



JOHANNES GUTENBERG  
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# Overview on Nucleon Form Factors



Marc Vanderhaeghen

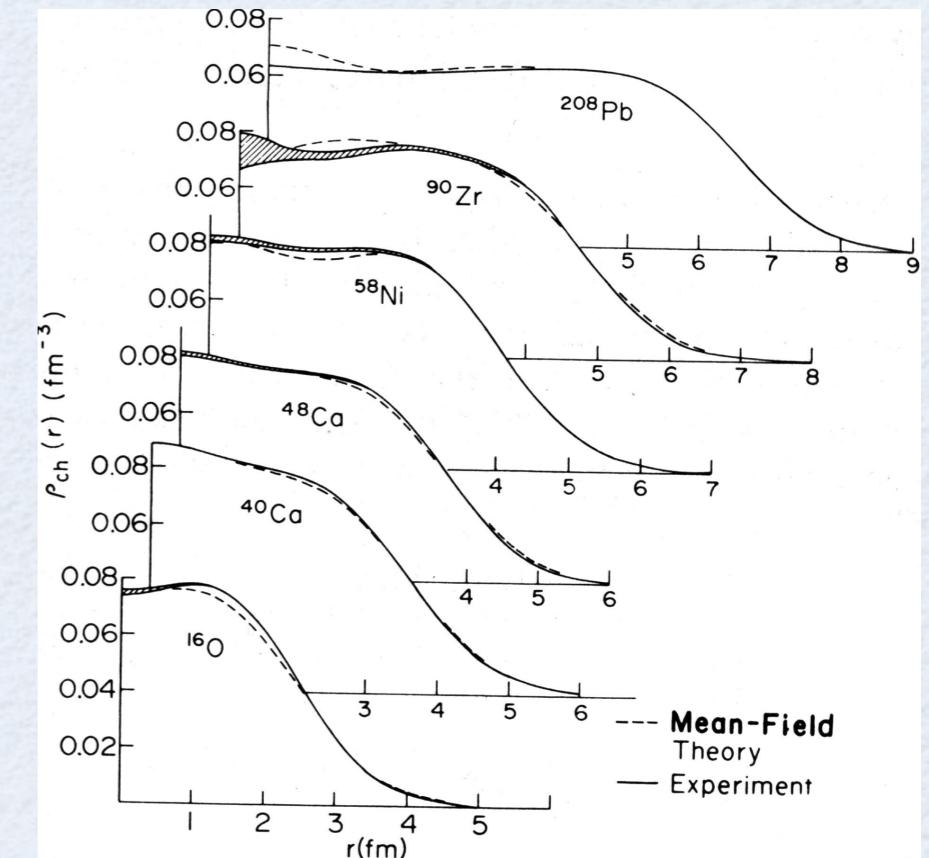
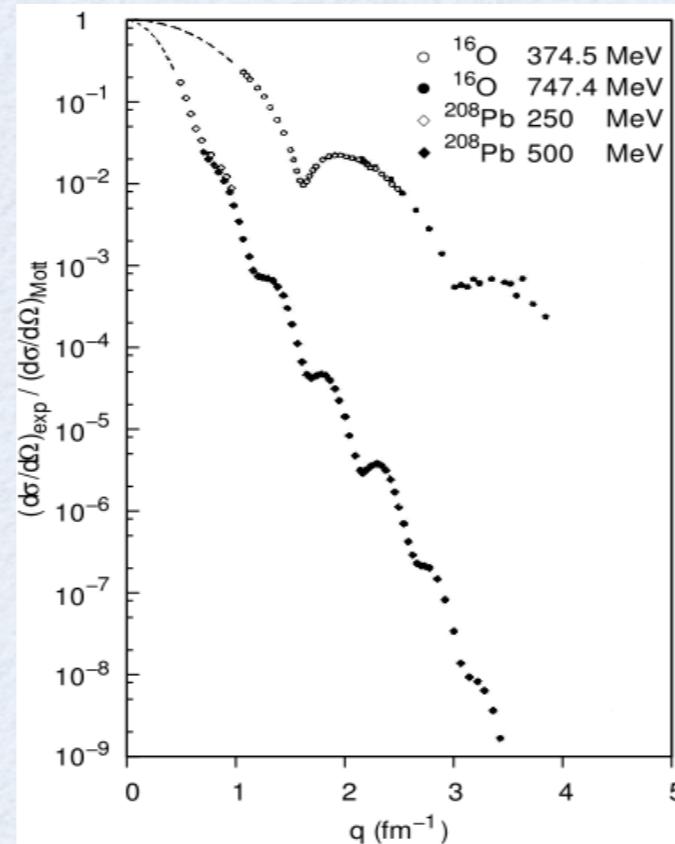
7<sup>th</sup> Workshop on Hadron Physics in China and Opportunities Worldwide

August 3 - 7, 2015

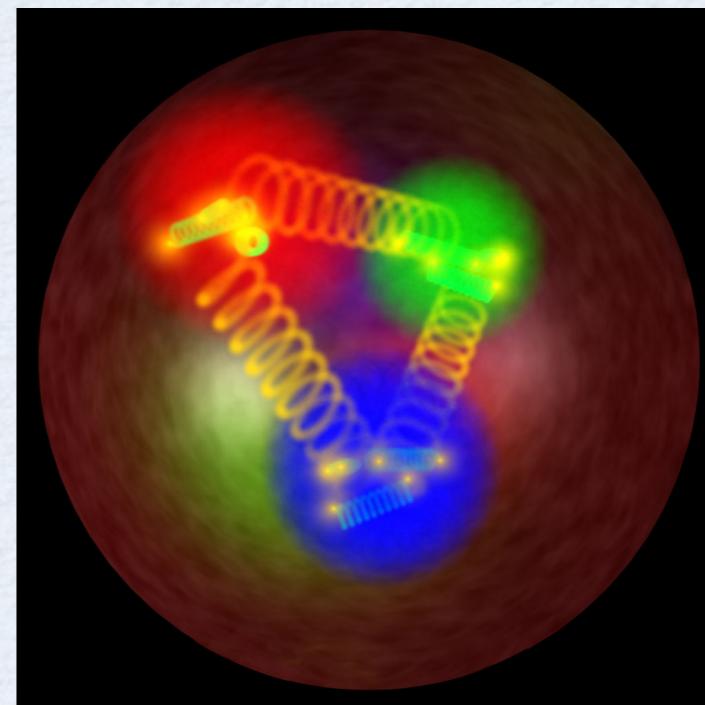
Duke Kunshan University, China

# Part 1: Proton size

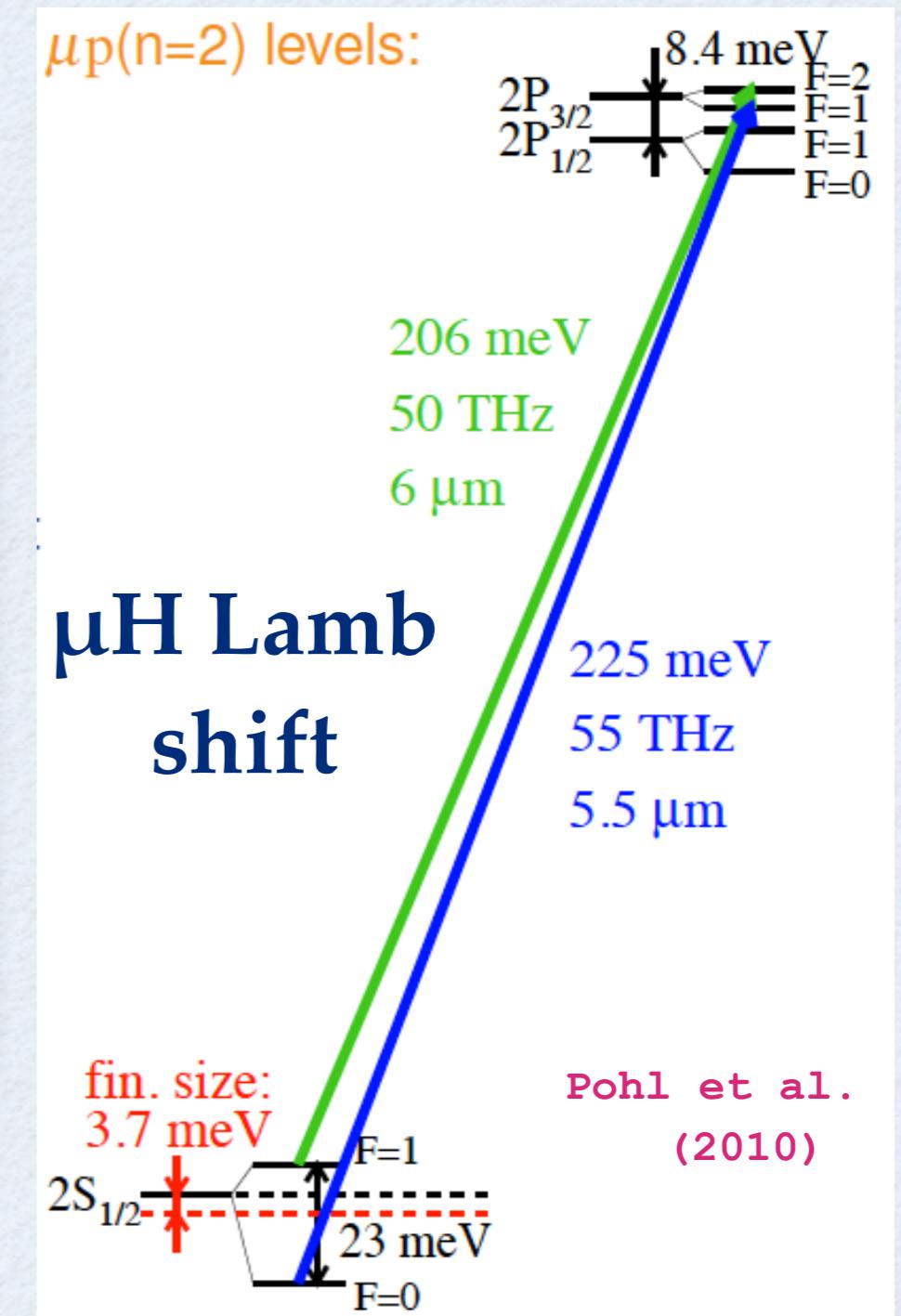
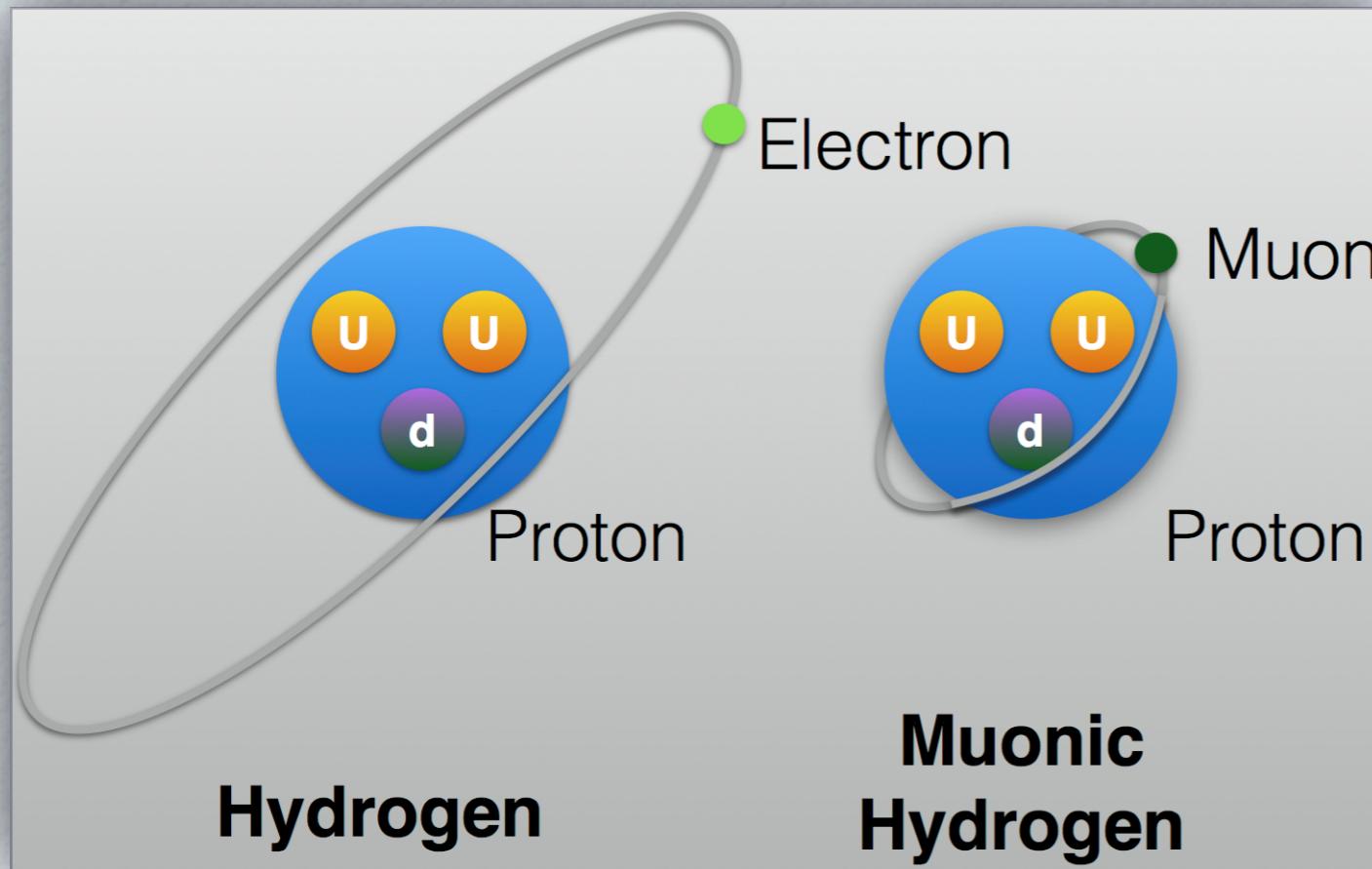
time honored tool:  
electroweak probe



how accurate do we  
know the proton size ?



# Proton radius from Hydrogen spectroscopy



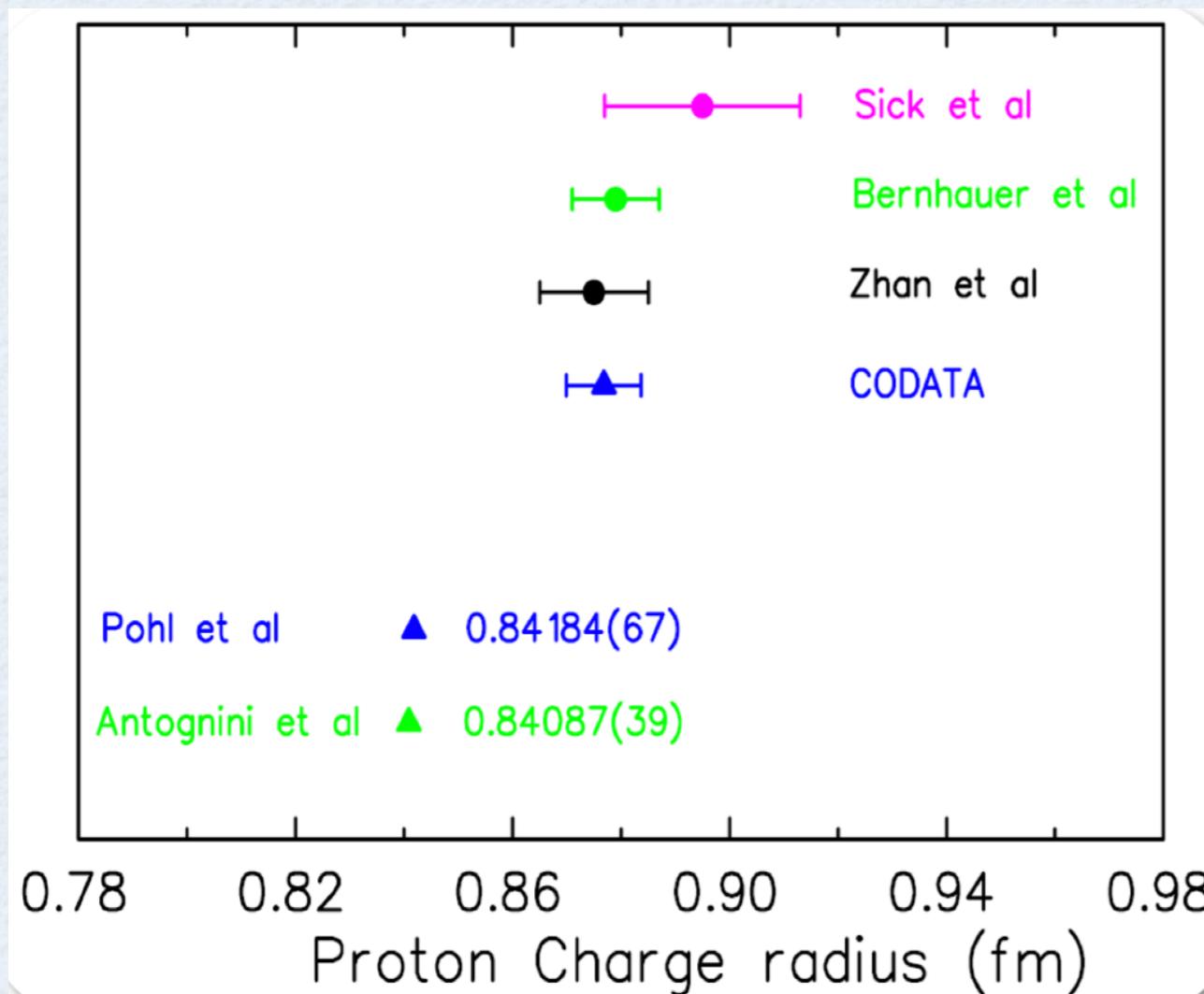
$$\Delta E_{LS} = 209.9779 (49) - 5.2262 R_E^2 + 0.00913 R^3 (2) \text{ meV}$$

3.70 meV

0.026 meV

$O(\alpha^5)$  correction

# Proton radius puzzle



**$\mu H$  data:**

Pohl et al. (2010)

Antognini et al. (2013)

$$R_E = 0.8409 \pm 0.0004 \text{ fm}$$



7  $\sigma$  difference !?

