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## Simple Non-Abelian Extensions and Diboson Excesses at the LHC

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## ATLAS Diboson Excesses

Search for high-mass diboson resonances with boson-tagged jets in proton-proton collisions at $\sqrt{s}=8 \mathrm{TeV}$ with the ATLAS detector

Heavy resonance ~2TeV decay product pt~TeV large boost factor $\gamma>5-10$



## New Physics Explanations?

$$
\sigma(W Z) \sim 4-8 \mathrm{fb}
$$

$$
\begin{aligned}
\sigma(W W) & \sim 3-7 \mathrm{fb} \\
\sigma(Z Z) & \sim 3-9 \mathrm{fb}
\end{aligned}
$$

Spin-0

$$
H^{+} \quad H^{0}
$$



## New Physics Explanations?

$$
\sigma(W Z) \sim 4-8 \mathrm{fb}
$$

$$
\begin{aligned}
\sigma(W W) & \sim 3-7 \mathrm{fb} \\
\sigma(Z Z) & \sim 3-9 \mathrm{fb}
\end{aligned}
$$

Spin-1

## $W^{\prime \pm}$

$Z^{\prime}$

$Z^{\prime}-Z-Z$ coupling highly suppressed

## Other constraints for a $2 \mathrm{TeV} W^{\prime} / Z^{\prime}$ boson

$$
\sigma\left(p p \rightarrow Z^{\prime} / W^{\prime} \rightarrow j j\right) \leq 102 \mathrm{fb}
$$

ATLAS, 1407.1376 CMS, 1501.04198

$$
\sigma\left(p p \rightarrow Z^{\prime} \rightarrow t \bar{t}\right) \leq 11 \mathrm{fb}
$$

ATLAS, 1410.4103

$$
\begin{aligned}
& \sigma\left(p p \rightarrow W_{R}^{\prime} \rightarrow t \bar{b}\right) \leq 124 \mathrm{fb} \\
& \sigma\left(p p \rightarrow W_{L}^{\prime} \rightarrow t \bar{b}\right) \leq 162 \mathrm{fb}
\end{aligned}
$$

$$
\sigma\left(p p \rightarrow Z^{\prime} \rightarrow e^{+} e^{-} / \mu^{+} \mu^{-}\right) \leq 0.2 \mathrm{fb} \stackrel{\text { ATLAS, } 1405.4123}{\text { CMS, }} 1412.6302
$$

$$
\sigma\left(p p \rightarrow W^{\prime} \rightarrow e \nu / \mu \nu\right) \leq 0.7 \mathrm{fb}
$$

$$
\sigma\left(p p \rightarrow W^{\prime} \rightarrow W H\right) \leq 7.1 \mathrm{fb}
$$

$$
\sigma\left(p p \rightarrow W^{\prime} \rightarrow Z H\right) \leq 6.8 \mathrm{fb}
$$

## Simple Non-Abelian Extensions

## G(22I) Model

$$
S U(3)_{C} \times S U(2)_{1} \times S U(2)_{2} \times U(1)_{X}
$$

$S U(3)_{C} \times S U(2)_{L}$ $\times U(1)_{L} \times U(1)_{X}$

U(I) Extension
Z-prime
not considered
in this work
SM

New
Fermions

$$
\begin{gathered}
q_{L} \\
u_{R}
\end{gathered} d_{R} \stackrel{H}{\longleftrightarrow}\left(\begin{array}{l}
Q_{L} \\
Q_{R}
\end{array}\right.
$$

