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Measurement of Charge Symmetry Breaking in $A = 4$ hypernuclei in $\sqrt{s_{NN}} = 3$ GeV Au+Au collisions at RHIC

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- Motivation
- Data analysis
- Corrections and systematic uncertainties
- Λ binding energy results
- Charge symmetry breaking
- Summary

Motivation - Experimental studies



M. Juric et. al., Nuclear Physics A 754 (2005) 3c–13c

Nuclear emulsion experiment in 1970s

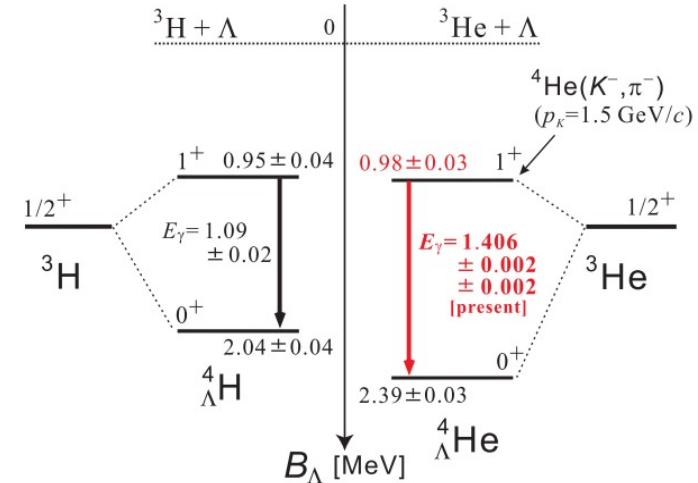
Hypernuclide	B_{Λ} / MeV
${}^3_{\Lambda}\text{H}$	0.13 ± 0.05
${}^4_{\Lambda}\text{H}$	2.04 ± 0.04
${}^4_{\Lambda}\text{He}$	2.39 ± 0.03

$$\Delta B_{\Lambda} (\text{g.s.}) = B_{\Lambda} ({}^4_{\Lambda}\text{H})_{\text{g.s.}} - B_{\Lambda} ({}^4_{\Lambda}\text{He})_{\text{g.s.}} = 350 \pm 60 \text{ keV}$$

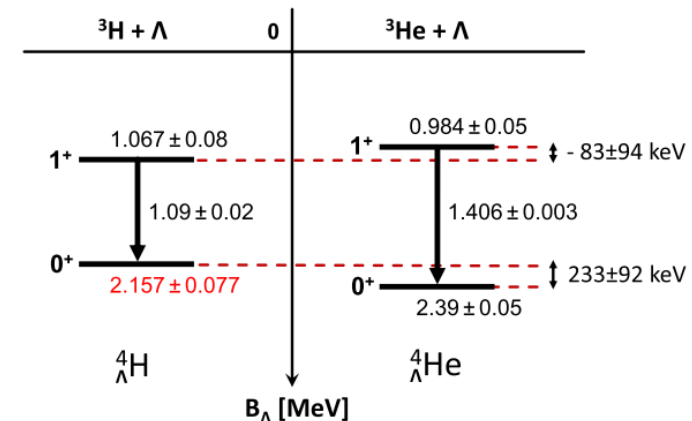
$$\Delta B_{\Lambda} (\text{exc}) = B_{\Lambda} ({}^4_{\Lambda}\text{H})_{\text{exc}} - B_{\Lambda} ({}^4_{\Lambda}\text{He})_{\text{exc}} = 30 \pm 50 \text{ keV}$$

■ The charge symmetry breaking (CSB) in $A = 4$ hypernuclei shows a large value in ground states while it is quite small in excited states.

J-PARC E13 Collaboration, PRL 115, 222501 (2015)



A1 Collaboration, PRL 114, 232501 (2015), NPA 954(2016) 149-160



Motivation - Theoretical studies



Model calculations

A. Gal, PLB 744 (2015) 352-357

Table 2: Calculated CSB contributions to $\Delta B_{\Lambda}^4(0_{g.s.}^+)$ and total values of $\Delta B_{\Lambda}^4(0_{g.s.}^+)$ and $\Delta B_{\Lambda}^4(1_{exc}^+)$, in keV, from several model calculations of the $A = 4$ hypernuclei. Recall that $\Delta B_{\Lambda}^{exp}(0_{g.s.}^+) = 350 \pm 60$ keV [3].

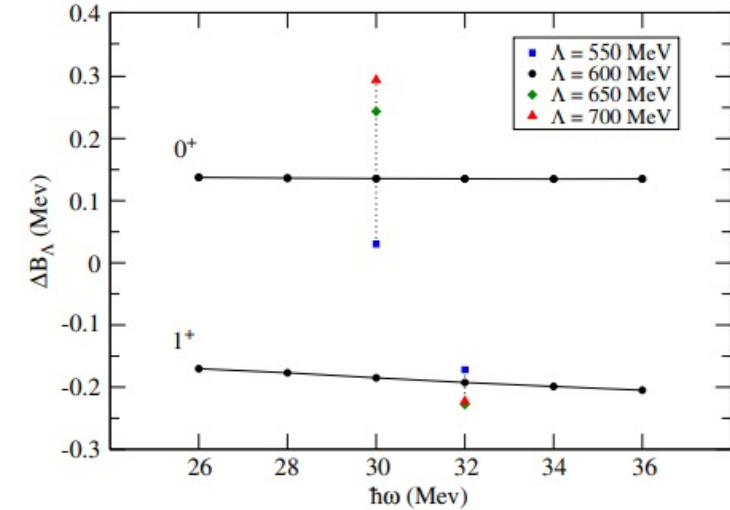
${}^4_{\Lambda}\text{He}-{}^4_{\Lambda}\text{H}$ model	$P_{\Sigma}(\%)$ $0_{g.s.}^+$	ΔT_{YN} $0_{g.s.}^+$	ΔV_C $0_{g.s.}^+$	ΔV_{YN} $0_{g.s.}^+$	ΔB_{Λ}^4 $0_{g.s.}^+$	ΔB_{Λ}^4 1_{exc}^+
ΛNNN [9]	—	—	−42	91	49	−61
NSC97 _e [10]	1.6	47	−16	44	75	−10
NSC97 _f [11]	1.8				100	−10
NLO chiral [12]	2.1	55	−9	—	46	
$(\Lambda\Sigma)_e$ [present]	0.72	39	−45	232	226	30
$(\Lambda\Sigma)_f$ [present]	0.92	49	−46	263	266	39

keV

- Most of model calculations can not reproduce the experimental results.
- D. Gazda and A. Gal introduced the Λ - Σ^0 mixing in calculation and show that the CSB in ground and excited states **are comparable**. However, the value in excited states becomes smaller if DvH OPE is considered.
- Need independent experiments to test.

D. Gazda and A. Gal, PRL 116, 122501 (2016)

ab-initio NCSM with CSB Λ - Σ^0 mixing:



$$\overline{\Delta B}_{\Lambda}^{J=1} \approx -\overline{\Delta B}_{\Lambda}^{J=0} < 0.$$

