

# PROPOSAL FOR AN HOMOGENEOUS, ISOTROPIC CALORIMETER FOR SPACE EXPERIMENTS

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On behalf of the Florence Cosmic Rays group

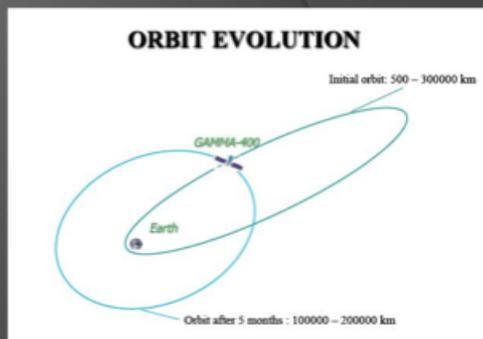
Beijing, October 17<sup>th</sup>, 2012

The First International Workshop on the High Energy cosmic-  
Radiation Detection

# Background

- We are developing this calorimeter for the Gamma-400 project, planned to be installed on a Russian satellite
- I would like to present you this idea, to look for possible synergies with HERD project

SPACE MISSION GAMMA-400  
GAMMA-400 WILL BE INSTALLED ON SPACECRAFT  
"NAVIGATOR", MANUFACTURED BY LAVOCHKIN.



• Launch foreseen by end 2018

• proton/nuclei cosmic-rays  
up to the "knee"

• electrons/positrons  
beyond TeV energy range

• gamma-rays from 30 MeV up to 300 GeV

## Gamma-400

### Approved mission by ROSCOSMOS

Originally devoted Gamma rays study (30 GeV – 1 TeV)  
& high-energy electrons and positrons.

Availability for a revision of the project that does not alter the original objectives

- The characteristics of the satellite:
  - scientific payload 2600 kg,
  - power budget 2 kW,
  - expected lifetime  $\approx$  10 years
  - Pointing without earth occultation

# Which are the most important aspects of a calorimeter for high energy cosmic rays – space based experiment?

## Physics goal:

- High energy ( $\sim$  TeV) electron to search for structures in the spectrum and to study close-by sources
- High energy ( $>10^{14}$  eV) proton and nuclei to study the knee region

## Requirements

1. Very large geometrical factor (few  $\text{m}^2$  sr)
2. Good electron and hadron energy resolution ( $\sim 1-2\%$  for e,  $\sim 30\%$  for hadrons)
3. Excellent electron/hadron separation ( $>10^5$  rejection factor)
4. Reduced weight and power consumption (depend on the launch vehicle)

# Our proposal: a cubic, homogeneous, isotropic calorimeter (I)

- We propose a large cubic homogeneous calorimeter, made with many small cubes. The detector would thus be able to contain and measure showering particles impacting on all sides.
1. **The Geometrical factor is multiplied by 5 wrt the traditional 'top style' geometry!!!!**
    - This idea is especially suited to a calorimeter which is the heaviest sub-detector in the complete experiment.
    - 'Ancillary' detectors are necessarily placed around the calorimeter, but these are extremely lightweight compared to the calorimeter itself ! (e.g. a charge measuring and trigger system).
    - The small separation gaps in between the calorimeter cubes increase the size and hence the geometrical factor without increasing the weight, at the price of a small degradation in energy resolution.
    - The bottom side can be used for mechanical support.

# Our proposal: a cubic, homogeneous, isotropic calorimeter (II)

3. Good electron and hadron energy resolution can be accomplished because of:
  - Homogeneous detector (scintillating crystals)
  - Very deep calorimeter for full e.m. shower containment up to very high energies
4. Excellent electron/hadron separation reached thanks to:
  - Very fine granularity in every direction
  - Small cube size ~ Moliere radius
5. Adjustable weight and power consumption:
  - They can be easily adjusted to the launch vehicle limit simply rescaling the size (always keeping in mind the necessary depth for full shower containment!!!)

# Additional details....

- Exercise made on the assumption that the detector's only weight is  $\sim 1600$  kg (Gamma-400 driven idea)
  - Mechanical support is not included in the weight estimation
- The optimal material is **CsI(Tl)**

Density:	4.51 g/cm <sup>3</sup>
X <sub>0</sub> :	1.85 cm
Moliere radius:	3.5 cm
$\lambda_I$ :	37 cm
Light yield:	54.000 ph/MeV
$\tau_{\text{decay}}$ :	1.3 $\mu$ s
$\lambda_{\text{max}}$ :	560 nm
- Simulation and prototype beam tests used to characterize the detector

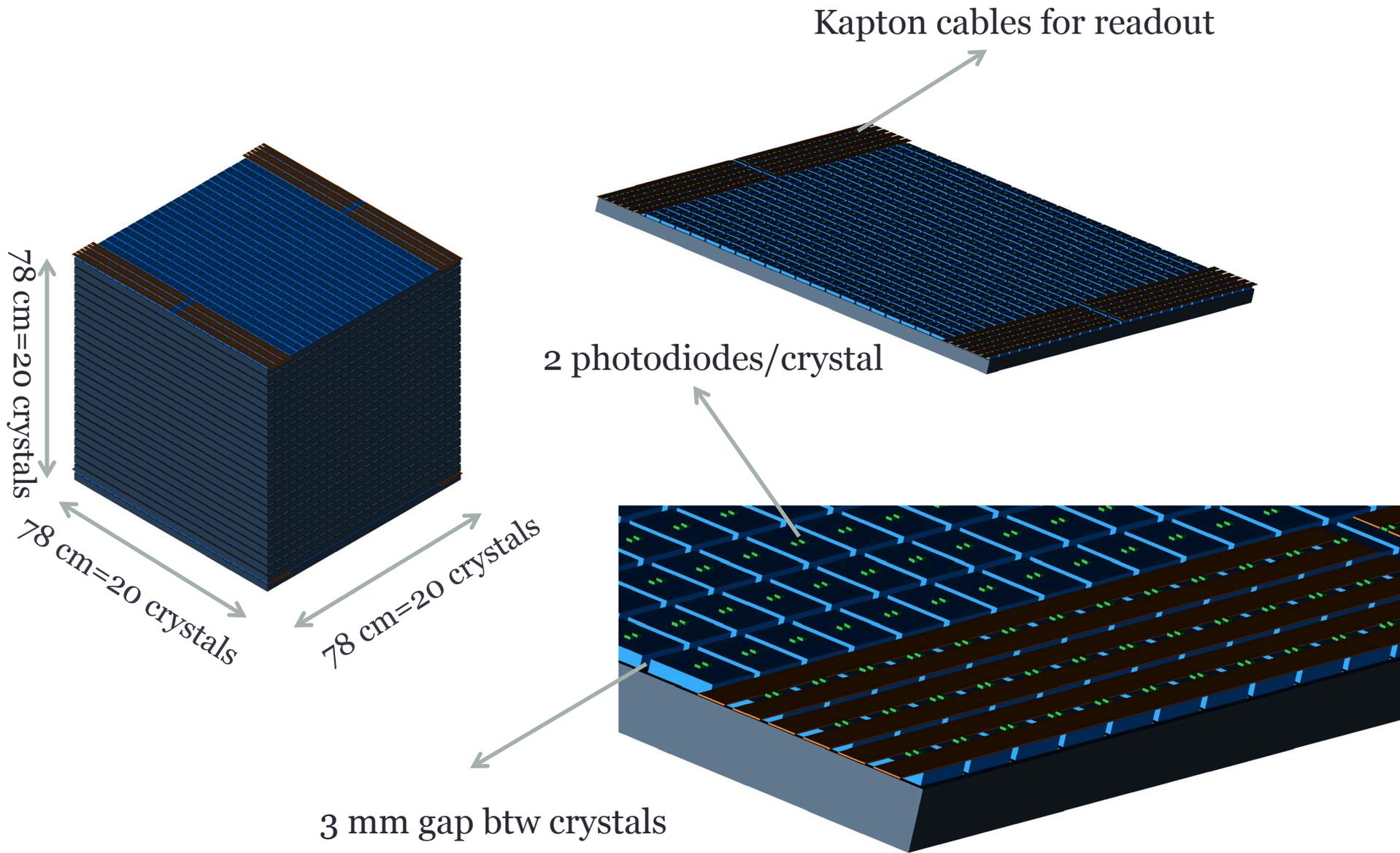
# The proposed configuration: CsI(Tl) ~ 1680 kg

	<b>Cubes</b>
N×N×N	<b>20×20×20</b>
L of small cube (cm)	3.6*
Crystal volume (cm <sup>3</sup> )	46.7
Gap (cm)	<b>0.3</b>
Mass (Kg)	1683
N.Crystals	8000
Size (cm <sup>3</sup> )	78.0×78.0×78.0
Depth (R.L.)	39×39×39
“ (I.L.)	1.8×1.8×1.8
Planar GF (m <sup>2</sup> sr) **	1.91

Very deep!!!!



(\* one Moliere radius)  
(\*\* GF for only one face)



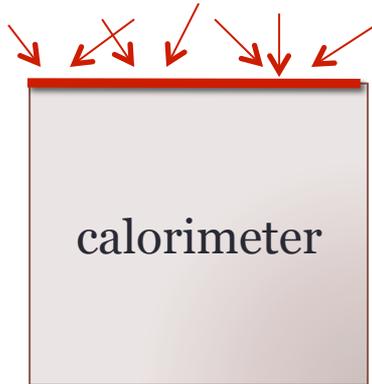
# The readout sensors

- Minimum 2 Photo Diodes are necessary to cover the whole huge dynamic range
- 1 MIP  $\rightarrow$   $10^7$  MIPS, since  $E_{\max}$  in one crystal  $\sim 0.1 E_{\text{tot}}$
- Large Area Excelitas VTH2090  $9.2 \times 9.2 \text{ mm}^2$  for small signals  $\rightarrow$  Inserted in the simulation!
- Small area  $0.5 \times 0.5 \text{ mm}^2$  for large signals
- Two independent readout channels will be used
- Details later on!

# Simulation

- FLUKA based simulation
- Planar generation surface on one of the 5 faces
- Results valid also for the other faces!
- Carbon fiber in between crystals (3 mm gaps)
- Large photodiode is inserted on the crystal in the simulation
  - We take into account also the energy release in the Photodiode itself!
  - Results are valid for every face since scintillation light is isotropically emitted
- Electrons: 100 GeV – 1 TeV range
- Protons: 100 GeV – 100 TeV range
- ~ 100 – 10.000 events for each energy
- No mis-calibration effects are included in the simulation
- Light collection efficiency and PD quantum efficiency are included in the simulation
- For the moment we have very low statistics for high energy particles (huge computing time is necessary....)