**ep data:**

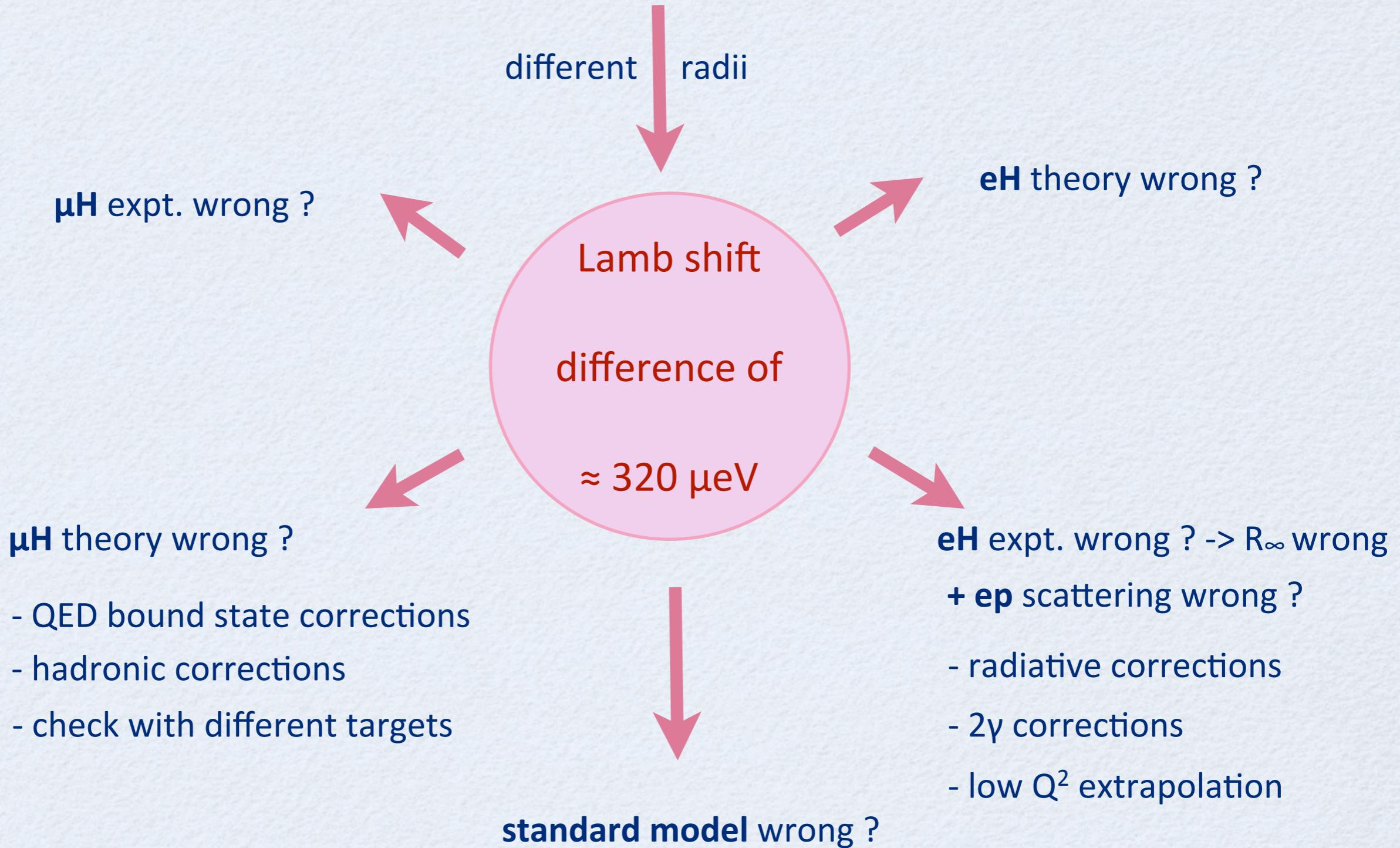
CODATA (2012)

$$R_E = 0.8775 \pm 0.0051 \text{ fm}$$



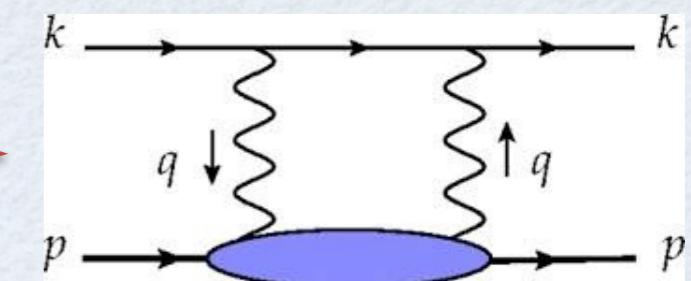
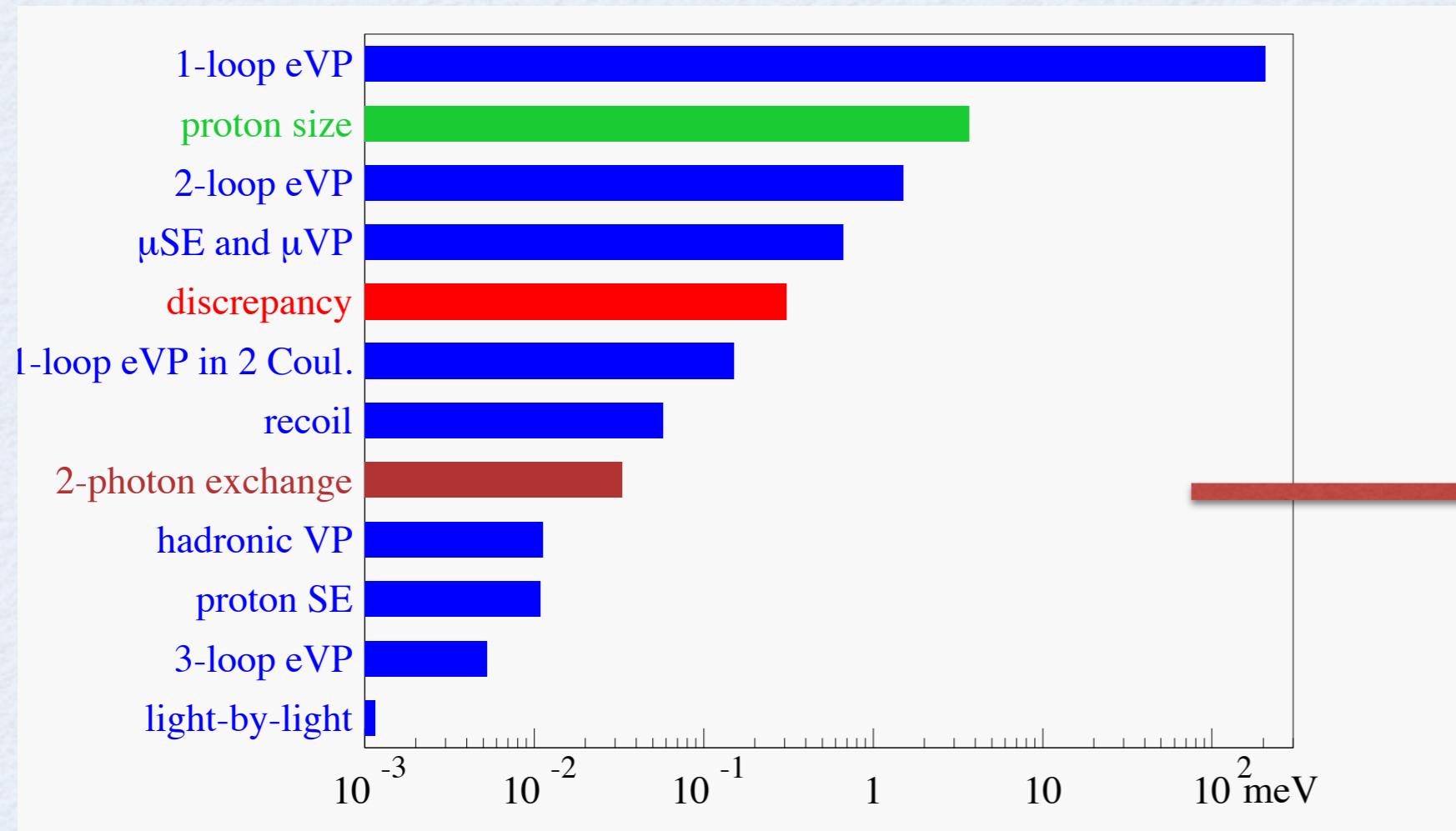
# Proton radius puzzle: what could it mean ?

$$\Delta E_{LS} = 209.9779 \text{ (49)} - 5.2262 R_E^2 + 0.00913 R_E^3 \text{ (2) meV}$$



# Lamb shift: status of known corrections

## $\mu H$ Lamb shift: summary of corrections



largest theoretical uncertainty

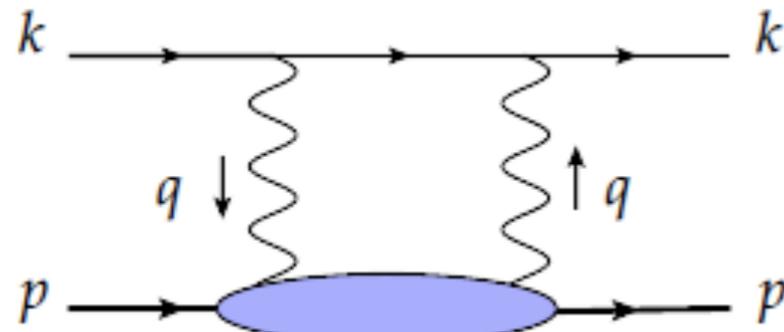
- elastic contribution on 2S level:  $\Delta E_{2S} = -23 \mu\text{eV}$
- inelastic contribution: Carlson, Vdh (2011) + Birse, McGovern (2012)

total hadronic correction on Lamb shift

$$\Delta E_{(2P - 2S)} = (33 \pm 2) \mu\text{eV}$$

...or about 11% of needed correction

# Lamb shift: hadronic corrections (I)



$$\begin{aligned} T^{\mu\nu}(p, q) &= \frac{i}{8\pi M} \int d^4x e^{iqx} \langle p | T j^\mu(x) j^\nu(0) | p \rangle \\ &= \left( -g^{\mu\nu} + \frac{q^\mu q^\nu}{q^2} \right) T_1(\nu, Q^2) \\ &+ \frac{1}{M^2} \left( p^\mu - \frac{p \cdot q}{q^2} q^\mu \right) \left( p^\nu - \frac{p \cdot q}{q^2} q^\nu \right) T_2(\nu, Q^2) \end{aligned}$$

→ Lower blob contains both elastic (nucleon) and in-elastic states

Information contained in **forward, double virtual Compton scattering**

**Hadron physics  
input required**

- Described by two amplitudes  $T_1$  and  $T_2$ : function of energy  $\nu$  and virtuality  $Q^2$

- Imaginary parts of  $T_1$ ,  $T_2$ : unpolarized structure functions of proton

$$\begin{aligned} \text{Im } T_1(\nu, Q^2) &= \frac{1}{4M} F_1(\nu, Q^2) \\ \text{Im } T_2(\nu, Q^2) &= \frac{1}{4\nu} F_2(\nu, Q^2) \end{aligned}$$

→  $\Delta E$  evaluated through an integral over  $Q^2$  and  $\nu$

$$\begin{aligned} \Delta E &= \Delta E^{el} \\ &+ \Delta E^{subtr} \\ &+ \Delta E^{inel} \end{aligned}$$

→ Elastic state: involves **nucleon form factors**

→ Subtraction: involves **nucleon polarizabilities**

→ Inelastic, dispersion integrals: involves **structure functions  $F_1, F_2$**

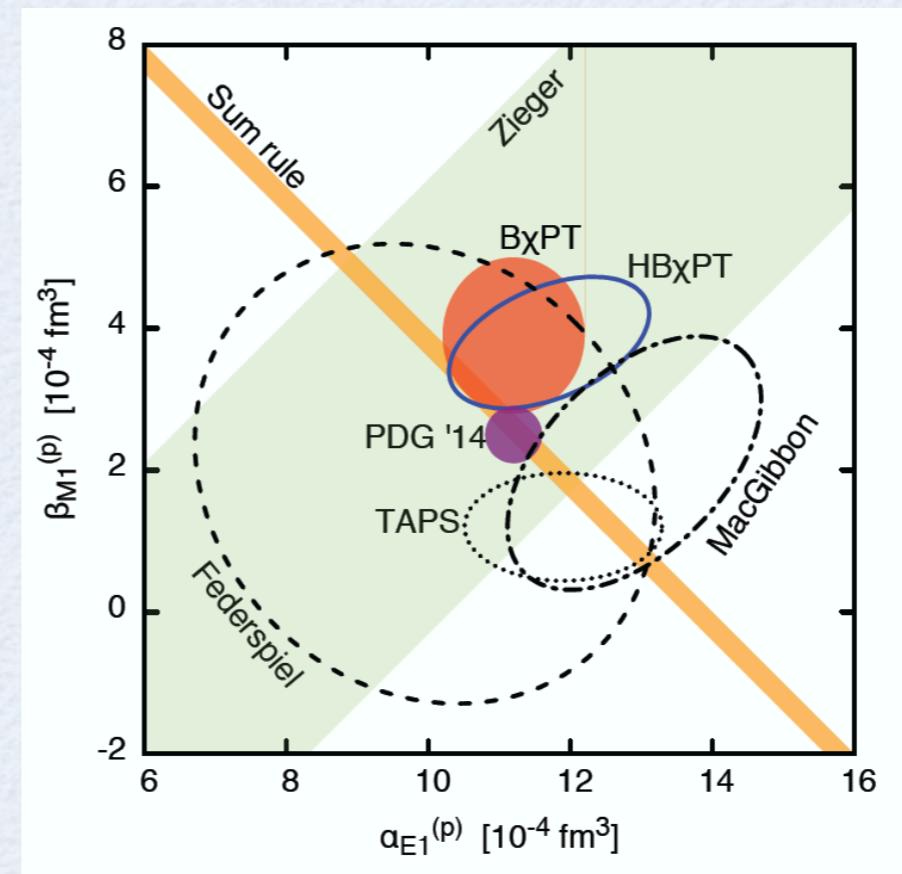
# Lamb shift: hadronic corrections (II)

→ low-energy expansion of forward,  
doubly virtual Compton scattering  
contains a subtraction term  $T_1(0, Q^2)$

effective Hamiltonian:

$$\mathcal{H} = -\frac{1}{2} 4\pi \alpha_E \vec{E}^2 - \frac{1}{2} 4\pi \beta_M \vec{B}^2$$

↓                    ↓  
electric              magnetic  
polarizabilities



Theory analyses:  
**BChPT**  
**Lensky, Pascalutsa (2010)**

**HBChPT**  
**Griesshammer, McGovern, Phillips (2013)**

**PDG '14 values:**

$$\alpha_E = (11.2 \pm 0.2) \times 10^{-4} \text{ fm}^3$$

$$\beta_M = (2.5 \pm 0.4) \times 10^{-4} \text{ fm}^3$$

→ subtraction term  $T_1(0, Q^2)$

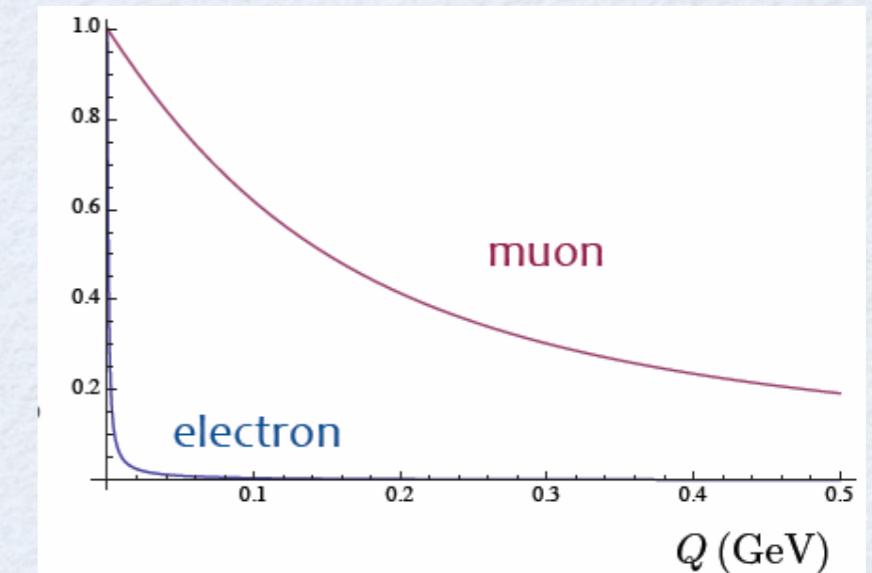
$$T_1^{\text{non-Born}}(0, Q^2) = \frac{Q^2}{e^2} \beta_M + \mathcal{O}(Q^4)$$

$$T_2^{\text{non-Born}}(0, Q^2) = \frac{Q^2}{e^2} (\alpha_E + \beta_M) + \mathcal{O}(Q^4)$$

next order terms: calculable in chiral perturbation theory

Nevado, Pineda (2008) ; Birse, McGovern (2012) ;  
Alarcon, Lensky, Pascalutsa (2014)

weighting function in Lamb shift



# Lamb shift: hadronic corrections summary

polarizability correction  
on 2S level in  $\mu\text{H}$

dispersive estimates

HBChPT

HBChPT  
+ dispersive

BChPT

( $\mu\text{eV}$ )	Pachucki [9]	Martynenko [10]	Nevado and Pineda [11]	Carlson and Vanderhaeghen [12]	Birse and McGovern [13]	Gorchtein et al. [14]	LO-B $\chi$ PT [this work]
$\Delta E_{2S}^{(\text{subt})}$	1.8	2.3	–	5.3 (1.9)	4.2 (1.0)	–2.3 (4.6) <sup>a</sup>	–3.0
$\Delta E_{2S}^{(\text{inel})}$	–13.9	–13.8	–	–12.7 (5)	–12.7 (5) <sup>b</sup>	–13.0 (6)	–5.2
$\Delta E_{2S}^{(\text{pol})}$	–12 (2)	–11.5	–18.5	–7.4 (2.4)	–8.5 (1.1)	–15.3 (5.6)	–8.2( <sup>+1.2</sup> <sub>–2.5</sub> )

<sup>a</sup> Adjusted value; the original value of Ref. [14], +3.3, is based on a different decomposition into the ‘elastic’ and ‘polarizability’ contributions

<sup>b</sup> Taken from Ref. [12]

- [9] K. Pachucki, Phys. Rev. A **60**, 3593 (1999).
- [10] A. P. Martynenko, Phys. Atom. Nucl. **69**, 1309 (2006).
- [11] D. Nevado and A. Pineda, Phys. Rev. C **77**, 035202 (2008).
- [12] C. E. Carlson and M. Vanderhaeghen, Phys. Rev. A **84**, 020102 (2011).
- [13] M. C. Birse and J. A. McGovern, Eur. Phys. J. A **48**, 120 (2012).
- [14] M. Gorchtein, F. J. Llanes-Estrada and A. P. Szczepaniak, Phys. Rev. A **87**, 052501 (2013).

[LO- $B\chi$ PT] Alarcon, Lensky, Pascalutsa, EPJC (2014) 74:2852

total hadronic correction on Lamb shift

$$\Delta E_{(2P - 2S)} = (33 \pm 2) \mu\text{eV}$$

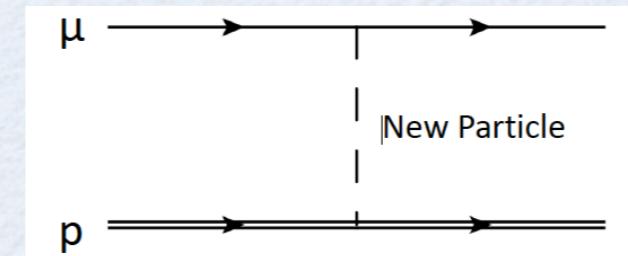
...or about 11% of needed correction

# Proton radius puzzle: new physics ?



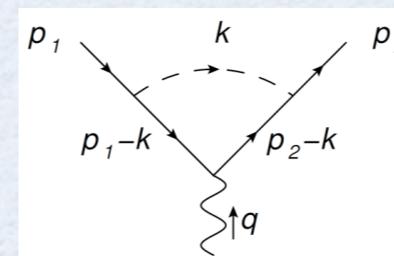
**new muonic forces ?**

lepton universality-violating models



invoking exchange of hypothetical light boson

**challenge:** new physics must also respect  $(g-2)_\mu$  discrepancy



simultaneously explain 1 ppm and  $10^4$  ppm discrepancies !!!

