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Superconducting quadrupole magnets in the interaction region of CEPC

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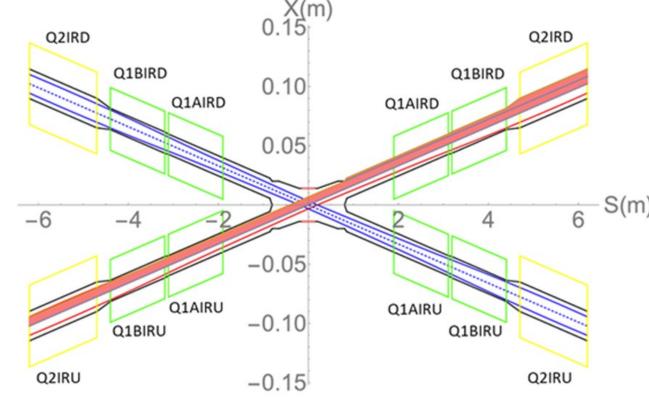
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Abstract

This poster presents research on a dual-aperture superconducting quadrupole magnet of CCT type without iron core shielding, which is being designed for the interaction region of the CEPC project. It mainly introduces the direct-winding magnet design scheme and the development of direct-winding technology for fabricating CCT magnets.

2) Introduction

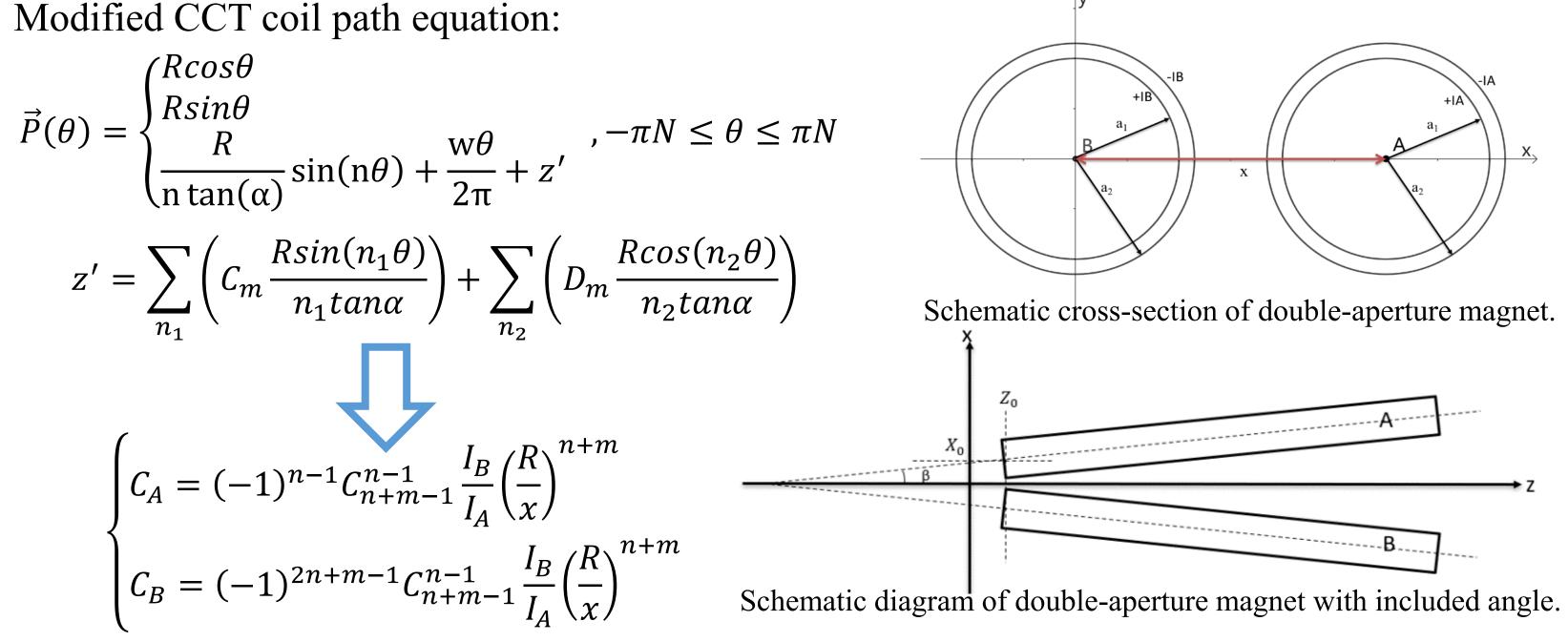
The accelerator of CEPC is now in the engineering design phase, which places more stringent requirements on the design of the superconducting quadrupole magnets in the interaction region. The need to reduce both the weight of the superconducting magnets and the deformation of the cantilevered support has led to the proposal of an ironless magnet solution. As the dual aperture magnets are not shielded by iron yokes, crosstalk will affect the magnetic field quality. For this reason, we propose the ironless dual aperture superconducting quadrupole magnet without correction coils.



Layout of SCQ magnets in the interaction region.

4 Method

The CCT coil path can be expressed by the equation, and the surface current density is used to derive the corresponding current density distribution of the coil and the magnetic field it generates. Therefore, by modifying the coil path equation, the current density distribution of the coil can be adjusted and new multipole magnetic fields can be added without the corrector coils.



The beam crossing angle between the two apertures of the superconducting magnet in the CEPC interaction region is 33 mrad, so the distance between the two apertures varies with position.

$$x = 2 \times \left[\left(Z_0 + \frac{R}{2 \tan(\alpha)} \sin(2\theta) + \frac{w\theta}{2\pi} + z' \right) \tan\beta + X_0 \right]$$

