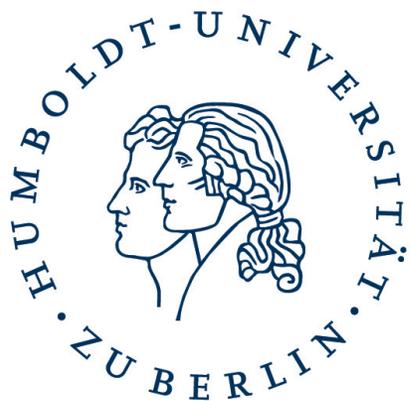




Galactic CR Transport in the **Giant** CGM Halo

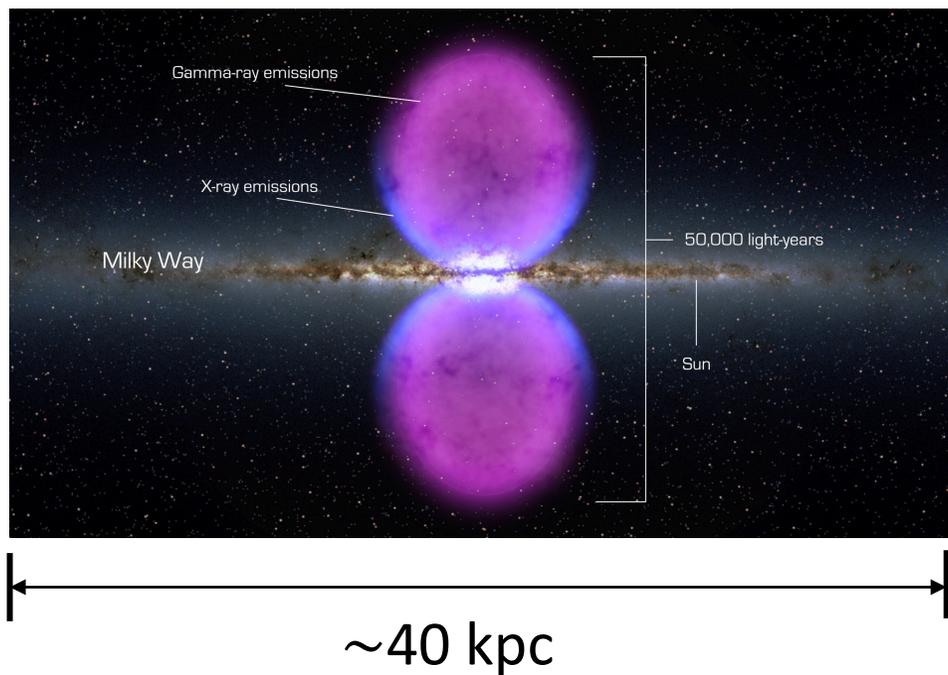
Chao-Ming Li & Andrew M. Taylor



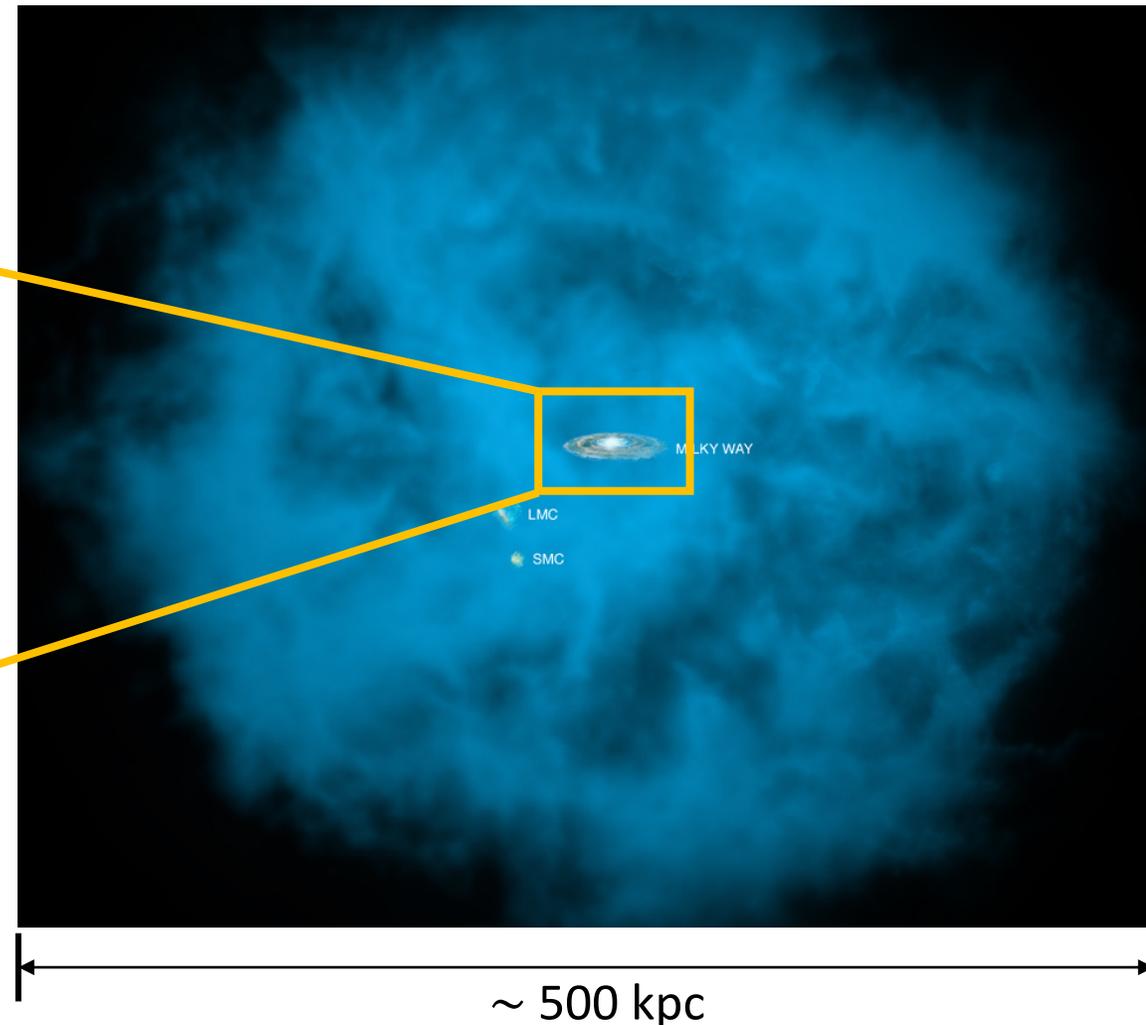
Symposium of UHE γ -rays from SNRs and the Origin of GCRs
Chengjiang, Yuxi, Yunnan province, China
26 Feb 2026 – 2 Mar 2026



The Milky Way: disk & halo structure



The Milky Way disk and Fermi bubbles
By NASA's Goddard Space Flight Center



The Circumgalactic Medium (CGM) halo extends to virial radius. Gupta, A et al, 2012

The Milky Way: mass distribution

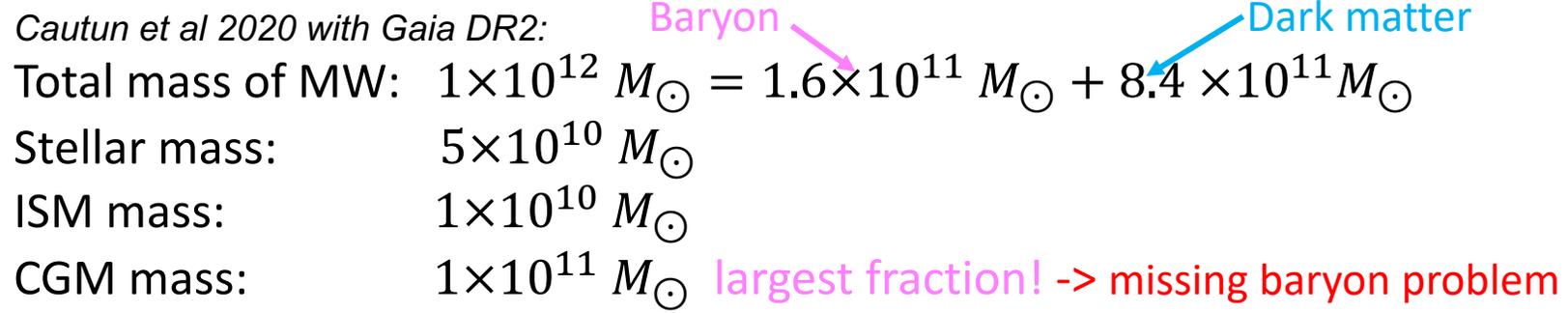
Cautun et al 2020 with Gaia DR2:

Total mass of MW: $1 \times 10^{12} M_{\odot} = 1.6 \times 10^{11} M_{\odot} + 8.4 \times 10^{11} M_{\odot}$

Stellar mass: $5 \times 10^{10} M_{\odot}$

ISM mass: $1 \times 10^{10} M_{\odot}$

CGM mass: $1 \times 10^{11} M_{\odot}$ largest fraction! -> missing baryon problem



The Milky Way: mass distribution

Cautun et al 2020 with Gaia DR2:

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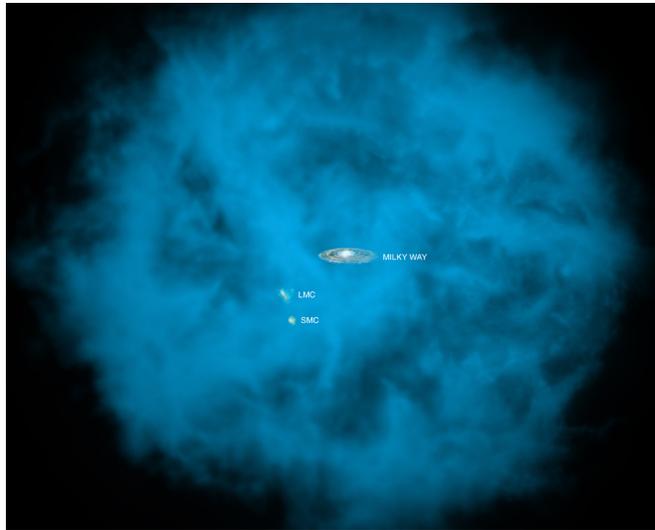
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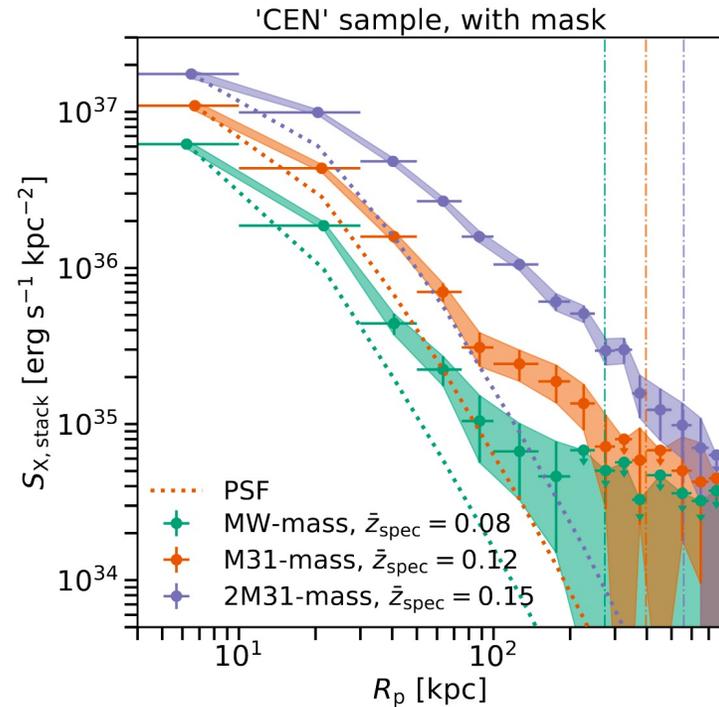
CGM mass: $1 \times 10^{11} M_{\odot}$ largest fraction! -> missing baryon problem

Baryon

Dark matter



Gupta, A et al, 2012



eROSITA X-ray brightness profile of hot CGM

Zhang et al 2024

The Milky Way: mass distribution

Cautun et al 2020 with Gaia DR2:

