

Weak Strangeness and Eta Production

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NuFact'2013 , Beijing

Outline

1 Motivation

2 Single Kaon Production

3 Hyperon Production

4 Associated Production

5 Eta Production

6 Conclusion

Outline

1 *Motivation*

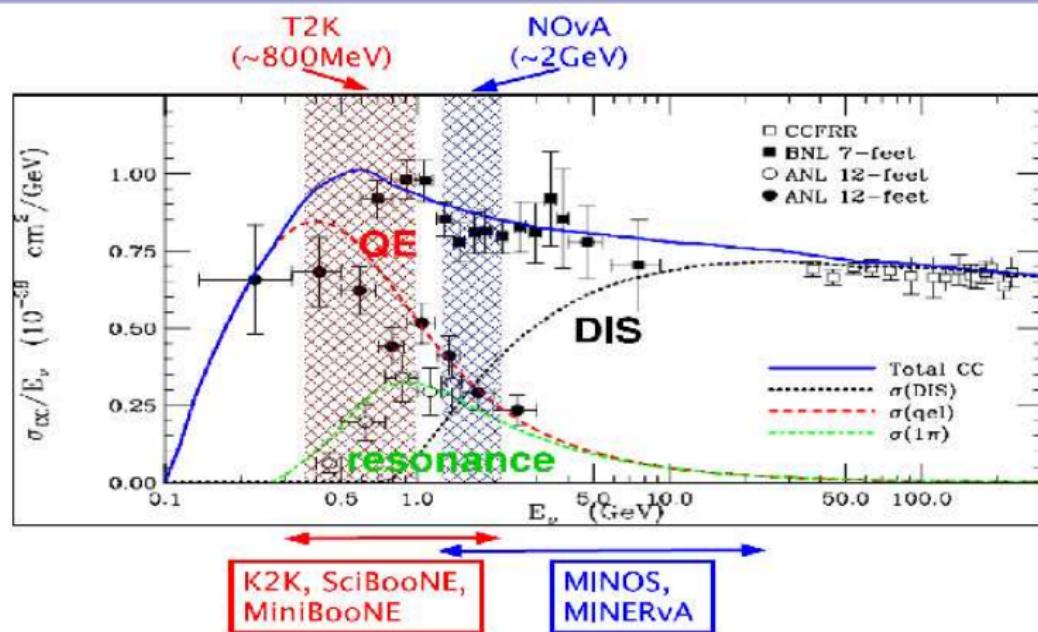
2 *Single Kaon Production*

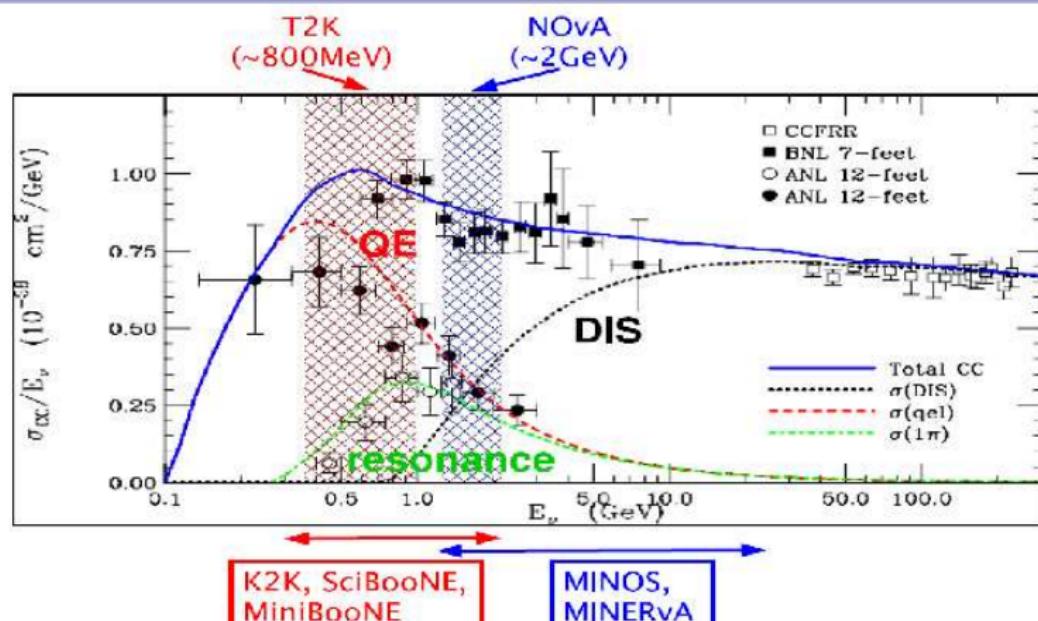
3 *Hyperon Production*

4 *Associated Production*

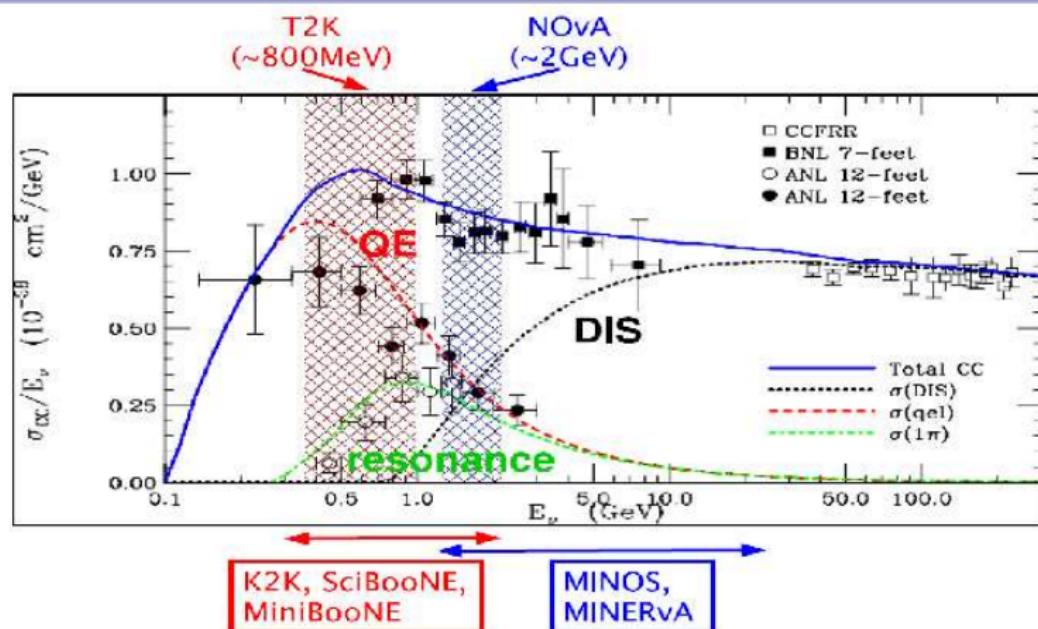
5 *Eta Production*

6 *Conclusion*





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$$\sigma^{Inelastic} = \sigma^{1\pi} + \sigma^{2\pi} + \dots + \sigma^{YK} + \sigma^{1K} + \sigma^{1Y} + \sigma^\eta + \dots$$

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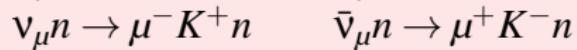
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- In the understanding of the basic symmetries of the SM, strange quark content of the nucleon, structure of weak hadronic form factors, etc.

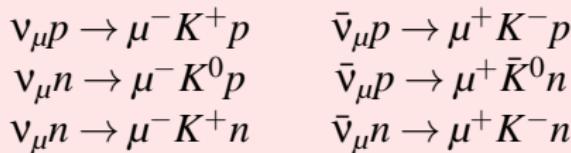
Processes

Single Kaon Production ($\Delta S = 1$)

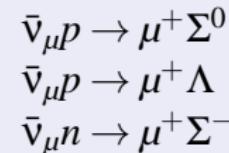


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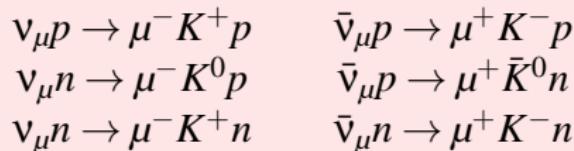


Single Hyperon Production

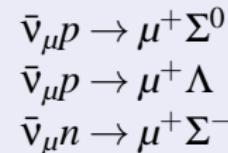


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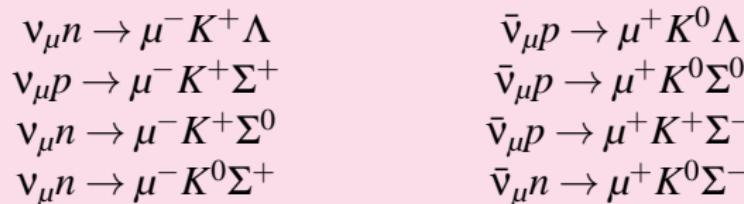
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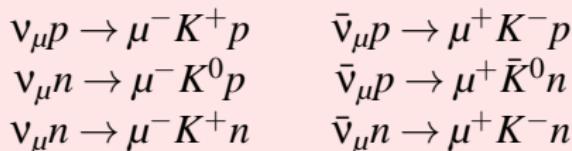


Associated Production ($\Delta S = 0$)

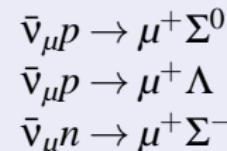


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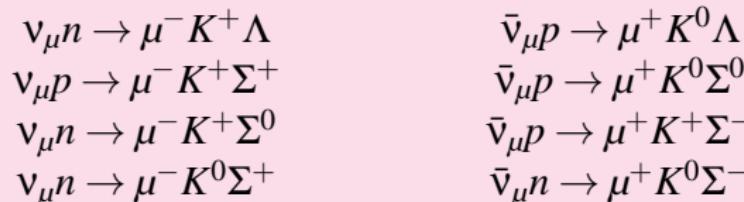
Single Kaon Production ($\Delta S = 1$)



