

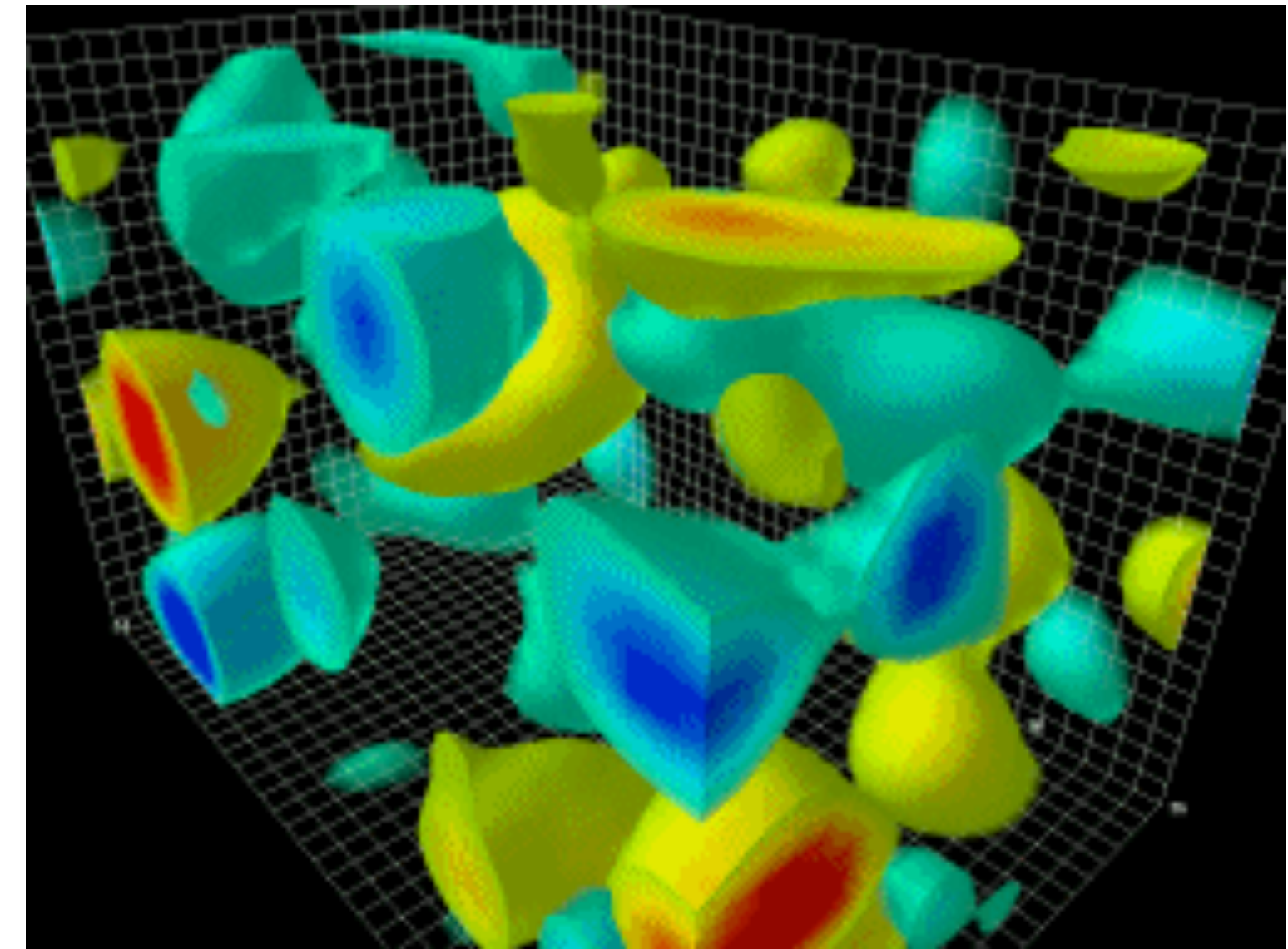
相对论重离子碰撞中的手征磁效应回顾

清华大学 施舒哲



清華大學

Tsinghua University

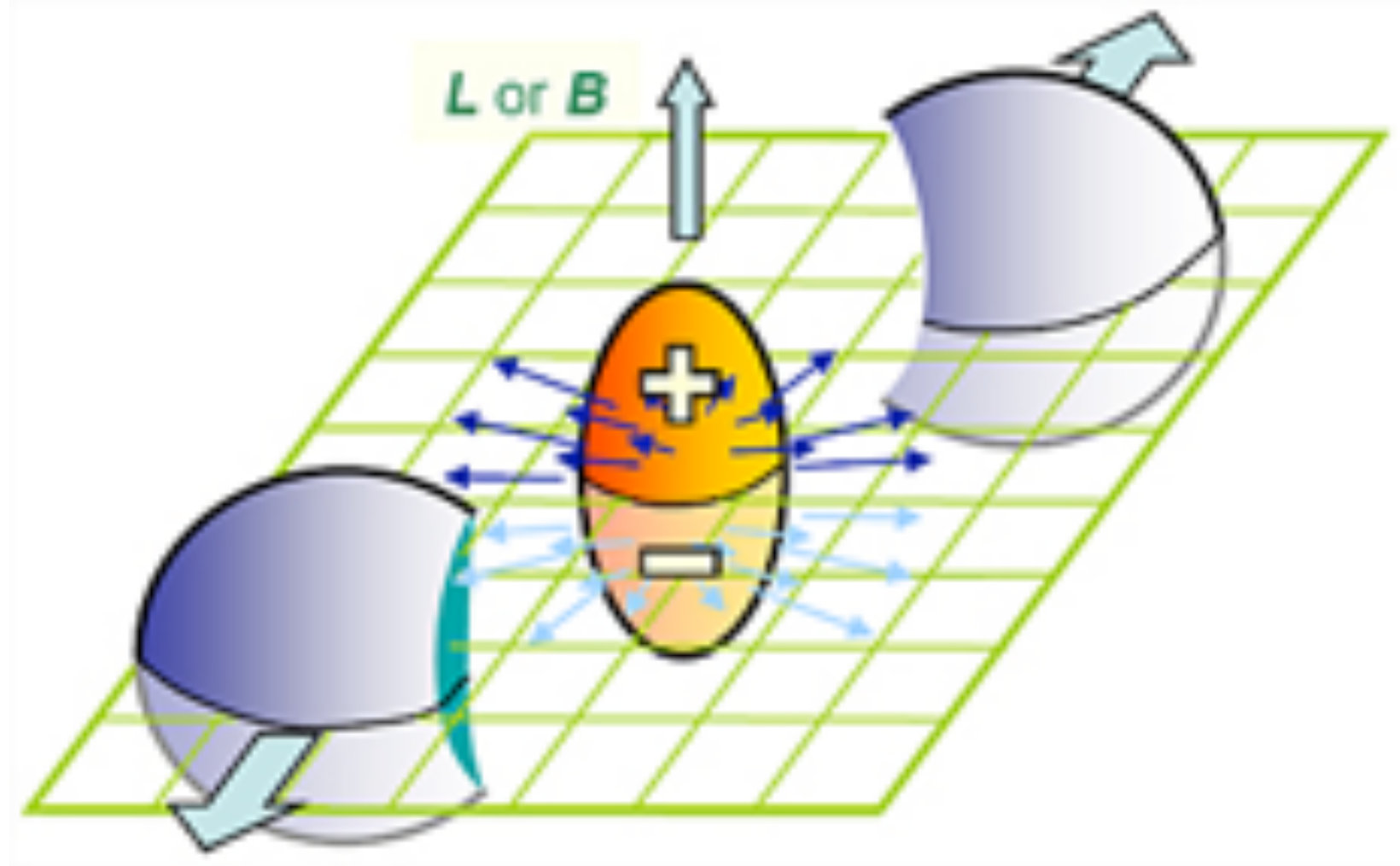


Topology

⊗ Chiral

⊗ Anomaly

$$Q_w = \frac{g^2}{32\pi^2} \int d^4x F_{\mu\nu}^a \tilde{F}_a^{\mu\nu}$$



Magnetic Field

$$B \sim \gamma Z Q b / R^3$$

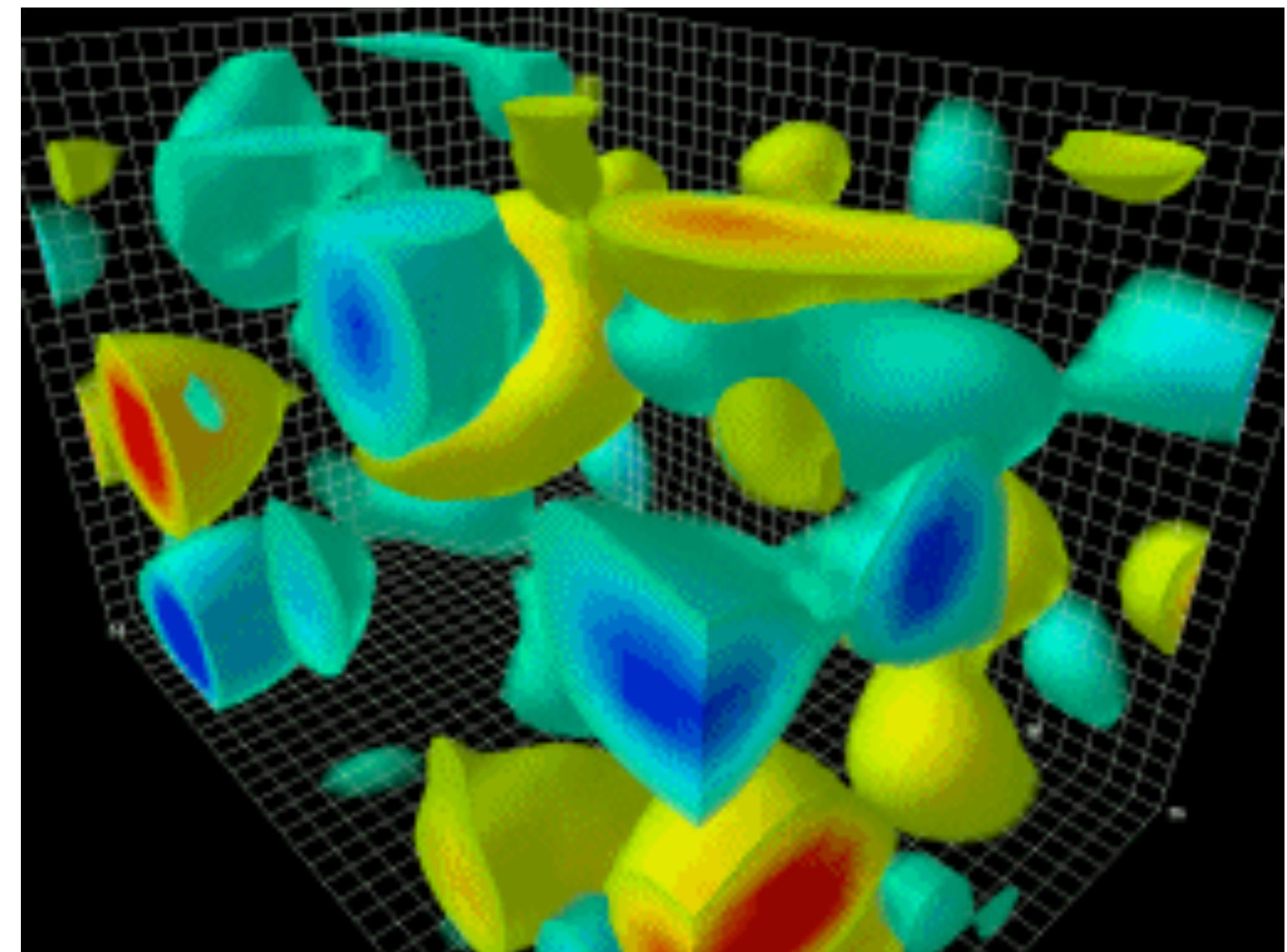
(10^{15} T @ 200 GeV Au-Au)



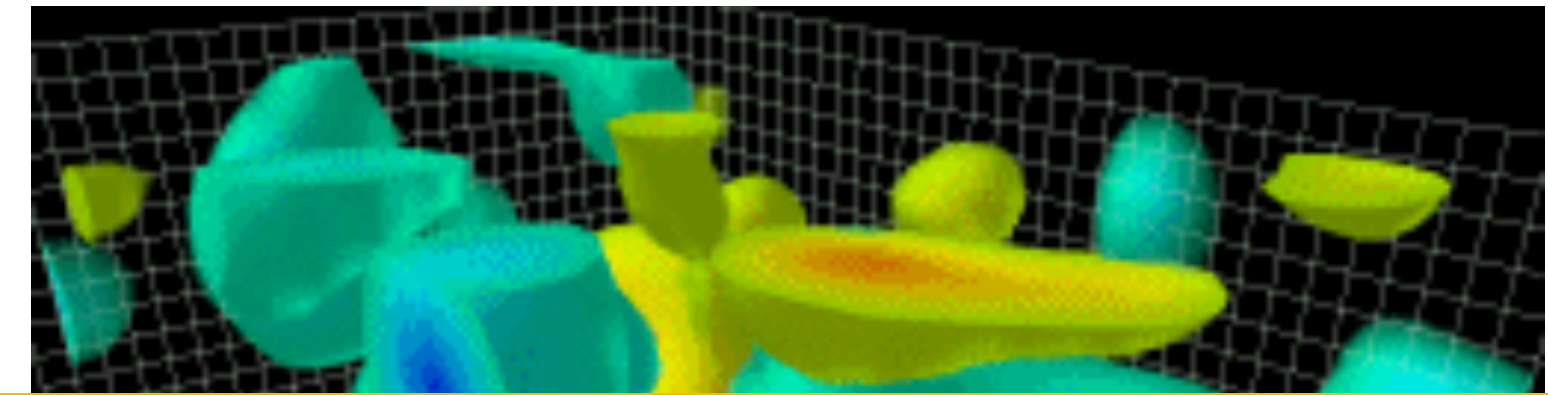
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The Chiral Magnetic Effect