G(33 I) Model $S U(3)_{C} \times S U(3)_{W} \times U(1)_{X}$

## G(221) Models

| Model | $S U(2)_{1}$ | $S U(2)_{2}$ | $U(1)_{X}$ |
| :---: | :---: | :---: | :---: |
| Left-right (LR) | $\binom{u_{L}}{d_{L}},\binom{\nu_{L}}{e_{L}}$ | $\binom{u_{R}}{d_{R}},\binom{\nu_{R}}{e_{R}}$ | $\frac{1}{6}$ for quarks, <br> $-\frac{1}{2}$ for leptons. |
| Lepto-phobic (LP) | $\binom{u_{L}}{d_{L}},\binom{\nu_{L}}{e_{L}}$ | $\binom{u_{R}}{d_{R}}$ | $\frac{1}{6}$ for quarks, <br> $Y_{\mathrm{SM}}$ for leptons. |
| Hadro-phobic (HP) | $\binom{u_{L}}{d_{L}},\binom{\nu_{L}}{e_{L}}$ | $\binom{\nu_{R}}{e_{R}}$ | $Y_{\mathrm{SM}}$ for quarks, <br> $-\frac{1}{2}$ for leptons. |
| Fermio-phobic (FP) | $\binom{u_{L}}{d_{L}},\binom{\nu_{L}}{e_{L}}$ |  | $Y_{\text {SM }}$ for all fermions. |
| Un-unified (UU) | $\binom{u_{L}}{d_{L}}$ | $\binom{\nu_{L}}{e_{L}}$ | $Y_{\text {SM }}$ for all fermions. |
| Non-universal (NU) | $\binom{u_{L}}{d_{L}}_{1^{\text {st }, 22^{\text {nd }}}},\binom{\nu_{L}}{e_{L}}_{1^{\text {st, }, 2 \mathrm{nd}}}$ | $\binom{u_{L}}{d_{L}}_{3^{\text {rd }}},\binom{\nu_{L}}{e_{L}}_{3^{\text {rd }}}$ | $Y_{\text {SM }}$ for all fermions. |

## Production Rate of Sequential $W^{\prime} / Z^{\prime}$

$$
\sigma\left(p p \rightarrow V^{\prime} \rightarrow X Y\right) \simeq \sigma\left(p p \rightarrow V^{\prime}\right) \otimes \operatorname{BR}\left(V^{\prime} \rightarrow X Y\right) \equiv \sigma\left(V^{\prime}\right) \times \operatorname{BR}\left(V^{\prime} \rightarrow X Y\right)
$$

$$
\log \left[\frac{\sigma\left(M_{V^{\prime}}\right)}{\mathrm{pb}}\right]=A\left(\frac{M_{V^{\prime}}}{\mathrm{TeV}}\right)^{-1}+B+C\left(\frac{M_{V^{\prime}}}{\mathrm{TeV}}\right),
$$



$$
\sigma\left(p p \rightarrow V^{\prime}\right)
$$

| $W^{\prime}$ | $:$ |
| ---: | :--- |
| $Z_{u}^{\prime}$ | $:$ |
|  | $2.59925+1.34518 x^{-1}-3.37137 x$ |
| $Z_{d}^{\prime}$ | $:$ |
|  | $2.88763+1.42266 x^{-1}-3.54818 x$, |

## PDF and Scale Uncertainties

## CT14 NNLO PDFs (56 sets)




The PDF uncertainty is $\sim 15-20 \%$
for a $2 T e V W^{\prime} / Z^{\prime}$
The scale uncertainty is $\sim 5 \%$

## G(221) Models: Symmetry Breaking

Two patterns of spontaneously symmetry breaking $1^{\text {st }}$ stage: $\quad \Phi \rightarrow\langle\Phi\rangle \sim u \geq 1 \mathrm{TeV}$ $2^{\text {nd }}$ stage: $\quad H \rightarrow\langle H\rangle \sim v \geq 250 \mathrm{GeV}$
$S U(2)_{1} \otimes S U(2)_{2} \otimes U(1)_{X}$