Tucker-Smith Yavin (2010)

Barger, Chiang, Keung, Marfia (2011)



parity-violating muonic forces (V and A)

fine tuning between V and A coupling to muon

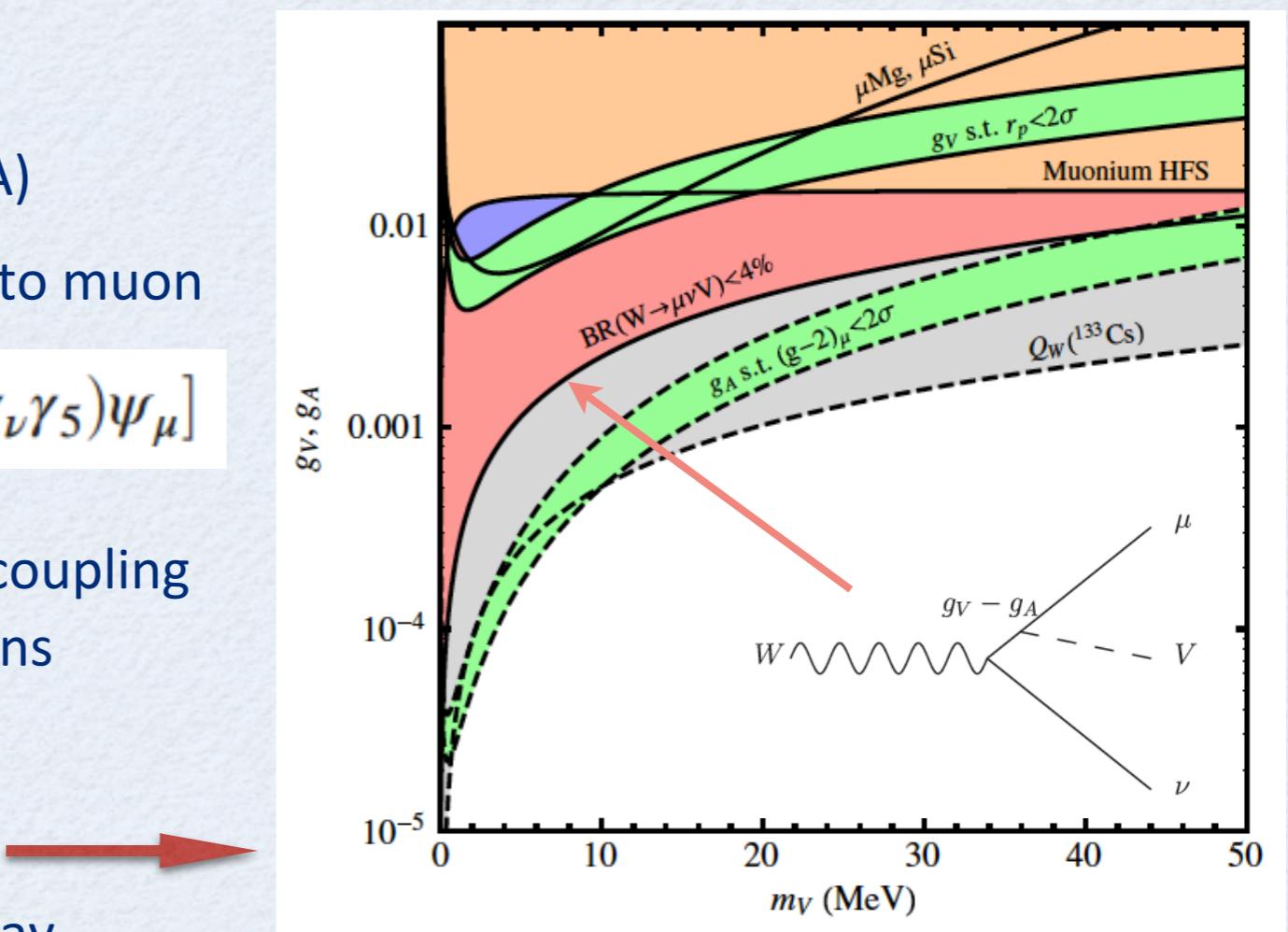
$$\mathcal{L}_{\text{int}} = -V_\nu [k J_\nu^{\text{em}} - \bar{\psi}_\mu (g_V \gamma_\nu + g_A \gamma_\nu \gamma_5) \psi_\mu]$$

↑  
all leptons      ↑  
V and A coupling to muons

Batell, McKeen, Pospelov (2011)

Carlson, Rislow (2012)

Karshenboim, McKeen, Pospelov (2014)



strong constraint from leptonic W decay

embedding in a renormalizable theory required

Carlson, Freid (in progress)

# Proton radius puzzle: what's next ?

- μH Lamb shift: muonic D, muonic  $^3\text{He}$ ,  $^4\text{He}$  have been performed
- electronic H Lamb shift: higher accuracy measurements underway
- electron scattering analysis: [Lorenz et al.](#)
  - radius extraction fits (use fits with correct analytical behavior:  $2\pi$  cut)
  - radiative corrections, two-photon exchange corrections

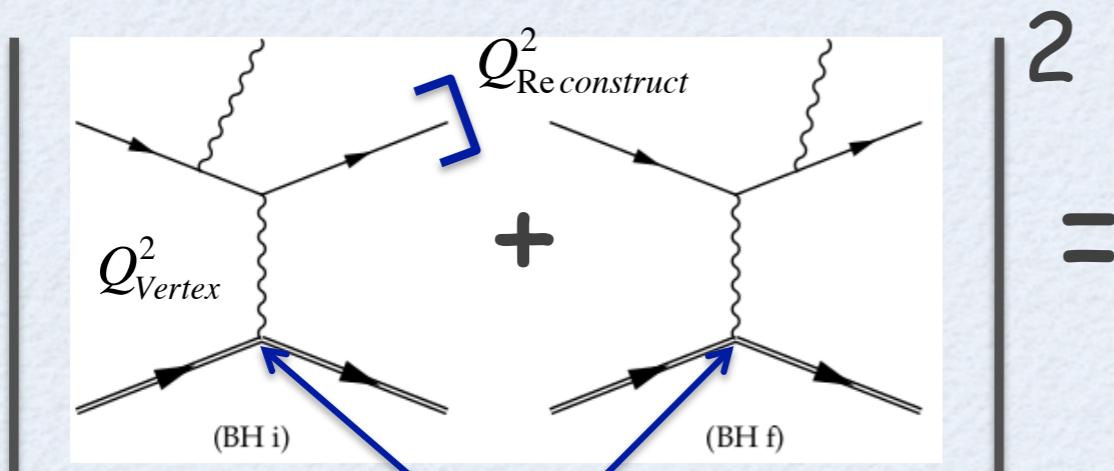
new fit  $R_E = 0.904(15) \text{ fm}$  ( $4\sigma$  from μH) [Lee, Arrington, Hill \(2015\)](#)

- electron scattering experiments:
  - new  $G_{Ep}$  experiments down to  $Q^2 \approx 2 \times 10^{-4} \text{ GeV}^2$
  - [MAMI/A1](#): Initial State Radiation (2013/4)
  - [JLab/Hall B](#): HyCal, magnetic spectrometer-free experiment, norm to Møller (2016/7)
  - [MESA](#): low-energy, high resolution spectrometers (2019)

see talk: H. Gao
- muon scattering experiments: [MUSE@PSI](#) (2017/8)
- $e^-e^+$  versus  $\mu^-\mu^+$  photoproduction: lepton universality test

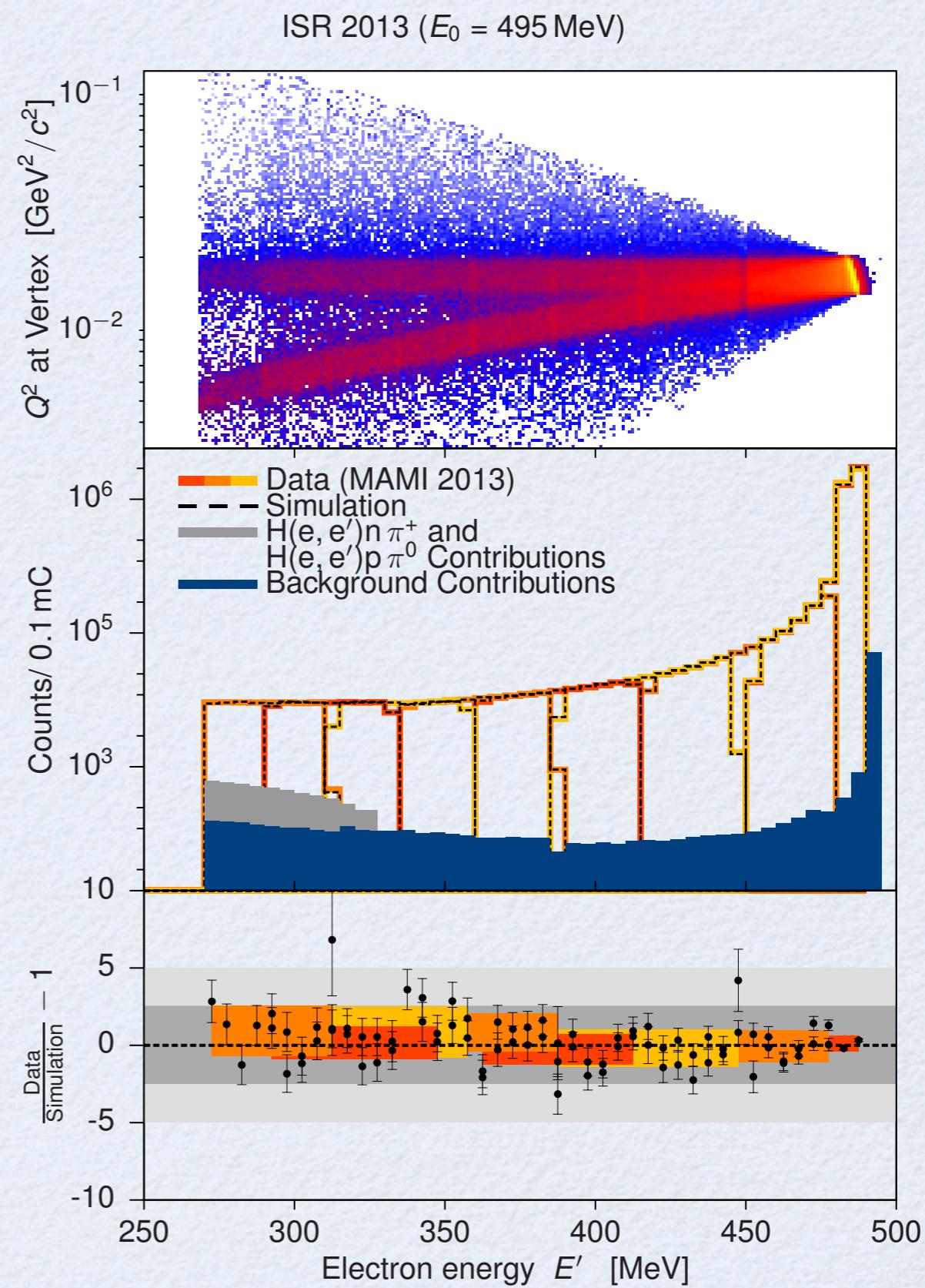
# ISR@MAMI experiment

- Extracting FFs from the radiative tail.
- Radiative tail dominated by coherent sum of two Bethe-Heitler diagrams.



- In data ISR can not be distinguished from FSR. **Combining data with the simulation,  $G_e^p$  at  $Q^2 \sim 10^{-4}$  ( $\text{GeV}/c^2$ ) reached.**
- Experiment performed in 2013.
- Preliminary results at high  $Q^2$  demonstrate 2% agreement in a region with known FFs.

Mihovilovic et al. (2015)



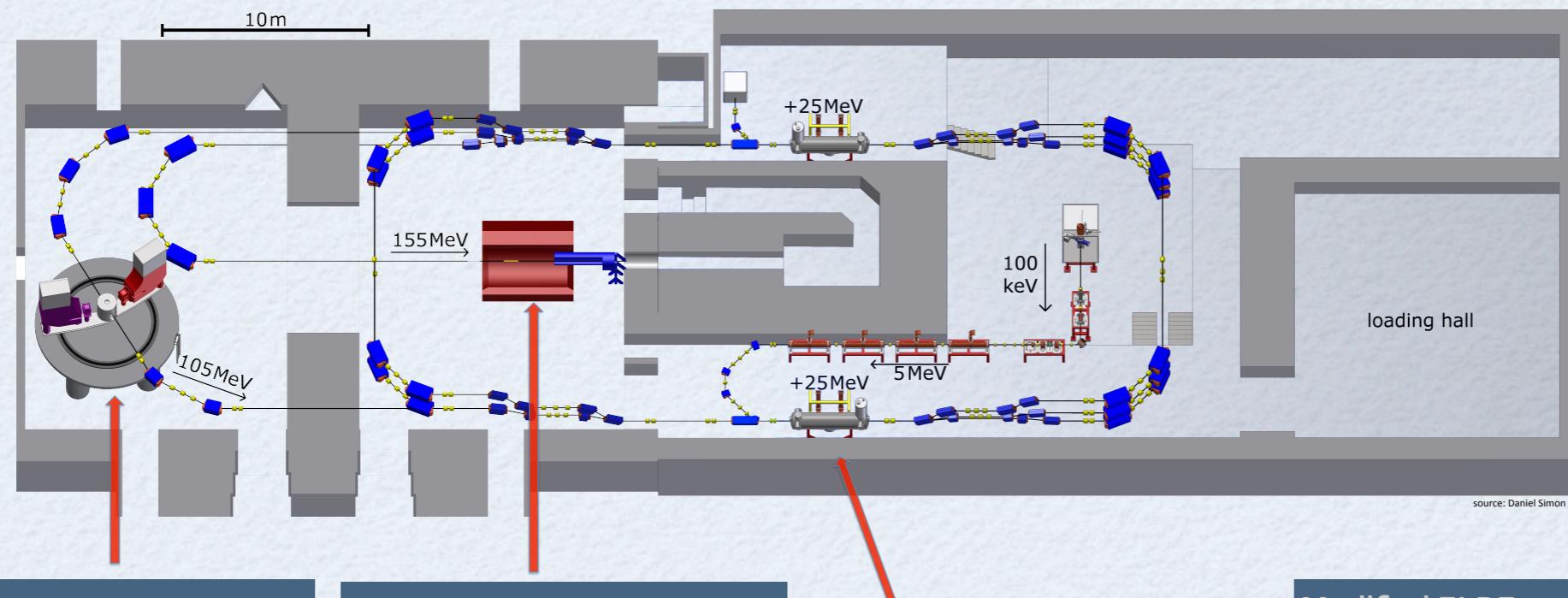
# MESA: Mainz Energy Recovering Superconducting Accelerator

## Key data

- polarized beam:  $150\mu\text{A}$  &  $155\text{MeV}$  for external target in non energy recovery mode (EB)
- unpolarized beam:  $10\text{mA}$  &  $105\text{MeV}$  for internal target in energy recovery mode (ER)
- normalized emittance  $< 1\text{mm}$
- 2 cryomodules, 2 superconducting 9-cell cavities each
- expected commissioning: 2018

## Current status

- cryomodules ordered and under construction
- lattice design advancing
- most architectural challenges solved
- radiation protection simulations finished
- preparing tender for magnets, power supplies, vacuum system, etc.

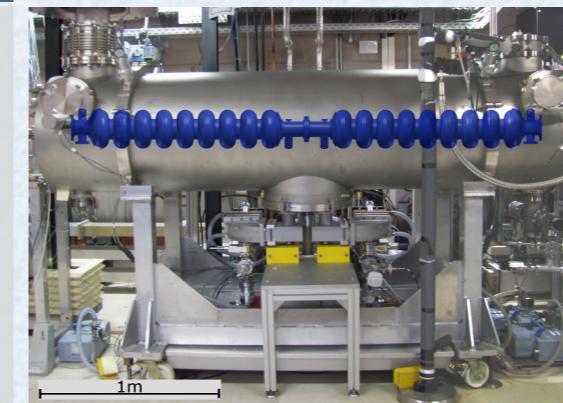


## Internal target MAGIX

- search for the dark photon, proton radius, polarizabilities, few-body physics program
- hydrogen gas target
- luminosity  $\sim 10^{34}\text{cm}^{-2}\text{s}^{-1}$
- works in ER mode

## External target P2

- precise measurement of Weinberg angle
- measurement of lead neutron skin
- liquid hydrogen / lead target
- luminosity  $\sim 10^{39}\text{cm}^{-2}\text{s}^{-1}$
- works in EB mode



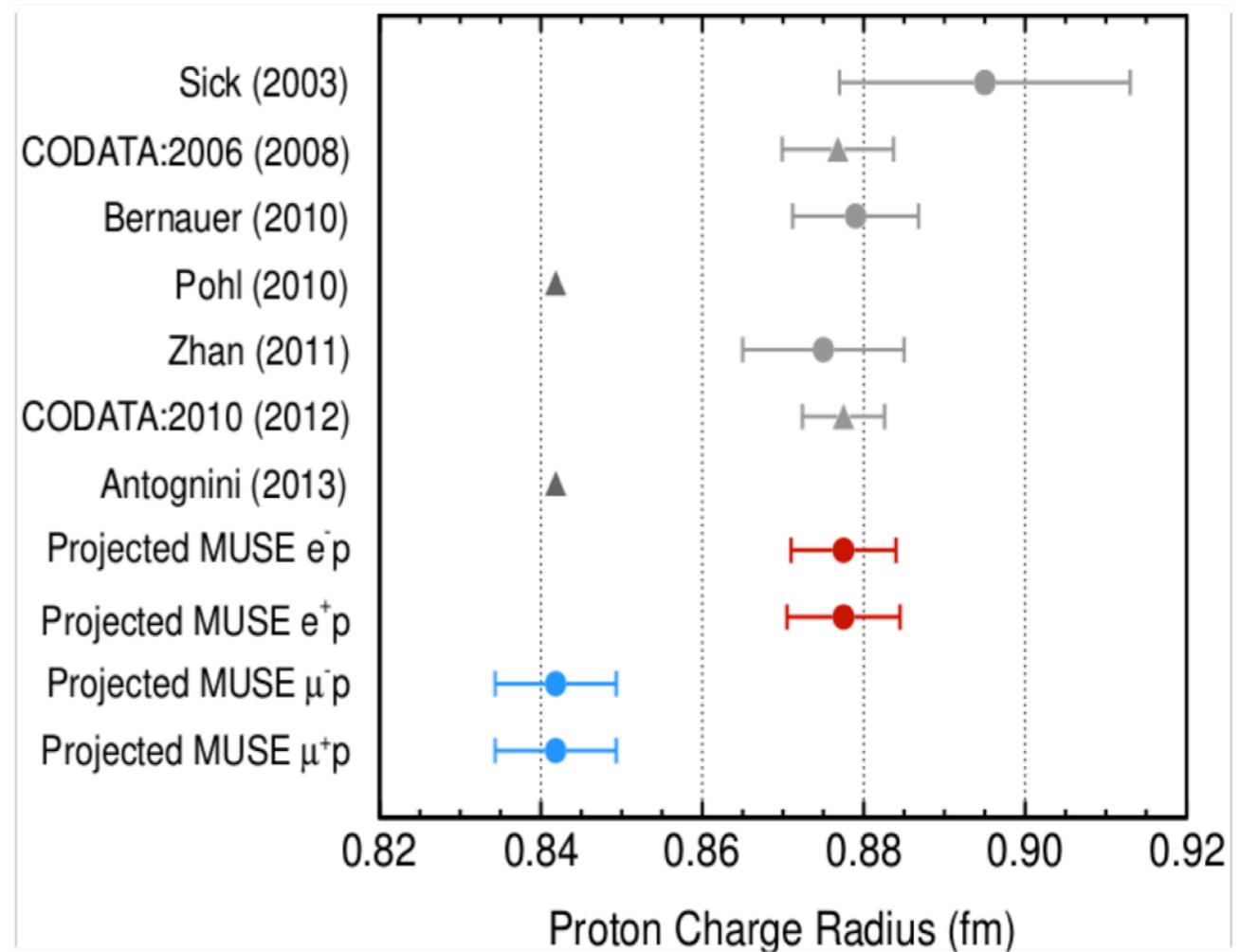
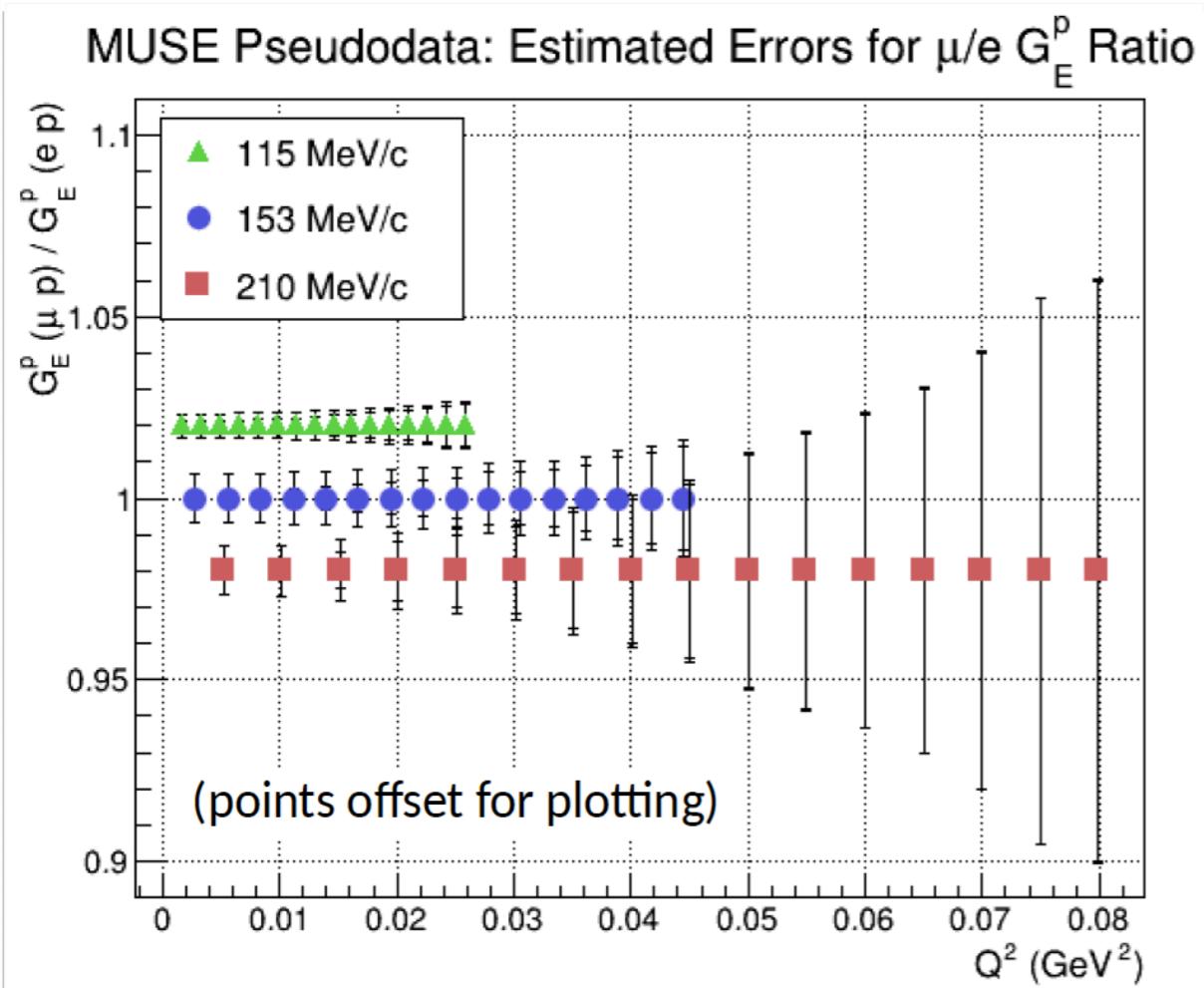
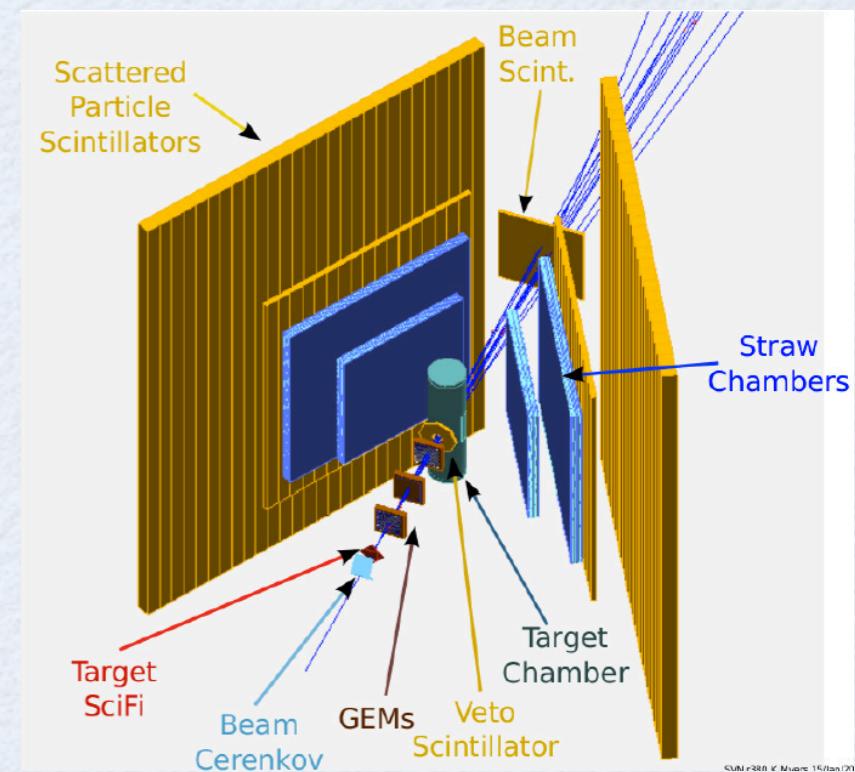
## Modified ELBE-type