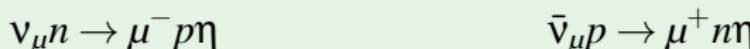
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Eta Production



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Formalism

The general expression for the scattering cross-section is given by,

$$d^9\sigma = \frac{(2\pi)^4}{4ME} \prod_{f=1}^n \frac{d\vec{k}_f}{2k_f^0(2\pi)^3} \delta^4(k_i - k_f) \bar{\Sigma}\Sigma |\mathcal{M}|^2,$$

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$$\mathcal{M} = \frac{G_F}{\sqrt{2}} j_\mu^{(L)} J^{\mu(H)} = \frac{g}{2\sqrt{2}} j_\mu^{(L)} \frac{1}{M_W^2} \frac{g}{2\sqrt{2}} J^{\mu(H)},$$

$j_\mu^{(L)}$ is Leptonic Current
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$$\mathcal{L} = -\frac{g}{2\sqrt{2}} [W_\mu^+ \bar{v}_l \gamma^\mu (1 - \gamma_5) l + W_\mu^- \bar{l} \gamma^\mu (1 - \gamma_5) v_l].$$

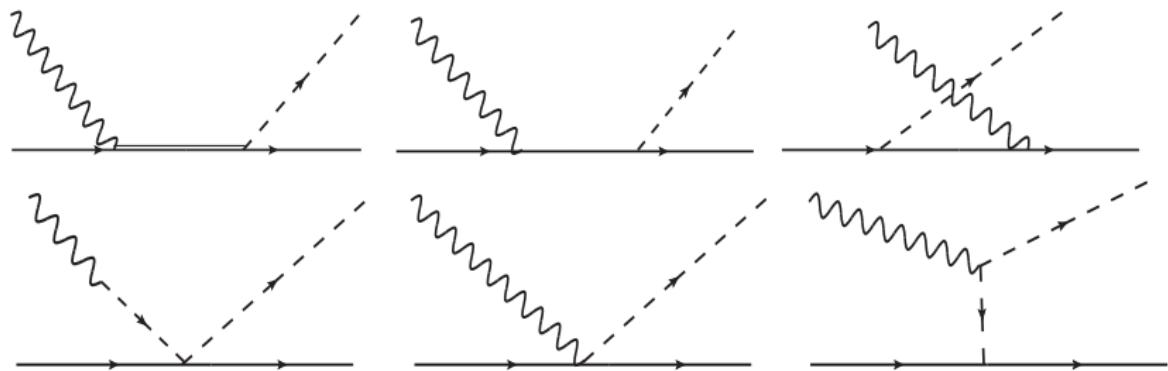


Figure: Feynman diagrams contributing to the $J^{\mu(H)}$

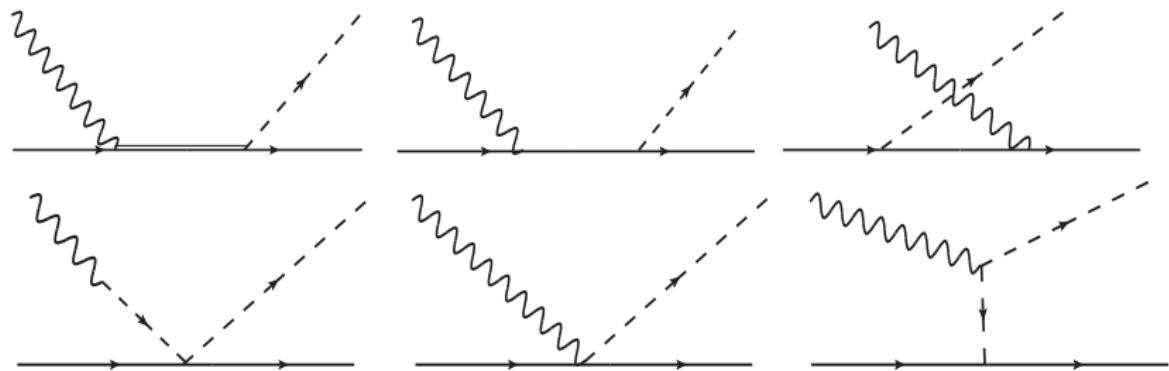


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For the background terms we used

Chiral Perturbation Theory (χPT)

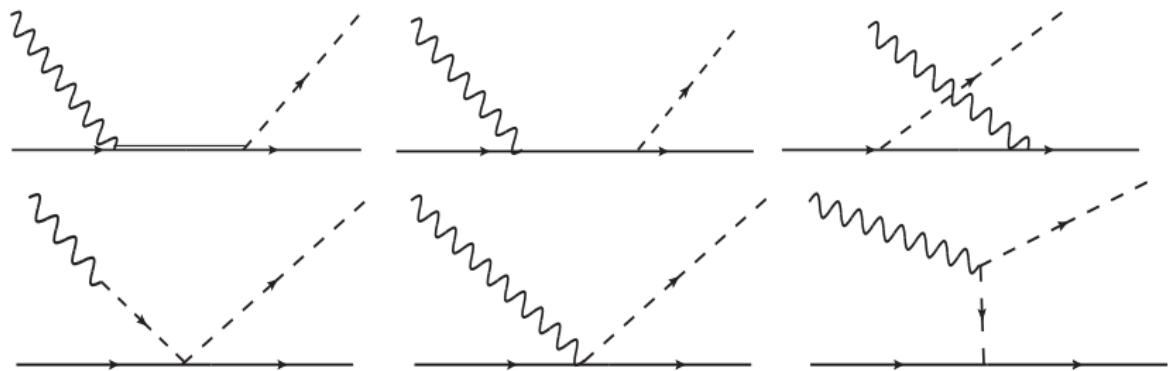


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Resonant Terms

Used in \bar{v} induced K-production

- M. Rafi Alam et.al.
“*Weak Kaon Production off the Nucleon,*”
Phys. Rev. D **82**, 033001 (2010)
- M. Rafi Alam et.al.
“*Antineutrino induced antikaon production off the nucleon,*”
Phys. Rev. D **85**, 013014 (2012)

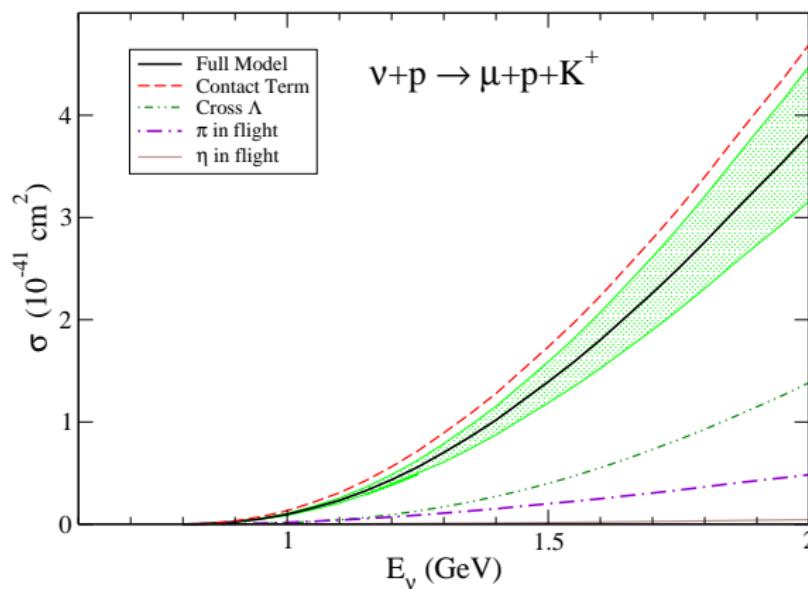
Currents for $\Delta S = 1$ K production

$$\begin{aligned}
J^\mu|_{CT} &= iA_{CT}V_{us}\frac{\sqrt{2}}{2f_\pi}\bar{N}(p') (\gamma^\mu + B_{CT}\gamma^\mu\gamma_5) N(p) \\
j^\mu|_{Cr\Sigma} &= iA_{Cr\Sigma}V_{us}(D-F)\frac{\sqrt{2}}{2f_\pi}\bar{N}(p') \left(\gamma^\mu + i\frac{\mu_p + 2\mu_n}{2M}\sigma^{\mu\nu}q_\nu + (D-F)(\gamma^\mu - \frac{q^\mu}{q^2 - M_k^2}\not{q})\gamma^5 \right) \frac{\not{p} - \not{p}_k + M_\Sigma}{(p-p_k)^2 - M_\Sigma^2} \not{p}_k \gamma^5 N(p), \\
j^\mu|_{Cr\Lambda} &= iA_{Cr\Lambda}V_{us}(D+3F)\frac{\sqrt{2}}{4f_\pi}\bar{N}(p') \left(\gamma^\mu + i\frac{\mu_p}{2M}\sigma^{\mu\nu}q_\nu - \frac{D+3F}{3}(\gamma^\mu - \frac{q^\mu}{q^2 - M_k^2}\not{q})\gamma^5 \right) \frac{\not{p} - \not{p}_k + M_\Lambda}{(p-p_k)^2 - M_\Lambda^2} \not{p}_k \gamma^5 N(p), \\
J^\mu|_\Sigma &= iA_\Sigma(D-F)V_{us}\frac{\sqrt{2}}{2f_\pi}\bar{N}(p')\not{p}_k\gamma_5 \frac{\not{p} + \not{q} + M_\Sigma}{(p+q)^2 - M_\Sigma^2} \left(\gamma^\mu + i\frac{(\mu_p + 2\mu_n)}{2M}\sigma^{\mu\nu}q_\nu(D-F) \left\{ \gamma^\mu - \frac{q^\mu}{q^2 - M_k^2}\not{q} \right\} \gamma^5 \right) N(p) \\
J^\mu|_\Lambda &= iA_\Lambda V_{us}(D+3F)\frac{1}{2\sqrt{2}f_\pi}\bar{N}(p')\not{p}_k\gamma^5 \frac{\not{p} + \not{q} + M_\Lambda}{(p+q)^2 - M_\Lambda^2} \left(\gamma^\mu + i\frac{\mu_p}{2M}\sigma^{\mu\nu}q_\nu \frac{(D+3F)}{3} \left\{ \gamma^\mu - \frac{q^\mu}{q^2 - M_k^2}\not{q} \right\} \gamma^5 \right) N(p) \\
J^\mu|_{KP} &= iA_{KP}V_{us}\frac{\sqrt{2}}{2f_\pi}\bar{N}(p')\not{q} N(p) \frac{q^\mu}{q^2 - M_k^2} \\
J^\mu|_\pi &= iA_\pi \frac{M\sqrt{2}}{2f_\pi} V_{us}(D+F) \frac{2p_k^\mu - q^\mu}{(q-p_k)^2 - m_\pi^2} \bar{N}(p')\gamma_5 N(p) \\
J^\mu|_\eta &= iA_\eta \frac{M\sqrt{2}}{2f_\pi} V_{us}(D-3F) \frac{2p_k^\mu - q^\mu}{(q-p_k)^2 - m_\eta^2} \bar{N}(p')\gamma_5 N(p) \\
J^\mu|_{\Sigma^*} &= -iA_{\Sigma^*} \frac{C}{f_\pi} \frac{1}{\sqrt{6}} V_{us} \frac{p_k^\lambda}{P^2 - M_{\Sigma^*}^2 + i\Gamma_{\Sigma^*}M_{\Sigma^*}} \bar{N}(p') P_{RS_{\lambda\rho}} (\Gamma_V^{\rho\mu} + \Gamma_A^{\rho\mu}) N(p)
\end{aligned}$$

