

INTERNATIONAL WORKSHOP  
ON THE HIGH ENERGY CIRCULAR ELECTRON POSITRON COLLIDER

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# Probing Reheating through UV Freeze-in Dark Matter at Lepton Colliders

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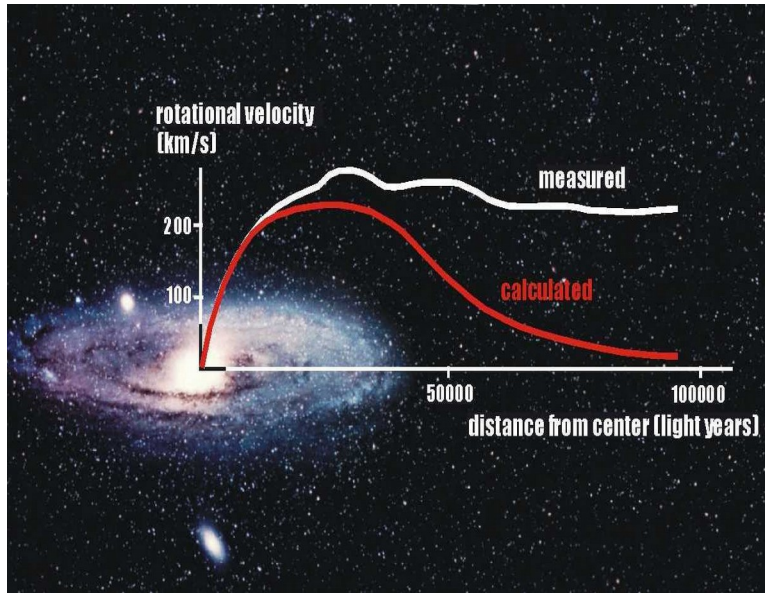
Institute of Quantum Matter  
South China Normal University

Based on **Phys. Lett. B 869 (2025) 139863** & **JHEP 07 (2025) 157**

Date : 8<sup>th</sup> November, 2025

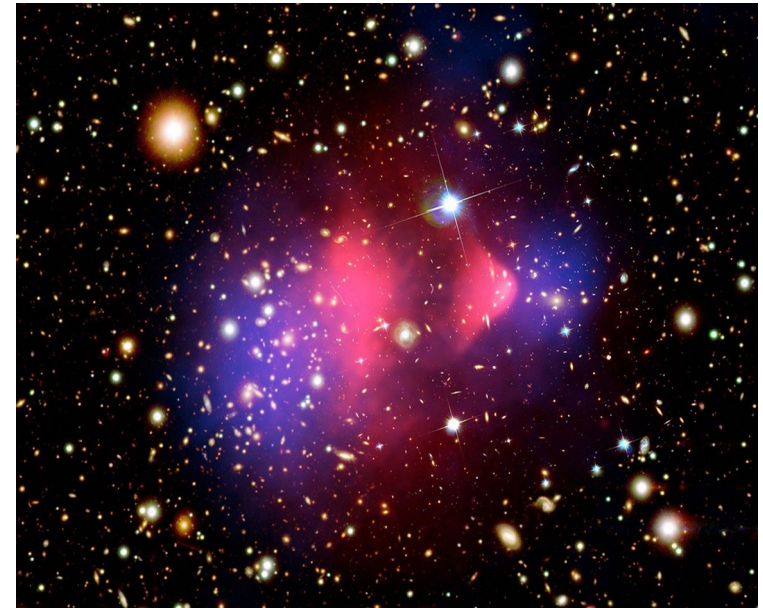
# Evidences of Dark Matter:

## Galaxy scale



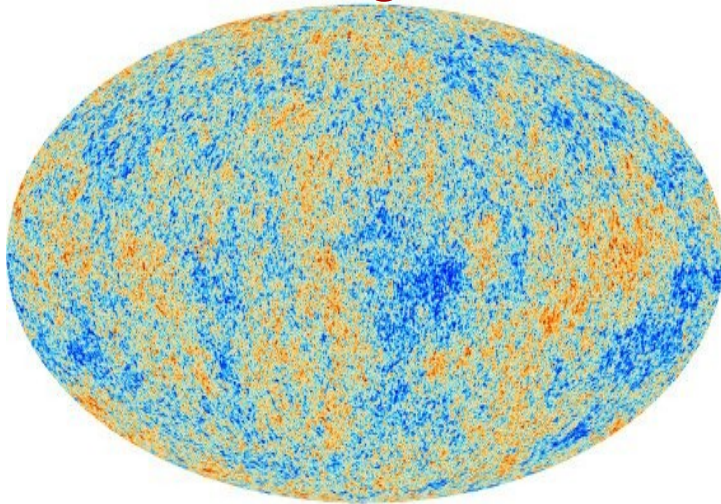
(Galaxy rotation curve)

## Cluster scale



(X-ray imaging & gravitational lensing)

## Cosmological scale



(Temperature anisotropy in CMB)

5 times more  
than the visible  
matter



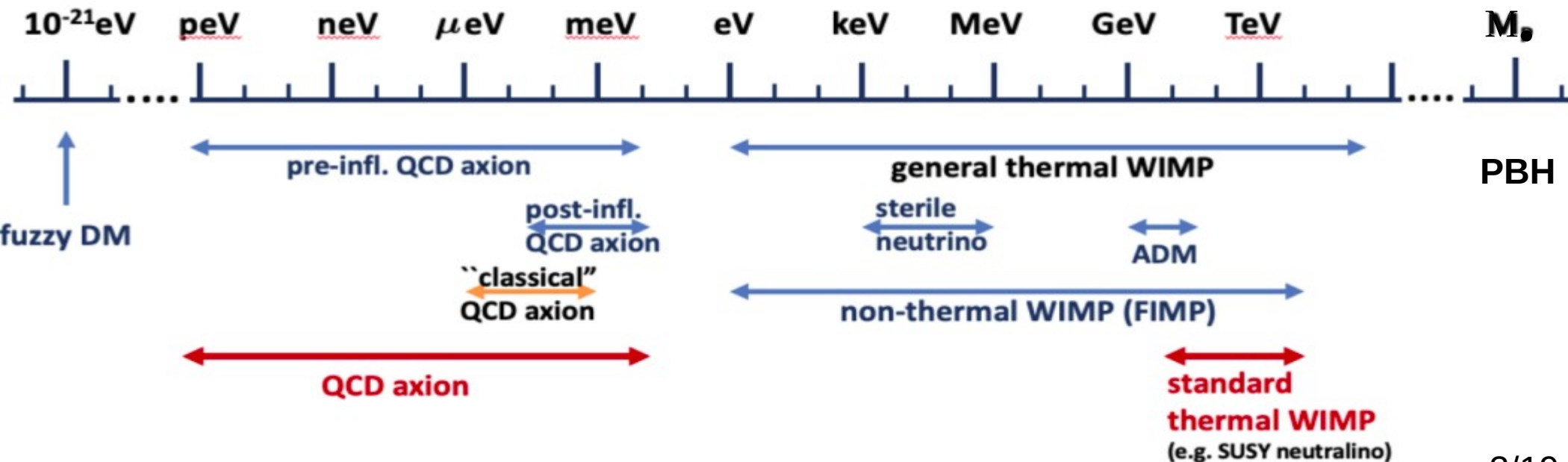
# Dark Matter: knowns & unknowns

## What we know

- ▶ Gravitational interaction
- ▶ Heavy and stable
- ▶ Electromagnetic charge neutral
- ▶ Cold/non-relativistic

## What we don't know

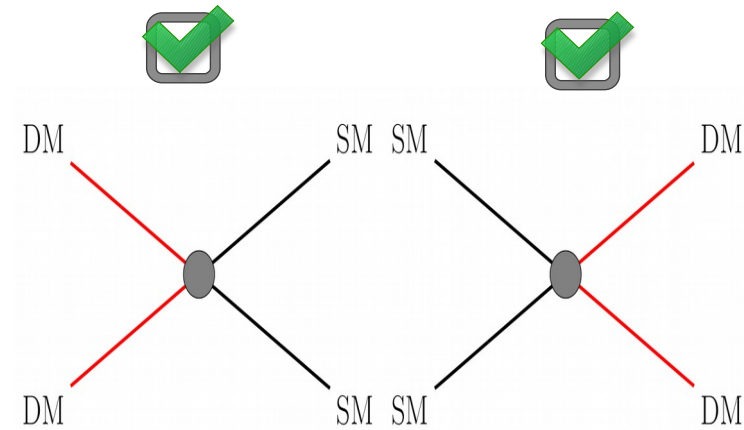
- ▶ Particle nature of DM
- ▶ Production mechanism
- ▶ Interaction with SM
- ▶ Single or multi-component





# WIMP:

- ▶ DM is in thermal equilibrium with SM at  $T \gg m_{\text{DM}}$
- ▶ As  $T$  falls below DM mass,  $n_{\text{DM}} \propto \exp(-m_{\text{DM}}/T)$
- ▶ When  $\Gamma_{\text{int}} < H$ , DM decouples from the thermal bath and the number density becomes constant.



