

The 16th Workshop on QCD Phase Transition and Relativistic Heavy-Ion Physics (QPT 2025)

Effects of QGP droplet evolution on initial charge separation in small collision systems

Yi Xu (许易)

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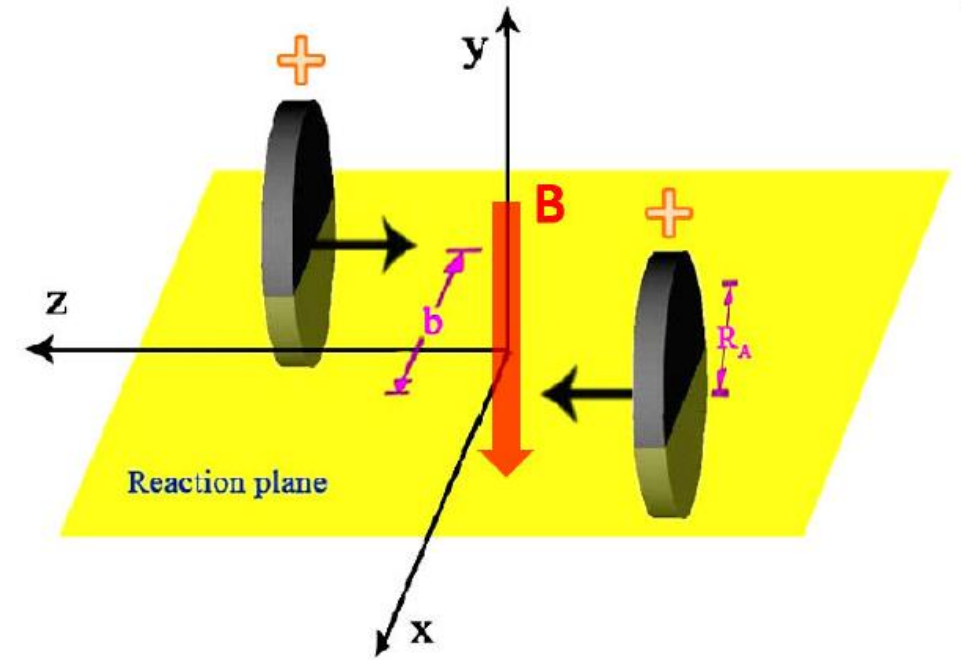


Outline

- Introduction and motivation
- Azimuthal correlation between φ_B and φ_2 in small collisions system $p/p^\uparrow + A$
- Evolution of CME signal in small collision system.
- Summary and outlook

Motivation

Due to fast, oppositely directed motion of two colliding ions, off-central heavy-ion collisions can create strong transient magnetic fields.



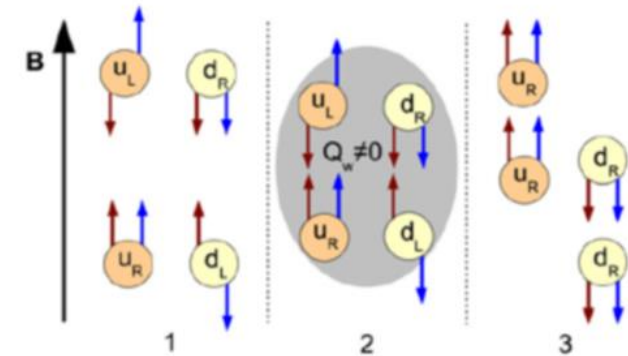
Such a strong B field may influence the dynamics of QGP

Chirality imbalance + magnetic field = chiral magnetic effect (CME)

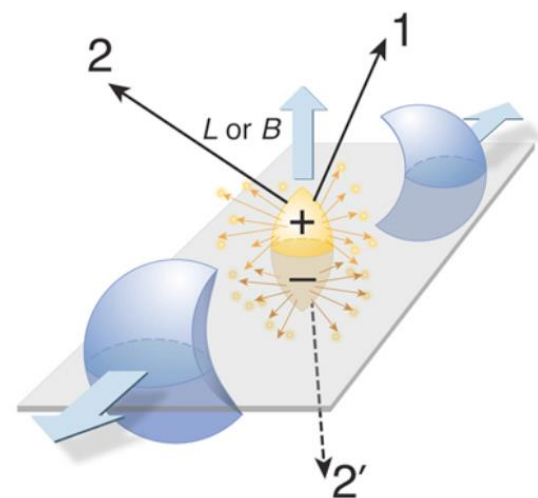
Kharzeev 2004, Kharzeev, McLerran, Warringa, Fukushima 2007-2008

Charge separation $\vec{J} = \sigma_5 \vec{B}$

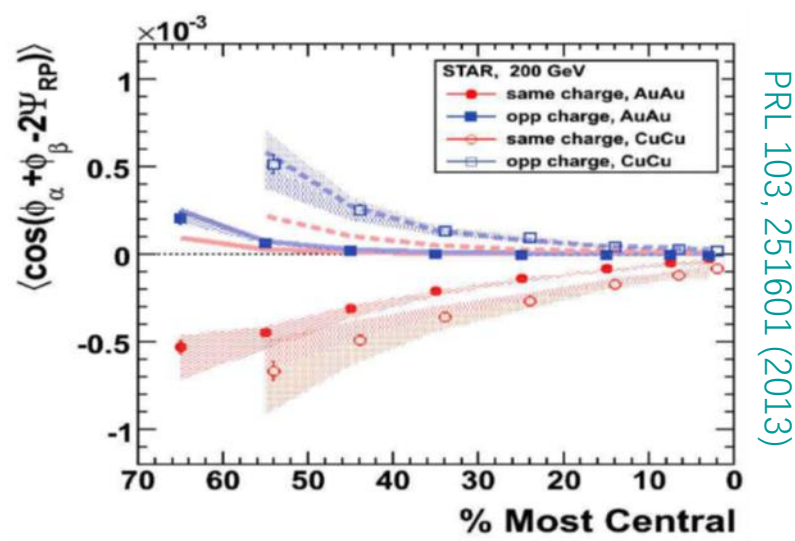
Chiral conductivity $\sigma_5 = N_c \sum_f \frac{q_f^2 \mu_5}{2\pi^2}$



