

Vision / Language Calorimeter

深度学习驱动的电磁量能器上反中子重建

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on behalf of the development team University of Chinese Academy of Sciences



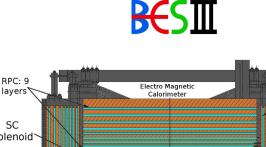
First of all...

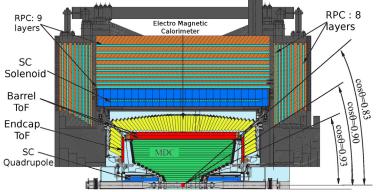


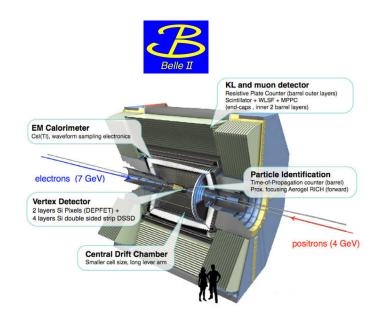
Why bother reconstruct hadrons in an electromagnetic calorimeter when there are dedicated hadronic calorimeters...?

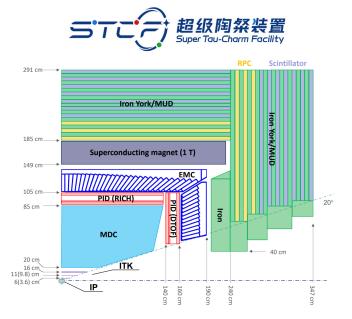
The reason

- Long-lived neutral hadrons (n, K_L^0) are important probes for colliders at τ -charm region.
 - Participated in hyperon & charmed hadron decays, light hadron spectrum, exotic hadron states, etc.
 - e.g., about 1/3 of $\overline{\Lambda}_c^-$ decays contain \overline{n} , in which 20% are still unknown (PRD **108**, L031101)
- However, most τ -charm facilities have no dedicated hadronic calorimeter.
 - Detection rely on electromagnetic calorimeter (ECAL, EMC)





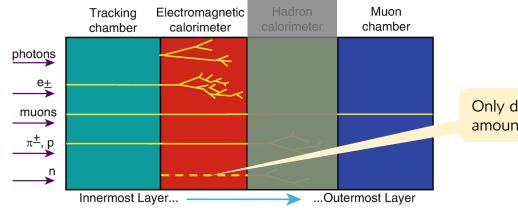




The issue

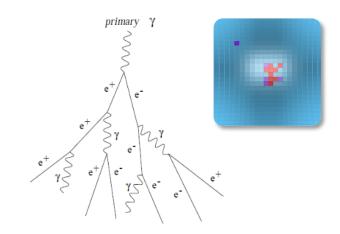
Direct reconstruction of neutral hadron in EMC is very challenging.

EMC's size & material prevent full deposition of hadronic showers

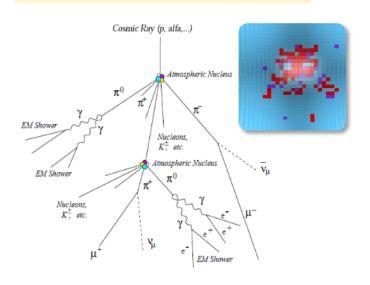


Only deposit a small amount of energy in it.

- Momentum is unknown
 - Sizable energy leakage
- Position is imprecise
 - Hit clusters are less centralized than photons
- Identification is not perfect
 - Can be confused with photon / beam background / detector noise
- Monte-Carlo simulation is imprecise
 - Up to ~10% discrepancy from data (NIMA 1033, 166672)



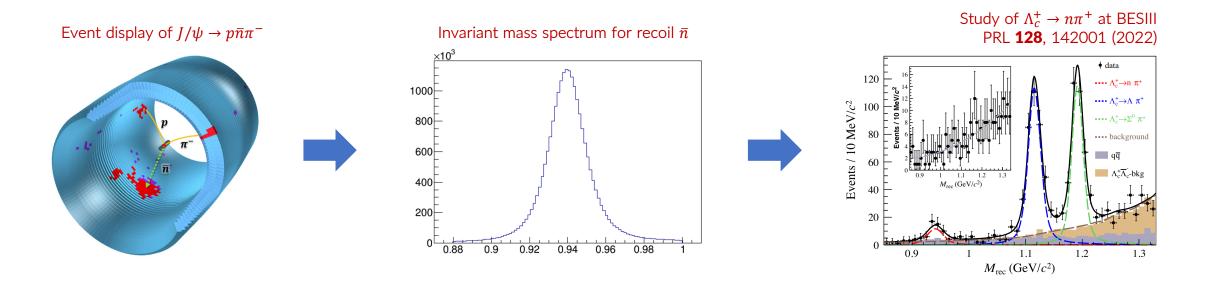
EM shower (\uparrow) vs. hadronic shower (\downarrow)



