



北京大学
PEKING UNIVERSITY



Full angular analysis of the $B^0 \rightarrow K^{*0} \mu^+ \mu^-$ decay in proton-proton collisions at CMS

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On behalf of CMS Collaboration

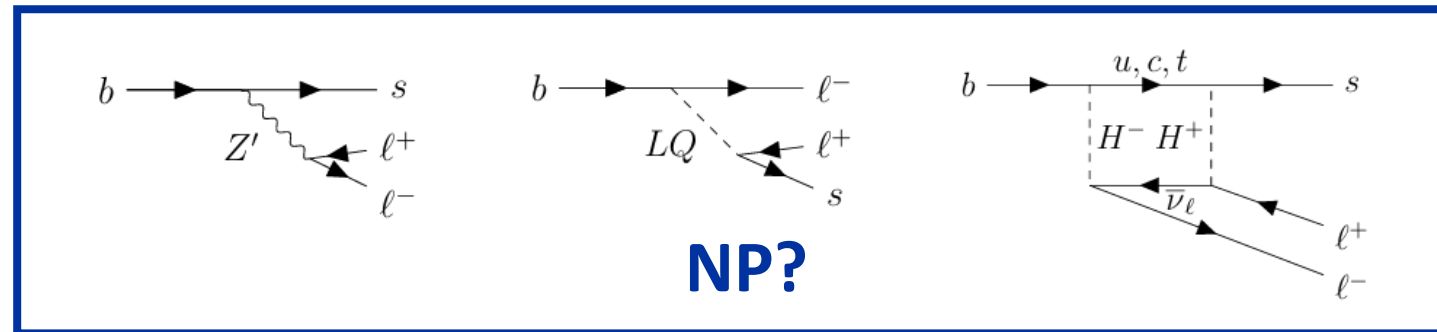
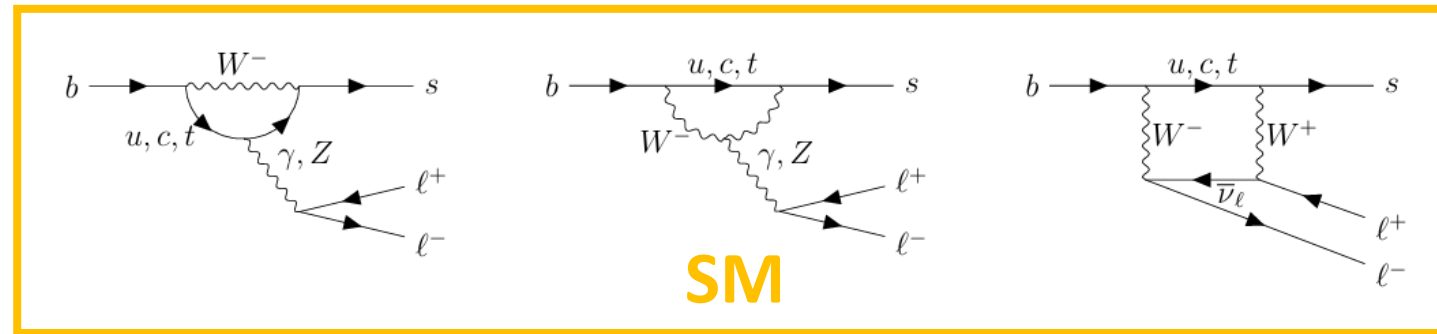
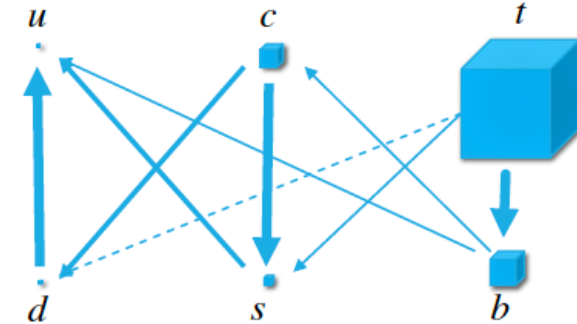
HQL meeting 2025

16/09/2025

1. Peking University 2. Laser Fusion Research Center, China Academy of Engineering Physics

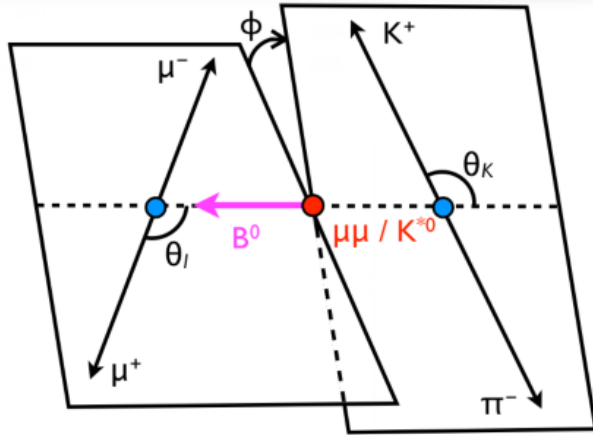
$b \rightarrow sll$ process

- $b \rightarrow sll$ is a Flavour-changing-neutral-current (FCNC) transition: transitions between quarks of the same electric charge
- SM: forbidden at tree level, need more complex diagrams to achieve
- Enhanced in many BSM theories: new particles can contribute at the loop or tree level
- NP can modify angular parameters, decay rates ...