- TESLA/XFEL cavities
- 25 MeV energy gain per cryomodule
- cryogenic loss:  $40\text{W}$  at  $4\text{K}$
- 3 passes in EB mode
- $2 \times 2$  passes in ER mode

# MUSE@PSI experiment

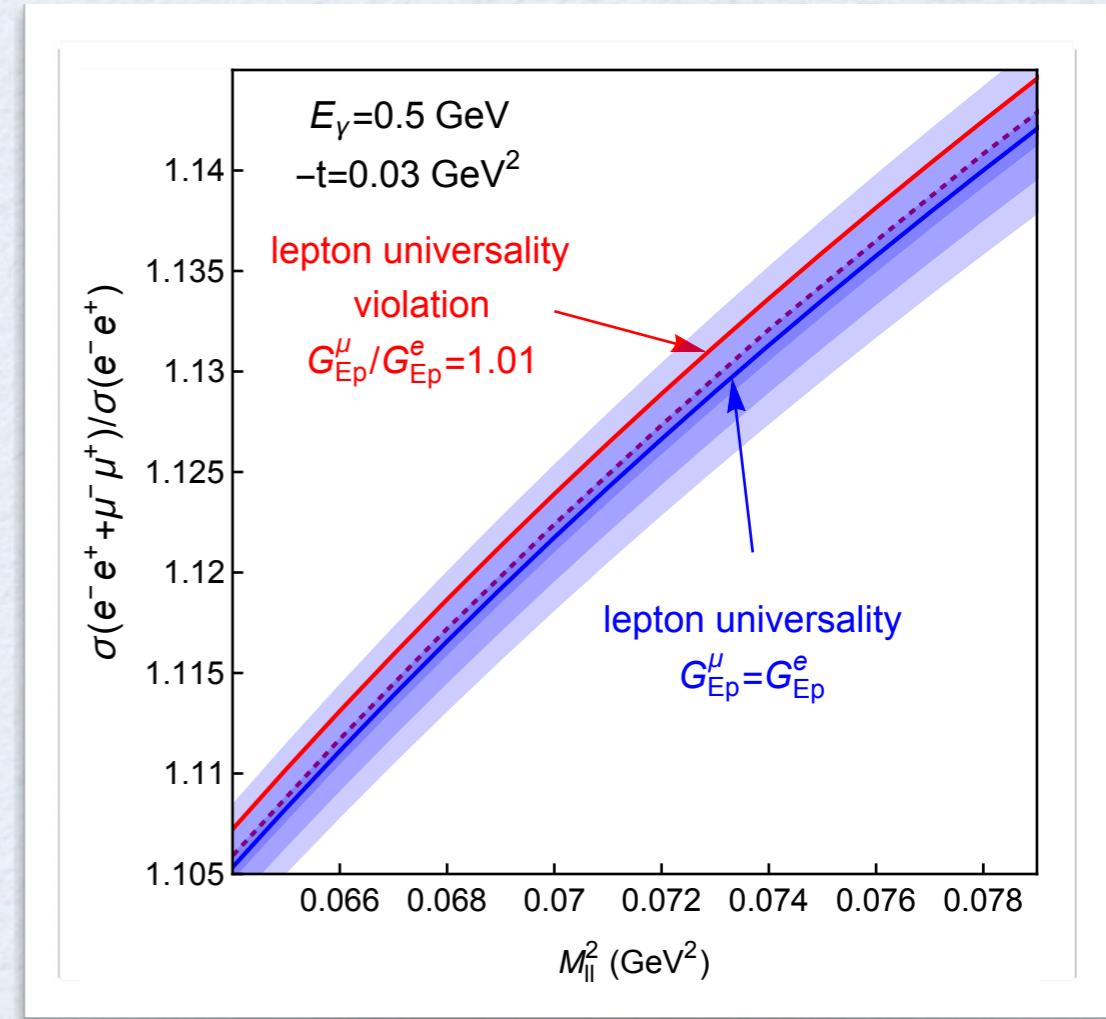
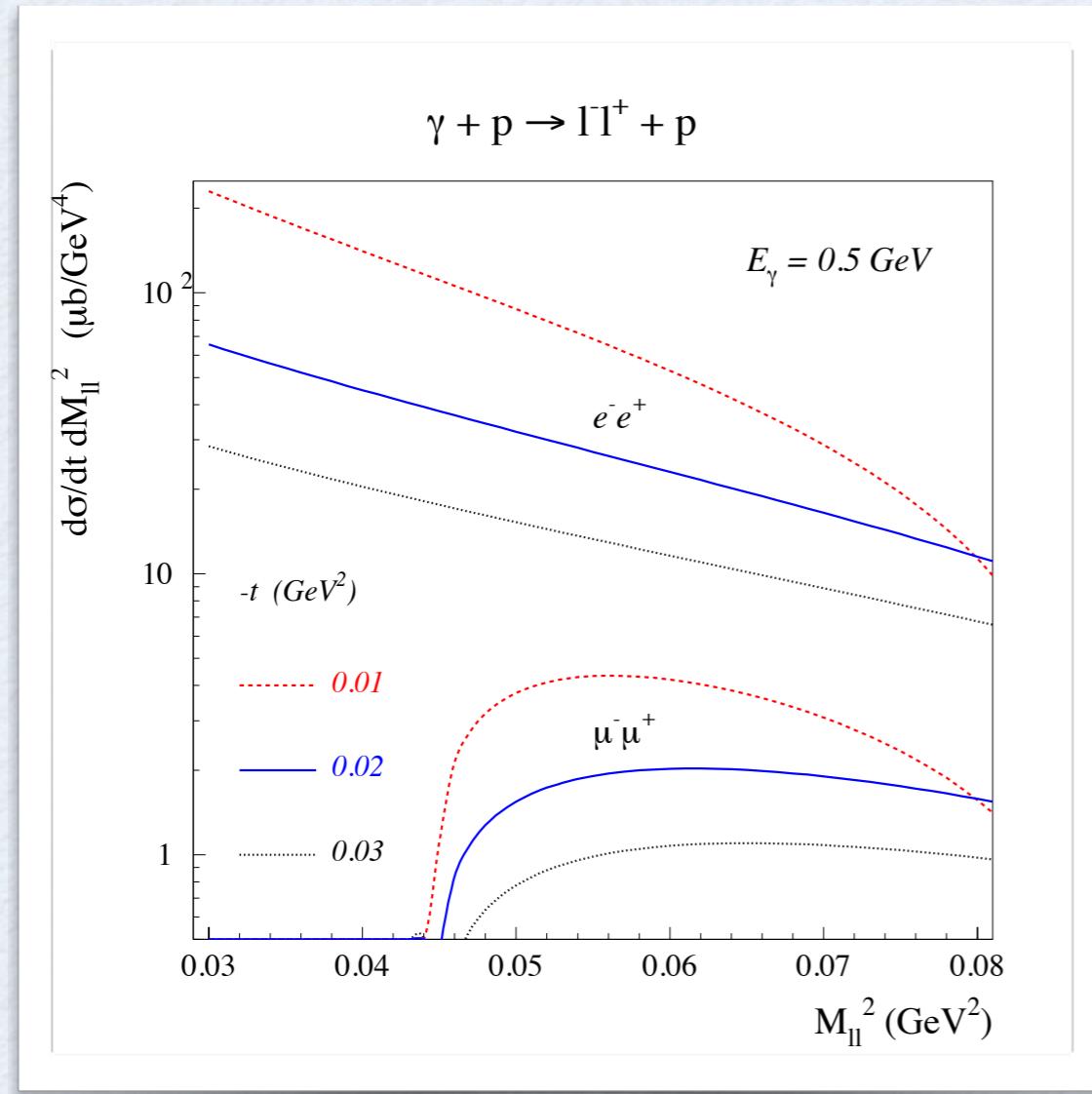
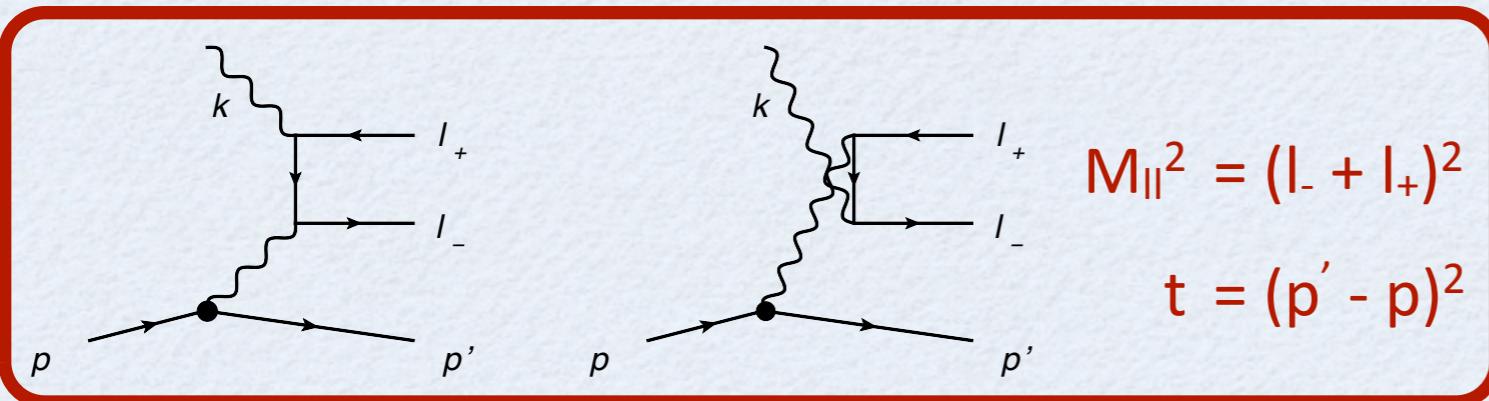
simultaneous measurement of  $e$  and  $\mu$

elastic scattering absolute cross sections



production run planned 2017 - 2018

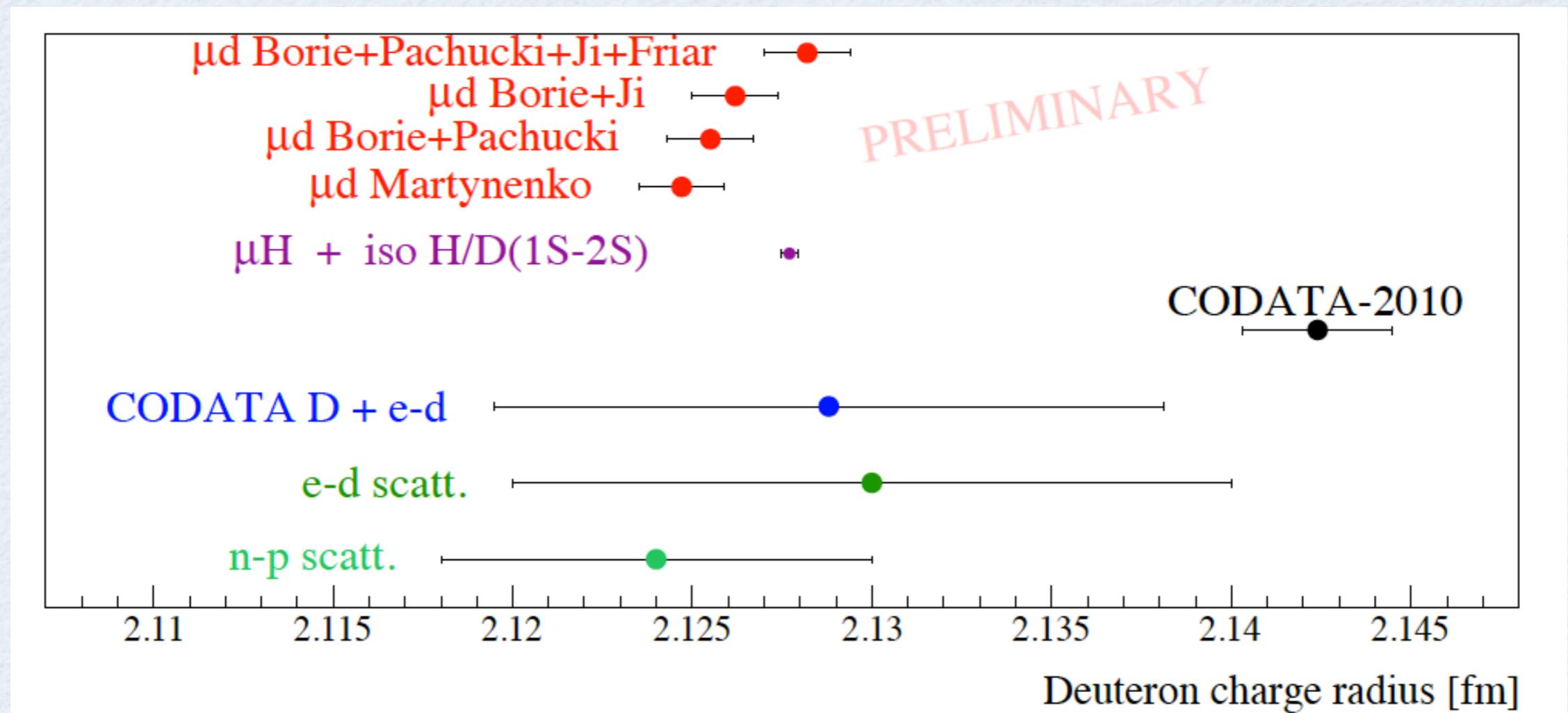
# Lepton universality test in $\gamma p \rightarrow e^-e^+ p$ vs $\gamma p \rightarrow \mu^-\mu^+ p$



difference in measured proton charge FF  
 in electron vs muon observables  
 leads to a **0.2% absolute effect**  
 in  $(e^-e^+ + \mu^-\mu^+)$  vs  $\mu^-\mu^+$  ratio

# $\mu D$ Lamb shift experiment

- H/D isotope shift ( $1S - 2S$ ):  $r_d^2 - r_p^2 = 3.82007 \pm 0.00065 \text{ fm}^2$  Parthey et al. (2010)
- new  $\mu D$  Lamb shift experiment performed @ PSI

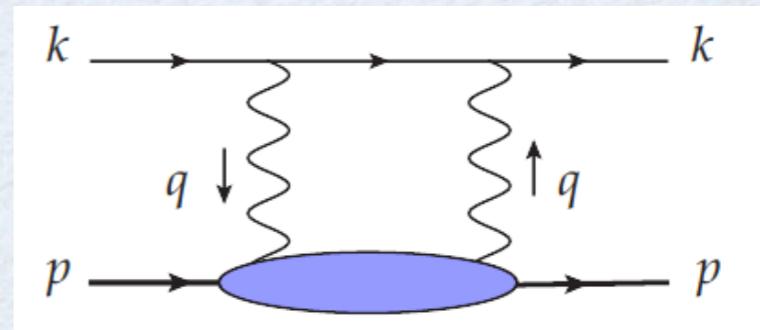


- caveat: error bar for  $\mu D$  does not include polarization correction
- new radius measurement from e-d scattering was performed @ MAMI (2014)  
factor 2 improvement expected