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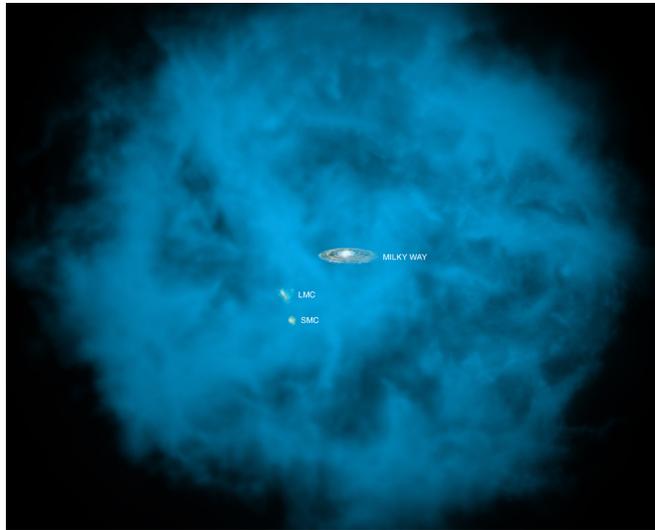
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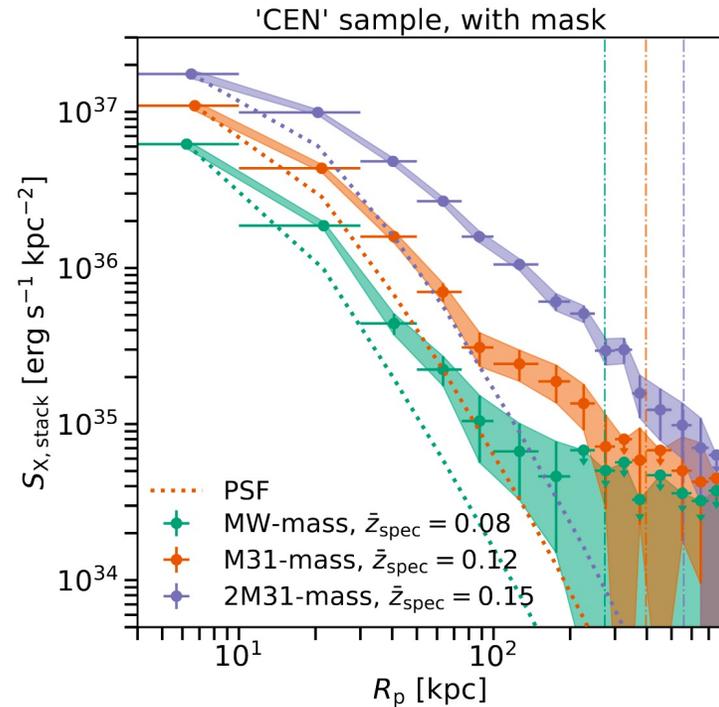
CGM mass: $1 \times 10^{11} M_{\odot}$ **largest fraction! -> missing baryon problem**

Baryon

Dark matter

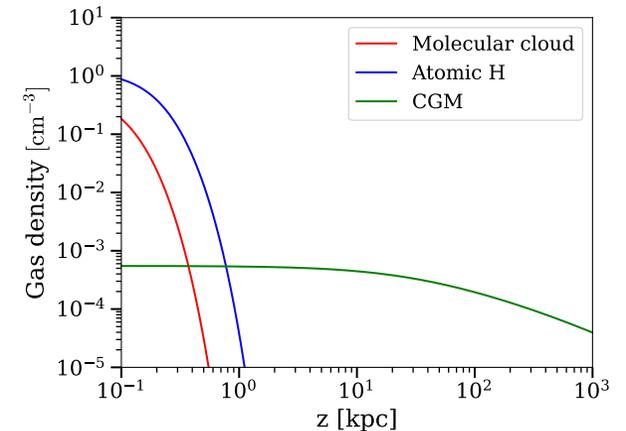
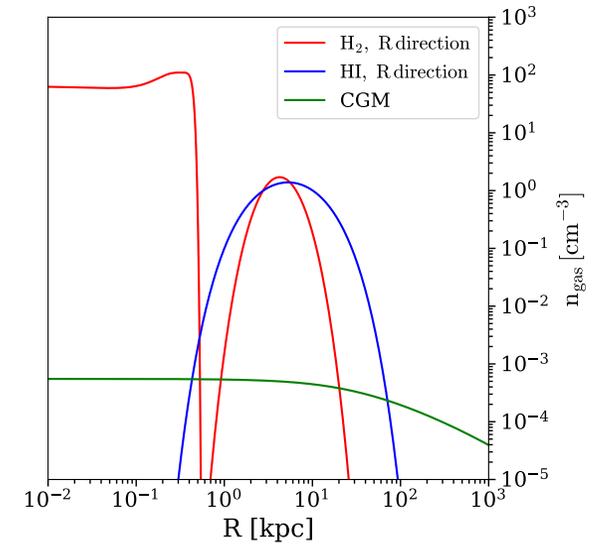


Gupta, A et al, 2012



eROSITA X-ray brightness profile of hot CGM

Zhang et al 2024



Density distribution of gas in galactic R(top) and z(bottom) direction.

Cosmic ray transport: small VS giant halo

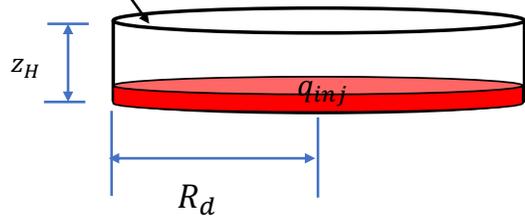
CR transport equation:

$$\frac{\partial n_i}{\partial t} = \underbrace{\nabla (D \nabla n_i)}_{\text{diffusion}} + \underbrace{\sum_j \frac{n_j}{\tau_j} - \frac{n_i}{\tau_i}}_{\text{Spallation \& decay}} + \underbrace{Q_{inj}}_{\text{injection}}$$

Classical
Small halo:

$$z_H \leq R_d$$

Free escape boundary

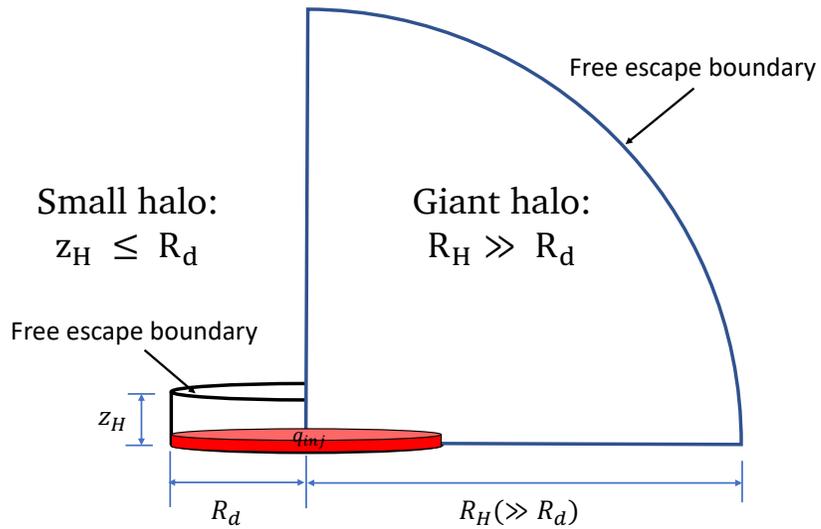


Model setup

Cosmic ray transport: small VS giant halo

CR transport equation:

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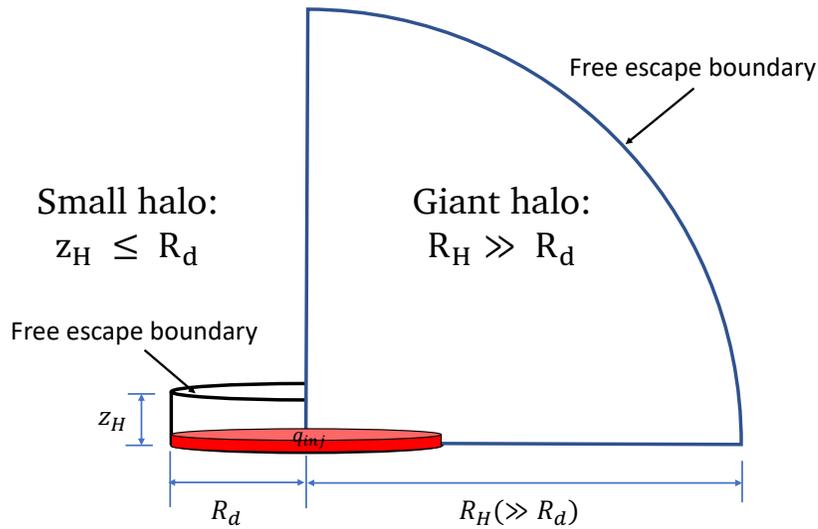


Model setup

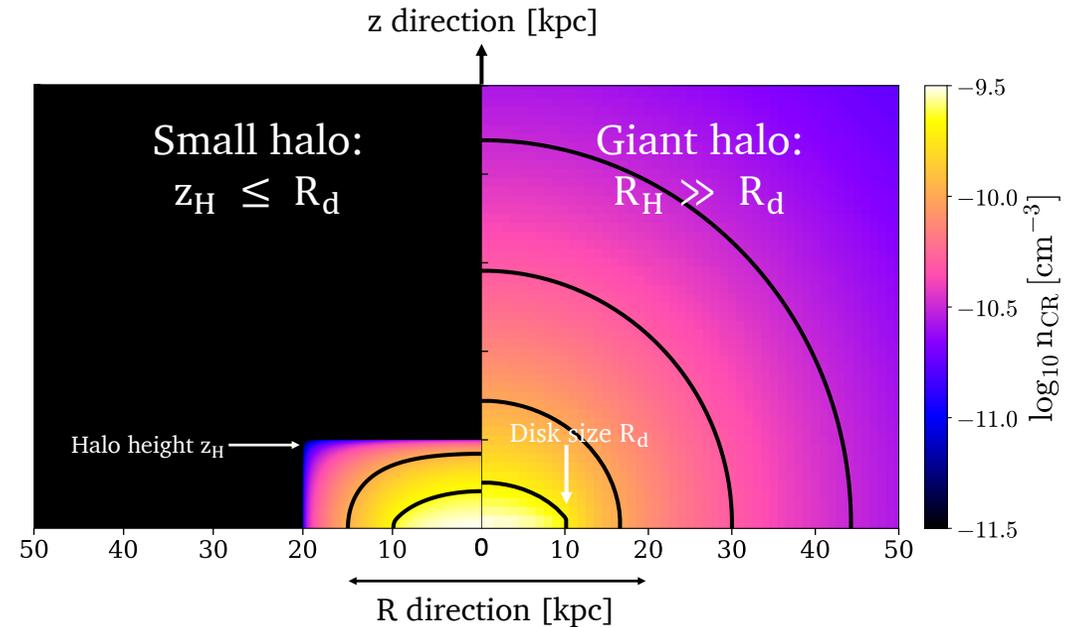
Cosmic ray transport: small VS giant halo

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Model setup



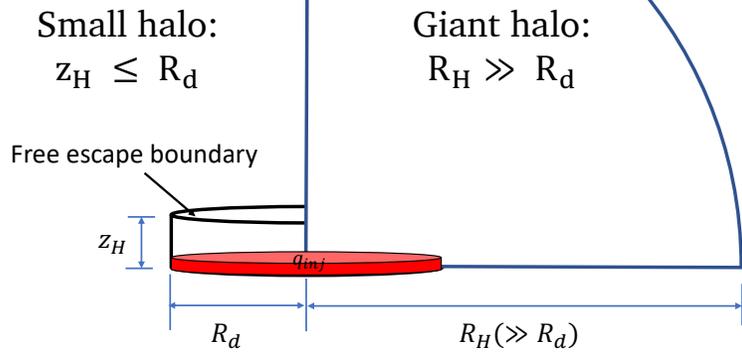
Corresponding result of CR distribution

Cosmic ray transport: small VS giant halo

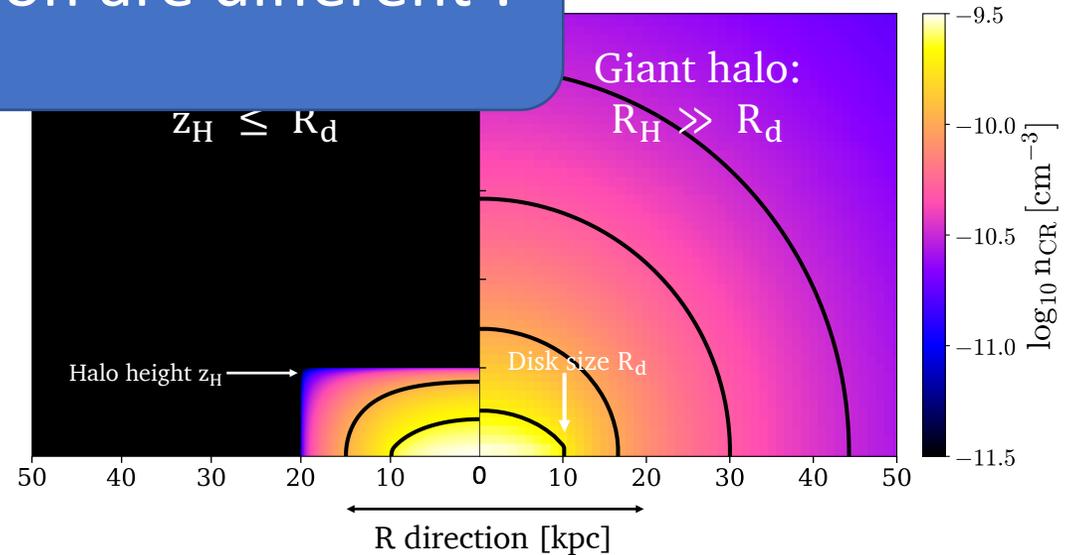
CR transport equation:

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1D diffusion and 3D diffusion are different !