Conventional solutions

Common solution: recoil

- Calculate 4-momentum of neutral hadron using energy-momentum conservation
- Only works when all other particles in the event are reconstructable
- Can't deal with:
 - Semi-leptonic decays containing neutrinos e.g., $\Lambda_c^+ \to ne^+\nu_e$
 - Radiative decays containing photons e.g., $\Lambda \rightarrow n\gamma$
 - Decays containing multiple neutral hadrons e.g., $e^+e^- \rightarrow n\bar{n}$

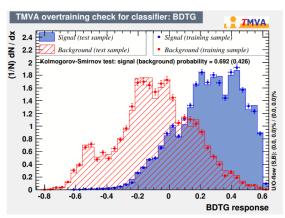


Conventional solutions

Specific solutions

Require much effort, unable to generalize

Study of $\Lambda \rightarrow n\gamma$ at BESIII PRL **129**, 212002 (2022)



Use BDT to identify EMC showers from neutron / photon

Study of $D^+ \to K_L^0 e^+ v_e$ at BESIII PRD **92**, 112008 (2015)

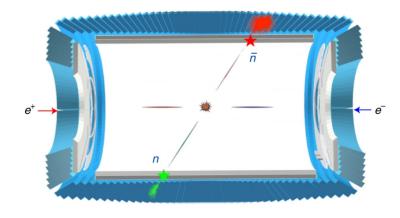
$$U_{\rm miss} \equiv E_{\rm miss} - c |\vec{p}_{\rm miss}| = \mathbf{0}$$

$$E_{\text{miss}} = E_{\text{tot}} - E_{\text{tag}} - E_{K_L^0} - E_e,$$

$$\vec{p}_{\text{miss}} = \vec{p}_{\text{tot}} - \vec{p}_{\text{tag}} - \vec{p}_{K_L^0} - \vec{p}_e;$$

Fix K_L^0 position and solve kinematic equations

Study of $e^+e^- \rightarrow n\bar{n}$ at BESIII Nature Phys. **17**, 1200-1204 (2021)



Use time-of-flight detector to calculate neutron momentum

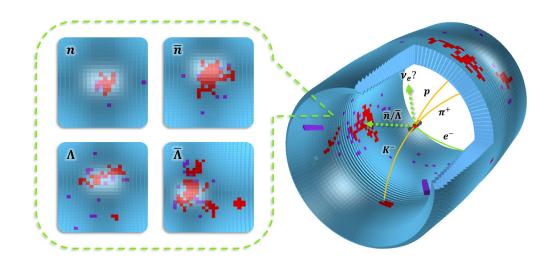
Can we use deep learning to recognize the hadronic shower pattern?

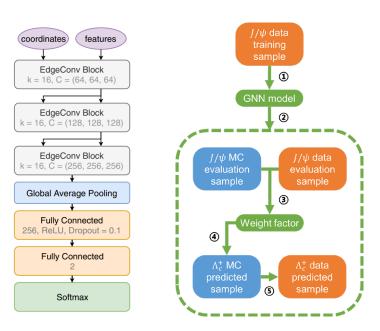
Our first attempt

Nature Commun. 16, 681 (2025)

Neutron identification with Graph Neural Network (GNN)

- Aim to measure the sub-dominant Λ_c^+ semi-leptonic decay $\Lambda_c^+ \to ne^+\nu_e$
- Decades of study history, dozens of theoretical predictions wait to be confirmed
- Need to suppress major background $\Lambda_c^+ \to \Lambda(n\pi^0)e^+\nu_e$ efficiently





Train a GNN-based n/Λ classifier

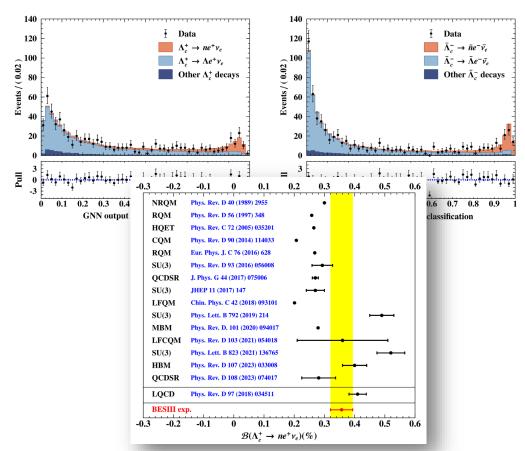
- Organize EMC showers as a point cloud
- Use data-driven methods for GNN calibration, physics results validation & systematic uncertainty quantification

