

Abstract: Many models to describe the nature of the heavy quarkonia have been proposed and we can test such models by analyzing charmonium states produced in two-photon collisions through measuring their two-photon decay width($\Gamma_{\gamma\gamma}$) and the angular distribution since they provide us information on properties and internal structure of charmonium states. In this analysis, we use the decay channel $\gamma\gamma \rightarrow X \rightarrow J/\psi\gamma$, $J/\psi \rightarrow l^+l^-$ ($l = e$ or μ) in the 980.4 fb⁻¹ Belle data sample, where X is a charmonium state. Previously, Belle and CLEO collaborations have reported the measurement of $\gamma\gamma \rightarrow \chi_{c2}(1P) \rightarrow J/\psi\gamma$, $J/\psi \rightarrow l^+l^-$ using 32.6fb⁻¹ and 14.4fb⁻¹ samples, respectively. By analyzing an about 30 times larger data sample, we can make a more precise measurement of $\chi_{c2}(1P)$ and other rare charmonium states including a new charmonium(-like) state. In this presentation, we discuss the purpose and method of the analysis and show the result of the feasibility study using Monte Carlo (MC) samples of $\gamma\gamma \rightarrow X \rightarrow J/\psi\gamma$.

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Belle Experiment

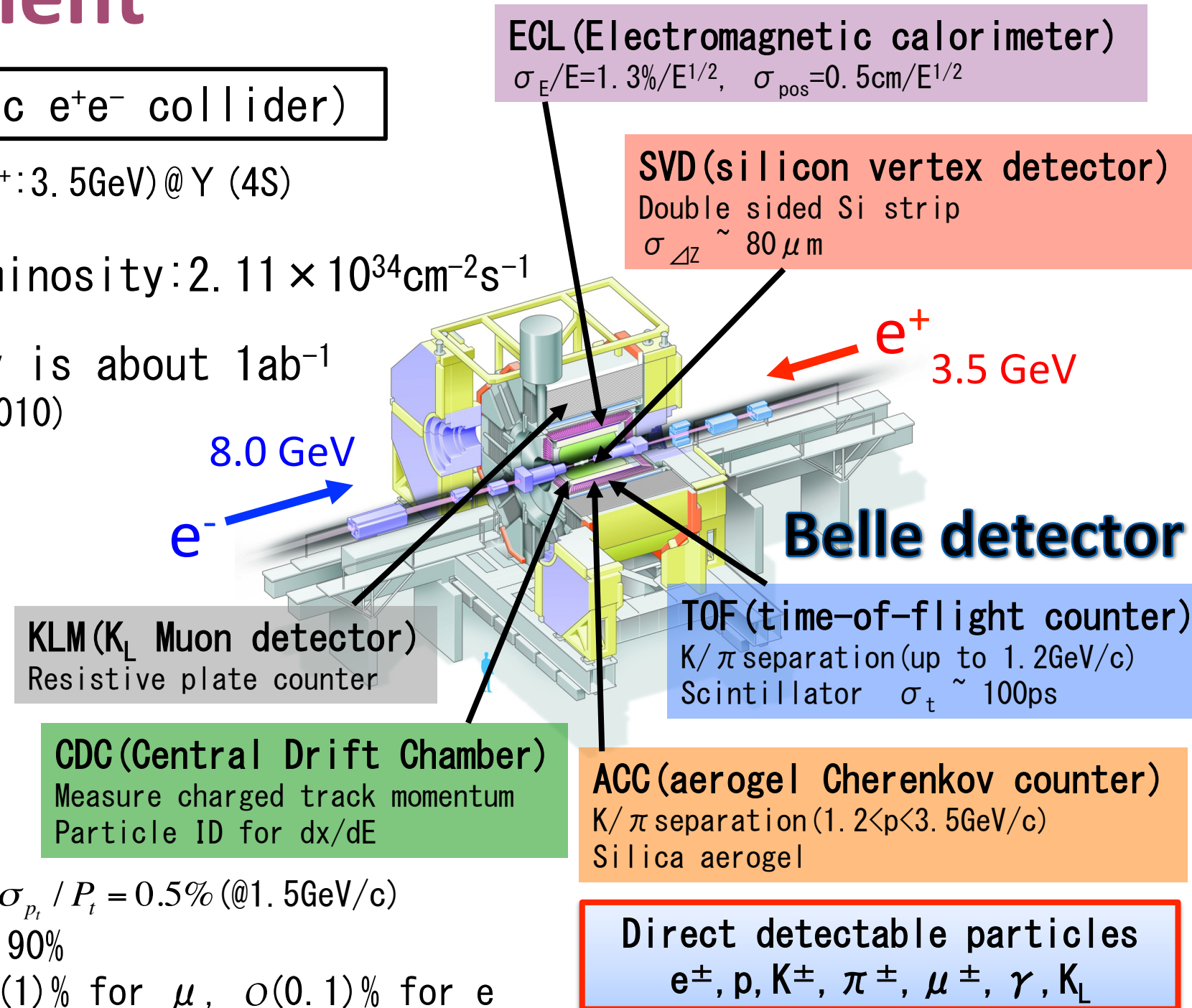
KEKB collider (Asymmetric e⁺e⁻ collider)

$$\sqrt{s} = 10.58 \text{ GeV} (e^-: 8.0 \text{ GeV}, e^+: 3.56 \text{ GeV}) @ Y(4S)$$

