

The Symposium of Ultra-High-Energy Gamma Rays from Supernova Remnants and the Origin of Galactic Cosmic Rays

February 26 to March 2, 2026

Yuxi CHINA

Supernova Remnants as the Main Sources of Galactic Cosmic Rays

Insights from Spectral Features

Sarah Recchia (IFJ-PAN - Krakow)

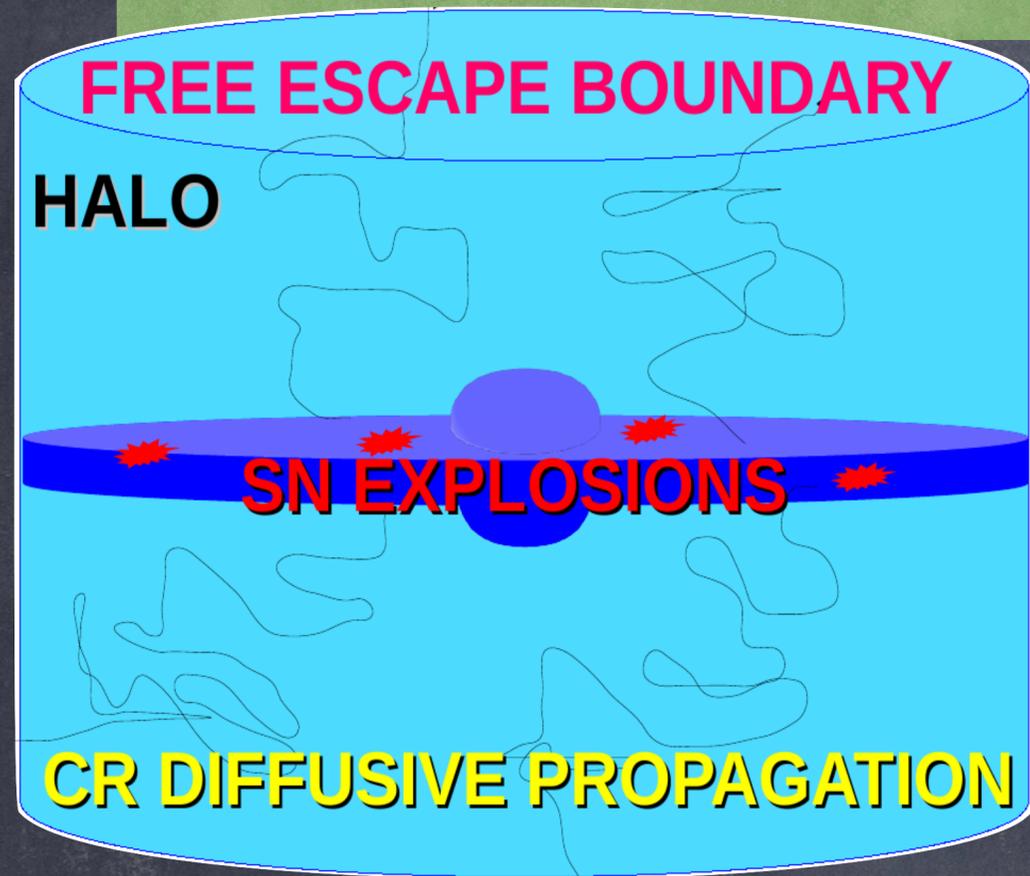
Overview

Recchia & Gabici (2024)

- Where do SNRs reach?
- CR propagate in kpc-scale magnetized halo
- what about propagation in the Galactic disk?
Several issues ... turbulence ... damping
- spectral features in the CR data GeV - PeV - new results
- anisotropic transport - disk could dominate transport $> \text{TeV}$
- SUB-class of PeVatrons

CR spectrum:
data and main paradigm

CRs in a nutshell - SNR paradigm



diffusive propagation in HALO

- kpc-scale magnetized halo as
- repeated crossings of the disk → secondaries
- B/C, unstable isotopes...
- grammage, energy-dependent escape
- $D(E) \propto E^{0.3-0.7}$

diffusive shock acceleration

- ~ 10% of SNR power
- power-law spectrum $Q_{\text{CR}} \propto E^{-2}$
- protons to the knee? $\approx 3 \text{ PeV}$

Equilibrium

$$N_{\text{CR}} \propto Q_{\text{CR}}/D \propto E^{-2.7}$$

?? where is the limit of SNRs ??

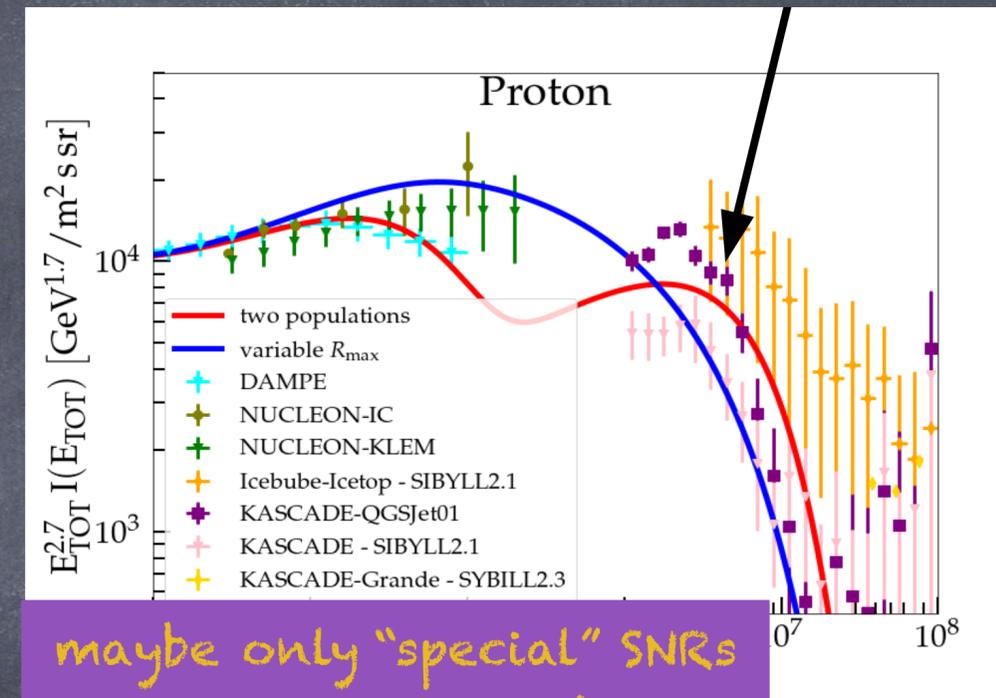
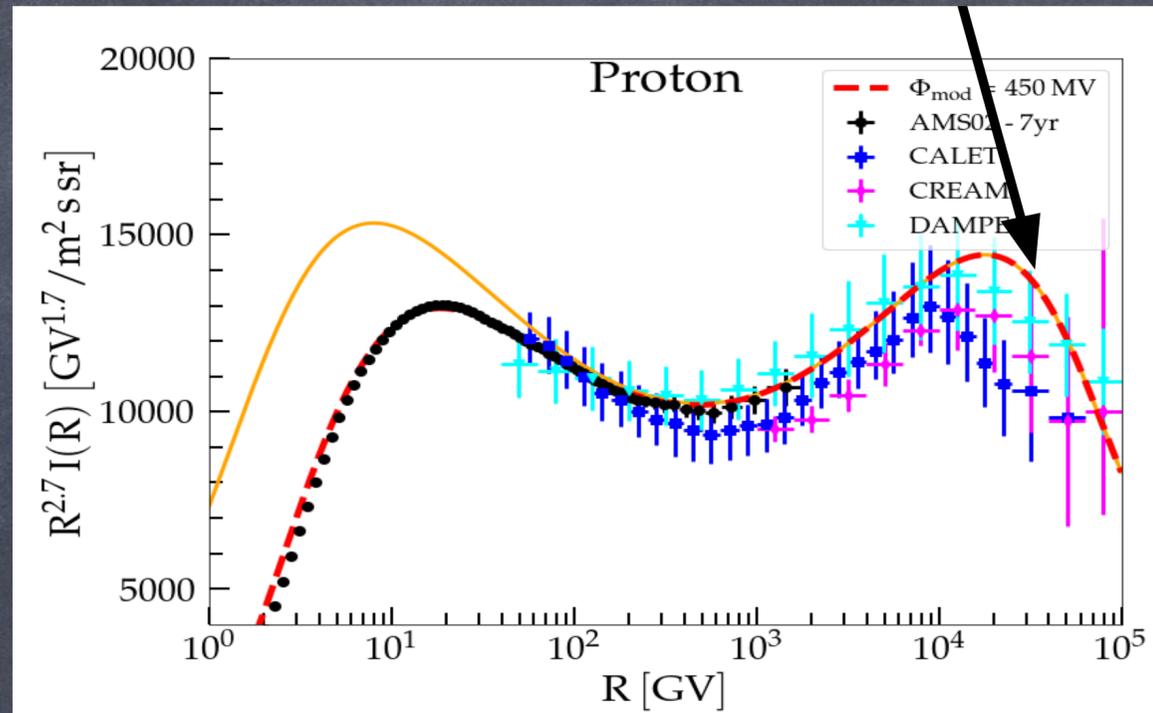
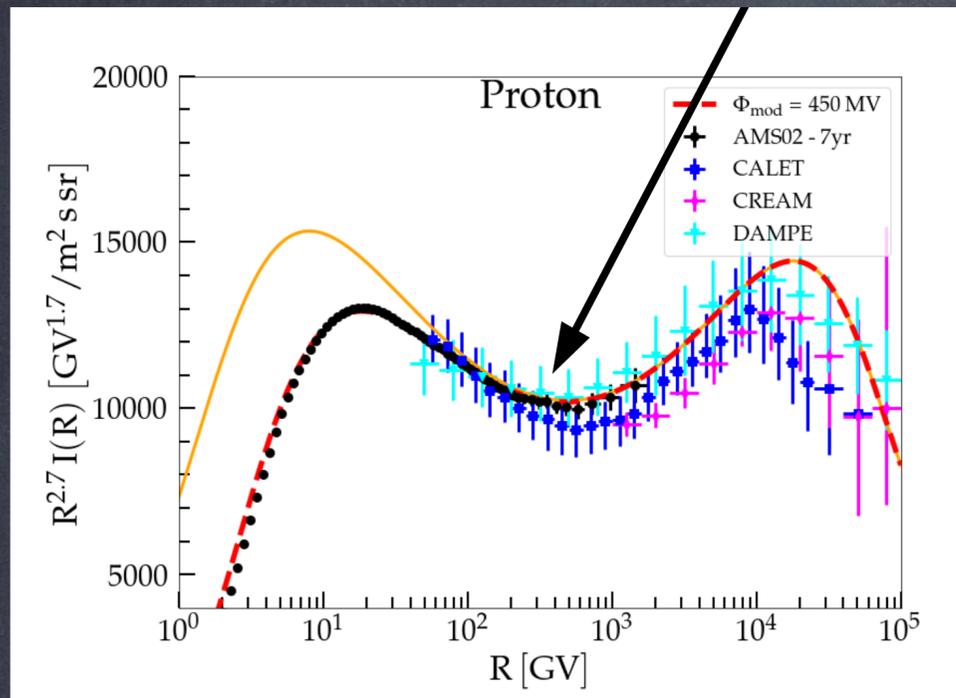
?? what is the role of the disk ??