Model setup



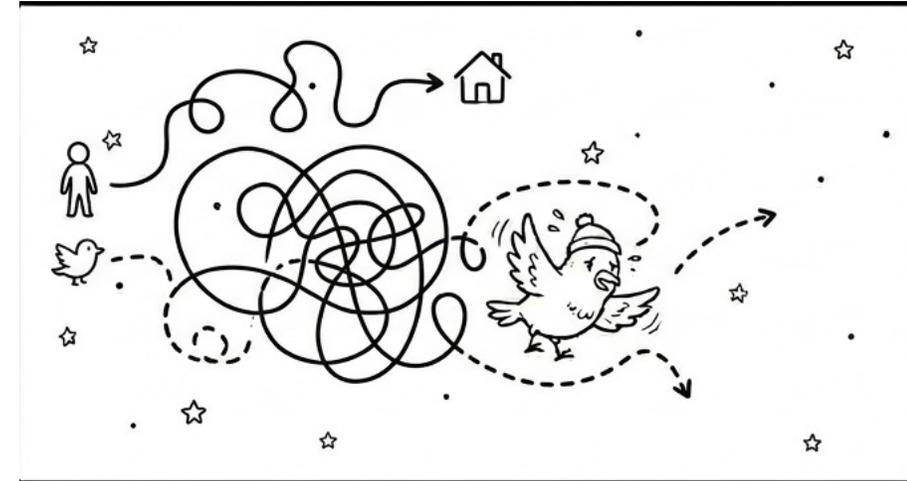
Corresponding result of CR distribution

Cosmic ray transport: random walk



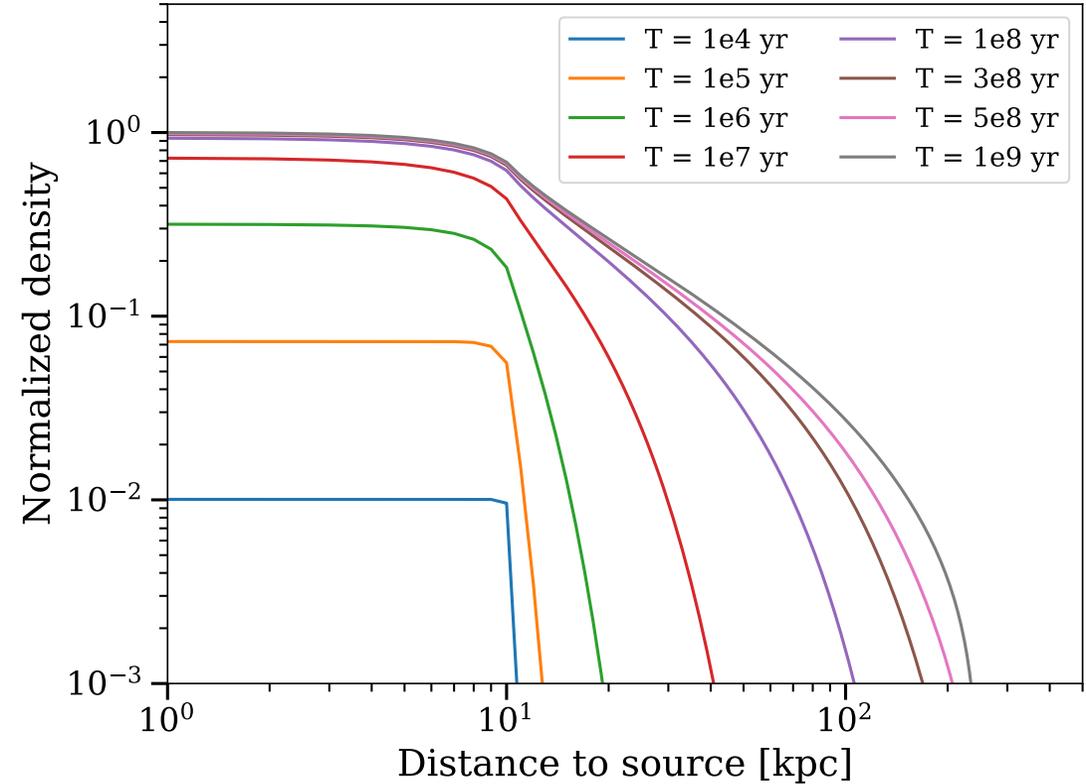
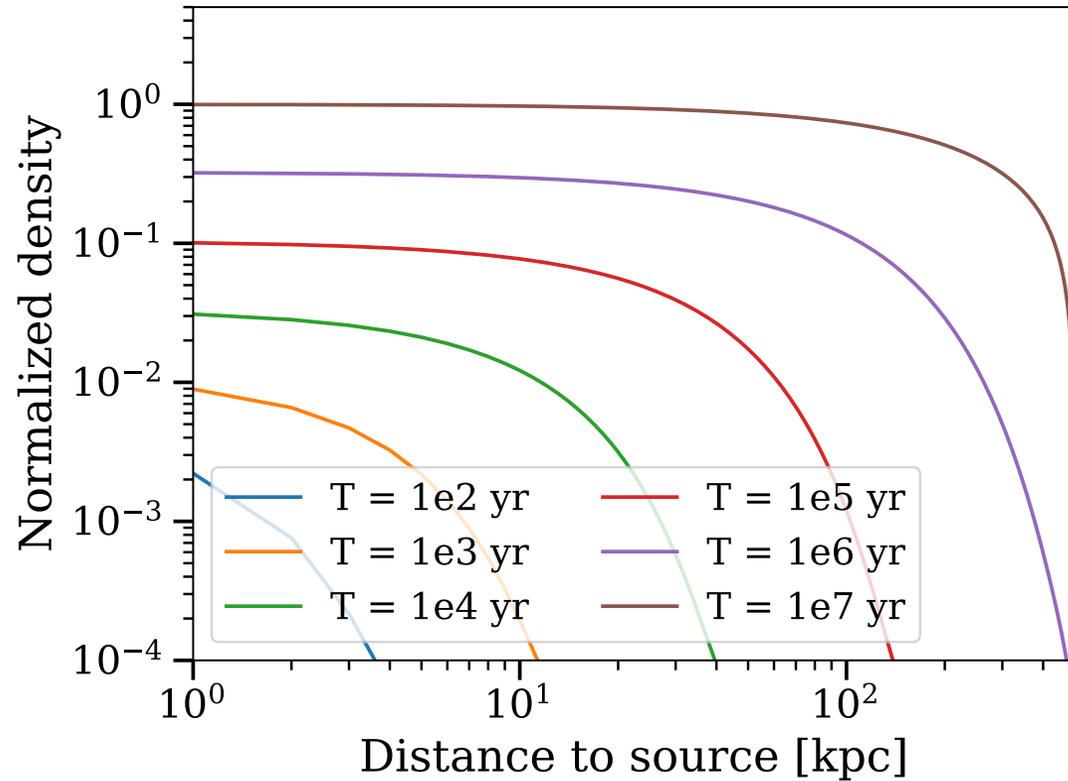
Shizuo Kakutani
(角谷静夫)

A drunk man will eventually find his way home,
but a drunk bird may get lost forever.



- **1D & 2D** random walk is **recurrent**: particles can always return to the origin
- **(\geq)3D** random walk is **transient**: there is a nonzero probability that particles never come back.

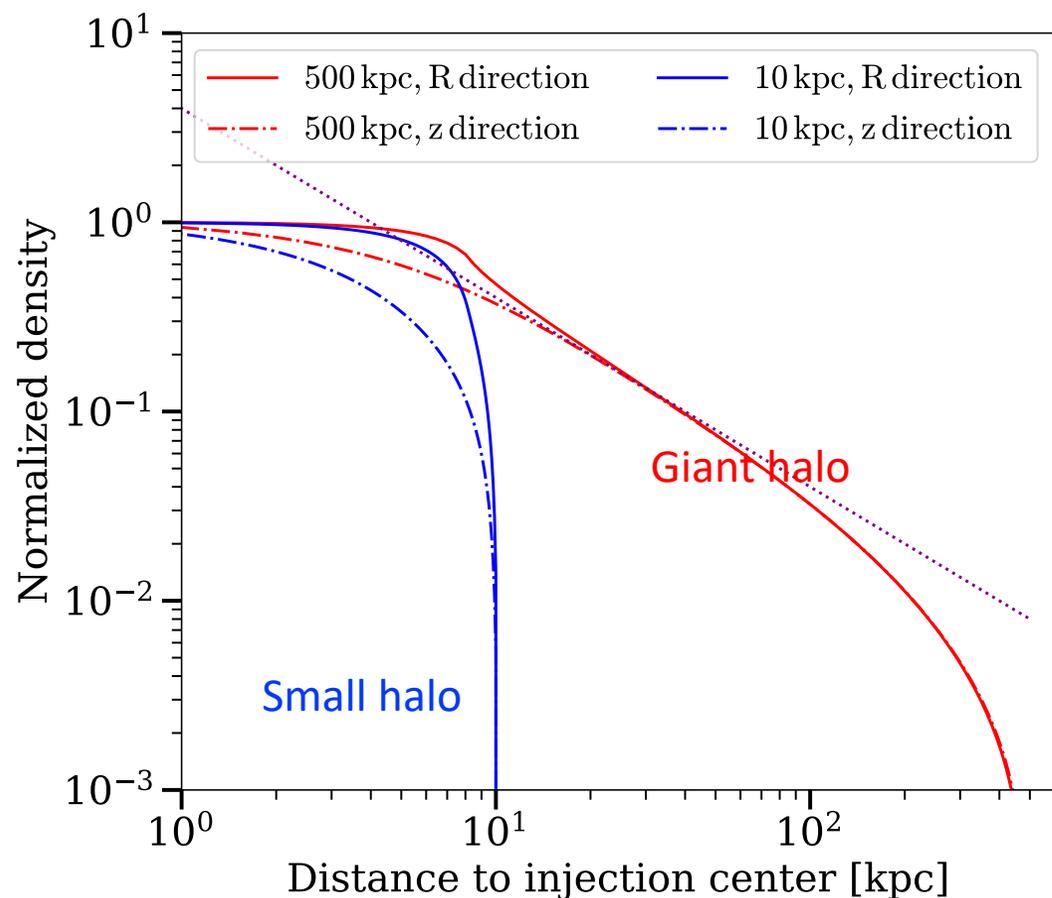
Cosmic ray transport: 1D VS 3D diffusion



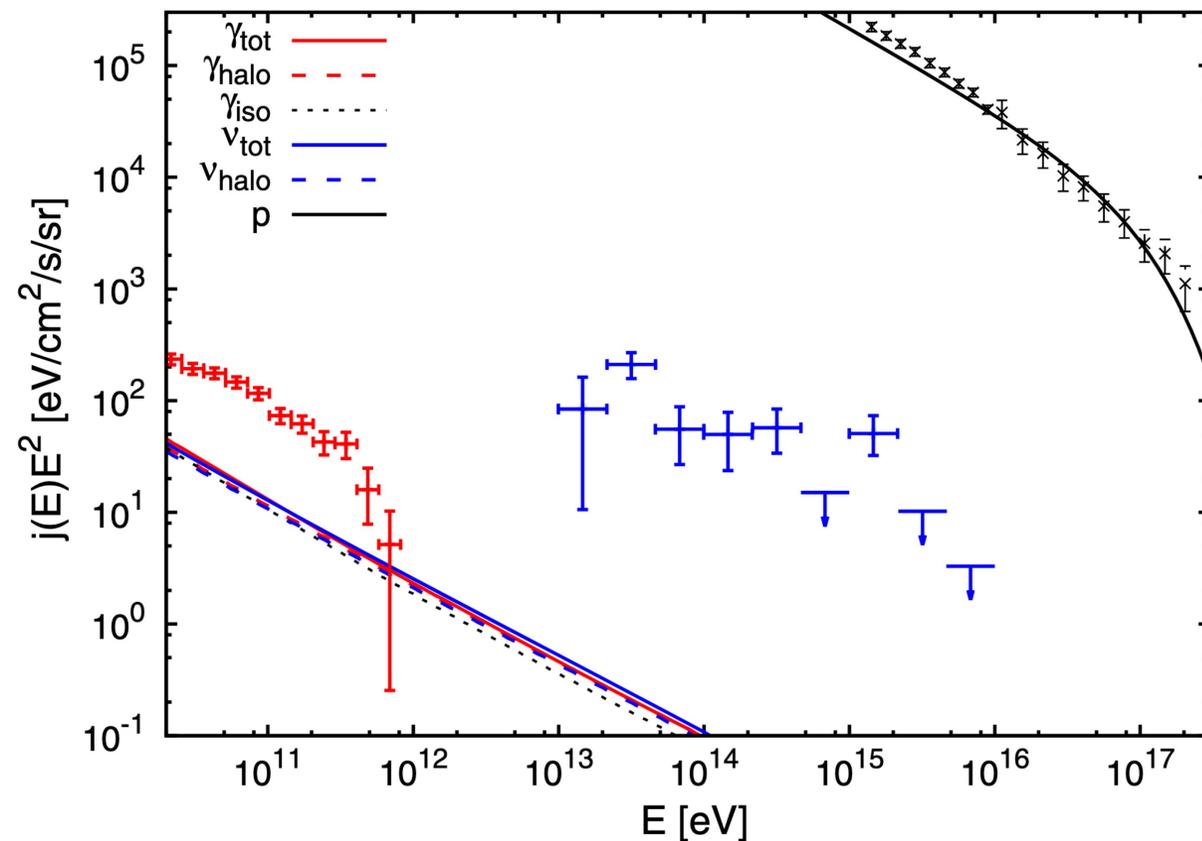
Particle distribution evolution with time for 1D(left) and 3D(right) diffusion(constant source).

- 1D & 2D diffusion can not get steady state,
- (\geq)3D diffusion can get steady state.

Cosmic ray transport: small VS giant halo



- CR diffusion in the source region is similar to 1D, but in the giant halo is 3D, resulting a long $1/r$ tail.



