

Overview of the Chiral Magnetic Effect (CME) and outlook to STAR high-statistical new data

– The 2nd International Workshop on Physics at High Baryon Density (PHD2025)

Yicheng Feng

Central China Normal University

October 18, 2024

Y. Feng, S. A. Voloshin, and F. Wang, *Experimental search for the chiral magnetic effect in relativistic heavy-ion collisions: A perspective*,

Phys. Rev. Res. 7, no.3, 031001 (2025), arXiv:2502.09742 [nucl-ex]

Introduction

Early experimental approaches

Recent experimental approaches

Outlook to STAR high-statistical new data

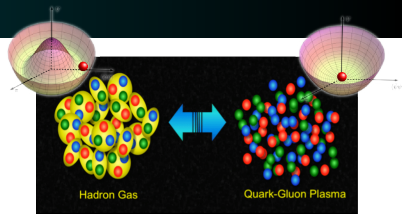
Summary



Physics context

- QGP in heavy-ion collisions: quark mass negligible
→ **chiral symmetry restoration**
- η - η' puzzle: $m_\eta(548 \text{ MeV}) < m_{\eta'}(958 \text{ MeV}) \rightarrow$ not explainable with chiral symmetry. [Weinberg, *The U(1) problem*, PRD 11(1975)3583]
- 't Hooft instanton mechanism can resolve this puzzle

['t Hooft, PRL 37(1976)8], [Peccei, *Lect. Notes Phys.* 741(2008)3] → break the chiral symmetry, $\mathcal{P}$, and $\mathcal{CP}$.

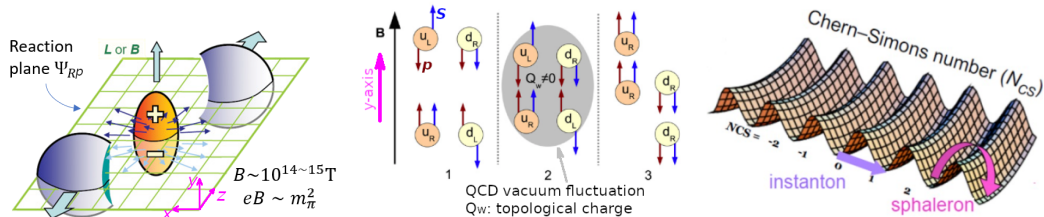


$$\mathcal{L}_{\text{QCD}} = \sum_q \bar{\psi}_{q,a} \left(\underbrace{i\gamma^\mu \partial_\mu \delta_{ab}}_{\text{quark}} - \underbrace{m_q \delta_{ab}}_{\text{quark}} - \underbrace{g_s \gamma^\mu t_{ab}^C \mathcal{A}_\mu^C}_{\text{quark-gluon interaction}} \right) \psi_{q,b} - \underbrace{\frac{1}{4} G_{\mu\nu}^A G^{A,\mu\nu}}_{\text{gluon}} + \underbrace{\theta \frac{\alpha_s}{8\pi} G_{\mu\nu}^A \tilde{G}^{A,\mu\nu}}_{\text{'t Hooft vacuum}} - \underbrace{\theta \frac{\alpha_s}{2\pi} \vec{E}_A \cdot \vec{B}_A}_{\text{'t Hooft vacuum}}$$

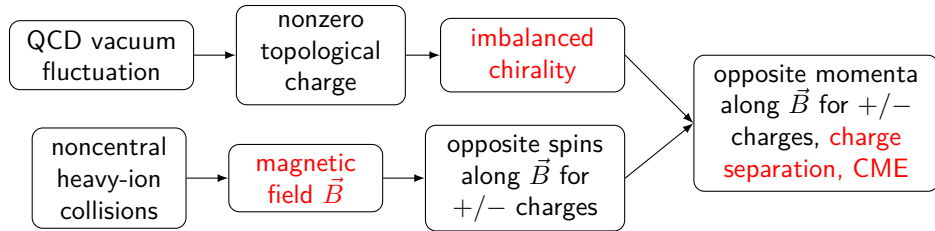
- low-energy experiments → θ upper limit $\sim 10^{-10}$
[PDG, PTEP 083C01 (2022)], [Kim and Carosi, *Rev.Mod.Phys.* 82(2010)557-602]
→ too small to explain the matter-antimatter asymmetry in the universe (**the strong $\mathcal{CP}$ problem**).
- Is θ a constant? dependent on energy scale? larger value in early universe?
Heavy-ion collisions approach the energy scale of early universe! → **check heavy-ion collisions!**