Breaks in GV-PV range

~ 300 GV

"Dampe" ~ 15 TV

"Knee" ~ 3 PV

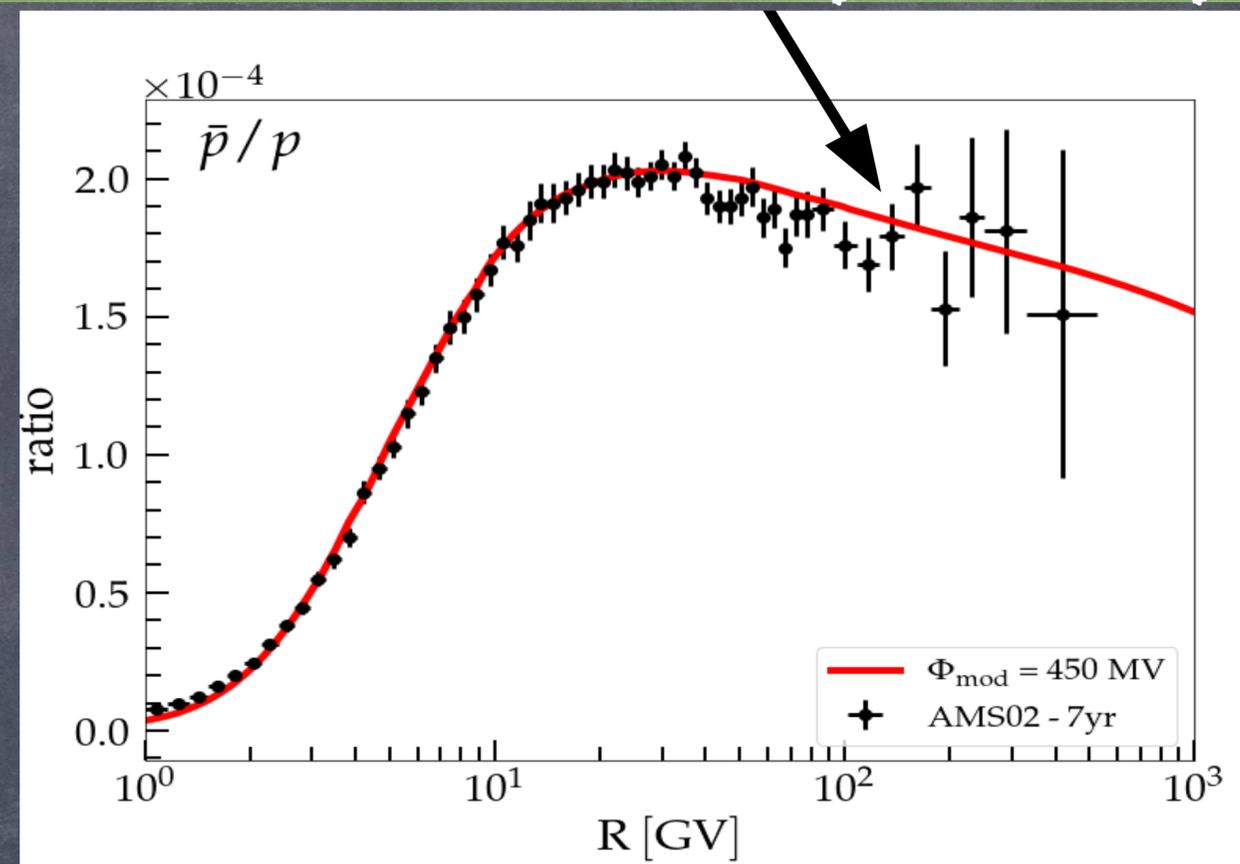
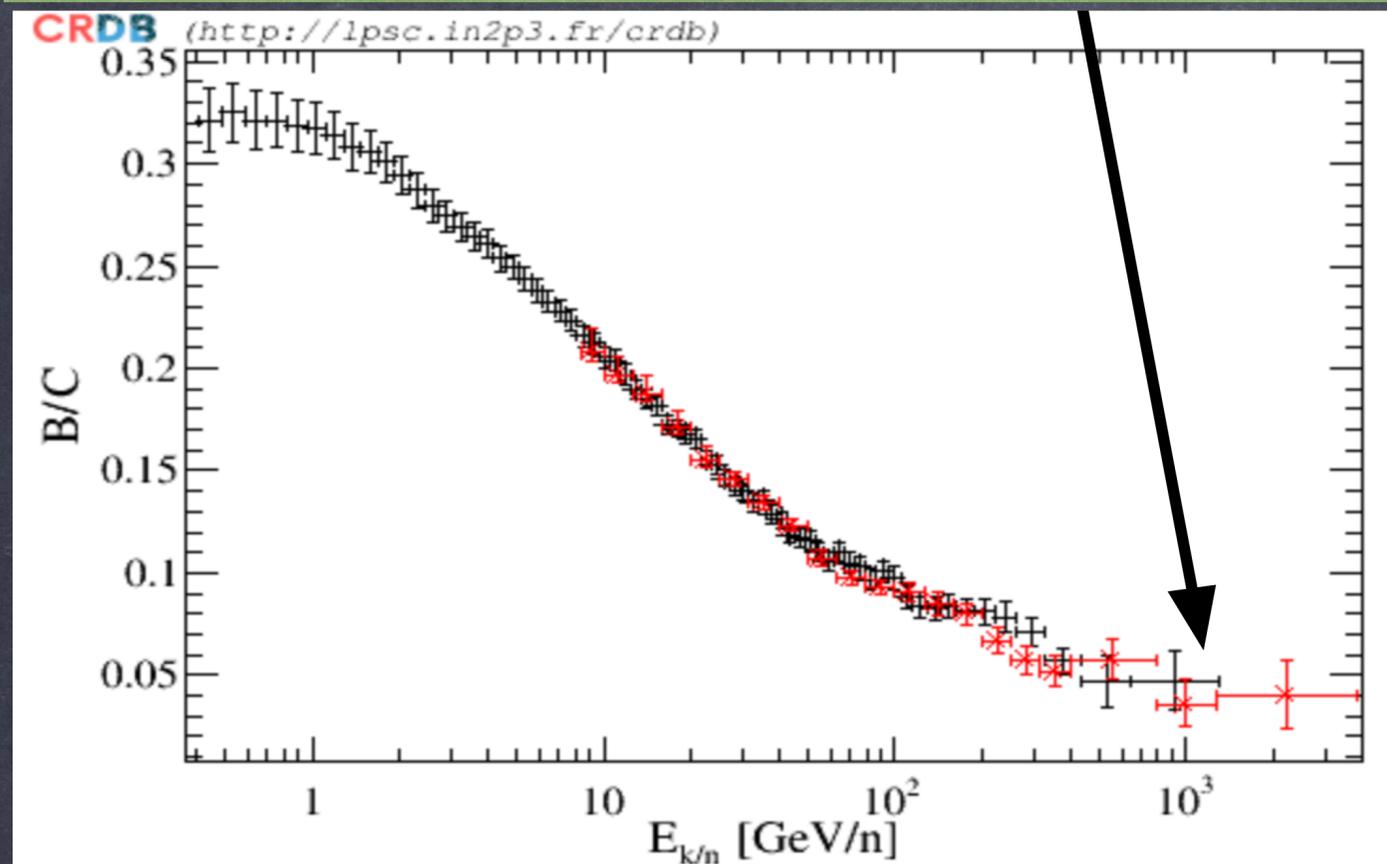


- hardening by ~ 0.1
- confirmed in secondary nuclei, by ~ 0.2
- change in propagation

- local source? (most popular in literature)
- "special" sources
- features of acceleration?
- change in propagation?

- most SNRs accelerate up to ~ 3xZ PeV ?
- overlap of E_max of different species
- difficult for current theories

Hardening of B/C at $\sim \text{TeV/n}$ \nsubseteq pbar/p



- explained by flatter $D(R)$ above $\sim 300 \text{ GV}$?
- where is the grammage accumulated? role of sources?
- secondaries produced at/nearby accelerators?
- effect of sources is unavoidable but not clear if enough

Tomassetti $\&$ Donato (2012)

Bresci et al. 2019

Mertsch et al. (2021)

D'Angelo et al. (2016)

Recchia et al. (2022)

What about propagation in
the Galactic disk?

The Galactic disk

turbulence & damping

- scattering in disk debated Skilling (1971)
- many sources of turbulence BUT ...
- which is effective at scattering?
(anisotropic cascade of Alfvén waves ...)
- other modes?
- self-generation only up to few 100s GeV...
- effective damping
(ion-neutral, turbulent damping, ...)

Recchia et al (2022)

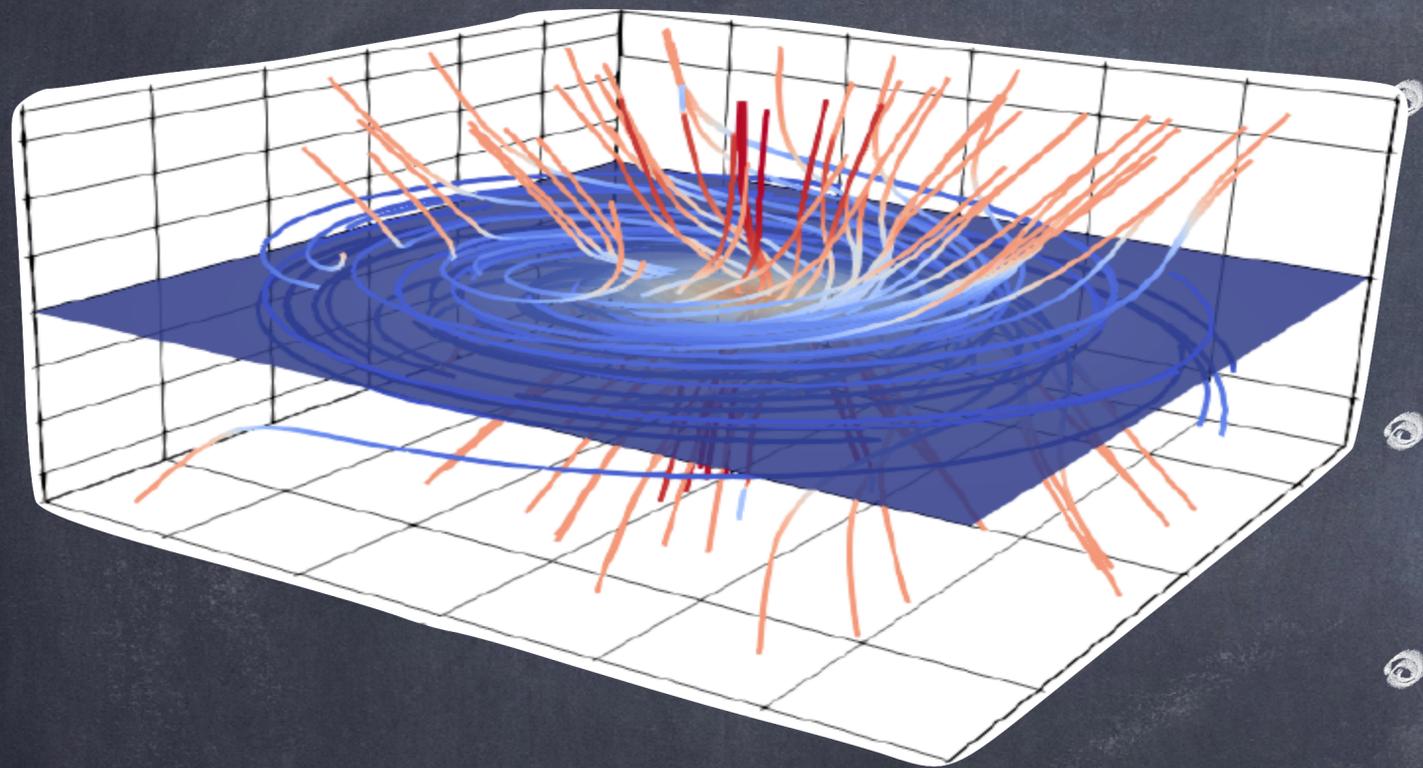
SHOULD WE BOTHER?

