

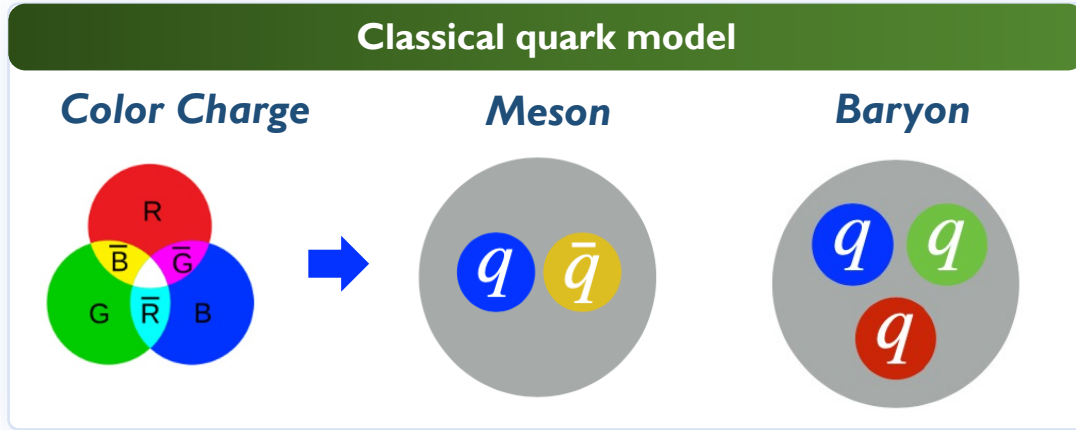
Observation of a family of all-charm tetraquarks at CMS

Yilin Zhou

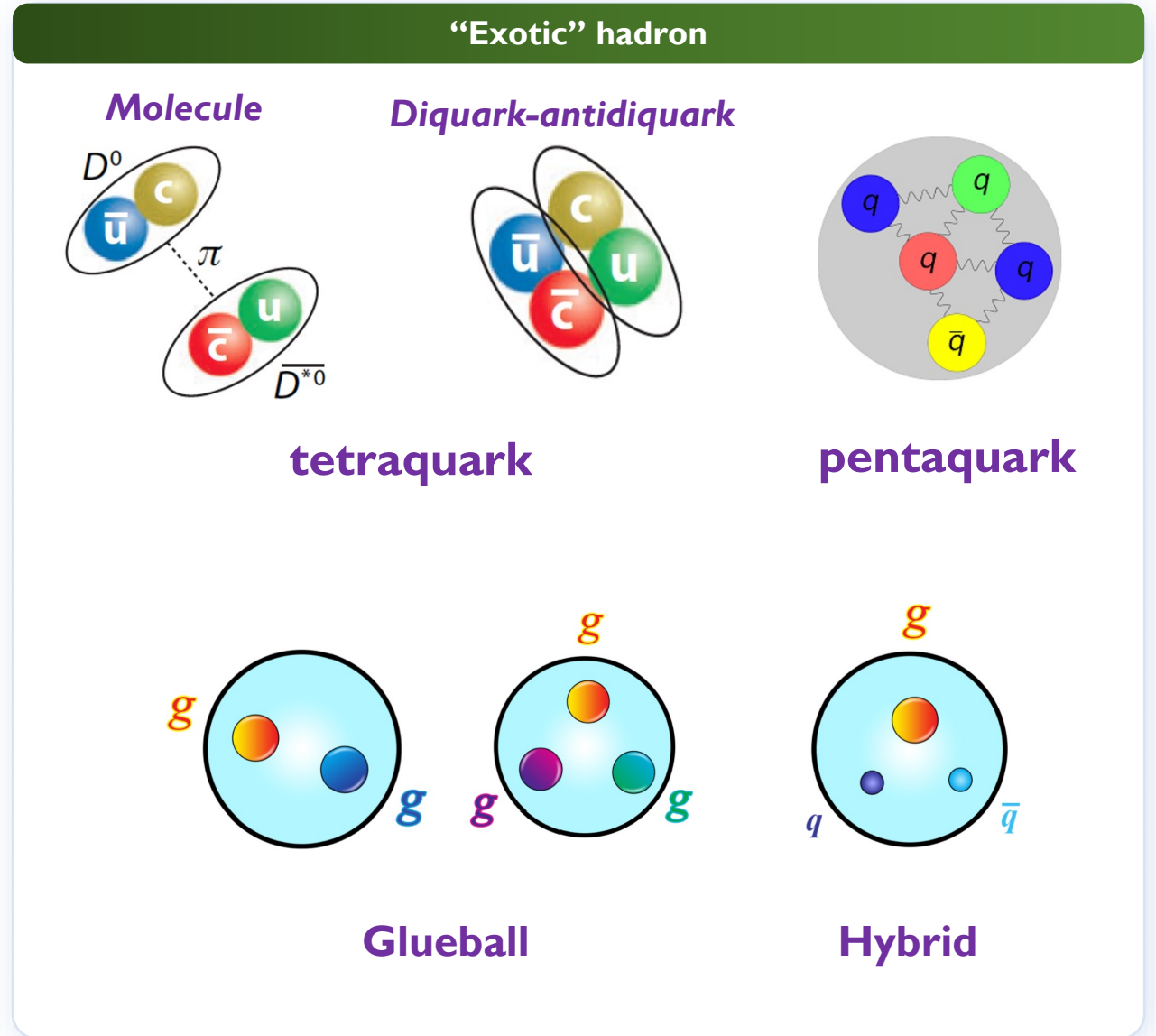
Fudan University

第八届全国重味物理与量子色动力学研讨会

The quark model

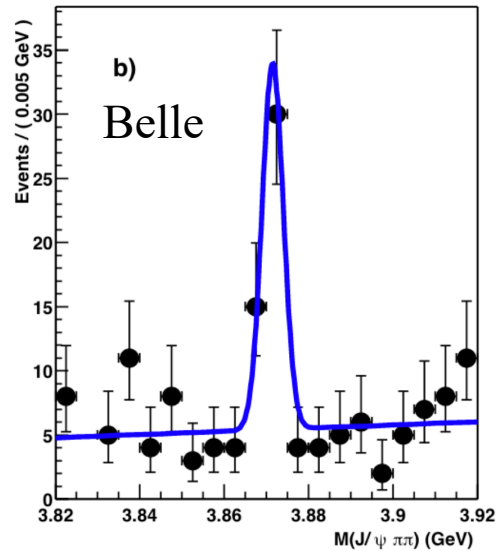


- **> 60 years of classical quark model**
 - Experimentally tested at high energies; asymptotic freedom → **Nobel Prize 2004**
 - Success of Conventional Hadrons at low energies: non-perturbative quark model (confinement) → **Nobel Prize 1969**
- **Exotic hadrons (Non-Conventional), no definitive conclusion yet**
 - **currently a hot topic**

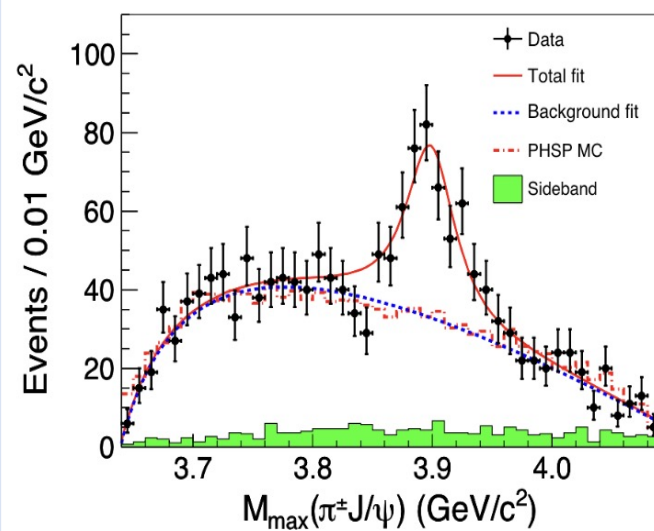


Heavy-Flavor Exotic Hadron States (XYZ Particles)

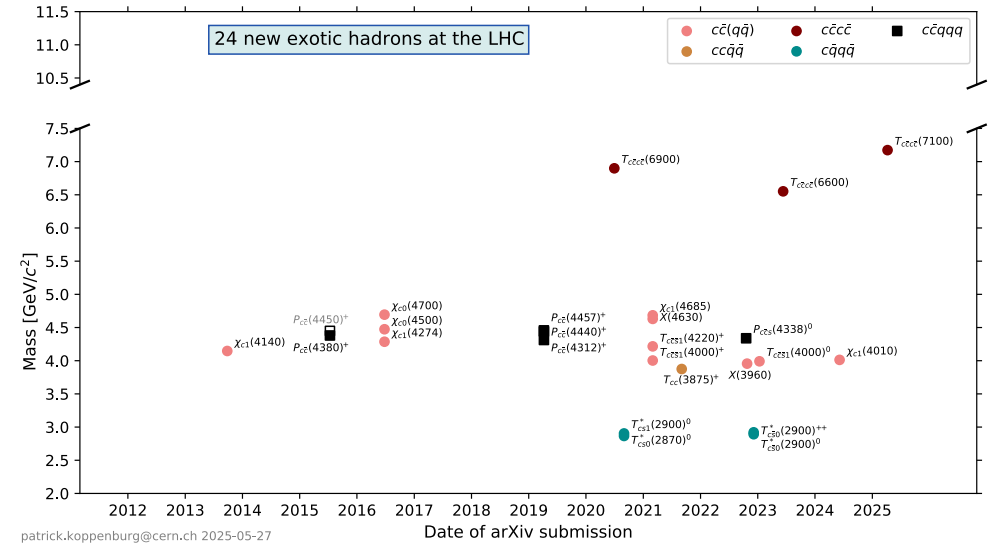
X(3872) [$uc\bar{c}\bar{c}$]



Z_c^+ (3900)



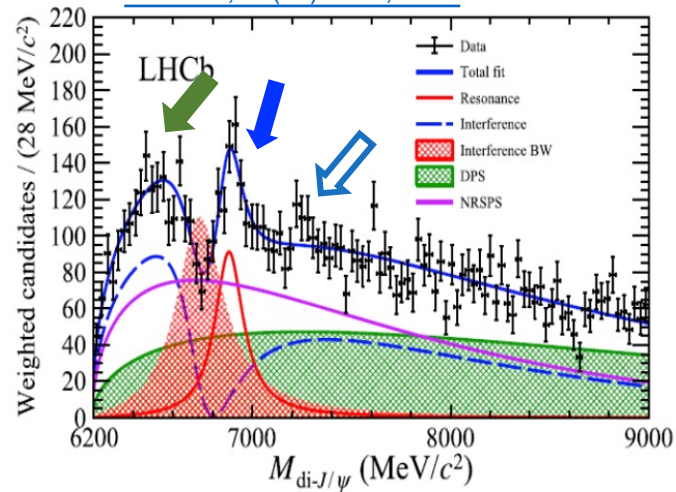
24 exotic hadrons at LHC



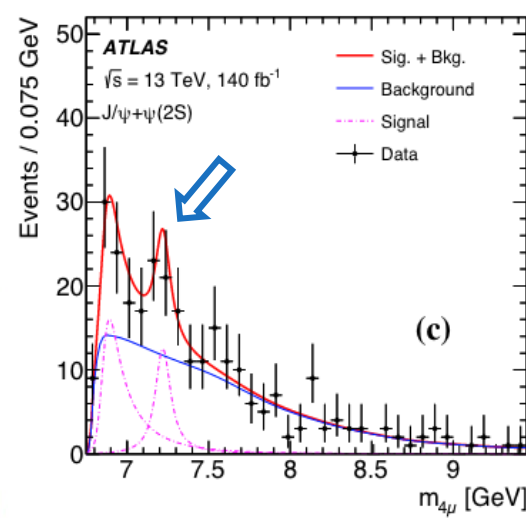
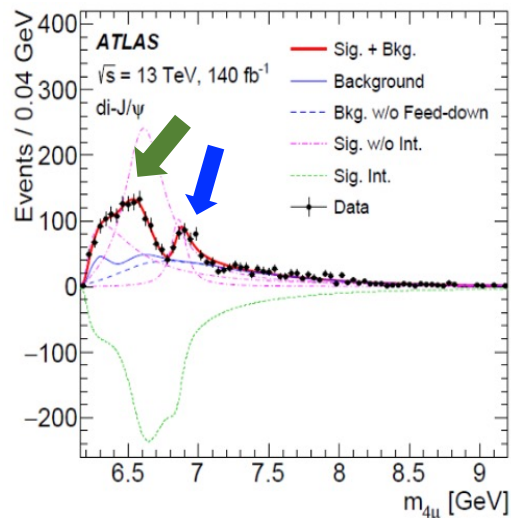
- **Light exotics** likely exist, but too messy for clear identification
- **Heavy-flavor exotics:** larger quark mass relative to Λ_{QCD} , theoretical treatments more reliable
 - **X(3872)**, kicked off a boom in (heavy-flavor) exotic hadron, dozens of XYZ found
 - **Z_c (3900)**, carries charge and couples to charmonium
- **Fully-heavy exotic hadrons**, promising and accessible for theoretical exploration