# Electrons



Very simple geometrical cuts:

- The track should point to a fiducial surface (two crystals on the side are eliminated)
- The maximum of the shower should be well contained in the fiducial volume
- The length of the shower should be at least 40 cm ( $\sim 21 X_0$ )

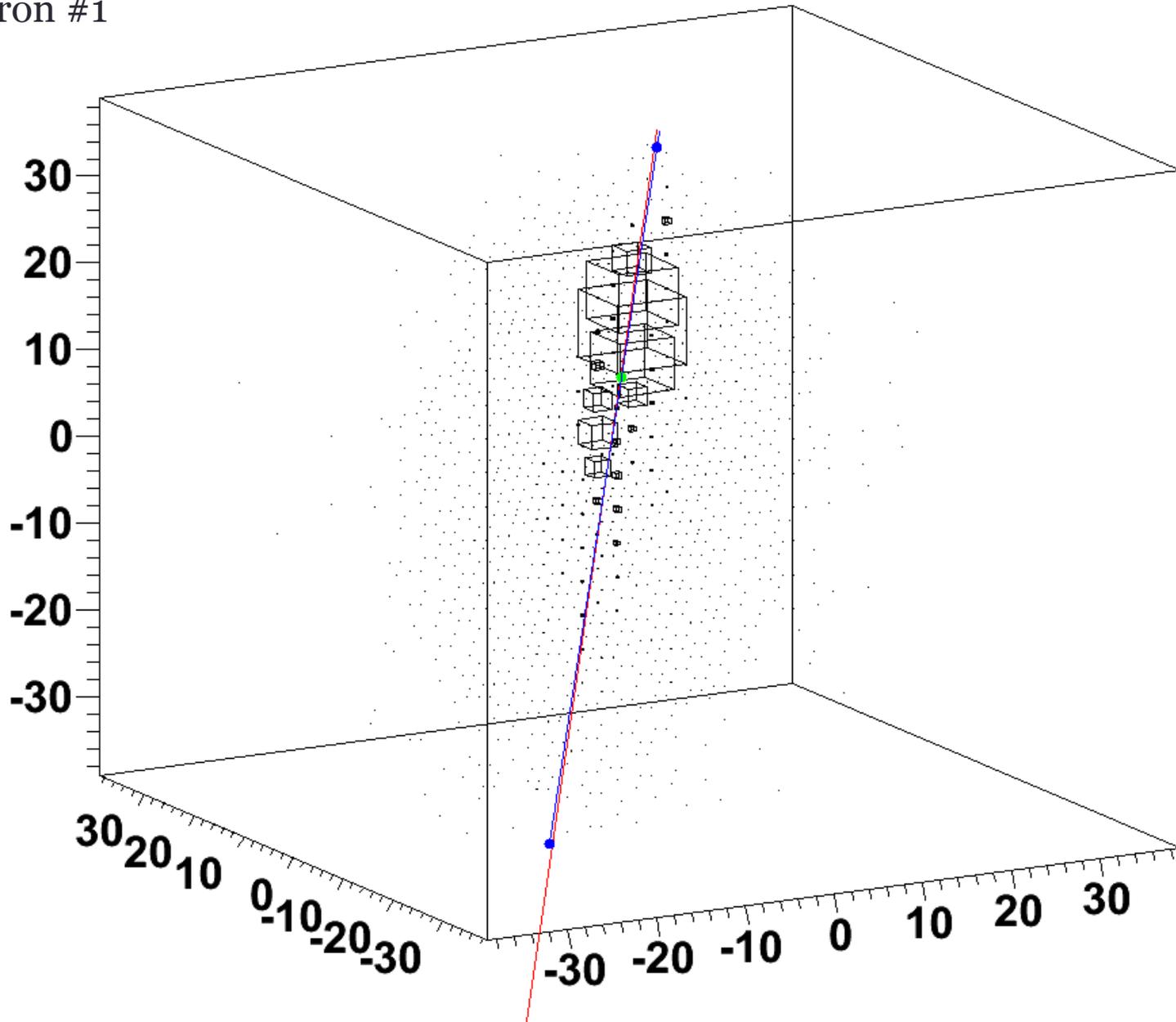
Efficiency of these cuts  $\sim 36\%$

Effective geometrical factor  $\sim$

$$(0.78 * 0.78 * \pi) * 5 * \epsilon \text{ m}^2 \text{ sr} = 9.55 * \epsilon \text{ m}^2 \text{ sr}$$

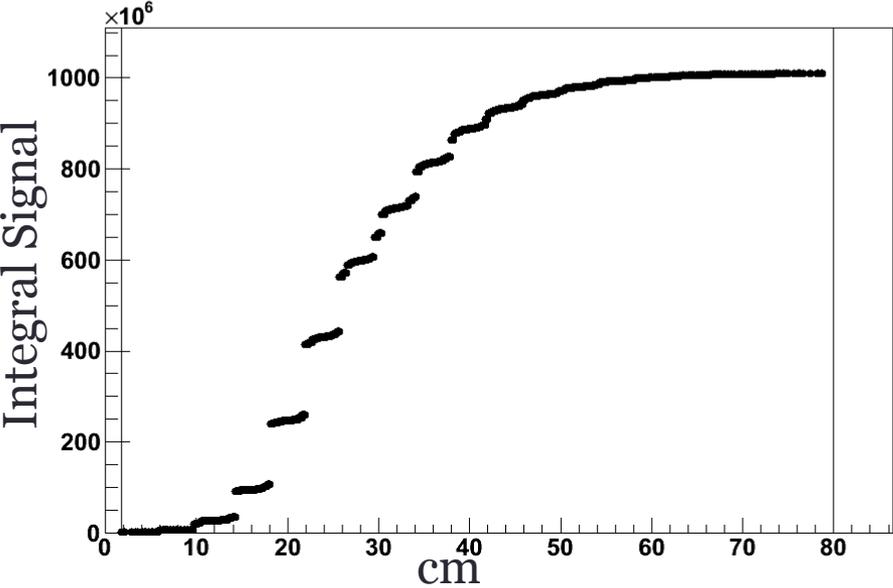
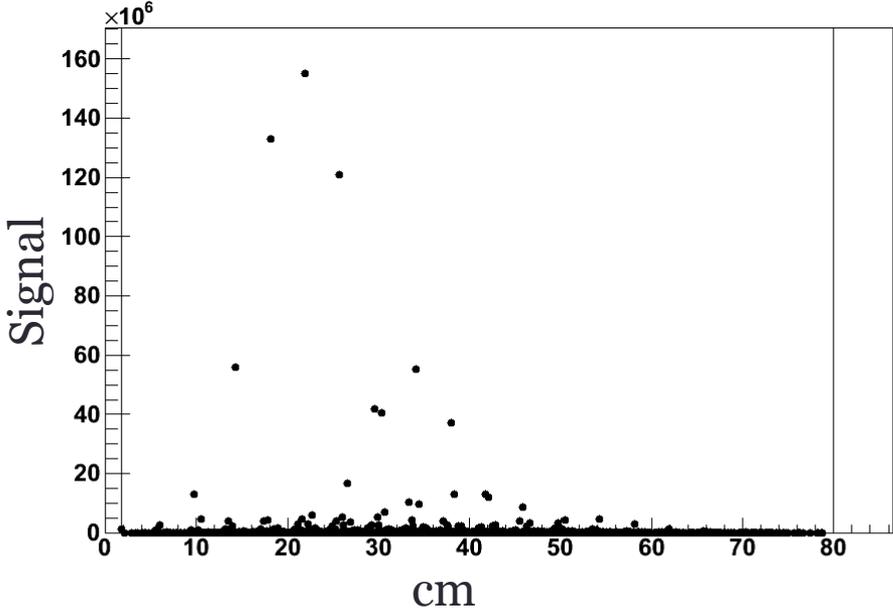
$$Gf_{\text{eff}} \sim 3.4 \text{ m}^2 \text{ sr} \text{ (including the efficiency)}$$