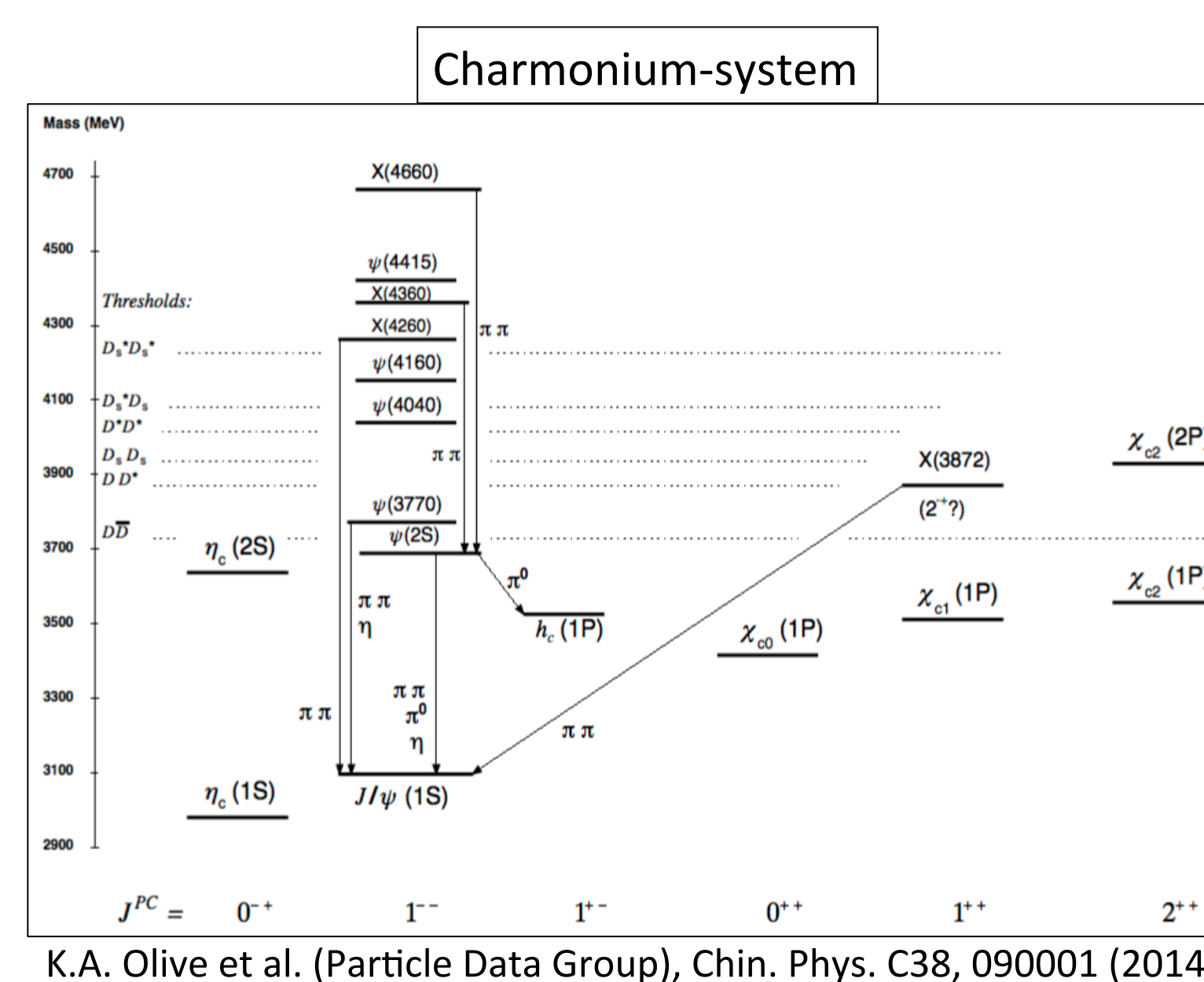
- The world-highest luminosity: $2.11 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$
- Integrated luminosity is about 1ab⁻¹ (Operation period: 1999~2010)
 - Y(4S): 711fb⁻¹
 - Y(5S): 121fb⁻¹
 - Y(3S): 3fb⁻¹
 - Y(2S): 24fb⁻¹
 - Y(1S): 5.7fb⁻¹
 - Off-resonance: 87fb⁻¹

Belle detector

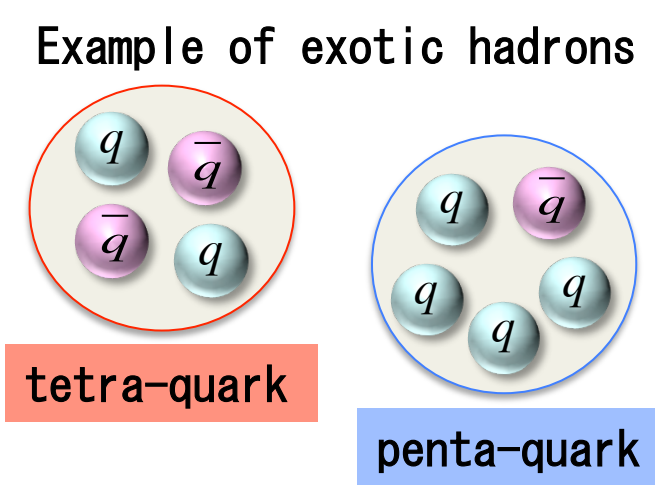
- Complex detector
 - Track reconstruction: $\sigma_{\text{trk}}/P = 0.5\%$ (@ 5.5GeV/c)
 - Lepton ID: Efficiency $\geq 90\%$
 - Fake rate: $\sim 0.1\%$ for μ , $\sim 0.1\%$ for e