$B^0 \rightarrow K^{*0} \mu \mu$ process

- **Experimentally good channel:** Easy to identify muons; fully charged final states; Many B^0 produced at LHC
- Can be fully described by **the three angles (θ_l , θ_K , ϕ)** and **the dimuon invariant mass squared q^2**
- **Angular analysis compared to measuring the branching fractions:** give access to large range of observables with reduced theory uncertainties



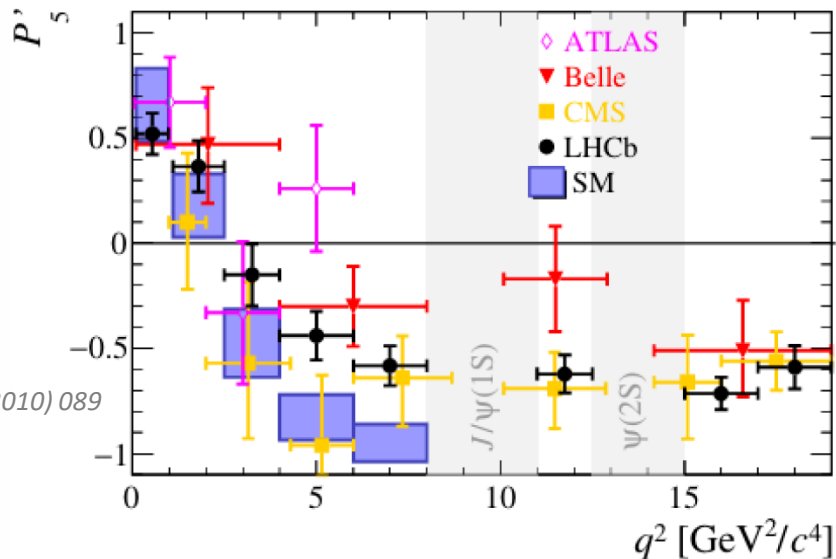
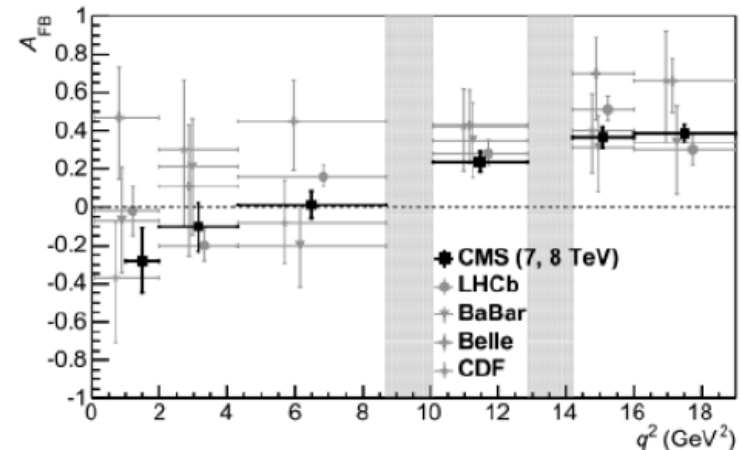
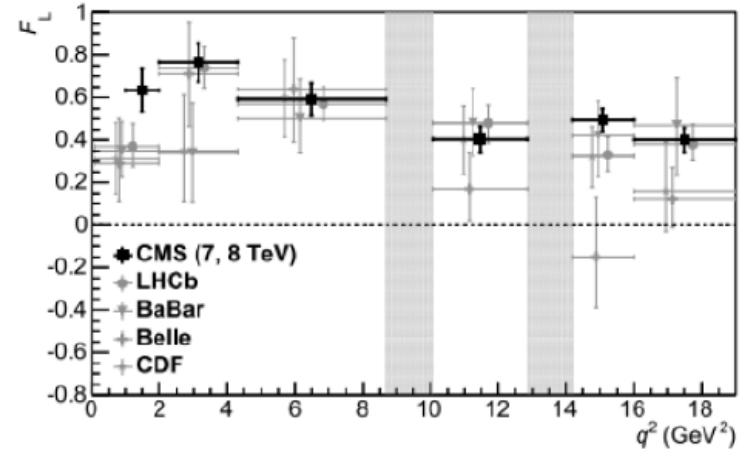
bin index	q^2 range [GeV ²]
0	1.1 - 2
1	2 - 4.3
2	4.3 - 6
3	6 - 8.68
4	8.68 - 10.09 (J/ψ control region)
5	10.09 - 12.86
6	12.86 - 14.18 ($\psi(2S)$ control region)
7	14.18 - 16
8	16 - 19