Our first attempt

Nature Commun. **16**, 681 (2025)

Achieve first observation of $\Lambda_c^+ \rightarrow ne^+\nu_e$

- Significance improved from $< 3\sigma$ to $> 10\sigma$
- Precision capable to examine theoretical models



Selected as Editors' Highlights

nature > nature communications > focus

Focus 26 January 2021

Devices

Electronic and photonic technologies have revolutionised our world and fortified many areas of our modern life. Fundamental and applied research spanning from atoms to devices leading to new technology development, including quantum, atomic, spintronic, optics, nuclear, plasma, superconductors, and low-dimensional materials based devices, is crucial to ensure continuous solutions to existing and future global challenges.



Featured articles

Article

Open Access

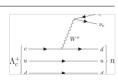
15 Jan 2025

Nature Communications

Observation of a rare beta decay of the charmed baryon with a Graph Neural

The semileptonic decay channels of the Λc baryon can give important insights into weak interaction, but decay into a neutron, positron and electron neutrino has not been reported so far, due to difficulties in the final products' identification. Here, the BESIII Collaboration reports its observation in e+e- collision data, exploiting machinelearning-based identification techniques.

The BESIII Collaboration



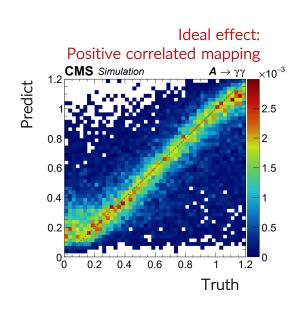
Moving forward

- Full neutron reconstruction beyond identification is desired.
 - More meaningful physics results (e.g., form factors) require knowing the neutron momentum
- We tried predicting neutron momentum with GNN, but failed
 - A regression task with much higher difficulty

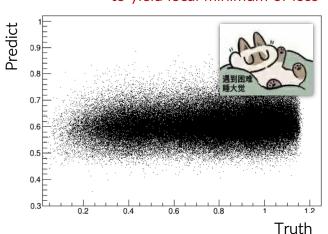


Does the limitation come from detector, or our deep learning technique?

We should seek help from computer scientists.



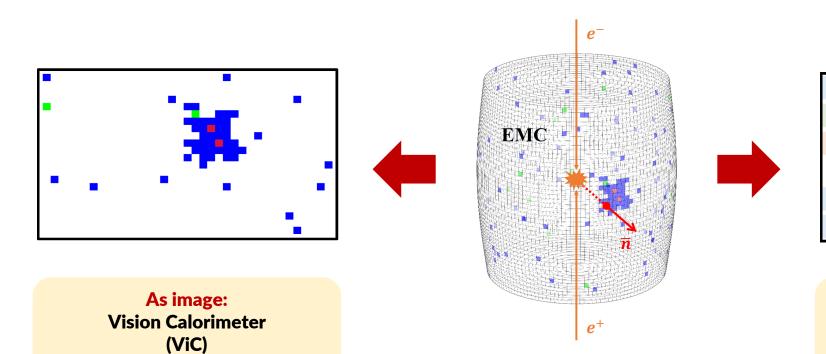
Our result: Lazily assign all outputs near average to yield local minimum of loss



Methodology

Two representations of EMC hit map

arXiv: 2408.10599



 $E = 5.37e - 4 \text{ GeV}, \phi = -51.01^{\circ}, \theta = 20.93^{\circ}$ $E = 2.11e - 2 \text{ GeV}, \phi = -13.53^{\circ}, \theta = 88.45^{\circ}$ $E = 9.85e - 1 \text{ GeV}, \phi = 7.55^{\circ}, \theta = 100.81^{\circ}$ \vdots $E = 1.18e - 3 \text{ GeV}, \phi = 67.57^{\circ}, \theta = 35.24^{\circ}$ $E = 7.21e - 4 \text{ GeV}, \phi = -1.59^{\circ}, \theta = 144.76^{\circ}$

As sequence:

Language Modeling Calorimeter (LMC)

paper in submission



Vision Calorimeter

Vision Calorimeter

- Take advantage of object detection approach in computer vision.
 - Represent EMC hits on a 2D image
 - Find the position of \bar{n} within a binding box
 - Predict its confidence score, class and momentum as downstream tasks

A comprehensive reconstruction with particle type, position and momentum measurements.