Kenji Fukushima, Dmitri Kharzeev, H.Warringa, PhysRevD.78.074033

recent reviews:

Chiral magnetic effect reveals the topology of gauge fields in heavy-ion collisions

Dmitri Kharzeev, Jinfeng Liao, Nature Review Physics 3 (2021) 1, 55-63

Chapter in QGP6

Dmitri Kharzeev, Jinfeng Liao, Prithwish Tribedy, 2405.05427

$$B \sim \gamma Z Q b / R^3$$

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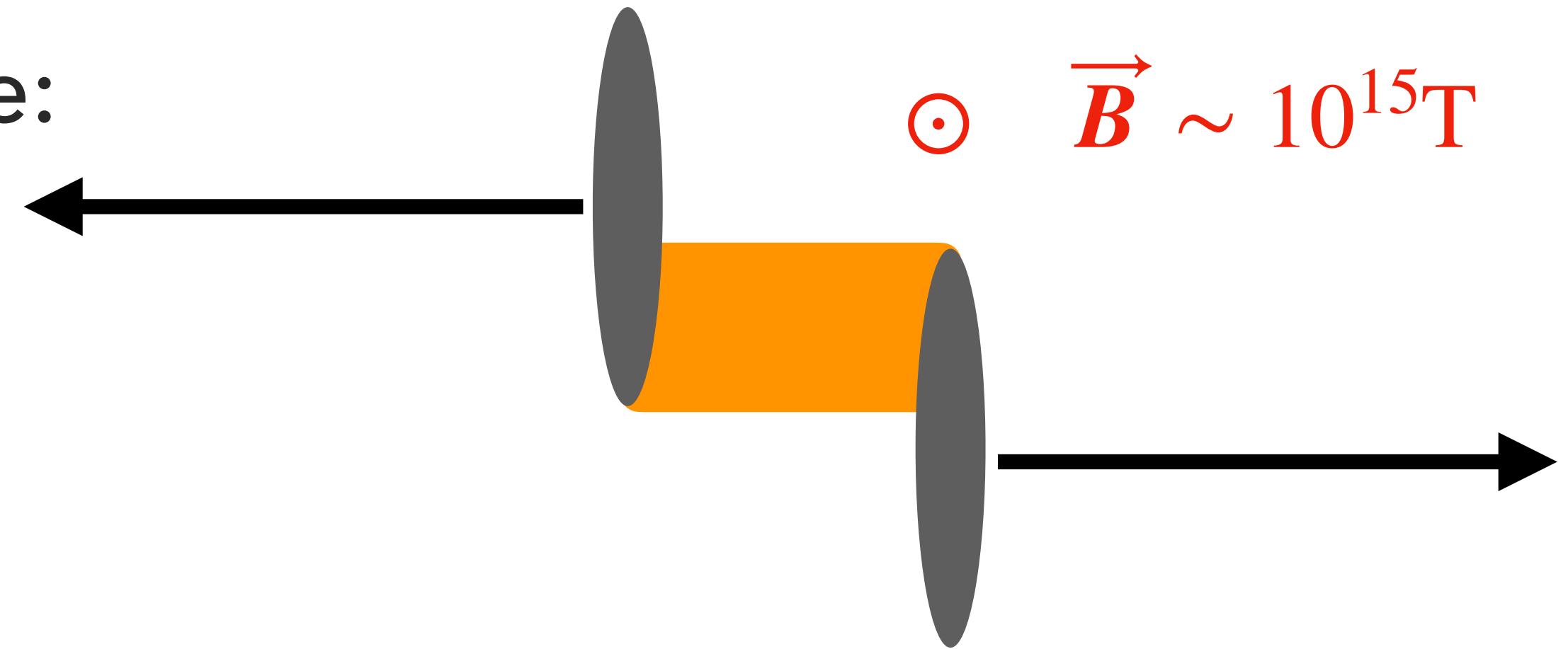
For right-handed particles w/ positive charge:

1. $\vec{p} \parallel \vec{S} \parallel \vec{\mu}$

2. Energy = $-\vec{\mu} \cdot \vec{B} \propto -\vec{p} \cdot \vec{B}$

$\Rightarrow$ lower energy if moving along B field direction

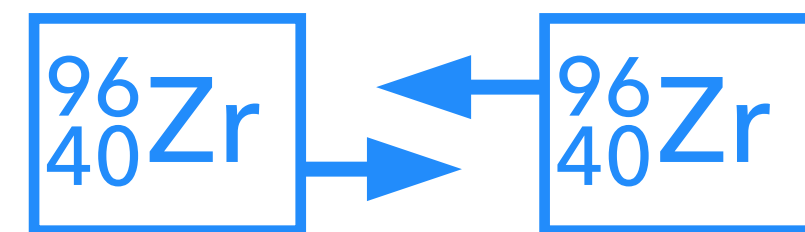
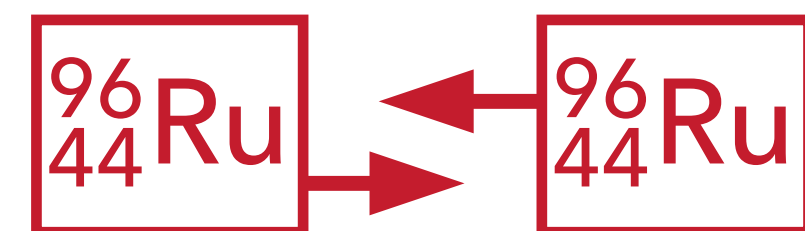
$$\vec{J} = \sigma_A \mu_A \vec{B}$$



expectation before the isobar collisions:

$\text{Correlator}[\text{Ru}] > \text{Correlator}[\text{Zr}] \longrightarrow \text{CME}$

$\text{Correlator}[\text{Ru}] = \text{Correlator}[\text{Zr}] \longrightarrow \text{no CME}$



