

Final State Rescattering

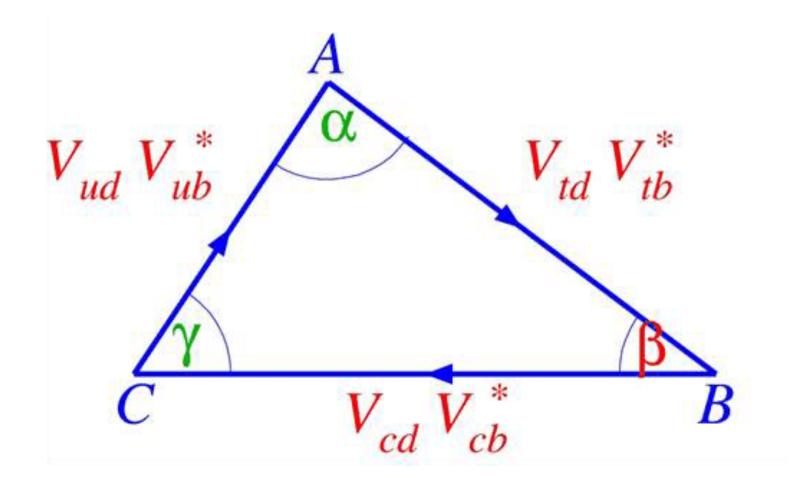
 $V_{cs}^* V_{us}$ Tree + $V_{cb}^* V_{ub}$ Tree X (Penguin / Tree)



Determined by the rescattering

4 parameters 3 parameters Amplitude : $V_{cs}V_{us}^* F^{s-d} + V_{cb}V_{ub}^* F^b$ F^b cannot be determined

Do not need to consider F^b in studying CP-even quantities.



CKM triangle for $b \rightarrow d$

with CP-even quantities.



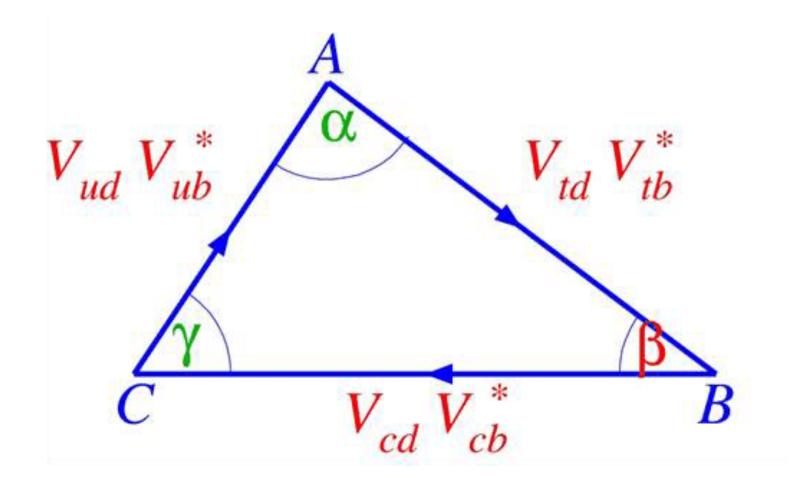
 $V_{cb}V_{ub}^*$

 $V_{cd}V^*$,

CKM triangle for $c \rightarrow u$

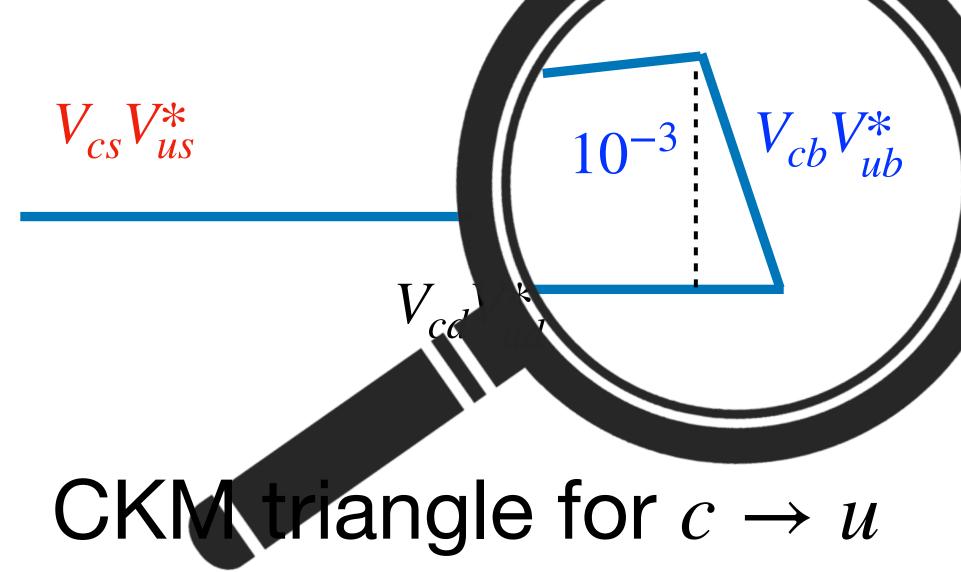
4 parameters 3 parameters Amplitude : $V_{cs}V_{us}^* F^{s-d} + V_{cb}V_{ub}^* F^b$

Do not need to consider F^b in studying CP-even quantities.



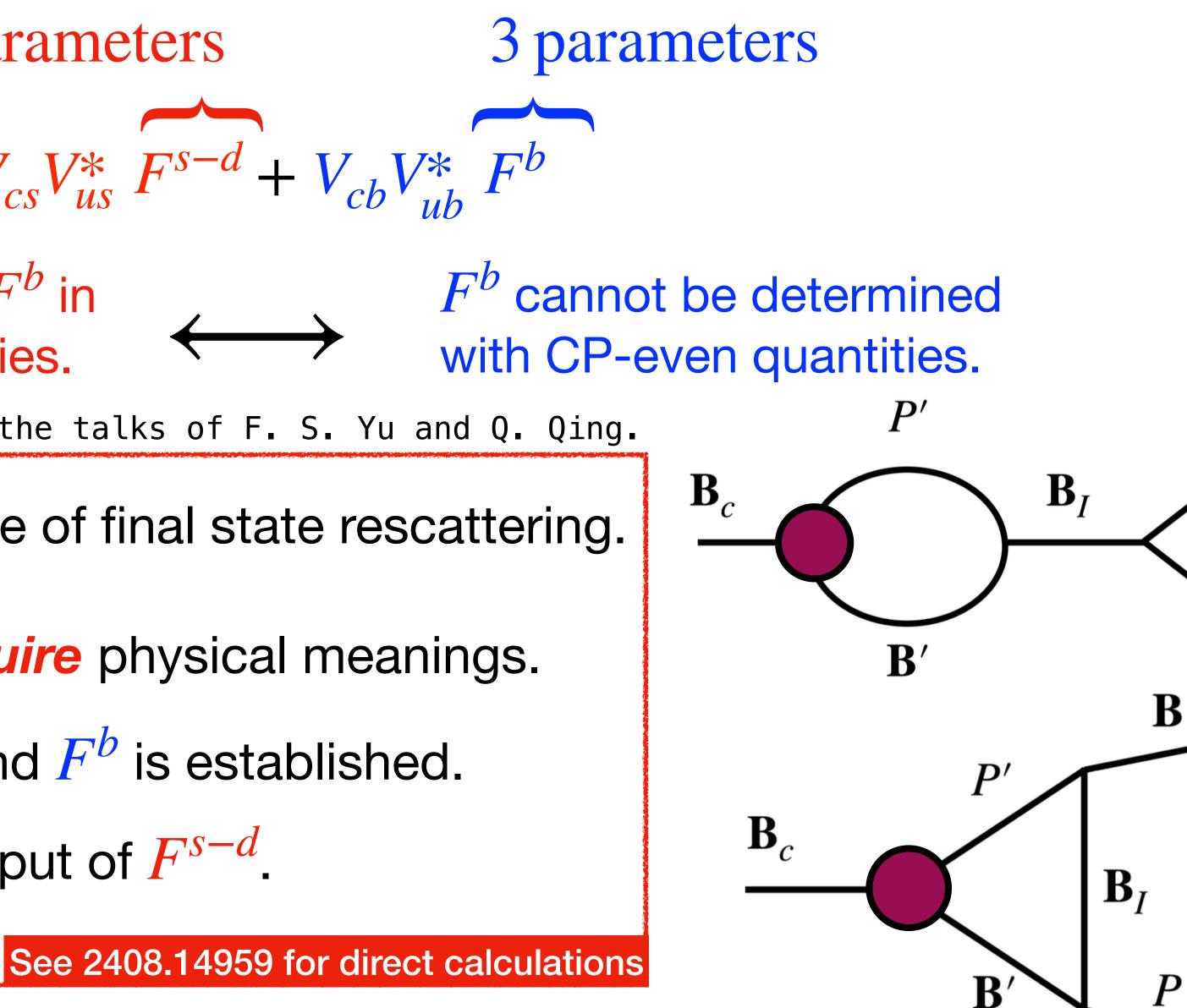
CKM triangle for $b \rightarrow d$

 F^b cannot be determined with CP-even quantities.