Analysis Motivation (Analysis of Charmonium(-like) States)



- In this century, heavy quarkonium spectroscopy has been developed from the result of many experiments.
- For establishing theory of hadron formation from quarks, we have to research properties, internal structure of the hadrons and discover more new hadrons.
- In 2003, X(3872) which is considered as exotic hadron, was discovered at Belle experiment. After that, many particles which may be exotic have been discovered at various experiments. Exotic hadrons become a popular field at the moment.
- We will analyze charmonium states and Charmonium-like (candidate of exotic charmonium ("XYZ" states)) states to develop heavy quarkonium spectroscopy.

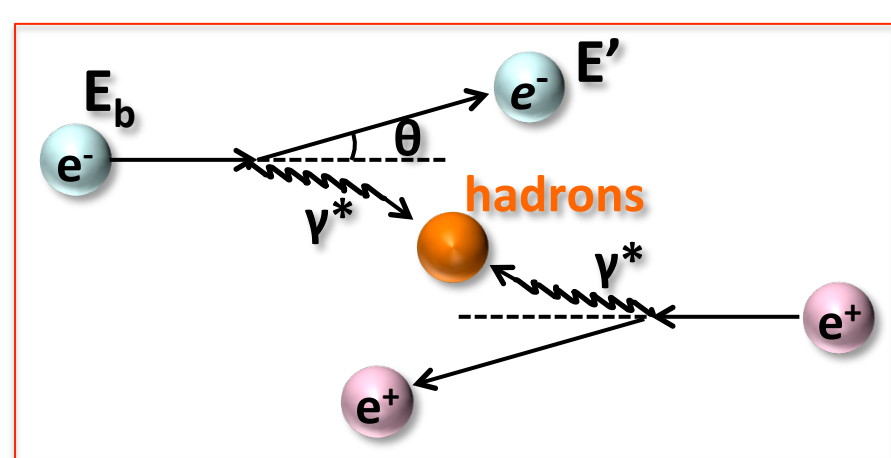


Analysis of $\gamma\gamma \rightarrow J/\psi\gamma$ (two-photon process)

Two-photon process

- At an e⁺e⁻ collider We can observe a hadronic system from collisions of virtual or quasi-real photons from beams.
- Radiative photon from the beam is virtual. Virtual $Q^2 (=q^2)$ is 4-momentum of virtual photon) is expressed by below formula.

$$Q^2 = 4E_b E' \sin^2 \frac{\theta}{2}$$

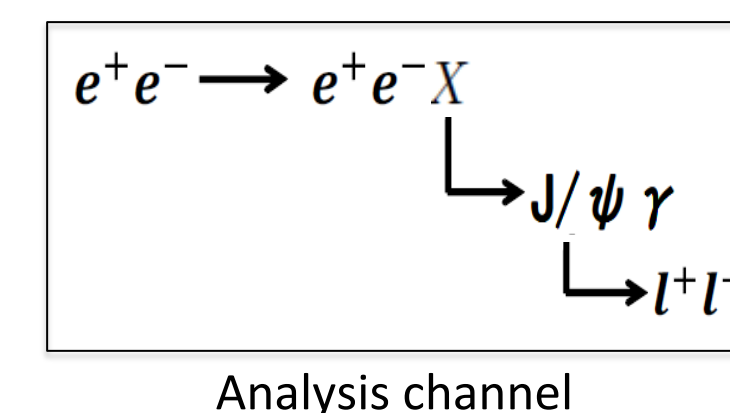


Hadron production from two-photon process

- In the case of P_t-balance($\theta=0$) requirement of the hadronic system, we can measure the single resonance formation from the quasi-real photons collision($Q=0$).
- Assuming a quasi-real photons collision, there are constraints on quantum numbers of the resonance.
(neutral meson, C-parity=+, J^P=(even)± or (odd≠1)±)
- Observing the quasi-real photons collision, we can measure two-photon decay width($\Gamma_{\gamma\gamma}$) from cross-section of the produced meson. $\Gamma_{\gamma\gamma}$ gives information of internal structure of produced meson.