Diffuse neutrino(blue) and gamma-ray(red) spectra
Kalashov & Troitsky 2016

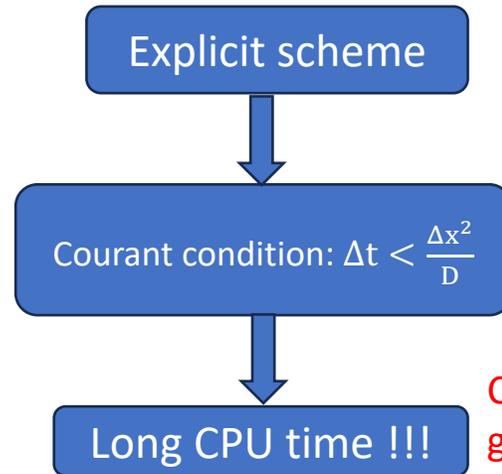
- CRs in the halo contribute to diffuse gamma-ray and neutrino emission at a level comparable to those in the disk.

Cosmic ray transport: numerical solution

CR transport equation:

$$\frac{\partial n_i}{\partial t} = \nabla (D \nabla n_i) + \sum_j \frac{n_j}{\tau_j} - \frac{n_i}{\tau_i} + Q_{inj}$$

diffusion Spallation & decay injection



CR transport simulation in giant halo is also great challenge for Galprop and DRAGON

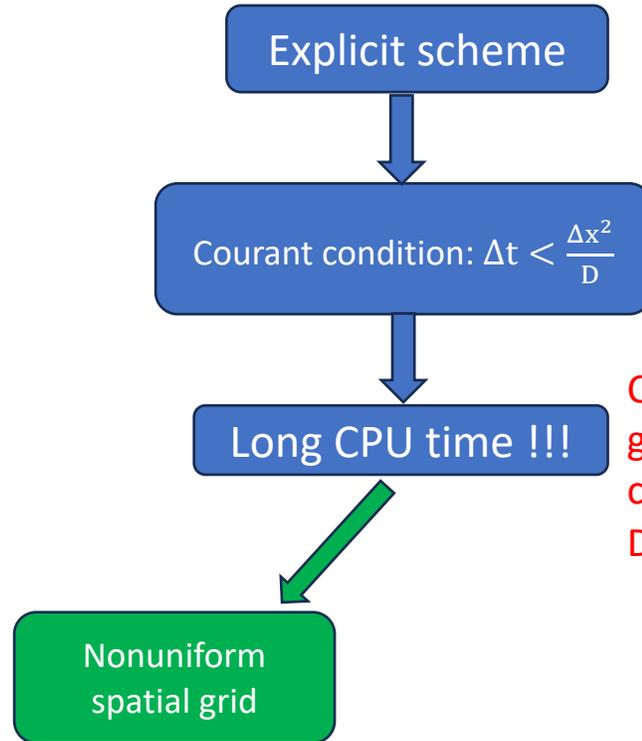
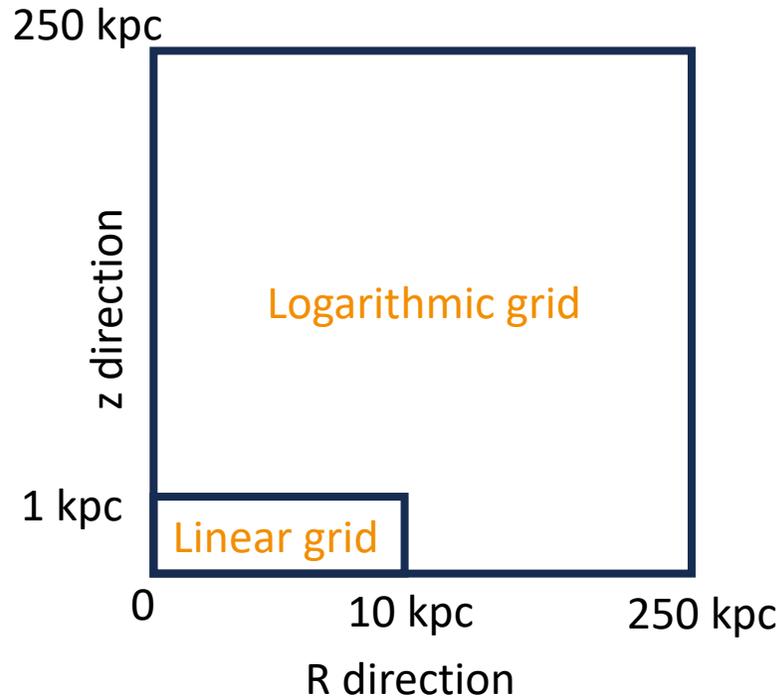
Cosmic ray transport: numerical solution

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diffusion Spallation & decay injection

Simulation box



CR transport simulation in giant halo is also great challenge for Galprop and DRAGON

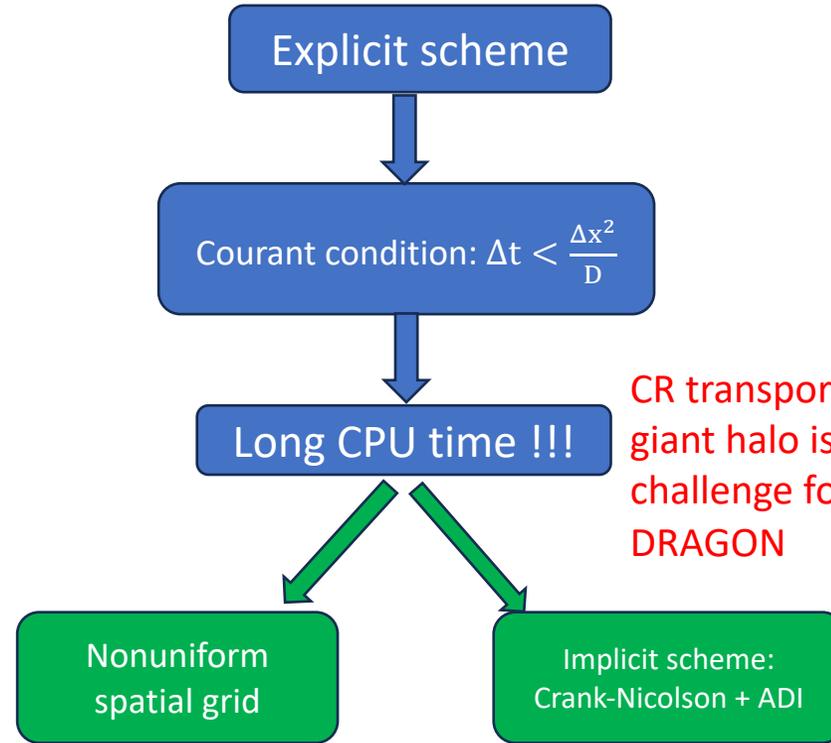
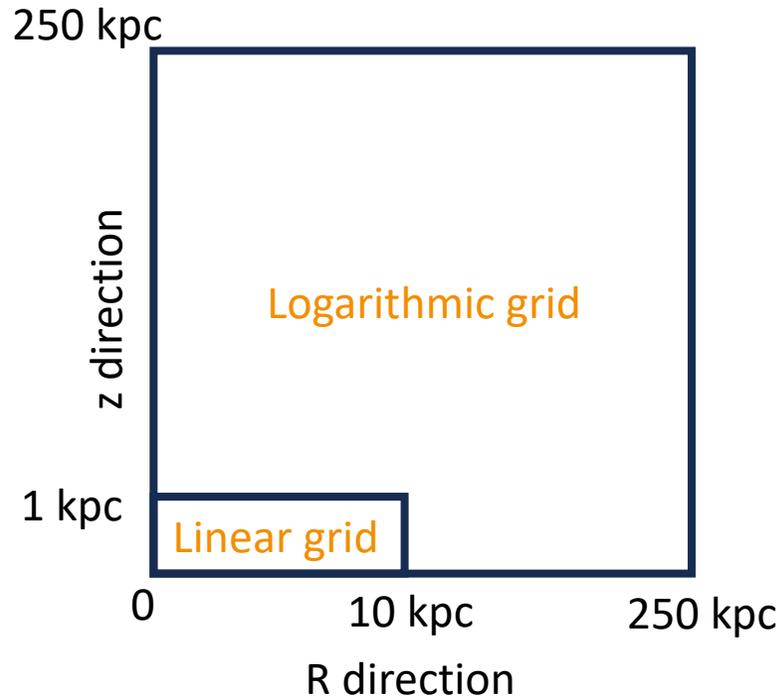
Cosmic ray transport: numerical solution

CR transport equation:

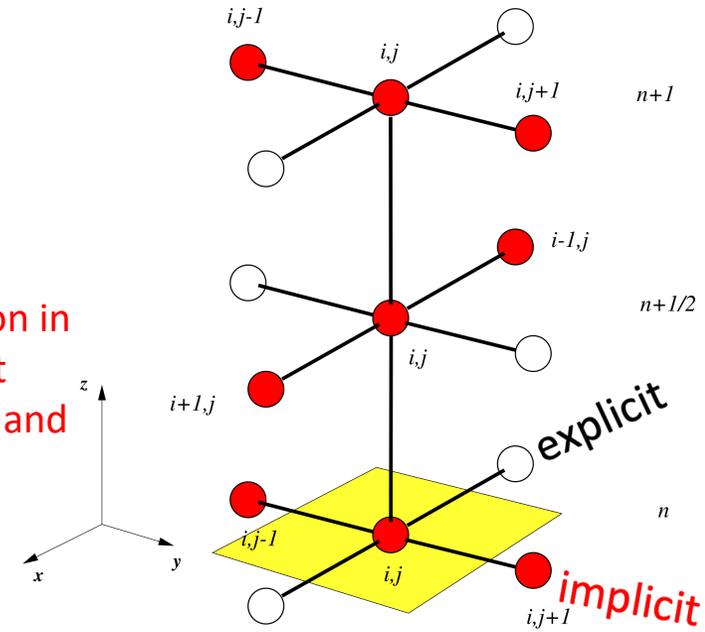
$$\frac{\partial n_i}{\partial t} = \nabla (D \nabla n_i) + \sum_j \frac{n_j}{\tau_j} - \frac{n_i}{\tau_i} + Q_{inj}$$

↑ diffusion ↑ Spallation & decay ↑ injection

Simulation box

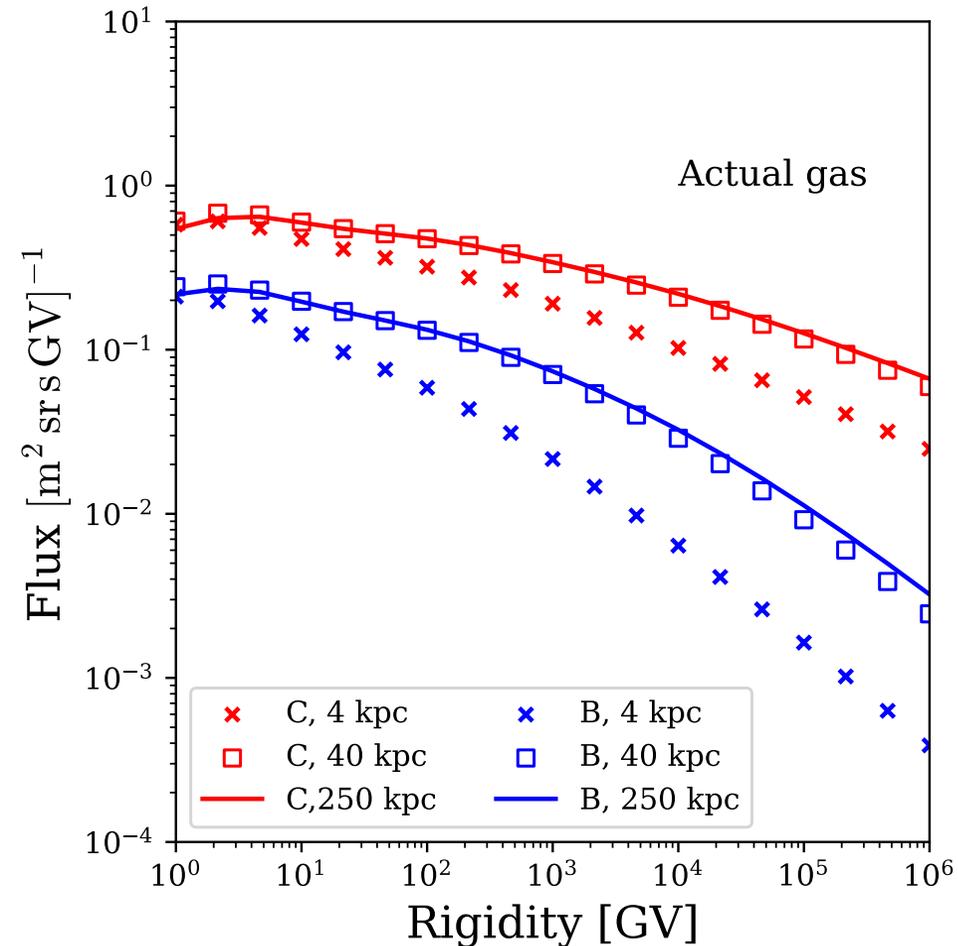


CR transport simulation in giant halo is also great challenge for Galprop and DRAGON



