



南京理工大学
NANJING UNIVERSITY OF SCIENCE & TECHNOLOGY

Probing **Dark Shower** Models at Colliders using
Long-Lived Particle Searches

Wei Liu

Nanjing University of Science and Technology

based on 2511.02918 (to be appear on JHEP)

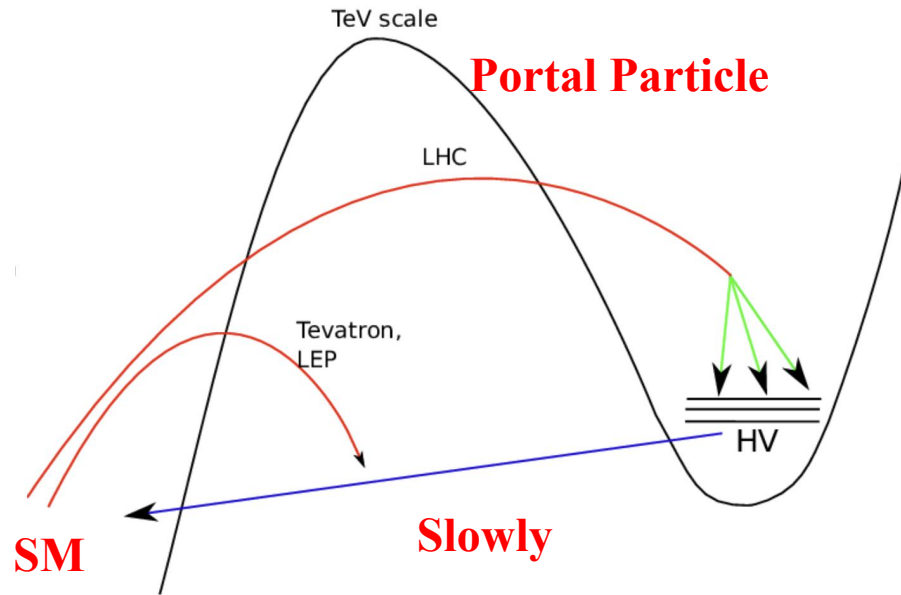
2505. 03058 (Phys.Rev.D 112 (2025) 7, 075029)

collaboration with Juliana Carrasco, Suchita Kulkarni, Joshua Lockyer, Jose Zurita

Workshop on New Physics Searches at Colliders

Hidden Valley/Dark Sector

- **Hidden Valley** (M. Stassler et al, Phys.Lett.B 651 (2007) 374-379)
 - **A Mountain, the heavy portal particles**
 - **A Valley, dark sector particles, their own interactions**
 - **decay back to SM particles slowly (LLP)**



- **Lagrangian**

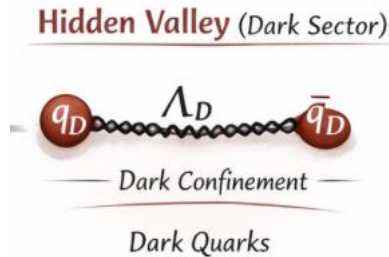
$$\begin{aligned}
 \mathcal{L} \supset & \mathcal{Q}_V^{\text{SM}} \kappa_D Z_D^\mu \bar{q} \gamma_\mu q + \mathcal{Q}_A^{\text{SM}} \kappa_D Z_D^\mu \bar{q} \gamma_\mu \gamma_5 q \\
 & + \mathcal{Q}_V^D \kappa_D Z_D^\mu \bar{q}_D \gamma_\mu q_D + \mathcal{Q}_A^D \kappa_D Z_D^\mu \bar{q}_D \gamma_\mu \gamma_5 q_D \\
 & + Y_{ij} \phi_D \bar{q}_D q_D + (D_\mu \phi)^\dagger (D^\mu \phi),
 \end{aligned}$$

- **connects the Dark sector and SM with a Z_D portal.**
- **Dark QCD sectors**

Hidden Valley/Dark Sector

- **Dark Shower**

- experimental signals
- dark chiral symmetry breaking scale is low (Valley)
- parton shower and hadronization
- dark quarks form bound states, **dark mesons**



- **Free characteristic parameter**

- Λ_D , the scale of the Dark QCD
- m_{π_D}/Λ_D , the ratio of dark pion mass to scale
- N_F , the number of flavours
- N_C the number of colors,
- $c\tau$ the proper decay lifetime of long-lived pions

Hidden Valley/Dark Sector

- **Dark Hadrons** (‘snowmass fit’ , Eur.Phys.J.C 82 (2022) 12, 1132)

$$\frac{m_{\pi_D}}{\Lambda_D} = 5.5 \sqrt{\frac{m_{q_D}}{\Lambda_D}},$$

$$\frac{m_{\rho_D}}{\Lambda_D} = \sqrt{5.76 + 1.5 \frac{m_{\pi_D}^2}{\Lambda_D^2}}.$$

- $N_F(N_F-1)$ **stable** π_D^\pm and $N_F \pi_D^0$ as **LLP**, same for ρ_D

- **Benchmark**

Benchmark name	N_C	N_F/N_C	m_{π_D}/Λ_D	Λ_D GeV	Stable mesons	Meson decay modes
All π_D^0 decay	5	0.5 - 2.5	0.2 - 1.5	0 - 60	All π_D^\pm 0 π_D^0	$\rho_D^0 \rightarrow \pi_D^\pm \pi_D^\pm$ $\rho_D^\pm \rightarrow \pi_D^\pm \pi_D^0$ $\pi_D^0 \rightarrow q\bar{q}$

- All π_D^0 decay, branching ratio 100% to $q\bar{q}$
- the decay π_D^0 has lifetime 10 to 1000 mm by hand, as **long-lived particle (LLP)**
- $\pi_D^0 \rightarrow s\bar{s}, c\bar{c}, b\bar{b}$, according to threshold