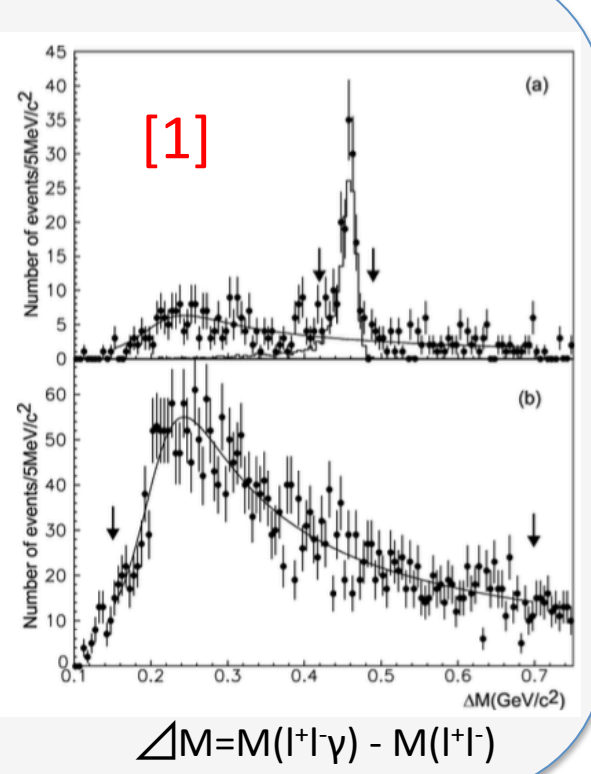
The contents of analysis

- In order to measure properties and internal structure of charmonium(-like) states, we analyze the channel of $\gamma\gamma \rightarrow J/\psi\gamma$, $J/\psi \rightarrow l^+l^-$ ($l=e$ or μ).
- We plan to perform the following:
 - More precise measurement of $\chi_{c2}(1P)$. (Update of the Belle result[1])
 - Search for new charmonium(-like) states.
 - Analysis with bad-P_t-balance.



Analysis channel

$\chi_{c2}(1P)$ (nominal mass: 3.556GeV/c²) is one of charmonium states. In the previous research, the channel of $\gamma\gamma \rightarrow \chi_{c2}(1P) \rightarrow J/\psi\gamma$ was measured at Belle[1] and CLEO[2]. ([1]: 32.6fb⁻¹, [2]: 14.4fb⁻¹) Now we have much more statistics! Using about 980.4fb⁻¹ and reducing systematic error, the parameters of $\chi_{c2}(1P)$ will be more precise measured than before.



In the previous results([1], [2]), the statistics have not been sufficient to measure charmonium states except $\chi_{c2}(1P)$. In this analysis, 30 times larger statistics may enable us to measure the other charmonium states. We may be able to measure the other charmonium states. (For example, we expect that $\chi_{c2}(2P)$ can be measured.)

If possible, we like to try analyzing it. The details will be discussed later.

[1] Phys. Lett. B 540, 33 (2002).
[2] Phys. Lett. D 73, 071101 (2006).

MC study

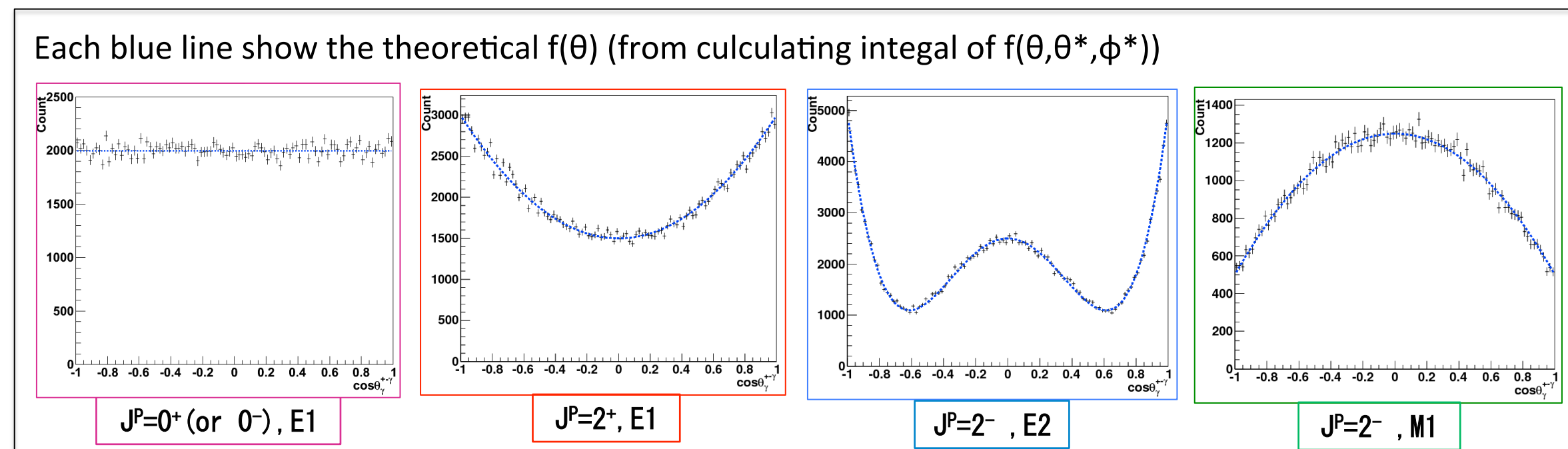
[3] S. Uehara, KEK Report 96-11 (1996).