- propagation in the disk is often ignored
- just a passive target for secondary production
- 10s time smaller than the halo...

MAYBE YES...

The Galactic disk

Recchia & Gabici (2024)



• IN THE DISK - field lines mostly along GP

• IN THE HALO - field lines mostly perp to GP

• to ESCAPE CRs need cross the disk mostly perpendicular to the field lines ...

• dependence on Galactocentric distance

Cerri et al. (2017)

DISK : weak scattering + perpendicular transport

HALO : typical energy dependent isotropic diffusion, $D(E)$

Perpendicular diffusion: weak scattering limit

Rechester & Rosenbluth (1978)

Chandran (2000)

Snodin et al. (2022)

Pezzi & Blasi (2024)

Shalchi (2020) - review perp. Transport

• weak scattering ALONG field lines

▶ scattering along B is inefficient (damping, "wrong" cascade...)

▶ large parallel $\lambda_{\text{mfp}} \gtrsim L_{\text{coh}}$, within L_{coh} , $z(t) \sim vt$

▶ $D_{\parallel} \sim L_c v$

Casse et al. (2002)

(Kadomtsev & Pogutse (1979)

Kirk et al. (1996)

$$D_m = \left(\frac{\delta B}{B_0}\right)^2 \frac{L_c}{4} = 0.25 \left(\frac{b^2}{0.1}\right) \left(\frac{L_c}{10 \text{ pc}}\right) \text{ pc},$$

$$D_m v \approx 3 \times 10^{28} \left(\frac{D_m}{\text{pc}}\right) \text{ cm}^2/\text{s},$$

• diffusive motion of field lines

▶ D_m [length] \rightarrow field line diffusion coefficient

▶ large scale turbulence ($\gg r_L$)

▶ D_{\perp} becomes energy-independent

?? where is the limit of SNRs ??

Alternative framework
CR data \sim GV-PV

CR propagation in the halo

- effective scattering
- typical (isotropic) diffusion $D(E)$
- $D(E) \sim 10^{28} \text{ cm}^2/\text{s} E^{0.7}$
- + advection away from the disk

CR propagation in disk

- weak scattering along B (GP)
- $D_{\perp} \sim D_m c$ [energy-independent]
- injection/spallation

E_{max} of "typical" SNRs

- "Damped break"
 E_{max} of typical SNRs
($\sim 50 \text{ TV}$)
- "special" sources can reach the
"knee"
($\sim 10-15\%$ luminosity)
- easier with current theories

Model of CR transport in the disk-halo

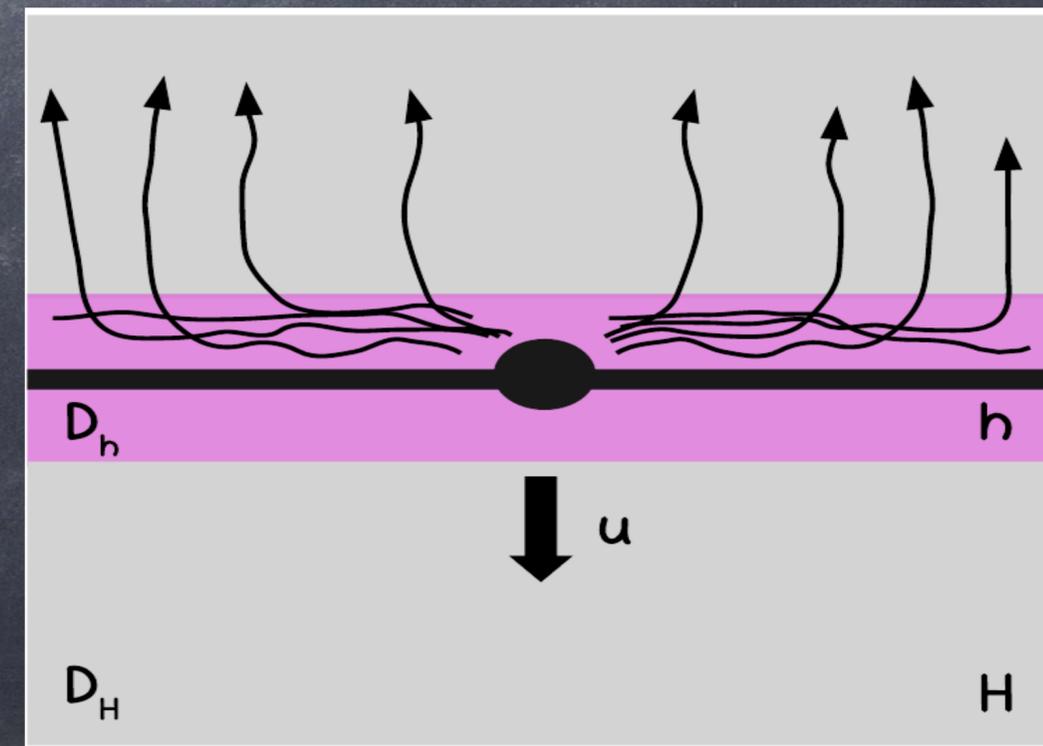
- "slab model"
- prop. only depends on distance from the disk
- continuous and homogeneous injection (no source granularity)
- steady-state solution

... ok if small inhomogeneity along the GP

... if many sources contribute

... NEED FOR ANISOTROPIC DIFFUSION (AT HE...)

... approach may break (more on that later)



Analytic solution of the CR transport

flux of stable nuclei vs E_{kin}/n

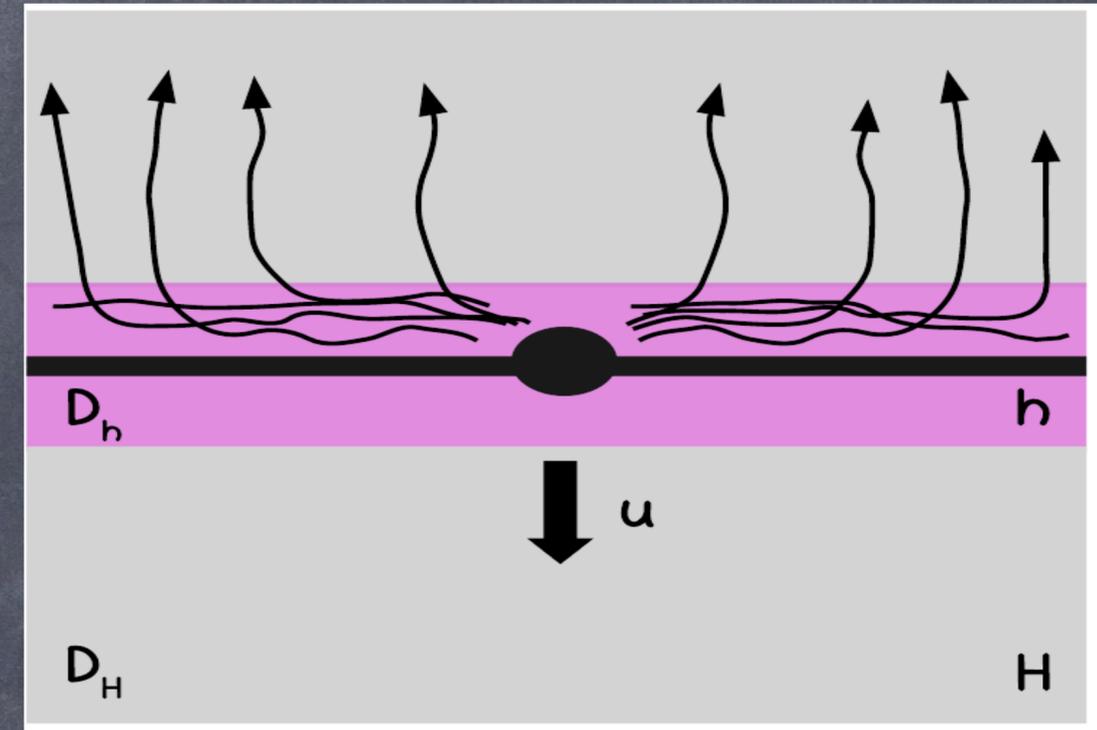
$$I_{\alpha 0}(E_k) = \frac{\tau_{\alpha}^{hH}}{1 + n_d \frac{h_d}{h} v(E_k) \sigma_{\alpha} \tau_{\alpha}^{hH}} \times \left[\frac{1}{2h} Q_{\alpha,src} + n_d \frac{h_d}{h} Q_{\alpha,spall} \right]$$

$$\begin{cases} Q_{\alpha,src} \equiv c A p^2 q_{0\alpha} \end{cases}$$

$$\begin{cases} Q_{\alpha,spall} \equiv \sum_{\beta > \alpha} v(E_k) \sigma_{\beta\alpha}(E_k) I_{\beta}(E_k) \end{cases}$$

inj. sources

inj. spallation



$$\tau_{\alpha}^{hH} \equiv \frac{h^2}{D_h} + \frac{hH}{D_H} \frac{1 - \exp^{-\frac{uH}{D_H}}}{\frac{uH}{D_H}}$$

residence time
in disk

$$X_{\alpha}(E_k) = \left(n_d \frac{h_d}{h} \right) \mu v(E_k) \tau_{\alpha}^{hH},$$

grammage

$$\frac{n_s}{n_p} \sim \frac{\sigma_s X}{\mu m_p}$$

$$X = \mu m_p c n_d \tau_d$$

Analytic solution of the CR transport

residence time in disk

$$\tau_{\alpha}^{hH} \equiv \frac{h^2}{D_h} + \frac{hH}{D_H} \frac{1 - \exp^{-\frac{uH}{D_H}}}{\frac{uH}{D_H}}$$

smooth transition

$$R^* = \left[80 \frac{H}{4 \text{ kpc}} \frac{h}{150 \text{ pc}} \frac{D_m}{\text{pc}} \frac{10^{28} \text{ cm}^2/\text{s}}{D_0} \right]^{1/\delta} \text{ GV.}$$

$\approx 6 \text{ TV}$	$(\delta = 0.5)$
$\approx 2 \text{ TV}$	$(\delta = 0.6)$
$\approx 500 \text{ GV}$	$(\delta = 0.7)$
$\approx 200 \text{ GV}$	$(\delta = 0.8)$

diffusion in disk
constant in E

repeated crossings of disk
induced by diffusion in halo
decreases with E due to $D_H \sim E^{0.7}$