Process	B_{CT}	A_{CT}	A_{Σ}	A_{Λ}	$A_{Cr\Sigma}$	$A_{Cr\Lambda}$	A_{KP}	A_{π}	A_{η}	A_{Σ^*}
$\nu n \rightarrow l^- K^+ n$	D-F	-1	0	0	-1	0	-1	-1	-1	0
$\nu p \rightarrow l^- K^+ p$	-F	-2	0	0	$-\frac{1}{2}$	1	-2	1	-1	0
$\nu n \rightarrow l^- K^0 p$	-D-F	-1	0	0	$\frac{1}{2}$	1	-1	2	0	0
$\bar{\nu} n \rightarrow l^+ K^- n$	D-F	1	-1	0	0	0	-1	1	1	2
$\bar{\nu} p \rightarrow l^+ K^- p$	-F	2	$-\frac{1}{2}$	1	0	0	-2	-1	1	1
$\bar{\nu} p \rightarrow l^+ \bar{K}^0 n$	-D-F	1	$\frac{1}{2}$	1	0	0	-1	-2	0	-1

Table: Constant factors appearing in the hadronic current

σ for $\nu_\mu + p \rightarrow \mu^- + K^+ + p$



Q^2 Distribution

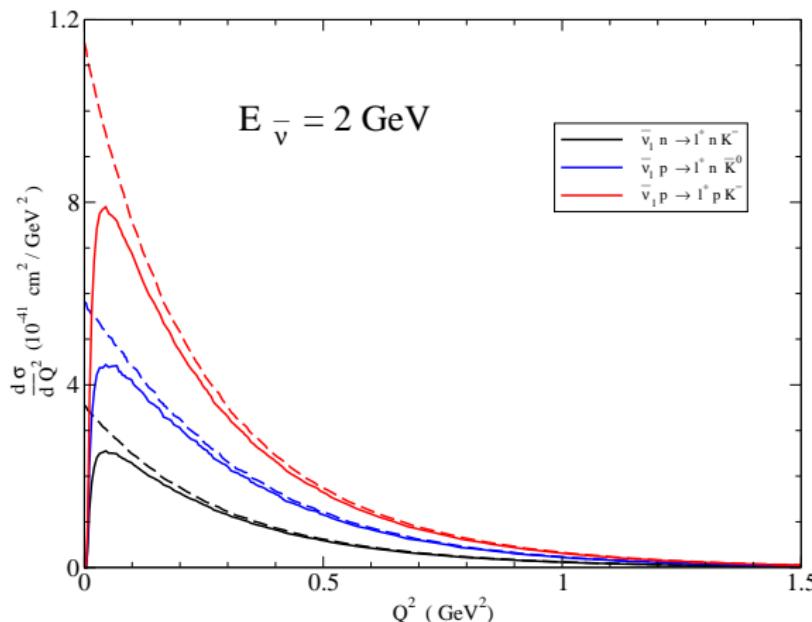
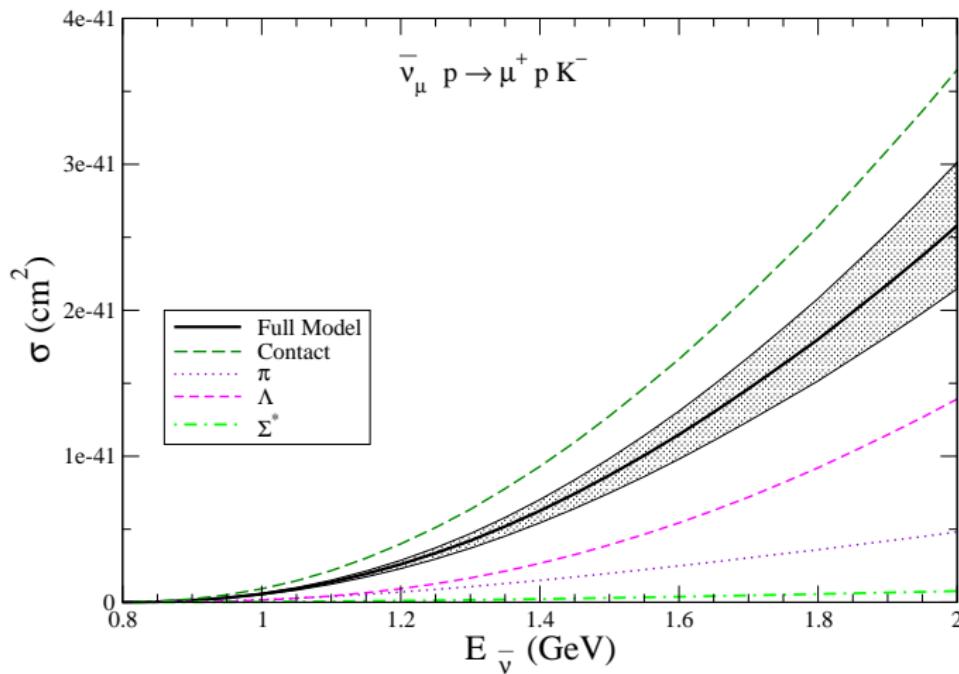
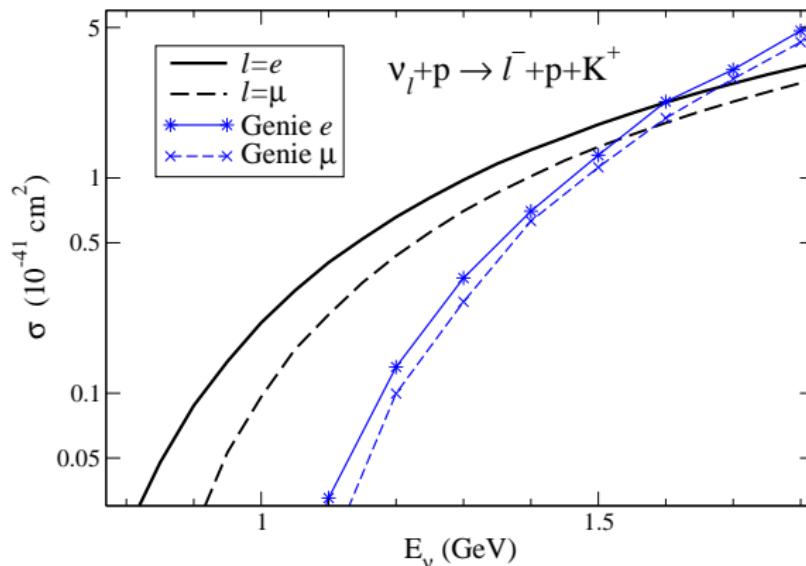


Figure: Differential Cross-section for the processes $\bar{\nu}_\mu N \rightarrow \mu^+ N' \bar{K}$ (Solid lines) and $\bar{\nu}_e N \rightarrow e^+ N' \bar{K}$ (Dashed lines)

σ for $\bar{\nu}_\mu + p \rightarrow \mu^+ + K^- + p$



Compared with Associated kaon production cross section used in GENIE



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Single Hyperon Production

$$\bar{v}_l(k) + p(p) \rightarrow l^+(k') + \Lambda(p')$$

$$\bar{v}_l(k) + p(p) \rightarrow l^+(k') + \Sigma^0(p')$$

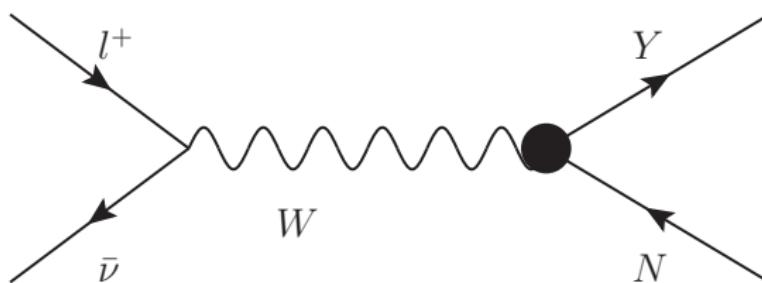
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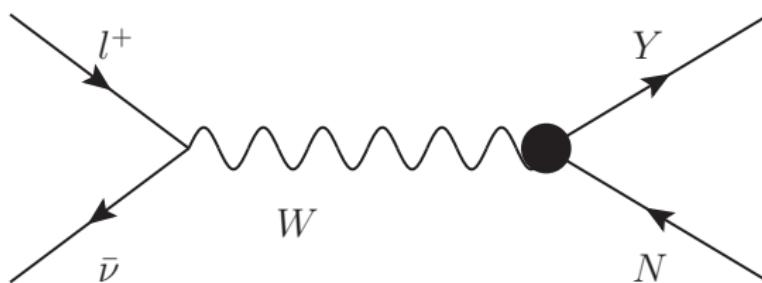


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No process is possible with ν

Current for Single Hyperon Production

$$J_\mu \approx \gamma_\mu f_1(q^2) + i\sigma_{\mu\nu} \frac{q^\nu}{M+M_Y} f_2(q^2) - \gamma_\mu g_1(q^2) - \frac{q_\mu}{M_Y} g_2(q^2)$$

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The Q^2 dependence in FF are taken

$$F_i(Q^2) = F(0) \left(1 + \frac{Q^2}{M_A^2} \right)^{-2} \quad D_i(Q^2) = D(0) \left(1 + \frac{Q^2}{M_A^2} \right)^{-2}$$

With $F(0) = F$ and $D(0) = D$ are determined from the baryon semileptonic decays.

