

# Analysis of Charmed Baryon Two-Body Decays and CP Violation within SU(3) Flavor Symmetry

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**Based on EPJC84(2024)10.1014,  
EPJC85(2025)3.262**

Work with Yu-Ji Shi, Zhi-Peng Xing,  
Ye Xing, Ruilin Zhu,

**HFCPV2025, 25/10/25**



Author ID

## **1 Introduction**

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## **2 Charmed baryon two-body decay**

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## **3 Global analysis and CP violation**

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## **4 Conclusion**

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## **1 Introduction**

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## **2 Charmed baryon two-body decay**

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## **3 Global analysis and CP violation**

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## **4 Conclusion**

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Why CP violation in charmed baryon? sunjin0810@ibs.re.kr



**SU(3) flavor symmetry (IRA and TDA)**



**What can current data do?**



**Global analysis for real and complex form factors**



**Observable CPV in channels**

$$A_{CP}(B_c \rightarrow BM) = \frac{\Gamma(B_c \rightarrow BM) - \Gamma(\bar{B}_c \rightarrow \bar{B}\bar{M})}{\Gamma(B_c \rightarrow BM) + \Gamma(\bar{B}_c \rightarrow \bar{B}\bar{M})}$$

## Why CP violation

### 1. Explain the matter-antimatter asymmetry

**Sakharov condition**  $n_B/s \sim 8.8 \times 10^{-11}$

### 2. Search for BSM new physics

**NP models with CPV source?**

### 3. Besides meson systems, baryon sector?

**Only K/D/B meson?**

### 4. CPV in b-baryon sector is observed at LHCb

**Charm-baryon?**

**Analyze the CPV in charmed baryons**

Physics Letters B 787 (2018) 124–133

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Contents lists available at [ScienceDirect](#)

Physics Letters B

[www.elsevier.com/locate/physletb](http://www.elsevier.com/locate/physletb)

Search for  $CP$  violation in  $\Lambda_b^0 \rightarrow pK^-$  and  $\Lambda_b^0 \rightarrow p\pi^-$  decays

LHCb Collaboration

PHYSICAL REVIEW D **104**, 052010 (2021)

Search for  $CP$  violation in  $\Xi_b^- \rightarrow pK^-K^-$  decays

R. Aaij *et al.*<sup>\*</sup>  
(LHCb Collaboration)

PHYSICAL REVIEW LETTERS **129**, 131801 (2022)

Precise Measurements of Decay Parameters and  $CP$  Asymmetry with Entangled  $\Lambda$ - $\bar{\Lambda}$  Pairs

Stringent test of  $CP$  symmetry in  $\Sigma^+$  hyperon decays

BESIII Collaboration • Medina Ablikim (Beijing, Inst. High Energy Phys.) [Show All\(703\)](#)

Mar 21, 2025

9 pages

PHYSICAL REVIEW D **111**, 092004 (2025)

Measurement of  $CP$  asymmetries in  $\Lambda_b^0 \rightarrow ph^-$  decays

R. Aaij *et al.*<sup>\*</sup>  
(LHCb Collaboration)

PHYSICAL REVIEW LETTERS **133**, 101902 (2024)

Strong and Weak  $CP$  Tests in Sequential Decays of Polarized  $\Sigma^0$  Hyperons

M. Ablikim *et al.*<sup>\*</sup>  
(BESIII Collaboration)

PHYSICAL REVIEW LETTERS **134**, 101802 (2025)

Study of  $\Lambda_b^0$  and  $\Xi_b^0$  Decays to  $\Lambda h^+ h'^-$  and Evidence for  $CP$  Violation in  $\Lambda_b^0 \rightarrow \Lambda K^+ K^-$  Decays

R. Aaij *et al.*<sup>\*</sup>  
(LHCb Collaboration)

## Observation of charge-parity symmetry breaking in baryon decays

LHCb Collaboration • Roel Aaij (Nikhef, Amsterdam) [Show All\(1156\)](#)

Mar 21, 2025

29 pages

e-Print: [2503.16954](#) [hep-ex]

Report number: LHCb-PAPER-2024-054, CERN-EP-2025-031

Experiments: [CERN-LHC-LHCb](#)

View in: [CERN Document Server](#), [HAL Science Ouverte](#), [ADS Abstract Service](#)

## Establishing $CP$ Violation in $b$ -Baryon Decays

Jia-Jie Han<sup>1</sup>, Ji-Xin Yu<sup>1,\*</sup>, Ya Li<sup>2,†</sup>, Hsiang-nan Li<sup>3,‡</sup>, Jian-Peng Wang<sup>1,§</sup>, Zhen-Jun Xiao<sup>4,||</sup> and Fu-Sheng Yu<sup>1,¶</sup>



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Physics Letters B

journal homepage: [www.elsevier.com/locate/physletb](http://www.elsevier.com/locate/physletb)

Letter

$U$ -spin conjugate  $CP$  violation relations in bottom baryon decays

Bo-Nan Zhang<sup>a</sup>, Di Wang<sup>b,\*,</sup>



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Science Bulletin

journal homepage: [www.elsevier.com/locate/scib](http://www.elsevier.com/locate/scib)

Article

Large  $CP$  violation in charmed baryon decays

Xiao-Gang He<sup>\*</sup>, Chia-Wei Liu<sup>\*</sup>

## New horizon in particle physics: first observation of $CP$ violation in baryon decays

Fu-Sheng Yu (Lanzhou U. (main)), Cai-Dian Lü (Beijing, Inst. High Energy Phys. and Beijing, GUCAS) (

Published in: *Sci.Bull.* 70 (2025) 2035–2036 • e-Print: [2504.15008](#) [hep-ph]