Analytic solution of the CR transport

residence time in disk

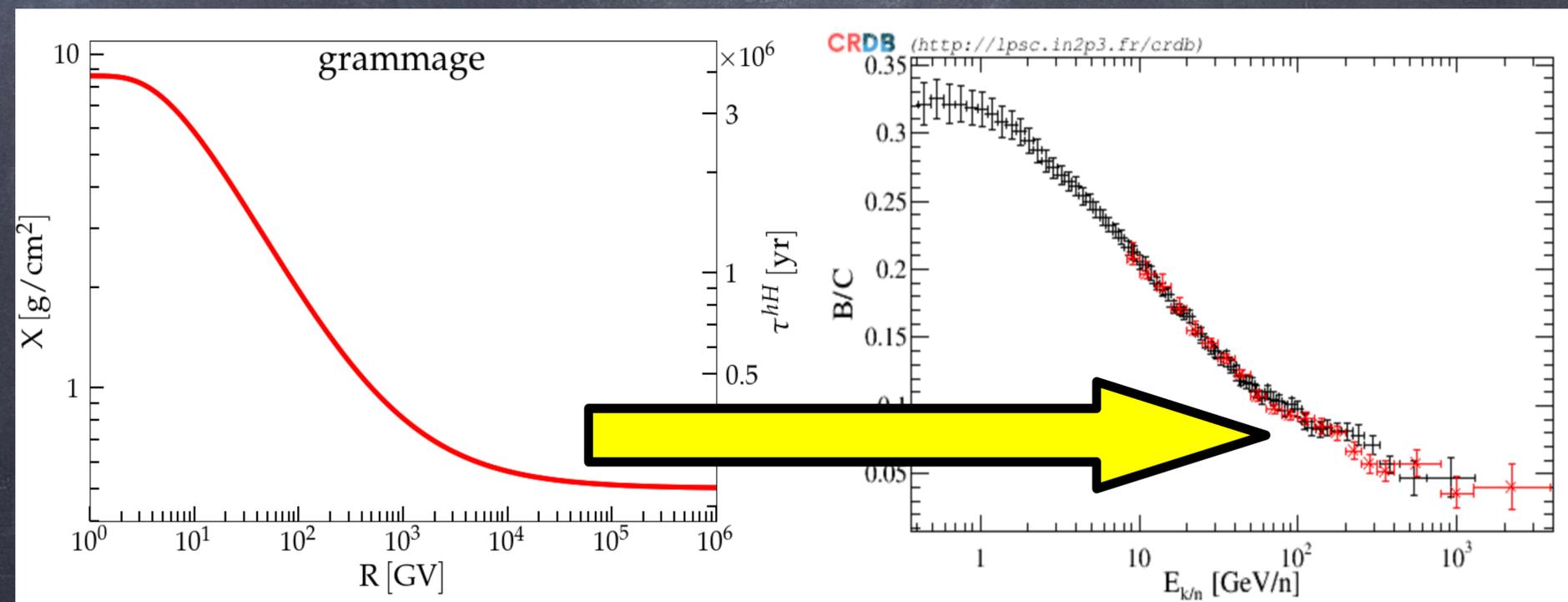
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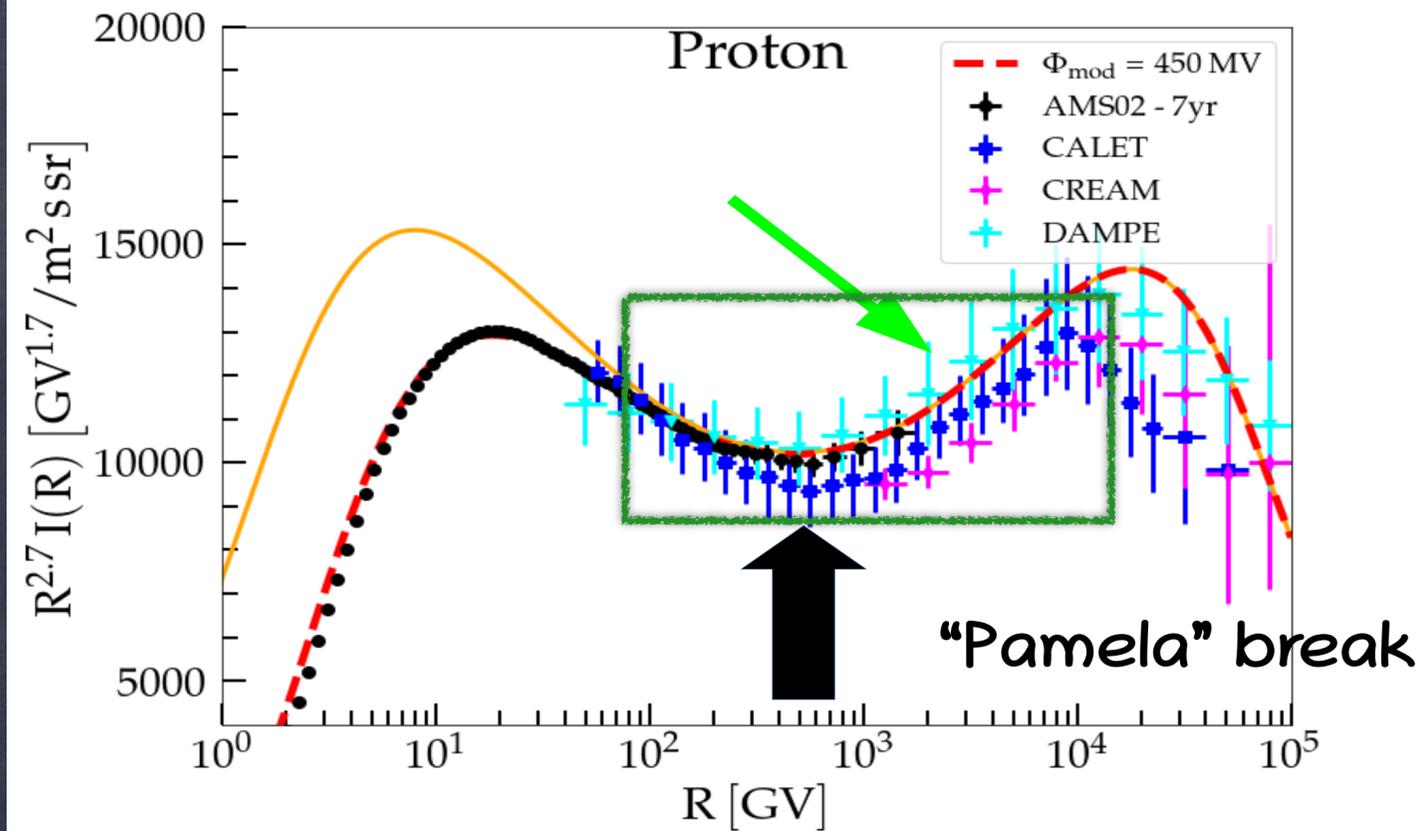
repeated crossings of disk induced by diffusion in halo decreases with E due to $D_H \sim E^{0.7}$

diffusion in disk constant in E

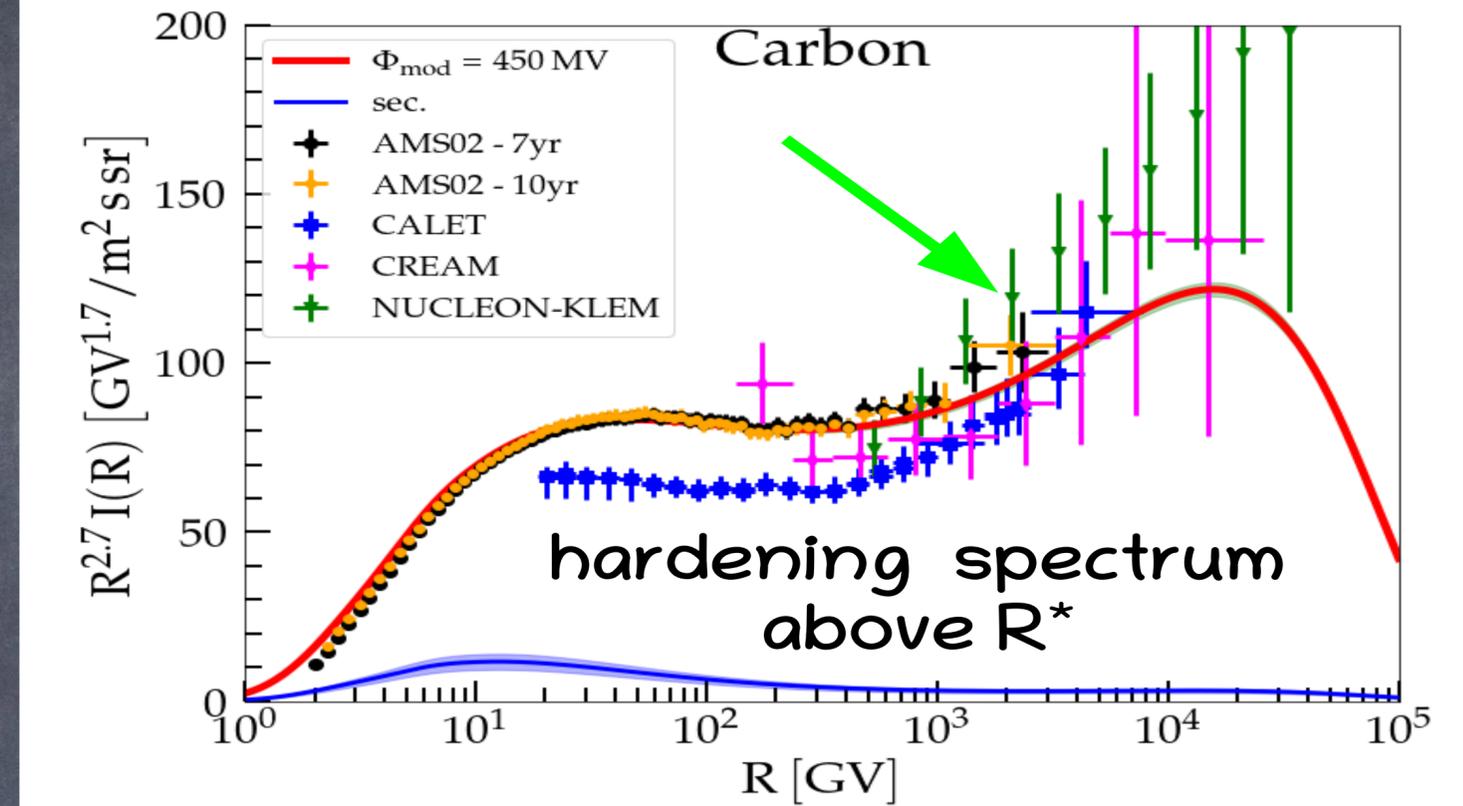
$$\tau_d^{\min} \sim \frac{h^2}{D_{\text{eff},\perp}} \approx 2 \times 10^5 \left(\frac{h}{150 \text{ pc}} \right)^2 \left(\frac{\text{pc}}{D_m} \right) \text{ yr},$$

$$X_{\min} \approx 0.4 n_d \left(\frac{h}{150 \text{ pc}} \right)^2 \left(\frac{\text{pc}}{D_m} \right) \text{ g/cm}^2.$$

