Leptophilic axionlike particles at forward detectors

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中国精确检验与新物理合作组

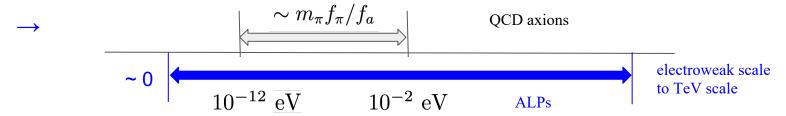
Collaborator: Xu-Hui Jiang (蒋旭辉);

Reference: Phys.Rev.D 111 (2025) 3, 3 (2412.19195 [hep-ph])

TeV物理前沿专题研讨会暨第31届LHC Mini-Workshop

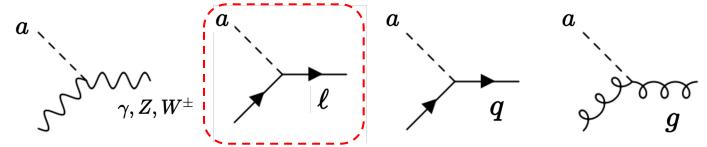
4 W + 1 H questions for axion-like particles (ALPs)

- **1. What** does an ALP come from?
 - → An ALP is a light pseudoscalar with approximate shift symmetry.
- **2.** Why we need ALPs?
 - \rightarrow (1) Strong CP problem, (2) DM candidates, (3) Hierarchy problem of the Higgs boson mass, (4) A hint of some string theories, ... etc.
- **3.** Which is the mass range of ALPs?

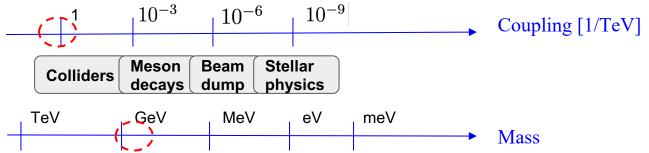


4 W + 1 H questions for axion-like particles (ALPs)

4. Who can interact with ALPs (SM particles only)?



5. **How** to search for ALPs?



The global $U(1)_{PQ}$ \Longrightarrow pseudo Nambu-Goldstone bosons

$$\mathcal{L}_{\ell ext{ALP}} = \partial_{\mu} a \left[J^{\mu}_{ ext{PQ},\ell}
ight]$$
 dimensionless coupling
$$J^{\mu}_{ ext{PQ},\ell} = \frac{\langle c_{\ell}^{V} \rangle}{2 \hat{\Lambda}} \bar{\ell} \gamma^{\mu} \ell + \frac{\langle c_{\ell}^{A} \rangle}{2 \hat{\Lambda}} \bar{\ell} \gamma^{\mu} \gamma_{5} \ell + \frac{\langle c_{\nu} \rangle}{2 \hat{\Lambda}} \bar{\nu}_{\ell} \gamma^{\mu} P_{L} \nu_{\ell}$$
 $U(1)_{ ext{PQ}}$ new physics scale

new physics scale

After integration by parts of $\partial_{\mu}a\ J^{\mu}_{\mathrm{PQ},\ell}$, the $\mathcal{L}_{\ell\mathrm{ALP}}$ can be represented as

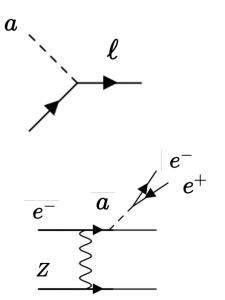
$$a \partial_{\mu} J_{PQ,\ell}^{\mu} = i c_{\ell}^{A} \frac{m_{\ell}}{\Lambda} a \bar{\ell} \gamma_{5} \ell$$

$$+ \frac{\alpha_{em}}{4\pi \Lambda} \left[\frac{c_{\ell}^{V} - c_{\ell}^{A} + c_{\nu}}{4s_{W}^{2}} a W_{\mu\nu}^{+} \tilde{W}^{-,\mu\nu} \right]$$

$$+ \frac{c_{\ell}^{V} - c_{\ell}^{A} (1 - 4s_{W}^{2})}{2s_{W} c_{W}} a F_{\mu\nu} \tilde{Z}^{\mu\nu} - c_{\ell}^{A} a F_{\mu\nu} \tilde{F}^{\mu\nu} +$$

$$\frac{c_{\ell}^{V} (1 - 4s_{W}^{2}) - c_{\ell}^{A} (1 - 4s_{W}^{2} + 8s_{W}^{4}) + c_{\nu}}{8s_{W}^{2} c_{W}^{2}} a Z_{\mu\nu} \tilde{Z}^{\mu\nu}$$

$$+ \frac{ig_{W}}{2\sqrt{2}\Lambda} (c_{\ell}^{A} - c_{\ell}^{V} + c_{\nu}) a (\bar{\ell} \gamma^{\mu} P_{L} \nu) W_{\mu}^{-} + \text{h.c.},$$