Hadronisation Parameters

- **Lund string fragmentation function**

- probability for a meson to be produced with momentum fraction z

$$f(z) = z^{-1}(1-z)^a \exp(-\hat{b}m_T^2/m_Q^2 z).$$

- **Tunneling probability of a $q\bar{q}$ in the WKB approximation**

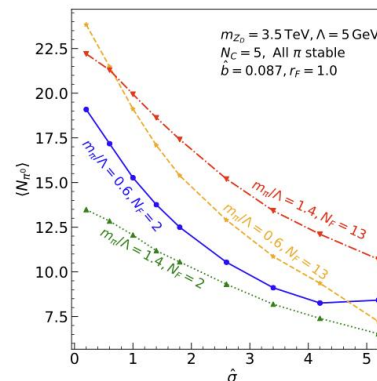
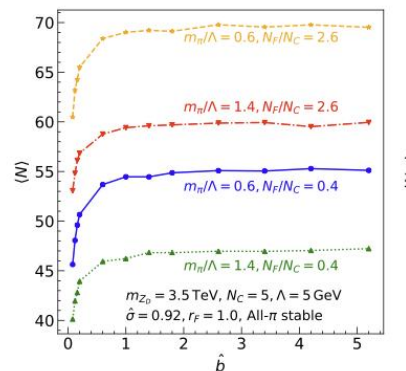
- hadron p_T to be given with a variance, σ_{p_T}/m_Q

$$dP/dp_T^2 \propto \exp(-\pi p_T^2/\kappa) \exp(-\pi m_Q^2/\kappa).$$

- **SM QCD Default-tune**

- **HiddenValley:bmqv2 = 0.087**
- **HiddenValley:aLund = 0.3**
- **HiddenValley:sigmamqv = 0.92**

- **Dependence of N**



Model Parameter

- **Probvector**

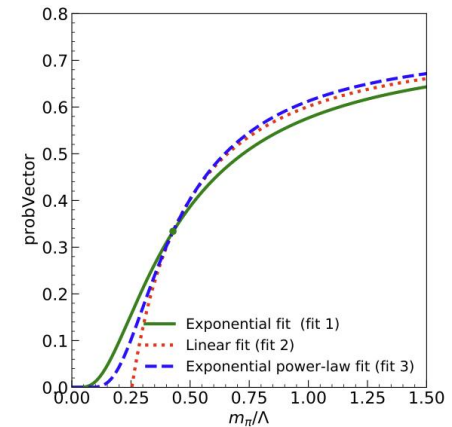
$$\begin{aligned} \langle N_{\pi^0}^0 \rangle &= \frac{1 - \text{probVector}}{N_F} \langle N_{\text{tot}}^0 \rangle, & \langle N_{\pi^\pm}^0 \rangle &= (1 - \text{probVector}) \left(1 - \frac{1}{N_F}\right) \langle N_{\text{tot}}^0 \rangle, \\ \langle N_{\rho^0}^0 \rangle &= \frac{\text{probVector}}{N_F} \langle N_{\text{tot}}^0 \rangle, & \langle N_{\rho^\pm}^0 \rangle &= \text{probVector} \left(1 - \frac{1}{N_F}\right) \langle N_{\text{tot}}^0 \rangle. \\ \langle N_{\pi^0} \rangle &= \langle N_{\pi^0}^0 \rangle + \langle N_{\rho^\pm}^0 \rangle & \langle N_{\pi^\pm} \rangle &= \left(\frac{1}{N_F} + \text{probVector} \left(1 - \frac{2}{N_F}\right) \right) \langle N_{\text{tot}}^0 \rangle, \\ & & \langle N_{\pi^\pm} \rangle &= \left(\left(1 - \frac{1}{N_F}\right) + \frac{2 \text{probVector}}{N_F} \right) \langle N_{\text{tot}}^0 \rangle. \end{aligned}$$

- **probvector** is the initial ratio of ρ meson to all meson
- ρ^\pm meson later decay to $\pi^0 + \pi^\pm$, ρ^0 meson later decay to π^\pm pairs

- **Fit from the SM**

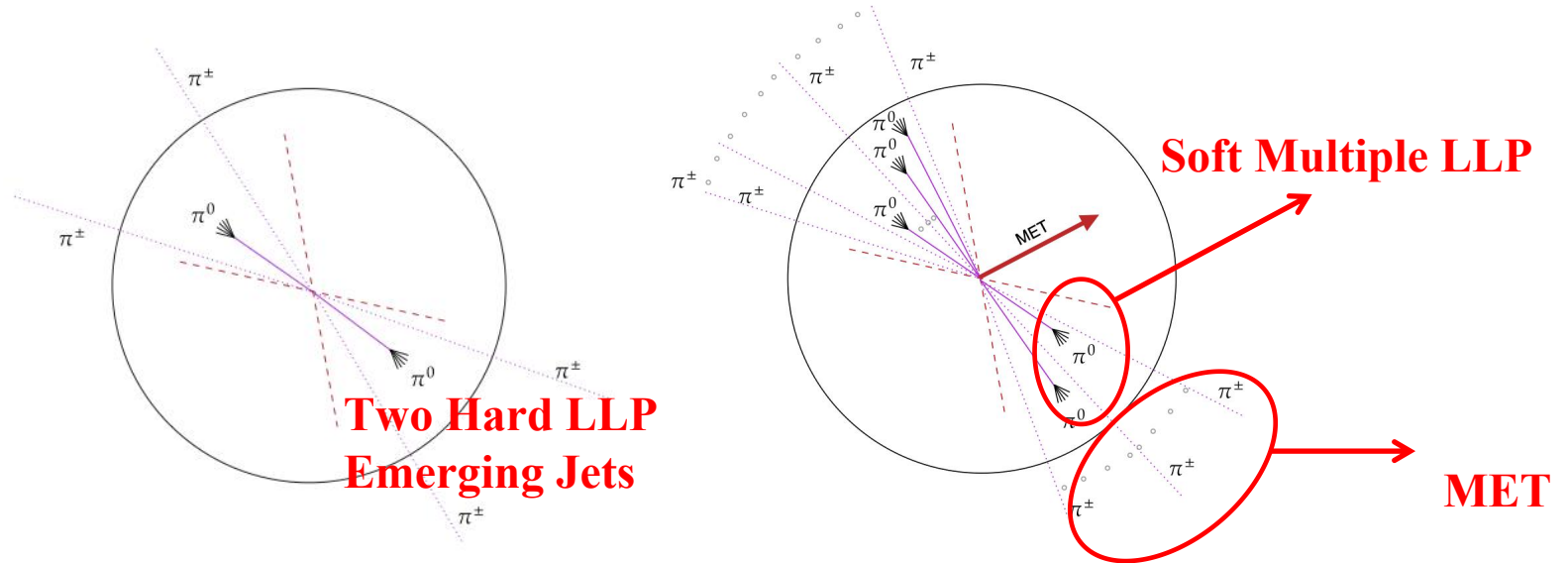
- **probvector=0.33, $m_\pi/\Lambda=0.428$ at SM**
- **fit with exponential-power-law form**
- **b=0.59**

