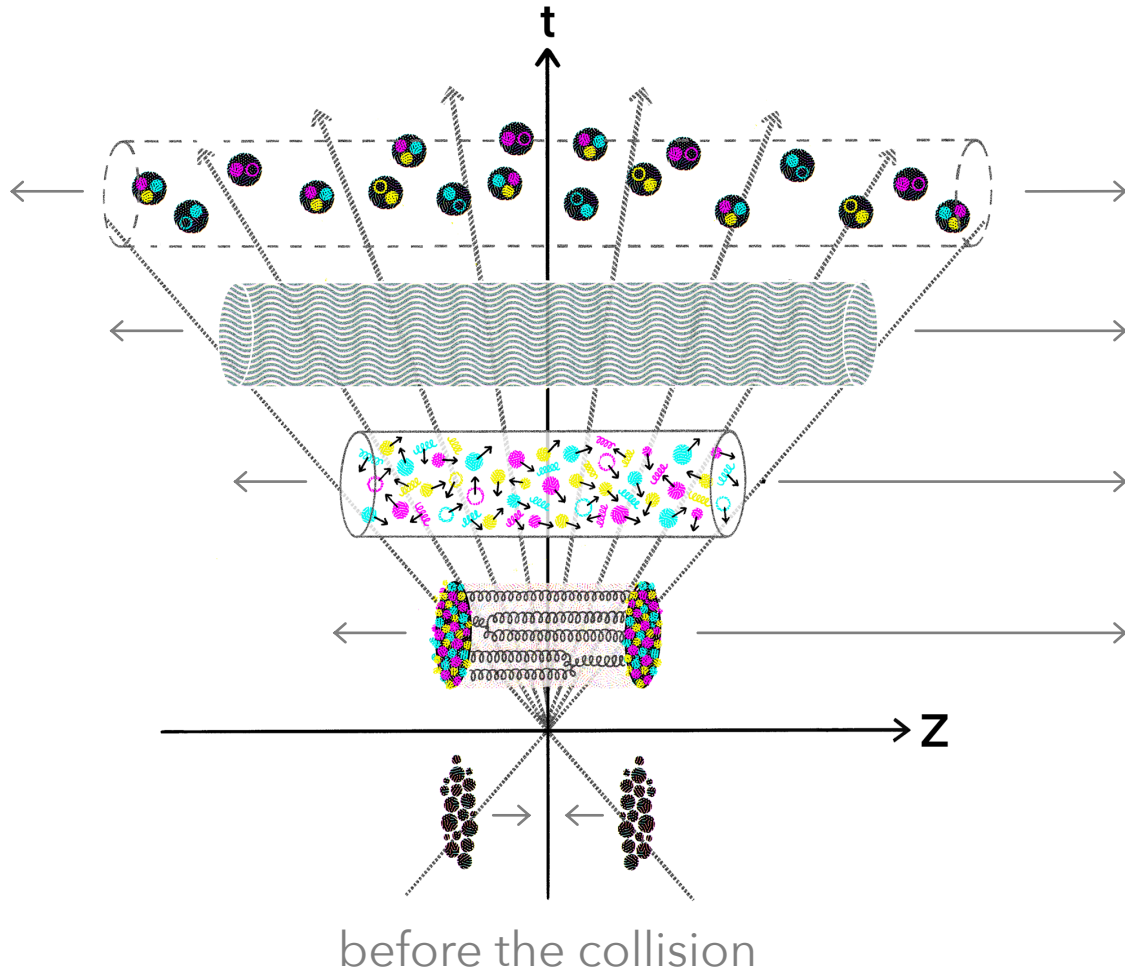


Jets in evolving anisotropic QCD matter

Andrey Sadofyev
UPV/EHU & Ikerbasque

Heavy-ion collisions



Phases of QCD matter in HIC:

hadron gas

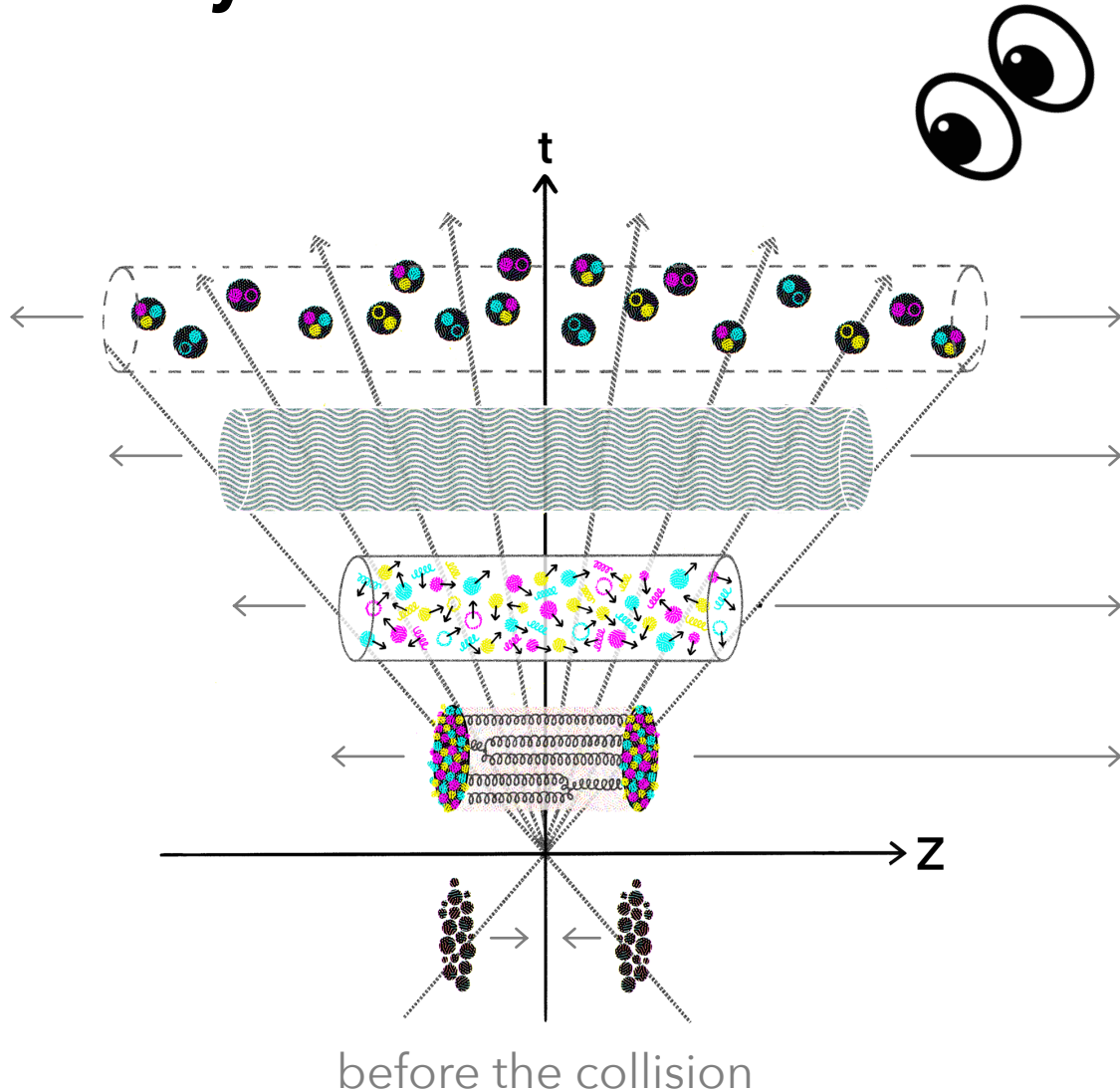
hydrodynamic Quark-Gluon Plasma (QGP)

non-equilibrium matter

glasma (strong color fields)

Matter produced in HIC undergoes multiphase evolution

Heavy-ion collisions



Phases of QCD matter in HIC:

hadron gas

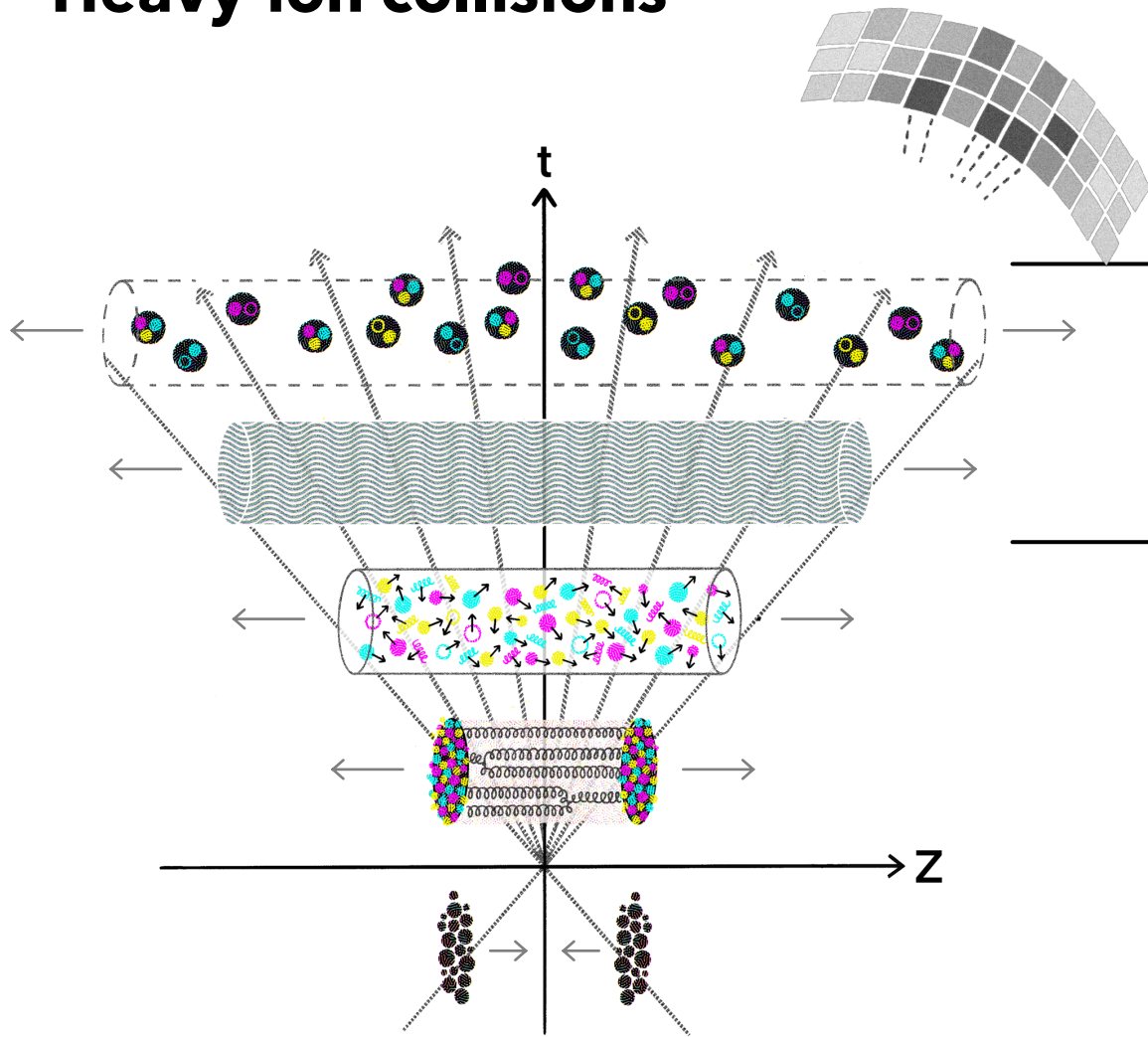
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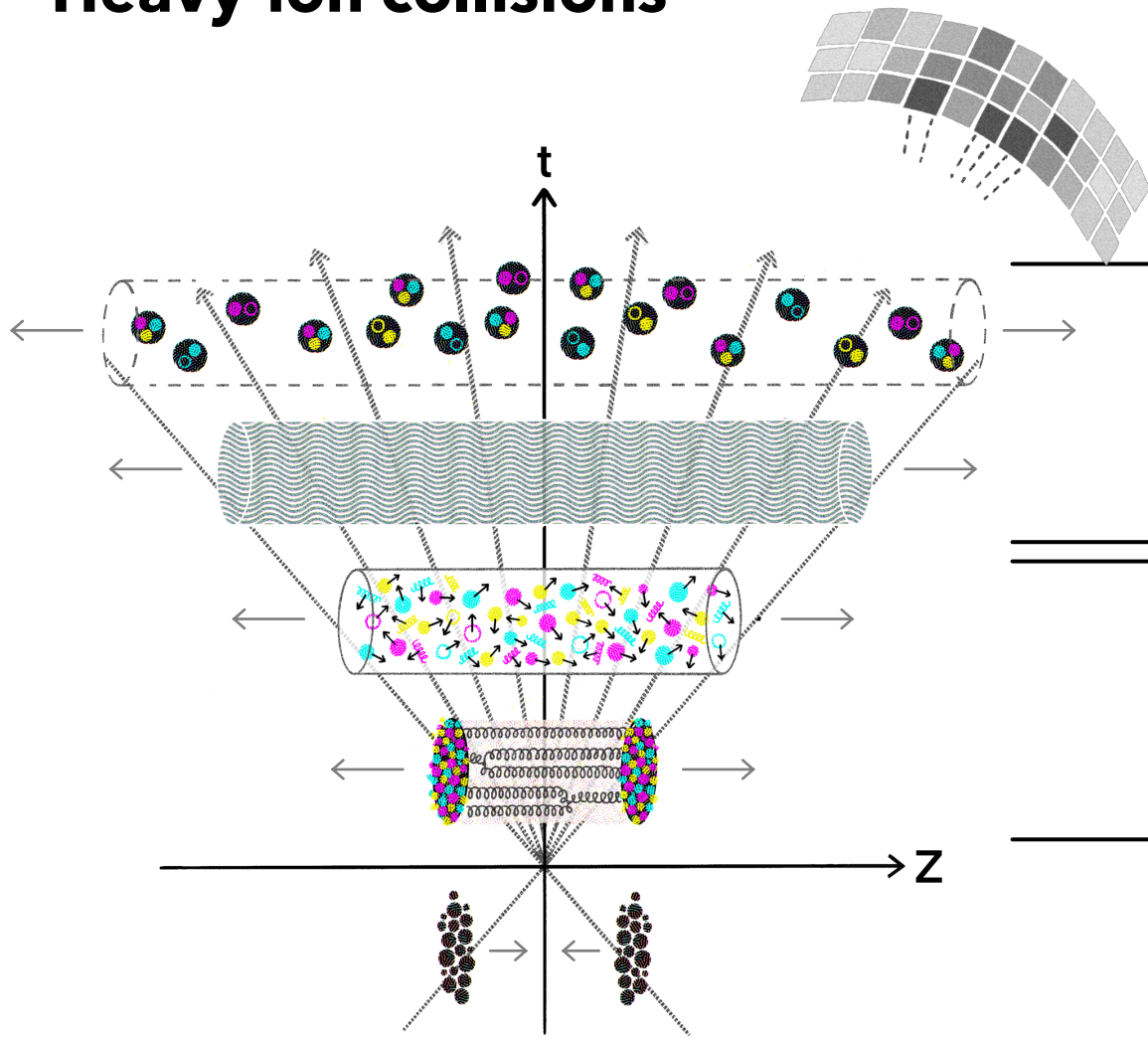
Heavy-ion collisions



Final state dynamics and the hydrodynamic QGP phase

✓
accessible

Heavy-ion collisions



Final state dynamics and the hydrodynamic QGP phase

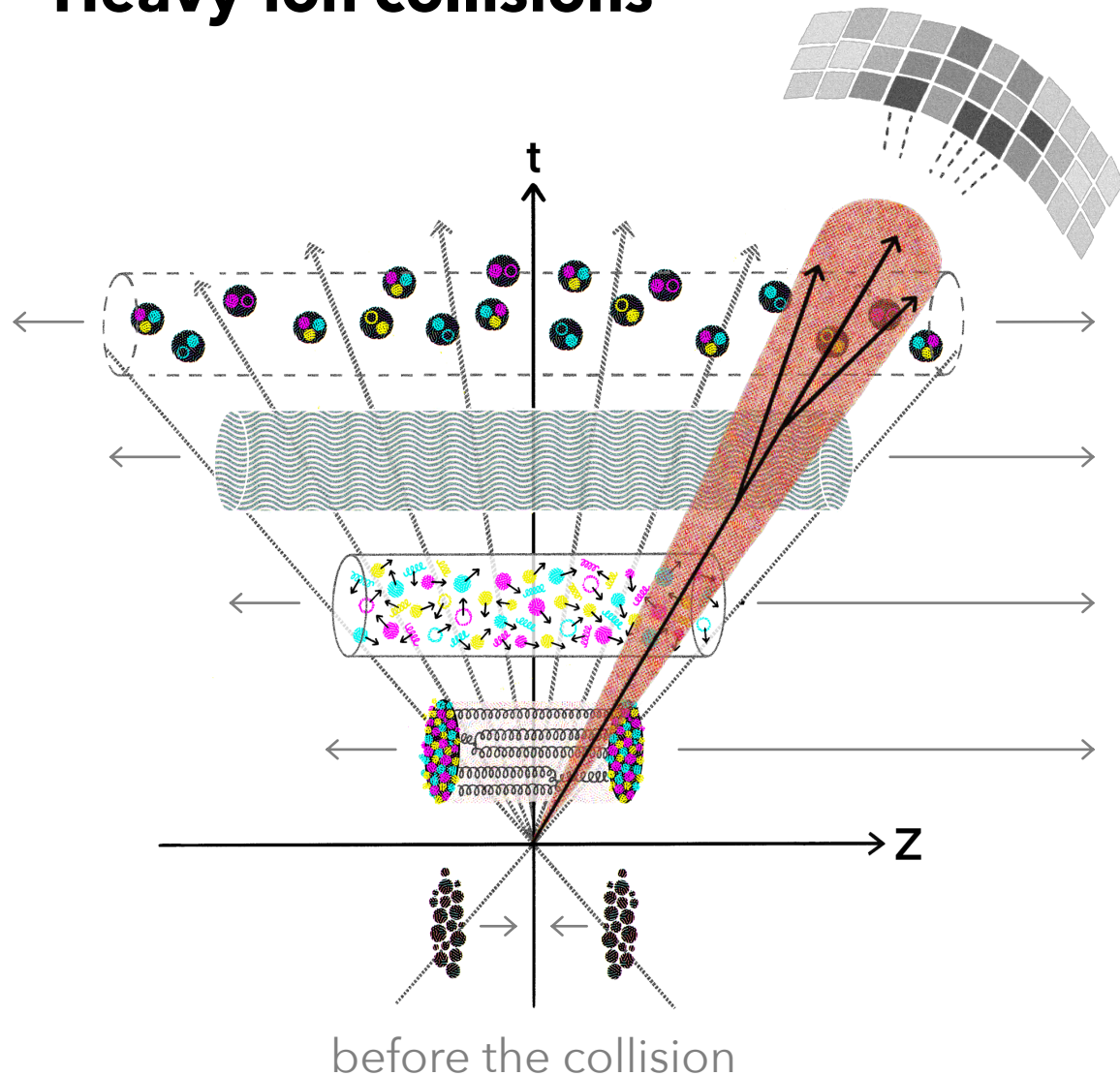
✓
accessible

Formation of complex nuclear matter

✗
non-accessible

↖
The primary goal of HIC programs worldwide

Heavy-ion collisions



Phases of QCD matter in HIC:

hadron gas

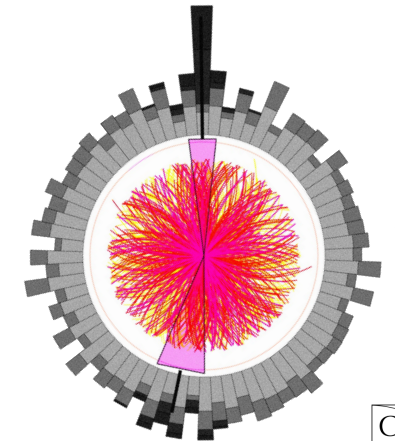
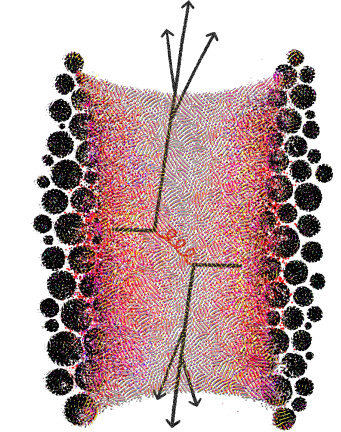
hydrodynamic QGP

non-equilibrium matter

glasma (strong color fields)