# Electron #1



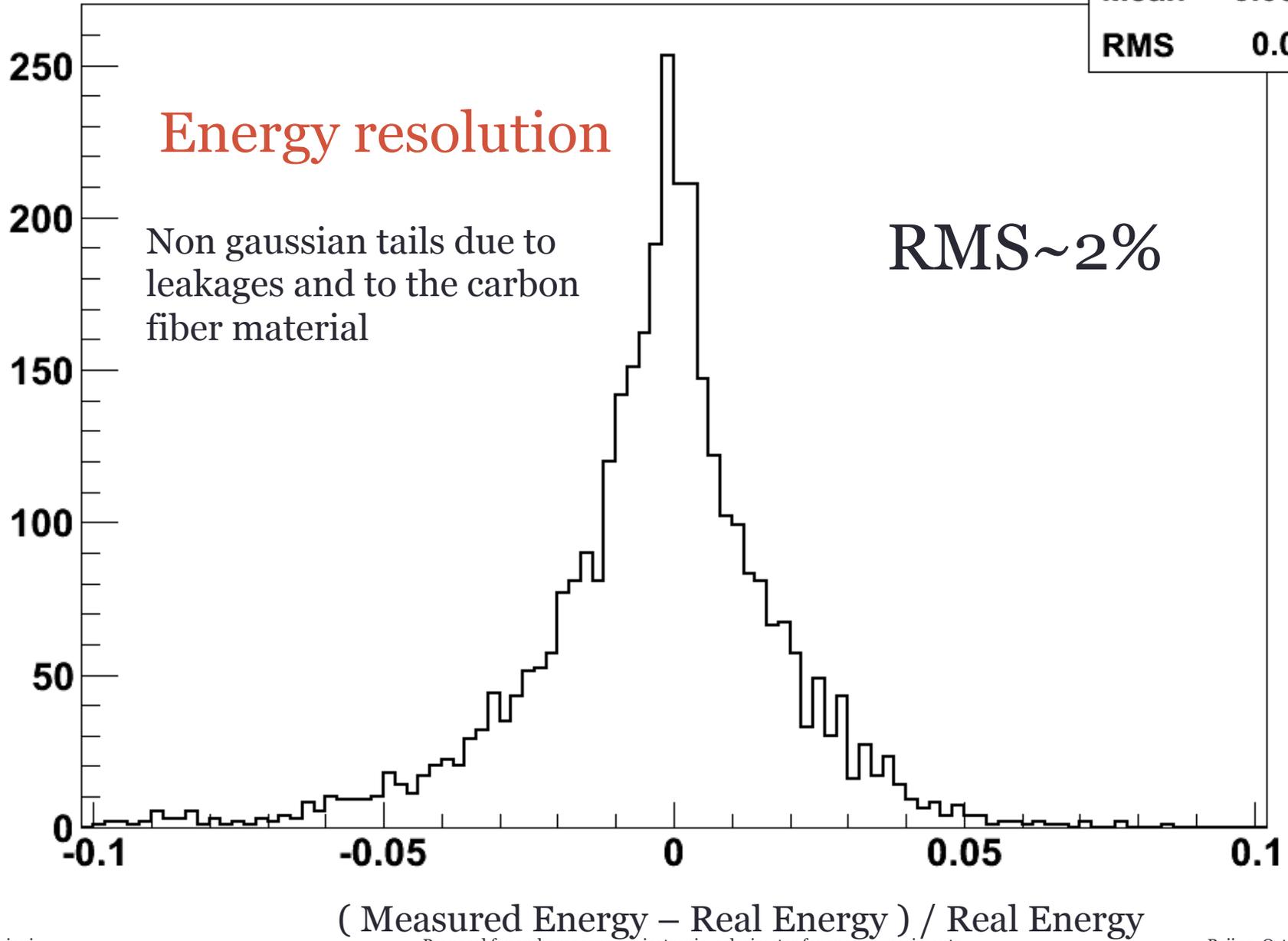
# Longitudinal profile

Electron #1



# Electrons 100 – 1000 GeV

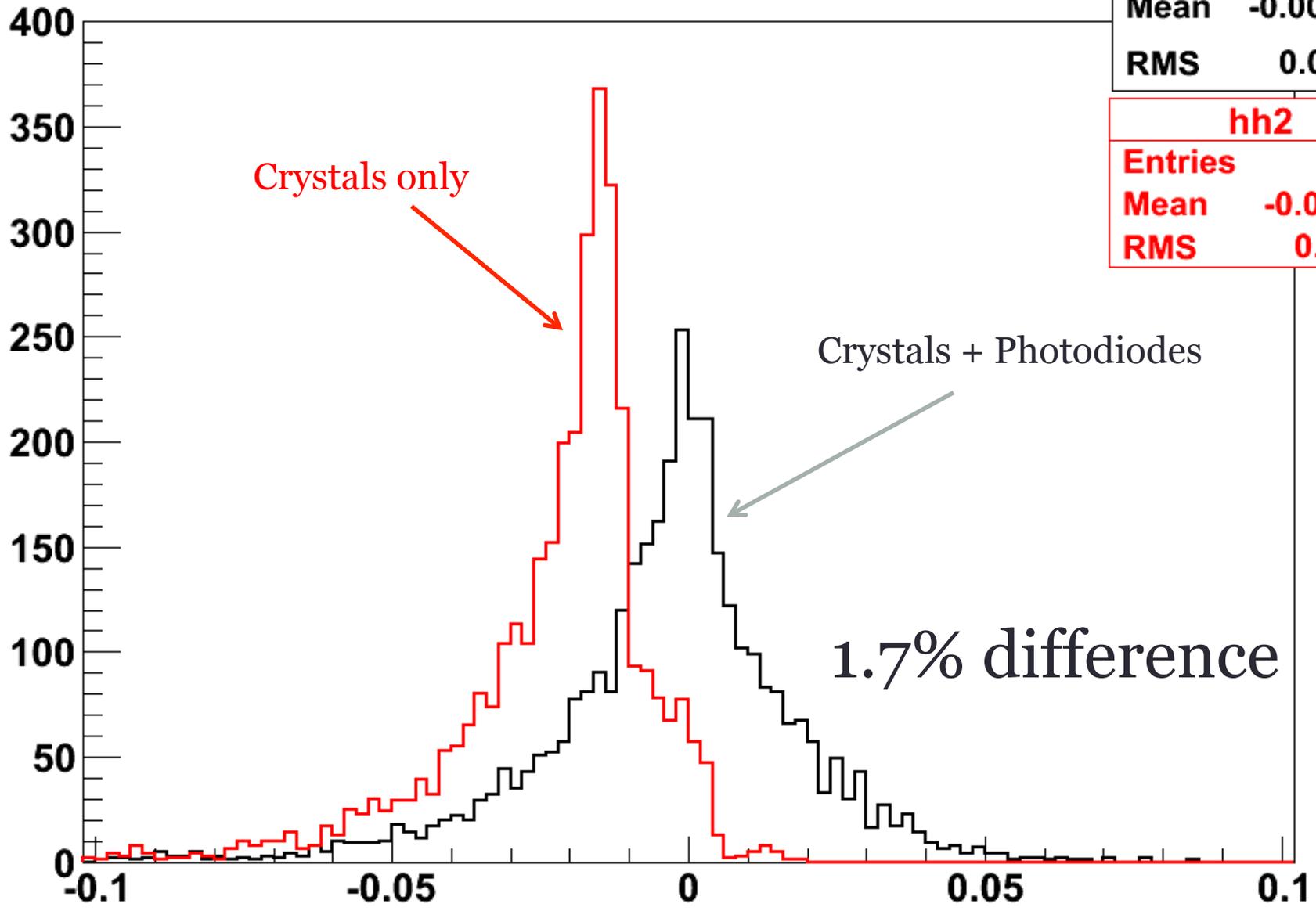
Entries	3581
Mean	-0.003252
RMS	0.02125



# Electrons 100 – 1000 GeV

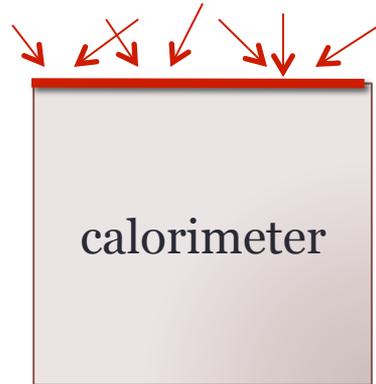
<b>Entries</b>	<b>3581</b>
<b>Mean</b>	<b>-0.003252</b>
<b>RMS</b>	<b>0.02125</b>

<b>hh2</b>	
<b>Entries</b>	<b>3581</b>
<b>Mean</b>	<b>-0.04514</b>
<b>RMS</b>	<b>0.1454</b>



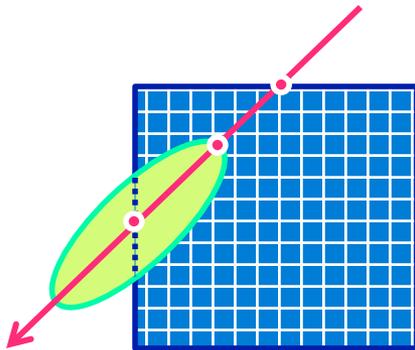
$( \text{Measured Energy} - \text{Real Energy} ) / \text{Real Energy}$

# Protons

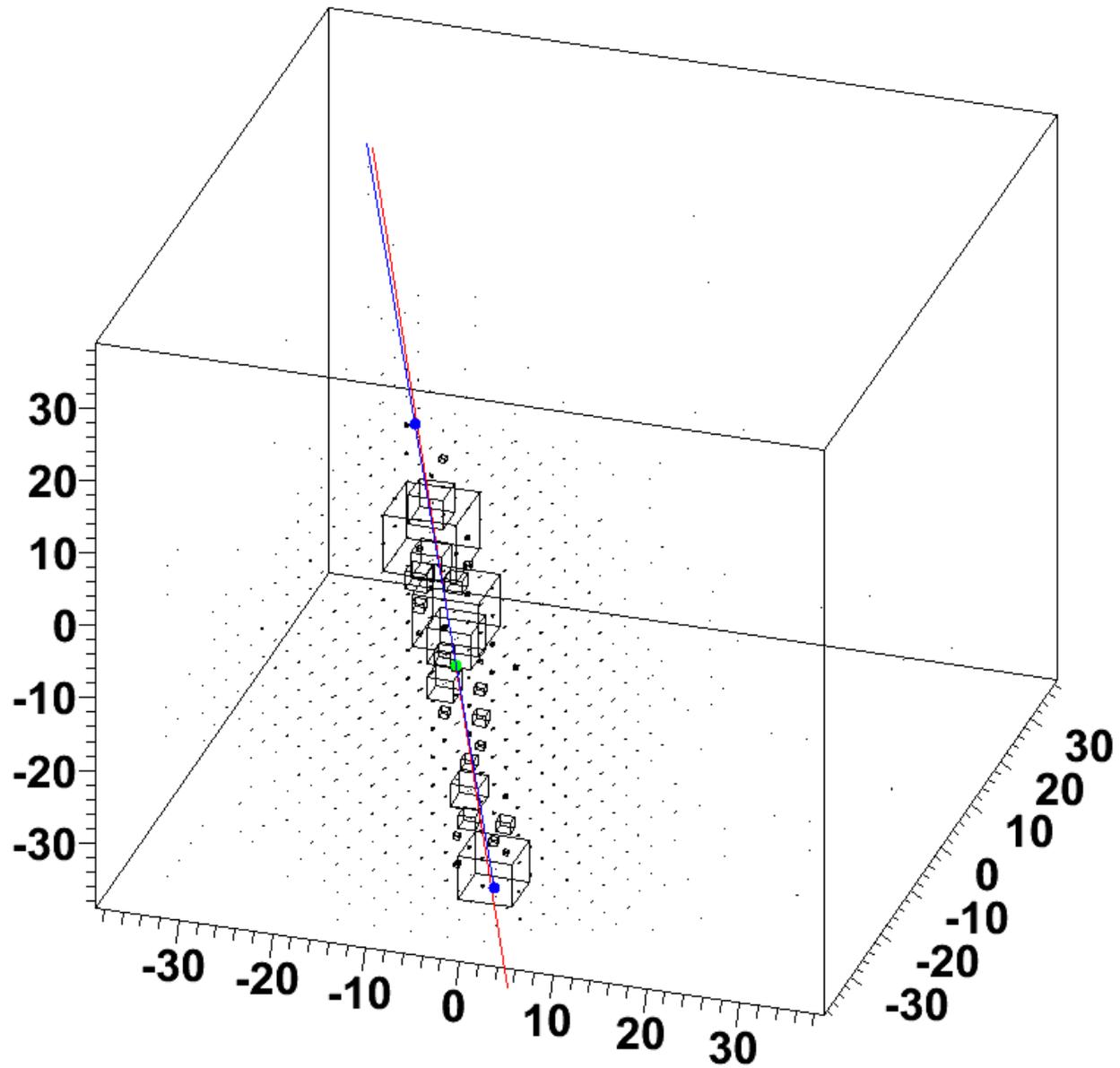


Very simple geometrical cuts:

- A good reconstruction of the shower axis
- At least 50 crystals with  $>25$  MIP signal
- Energy is reconstructed by using the shower length measured in the calorimeter, since leakage are important ( $1.8 \lambda_I$  for perpendicular incidence)

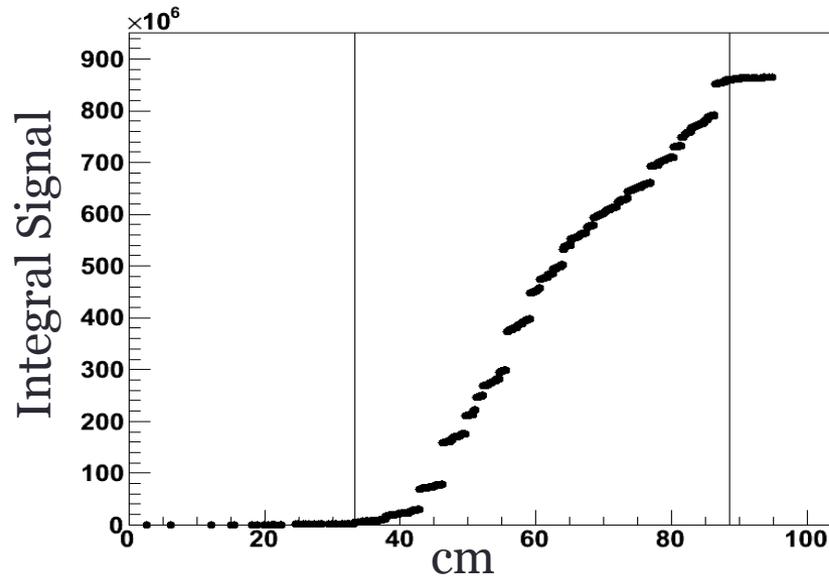
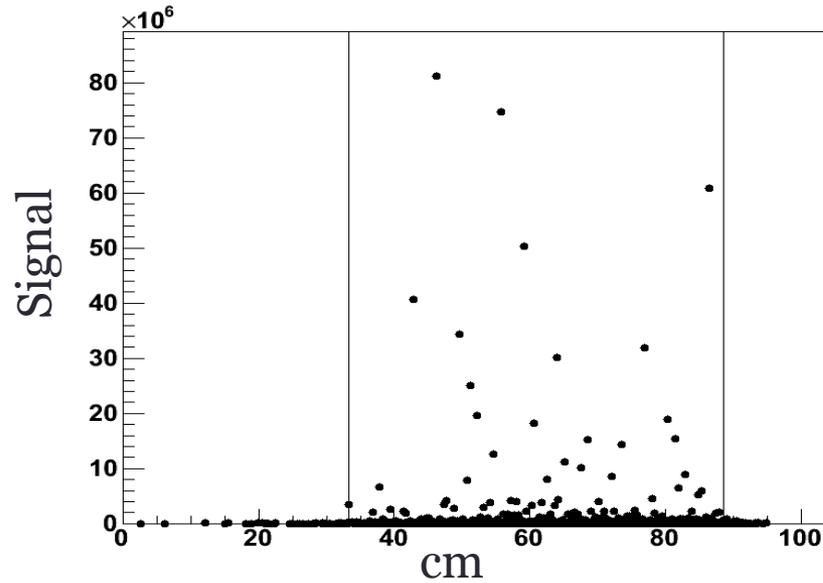