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$D = 0.804$ and $F = 0.463$

Nuclear Effects

PAULI BLOCKING AND FERMI MOTION:

Local Fermi Gas Model

Effect is negligible

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Final State Interaction

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Phys. Rev. D **74**, 053009 (2006)

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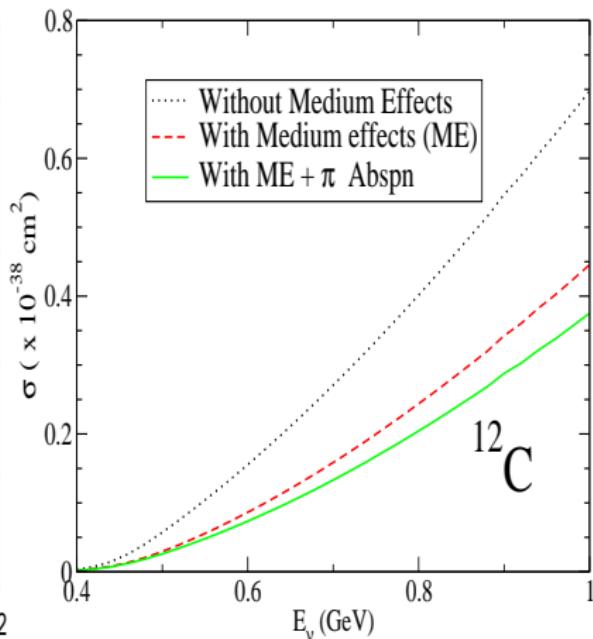
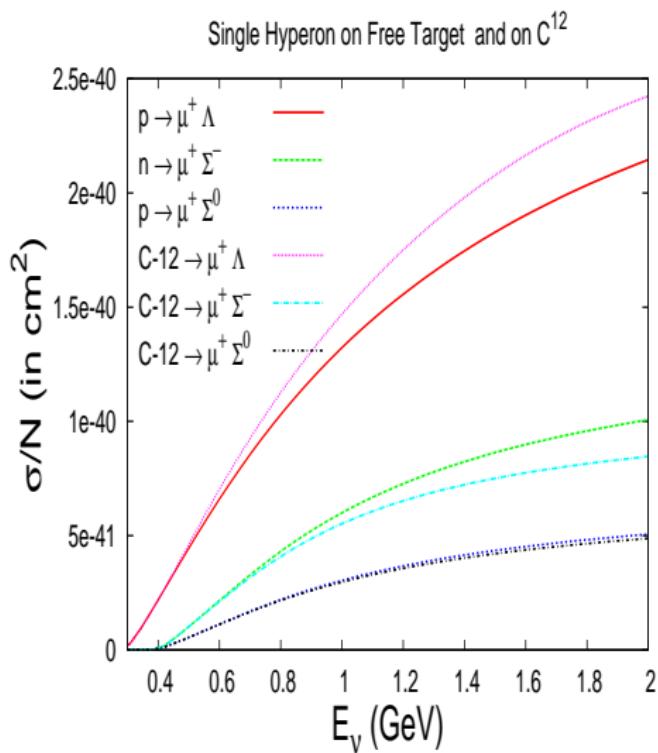
Effect is negligible

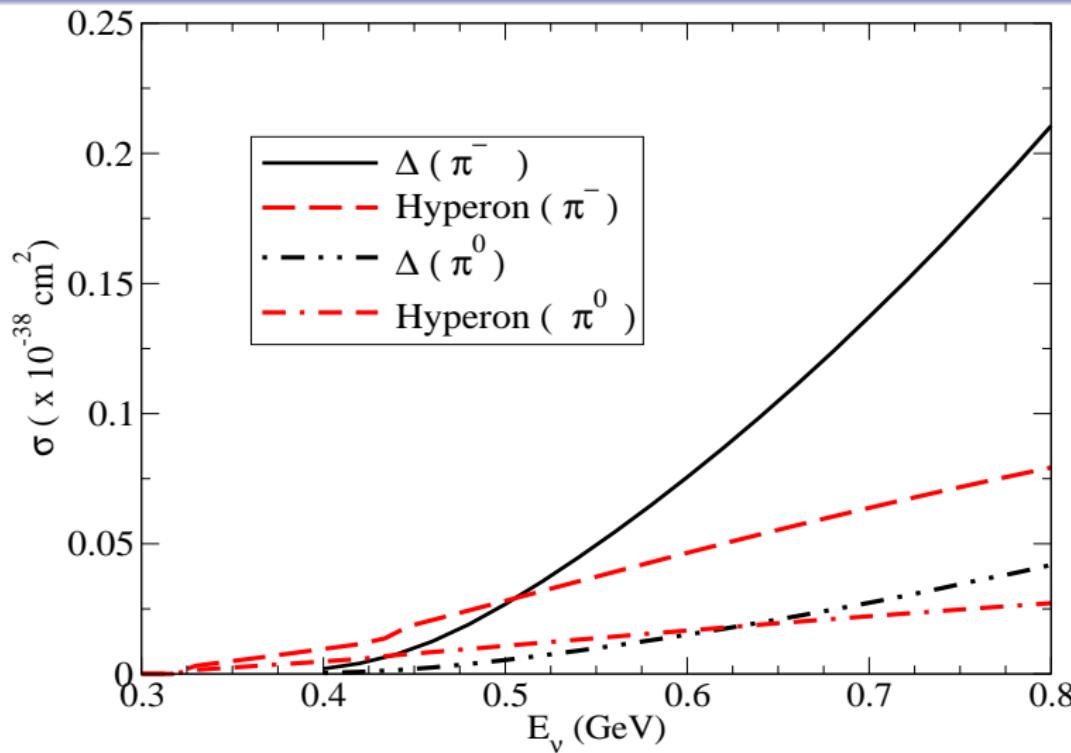
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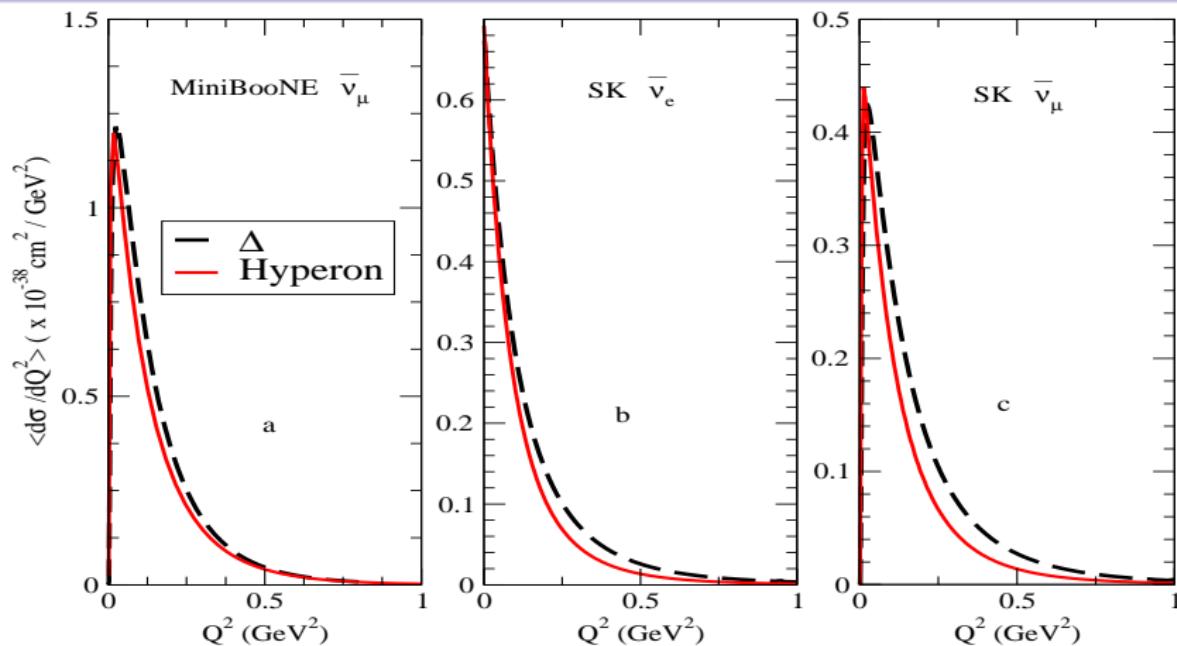
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Effect is $\sim 5\%$