## Boltzmann Equation

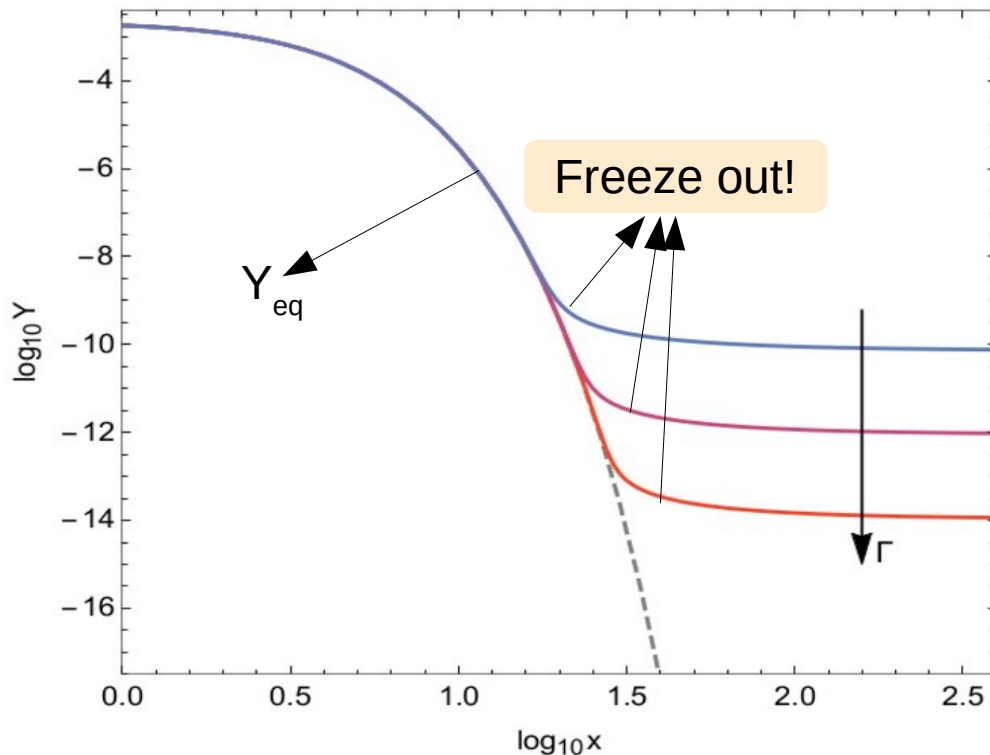
$$\frac{dn}{dt} + 3Hn = -\langle\sigma v\rangle(n^2 - n_{\text{eq}}^2)$$

$$Y \equiv n/s \text{ and } x = m/T$$

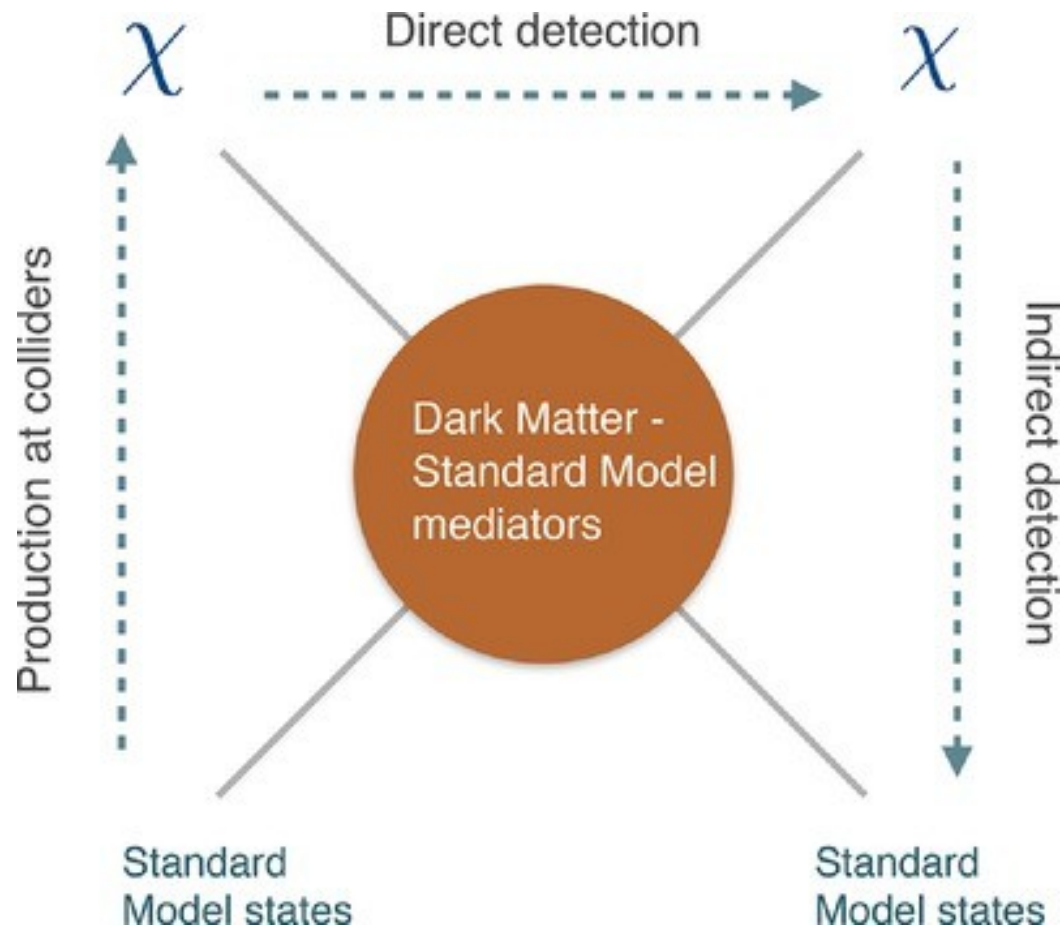
$$\frac{dY}{dx} = -\frac{\langle\sigma v\rangle s}{Hx}(Y^2 - Y_{\text{eq}}^2)$$

$$\Omega h^2 \simeq 0.12 \left( \frac{2 \times 10^{-9}}{\langle\sigma v\rangle} \right) \text{GeV}^{-2}$$

**WIMP miracle!**

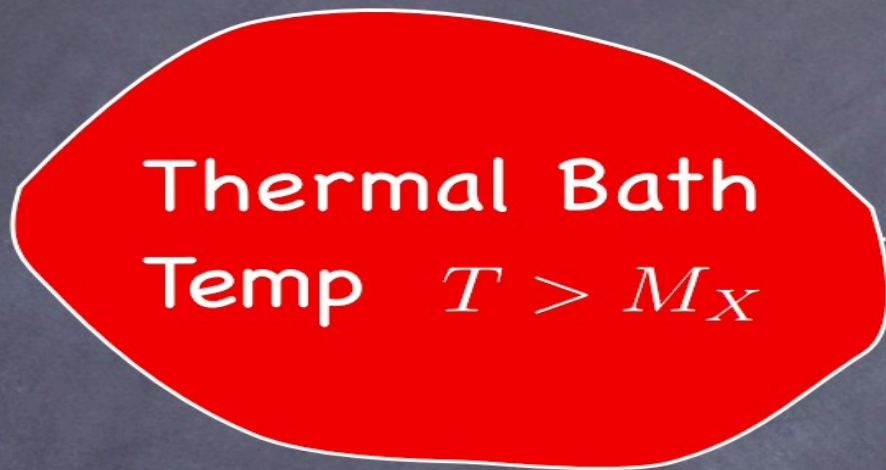


# WIMP searches:



Null results from these experiments motivate us to look into other DM production mechanisms such as **Freeze-in** mechanism.

# FIMP:

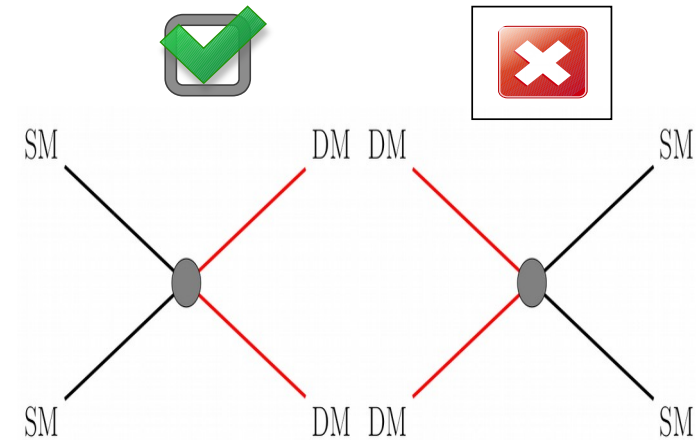


$\lambda$



$X$  is thermally decoupled and we assume initial abundance negligible

- ▶ DM is never in thermal equilibrium with the SM
- ▶ Initial DM abundance is vanishingly small
- ▶ Produced via annihilation/decay of the bath particles
- ▶ Two categories: IR (0911.1120) & UV (1410.6157)



# FIMP:

## IR

- ▶ DM couples to SM via renormalizable interactions
- ▶  $\lambda \sim \mathcal{O}(10^{-10})$  gives the correct DM relic abundance
- ▶ Dominant DM production happens at  $T_{\text{fi}} \sim m_{\text{DM}}$
- ▶ Mild dependence on initial condition

## Boltzmann Equation

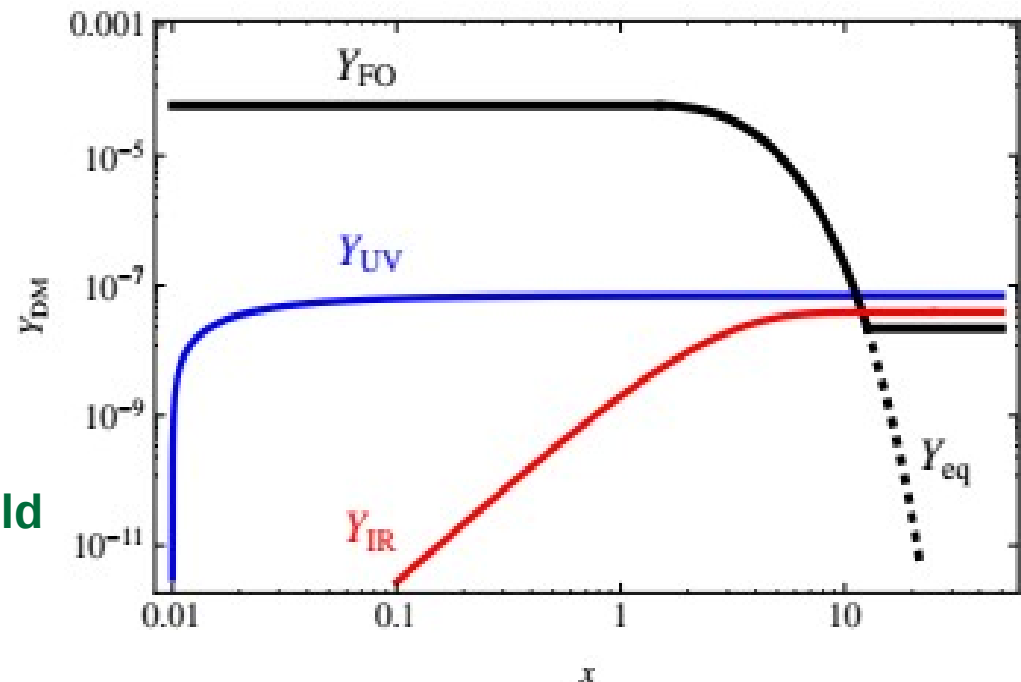
$$\frac{dY}{dx} = -\frac{\langle \sigma v \rangle s}{Hx} (\cancel{X}^2 - Y_{\text{eq}}^2)$$