Alternating-direction implicit method
By Sidney.hy.li

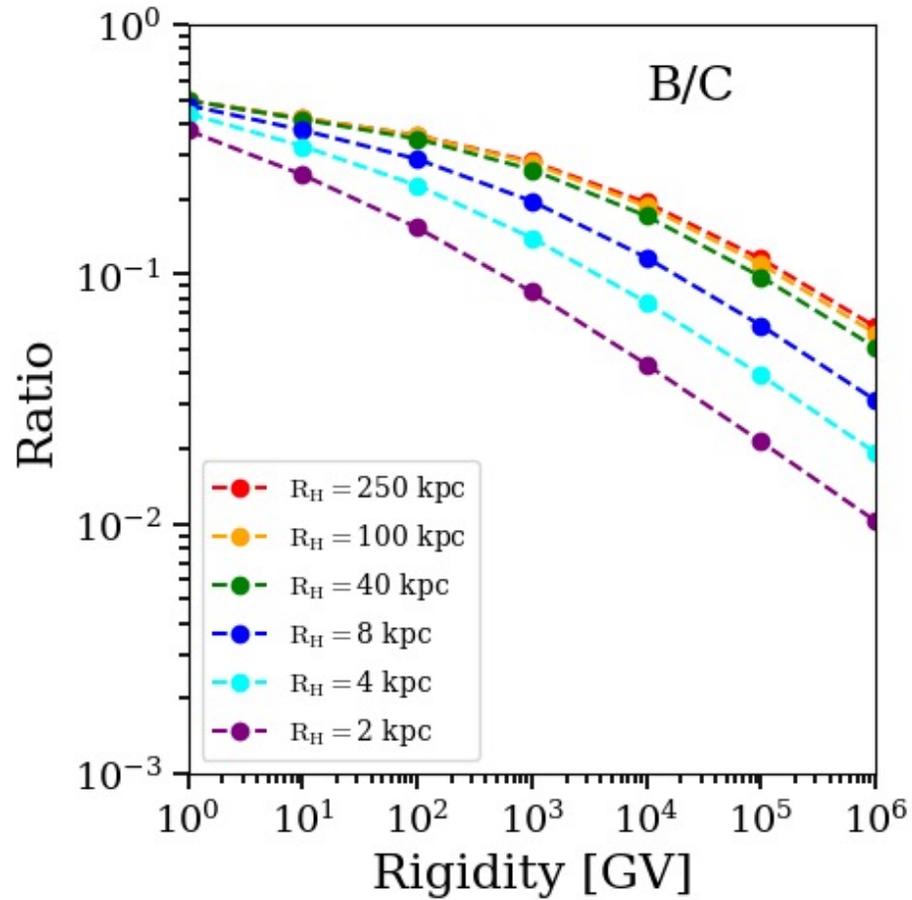
Cosmic ray transport: C and B spectra



Steady state B&C spectrum for different halo sizes

1. Boron slope steeper than Carbon slope by a factor of δ
2. When the halo size is large enough, it does not affect the inner region anymore.

Cosmic ray transport: B/C ratio & halo size

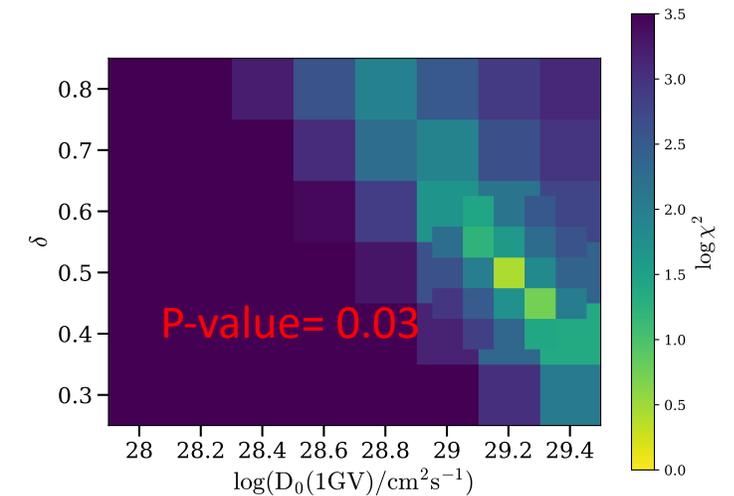
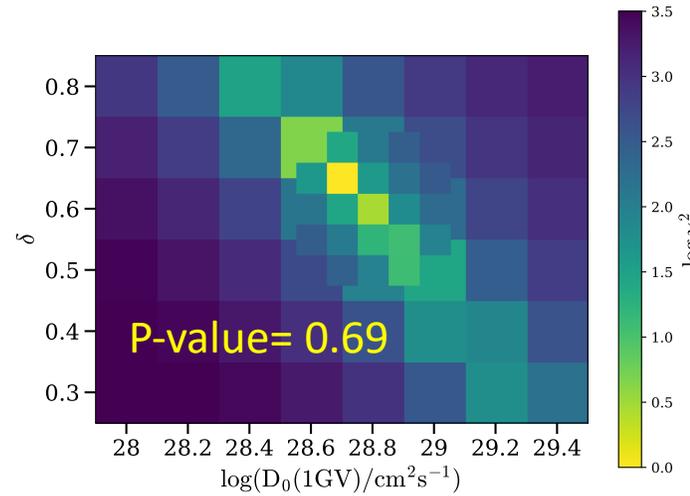
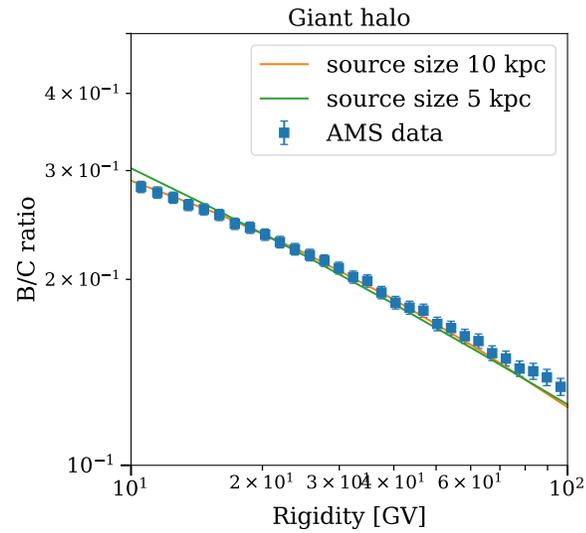


- Halo size affects both the slope and normalization.

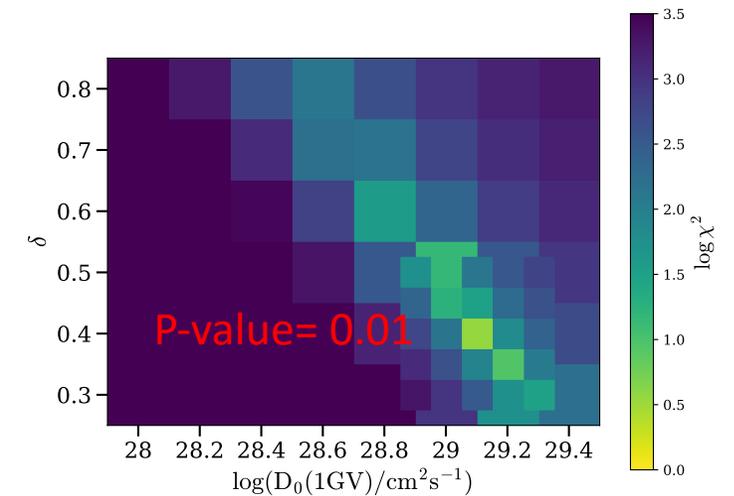
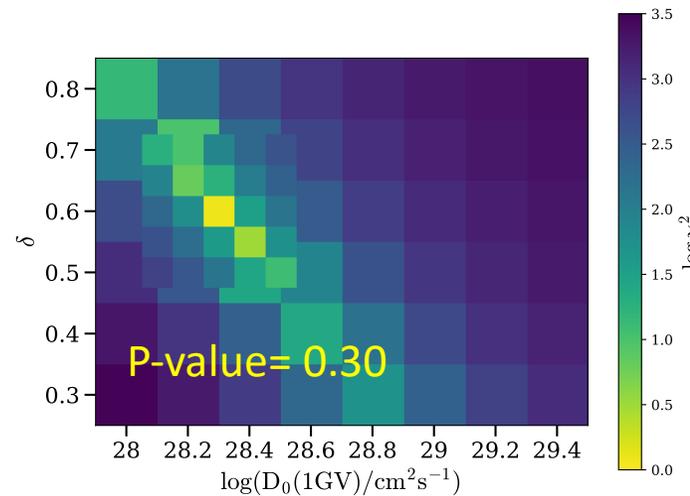
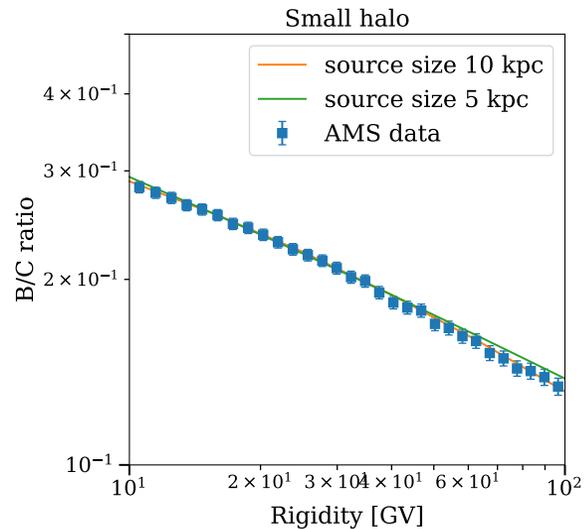
Steady state B/C ratio spectrum for different halo sizes with actual gas distribution

Scan parameter space with nested grid

Giant halo



Small halo



Source size 10 kpc

Source size 5 kpc

- Both giant and small halo can fit the data

- Small source scenario is excluded

Summary:

1. CR diffusion in the source region is similar to 1D, but in the giant halo is 3D
2. When the halo is large enough, the halo size does not affect the CR distribution in the source region anymore.
3. Giant halo scenario can also explain the B/C ratio with reasonable diffusion coefficients

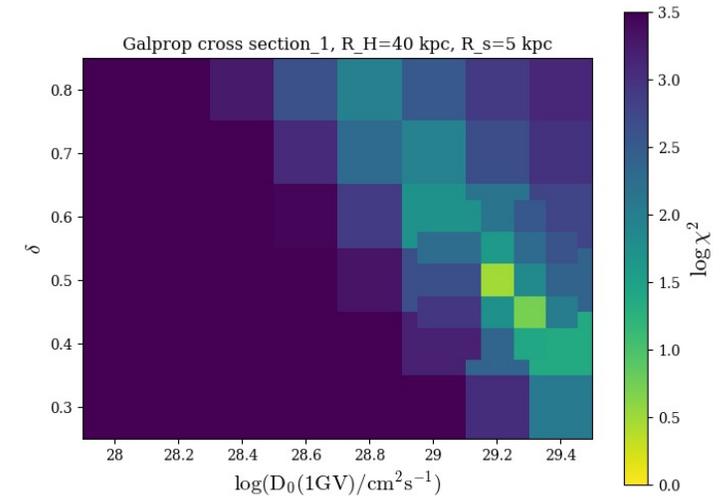
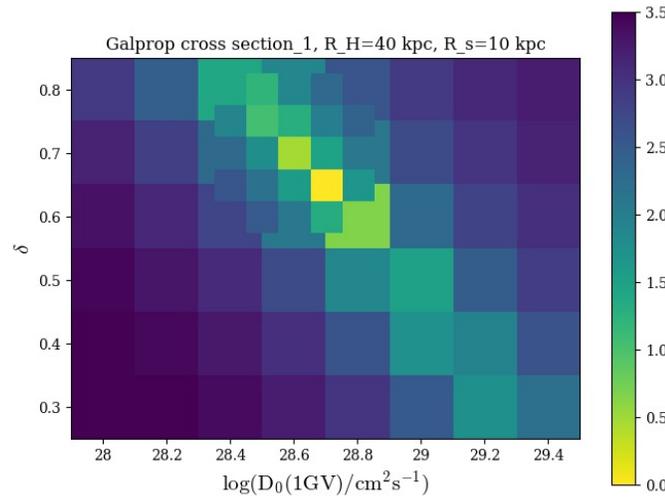
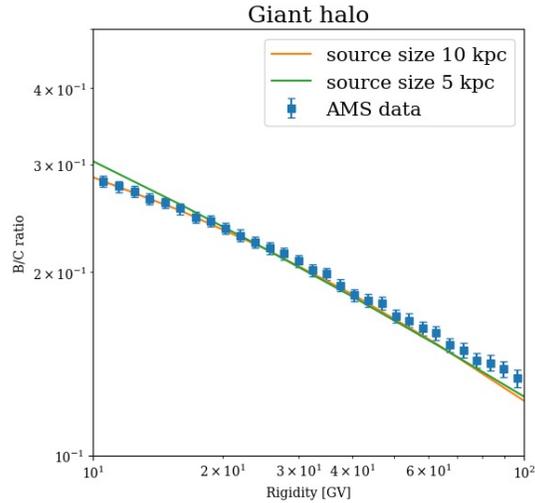
Future Perspective:

1. Include advection & reacceleration in simulation
2. Explain unstable secondary CRs(Beryllium)
3. Calculate the diffuse gamma-ray and neutrino emission from CGM halo