## Implications of recent LHCb data on $CP$ violation in $b$ -baryon four-body decays

Qi Chen,<sup>1</sup> Xin Wu,<sup>1</sup> Zhi-Peng Xing<sup>\*,</sup> and Ruilin Zhu  
*ent of Physics and Institute of Theoretical Physics, Nanjing Normal University*

# Some others....

## SU(3) flavor symmetry

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### Advantages

#### 1. Extension of isospin symmetry

$$u, d \rightarrow u, d, s$$

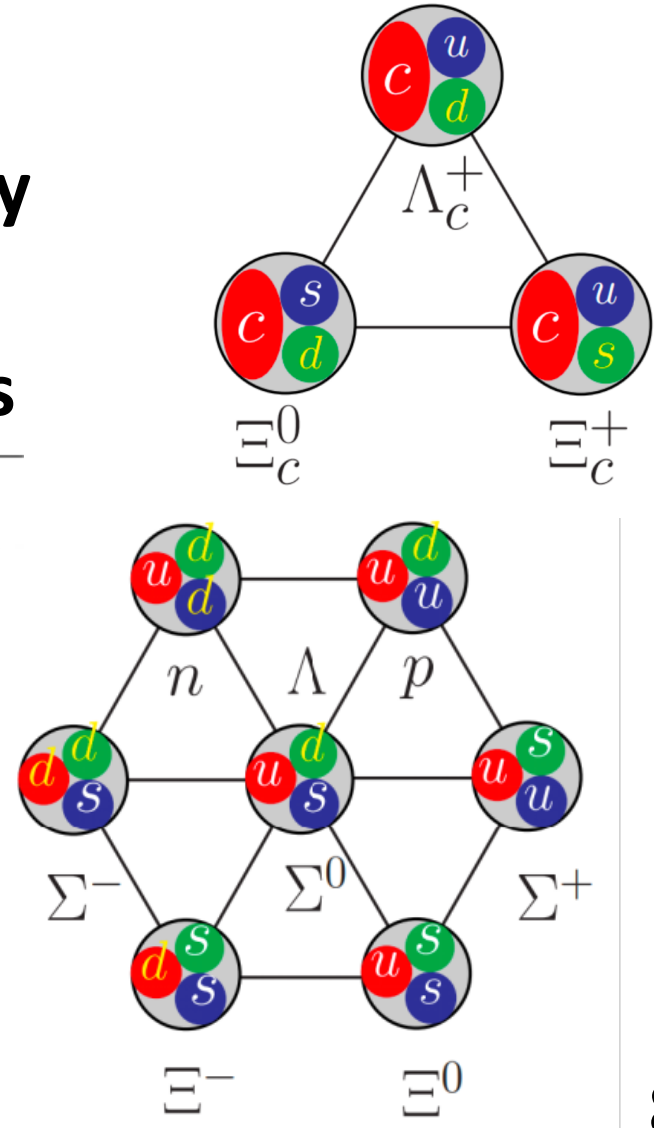
#### 2. No dynamics to relate process

|                                          |                 |
|------------------------------------------|-----------------|
| $\Lambda_c^+ \rightarrow \Sigma^0 \pi^+$ | $1.29 \pm 0.07$ |
| $\Lambda_c^+ \rightarrow \Sigma^+ \pi^0$ | $1.25 \pm 0.10$ |

### Disadvantages

#### 1. Symmetry breaking by mass

#### 2. Need more data to analyze



## What can $SU(3)$ do ??

### 1. Without data

Obtain symmetry relation, derive the channel with larger Br

### 2. few data

predict some unobserved channels by symmetry relation

### 3. More data—(we are at now)

determine  $SU(3)$  amplitude and predict Br of all types channels

### 4. Enough data

determine strong phase and then predict CPV

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## Decay amplitudes

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### IRA

### TDA

#### SU(3) singlet amplitude

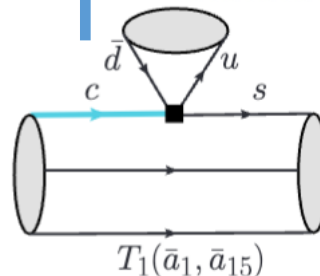
1. triplet quark, anti-triplet anti-quark
2. 2 quarks composed as triplet and sextet

$$\begin{aligned}\mathcal{M}^{IRA} = & a_{15} \times (T_{c\bar{3}})_i (H_{15})_j^{\{ik\}} (\bar{T}_8)_k^j P_l^l \\ & + b_{15} \times (T_{c\bar{3}})_i (H_{15})_j^{\{ik\}} (\bar{T}_8)_k^l P_l^j \\ & + c_{15} \times (T_{c\bar{3}})_i (H_{15})_j^{\{ik\}} (\bar{T}_8)_l^j P_k^l \\ & + d_{15} \times (T_{c\bar{3}})_i (H_{15})_l^{\{jk\}} (\bar{T}_8)_j^l P_k^i \\ & + e_{15} \times (T_{c\bar{3}})_i (H_{15})_l^{\{jk\}} (\bar{T}_8)_j^i P_k^l \\ & + a_6 \times (T_{c\bar{3}})^{[ik]} (H_{\bar{6}})_{\{ij\}} (\bar{T}_8)_k^j P_l^l \\ & + b_6 \times (T_{c\bar{3}})^{[ik]} (H_{\bar{6}})_{\{ij\}} (\bar{T}_8)_k^l P_l^j \\ & + c_6 \times (T_{c\bar{3}})^{[ik]} (H_{\bar{6}})_{\{ij\}} (\bar{T}_8)_l^j P_k^l \\ & + d_6 \times (T_{c\bar{3}})^{[lk]} (H_{\bar{6}})_{\{ij\}} (\bar{T}_8)_k^i P_l^j \\ & + a_3 \times (T_{c\bar{3}})_i (H_3)^k (\bar{T}_8)_l^i P_k^l \\ & + b_3 \times (T_{c\bar{3}})_i (H_3)^k (\bar{T}_8)_k^i P_l^l \\ & + c_3 \times (T_{c\bar{3}})_i (H_3)^i (\bar{T}_8)_l^k P_k^l \\ & + d_3 \times (T_{c\bar{3}})_i (H_3)^l (\bar{T}_8)_l^k P_k^i\end{aligned}$$