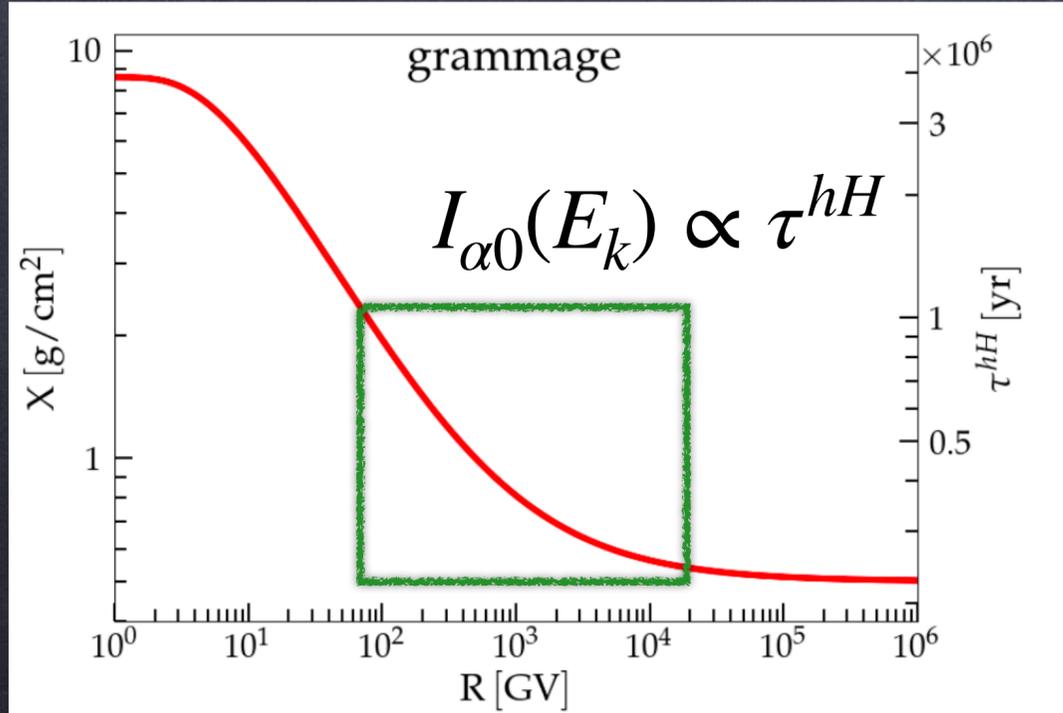




Above ~ 10 s GeV

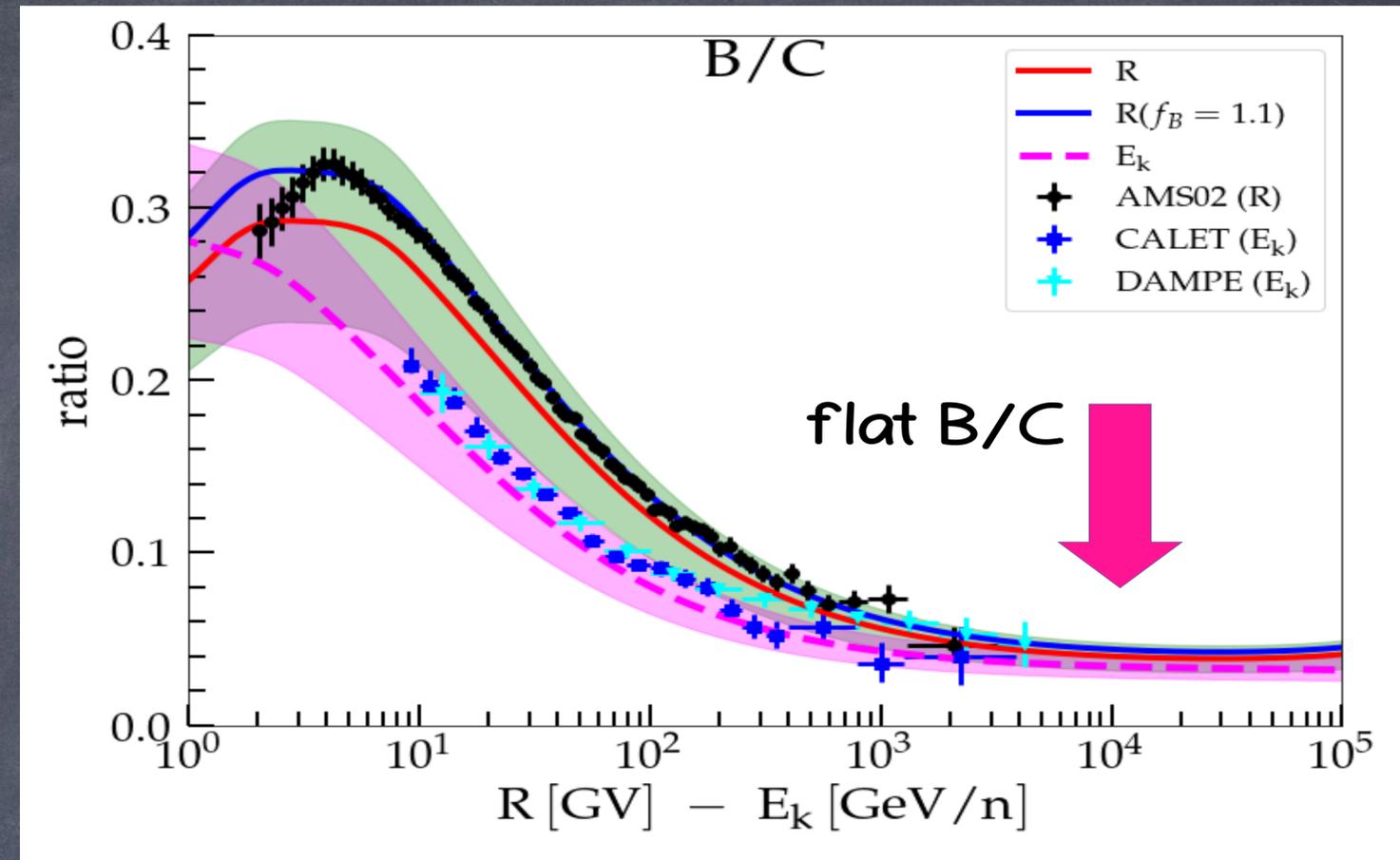
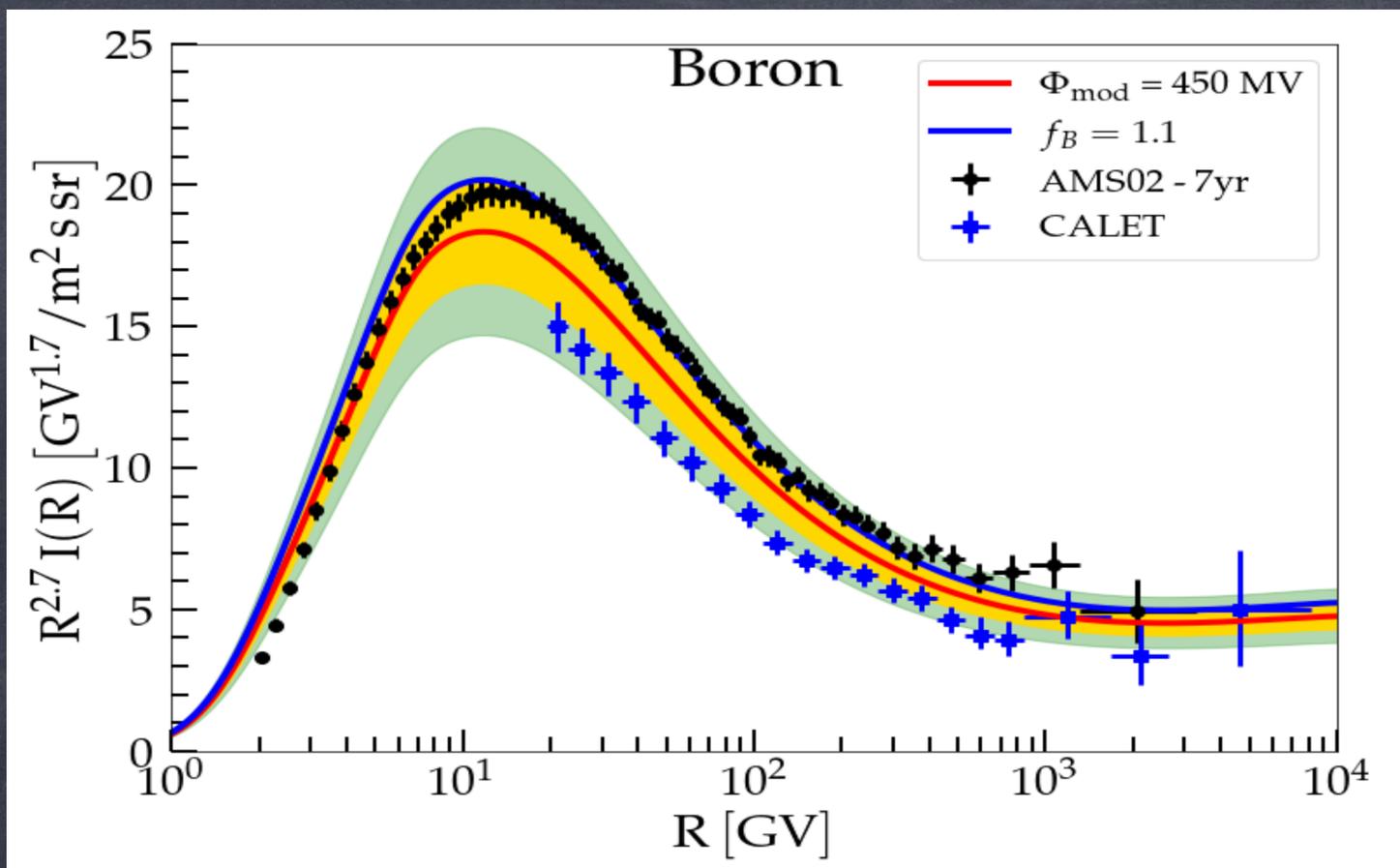