Proton #1



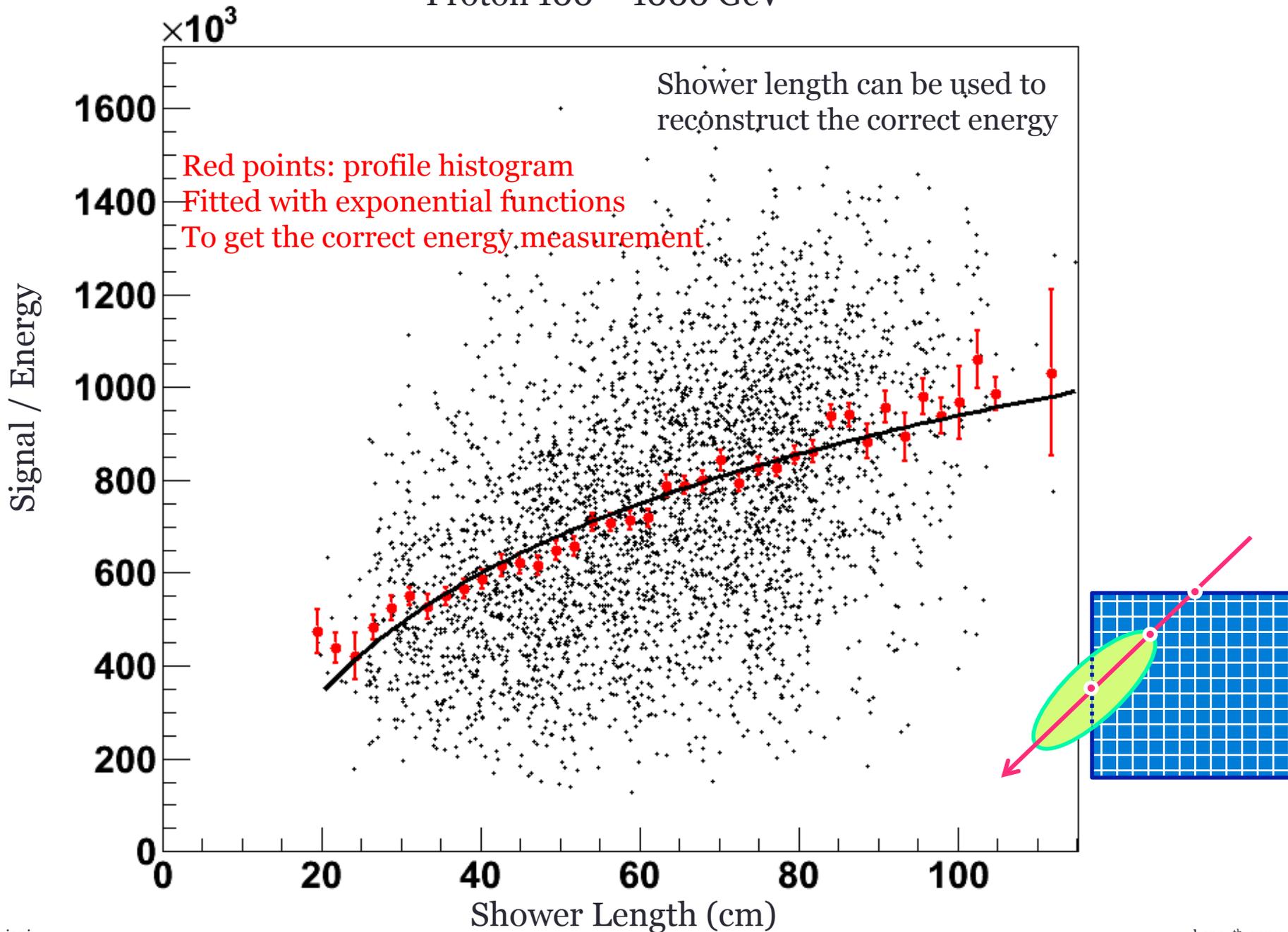
# Longitudinal profile

Proton #1



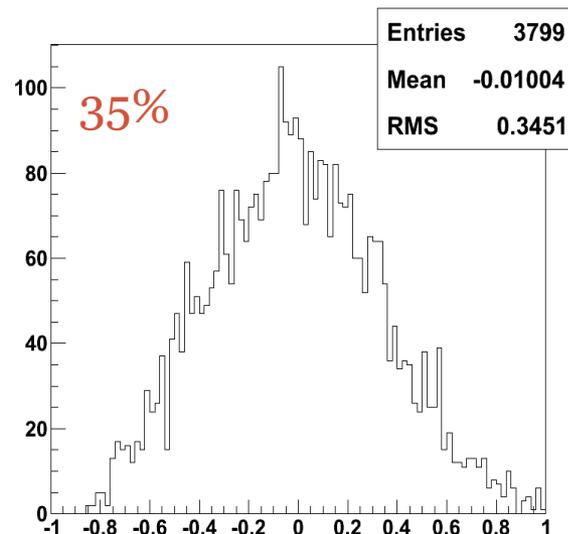
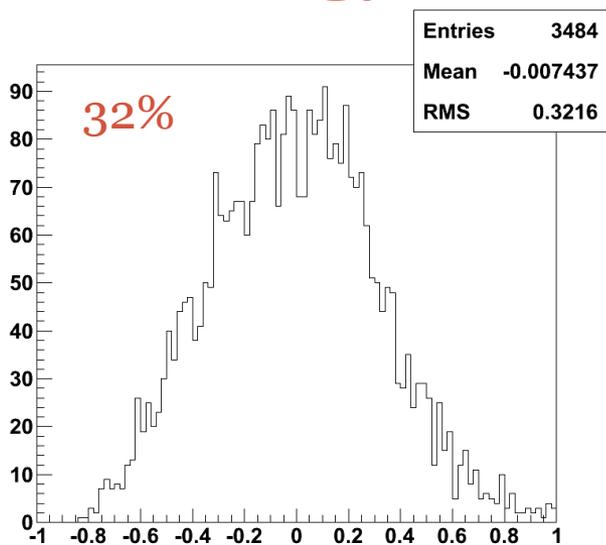
Shower starting point  
is identified with  $\sim 1$   
cm resolution

# Proton 100 – 1000 GeV

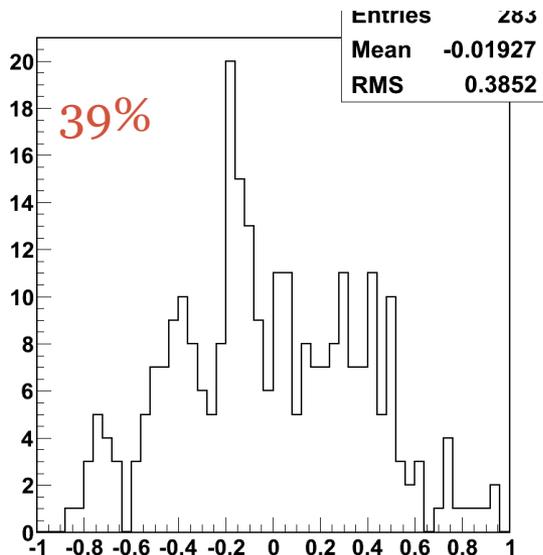


# Proton energy resolution

100 –  
1000 GeV



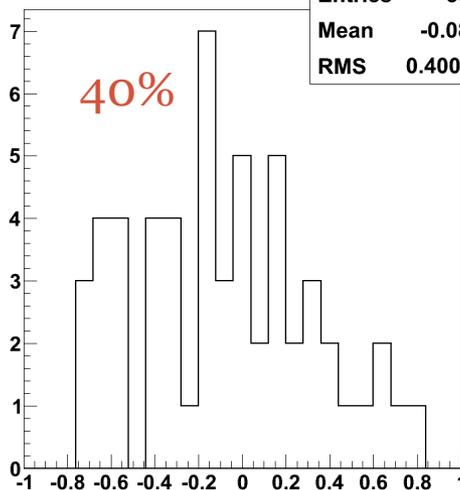
10 TeV



Entries 55  
Mean -0.08  
RMS 0.4001

40%

100 TeV



$(\text{Measured Energy} - \text{Real Energy}) / \text{Real Energy}$

# Efficiencies and Geometrical factors

$$GF(1 \text{ face}) = 0.78 * 0.78 * \pi \text{ m}^2 \text{ sr} = 1.91 \text{ m}^2 \text{ sr}$$

$$GF(5 \text{ faces}) = 1.91 * 5 \text{ m}^2 \text{ sr} = 9.55 \text{ m}^2 \text{ sr}$$

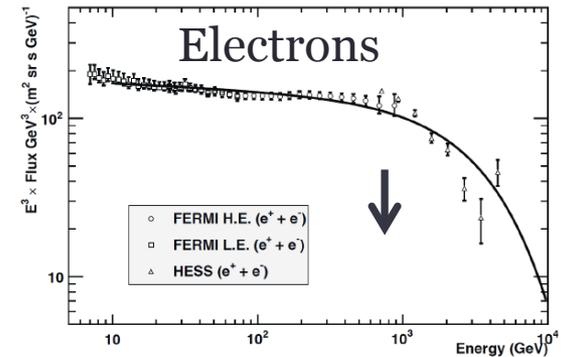
Energy	$\epsilon$	Energy resolution	G <sub>eff</sub> (m <sup>2</sup> sr)
100-1000 GeV	35%	32%	3.3
1 TeV	41%	34%	3.9
10 TeV	47%	38%	4.5

Selection cuts can be tuned to optimize the parameters  
Roughly speaking: GF > 3 m<sup>2</sup>sr with good energy resolution!!!!

# What we can reach with this calorimeter?

## Assumptions:

- 10 years exposure
- No direct closeby sources for electrons
- Polygonato model for protons/nuclei



## Electrons

$Gf_{\text{eff}}$ (m <sup>2</sup> sr)	$\Delta E/E$	Depth ( $X_0$ )	e/p rej. factor	$E > 0.5$ TeV	$E > 1$ TeV	$E > 2$ TeV	$E > 4$ TeV
3.4	2%	39	$> 10^5$	$\sim 2 \cdot 10^5$	$\sim 4 \cdot 10^4$	$\sim 6 \cdot 10^3$	$\sim 7 \cdot 10^2$

~ knee



## Protons and Helium

$Gf_{\text{eff}}$ (m <sup>2</sup> sr)	$\Delta E/E$	Depth ( $\lambda_1$ )	$E > 100$ TeV		$E > 500$ TeV		$E > 1000$ TeV		$E > 2000$ TeV		$E > 4000$ TeV	
			p	He								
$\sim 4$	40%	1.8	$2.8 \times 10^4$	$2.7 \times 10^4$	$1.7 \times 10^3$	$1.8 \times 10^3$	$4.4 \times 10^2$	$5.5 \times 10^2$	$1.0 \times 10^2$	$1.6 \times 10^2$	$1.7 \times 10^1$	$3.6 \times 10^1$

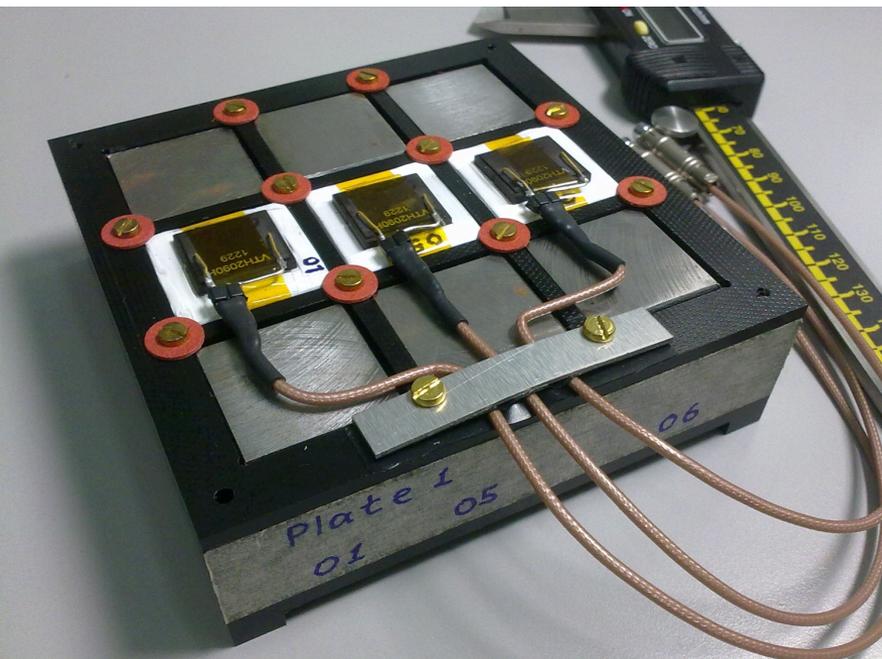
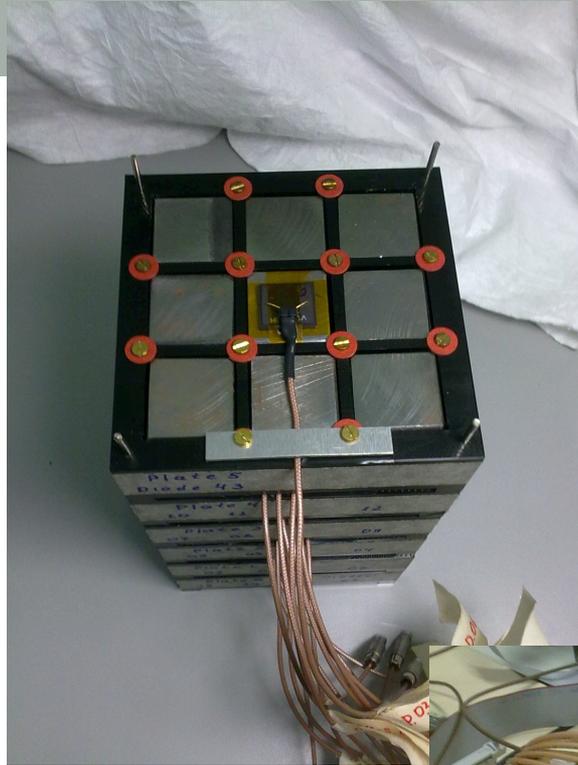
# Some caveats....