Different
Proton #

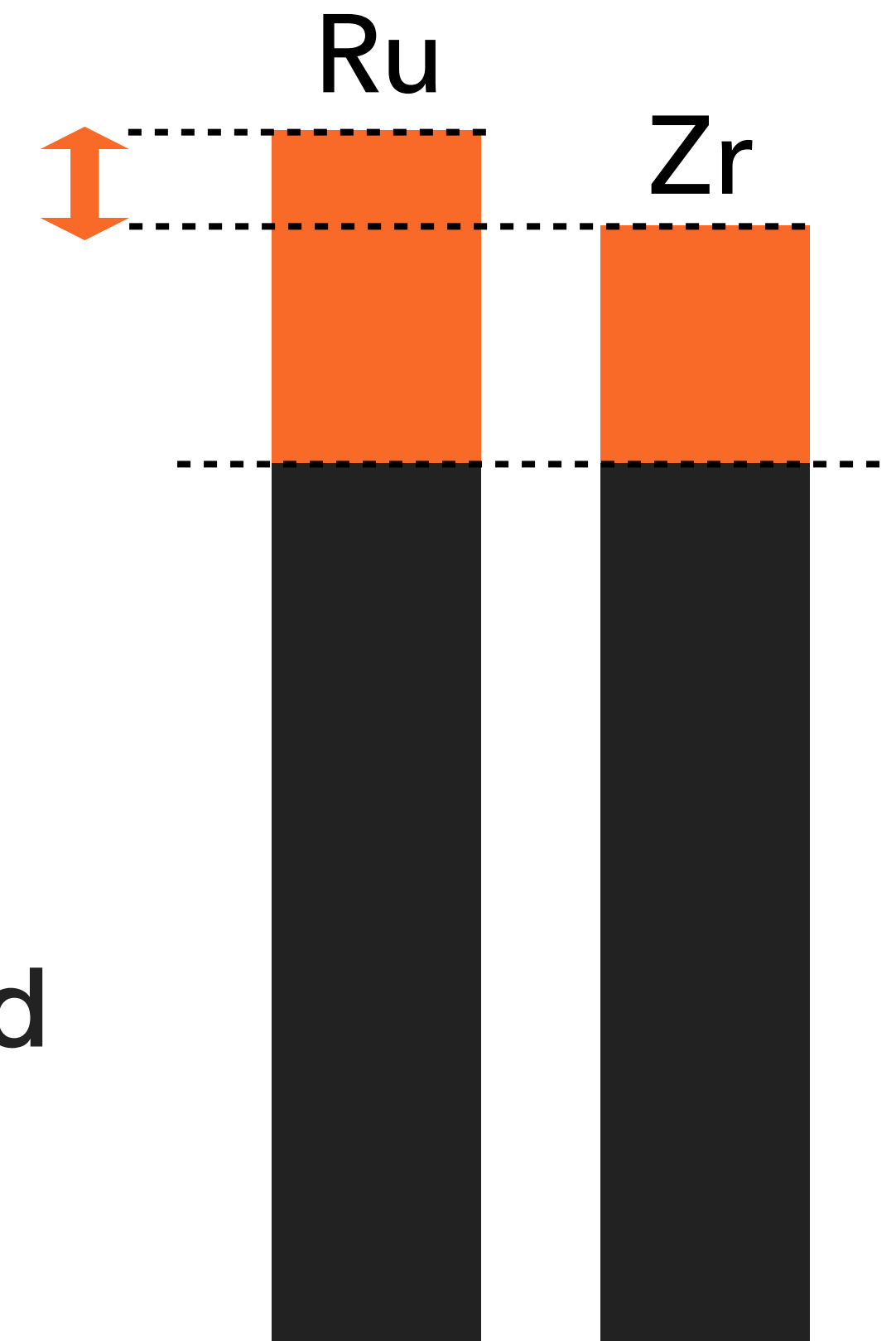


Different
CME Signal

Same
Baryon #

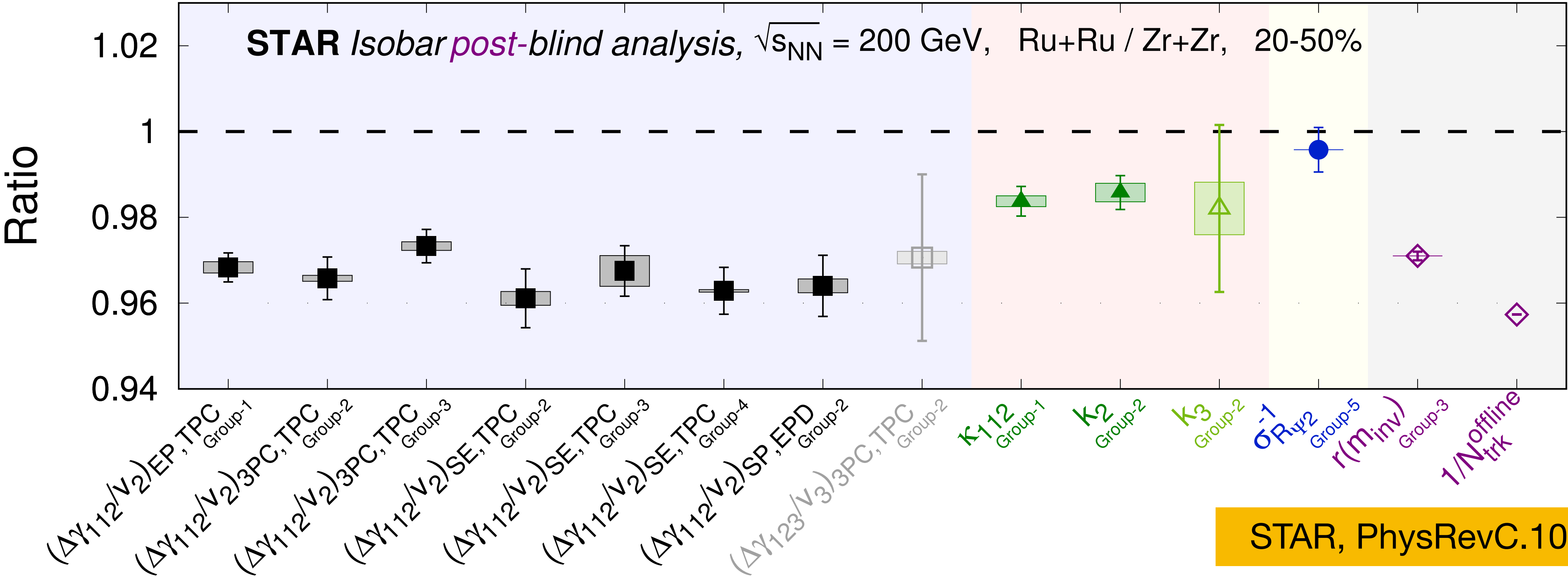


Same
Background



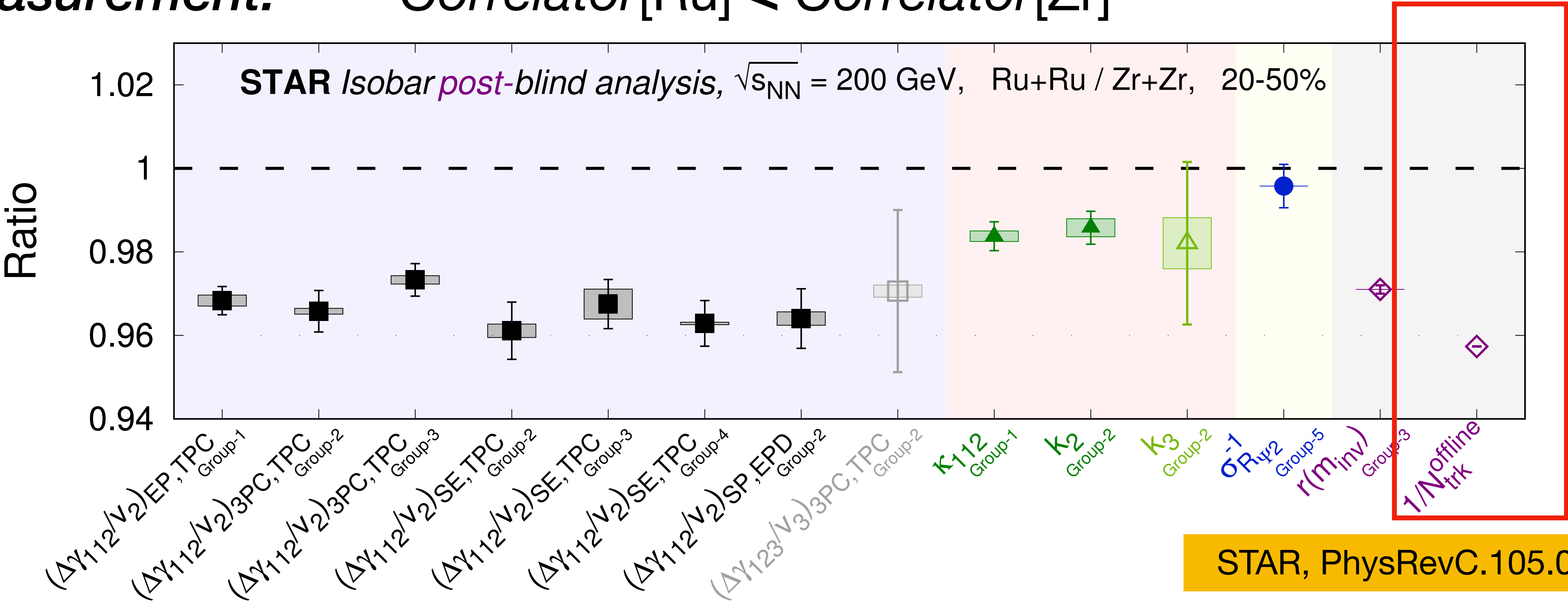
expectation before the isobar collisions:

- $Correlator[Ru] > Correlator[Zr] \longrightarrow$ CME
- $Correlator[Ru] = Correlator[Zr] \longrightarrow$ no CME
- measurement:* $Correlator[Ru] < Correlator[Zr]$



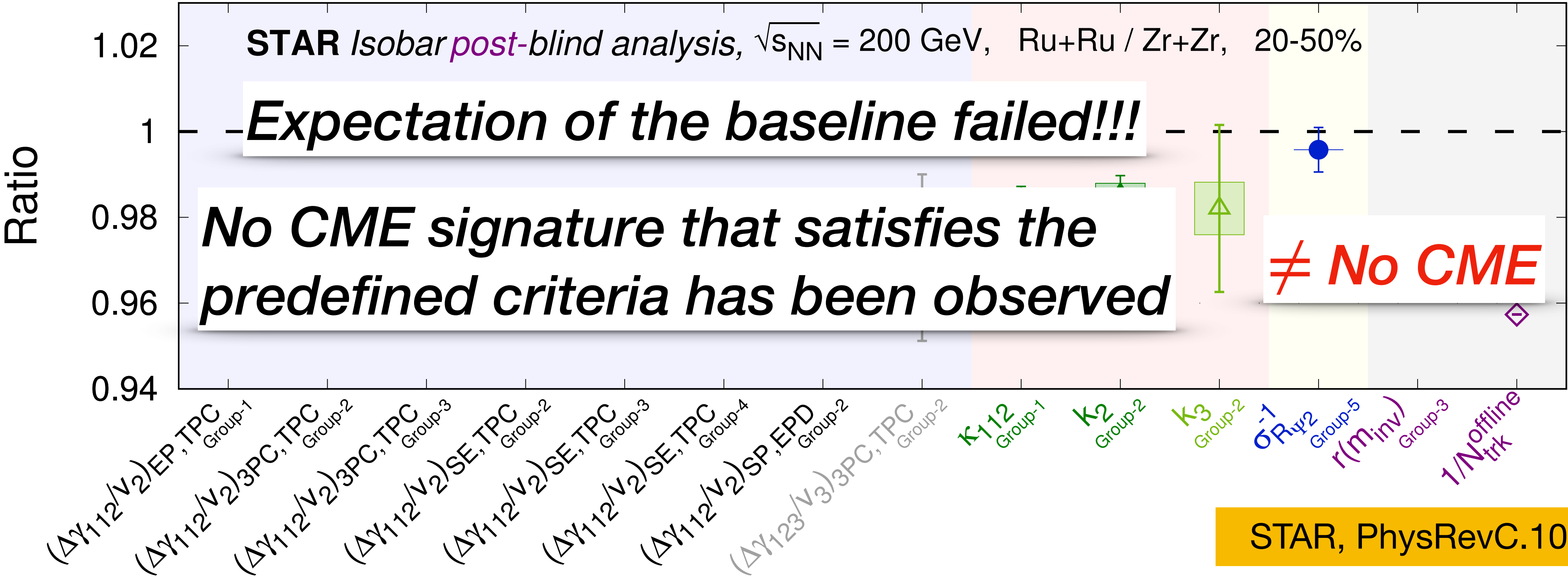
expectation before the isobar collisions:

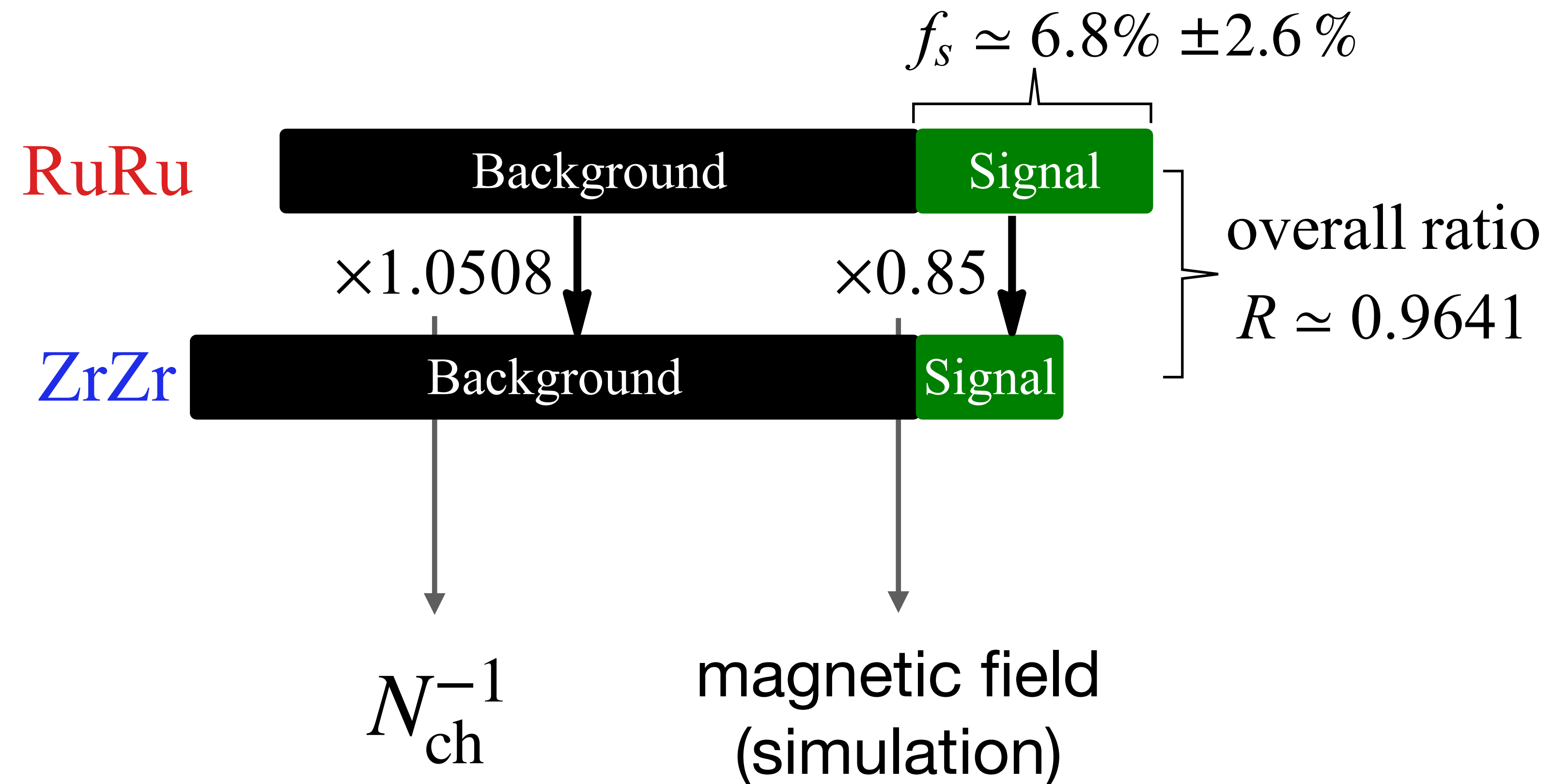
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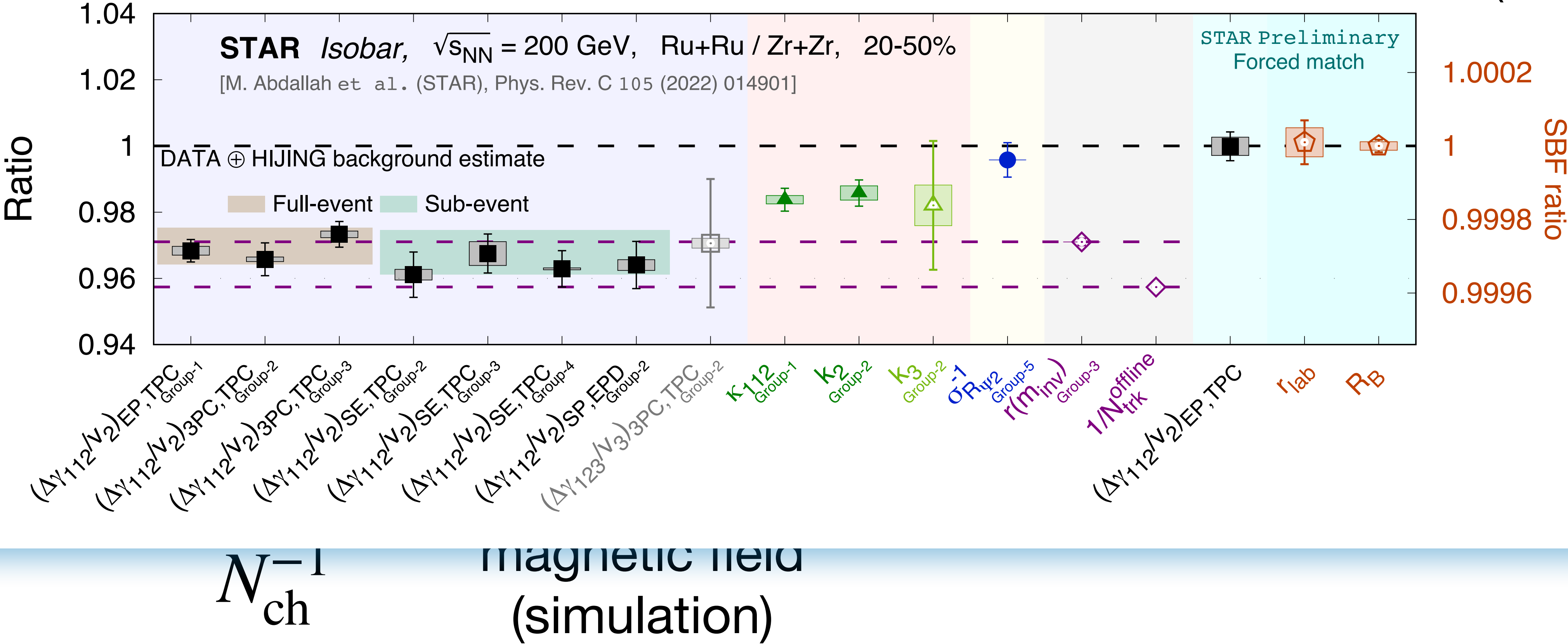