$$\text{probVector} = \frac{3 \exp(1 - (m_\rho/m_\pi)^b)}{1 + 3 \exp(1 - (m_\rho/m_\pi)^b)};$$



Signal Processes at Colliders

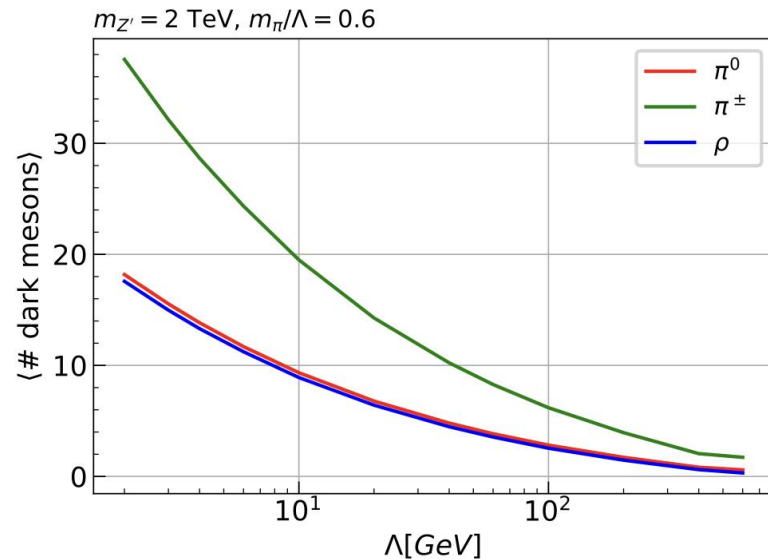
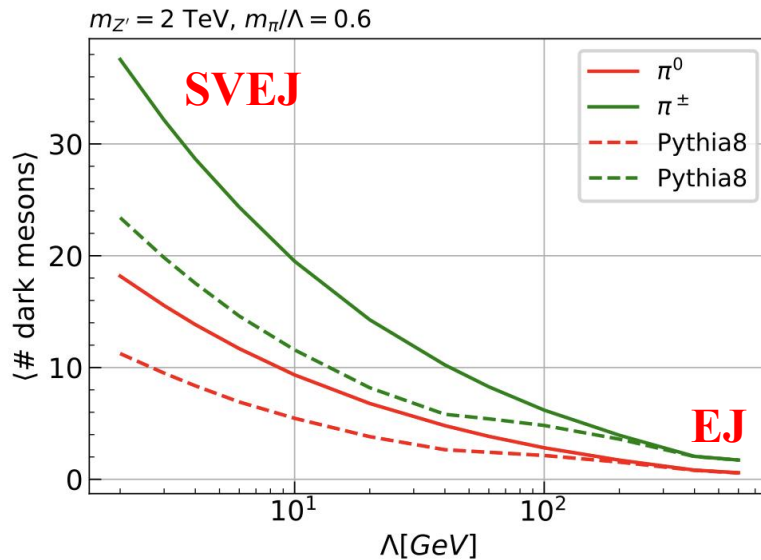
- **Semi-visible jets**
 - **prompt/MET** final states (T. Cohen et al, Phys.Rev.Lett. 115 (2015) 17, 171804)
- **Emerging jets**
 - **hard LLP** final states, $2 \rightarrow 2$ process (P. Schwaller et al, JHEP 05 (2015) 059)



- **The semi-visible emerging jets signal**
 - $pp \rightarrow Z_D \rightarrow q_D \bar{q}_D$, with 2 ISR jets, quarks forming hadrons
 - π_D^\pm are stable, only part of the jet energy visible, **semi-visible jets**
 - π_D^0 decays to SM quarks as LLP, **emerging jets**
 - **A novel signal**

Semi-visible emerging jets

- Can we design a new search for **semi-visible emerging jets**?
 - EJ only for large Λ , when we have small N pions, only LLP
 - We want **small Λ** , soft multiple LLPs
 - Semi-visible can not probe LLPs