Status of all-charm tetraquark

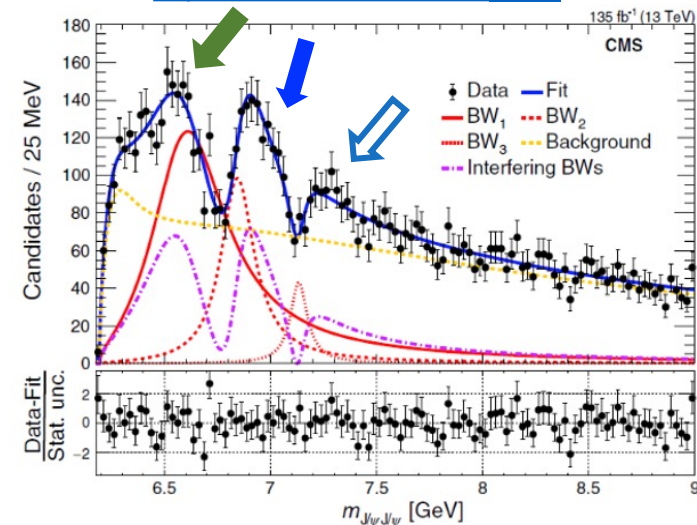
Sci. Bull., 65(23):1983, 2020



Phys. Rev. Lett., 131(15):151902, 2023



Phys. Rev. Lett. 132:111901, 2024



❖ All exp observe **X(6900)**

+ additional structures:

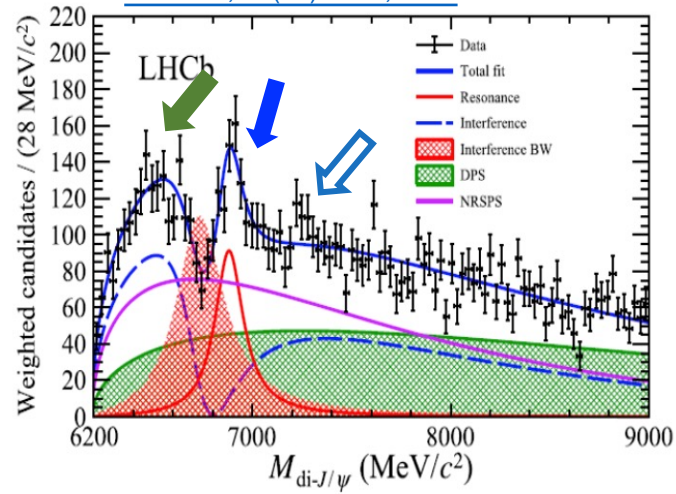
Hump @ 6.6 GeV: Different modeling

Hint @ 7.2 GeV: LHCb not consider; ATLAS 3 σ hint in $J/\psi\psi(2S)$

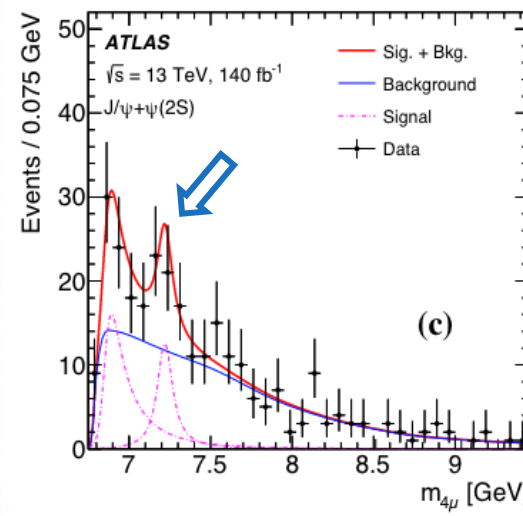
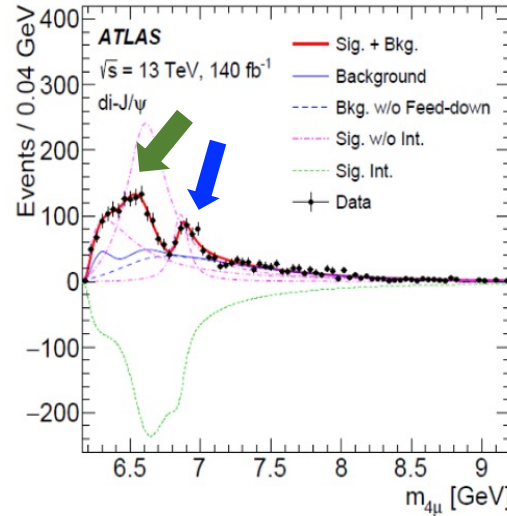
❖ CMS first observed **X(6600)** & evidence of **X(7100)**

Status of all-charm tetraquark

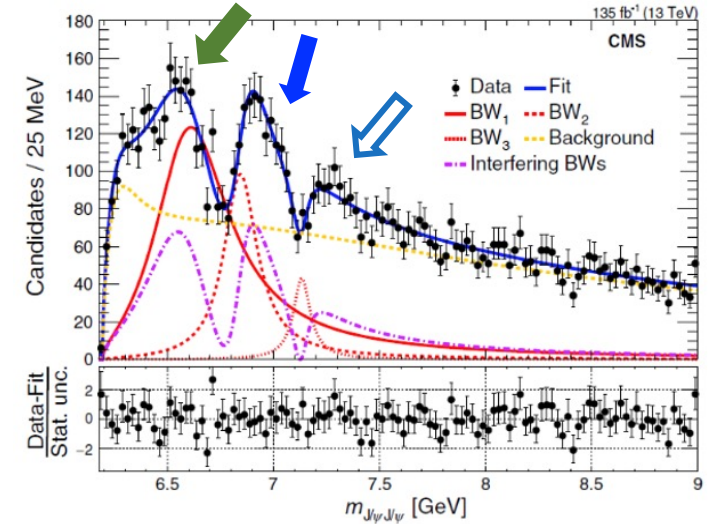
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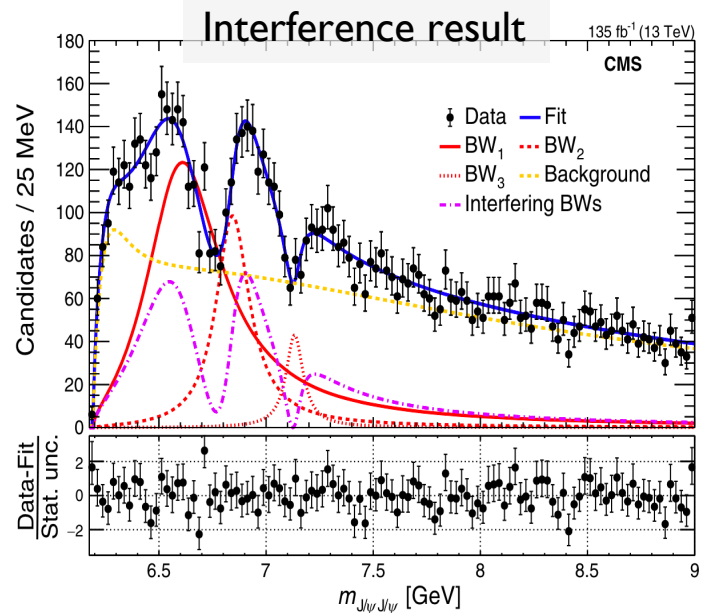
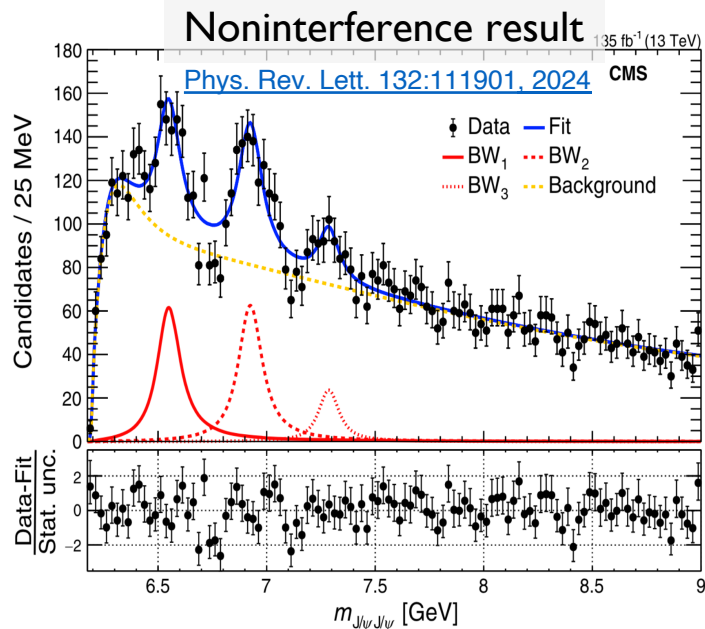
❖ CMS first observed **X(6600)** & evidence of **X(7100)**

❖ All exp use interference, but in diff ways:

LHCb: extra BW interfere with SPS, X(6900) NOT interfering

ATLAS and CMS: different multi-resonance interference

 **A number of unresolved questions !**

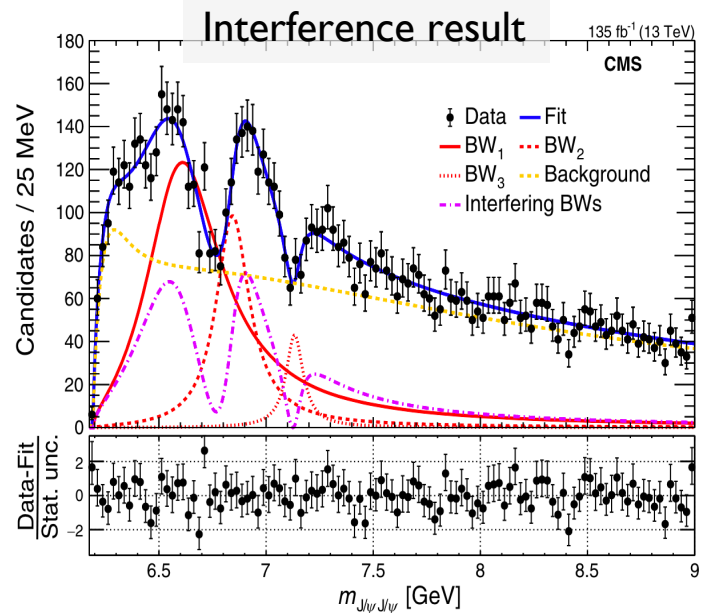
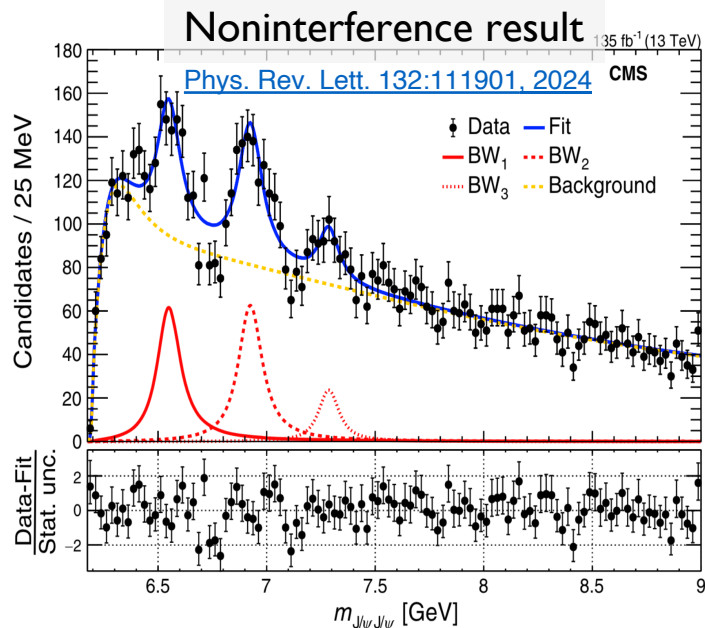


❖ CMS Run 2 Results

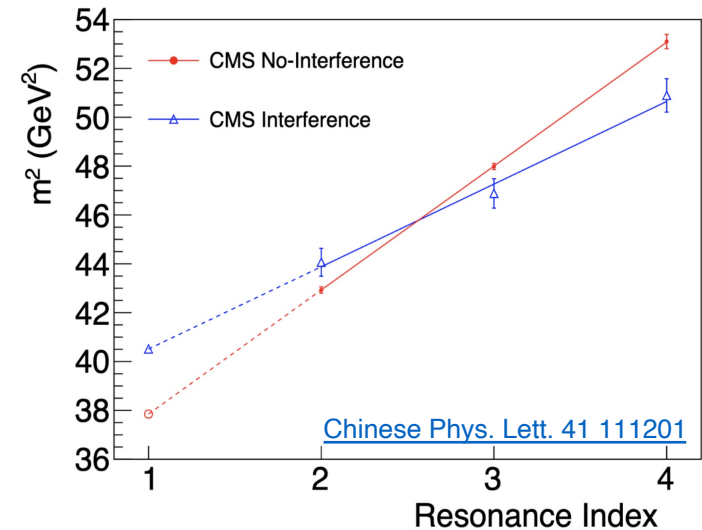
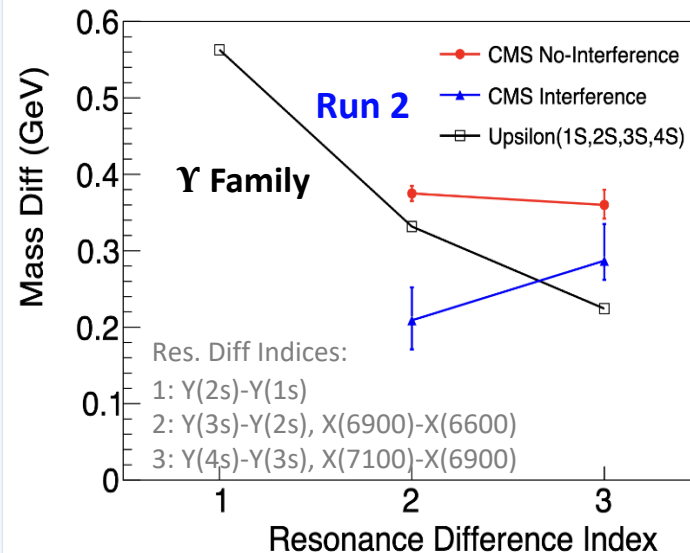
Data: Run 2 135 fb⁻¹ (2016-2018)

X(7100): 4.7σ

Interference < 4σ



CMS Run 2 Regge plot



❖ CMS Run 2 Results

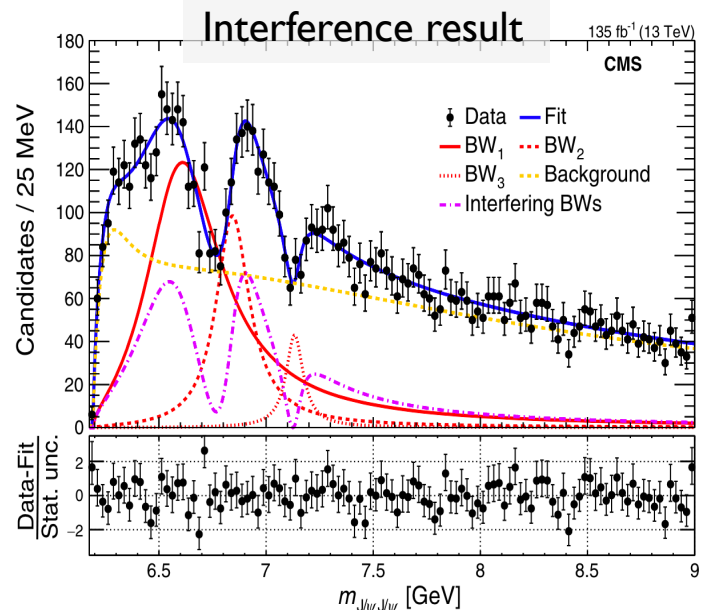
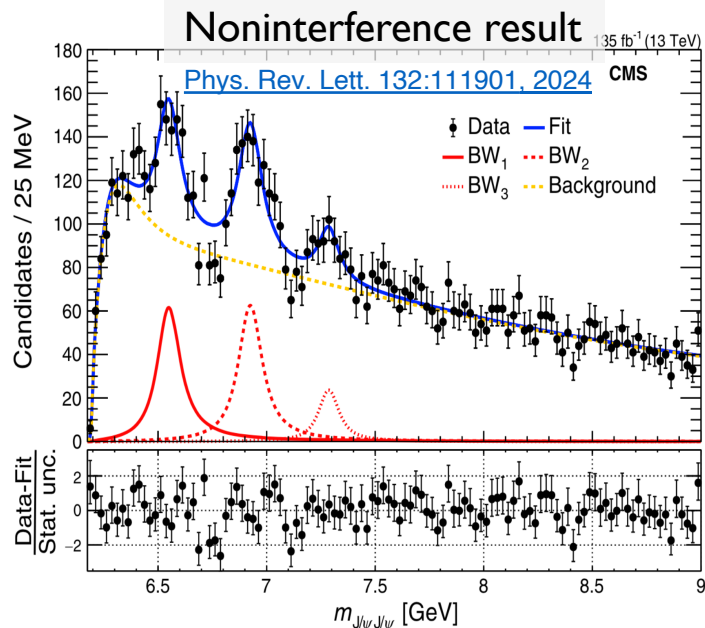
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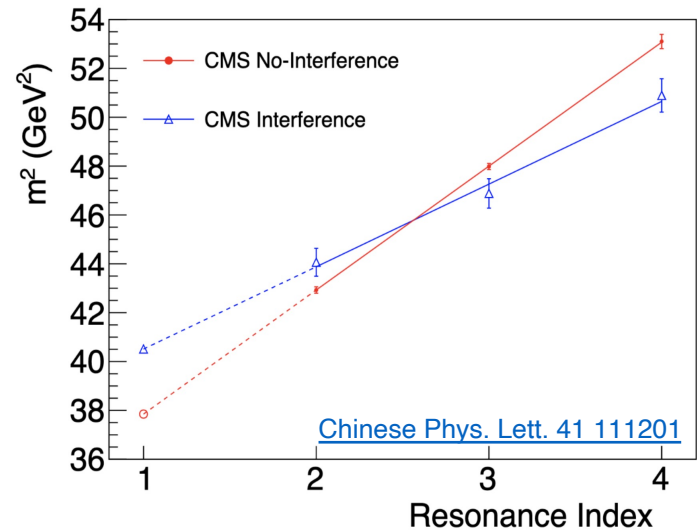
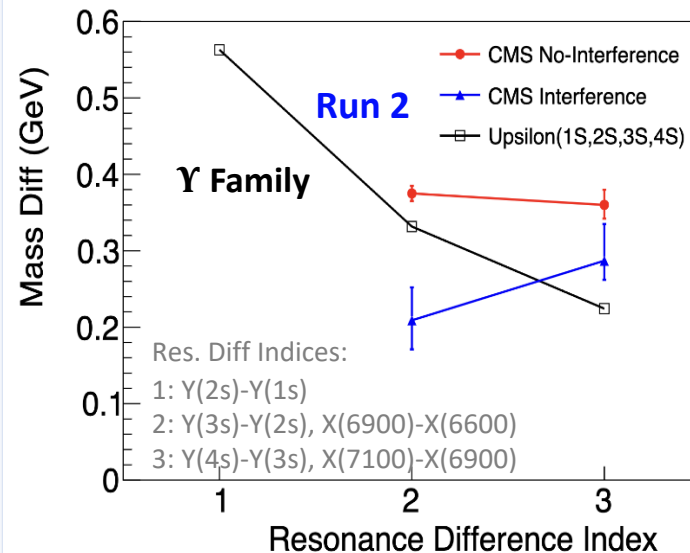
Interference < 4 σ

- All three resonances?
- Interference?
 ==> same J^{PC} quantum numbers
- > 200 MeV mass splittings
 ==> Radial excitations?

Cornell Model: $V(r) = -\frac{4}{3} \frac{\alpha_s}{r} + \sigma r + \dots$



CMS Run 2 Regge plot



❖ CMS Run 2 Results

Data: Run 2 135 fb⁻¹ (2016-2018)

X(7100): 4.7σ

Interference < 4σ

A radial family of all-charm tetraquark states with same J^{PC} ?

➤ All three resonances?

➤ Interference?

==> same J^{PC} quantum numbers

➤ > 200 MeV mass splittings

==> Radial excitations ?

Cornell Model: $V(r) = -\frac{4}{3} \frac{\alpha_s}{r} + \sigma r + \dots$

❖ Data samples [315 fb⁻¹]

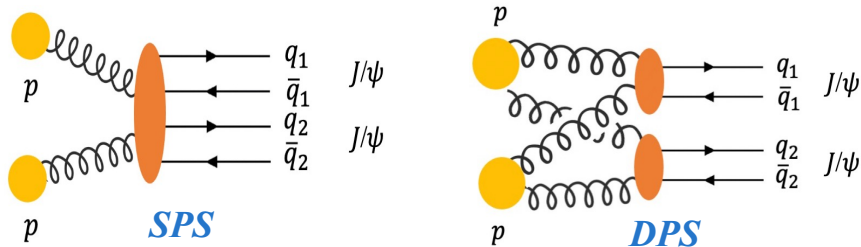
- Run 2: 135 fb⁻¹ data taken in 2016, 2017 and 2018.
- Run 3: 180 fb⁻¹ data taken in 2022, 2023 and 2024.