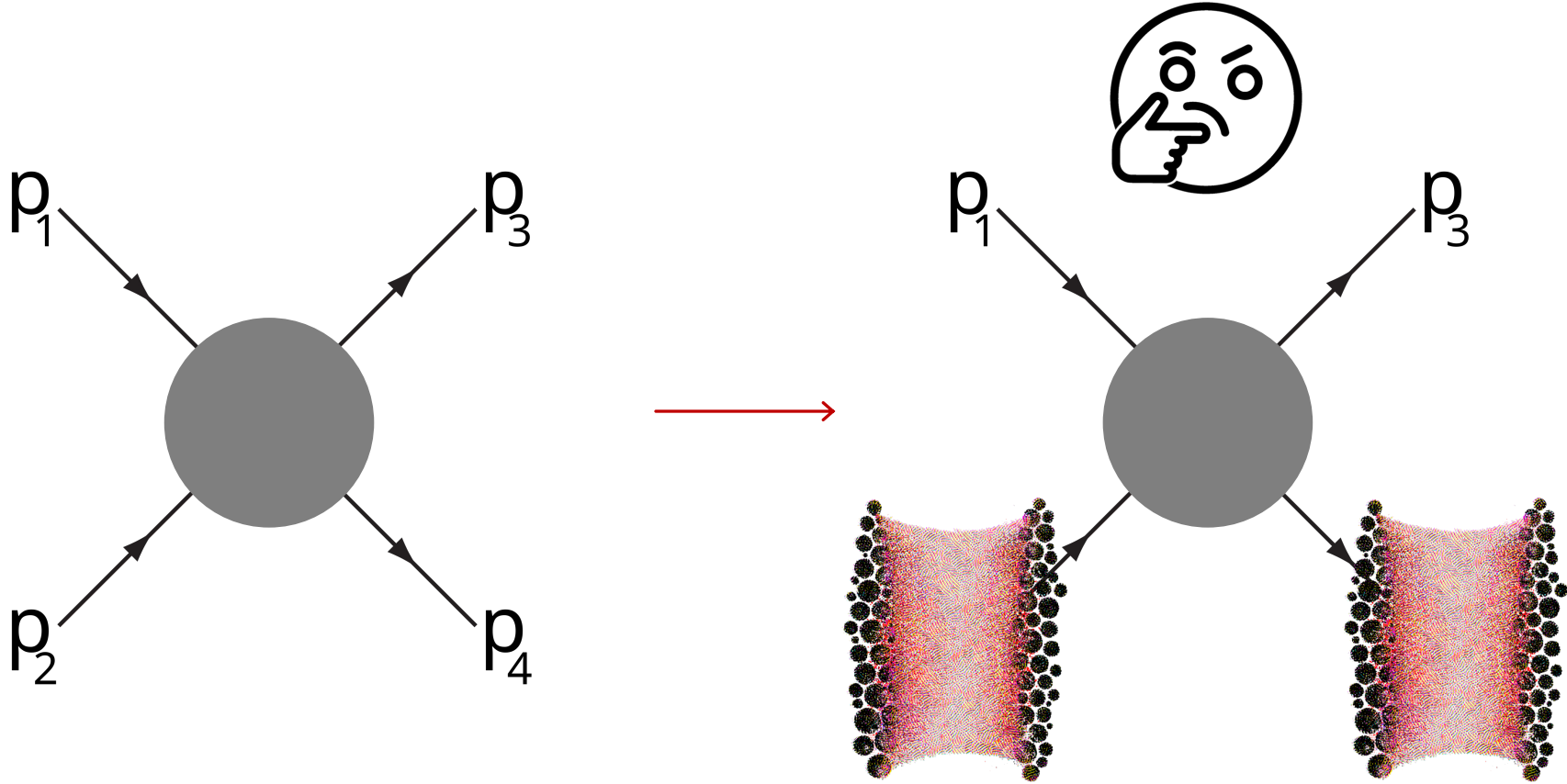
**Jets are a tool to probe
the early evolution of matter**

jet quenching



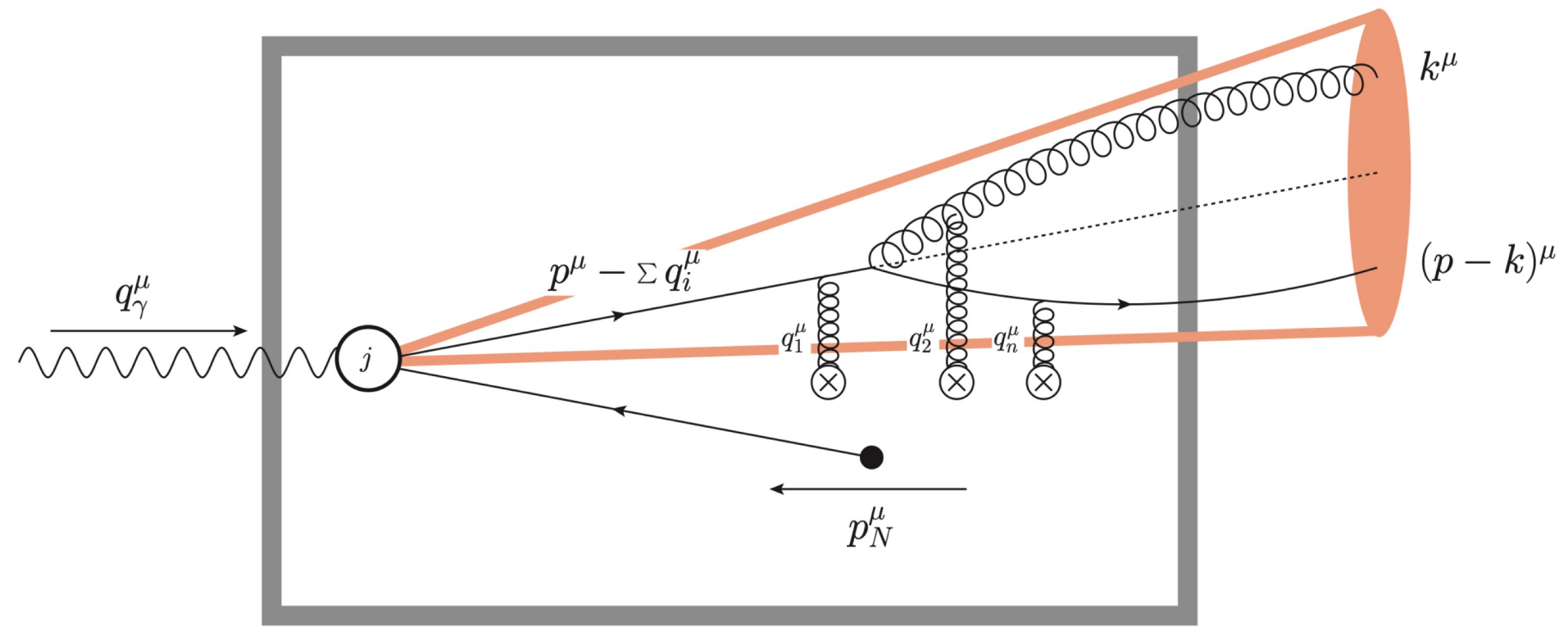
jets lose energy propagating
through nuclear matter

Jet quenching formalisms

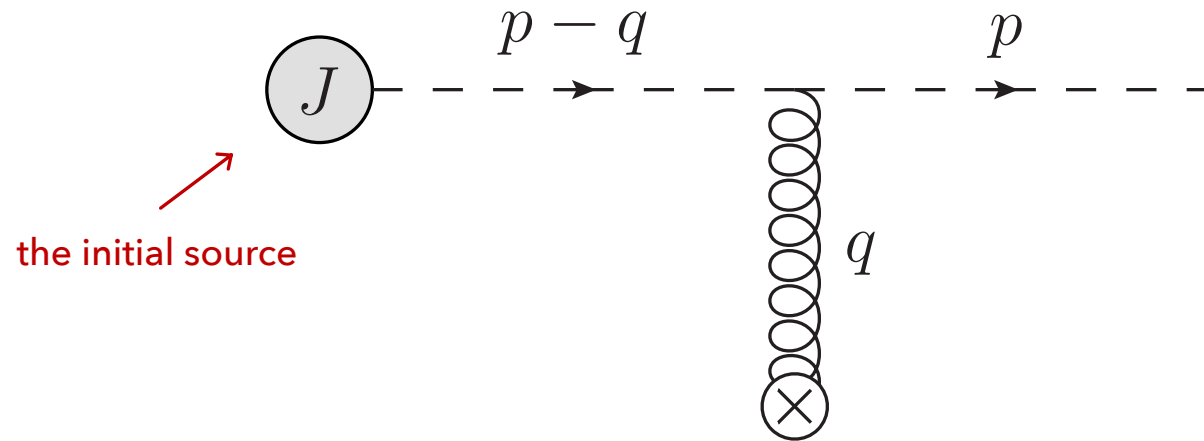


Jet quenching formalisms

R. Baier et al., NPB, 1997
 B. G. Zakharov, JETP, 1997
 R. Baier et al., NPB, 1998
 M. Gyulassy et al., NPB, 2000
 X.-F. Guo, X.-N. Wang, PRL, 2000
 U. Wiedemann, NPB, 2000
 M. Gyulassy et al., NPB, 2001
 P. Arnold, G. Moore, L. Yaffe, JHEP, 2002
 C. Salgado, U. Wiedemann, PRD, 2003



Jet quenching formalisms



the initial source

the initial source

$$iM_1(p) = \int \frac{d^4q}{(2\pi)^4} \left[ig t_{\text{proj}}^a A_{\text{ext}}^{\mu a}(q) (2p - q)_\mu \right] \left[\frac{i}{(p - q)^2 + i\epsilon} \right] J(p - q)$$

$$gA_{\text{ext}}^{\mu a}(q) = \sum_i e^{iq \cdot x_i} t_i^a u_i^\mu v_i(q) (2\pi) \delta(q^0)$$

i

color sources

(1,0,0,0)

Jet quenching formalisms

$$E \frac{d\mathcal{N}}{d^3p} \simeq f(E) \delta^{(2)}(\mathbf{p}) + \left\langle \begin{array}{c} \text{J} \xrightarrow{p_{in}} \text{---} p_2 \text{---} \\ \downarrow q_1 \\ \otimes v_j \end{array} \middle| \begin{array}{c} \xrightarrow{\varepsilon q} \text{---} n q \text{---} \\ \downarrow i q \\ \otimes v_j \end{array} \text{L} \right\rangle + \left\langle \begin{array}{c} \text{J} \xrightarrow{p_{in}} \text{---} p_2 \text{---} p_3 \text{---} \\ \downarrow q_1 \\ \otimes v_j \\ \downarrow q_2 \\ \otimes v_j \end{array} \middle| \begin{array}{c} \xrightarrow{n q} \\ \text{L} \end{array} \right\rangle$$

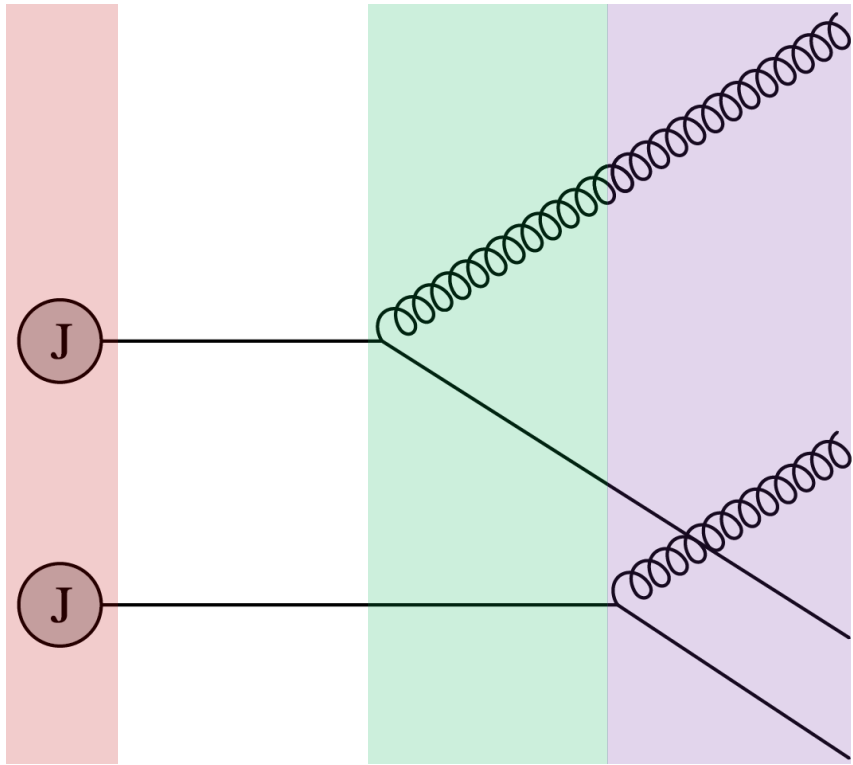
$$\mathcal{V}(\mathbf{q}) = -C\rho \left(|v(\mathbf{q})|^2 - \delta^{(2)}(\mathbf{q}) \int_l |v(\mathbf{l})|^2 \right)$$

$$E \frac{d\mathcal{N}^{(1)}}{d^3p} = \int_0^L dz \int_q \mathcal{V}(\mathbf{q}) f(E) \delta^{(2)}(\mathbf{p} - \mathbf{q})$$

$$\hat{q} = \frac{\partial}{\partial L} \langle p_{\perp}^2 \rangle = \frac{Cg^4\rho}{4\pi\mu^2} L \frac{\mu^2}{L} \log \frac{E}{\mu}$$

opacity χ

Jet quenching formalisms



$$(2\pi)^2 \omega \frac{d\mathcal{N}}{d\omega d^2\mathbf{k}} = \frac{\alpha_s}{N_c \omega^2} \text{Re} \int_0^L d\bar{z} \int_0^{\bar{z}} dz \int_{\mathbf{x}_0, \mathbf{y}} |J(\mathbf{x}_0)|^2 \left[(\nabla_{\mathbf{x}} \cdot \nabla_{\bar{\mathbf{x}}}) \right. \\ \left. \times \left\langle \mathcal{G}^{bc}(\mathbf{k}, L; \mathbf{y}, \bar{z}) \mathcal{G}^{\dagger \bar{a}b}(\mathbf{k}, L; \bar{\mathbf{x}}, \bar{z}) \right\rangle \left\langle \mathcal{G}^{ca}(\mathbf{y}, \bar{z}; \mathbf{x}, z) \mathcal{W}_A^{\dagger a\bar{a}}(\mathbf{x}_0; \bar{z}, z) \right\rangle \right] \Big|_{\mathbf{x}=\bar{\mathbf{x}}=\mathbf{x}_0}$$

↑
broadening of the gluon

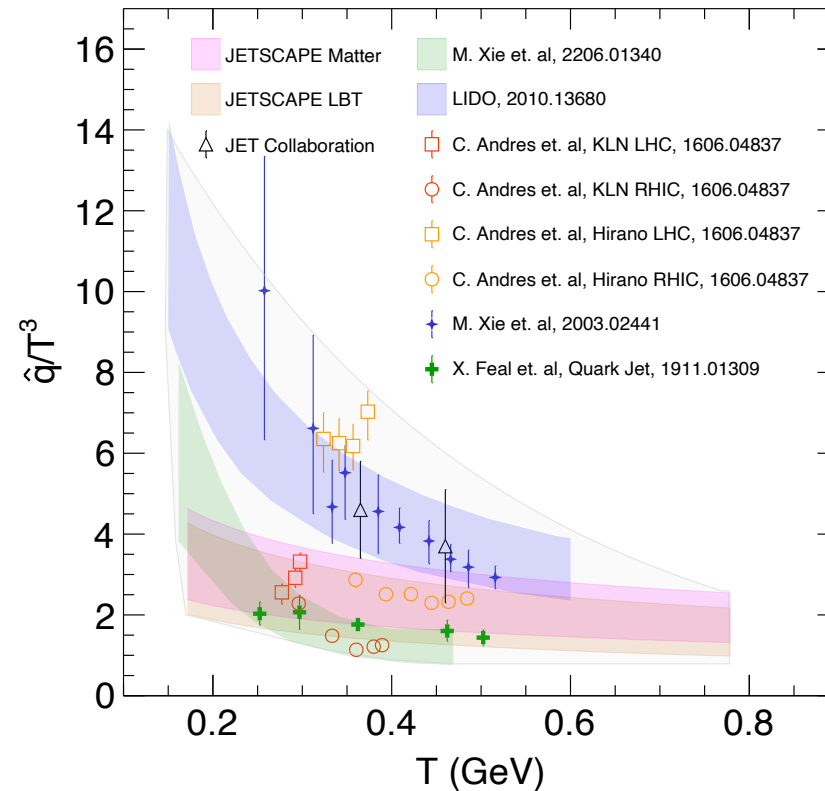
↑
emission kernel

$$\mathcal{K}(\mathbf{x}, t; \mathbf{y}, s) = \frac{1}{N_c^2 - 1} \int_{\mathbf{r}(s)=\mathbf{y}}^{\mathbf{r}(t)=\mathbf{x}} \mathcal{D}\mathbf{r} \exp \left[i \frac{\omega}{2} \int_s^t d\tau \dot{\mathbf{r}}^2 \right] \\ \times \text{Tr} \mathcal{P} \exp \left[iT^c \int_s^t d\tau \mathcal{V}(\mathbf{r}(\tau) - \mathbf{x}_{in}) \right]$$