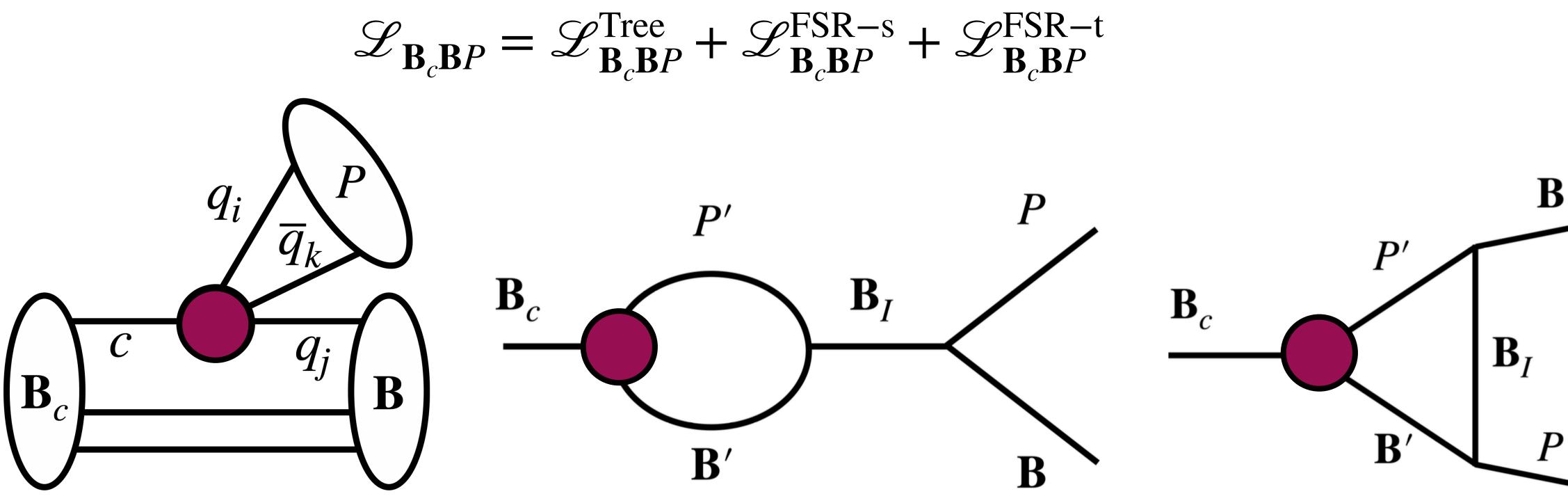


• SU(3) flavor perspective of charmed baryon decays 4 parameters Amplitude : $V_{cs}V_{us}^* F^{s-d} + V_{cb}V_{ub}^* F^b$ Do not need to consider F^b in studying CP-even quantities. See also the talks of F. S. Yu and Q. Qing. We analyzed the $SU(3)_F$ structure of final state rescattering. • The $SU(3)_F$ parameters *acquire* physical meanings. • The relation between F^{s-d} and F^b is established. • One can solve F^b with the input of F^{s-d} .





Rescattering, solving penguin/tree



Assumptions:

- 1. Short distance transitions are dominated by the W-emission, including both colorenhanced and color-suppressed.
- 2. $\mathbf{B}_{I} \in$ lowest-lying baryons of both parities.
- 3. The re-scattering is closed, *i.e.* $\mathbf{B}'P'$ belong to the same $SU(3)_F$ group of $\mathbf{B}P$.

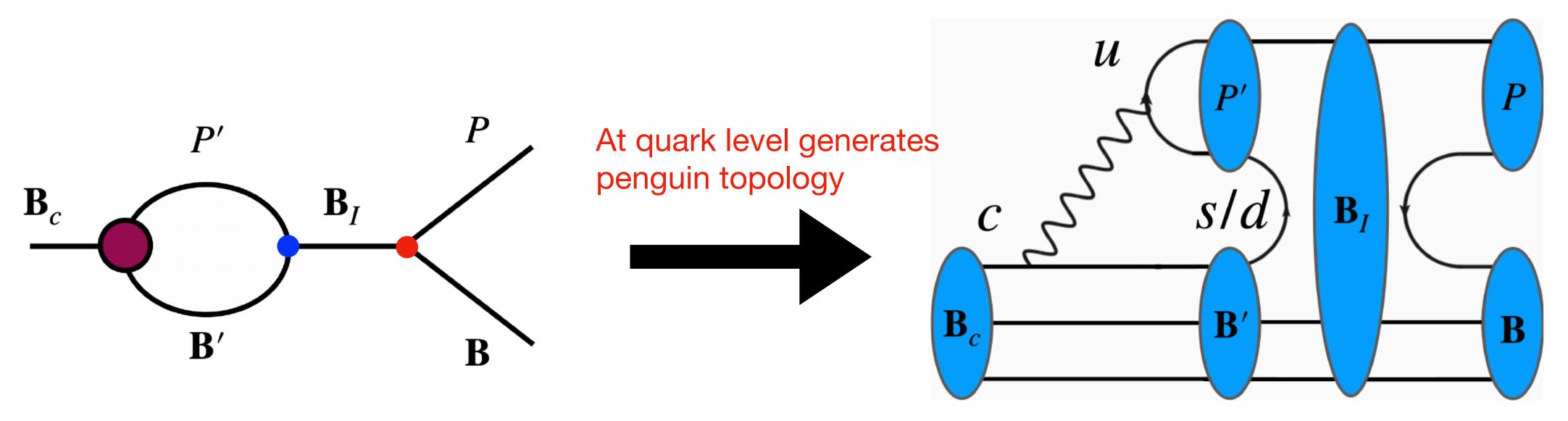
1/

Rescattering, solving penguin/tree

$$\langle \mathscr{L}_{\mathbf{B}_{c}\mathbf{B}P}^{\mathrm{FSR-s}} \rangle = \sum_{\mathbf{B}_{I},\mathbf{B}',P'} \overline{u}_{\mathbf{B}} \left(\int \frac{d^{4}q}{(2\pi)^{4}} g_{\mathbf{B}_{I}\mathbf{B}P} \frac{p_{\mathbf{B}_{c}}^{\mu}\gamma_{\mu} + m_{I}}{p_{\mathbf{B}_{c}}^{2} - m_{I}^{2}} g_{\mathbf{B}_{I}\mathbf{B}'P'} \frac{q^{\mu}\gamma_{\mu} + m_{\mathbf{B}'}}{q^{2} - m_{\mathbf{B}'}^{2}} \frac{1}{(q - p_{\mathbf{B}_{c}})^{2} - m_{P'}^{2}} F_{\mathbf{B}_{c}\mathbf{B}'P'}^{\mathrm{Tree}} \right) u_{\mathbf{B}_{c}}$$

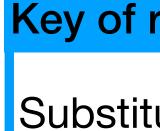
1. $F_{\mathbf{B}_{c}\mathbf{B}'P'}^{\text{Tree}}$ and $g_{\mathbf{B}_{l}\mathbf{B}'P'}$ depend on q^{2} otherwise a cut-off has to be introduced.