# Polarization correction for $\mu D$ Lamb shift

→ polarization correction needs to be

controlled to extract deuteron charge radius



Ref.	$\Delta E_{2P-2S}^{(\text{structure})}$ (meV)
Pachucki (AV18) (2011)	1.680(16)
Friar (zero range approximation) (2013)	1.697(19)
Hernandez et al. (AV18, N <sup>3</sup> LO) (2014)	1.709(20)
Pachucki, Wienczek (2015)	1.707(20)
Krauth et al. (2015)	1.709(15)
Gorchtein et al. (2014)	1.748(740)

potential models

compilation of potential models

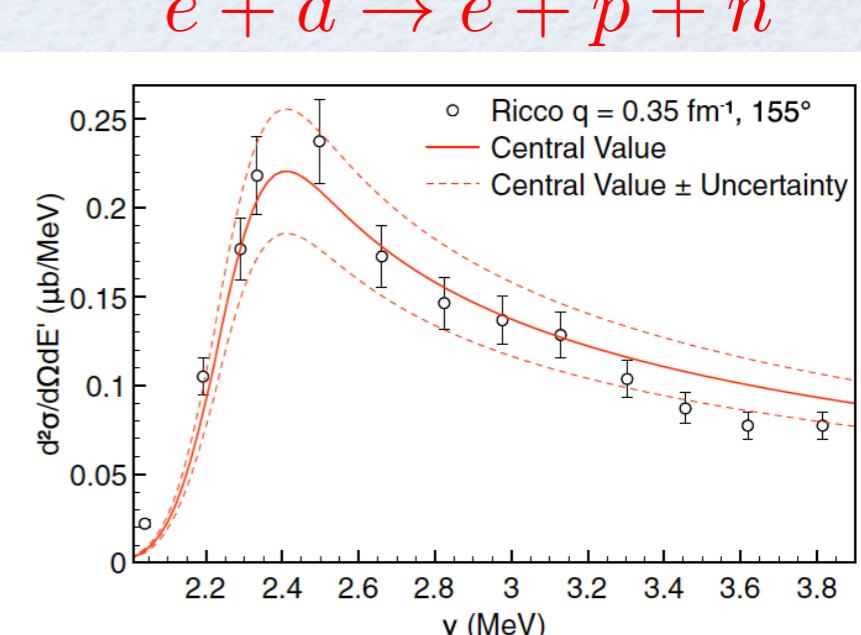
data based: dispersive analysis

→ Experimental check of polarization correction:

- can be related using a dispersive analysis to deuteron FFs, unpolarized structure functions, polarizabilities
- present fit to world data yields large uncertainty (740  $\mu\text{eV}$ )
- nearly all uncertainty at present arises from deuteron threshold disintegration region

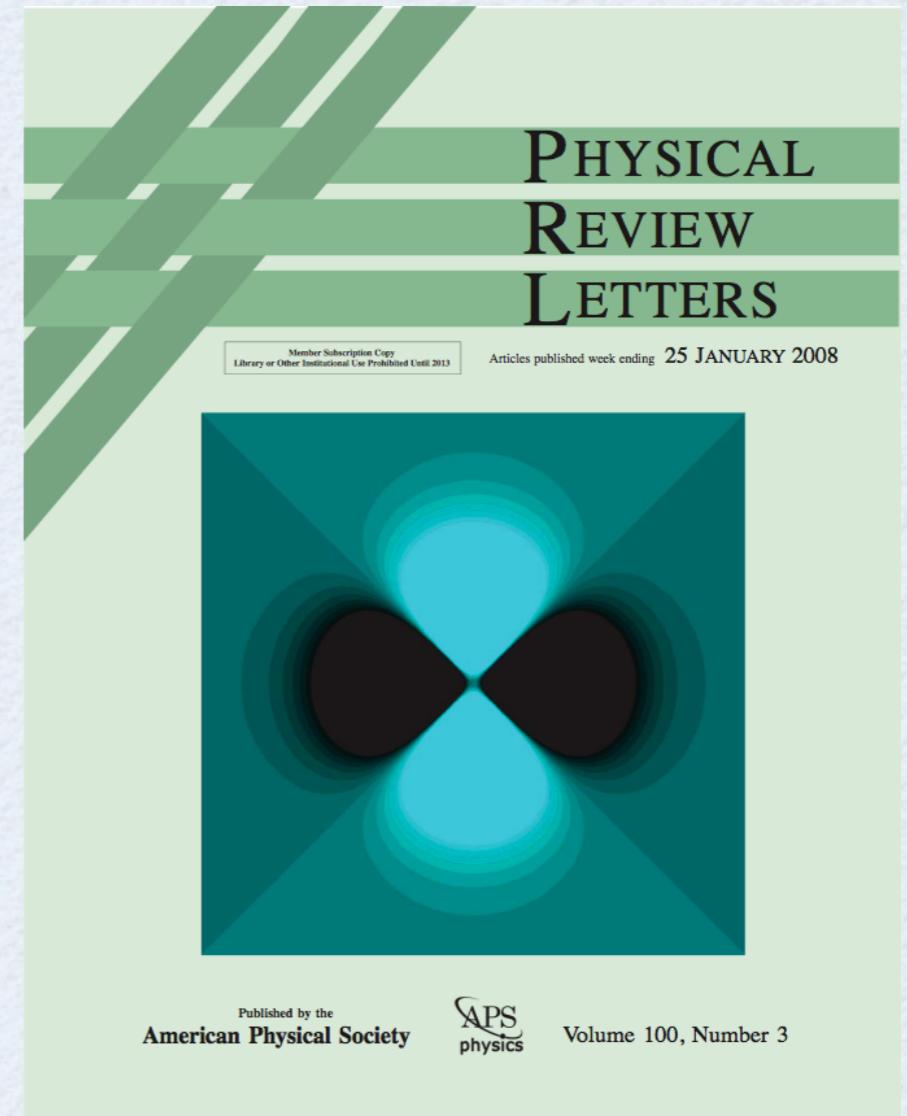
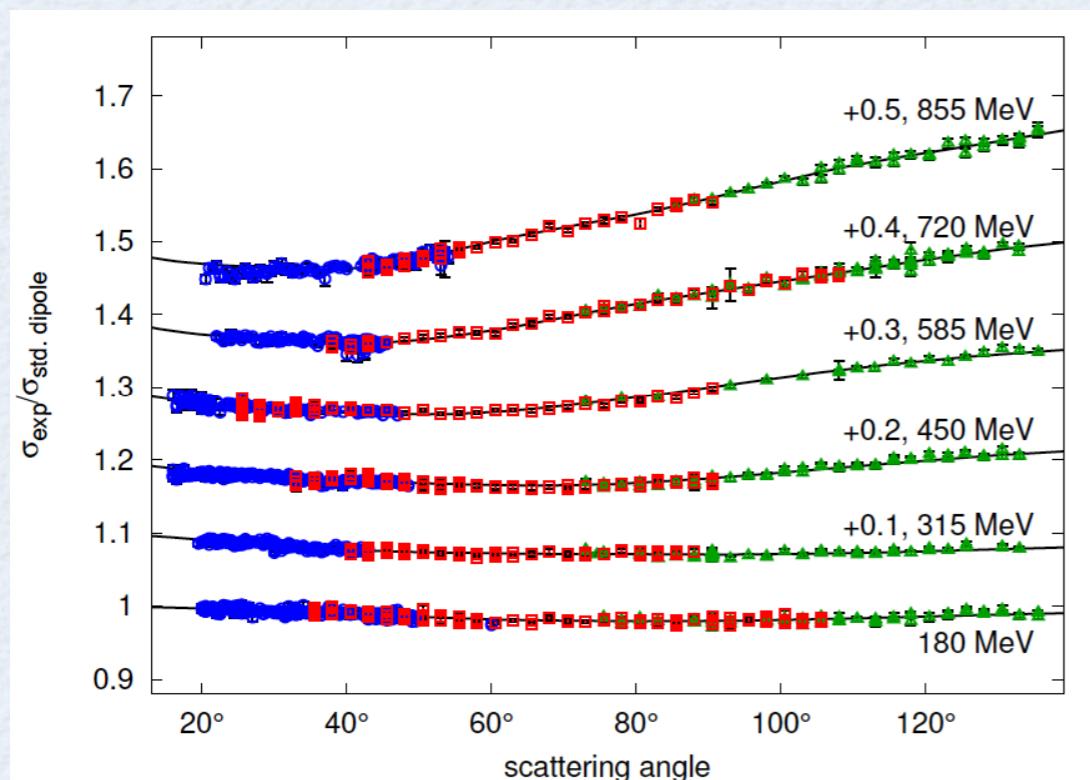
$$\langle Q^2 \rangle = 0.003 - 0.006 (\text{GeV}/c)^2$$

$$\langle \nu \rangle = 6 - 10 \text{ MeV}$$

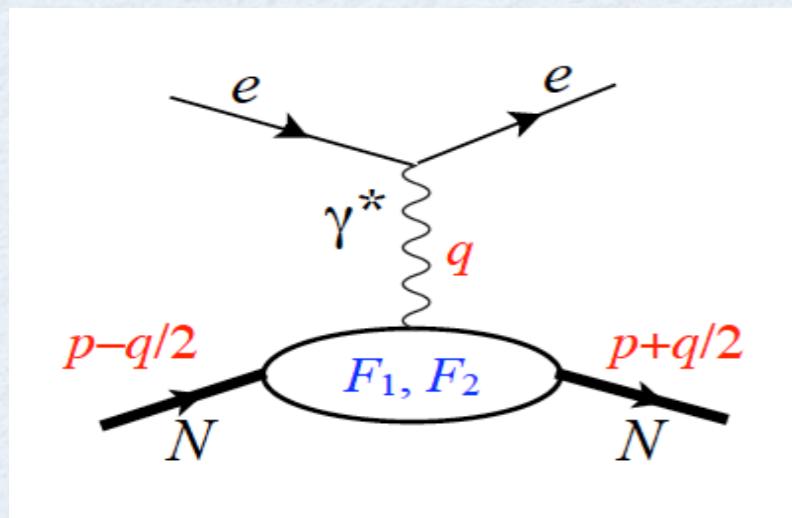


data needed !

# Part 2: Proton / Baryon spatial structure



# $e^-$ scattering: unpolarized cross sections



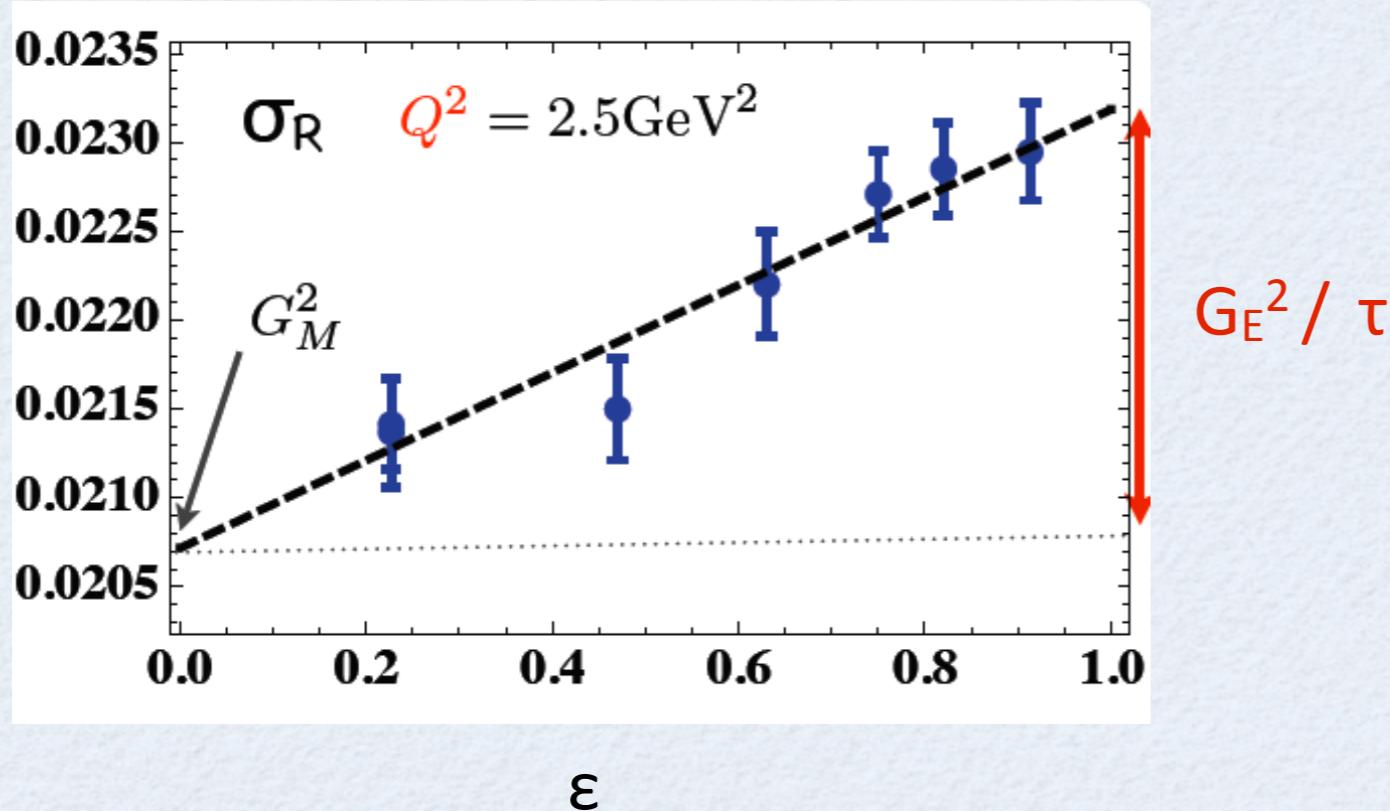
$$G_M = F_1 + F_2$$

$$G_E = F_1 - \tau F_2$$

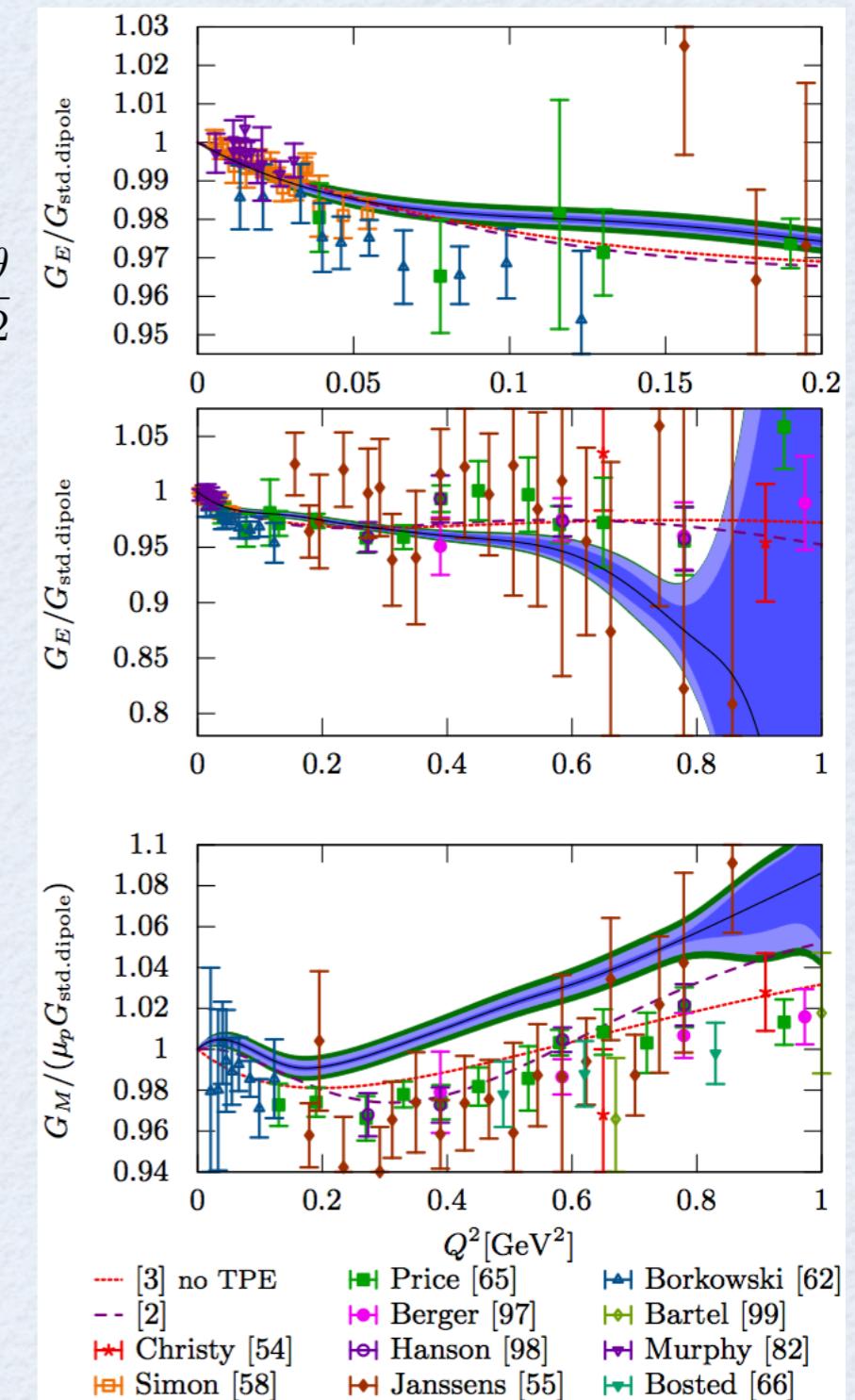
$$\tau \equiv \frac{Q^2}{4M^2} \quad \frac{1}{\varepsilon} \equiv 1 + 2(1 + \tau) \tan^2 \frac{\theta}{2}$$

$$\sigma_R = G_M^2 + \frac{\varepsilon}{\tau} G_E^2$$

Rosenbluth separation technique



Andivahis et al. (1994)



Bernauer et al. (2010, 2013)

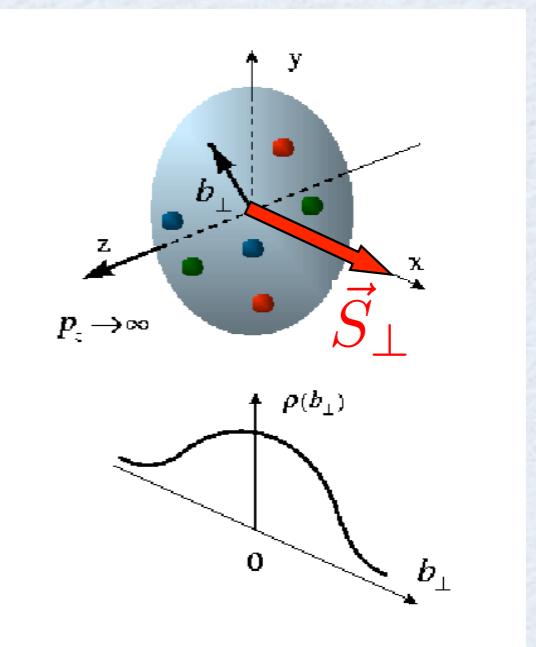
# Form factors: 2D light-front densities of hadrons

$$\rho^N(\vec{b}) = \int_0^\infty \frac{dQ}{2\pi} Q J_0(bQ) F_1(Q^2)$$

$$+ \sin(\phi_b - \phi_S) \int_0^\infty \frac{dQ}{2\pi} \frac{Q^2}{2M_N} J_1(bQ) F_2(Q^2)$$