↑
 $\mathcal{V} \propto \hat{q}_0 x^2 \log \frac{1}{\mu^2 x^2} + \mathcal{O}(\mu^4 x^4)$

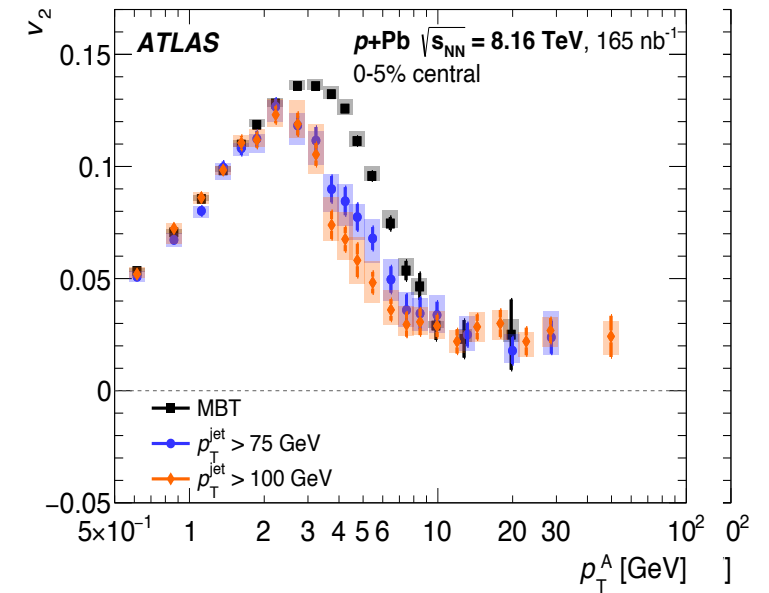
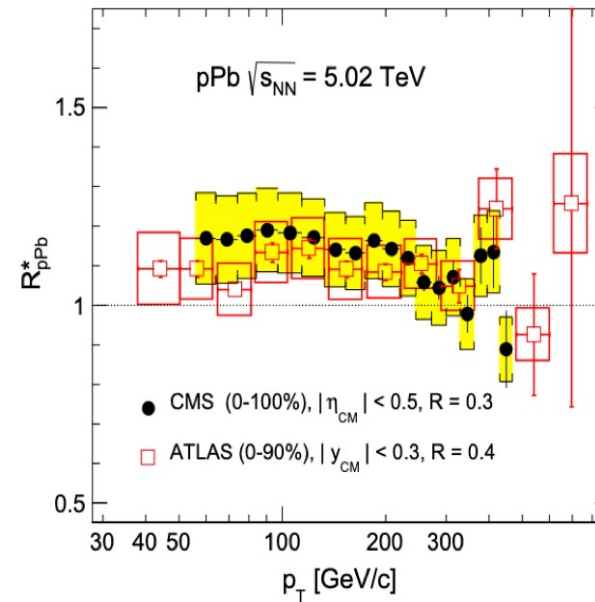
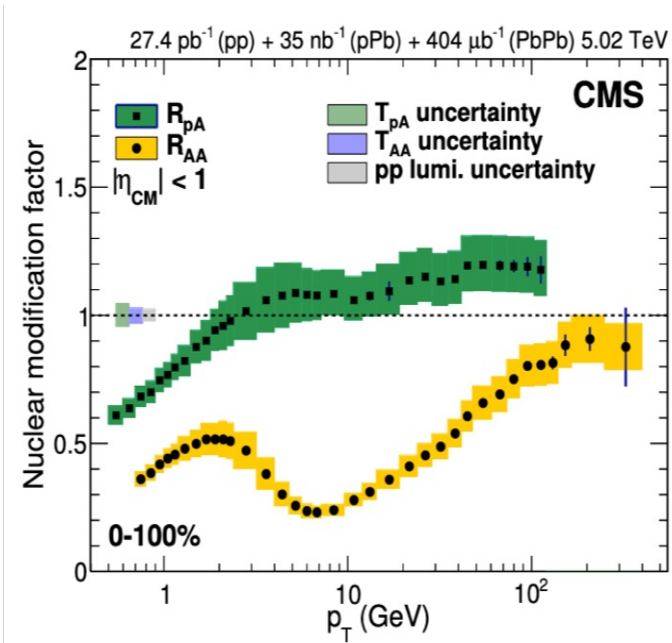
Jet quenching formalisms

- Jets are observed only in the final state, yet they carry imprints of the matter phases throughout its evolution.
- Describing the scattering off matter requires an effective QCD framework with background stochastic fields.
- \hat{q} is the first object to appear in jet quenching calculations and remains central to most phenomenological considerations.
- \hat{q} is hard to measure or estimate in simulations



Theoretical uncertainties in \hat{q}
extracted in different works

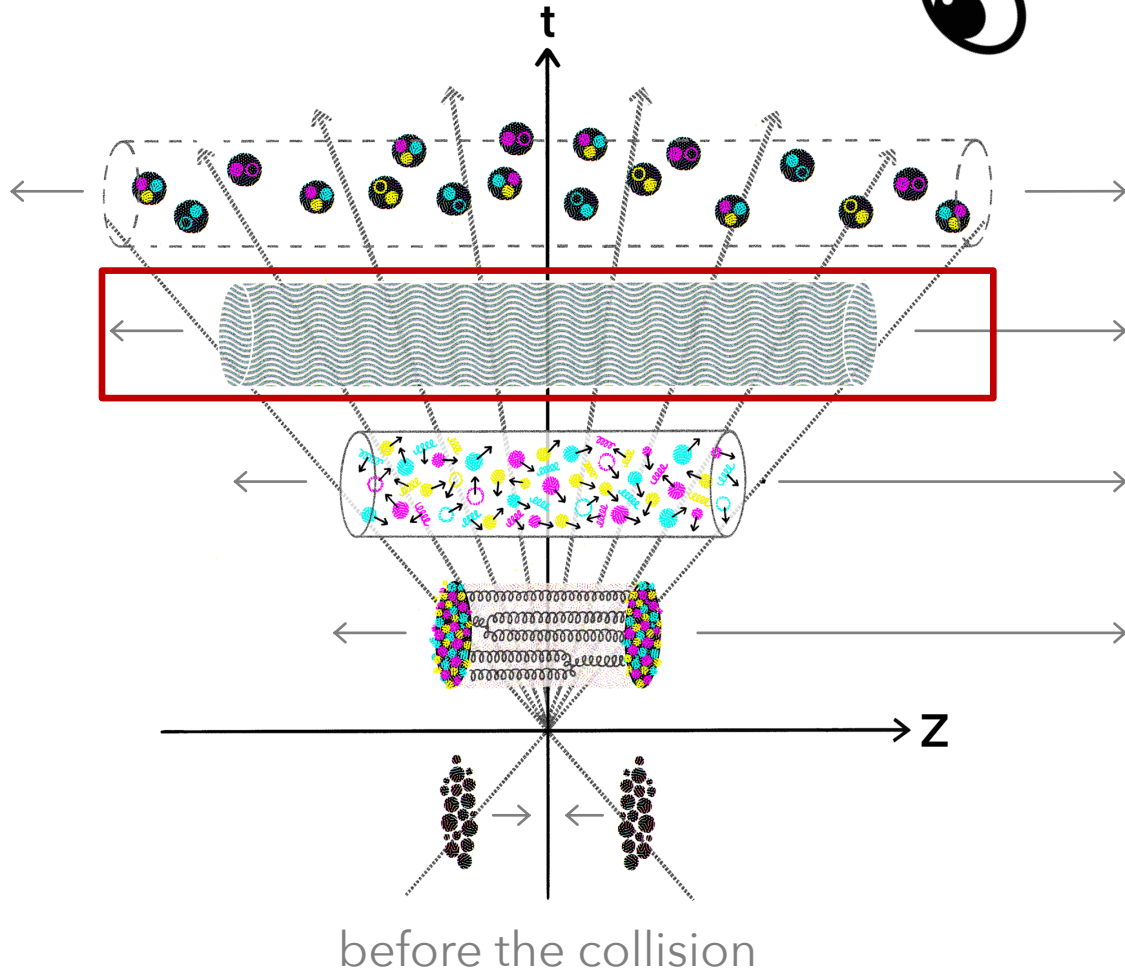
Heavy-ion collisions



Notable tension in observations:

- Small systems seem to flow
- No clear signal for jet quenching

Heavy-ion collisions



Phases of QCD matter in HIC:

hadron gas

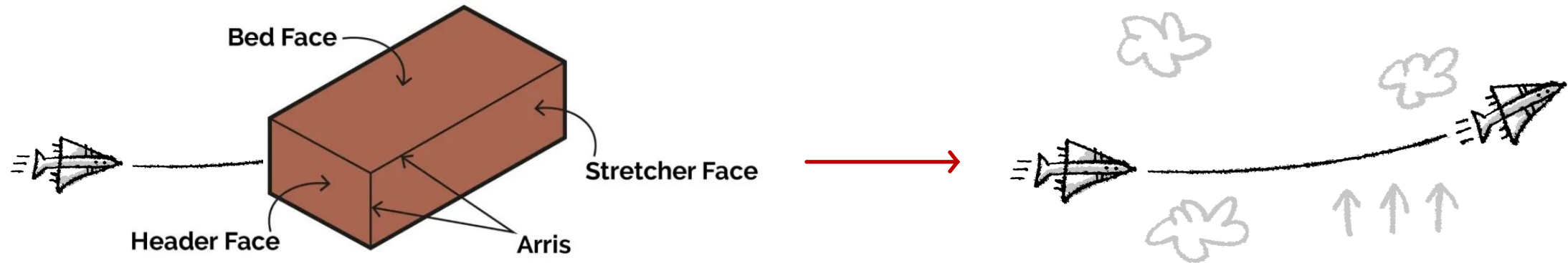
hydrodynamic Quark-Gluon Plasma (QGP)

non-equilibrium matter

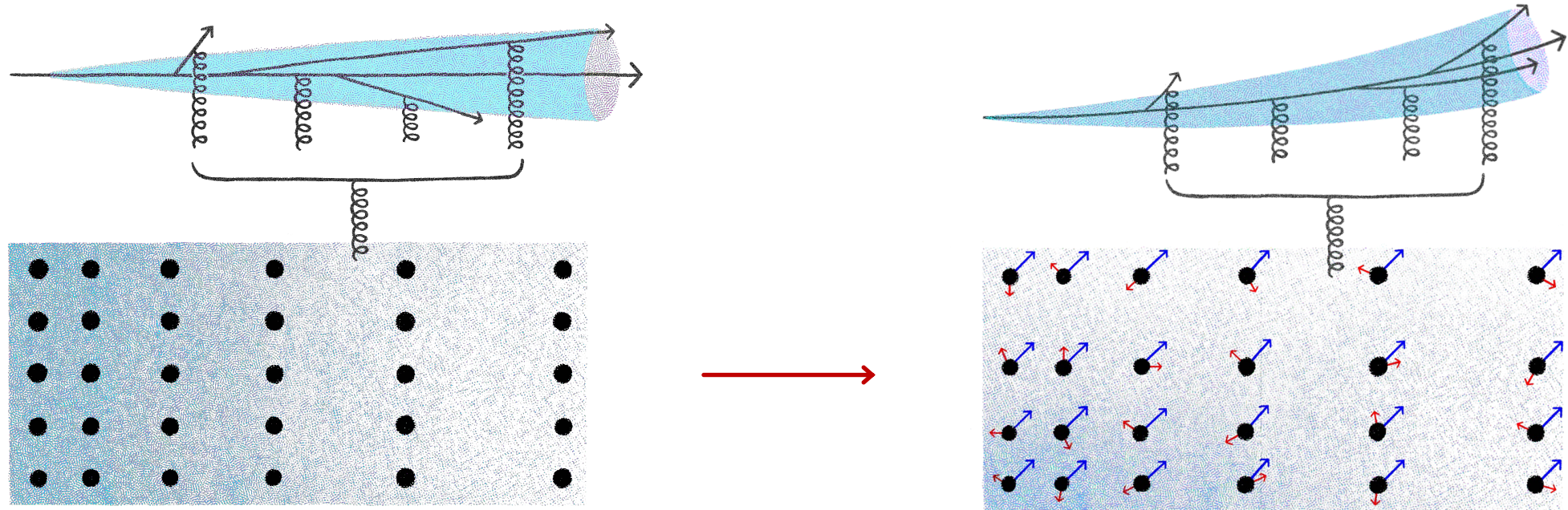
glasma (strong color fields)

Matter produced in HIC undergoes multiphase evolution

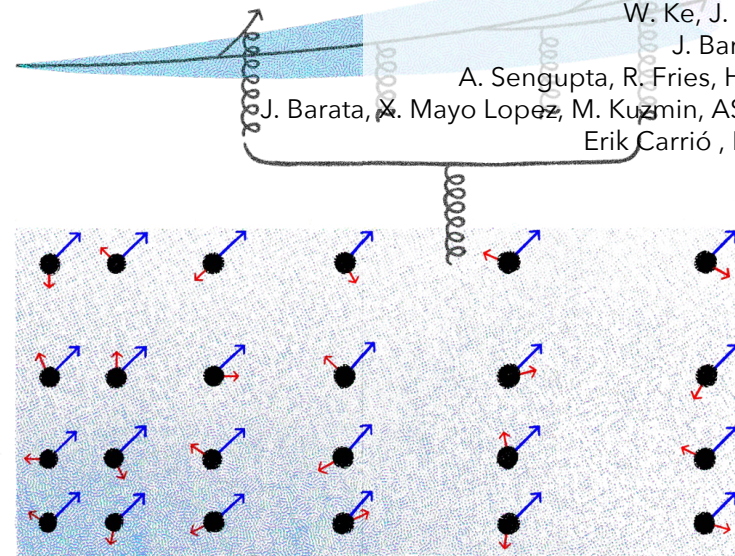
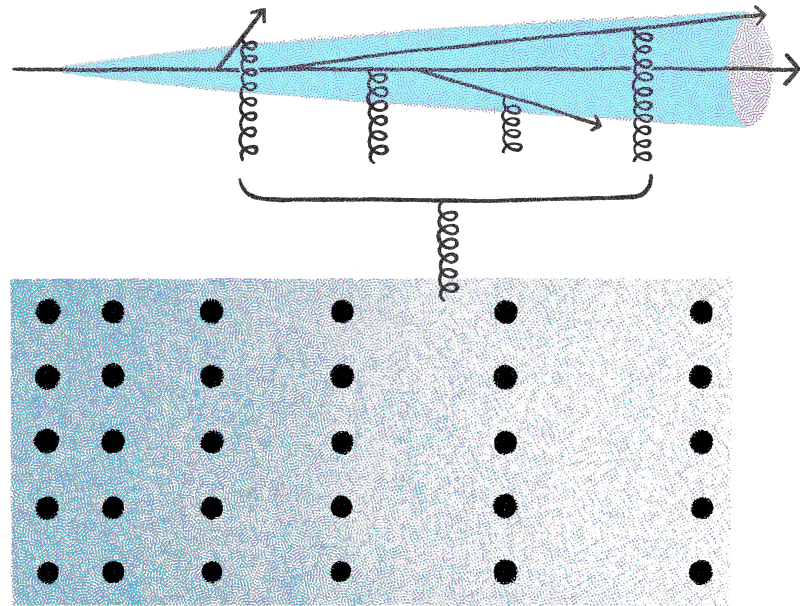
Jets in evolving matter



Jets in evolving matter

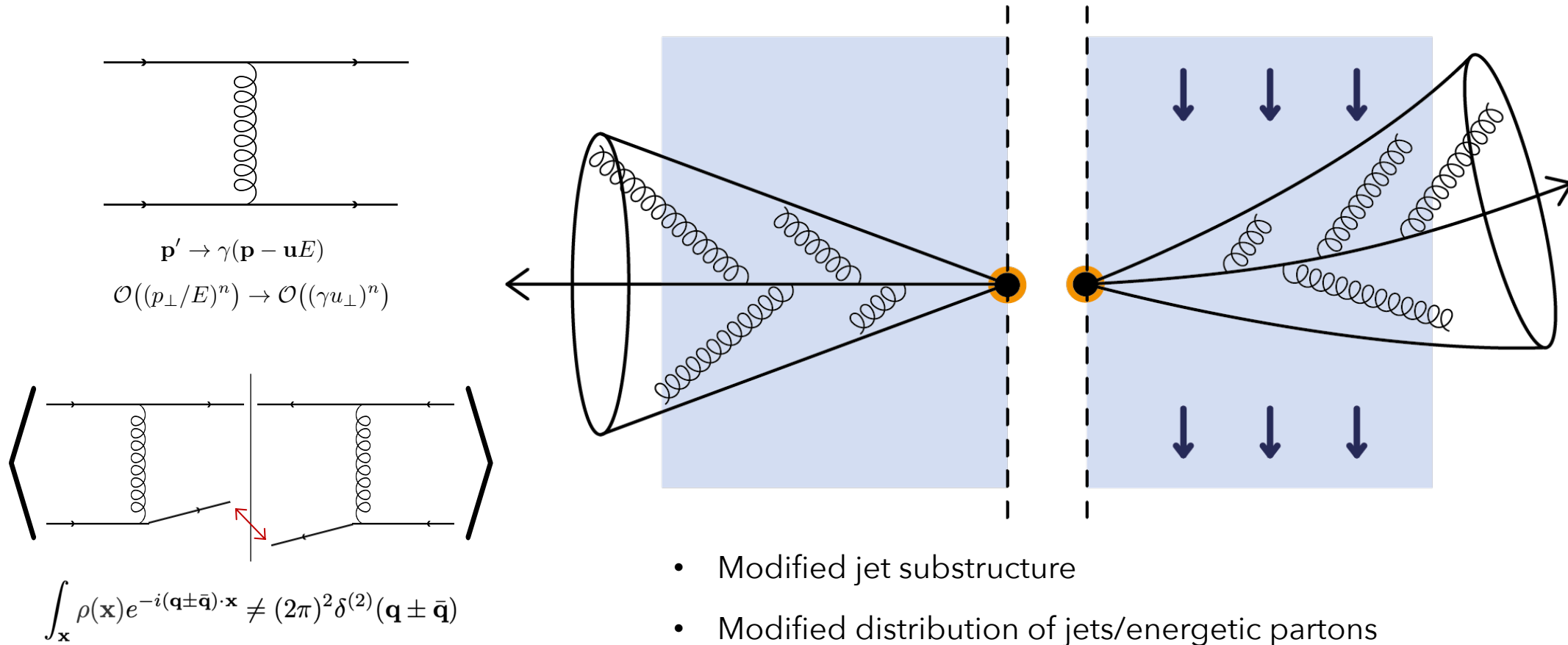


Jets in evolving matter



Y. He, L.-G. Pang, X.-N. Wang, PRL, 2020
 AS, M. Sievert, I. Vitev, PRD, 2021
 J. Barata, AS, C. Salgado, PRD, 2022
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 Y. Fu, J. Casalderrey-Solana, X.-N. Wang, PRD, 2023
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 Erik Carrió, Daniel Pablos, arxiv, 2026