smooth transition halo \rightarrow disk



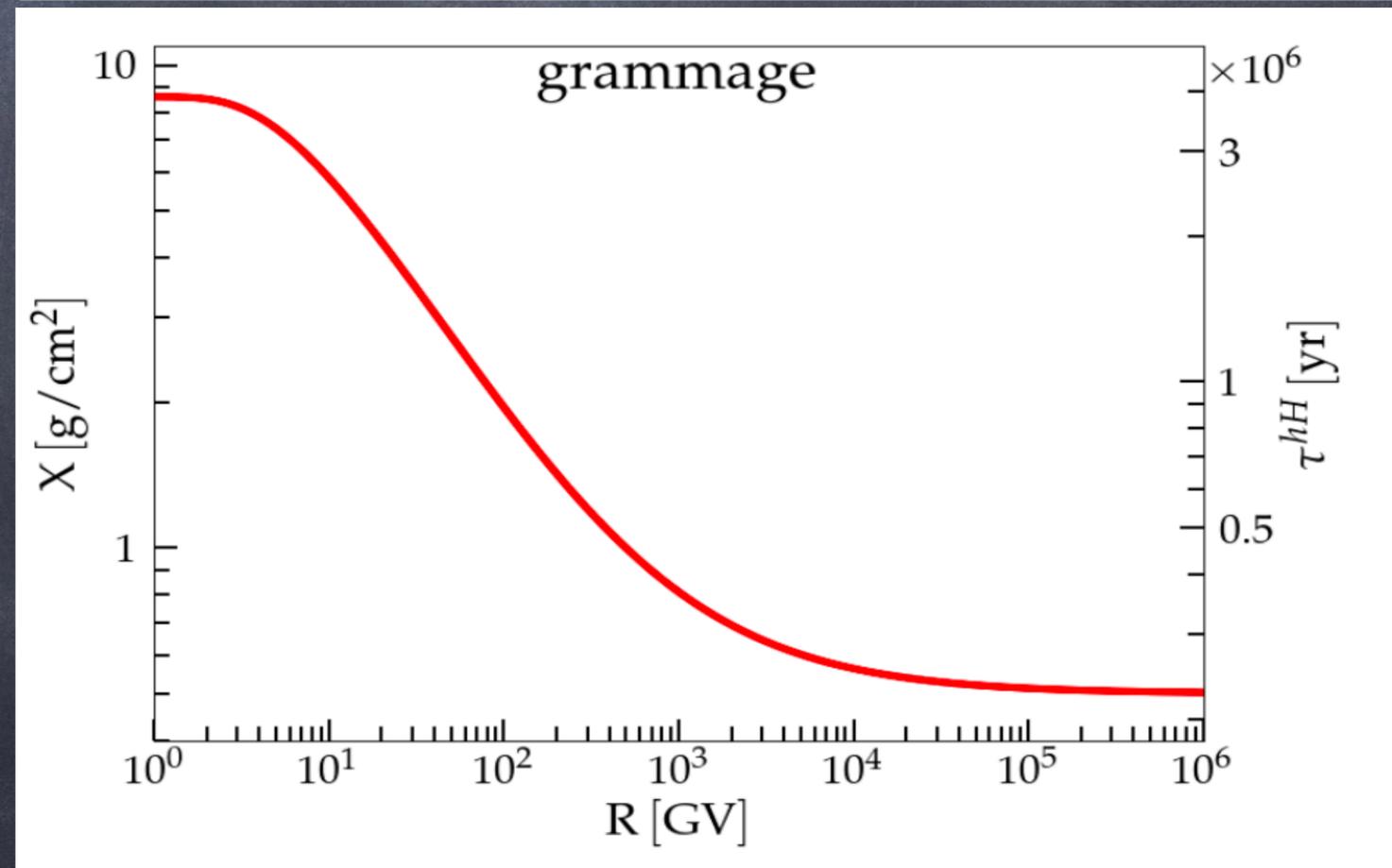
$$R^* = \left[80 \frac{H}{4 \text{ kpc}} \frac{h}{150 \text{ pc}} \frac{D_m}{\text{pc}} \frac{10^{28} \text{ cm}^2 / \text{s}}{D_0} \right]^{1/\delta} \text{ GV.}$$

- $\approx 6 \text{ TV} \quad (\delta = 0.5)$
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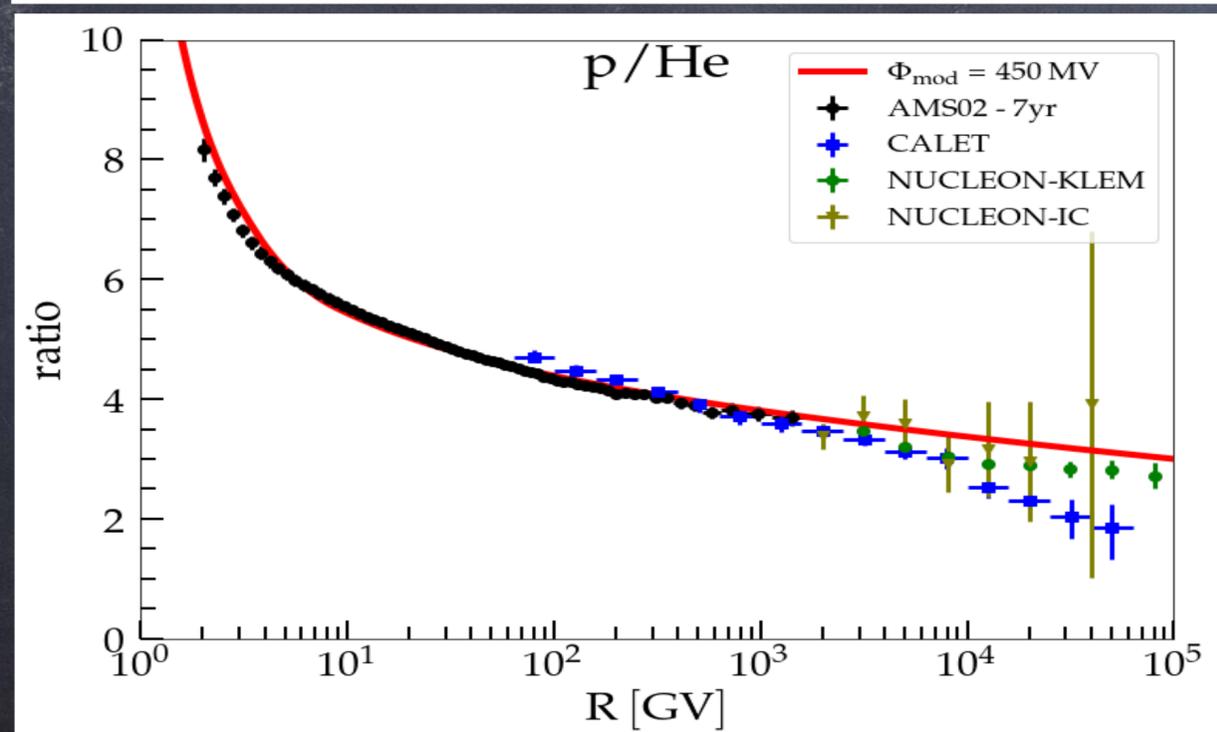
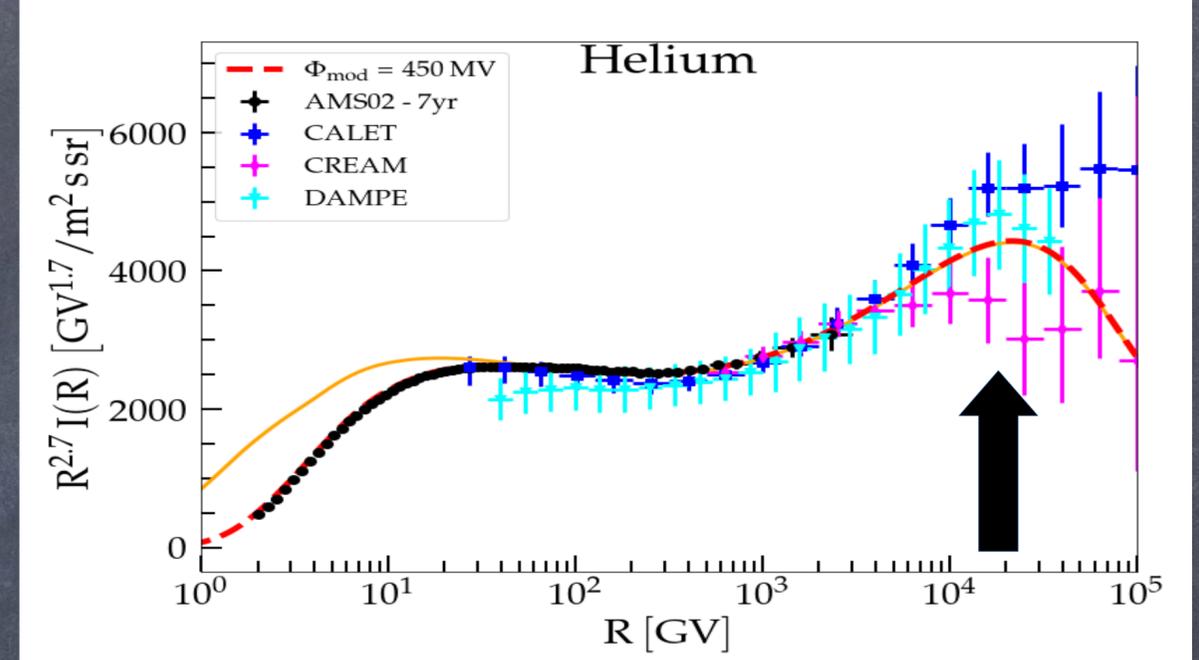
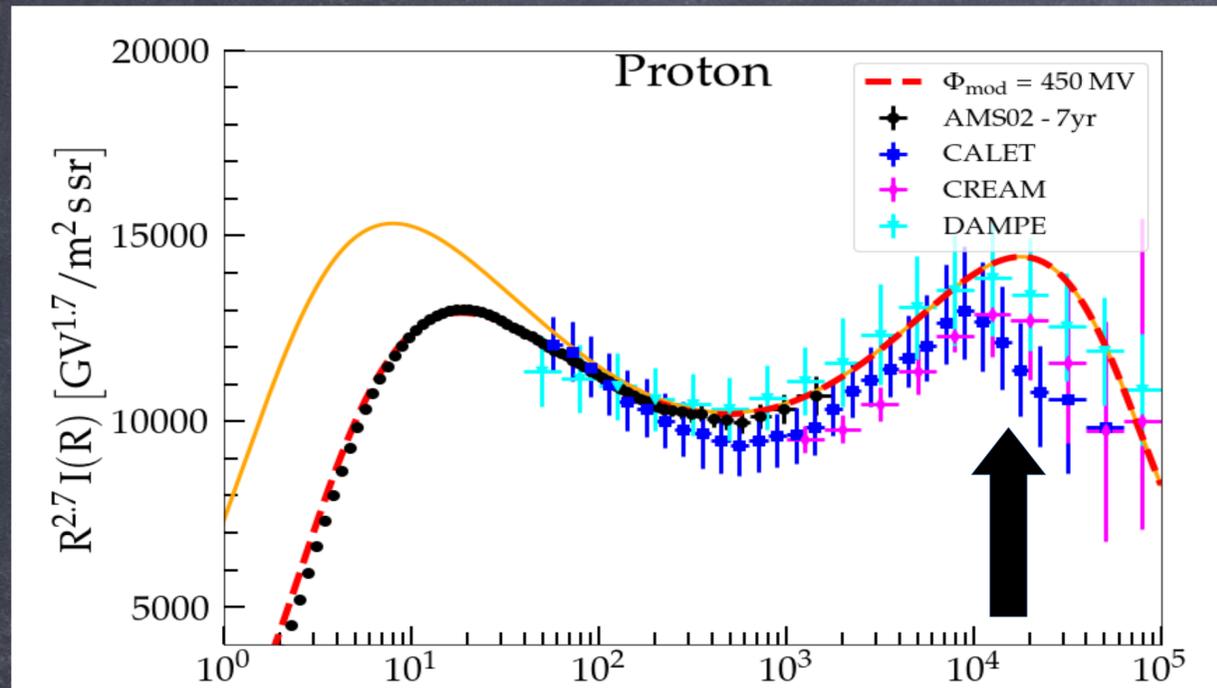
clear prediction of a flat B/C above $\sim 10 \text{ TeV}$

hints from current data but need measurements at higher energy ... difficult



"Dampe" break and the "knee"