Experiment searches of CME



charge correlator in Au+Au, Cu+Cu, and Pb+Pb are consistent with CME:



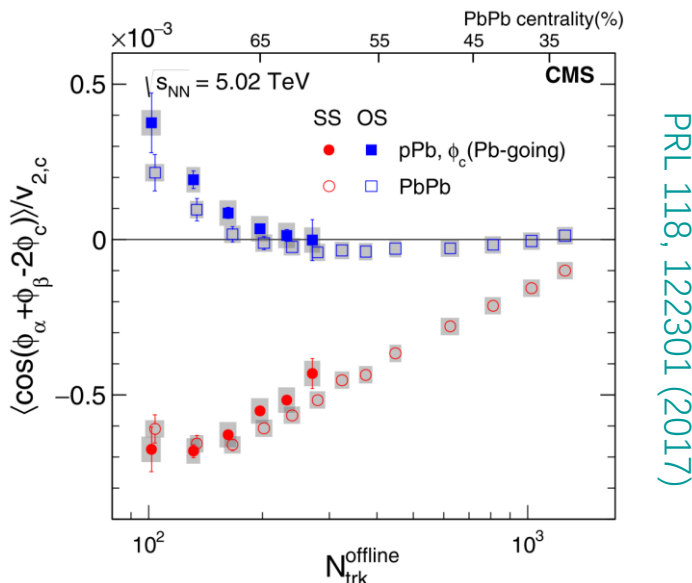
Two particle charge azimuthal correlation:

$$\gamma_{q_1,q_2} = \langle \cos(\phi_1 + \phi_2 - 2\psi_{RP}) \rangle$$

$$\gamma_{ss} = (\gamma_{++} + \gamma_{--}) / 2$$

$$\gamma_{os} = \gamma_{+-}$$

CME signal in small collisions system (p+A)?



Experiment signal include contri. from CME and background

$$\Delta\gamma_{\text{exp}} = \Delta\gamma_{\text{CME}} + \Delta\gamma_{\text{background}}$$

$$\Delta\gamma_{\text{CME}} \propto B^2 \cos 2(\varphi_B - \varphi_2)$$

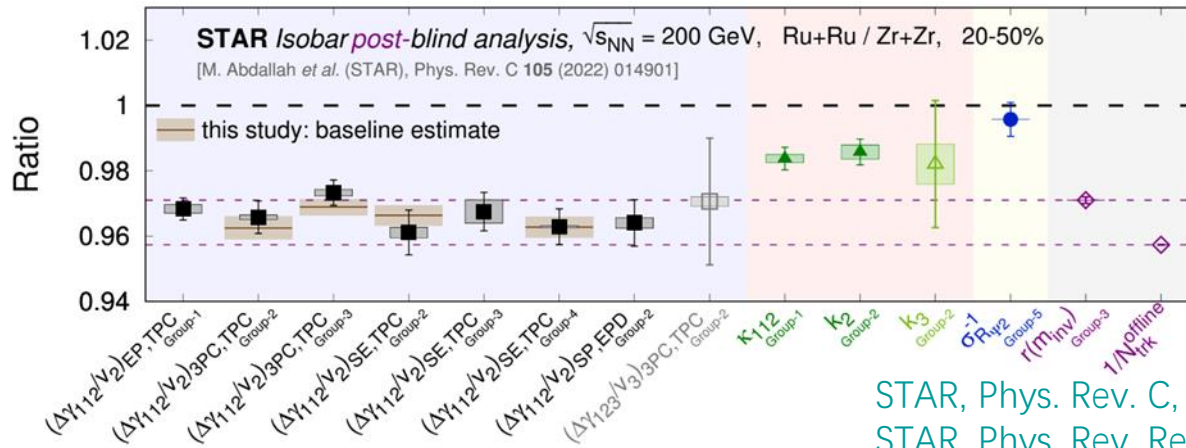
$$\Delta\gamma_{\text{background}} \propto v_2$$

How to distinguish them?

— $^{96}_{40}\text{Zirconium}$ vs $^{96}_{44}\text{Ruthenium}$

Isobaric collision

Deng, Huang, Ma, Wang
Phys. Rev. C 94 (2016) 041901(R)



STAR, Phys. Rev. C, 2022, 105(1): 014901

STAR, Phys. Rev. Res., 2024, 6(3): L032005

- CME contribution is small.
- Nuclear deformation must be considered

Experiment signal include contri. from CME and background

$$\Delta\gamma_{\text{exp}} = \Delta\gamma_{\text{CME}} + \Delta\gamma_{\text{background}}$$