IR FIMP: Gradual increament of DM yield

UV FIMP: Immediate increament of DM yield

## UV

- ▶ DM couples to SM via non-renormalizable interactions
- ▶ DM yield is  $\propto$  temperature
- ▶ Dominant DM production happens at  $T_{\text{fi}} \sim T_{\text{RH}}$
- ▶ Strong dependence of initial conditions



# DM Effective Field Theory:

$$\mathcal{L}_{\text{eft}} = \mathcal{L}_{\text{SM}} + \sum_n \frac{c_n}{\Lambda^{(n-4)}} \mathcal{O}_{\text{SM-DM}}$$

$$\mathcal{O}_{\text{DM-SM}} \sim \mathcal{O}_{\text{DM}} \mathcal{O}_{\text{SM}}$$

$\mathcal{O}_{\text{SM}}$  is constituted of SM fields  
 $\mathcal{O}_{\text{DM}}$  is constituted with DM fields

This factorization assumes that DM does not possess any SM charges and vice versa

- ◆ DMEFT operators are Lorentz invariant
- ◆  $Z_2$  symmetry is imposed on DM for the stability
- ◆ Any operator would contain at least two DM particles

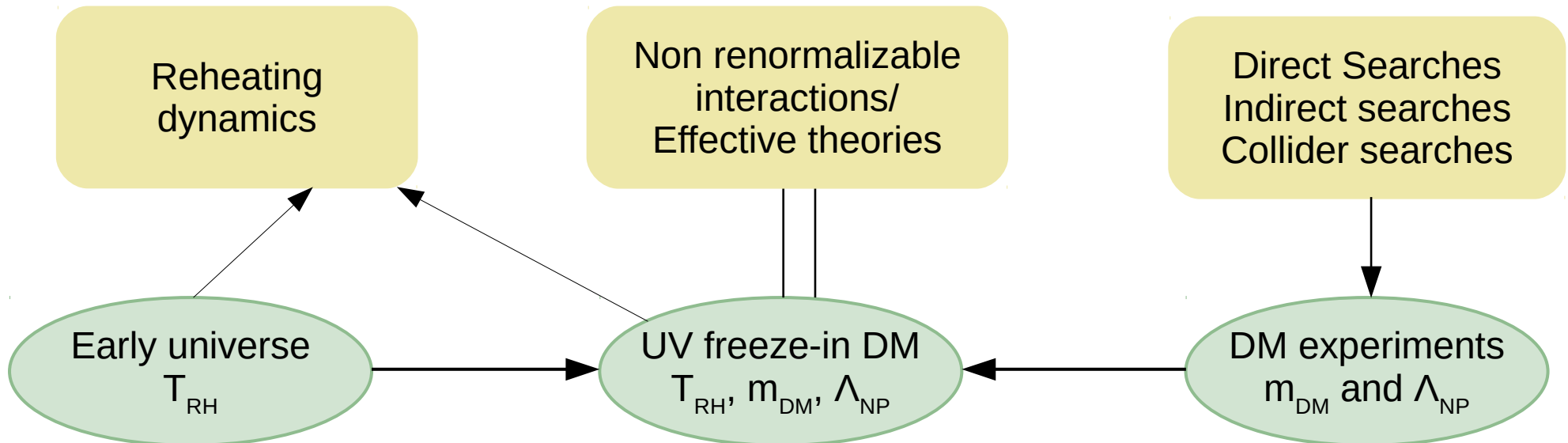
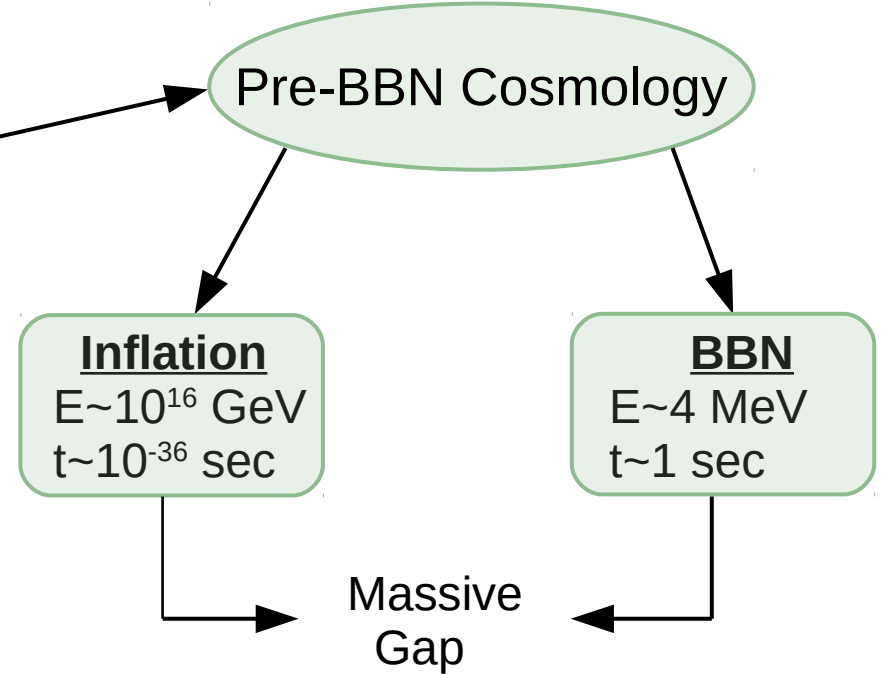
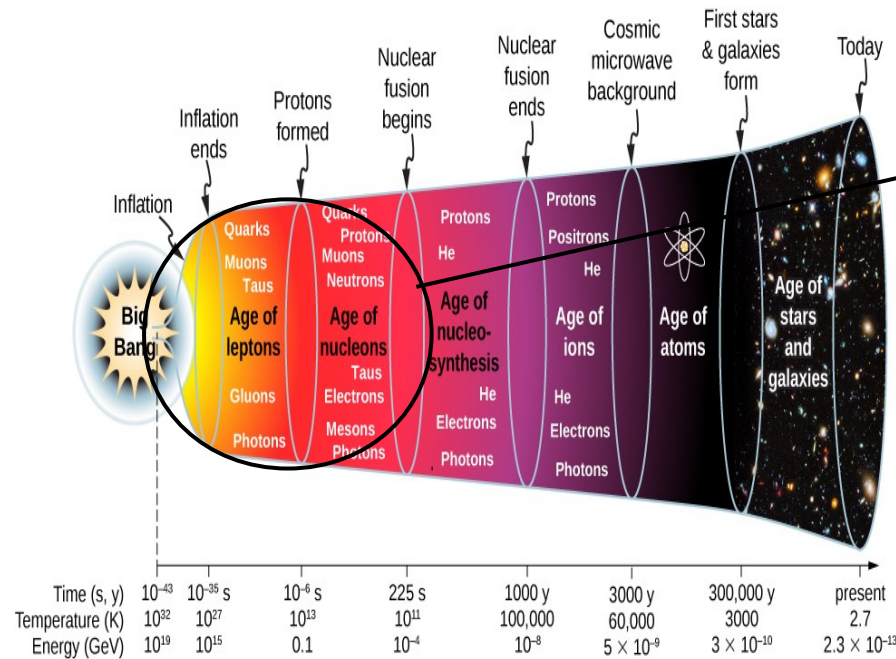
$$\mathcal{O}_2^s = \frac{1}{\Lambda^2} (B_{\mu\nu} B^{\mu\nu} + W_{\mu\nu}^i W^{i\mu\nu}) \Phi^2 \sim F_{\mu\nu} F^{\mu\nu} \Phi^2$$

$$\mathcal{O}_3^f = \frac{1}{\Lambda^3} (B_{\mu\nu} B^{\mu\nu} + W_{\mu\nu}^i W^{i\mu\nu}) \bar{\chi} \chi \sim F_{\mu\nu} F^{\mu\nu} \bar{\chi} \chi$$

Photophilic  
Dark Matter



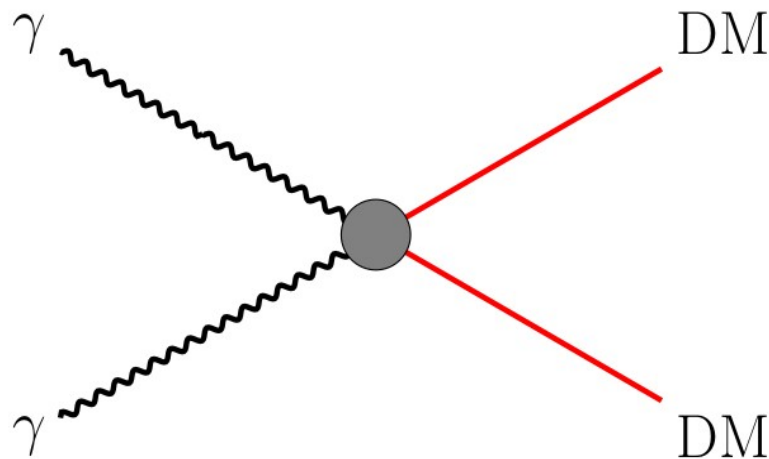
# DM as a window to early universe:



# Instantaneous reheating:

- ◆ Inflaton decays instantaneously: Inflationary dynamics absent
- ◆ Maximum temperature of the universe: Reheating temperature

From photophilic operators,



$$\Gamma_{2 \rightarrow 2} = n_{\text{eq}} \langle \sigma v \rangle_{\text{DMDM} \rightarrow \gamma\gamma}$$

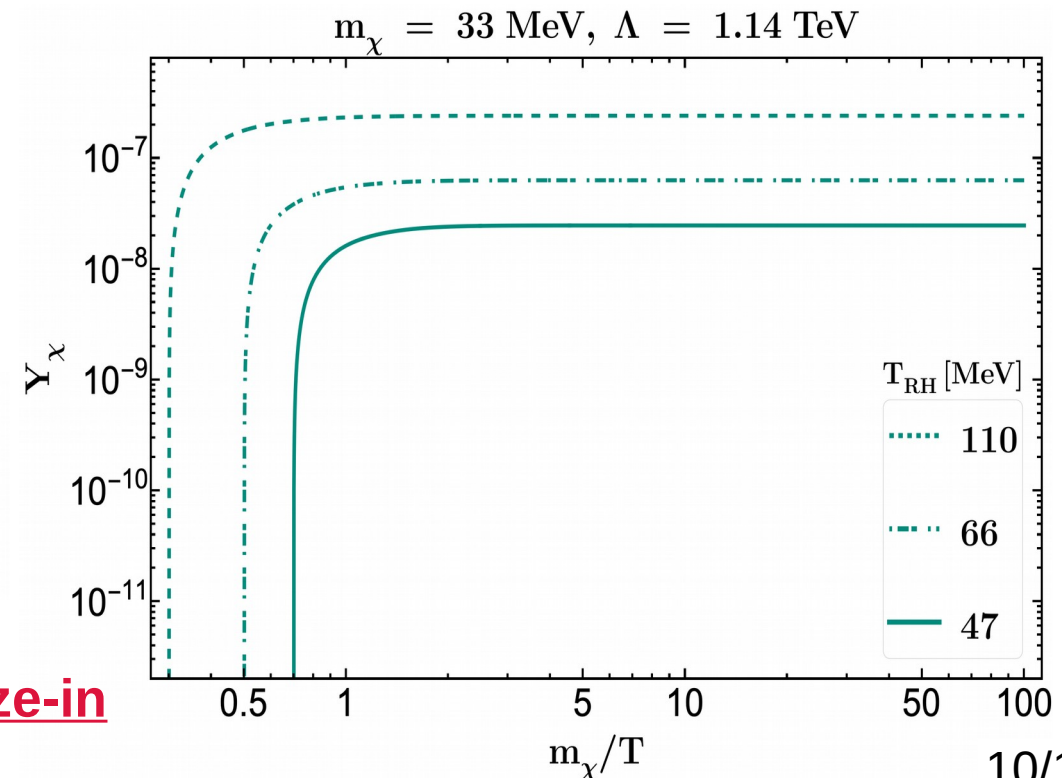
$$Y_{\text{DM}}(T) \sim \frac{5 \times 10^4 M_{\text{Pl}}}{g_{*s}(T) \sqrt{g_*(T)} \pi^8} \left( \frac{T_{\text{RH}}^5 - T^5}{\Lambda^6} \right)$$

Yield is maximum at  $T_{\text{RH}} \gg T$ : UV freeze-in

$$\left. \frac{\Gamma_{2 \rightarrow 2}}{H} \right|_{T=T_{\text{RH}}} \sim \frac{\mathcal{C}_0}{\sqrt{g_*(T)}} \left( \frac{m_\Phi}{1 \text{ MeV}} \right) \left( \frac{T_{\text{RH}}}{T_{\text{BBN}}} \right)^2 \left( \frac{1 \text{ TeV}}{\Lambda} \right)^4$$

$$\sim \frac{\mathcal{C}_{1/2}}{\sqrt{g_*(T)}} \left( \frac{m_\chi}{1 \text{ MeV}} \right)^3 \left( \frac{T_{\text{RH}}}{T_{\text{BBN}}} \right)^2 \left( \frac{1 \text{ TeV}}{\Lambda} \right)^6$$

$$\mathcal{C}_0 \sim 1.39 \times 10^{-1}, \quad \mathcal{C}_{1/2} \sim 8.94 \times 10^{-16}$$

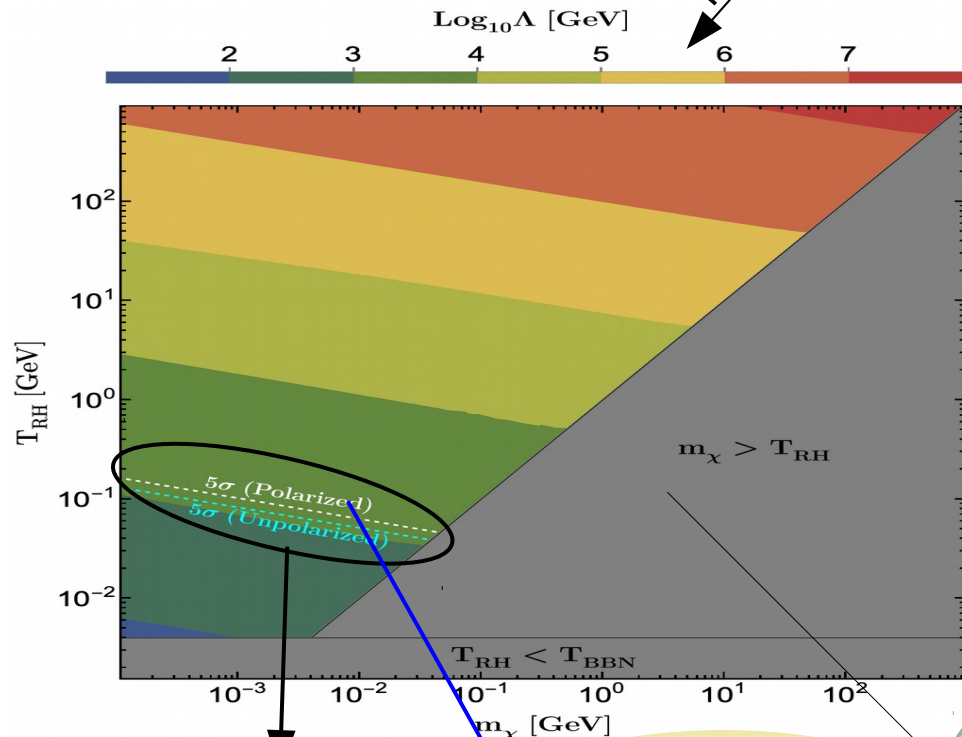


# Results:

$$\Lambda \simeq \begin{cases} 5 \text{ TeV} \left( \frac{m_\Phi}{1 \text{ MeV}} \right)^{1/4} \left( \frac{T_{\text{RH}}}{T_{\text{BBN}}} \right)^{3/4} \\ 100 \text{ GeV} \left( \frac{m_\chi}{1 \text{ MeV}} \right)^{1/6} \left( \frac{T_{\text{RH}}}{T_{\text{BBN}}} \right)^{5/6} \end{cases}$$

Fermion DM

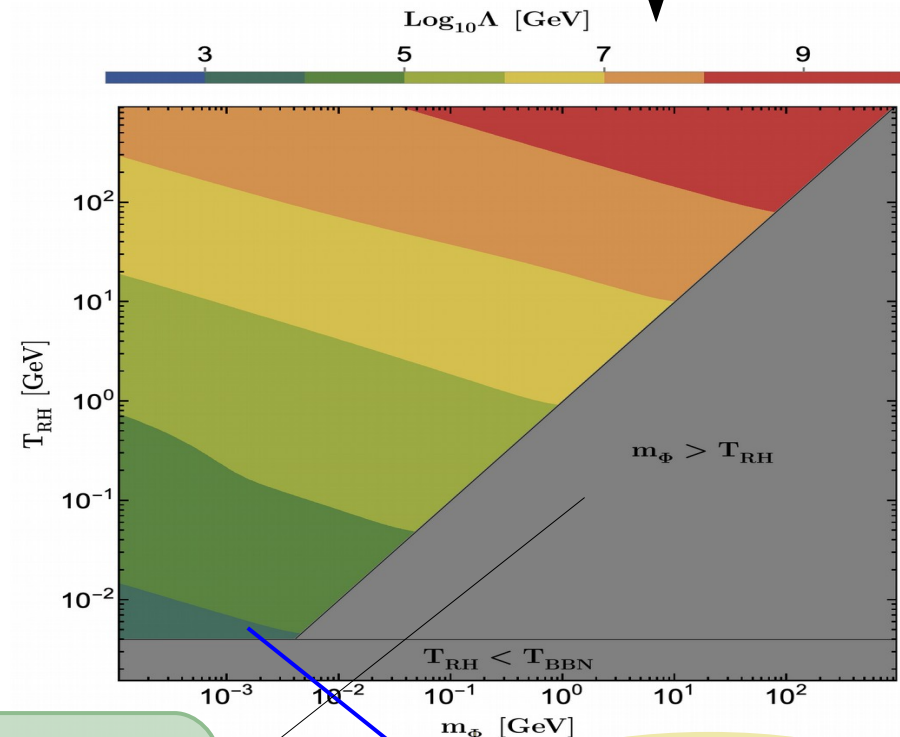
Scalar DM



Discovery limit  
at 1 TeV & 8 ab<sup>-1</sup>  
ILC

$\Lambda \sim \mathcal{O}(1) \text{ TeV}$

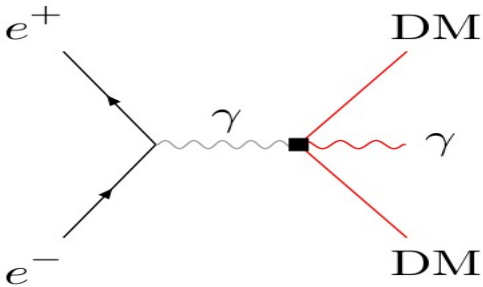
Accessible via  
non-instantan  
eous reheating  
scenario