analogy to E&M field
 $\vec{E}$: $\mathcal{C}$ -odd, $\mathcal{P}$ -odd, $\mathcal{T}$ -even
 $\vec{B}$: $\mathcal{C}$ -odd, $\mathcal{P}$ -even, $\mathcal{T}$ -odd

Chiral Magnetic Effect (CME)



[Kharzeev *et al.*, PRL 81(1998)512; NPA 803(2008)227]



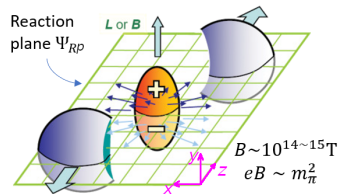
The commonly used observable—azimuthal correlator $\Delta\gamma$

azimuth Fourier series

$$\frac{dN^\pm}{d\phi^\pm} \propto 1 + 2a_1^\pm \sin(\phi^\pm - \Psi_{RP}) + \sum_n 2v_n \cos n(\phi^\pm - \Psi_{RP})$$

CME term $a_1^\pm$, in the same event $a_1 = a_1^+ = -a_1^-$.

→ random direction from event to event → $\langle a_1 \rangle$ vanishes



two particles α, β in the same event

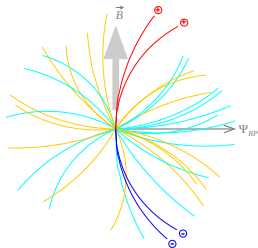
$$\gamma_{\alpha\beta} = \langle \cos(\phi_\alpha + \phi_\beta - 2\Psi_{RP}) \rangle,$$

Opposite-sign (OS) charged pair: γ_{OS} ; same-sign (SS) γ_{SS} ; their difference

$$\Delta\gamma = \gamma_{OS} - \gamma_{SS}.$$

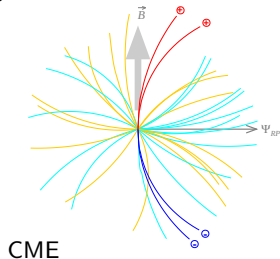
charge-independent backgrounds canceled (like momentum conservation)

[Voloshin, RPC 70(2004)057901]



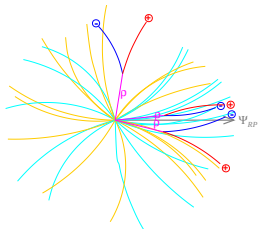
Signal and background in $\Delta\gamma$

signal

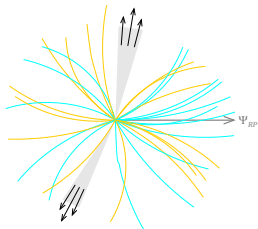


CME

backgrounds



resonance decay



jets, di-jets

...

- 2-particle background like resonance decay (e.g., $\rho \rightarrow \pi^+ \pi^-$), which is coupled with v_2 .
[Voloshin, RPC 70(2004)057901], [Wang, PRC 81(2010)064902], [Bzdak, Koch, Liao, PRC 81(2010)031901]
- In data analysis, RP is unknown, so the reconstructed event plane (EP) is used as a proxy.
EP + 2 POIs $\rightarrow$ correlated triplets (jets, di-jets, ...) $\rightarrow$ background