Generation and detector simulation of signal MCs

- We use MC samples $\gamma\gamma \rightarrow X$ (Assumed charmonium state) $\rightarrow J/\psi\gamma$ to estimate the efficiency for the signal process. (The TREPS MC program[3] is used as an event generator.)
- As seen in Fig.1, the angular distribution of X (Assumed charmonium state) follows the parameters of J, λ and l in the decay mode. (by measuring the angular distribution of charmonium state, we get information on the quantum numbers of charmonium state.)
- To measure known charmonium state and search for new charmonium states, we generate the signal MC samples having 4 different type angular distributions and various charmonium states masses. (3.1~4.5GeV/c²)

- Generated particle is J^P=0⁺ (or 0⁻) and l=1 (E1 transition), $\lambda=0$
- Generated particle is J^P=2⁺ and l=1 (E1 transition), $\lambda=2$
- Generated particle is J^P=2⁻ and l=1 (M1 transition), $\lambda=0$
- Generated particle is J^P=2⁻ and l=2 (E2 transition), $\lambda=0$

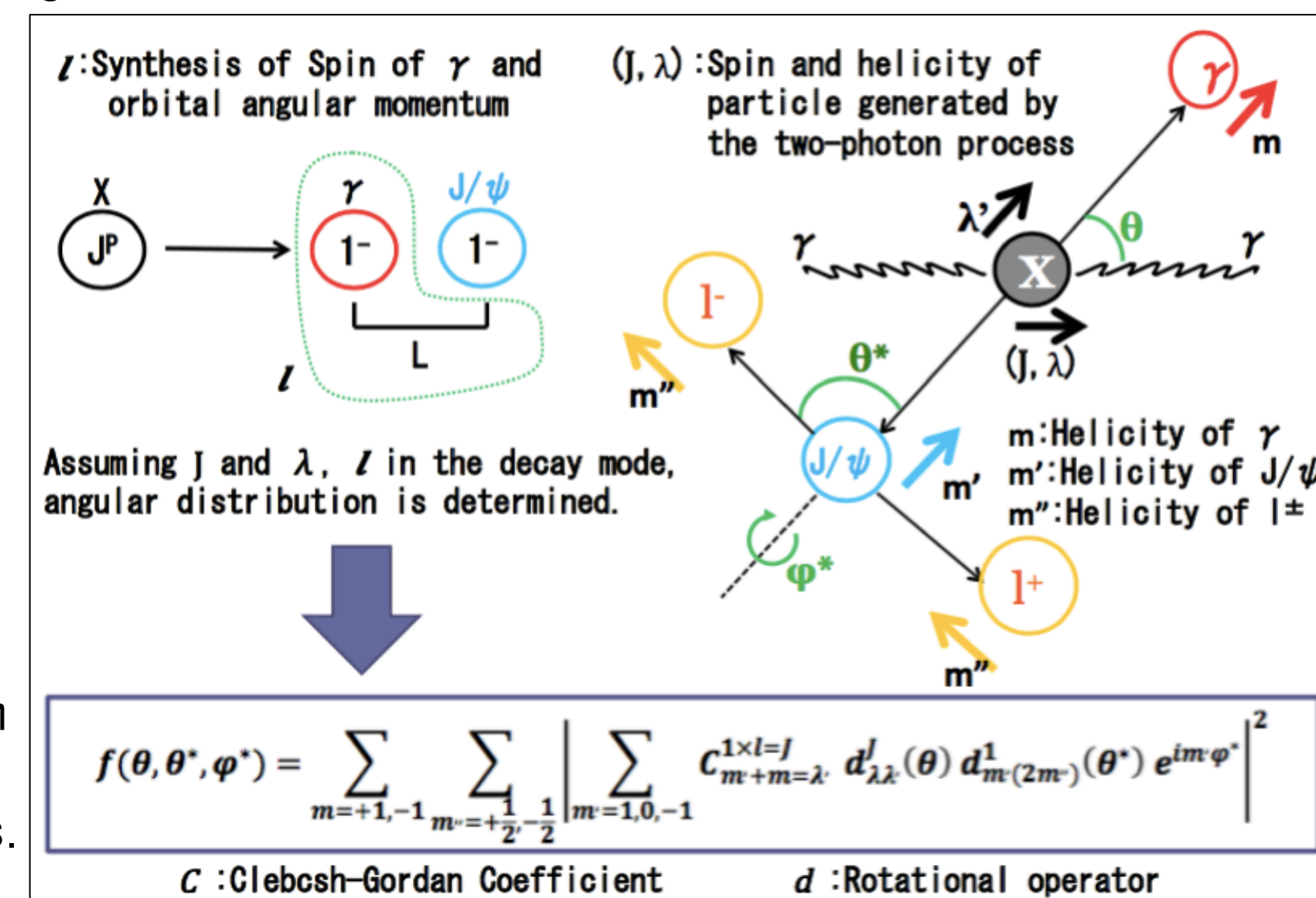
- Fig.2: Distribution of the polar angle(θ) of the photon in the l⁺l⁻ γ c.m. frame for each type MC sample of 4.2GeV/c² charmonium state mass.