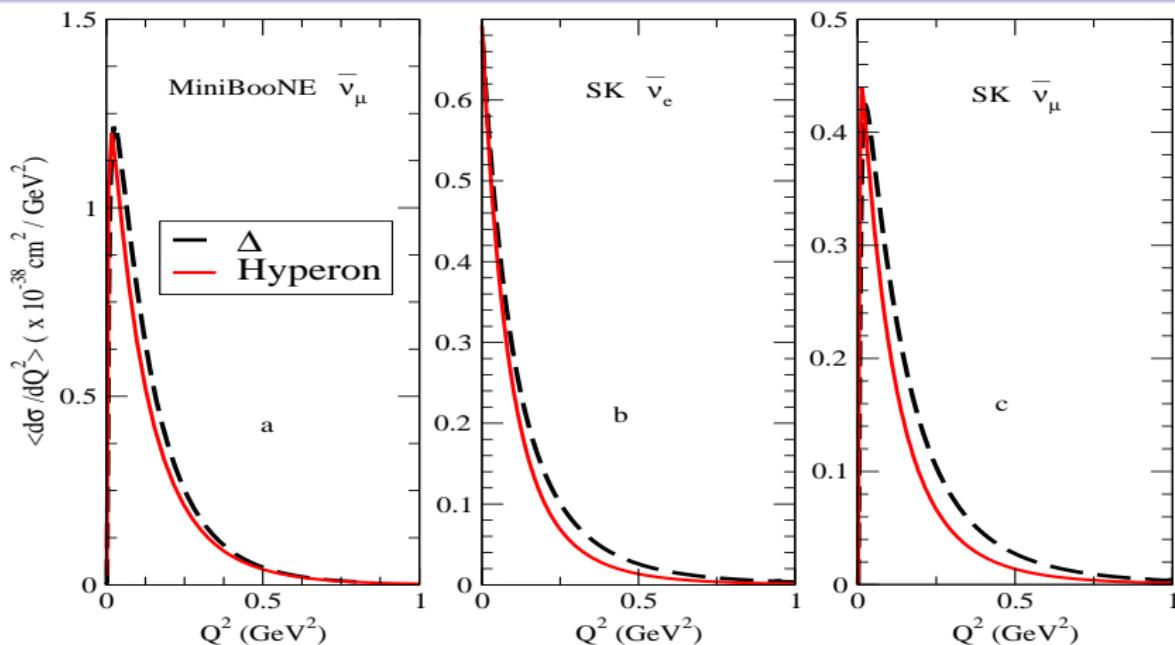




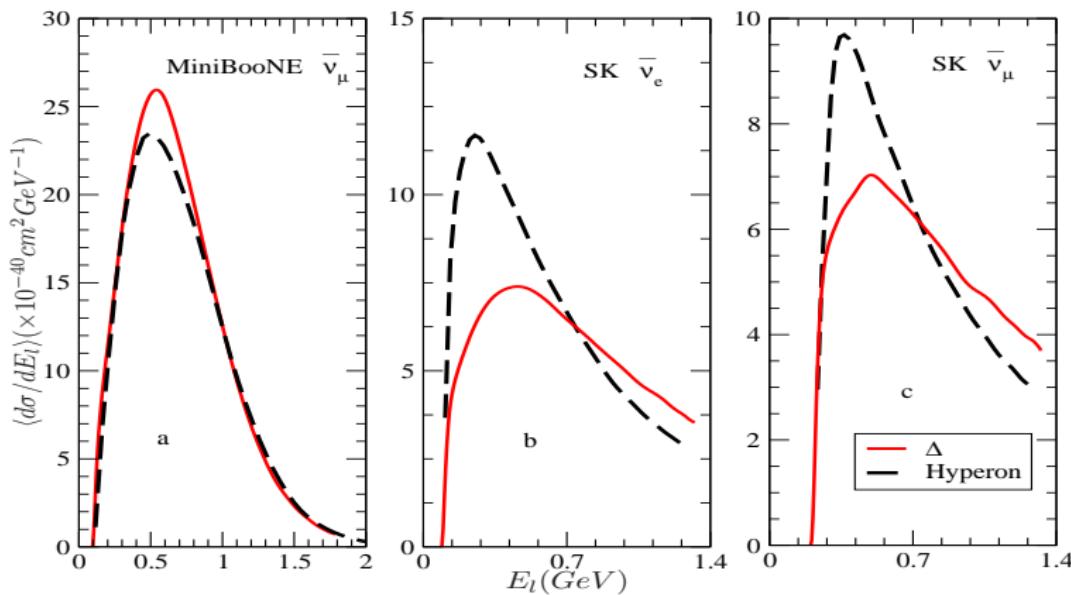
σ vs E , for π^- & π^0 production induced by $\bar{\nu}_\mu$ in ^{12}C , in the Δ dominance model, and via an intermediate hyperon.



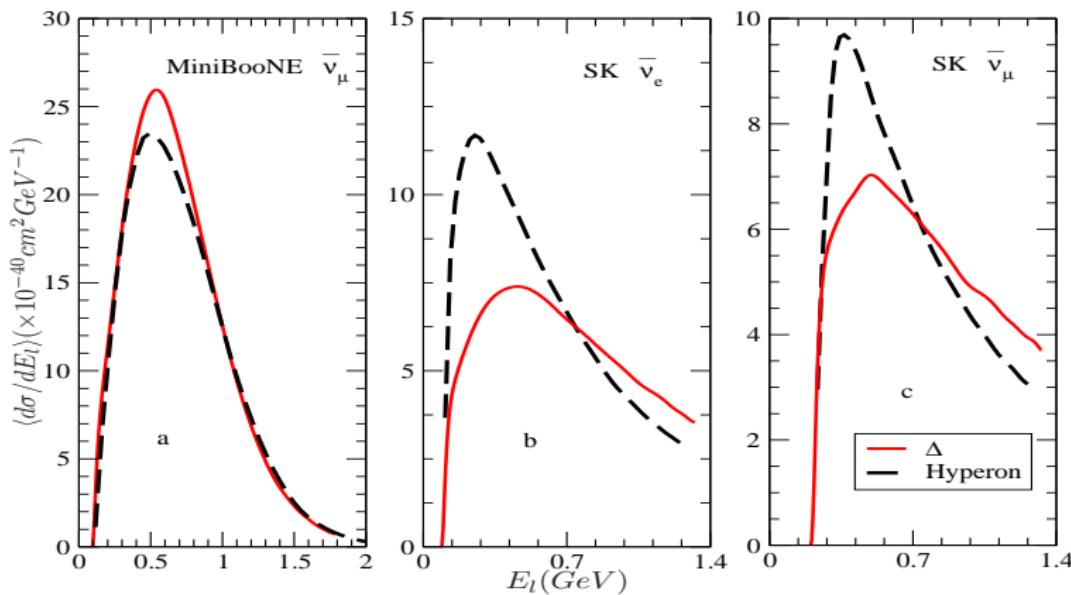
Q^2 distribution (a) for $\bar{\nu}_\mu$ induced reaction in ^{12}C averaged over the MiniBooNE flux and (b & c) for ^{16}O averaged over the SuperK flux for e^+ & μ^+ . The results are presented for the incoherent π^- production with medium effect and pion absorption, and for the π^- production from the quasielastic hyperon production



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scaled by a factor of 2.5 i.e $\sim 40\%$



E_l distribution (a) for $\bar{\nu}_\mu$ induced reaction in ^{12}C averaged over the MiniBooNE flux and (b & c) for ^{16}O averaged over the SuperK flux for e^+ & μ^+ . The results are presented for the incoherent π^- production with medium effect and pion absorption, and for the π^- production from the quasielastic hyperon production



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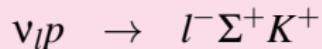
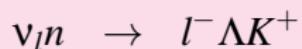
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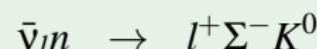
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Processes

Neutrino



Anti-neutrino



$$\begin{aligned}
 j^\mu|_s &= iA_{SY}V_{ud}\frac{\sqrt{2}}{2f_\pi}\bar{u}_Y(p')\not{p}_k\gamma^5\frac{\not{p}+\not{q}+M}{(p+q)^2-M^2}\mathcal{H}^\mu u_N(p) \\
 j^\mu|_u &= iA_{UY}V_{ud}\frac{\sqrt{2}}{2f_\pi}\bar{u}_Y(p')\mathcal{H}^\mu\frac{\not{p}-\not{p}_k+M_{Y'}}{(p-p_k)^2-M_{Y'}^2}\not{p}_k\gamma^5u_N(p) \\
 j^\mu|_t &= iA_{TY}V_{ud}\frac{\sqrt{2}}{2f_\pi}(M+M_Y)\bar{u}_Y(p')\gamma_5u_N(p)\frac{q^\mu-2\not{p}_k^\mu}{(p-p')^2-m_k^2} \\
 j^\mu|_{CT} &= iA_{CT}V_{ud}\frac{\sqrt{2}}{2f_\pi}\bar{u}_Y(p')\left(\gamma^\mu+B_{CT}\gamma^\mu\gamma^5\right)u_N(p) \\
 j^\mu|_{\pi F} &= iA_\pi V_{ud}\frac{\sqrt{2}}{4f_\pi}\bar{u}_Y(p')(\not{q}+\not{p}_k)u_N(p)\frac{q^\mu}{q^2-m_\pi^2} \\
 \mathcal{H}^\mu &= F_1^V\gamma^\mu+i\frac{F_2^V}{2M}\sigma^{\mu\nu}q_\nu-G_A\left(\gamma^\mu-\frac{\not{q}\not{q}^\mu}{q^2-m_\pi^2}\right)\gamma^5
 \end{aligned}$$

Where, \mathcal{H}^μ is the transition current for $Y \leftrightarrows Y'$ with
 $Y = Y' \equiv$ Nucleon and/or Hyperon.