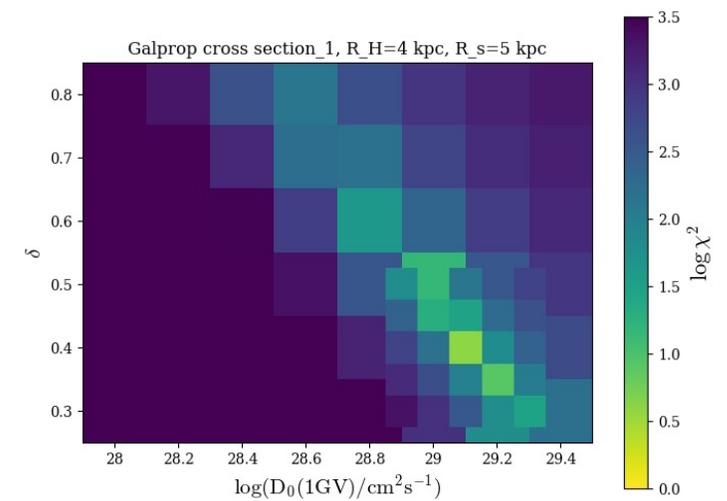
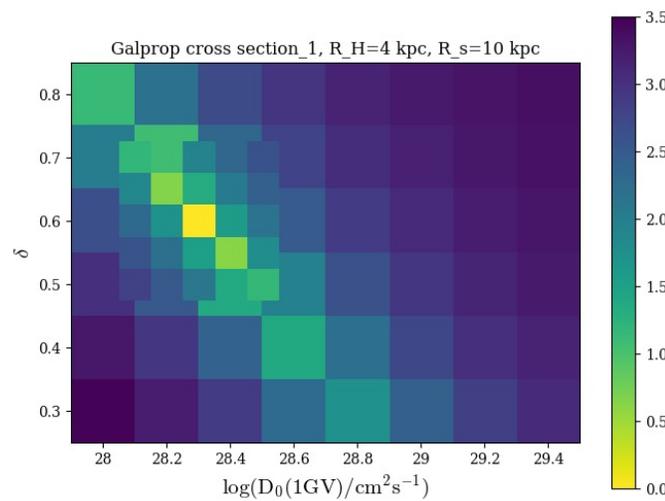
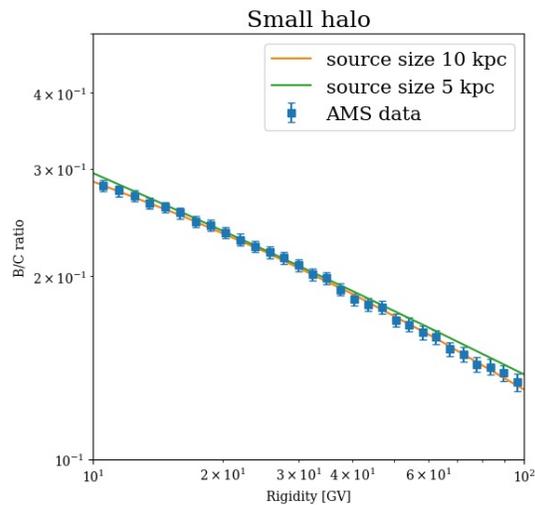
Backup slides

Fitting with Galprop cross sections

Giant halo



Small halo



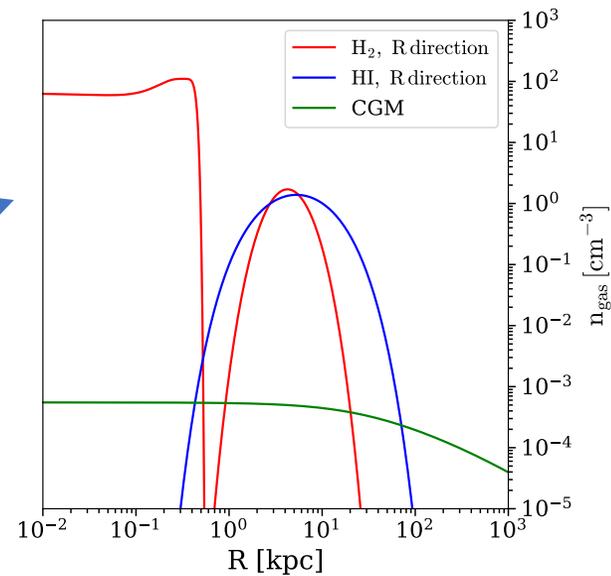
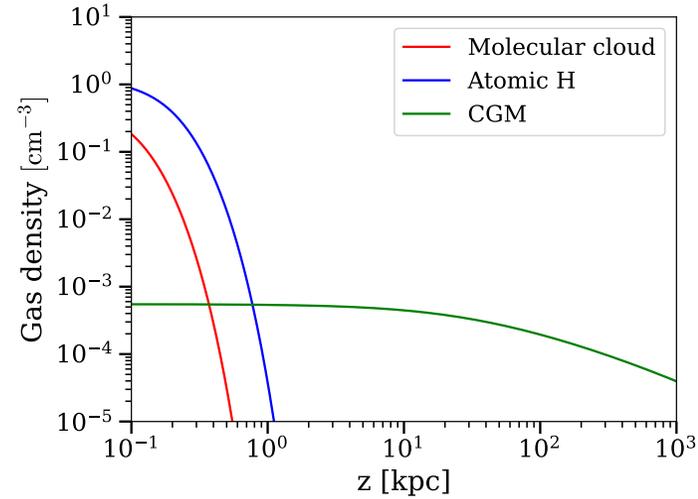
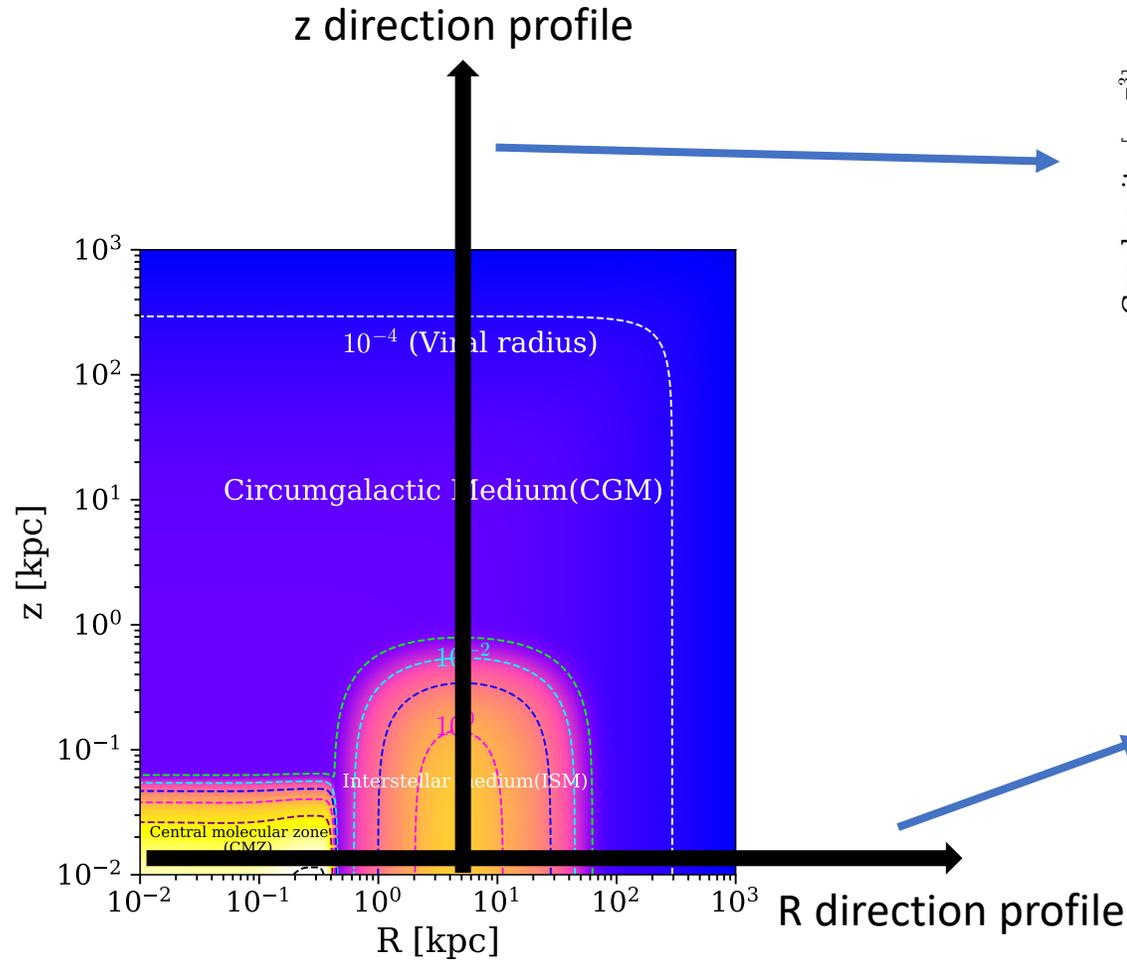
Best-fit results

Source size 10 kpc

Source size 5 kpc

Uncertainty in cross sections can change the best-fit diffusion coefficients a little

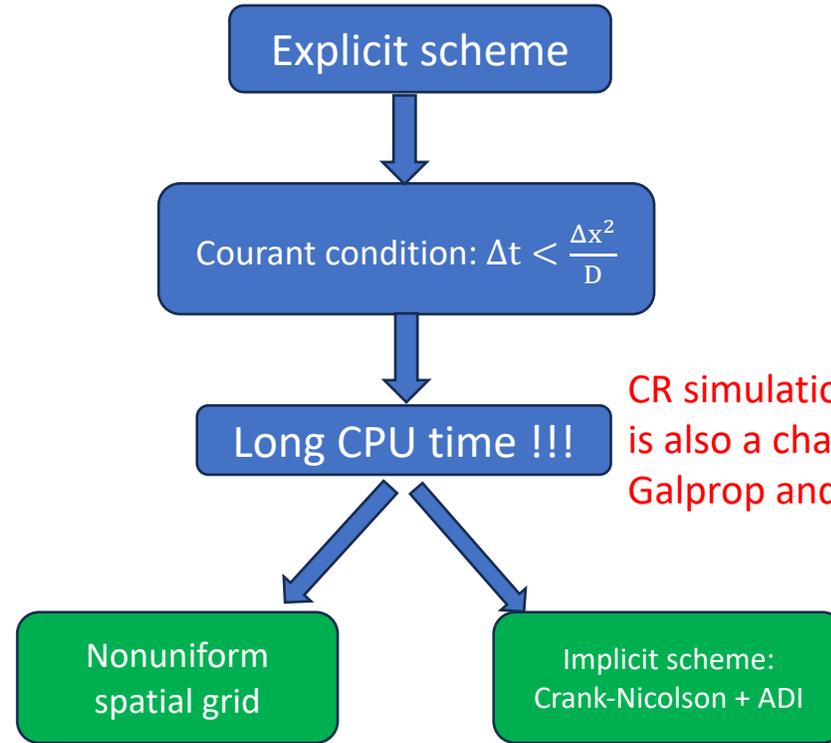
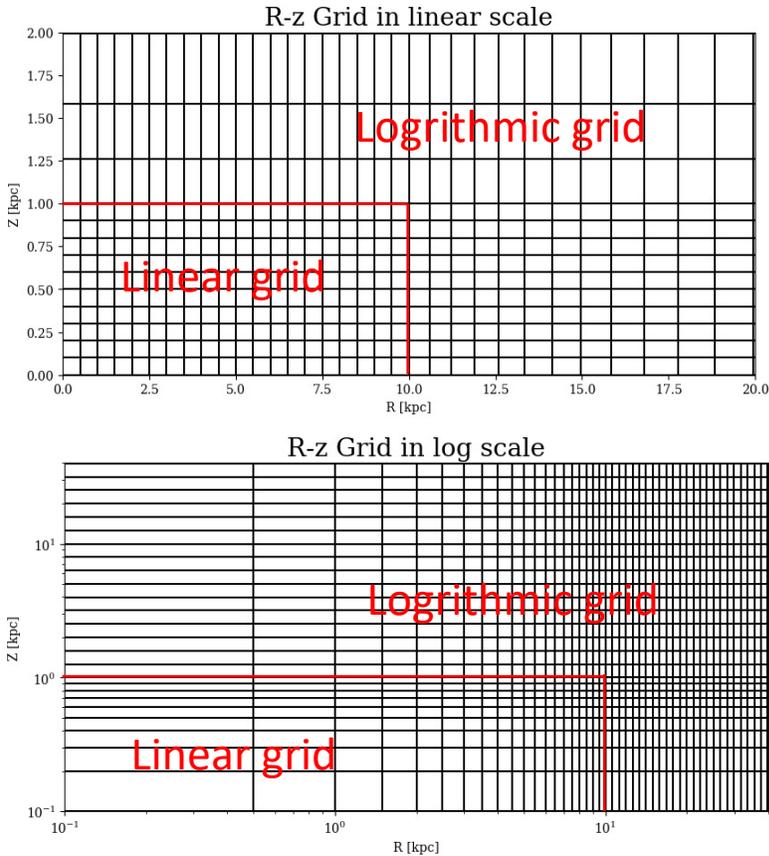
Cosmic ray transport: gas distribution



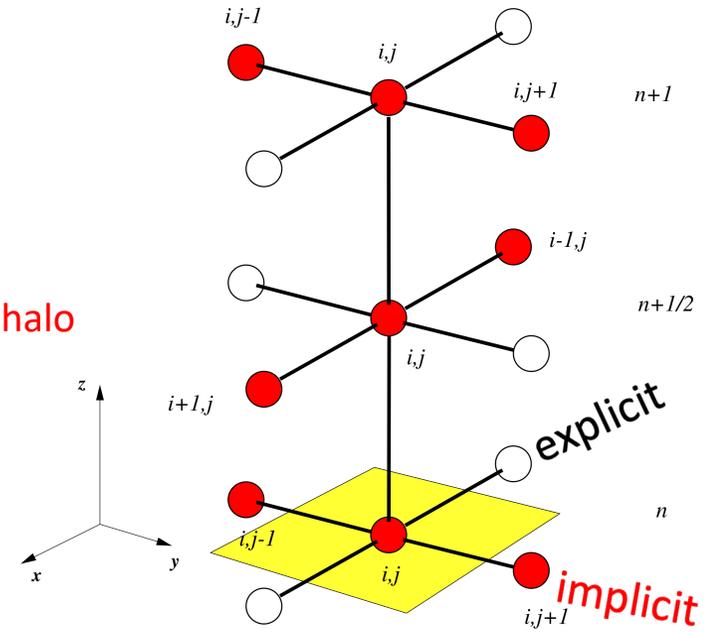
Cosmic ray transport: numerical solution