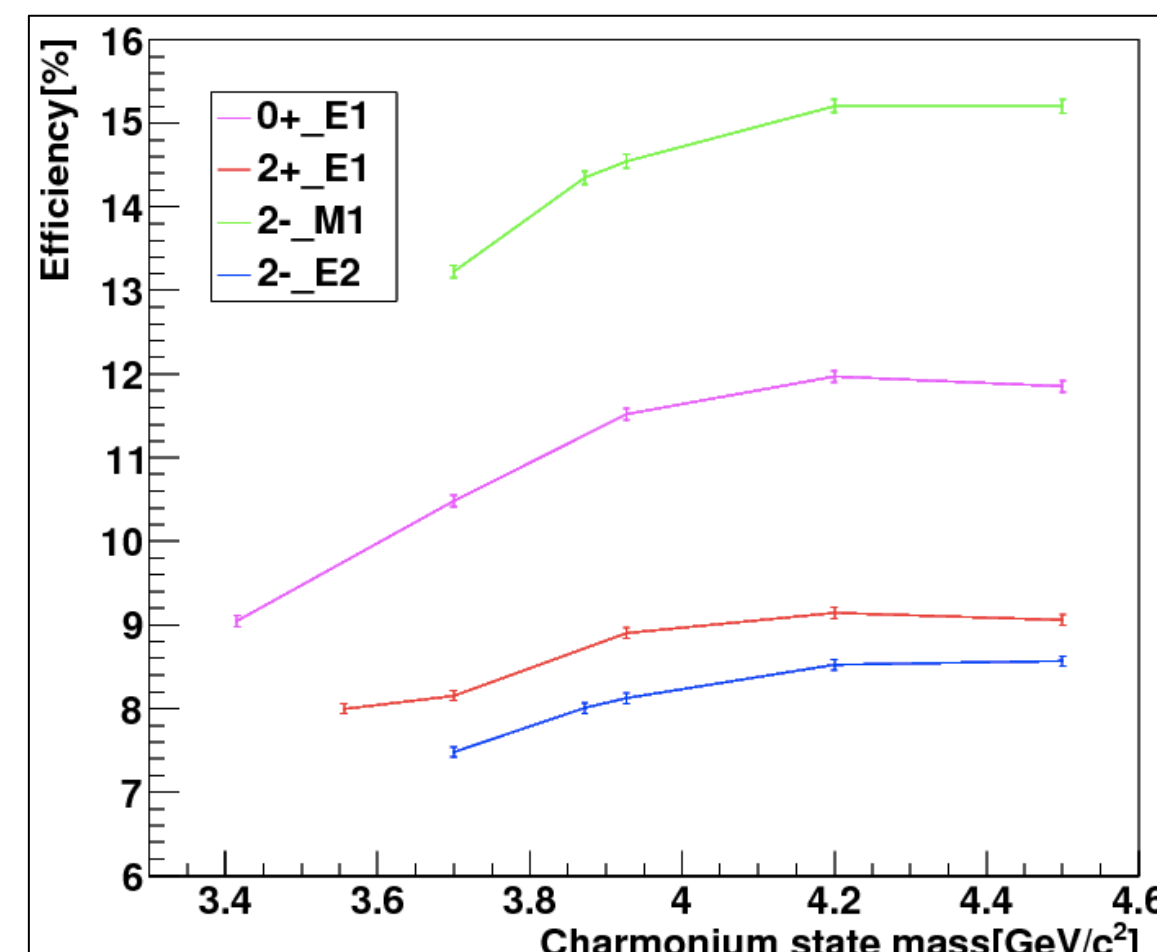
Event Selection

- Only two oppositely-charged particles from J/psi
 - 0.47 ≤ cos θ ≤ 0.82
 - Pt ≥ 0.4 [GeV/c]
 - |dr| ≤ 1 [cm]
 - |dz| ≤ 3 [cm]
 - |Δdz| ≤ 1 [cm]
 - cos α > -0.997
- Lepton PID (E: energy deposit on ECL, P: momentum)
 - Electron: E/P ≥ 0.8
 - Muon: 0.0 ≤ E/P ≤ 0.4
- Only one photon cluster with E_γ ≥ 0.2 [GeV] at ECL
 - The total energy deposit on ECL is less than 6.0 [GeV]
 - Cluster is isolated from the charged tracks by more than 18.2°
- Rejection of ISR process
 - M_{reco}² = (E_{beam} - E_{J/ψ})² - P_{J/ψ}² ≥ 5.0 [GeV²]
- Reconstruction of J/psi by two charged particles
 - P_{J/ψ} ≤ 6.0 [GeV/c]
 - M_{J/ψ} ≤ 4.5 [GeV/c²]
- Transverse momentum of total cut for two-photon process
 - Σ_l |Pt_l| > 0.10 [GeV/c]
 - Σ_l |Pt_l| < 0.15 [GeV/c]

Fig.1



- Fig.3: Signal detection efficiency of each type MC samples depending on charmonium states.