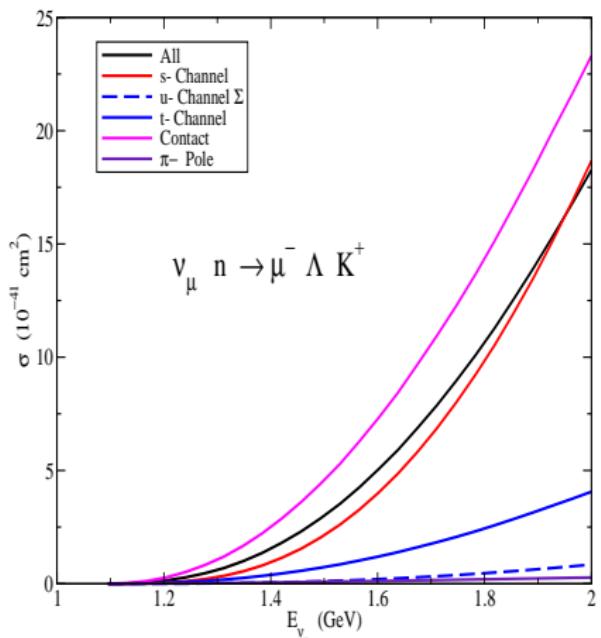
Currents for $\Delta S = 0$ K production

Process	A_{CT}	B_{CT}	A_{SY}	$Y' = \Sigma$	A_{UY}	$Y' = \Lambda$	A_{TY}	A_π
$\bar{v}_l p \rightarrow l^+ \Sigma^- K^+$	0	0	$D - F$	$D - F$	$\frac{1}{3}(D + 3F)$	0	0	0
$\bar{v}_l n \rightarrow l^- \Sigma^+ K^0$	$-\sqrt{\frac{3}{2}}$	$-\frac{1}{3}(D + 3F)$	$\frac{-1}{\sqrt{6}}(D + 3F)$	$-\sqrt{\frac{2}{3}}(D - F)$	0	$\frac{-1}{\sqrt{6}}(D + 3F)$	$\sqrt{\frac{3}{2}}$	
$\bar{v}_l p \rightarrow l^+ \Lambda K^0$	$\mp \frac{1}{\sqrt{2}}$	$D - F$	$\mp \frac{1}{\sqrt{2}}(D - F)$	$\mp \sqrt{2}(D - F)$	0	$\pm \frac{1}{\sqrt{2}}(D - F)$	$\pm \frac{1}{\sqrt{2}}$	
$\bar{v}_l n \rightarrow l^- \Sigma^0 K^+$	$\mp \frac{1}{\sqrt{2}}$	$D - F$	0	$F - D$	$\frac{1}{3}(D + 3F)$	$D - F$	1	
$\bar{v}_l n \rightarrow l^+ \Sigma^- K^0$	-1	$D - F$	0	$F - D$	$\frac{1}{3}(D + 3F)$	$D - F$	1	
$\bar{v}_l p \rightarrow l^- \Sigma^+ K^+$								

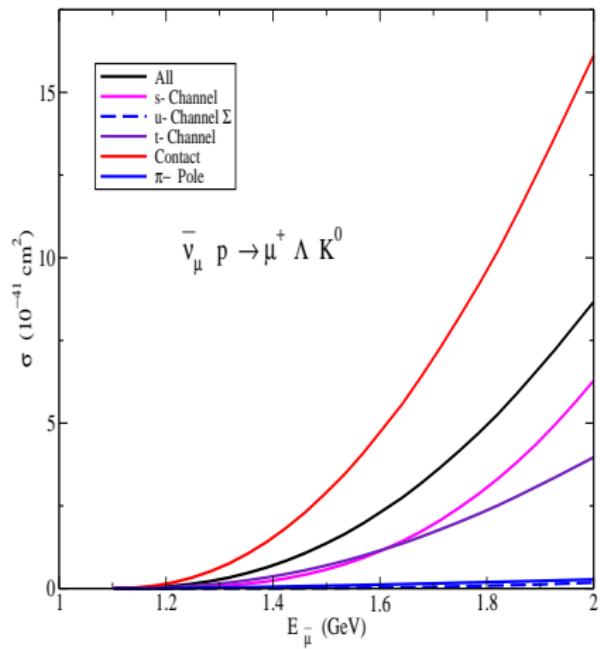
Table: Constant factors appearing in the hadronic current. The upper sign corresponds to the processes with \bar{v}

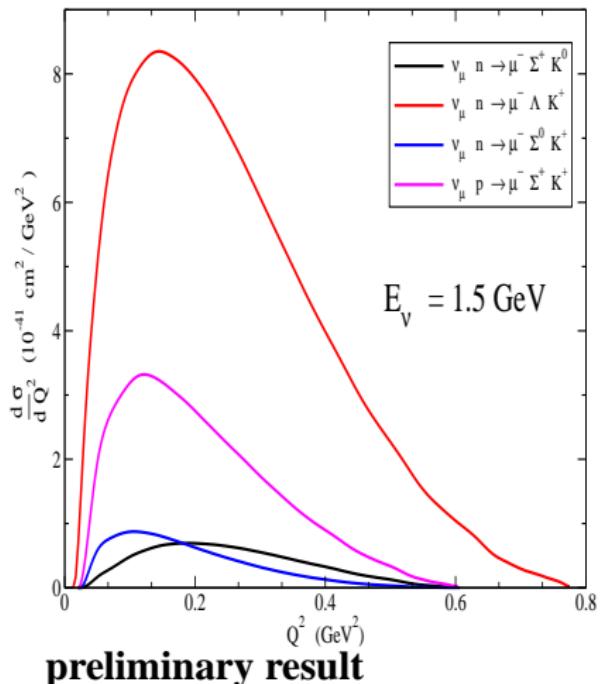
Weak transition	$F_1(Q^2)$	$F_2(Q^2)$	$G_A(Q^2)$
$p \rightarrow n$	$f_1^p(Q^2) - f_1^n(Q^2)$	$f_2^p(Q^2) - f_2^n(Q^2)$	$g_A(Q^2)$
$\Sigma^\pm \rightarrow \Lambda$	$-\sqrt{\frac{3}{2}}f_1^n(Q^2)$	$-\sqrt{\frac{3}{2}}f_2^n(Q^2)$	$\sqrt{\frac{2}{3}}\frac{D}{F+D}g_A(Q^2)$
$\Sigma^\pm \rightarrow \Sigma^0$	$\mp\frac{1}{\sqrt{2}}[2f_1^p(Q^2) + f_1^n(Q^2)]$	$\mp\frac{1}{\sqrt{2}}[2f_2^p(Q^2) + f_2^n(Q^2)]$	$\mp\sqrt{2}\frac{F}{F+D}g_A(Q^2)$

The standard form factors for weak CC transitions of the SU(3) baryon octets.