Introduction

Early experimental approaches

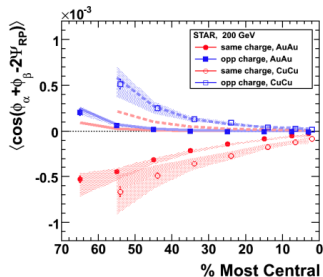
Recent experimental approaches

Outlook to STAR high-statistical new data

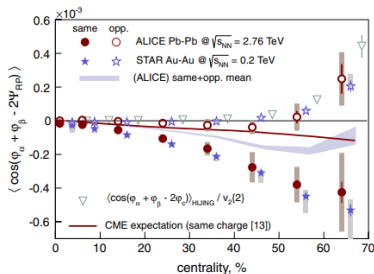
Summary



The first measurements on $\Delta\gamma$



[STAR, PRL 103(2009)251601, PRC 81(2010)054908]



[ALICE, PRL 110(2013)012301]

← similar results, though very different energy, species

- $\gamma_{os} > 0, \gamma_{ss} < 0 \rightarrow \Delta\gamma > 0$, qualitatively consistent with CME signal (?)
- background contribution not understood

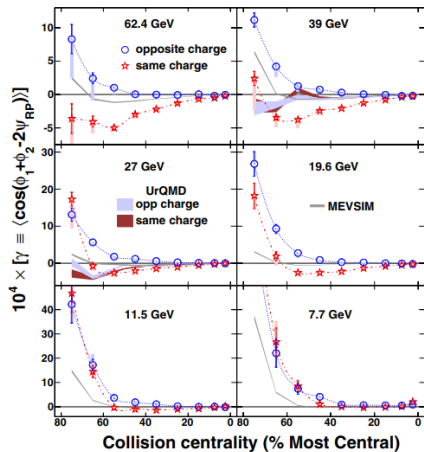
"Improved theoretical calculations of the expected signal and potential physics backgrounds ...are essential to understand whether or not the observed signal is due to [CME]."

– [STAR, PRL 103(2009)251601]

- Follow-up calculations and simulations indicate that the backgrounds could be very significant

[Wang, PRC 81(2010)064902] [Bzdak, Koch, Liao, PRC 81(2010)031901] [Schlichting, Pratt, PRC 83(2011)014913]

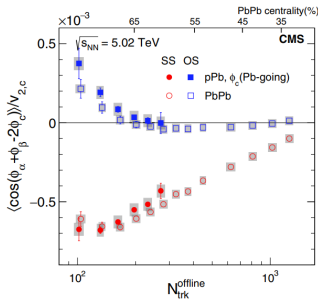
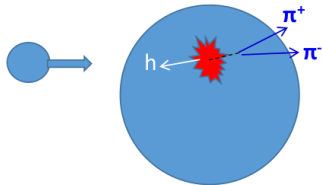
Beam energy dependence



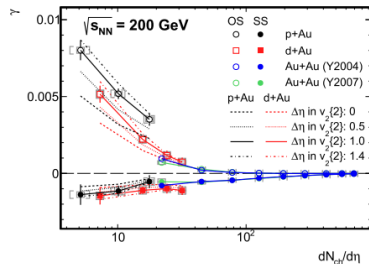
[STAR, PRL 113(2014)051302]

- STAR first beam energy scan (BES-I):
Au+Au, $\sqrt{s_{NN}} = 7.7 - 62.4$ GeV.
- “weak energy dependence down to 19.6 GeV and then falls steeply at lower energies” – [STAR, PRL 113(2014)051302]

Small system measurements



[CMS, PRL 118(2017)122301]



[STAR, PLB 798(2019)134975]

- Small system $\rightarrow$ random B and EP orientations $\rightarrow$ zero signal expected
- Similar results between small systems and A+A $\rightarrow$ large background