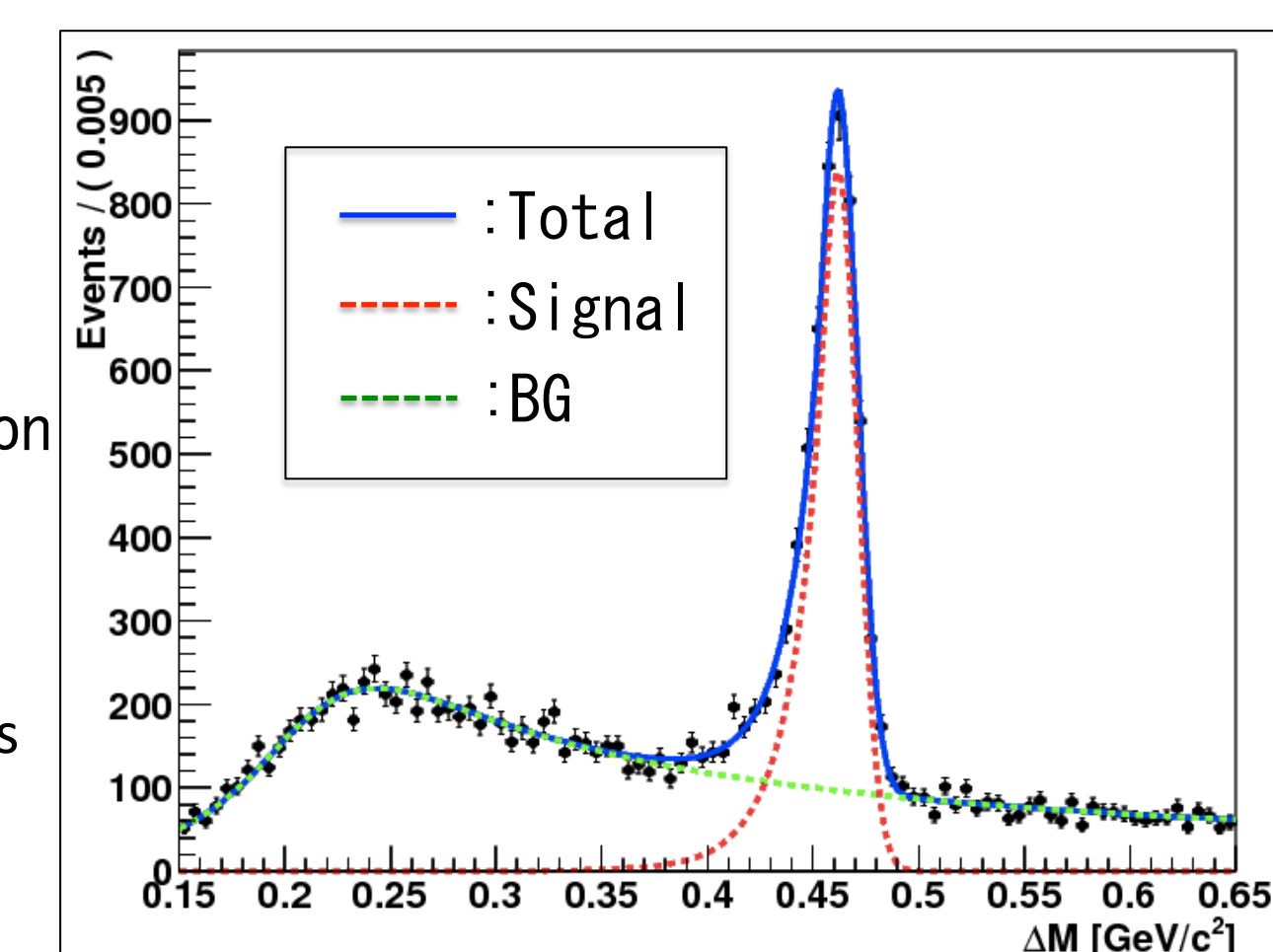


Fitter test and expected value of $\Gamma_{\gamma\gamma}(\chi_{c2}(1P))$

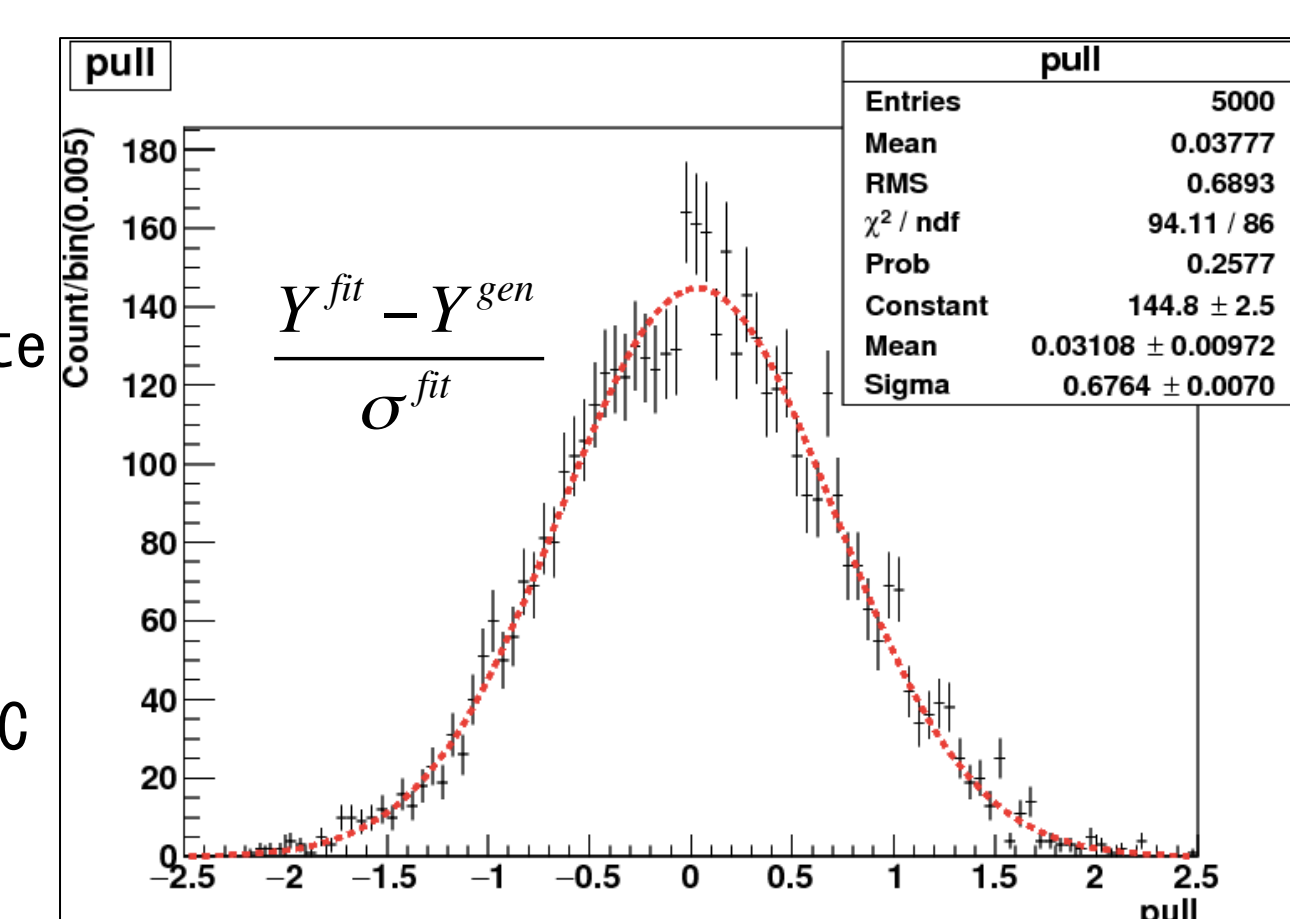
- We perform a fitter test using the toy MC made from the PDFs defined by signal MC and the previous result[1]. Here the expected numbers of signals and backgrounds are estimated by an extrapolation from the previous result[1]. (the below table is summary of the toy MC.)

	Expected number ($\Delta M = 0.15 \sim 1.45 \text{ GeV}$)	PDF shape
Signal part	4941	Signal MC
Background part	18035	Previous result[1]

- Fig.4: The result of fit using our toy MC. Signal and background part are fitted with the Crystal Ball function (all of the parameters are floated) and a function of $(\Delta M - a)^{-b} / (1 + \exp(-c(\Delta M - d)))$ (a, b, c, d are fixed with the previous result[1]), respectively.



- Fig.5: Pull distribution as a result of fitter test, where pull is defined as $(Y_{\text{fit}} - Y_{\text{gen}}) / \sigma_{\text{fit}}$, and we generate 5000 toy MC samples for fitter test.



The expected result from the estimated efficiency and the fitter test:

$$\Gamma_{\gamma\gamma}(\chi_{c2}) Br(\chi_{c2} \rightarrow J/\psi\gamma) Br(J/\psi \rightarrow l^+l^-) = 13.5 \pm 0.2(\text{stat.}) \pm 0.5(\text{syst.})$$

Previous result[1]: $13.5 \pm 1.3(\text{stat.}) \pm 1.1(\text{syst.})$

Here, we suppose that systematic error will be 4.0%.