❖ Signal

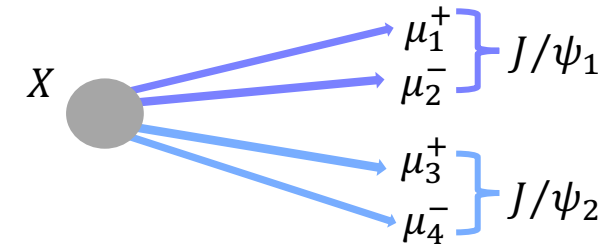
$$X \rightarrow J/\psi J/\psi \rightarrow \mu^+ \mu^- \mu^+ \mu^-$$

❖ Backgrounds

- Non-resonant single-parton scattering(NRSPS)
- Non-resonant double-parton scattering(NRDPS)



- Feeddown from higher mass states
i.e. $X(6900) \rightarrow J/\psi \psi(2S) \rightarrow J/\psi J/\psi + \text{anything}$
- Combinatorial background
- Enhancement near threshold, BW0



❖ Triggers

HLT_Dimuon0_Jpsi3p5_Muon2

- Level 1 requirements: 3 muons
- $2.95 < M(\mu^+ \mu^-) < 3.25 \text{ GeV}$
- $p_T(\mu) > 3.5 \text{ GeV}$

HLT_DoubleMu4_3_LowMass

- Level 1 requirements: 2 muons
- $0.2 < M(\mu^+ \mu^-) < 8.5 \text{ GeV}$
- one muon $p_T(\mu) > 4 \text{ GeV}$ and the other $p_T(\mu) > 3 \text{ GeV}$
- $p_T(\mu^+ \mu^-) > 4.9 \text{ GeV}$

Follow Run 2 cuts + A new trigger for Run 3

❑ Single muon:

- Soft muon ID
- $|\eta(\mu)| \leq 2.4$

❑ Double muon:

- $2.95 < M(J/\psi) < 3.25 \text{ GeV}$
- $prob_{vtx}(J/\psi) > 0.1\%$ $M(\mu^+\mu^-)$ constrained to $M(J/\psi)$
- Final mass window cut for J/ψ candidate:

$$|M(\mu^+\mu^-) - M(J/\psi)| < 3\rho\sigma$$

❑ Four muons:

- 4μ charge should be zero
- $prob_{vtx}(4\mu) > 0.5\%$
- $prob_{vtx}(J/\psi J/\psi) > 0.1\%$

❑ Multiple candidates treatment:

- Select best combination from one 4μ candidate based on min.

$$\chi_m^2 = \left(\frac{m_1(\mu^+\mu^-) - M_{J/\psi}}{\sigma_{m_1}} \right)^2 + \left(\frac{m_2(\mu^+\mu^-) - M_{J/\psi}}{\sigma_{m_2}} \right)^2$$

- Keep duplicate combination if pairs have non-overlapping muons

Baseline mass variable

– invariant mass of two constrained J/ψ candidates

Follow Run 2 cuts + A new trigger for Run 3

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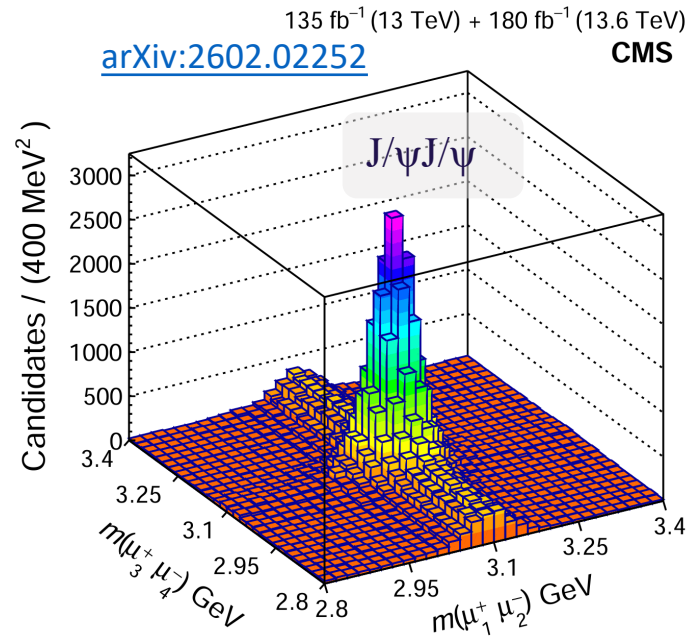
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- Keep duplicate combination if pairs have non-overlapping muons



❖ $J/\psi J/\psi$ yield from 2D fit

Run 2 $\sim 12622 \pm 165$

Run 3 $\sim 31802 \pm 476$

Thanks to dimuon trigger !

❖ Run 2+3 $J/\psi J/\psi$ yield is **3.6X** of Run 2

❖ Run 2+3 luminosity is **2.3X** of Run 2

Baseline mass variable

– invariant mass of two constrained J/ψ candidates

❖ Signal shape

Relativistic Breit-Wigner

❖ Background component

NRSPS + NRDPS + Feed-down + Combinatorial + BW0

❖ Noninterference model

NRSPS + NRDPS + Comb + Feed-down + BW0 + **BW1 + BW2 + BW3**

$$Pdf(m) = \sum N_{X_i} \cdot |BW(m, M_i, \Gamma_i)|^2 \otimes R(M_i) + N_{NRSPS} \cdot f_{NRSPS}(m) \\ + N_{NRDPS} \cdot f_{NRDPS}(m) + N_{Comb} \cdot f_{Comb}(m) + N_{Feeddown} \cdot f_{Feeddown}(m)$$

❖ Interference model:

NRSPS + NRDPS + Comb + Feaddown + BW0 + **BW123 Interf.Term**

$$Pdf(m) = N_{X_0} \cdot |BW_0|^2 \otimes R(M_0) \\ + N_{X \text{ and interf}} \cdot |r_1 \cdot \exp(i\phi_1) \cdot BW_1 + BW_2 + r_3 \cdot \exp(i\phi_3) \cdot BW_3|^2 \\ + N_{NRSPS} \cdot f_{NRSPS}(m) + N_{DPS} \cdot f_{DPS}(m) \\ + N_{Feaddown} \cdot f_{Feaddown}(m) + N_{Comb} \cdot f_{Comb}(m),$$

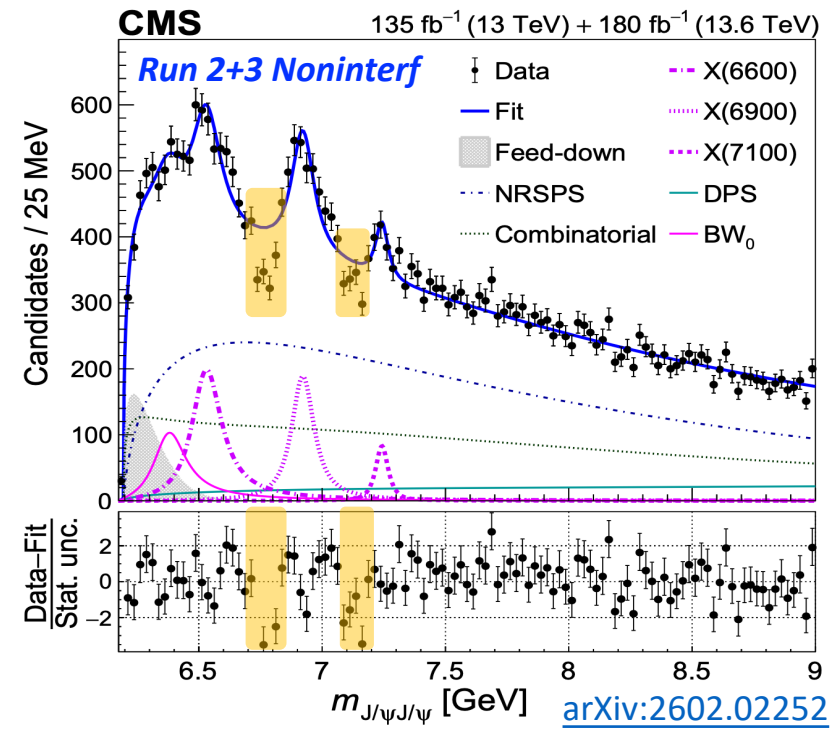
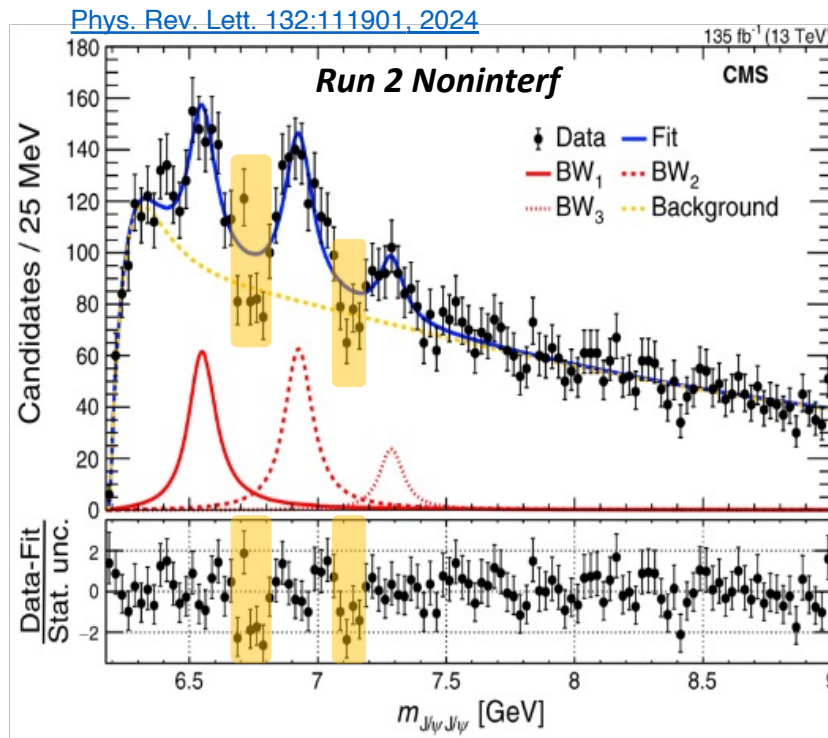
$$BW(m; m_0, \Gamma_0) = \frac{\sqrt{m\Gamma(m)}}{m_0^2 - m^2 - im\Gamma(m)}, \\ \Gamma(m) = \Gamma_0 \left(\frac{q}{q_0}\right)^{2L+1} \frac{m_0}{m} (B'_L(q, q_0, d))^2$$