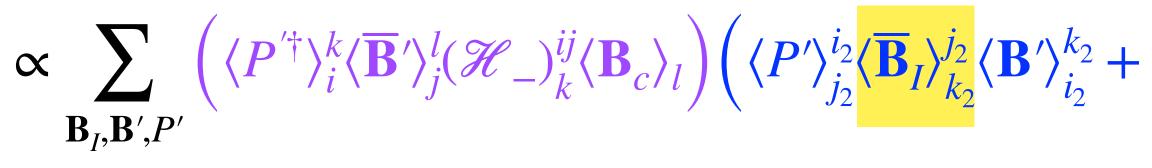
2. Sum over the intermediate hadrons \mathbf{B}_I , \mathbf{B}' and P'.



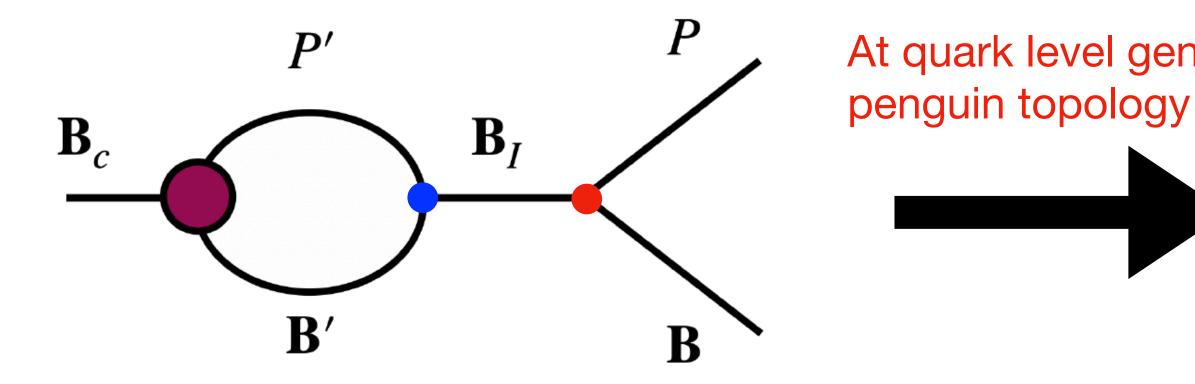
• Rescattering, solving penguin/tree







 $\langle \mathscr{L}_{\mathbf{B}_{c}\mathbf{B}P}^{\mathrm{FSR-s}} \rangle = \tilde{S}^{-} \left(\langle P^{\dagger} \rangle_{j_{1}}^{i_{1}} \langle \overline{\mathbf{B}} \rangle_{k_{1}}^{j_{1}} + r_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{i_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i_{1}}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i}^{k_{1}} + c_{-} \langle P^{\dagger} \rangle_{k_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \left(\delta_{i}^{k_{1}} \delta_{i}^{j_{1}} + c_{-} \langle P^{\dagger} \rangle_{j_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}^{j_{1}} \right) \right) \left(\delta_{i}^{k_{1}} \delta_{i}^{j_{1}} + c_{-} \langle P^{\dagger} \rangle_{j_{1}}^{j_{1}} \langle \overline{\mathbf{B}} \rangle_{j_{1}}$

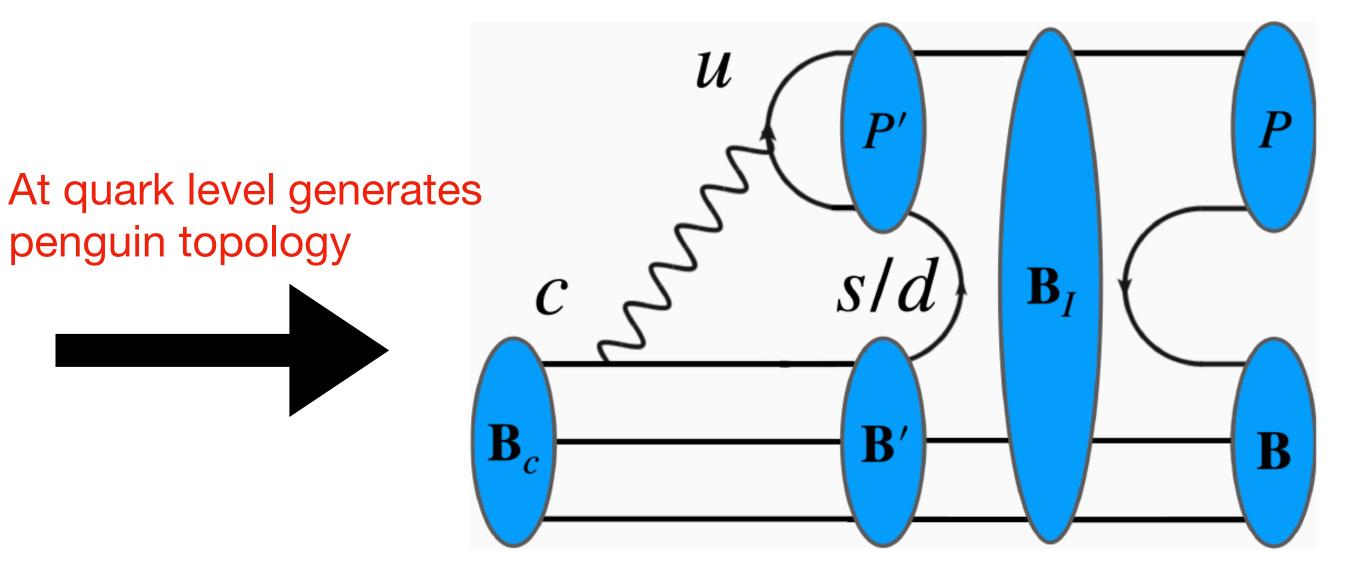


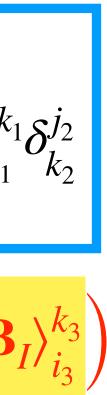
Key of reduction rule: utilizing \mathbf{B}_I belongs to $\mathbf{8}$.

ute
$$\sum_{\mathbf{B}_{I}} \langle \overline{\mathbf{B}}_{I} \rangle_{i_{1}}^{k_{1}} \langle \mathbf{B}_{I} \rangle_{k_{2}}^{j_{2}}$$
 with $\frac{1}{2} \sum_{\lambda_{a}} (\lambda_{a})_{i_{1}}^{k_{1}} (\lambda_{a})_{k_{2}}^{j_{2}} = \delta_{i_{1}}^{j_{2}} \delta_{k_{2}}^{k_{1}} - \frac{1}{3} \delta_{i_{1}}^{k_{2}}$

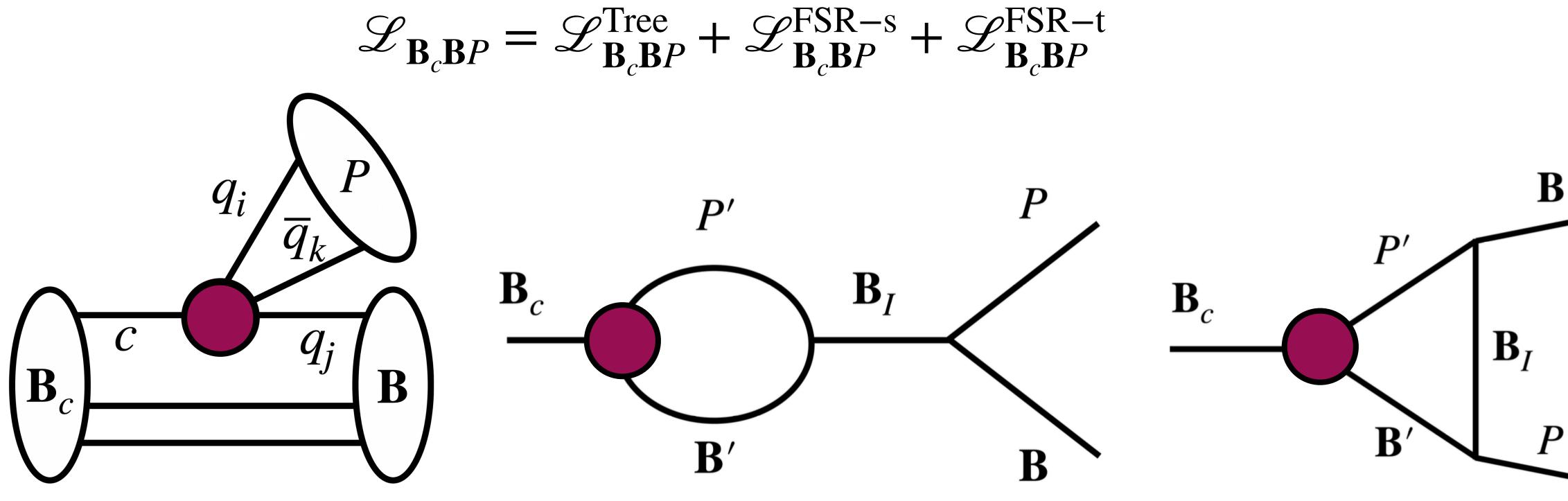
$$r_{-}\langle P'\rangle_{k_{2}}^{j_{2}}\langle \overline{\mathbf{B}}_{I}\rangle_{j_{2}}^{i_{2}}\langle \mathbf{B}'\rangle_{i_{2}}^{k_{2}}\Big)\Big(\langle P^{\dagger}\rangle_{j_{3}}^{i_{3}}\langle \overline{\mathbf{B}}\rangle_{k_{3}}^{j_{3}}\langle \mathbf{B}_{I}\rangle_{i_{3}}^{k_{3}}+r_{-}\langle P^{\dagger}\rangle_{k_{3}}^{j_{3}}\langle \overline{\mathbf{B}}\rangle_{j_{3}}^{i_{3}}\langle \mathbf{B}_{I}\rangle_{j_{3}}^{k_{3}}\Big)\Big|$$

