

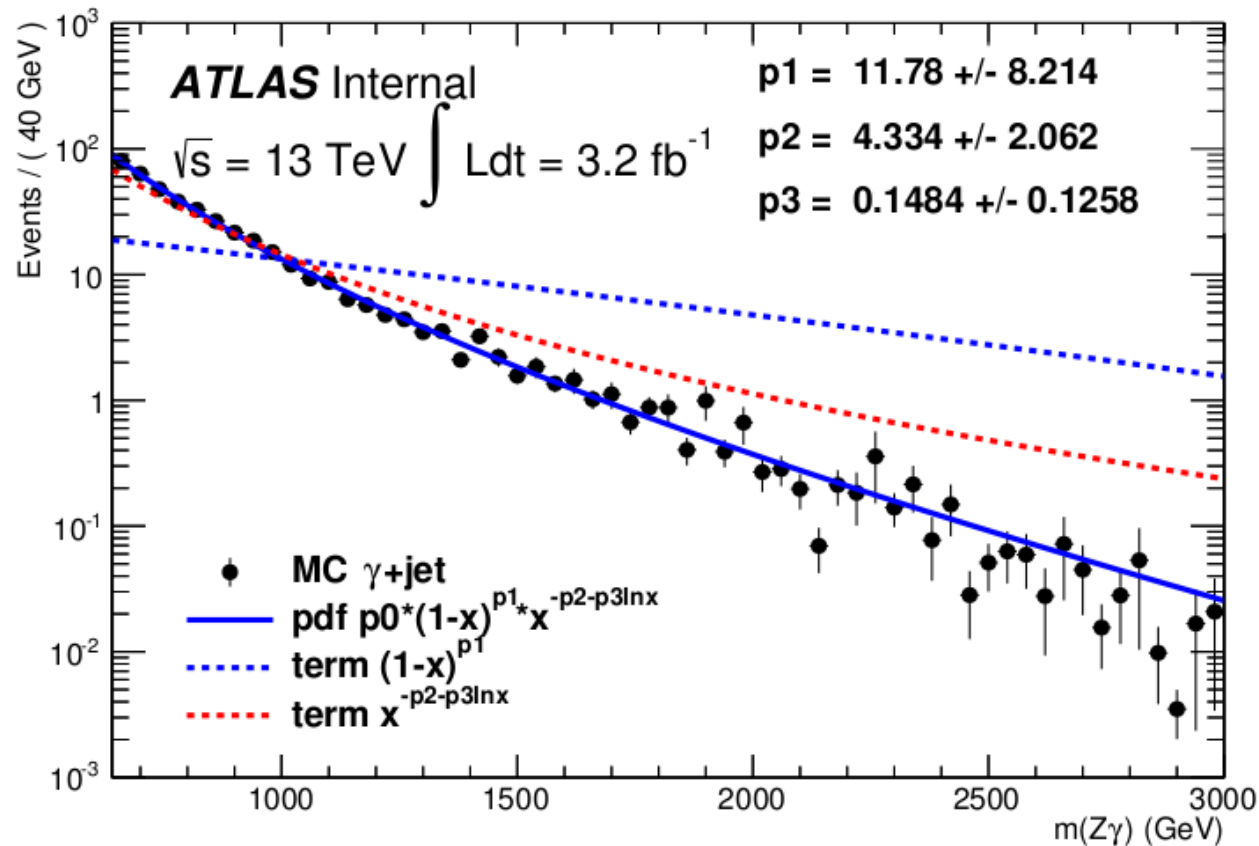
Unbinned fit in $Z\gamma$ boosted analysis

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Background modeling

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- Fitting background model to γ +jet MC sample



$$m(x \equiv m_{\gamma, \text{jet}} / \sqrt{s}) = p_0 (1 - x)^{p_1} x^{-p_2 - p_3 \ln x}$$