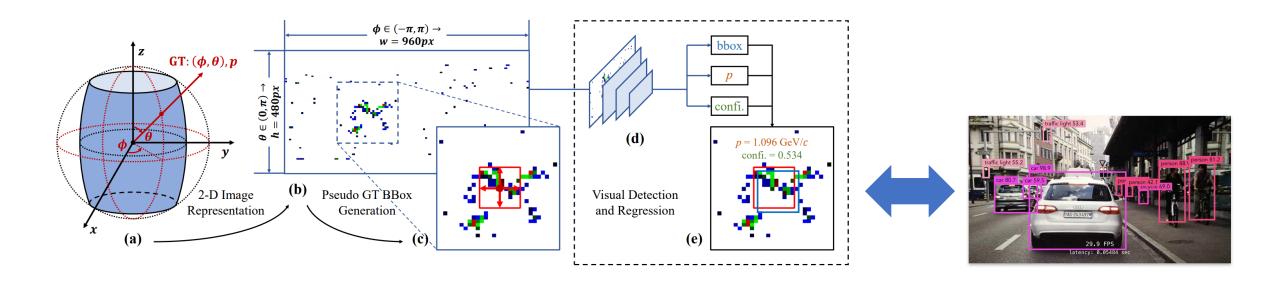


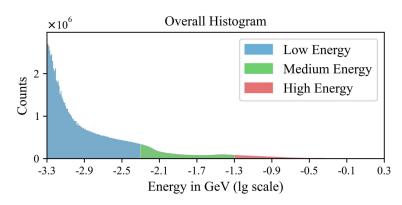
Image quantification

Pixels

- BESIII barrel EMC has 44 rings × 120 cells, end-cap EMC has 6 rings × [96, 96, 80, 80, 64, 64] cells
- Set image size with 960 × 480 pixels
 - 960 is the least common multiple of (120, 96, 80, 64)
- Define position-varied cell height according to their center positions

Colors

- EMC deposited energy range is 0.5 MeV ~ 2 GeV
- Take log scale: $[10^{-3.3}, 10^{0.3}]$
- Divide low, medium and high measures to fill blue, green and red channels
- Add a -30db Gaussian noise to address the sparsity of EMC hits



3 - 20 7 2 64 15 6 2 80 12 6 2 96 10 5		
2 - 24 8 3 - 20 7 2 64 15 6 2 80 12 6 2 96 10 5	note	
2 - 24 8 3 - 20 7 2 64 15 6 2 80 12 6 2 96 10 5	empty	
3 - 20 7 2 64 15 6 2 80 12 6 2 96 10 5		
2 80 12 6 e		
2 96 10 5		
	end-cap	
1 - 10 5		
	empty	
5 120 8 5		
4 120 8 6		
5 120 8 7		
16 120 8 8	barrel	
5 120 8 7	Darrer	
4 120 8 6		
5 120 8 5		
1 - 10 5	empty	
2 96 10 5		
2 80 12 6 e	end-cap	
2 64 15 6		
3 - 20 7		
2 - 24 8 2 - 30 8	empty	
2 - 30 8		

13 / 27

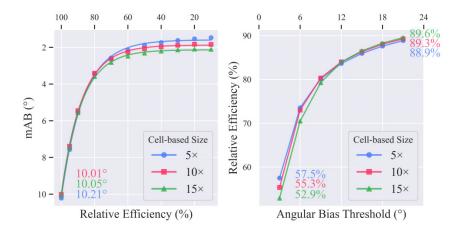
Bounding box

Why not use point-wise position regression?

- Bounding box (BBox) prediction can better exploit contextual information
- Superior performance in experiments
- Need to generate pseudo BBox around \bar{n} incident position

Choice of BBox size

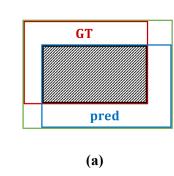
- Smaller size → higher precision upper limit
- Larger size → more available contextual information
- Best performance at 10× cell-based size

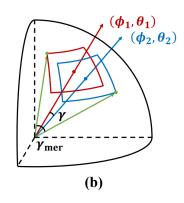


Definition of loss

- Standard loss in object detection is IOU
 - $IOU = S(GT \cap Pred)/S(GT \cup Pred)$
- We design a more center-oriented version