After integration by parts of $\partial_{\mu}a\ J^{\mu}_{\mathrm{PQ},\ell}$, the $\mathcal{L}_{\ell\mathrm{ALP}}$ can be represented as

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$$\left[\frac{c_{\ell}^{V} (1 - 4s_{W}^{2}) - c_{\ell}^{A} (1 - 4s_{W}^{2} + 8s_{W}^{4}) + c_{\nu}}{8s_{W}^{2} c_{W}^{2}} \ a Z_{\mu\nu} \tilde{Z}^{\mu\nu} \right]$$

$$+ \frac{ig_{W}}{2\sqrt{2}\Lambda} (c_{\ell}^{A} - c_{\ell}^{V} + c_{\nu}) \ a (\bar{\ell} \gamma^{\mu} P_{L} \nu) W_{\mu}^{-} + \text{h.c.},$$

 λ γ, Z, W^{\pm} $d_i \geq u/c/t \geq d_j$ w a

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$$\frac{P^{+}}{2\sqrt{2}\Lambda} (c_{\ell}^{A} - c_{\ell}^{V} + c_{\nu}) \ a (\bar{\ell} \gamma^{\mu} P_{L} \nu) W_{\mu}^{-} + \text{h.c.},$$

$$(A)$$

$$\frac{P^{+}}{2\sqrt{2}\Lambda} (c_{\ell}^{A} - c_{\ell}^{V} + c_{\nu}) \ a (\bar{\ell} \gamma^{\mu} P_{L} \nu) W_{\mu}^{-} + \text{h.c.},$$

Three benchmark scenarios

$$J^{\mu}_{\mathrm{PQ},\ell} = \frac{c_{\ell}^{V}}{2\Lambda} \overline{\ell} \gamma^{\mu} \ell + \frac{c_{\ell}^{A}}{2\Lambda} \overline{\ell} \gamma^{\mu} \gamma_{5} \ell + \frac{c_{\nu}}{2\Lambda} \overline{\nu_{\ell}} \gamma^{\mu} P_{L} \nu_{\ell}$$

Electroweak Violating (**EWV**): $c_{\ell}^{V} = c_{\nu} = 0, c_{\ell}^{A} \neq 0,$

Electroweak Preserving (**EWP**): $c_{\nu} = 0, c_{\ell}^{V} = c_{\ell}^{A} \neq 0$

EWV: The lepton current is pure axial-vector current $J^{\mu}_{PQ,\ell} = \frac{c_{\ell}^A}{2\Lambda} \overline{\ell} \gamma_{\mu} \gamma_5 \ell$

EWP: The lepton current is pure right-handed coupling current $J^{\mu}_{PQ,\ell} = \frac{c_{\ell}^{A}}{\Lambda} \overline{\ell} \gamma_{\mu} P_{R} \ell$

Left-Right Softly Asymmetric (LRSA) scenario:

$$c_L \approx c_R$$

$$\Delta \equiv \left| \frac{c_L - c_R}{c_L + c_R} \right| = \left| \frac{c_\ell^A}{c_\ell^V} \right|$$

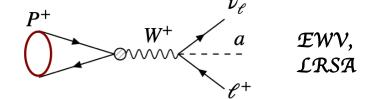
A nearly non-chiral UV completion corresponds to $\Delta \ll 1$.

In this study, we adopt $\Delta = 0.1$ as a benchmark, which corresponds to $c_{\ell}^{A} = -0.1c_{\ell}^{V}$ and $c_{\nu} = 0$.

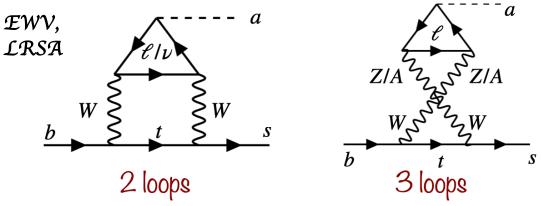
Productions and decays of ALPs

Scenario	Electrophilic	Muonphilic	
4-body	$\mu^{+} \rightarrow e^{+} \nu_{e} \bar{\nu}_{\mu} a$ $a \rightarrow \gamma \gamma, e^{+} e^{-}$	$\mu^+ \to e^+ \nu_e \bar{\nu}_\mu a$ $a \to \gamma \gamma$	$P = \pi, K, D, D$ $\ell = e, \mu,$
3-body	$P^+ ightarrow e^+ u_e a$ $a ightarrow \gamma \gamma, e^+ e^-$	$P^+ ightarrow \mu^+ u_\mu a \ a ightarrow \gamma\gamma, \mu^+\mu^-$	$(M_1, M_2) = (B, K^*), (K^+, \pi^+), (K_{L,S}, \pi^0)$
2-body	$M_1 \rightarrow M_2 a$ $a \rightarrow \gamma \gamma, e^+ e^-$	$M_1 o M_2 a \ a o \gamma \gamma, \mu^+ \mu^-$	$(\kappa_{L,S}, \pi^*)$