$J/\psi J/\psi$: Run 2+3 noninterference fit result

❖ Noninterference model

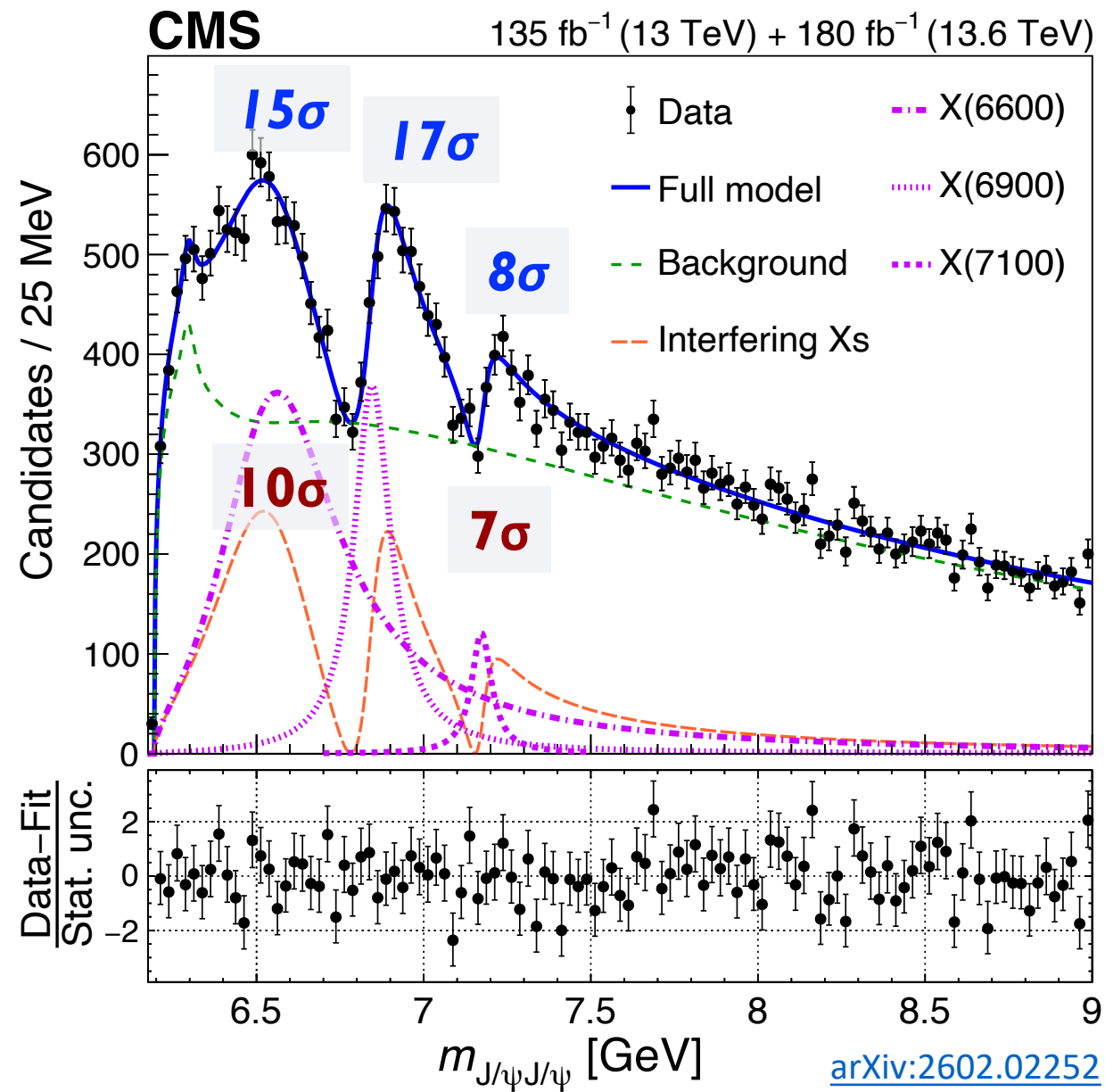
NRSPS + NRDPS + Comb + Feed-down + BW0 + **BW1 + BW2 + BW3**

$$Pdf(m) = \sum N_{X_i} \cdot |BW(m, M_i, \Gamma_i)|^2 \otimes R(M_i) + N_{NRSPS} \cdot f_{NRSPS}(m) \\ + N_{NRDPS} \cdot f_{NRDPS}(m) + N_{Comb} \cdot f_{Comb}(m) + N_{Feeddown} \cdot f_{Feeddown}(m)$$



Dips poorly described --- Noninterference model no longer sufficient

$J/\psi J/\psi$: Run 2+3 interference fit result



Params [MeV]	Run II&III Interf.	Run II Interf.
$M(\text{BW1})$	$6593^{+15}_{-14} \pm 25$	6638^{+43+16}_{-38-31}
$\Gamma(\text{BW1})$	$446^{+66}_{-54} \pm 87$	$440^{+230+110}_{-200-240}$
$M(\text{BW2})$	$6847 \pm 10 \pm 15$	6847^{+44+48}_{-28-20}
$\Gamma(\text{BW2})$	$135^{+16}_{-14} \pm 14$	191^{+66+25}_{-49-17}
$M(\text{BW3})$	$7173^{+9}_{-10} \pm 13$	7134^{+48+41}_{-25-15}
$\Gamma(\text{BW3})$	$73^{+18}_{-15} \pm 10$	97^{+40+29}_{-29-26}

Precision improved by factor of 2~3

Large mass splittings, $> 250 \text{ MeV}$

First observation of $X(7100)$ in $J/\psi J/\psi$ channel

First observation of interference among $X(6600)$, $X(6900)$, and $X(7100)$

- Large X-mass splittings are characteristic of radial excitations

- In Regge theory : $n_r = \beta M^2 + \beta_0$

m^2 : mass square

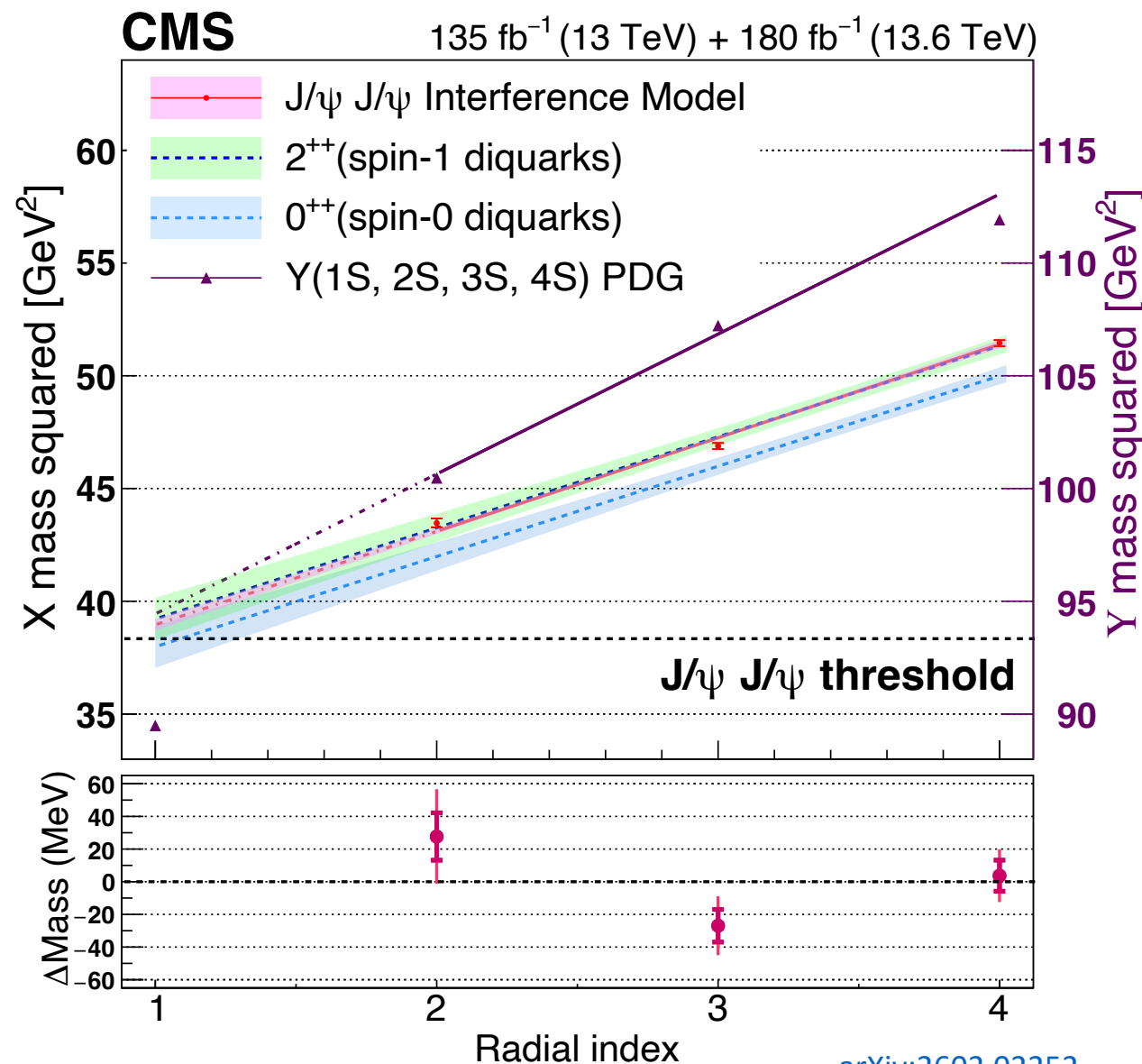
$n_r = n - 1$, n is radial quantum number

2, 3, 4 refers X(6600), X(6900), X(7100)

- Other sequential indexing, such as $n = 1, 2, 3$, will produce equivalent results

- Consistent with Regge trajectory
==> a family of radial excitations

➤ *Can we gain further insight?*



[arXiv:2602.02252](https://arxiv.org/abs/2602.02252)

Interpretation and discussion

• Basic information: $P = (+)(-1)^L$ $C = (-1)^{L+S}$

• Constrain from X decay to $J/\psi J/\psi$: $J_{J/\psi}^{PC} = 1^{--}$

C is conserved in strong decays, $C_X = (-1)(-1) = +1$

▪ **Under S-wave:** $L = 0 \rightarrow P = +1$, $J = S$

○ In spin-0 diquark model, $S = 0$;

0++

○ In spin-1 diquark model, $S = 0, 1, 2$; $L+S$ should be even to make C positive;

0++, 2++

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0++

○ In spin-1 diquark model, $S = 0, 1, 2$; $L+S$ should be even to make C positive;

0++, 2++

▪ **Under P-wave:** $L = 1 \rightarrow P = -1$

○ In spin-0 diquark model, $S = 0$, makes $C = -1$, exclusive

○ In spin-1 diquark model, $S = 0, 1, 2$;

$L+S$ should be even to make C positive, S can only be 1,

0-+, 1-+, 2-+

▪ **Under D-wave:** $L = 2 \rightarrow P = +1$

○ In spin-0 diquark model, $S = 0$,

0++, 1++, 2++

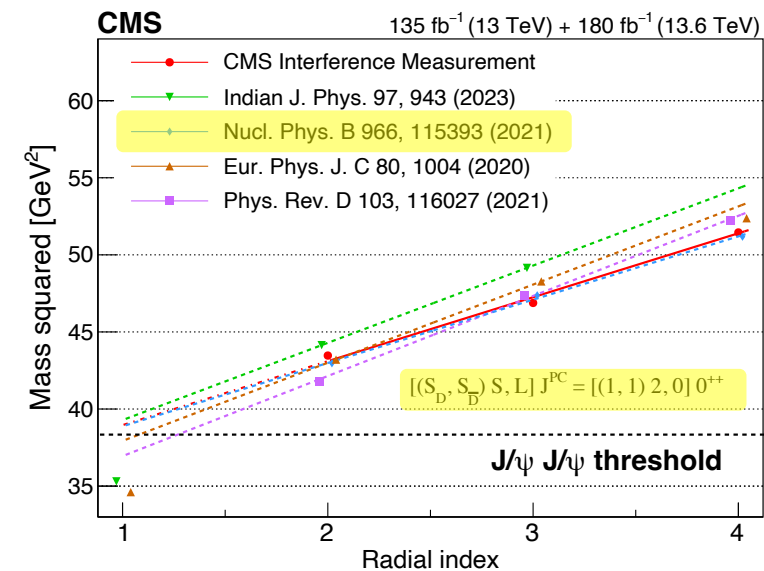
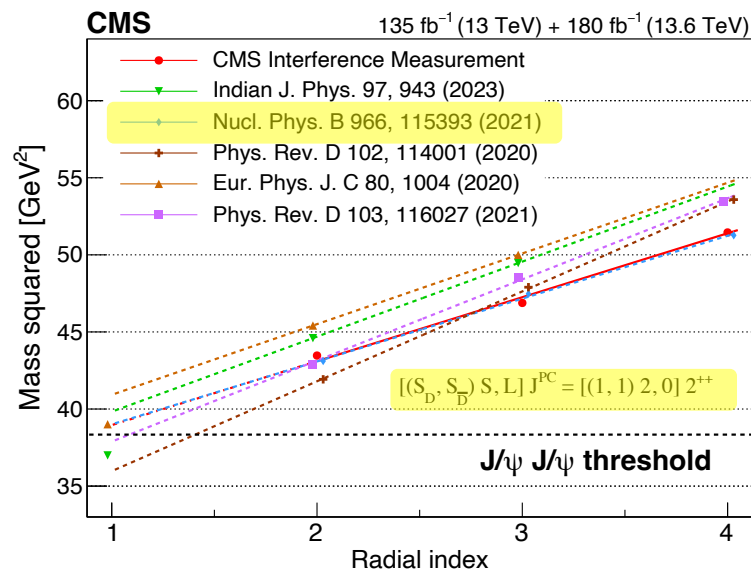
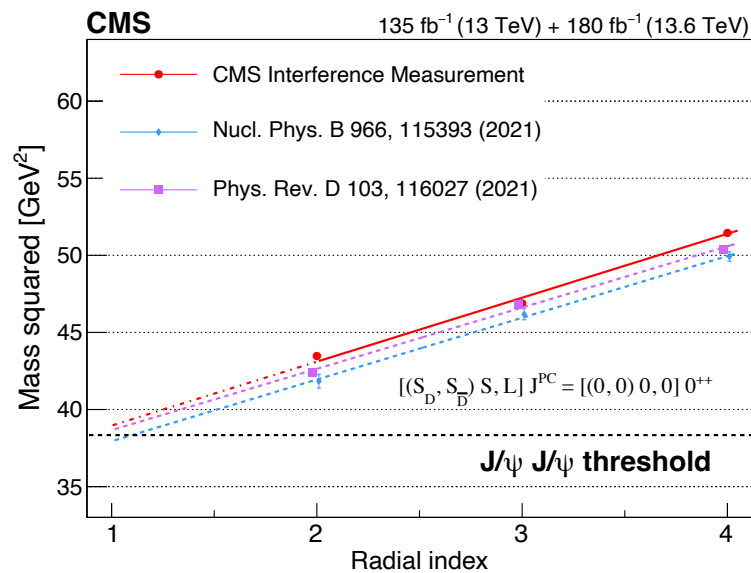
○ In spin-1 diquark model, $S = 0, 1, 2$; $L+S$ should be even, S can be 0 or 2