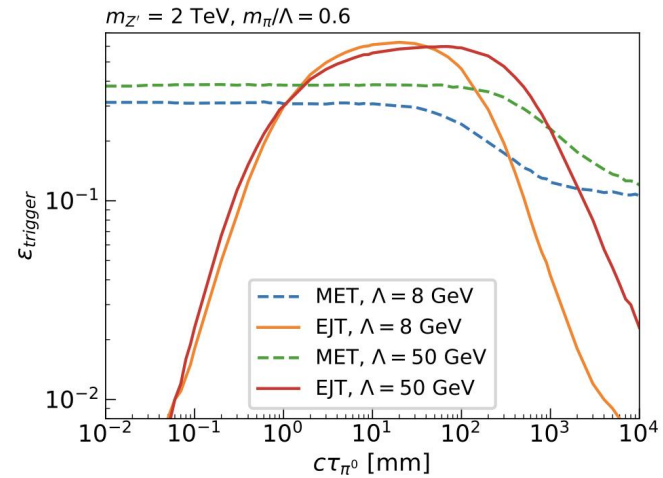
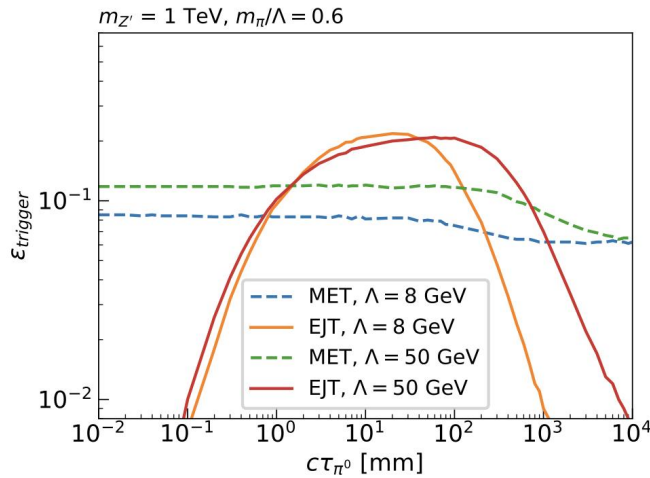
- **How shall we simulate it?**
 - PYTHIA underestimate number of mesons
 - MadGraph + PYTHIA, matched and merging

Trigger For SVEJ

- Existing Triggers

Trigger efficiencies for $m_{Z'} = 1$ TeV, $c\tau_{\pi^0} = 10$ mm			
Trigger	Ref	$\Lambda = 8$ GeV	$\Lambda = 50$ GeV
MET (> 200 GeV)	[59]	0.0837	0.1227
H_T (> 1050 GeV)	[59]	0.0068	0.0068
MET- H_T ($> 100 - 500$ GeV)	[59]	0.0615	0.0648
DJ, CMS ($H_T > 450$ GeV, $n_{DJ} \geq 2$, $n_{pr} \leq 1$)	[61]	0.0656	0.080
DJ-A, ATLAS ($p_T > 180$ GeV, $p_T^{DJ} > 140$ GeV, $n_{disp} \geq 3$, $n_{pr} \leq 1$)	[60]	0.0302	0.0375
DJ-B, ATLAS ($p_T > 180$ GeV, $p_T^{1,2} > 50$ GeV, $n_{disp} \geq 3$, $n_{pr} \leq 2$)	[60]	0.0126	0.0180
EJ ATLAS ($p_T^{R-1} > 200$ GeV, $ \eta < 1.8$, PTF < 0.08)	[60]	0.2062	0.1848

Trigger efficiencies for $m_{Z'} = 2$ TeV, $c\tau_{\pi^0} = 10$ mm			
Trigger	Ref	$\Lambda = 8$ GeV	$\Lambda = 50$ GeV
MET (> 200 GeV)	[59]	0.3150	0.3833
H_T (> 1050 GeV)	[59]	0.0556	0.0568
MET- H_T ($> 100 - 500$ GeV)	[59]	0.3722	0.3765
DJ, CMS ($H_T > 450$ GeV, $n_{DJ} \geq 2$, $n_{pr} \leq 1$)	[61]	0.3772	0.4288
DJ-A, ATLAS ($p_T > 180$ GeV, $p_T^{DJ} > 140$ GeV, $n_{disp} \geq 3$, $n_{pr} \leq 1$)	[60]	0.0671	0.1138
DJ-B, ATLAS ($p_T > 180$ GeV, $p_T^{1,2} > 50$ GeV, $n_{disp} \geq 3$, $n_{pr} \leq 2$)	[60]	0.0331	0.0846
EJ ATLAS ($p_T^{R-1} > 200$ GeV, $ \eta < 1.8$, PTF < 0.08)	[60]	0.6084	0.5500



- EJ is better

- Sensitive to certain decay length, we take $c\tau = 10$ mm

Selection Cuts

- **Background**

- negligible SM background, we require multiple Displaced vertices (DVs)
- random track crossings, interactions with the material, tracks from cosmic rays, beam halo, etc

$c\tau_{\pi^0} = 10$ mm Cutflow	$m_{Z'} = 1$ TeV		$m_{Z'} = 2$ TeV	
	$\Lambda = 8$ GeV	$\Lambda = 50$ GeV	$\Lambda = 8$ GeV	$\Lambda = 50$ GeV
EJ-trigger	0.2062	0.1848	0.6084	0.5500
$N_{DV} \geq 3$ (≥ 3 trks) in FV	0.1291	0.1172	0.4911	0.4733
1 trk, $ d_0/d_z < 0.25$	0.1288	0.1159	0.4906	0.4712
1 trk, $ d_0 > 3$ mm	0.0821	0.0700	0.3619	0.3524
$m_{DV}/\Delta R > 4$ GeV	0.0582	0.0658	0.2906	0.3387
$\Sigma p_T^{DV} > 10$ GeV	0.0527	0.0652	0.2712	0.3366
$d_{vv} > 1/1.5$ mm	0.0526	0.0646	0.2698	0.3322