updates in experiment: controlling background

Tang, QM2023

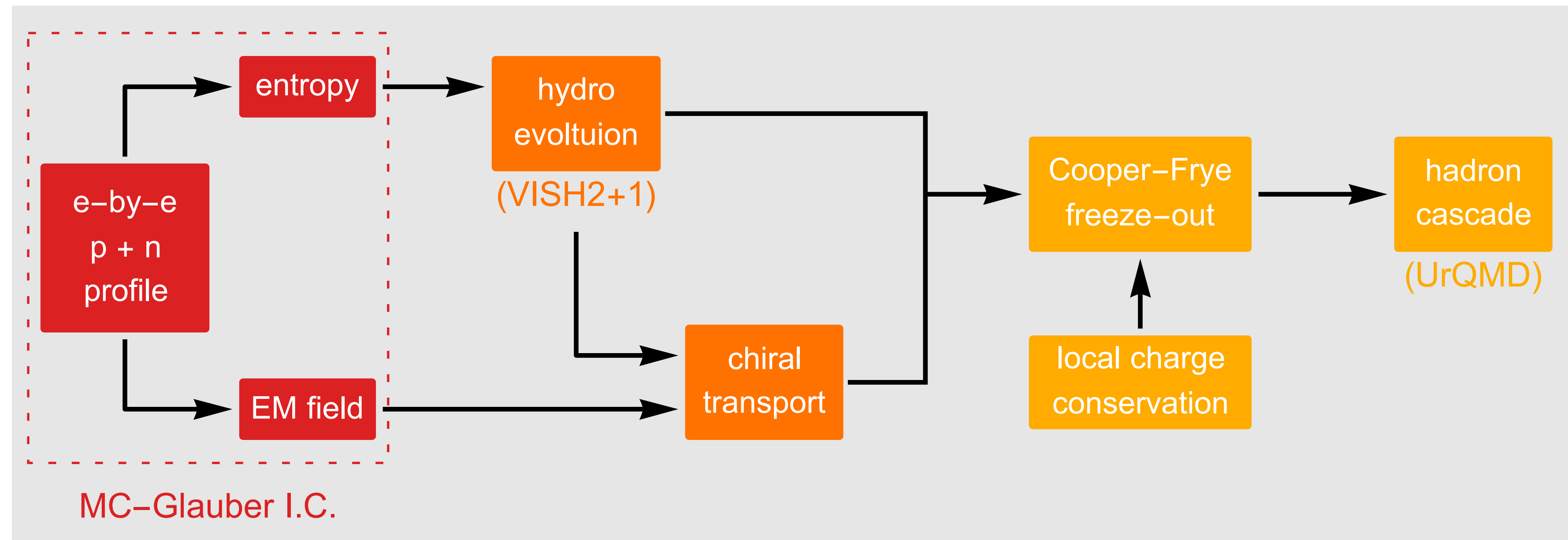
EPJ Web of Conferences 296, 01024 (2024)



$$\vec{J} = \sigma_A \mu_A \vec{B}$$

axial charge

magnetic field: life time $\sim R/\gamma_{\text{beam}}$ + medium feedback



AVFD model: Jinfeng Liao, SS + Hou, Jiang, Lilleskov, Yin, Zhang,
ChinPhysC.42.011001, Annals Phys.394.50, PhysRevLett.125.242301

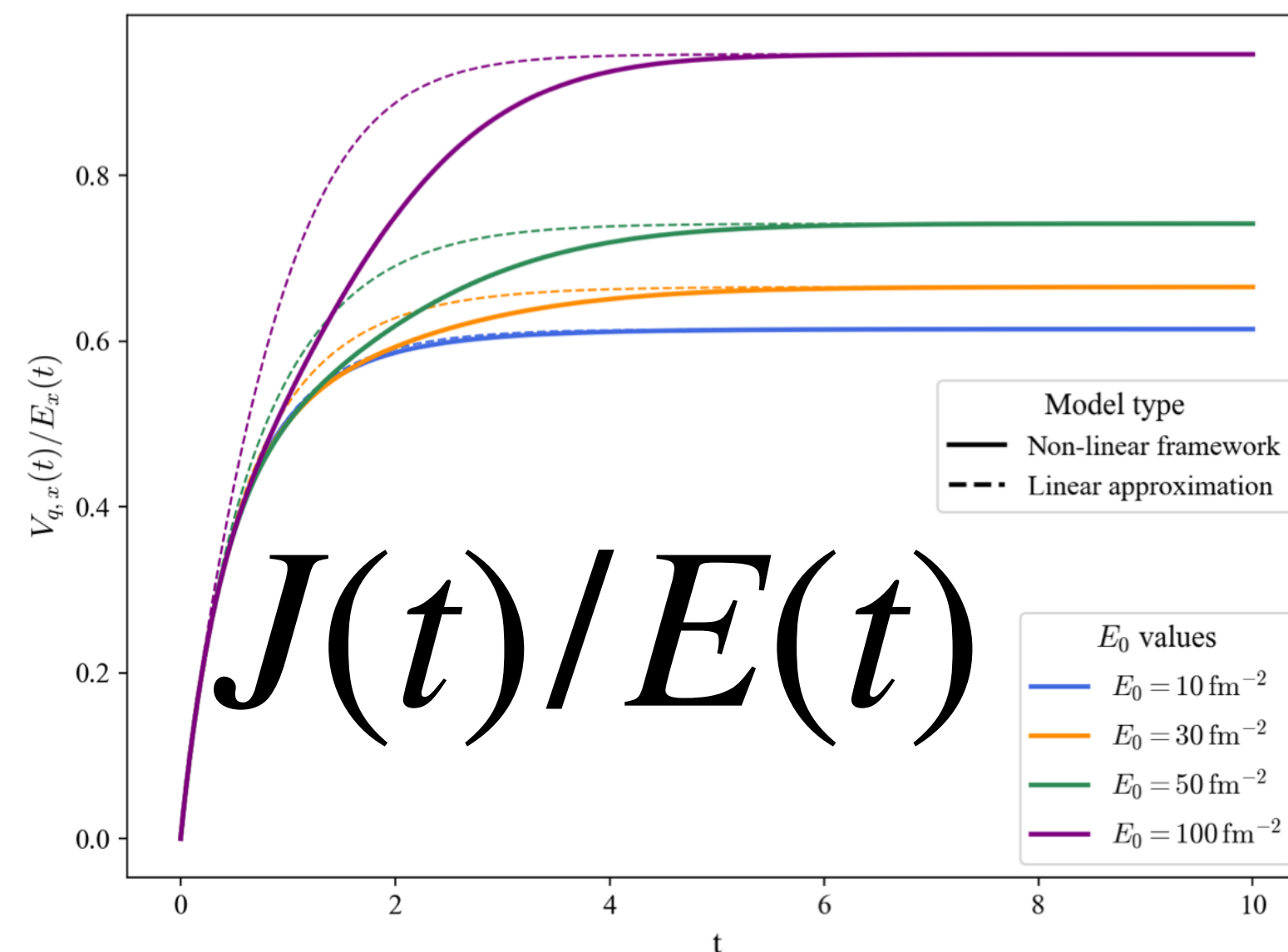
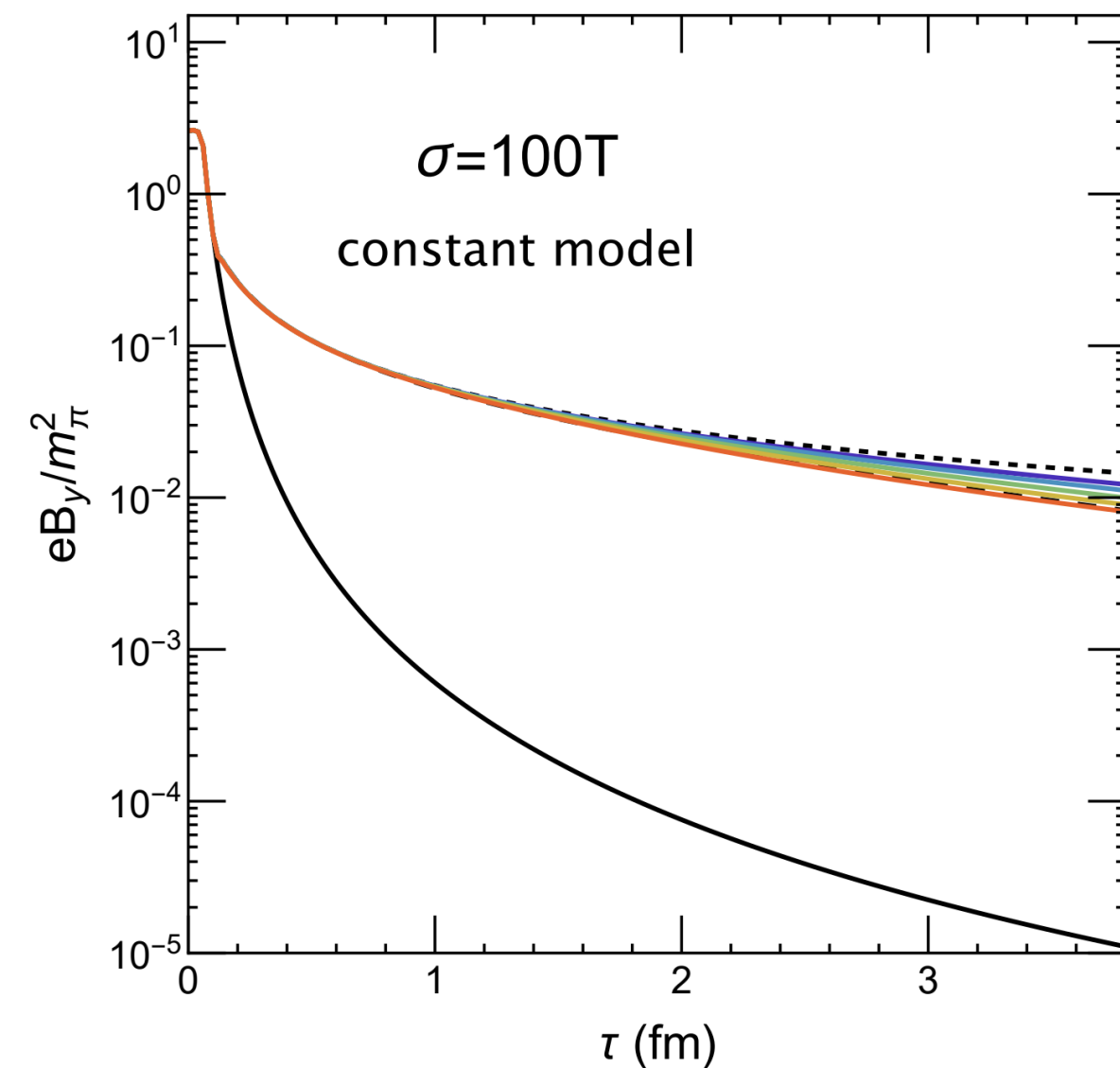
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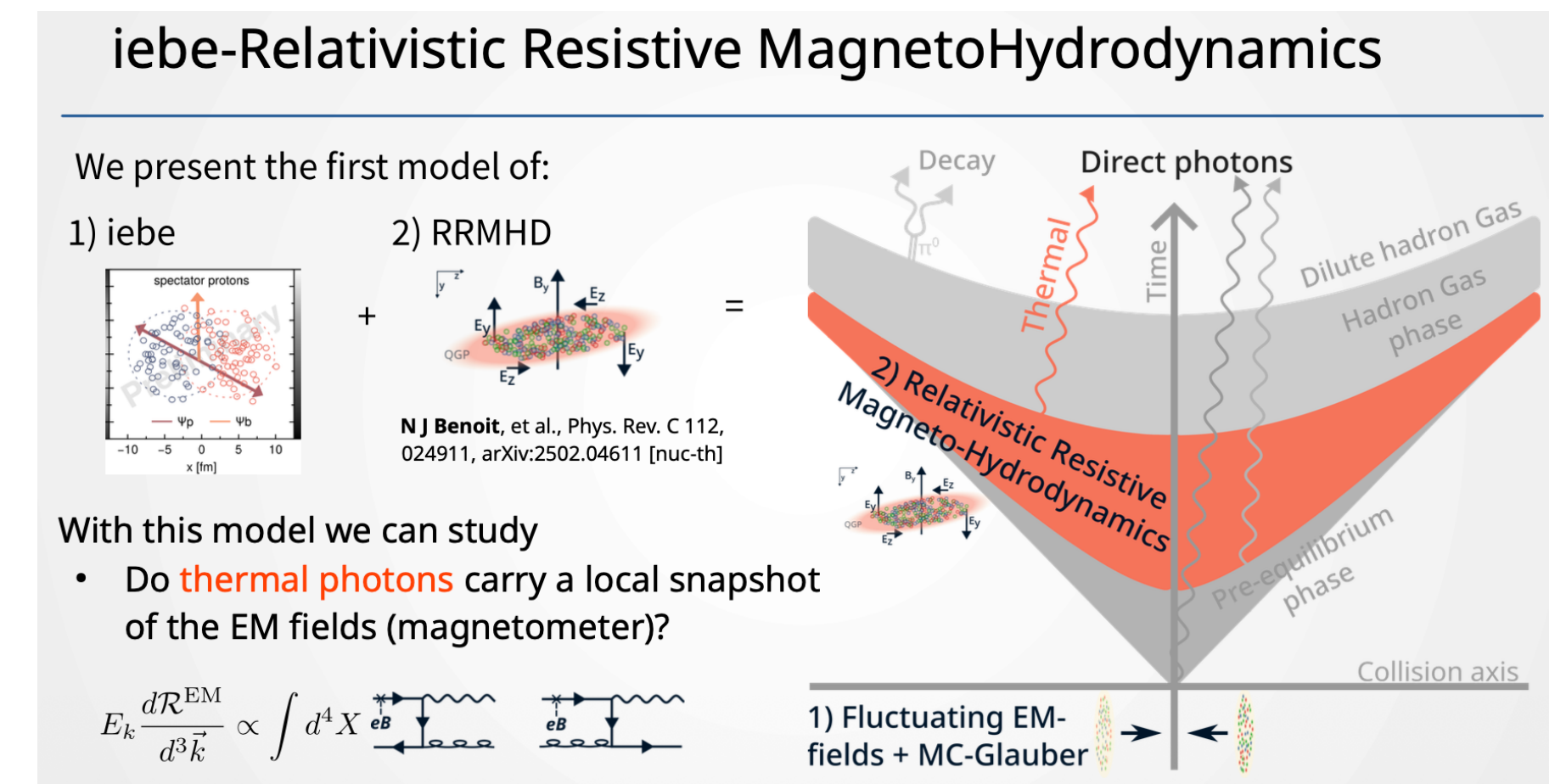
Maxwell equation / Magnetohydrodynamics