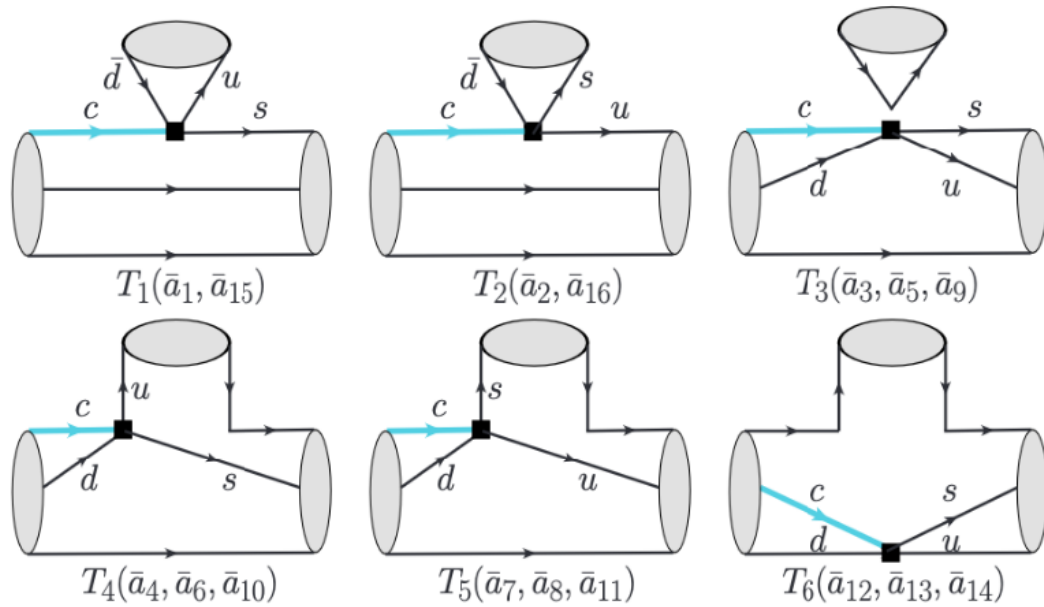
Upper index: (anti)quark annihilation (creation)

Lower index: (anti)quark creation (annihilation)

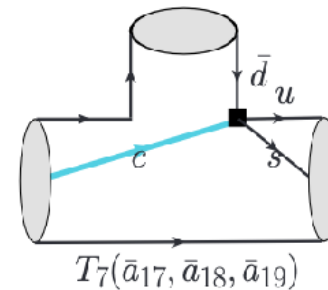
$$\begin{aligned}\mathcal{A}_u^{TDA} = & \bar{a}_1 T_{c\bar{3}}^{[ij]} H_m^{kl} (\bar{T}_8)_{ijk} P_l^m + \bar{a}_2 T_{c\bar{3}}^{[ij]} H_m^{kl} (\bar{T}_8)_{ijl} P_k^m \\ & + \bar{a}_3 T_{c\bar{3}}^{[ij]} H_i^{kl} (\bar{T}_8)_{jkl} P_m^m \\ & + \bar{a}_4 T_{c\bar{3}}^{[ij]} H_i^{kl} (\bar{T}_8)_{jkm} P_l^m \\ & + \bar{a}_5 T_{c\bar{3}}^{[ij]} H_i^{kl} (\bar{T}_8)_{jlk} P_m^m + \bar{a}_6 T_{c\bar{3}}^{[ij]} H_i^{kl} (\bar{T}_8)_{jmk} P_l^l \\ & + \bar{a}_7 T_{c\bar{3}}^{[ij]} H_i^{kl} (\bar{T}_8)_{ilm} P_k^m + \bar{a}_8 T_{c\bar{3}}^{[ij]} H_i^{kl} (\bar{T}_8)_{jml} P_k^m \\ & + \bar{a}_9 T_{c\bar{3}}^{[ij]} H_i^{kl} (\bar{T}_8)_{klj} P_m^m + \bar{a}_{10} T_{c\bar{3}}^{[ij]} H_i^{kl} (\bar{T}_8)_{kmj} P_l^l \\ & + \bar{a}_{11} T_{c\bar{3}}^{[ij]} H_i^{kl} (\bar{T}_8)_{lmj} P_k^m + \bar{a}_{12} T_{c\bar{3}}^{[ij]} H_i^{kl} (\bar{T}_8)_{klm} P_j^n \\ & + \bar{a}_{13} T_{c\bar{3}}^{[ij]} H_i^{kl} (\bar{T}_8)_{kml} P_j^m + \bar{a}_{14} T_{c\bar{3}}^{[ij]} H_i^{kl} (\bar{T}_8)_{lmk} P_j^n \\ & + \bar{a}_{15} T_{c\bar{3}}^{[ij]} H_m^{kl} (\bar{T}_8)_{ikj} P_l^m + \bar{a}_{16} T_{c\bar{3}}^{[ij]} H_m^{kl} (\bar{T}_8)_{ilj} P_k^m \\ & + \bar{a}_{17} T_{c\bar{3}}^{[ij]} H_m^{kl} (\bar{T}_8)_{ikl} P_j^m + \bar{a}_{18} T_{c\bar{3}}^{[ij]} H_m^{kl} (\bar{T}_8)_{ilk} P_j^m \\ & + \bar{a}_{19} T_{c\bar{3}}^{[ij]} H_m^{kl} (\bar{T}_8)_{klj} P_i^m.\end{aligned}$$



## Topological diagrammatic approach(TDA)



7 diagram for 19 amplitude



## Irreducible representation amplitude(IRA) 9 amplitudes

$$H_k^{ij} \rightarrow 3 \otimes \bar{3} \otimes 3 = 3 \oplus 3 \oplus \bar{6} \oplus 15$$

Dismatch??