2++

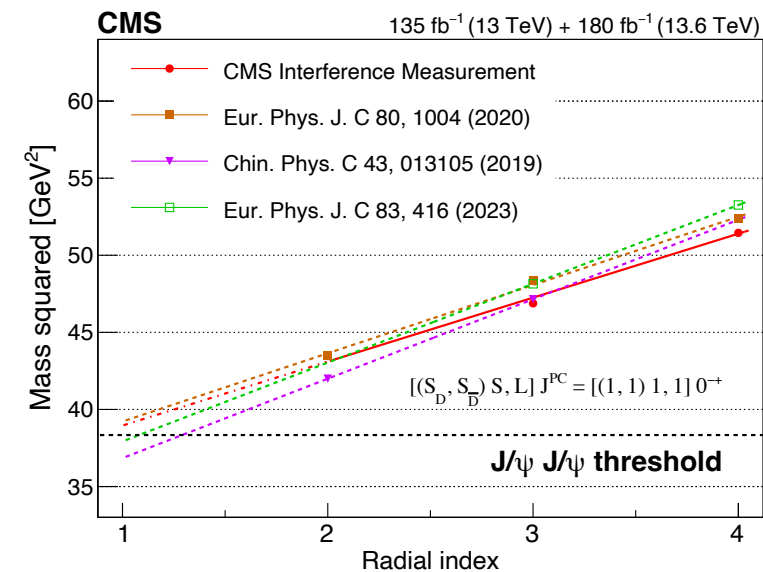
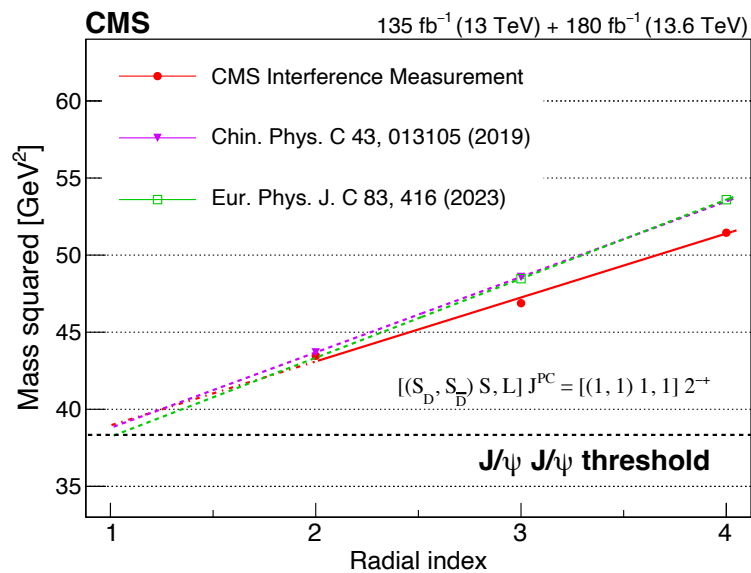
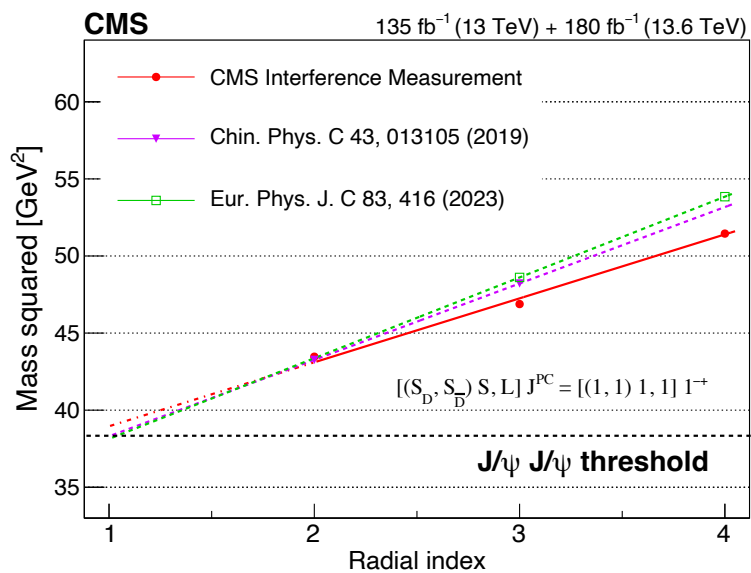
0++, 1++, 2++, 3++, 4++

Interpretation and discussion

❖ S-wave



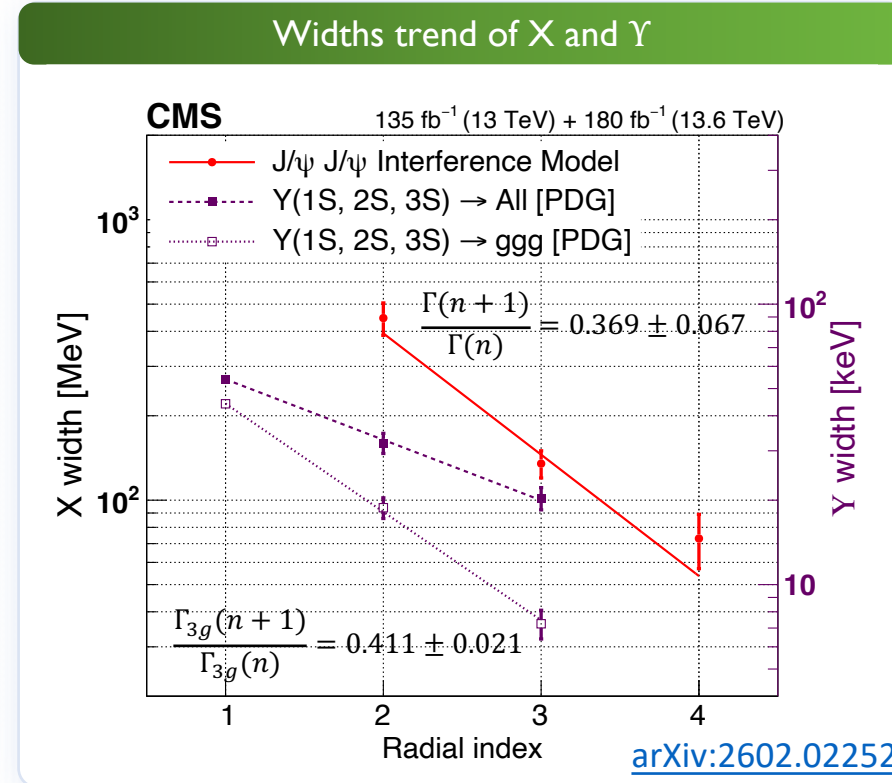
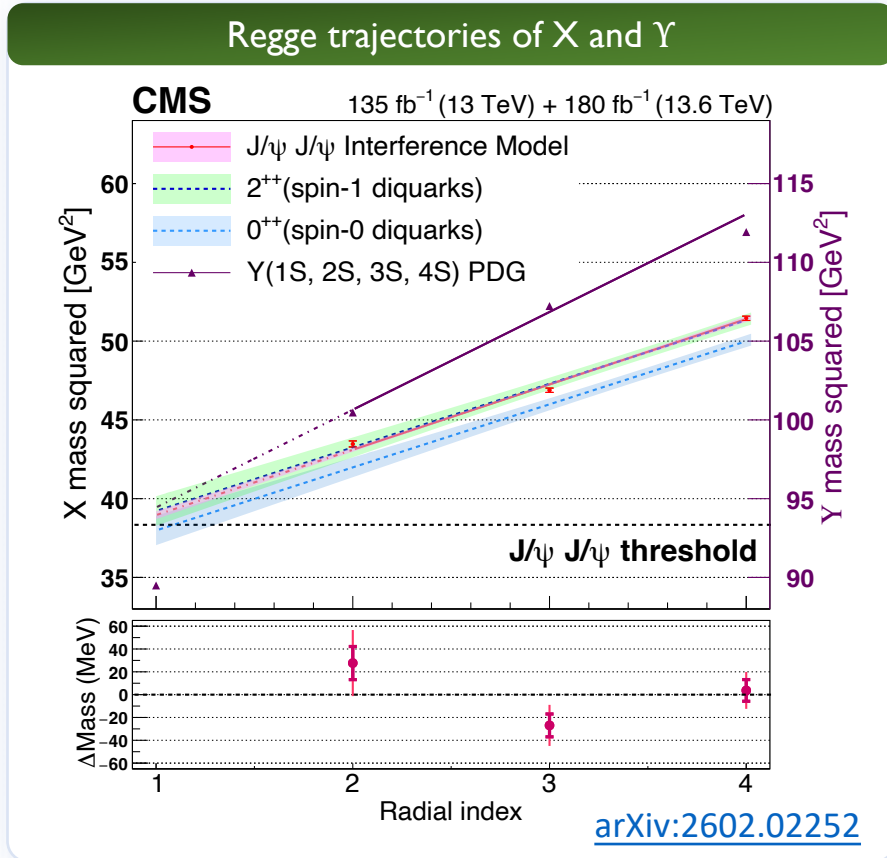
❖ P-wave



❖ In Regge theory : $n_r = \beta M^2 + \beta_0$

$n_r = n - 1$, radial quantum number n

❖ X widths decrease with radial excitation, exponentially



🔍 Good agreement with **spin-1 diquark**
0⁺⁺ or 2⁺⁺ state [Nucl. Phys. B 966 \(2021\) 115393](https://arxiv.org/abs/2602.02252)

🔍 Suggest **a similar decay mechanism** for X states
a sort of diquark-antidiquark “annihilation”

❖ Interpretation and discussion

- ★ Idealized models of all-charm structures theoretically
Molecular, Diquark-antidiquark, “amorphous” systems, hybrid...