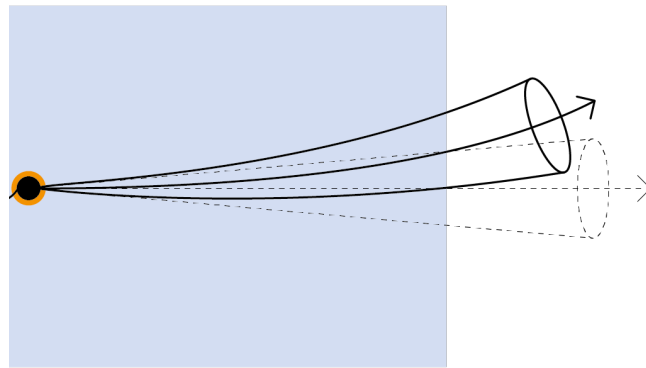
Jets in evolving matter



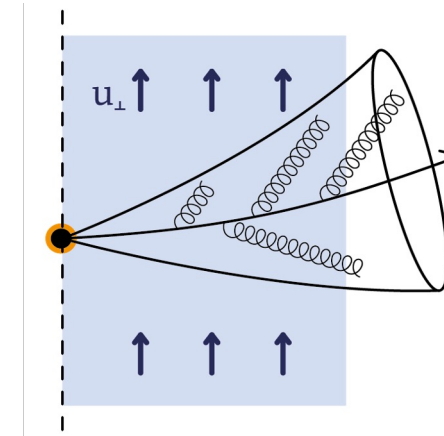
Jets in evolving matter

- Opacity $\chi \approx 4$
- $u \approx 0.7$ (about $\pi/4$ to z-axis)
- $\mu = gT$ with $g \approx 2$ and $T \approx 500 \text{ MeV}$

$$\left\langle \frac{p_{\perp}}{E} \right\rangle \simeq 3 \chi \frac{u_{\perp}}{1 - u_z} \frac{\mu^2}{E^2} \log \frac{E}{\mu}$$

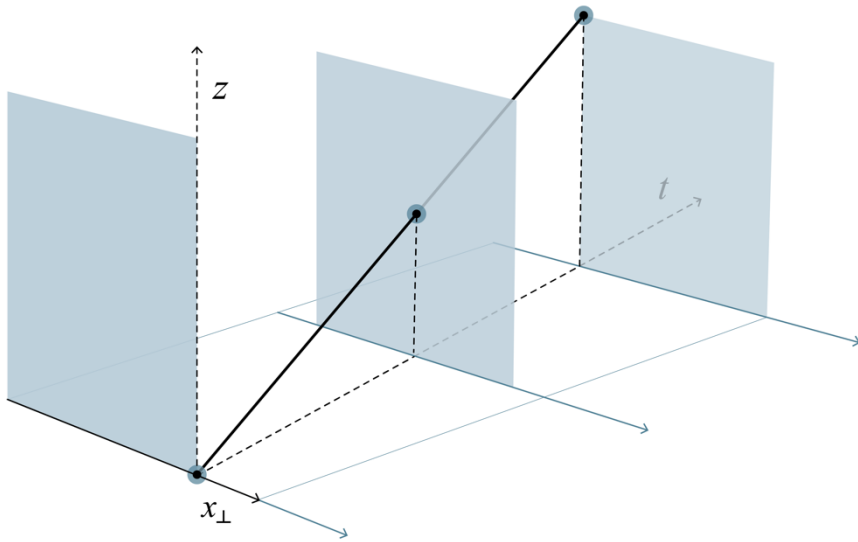


$E \sim 50 \text{ GeV}$ and $\langle \theta \rangle \sim 1^\circ$

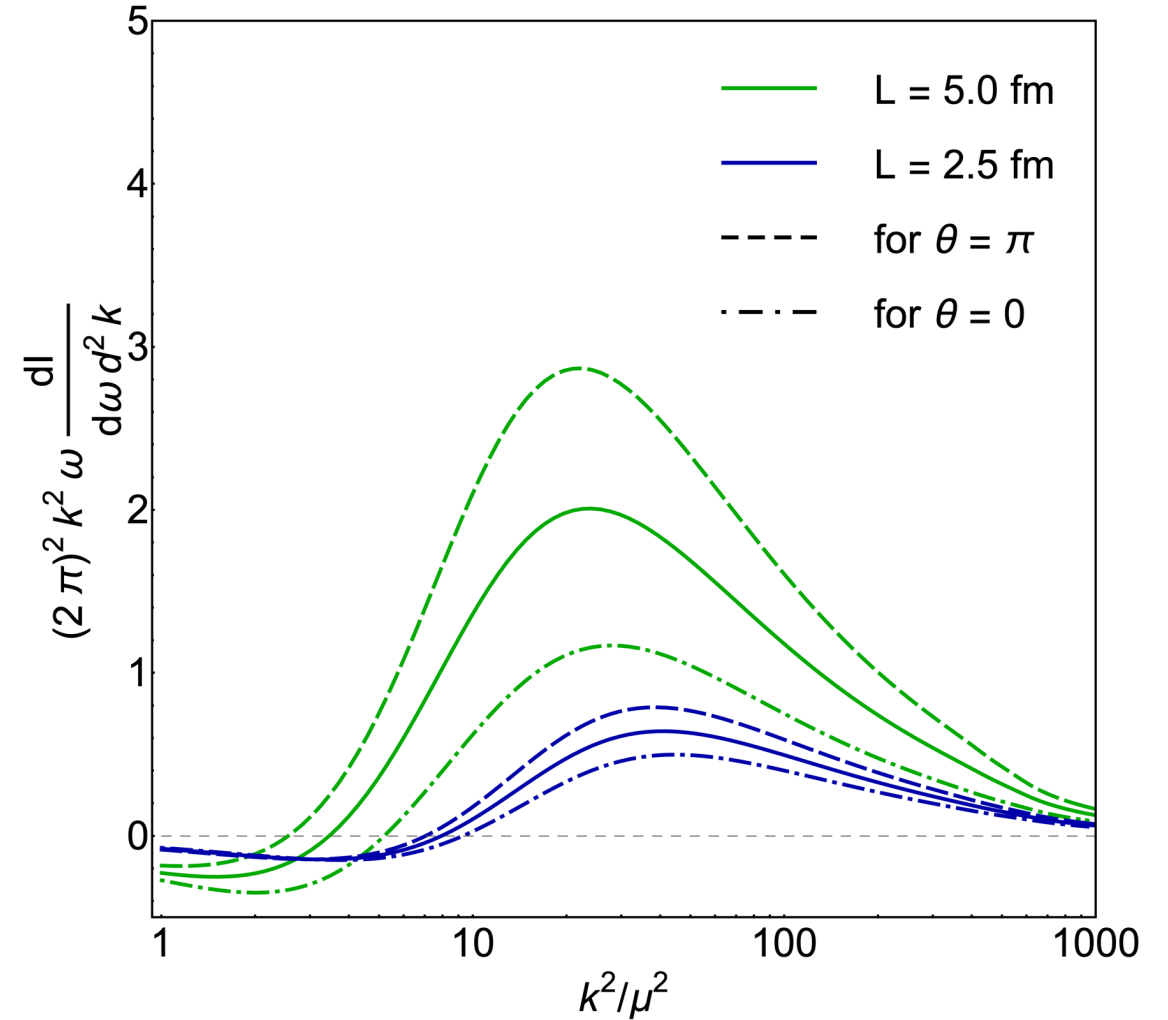


$E \sim 10 \text{ GeV}$ and $\langle \theta \rangle \sim 15^\circ$

Jets in evolving matter

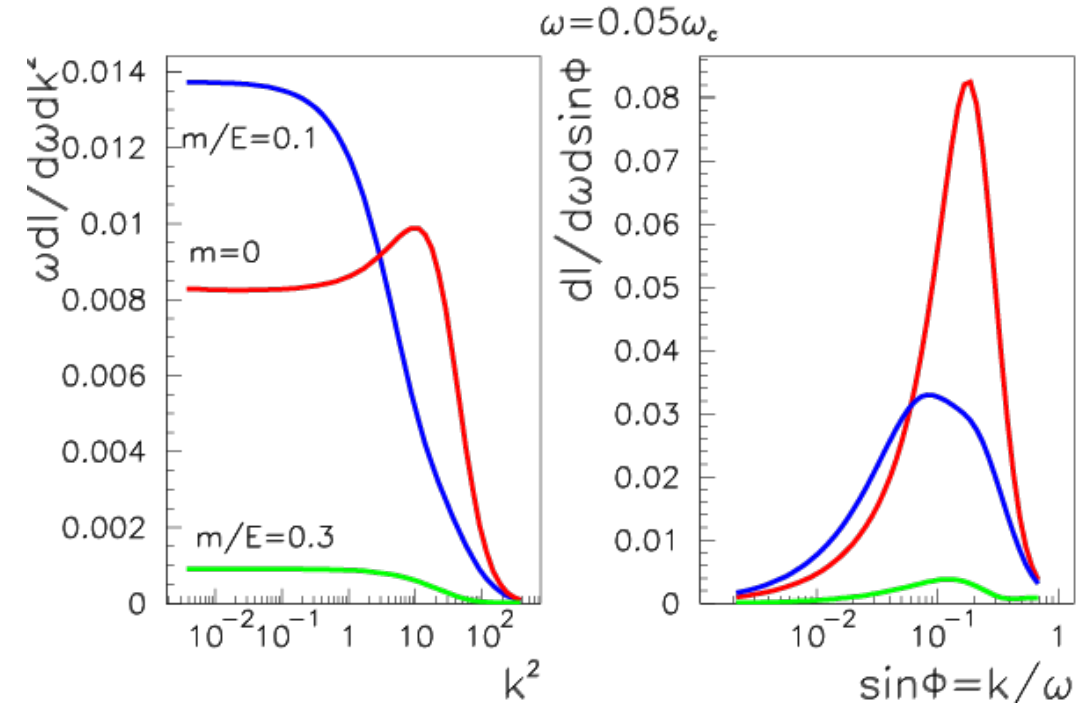
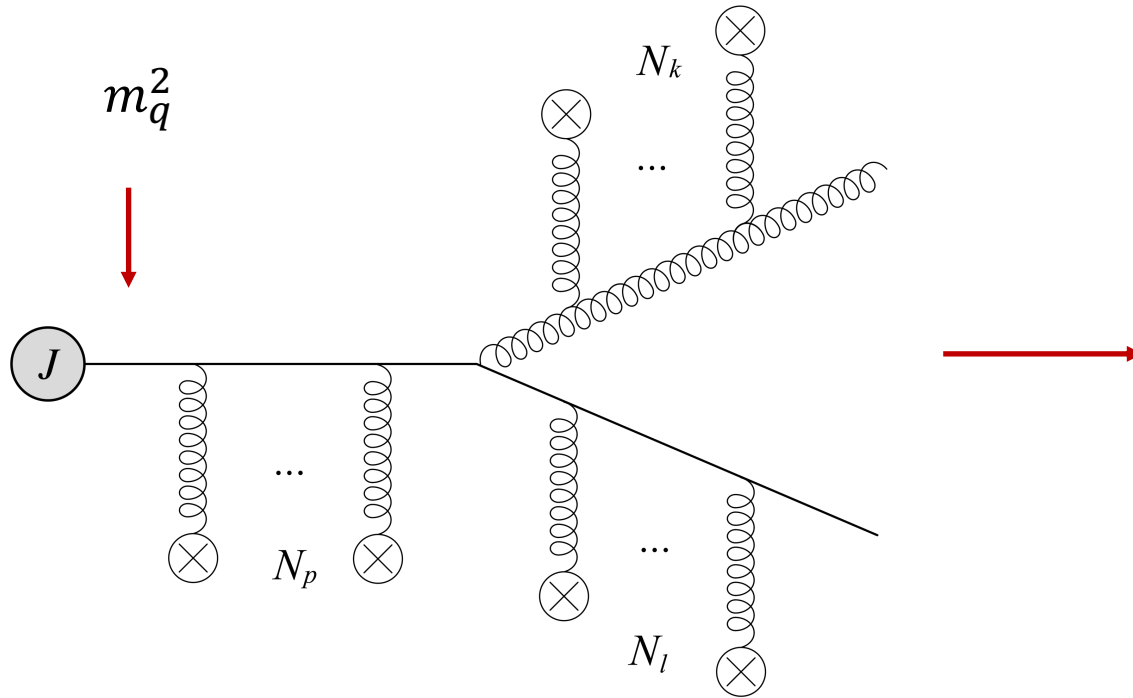


$$\hat{q} = \left(1 - z \nabla_{\perp} \frac{\mathbf{u}_{\perp}}{1 - u_z} \right) \hat{q}_0$$



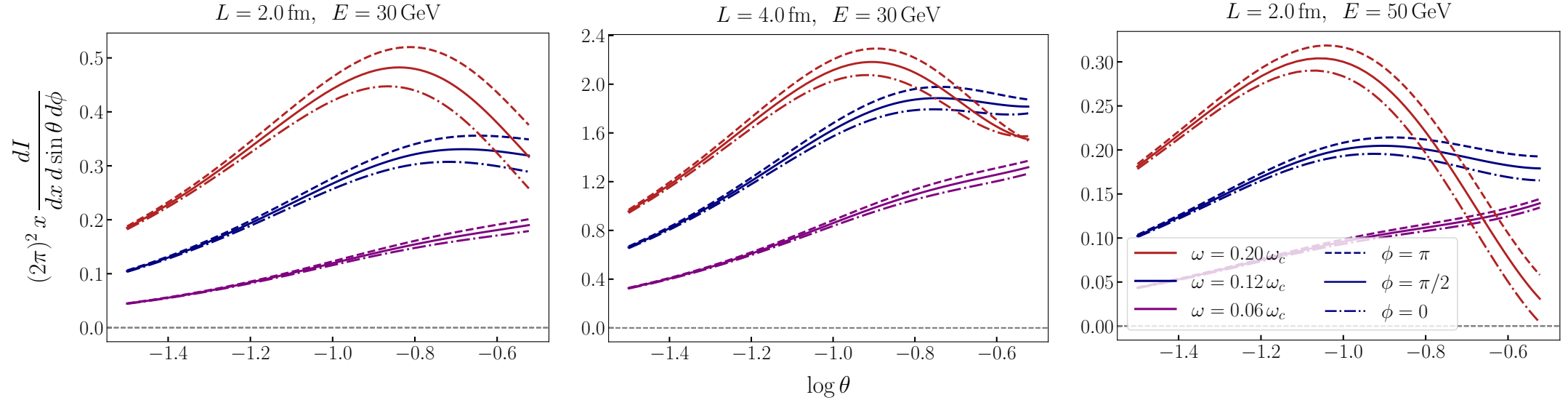
$$E = 100 \text{ GeV} \quad L = 5 \text{ fm} \quad |\nabla T|/T^2 = 0.1 \quad \chi = 3 \quad x = 0.1$$

Directional dead-cone effect



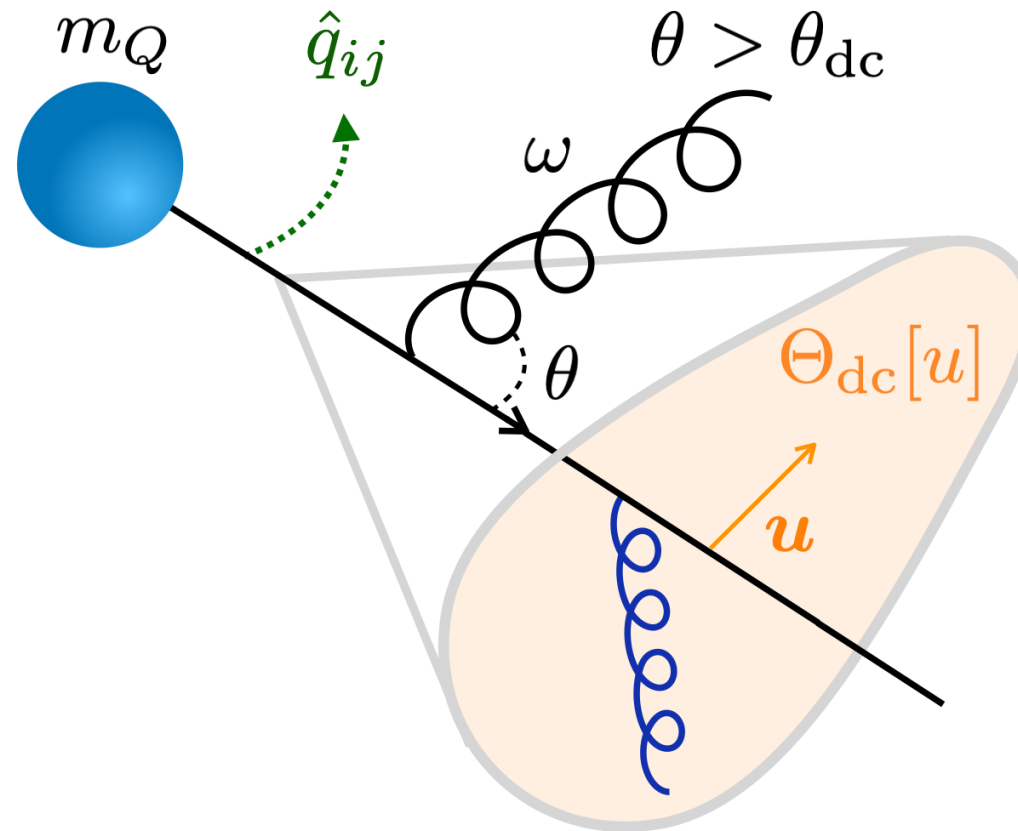
$$(2\pi)^2 \omega \frac{dI}{d\omega d^2\mathbf{k}} \sim \text{Re} \int_0^\infty d\bar{x}_s^+ \int_0^{\bar{x}_s^+} dx_s^+ \int_{\mathbf{y}} e^{-i\frac{m_q^2 x^2}{2\omega}(\bar{x}_s^+ - x_s^+)} S_2(\mathbf{k}, \mathbf{k}, x_f^+; \mathbf{y}, \mathbf{r}, \bar{x}_s^+) \nabla_{\mathbf{y}} \cdot \nabla_{\mathbf{x}} \mathcal{K}(\mathbf{y}, \bar{x}_s^+; \mathbf{x}, x_s^+) \Big|_{\mathbf{r}=\mathbf{x}=0}$$