$$\frac{1}{d\Gamma/dq^2} \frac{d^4\Gamma}{dq^2 d\cos\theta_l d\cos\theta_K d\phi} = \frac{9}{32\pi} \left[\frac{3}{4} F_T^2 \sin^2 \theta_K + F_L^2 \cos^2 \theta_K \right. \\
+ \left(\frac{1}{4} F_T \sin^2 \theta_K - F_L \cos^2 \theta_K \right) \cos 2\theta_l \\
+ \frac{1}{2} P_1 F_T \sin^2 \theta_K \sin^2 \theta_l \cos 2\phi \\
+ \sqrt{F_T F_L} \left(\frac{1}{2} P'_4 \sin 2\theta_K \sin 2\theta_l \cos \phi \right. \\
+ P'_5 \sin 2\theta_K \sin \theta_l \cos \phi \Big) \\
- \sqrt{F_T F_L} \left(P'_6 \sin 2\theta_K \sin \theta_l \sin \phi \right. \\
- \frac{1}{2} P'_8 \sin 2\theta_K \sin 2\theta_l \sin \phi \Big) \\
\left. + 2P_2 F_T \sin^2 \theta_K \cos \theta_l - P_3 F_T \sin^2 \theta_K \sin^2 \theta_l \sin 2\phi \right]$$

- $F_T = 1 - F_L$
- 8 angular parameters
- P'_i basis: form factor uncertainties cancel at first order

Previous analyses

- Long history of measurement at B-factories and hadron colliders
- No deviation from SM for F_L and A_{FB}
- **Long standing discrepancy in P'_5 (since first measurement in 2013 at LHCb)**
- CMS Run-1 partial angular analyses results consistent with SM
- **CMS Run-2 collected 140 fb^{-1} of 13 TeV p-p data -> make it possible to perform a full angular analysis!**



CMS: PLB 781 (2018) 517541
 LHCb: PRL 125 (2020) 011802
 ATLAS: JHEP 10 (2018) 047
 Belle: PRL 118 (2017)
 SM: JHEP 12 (2014) 125, JHEP 09 (2010) 089

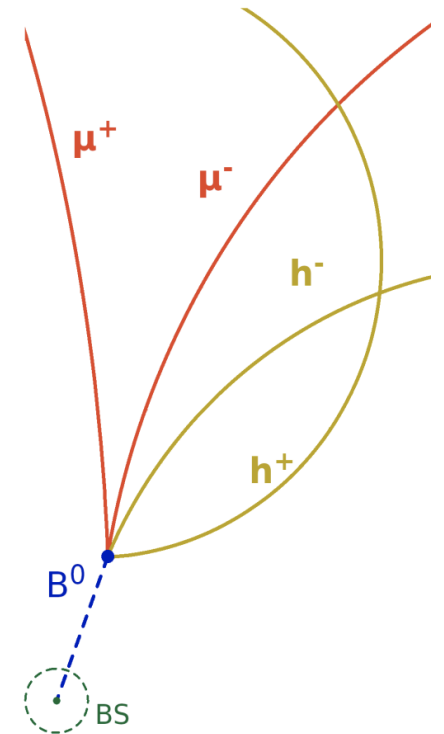
BaBar: PRD 86 (2012) 032012
 Belle: PRL 88 (2001) 021801
 PRL 103 (2009) 171801
 CDF: PRD 79 (2009) 031102
 PRL 108 (2012) 081807
 CMS: PLB 727 (2013) 77
 PLB 753 (2016) 424
 LHCb: JHEP 08 (2013) 131

Reconstruction and Preselection

- **Trigger:** low mass displaced dimuon trigger: two muons and one track forming a displaced vertex