D. Gazda and A. Gal, NPA 954 (2016) 161-175

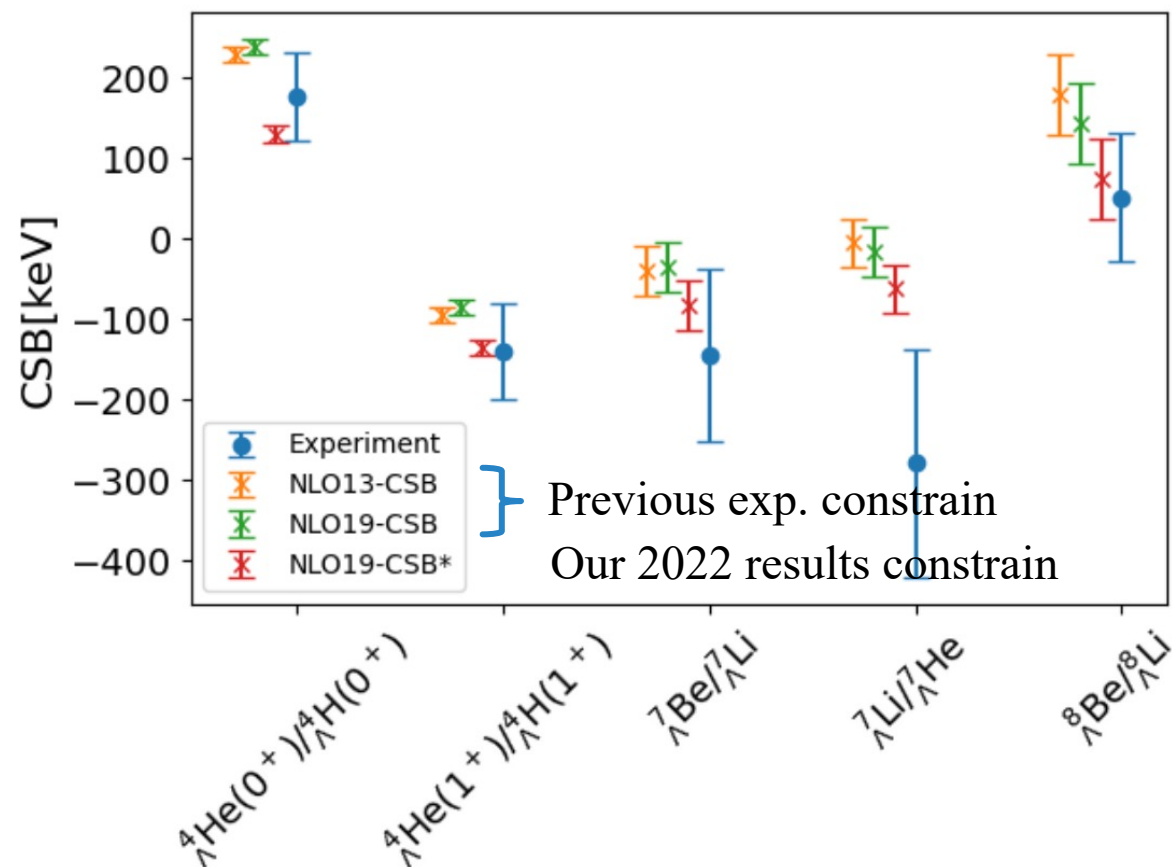
Consider DvH OPE:

$$\Delta B_{\Lambda}^{J=0} \approx 175 \pm 40 \text{ keV}, \quad \Delta B_{\Lambda}^{J=1} \approx -50 \pm 10 \text{ keV},$$

Motivation - Theoretical studies



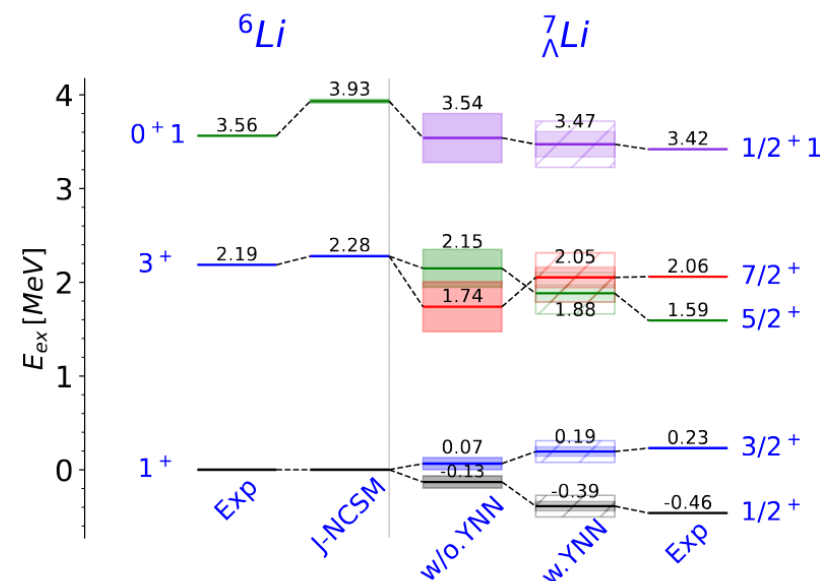
- The CSB in $A = 4$ hypernuclei can be used to constrain the YN and YNN interactions.



H. Le et. al., PRC 107 (2023) 2, 024002

J. Haidenbauer et. al., arXiv:2508.05243v1

H. Le et. al., PRL 134 (2025) 7, 072502



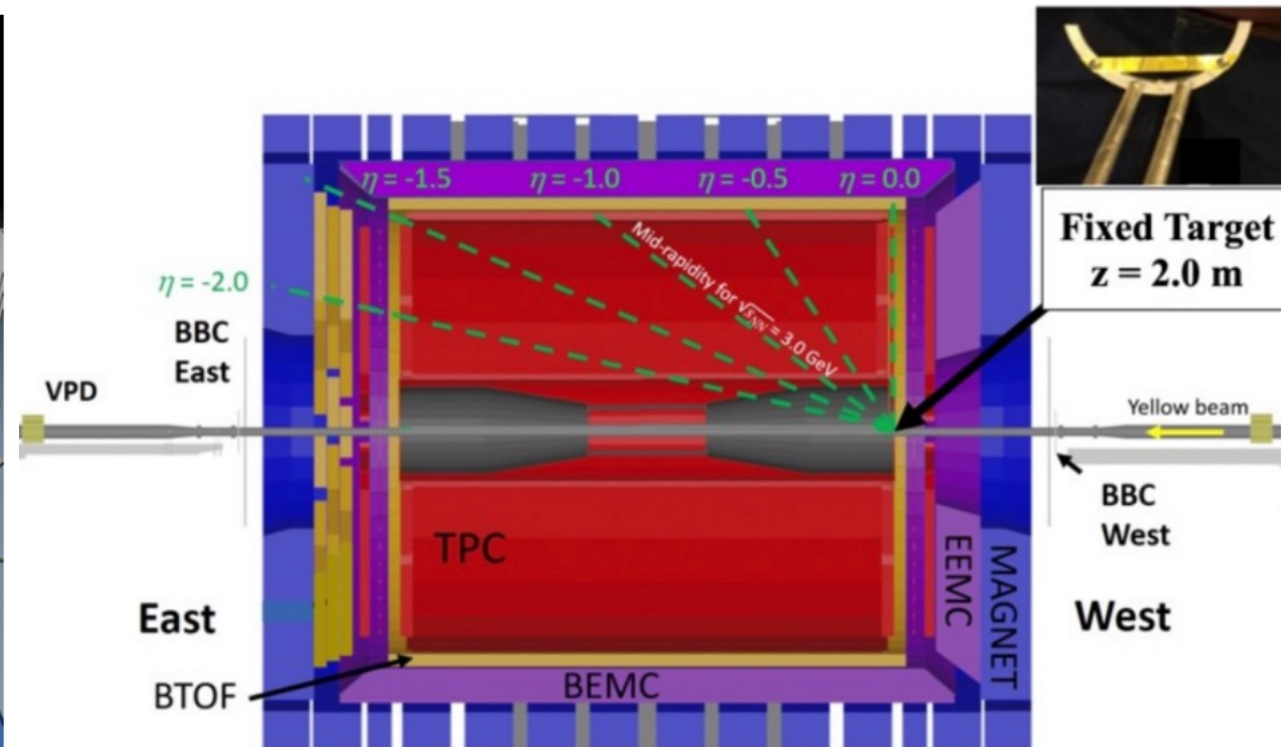
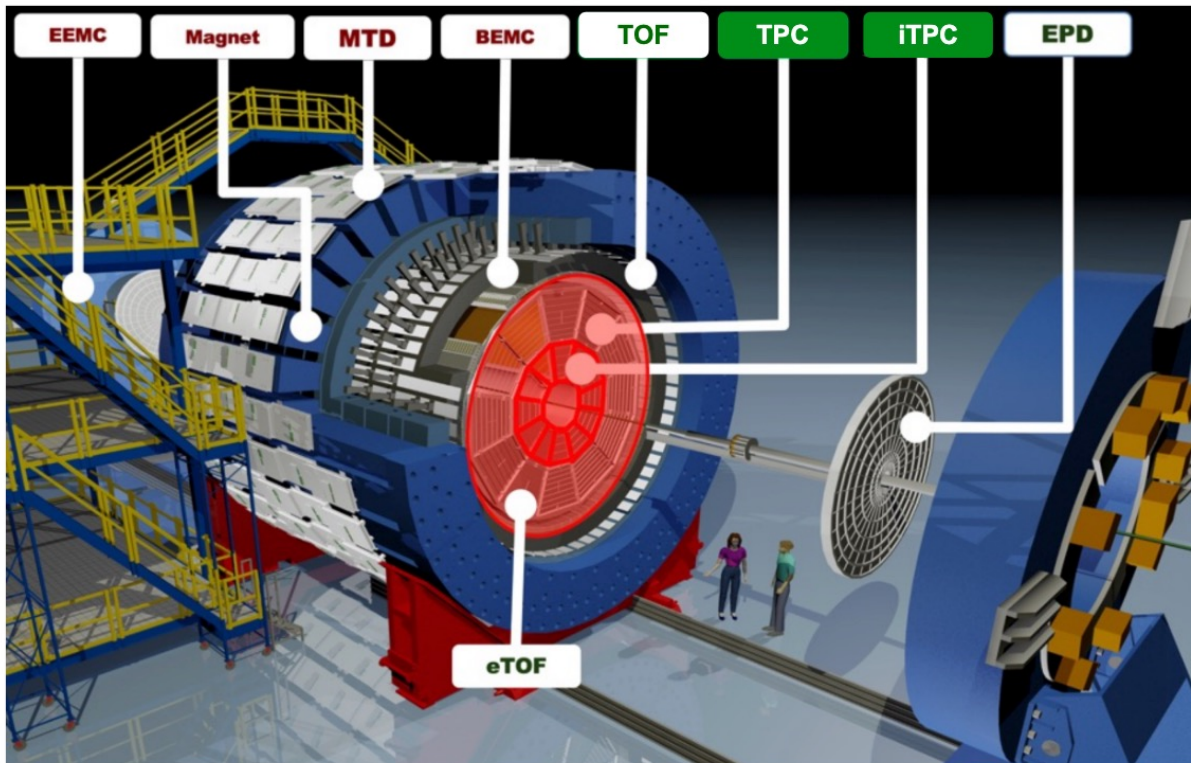
YNN constrained by $A = 4$ hypernuclei