$$-\frac{1}{3}\delta_{i_{1}}^{k_{1}}\delta_{i}^{k}\right)\left(\left(\mathscr{H}_{-}\right)_{k}^{ij}\langle\mathbf{B}_{c}\rangle_{j}+\frac{4r_{-}+1}{r_{-}+4}\left(\mathscr{H}_{-}\right)_{j}^{ji}\langle\mathbf{B}_{c}\rangle_{k}\right)\right)$$





Rescattering, solving penguin/tree



Induce two parameters:

 F_V^{\pm} , including effective color

number and form factors.

Induce one parameter:

Described by 4 complex parameters, having the same number of parameters with the $SU(3)_F$ analysis !

 \tilde{S}^- , containing the q^2 dependencies of couplings.

Induce one parameter:

 \tilde{T}^- , containing the q^2

dependencies of couplings.





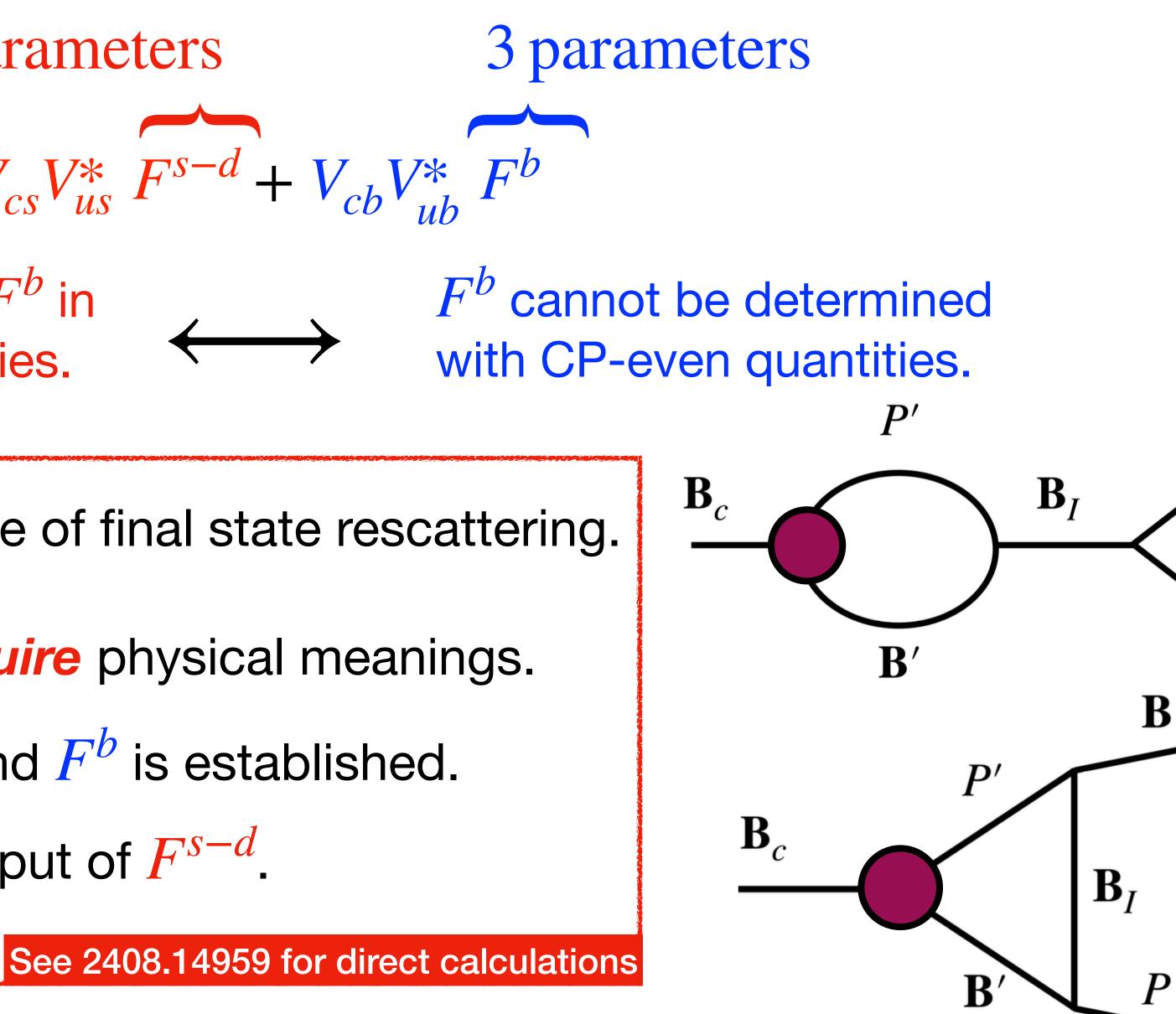
• SU(3) flavor perspective of charmed baryon decays 4 parameters Amplitude : $V_{cs}V_{us}^* F^{s-d} + V_{cb}V_{ub}^* F^b$ Do not need to consider F^b in

studying CP-even quantities.

We analyzed the $SU(3)_F$ structure of final state rescattering.

- The $SU(3)_F$ parameters **acquire** physical meanings.
- The relation between F^{s-d} and F^{b} is established.
- One can solve F^b with the input of F^{s-d} .