## TDA ↔ IRA

## Equivalence

Eur. Phys. J. C (2020) 80:359  
<https://doi.org/10.1140/epjc/s10052-020-7862-5>

THE EUROPEAN  
PHYSICAL JOURNAL C



Regular Article - Theoretical Physics

### Unification of flavor SU(3) analyses of heavy Hadron weak decays

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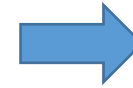
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Flavor  $SU(3)$  topological diagram and irreducible representation amplitudes for heavy meson charmless hadronic decays: mismatch and equivalence

To cite this article: Xiao-Gang He and Wei Wang 2018 *Chinese Phys. C* **42** 103108

**TDA is very intuitive,  
IRA gives independent amplitudes**

$$\begin{aligned}
 \bar{a}_1 &= b_6 - d_6 + e_{15}, & \bar{a}_2 &= d_6 - b_6 + e_{15}, & \bar{a}_3 &= -\frac{a}{2}, \\
 \bar{a}_4 &= \frac{1}{2}(-c_6 + c_{15}), & \bar{a}_5 &= \frac{1}{2}a', & \bar{a}_7 &= \frac{1}{2}(c_6 + c_{15}), \\
 \bar{a}_6 &= \frac{1}{2}(-b_6 - c_6 - e_{15} + d_{15}) + \frac{1}{4}(a + a'), \\
 \bar{a}_8 &= \frac{1}{2}(b_6 + c_6 + d_{15} - e_{15}) - \frac{1}{4}(a + a'), \\
 \bar{a}_9 &= \frac{1}{2}(a + a'), & \bar{a}_{12} &= c_6, & \bar{a}_{15} &= \frac{1}{2}(b_6 - d_6 + e_{15}), \\
 \bar{a}_{10} &= \frac{1}{2}(-b_6 - c_{15} + d_{15} - e_{15}) + \frac{1}{4}(a + a'), \\
 \bar{a}_{11} &= \frac{1}{2}(b_6 - c_{15} + d_{15} - e_{15}) - \frac{1}{4}(a + a'), \\
 \bar{a}_{13} &= \frac{1}{2}(-e_{15} + b_{15} + c_6 + d_{15}) - \frac{1}{4}(a' - a) \\
 \bar{a}_{14} &= \frac{1}{2}(-e_{15} + b_{15} - c_6 + d_{15}) - \frac{1}{4}(a' - a) \\
 \bar{a}_{16} &= \frac{1}{2}(-b_6 + d_6 + e_{15}), & \bar{a}_{17} &= \frac{1}{2}(d_6 + e_{15} - b_{15}), \\
 \bar{a}_{18} &= \frac{1}{2}(-d_6 + e_{15} - b_{15}), & \bar{a}_{19} &= d_6.
 \end{aligned} \tag{3}$$



## Global fits

### 1. Real form factors

37 experimental data

Exclude the red parts

  $\chi^2/dof = 1.58$

$$\alpha(\Lambda_c^+ \rightarrow \Xi^0 K^+) = 0.957 \pm 0.018$$

$$Br(\Xi_c^0 \rightarrow \Xi^0 \pi^0) = (0.152 \pm 0.048) \%$$

## How to explain?

Strong Phases?

Penguin diagram?

| channel                                  | exp        |            | Case I     |             |
|------------------------------------------|------------|------------|------------|-------------|
|                                          | Br(%)      | $\alpha$   | Br(%)      | $\alpha$    |
| $\Lambda_c^+ \rightarrow p\pi^0$         | 0.0156(75) |            | 0.0174(53) |             |
| $\Lambda_c^+ \rightarrow pK_S^0$         | 1.59(7)    | 0.2(5)     | 1.646(48)  | 0.41(12)    |
| $\Lambda_c^+ \rightarrow pK_L^0$         | 1.67(7)    |            | 1.646(48)  |             |
| $\Lambda_c^+ \rightarrow p\eta$          | 0.158(11)  |            | 0.158(11)  |             |
| $\Lambda_c^+ \rightarrow p\eta'$         | 0.048(9)   |            | 0.0464(61) |             |
| $\Lambda_c^+ \rightarrow \Lambda\pi^+$   | 1.29(5)    | -0.755(6)  | 1.305(47)  | -0.7538(60) |
| $\Lambda_c^+ \rightarrow \Sigma^0\pi^+$  | 1.27(6)    | -0.466(18) | 1.259(46)  | -0.471(15)  |
| $\Lambda_c^+ \rightarrow \Sigma^+\pi^0$  | 1.24(9)    | -0.484(27) | 1.273(46)  | -0.469(15)  |
| $\Lambda_c^+ \rightarrow \Xi^0 K^+$      | 0.55(7)    | 0.01(16)   | 0.417(29)  |             |
| $\Lambda_c^+ \rightarrow \Lambda^0 K^+$  | 0.0642(31) | -0.58(5)   | 0.0641(29) | -0.556(44)  |
| $\Lambda_c^+ \rightarrow \Sigma^+\eta$   | 0.32(5)    | -0.99(6)   | 0.327(49)  | -0.9998(35) |
| $\Lambda_c^+ \rightarrow \Sigma^+\eta'$  | 0.41(8)    | -0.46(7)   | 0.416(65)  | -0.455(64)  |
| $\Lambda_c^+ \rightarrow \Sigma^0 K^+$   | 0.0370(31) | -0.54(20)  | 0.0376(18) | -0.9971(36) |
| $\Lambda_c^+ \rightarrow n\pi^+$         | 0.066(13)  |            | 0.0641(23) |             |
| $\Lambda_c^+ \rightarrow \Sigma^+ K_S^0$ | 0.047(14)  |            | 0.0311(29) |             |
| $\Xi_c^+ \rightarrow \Xi^0\pi^+$         | 1.6(8)     |            | 0.880(78)  |             |
| $\Xi_c^0 \rightarrow \Lambda K_S^0$      | 0.32(6)    |            | 0.248(29)  |             |
| $\Xi_c^0 \rightarrow \Xi^-\pi^+$         | 1.43(27)   | -0.640(51) | 1.17(18)   | -0.701(45)  |
| $\Xi_c^0 \rightarrow \Xi^- K^+$          | 0.039(11)  |            | 0.0520(80) |             |
| $\Xi_c^0 \rightarrow \Sigma^0 K_S^0$     | 0.054(16)  |            | 0.056(16)  |             |
| $\Xi_c^0 \rightarrow \Sigma^+ K^-$       | 0.18(4)    |            | 0.189(38)  |             |
| $\Xi_c^0 \rightarrow \Xi^0\pi^0$         | 0.69(14)   | -0.90(28)  | 0.153(48)  | -0.45(13)   |
| $\Xi_c^0 \rightarrow \Xi^0\eta$          | 0.16(4)    |            | 0.166(37)  |             |
| $\Xi_c^0 \rightarrow \Xi^0\eta'$         | 0.12(4)    |            | 0.125(38)  |             |