STAR fixed target program



- STAR Au+Au at $\sqrt{s_{NN}} = 3$ GeV in fixed-target mode
- run18 (~300M events) and run21 (~2B events)

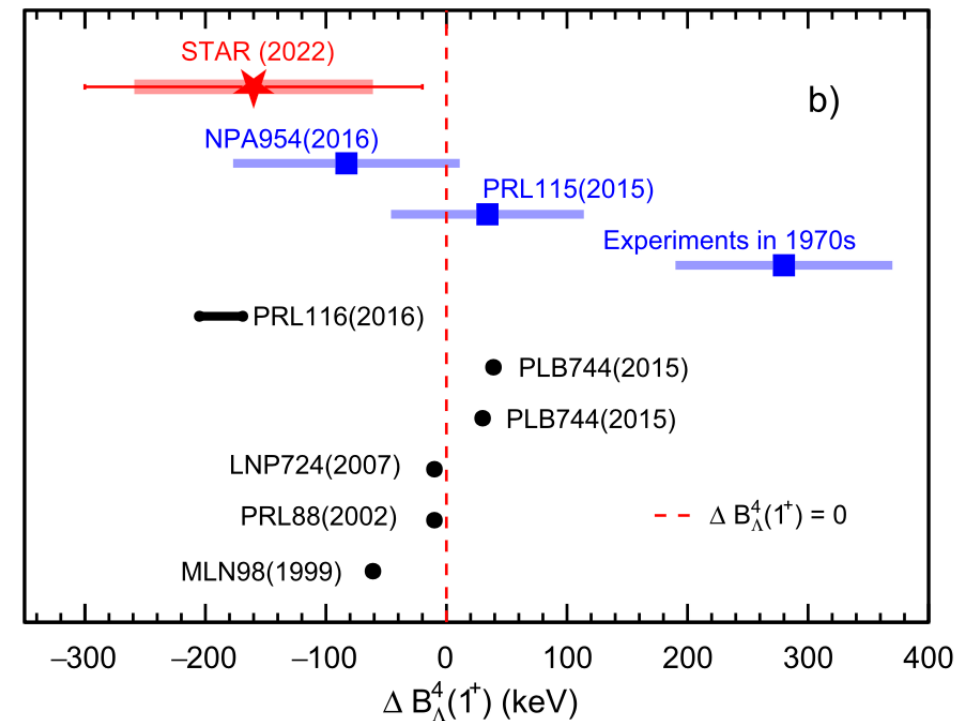
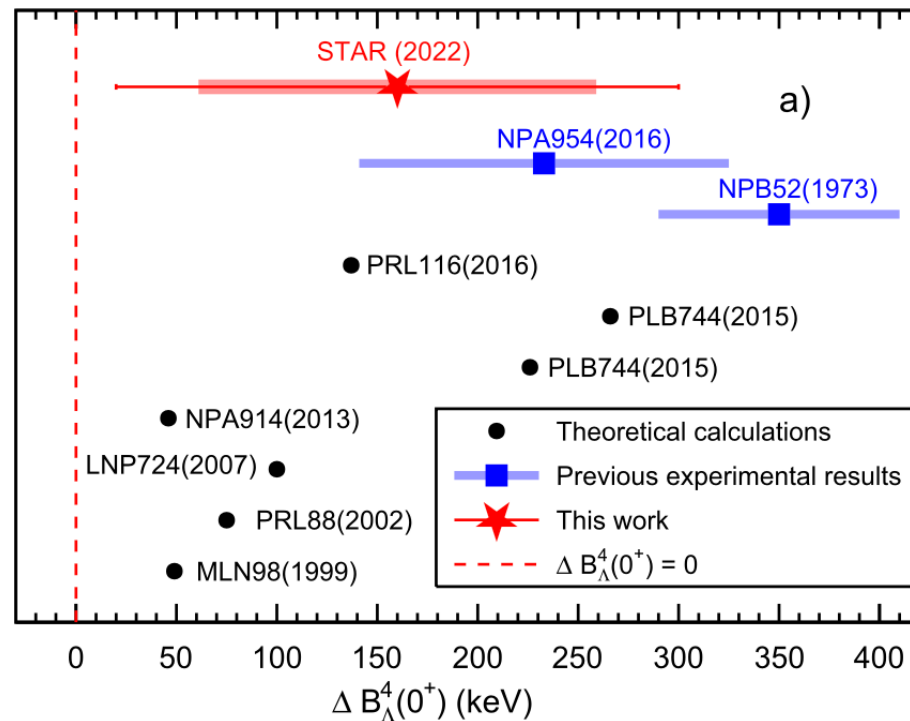
STAR Fixed Target setup



Previous measurement



- Results from run18 Au+Au at 3GeV show that CSB in ground states and excited states maybe similar in magnitude with opposite sign. However, the statistical uncertainties are large.
- Valuable to continue this study with much larger statistics from run 21.