• 3-body decays: $P^+ \to \ell^+ \nu_\ell a$ $P \in \{\pi, K, D, D_s\}$



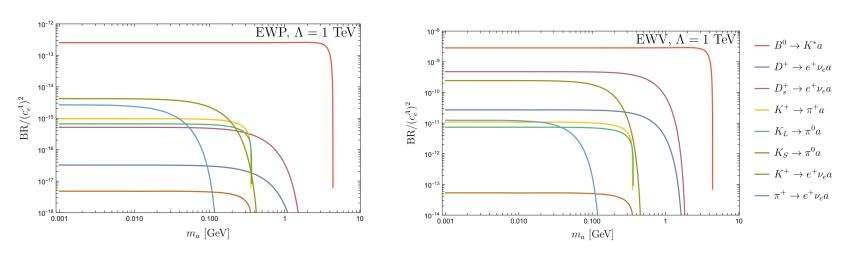
• 2-body decays: $M_1 \rightarrow M_2 a$



Leading contributions from loops

For LRSA scenario, enhancement of production due to $c_{\ell}^{V} \neq 0$, but no influence on ALP decays.

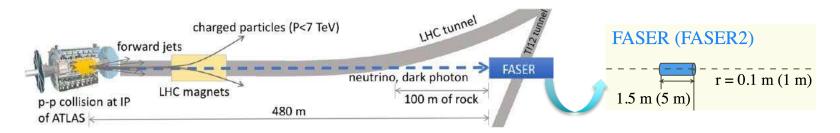
2-body and 3-body exotic meson decays

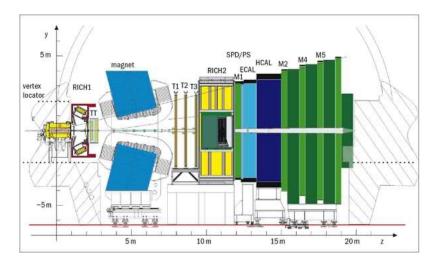


For 2-body exotic meson decays, the branching ratios between EWP and EWV scenarios are **about 4 orders of magnitude**.

For 3-body exotic meson decays, the branching ratios between EWP and EWV scenarios can be **up to 6 orders of magnitude!**

Forward detectors (FASER, FASER II, LHCb)





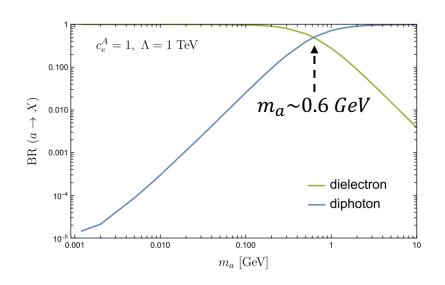
LHCb:

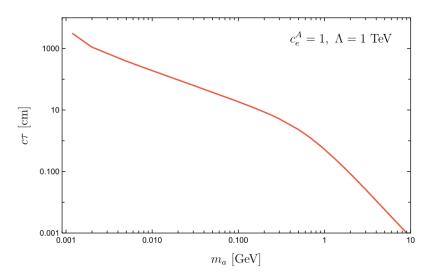
A forward spectrometer and plannar detectors, 21 m long, 13 m wide, and 10 m high.

Advantages for detecting LLPs: Precise vertex reconstruction capabilities and flexible trigger system.

The B meson is required to reside in the forward region, satisfying $\eta \in [2, 5]$.