**1 Introduction**

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**2 Charmed baryon two-body decay**

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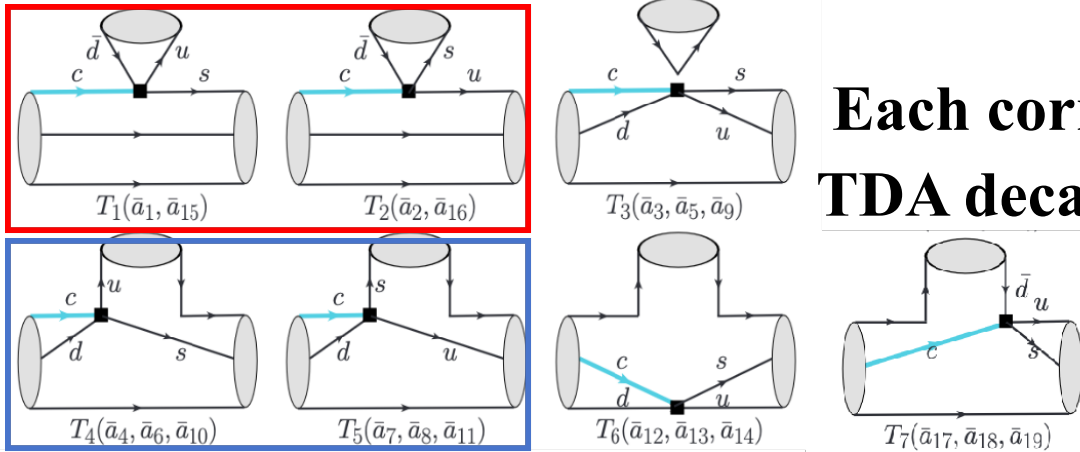
**3 Global analysis and CP violation**

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**4 Conclusion**

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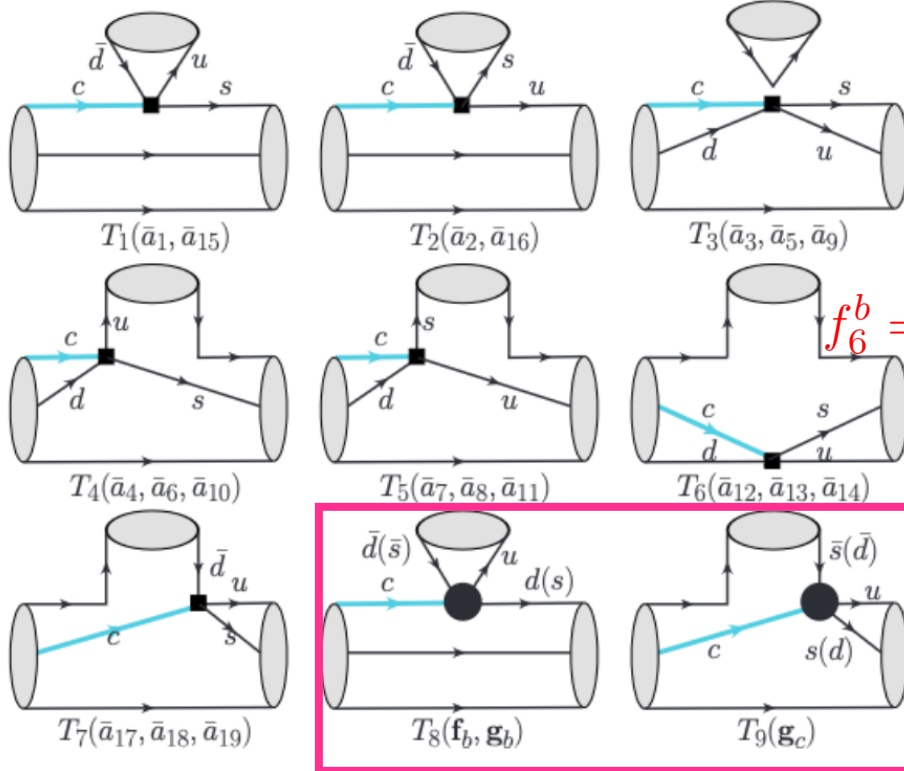