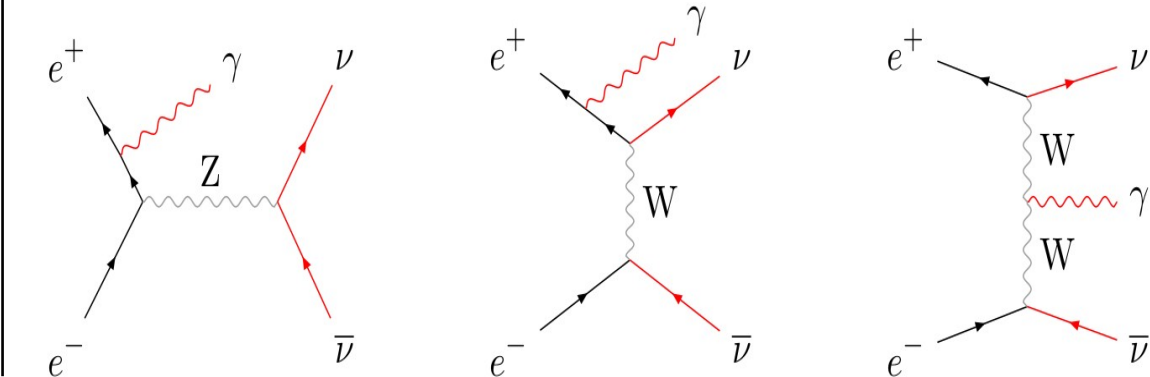
$\Lambda \sim \mathcal{O}(10) \text{ TeV}$

# Event analysis:

## 'Natural' Mono-photon signal



## SM backgrounds



### Missing energy

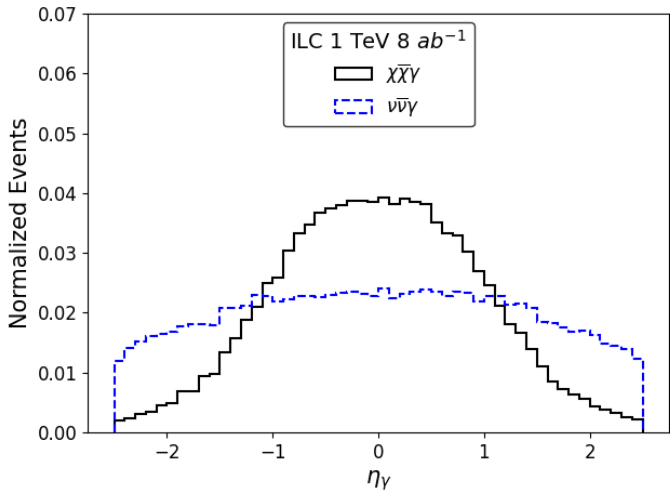
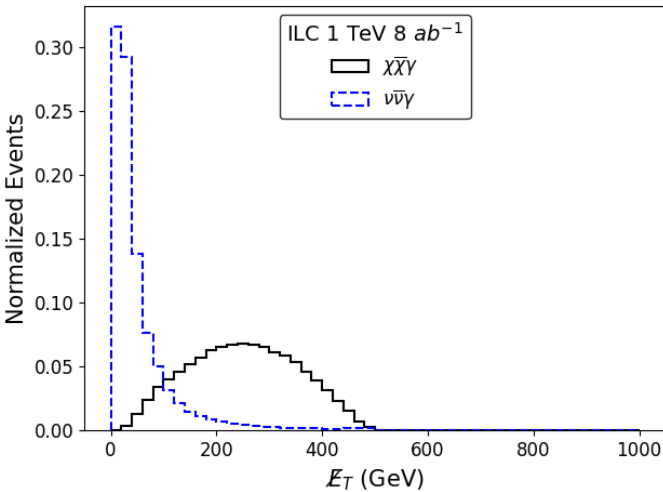
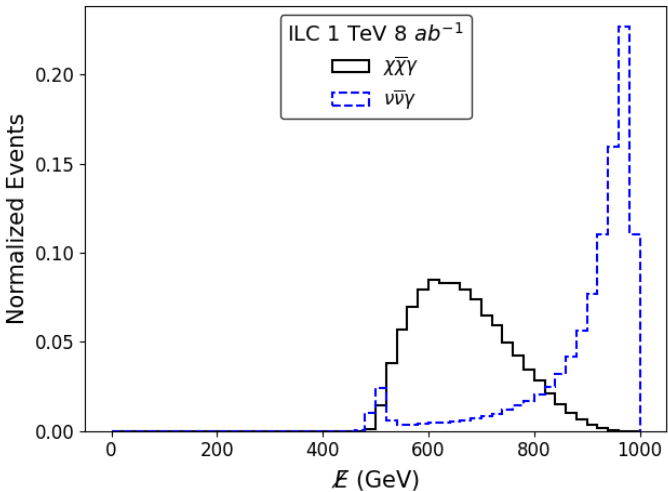
$$\cancel{E} = \sqrt{s} - \sum_i E_i$$

### Missing transverse momentum

$$\cancel{E}_T = -\sqrt{(\sum p_x)^2 + (\sum p_y)^2}$$

### Pseudorapidity

$$\eta_\gamma = -\ln \left[ \tan \left( \frac{\theta_\gamma}{2} \right) \right]$$



### Cut flows

$\cancel{E}_T > 200.0 \text{ GeV}$   
 $\cancel{E} \in [525, 750] \text{ GeV}$   
 $|\eta_\gamma| < 1.0$

97% bkg  
suppression

6 fold bkg  
suppression

Polarization	Signal	Background	Significance
Unpolarized	2395	219161	5.10
{-20%, +80%}	2778	40711	13.62
Benchmark: {m, Lambda} = {33.0 MeV, 1.14 TeV}			



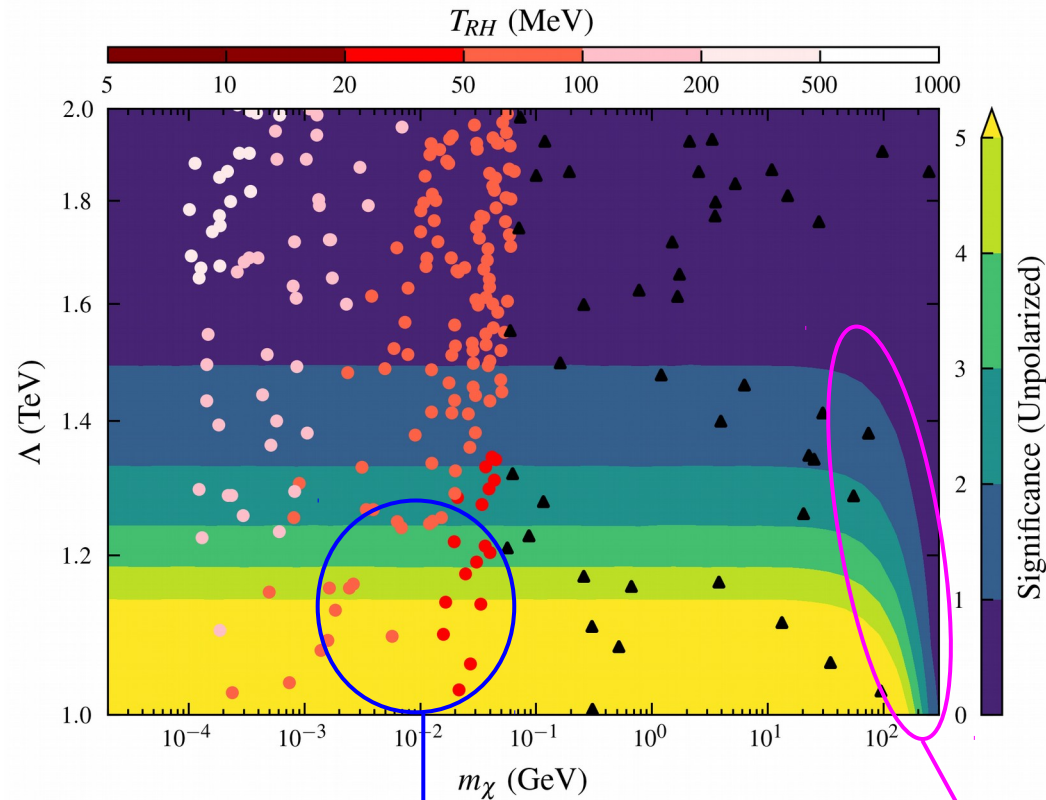
# Summary plot:

Phys. Lett. B 869 (2025) 139863

BB,SB,SJ,DP,AS

## Fermionic DM

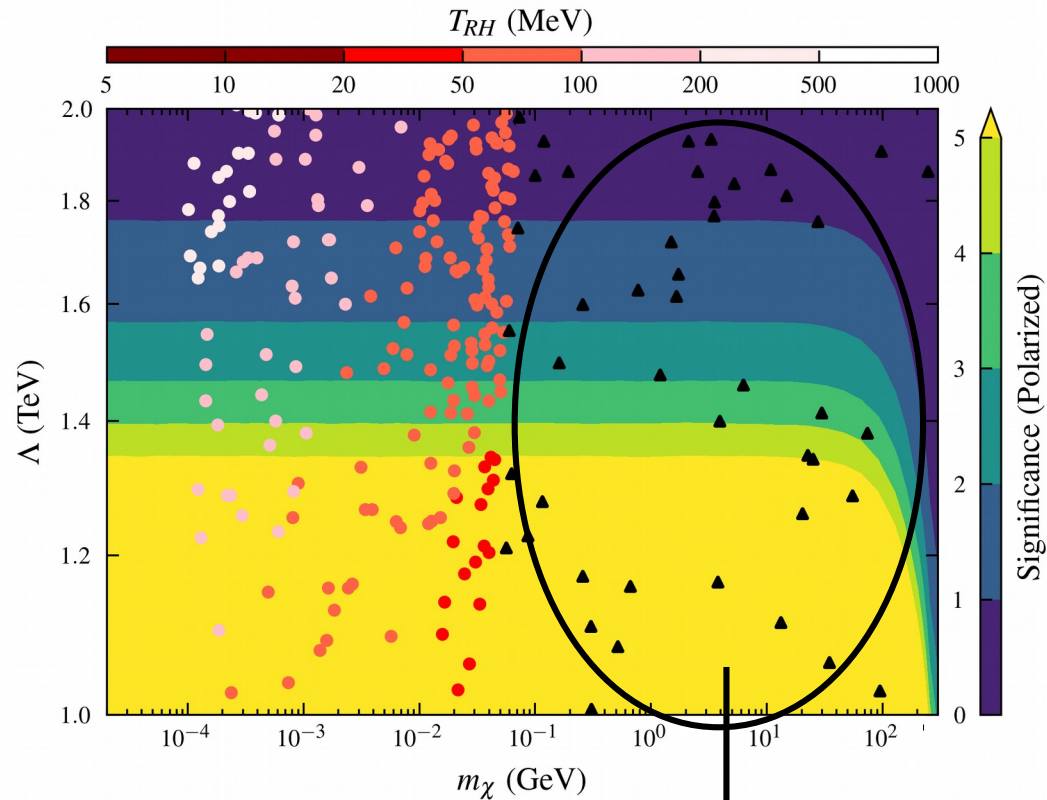
### Unpolarized beam



Low DM mass and low reheat temperature ensure high signal significance

Kinematic suppression

### Polarized beam



Ruled out due to  $T_{RH} < T_{BBN}$   
Or  $T_{RH} < m_{DM}$

# Non-instantaneous reheating:

- ◆ Decay of inflaton to SM radiation is a **continuous** process
- ◆ Maximum temperature of the universe  $\neq$  Reheating temperature

$$\mathcal{L}_{\text{int}} \supset -\mu\phi|\Phi|^2 - y\phi\bar{\Psi}\Psi$$

Bosonic

( $\Gamma_\phi \propto 1/m_\phi(a)$ )

Fermionic

( $\Gamma_\phi \propto m_\phi(a)$ )

**Inflation oscillation**

$$V(\phi) = \lambda \frac{\phi^n}{\Lambda_I^{n-4}}$$

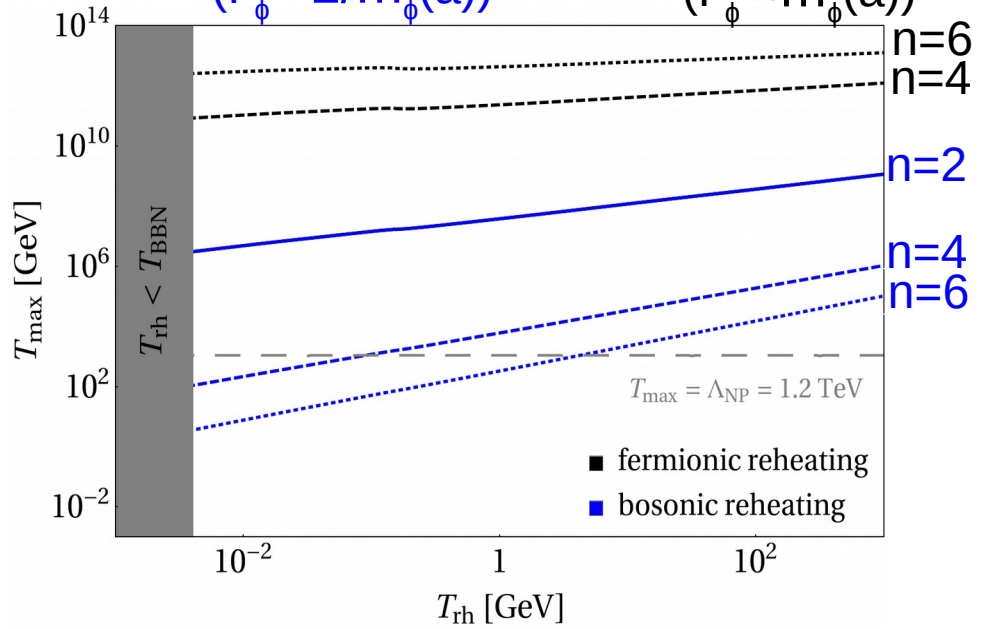
$$\ddot{\phi} + (3H + \Gamma_\phi)\dot{\phi} + V'(\phi) = 0$$

**Coupled differential equations**

**Inflaton:**  $\rightarrow \frac{d\rho_\phi}{dt} + \frac{6n}{2+n}H = -\frac{2n}{2+n}\Gamma_\phi\rho_\phi$

**Radiation:**  $\rightarrow \frac{d\rho_R}{dt} + 4H\rho_R = +\frac{2n}{2+n}\Gamma_\phi\rho_\phi$

**Dark matter:**  $\rightarrow \frac{d\rho_{\text{DM}}}{dt} + 3H\rho_{\text{DM}} = +\mathcal{C}_{\text{int}}m_{\text{DM}}$



EFT validity:  $\Lambda_{\text{NP}} > T_{\text{max}}$

Fermionic reheating:  $T_{\text{max}} > \mathcal{O}(10^{10}) \text{ GeV}$

Bosonic reheating:  $T_{\text{max}} \sim \mathcal{O}(1) \text{ TeV}$   
for  $n=4$  and  $6$

Viable at colliders

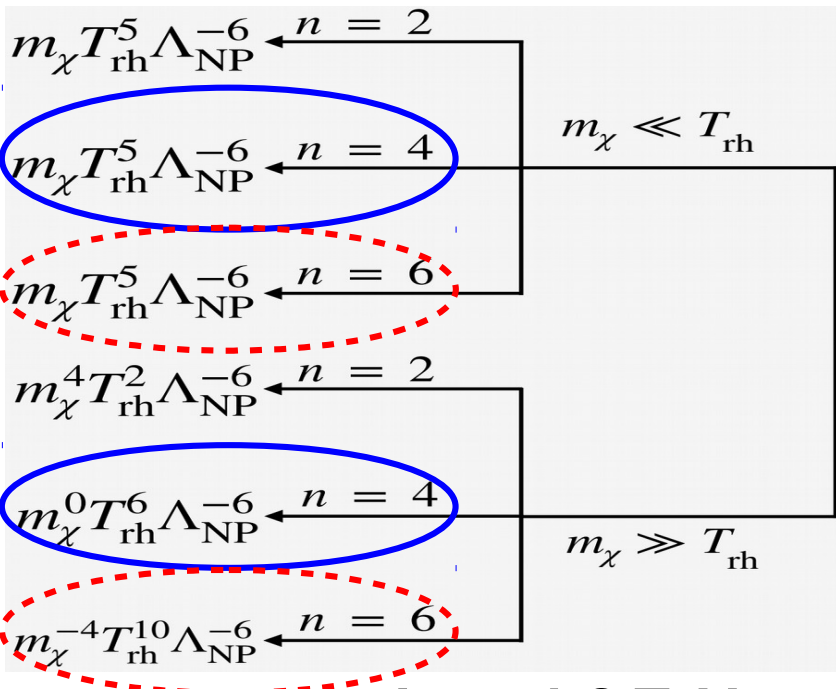
$$H = \sqrt{\frac{\rho_\phi + \rho_R}{3M_{\text{Pl}}^2}} \quad \mathcal{C}_{\text{int}} \sim \frac{T^{2d-4}}{\Lambda^{2d-8}}$$