- Please note:
  - The theoretical previsions for the knee region are really very much spread out!
  - Pre-PAMELA-ATIC-CREAM scenarium: simple single power law up to the knee region
  - Post-PAMELA\_ATIC\_CREM scenarium: the models have to explain the change in slope around 200 GV/c, and the different slopes btw protons and helium
  - Different sources, different injection spectra, nearby sources, non standard propagation scenarium....
- Many works have been published in the last few years:
  - Thoudam and Horandel
  - Zatsepin, Panov, Sokolskaya.
  - Bernard, Delahaye, Keum, Liu, Salati, Taillet
  - Yuan, Zhang, Bi
  - Tomassetti
  - Blasi, Amato, Donato, Serpico

I can give you references if you are interested
- As a result, the expected spectrum around the knee is unclear, and probably higher than the one expected up to a few years ago
- Possible structures may arise?
- Direct measurements are really essential!
- With the proposed calorimeter, we could measure well above the knee

# The prototype

- We are building a small scale prototype to verify the performances and check that no weak points exist in the project
- First pre-prototype already constructed
  - 12 CsI(Tl) crystals  $2.5 \times 2.5 \times 2.5 \text{ cm}^3$  (Thanks to Y.F. Wang!!!!)
  - 6 layers with with a  $3 \times 3$  matrix, with Iron cubes where CsI is not available
- Goal of the pre-prototype: test beam at Cern-SPS before the Cern accelerator shutdown for  $\sim 2$  years
- The test has been completed on October 14!!!
- A more complete 144  $3.6 \times 3.6 \times 3.6 \text{ cm}^3$  prototype will be built in the next few months



ous isotropic calorimeter for space experiments

# Some comments on the required dynamic range

CsI(Tl)

- $1 \text{ MIP/cm} = 1.25 \text{ MeV}/(\text{g/cm}^2) * 4.5 \text{ g/cm}^3 = 5.62 \text{ MeV/cm}$
- $1 \text{ MIP (for cube 3.6 cm)} = 5.62 * 3.6 = 20 \text{ MeV}$
- Light yield = 54 000 ph/MeV
- Light yield for cube =  $54\,000 * 20 \sim 10^6$  photons/MIP

Photodiode Excelitas VTH2090 ( $9.2 \times 9.2 \text{ mm}^2$ ) for small signals

- Geometry factor \* Light collection efficiency = 0,045
- QE = 0.6
- $\text{Signal}_{\text{MIP}} (\text{CsI}) = \text{Light yield} * \text{Geometry factor} * \text{QE} = 28.10^3 e^-$

Small Photodiode ( $0.5 \times 0.5 \text{ mm}^2$ ) for large signals

- Geometry factor \* Light collection efficiency =  $1.3 \times 10^{-4}$
- QE = 0.6
- $\text{Signal}_{\text{MIP}} (\text{CsI}) = \text{Light yield} * \text{Geometry factor} * \text{QE} = 80 e^-$

Requirements on the preamplifier input signal:

- Minimum:  $1/3 \text{ MIP} = 10^4 e^- = 2 \text{ fC}$  (Large area PD)
- Maximum:  $0.1 \times E_{\text{part}} = 100 \text{ TeV} = 5.10^6 \text{ MIP} = 4.10^8 e^- = 64 \text{ pC}$  (Small area PD)

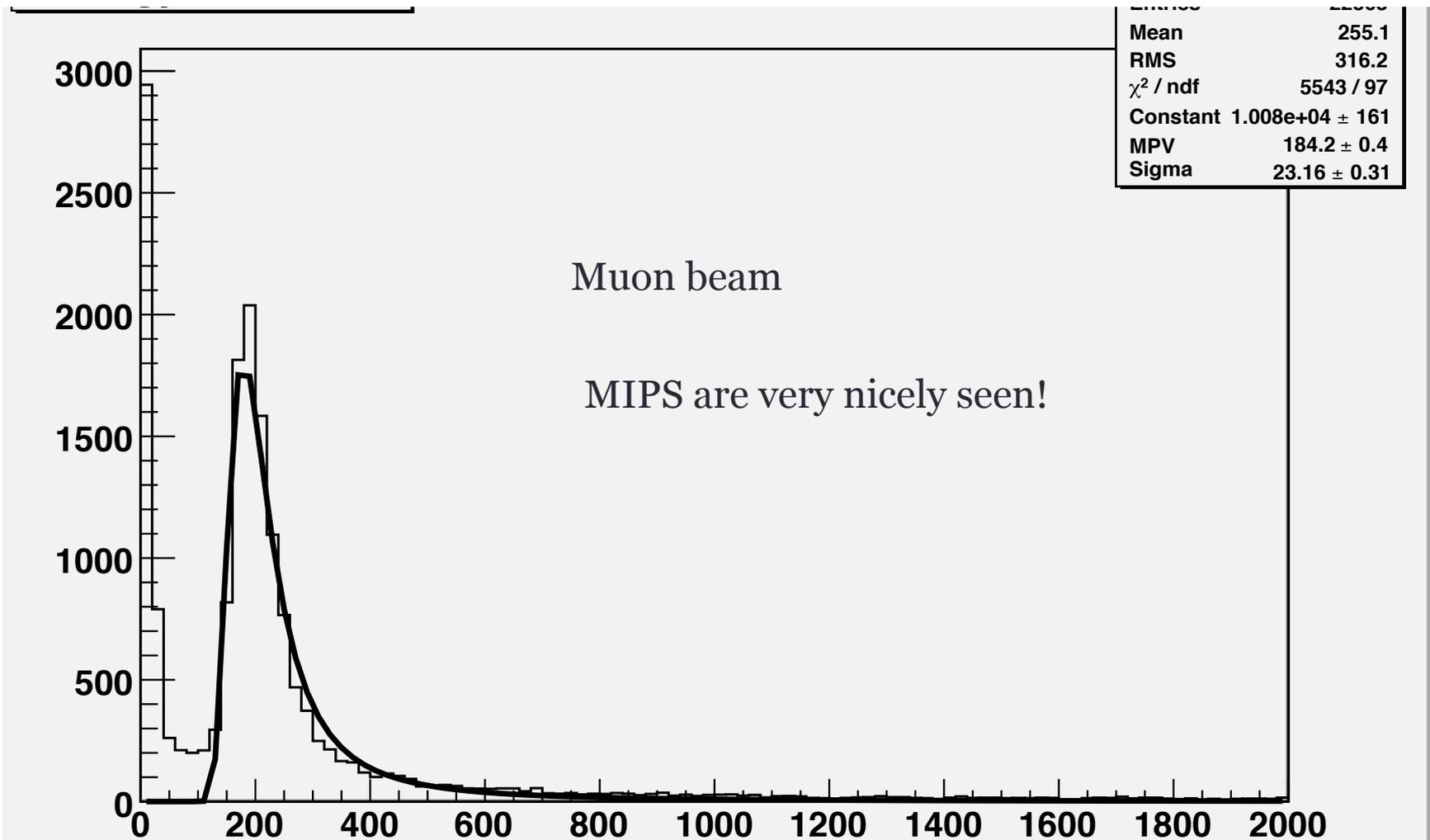
By using two different PD we could well see MIP, and we could avoid saturation in one crystal provided we can find a suitable preamplifier chip ( $64\text{pC}/2\text{fC}=3.10^4$  dynamic range)

# The CASIS chip

IEEE TRANSACTIONS ON NUCLEAR SCIENCE, VOL. 57, NO. 5, OCTOBER 2010

- The CASIS chip, developed in Italy by Trieste, is very well suited for this purpose
- 16 channels, Charge Sensitive Ampl and Correlated Double Sampling
- Automatic switching btw low and high gain mode
- 2.8 mW/channel
- $3 \cdot 10^3$  e<sup>-</sup> noise for 100 pF input capacitance
- 53 pC maximum input charge
  
- The CASIS chip has been successfully used for the pre-prototype

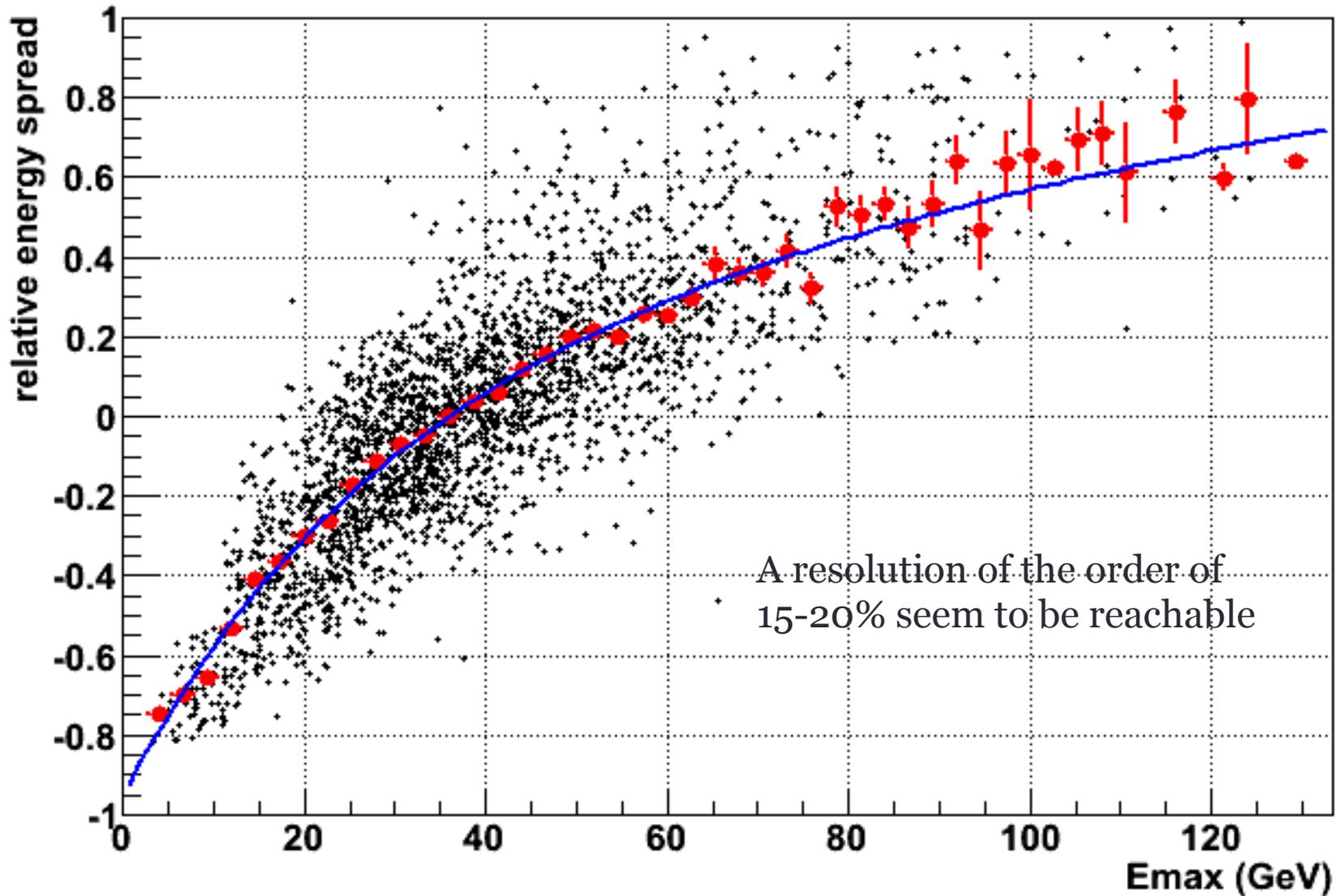
# A spot on the pre-prototype test beam



# How to improve the calorimeter performances?

- We could try to see the Cherenkov light produced in the crystals by the electromagnetic component of the shower
  1. Improvement of the e/p rejection factor
  2. Improvement of the hadronic energy resolution (DREAM project)
- Problem: different response to electromagnetic and hadronic particles ( $e/h > 1$ )
- Effect: worsening of energy resolution
- Solution: try to **compensate** the hadronic response to make it equal to electromagnetic one
  - ‘Software compensation’ developed in the last few years
  - Hardware compensation (~late 1980)