Each corresponds to more than one  
TDA decay amplitudes

$$\mathcal{M}_{T_1} = \mathcal{M}_{T_2}, \quad \mathcal{M}_{T_4} = \mathcal{M}_{T_5}$$

| Form factors    | TDA                    |                        |                     |                        |                        |
|-----------------|------------------------|------------------------|---------------------|------------------------|------------------------|
| Vector(f)       | $T_1$                  | $T_2$                  | $T_3$               | $T_4$                  | $T_5$                  |
|                 | $f_1 = 0.0813(47)$     | $f_2 = 0.0247(58)$     | $f_3 = -0.0052(14)$ | $f_4 = -0.0084(11)$    | $f_7 = 0.0149(41)$     |
|                 | $f_{15} = 0.0406(24)$  | $f_{16} = 0.0123(29)$  | $f_5 = 0.0003(36)$  | $f_6 = -0.0527(42)$    | $f_8 = -0.0156(40)$    |
|                 |                        |                        | $f_9 = 0.0055(38)$  | $f_{10} = -0.0443(44)$ | $f_{11} = -0.0305(59)$ |
|                 | $T_6$                  | $T_7$                  |                     |                        |                        |
|                 | $f_{12} = 0.0234(42)$  | $f_{17} = 0.0271(18)$  |                     |                        |                        |
| Axial-vector(g) | $T_1$                  | $T_2$                  | $T_3$               | $T_4$                  | $T_5$                  |
|                 | $g_1 = -0.0982(86)$    | $g_2 = 0.1323(77)$     | $g_3 = 0.0147(39)$  | $g_4 = -0.0436(31)$    | $g_7 = 0.0460(84)$     |
|                 | $g_{15} = -0.0491(43)$ | $g_{16} = 0.0662(38)$  | $g_5 = 0.012(22)$   | $g_6 = 0.026(12)$      | $g_8 = -0.058(14)$     |
|                 |                        |                        | $g_9 = -0.002(22)$  | $g_{10} = 0.070(11)$   | $g_{11} = -0.104(15)$  |
|                 | $T_6$                  | $T_7$                  |                     |                        |                        |
|                 | $g_{12} = 0.0896(90)$  | $g_{17} = -0.0591(37)$ |                     |                        |                        |
|                 | $g_{13} = 0.052(14)$   | $g_{18} = 0.0023(58)$  |                     |                        |                        |
|                 | $g_{14} = -0.037(13)$  | $g_{19} = -0.0614(73)$ |                     |                        |                        |

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$$|A_{1,15}| = A_{T_1}, \quad |A_{2,16}| = A_{T_2}, \quad |A_{3,5,9}| = A_{T_3}$$

$$|A_{4,6,10}| = A_{T_4}, \quad |A_{7,8,11}| = A_{T_5},$$

$$|A_{12,13,14}| = A_{T_6}, \quad |A_{17,18,19}| = A_{T_7}, \quad A = f, g.$$

$$f_6^b = 0.0193 \pm 0.047 \quad \downarrow \quad g_{15}^c = 0.0024 \pm 0.0089$$

$$f^a = -\frac{f_{T_6}}{2}, \quad f^{a'} = \frac{1}{2}f_{T_6} - f_{T_3}, \quad f_6^b = \frac{3}{2}f_b,$$

$$f_{15}^b = -f_{T_6} - f_{T_7}, \quad f_6^c = f_{T_6} + f_{T_4}, \quad f_{15}^c = f_{T_4},$$

$$f_6^d = -\frac{3}{2}f_b - f_{T_7}, \quad f_{15}^d = -2f_{T_4} - f_{T_6},$$

$$f_{15}^e = -\frac{3}{2}f_b + 3f_{T_1} + 2f_{T_4} + f_{T_6} + f_{T_7},$$

$$g^a = g_{T_4} + \frac{g_{T_6}}{2}, \quad g^{a'} = g_{T_4} + g_{T_3} - \frac{g_{T_6}}{2}, \quad g_{15}^c = 0$$

$$g_6^b = -3g_{T_1} + \frac{3}{2}g_b - 2g_{T_4}, \quad g_{15}^b = \frac{g_c}{2} + g_{T_6} + g_{T_7},$$

$$g_6^c = g_{T_6}, \quad g_6^d = 3g_{T_1} - \frac{3}{2}g_b - g_{T_7} + \frac{g_c}{2}, \quad g_{15}^d = g_{T_4}$$

$$g_{15}^e = -g_{T_6} - g_{T_7} - \frac{g_c}{2} - \frac{3}{2}g_b.$$

$$f_b = f_{T_1} - f_{T_2},$$

$$g_b = g_{T_1} - g_{T_2}$$

$$g_c = -g_{18} - g_{T_7}$$

**New form factor**  $f_b = f_b^S + f_b^P e^{i\phi^P}$

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**Source: symmetry breaking, penguin, FSR, NP**

$$A_{6,15}^q = e^{i\phi_1} \left( \text{Re}(A_{6,15}^q) + \text{Im}(A_{6,15}^q) \right),$$

$$f_6^b = \frac{3}{2} \left( e^{i\phi_1} (\text{Re}(\mathbf{f}_b^S) + \text{Im}(\mathbf{f}_b^S)) + e^{i\phi^P} (\text{Re}(\mathbf{f}_b^P) + \text{Im}(\mathbf{f}_b^P)) \right),$$

$$f_6^d = e^{i\phi_1} (\text{Re}(f_6^d) + \text{Im}(f_6^d)) - e^{i\phi^P} \frac{3}{2} (\text{Re}(\mathbf{f}_b^P) + \text{Im}(\mathbf{f}_b^P)),$$

$$f_{15}^e = e^{i\phi_1} (\text{Re}(f_{15}^e) + \text{Im}(f_{15}^e)) - e^{i\phi^P} \frac{3}{2} (\text{Re}(\mathbf{f}_b^P) + \text{Im}(\mathbf{f}_b^P)), \quad A = f, g,$$