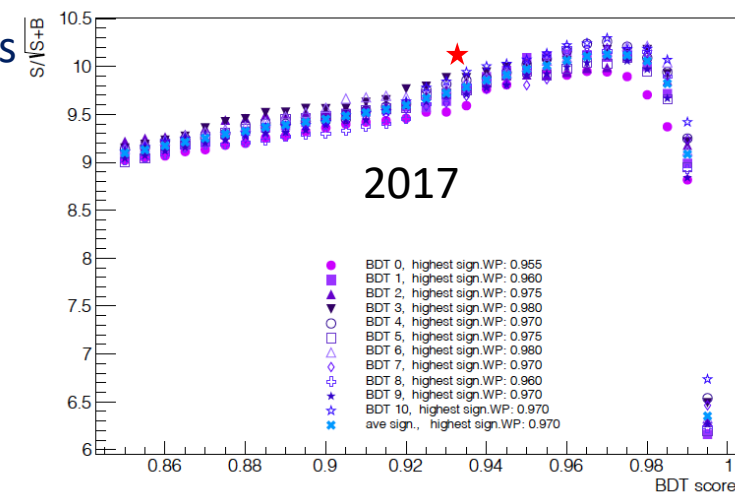
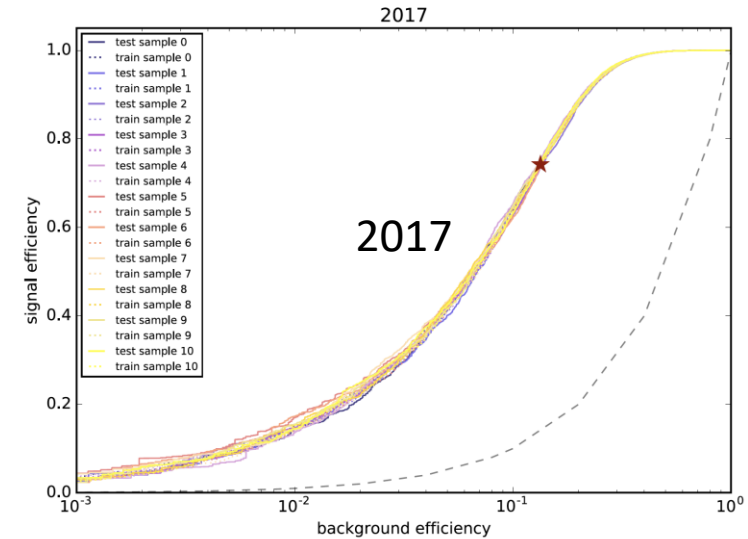
HLT path	Dimuon invariant mass window [GeV]
HLT_DoubleMu4_JpsiTrk_Displaced	2.9 - 3.3
HLT_DoubleMu4_PsiPrimeTrk_Displaced	3.3 - 4.05
HLT_DoubleMu4_LowMassNonResonantTrk_Displaced	1-2.9, 4.0 - 4.8

- B^0 candidate reconstructed combining
 - 2 opposite-sign muons with SoftMuonID
 - 2 opposite-sign tracks with muon veto
- No PID to distinguish K from $\pi \rightarrow$ ID of kaon and pion assigned based on mass hypothesis closer to K^{*0} PDG mass (cause correctly-tagged and wrongly-tagged events in the signal)
- Offline selection:
 - μ : single muon $p_T > 3.5$ GeV, $|\eta| < 2.5$, dimuon $p_T > 6.9$ GeV, $1 < m(\mu\mu) < 4.8$ GeV
 - Hadron Track: $p_T > 2.8$ GeV, $|\eta| < 2.4$, $|m(K\pi) - m(K^{*0} \text{ PDG})| < 150$ MeV, $m(KK) > 1.035$ GeV (ϕ rejection)



BDT selection

- **Training sample:**
 - Signal MC sample
 - Background from data mass sidebands
- **Input variables:** include decay-vertex quality and displacement, isolation, mass of $K\pi$ system
- **Samples are split into 11 subsamples**
 - 7 for training, 3 for testing, applied to the last
 - repeated 11 times, each of the 11 subsamples used once as the analysis data to avoid correlations
- **Working point optimization**
 - Measure $S/\sqrt{(S+B)}$ vs **BDT score** in each subsample
 - Choose the working point that maximizes the average of $S/\sqrt{(S+B)}$ value



Analysis strategy

For each q^2 bin: **4D simultaneous fit** on three years' data samples

Angular decay rate

KDE efficiency functions

$$\text{pdf}(m, \cos \theta_K, \cos \theta_l, \phi) = Y_S \left[S^C(m) S^a(\cos \theta_K, \cos \theta_l, \phi) \epsilon^C(\cos \theta_K, \cos \theta_l, \phi) \right. \\ \left. + R \cdot S^M(m) S^a(-\cos \theta_K, -\cos \theta_l, -\phi) \epsilon^M(\cos \theta_K, \cos \theta_l, \phi) \right] \\ + Y_B B^m(m) B^a(\cos \theta_K, \cos \theta_l, \phi)$$