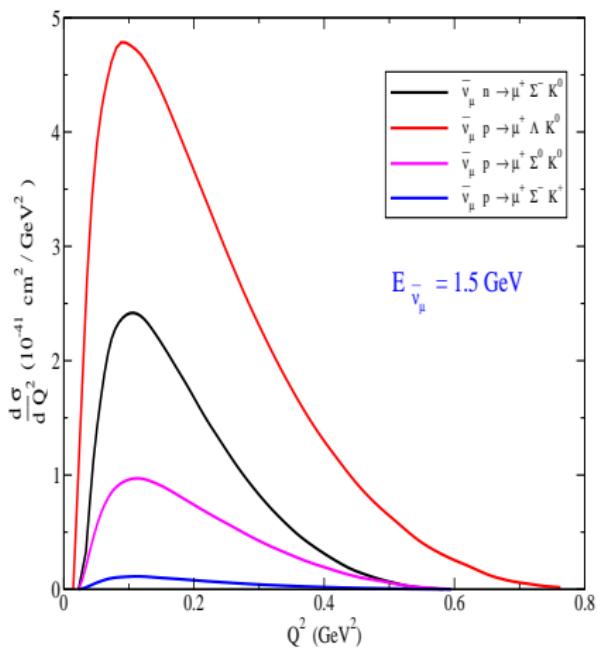


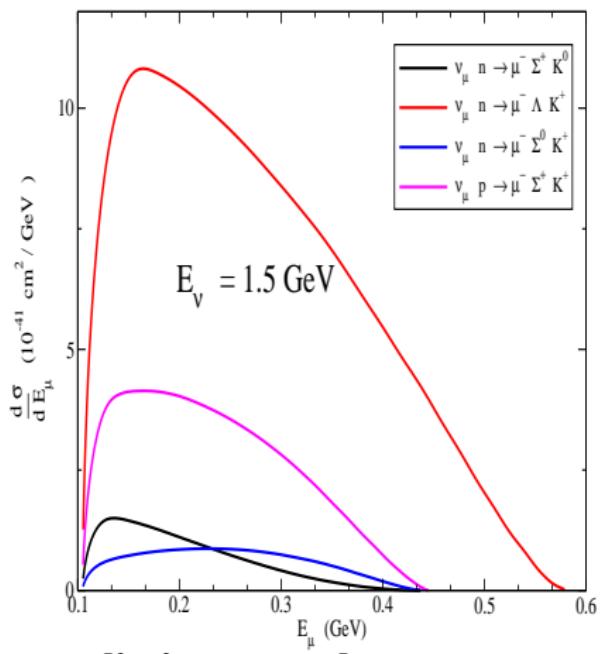
preliminary result



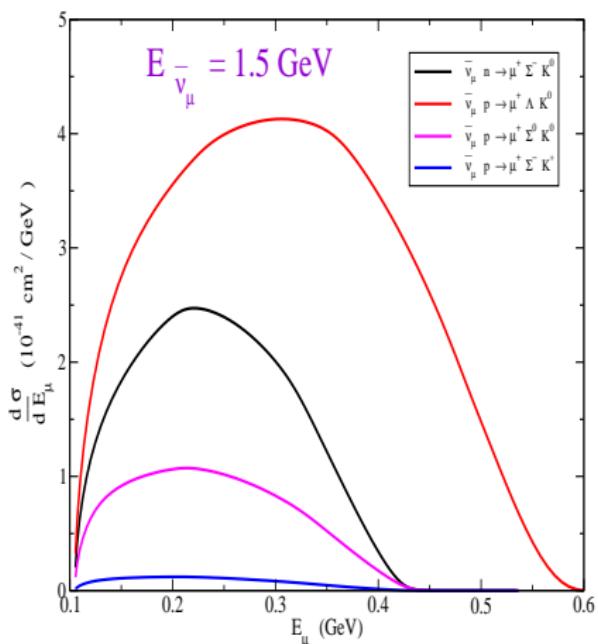


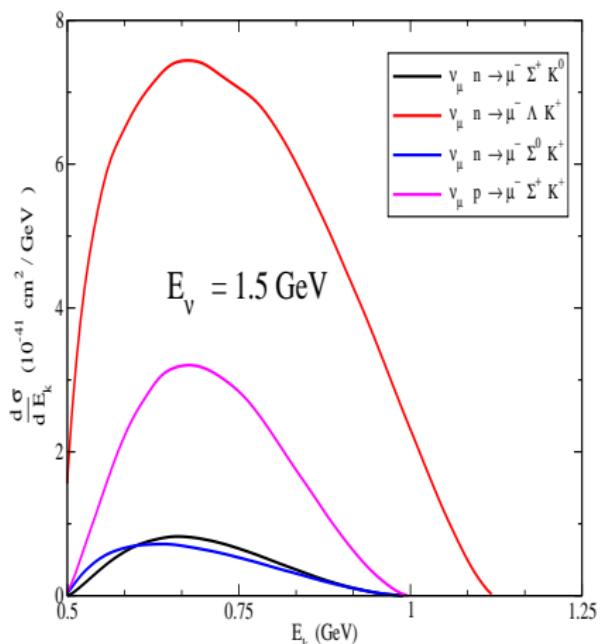
preliminary result



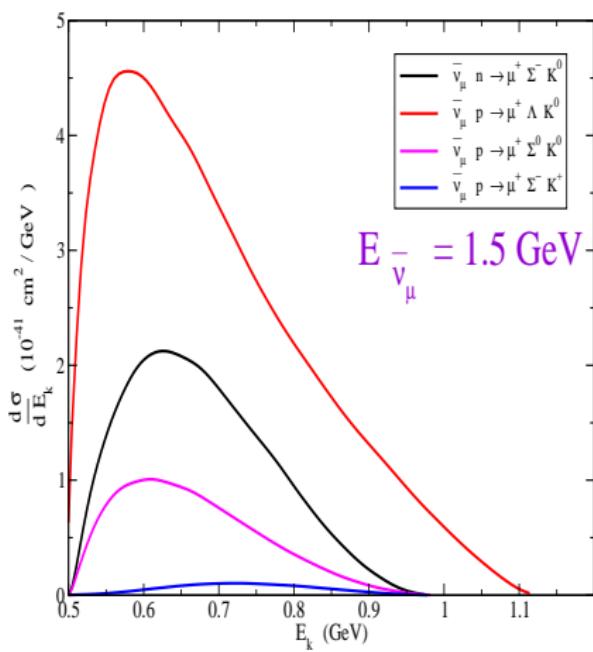


preliminary result





preliminary result



Outline

1 Motivation

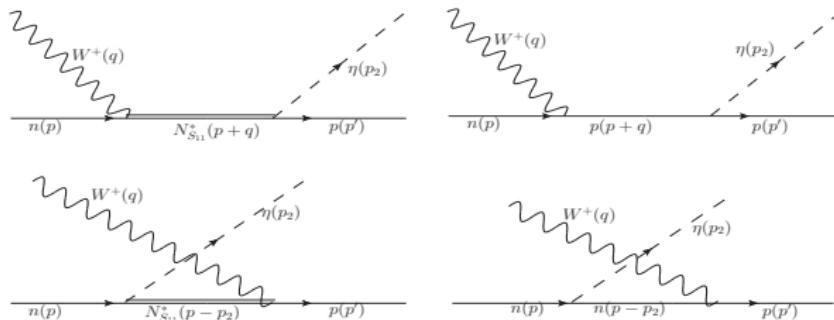
2 Single Kaon Production

3 Hyperon Production

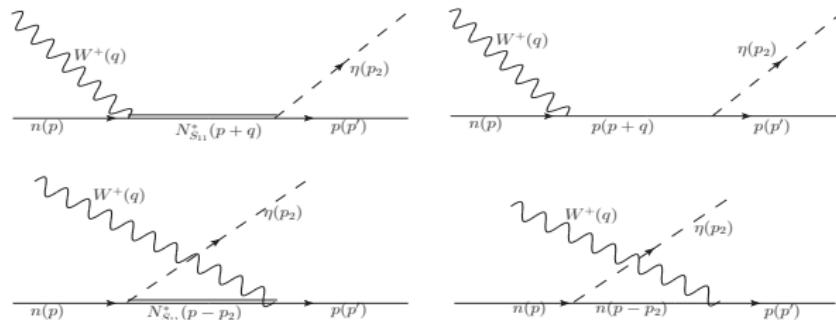
4 Associated Production

5 Eta Production

6 Conclusion



$$\begin{aligned} v_l(k) + n(p) &\rightarrow l^-(k') + p(p') + \eta(p_2) \\ \bar{v}_l(k) + p(p) &\rightarrow l^+(k') + n(p') + \eta(p_2). \end{aligned}$$



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“Weak η production off the nucleon,”
arXiv:1303.5951 [hep-ph].

$$\begin{aligned}
 J_{N(s)}^\mu &= \frac{gV_{ud}}{2\sqrt{2}} \frac{D-3F}{2\sqrt{3}f_\pi} \bar{u}_N(p') p'_2 \gamma^5 \frac{\not{p} + \not{q} + M}{(p+q)^2 - M^2} \left(\gamma^\mu - (D+F)\gamma^\mu\gamma^5 \right) u_N(p) \\
 J_{N(u)}^\mu &= \frac{gV_{ud}}{2\sqrt{2}} \frac{D-3F}{2\sqrt{3}f_\pi} \bar{u}_N(p') \left(\gamma^\mu - (D+F)\gamma^\mu\gamma^5 \right) \frac{\not{p} - \not{p}'_2 + M}{(p-p_2)^2 - M^2} p'_2 \gamma^5 u_N(p) \\
 J_{R(s)}^\mu &= \frac{gV_{ud}}{2\sqrt{2}} i g_{\eta NS_{11}} \bar{u}_N(p') \frac{\not{p} + \not{q} + M_R}{(p+q)^2 - M_R^2 + i\Gamma_R M_R} O^\mu u_N(p) \\
 J_{R(u)}^\mu &= \frac{gV_{ud}}{2\sqrt{2}} i g_{\eta NS_{11}} \bar{u}_N(p') O^\mu \frac{\not{p} - \not{p}'_2 + M_R}{(p-p_2)^2 - M_R^2 + i\Gamma_R M_R} u_N(p) \\
 O^\mu &= \frac{F_1^V(Q^2)}{(2M)^2} (Q^2 \gamma^\mu + \not{q} q^\mu) \gamma_5 \pm \frac{F_2^V(Q^2)}{2M} i \sigma^{\mu\rho} q_\rho \gamma_5 - F_A(Q^2) \gamma^\mu \mp \frac{F_P(Q^2)}{M} q^\mu
 \end{aligned}$$

The upper (lower) sign in O^μ applies to the s-(u-)channel current.

The isovector form factors $F_{1,2}^V$, are given in terms of the electromagnetic transition form factors of protons and neutrons as

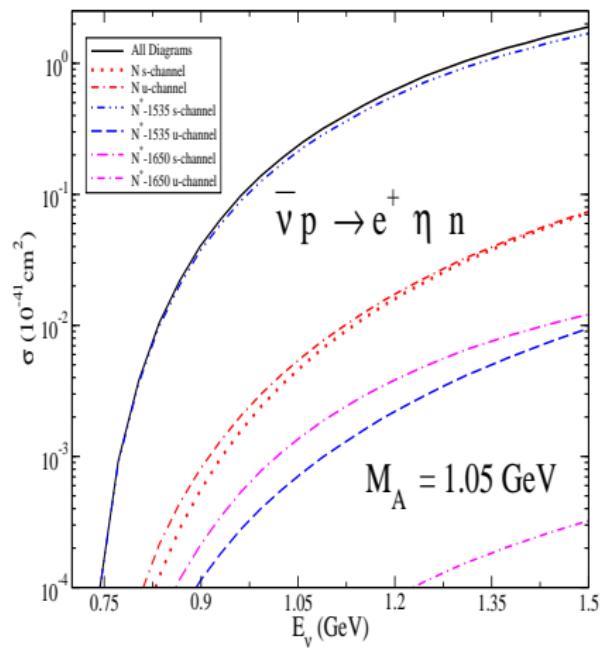
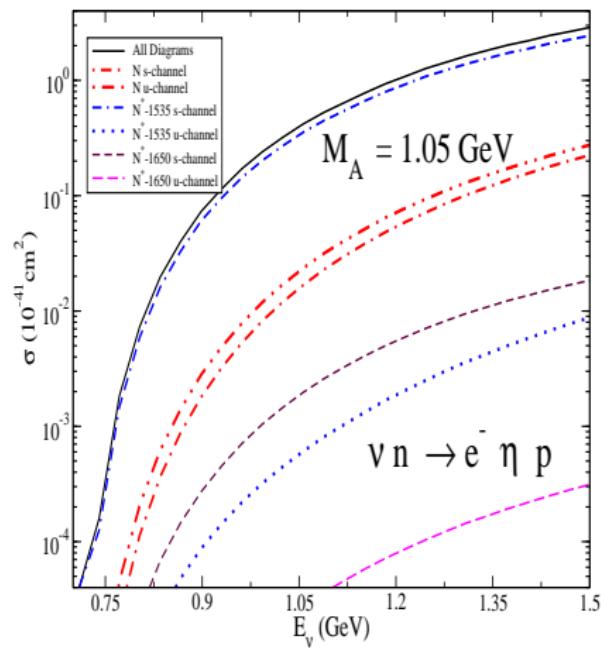
$$F_1^V(Q^2) = F_1^p(Q^2) - F_1^n(Q^2); \quad F_2^V(Q^2) = F_2^p(Q^2) - F_2^n(Q^2).$$