$\mathbf{f}_b^P \neq 0$

**CP violation**

$$\mathcal{H}_{eff} = \frac{G_F}{\sqrt{2}} \left( \sum_{\lambda, i=1,2} C_i \lambda O_i - \sum_{j=3}^6 C_j \lambda_b O_j \right) + h.c.,$$

$$A_{CP}^{\Lambda_c^+ \rightarrow n \pi^+} = -0.0052(39),$$

$$A_{CP}^{\Xi_c^+ \rightarrow \Xi^0 K^+} = -0.0052(39).$$

$$A_{CP} \sim 10^{-3}$$

**Share same SU(3) amplitudes**  $-\sin \theta (c_6 - c_{15} + d_6 + e_{15})$

## Penguin contribution

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$$\mathcal{H}_{eff} = \frac{G_F}{\sqrt{2}} \left( \sum_{\lambda, i=1,2} C_i \lambda O_i - \sum_{j=3}^6 C_j \lambda_b O_j \right) + h.c.,$$

$$\lambda = V_{cq}^* V_{uq'}, \quad \lambda_b = V_{cb}^* V_{ub}$$

$$O_1^{q_1 \bar{q}_2 q_3} = (\bar{q}_{1\alpha} c_\beta)_{V-A} (\bar{q}_{3\beta} q_{2\alpha})_{V-A} \quad O_{3,5}^{u \bar{q} q} = (\bar{u}_\alpha c_\alpha)_{V-A} \sum_{q=u,d,s} (\bar{q}_\beta q_\beta)_{V \mp A}$$

Both  $O_{1,2}$  and penguin operators contribute to  $H_3$ .

Analyze the contribution without distinguish source

$$(H_{\bar{6}})_3^{31} = -(H_{\bar{6}})_3^{13} = (H_{\bar{6}})_2^{12} = -(H_{\bar{6}})_2^{21} = \frac{1}{2}(\lambda_s - \lambda_d)$$

$$(H_{15})_3^{31} = (H_{15})_3^{13} = \frac{3}{4}\lambda_s - \frac{1}{4}\lambda_d = \frac{\lambda_s - \lambda_d}{2} - \frac{\lambda_b}{4},$$

$$(H_{15})_2^{21} = (H_{15})_2^{12} = \frac{3}{4}\lambda_d - \frac{1}{4}\lambda_s = \frac{\lambda_d - \lambda_s}{2} - \frac{\lambda_b}{4},$$

$c \rightarrow u d \bar{d} / s \bar{s}$

$$\lambda_b \sim O(10^{-4}) \ll \lambda_{d,s} \quad (H_{15})_1^{11} = \frac{\lambda_b}{2}, (H_3)^1 = -\lambda_b.$$

$$\lambda_b F_P \sim 0.01$$

Need enough data to determine CP violation

19/22

**1 Introduction**

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**2 Charmed baryon two-body decay**

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**3 Global analysis and CP violation**

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**4 Conclusion**

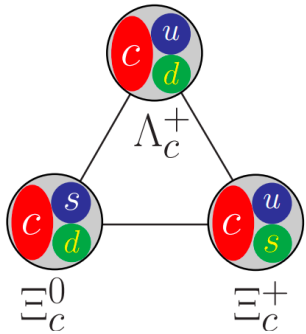
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- 1.  $SU(3)$  flavor symmetry proves valuable for analyzing charmed baryon two-body decays in light of current experimental data.**
- 2. The global fit shows that charmed baryon two body decays may have large CPV**
- 3. Both strong phase and penguin operator can explain the data**

Thanks!  
谢谢



## Charmed baryon



$$T_{c\bar{3}} = \begin{pmatrix} 0 & \Lambda_c^+ & \Xi_c^+ \\ -\Lambda_c^+ & 0 & \Xi_c^0 \\ -\Xi_c^+ & -\Xi_c^0 & 0 \end{pmatrix}$$

## Hamiltonian

$$3 \otimes \bar{3} \otimes 3 = 3 \oplus 3 \oplus \bar{6} \oplus 15$$

## Components

### Baryon octant

$$T_8 = \begin{pmatrix} \frac{\Sigma^0}{\sqrt{2}} + \frac{\Lambda}{\sqrt{6}} & \Sigma^+ & p \\ \Sigma^- & -\frac{\Sigma^0}{\sqrt{2}} + \frac{\Lambda}{\sqrt{6}} & n \\ \Xi^- & \Xi^0 & -\frac{2\Lambda}{\sqrt{6}} \end{pmatrix}$$

### Meson octant

$$P = \begin{pmatrix} \frac{\pi^0 + \eta_q}{\sqrt{2}} & \pi^+ & K^+ \\ \pi^- & \frac{-\pi^0 + \eta_q}{\sqrt{2}} & K^0 \\ K^- & \bar{K}^0 & \eta_s \end{pmatrix}$$

## Physical meson

$$\begin{pmatrix} \eta \\ \eta' \end{pmatrix} = \begin{pmatrix} \cos \phi & -\sin \phi \\ \sin \phi & \cos \phi \end{pmatrix} \begin{pmatrix} \eta_q \\ \eta_s \end{pmatrix}, \quad \phi = (39.3 \pm 1.0)^\circ$$

$$\begin{aligned} (H_{\bar{6}})_{21}^{31} &= -(H_{\bar{6}})_{21}^{13} = (H_{15})_{21}^{31} = (H_{15})_{21}^{13} = 1, \\ (H_{15})_{31}^{31} &= (H_{15})_{31}^{13} = -(H_{15})_{21}^{21} = -(H_{15})_{21}^{12} = \sin \theta \\ (H_{\bar{6}})_{31}^{31} &= -(H_{\bar{6}})_{31}^{13} = (H_{\bar{6}})_{21}^{12} = -(H_{\bar{6}})_{21}^{21} = \sin \theta, \quad ( \end{aligned}$$