$S U(2)_{L} \otimes U(1)_{Y}$


## $S U(2)_{1} \otimes S U(2)_{2} \otimes U(1)_{X}$



$$
S U(2)_{L} \otimes U(1)_{Y}
$$



## G(221) Models: Breaking Pattern 1

$$
\begin{aligned}
& \Phi=\binom{\phi^{+}}{\phi^{0}} \left\lvert\, \begin{array}{cc}
S U(2)_{1} \otimes S U(2)_{2} \otimes U(1)_{X} \\
&
\end{array} \quad \Sigma=\frac{1}{\sqrt{2}}\left(\begin{array}{cc}
\phi^{+} & \sqrt{2} \phi^{++} \\
\sqrt{2} \phi^{0} & -\phi^{+}
\end{array}\right)\right. \\
& \langle\Phi\rangle=\frac{1}{\sqrt{2}}\binom{0}{u} \quad\langle\Sigma\rangle=\frac{1}{\sqrt{2}}\left(\begin{array}{ll}
0 & 0 \\
u & 0
\end{array}\right)
\end{aligned}
$$

$$
H=\left(\begin{array}{cc}
h_{1}^{0} & h_{1}^{+} \\
h_{2}^{-} & h_{2}^{0}
\end{array}\right) \quad\langle H\rangle=\frac{1}{\sqrt{2}}\left(\begin{array}{rr}
v_{1} & 0 \\
0 & v_{2}
\end{array}\right)
$$

$$
x \equiv u^{2} / v^{2} \quad \tan \beta=v_{1} / v_{2}
$$

$$
g_{1}=\frac{e}{s_{W}}, \quad g_{2}=\frac{e}{c_{W} s_{\phi}}, \quad g_{X}=\frac{e}{c_{W} c_{\phi}}
$$

## $M_{W^{\prime}} / M_{Z^{\prime}}$ in $\mathrm{G}(221): \mathrm{BP}-1$



$$
\begin{aligned}
& g_{1}=\frac{e}{s_{W}} \\
& g_{2}=\frac{e}{c_{W} s_{\phi}} \quad g_{X}=\frac{e}{c_{W} c_{\phi}} \\
& x=u^{2} / v^{2} \\
& \tan \beta=v_{1} / v_{2}
\end{aligned}
$$

Doublet: $M_{W^{\prime} \pm}^{2}=\frac{e^{2} v^{2}}{4 c_{W}^{2} s_{\phi}^{2}}(x+1), M_{Z^{\prime}}^{2}=\frac{e^{2} v^{2}}{4 c_{W}^{2} s_{\phi}^{2} c_{\phi}^{2}}\left(x+c_{\phi}^{4}\right)$
Triplet: $M_{W^{\prime} \pm}^{2}=\frac{e^{2} v^{2}}{4 c_{W}^{2} s_{\phi}^{2}}(2 x+1), M_{Z^{\prime}}^{2}=\frac{e^{2} v^{2}}{4 c_{W}^{2} s_{\phi}^{2} c_{\phi}^{2}}\left(4 x+c_{\phi}^{4}\right)$

# G(221) BP-1: Left-Right Doublet Model 

## Low energy precision test and Direct search bounds

37 observables

- $Z$ pole data (21): Total width $\Gamma_{Z}$, cross section $\sigma_{\text {had. }}$, ratios $R(f), \mathrm{LR}, \mathrm{FB}$, and charge asymmetries $A_{L R}(f)$, $A_{F B}(f)$, and $Q_{F B}$;
- $W^{ \pm}$and top data (3): Mass $M_{W}$ and total width $\Gamma_{W}, m_{t}$ pole mass;
- $\quad \nu N$-scattering (5): NC couplings $\left(g_{L}^{\nu N}\right)^{2}$ and $\left(g_{R}^{\nu N}\right)^{2}$, NC-CC ratios $R_{\nu}$ and $R_{\bar{\nu}}$;
- $\nu e^{-}$-scattering (2): NC couplings $g_{V}^{\nu e}$ and $g_{A}^{\nu e}$;
- PV interactions (5):
$Q_{W}\left({ }^{133} \mathrm{Cs}\right) Q_{W}\left({ }^{205} \mathrm{TI}\right)$,
$Q_{W}(e)$, NC couplings
$\mathcal{C}_{1}, \mathcal{C}_{2}$;
$\tau$ lifetime (1).

$$
\chi^{2} \equiv \sum_{i} \mathcal{P}_{i}^{2} \equiv \sum_{i} \frac{1}{\sigma^{2}}\left(\overline{\mathcal{O}}_{i}^{\exp .}-\mathcal{O}_{i}^{\text {theo. }}\right)^{2} ; \chi_{\text {min. }}^{2}=43.22
$$