# Software compensation



# Hardware compensation

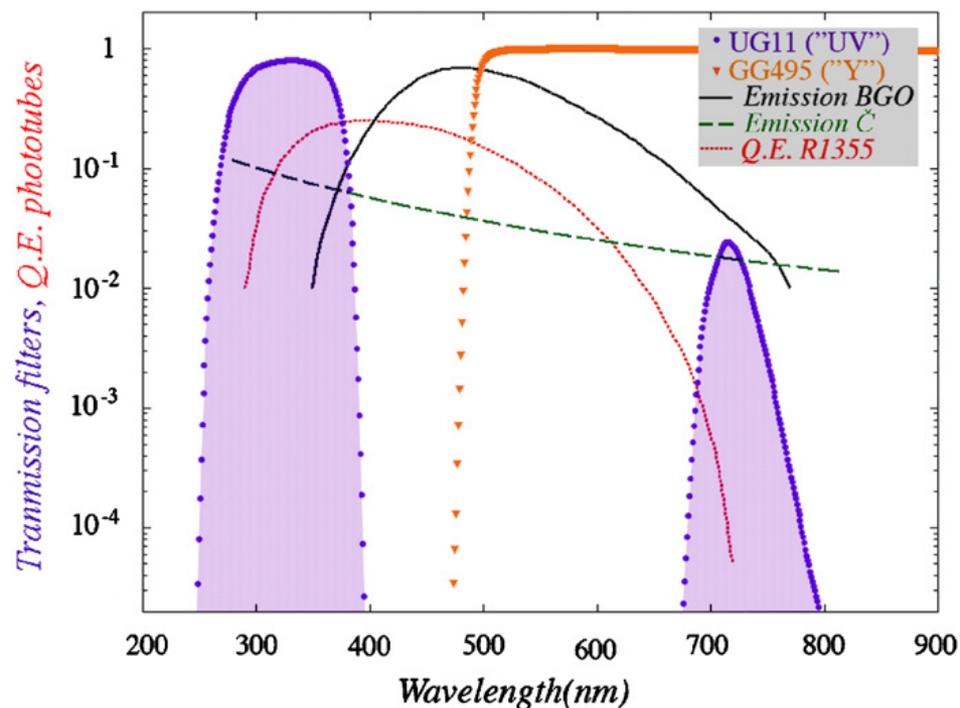
- Dual readout → CsI: scintillation + Cherenkov
- Scintillation is sensitive to the overall energy release
- Cherenkov is sensitive to electromagnetic component
- Idea: measure Cherenkov light event by event, and use this info to correct the measured energy
- Pro: Possibility to use the timing information to discriminate btw scintillation (slow) and Cherenkov (fast) component
- Contro: Cherenkov light is a small fraction of the scintillation light, compatible with the direct energy release in the PD....
- A dedicated R&D is still necessary

# Dual-readout calorimetry with a full-size BGO electromagnetic section

N. Akchurin<sup>a</sup>, F. Bedeschi<sup>b</sup>, A. Cardini<sup>c</sup>, R. Carosi<sup>b</sup>, G. Ciapetti<sup>d</sup>, R. Ferrari<sup>e</sup>, S. Franchino<sup>f</sup>, M. Fraternali<sup>f</sup>, G. Gaudio<sup>e</sup>, J. Hauptman<sup>g</sup>, M. Incagli<sup>b</sup>, F. Lacava<sup>d</sup>, L. La Rotonda<sup>h</sup>, T. Libeiro<sup>a</sup>, M. Livan<sup>f</sup>, E. Meoni<sup>h</sup>, D. Pinci<sup>d</sup>, A. Policicchio<sup>h,1</sup>, S. Popescu<sup>a</sup>, F. Scuri<sup>b</sup>, A. Sill<sup>a</sup>, W. Vandelli<sup>i</sup>, T. Venturelli<sup>h</sup>, C. Voena<sup>d</sup>, I. Volobouev<sup>a</sup>, R. Wigmans<sup>a\*</sup>

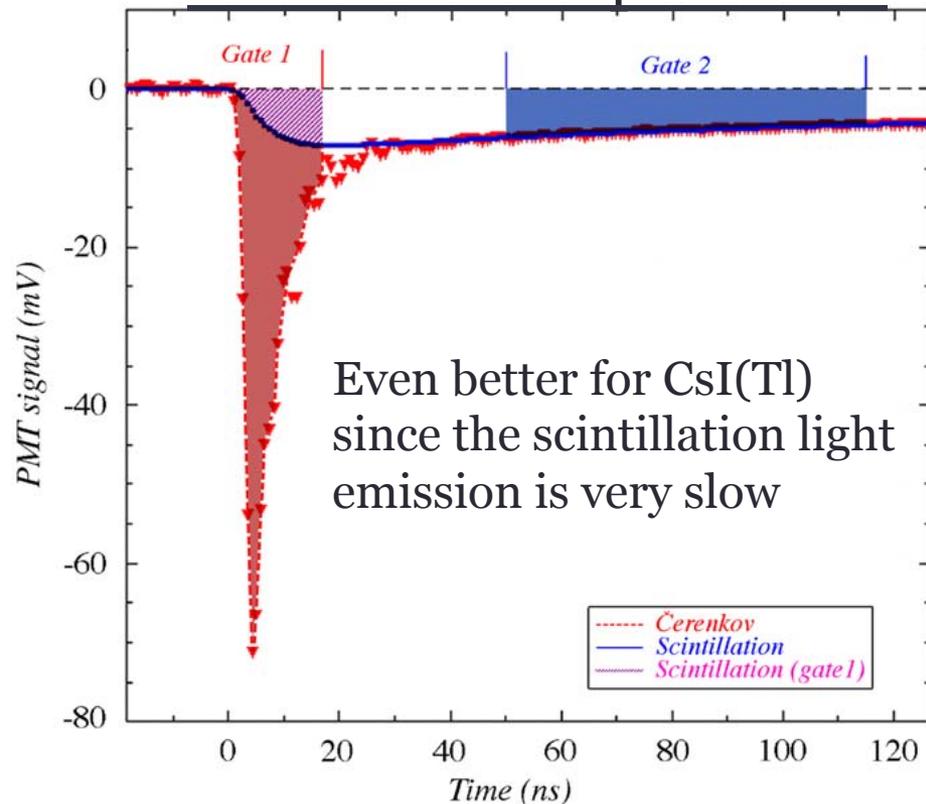
Dual readout → BGO: scintillation + Cherenkov

Filter: 250 ÷ 400 nm for Cherenkov light  
>450 nm for Scintillator light



**Fig. 14.** Light transmission as a function of wavelength for the two filters used to read out the BGO crystal. The light emission spectrum of the crystal, the spectrum of the Cherenkov light generated in it and the quantum efficiency of the PMTs used to detect this light are shown as well. The vertical scale is absolute for the transmission coefficients and the quantum efficiency, and constitutes arbitrary units for the light spectra.

## Hardware compensation



**Fig. 5.** The time structure of a typical shower signal measured in the BGO calorimeter equipped with a UV filter. These signals were measured with a sampling oscilloscope, which took a sample every 0.8 ns. The UV BGO signals were used to measure the relative contributions of scintillation light (gate 2) and Cherenkov light (gate 1).

Even better for CsI(Tl)  
since the scintillation light  
emission is very slow

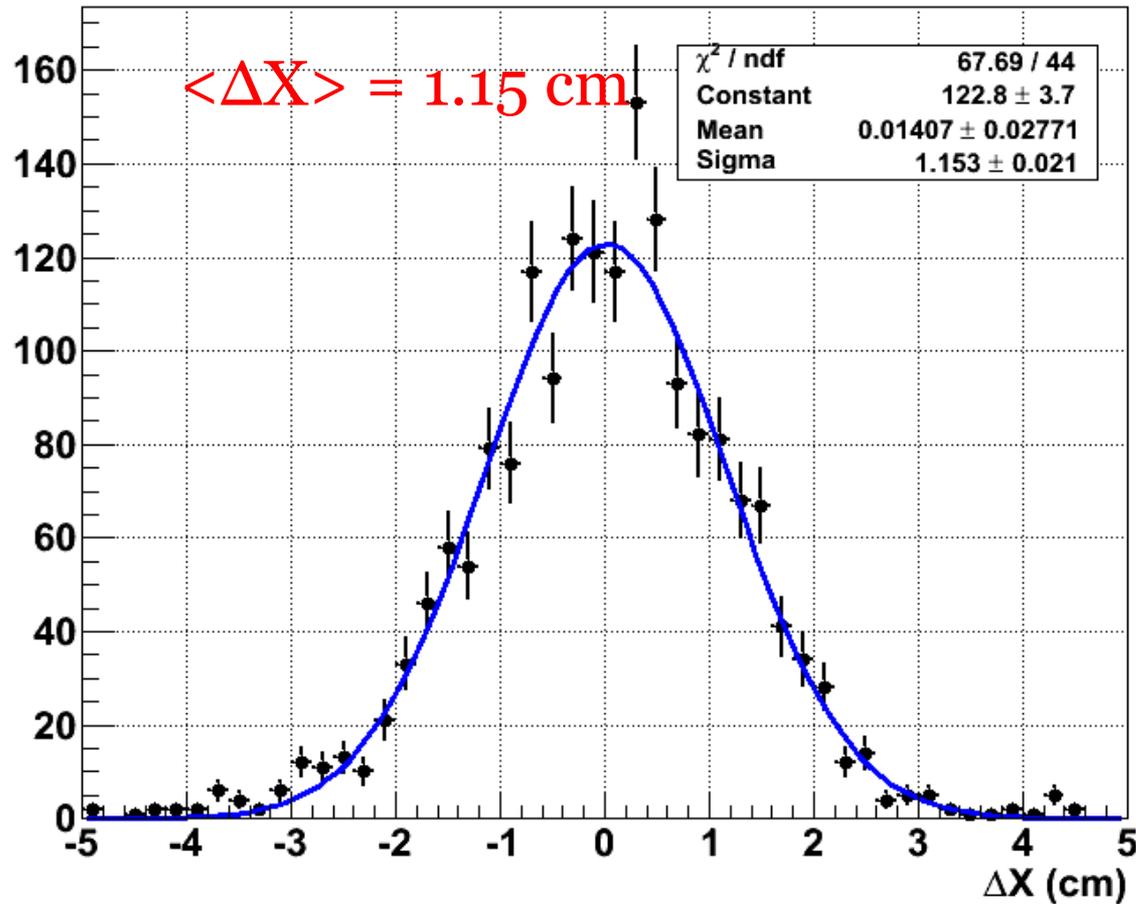
# Conclusion

- An homogeneous, isotropic calorimeter look to be an optimal tool for space experiments dedicated to high energy electrons and protons/nuclei
- The idea is under development for the Gamma-400 project, but could be eventually investigated for HERD?
- The status of the project is quite advanced:
  - Simulation
  - Prototype
  - Test beam
- We are available for any further discussion on this idea!!!