Directional dead-cone effect



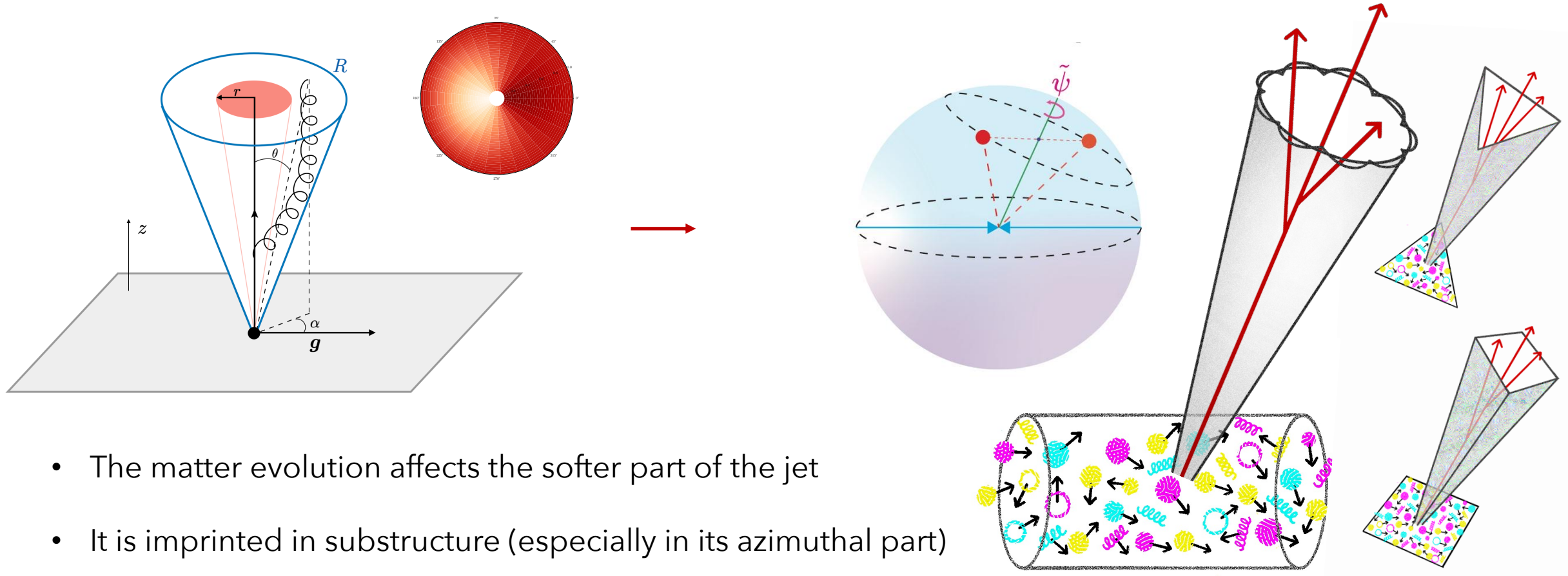
$$\begin{aligned}
 (2\pi)^2 \omega \frac{dI}{d\omega d^2\mathbf{k}} &= \lim_{x_f^+ \rightarrow \infty} \frac{\alpha_s}{N_c \omega^2} \text{Re} \int_0^\infty d\bar{x}_s^+ \int_0^{\bar{x}_s^+} dx_s^+ \int_{\mathbf{y}} e^{-i \frac{m_q^2 x^2}{2\omega}} \left(1 - \frac{\mathbf{k} \cdot \mathbf{u}}{u - \omega} - \frac{m_q^2}{E^2} \frac{\mathbf{u}^2}{4u - 2} \right) (\bar{x}_s^+ - x_s^+) \\
 &\times e^{-i \frac{m_q^2}{E^2} \omega \frac{\mathbf{y} \cdot \mathbf{u}}{2u^-}} S_2(\mathbf{k}, \mathbf{k}, x_f^+; \mathbf{y}, \mathbf{r}, \bar{x}_s^+) \nabla_{\mathbf{y}} \cdot \nabla_{\mathbf{x}} \mathcal{K}(\mathbf{y}, \bar{x}_s^+; \mathbf{x}, x_s^+) \Big|_{\mathbf{r}=\mathbf{x}=0}
 \end{aligned}$$

Directional dead-cone effect



$$\Theta_{dc}^2(\mathbf{k} \cdot \mathbf{u}) = \theta_{dc}^2 \left(1 - \frac{\mathbf{k} \cdot \mathbf{u}}{u - \omega} \right)$$

Differential observables



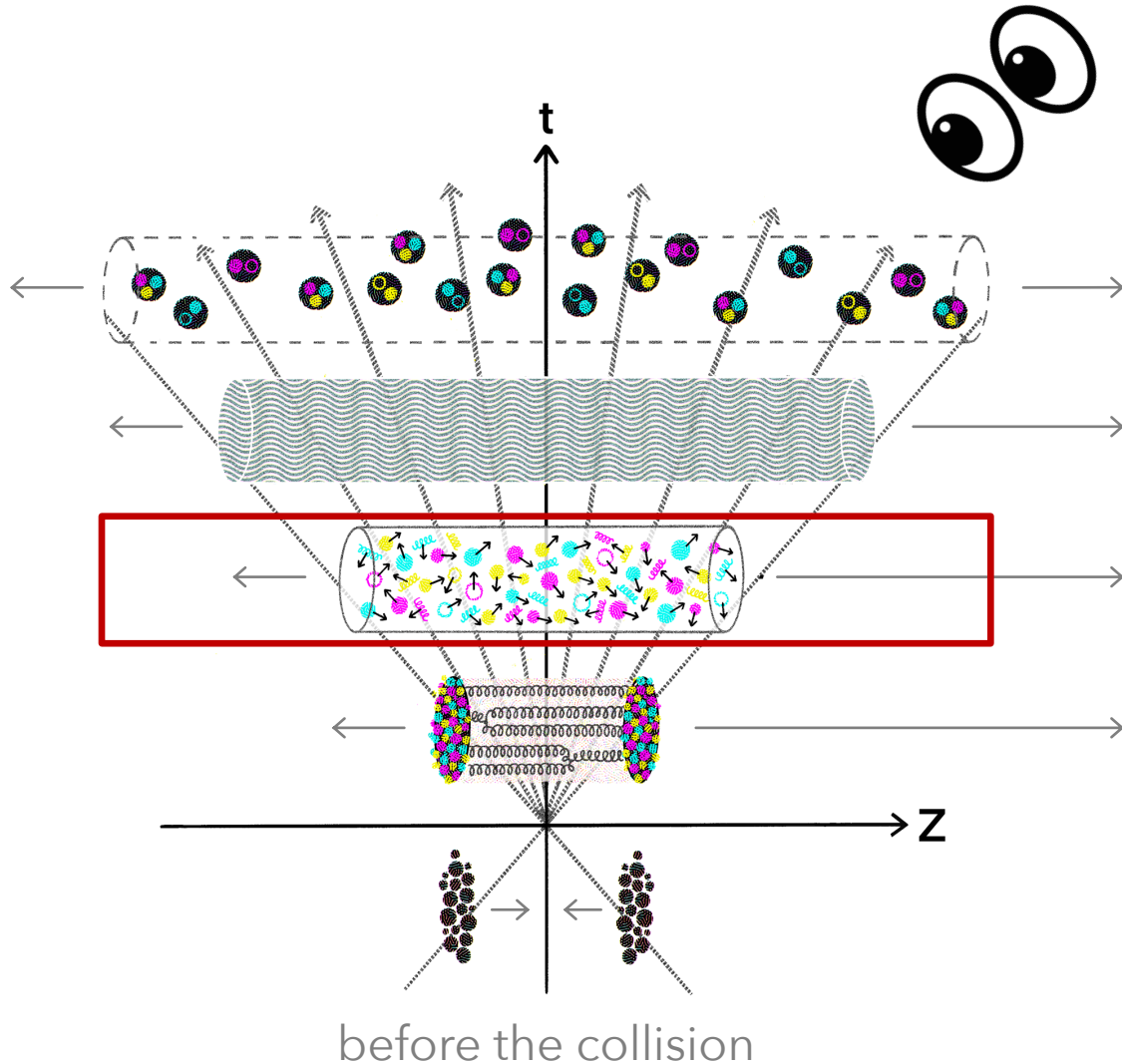
- The matter evolution affects the softer part of the jet
- It is imprinted in substructure (especially in its azimuthal part)
- Only very early estimates are out there -- more progress is needed

Jet quenching during initial stages

- \hat{q} is extremely hard to access experimentally, but it provides an important measure for phenomenological estimates
- Large scale simulations, see e.g. JETSCAPE (PRC, 2021), suggest that a typical value for the QGP at $T \sim 200 \text{ MeV}$ is $\hat{q} \sim 0.12 \text{ GeV}^2/\text{fm}$
- Historically, the glasma phase was assumed less relevant, but a series of recent works indicate that $\hat{q} \geq 5 \text{ GeV}^2/\text{fm}$ during the first $0.3 \text{ fm}/c$
- The simulations of the non-equilibrium dynamics within kinetic theory show continuity of \hat{q} consistent with these glasma phase values
- Similarly strong effects are also observed for heavy quarks

see e.g. P. Aurenche, B. G. Zakharov, PLB, 2012
A. Ipp, D. I. Müller, D. Schuh, PRD, 2020
A. Ipp, D. I. Müller, D. Schuh, PLB, 2020
M. Carrington, A. Czajka, S. Mrowczynski, PLB, 2022
M. Carrington, A. Czajka, S. Mrowczynski, PRC, 2022
D. Avramescu et al., PRD, 2023
J. Barata, S. Hauksson, X. Mayo López, AS, PRD, 2024
S. Hauksson, S. Jeon, C. Gale, PRC, 2022
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K. Boguslavski et al., PLB, 2024
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C. Gale et al., SQM2024
X. Du, PRC, 2024
D. Avramescu et al., PRD, 2025
D. Avramescu et al., PRL, 2025

Jet quenching during initial stages



Phases of QCD matter in HIC:

hadron gas

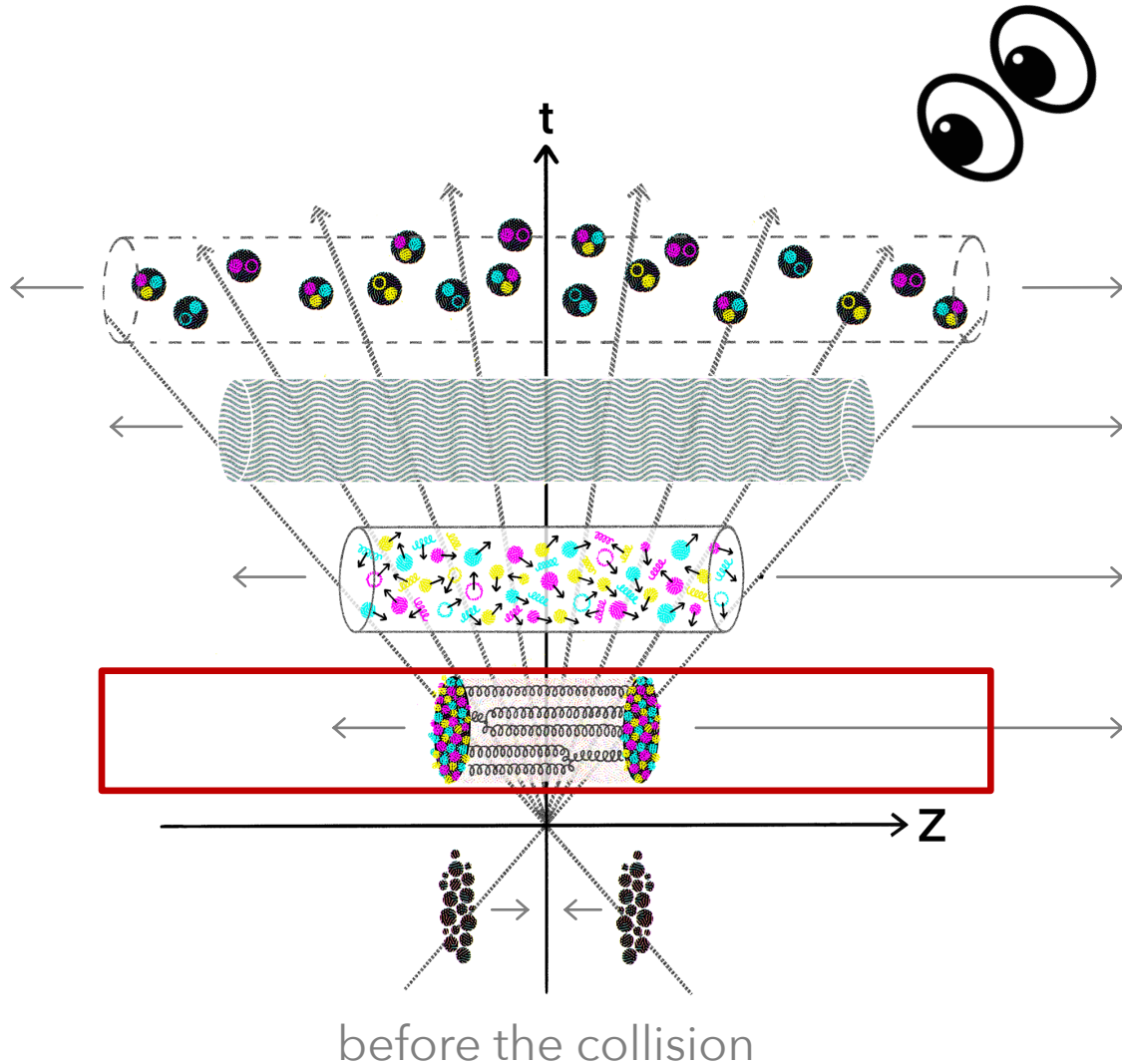
hydrodynamic Quark-Gluon Plasma (QGP)

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Jet quenching during initial stages



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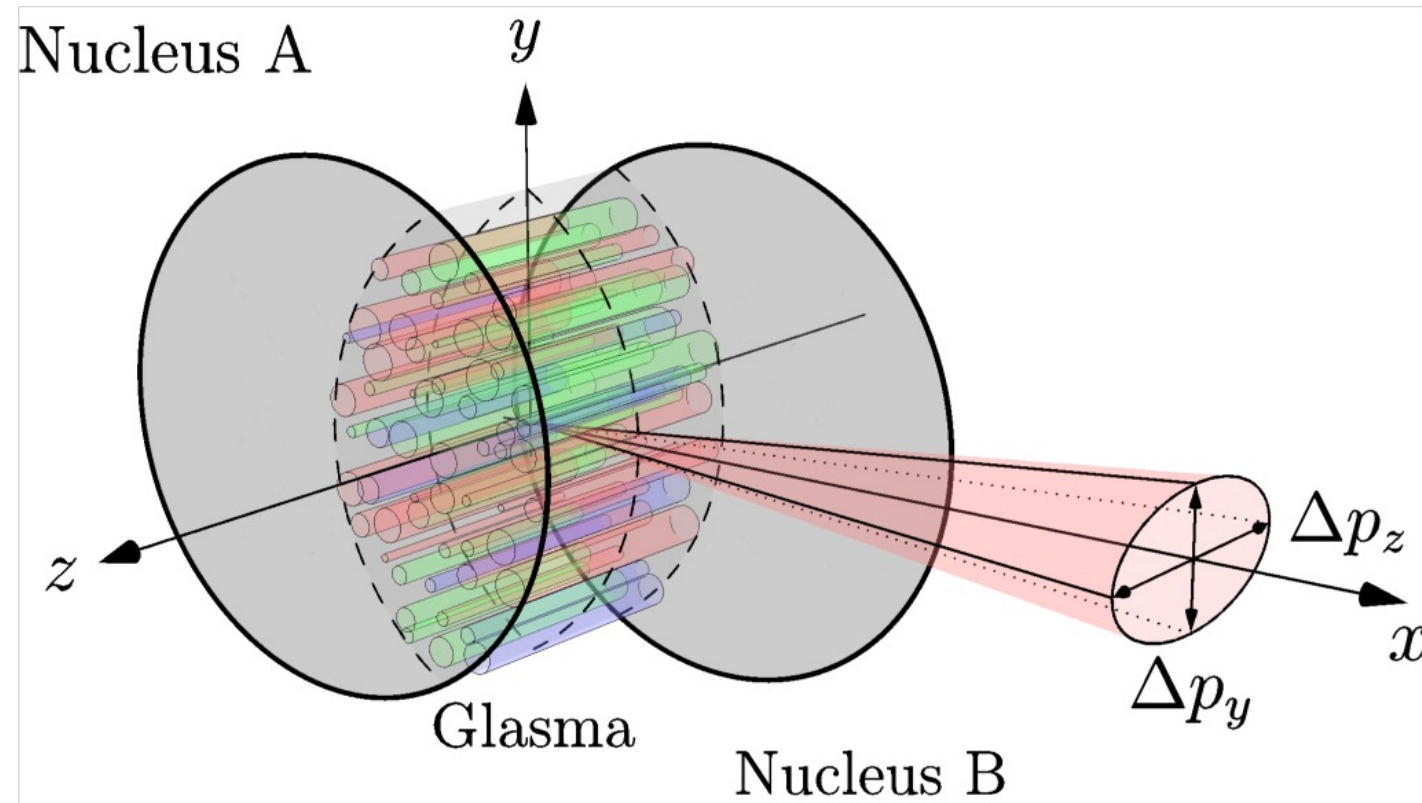
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glasma (strong color fields)