CR diffusion equation:

$$\frac{\partial n_i}{\partial t} = \underbrace{\nabla (D \nabla n_i)}_{\text{diffusion}} + \underbrace{\sum_j \frac{n_j}{\tau_j} - \frac{n_i}{\tau_i}}_{\text{Spallation}} + \underbrace{Q}_{\text{injection}} \delta_{inj}$$



CR simulation in giant halo is also a challenge for Galprop and DRAGON



Alternating-direction implicit method
By Sidney.hy.li

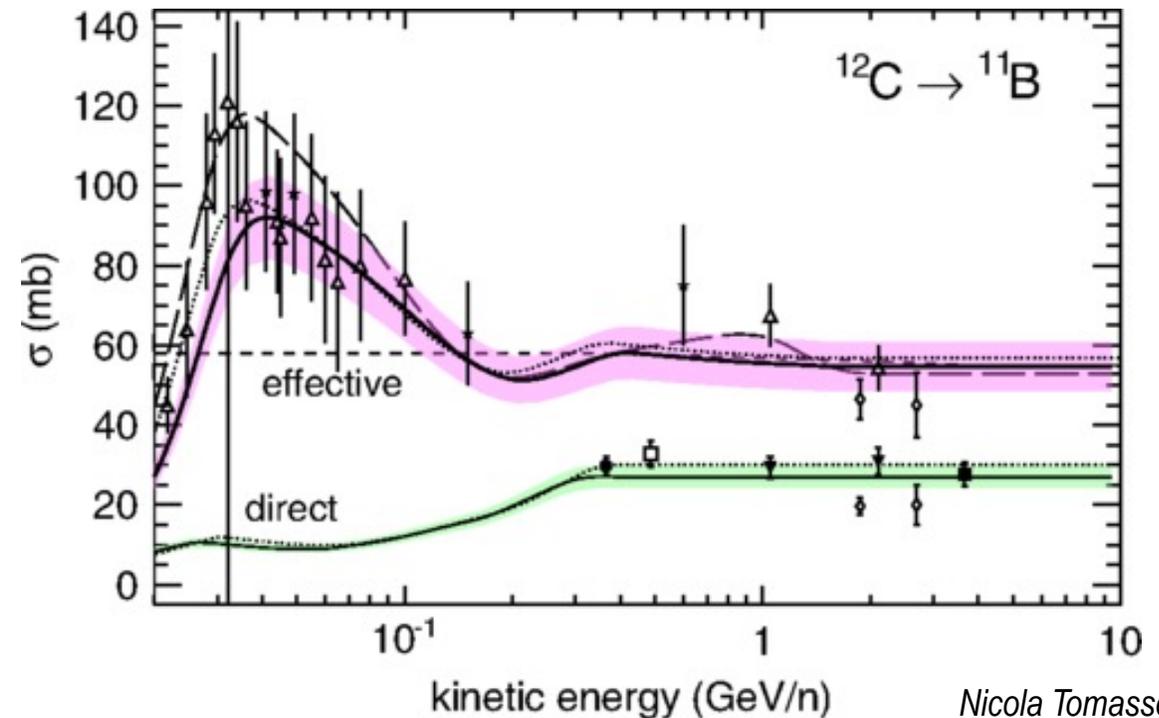
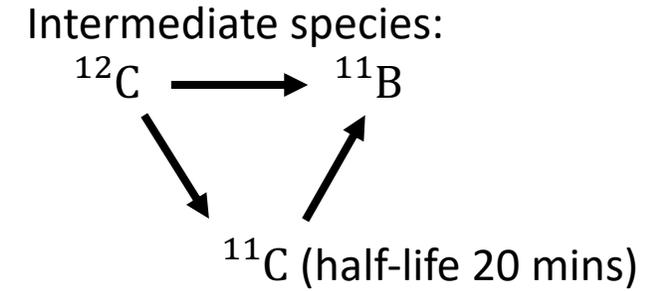
Cosmic ray transport: spallation

$$\frac{\partial n_i}{\partial t} = \nabla \cdot (D \nabla n_i) + \sum_j \frac{n_j}{\tau_j} - \frac{n_i}{\tau_i} + Q_{inj}$$

Cross section (mb)	EPOS-LHC	Galprop
$^{12}\text{C} \rightarrow ^{11}\text{B}$	66.9	56.9
$^{12}\text{C} \rightarrow ^{10}\text{B}$	8.5	12.3

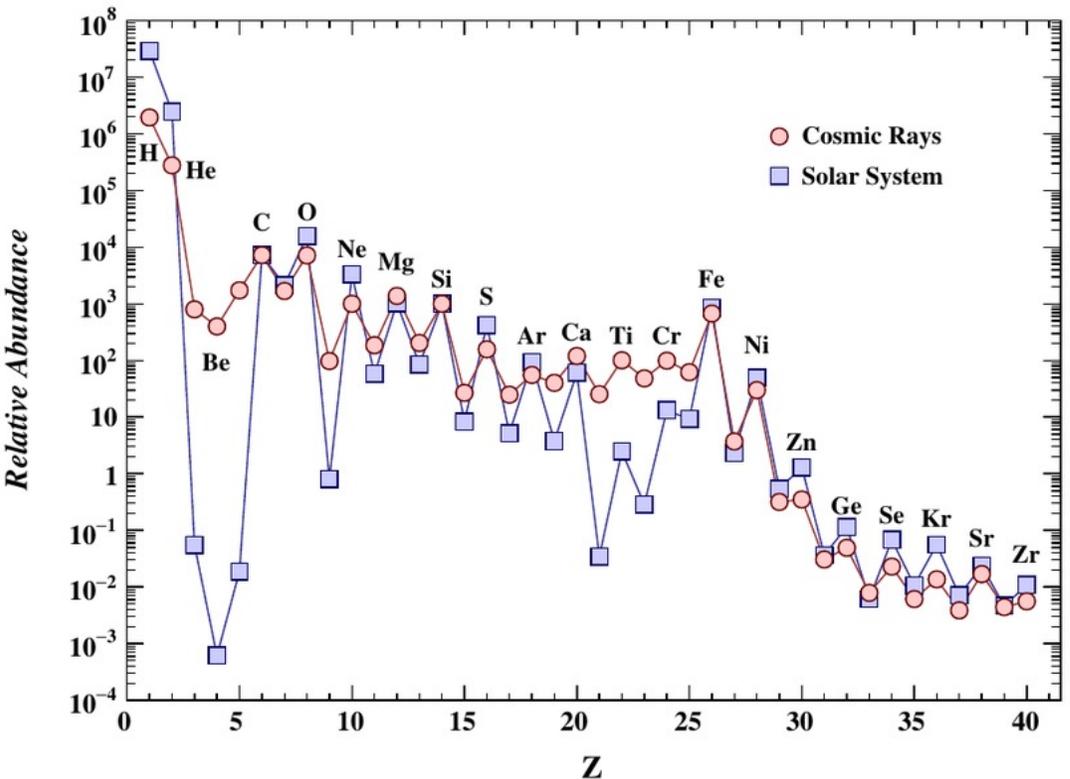
Cross sections still contribute a large fraction of uncertainties in the CR simulations.