Introduction

Early experimental approaches

Recent experimental approaches

Outlook to STAR high-statistical new data

Summary

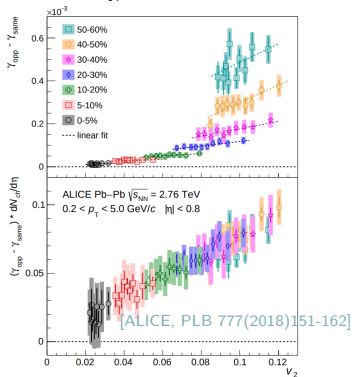


Event shape methods

Event Shape Engineering (ESE):

q_2 : **different** η ranges from $\Delta\gamma$, v_2

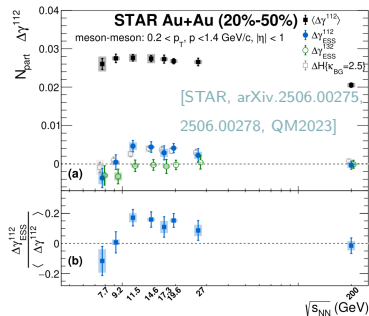
$$q_2^2 = \frac{(\sum \cos 2\phi)^2 + (\sum \sin 2\phi)^2}{N}$$



Event Shape Selection (ESS):

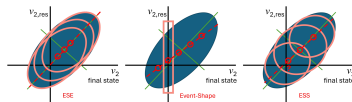
$q_{2,\text{pair}}$: **same** η range as $\Delta\gamma$, v_2

$$q_{2,\text{pair}}^2 = \frac{(\sum \cos 2\phi_{\text{pair}})^2 + (\sum \sin 2\phi_{\text{pair}})^2}{N_{\text{pair}}(1 + N_{\text{pair}} \langle v_2 \rangle)}$$



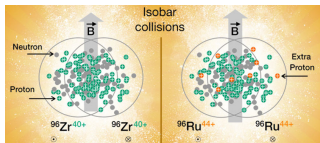
General idea:

- bin events by q_2 range
- calculate $\Delta\gamma$, v_2 for each bin
- map $\Delta\gamma$ - $v_2 \rightarrow$ linear fit $\rightarrow$ intercept at $v_2 = 0$

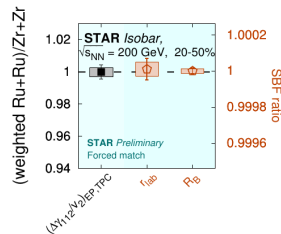
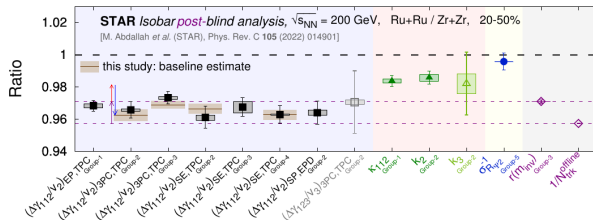


- STAR measurements w.r.t. SP (ZDC or inner EPD) can reduce nonflow backgrounds
- Event shape methods are designed to remove backgrounds coupled with flow.
- Underlying complications $\rightarrow$ better understanding needed [H. Li, et al., arXiv.2407.14489, 2509.21297, QM2025]

The isobar experiment

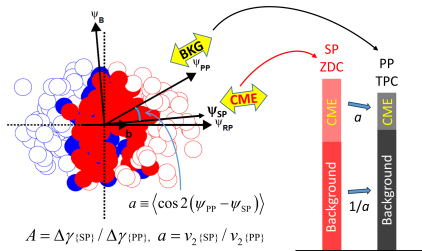


- **Initial expectation:** $^{96}_{44}\text{Ru}$, $^{96}_{40}\text{Zr}$: same A , different $Z \rightarrow$ same background, different signal
- Ru+Ru: proton number $\uparrow \rightarrow$ magnetic field $\uparrow \rightarrow$ CME signal $\uparrow \rightarrow \Delta\gamma/v_2 \uparrow \rightarrow \text{Ru/Zr} > 1$