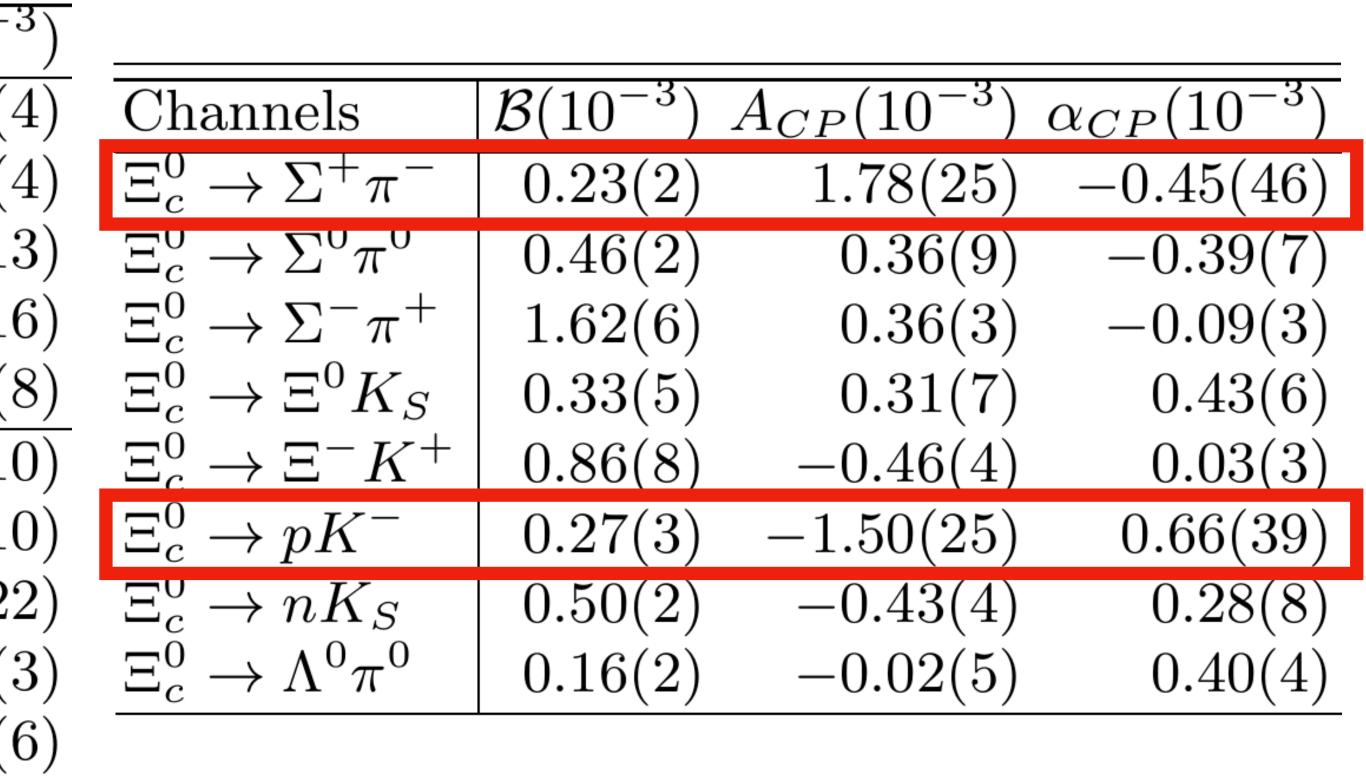


• Rescattering, numerical results

The sizes of CP violation are of the order $O(10^{-4})$, in accordance with naive expectations.

Channels	$\mathcal{B}(10^{-3})$	$A_{CP}(10^{-3})$	$\alpha_{CP}(10^{-1})$
$\Lambda_c^+ \to \Sigma^+ K_S$	0.37(3)	0.29(3)	-0.22(4
$\Lambda_c^+ \to \Sigma^0 K^+$	0.37(3)	0.29(3)	-0.22(4
$\Lambda_c^+ \to p\pi^0$	0.20(3)	0.97(28)	0.99(13)
$\Lambda_c^+ \to n\pi^+$	0.72(7)	-0.21(13)	-0.43(1)
$\Lambda_c^+ \to \Lambda^0 K^+$	0.66(3)	-0.42(12)	0.29(3
$\Xi_c^+ \to \Sigma^+ \pi^0$	2.34(13)	0.45(6)	-0.02(1)
$\Xi_c^+ \to \Sigma^0 \pi^+$	2.34(18)	0.28(6)	-0.38(1)
$\Xi_c^+ \to \Xi^0 K^+$	1.20(18)	1.11(17)	-0.08(2)
$\Xi_c^+ \to p K_S$	1.61(9)	-0.23(2)	0.19(3)
$\Xi_c^+ \to \Lambda^0 \pi^+$	0.95(12)	-0.35(5)	0.22(

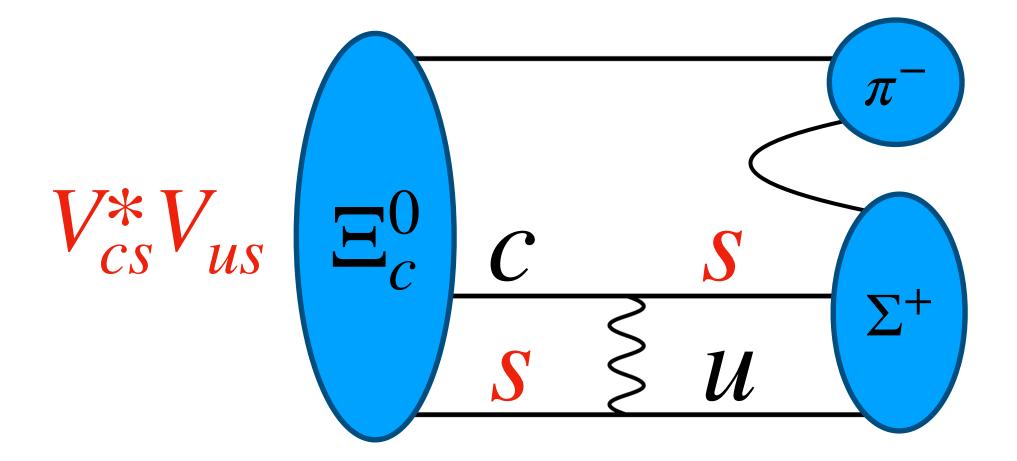
Large CP violation is found ! $A_{CP} = \frac{\Gamma}{\Gamma + \Gamma}$



$$\frac{\overline{\Gamma}}{\overline{\Gamma}}, \quad A^{\alpha}_{CP} = \frac{1}{2} \left(\alpha + \overline{\alpha} \right).$$

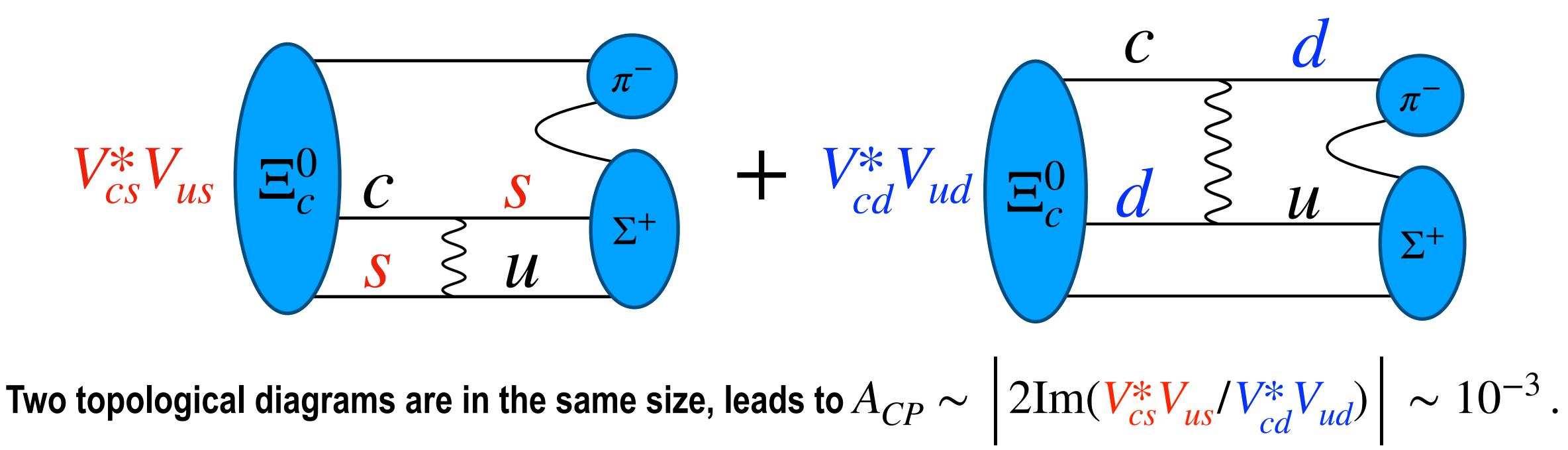
Rescattering, numerical results

- In the U-spin limit, we have that • A_{CP} in the same size with the ones in D meson! $A_{CP}(\Xi_c^0 \to \Sigma^+ \pi^-) = (1.78 \pm 0.25) \times 10^{-3}$
 - $A_{CP}(\Xi_c^0 \to pK^-) = (-1.50 \pm 0.25) \times 10^{-3}$



$$A_{CP}\left(\Xi_c^0 \to \Sigma^+ \pi^-\right) = -A_{CP}\left(\Xi_c^0 \to pK^-\right).$$

EPJC 79, 429 (2019)





12th International Workshop on Charm Physics

12-16 MAY 2025 **TSUNG-DAO LEE INSTITUTE, SHANG HAI**

TOPICS:



- D mixing and charm hadron lifetime
- Leptonic, semileptonic rare charm decays
- Hadronic charm decays and CP-violation
- Charm hadron spectroscopy and exotic hadrons
- Production of charm and charm in media
- Rare charm decays and new physics
- Charm on the lattice
- Tau lepton physics
- Charm facilities Status and future