$$\Delta\gamma_{\text{CME}} \propto B^2 \cos 2(\varphi_B - \varphi_2)$$

$$\Delta\gamma_{\text{background}} \propto v_2$$

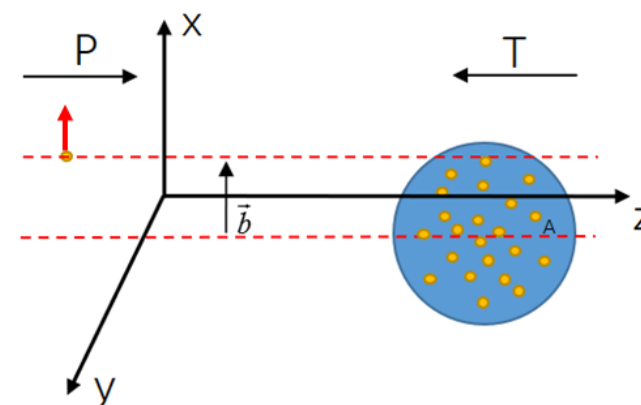
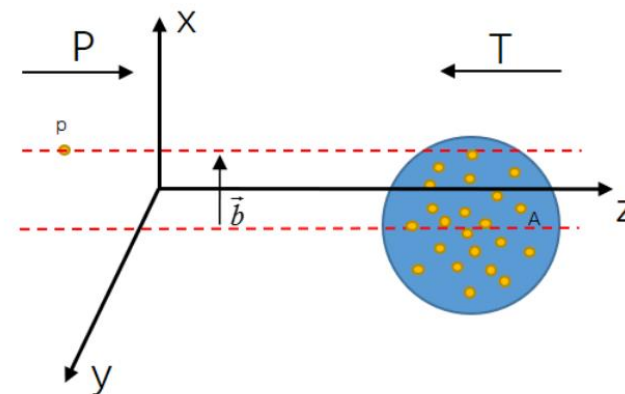
CME in Small collisions system ($p+A$ or $p^\uparrow+A$)

Zhang, Cen and Deng, Chin. Phys. C 46, 084103 (2022)

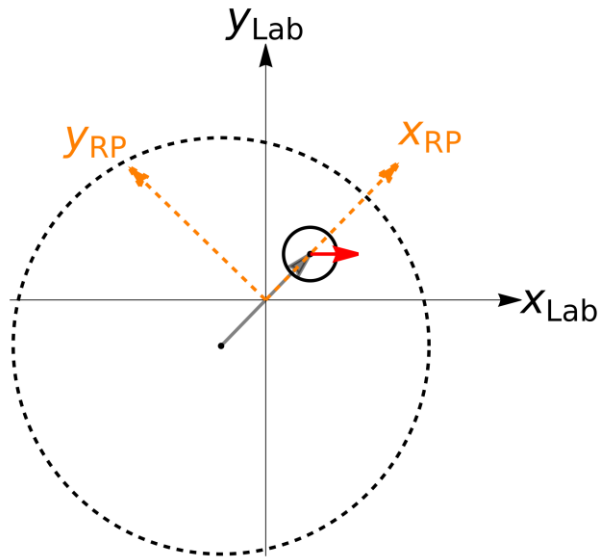
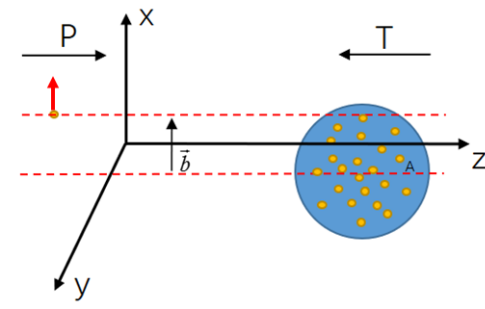
Wu, Zhang, Gao, Yi Xu, Deng, Phys. Rev. C 110 (2024) 6, L061901

Yi Xu, Gao, Zhang, Deng, Phys. Rev. C 112, 034904 (2025)

- Azimuthal correlation between φ_B and φ_2 ?
- Could CME signal remain to the final state ?



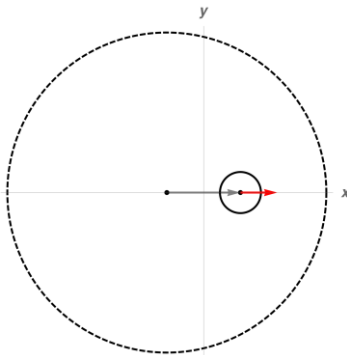
Small collision system $p^\uparrow + A$



HIJING model is employed.

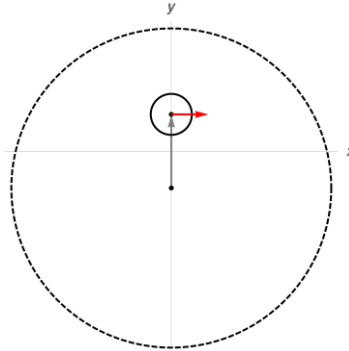
- Projectile $p^\uparrow$ moving along $+z$ direction
- Polarization is fixed along $+x$ direction
- φ_{RP} is random in each event, but detectable approximately.