Analysis with bad-P_t-balance

[4] G.A.Schuler et al., NP B523, 423 (1998).

- In the case of loose P_t-balance cut (bad-P_t-balance), production of charmonium(-like) state violating the constraints of quantum numbers by the quasi-real photons collision is expected[4].
- We may be able to report the first measurement of $\chi_{c1}(1P)$ (J^P=1⁺⁺) in the two-photon process with the bad-P_t-balance thanks to the advantage of high statistics (980.4fb⁻¹).
- Because Belle II experiment (the target of integrated luminosity is 50ab⁻¹) is prepared, we like to establish analysis with the bad-P_t-balance in advance.

Summary and next step

- To test models describing the nature of heavy quarkonia, we study $\gamma\gamma \rightarrow X \rightarrow J/\psi\gamma$, $J/\psi \rightarrow l^+l^-$ ($l = e$ or μ) with the 980.4fb⁻¹ Belle data sample. We will measure the two-photon decay widths($\Gamma_{\gamma\gamma}$) and the angular distribution of charmonium(-like) states.
- We estimate the efficiency of several charmonium(-like) states and confirm the stability of our fit by performing the fitter test. From them, we evaluate $\Gamma_{\gamma\gamma}(\chi_{c2}(1P)) Br(\chi_{c2} \rightarrow J/\psi\gamma) Br(J/\psi \rightarrow l^+l^-)$. It turns out that the statistic error will be 1.5% (the previous result[1]: 9.6%)
- After the MC study, we start the analysis using the data sample to measure and search charmonium(-like) states soon.