STAR, PLB 834 (2022) 137449

${}^4_{\Lambda}\text{H}$ and ${}^4_{\Lambda}\text{He}$ reconstruction



Reconstructed with [KFParticle](#) package

KFParticle class describes particles by:

$$\mathbf{r} = \{ x, y, z, p_x, p_y, p_z, E \}$$

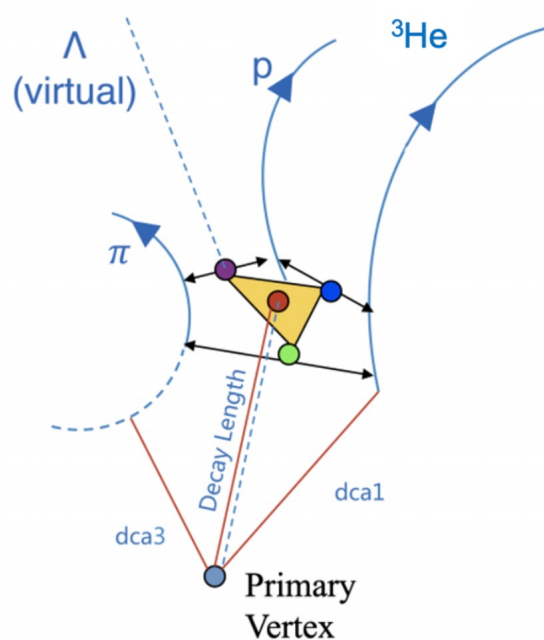
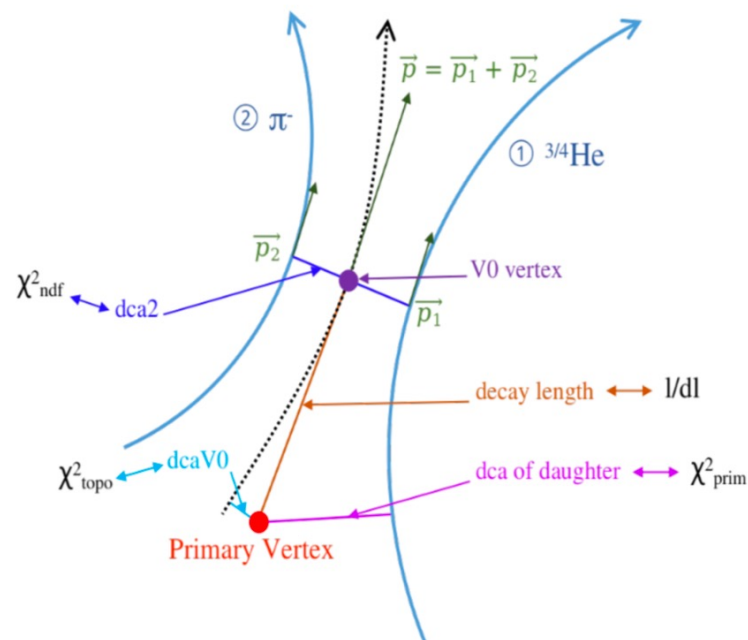
State vector

$$\mathbf{C} = \langle \mathbf{r} \mathbf{r}^T \rangle =$$

Covariance matrix

$$\begin{bmatrix} \sigma_x^2 & C_{xy} & C_{xz} & C_{xp_x} & C_{xp_y} & C_{xp_z} & C_{xE} \\ C_{xy} & \sigma_y^2 & C_{yz} & C_{yp_x} & C_{yp_y} & C_{yp_z} & C_{yE} \\ C_{xz} & C_{yz} & \sigma_z^2 & C_{zp_x} & C_{zp_y} & C_{zp_z} & C_{zE} \\ C_{xp_x} & C_{yp_x} & C_{zp_x} & \sigma_{p_x}^2 & C_{p_x p_y} & C_{p_x p_z} & C_{p_x E} \\ C_{xp_y} & C_{yp_y} & C_{zp_y} & C_{p_x p_y} & \sigma_{p_y}^2 & C_{p_y p_z} & C_{p_y E} \\ C_{xp_z} & C_{yp_z} & C_{zp_z} & C_{p_x p_z} & C_{p_y p_z} & \sigma_{p_z}^2 & C_{p_z E} \\ C_{xE} & C_{yE} & C_{zE} & C_{p_x E} & C_{p_y E} & C_{p_z E} & \sigma_E^2 \end{bmatrix}$$

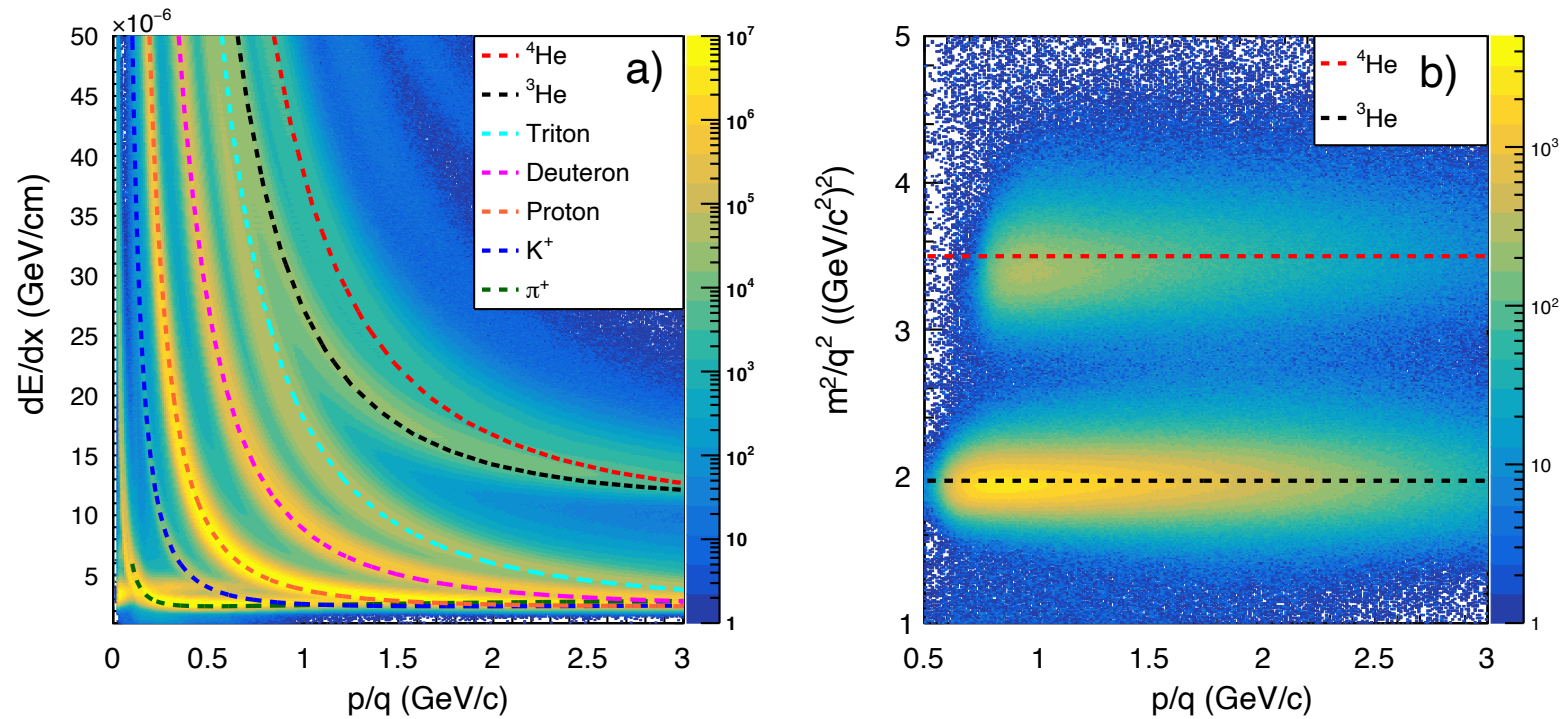
- KFParticle package shows a high quality of the reconstructed particles, high efficiencies, and high signal to background ratios.



Decay topology of ${}^4_{\Lambda}\text{H}$ and ${}^4_{\Lambda}\text{He}$.