# Bosonic reheating and DM Yield:

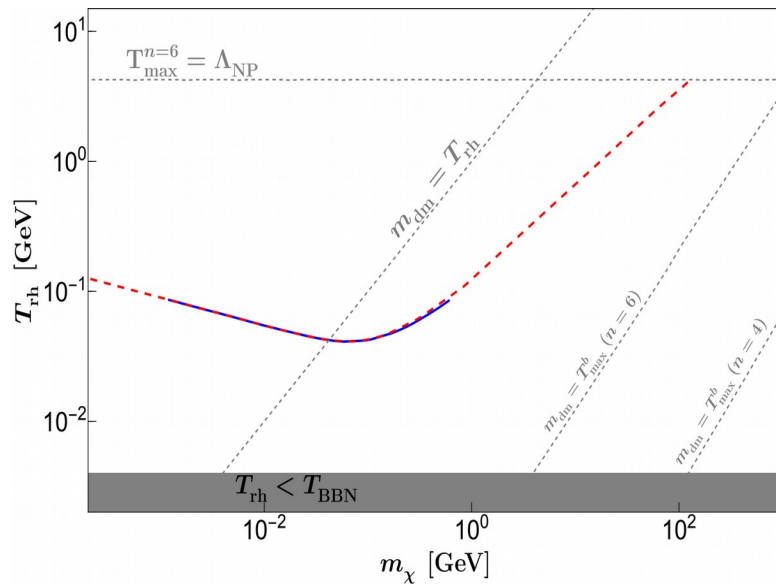
JHEP 07 (2025) 157

BB,SB,SJ,DP,AS

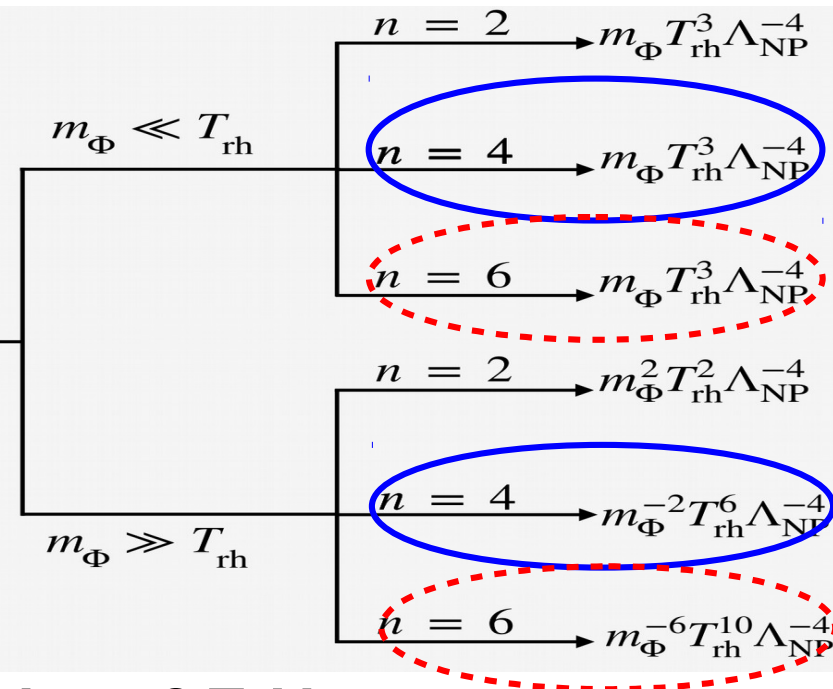
## Fermionic DM



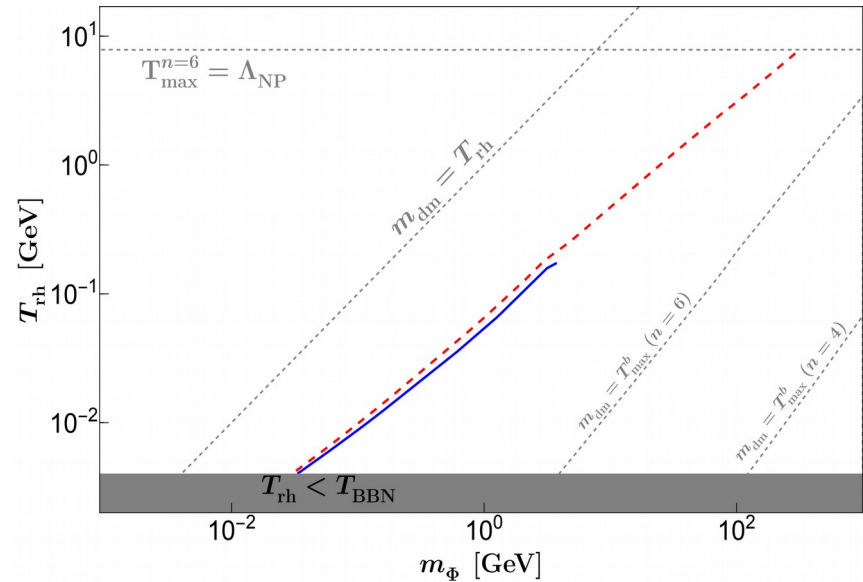
$\Lambda_{\text{NP}} = 1.2 \text{ TeV}$



## Scalar DM



$\Lambda_{\text{NP}} = 2 \text{ TeV}$



# Direct & Indirect searches:

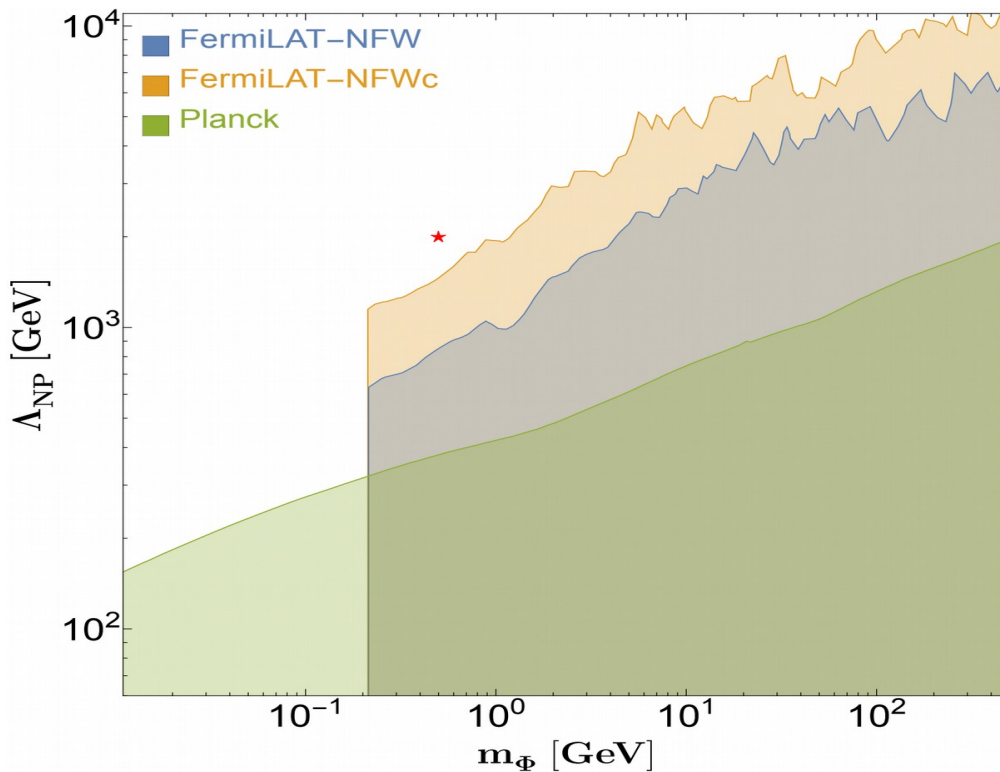
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BB,SB,SJ,DP,AS

❏ The DM-electron scattering cross-section is a one loop photon mediated diagram therefore the cross-section is highly suppressed.

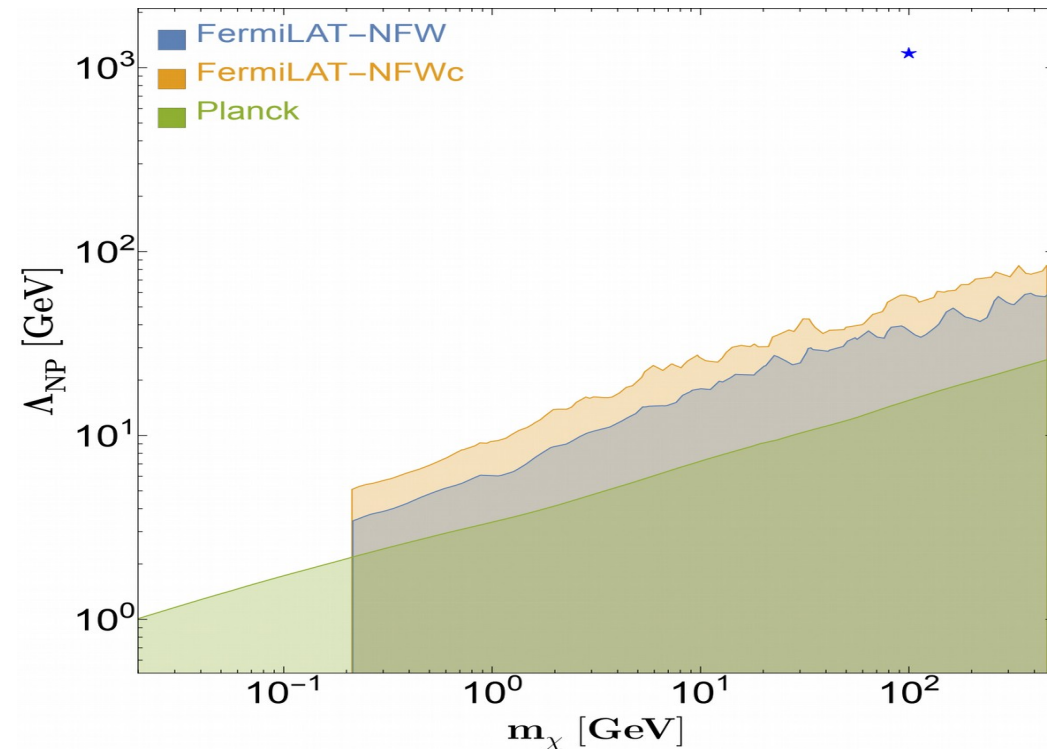
❏ Indirect search arises due to  $\text{DM DM} \rightarrow \gamma\gamma$

## Scalar DM



For  $\Lambda_{\text{NP}} \leq 2 \text{ TeV}$ ,  
 $m_\phi > 1 \text{ GeV}$  is ruled out.

## Fermionic DM

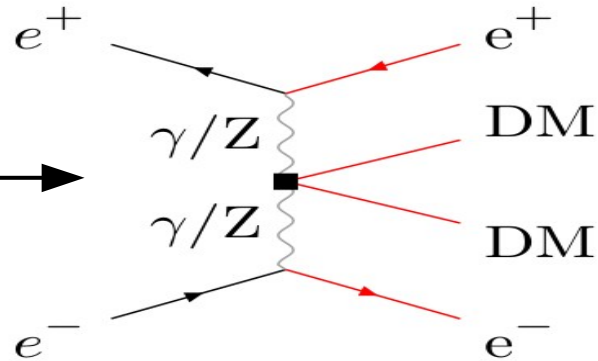


Two order magnitude relaxed  
compared to scalar DM.