- **3 DVs, each with 3 tracks**

- cut away random track crossing, etc
- d_{vv} make sure they are separate

- **1 trk**

- cut away pile-up

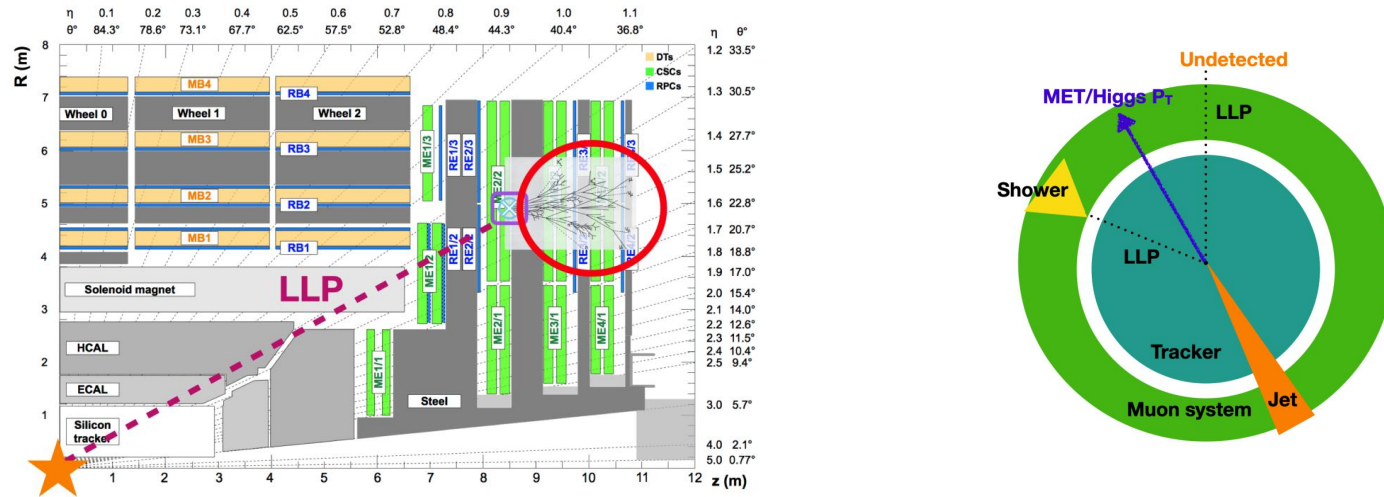
- **$m_{DV}, \Sigma p_T^{DV}$**

- make sure a LLP

- **No background estimation, though should be small**

CMS Displaced Shower Search

- Displaced Shower search at the CMS muon endcap detector



- CMS collaboration, Phys.Rev.Lett. 127 (2021) 26, 261804

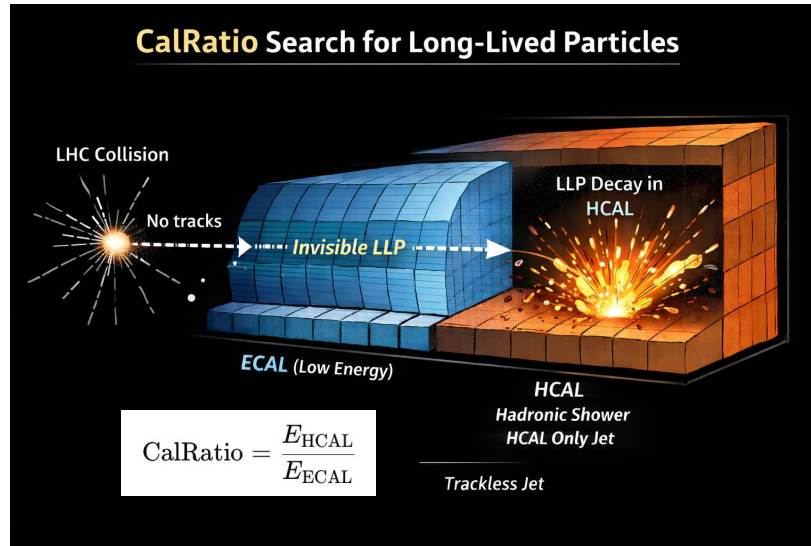
- Signature**

- Energetic LLP, single LLP**
- Displaced Shower** at the muon endcap, with $c\tau \sim 1\text{m}$
- Number of hits over 130, forming CSC cluster
- MET > 200 GeV as trigger requirement
- Low sensitivity fo soft multiple LLPs**

- Can we also use it for SVEJ?** (Phys.Rev.D 112 (2025) 7, 075029)

CalRatio

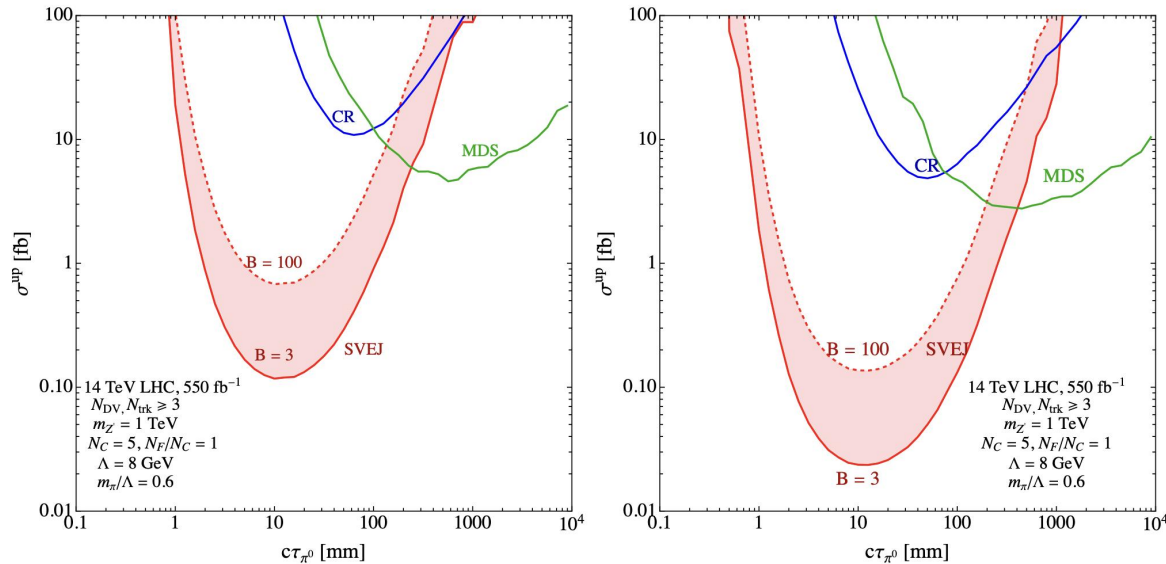
- High ratio of energies deposited in the HCAL to ECAL