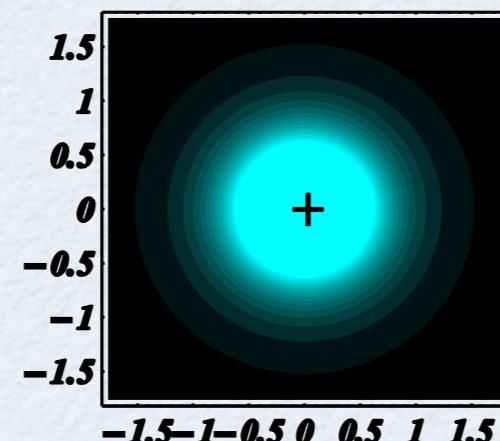
unpolarized  
Dirac FF  $F_1$

transverse  
polarization  
Pauli FF  $F_2$

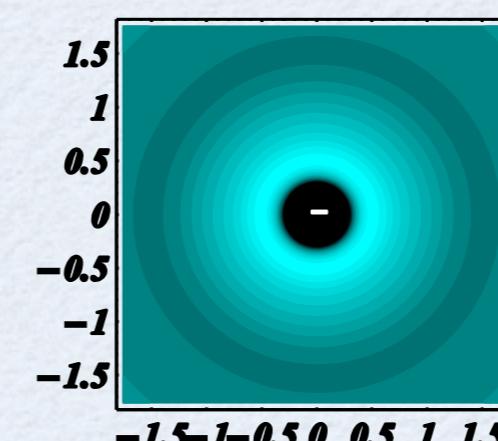


proton

unpolarized  
charge density

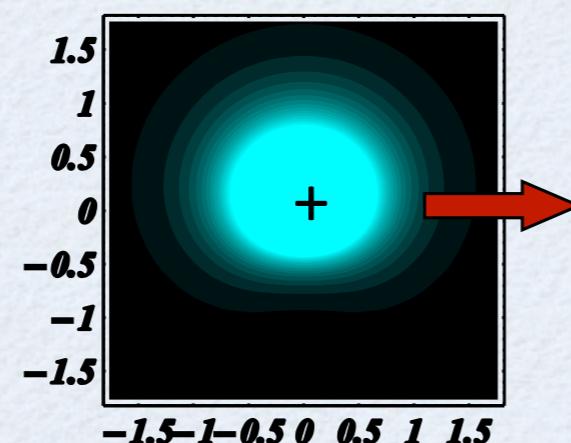


neutron



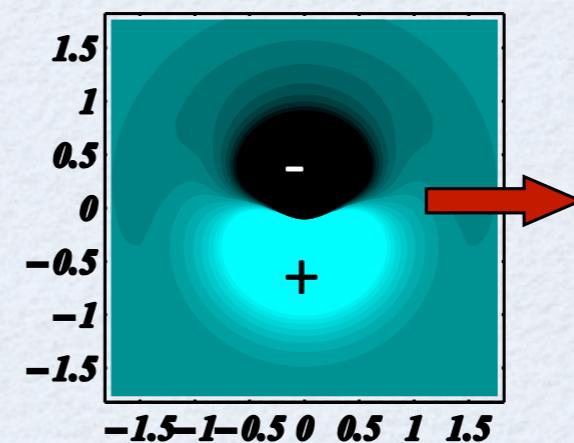
Burkardt  
(2000, 2003)

density  
for transverse  
polarization



b (fm)

Miller (2007)



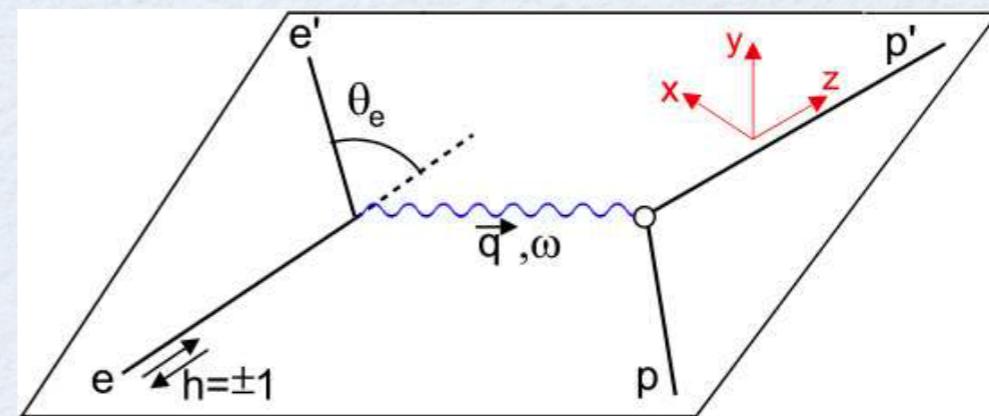
b (fm)

Carlson,  
vdh (2008)

# $e^-$ scattering: double polarization

$$\vec{e} + p \rightarrow e + \vec{p}$$

Akhiezer, Rekalo (1974)



$$d\sigma_{pol} = d\sigma_{unpol}(1 + h S_x P_t + h S_z P_l)$$

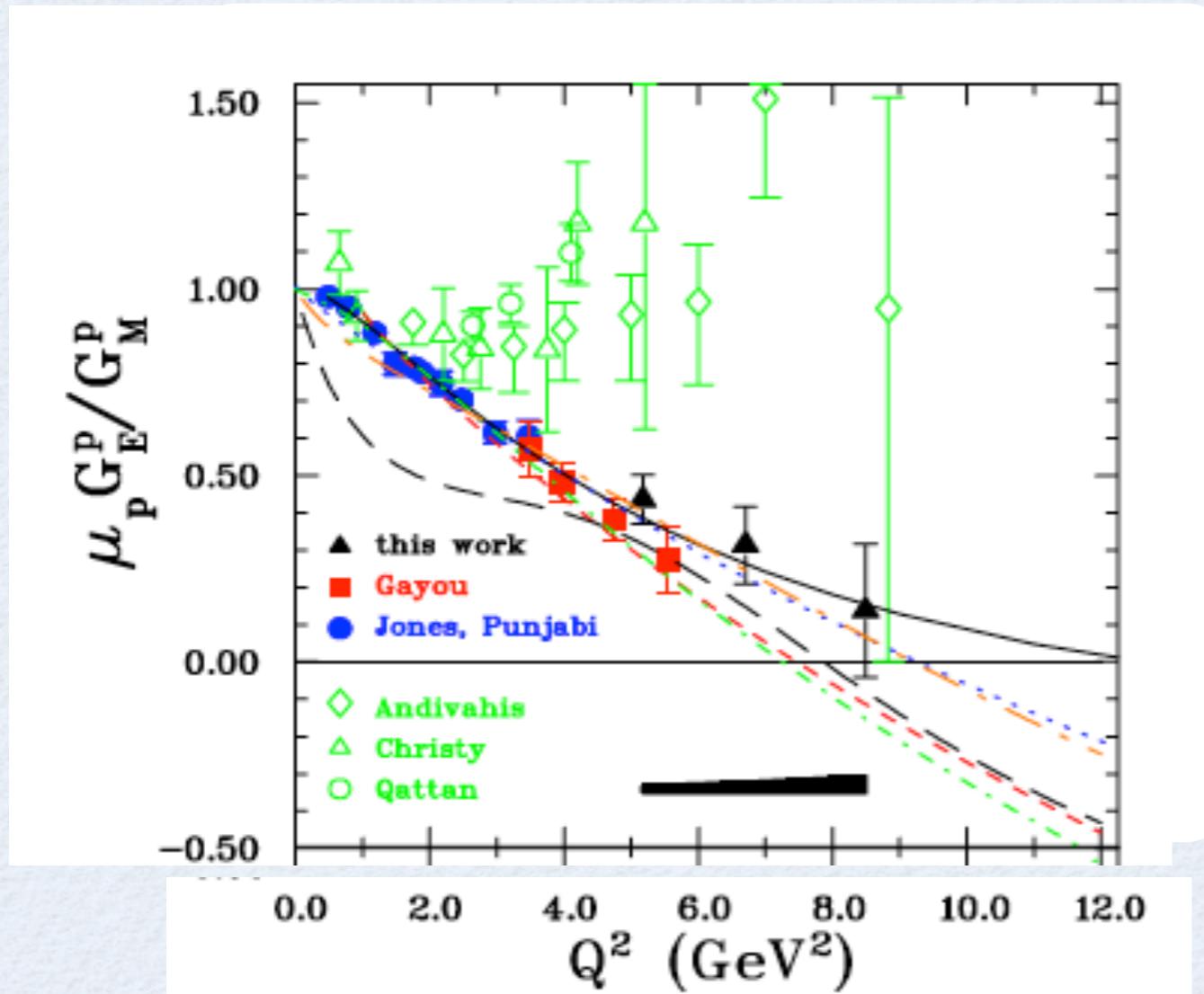
$$P_t = -\sqrt{\frac{2\varepsilon(1-\varepsilon)}{\tau}} \frac{G_E G_M}{\tau \sigma_R}$$



$$P_l = \sqrt{1-\varepsilon^2} \frac{G_M^2}{\tau \sigma_R}$$

$$\frac{P_t}{P_l} = -\sqrt{\frac{2\varepsilon}{\tau(1+\varepsilon)}} \frac{G_E}{G_M}$$

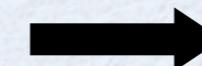
# Rosenbluth vs polarization transfer measurements of $G_E/G_M$ of proton



Two methods: two different results  
most likely:  $2\gamma$ -exchange correction



**Rosenbluth data**  
SLAC, JLab (Hall A, C)



**Polarization data**  
JLab (Hall A, C)

GEpl [Jones et al. \(2000\)](#)  
[Punjabi et al. \(2005\)](#)

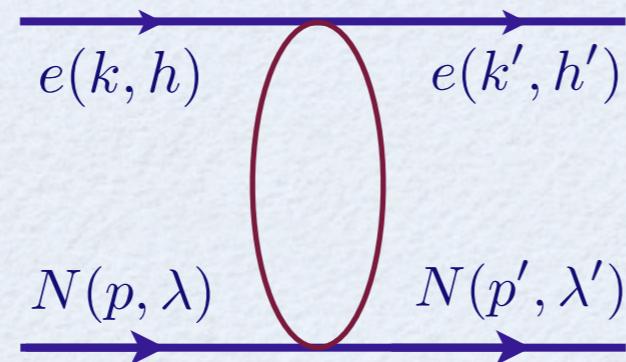
GEpII [Gayou et al. \(2002\)](#)

GEpIII [Puckett et al. \(2010\)](#)

# $2\gamma$ -exchange in $e^-$ scattering: general

$$P = \frac{p + p'}{2}$$

$$K = \frac{k + k'}{2}$$



$$t = (k - k')^2$$

$$s = (p + k)^2$$

$$u = (k - p')^2$$

$$\nu = \frac{s - u}{4}$$

discrete symmetries

+

$m_e = 0$

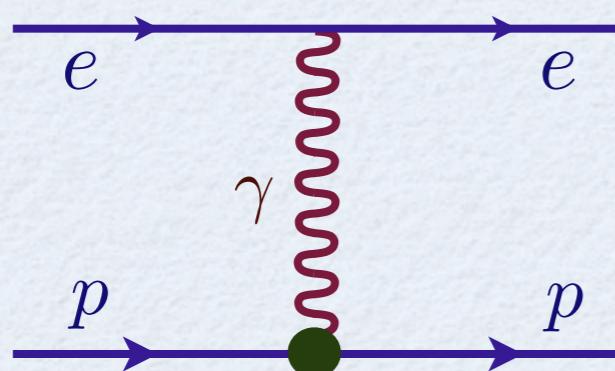
3 structure amplitudes

$$T = \frac{e^2}{Q^2} \bar{e}(k', h') \gamma_\mu e(k, h) \cdot \bar{N}(p', \lambda') [\mathcal{G}_M(\nu, t) \gamma^\mu - \mathcal{F}_2(\nu, t) \frac{P^\mu}{M} + \mathcal{F}_3(\nu, t) \frac{\hat{K} P^\mu}{M^2}] N(p, \lambda)$$

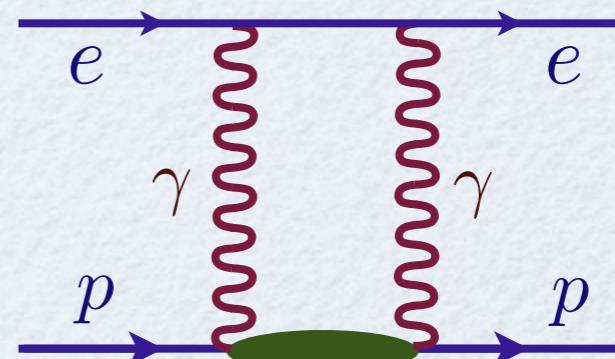
Guichon, vdh (2003)

Leading contribution to cross section - interference term

1 photon diagram



2 photon exchange diagram



$$\delta_{TPE} \sim \Re \mathcal{G}_M, \Re \mathcal{F}_2, \Re \mathcal{F}_3$$

# observables including $2\gamma$ -exchange

$$\tilde{G}_M(\nu, Q^2) = G_M(Q^2) + \delta\tilde{G}_M$$

$$\tilde{F}_2(\nu, Q^2) = F_2(Q^2) + \delta\tilde{F}_2$$

$$\tilde{F}_3(\nu, Q^2) = 0 + \delta\tilde{F}_3$$

for real part:



3 independent observables

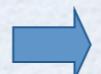
$$Y_{2\gamma}^M(\nu, Q^2) \equiv \mathcal{R}\left(\frac{\delta\tilde{G}_M}{G_M}\right)$$

$$Y_{2\gamma}^E(\nu, Q^2) \equiv \mathcal{R}\left(\frac{\delta\tilde{G}_E}{G_M}\right)$$

$$Y_{2\gamma}^3(\nu, Q^2) \equiv \frac{\nu}{M^2} \mathcal{R}\left(\frac{\tilde{F}_3}{G_M}\right)$$

$$\tilde{G}_E \equiv \tilde{G}_M - (1 + \tau)\tilde{F}_2$$

$$\tilde{G}_E(\nu, Q^2) = G_E(Q^2) + \delta\tilde{G}_E$$



$$\begin{aligned} \frac{\sigma_R}{G_M^2} &= 1 + \frac{\varepsilon}{\tau} \frac{G_E^2}{G_M^2} \\ &+ 2 Y_{2\gamma}^M + 2\varepsilon \frac{G_E}{\tau G_M} Y_{2\gamma}^E + 2\varepsilon \left(1 + \frac{G_E}{\tau G_M}\right) Y_{2\gamma}^3 \\ &+ \mathcal{O}(e^4) \end{aligned}$$



$$\begin{aligned} -\sqrt{\frac{\tau(1+\varepsilon)}{2\varepsilon}} \frac{P_t}{P_l} &= \frac{G_E}{G_M} \\ &+ Y_{2\gamma}^E - \frac{G_E}{G_M} Y_{2\gamma}^M + \left(1 - \frac{2\varepsilon}{1+\varepsilon} \frac{G_E}{G_M}\right) Y_{2\gamma}^3 \\ &+ \mathcal{O}(e^4) \end{aligned}$$

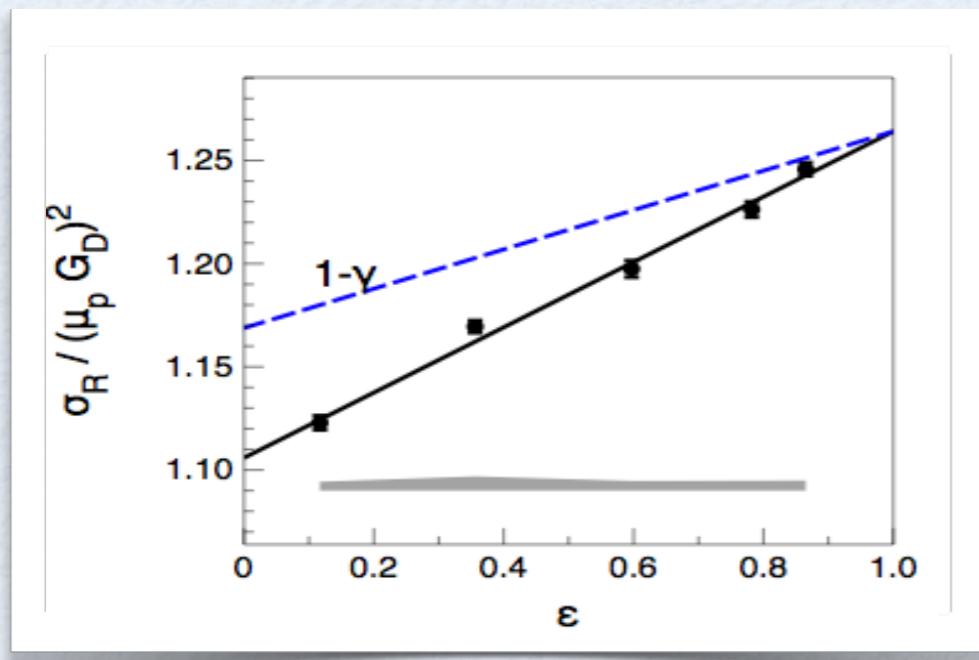


$$\begin{aligned} \frac{P_l}{P_l^{Born}} &= 1 \\ &- 2\varepsilon \left(1 + \frac{\varepsilon}{\tau} \frac{G_E^2}{G_M^2}\right)^{-1} \left\{ \left[ \frac{\varepsilon}{1+\varepsilon} \left(1 - \frac{G_E^2}{\tau G_M^2}\right) + \frac{G_E}{\tau G_M} \right] Y_{2\gamma}^3 \right. \\ &\quad \left. + \frac{G_E}{\tau G_M} \left[ Y_{2\gamma}^E - \frac{G_E}{G_M} Y_{2\gamma}^M \right] \right\} \\ &+ \mathcal{O}(e^4) \end{aligned}$$

# extraction of $2\gamma$ -amplitudes: data

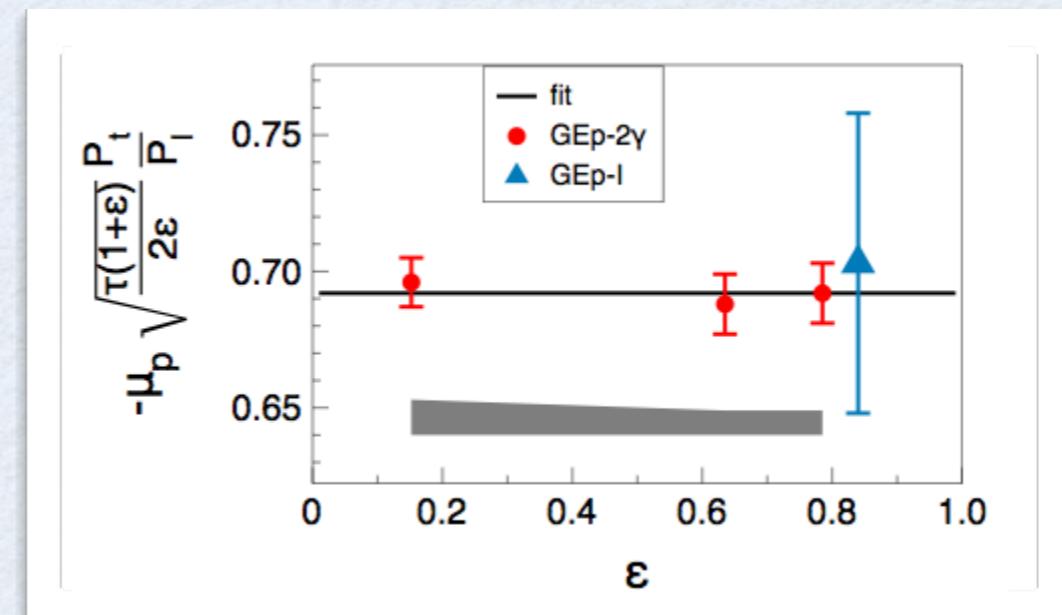
Rosenbluth data: JLab (Hall A)

$$Q^2 = 2.64 \text{ GeV}^2$$

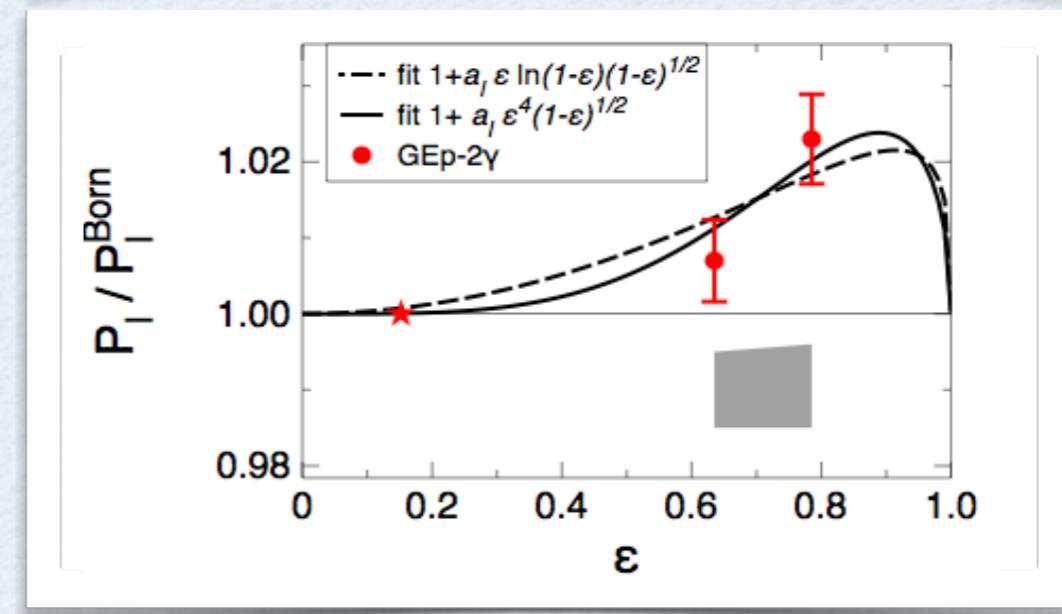


Polarization data: JLab (Hall C)