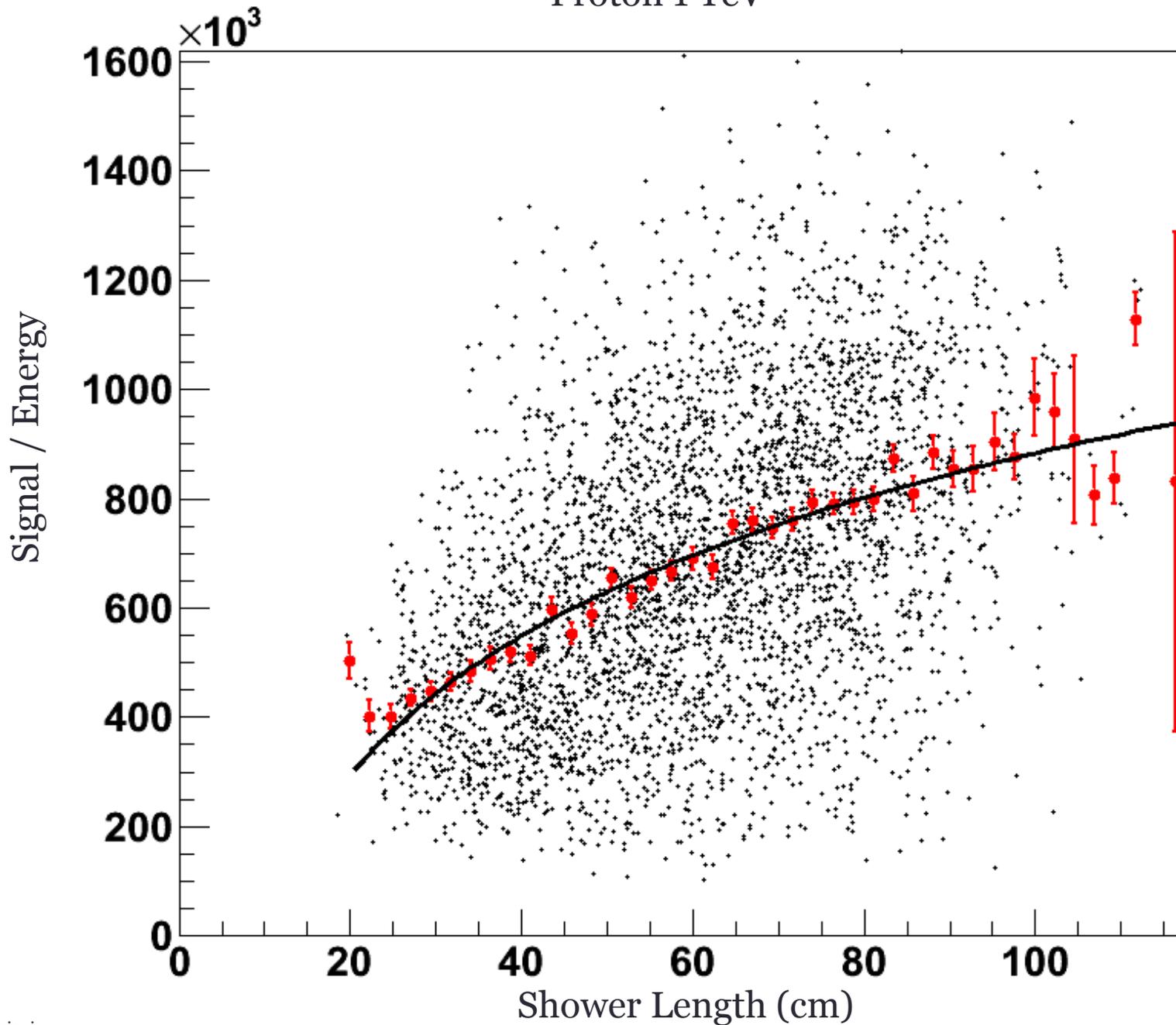
# BACKUP

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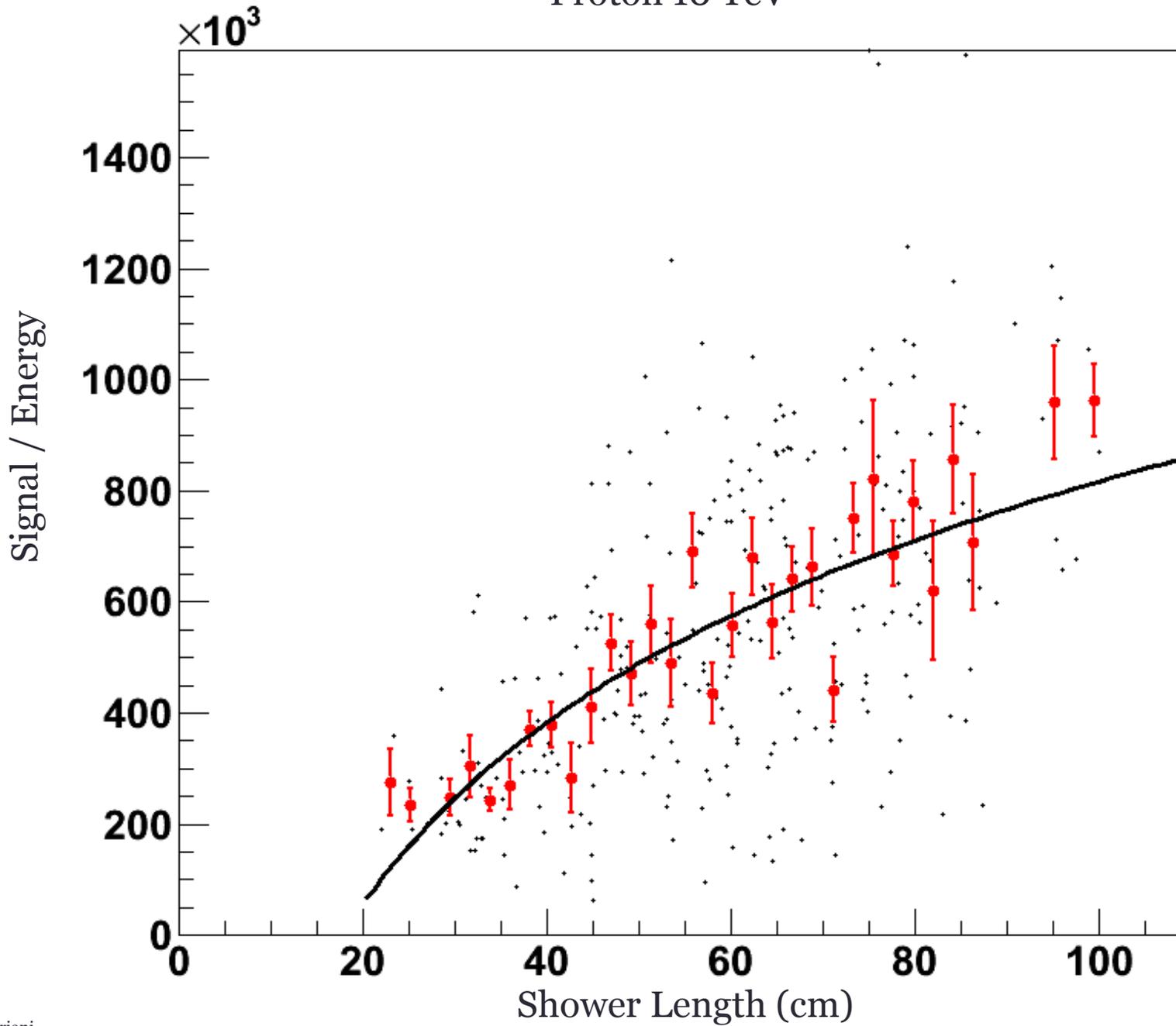
# Shower starting point resolution



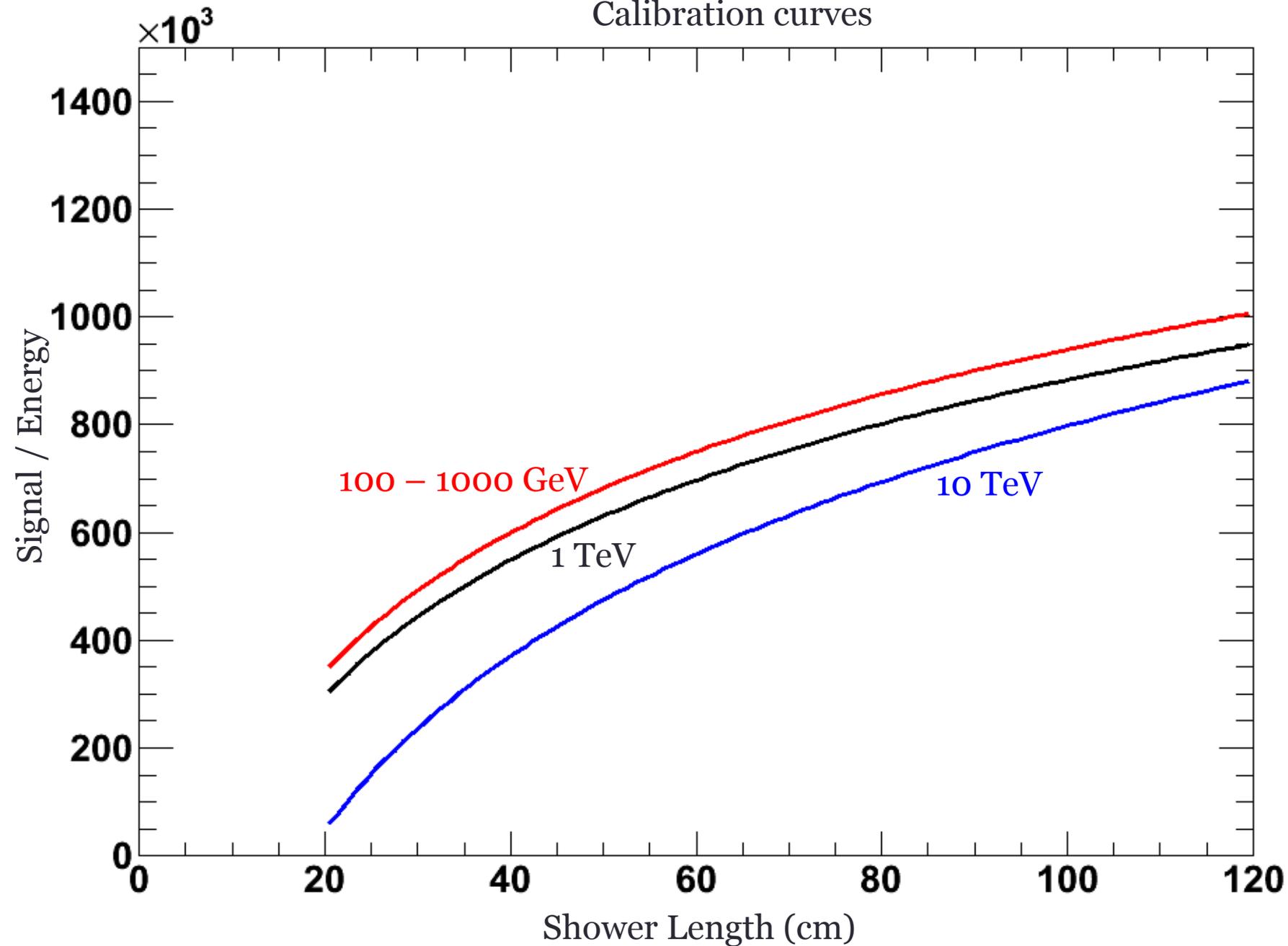
# Proton 1 TeV



# Proton 10 TeV



Calibration curves

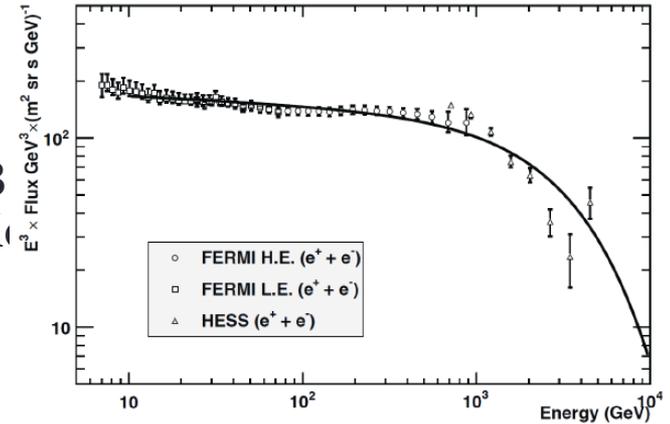


# Counts estimation, *electrons*

G400 configuration: CsI(Tl), 20x20x20 crystals

Size: 78.0x78.0x78.0 cm<sup>3</sup> – gap 0.3

Taking into account: geometrical factor and exp. duration  
selection efficiency 80%