X. Ju, et. al., NST 34 (2023) 10, 158

Charged particle identification



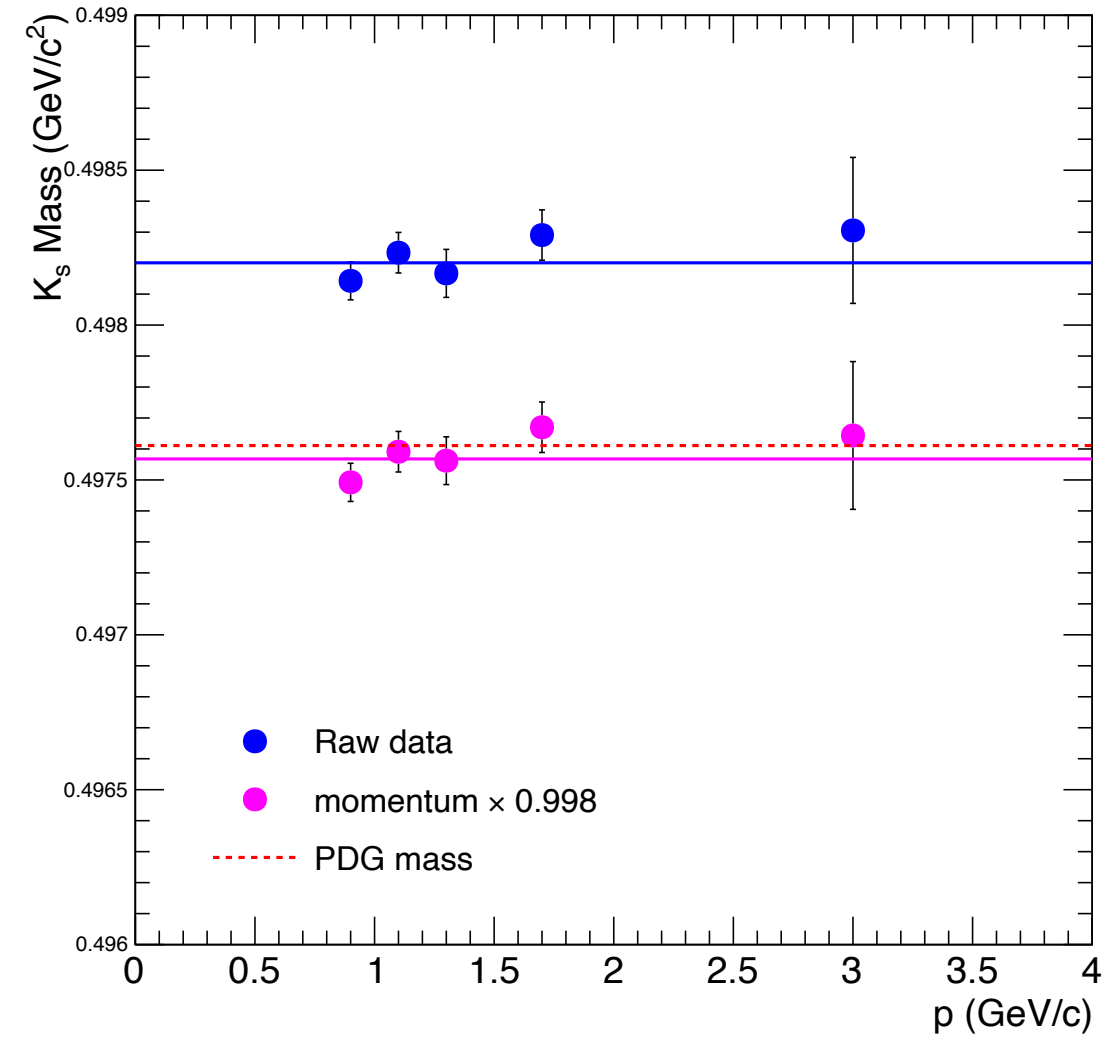
- Charged particle PID is based on the dE/dx from the TPC. ^3He and ^4He are also selected according to the mass square from the TOF.

Corrections



Momentum calibration due to magnetic field distortion

- The track momentum is decided by its curvature in the STAR magnet system.
- Due to the accuracy limitation on the measurement of STAR magnetic field, the reconstructed momentum of track may deviate from the real value.
- We calibrate the track momentum by measuring the mass of $K_S \rightarrow \pi^+ + \pi^-$. A 0.2% correction is needed to match the PDG value.
- Consider the uncertainty of the measurement, 0.17% ~ 0.23% correction range are tested to evaluate the systematic uncertainty.

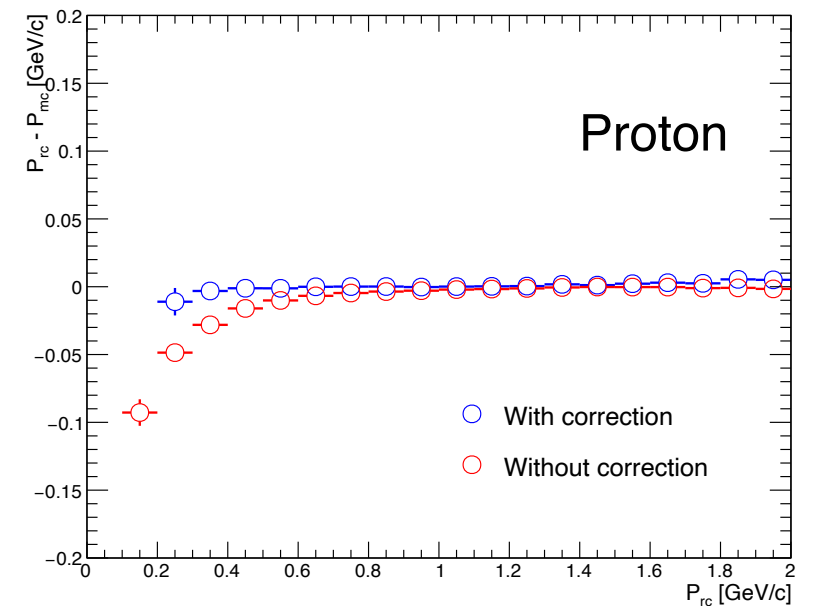
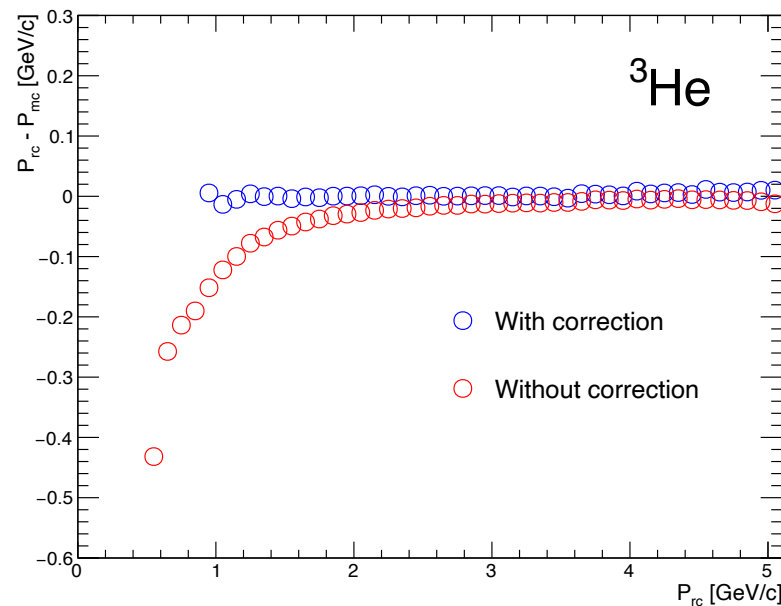
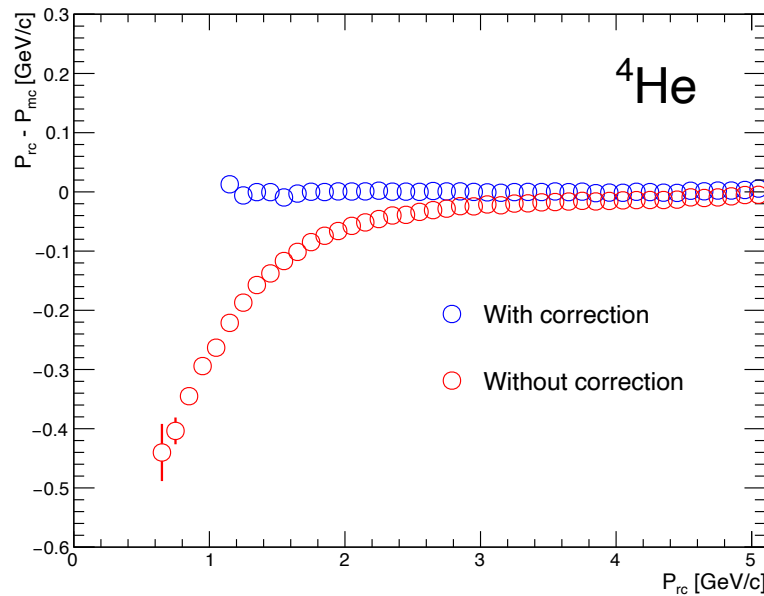


Corrections



Energy loss corrections in detector system

- Simulate the tracks in virtual STAR detector constructed by GEANT.
- Compare the momentum difference between MC input and detector output.