$F_{1,2}^{p,n}(Q^2)$ can then be obtained from the helicity amplitudes $A_{\frac{1}{2}}^{p,n}$, and $S_{\frac{1}{2}}^{p,n}$, which have been conveniently parametrized as

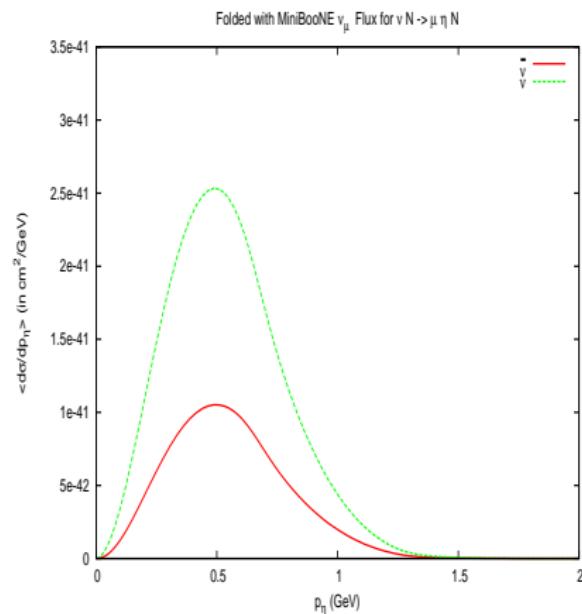
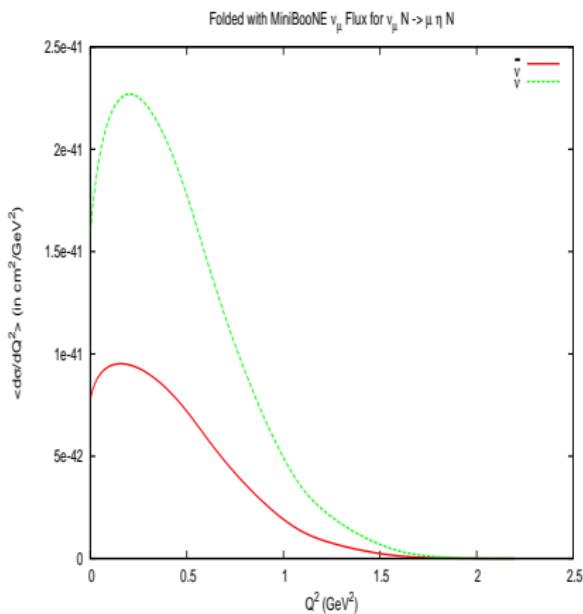
$$\begin{aligned} A_{\frac{1}{2}}^{p,n} &= \sqrt{\frac{2\pi\alpha_e}{M} \frac{(M_R + M)^2 + Q^2}{M_R^2 - M^2}} \left(\frac{Q^2}{4M^2} F_1^{p,n}(Q^2) + \frac{M_R - M}{2M} F_2^{p,n}(Q^2) \right) \\ S_{\frac{1}{2}}^{p,n} &= \sqrt{\frac{\pi\alpha_e}{M} \frac{(M_R - M)^2 + Q^2}{M_R^2 - M^2}} \frac{(M_R + M)^2 + Q^2}{4M_R M} \left(\frac{M_R - M}{2M} F_1^{p,n}(Q^2) - F_2^{p,n}(Q^2) \right) \end{aligned}$$

For the axial form factor $F_A(Q^2)$ we have adopted a dipole form with $M_A = 1.05$ GeV. The pseudoscalar form factor is related to $F_A(Q^2)$ through the PCAC relation

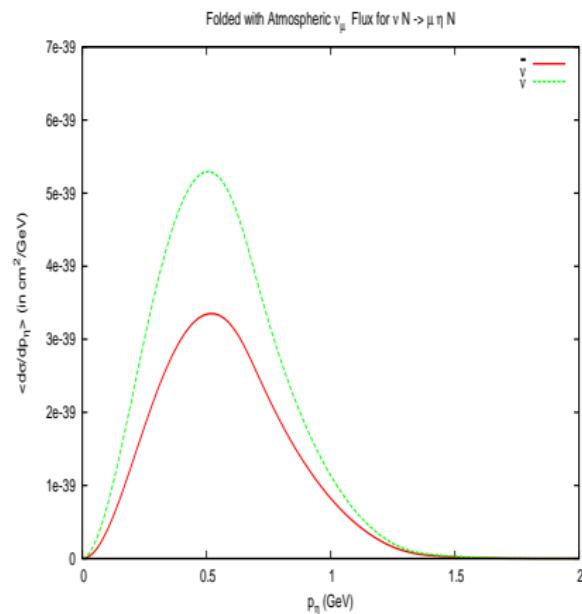
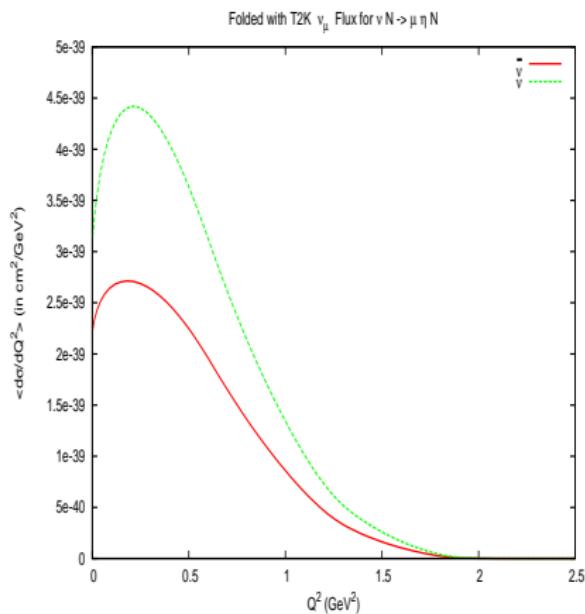
$$\begin{aligned} F_A(Q^2) &= F_A(0) \left(1 + \frac{Q^2}{M_A^2}\right)^{-2}; \\ F_P(Q^2) &= \frac{(M_R - M)M}{Q^2 + m_\pi^2} F_A(Q^2). \end{aligned}$$



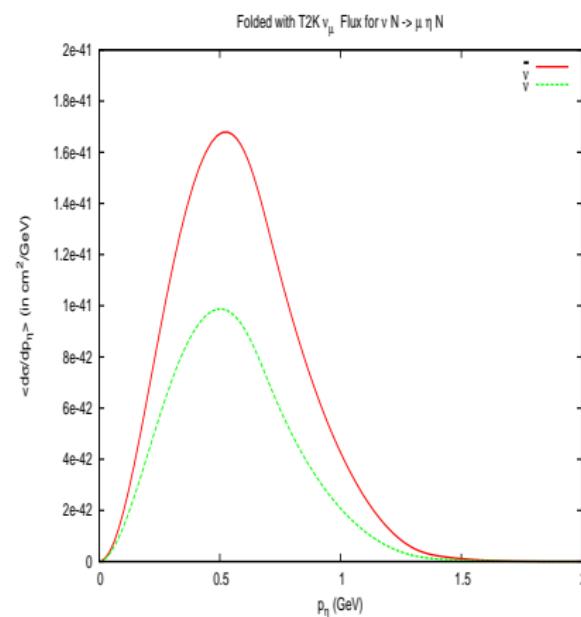
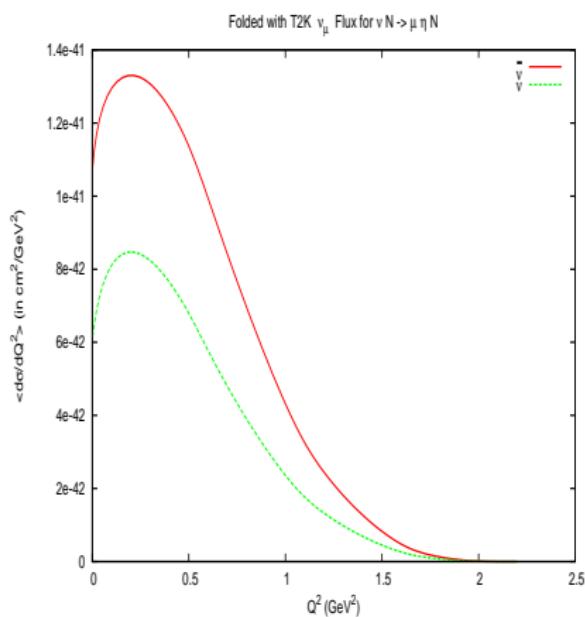
MiniBooNE



Atmospheric



T2K



Outline

1 Motivation

2 Single Kaon Production

3 Hyperon Production

4 Associated Production

5 Eta Production

6 Conclusion

Conclusion

- We find the contribution of contact term to be significant in single kaon production as well as in the associated particle production processes.
- The study may be useful in the analysis of neutrino/antineutrino experiments at MINERvA, NOvA, T2K and others with high statistics and/or higher antineutrino energies.
- Antineutrino induced hyperon production is quite important at the energies of MiniBooNE, T2K or in the analysis of atmospheric neutrino experiments.
- The contribution of background terms in the associated particle production has been presently taken into account and work is in progress to include resonant terms.
- S11-1535 has the dominant contribution to the η -production cross section and the contribution of background terms are also not negligible.

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THANKS FOR YOUR ATTENTION !!