$$\varphi_{RP} = 0$$



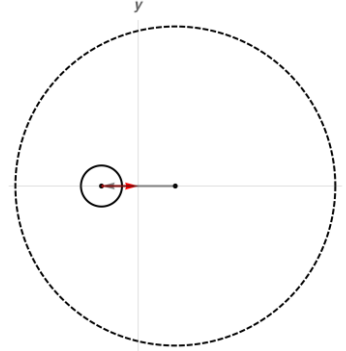
I

$$\varphi_{RP} = \frac{\pi}{2}$$



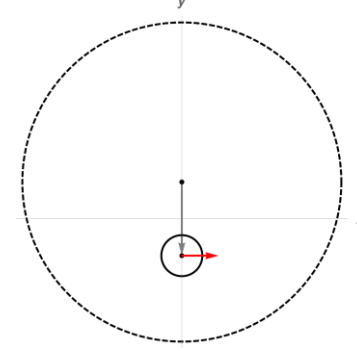
II

$$\varphi_{RP} = \pi$$



III

$$\varphi_{RP} = \frac{3\pi}{2}$$

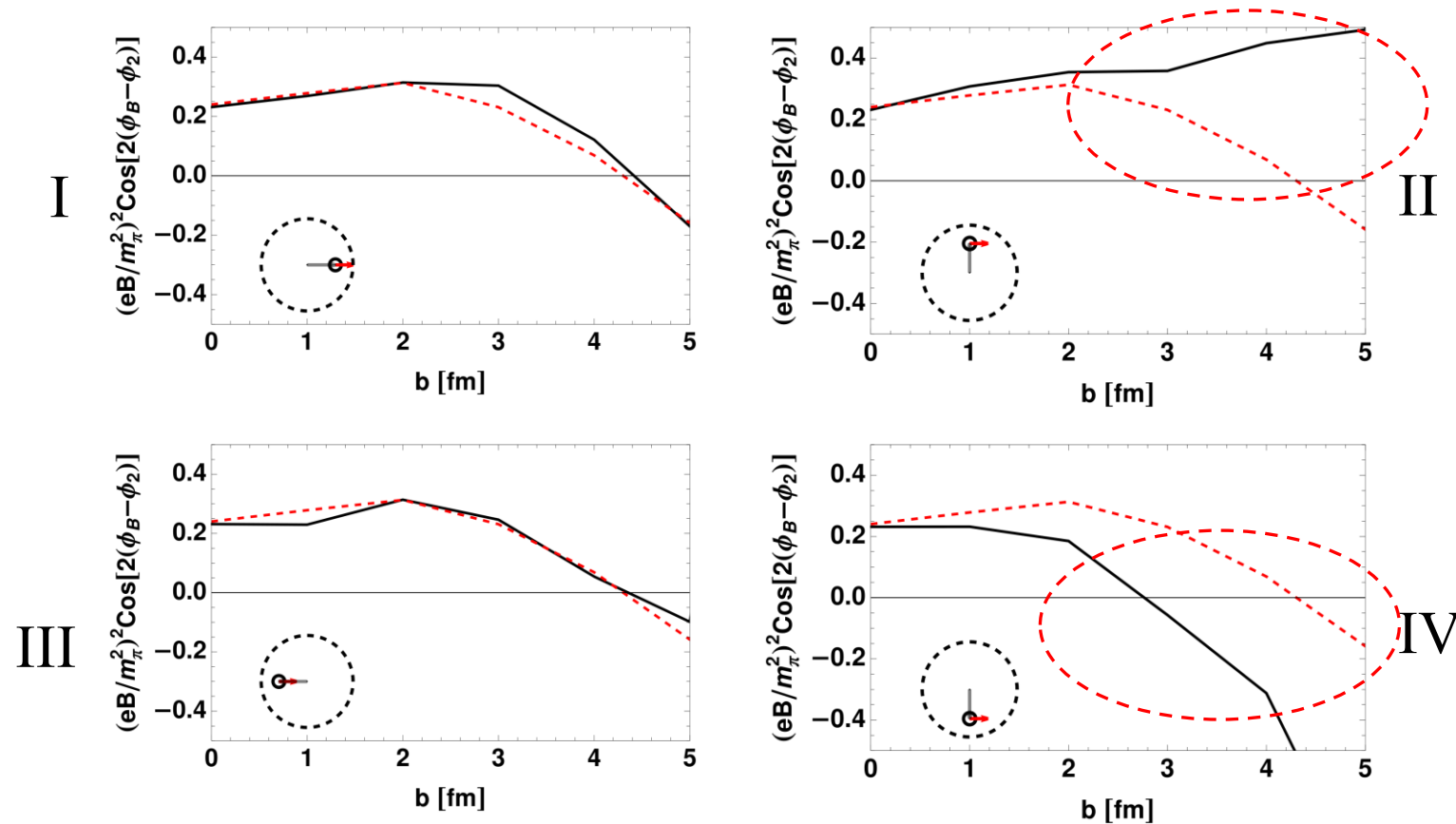


IV

CME correlator in $p^\uparrow + A$

$$\Delta\gamma_{\text{CME}} \propto B^2 \cos 2(\varphi_B - \varphi_2)$$

➤ In scheme II and IV, CME correlators are quite different

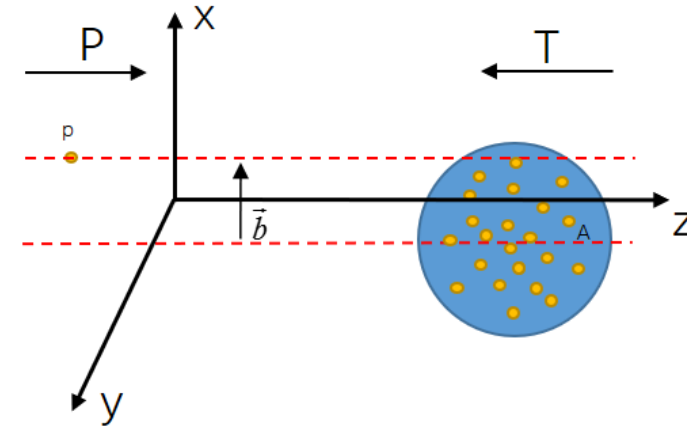
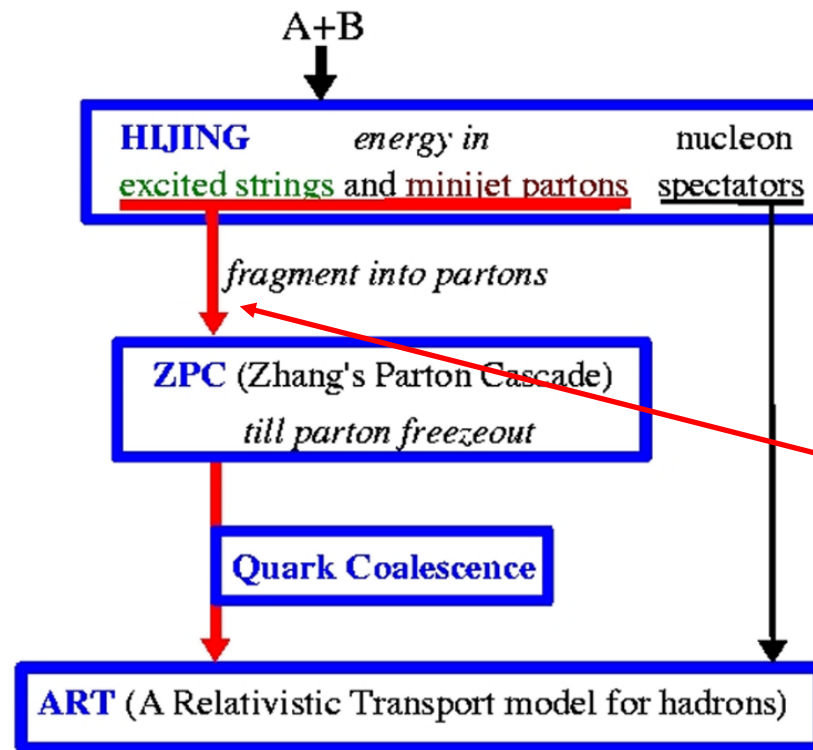