Huang, She, SS, Huang, Liao,
PhysRevC.107.034901

Kushwah et al, PhysRevD.113.036021

Benoit et al, PhysRevC.112.024911



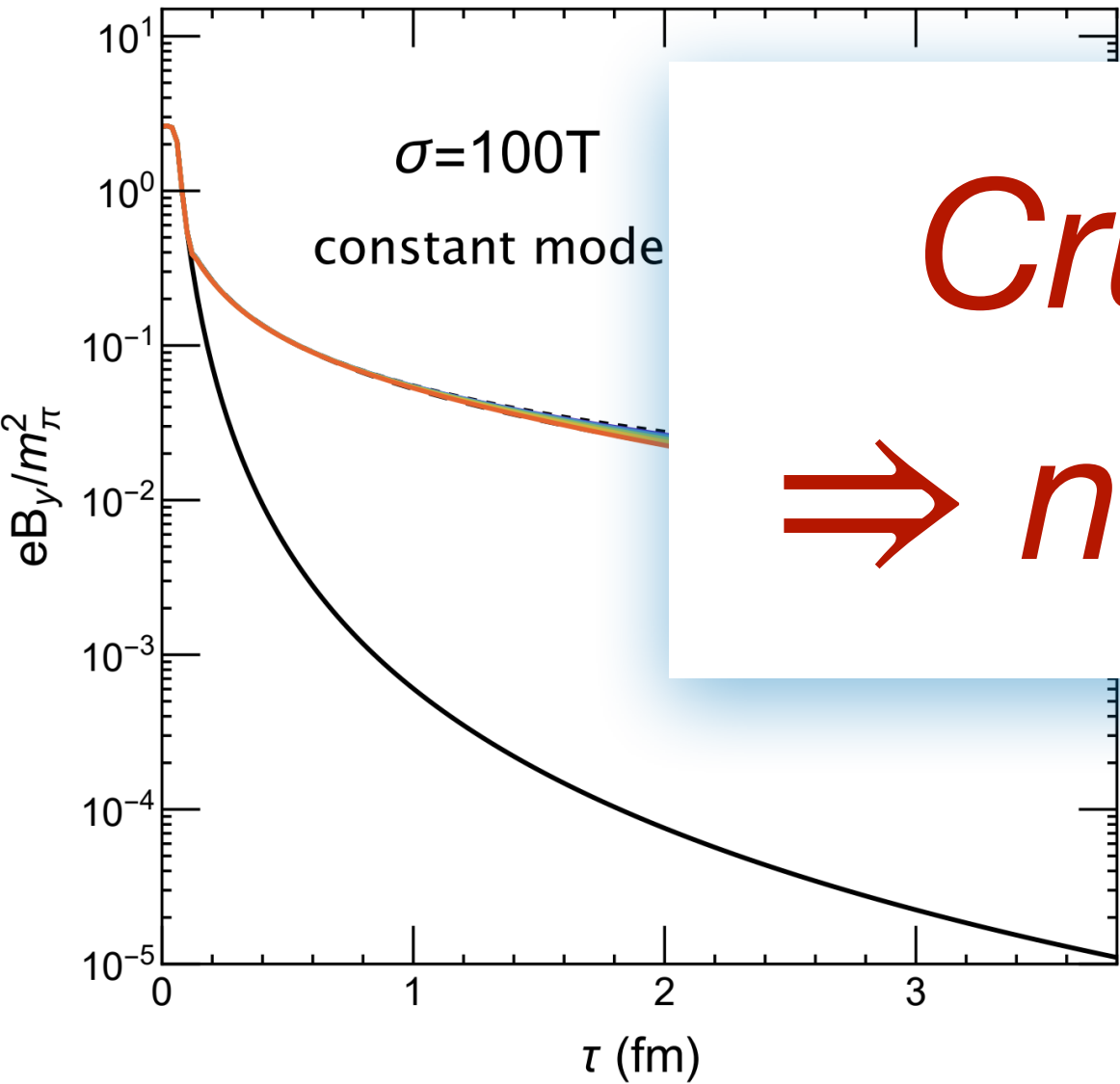
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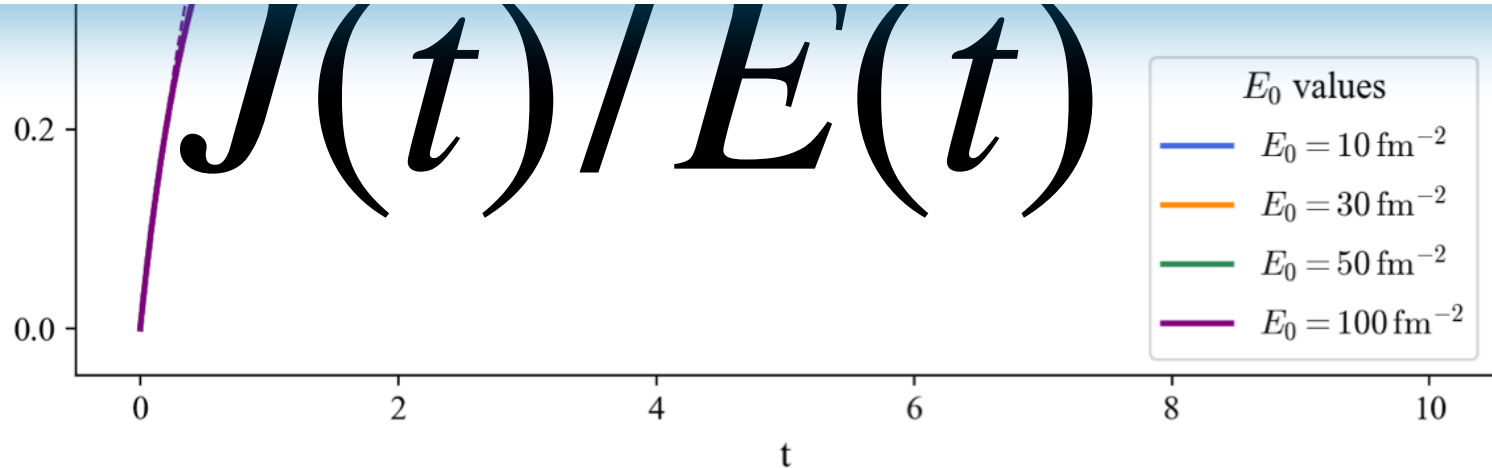
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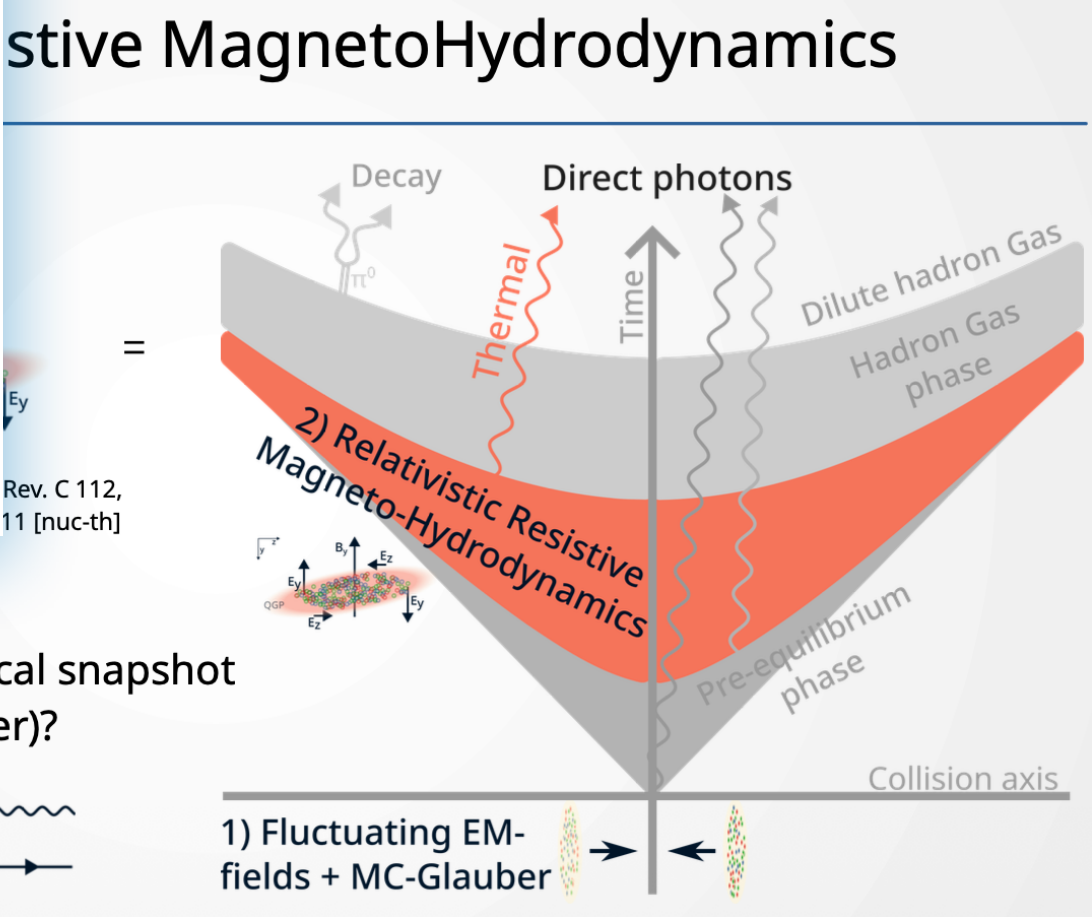
*Crucial: short vacuum life time
⇒ non-equilibrium magnetohydro*



With this model we can study

- Do thermal photons carry a local snapshot of the EM fields (magnetometer)?