- **STAR blind analysis** [STAR, PRC 105(2022)014901] $\rightarrow$ isobar ratios $\text{Ru/Zr} < 1$, opposite to the initial expectation $\leftarrow$ multiplicity diff. $\leftarrow$ nuclear structure [H. Xu et al., PRL 121(2018)022301] .
- Nonflow background baseline estimate $\rightarrow$ CME upper limit 10% (95% CL) [STAR, PRC 110(2024)014905, PRR 6(2024)L032005, QM2023] . flow-induced backgrounds $\uparrow$ nonflow in $v_2 \uparrow$ 3-particle nonflow $\downarrow$
- Forced match method [STAR, QM2023] $\rightarrow$ consistent with unity
- Isobar signal/noise can be much smaller than Au+Au [Y. Feng, et al., PLB 820(2021)136549]

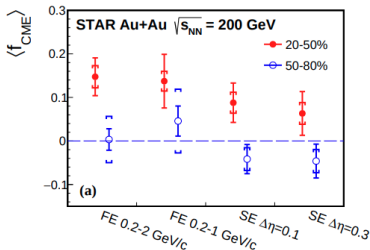
SP/PP comparison method $\rightarrow f_{\text{CME}}$



$$A = \Delta\gamma_{\text{SP}} / \Delta\gamma_{\text{PP}}, \quad a = v_2^{\text{SP}} / v_2^{\text{PP}}$$

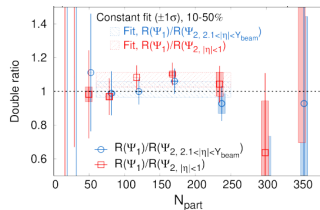
$$f_{\text{CME}}^{\text{obs}} = \frac{\Delta\gamma_{\text{CME}}^{\text{PP}}}{\Delta\gamma_{\text{PP}}} = \frac{A}{a-1} = \frac{1}{a^2-1}$$

[H. Xu, *et al.*, CPC 42(2018)084103]



Au+Au 200 GeV, TPC vs. ZDC, 2 ~ 3 σ

[STAR, PRL 128(2022)092301]



Au+Au 27 GeV, EPD, < 1 σ

[STAR, PLB 839(2023)137779]

- Participant plane (PP) $\rightarrow$ nucleons collided $\rightarrow$ collision zone $\rightarrow$ flow $\rightarrow$ backgrounds w/ flow
- Spectator plane (SP) $\rightarrow$ nucleons flying through $\rightarrow$ magnetic field $\rightarrow$ CME signal
- The signal and background(coupled with flow) respond to those two planes differently $\rightarrow$ SP, PP comparison $\rightarrow$ separate the signal and background(coupled with flow)

f_{CME} : CME signal fraction in inclusive $\Delta\gamma$

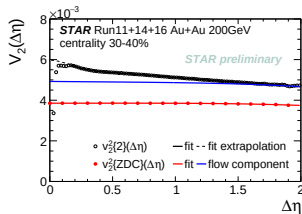
residual background: nonflow

$$f_{\text{CME}} \equiv \frac{\Delta\gamma_{\text{CME}}^{\text{PP}}}{\Delta\gamma\{\text{TPC}\}} = \frac{\sqrt{1 + \epsilon_{\text{nf}}}}{\frac{1}{a^2} - (1 + \epsilon_{\text{nf}})} \left[\left(\frac{A}{a} - 1 \right) + \epsilon_{\text{nf}} \left(\frac{C_{3p}/V_{2p}}{(N_3 C_3)/(N_2 V_2)} - 1 \right) \right]$$

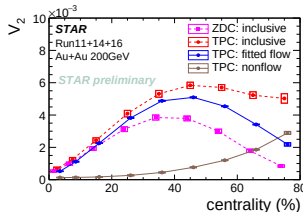
V_2 nonflow – estimated by a data-driven fit

- $v_2\{\text{ZDC}\}(\eta)$ measurement $\rightarrow V_2\{\text{ZDC}\}(\Delta\eta) \rightarrow$ fit flow shape
- Flow decorrelation $1 - 2F_2\Delta\eta$, $F_2 = 0.0115 \pm 50\%$ (syst.)
- Flow fluctuations effect: assumed constant over η
- Nonflow modelled by two Gaussians
- Fit flow + nonflow to $V_2(\Delta\eta)$ [Y. Feng, F. Wang, JPG 52(2025)013001]