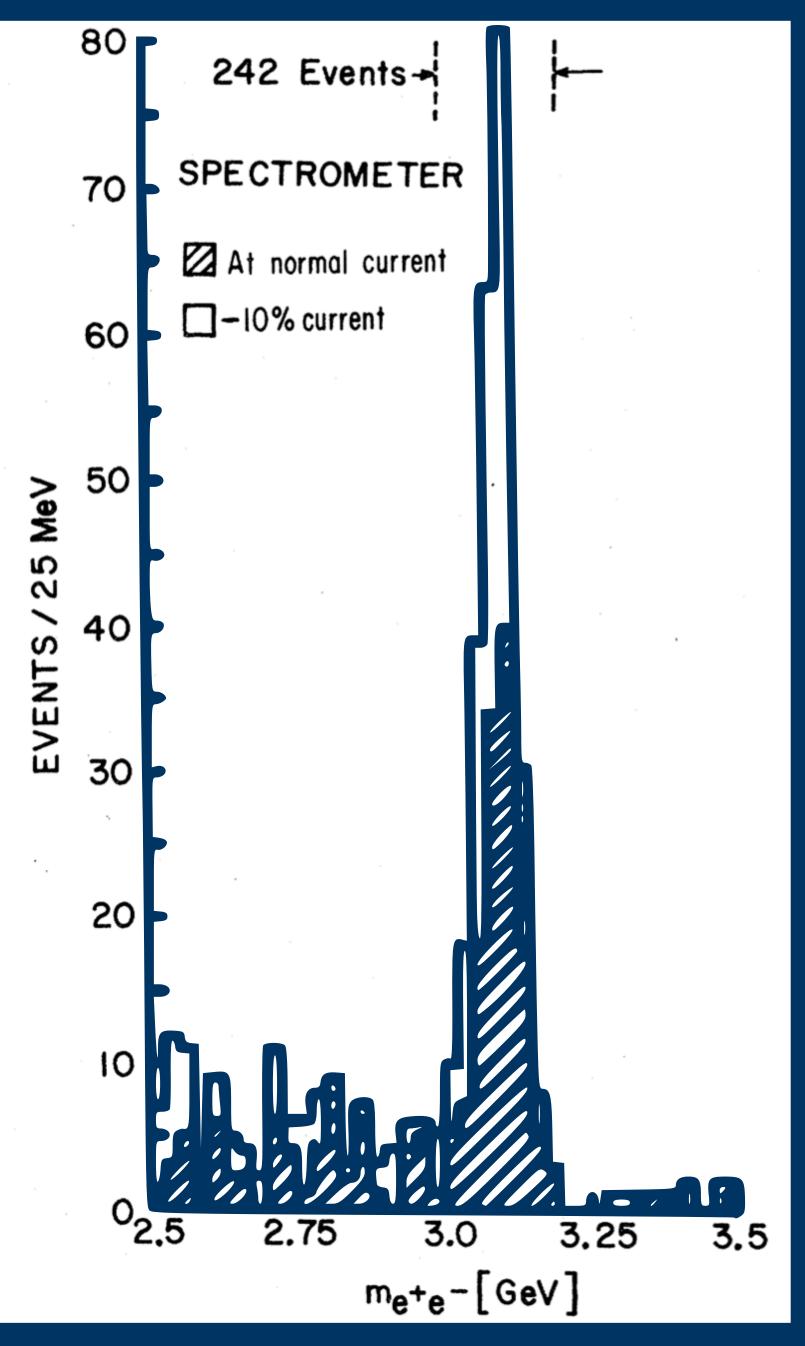






More measurements!

More theoretical studies!



Discovery of *J* **over 50 years**

Backup slides

242 Events -SPECTROMETER 201 ET August run. normal current October run, -10% current 60 EVENTS/25 Mey 50 $\frac{1}{5} = \frac{1}{2.75} = \frac{1}{3.0}$ $m_e^* e^{-1} [GeV]$ 3.25 3.5



• Rescattering, solving penguin/tree

Amplitudes : $\frac{\lambda_s - \lambda_d}{2} F^{s-d} + \lambda_b F^b$

$$\tilde{f}^b = \tilde{F}_V^- + \tilde{S}^- - \sum_{\lambda=\pm} (2r_\lambda^2 - r_\lambda)\tilde{T}_\lambda^-,$$

$$\tilde{f}^c = r_- \tilde{S}^- - \sum_{\lambda=\pm} (r_\lambda^2 - 2r_\lambda + 3)\tilde{T}_\lambda^-,$$

$$\tilde{f}^d = \tilde{F}_V^- - \sum_{\lambda=\pm} (2r_\lambda^2 - 2r_\lambda - 4)\tilde{T}_\lambda^-, \quad \tilde{f}^e = \tilde{F}_V^+,$$

$$\tilde{f}_{\mathbf{3}}^{b} = \frac{7r_{-}-2}{8+2r_{-}}\tilde{S}^{-} - \sum_{\lambda=\pm} (r_{\lambda}^{2} - 5r_{\lambda}/2 + 1)\tilde{T}_{\lambda}^{-},$$

$$\begin{split} \tilde{f}_{\mathbf{3}}^{c} &= \frac{(r_{-}+1)(2-7r_{-})}{24+6r_{-}}\tilde{S}^{-} + \sum_{\lambda=\pm} \frac{1}{6}(r_{\lambda}^{2}+11r_{\lambda}+1)\tilde{T}_{\lambda}^{-}, \\ \tilde{f}_{\mathbf{3}}^{d} &= \frac{r_{-}(7r_{-}-2)}{8+2r_{-}}\tilde{S}^{-} - \sum_{\lambda=\pm} \frac{1}{2}(r_{\lambda}+1)^{2}\tilde{T}_{\lambda}^{-} - \frac{1}{4}\left(\tilde{F}_{V}^{+}+2\tilde{F}_{V}^{-}\right) \left(1 + \frac{(3C_{4}+C_{3})m_{c} - \frac{2m_{K}^{2}}{m_{s}+m_{u}}(3C_{6}+C_{5})}{(C_{+}+C_{-})m_{c}}\right) \\ \tilde{f}_{\mathbf{5}}^{b}, \tilde{f}_{\mathbf{5}}^{c}, \tilde{f}^{d}, \tilde{f}^{e}) \longleftrightarrow \left(\tilde{F}_{V}^{+}, \tilde{F}_{V}^{-}, \tilde{S}^{-}, \tilde{T}^{-}\right) \longrightarrow \left(\tilde{f}_{\mathbf{3}}^{b}, \tilde{f}_{\mathbf{3}}^{c}, \tilde{f}_{\mathbf{3}}^{d}\right) \\ \frac{27}{PRD 100, 093002 (2019)} \end{split}$$

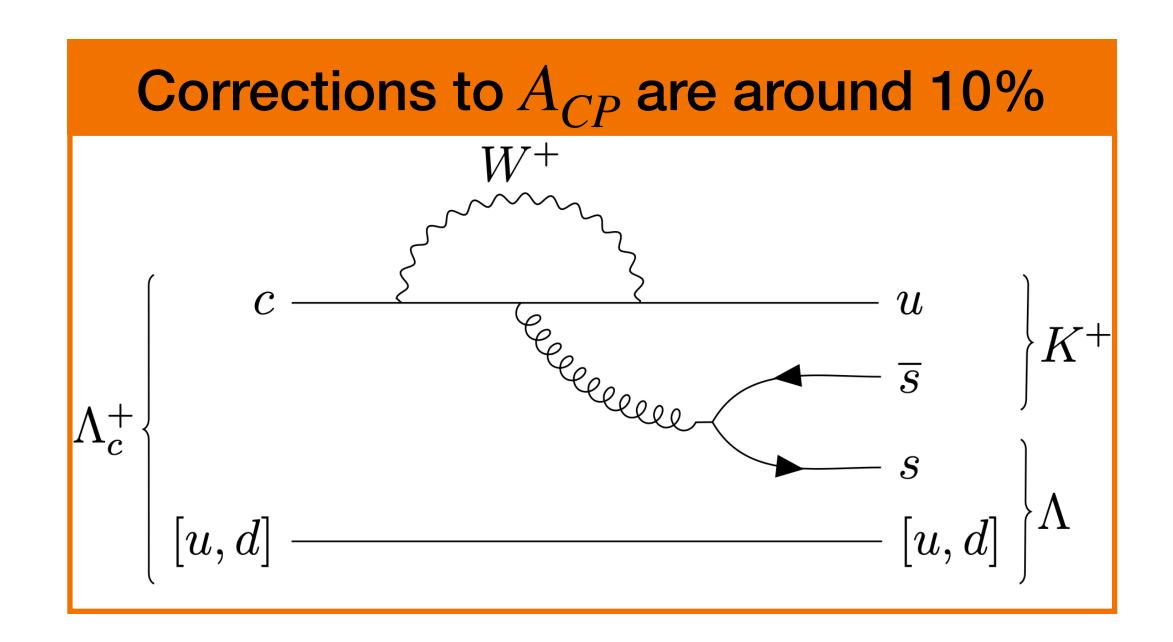
$$\begin{aligned} \text{Much more complicated compared} \text{to } P^{LD} = E \text{ in } D \text{ mesons } ! \end{split}$$