- ATLAS collaboration, JHEP 06 (2022) 005
- **Signature**
 - **Energetic LLP, single LLP**
 - **Trackless jet**
 - High HCAL, small ECAL, with $c\tau \sim 100\text{mm}$
- **Re-interpretation material to return efficiency using AI methods**
 - L. D. Corpe et al, Eur.Phys.J.C 85 (2025) 11, 1276
- **Can we also use it for SVEJ?**

Comparison of the three searches

- Upper limits as a function of $c\tau$



- CalRatio**

- $c\tau \sim 100$ mm
- Low sensitivity due to **soft multiple LLPs** in SVEJ signals

- CMS Muon Detector Displaced Shower**

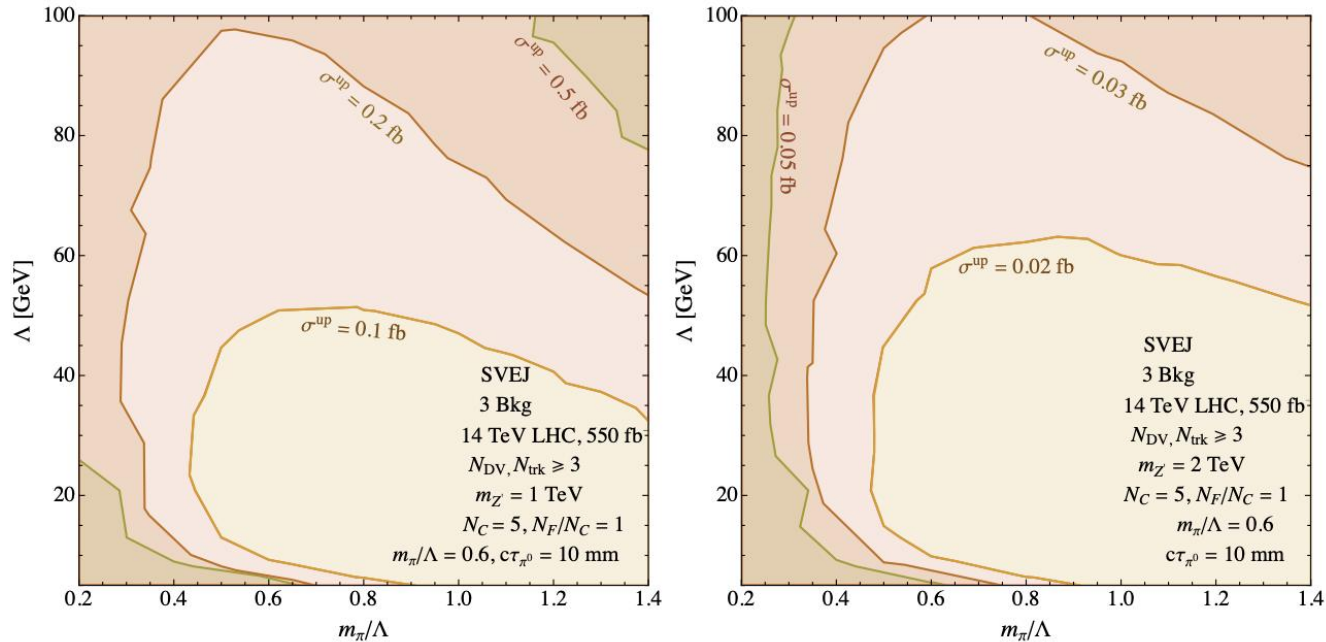
- $c\tau \sim 1000$ mm
- Low sensitivity due to **soft multiple LLPs, and low MET** in SVEJ signals

- SVEJ Search**

- $c\tau \sim 10$ mm, to get tracks
- No background estimation
- Even better when $B=10^4$ events

Comparison of the three searches

- Upper limits as a function of $(\Lambda, m_H/\Lambda)$ for SVEJ



- Favor large m_H/Λ , small Λ
 - Require more pions
 - Require relative heavy DV
- Weak dependence
 - $c\tau \sim 10$ mm is already the sweet point

Summary

- **HV/DS Model predicts LLPs**
 - semi-visible jets
 - emerging jets
- **We propose semi-visible emerging jets search**
 - soft multiple LLPs
 - relative small MET
 - ATLAS EJ trigger
 - 3 N_{DV} , each with > 3 tracks
 - $c\tau \sim 10\text{mm}$
- **We compare with General LLP searches**
 - CMS Muon EndCap Displaced Shower Search
 - ATLAS CalRatio Search
- **Semi-visible emerging jets search is ideal**
 - low Λ , $c\tau \sim 10\text{mm}$
 - Two magnitude better sensitivity due to high efficiency
 - Background from algorithm, estimation from experimentists in the future