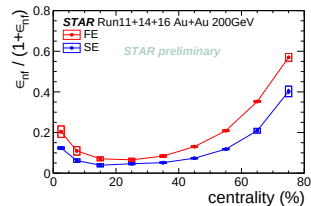
- measurement of v_2 w.r.t. TPC
 $V_2 \equiv \langle \cos 2(\phi_\alpha - \phi_\beta) \rangle = v_2^2\{2\}$
- nonflow fraction in V_2 : $\frac{\epsilon_{\text{nf}}}{1 + \epsilon_{\text{nf}}} \equiv \frac{V_2^{\text{nf}}}{V_2}$
- measurements $a = v_2\{\text{ZDC}\}/v_2\{2\}$,
 $A = \Delta\gamma\{\text{ZDC}\}/\Delta\gamma\{\text{TPC}\}$



$V_2(\Delta\eta)$ fit



fitted flow and nonflow vs cent.

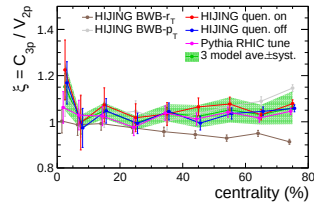
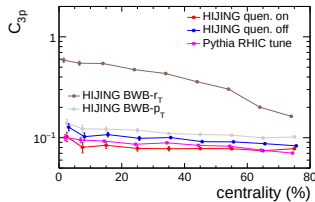
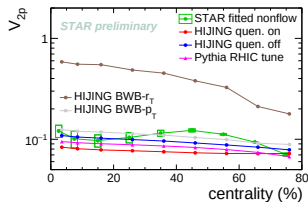


nonflow fraction in V_2

$$f_{\text{CME}} \equiv \frac{\Delta\gamma_{\text{CME}}^{\text{PP}}}{\Delta\gamma\{\text{TPC}\}} = \frac{\sqrt{1 + \epsilon_{\text{nf}}}}{\frac{1}{a^2} - (1 + \epsilon_{\text{nf}})} \left[\left(\frac{A}{a} - 1 \right) + \epsilon_{\text{nf}} \left(\frac{C_{3p}/V_{2p}}{(N_3 C_3)/(N_2 V_2)} - 1 \right) \right]$$

RP-independent 3-particle correlations – model simulations

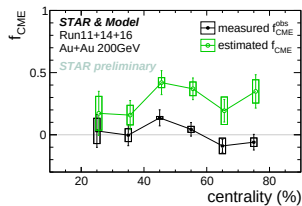
- 3-particle correlations primarily from (di-)jets
- for correlated triplets $C_{3p} = \langle \cos(\phi_\alpha + \phi_\beta - 2\phi_c) \rangle N_{3p}/N$, for correlated pairs $V_{2p} = \langle \cos 2(\phi_\alpha - \phi_\beta) \rangle N_{2p}/N$
- Assume $\xi = C_{3p}/V_{2p}$ ratio in data = model. A ratio is more robust than individual 3p, 2p correlations.
- Various models (w/o flow) are consistent in terms of ξ :
HIJING, **HIJING w/o jet quenching**, **HIJING w/ blast wave boost along p_T** , **along r_T** , **Pythia 8**
 → continuing to investigate systematics