Electrophilic ALPs

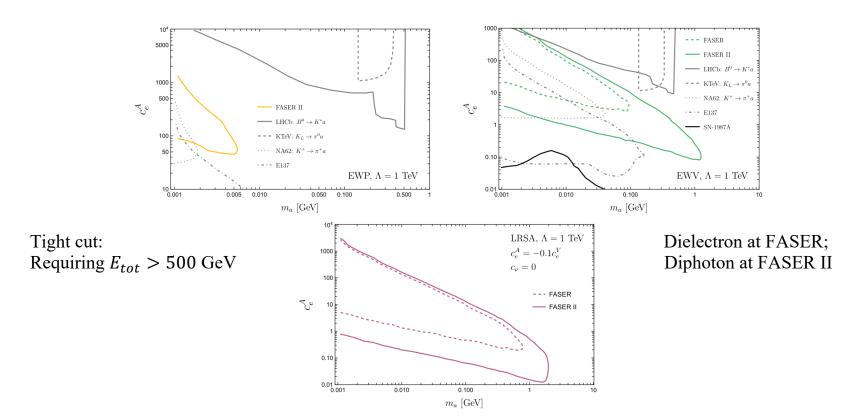




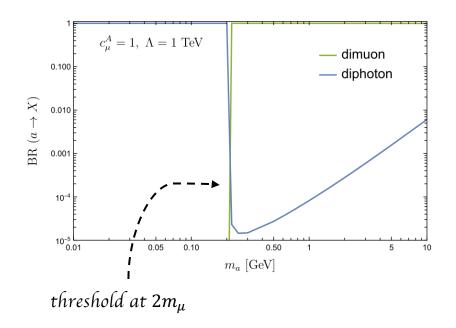
$$\Gamma_{a o \ell^+ \ell^-} = rac{(c_\ell^A)^2 m_\ell^2 m_a}{8\pi\Lambda^2} \sqrt{1 - rac{4m_\ell^2}{m_a^2}},$$

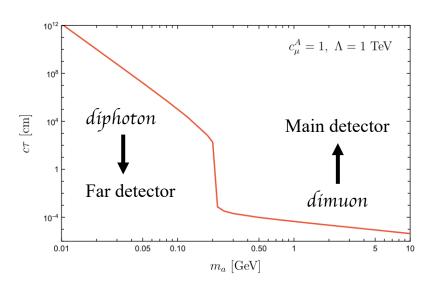
$$\Gamma_{a o \gamma \gamma} = rac{m_a^3}{64\pi} \left(rac{lpha_{
m em}}{\pi} rac{c_\ell^A}{\Lambda} \middle| 1 - \mathcal{F} \left(rac{m_a^2}{4m_\ell^2}
ight) \middle|
ight)^2,$$

Electrophilic ALPs

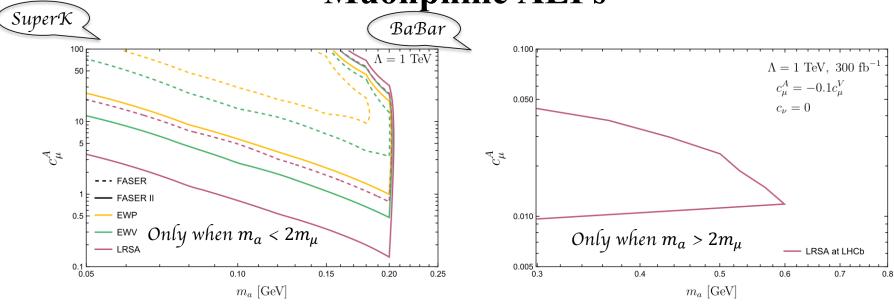


Muonphilic ALPs





Muonphilic ALPs



Far detectors excel in searching for long-lived ALPs with small masses and large couplings!

LHCb is better suited for heavier ALPs with feeble couplings!

*We focus exclusively on the $B \to Ka$ process to avoid overwhelming SM background events.

Conclusion

- Searching for **leptophilic** (both electrophilic and muonphilic) ALPs from 2-body and 3-body exotic meson decays at **forward detectors** (FASER, FASER II, and LHCb).
- For the **electrophilic ALPs**, **FASER II** enables sensitivity to ALPs with <u>masses up to 1 GeV</u> and <u>couplings as small as O(1) from the combination of dielectron and diphoton channels.</u>
- For the **muonphilic ALPs**, **FASER** and **FASER II** remain sensitive to <u>diphoton</u> signals for <u>lighter ALPs</u>, while **LHCb** excels in probing <u>heavier ALPs</u> that decay into <u>dimuons</u>. Particularly, LHCb's high-luminosity phase will allow for robust constraints in the LRSA scenario.

Thank you for your attention

Back-up Slides

Simulations

- The hadron producitons and decays are simulated using **PYTHIA8** for heavy mesons $(B^0, D^{\pm}, D_s^{\pm})$ and **EPOS LHC** for light mesons $(\pi^{\pm}, K^{\pm}, K_{LS})$.
- The FASER and FASER II environment is simulated using the *FORESEE* package.
- For selection cuts in the LHCb analysis, we require both muon tracks to sastify $p_T > 0.5~GeV$, |p| > 10~GeV, and $\eta \in [2,5]$. Additionally, the reconstructed ALP must meet the criteria $p_T > 0.5~GeV$ and transverse displacement $\ell_{xy} \in [6,22]~mm$. To account for potential imporvements in the $m_{\mu\mu}$ resolution, the mass window width is set to 16 MeV for $m_{\mu\mu} < 1~GeV$, or $0.016m_{\mu\mu}$ for $m_{\mu\mu} \ge 1~GeV$. Finally, a global detector efficiency of 0.7 is universally applied as a benchmark.