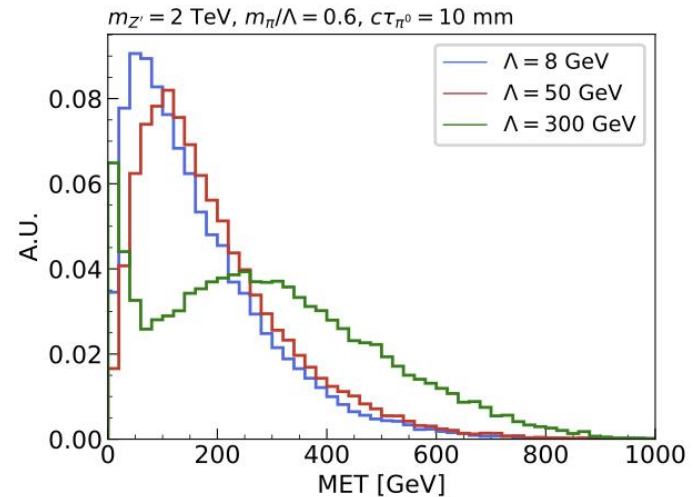
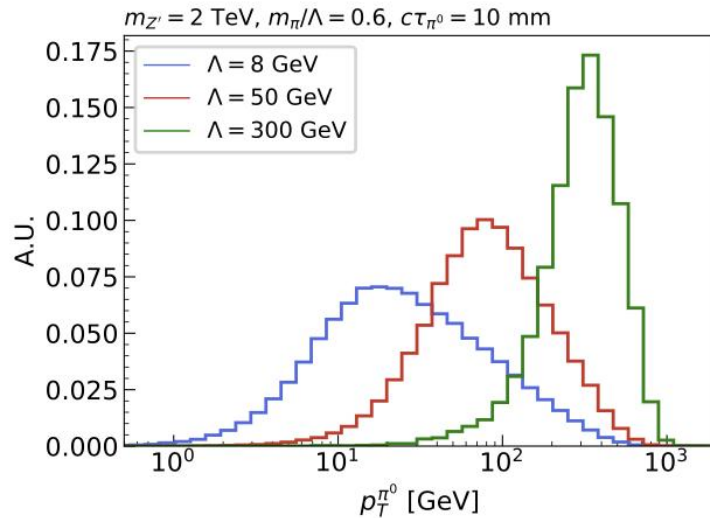


南京理工大学
NANJING UNIVERSITY OF SCIENCE & TECHNOLOGY

Back Up

Trigger For SVEJ

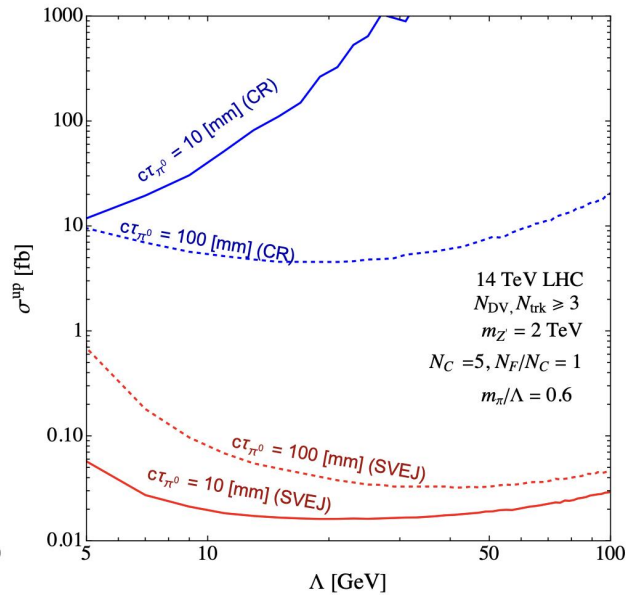
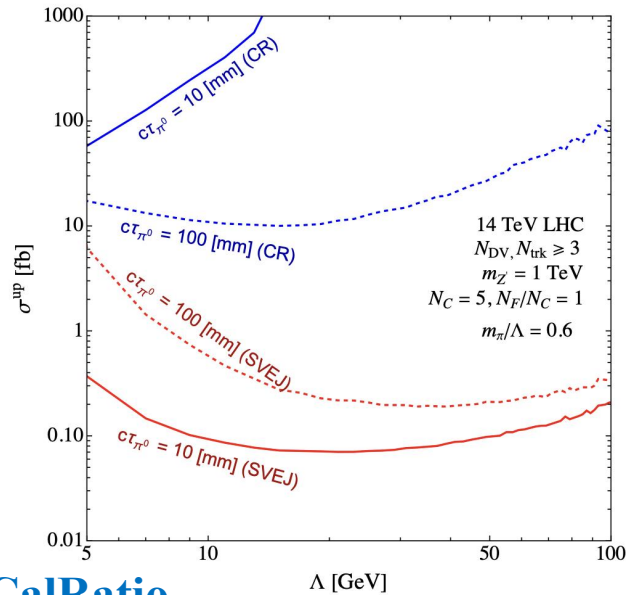
- Can we use high p_T threshold?
 - SVEJ pions are soft



- Can we use MET?
 - Works for EJ
 - Falling distribution for low Λ
- We can use the existing triggers

Comparison of the three searches

- Upper limits as a function of Λ



- CalRatio

- **Weak** dependence on Λ , when $c\tau \sim 100\text{mm}$
- **Strong** dependence on Λ , when $c\tau \sim 10\text{mm}$