Green: EWPT
Red: Tevatron Direct Searches Blue: LHC Direct Searches

## Left-Right Doublet: a 2TeV W-prime

Narrow width approximation works well



## Left-Right Doublet: a 2TeV W-prime

cross section contour


## Left-Right Doublet: a 2TeV W-prime



## Left-Right Doublet: a 2TeV W-prime



## Left-Right Doublet: a 2TeV W-prime



W-prime can explain the WZ excess in the region of $c_{\phi} \sim 0.7-0.82$
but it requires

$$
M_{Z^{\prime}} \sim 2.5-2.8 \mathrm{TeV}
$$

## Left-Right Doublet: a 2TeV Z-prime




$$
g_{1}=\frac{e}{s_{W}}
$$

$$
g_{2}=\frac{e}{c_{W} s_{\phi}}
$$

$$
g_{X}=\frac{e}{c_{W} c_{\phi}}
$$

## Left-Right Doublet: a 2TeV Z-prime




For a 2TeV Z-prime to explain the WW excess, it requires $c_{\phi} \sim 0.9-0.94$, but it violates $e^{+} e^{-} / \mu^{+} \mu^{-}$bounds

## G(221) Models: Breaking Pattern 2



$$
\begin{gathered}
\Phi=\left(\begin{array}{rr}
\phi^{0} & \sqrt{2} \phi^{+} \\
\sqrt{2} \phi^{-} & \phi^{0}
\end{array}\right) \\
\langle\Phi\rangle=\frac{1}{2}\left(\begin{array}{ll}
u & 0 \\
0 & u
\end{array}\right)
\end{gathered}
$$

$$
H=\binom{h^{+}}{h^{0}}
$$

$$
\langle H\rangle=\frac{1}{\sqrt{2}}\binom{0}{v}
$$

$$
\begin{aligned}
& g_{1}=\frac{e}{s_{W} c_{\phi}} g_{2}=\frac{e}{s_{W} s_{\phi}} \quad g_{X}=\frac{e}{c_{W}} \\
& M_{W^{\prime}}^{2}=M_{Z^{\prime}}^{2}=\frac{e^{2} v^{2}}{4 s_{W}^{2} s_{\phi}^{2} c_{\phi}^{2}}\left(x+s_{\phi}^{4}\right)
\end{aligned}
$$

## G(221) BPII: Un-unified Models

$$
\begin{array}{lll}
S U(2)_{1} & S U(2)_{2} & U(1)_{X} \\
\binom{u_{L}}{d_{L}} & \binom{\nu_{L}}{e_{L}} & Y_{\text {SM }} \begin{array}{l}
\text { for all the SM } \\
\text { fermions }
\end{array}
\end{array}
$$

## $M_{W^{\prime}}=2 \mathrm{TeV}$



It satisfies $W$ Z/W $H / t b / j j$ at $2 \sigma$ CL but violates $e^{+} \nu$

## G(221) BPII: Un-unified Models

 $M_{W^{\prime}}=2 \mathrm{TeV}$

It satisfies $W Z / W H / t b / j j$ at $2 \sigma \mathrm{CL}$ but violates $e^{+} \nu$

## G(221) BPII: Un-unified Models

$$
\begin{array}{lll}
S U(2)_{1} & S U(2)_{2} & U(1)_{X} \\
\binom{u_{L}}{d_{L}} & \binom{\nu_{L}}{e_{L}} & Y_{\text {SM }} \begin{array}{l}
\text { for all the SM } \\
\text { fermions }
\end{array}
\end{array}
$$

## $M_{Z^{\prime}}=2 \mathrm{TeV}$



It satisfies $W W / Z H / t t / j j$ at $2 \sigma \mathrm{CL}$ but violates $e^{+} e^{-}$