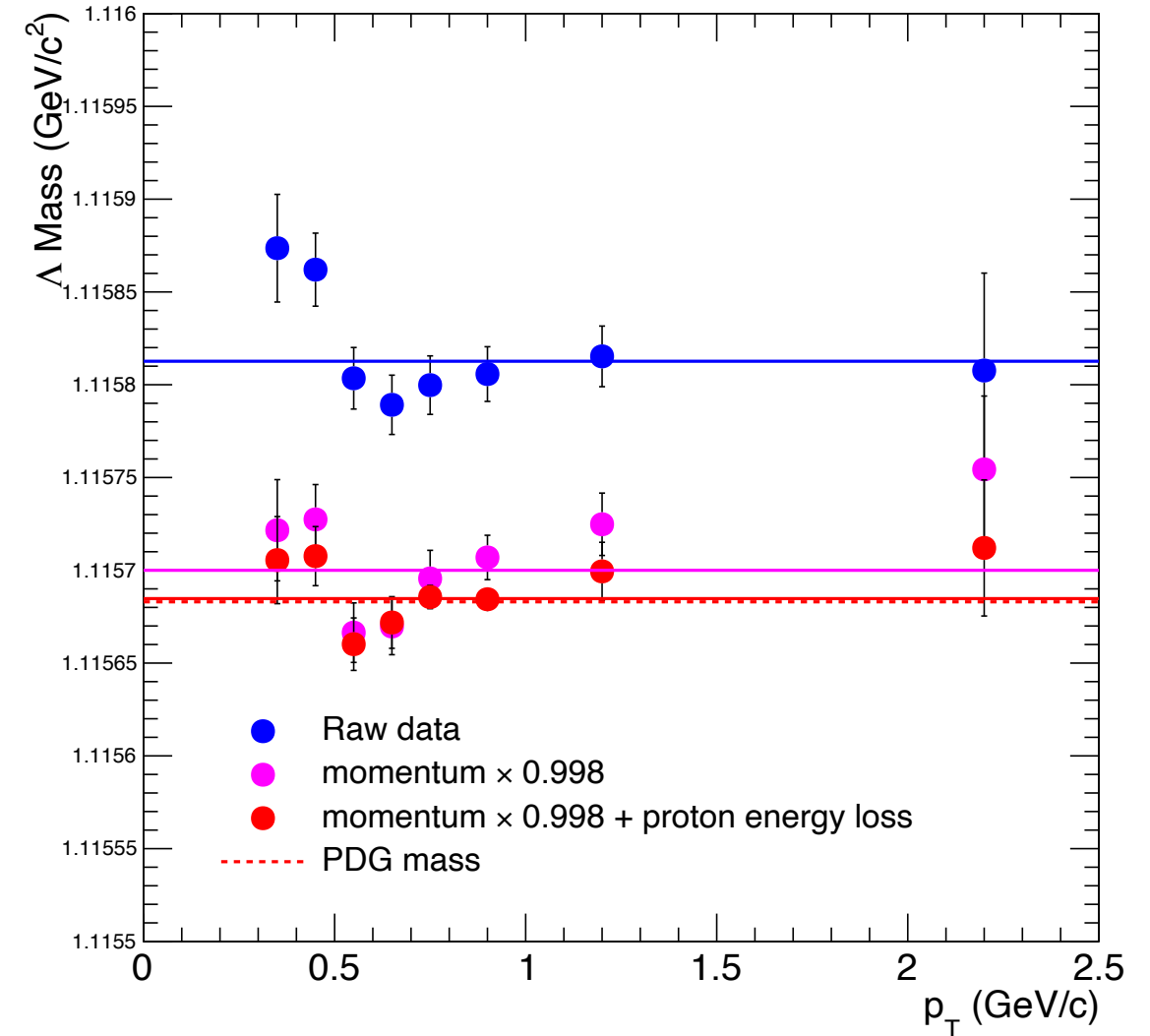


$$\text{Correction function: } y = \delta_0 + \delta \left(1 + \frac{m^2}{x^2}\right)^\alpha$$

Corrections



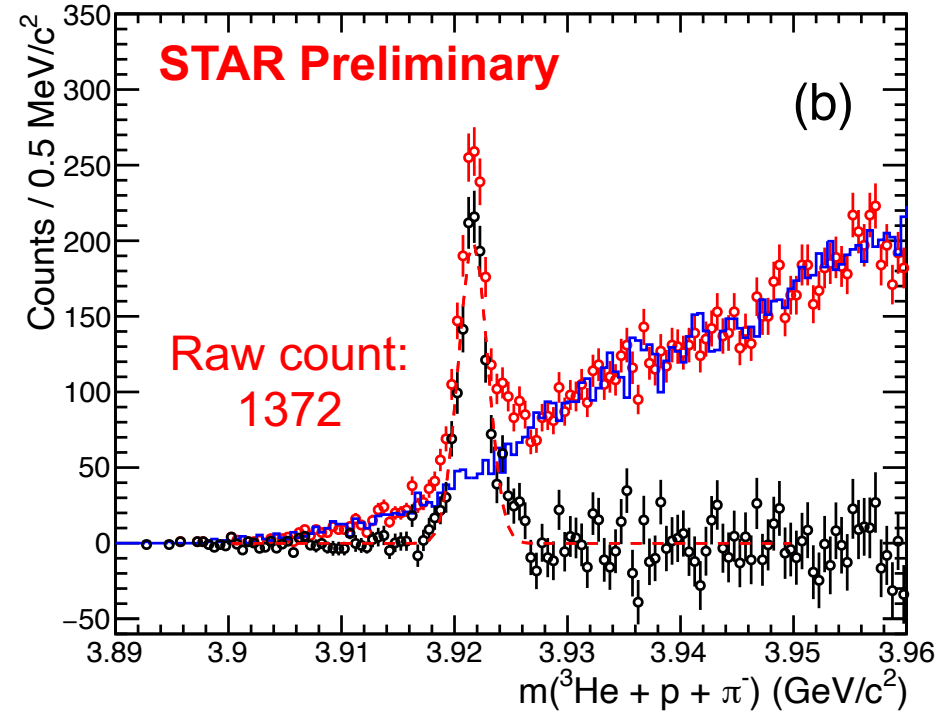
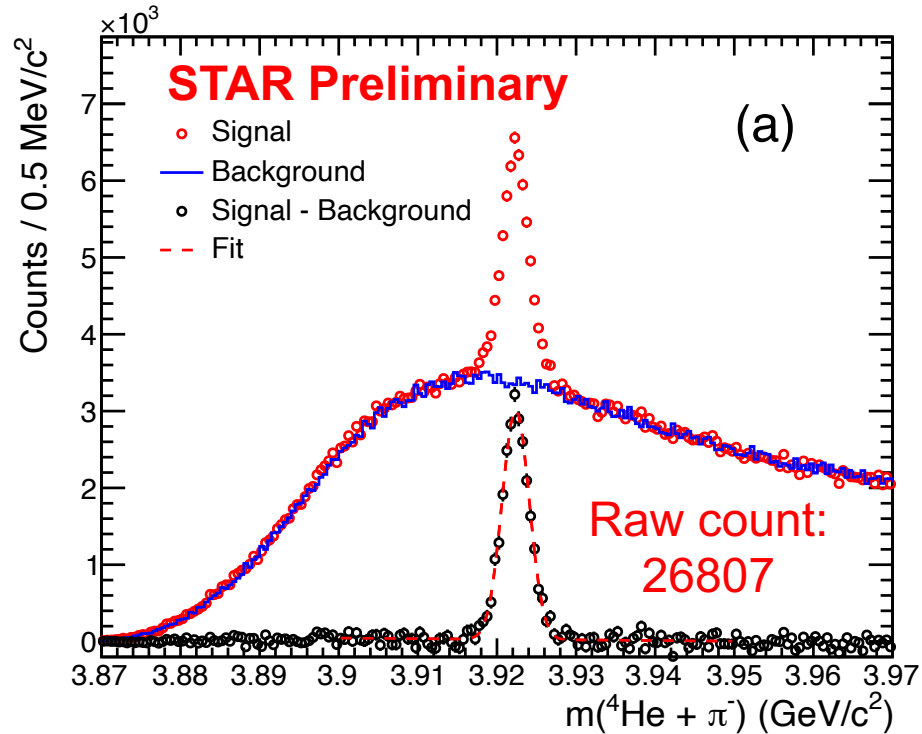
- Test the momentum corrections with $\Lambda \rightarrow p + \pi^-$ mass.
- Λ mass with corrections is consistent with PDG value within $\sim 10\text{keV}$.
- The deviation of the measured Λ mass from PDG value is propagated to the measured mass of hypernuclei.