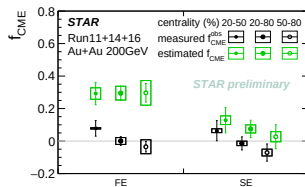
$$f_{\text{CME}} \equiv \frac{\Delta\gamma_{\text{CME}}^{\text{PP}}}{\Delta\gamma\{\text{TPC}\}} = \frac{\sqrt{1 + \epsilon_{\text{nf}}}}{\frac{1}{a^2} - (1 + \epsilon_{\text{nf}})} \left[\left(\frac{A}{a} - 1 \right) + \epsilon_{\text{nf}} \left(\frac{C_{3p}/V_{2p}}{(N_3 C_3)/(N_2 V_2)} - 1 \right) \right]$$

f_{CME} after subtracting estimated nonflow

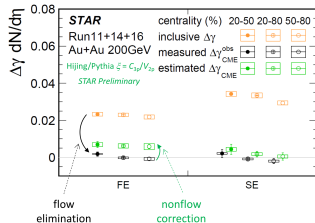
- Significant f_{CME} in full-event
- Weak centrality dependence
- f_{CME} full-event > sub-event; $\Delta\gamma_{\text{CME}}$ (scaled by $dN/d\eta$) compatible in 20-50% centrality.



f_{CME} before/after correction



f_{CME} average values



$$\Delta\gamma_{\text{CME}} = f_{\text{CME}} * \Delta\gamma$$

Introduction

Early experimental approaches

Recent experimental approaches

Outlook to STAR high-statistical new data

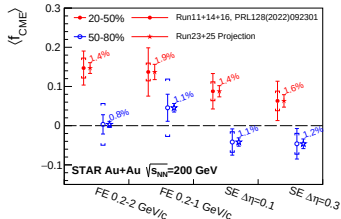
Summary



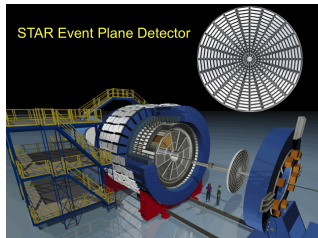
Outlook to STAR high-statistical new data

year	minimum bias [$\times 10^9$ events]
2014 2016	2
2023 2025	20

- STAR: $\times 10$ more statistics for Au+Au at 200 GeV in 2023-2025



→ large reduce in statistical uncertainty



- newly-added detectors can help (e.g, EPD, iTPC, ...)

[STAR, *Beam Use Request for Run23-25*, tab 5]

Introduction

Early experimental approaches

Recent experimental approaches

Outlook to STAR high-statistical new data

Summary

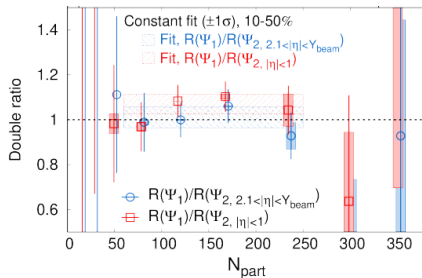
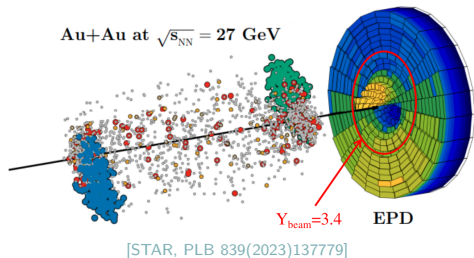


- CME – a fundamental physics in QCD
- Major background contamination
- Novel methods to extract CME
 - Isobar experiments
 - Event shape methods
 - Correlation measurement between CME and Λ polarization
 - SP/PP methods (TPC, ZDC, EPD)
 - Nonflow estimate [New study in process]
- STAR new data: Au+Au $\sqrt{s_{\text{NN}}} = 200$ GeV $\rightarrow \times 10$ more statistics
new EPD, iTPC $\rightarrow$ with wider acceptance



Backup

SP/PP comparison method



- Notation $R(\Psi) = \Delta\gamma(\Psi)/v_2(\Psi)$
- low energy 27 GeV $\rightarrow$ beam rapidity $Y_{\text{beam}} = 3.4 \rightarrow$ EPD ($2.1 < |\eta| < 5.1$) divided into 2 parts
 - inner EPD $3.4 < |\eta| < 5.1 \rightarrow$ estimate SP
 - outer EPD $2.1 < |\eta| < 3.4 \rightarrow$ estimate PP (blue markers)
- TPC ($|\eta| < 1$) is also used for PP (red markers)