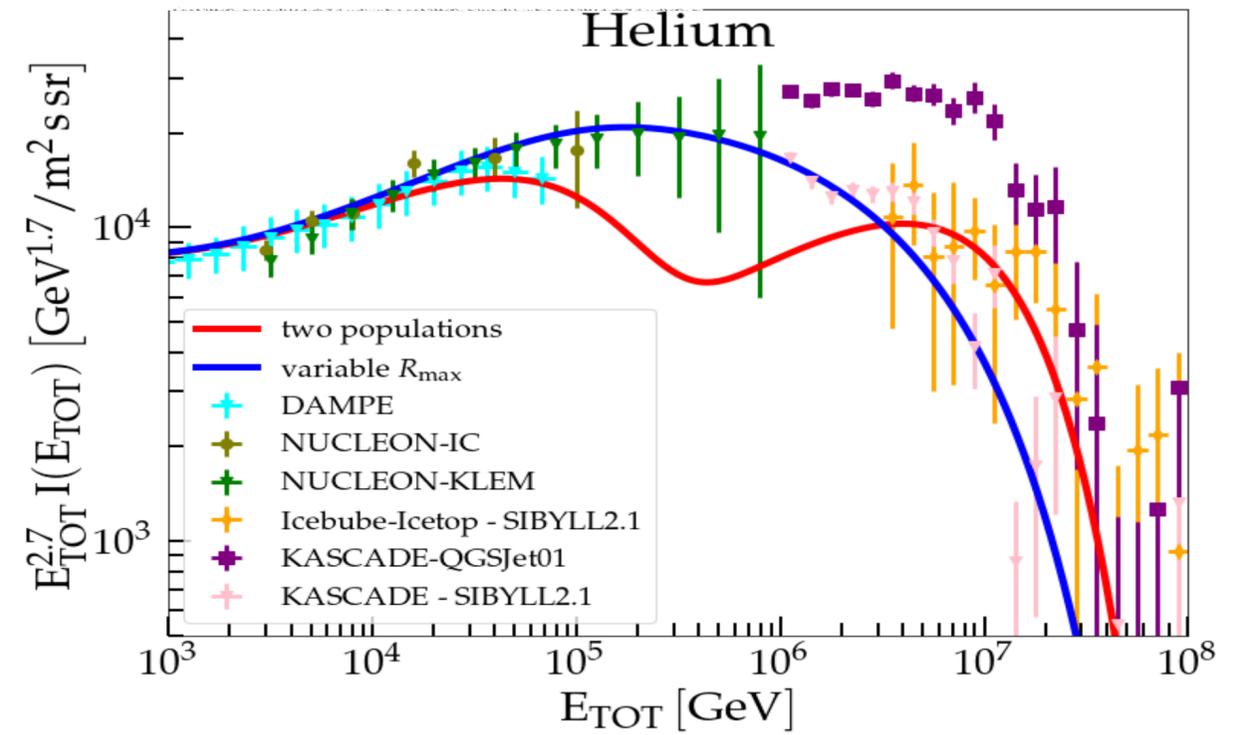
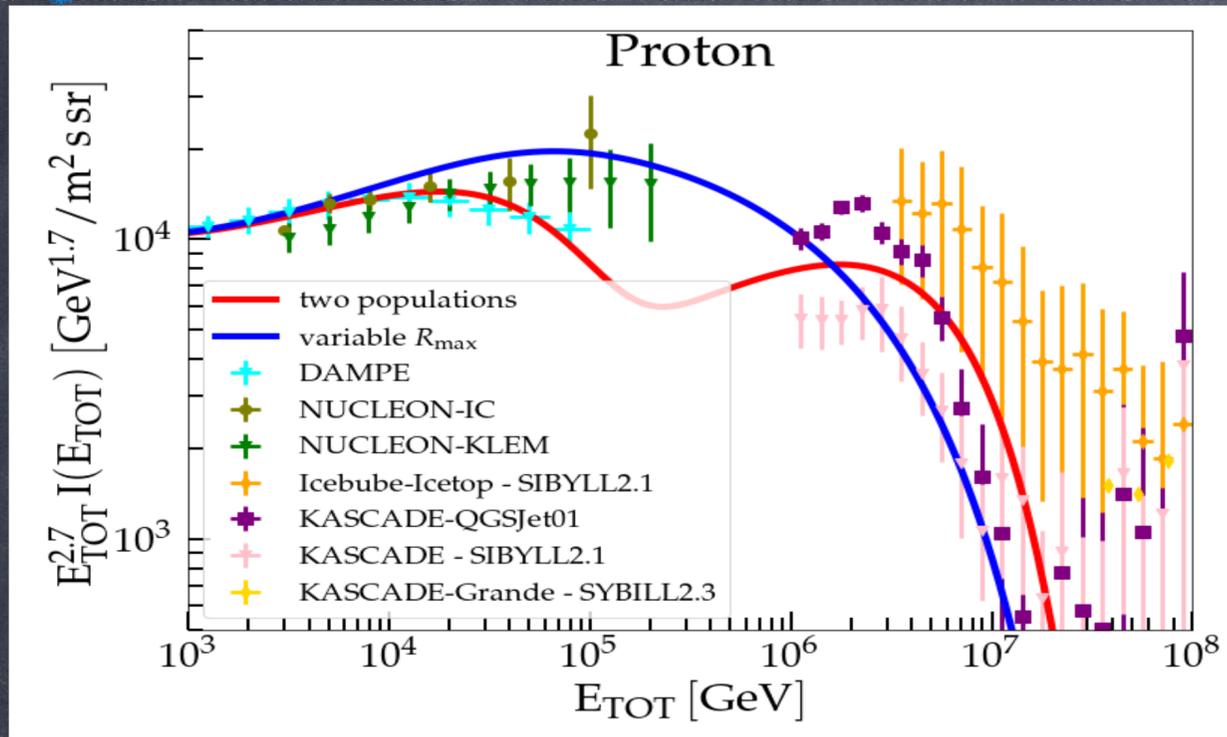
MOST sources (SNRs) only accelerate up to 10s-100 TeV



gaseous disk				
n_d	f_{He}	h_d	R_d	
1 cm^{-3}	0.1	150 pc	15 kpc	
Galactic disk (GD)				
h	L_c	b^2	D_m	L_{RR}
150 pc	10 pc	0.4	1 pc	50 - 100 pc
Galactic halo (GH)				
H	D_0	δ	u	
4 kpc	$10^{28} \text{ cm}^2/\text{s}$	0.7	40 km/s	
bulk of SNRs				
γ_p	γ_{He}	γ_n	$R_{\text{max}}^{\text{bulk}}$	
4.35	4.30	4.33	50 TV	
PeV sources				
γ_p	γ_{He}	γ_n	$R_{\text{max}}^{\text{PeV}}$	$\epsilon_{\text{bulk}}^{\text{PeV}}$
4.35	4.30	4.33	5 PV	0.15

"Dampe" break and the "knee"

only a FRACTION of sources are PeVatrons



- special SNRs, star clusters, ...
- ~ 10-20% of typical CR source luminosity
- more in agreement with theory

gaseous disk				
n_d	f_{He}	h_d	R_d	
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CAVEATS

Caveats: back on "slab" model

... ok if small inhomogeneity along the GP
 ... if many sources contribute
 ...

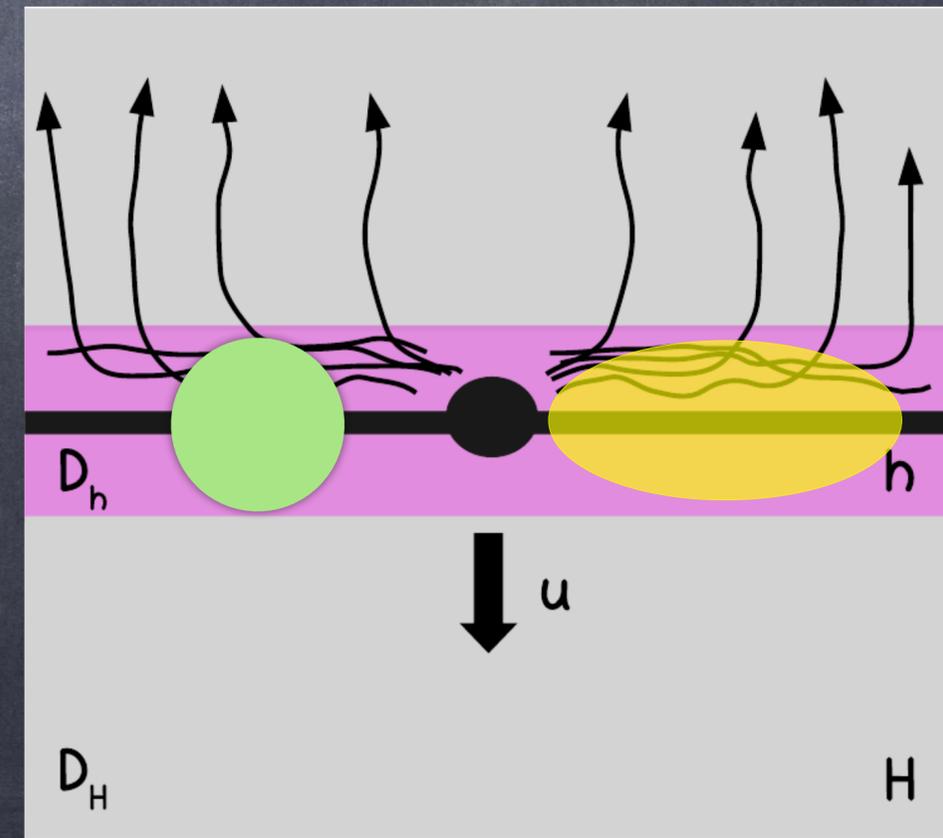
HALO : $D(E) \longrightarrow \lambda_{\text{mfp}}(E)$

$$R_H^{\text{mfp}} = \left[12 \times 10^3 \frac{H}{4 \text{ kpc}} \frac{10^{28} \text{ cm}^2/\text{s}}{D_0} \right]^{1/\delta} \text{ GV.}$$

$\approx 150 \text{ PV}$	$(\delta = 0.5)$
$\approx 6 \text{ PV}$	$(\delta = 0.6)$
$\approx 700 \text{ TV}$	$(\delta = 0.7)$
$\approx 100 \text{ TV}$	$(\delta = 0.8)$

... mfp becomes larger than H
 ... not come back to disk

maximum distance for sources?



Caveats: back on "slab" model

maximum distance for sources?