Invariant mass measurements



The invariant mass distributions of ${}^4_\Lambda\text{H}$ and ${}^4_\Lambda\text{He}$ with corrections.



■ Background : rotate ${}^4\text{He}$ or ${}^3\text{He}$ track by random degrees

■ Fit function :
$$f(x) = \frac{A}{\sqrt{2\pi}} \exp\left(-\frac{(x - \mu)^2}{2\sigma^2}\right) + p_0x + p_1$$

■ $m({}^4_\Lambda\text{H}) = 3922.36 \pm 0.02(\text{stat.}) \pm 0.05(\text{syst.}) \text{ MeV/c}^2$

■ $m({}^4_\Lambda\text{He}) = 3921.68 \pm 0.05(\text{stat.}) \pm 0.04(\text{syst.}) \text{ MeV/c}^2$

Systematic uncertainties



Systematic uncertainties for Λ binding energies.

Error source	${}^4_\Lambda\text{H}$ Systematic error (MeV)	${}^4_\Lambda\text{He}$ Systematic error (MeV)
Momentum scaling factor	0.03	0.03
Energy loss correction	0.02	0.01
Fit method	0.02	0.01
Topological cuts	0.02	0.03
Bin widths	0.01	0.01
Total	0.05	0.04

- As tested in the MC simulation and data, the systematic uncertainty from the momentum scaling factor can be mostly canceled when we calculate the binding energy difference between ${}^4_\Lambda\text{H}$ and ${}^4_\Lambda\text{He}$.

Λ binding energy



- Calculate the Λ binding energy according to the masses of hypernuclei and their constituents:

$$B_{\Lambda} = (M_{\Lambda} + M_{core} - M_{hypernucleus})c^2$$

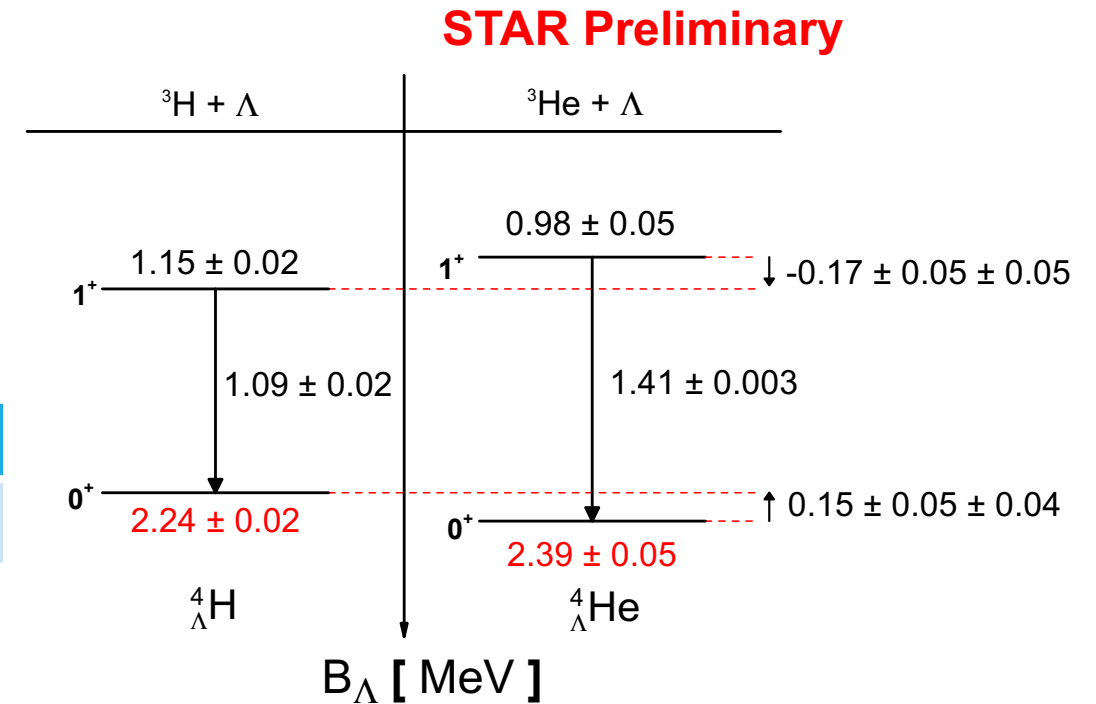
$$M_{core} = M(\text{Triton}) \text{ or } M(^3\text{He})$$

	Λ	Triton	^3He
Mass (MeV/c ²)	1115.68	2808.92	2808.39

- $B_{\Lambda} (^4_{\Lambda}\text{H}) = 2.24 \pm 0.02(\text{stat.}) \pm 0.05(\text{syst.}) \text{ MeV}$

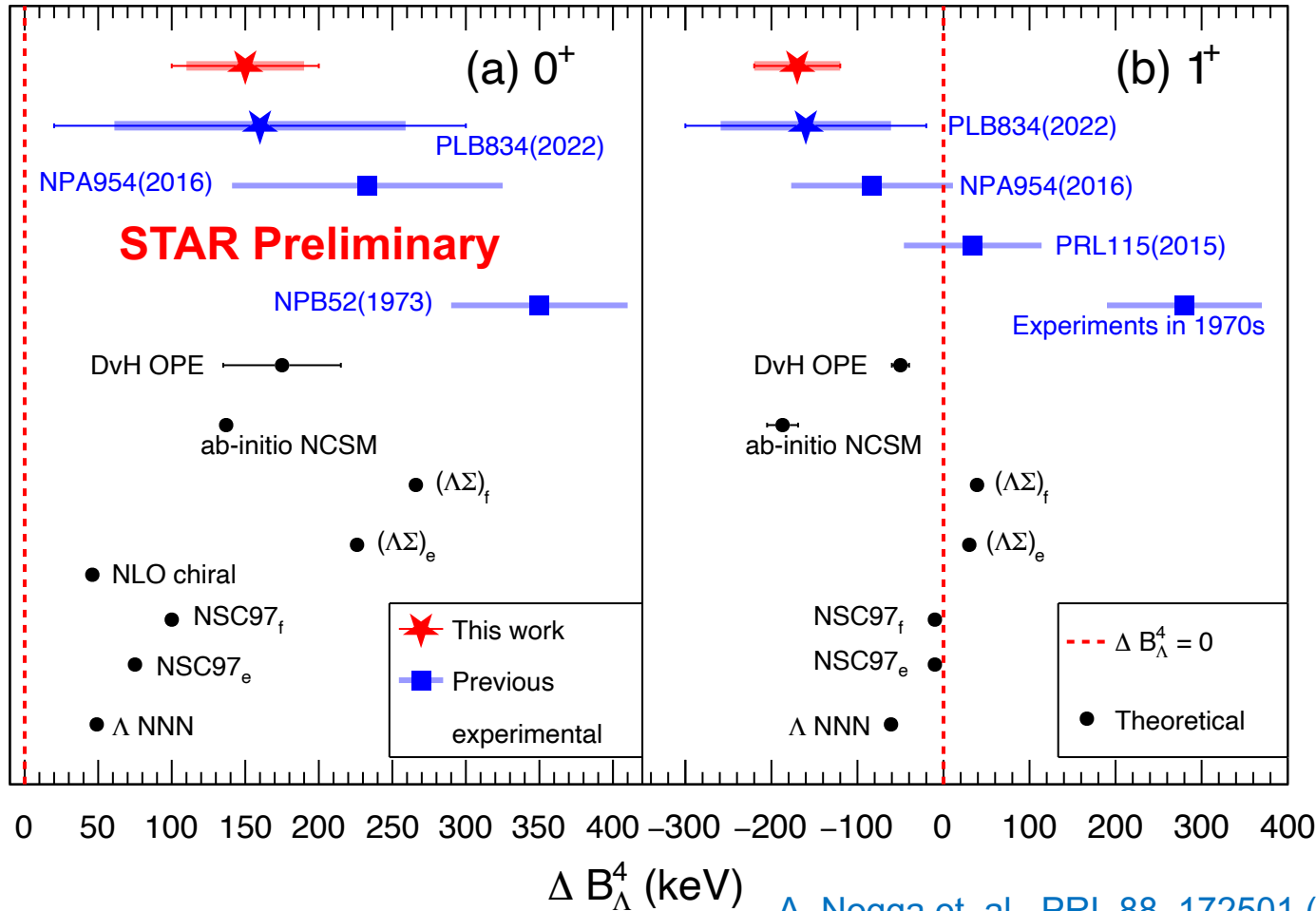
- $B_{\Lambda} (^4_{\Lambda}\text{He}) = 2.39 \pm 0.05(\text{stat.}) \pm 0.04(\text{syst.}) \text{ MeV}$