$$\begin{split} \tilde{f}_{3}^{c} &= \frac{(r_{-}+1)(2-(r_{-}))}{24+6r_{-}}\tilde{S}^{-} + \sum_{\lambda=\pm} \frac{1}{6}(r_{\lambda}^{2}+11r_{\lambda}+1)\tilde{T}_{\lambda}^{-}, \\ \tilde{f}_{3}^{d} &= \frac{r_{-}(7r_{-}-2)}{8+2r_{-}}\tilde{S}^{-} - \sum_{\lambda=\pm} \frac{1}{2}(r_{\lambda}+1)^{2}\tilde{T}_{\lambda}^{-} - \frac{1}{4}\left(\tilde{F}_{V}^{+}+2\tilde{F}_{V}^{-}\right) \left(1 + \frac{(3C_{4}+C_{3})m_{c} - \frac{2m_{k}^{2}}{m_{s}+m_{u}}(3C_{6}+C_{5})}{(C_{+}+C_{-})m_{c}}\right) \\ \tilde{f}_{0}^{b}, \tilde{f}_{0}^{c}, \tilde{f}_{0}^{d}, \tilde{f}_{0}^{e}) \longleftrightarrow \left(\tilde{F}_{V}^{+}, \tilde{F}_{V}^{-}, \tilde{S}^{-}, \tilde{T}^{-}\right) \longrightarrow \left(\tilde{f}_{3}^{b}, \tilde{f}_{3}^{c}, \tilde{f}_{3}^{d}\right) \\ \frac{27}{27} \end{split} \\ \text{PRD 100, 093002 (2019)} \begin{array}{c} \text{Much more complition of } P^{LD} = E \text{ in } P^{$$

$$\begin{split} \tilde{f}_{3}^{c} &= \frac{(r_{-}+1)(2-1r_{-})}{24+6r_{-}}\tilde{S}^{-} + \sum_{\lambda=\pm} \frac{1}{6}(r_{\lambda}^{2}+11r_{\lambda}+1)\tilde{T}_{\lambda}^{-}, \\ \tilde{f}_{3}^{d} &= \frac{r_{-}(7r_{-}-2)}{8+2r_{-}}\tilde{S}^{-} - \sum_{\lambda=\pm} \frac{1}{2}(r_{\lambda}+1)^{2}\tilde{T}_{\lambda}^{-} - \frac{1}{4}\left(\tilde{F}_{V}^{+}+2\tilde{F}_{V}^{-}\right) \left(1 + \frac{(3C_{4}+C_{3})m_{c} - \frac{2m_{k}^{2}}{m_{s}+m_{u}}(3C_{6}+C_{5})}{(C_{+}+C_{-})m_{c}}\right) \\ \left(\tilde{f}^{b}, \tilde{f}^{c}, \tilde{f}^{d}, \tilde{f}^{e}\right) \longleftrightarrow \left(\tilde{F}_{V}^{+}, \tilde{F}_{V}^{-}, \tilde{S}^{-}, \tilde{T}^{-}\right) \longrightarrow \left(\tilde{f}_{3}^{b}, \tilde{f}_{3}^{c}, \tilde{f}_{3}^{d}\right) \end{split}^{27} \end{split}$$

$$PRD 100, 093002 (2019)$$

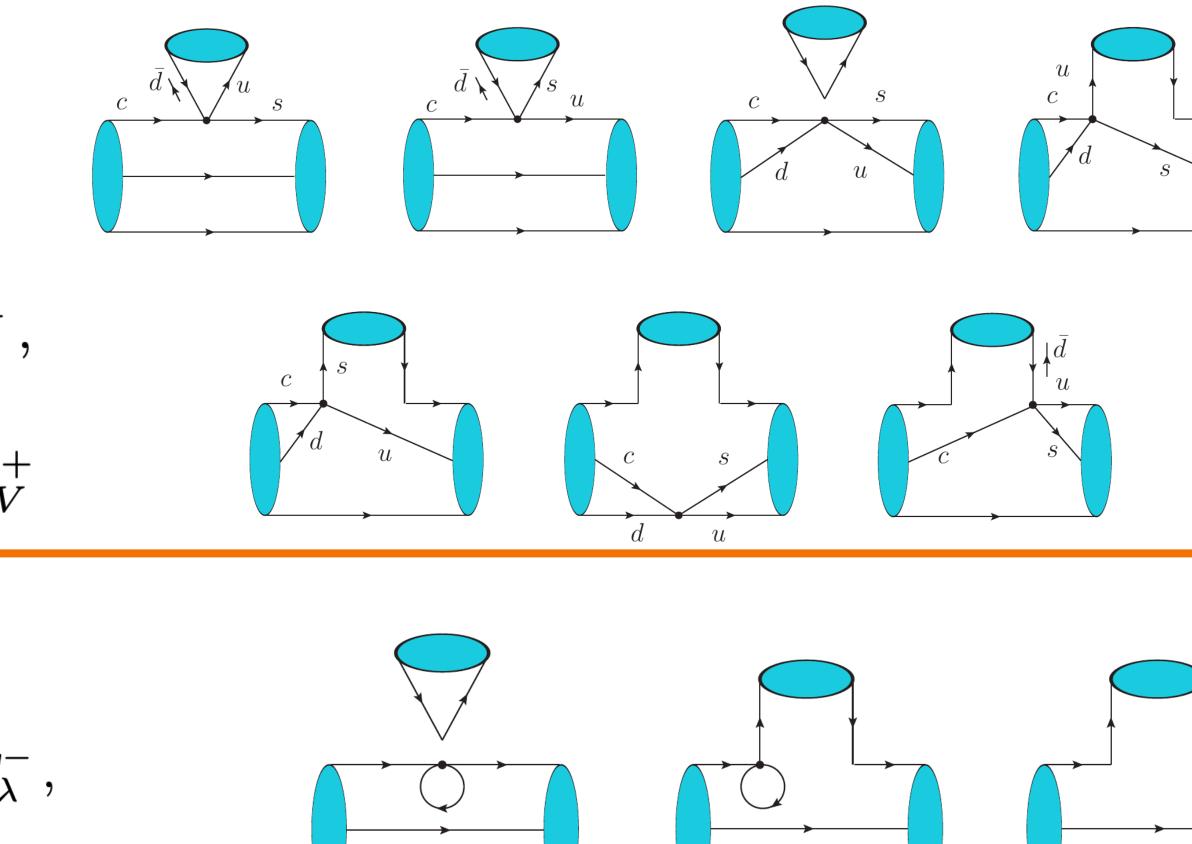
$$\begin{aligned} Much more compliant to P^{LD} = E \text{ in } D^{2} \\ \frac{1}{2} + \frac{1}$$



D mesons !