Correctly-tagged(CT) events

Wrongly-tagged(WT) events

Background events

Signal and background
mass shapes

Background angular shape

- **R parameter:** mistag correction value, the ratio between the mistag fraction in data and the one computed on MC, account for possible data/MC difference in mistag fraction
- **Y_S, Y_B :** yield of signal and background

KDE Efficiency functions

- Evaluated from MC for CT and WT separately

$$\epsilon^C(\cos \theta_K, \cos \theta_l, \phi) = \frac{N_{\text{acc}}(\cos \theta_K, \cos \theta_l, \phi)_{\text{GEN}}}{D_{\text{acc}}(\cos \theta_K, \cos \theta_l, \phi)_{\text{GEN}}} \cdot \frac{N_{\text{sel}}^{\text{corr}}(\cos \theta_K, \cos \theta_l, \phi)_{\text{RECO}}}{D_{\text{sel}}(\cos \theta_K, \cos \theta_l, \phi)_{\text{GEN}}}$$

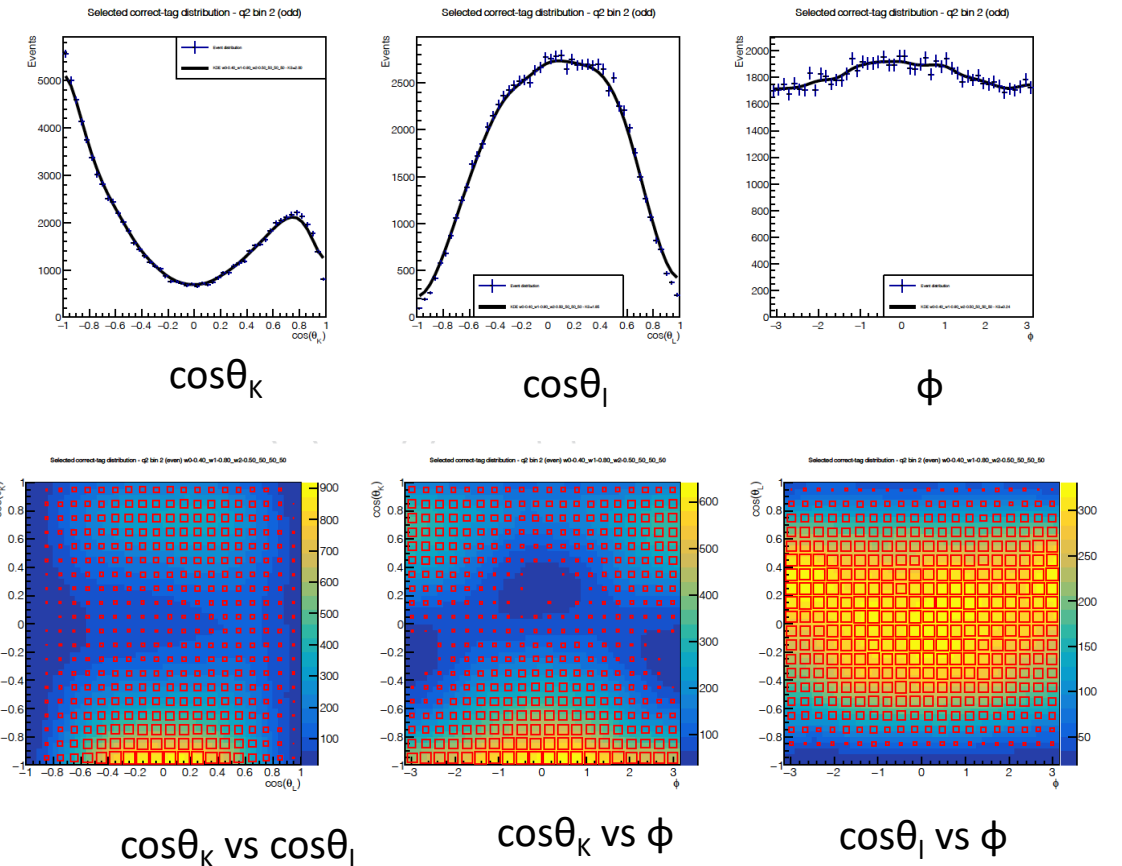
$$\epsilon^M(\cos \theta_K, \cos \theta_l, \phi) = \frac{N_{\text{acc}}(-\cos \theta_K, -\cos \theta_l, -\phi)_{\text{GEN}}}{D_{\text{acc}}(-\cos \theta_K, -\cos \theta_l, -\phi)_{\text{GEN}}} \cdot \frac{N_{\text{sel}}^{\text{mis}}(\cos \theta_K, \cos \theta_l, \phi)_{\text{RECO}}}{D_{\text{sel}}(-\cos \theta_K, -\cos \theta_l, -\phi)_{\text{GEN}}}$$