- In energy level schemes of $^4_{\Lambda}\text{H}$ and $^4_{\Lambda}\text{He}$ in terms of Λ binding energies, the ground states binding energies are from this analysis. The values for excited states are obtained from the γ -ray transition energies.



M. Bedjidian et al., PLB 62, 467-470, J-PARC E13 Collaboration, PRL 115, 222501 (2015)

Charge symmetry breaking



- $\Delta B_{\Lambda}(0^+) = 150 \pm 50(\text{stat.}) \pm 40(\text{syst.}) \text{ keV}$
- $\Delta B_{\Lambda}(1^+) = -170 \pm 50(\text{stat.}) \pm 50(\text{syst.}) \text{ keV}$
- We confirm that charge symmetry breaking effects in $A = 4$ hypernuclei ground states and excited states **are comparable**.
- The ab-initio NCSM calculation with CSB Λ - Σ^0 mixing can describe our results. However, the latest calculation with DvH OPE in excited states deviates from our measurement.

A. Gal, PLB 744 (2015) 352-357

A. Nogga et. al., PRL 88, 172501 (2002) D. Gazda and A. Gal, PRL 116, 122501 (2016)

J. Haidenbauer et. al., LNP 724, 113-140 (2002) D. Gazda and A. Gal, NPA 954 (2016) 161-175

Charge symmetry breaking



- How symmetry breaking affects a two-level system in basic quantum mechanics:

Hamiltonian : $H = H_0 + H'$

$$H = \begin{pmatrix} H_{00} & H'_{01} \\ H'_{10} & H_{11} \end{pmatrix}$$

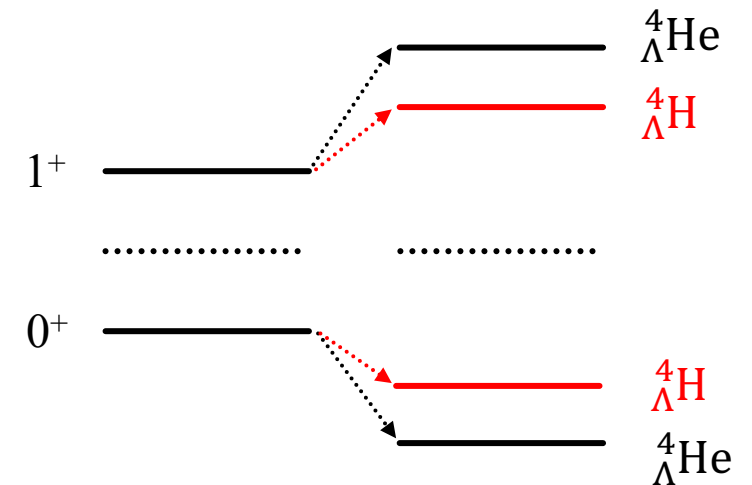
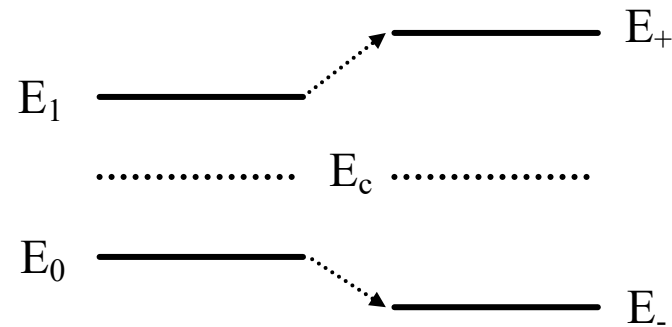
If $|\psi\rangle = c_1|\psi_1\rangle + c_2|\psi_2\rangle$

$$\begin{pmatrix} E - E_2 & -H'_{01} \\ -H'_{10} & E - E_1 \end{pmatrix} \begin{pmatrix} c_1 \\ c_2 \end{pmatrix} = 0$$

Solve the eigenvalue :

$$\begin{vmatrix} E - E_2 & -H'_{01} \\ -H'_{10} & E - E_1 \end{vmatrix} = 0$$

$$E_{\pm} = E_c \pm \sqrt{d^2 + |H'_{01}|^2} \quad E_c = \frac{1}{2}(E_0 + E_1) \quad d = \frac{1}{2}(E_0 - E_1)$$



- Energy shift in two levels should have opposite signs and similar magnitudes. **Our results favor the basic QM picture.**

- Invariant masses and Λ binding energies of ${}^4_{\Lambda}\text{H}$ and ${}^4_{\Lambda}\text{He}$ have been measured in $\sqrt{s_{NN}} = 3$ GeV Au+Au collisions with higher precision than before:

$$m({}^4_{\Lambda}\text{H}) = 3922.36 \pm 0.02(\text{stat.}) \pm 0.05(\text{syst.}) \text{ MeV}/c^2, B_{\Lambda}({}^4_{\Lambda}\text{H}) = 2.24 \pm 0.02(\text{stat.}) \pm 0.05(\text{syst.}) \text{ MeV}$$

$$m({}^4_{\Lambda}\text{He}) = 3921.68 \pm 0.05(\text{stat.}) \pm 0.04(\text{syst.}) \text{ MeV}/c^2, B_{\Lambda}({}^4_{\Lambda}\text{He}) = 2.39 \pm 0.05(\text{stat.}) \pm 0.04(\text{syst.}) \text{ MeV}$$

- To study the charge symmetry breaking in $A = 4$ hypernuclei, the Λ binding energy differences between ${}^4_{\Lambda}\text{H}$ and ${}^4_{\Lambda}\text{He}$ in ground states and excited states have been measured/extracted :

$$\Delta B_{\Lambda}(0^+) = 0.15 \pm 0.05(\text{stat.}) \pm 0.04(\text{syst.}) \text{ MeV}$$

$$\Delta B_{\Lambda}(1^+) = -0.17 \pm 0.05(\text{stat.}) \pm 0.05(\text{syst.}) \text{ MeV}$$

- Our results confirm that the charge symmetry breaking effect in excited states is negative, and the magnitude is comparable to the ground states, which favors the basic quantum mechanics picture.