Standard meson	Exotic mesons: all-charm tetraquark				Threshold effects
					e.g., triangle singularity
					$\psi(3770) \quad \bar{D} \quad \psi(3770)$ $J/\psi \quad J/\psi$

○ molecular or threshold interpretations

Governed by underlying charmonium pairs
 Numerous pairings possible
 Linear Regge and widths trends not expected

○ “amorphous” systems

Lack of theoretical guidance

○ hybrid models

Theoretical prediction not consistent

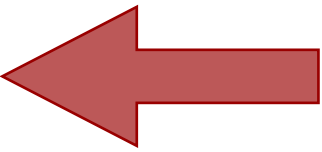
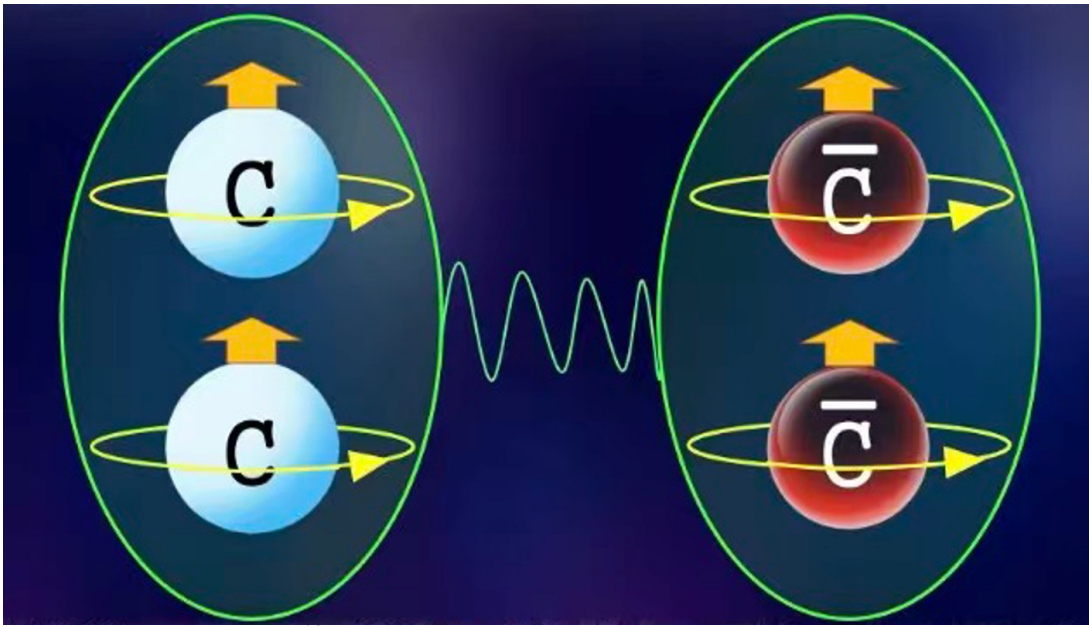
✓ Diquark-antidiquark model

- ★ Squared masses of triplet align Regge trajectory
==> Radial excitations
- ★ Regge match predictions for spin-1 (anti)diquarks with J^{PC} of 0^{++} or 2^{++}
 0^{++} is less prominent in production than 2^{++}
[arXiv:2006.14388](https://arxiv.org/abs/2006.14388)
[arXiv:2009.08376](https://arxiv.org/abs/2009.08376)
- ★ Widths decrease similar to Υbb^- annihilation
“diquark-onium”
- ★ CMS angular analysis favors $J^{PC} = 2^{++}$
- ★ No orbital angular momentum ($L_{[cc][\bar{c}\bar{c}]} = 0$)
high orbital less likely, difficult to produce

❖ Interpretation and discussion

- ★ Idealized models of all-charm structures theoretically
Molecular, Diquark-antidiquark, “amorphous” systems, hybrid...

Standard meson	Exotic mesons: all-charm tetraquark				Threshold effects
					e.g., triangle singularity
					<p>$\psi(3770) \rightarrow \bar{D} \psi(3770)$ $\psi(3770) \rightarrow D J/\psi$</p>



A system of aligned spin-1 diquarks forms a triplet of radially excited n^5S_2 states of $T_{cc\bar{c}\bar{c}}$

✓ Diquark-antidiquark model

- ★ Squared masses of triplet align Regge trajectory ==> Radial excitations
- ★ Regge match predictions for spin-1 (anti)diquarks with J^{PC} of 0^{++} or 2^{++}
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- ★ No orbital angular momentum ($L_{[cc][\bar{c}\bar{c}]} = 0$)
high orbital less likely, difficult to produce

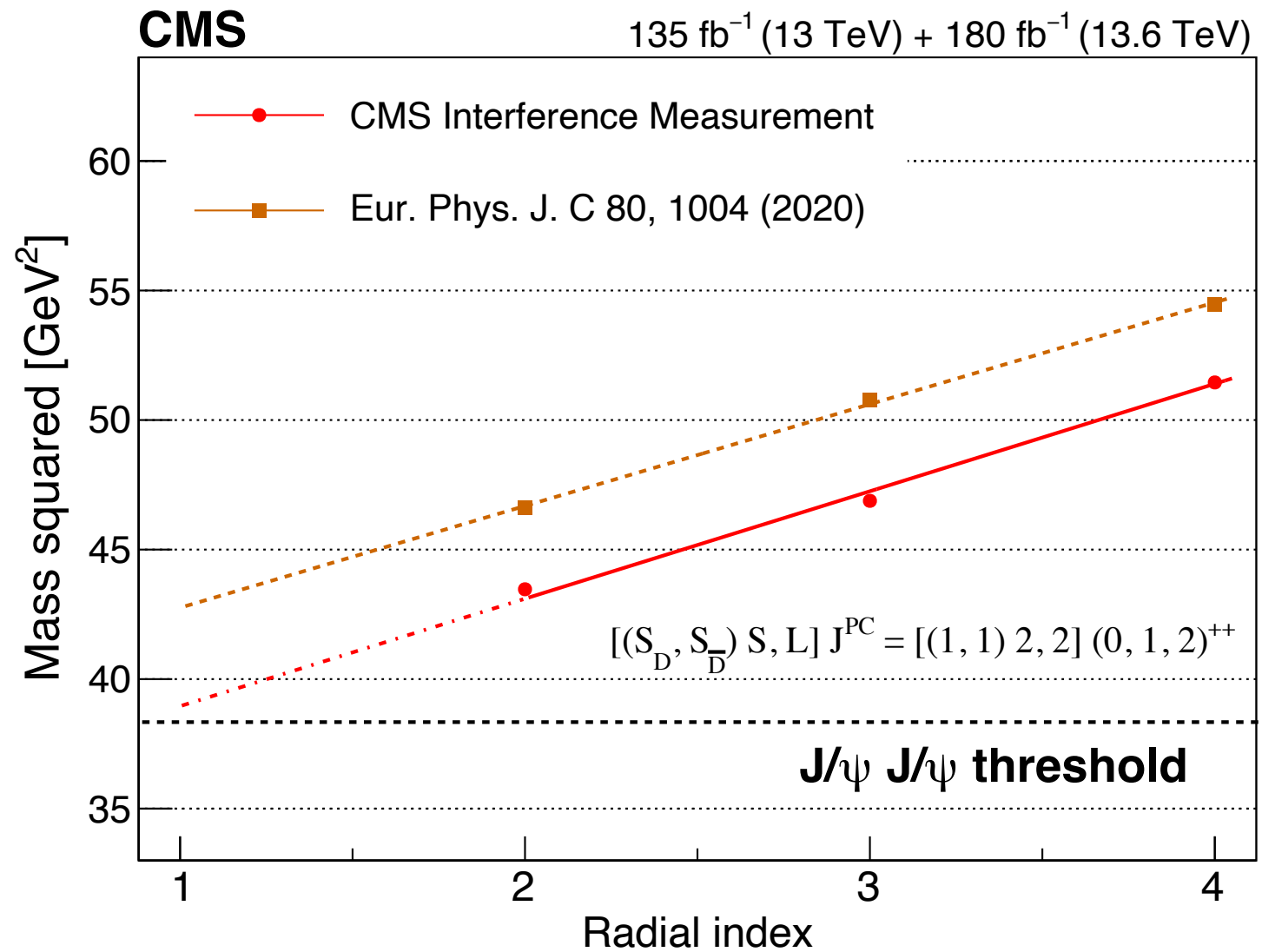
- ❖ **A radial family of all-charm tetraquarks with same $J^{PC} = 2^{++}$**
 - Three structures X(6600), X(6900), X(7100) established with significances $> 5\sigma$
 - Quantum interference among structures validated with significances $> 5\sigma$
 - First preliminary picture of the internal structure of this family.

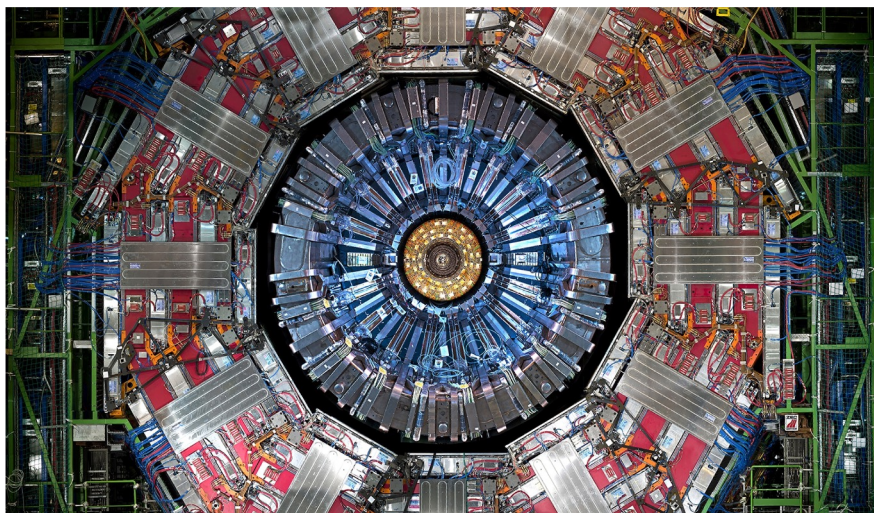
Thanks to trigger strategy deployed during Run 3, a lot more exciting results are on their way!

We are painting a coherent picture of Fully-heavy exotic hadrons

THANKS!