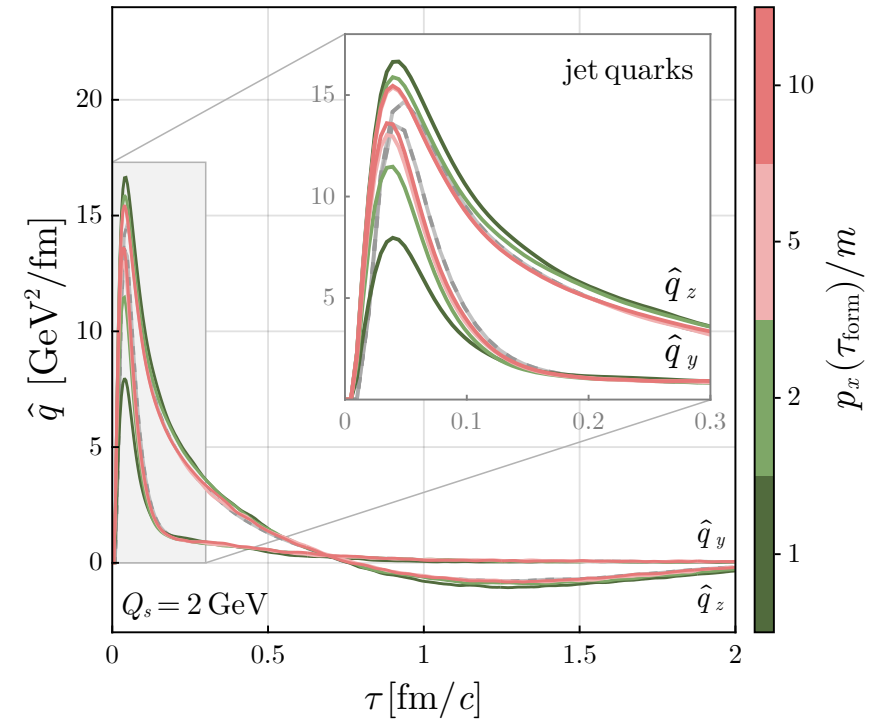
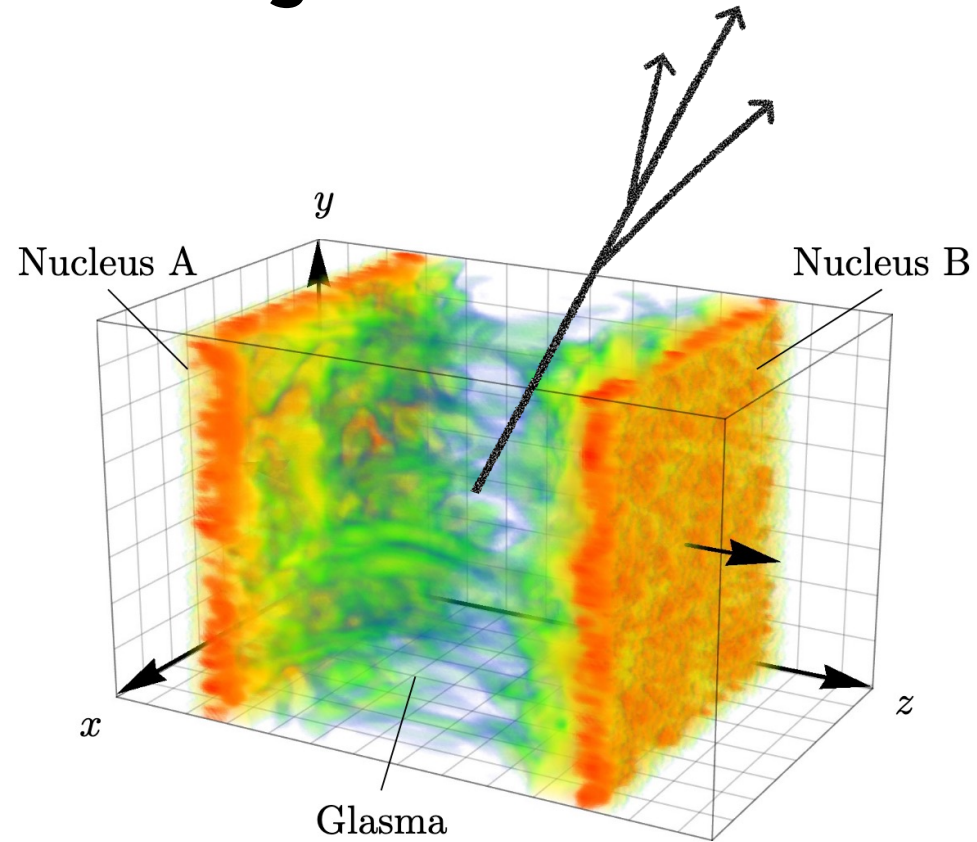
Matter produced in HIC undergoes multiphase evolution

Jets in the glasma

A. Ipp, D. I. Müller, D. Schuh, PRD, 2020
A. Ipp, D. I. Müller, D. Schuh, PLB, 2020
M. Carrington, A. Czajka, S. Mrowczynski, PLB, 2022
M. Carrington, A. Czajka, S. Mrowczynski, PRC, 2022
D. Avramescu et al., PRD, 2023

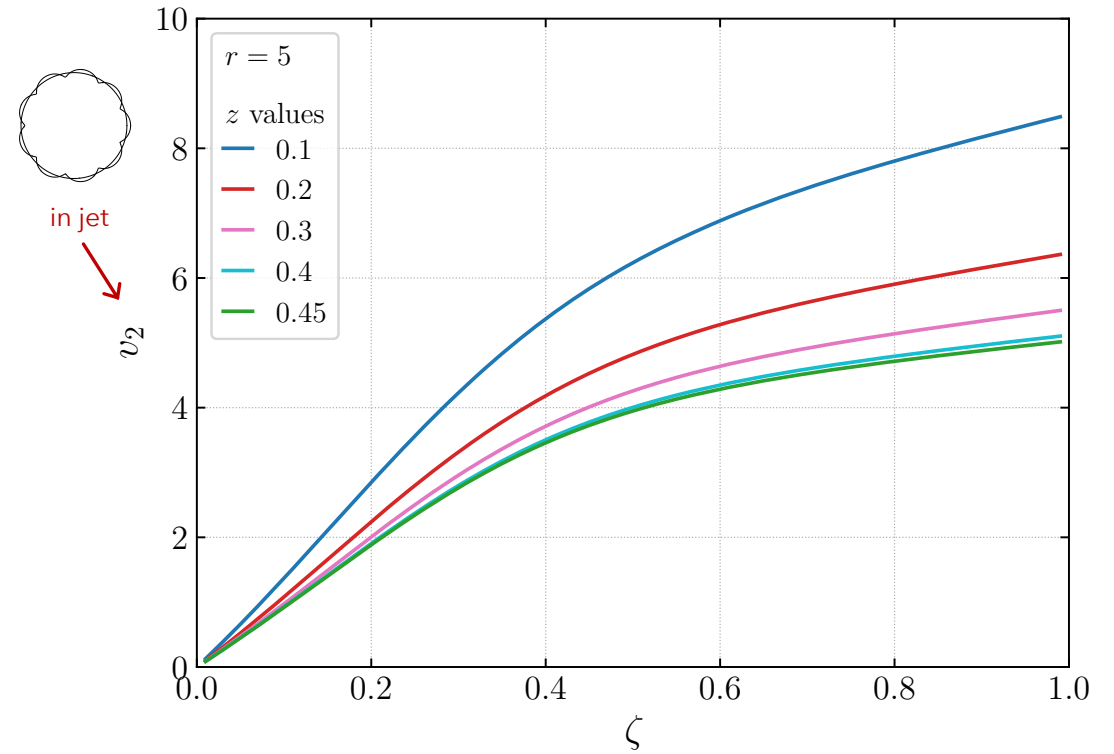
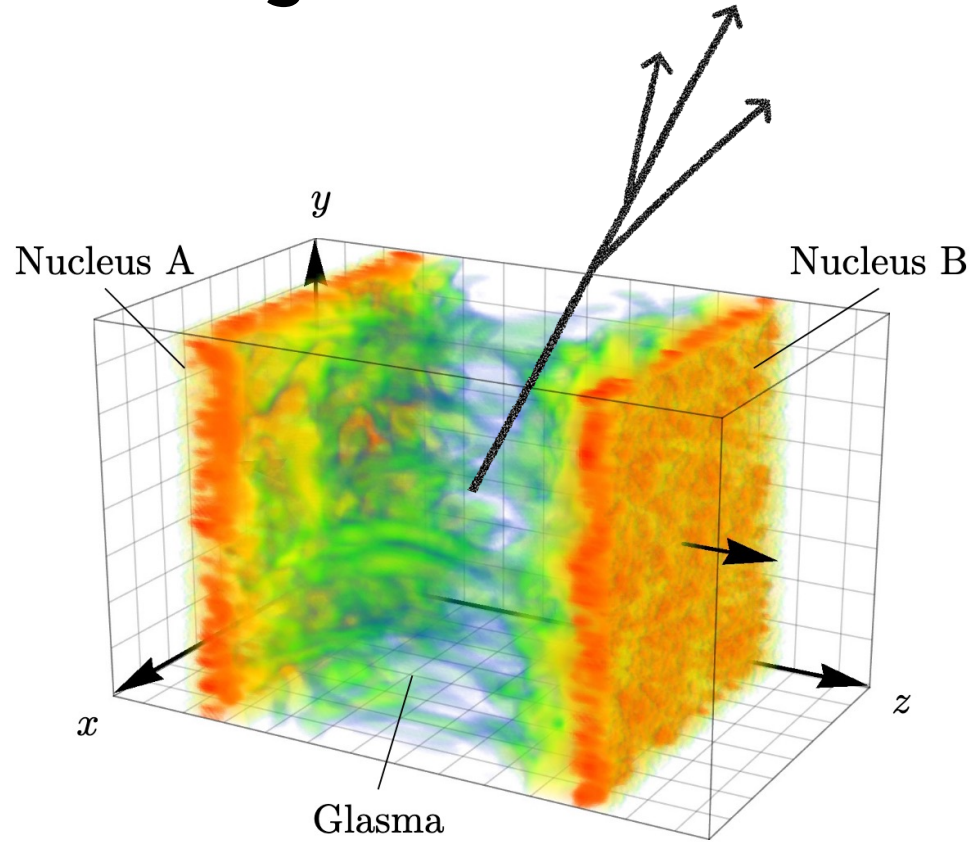


Jets in the glasma



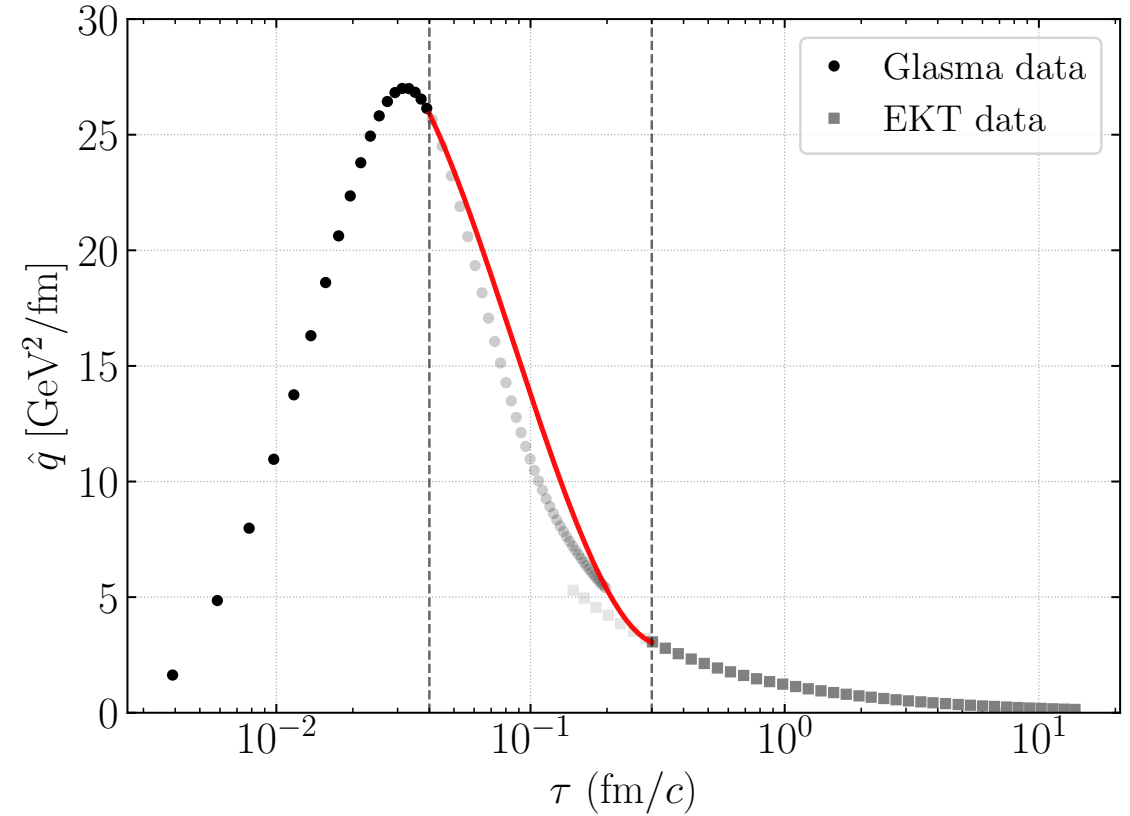
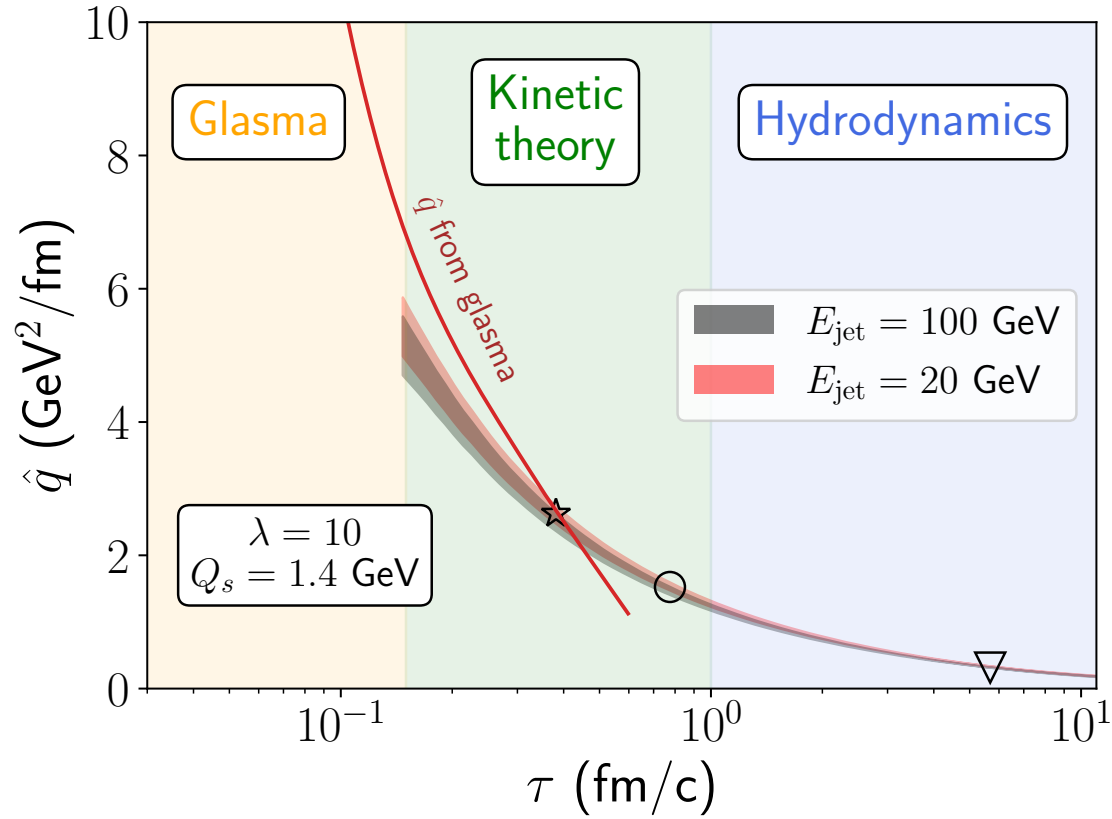
Does that \hat{q} lead to a substantial energy loss and anisotropy?