- Using Kernel Density Estimators

- Method to describe distributions as sum of multi-variate Gaussians
- Applied on numerators and denominators, then ratio is performed on the functions

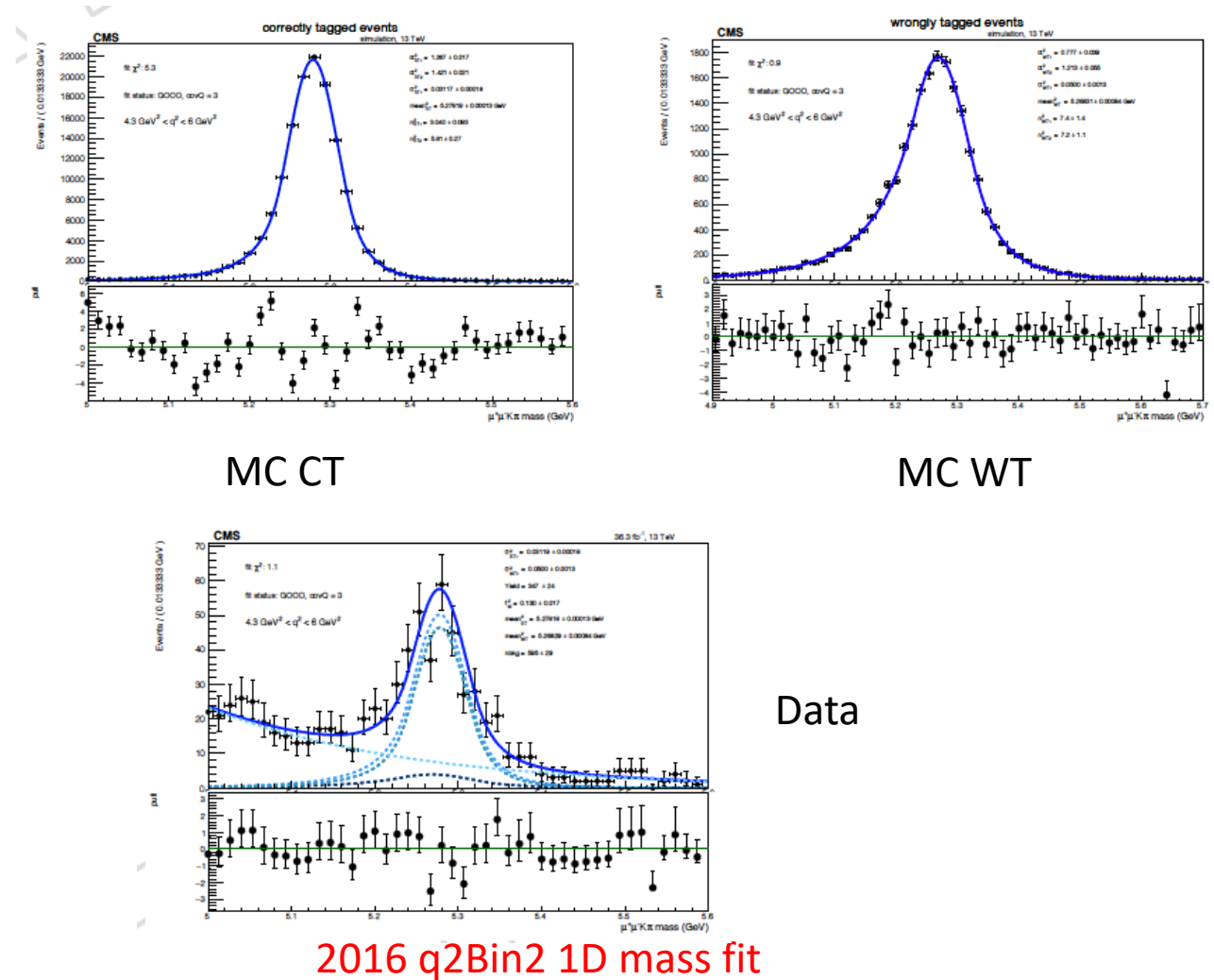
q^2 bin 2 2016

1D and 2D projections of KDE function for correct tag numerator



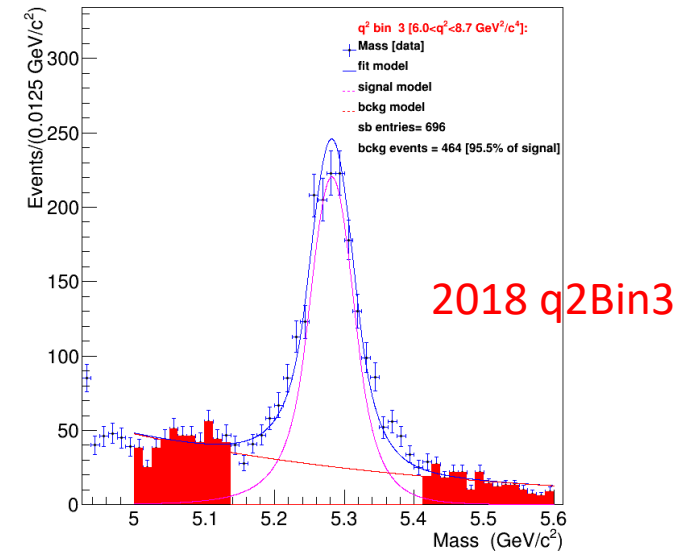
Mass shape

- **Mass model for each signal component (CT and WT) are modeled on MC**
 - parametrized by a **Double Crystal-ball** function or combination of **Gaussian and Crystal-ball functions** used (according to q^2 bin)
- **The data mass distribution is then fit with the model defined on the MC**