## G(331) Models

$S U(3)_{L} \times U(1)_{X} \rightarrow S U(2)_{L} \times U(1)_{Y} \rightarrow U(1)_{\mathrm{em}}$

$$
\langle\rho\rangle=\frac{1}{\sqrt{2}}\left(\begin{array}{c}
0 \\
v_{\rho} \\
0
\end{array}\right) \quad\langle\eta\rangle=\frac{1}{\sqrt{2}}\left(\begin{array}{c}
v_{\eta} \\
0 \\
0
\end{array}\right)\langle\chi\rangle=\frac{1}{\sqrt{2}}\left(\begin{array}{c}
0 \\
0 \\
v_{\chi}
\end{array}\right)
$$

## $W^{\prime} W Z$ <br> coupling forbidden

$Z^{\prime} W W$<br>coupling induced by $Z^{\prime}-Z$<br>mixing



## G(331) Models: WW production





## Summary

1) We consider simple non-Abelian extensions to explain the WZ / WW / ZZZ excesses observed by ATLAS collaboration.
2) We found that tensions exist among the diboson excesses and leptonic decay modes.
3) Luckily for us, it will be clear when LHC Run-2 data comes.

> Thank you!

## Backup Slides

## W'/Z' Coupling to SM Fermions

| Couplings | $g_{L}$ | $g_{R}$ |
| :---: | :---: | :---: |
| $\begin{gathered} W^{\prime+\mu} \bar{f} f^{\prime}(\mathrm{BP}-\mathrm{I}) \\ Z^{\prime} \bar{f} f(\mathrm{BP}-\mathrm{I}) \end{gathered}$ | $\begin{gathered} -\frac{e_{m}}{\sqrt{2} s_{W}^{2}} \gamma_{\rho} T_{L}^{+} \frac{c_{W} s_{2 \beta} s_{\phi}}{x} \\ \frac{e_{m}}{c_{W} c_{\phi} s_{\phi}} \gamma_{\rho}\left[\left(T_{3 L}-Q\right) s_{\phi}^{2}-\frac{c_{\phi}^{4} s_{\phi}^{2}\left(T_{3 L}-Q s_{W}^{2}\right)}{x s_{W}^{2}}\right] \end{gathered}$ | $\begin{gathered} \frac{e_{m}}{\sqrt{2} c_{W} s_{\phi}} \gamma_{\rho} T_{R}^{+} \\ \frac{e_{m}}{c_{W} c_{\phi} s_{\phi}} \gamma_{\rho}\left[\left(T_{3 R}-Q s_{\phi}^{2}\right)+Q \frac{c_{\phi}^{4} s_{\phi}^{2}}{x}\right] \end{gathered}$ |
| $W^{\prime \pm \mu} \bar{f} f^{\prime}(\mathrm{BP}-\mathrm{II})$ | $-\frac{e_{m} s_{\phi}}{\sqrt{2} s_{W} c_{\phi}} \gamma^{\mu} T_{l}^{ \pm}\left(1+\frac{s_{\phi}^{2} c_{\phi}^{2}}{x}\right)$ | 0 |
| $W^{\prime \pm \mu} \bar{F} F^{\prime}(\mathrm{BP}-\mathrm{II})$ | $\frac{e_{m} c_{\phi}}{\sqrt{2} s_{W} s_{\phi}} \gamma^{\mu} T_{h}^{ \pm}\left(1-\frac{s_{\phi}^{4}}{x}\right)$ | 0 |
| $Z^{\prime} \bar{f} f(\mathrm{BP}-\mathrm{II})$ | $-\frac{e_{m}}{s_{W}} \gamma^{\mu}\left[\frac{s_{\phi}}{c_{\phi}} T_{3 l}\left(1+\frac{s_{\phi}^{2} c_{\phi}^{2}}{x c_{W}^{2}}\right)-\frac{s_{\phi}}{c_{\phi}} \frac{s_{\phi}^{2} c_{\phi}^{2}}{x c_{W}^{2}} s_{W}^{2} Q\right]$ | $\frac{e_{m}}{s_{W}} \gamma^{\mu}\left(\frac{s_{\phi}}{c_{\phi}} \frac{s_{\phi}^{2} c_{\phi}^{2}}{x c_{W}^{2}} s_{W}^{2} Q\right)$ |
| $Z^{\prime} \bar{F} F(\mathrm{BP}-\mathrm{II})$ | $\frac{e_{m}}{s_{W}} \gamma^{\mu}\left[\frac{c_{\phi}}{s_{\phi}} T_{3 h}\left(1-\frac{s_{\phi}^{4}}{x c_{W}^{2}}\right)+\frac{c_{\phi}}{s_{\phi}} \frac{s_{\phi}^{4}}{x c_{W}^{2}} s_{W}^{2} Q\right]$ | $\frac{e_{m}}{s_{W}} \gamma^{\mu}\left(\frac{c_{\phi}}{s_{\phi}} \frac{s_{\phi}^{4}}{x c_{W}^{2}} s_{W}^{2} Q\right)$ |