Jets in the glasma



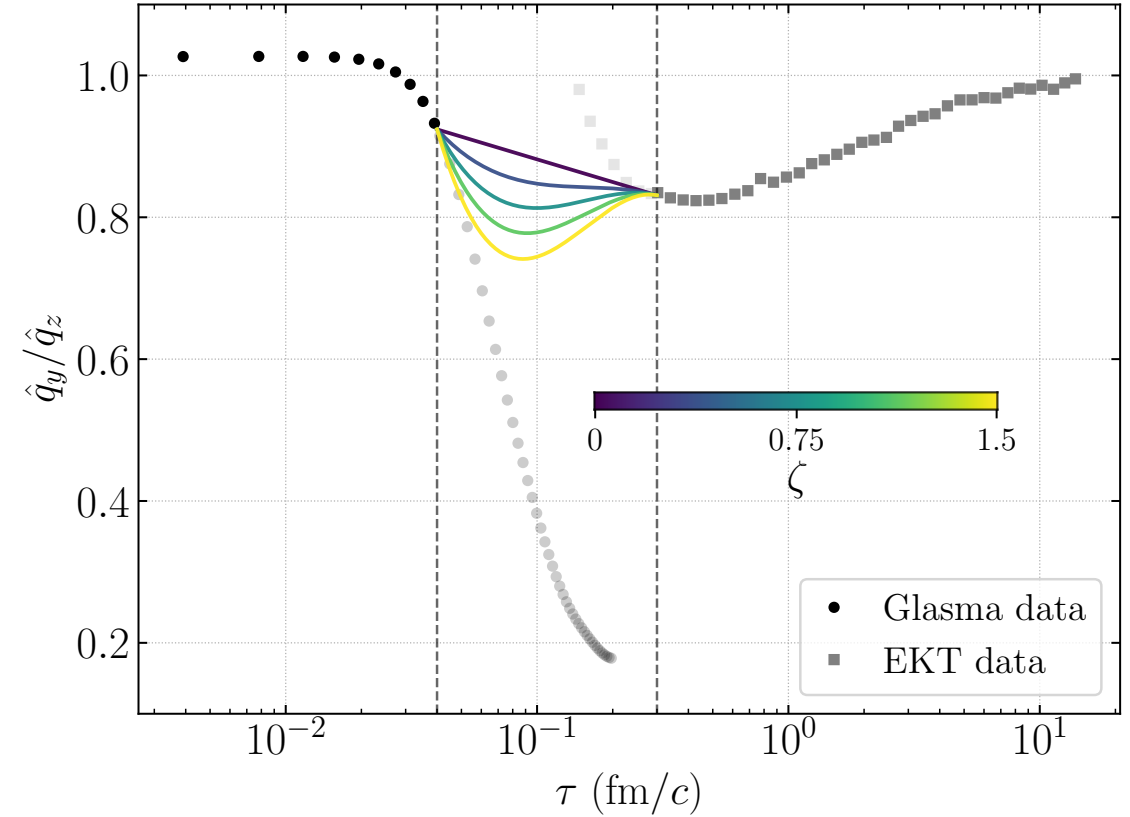
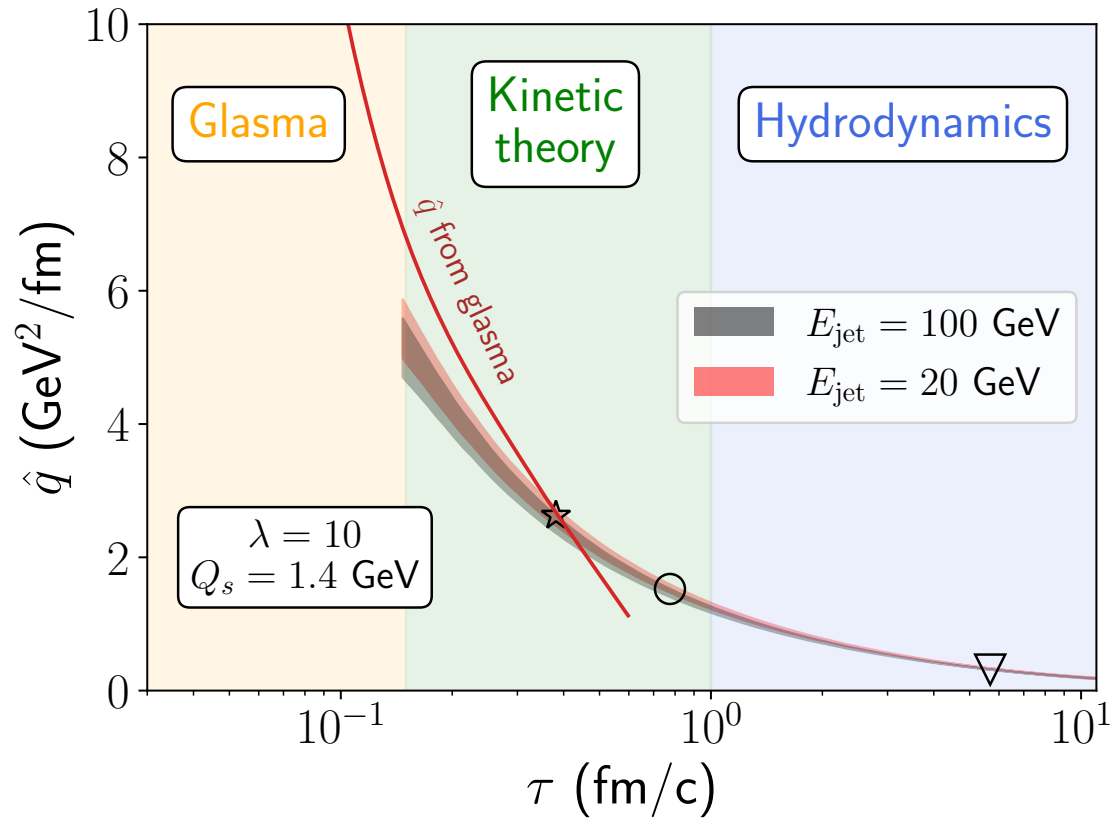
Does that \hat{q} lead to a substantial energy loss and anisotropy?

Jet quenching during initial stages



Do the glasma and pre-equilibrium broadening patterns fit together?

Jet quenching during initial stages



Do the glasma and pre-equilibrium broadening patterns fit together?

Energy correlators

Energy Correlations in Electron-Positron Annihilation: Testing Quantum Chromodynamics

C. Louis Basham, Lowell S. Brown, Stephen D. Ellis, and Sherwin T. Love

Department of Physics, University of Washington, Seattle, Washington 98195

(Received 21 August 1978)

An experimental measure is presented for a precise test of quantum chromodynamics. This measure involves the asymmetry in the energy-weighted opening angles of the jets of hadrons produced in the process $e^+e^- \rightarrow \text{hadrons}$ at energy W . It is special for several reasons: It is reliably calculable in asymptotically free perturbation theory; it has rapidly vanishing (order $1/W^2$) corrections due to nonperturbative confinement effects; and it is straightforward to determine experimentally.

$$\frac{d\Sigma}{d\Omega} = \sum_{N=2}^{\infty} \int \sum_{a=1}^N E_a^{-1} d^3p_a \frac{d^N\sigma}{E_1^{-1}d^3p_1 \cdots E_N^{-1}d^3p_N} S_N \left[\sum_{b=1}^N \frac{E_b}{W} \delta(\Omega_b - \Omega) \right].$$

$$\frac{d^2\Sigma}{d\Omega d\Omega'} = \sum_{N=2}^{\infty} \int \prod_{a=1}^N E_a^{-1} d^3p_a \frac{d^N\sigma}{E_1^{-1}d^3p_1 \cdots E_N^{-1}d^3p_N} S_N \left[\sum_{b,c=1}^N \frac{E_b E_c}{W^2} \delta(\Omega_b - \Omega) \delta(\Omega_c - \Omega') \right].$$

Energy correlators

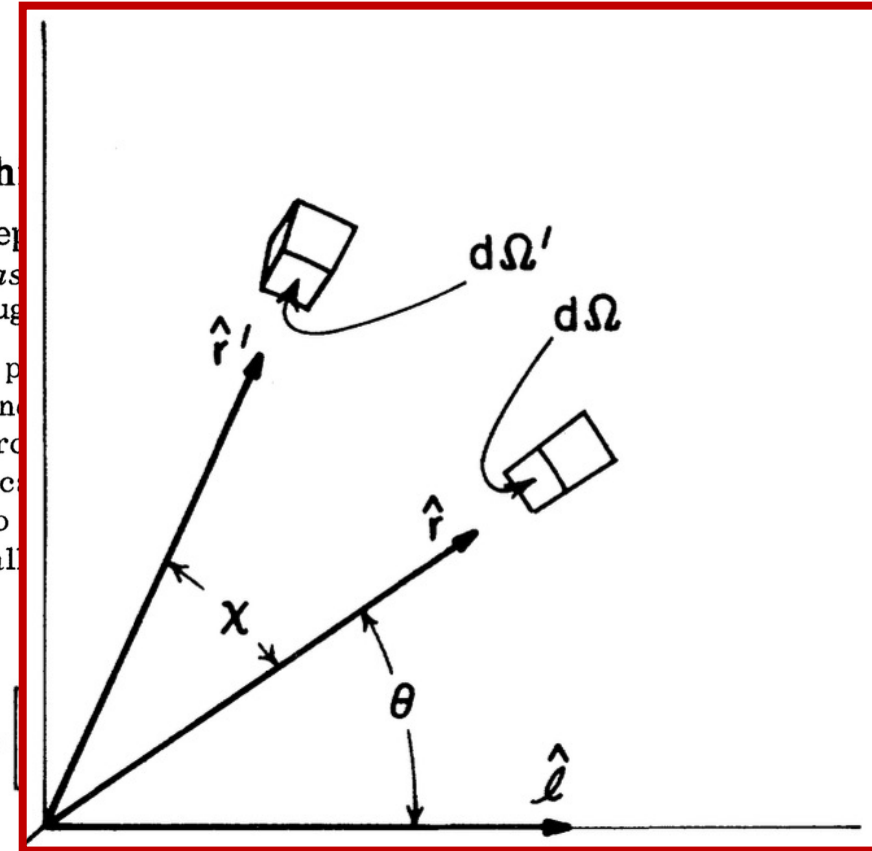
Energy Correlations in Electron-Positron Annihilation

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An experimental measure is presented for a p...
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 of hadrons produced in the process $e^+e^- \rightarrow \text{hadrons}$
 reasons: It is reliably calculable in asymptotic...
 pidly vanishing (order $1/W^2$) corrections due to...
 it is straightforward to determine experimental

$$\frac{d\Sigma}{d\Omega} = \sum_{N=2}^{\infty} \int \sum_{a=1}^N E_a^{-1} d^3p_a \frac{d^N\sigma}{E_1^{-1} d^3p_1 \cdots E_N^{-1} d^3p_N} S_N$$

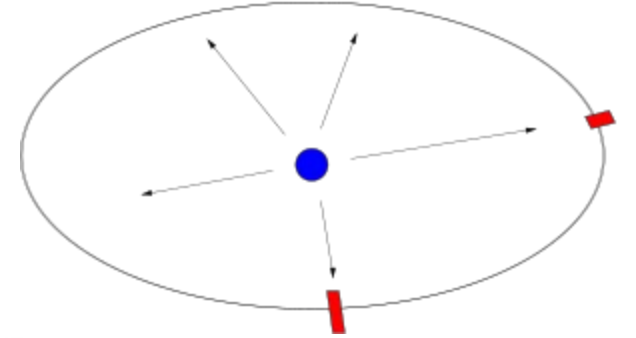
$$\frac{d^2\Sigma}{d\Omega d\Omega'} = \sum_{N=2}^{\infty} \int \prod_{a=1}^N E_a^{-1} d^3p_a \frac{d^N\sigma}{E_1^{-1} d^3p_1 \cdots E_N^{-1} d^3p_N} S_N \left[\sum_{b,c=1}^N \frac{E_b E_c}{W^2} \delta(\Omega_b - \Omega) \delta(\Omega_c - \Omega') \right].$$



Energy correlators

Basham et al, 70s; Sveshnikov&Tkachov, 90s;

$$\frac{d\Sigma}{d\Omega} = \sum_{N=2}^{\infty} \int \sum_{a=1}^N E_a^{-1} d^3p_a \frac{d^N\sigma}{E_1^{-1} d^3p_1 \cdots E_N^{-1} d^3p_N} S_N \left[\sum_{b=1}^N \frac{E_b}{W} \delta(\Omega_b - \Omega) \right].$$



Sterman, 70s

$$\frac{d\Sigma}{d^2n} = \frac{1}{p_t} \langle \Psi | \mathcal{E}(n) | \Psi \rangle, \quad \leftarrow \mathcal{E}(n) = \lim_{R \rightarrow \infty} R^2 \int_0^\infty dt n_i T^{0i}(t, R \mathbf{n})$$

Maldacena&Hofman, 2008

$$\langle \Psi | \mathcal{E}(n_1) \mathcal{E}(n_2) \dots | \Psi \rangle \sim \sum_n |\theta_{12}|^{\tau_n - 4} \langle \Psi | \mathcal{U}_{2,n}(n_1) \dots | \Psi \rangle$$

Energy correlators

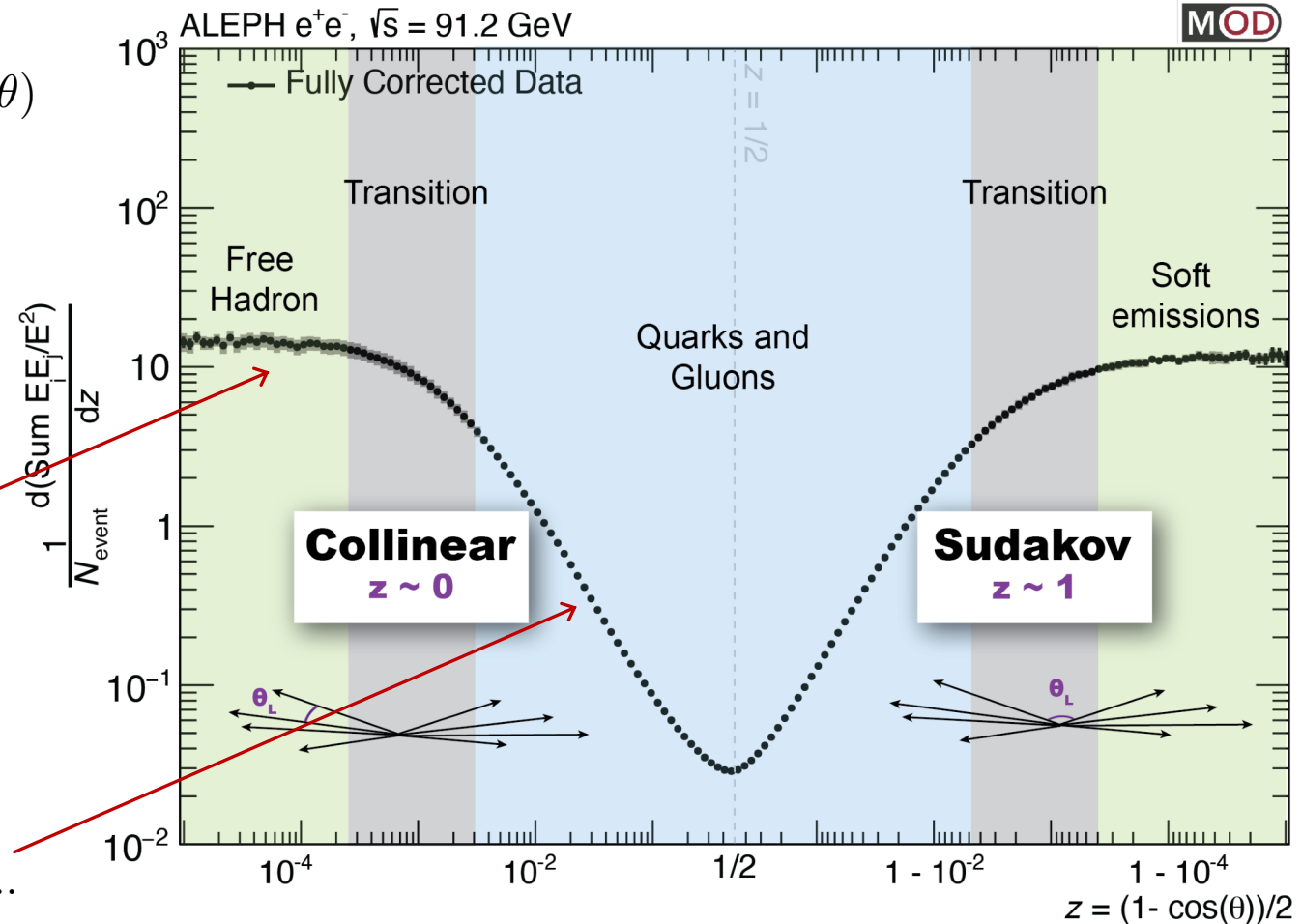
$$\frac{d\Sigma}{d \cos \theta} = \frac{1}{p_t^2} \int_{n_1, n_2} \langle \mathcal{E}(n_1) \mathcal{E}(n_2) \rangle \delta(n_1 \cdot n_2 - \cos \theta)$$



$$\frac{d\Sigma}{d \cos \theta} = \sum_{i \neq j} \frac{E_i E_j}{p_t^2} \delta(\mathbf{n}_1 \cdot \mathbf{n}_2 - \cos \theta)$$

$$\frac{d\Sigma}{d\theta} \sim \theta + \dots$$

$$\frac{d\Sigma}{d\theta} = \frac{1}{\theta^{1-\gamma(3)}} + \dots$$

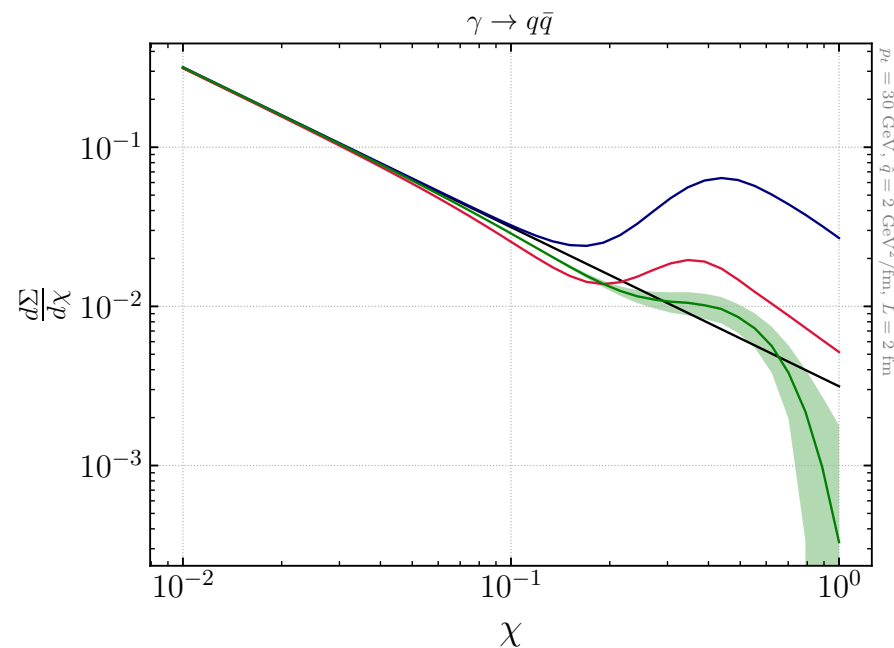
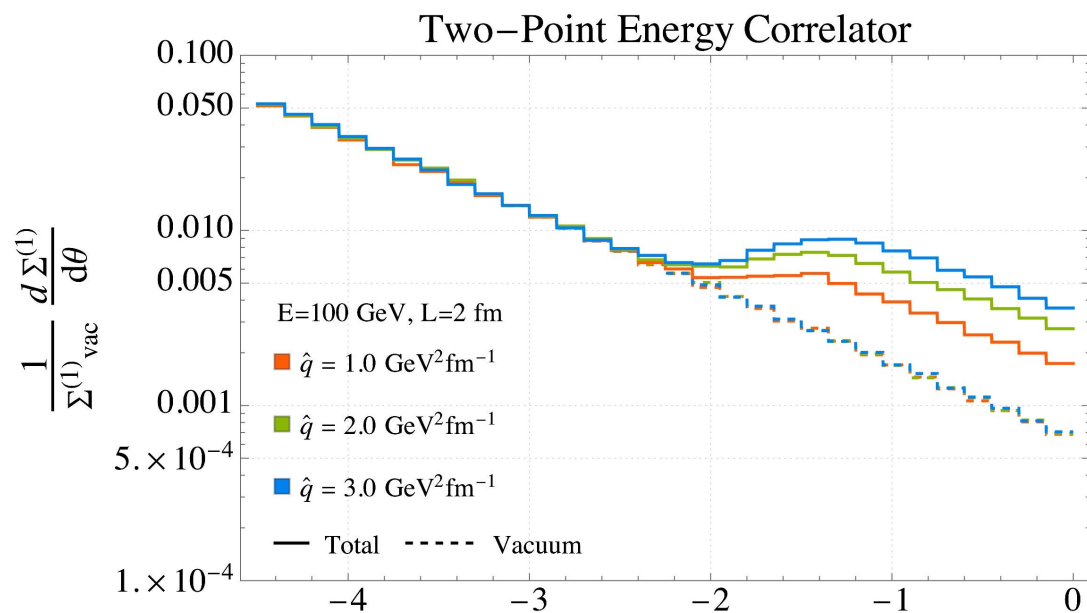