 - means, widths, mistag fraction have **gaussian constraints** to values fitted on signal MC
 - The background is parametrized using an **exponential function**



Background angular shape

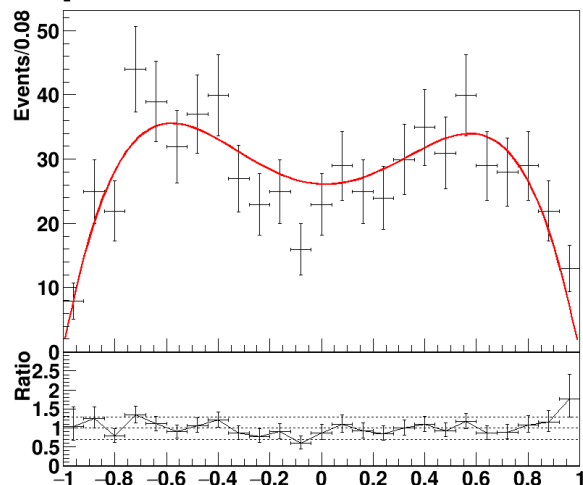
$B_0 \rightarrow K^0 \mu^+ \mu^-$ Mass - q^2 bin 3 Run II 2018 [$6.0 < q^2 < 8.7 \text{ GeV}^2/c^4$]



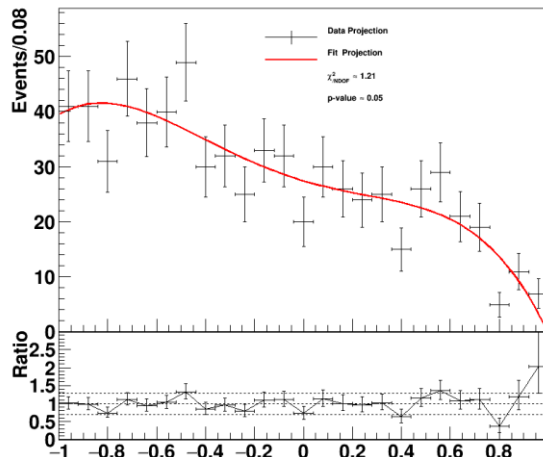
Bkg angular shape extracted from sidebands

- Defined to have **<6%** of signal pollution
- Fit with **multivariate Bernstein polynomials**

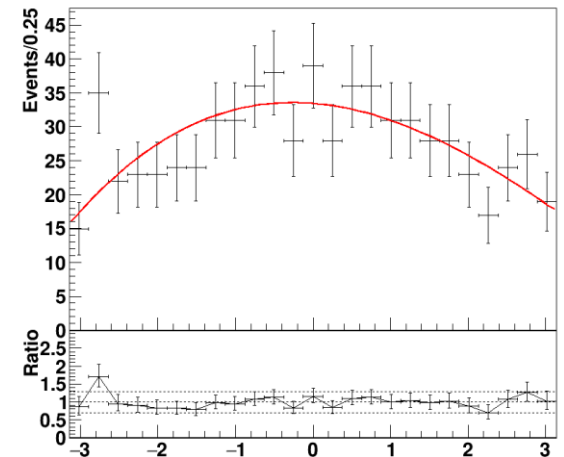
$\cos\theta_L$ Projection [q^2 bin 3 run 2018]