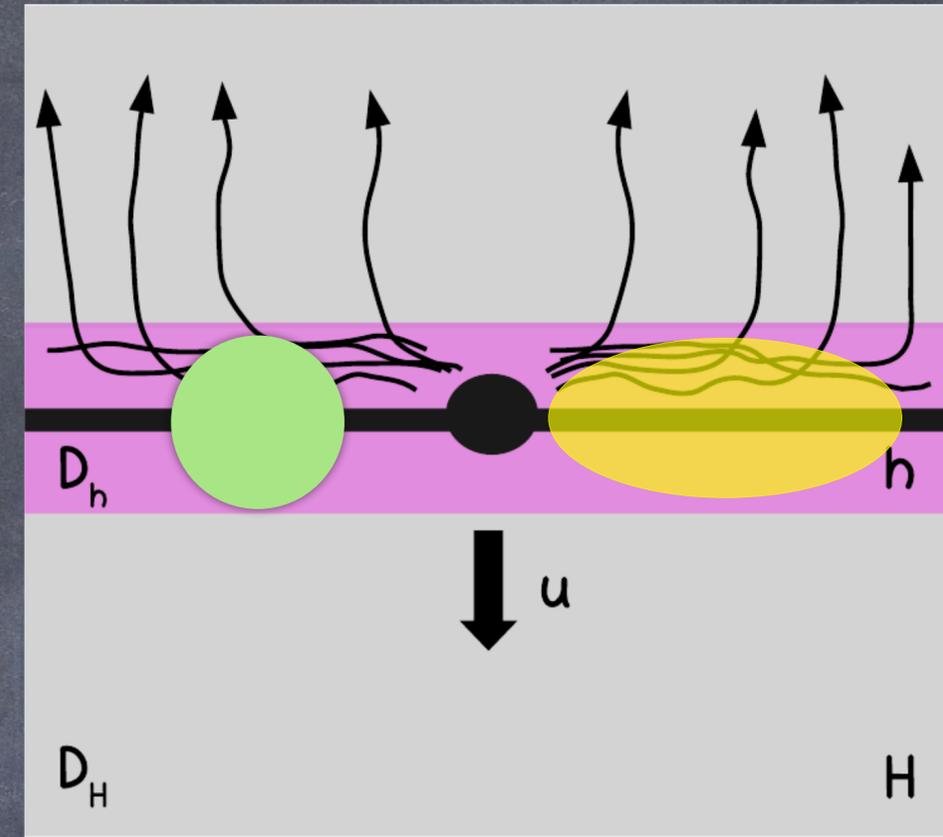
... with isotropic D particles only from $d \sim h$
... very short horizon of 100-150 pc

... with anisotropic D much larger horizon

$$d_{\parallel} \sim \frac{D_{\parallel}}{D_{\perp}} \sim \frac{L_c}{D_m} h \approx 1 - 2 \text{ kpc}$$

$$D_{\parallel} \sim L_c v$$

$$D_{\perp} \sim D_m v$$



... with isotropic diffusion in disk the slab approximation would badly break down at a few 100s TeV

... need to assume anisotropic diffusion to make it work (at least in principle) at high energies

Caveats: back on "slab" model

CR anisotropy

$$d_{\parallel} \sim D_{\parallel}/D_{\perp} h \approx 1 - 2 \text{ kpc}$$

average number of contributing sources at VHE

$$\langle N_{\text{PV}} \rangle \approx 10 \left(\frac{\xi_{\text{PV}}}{0.15} \right) \left(\frac{v_{\text{SNe}}}{1/30 \text{ yr}} \right) \left(\frac{h}{150 \text{ pc}} \right)^2 \left(\frac{\text{pc}}{D_m} \right) \left(\frac{d}{\text{kpc}} \right)^2,$$

Multi-TeV electrons

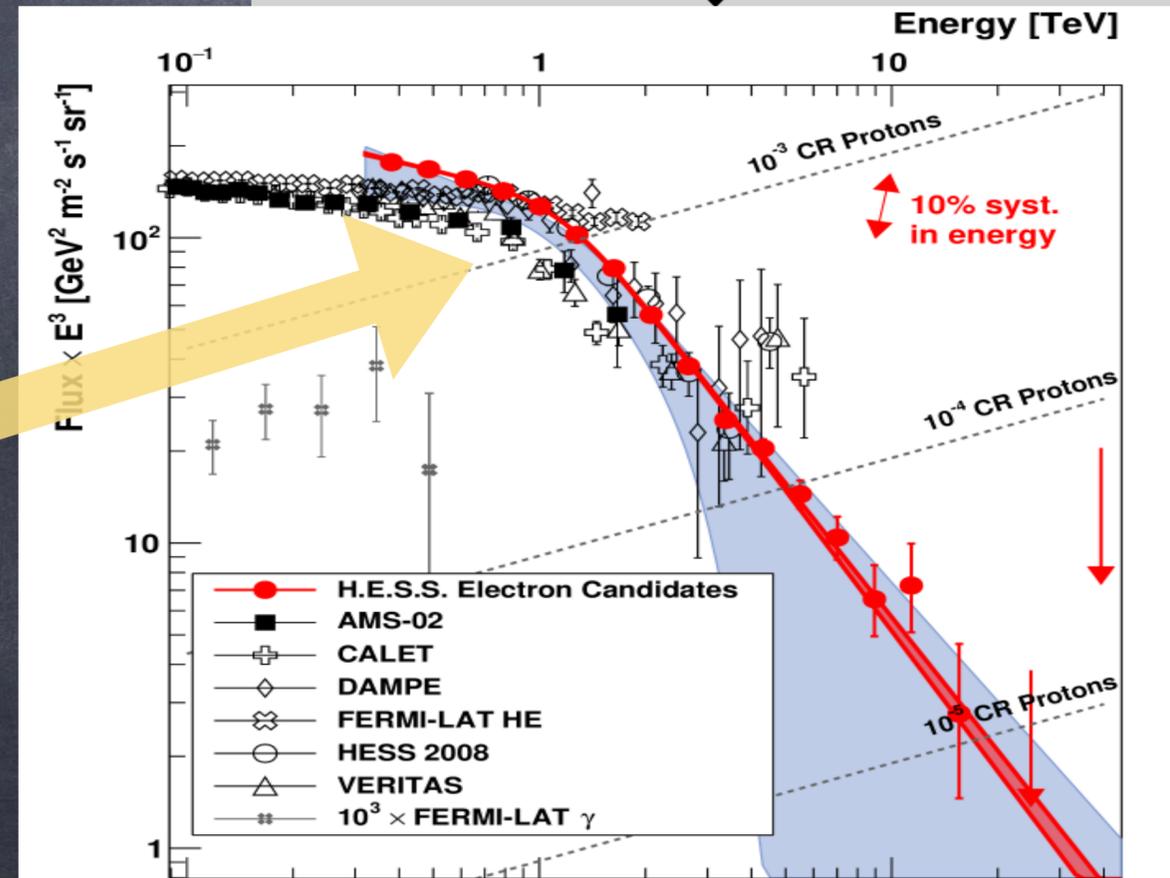
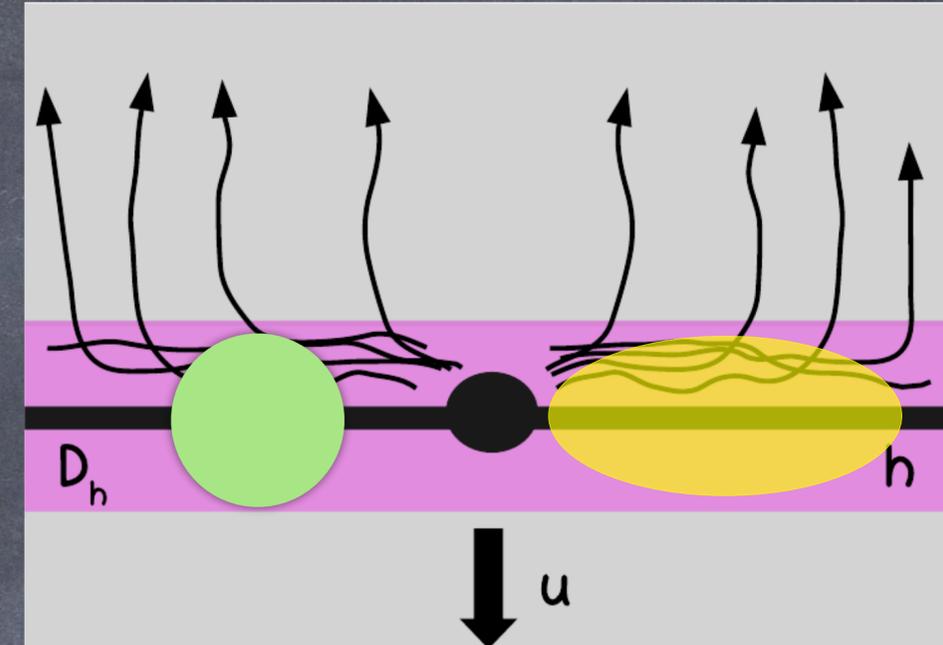
$$\tau_d^{\text{min}} \sim \frac{h^2}{D_{\text{eff},\perp}} \approx 2 \times 10^5 \left(\frac{h}{150 \text{ pc}} \right)^2 \left(\frac{\text{pc}}{D_m} \right) \text{ yr},$$

$$d_{\parallel} \propto E^{-1/2}$$

$$\tau_{\text{loss}}(E) \approx 10^5 \text{ yr} \left(\frac{\text{TeV}}{E} \right)$$

calorimetric disk

tests & applications



summary & caveats/perspectives

- in Galactic disk weak scattering + field lines along GP
 - ▶ can lead to energy-independent diffusion perp. to GP
 - ▶ effect appears at $R \gtrsim TV$
- E_{max} of bulk SNRs \sim to 50-100 TV
- Only a fraction of sources reach PeV
- possible to explain features in CR spectra in GV-PV range
 - ▶ without breaks in injection or propagation
 - ▶ need discussion on physical setup

summary & caveats/perspectives

Caveats...

- ▶ nuclei data at multi-TV have large uncertainties
- ▶ uncertainties in spallation cross-section and chains
- ▶ need for better understanding of turbulence/propagation
- ▶ acceleration and PeVatrons?
- ▶ include source grammage ... is the effect at the same level?

tests & applications

... new data DAMPE & LHAASO

... CR Anisotropy

... multi-TeV electrons

Thank You

Analytic solution of the CR transport

a few comments on parameters

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n_d	f_{He}	h_d	R_d	
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- [for a given nucleus] same slope for BULK and PeV sources
- but need different slopes for p, He, nuclei [same problem of previous studies...]
- no breaks in diffusion in halo and disk
- no attempt for a fitting procedure - no best-fit parameters

A comment on source grammage

secondaries are also produced in/around sources \rightarrow flattening B/C

$$\tau_d^{\min} \sim \frac{h^2}{D_{\text{eff},\perp}} \approx 2 \times 10^5 \left(\frac{h}{150 \text{ pc}} \right)^2 \left(\frac{\text{pc}}{D_m} \right) \text{ yr},$$

- sec. produced at shock and leave accelerator \rightarrow same spectrum as primaries
- sec. produced at shock and re-accelerated \rightarrow spectrum harder than secondaries
- sec. produced in the source proximity \rightarrow spectrum steeper than primaries
- effect must be there but not clear its E-dependent relevance
- anyway should be included in more refined models

$$X_{\min} \approx 0.4 n_d \left(\frac{h}{150 \text{ pc}} \right)^2 \left(\frac{\text{pc}}{D_m} \right) \text{ g/cm}^2.$$

...time-dependent E_{\max} ?

... for how long acceleration ?

... res. time in/around sources?

Perp. diffusion: weak scattering limit

Rechester & Rosenbluth 1978

Chandran 2000

• weak scattering ALONG field lines + FLRW

▶ $\lambda_{\text{mfp}} \gtrsim L_{\text{RR}}$

$$\langle (x - x_0)^2 \rangle = \langle (y - y_0)^2 \rangle = 2D_m z.$$

▶ $L_{\text{RR}} \gtrsim L_{\text{coh}} \rightarrow$ trajectory decorrelates from initial field line

▶ L_{RR} statistically independent random step

▶ within L_{coh} , $z(t) \sim vt$

$$\begin{cases} (\Delta R)^2 = 2D_m L_{\text{RR}} \\ \Delta t = \frac{L_{\text{RR}}}{v} \end{cases}$$

• perpendicular diffusion becomes energy-independent

▶ $D_{\perp} = \frac{1}{2} \frac{(\Delta R)^2}{\Delta t}$


$$D_m v \approx 3 \times 10^{28} \left(\frac{D_m}{\text{pc}} \right) \text{cm}^2/\text{s},$$

▶ (ΔR) rms perp. displacement during each random step L_{RR}

Antiprotons