## W'/Z' Non-Abelian Coupling

| Couplings | BP-I | BP-II |
| :---: | :---: | :---: |
| $H W_{\nu} W_{\rho}^{\prime}$ | $-\frac{i}{2} \frac{e_{m}^{2} s_{2 \beta}}{c_{W} s_{W} s_{\phi}} v g_{\nu \rho}\left[1+\frac{\left(c_{W}^{2} s_{\phi}^{2}-s_{W}^{2}\right)}{x s_{W}^{2}}\right]$ | $-\frac{i}{2} \frac{e_{m}^{2} s_{\phi}^{2}}{s_{W} c_{\phi}} v g_{\nu \rho}\left[1+\frac{s_{\phi}^{2}\left(c_{\phi}^{2}-s_{\phi}^{2}\right)}{x}\right]$ |
| $H Z_{\nu} Z_{\rho}^{\prime}$ | $-\frac{i}{2} \frac{e_{m}^{2} c_{\phi}}{c_{W}^{2} s_{W} s_{\phi}} v g_{\nu \rho}\left[1-\frac{c_{\phi}^{2}\left(c_{\phi}^{2} s_{W}^{2}-s_{\phi}^{2}\right)}{x s_{W}^{2}}\right]$ | $-\frac{i}{2} \frac{e_{m}^{2} s_{\phi}}{c_{W} s_{W}^{2} c_{\phi}} v g_{\nu \rho}\left[1-\frac{s_{\phi}^{2}\left(s_{\phi}^{2} c_{W}^{2}-c_{\phi}^{2}\right)}{x c_{W}^{2}}\right]$ |
| $W_{\mu}^{+} W_{\nu}^{\prime-} Z_{\rho}$ | $i \frac{e_{m} s_{2 \beta} s_{\phi}}{x s_{W}^{2}}$ | $i \frac{e_{m} c_{\phi} s_{\phi}^{3}}{x s_{W} c_{W}}$ |
| $W_{\mu}^{+} W_{\nu}^{-} Z_{\rho}^{\prime}$ | $i \frac{e_{m} s_{\phi} c_{W} c_{\phi}^{3}}{x s_{W}^{2}}$ | $i \frac{e_{m} c_{\phi} s_{\phi}^{3}}{x s_{W}}$ |

## ATLAS results (150600062)





## Diboson Bounds



## ATLAS versus CMS




Comparable sensitivity on $\sigma_{95 \%}(\mathrm{pp} \rightarrow \mathrm{G}) \times \mathrm{BR}(\mathrm{G} \rightarrow \mathrm{ZZ})$
Deviations from expected limit at $I .8-2.0 \mathrm{TeV}$ (if larger than $I \sigma$ ): local $p$-values

CMS
ATLAS

| $\mathbf{V}_{\text {jet }} \mathbf{V}_{\text {jet }}$ | $1.3 \sigma$ | $3.4 \sigma$ (2.5 6 global) |
| :---: | :---: | :---: |
| $\boldsymbol{\ell \ell} \mathbf{V}_{\text {jet }}$ | $2 \sigma$ | - |
| $\boldsymbol{\ell v} \mathbf{V}_{\text {jet }}$ | $1.2 \sigma$ | - |