Rescattering, solving penguin/tree

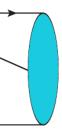
Amplitudes : $\frac{\lambda_{s} - \lambda_{d}}{\gamma} \tilde{f}^{b,c,d,e} + \lambda_{b} \tilde{f}^{b,c,d}_{3}$ $\tilde{f}^b = \tilde{F}_V^- - (r_- + 4)\tilde{S}^- + \sum (2r_\lambda^2 - r_\lambda)\tilde{T}_\lambda^-,$ $\tilde{f}^c = -r_-(r_-+4)\tilde{S}^- + \sum (r_\lambda^2 - 2r_\lambda + 3)\tilde{T}_\lambda^-,$ $\tilde{f}^d = \tilde{F}_V^- + \sum (2r_\lambda^2 - 2r_\lambda - 4)\tilde{T}_\lambda^-, \quad \tilde{f}^e = \tilde{F}_V^+$ $\tilde{f}_{\mathbf{3}}^{b} = (1 - \frac{7r_{-}}{2})\tilde{S}^{-} + \sum_{\lambda} (r_{\lambda}^{2} - 5r_{\lambda}/2 + 1)\tilde{T}_{\lambda}^{-},$ $\tilde{f}_{\mathbf{3}}^{c} = \frac{(r_{-}+1)(7r_{-}-2)}{6}\tilde{S}^{-} - \sum_{i}\frac{r_{\lambda}^{2}+11r_{\lambda}+1}{6}\tilde{T}_{\lambda}^{-},$ $\tilde{f}_{\mathbf{3}}^{d} = \frac{2r_{-} - 7r_{-}^{2}}{2}\tilde{S}^{-} + \sum_{\lambda = \pm} \frac{(r_{\lambda} + 1)^{2}}{2}\tilde{T}_{\lambda}^{-} - \frac{\tilde{F}_{V}^{+} + 2\tilde{F}_{V}^{-}}{4}.$ $(\tilde{f}^b, \tilde{f}^c, \tilde{f}^d, \tilde{f}^e) \longleftrightarrow (\tilde{F}_V^+, \tilde{F}_V^-, \tilde{S}^-, \tilde{T}^-) \longrightarrow (\tilde{f}^b_3, \tilde{f}^c_3, \tilde{f}^d_3)$

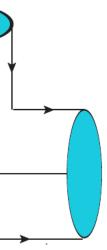


28

PRD 100, 093002 (2019)

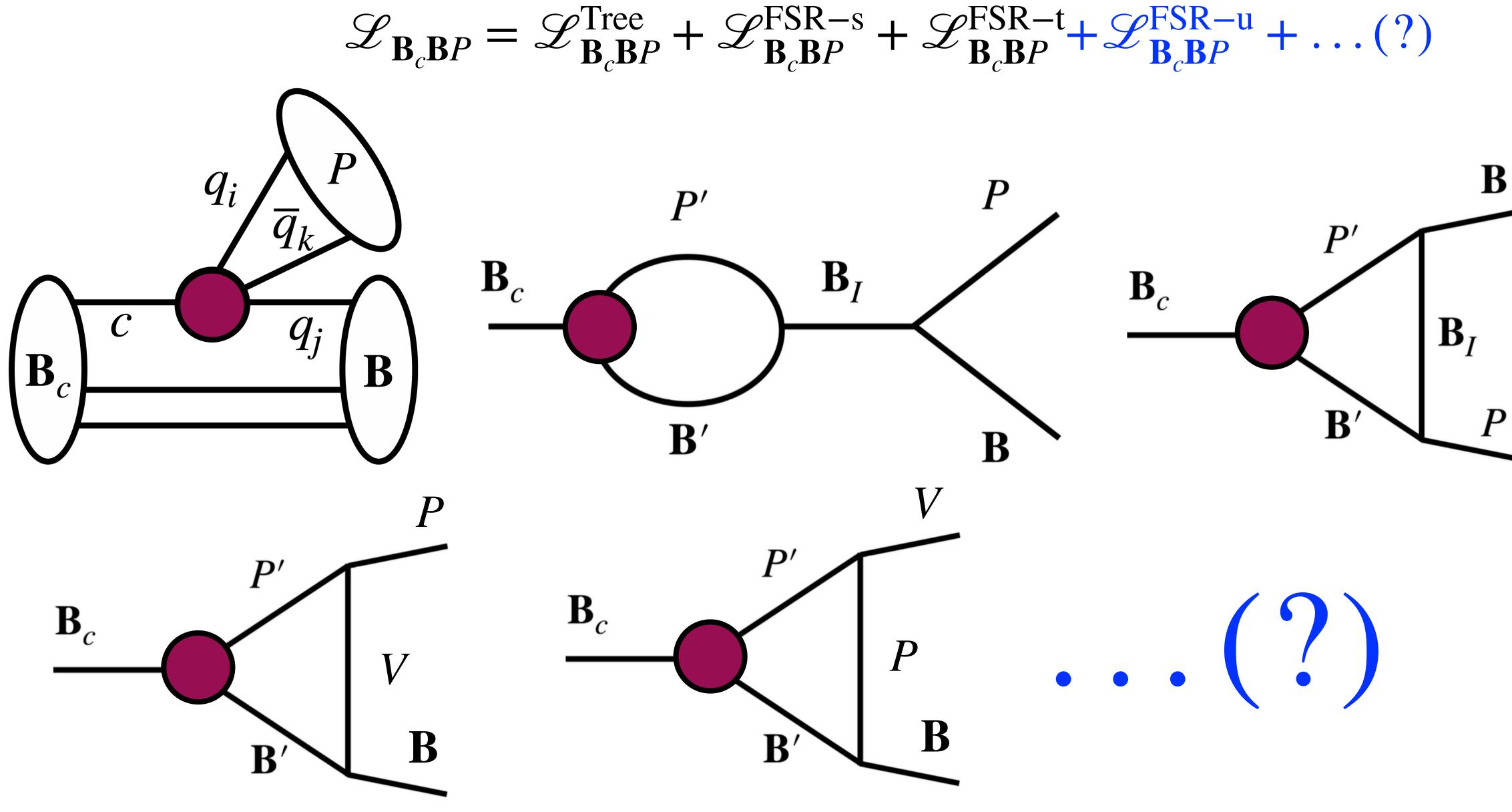
Much more complicated compared to $P^{LD} = E$ in **D** mesons !







• Rescattering, solving penguin/tree



Tawaki The Rainforest Penguin



Tawaki breed in jungle-like temperate rainforest along the rugged Lake Moeraki coastline. To see tawaki on wilderness beaches is one of New Zealand's great wildlife experiences.





LAKE MOERAKI



Tawaki: A Wildlife Treasure

The Rainforest Penguin

Tawaki, or the Fiordland Crested Penguin (Eudyptes pachyrhynchus), are unique among penguins.

They breed in temperate rainforest, only in the southwest corner of New Zealand. During the July to December breeding season they are most easily seen along the Lake Moeraki coastline.

Tawaki build their nests beneath logs and boulders. These will be deep in the forest, often hundreds of metres inland and up steep hillsides.

Adults must negotiate the pounding surf, wild beaches and dense undergrowth as they make their way between the Tasman Sea and their rainforest nests.

Guided Penguin Trips

Since 1989 Wilderness Lodge Lake Moeraki has taken guests to see tawaki under a special license from the Department of Conservation.

Our guides are experts in penguin ecology and delight in sharing this once in a lifetime experience with guests.

Hike through lush rainforest to a wilderness beach then sit quietly as penguins emerge from the surf and make their way across the beach and into the rainforest.

Guided penguin trips last about 3 hours, include light refreshments and require a low to moderate level of fitness. Group sizes are always kept small.

Tawaki Facts

- Tawaki are the world's only penguin to breed in temperate rainforest.
- They stand 60cm tall (2 ft) and weigh approx. 4kg.
- Females lay two eggs each year but only chick is ever feed. This chick grows quickly while the other generally won't survive more than a few days.
- The breeding season runs between July and early December. Outside of this period tawaki are at sea, fishing and sleeping on the surface of the ocean.
- The main threats to tawaki are domestic dogs, introduced stoats (weasel family) and disturbance.

LAKE MOERAKI Tawaki Conservation

has worked to conserve Tawaki. We campaigned to establish and enforce a Wildlife ole taking dogs into the colonies where they would attack and kill penguins.

extensive aerial pest control programme by the Conservation Department on the at also kill penguin chicks.

penguin trips are carefully d disturbance. Small groups discreetly while penguins ally across the beach.

around 2 hours at our part of our trips we monitor with around 80 trips per last 20 years since pest here, penguin movements h have shown a small but enguins seen on each trip (se

couraging result g term monitor ki breeding suc n stark contrast strophic decline ellow Eyed penon on the southh Island coast