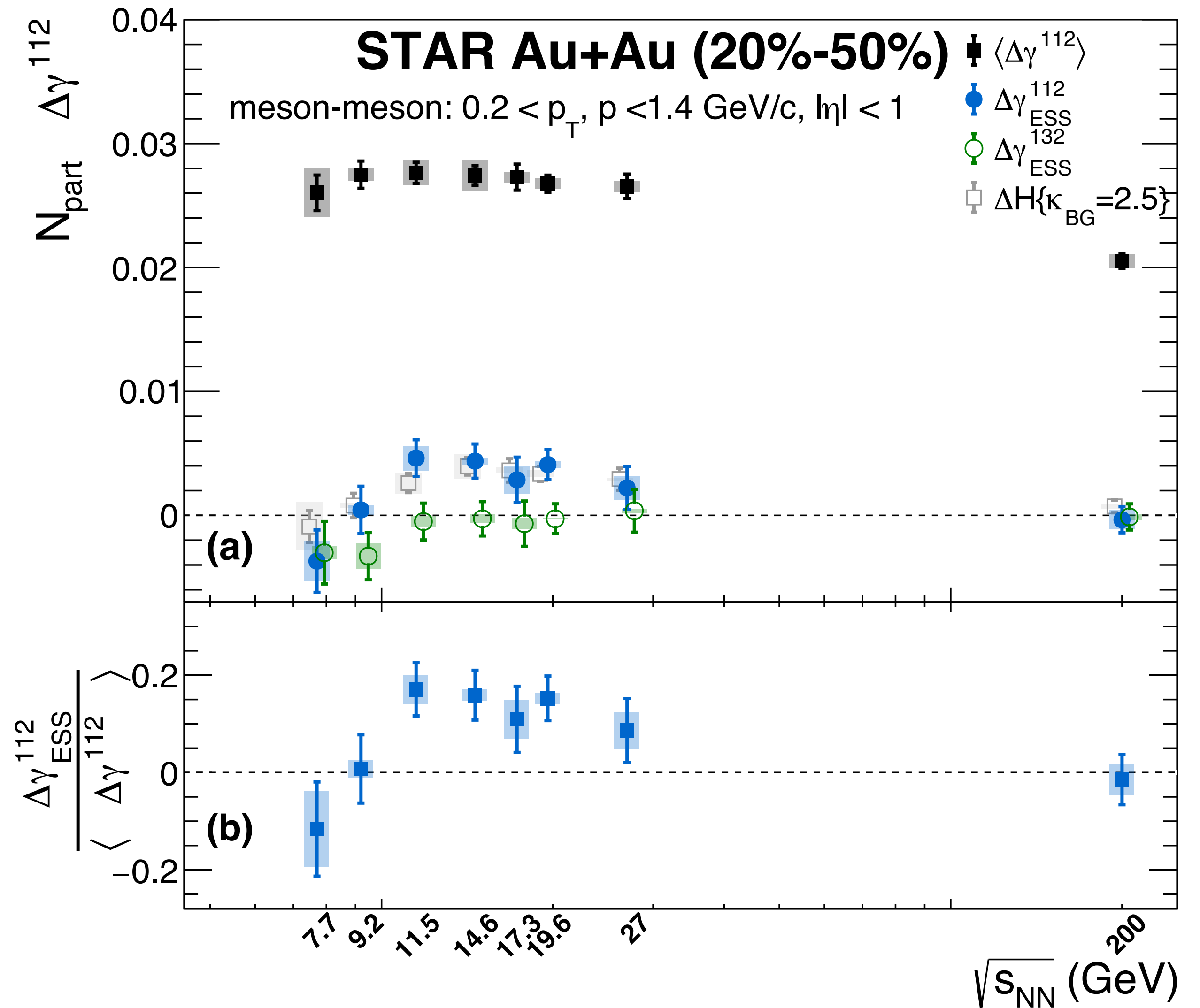
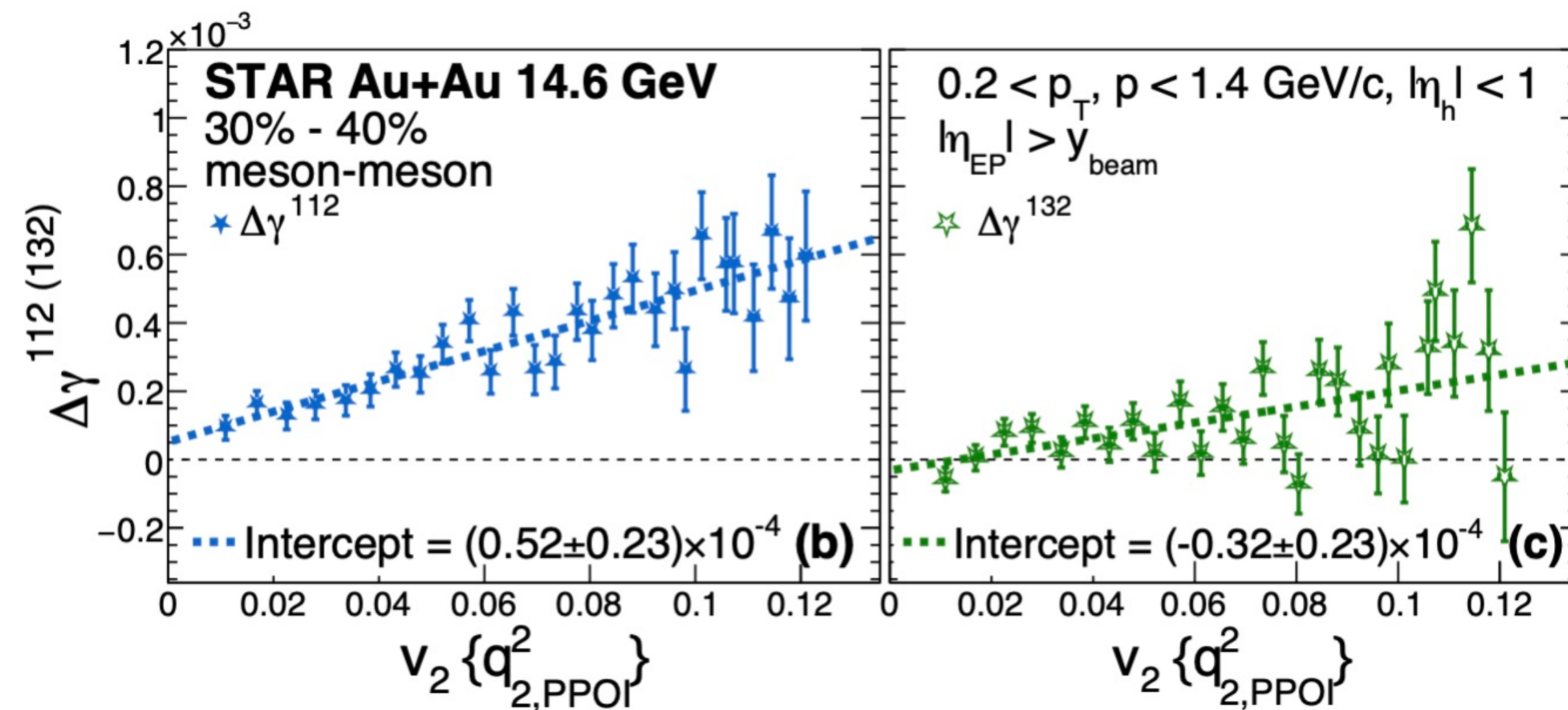
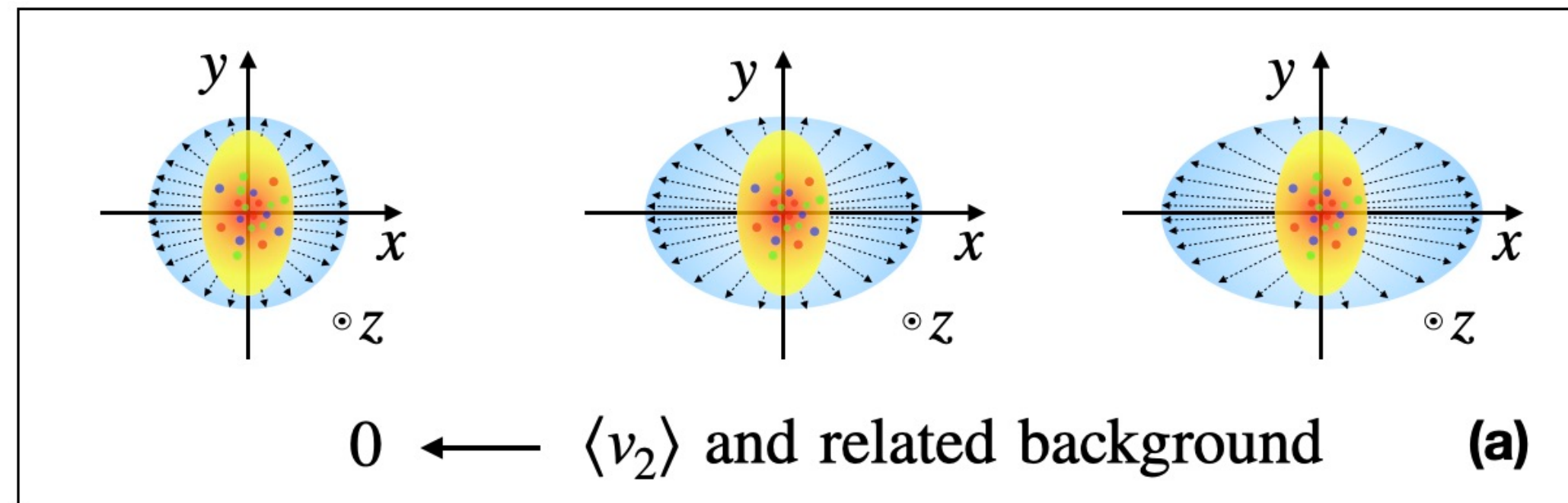
$$E_k \frac{d\mathcal{R}^{\text{EM}}}{d^3k} \propto \int d^4X \, \vec{E} \cdot \vec{B}$$



Huang, She, SS, Huang, Liao,
PhysRevC.107.034901

Kushwah et al, PhysRevD.113.036021

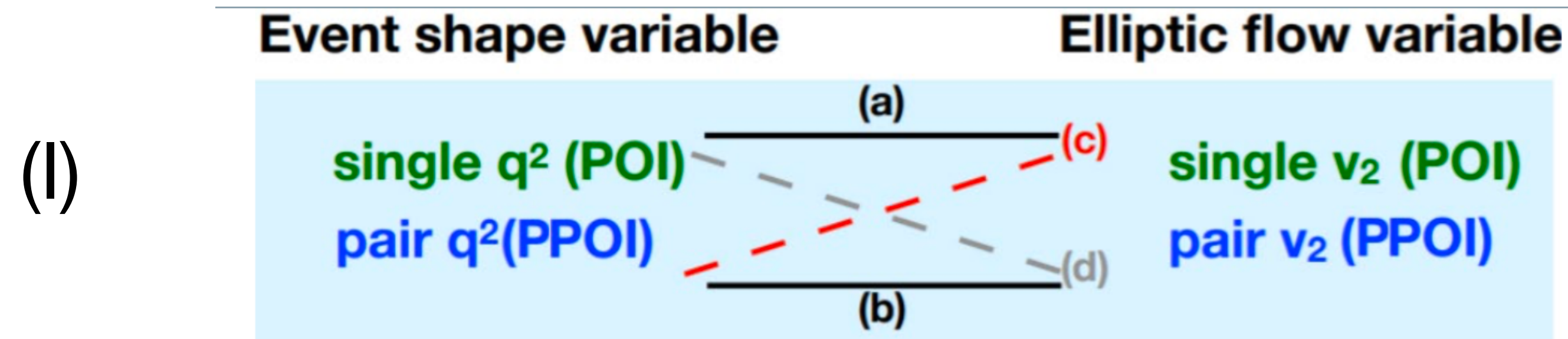
STAR, 2506.00265+PhysRevC.113.014912



STAR: $\sim 3\sigma$ significance @ 11.5-19.6 GeV

STAR, 2506.00265+PhysRevC.113.014912

background subtraction methods in experiment: shape engineering



(II) Event Plane vs Spectator Plane comparison

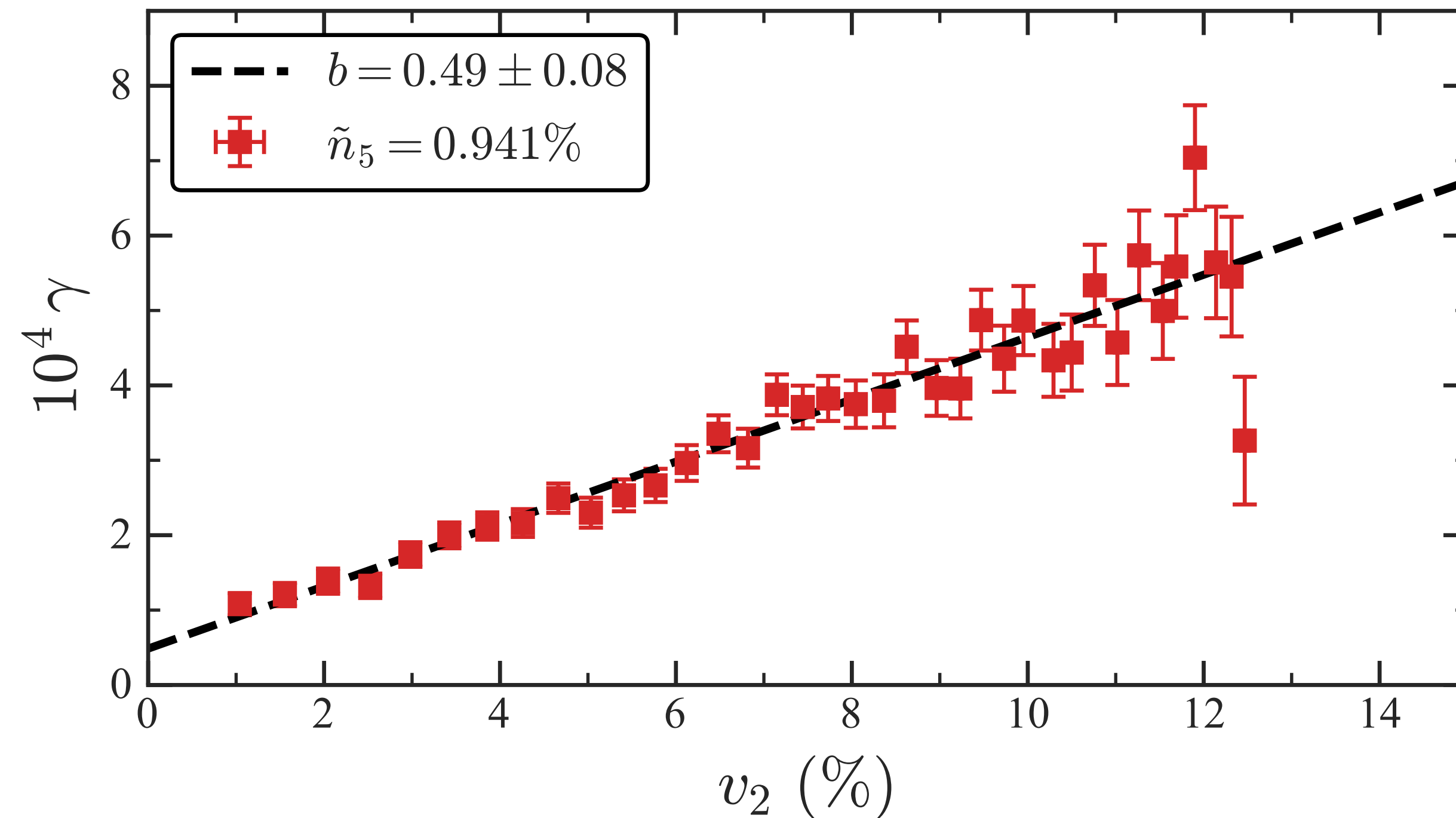
Test background in no-CME experiments? e.g. 5.02 TeV PbPb