Contract all index to construct SU(3) invariant amplitudes

**Each amplitude is expressed by parity-violating and conserving form factors**

$$\begin{aligned} q_6 &= G_F \bar{u}(f_6^q - g_6^q \gamma_5)u, & q &= a, b, c, d, \\ q_{15} &= G_F \bar{u}(f_{15}^q - g_{15}^q \gamma_5)u, & q &= a, b, c, d, e. \end{aligned}$$



**amplitudes appear in terms of the combination  $a_6 \pm a_{15}$**

$$f^a = f_6^a - f_{15}^a, \quad g^a = g_6^a - g_{15}^a, \quad f^{a'} = f_6^a + f_{15}^a, \quad g^{a'} = g_6^a + g_{15}^a$$

## Observables

### Branching ratio

$$\begin{aligned} \frac{d\Gamma}{d \cos \theta_M} &= \frac{G_F^2 |\vec{p}_{B_n}| (E_{B_n} + M_{B_n})}{8\pi M_{B_c}} (|F|^2 + \kappa^2 |G|^2) \\ &\times (1 + \alpha \hat{\omega}_i \cdot \hat{p}_{B_n}), \end{aligned}$$

### Polarization asymmetry

$$\begin{aligned} \alpha &= \frac{2\text{Re}(F^* G) \kappa}{(|F|^2 + \kappa^2 |G|^2)}, & \beta &= \frac{2\text{Im}(F^* G) \kappa}{(|F|^2 + \kappa^2 |G|^2)}, \\ \gamma &= \frac{|F|^2 - |\kappa G|^2}{(|F|^2 + \kappa^2 |G|^2)}, & \kappa &= \frac{|\vec{p}_{B_n}|}{(E_{B_n} + M_{B_n})}. \end{aligned}$$

## Fits for new factors

| Form factors    | Case III ( $\chi^2/\text{d.o.f} = 7.03/7 = 1.004$ ) |                                           |                                            |                                           |                                             |
|-----------------|-----------------------------------------------------|-------------------------------------------|--------------------------------------------|-------------------------------------------|---------------------------------------------|
|                 | Real part                                           |                                           | Imaginary part                             |                                           |                                             |
| Vector(f)       | $f^a = -0.0289(61)$                                 | $f_6^c = 0.010(10)$                       | $f_6^d = -0.008(17)$                       | $f_{T_1} = -0.0176(37)$                   | $f_{T_4} = -0.0019(81)$                     |
|                 | $f^{a'} = -0.01(50)$                                | $\text{Re}(\mathbf{f}_b^S) = 0.0003(114)$ | $\text{Re}(\mathbf{f}_b^P) = 0.000051(40)$ | $\text{Im}(\mathbf{f}_b^S) = -0.0105(36)$ | $\text{Im}(\mathbf{f}_b^P) = -0.000049(80)$ |
|                 | $f_{15}^b = 0.0326(72)$                             | $f_{15}^c = -0.0038(59)$                  | $f_{15}^d = -0.004(16)$                    | $f_{T_6} = -0.0192(71)$                   | $f_{T_7} = 0.031(12)$                       |
|                 | $f_{15}^e = -0.0338(76)$                            |                                           |                                            |                                           |                                             |
| Axial-vector(g) | $g^a = -0.014(18)$                                  | $g_6^b = 0.083(41)$                       | $g_6^c = -0.023(39)$                       | $g_{T_1} = -0.016(18)$                    | $g_{T_3} = -0.08(1.52)$                     |
|                 | $g_6^d = 0.031(21)$                                 | $g^{a'} = 0.05(49)$                       |                                            | $g_{T_4} = 0.068(36)$                     | $g_{T_6} = 0.031(26)$                       |
|                 | $g_{15}^b = -0.153(31)$                             | $g_{15}^c = -0.006(26)$                   | $g_{15}^d = -0.029(13)$                    | $g_{T_7} = -0.039(47)$                    |                                             |
|                 | $g_{15}^e = -0.016(20)$                             |                                           |                                            |                                           |                                             |

**Non-zero  $\mathbf{f}_P$  may introduce observable CP violation**

# New data

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Compare with new data, the penguin diagram analysis is more reasonable

Measurements of the branching fractions of

$\Xi_c^+ \rightarrow \Sigma^+ K_S^0$ ,  $\Xi_c^+ \rightarrow \Xi^0 \pi^+$ , and  $\Xi_c^+ \rightarrow \Xi^0 K^+$  at Belle and Belle II



The Belle and the Belle II collaboration

$$\mathcal{B}(\Xi_c^+ \rightarrow \Sigma^+ K_S^0) = (0.194 \pm 0.021 \pm 0.009 \pm 0.087)\%,$$

$$\mathcal{B}(\Xi_c^+ \rightarrow \Xi^0 \pi^+) = (0.728 \pm 0.014 \pm 0.027 \pm 0.326)\%,$$

$$\mathcal{B}(\Xi_c^+ \rightarrow \Xi^0 K^+) = (0.049 \pm 0.007 \pm 0.003 \pm 0.022)\%,$$

**Data**

$$Br(\Xi_c^+ \rightarrow \Sigma^+ K_S^0)$$

$$Br(\Xi_c^+ \rightarrow \Xi^0 \pi^+)$$

$$Br(\Xi_c^+ \rightarrow \Xi^0 K^+)$$

**Penguin diagram**

$$(1.10 \pm 0.35) \%$$

$$(0.71 \pm 0.12) \%$$

$$(0.078 \pm 0.015) \%$$

**Strong phase**

$$(0.65 \pm 0.27) \%$$

$$(2.02 \pm 0.32) \%$$

$$(0.168 \pm 0.018) \%$$