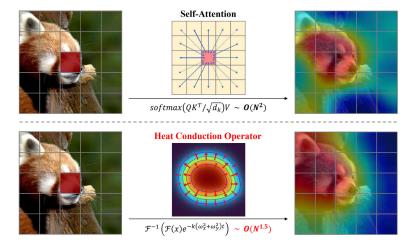
$$\mathcal{L}_{CO} = 1 - IoU + \alpha \cdot \frac{(\cos \gamma - 1)^2}{(\cos \gamma_{\text{mer}} - 1)^2}$$

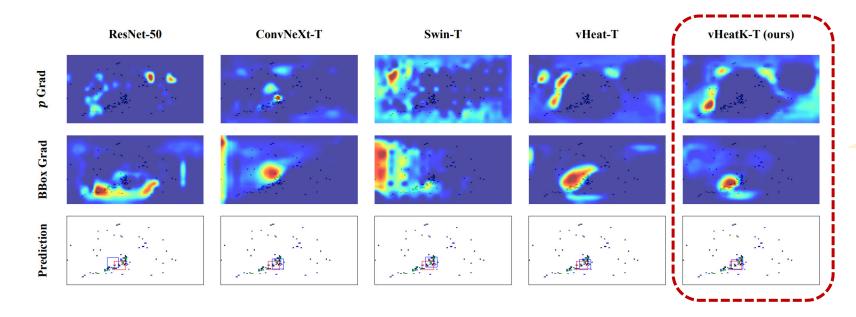




Network architecture

- Backbone: <u>Swin-Transformer</u> → <u>vHeat</u>
 - A computer vision model inspired by physics law
 - Use heat conduction operator to propagate visual information
 - Enjoy global receptive fields and $\mathcal{O}(N^{1.5})$ complexity
 - Analog to hadronic shower production





Combine global attention in momentum prediction & local attention in position prediction

Performance of ViC

Dataset

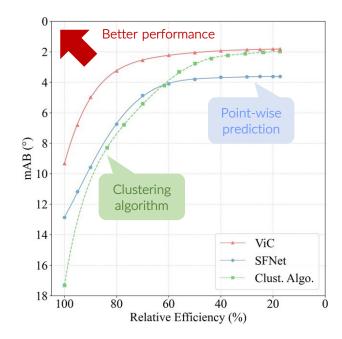
1 million anti-neutron images taken from BESIII data

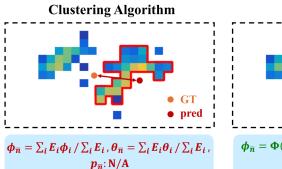
In position measurement

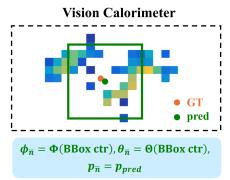
- Compared with conventional clustering algorithm, ViC improves the precision by 80% at full efficiency $(17.4^{\circ} \rightarrow 9.3^{\circ})$
- This precision can be doubled at 90% efficiency
- Upper limit is EMC cell granularity

• How comes the improvement?

- Conventional clustering algorithm may split a discontinues hadronic shower
 - Usually caused by multiple scattering
 - Only the most energetic one is considered
- ViC can better handle such scenarios







Performance of ViC

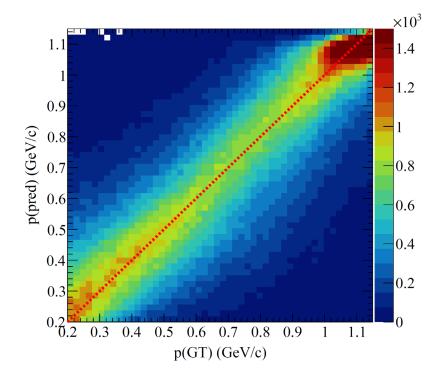
In momentum measurement

- No conventional solution at all
- ViC firstly realize such capability in EMC
- Resolution ~15% @ 1 GeV, 30% @ 500 MeV
 - Even better than dedicated HCALs in sub-GeV region ($\sim 80\%/\sqrt{E}$)

In classification

- ViC is capable to identify $\bar{n} \& \bar{\Lambda}$ (though not optimized)
- Position & momentum measurements also compatible for $\overline{\Lambda}$ case

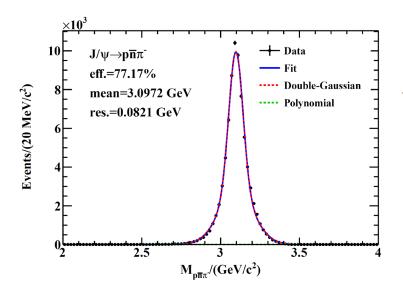
		↓ mAB (°)	\downarrow mAE (GeV/c)	↓ mRE (%)	↑ Corr.	↑ Acc. (%)
S.F.S.	$ar{ar{\Lambda}}$	16.34 20.15	0.1546 0.1421	28.17 36.93	0.5733 0.5389	95.38 54.04
	avg.	18.24	0.1483	32.55	0.6390^{\dagger}	74.71
ViC	$ar{ar{\Lambda}}$	10.16 15.10	0.1414 0.1285	25.52 33.60	0.6365 0.5469	93.14 73.82
	avg.	12.63	0.1349	29.56	0.6785^{\dagger}	83.48