STAR: $\sim 3\sigma$ significance @ 11.5-19.6 GeV

STAR, 2506.00265+PhysRevC.113.014912

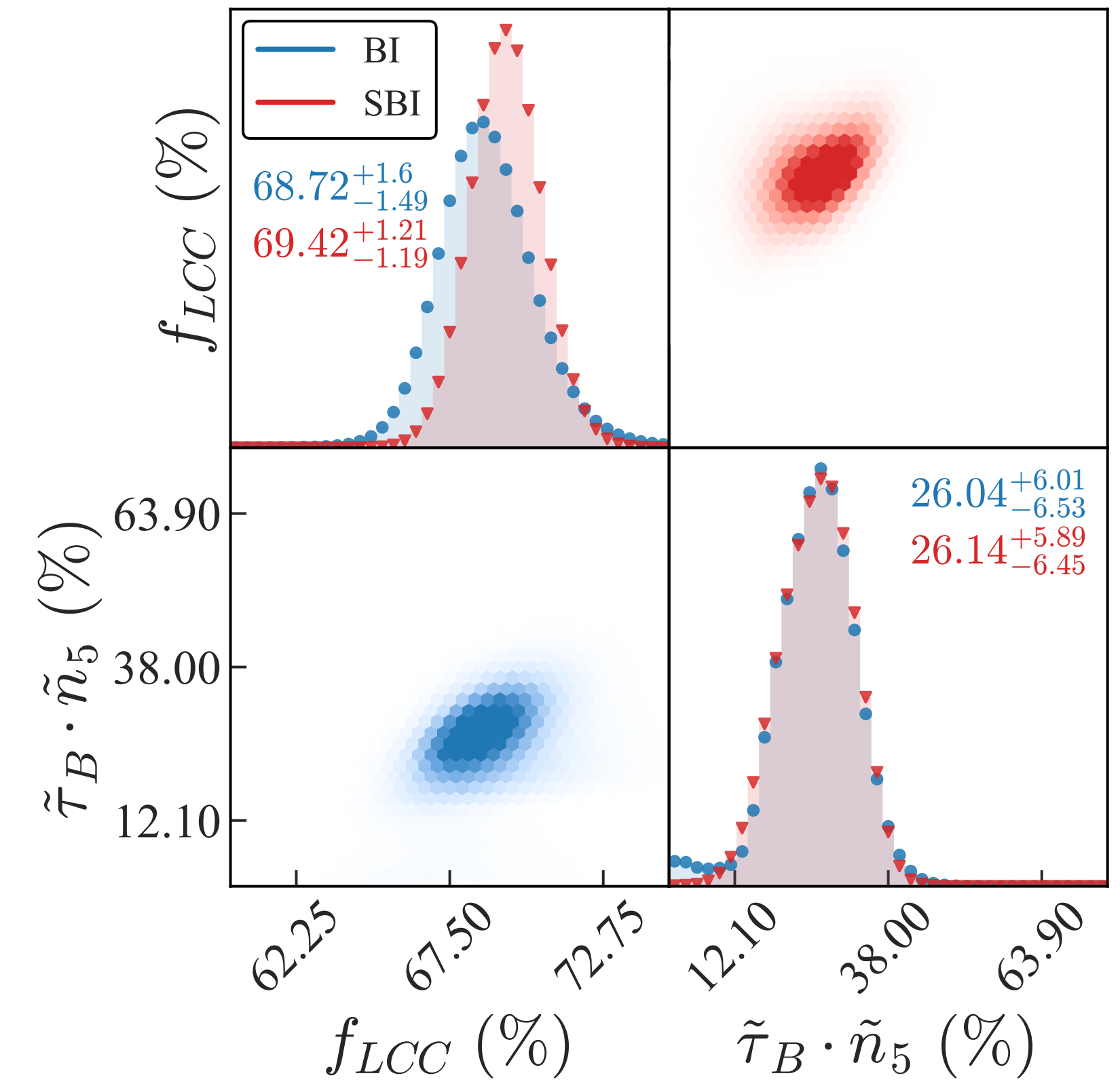
A machine-learning extraction

$$\Delta\gamma, \Delta\delta \rightarrow f_{LCC}, \tau_B, n_5$$



Alex Akridge, Yu Guo, J. Liao, SS, Hongxi Xing, Hui Zhang, in prep.

STAR Au+Au (20%-50%) $\langle \Delta\gamma^{112} \rangle$

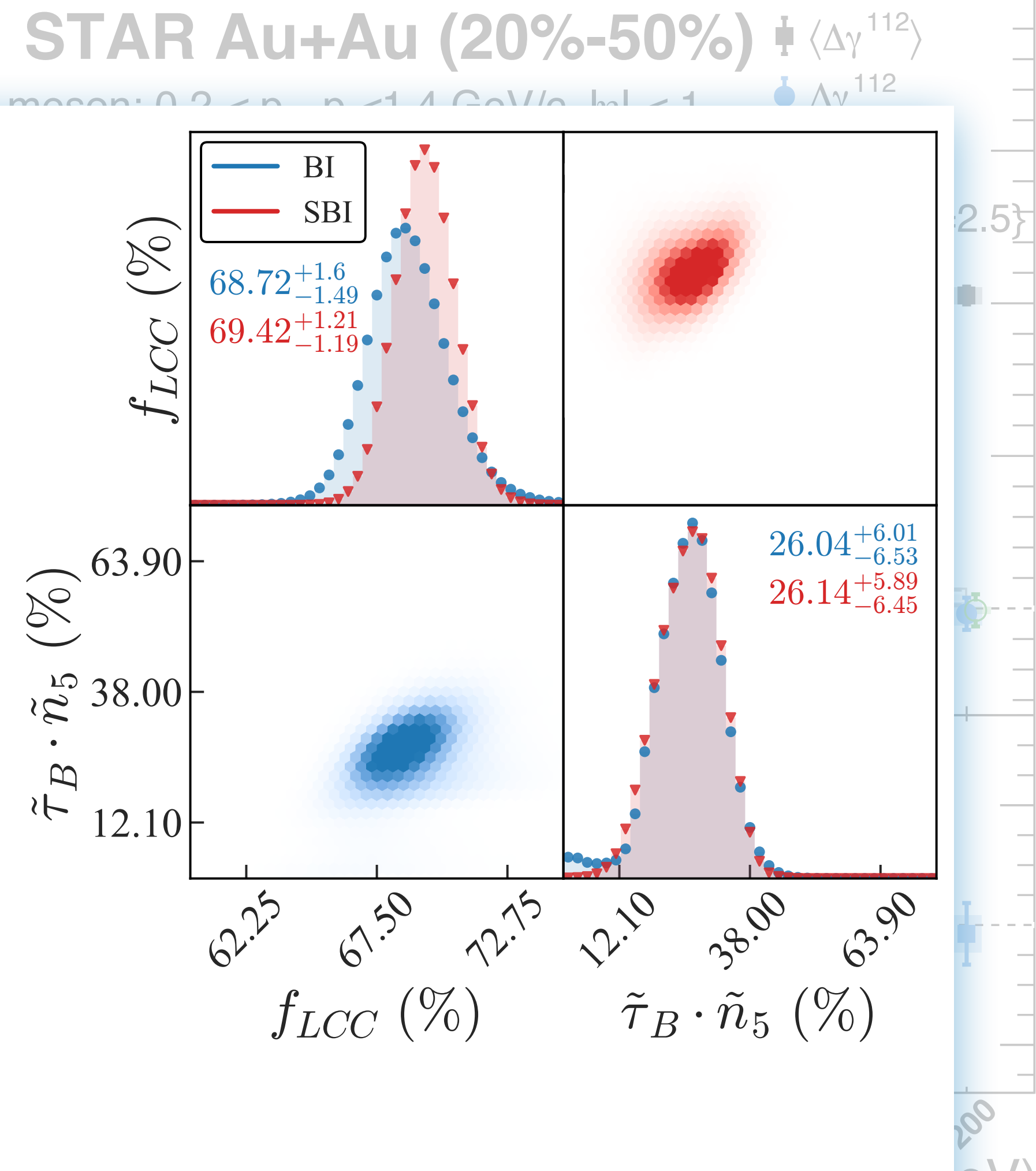
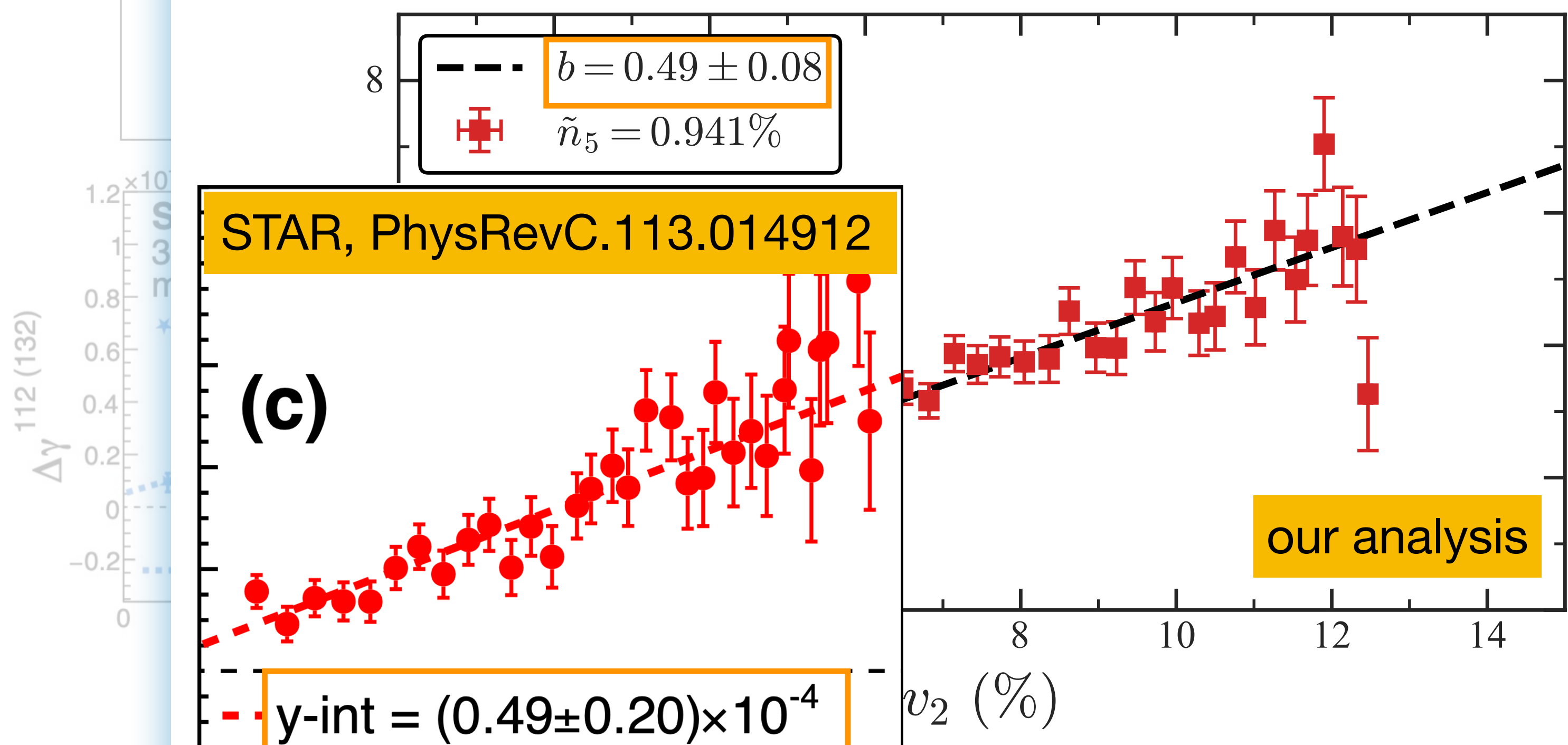