2025 HB - Finalization of Result

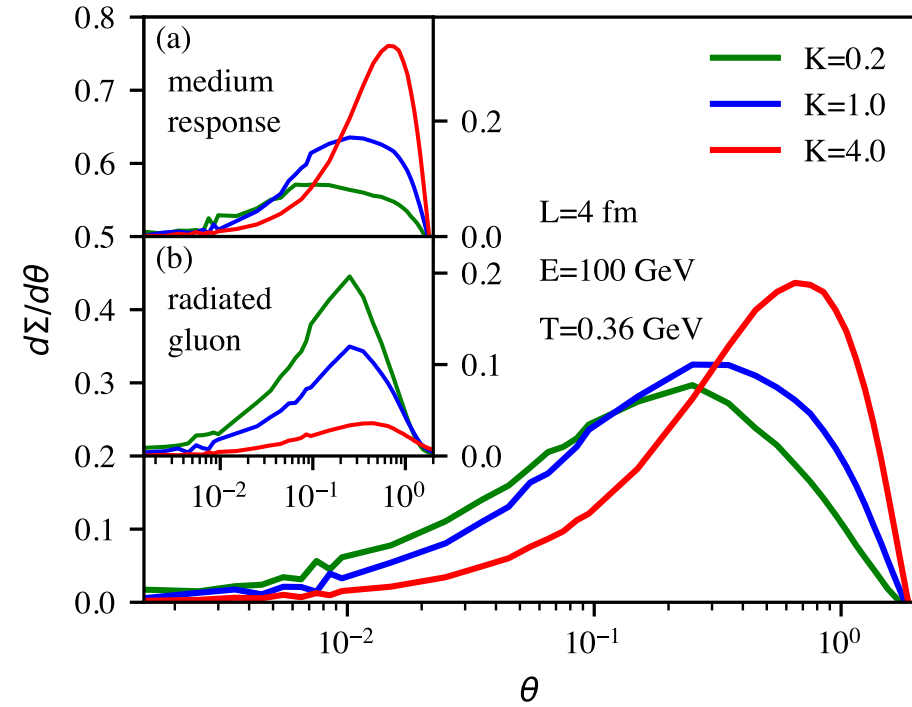
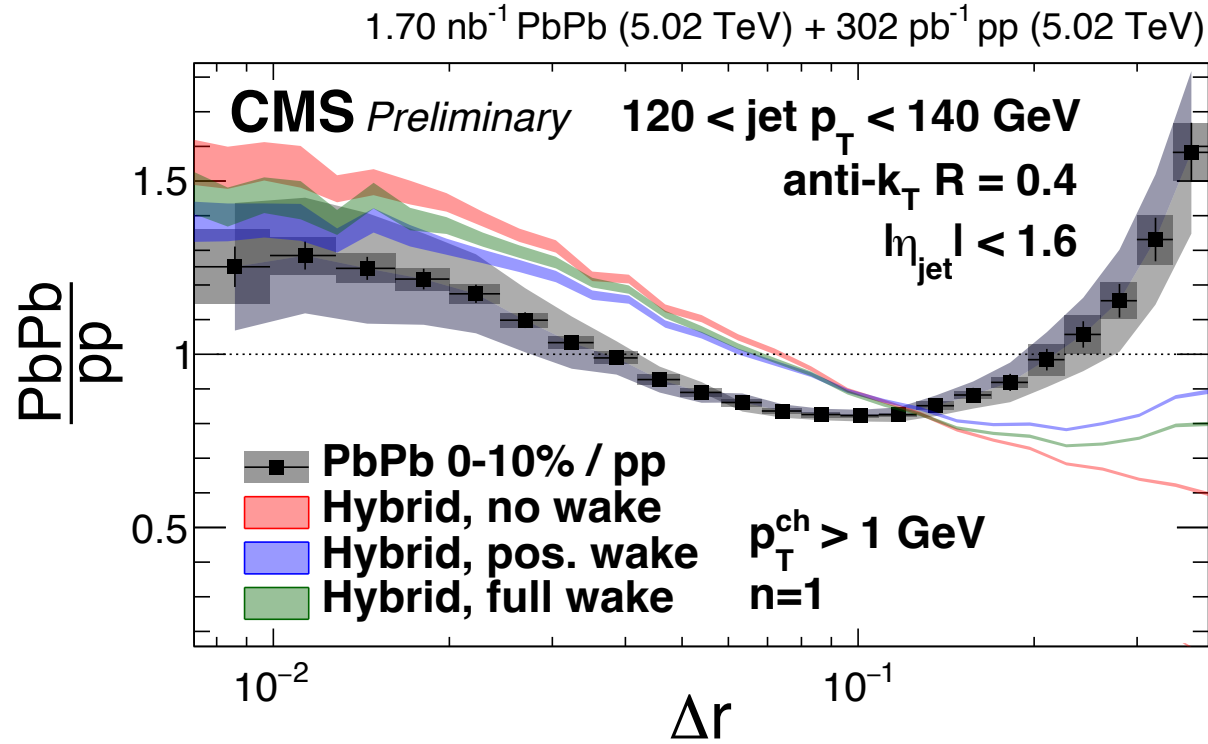
Energy correlators

$$\langle \text{HIC} | \mathcal{E}(n_1) \mathcal{E}(n_2) | \text{HIC} \rangle$$

$$\frac{d\Sigma}{d \cos \theta} = \frac{1}{p_t^2} \int_{n_1, n_2} \langle \mathcal{E}(n_1) \mathcal{E}(n_2) \rangle \delta(n_1 \cdot n_2 - \cos \theta)$$



Energy correlators



Energy correlators

- The vac. PENC in the OPE limit:

$$\frac{d\Sigma_{\text{P,vac}}^{(N)}}{dR_L} = \sum_{k=1} a_{\tau,0}^{\text{P}(N)} R_L^{\tau-3} \Big|_{\tau=2k}$$

- The medium-induced part of PENC:
(for a static and homogeneous matter)

$$\frac{d\Sigma_{\text{P, med (no vac)}}^{(N)}}{dR_L} = \sum_{k=2} b_{\tau,0}^{\text{P}(N)} (\omega_c/p_t, \theta_c) R_L^{\tau-3} \Big|_{\tau=2k}$$

- The medium response contribution:
(no azimuthal structure, leading terms)

$$\frac{d\Sigma_{\text{P, response}}^{(N)}}{dR_L} = \sum_{k=2} c_{\tau}^{\text{P}(N)} [\mathcal{E}_c] R_L^{\tau-3} \Big|_{\tau=2k}$$

Jet quenching during initial stages

$$\frac{1}{\sin \chi \sin \Psi} \frac{d\Sigma}{d\chi d\Psi} \Big|_{\eta=0} = \int_{n_1, n_2} \frac{\langle \mathcal{E}(n_1) \mathcal{E}(n_2) \rangle}{p_t^2} \delta(n_1 \cdot n_2 - \cos \chi) \delta \left(\frac{n_1 - n_2}{|n_1 - n_2|} \cdot b - \cos \Psi \right),$$

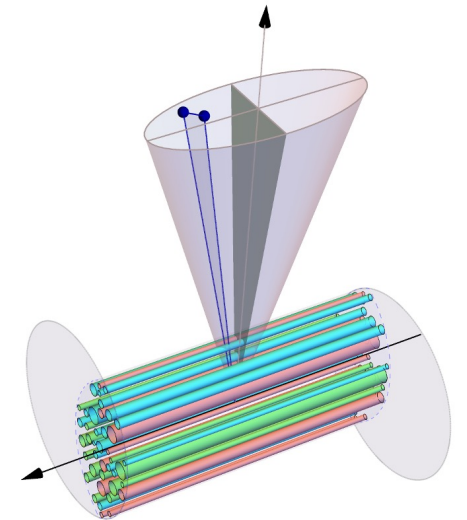
$$\langle \mathcal{E}(n_1) \mathcal{E}(n_2) \rangle = \frac{2p_t^2}{(1 - n_1 \cdot n_2)^3} \sum_{\delta, j} \int_{\gamma} \frac{c_{\delta, j, \gamma}}{2\pi i} w^{\gamma} G_{\delta, j, \gamma}(z, \bar{z})$$

$$\frac{d\Sigma}{d\chi d\Psi} = \sum_{k=1} (c_{\tau, 0} + b_{\tau > 2, 0} + a_{\tau > 2, 0}) \chi^{\tau-3}$$

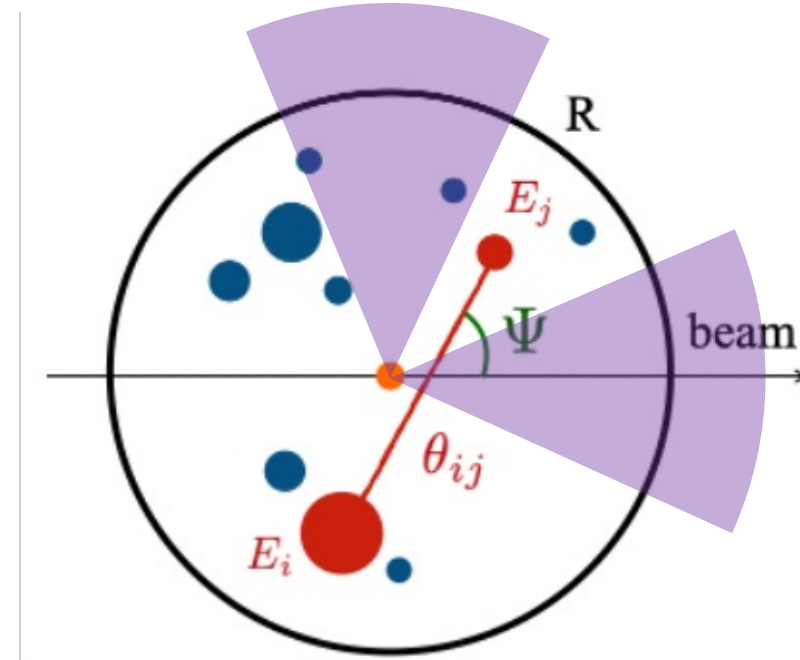
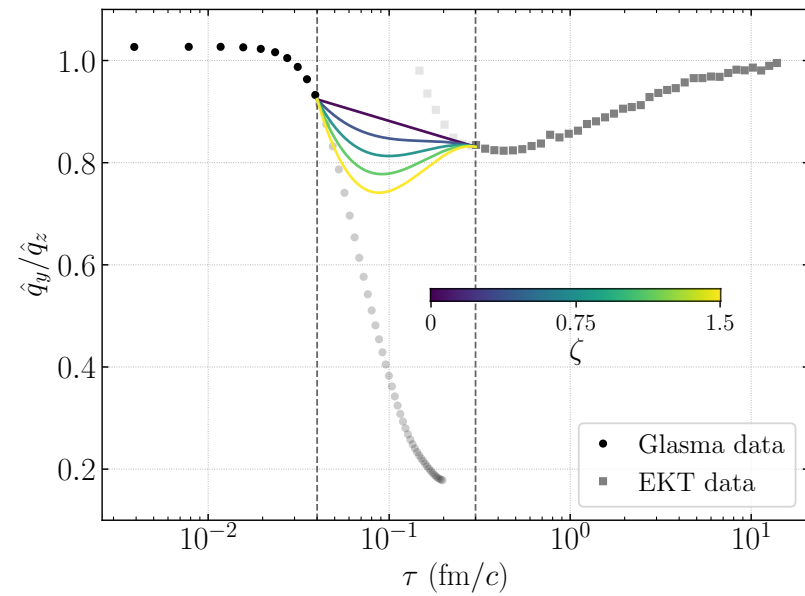
- vacuum
- medium-induced
- response

$$+ \sum_{k=2} (c_{\tau, 2} + b_{\tau > 4, 2} + a_{\tau > 4, 2}) \chi^{\tau-3} \cos(2\Psi)$$

$$+ \sum_{k=3} (c_{\tau, 4} + b_{\tau > 6, 4} + a_{\tau > 6, 4}) \chi^{\tau-3} \cos(4\Psi) + \dots$$

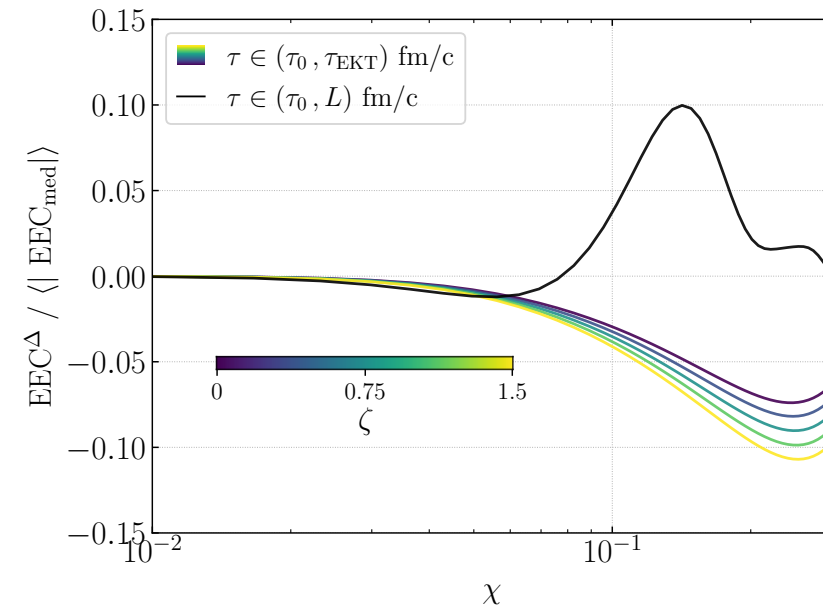
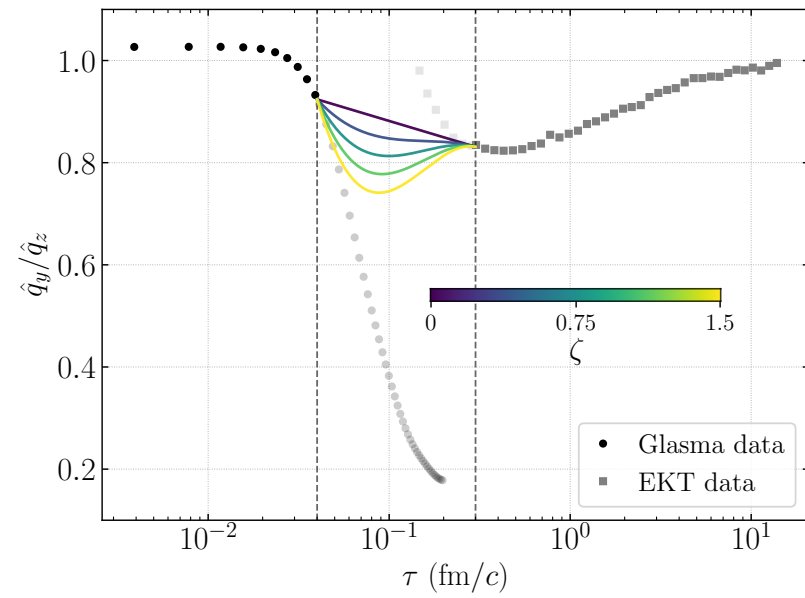


Clover EEC



$$\frac{d\Sigma^\Omega}{d\chi} = \int_\Omega d\Psi \frac{d\Sigma}{d\chi d\Psi}$$

Clover EEC

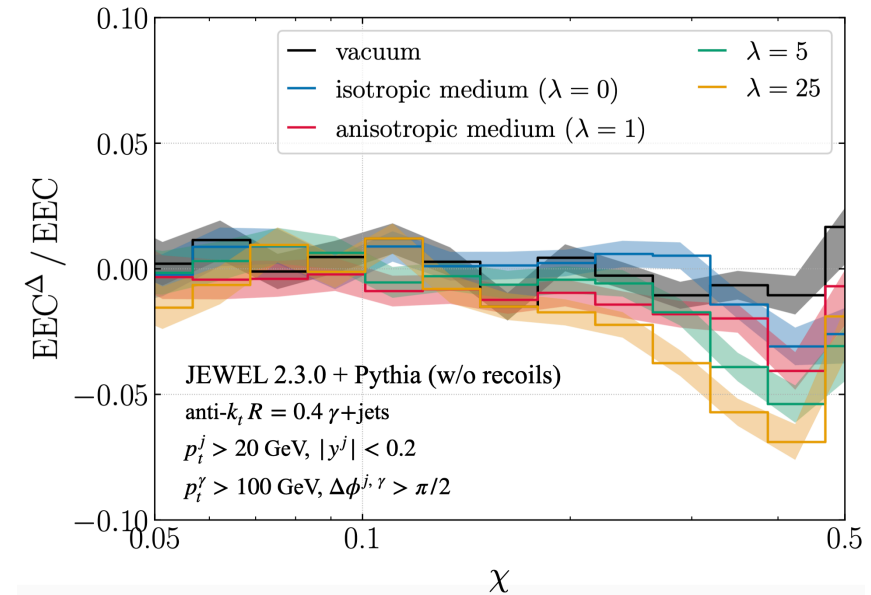


Clover EEC

JEWEL (no recoils)

$$T(\eta_s) = (1 + \lambda \eta_s^2) T_{\text{default}}$$

$$\left. \frac{\partial^2 T}{T^3 \partial z^2} \right|_{z=0} = \frac{1}{3} \frac{1 + 6\lambda}{f^2 T_i^2 (\tau_i t^2)^{2/3}}$$



Summary and outlook

- Many recent advances in describing probe-matter interactions across different phases of the nuclear matter created in HIC
- Improved sensitivity of hard-probe theory to differential structures and details of matter evolution, giving access to the initial stages and opening the way to explore small systems
- These jet modifications can be probed experimentally, moving us closer to true jet tomography, more differential observables would further enhance this (and there are some suggestions out there)
- Theoretical uncertainties remain large - missing theoretical ingredients already available should be incorporated into simulation frameworks
- The picture gets more ~~complicated~~ interesting, but that also calls for stronger cross-talk between theory and experiment