The “*effective*” cross section accounts for the intermediate species

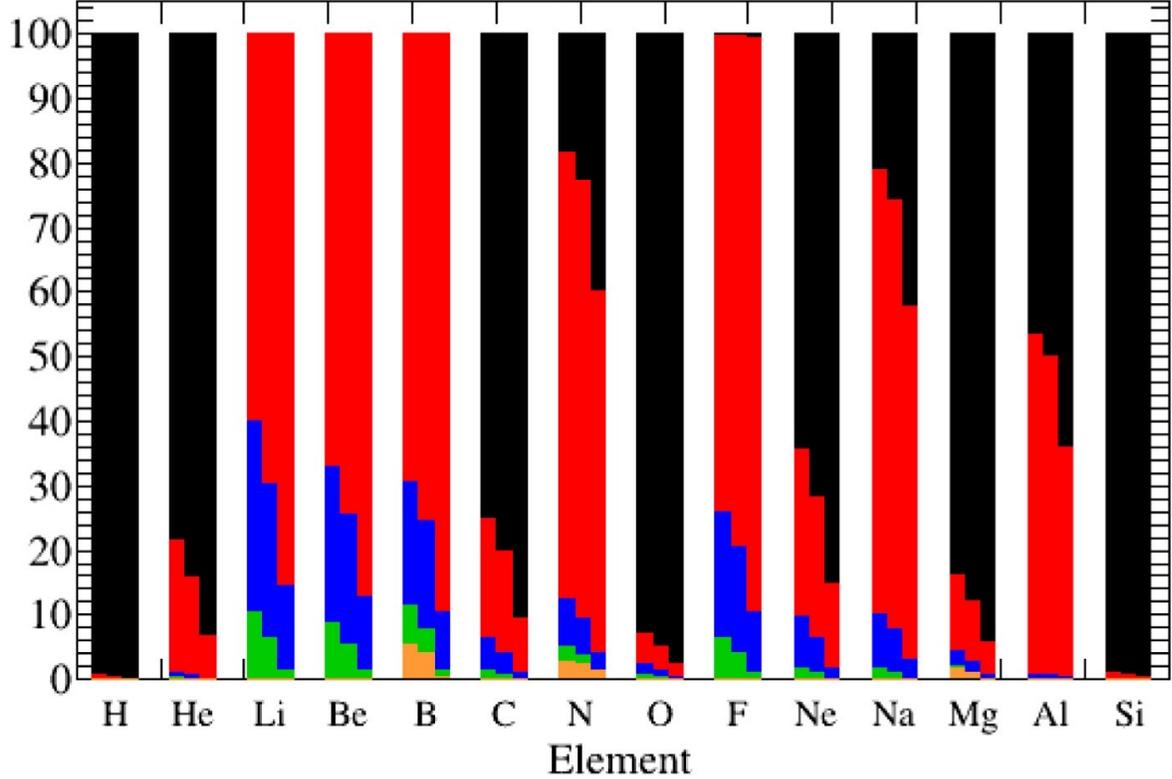


Nicola Tomassetti 2017

Cosmic ray abundance

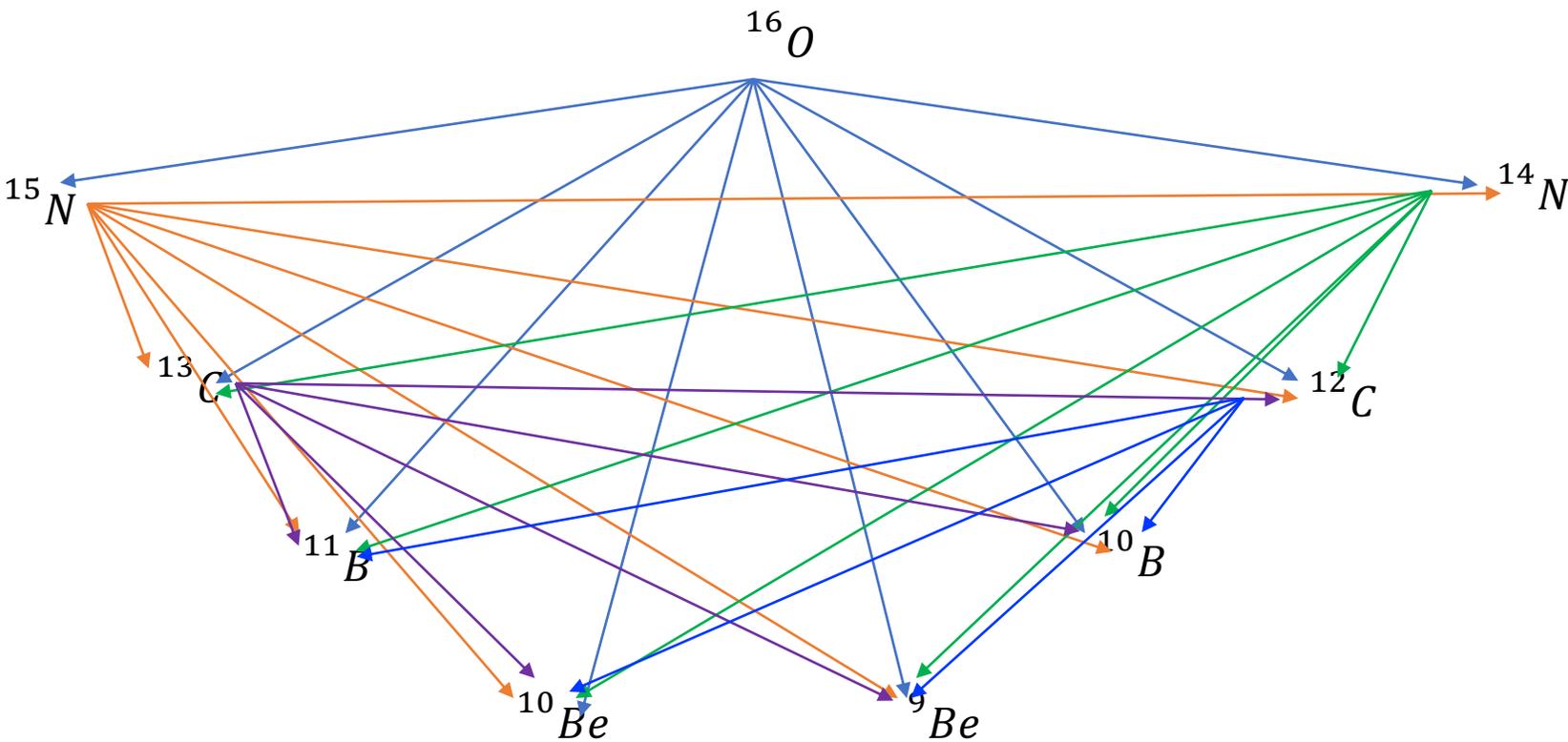


CR elemental abundance compared to the solar system. *Maggiara, Angelo, 2023*

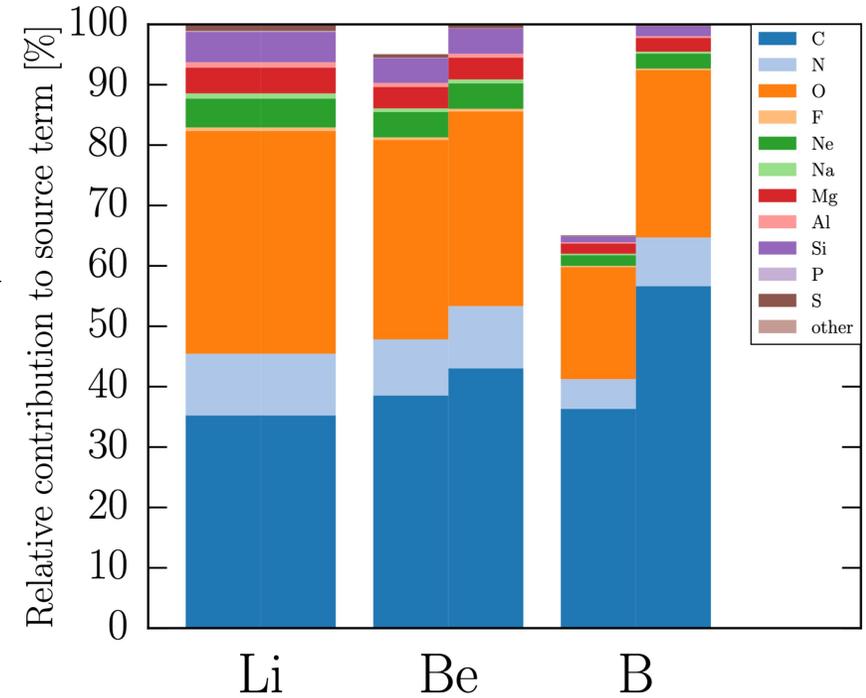


Elemental fractional origins at 1, 10 and 100 GeV/n; primary (black); secondary(1,2, and > 2 steps in red, blue and green), radioactive(orange). *David Maurin 2019*

CR spallation network



CR spallation network



Fractional contribution to the secondary source term at 10 GeV/n

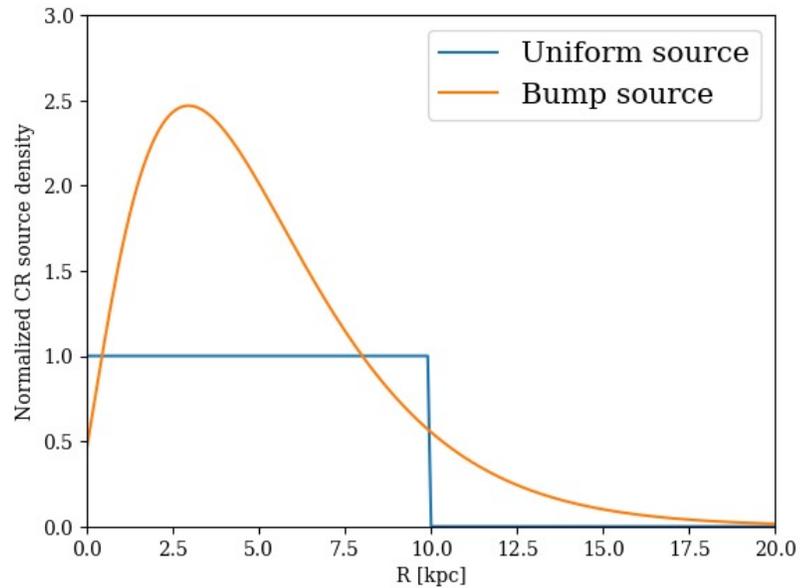
Evoli & Gaggero et al 2018

Cosmic ray propagation: injection

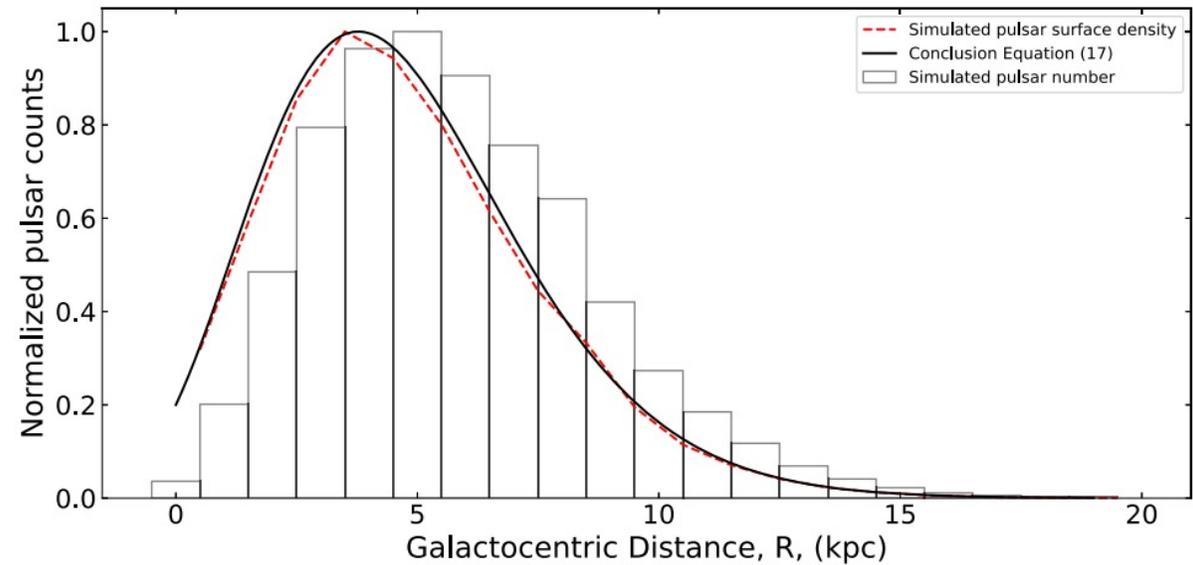
CR diffusion equation:

$$\frac{\partial n_i}{\partial t} = \nabla \cdot (D \nabla n_i) + \sum_j \frac{n_j}{\tau_j} - \frac{n_i}{\tau_i} + Q_{inj}$$

diffusion decay injection

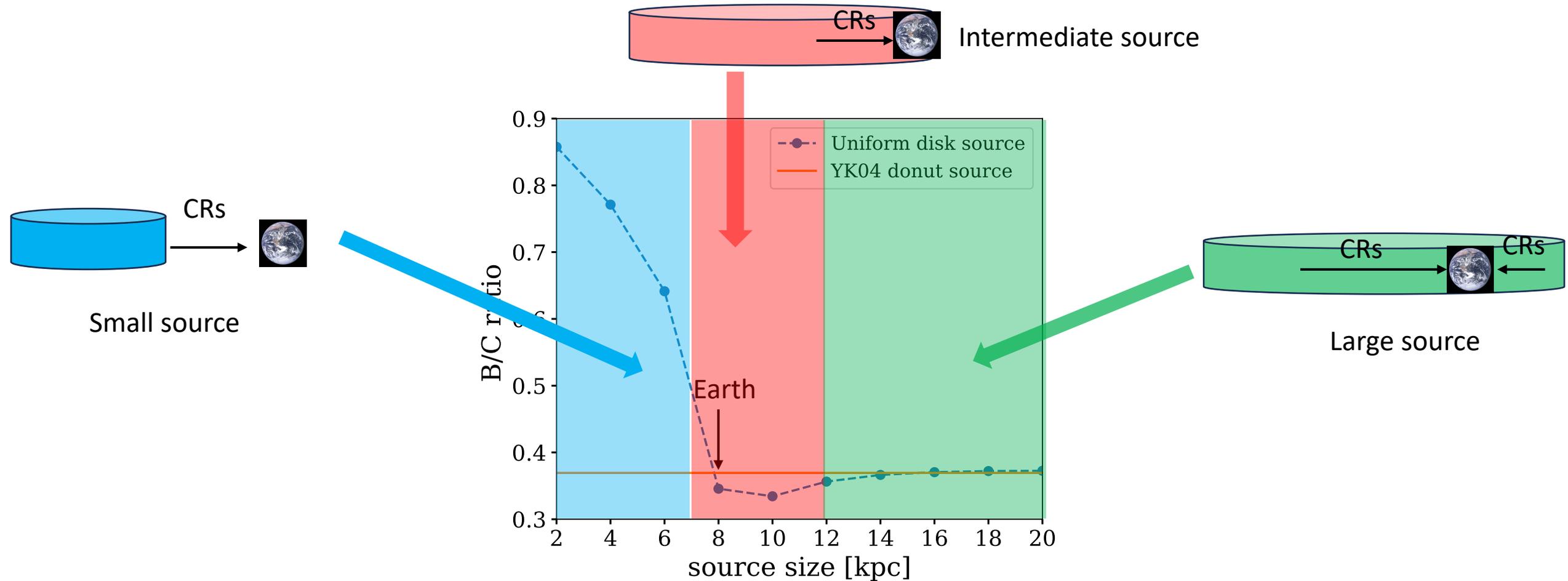


CR source distribution



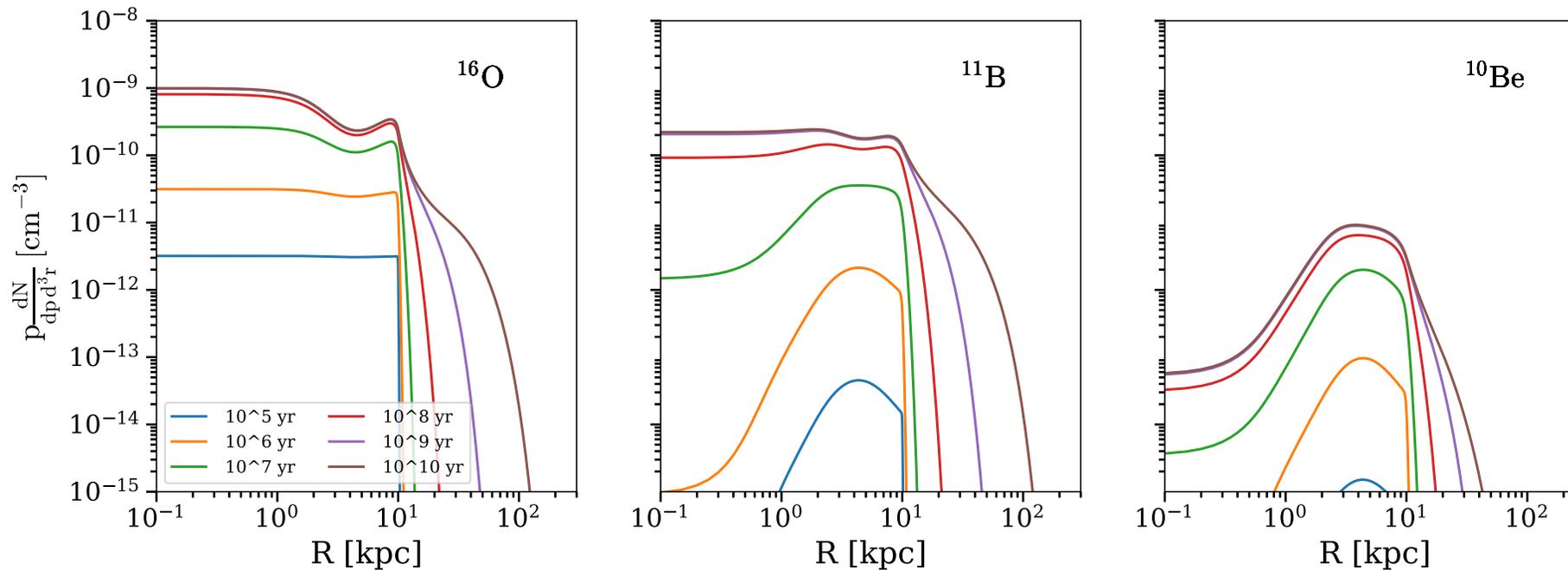
Pulsar distribution in the MW. Xie et al 2024

Cosmic ray transport: source injection



B/C ratio for different source distribution function.

Cosmic ray transport: density distribution with time



Density profile (in R direction) evolution with time for 3 species (@ 1 GV):

- ^{16}O (primary)
- ^{11}B (stable secondary)
- ^{10}Be (unstable secondary)

1. CRs get steady state at the source region first, then “leak” to farther distance.

2. CR distribution is shaped by the distribution of gas.