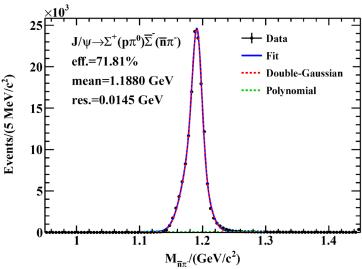


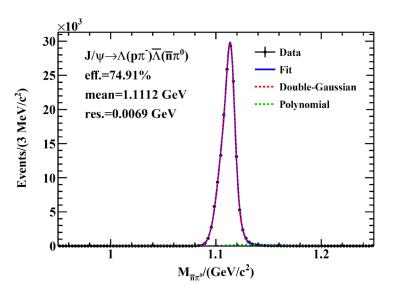
Performance of ViC

In physics measurements

- Test on toy analysis tasks
 - Reconstruct J/ψ invariant mass in $J/\psi \to p\overline{\boldsymbol{n}}\pi^-$
 - Reconstruct $\bar{\Sigma}^-$ invariant mass in $J/\psi \to \Sigma^+ (p\pi^0) \bar{\Sigma}^- (\overline{\bf n}\pi^-)$
 - Reconstruct $\overline{\Lambda}$ invariant mass in $J/\psi \to \Lambda(p\pi^-)\overline{\Lambda}(\overline{\boldsymbol{n}}\pi^0)$
- Obtain unbiased & well-resolved resonance mass peaks
 - Ability of generalization in different decay scenarios
 - Potential of application in real physics analyses









Language Modeling Calorimeter

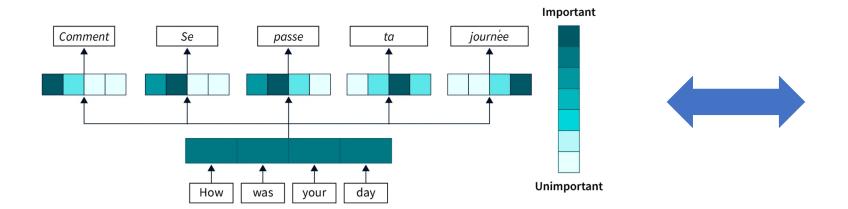
Language Modeling Calorimeter

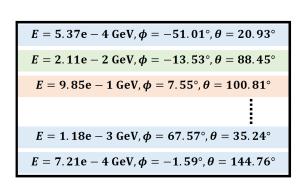
Take advantage of powerful Transformer architecture

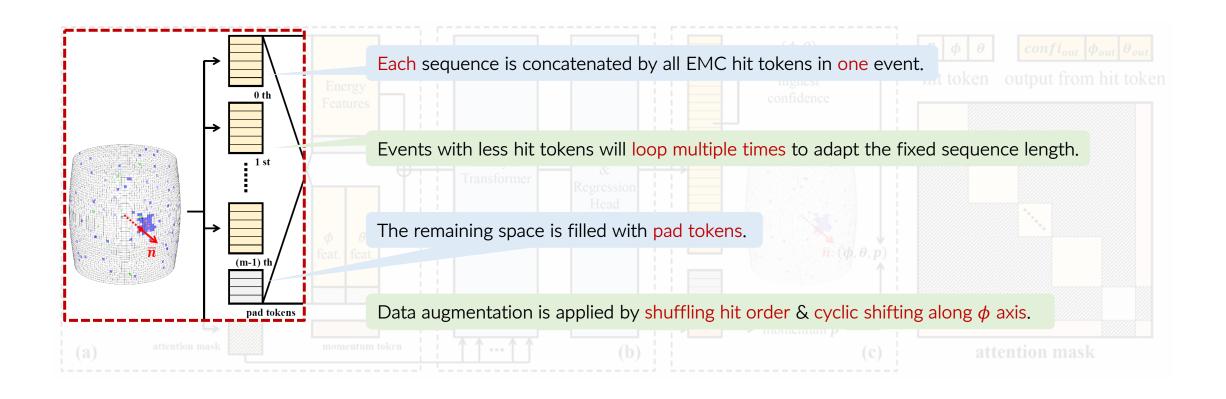
The fundamental operator of Large Language Models