- SVEJ Search

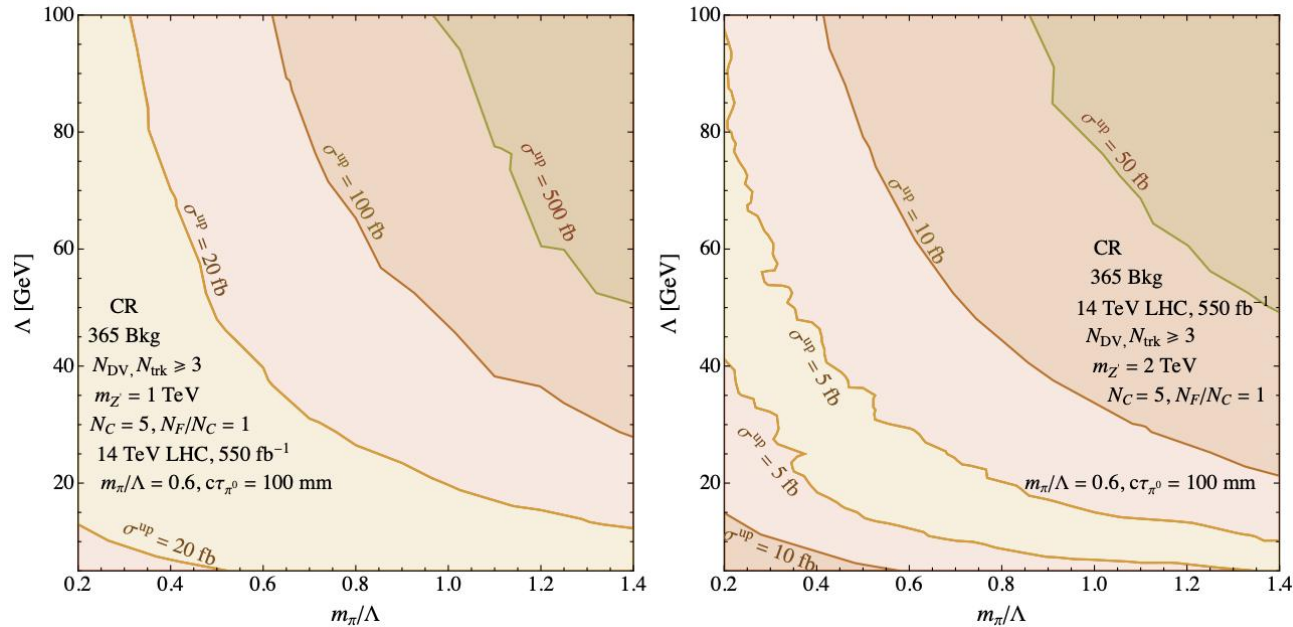
- **Strong** dependence on Λ , when $c\tau \sim 100\text{mm}$
- **Weak** dependence on Λ , when $c\tau \sim 10\text{mm}$

- Explanation

- for fixed m_π/Λ , $\Lambda \uparrow$, $m_\pi \uparrow$, $p/m_\pi \downarrow$, we require $c\tau \uparrow$
- At the lowest point, moving $c\tau$ lead to small change on σ

Comparison of the three searches

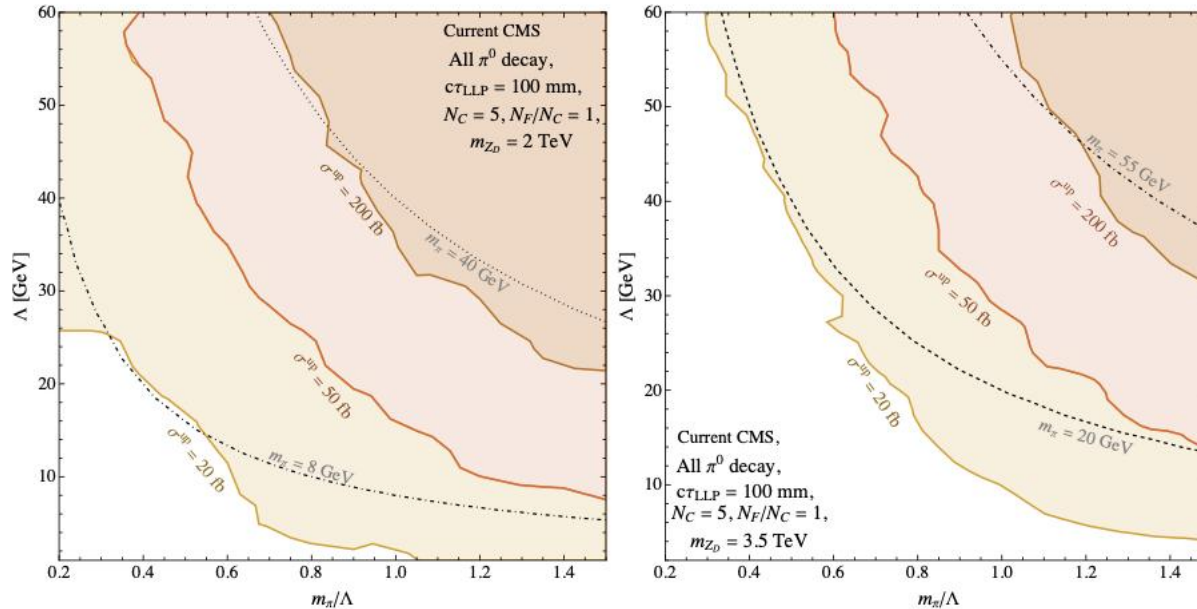
- Upper limits as a function of $(\Lambda, m_{\pi}/\Lambda)$ for CR



- Favor Medium m_{π}/Λ , Medium Λ
 - Require $m_{\pi} \sim 10 \text{ GeV}$
 - Such boost keep π decay at HCAL
- Strong dependence
 - $c\tau \sim 100 \text{ mm}$ is already the sweet point
 - But CR coverage of $c\tau$ is small in log scale

Comparison of the three searches

- Upper limits as a function of $(\Lambda, m_{\Pi}/\Lambda)$ for CMS Muon Detector



- Favor small m_{Π}/Λ , Medium Λ
 - Require $m_{\Pi} < 10$ GeV
 - Such boost keep Π decay at CMS Muon Detector
- Strong dependence
 - $c\tau \sim 100$ mm is smaller than the best point
 - require large boost to make Π decay at CMS Muon Detector