----- CME correlator in $p + A$, as a baseline

● Evolution of CME signal in small system

AMPT model (String melting version) is employed to simulate p+A collision with $\sqrt{s}=200$ GeV .

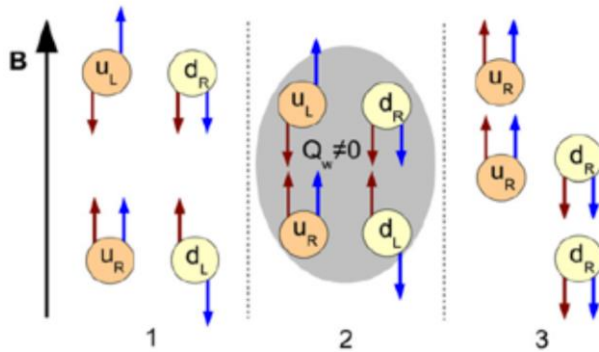
Structure of AMPT model with string melting



Initial CME signal is input before parton evolution.

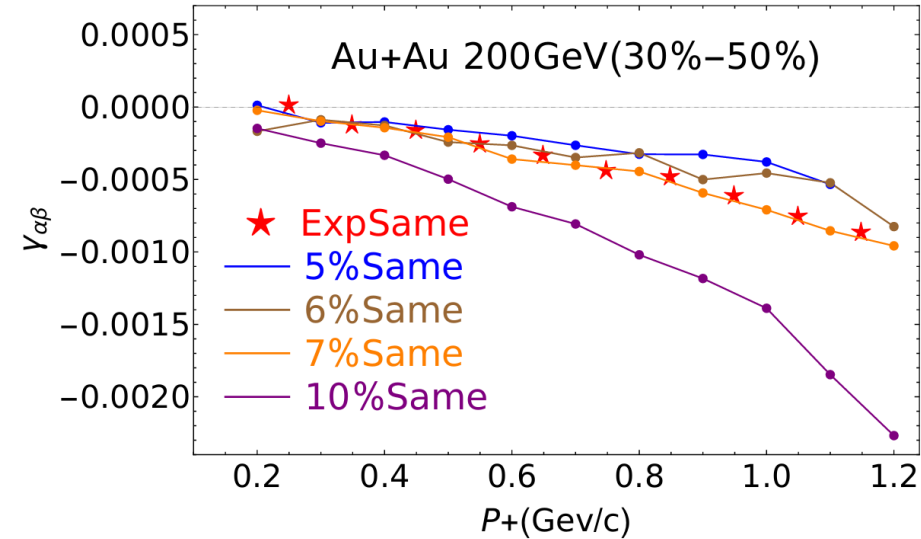
To set initial CME signal

Initial CME signal is input before parton evolution.

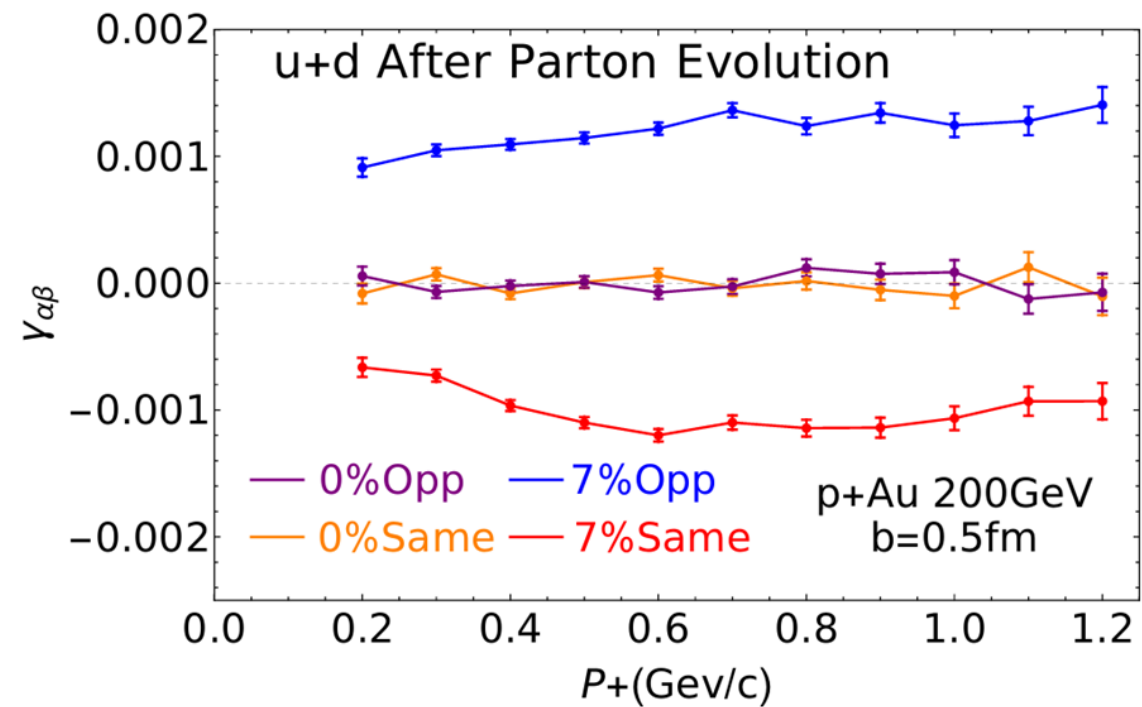


Interchange P_y of percentages of pos.-neg. parton pairs randomly.