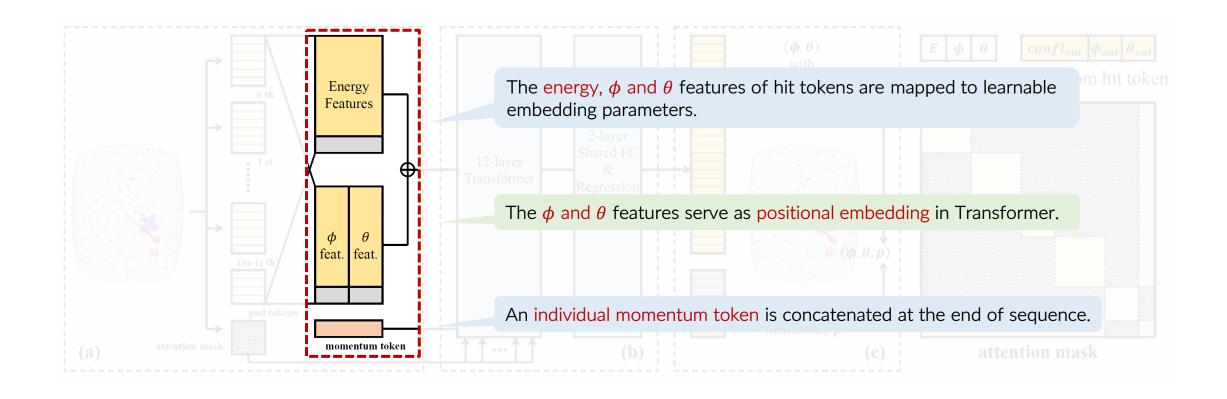
But attention is NOT all we need

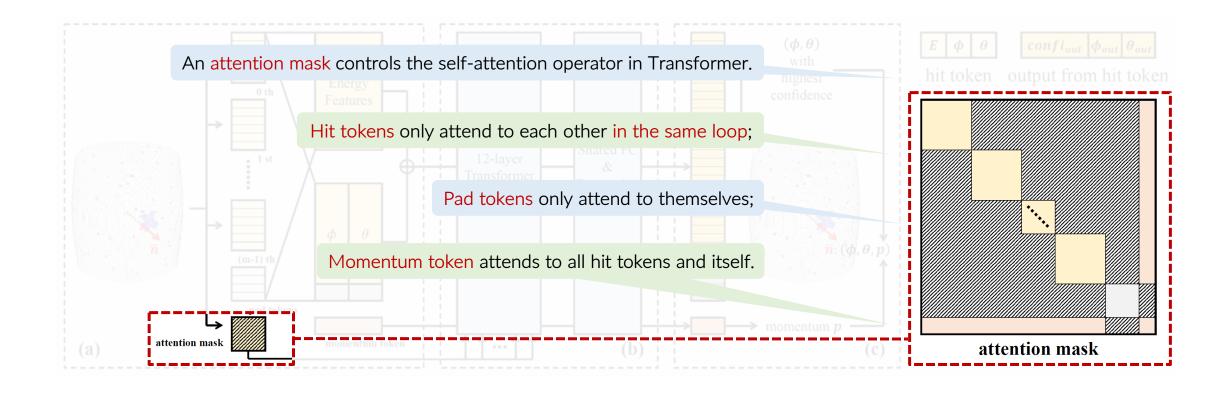
- EMC hit map is very unlike nature language texts
- How to construct the token sequence properly?
- How to design the pre-training task efficiently?