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STAR, 2506.00265+PhysRevC.113.014912

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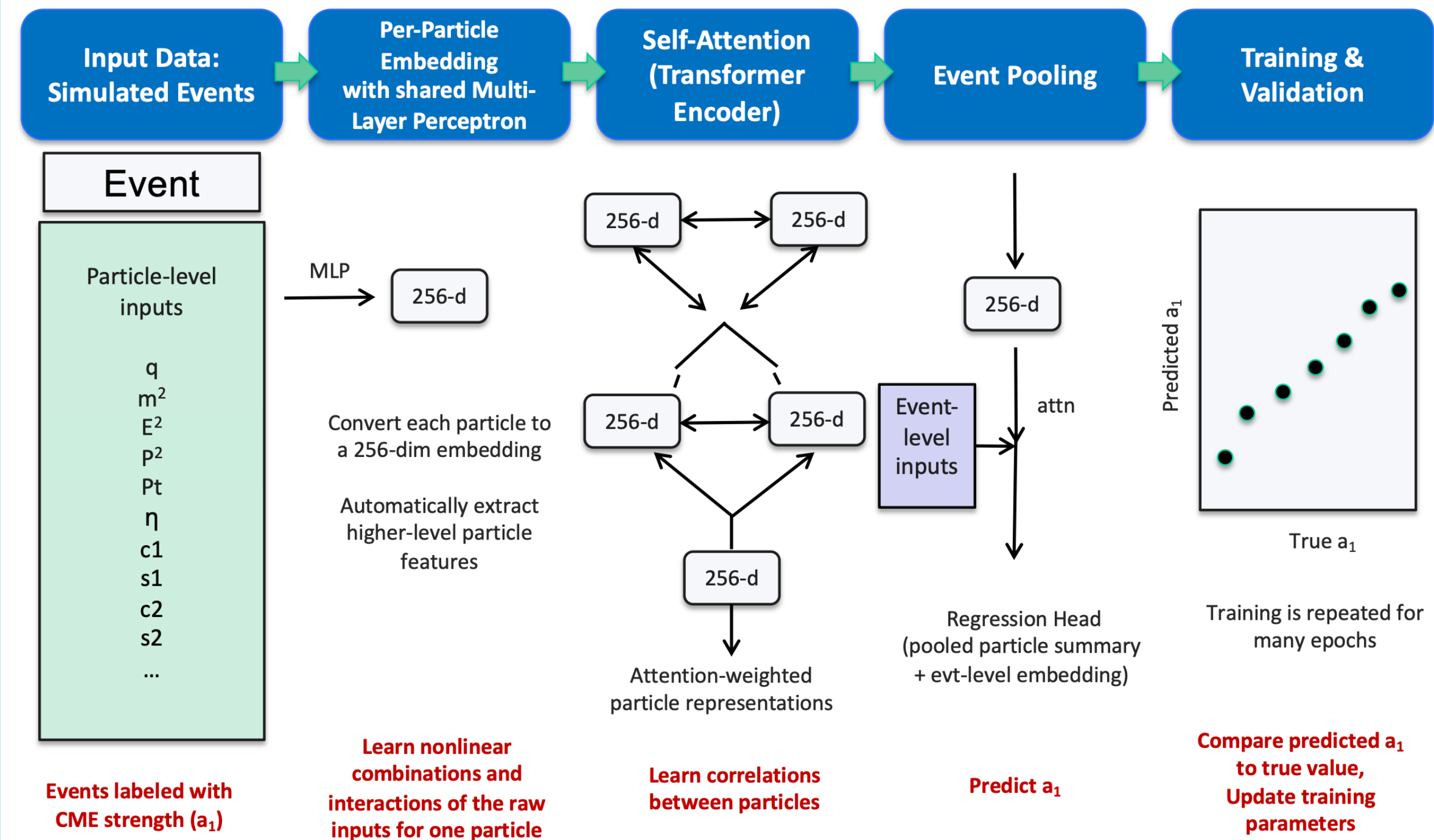
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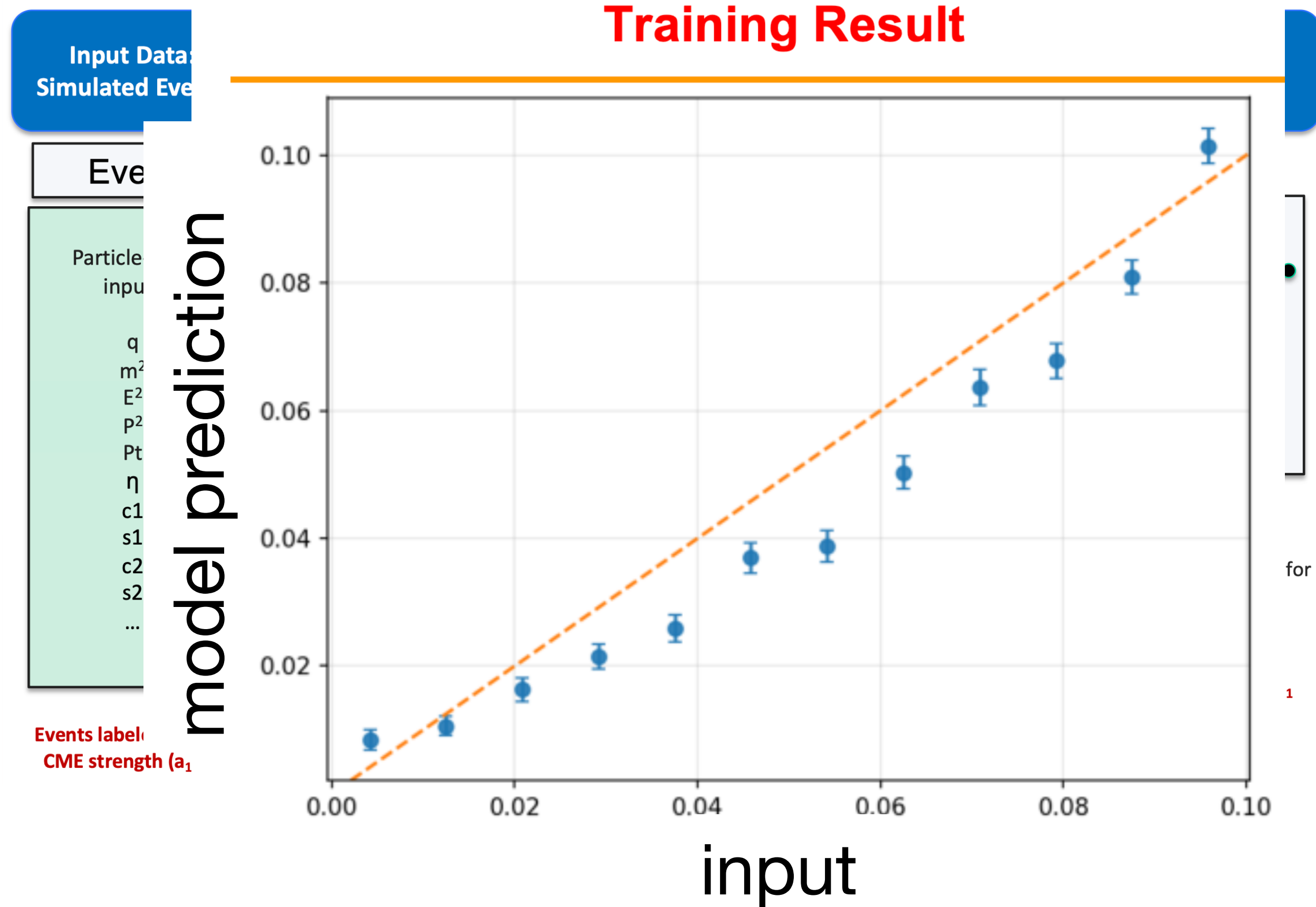
Alex Akridge, Yu Guo, J. Liao, SS, Hongxi Xing, Hui Zhang, in prep.

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signal extraction w/ Transformer

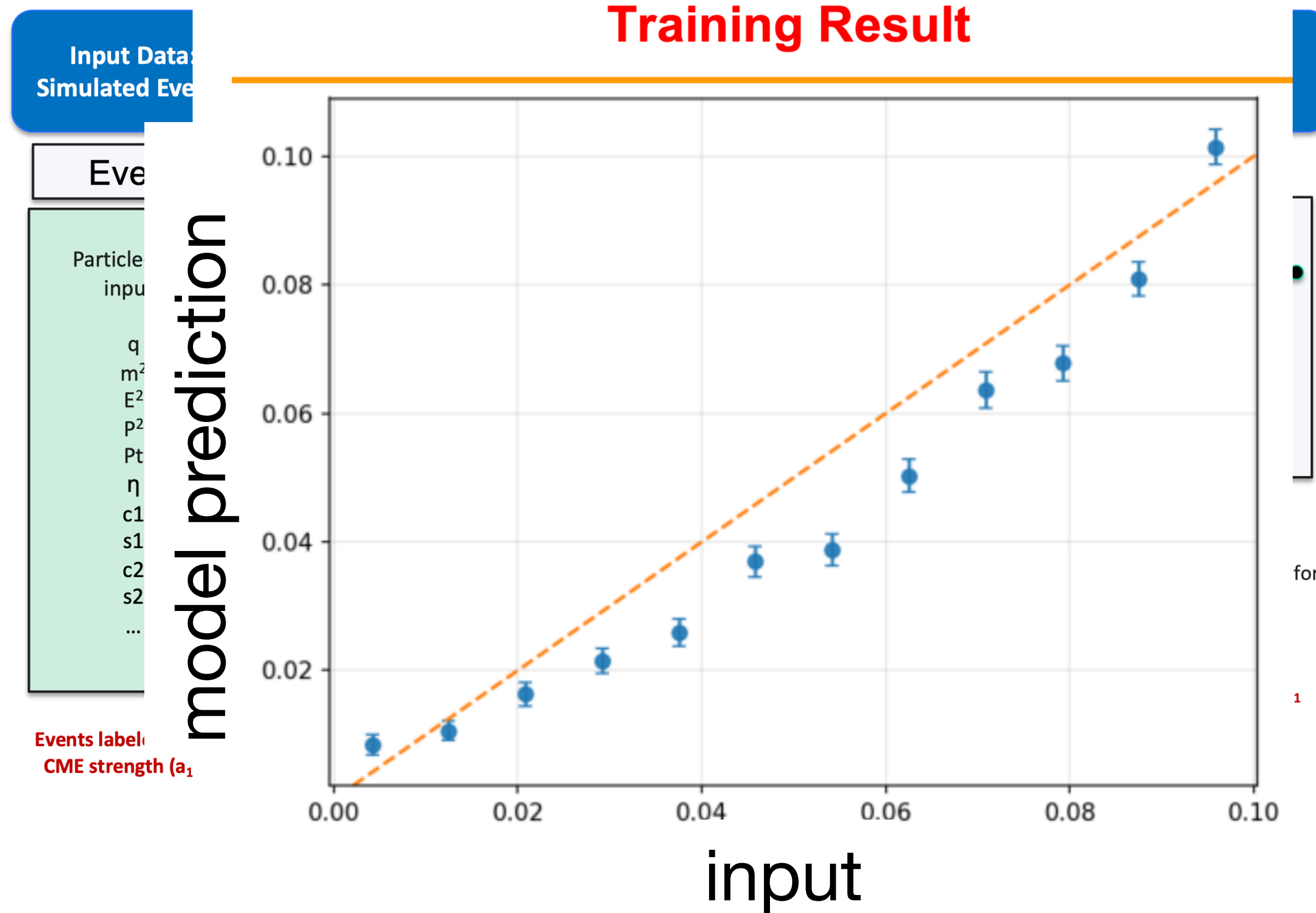


signal extraction w/ Transformer



Aihong Tang @ SQM2026

signal extraction w/ Transformer



Aihong Tang @ SQM2026

“optimal” obs. trained w/ exp.

harmonic coefficients

$$O = L_{2i} c_{2i} + B_{i,j} c_i c_j$$

param. to be trained

$$O_{\text{Pb+Pb@5.02TeV}} \rightarrow 0$$

$$\text{maximize } O_{\text{RuRu}} - O_{\text{ZrZr}}$$

$$\text{check: } O_{\text{RuRu}} \approx 1.2 O_{\text{ZrZr}}?$$

Hirono, Ikeda, Kharzeev, Ziyi Liu, SS,
PhyRevC.112.L051904+in progress

- non-equilibrium magnetohydrodynamics
- background models of CME can/shall be tested
- correlation between a_1^+ and helicity? ($a_1^+ \propto \mu_5$)