G.-L. Ma and B. Zhang,
Phys. Lett. B 700, 39 (2011)



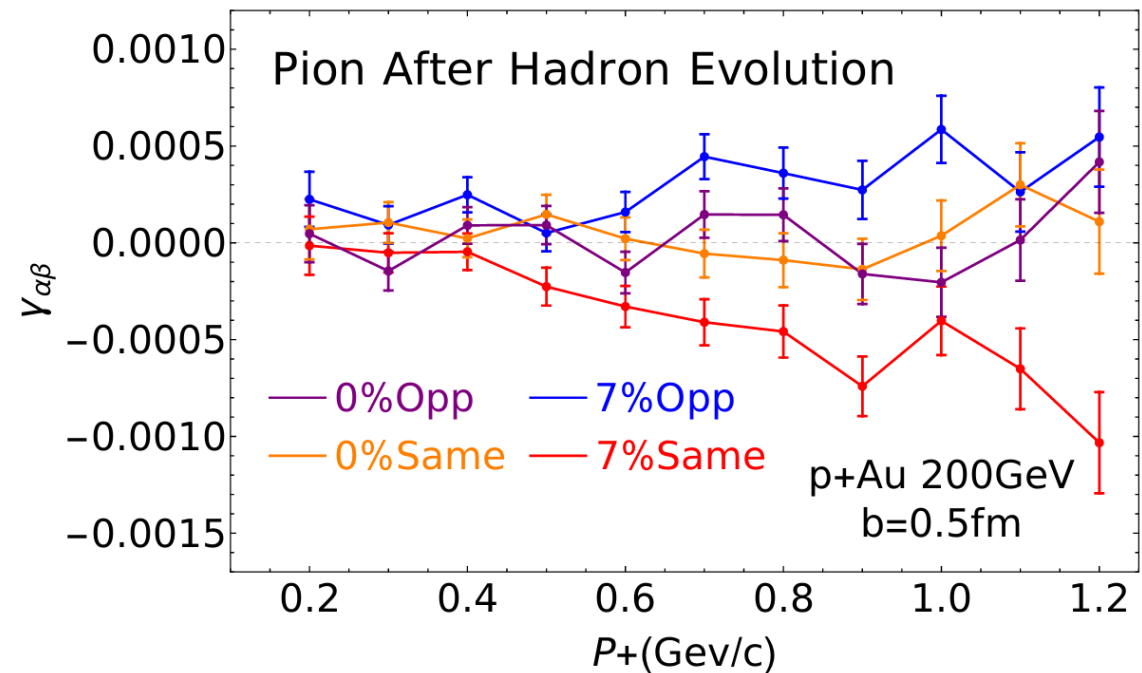
- 7% percentage can explain exp. data in $Au + Au$.
- The same percentage is set in $p + A$ as the upper limit of CME in our simulation.



$$P_+ = \frac{P_{T,\alpha} + P_{T,\beta}}{2}$$

- p_+ dependence is mild.
- The values of γ_{OS} and γ_{SS} are symmetric approximately in the whole range of P_+ .

➤ 0% events :
Background contribution is negligible in the evolution of QGP droplet.