Backup





❖ Excellent detector for quarkonium studies with muons

Muon system

High-purity muon ID, $\Delta m/m \sim 0.6\%$ for J/ψ

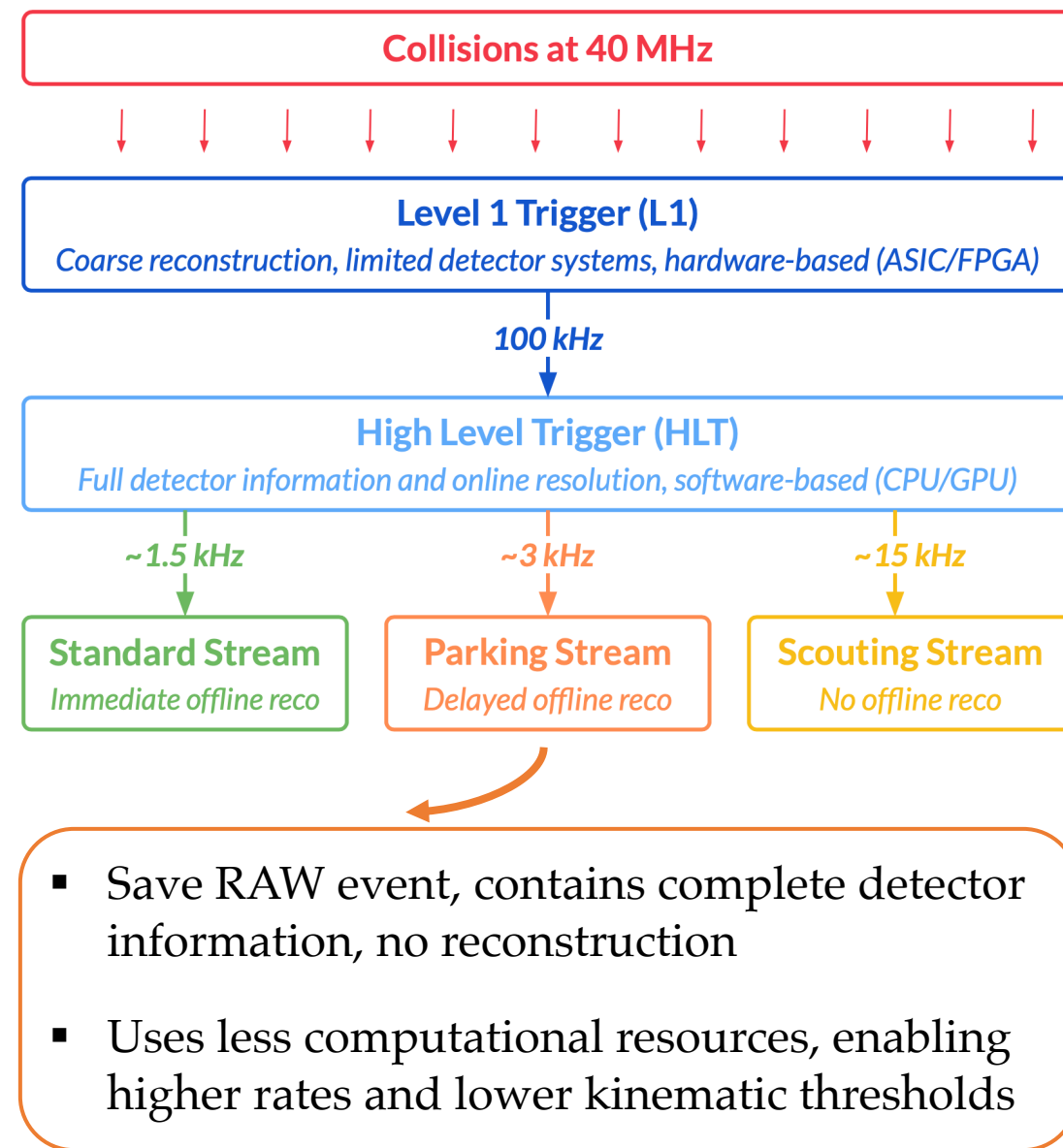
Silicon Tracking detector $B=3.8T$

$\Delta p_T/p_T \sim 1\%$ & excellent vertex resolution

❖ Majority of analyses rely on dimuon triggers

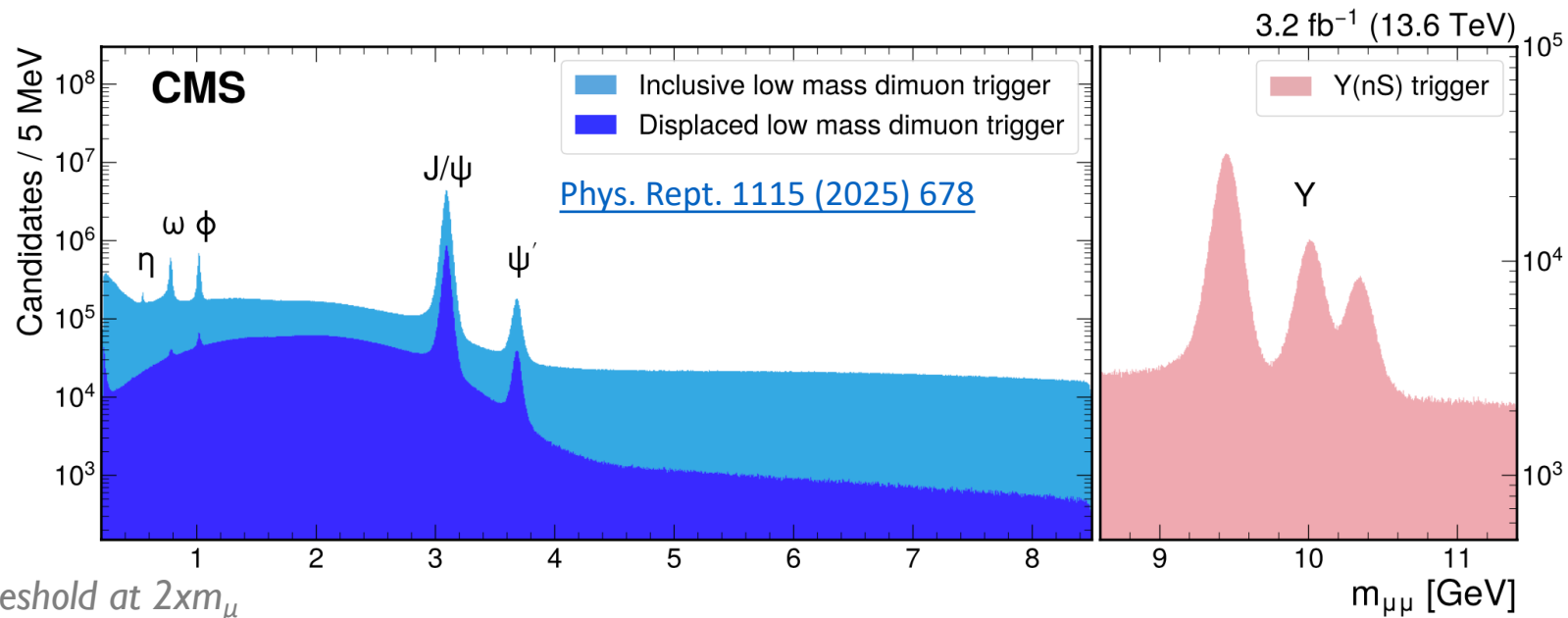
Flexible trigger system for different analyses

Overview of CMS Trigger System



Double muon parking

- ❖ Parking streams are a **game-changing effort** for CMS flavour physics
- ❖ Expanded physics potential thanks to **inclusive dimuon parking dataset**



di- μ mass lower threshold at $2xm_{\mu}$

- Broad low-mass $\mu\mu$ reach with **minimal kinematic & topology requirements** overcome limitations requiring additional tracks, mass range and vertexing
- Rate controlled via delayed reconstruction and kinematic thresholds dynamic release only at LIT

CMS have opened new opportunities in flavour physics!

- ❖ In the diquark–antidiquark picture, diquark is a bound system of **fermions**, **Pauli principle** requiring the overall diquark wave function to be **antisymmetric**

$$\Psi_{\text{diquark}} = \psi_{\text{space}} \times \psi_{\text{color}} \times \psi_{\text{flavor}} \times \psi_{\text{spin}} \equiv \Psi_{\text{antisym.}}$$

- **The parity of the spatial part** of the wave function is determined by the angular momentum L

$$P = (-1)^L$$

Most of the theoretical paper consider only **the ground state diquarks**.

Because **excitations within the diquark or antidiquark increase the diquark mass and size**, providing a larger overlap **between the diquark and antidiquark** which **enhances the rapid fall-apart strong decay processes**.

And this may result these states have less chances to be observed as resonances.

- **Fall-apart strong decay:** the quarks and antiquarks from the initial tetraquark rearrange into two mesons

$$Q_1 Q_2 \bar{Q}_3 \bar{Q}_4 \longrightarrow Q_1 \bar{Q}_3 + Q_2 \bar{Q}_4$$

If energetically possible and isn't forbidden by the quantum numbers, this is the main decay channel.

As the state can decay very rapidly, it could be observed as a broad resonance in this channel.

$$P_{\text{ground state}} = (-1)^{L_{\text{ground state}}} \equiv (-1)^0 = 1,$$

$$\implies \psi_{\text{space}} \equiv \psi_{\text{sym.}}$$

The parity of the spatial part is symmetric

- ❖ In the diquark–antidiquark picture, diquark is a bound system of **fermions**, **Pauli principle** requiring the overall diquark wave function to be **antisymmetric**

$$\Psi_{\text{diquark}} = \psi_{\text{space}} \times \psi_{\text{color}} \times \psi_{\text{flavor}} \times \psi_{\text{spin}} \equiv \Psi_{\text{antisym.}}$$

- **The color part** of the wave function depends on the choice of the color representation of the diquark. Two quarks are two color triplets, in combination they give two irreducible representations, either **a color symmetric sextet** or **an antisymmetric antitriplet**

$$3 \times 3 = 6 \oplus \bar{3},$$

$$\bar{3} \times \bar{3} = \bar{6} \oplus 3.$$

In **color-sextet representation** the internal interaction between the quarks within the diquark is **repulsive**, which means that it cannot be a bound state.

For **a color-antitriplet** diquark, the interaction between the quarks is attractive, thus, choose the color-antitriplet for the further considerations.

$$\psi_{\text{color}} \equiv \psi_{\text{antisym.}}$$

The parity of the color part is antisymmetric

*Note: **quark–antiquark cross diquark–antidiquark interactions** could stabilize sextet–antisextet diquarks.*

- ❖ In the diquark–antidiquark picture, diquark is a bound system of fermions, Pauli principle requiring the overall diquark wave function to be antisymmetric

$$\Psi_{\text{diquark}} = \overset{\text{symmetric}}{\psi_{\text{space}}} \times \psi_{\text{color}} \times \psi_{\text{flavor}} \times \psi_{\text{spin}} \equiv \Psi_{\text{antisym.}} \cdot \underset{\text{antisymmetric}}{\psi_{\text{space}}}$$

- The combination of the flavor and spin parts of the diquark wave function should be symmetric

$$\psi_{\text{flavor}} \times \psi_{\text{spin}} \equiv \psi_{\text{sym.}}$$

In all-charm tetraquark system, same flavor with **the symmetric flavor part**

It can only be axialvector with **the symmetric spin part**

$$\text{spins } S_d = 1$$

$$\begin{cases} \psi_{\text{flavor}} = \psi_{\text{sym.}}, \\ \psi_{\text{spin}} = \psi_{\text{sym.}}, \end{cases}$$

*That's the reason why most of theory paper usually focus more on spin-1 diquark model.
However, if **the color part** chosen **the color symmetric sextet**, spin-0 diquark can also appear.*

• Basic information: $P = (+)(-1)^L$ $C = (-1)^{L+S}$

• Constrain from X decay to $J\psi J\psi$: $J_{J/\psi}^{PC} = 1^{--}$

C is conserved in strong decays, $C_X = (-1)(-1) = +1$

▪ **Under S-wave:** $L = 0 \rightarrow P = +1, J = S$

○ In spin-0 diquark model, $S = 0$, X's JPC can only be 0^{++}

○ In spin-1 diquark model, $S = 0, 1, 2$; $L+S$ should be even to make C positive, S can not be 1, X's JPC can be $0^{++}, 2^{++}$.

▪ **Under P-wave:** $L = 1 \rightarrow P = -1$

○ In spin-0 diquark model, $S = 0$, makes $C = -1$, exclusive

○ In spin-1 diquark model, $S = 0, 1, 2$;

$L+S$ should be even to make C positive, S can only be 1, X's JPC can be $0^{-+}, 1^{-+}, 2^{-+}$

▪ **Under D-wave:** $L = 2 \rightarrow P = +1$

○ In spin-0 diquark model, $S = 0$, X's JPC can be $0^{++}, 1^{++}, 2^{++}$

If $S = 0$, X's JPC can only be 2^{++}

○ In spin-1 diquark model, $S = 0, 1, 2$; $L+S$ should be even, S can be 0 or 2

If $S = 2$, X's JPC can be $0^{++}, 1^{++}, 2^{++}, 3^{++}, 4^{++}$

Comparison with other Regge predictions