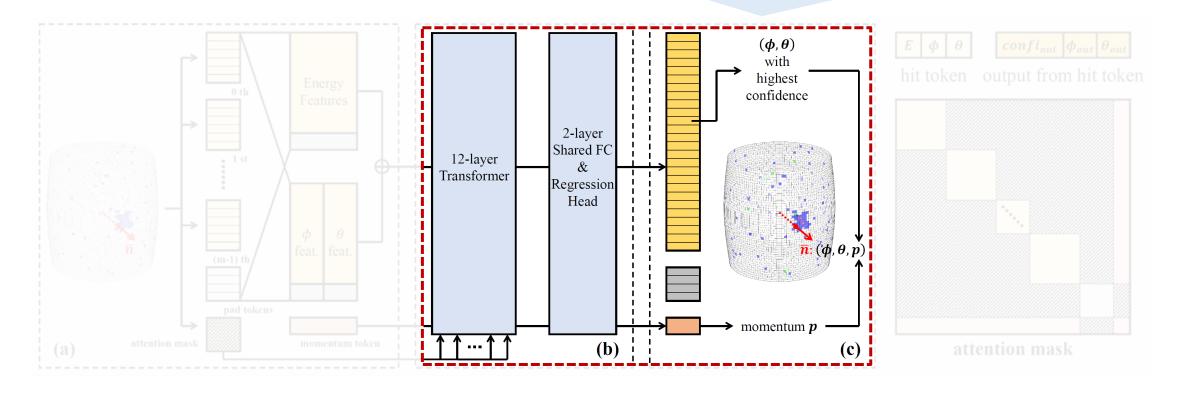






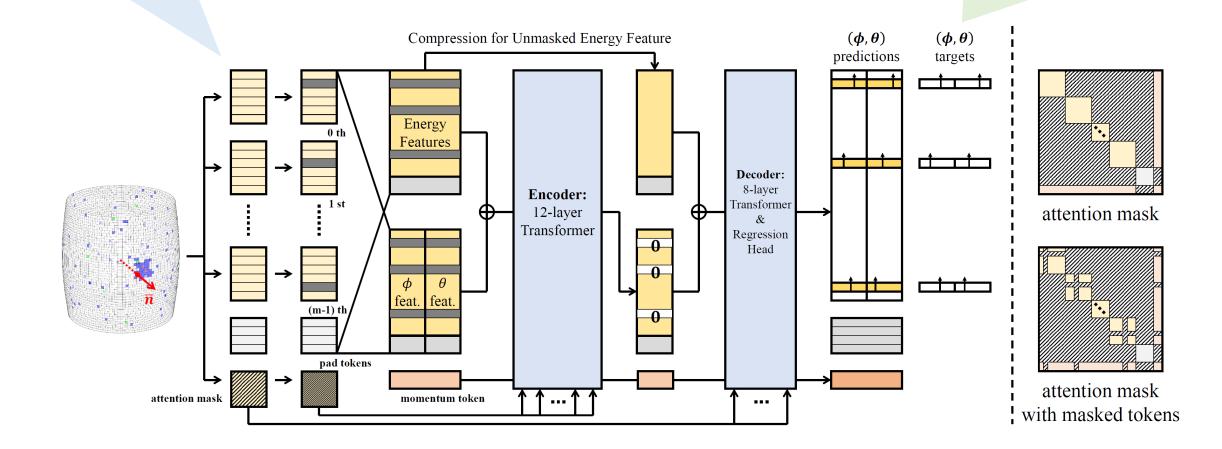
Transformer layers perform feature extraction,

Detection head predicts position and momentum of anti-neutron.



For pre-training task, we mask out some high-energy hit tokens.

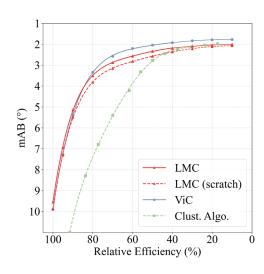
Model is required to regress the (ϕ, θ) of masked hit tokens according to their energy prompts.



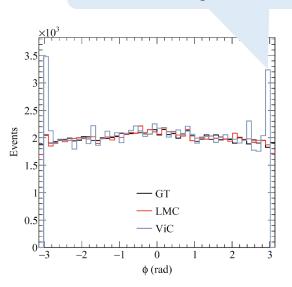
Performance of LMC

Overall comparable with ViC

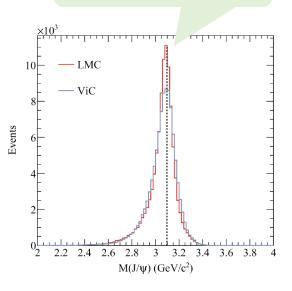
Superior in some metrices



Edge effect is eliminated due to data augmentation



Better resolution in resonance mass peak



Larger potential of improvement

- Room for optimizations via better pre-training
- Able to combine information from multiple detectors
 - · e.g., timing information from Time-of-flight detector

Summary

- lacktriangle Neutral hadron reconstruction remains a great challenge at au-charm facilities.
 - Rare & sparse energy deposit in non-dedicated detector
- We propose two deep learning models to reconstruct anti-neutron in an electromagnetic calorimeter.
 - Vision Calorimeter (ViC) based on visual object detector
 - Language Modeling Calorimeter (LMC) based on pre-trained Transformer
- The models show promising performances for application.
 - Outperform conventional method by far in position measurement
 - Firstly realize ability of momentum measurement
 - Capable to run in real physics analysis scenarios

Thanks for your attention!