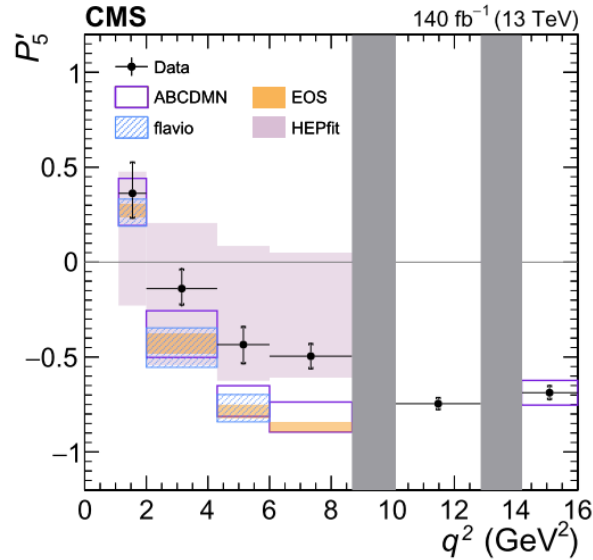
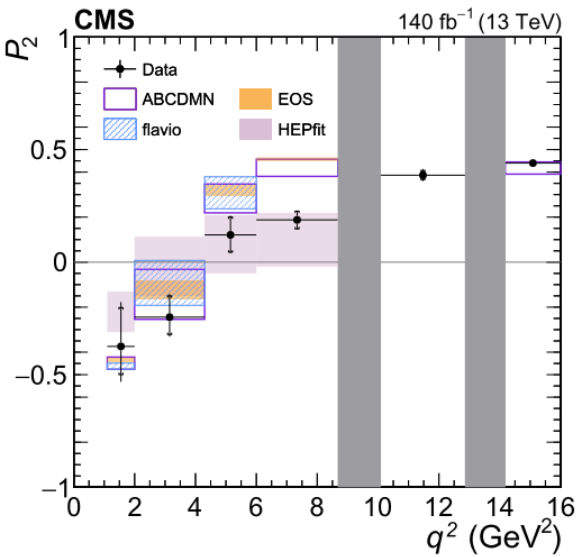
$\cos\theta_K$ Projection [q^2 bin 3 run 2018]



ϕ Projection [q^2 bin 3 run 2018]



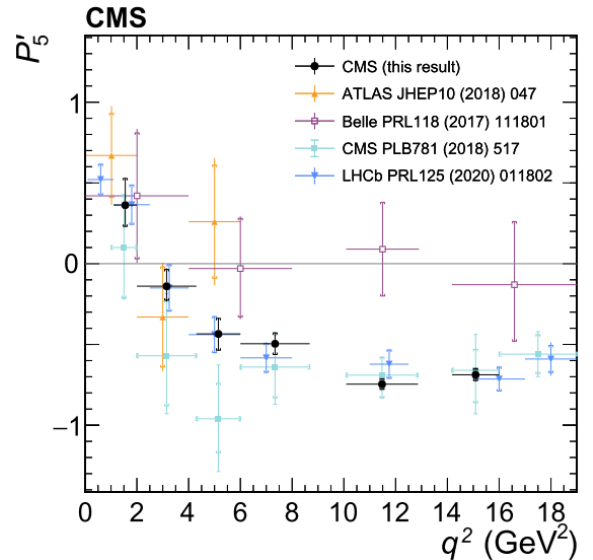
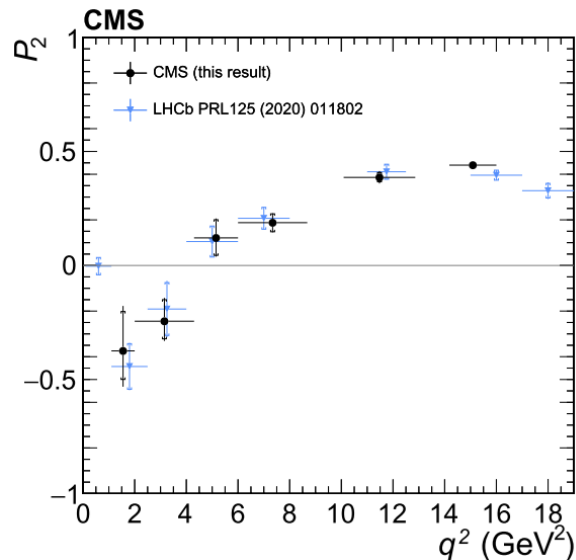
Results



- First full angular analysis of $B^0 \rightarrow K^{*0} \mu \mu$ at CMS, published on PLB (PLB 864 (2025) 139406)
- Among the most precise experimental measurements
- Deviation for P_5' with EOS predictions

$$4.3 < q^2 < 6.0 \text{ GeV}/c^2: 3.2\sigma$$

$$6.0 < q^2 < 8.0 \text{ GeV}/c^2: 4.9\sigma$$



- Deviation for P_2 with EOS predictions

$$4.3 < q^2 < 6.0 \text{ GeV}/c^2: 2.2\sigma$$

$$6.0 < q^2 < 8.0 \text{ GeV}/c^2: 6.4\sigma$$

- Measurements are compatible with previous results from CMS Run-1 and other experiments