$$Q^2 = 2.5 \text{ GeV}^2$$

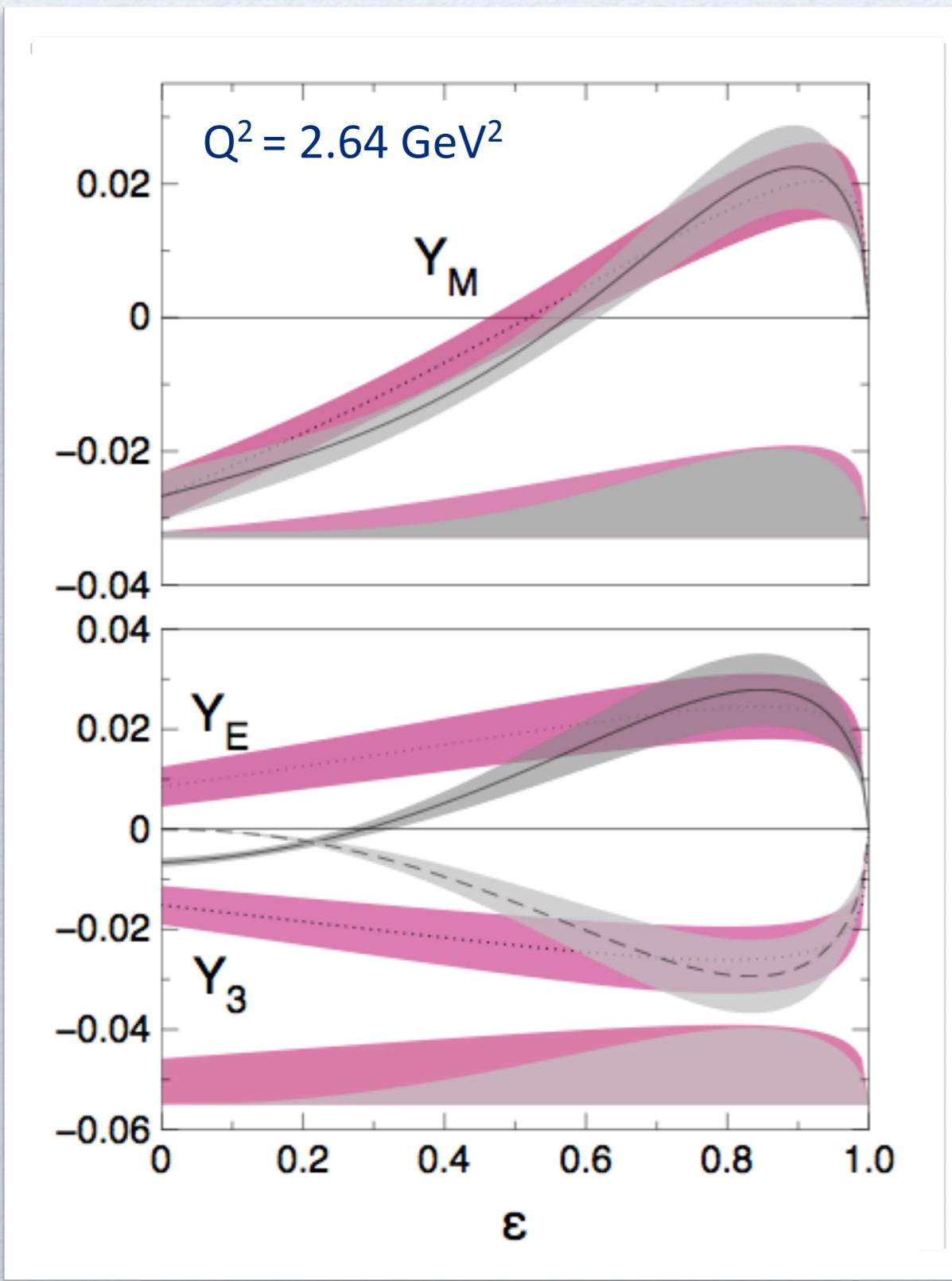


Qattan et al. (2005)



Meziane et al. (2011)

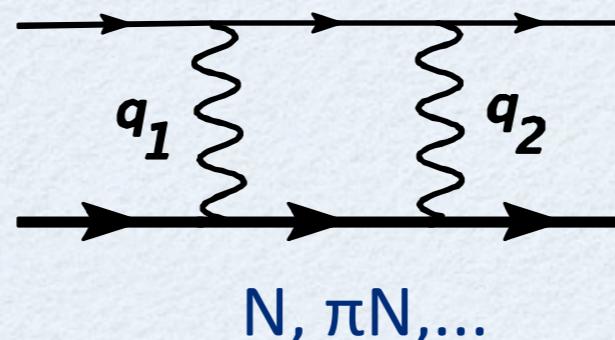
# extraction of $2\gamma$ -amplitudes: fit



Guttmann, Kivel,  
Meziane, Vdh (2011)

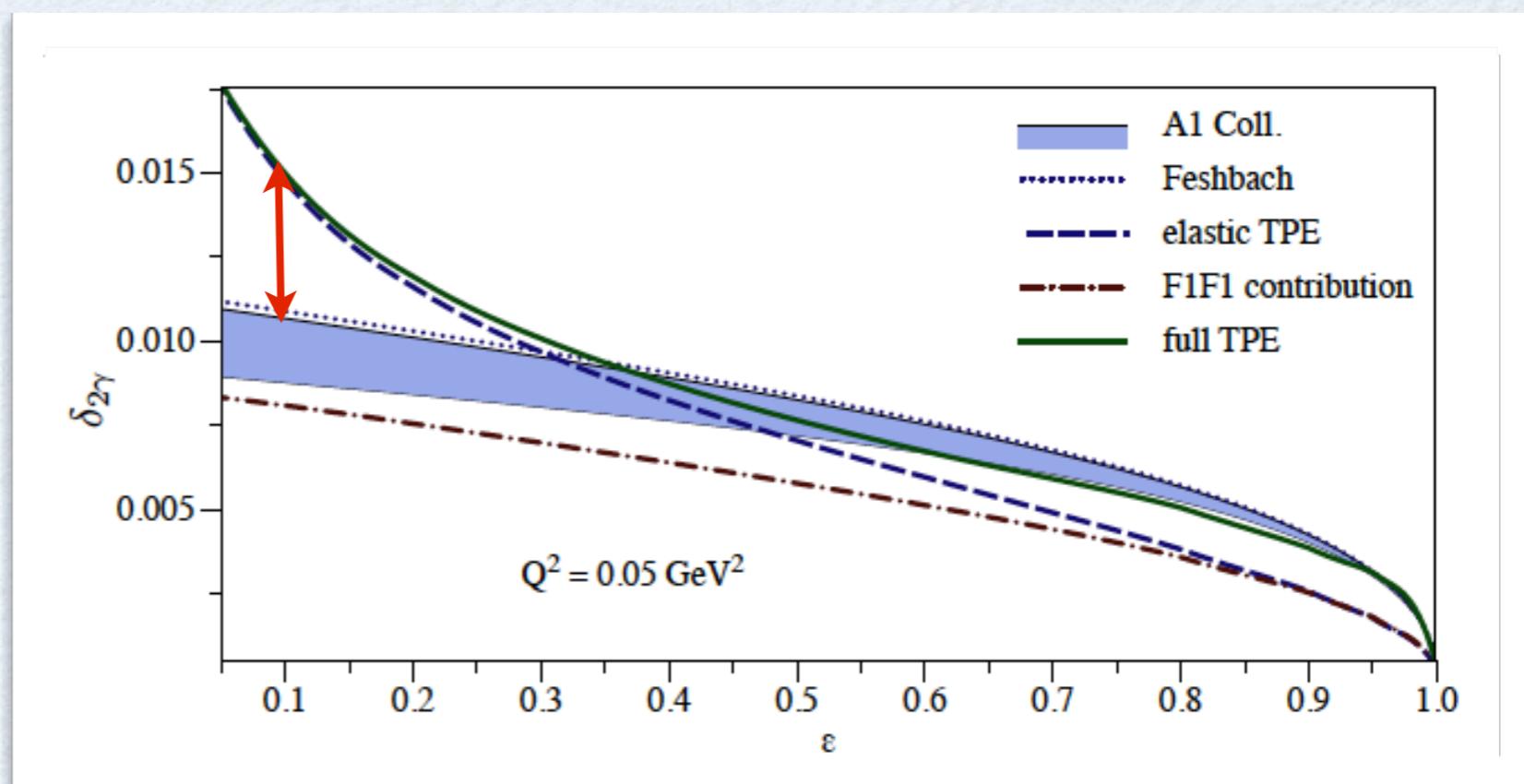
extracted  $2\gamma$  amplitudes are in  
the (expected) 2-3 % range

# $2\gamma$ -exchange in $e^-p$ elastic scattering



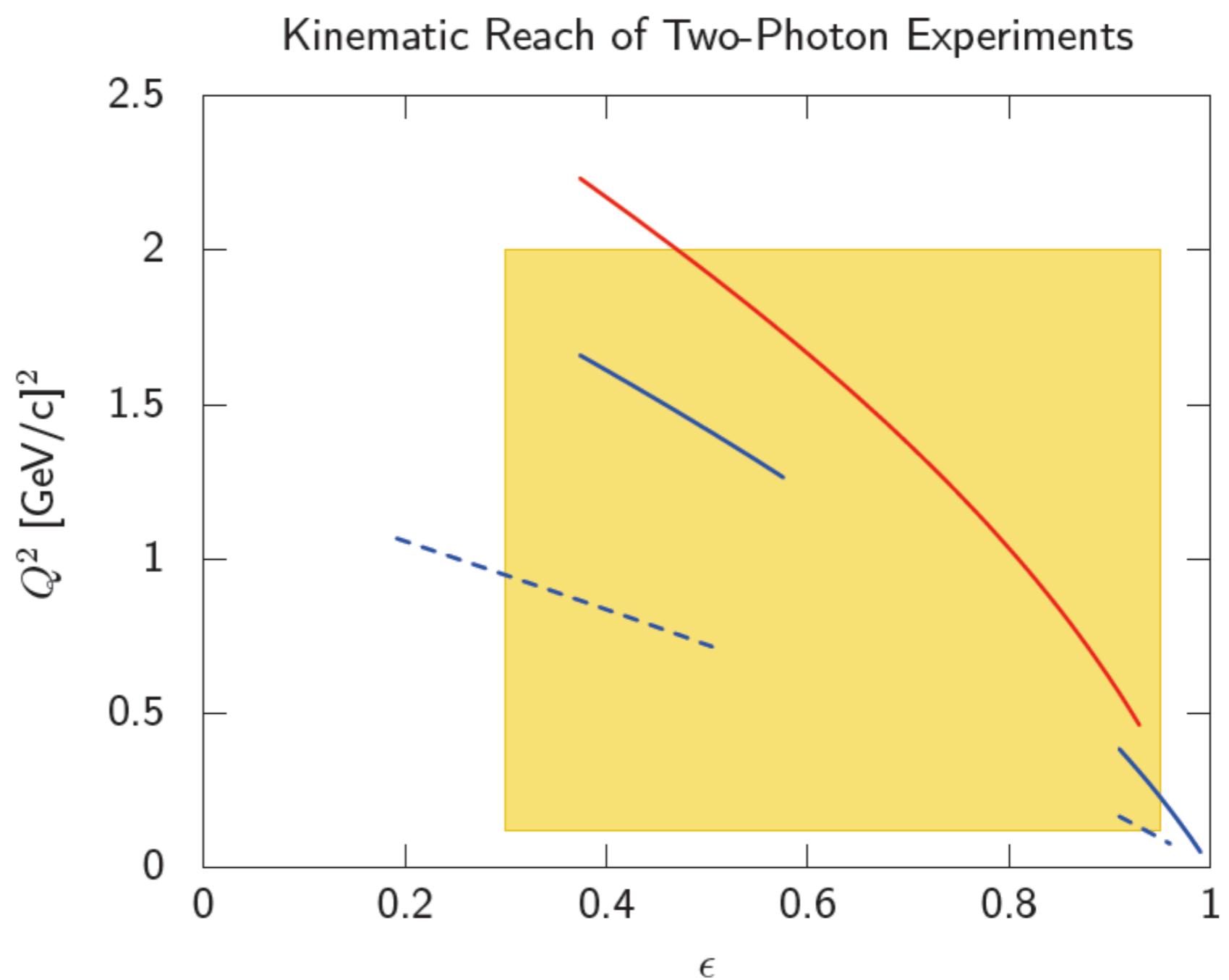
- box graph model (on-shell vertices) [Blunden, Melnitchouk, Tjon \(2003, 2005\)](#)
- unsubtracted DR formalism [Borisyuk, Kobushkin \(2008\)](#)
- subtracted DR formalism, inelastic states [Tomalak, Vdh \(2014\), ...](#)

present deviation relevant  
for a precise extraction  
of magnetic radius

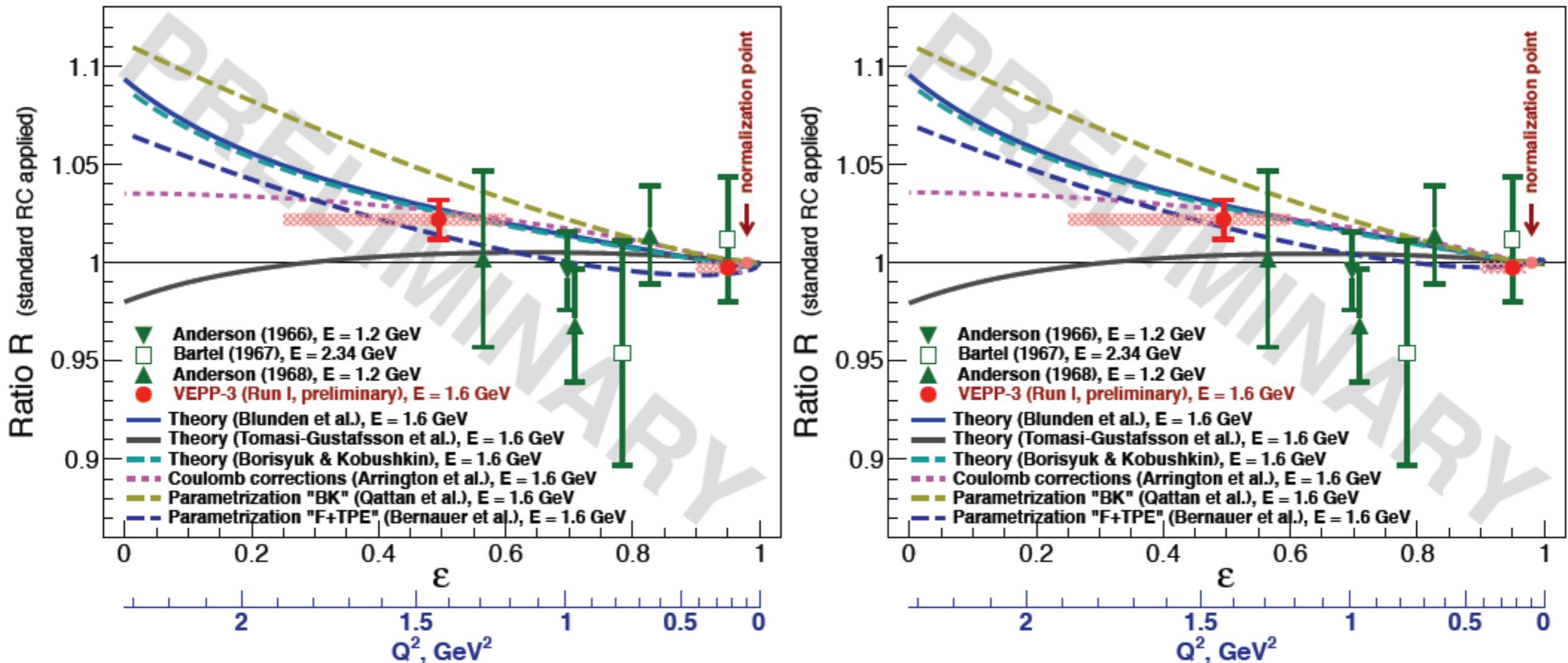


# recent TPE experiments measuring $e^+/e^-$

- CLAS**
  - $e^-$  to  $\gamma$  to  $e^{+/-}$ -beam
- VEPP-3**
  - 1.6/1 GeV beam
  - no field
  - preliminary results
- OLYMPUS**
  - DORIS @ DESY
  - 2 GeV beam
  - data taking finished 01/2013
  - no results yet :(