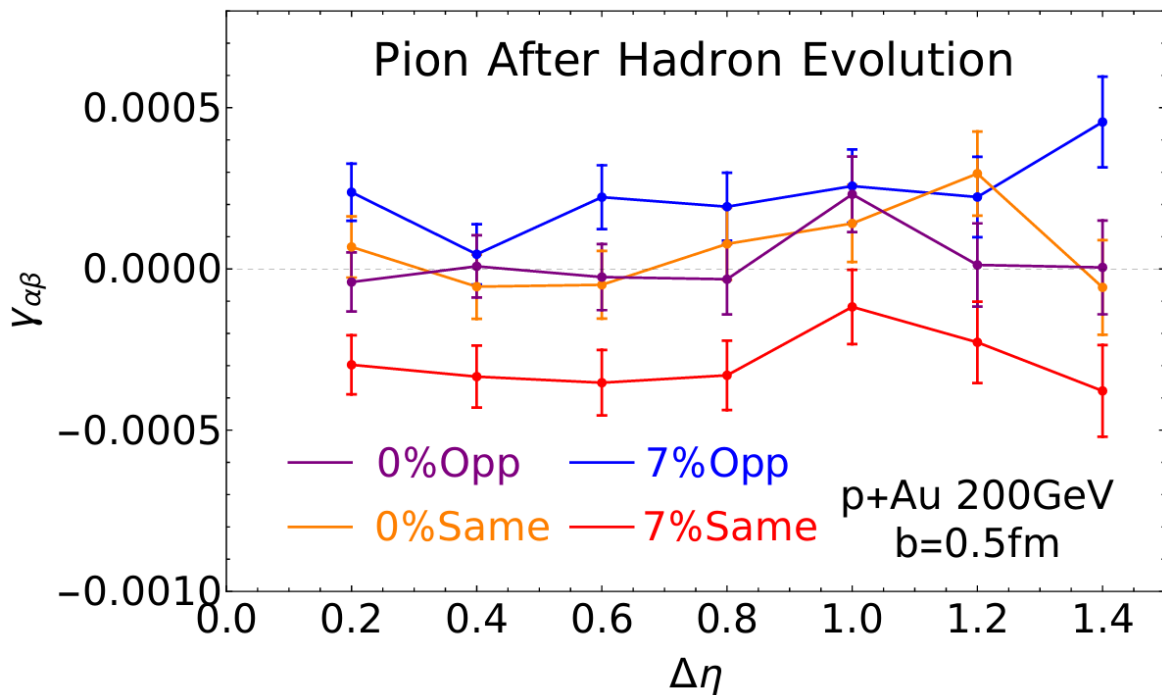
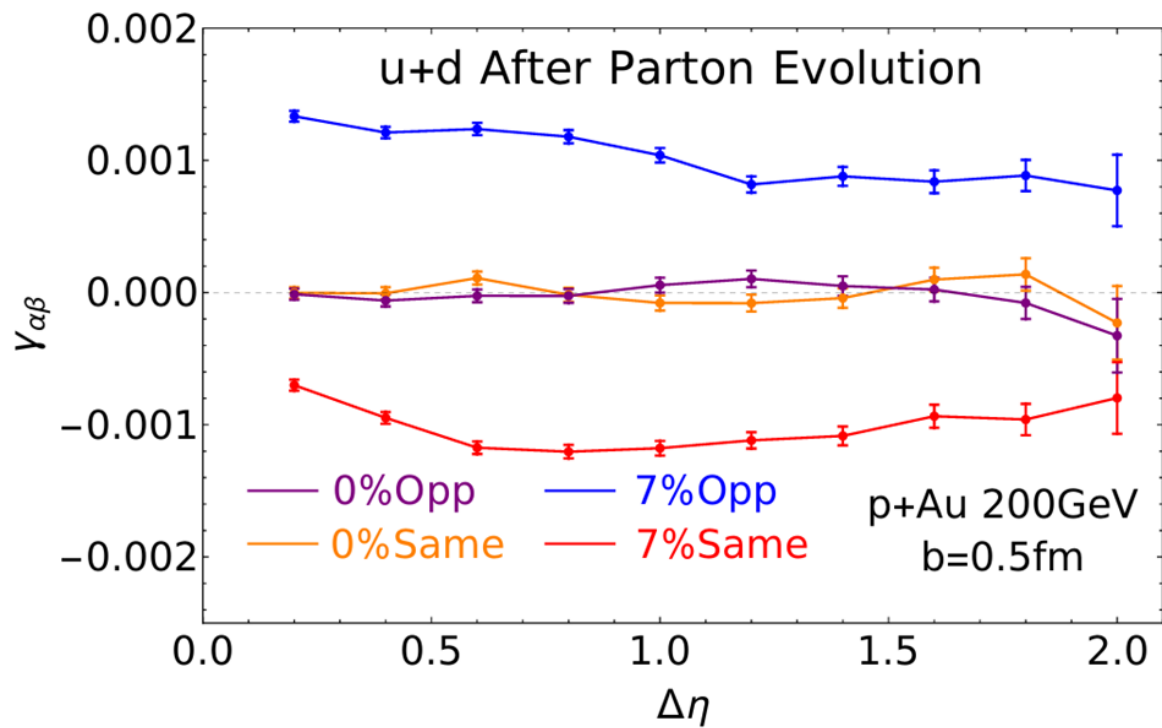
- p_+ dependence is strong.

More cascade collisions
weaken signal effectively

- Hadron evolution break the symmetry of γ_{OS} and γ_{SS}

Due to local momentum and
charge conservation.

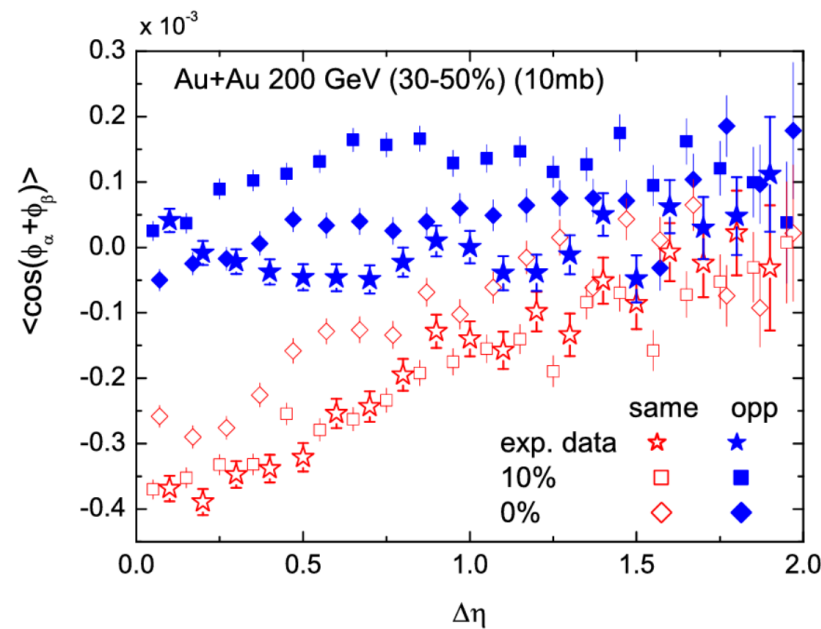
➤ 7% events:
50~90% signal can
survive through
hadron evolution.