Experiment	Duration	Planar GF (m <sup>2</sup> sr)	Calo $\sigma$ (E)/E	Calo depth	e/p rejection factor	E > 0.5 TeV	E > 1 TeV	E > 2 TeV	E > 4 TeV
CALET	5 y	0,12	~2%	30 X <sub>0</sub>	10 <sup>5</sup>	3193	611	95	10
AMS02	10 y	0,5**	~2%	16 X <sub>0</sub>	10 <sup>3</sup> **	26606	5091	794	84
ATIC	30 d	0,25	~2%	18 X <sub>0</sub>	10 <sup>4</sup>	109	21	3	0
FERMI	10 y	1,6@300 GeV * 0,6@800 GeV *	~15%	8,6 X <sub>0</sub>	10 <sup>4</sup>	59864	2545	0	0
<b>G400</b>	<b>10 y</b>	<b>8,5</b>	<b>~0,9%</b>	<b>39 X<sub>0</sub></b>	<b>10<sup>6</sup></b>	<b>452303</b>	<b>86540</b>	<b>13502</b>	<b>1436</b>

# Counts estimation, **protons and helium nuclei**

Polygonato model

G400 configuration: CsI(Tl), 20x20x20 crystals

Size: 78.0x78.0x78.0 cm<sup>3</sup> – gap 0.3 cm

Taking into account: geometrical factor and exp. duration + selection efficiency 80%

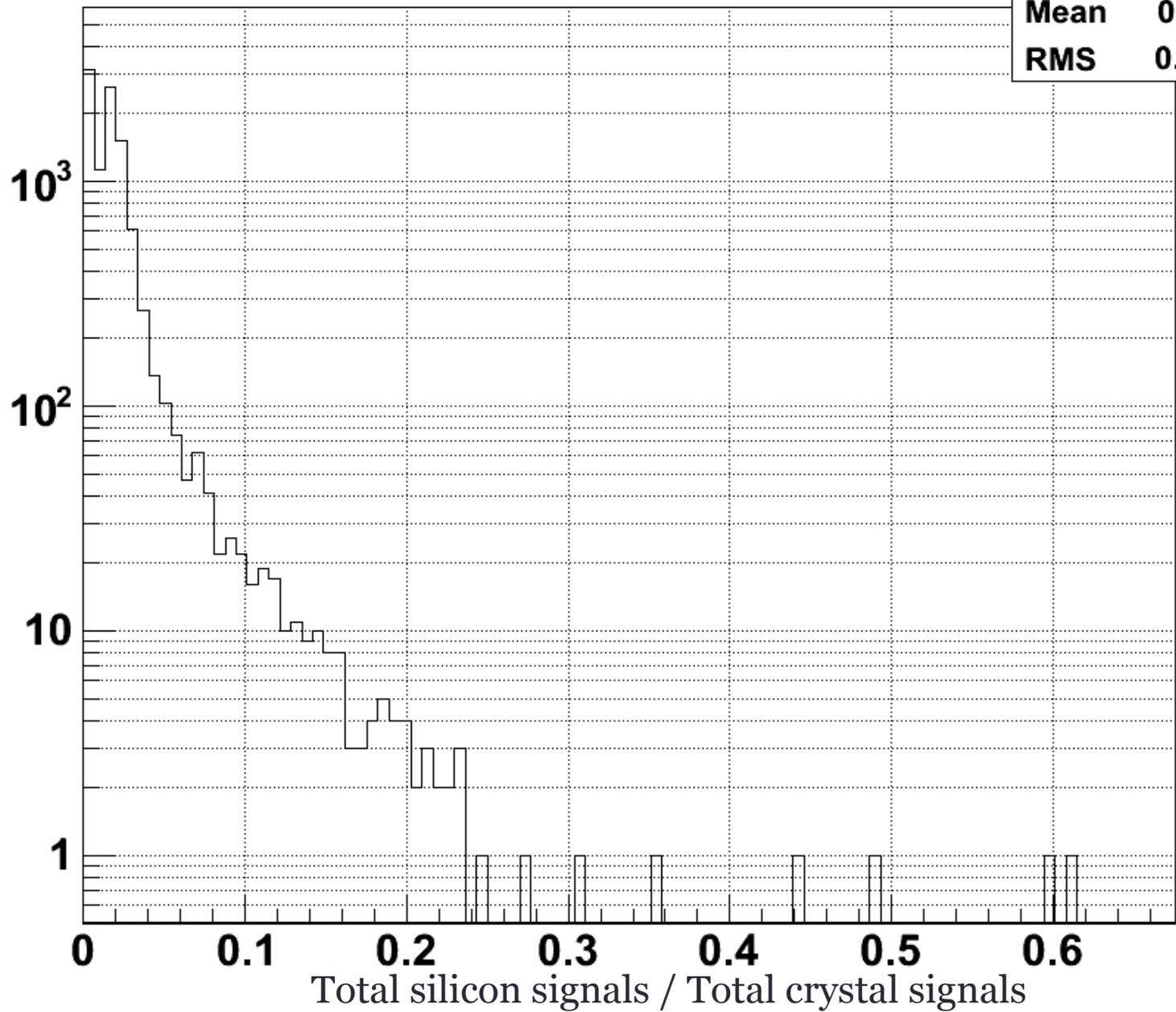
~ knee  
↓

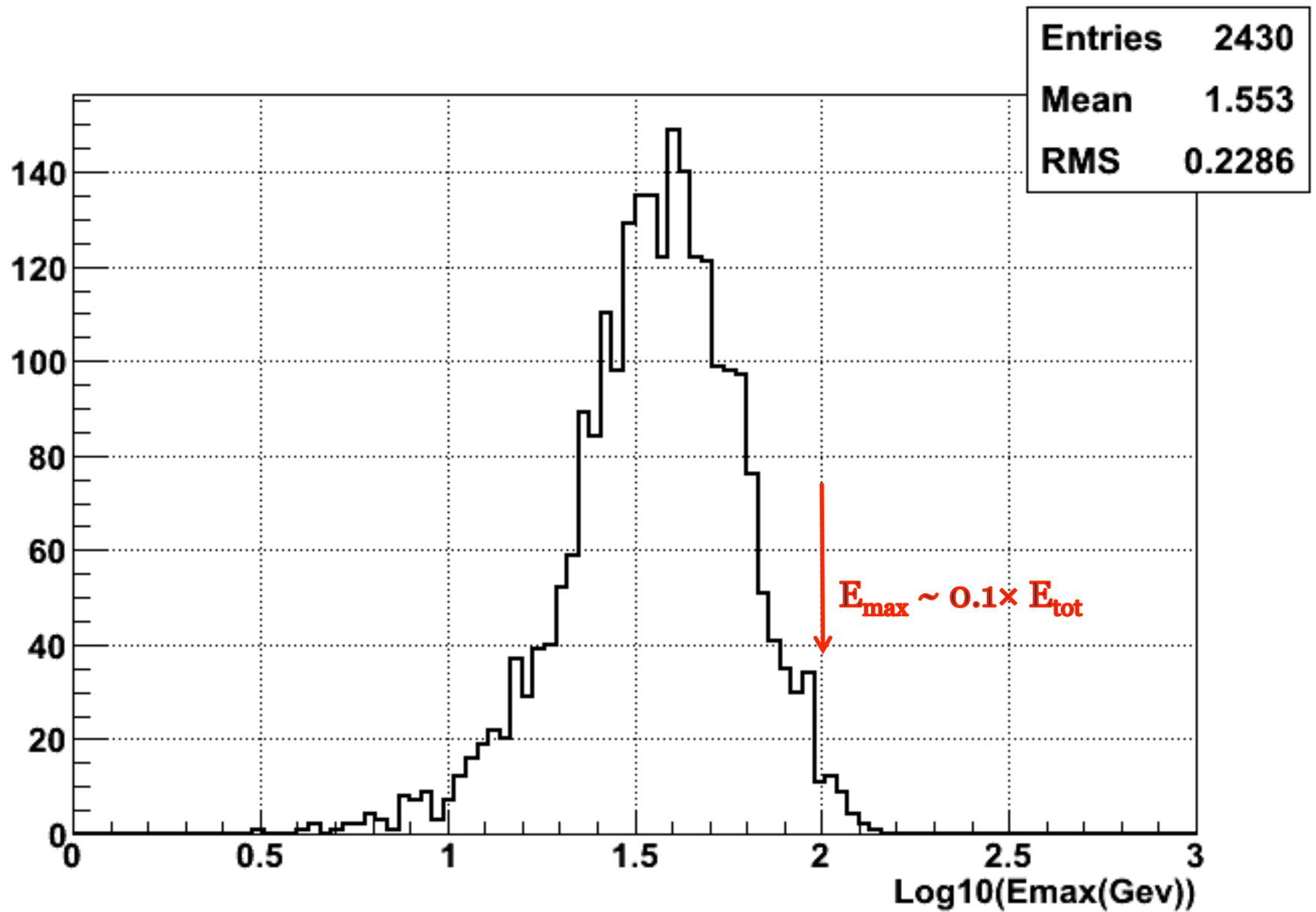
Experiment	Duration	Planar GF (m <sup>2</sup> sr)	ε sel	Calo σ (E)/E	Calo depth	E > 0.1 PeV		E > 0.5 PeV		E > 1 PeV		E > 2 PeV		E > 4 PeV	
			ε conv			p	He	p	He	p	He	p	He	p	He
CALET	5 y	0,12	0,8	~40%	30 X <sub>0</sub> 1,3 λ <sub>0</sub>	146	138	9	10	2	3	1	1	0	0
			0,5												
CREAM	180 d	0,43	0,8	~45%	20 X <sub>0</sub> 1,2 λ <sub>0</sub>	41	39	3	3	1	1	0	0	0	0
			0,4 CT*												
ATIC	30 d	0,25	0,8	~37%	18 X <sub>0</sub> 1,6 λ <sub>0</sub>	5	5	0	0	0	0	0	0	0	0
			0,5 CT*												
G400	10 y	8,5	0,8	~17%	39 X <sub>0</sub> 1,8 λ <sub>0</sub>	16521	15624	979	1083	261	326	60	92	10	21
			0,4												

\* carbon target

# Electrons

h	
Entries	10000
Mean	0.01771
RMS	0.02499





## Energy resolution