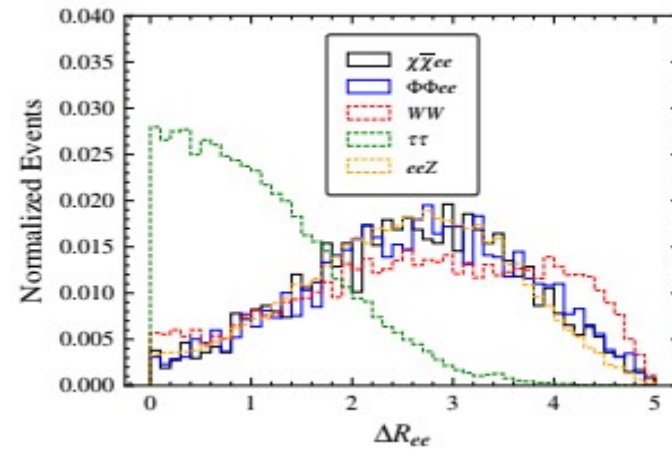
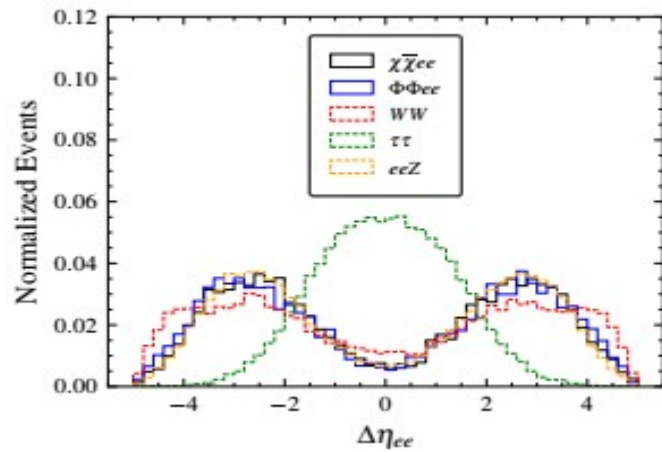
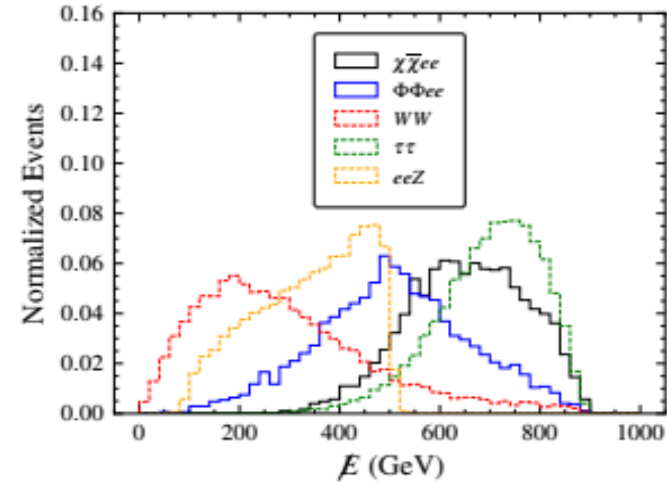
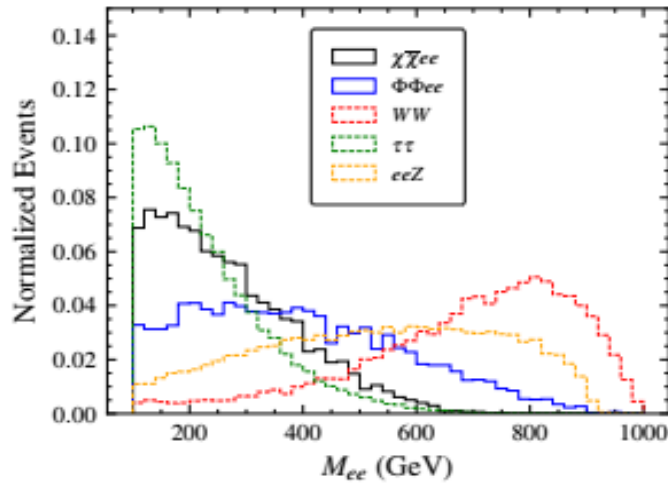
# OSE searches:

Signal: →



## SM backgrounds

- i) WW
- ii)  $\tau\tau$
- iii)  $eeZ$



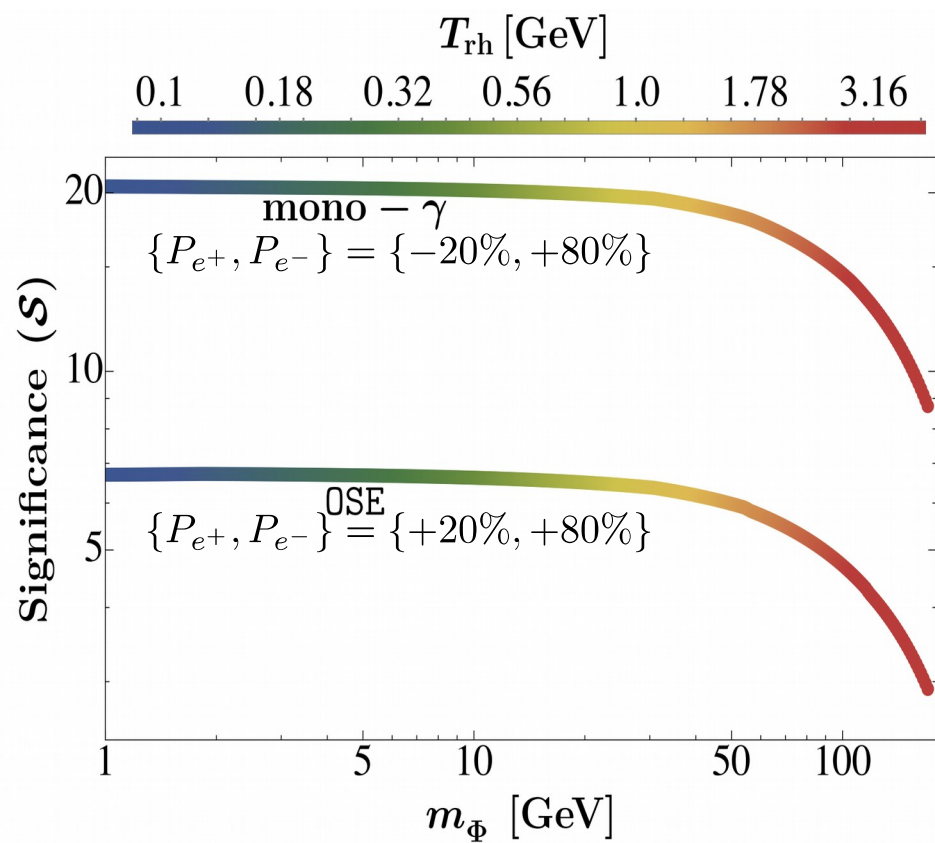
# Results:

JHEP 07 (2025) 157

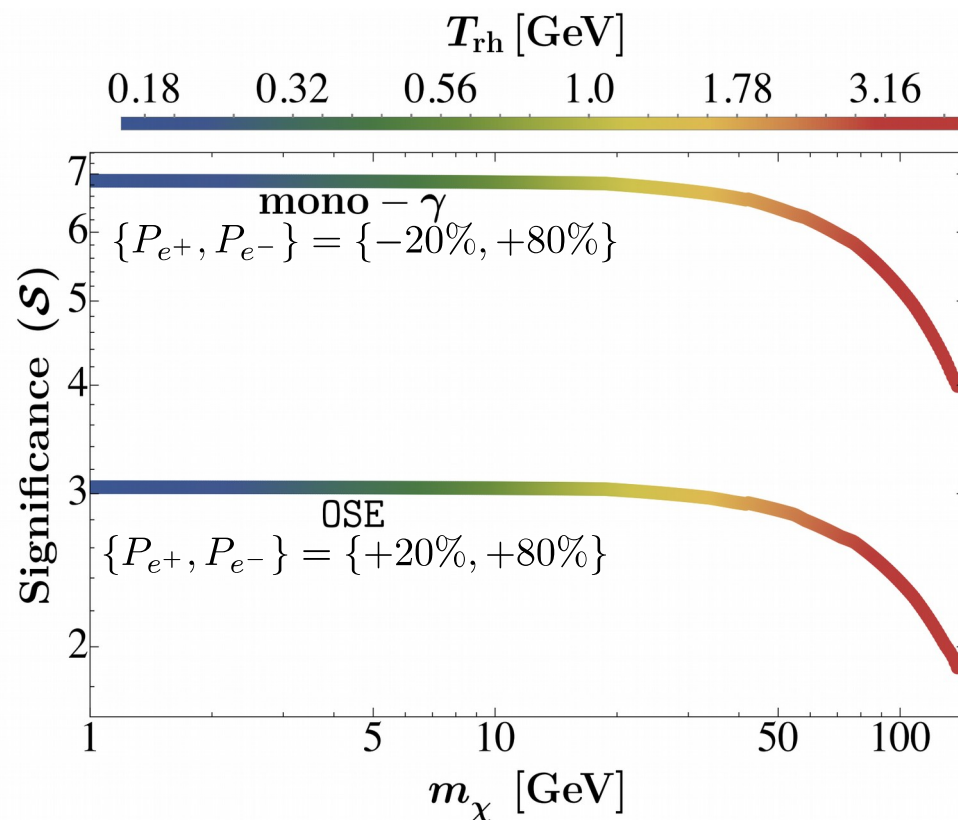
BB,SB,SJ,DP,AS

$$\text{ILC:} \rightarrow \begin{cases} \sqrt{s} = 1 \text{ TeV} \\ \mathcal{L}_{\text{int}} = 8 \text{ ab}^{-1} \end{cases}$$

## Scalar DM



## Fermionic DM



**Mono- $\gamma$  signal proves to be more beneficial than OSE signal**

# Summary:

- ★ UV freeze-in is a viable DM production mechanism that strongly depends on the initial conditions.
- ★ Bosonic reheating is favourable for low temperature reheating scenario.
- ★ Scalar DM, with dimension six operator, provides the allowed DM parameter space below 1 GeV DM mass, while for fermionic DM, the parameter space is much relaxed due to dimensionality.
- ★ Natural mono-photon signal proves to be beneficial for dark matter searches at the colliders.

Thank you!