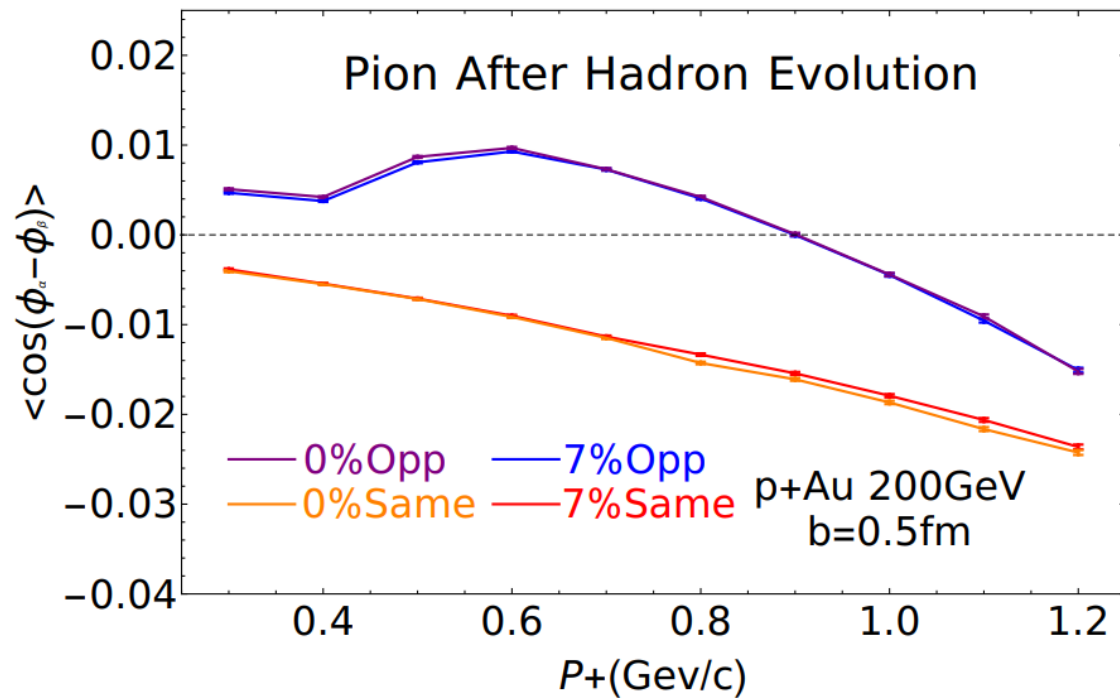


$$\eta = \frac{1}{2} \log \frac{|P| + P_z}{|P| - P_z}$$

$$\Delta\eta = |\eta_A - \eta_B|$$

- $\Delta\eta$ dependence is mild.
- The dependency of $\Delta\eta$ is completely different from that of $Au + Au$.

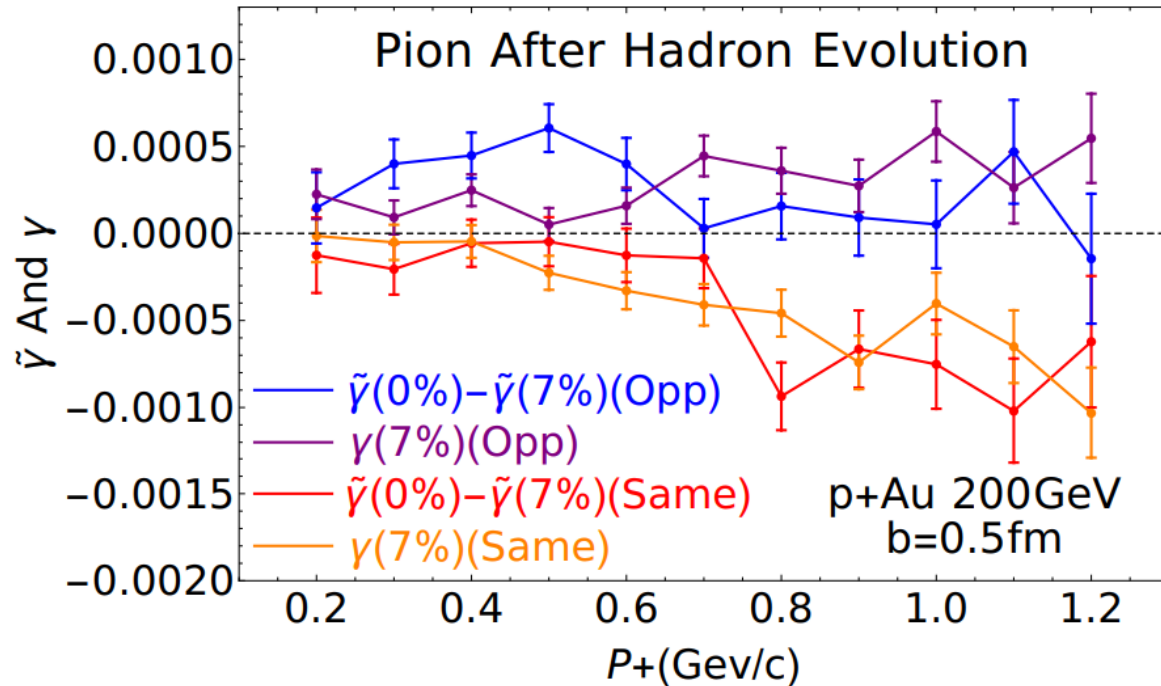




$$\tilde{\gamma}_{\alpha\beta} = \langle \cos(\phi_\alpha - \phi_\beta) \rangle$$

➤ $\tilde{\gamma}_{\alpha\beta,0\%}$ and $\tilde{\gamma}_{\alpha\beta,7\%}$ are approximate

Background independent of the reaction plane make a major contribution to $\tilde{\gamma}_{\alpha\beta}$.



$$\Delta\tilde{\gamma}_{0\%-7\%} = |\tilde{\gamma}_{\alpha\beta 0\%} - \tilde{\gamma}_{\alpha\beta 7\%}|$$

➤ $\Delta\tilde{\gamma}_{0\%-7\%}$ and $\gamma_{\alpha\beta,7\%}$ are approximate

The CME signal is hardly affected by background effects in $p + Au$.

Summary and Outlook

- Calculating the azimuthal correlation between φ_B and φ_2
- CME signal can survive into final hadron system, and background contribution is negligible.
- Small system $p^\uparrow + A$ can provide us new experiment method to clarify CME contribution.
- E-by-E simulations of $p^\uparrow + A$ with more realistic model are processing.