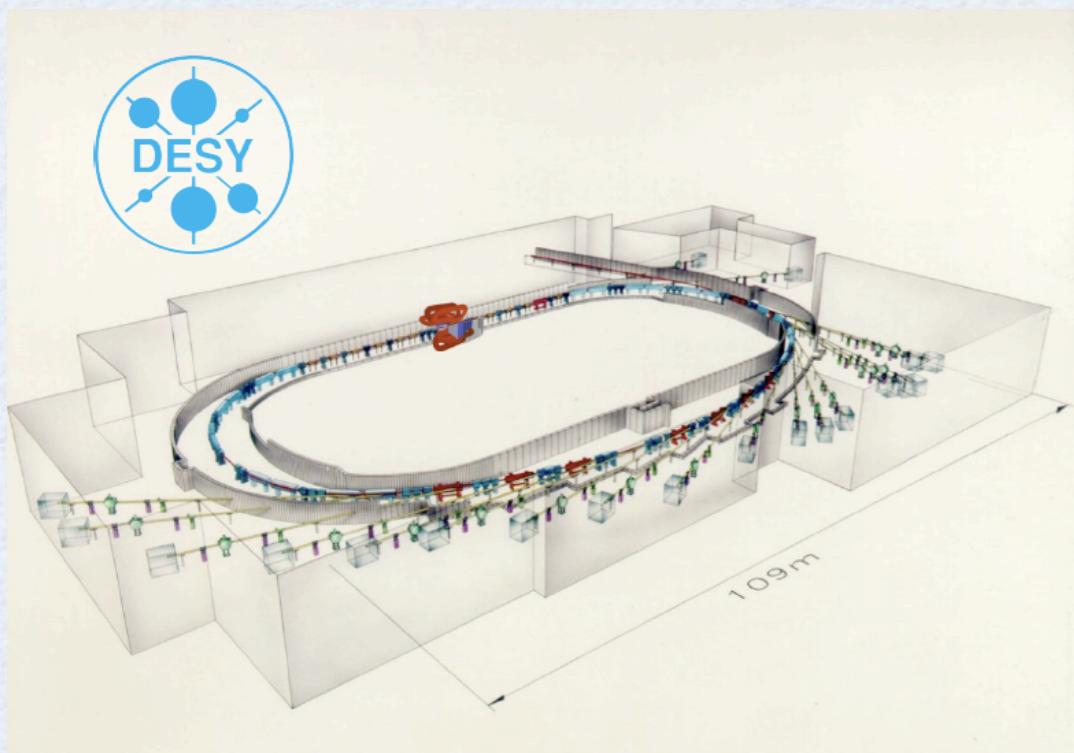
# VEPP-3 results for $e^+/e^-$ ratio



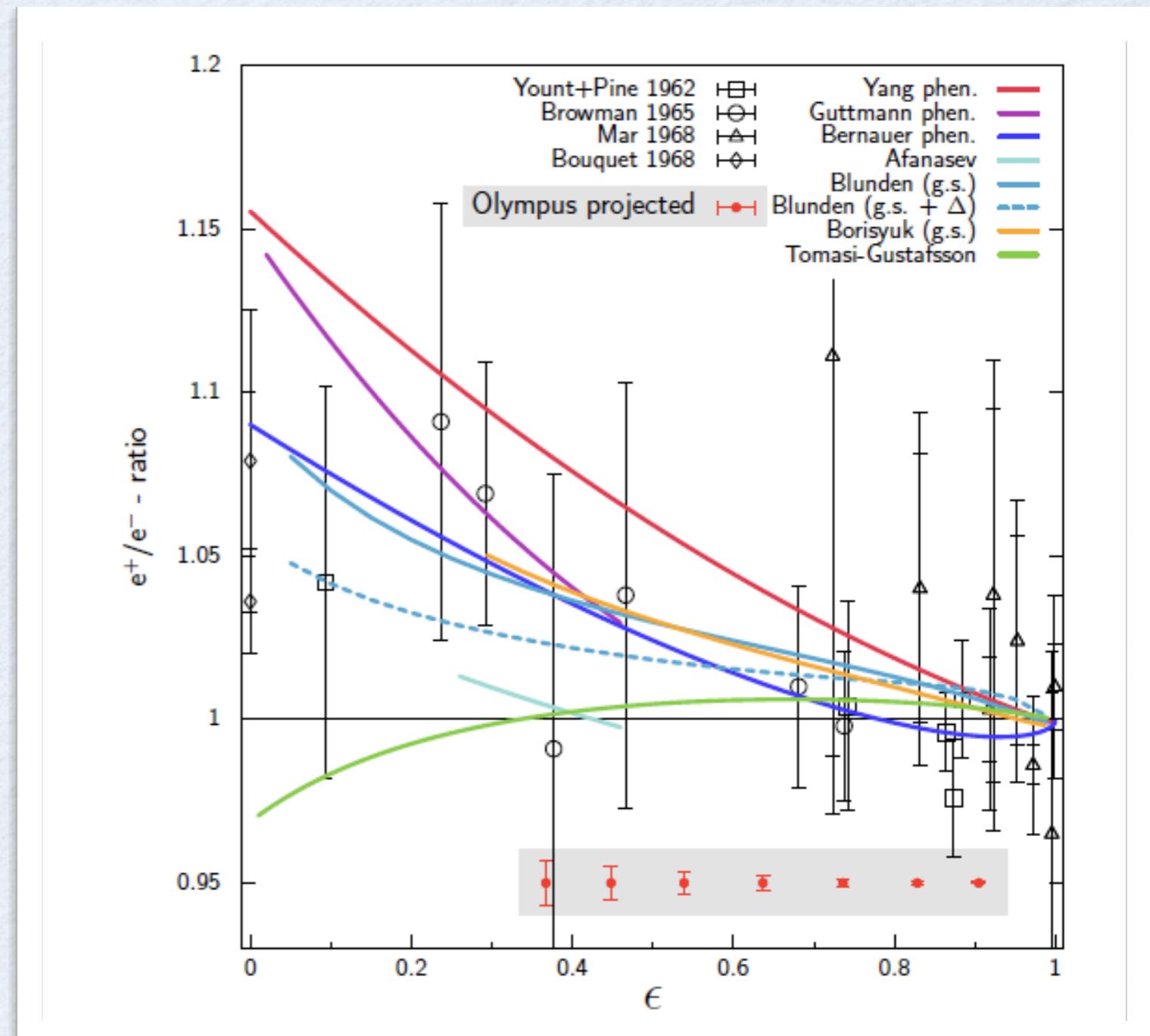
# Olympus experiment of $e^+/e^-$ ratio

experiment: DORIS@DESY

$E_e = 2 \text{ GeV}$ ,  $Q^2$  in range  $0.6 - 2.2 \text{ GeV}^2$



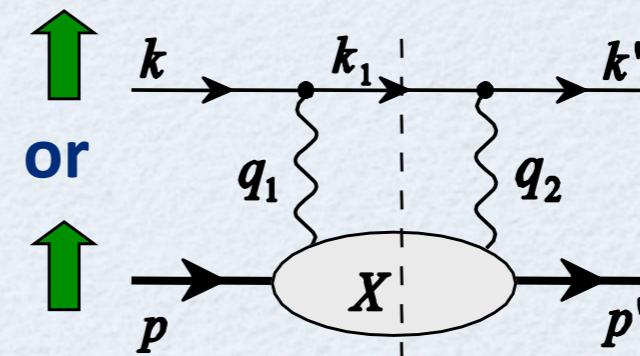
data taking in 2012,  
analysis ongoing,  
first results end 2014



# normal spin asymmetries in elastic e-N scattering

→ directly proportional to **imaginary part** of 2-photon amplitudes

spin of **beam or target**  
normal to scattering plane



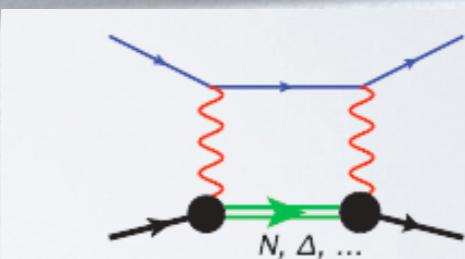
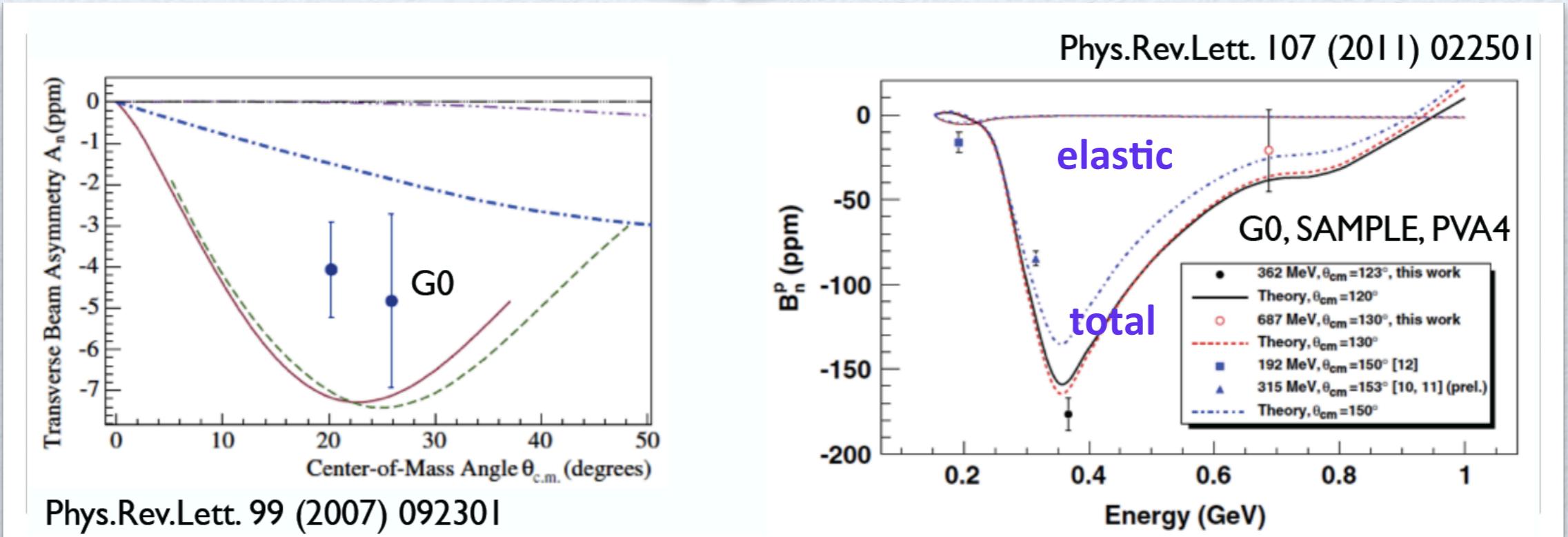
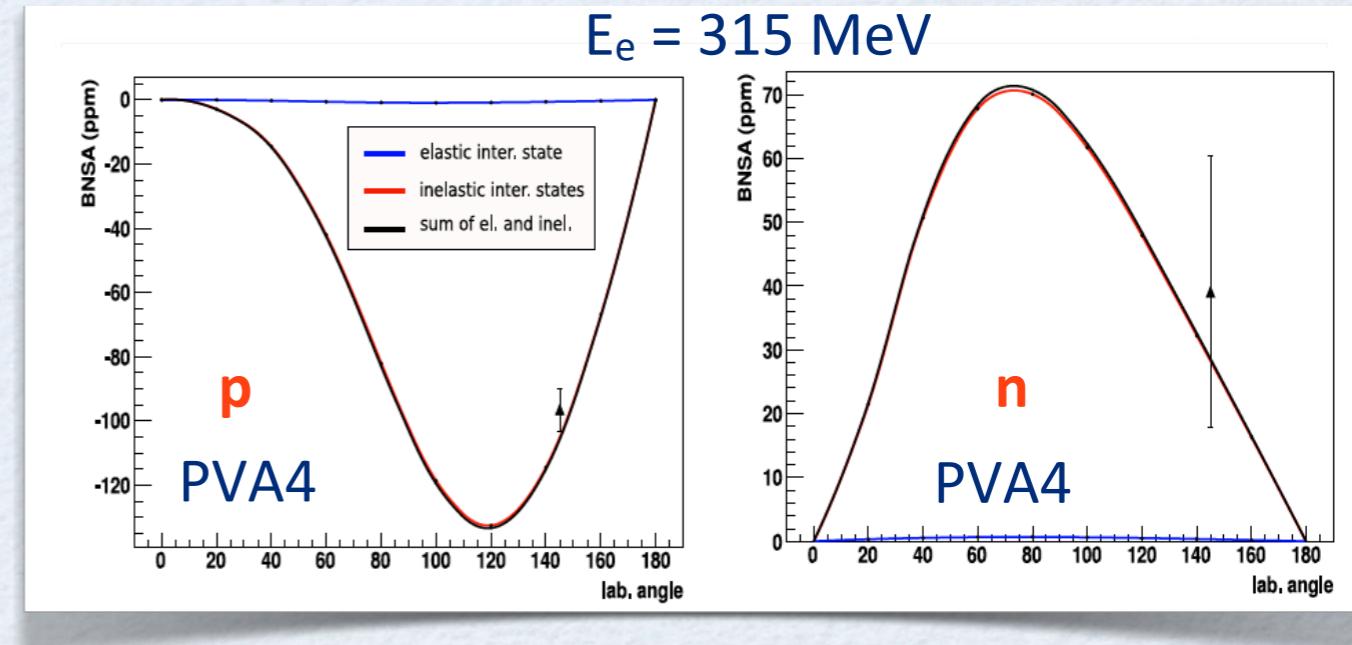
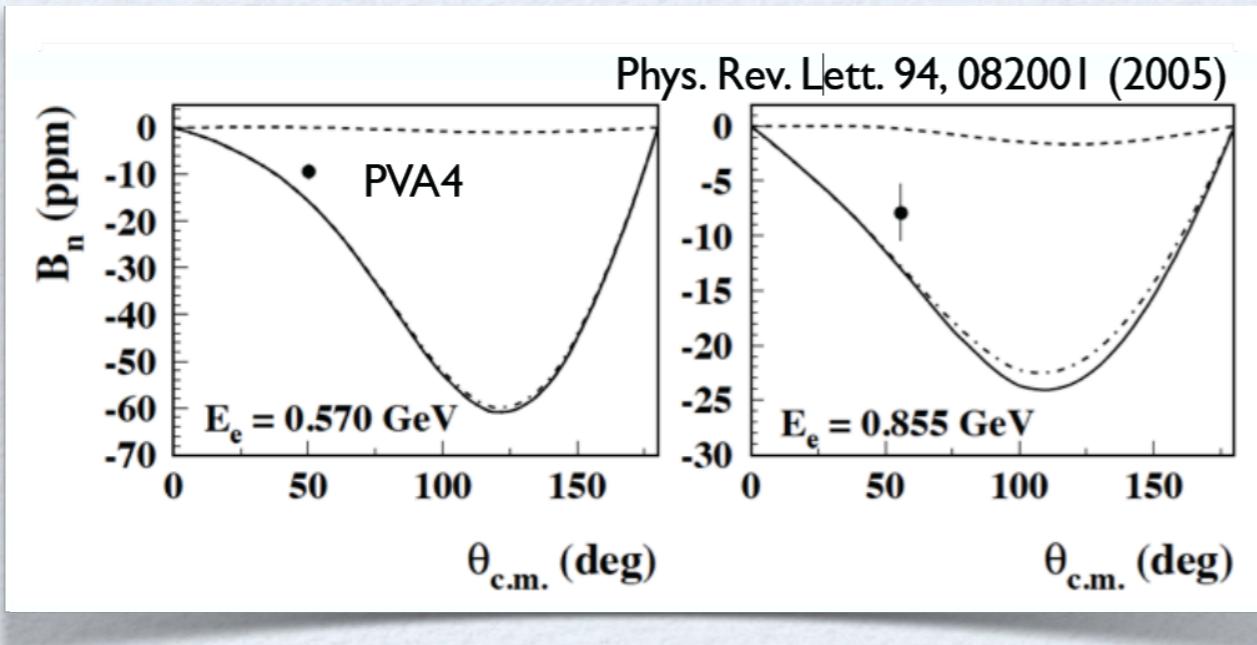
on-shell intermediate state  
measures the **absorptive part** of  
**double virtual Compton scattering**

→ order of magnitude estimates:

**target:**  $A_n \sim \alpha_{em} \sim 10^{-2}$

**beam:**  $B_n \sim \alpha_{em} \frac{m_e}{E_e} \sim 10^{-6} - 10^{-5}$

# beam normal spin asymmetry in $e^-N$ elastic

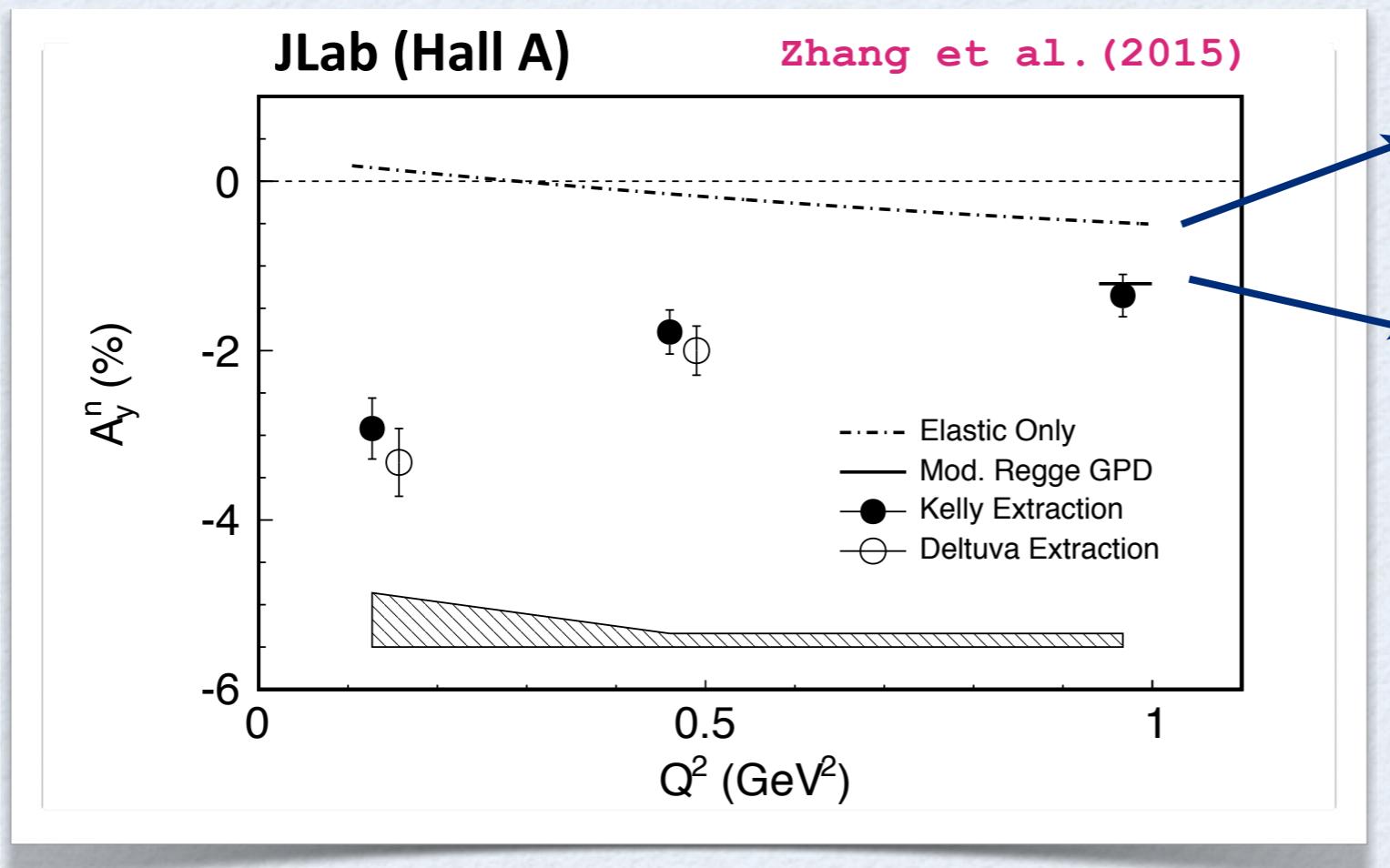


calculations: elastic (very small)  
elastic + inelastic: Pasquini, vdh (2004)

# target normal spin asymmetry in $e^-N$ elastic

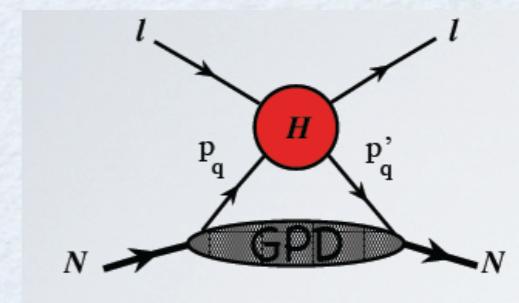
$$\begin{aligned}
 A_n &= \sqrt{\frac{2\varepsilon(1+\varepsilon)}{\tau}} \left(G_M^2 + \varepsilon/\tau G_E^2\right)^{-1} \\
 &\times \left\{ -G_M \mathcal{I} \left( \delta \tilde{G}_E + \frac{\nu}{M^2} \tilde{F}_3 \right) + G_E \mathcal{I} \left( \delta \tilde{G}_M + \left( \frac{2\varepsilon}{1+\varepsilon} \right) \frac{\nu}{M^2} \tilde{F}_3 \right) \right\}
 \end{aligned}$$

${}^3He^\uparrow(e, e')$  quasi-elastic scattering on **neutron**



elastic contribution  
De Rujula, Kaplan,  
De Rafael (1971)

GPD model calculation



Chen, Afanasev, Brodsky,  
Carlson, Vdh (2004)

at present: no proton data exist

# Summary/Outlook

## 1) Proton radius puzzle:

- precision muonic atom spectroscopy has shaken textbook knowledge
- generated a large activity to scrutinize result
- what can be expected (timescale) ?
  - eH Lamb shift ( $\sim 1/2 - 1$  year)
  - new  $e^-$  scattering ( $\sim 1-2$  years)
  - $\mu^-$  scattering ( $\sim 3$  years)
- new expt:  $\mu^-\mu^+$  vs  $e^-e^+$  pair production as lepton universality test



## 2) Proton spatial structure: form factors, two-photon processes

- deuteron,  ${}^3\text{He}$ ,  ${}^4\text{He}$ , light nuclei e.m. observables:  
impact on precision atomic physics, connect with ab initio EFT
- two-photon exchange observables ( $e^- / e^+$  ratio, asymmetries):  
precise understanding needed to use electron scattering as a precision tool  
input in polarizability corrections in atomic spectroscopy
- many new opportunities for precision measurements



Thank you!