Signal modeling

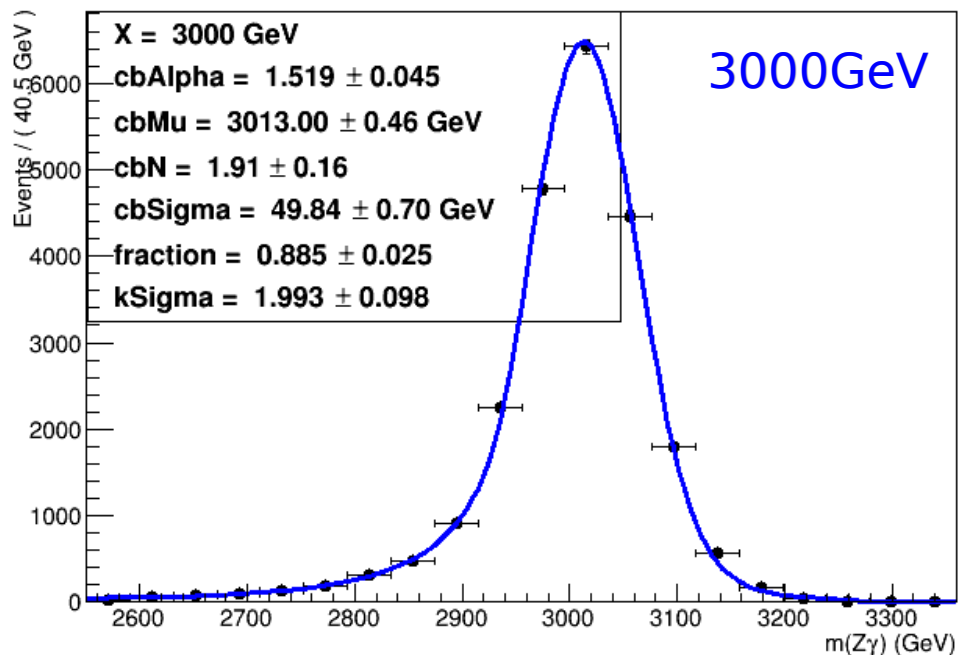
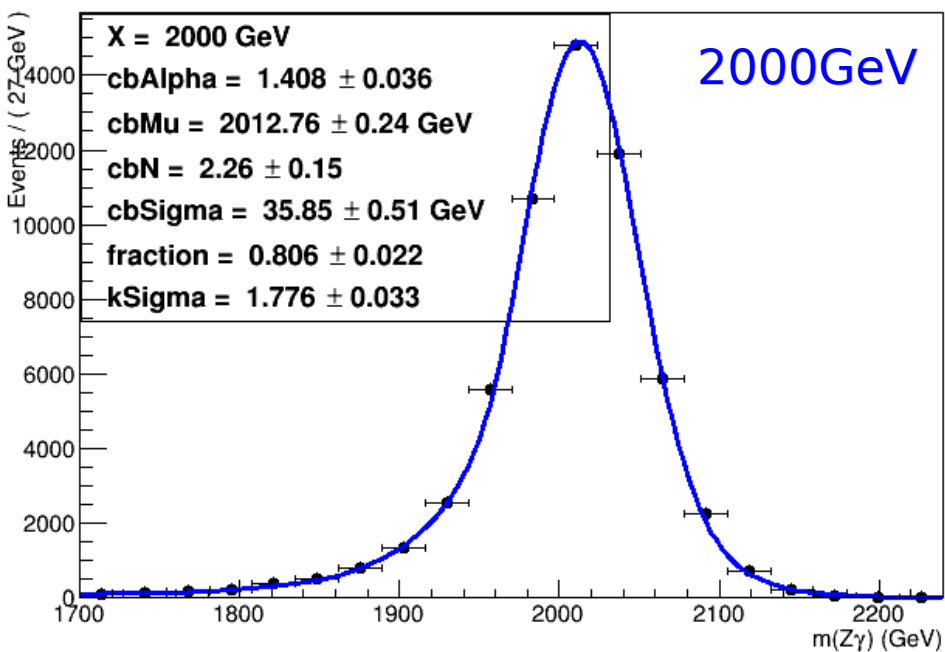
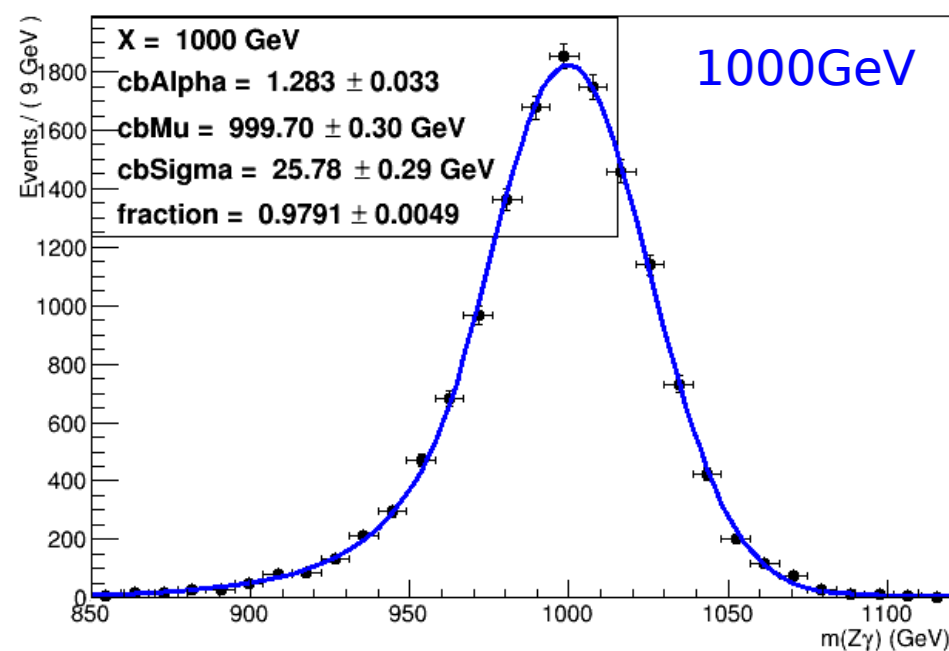
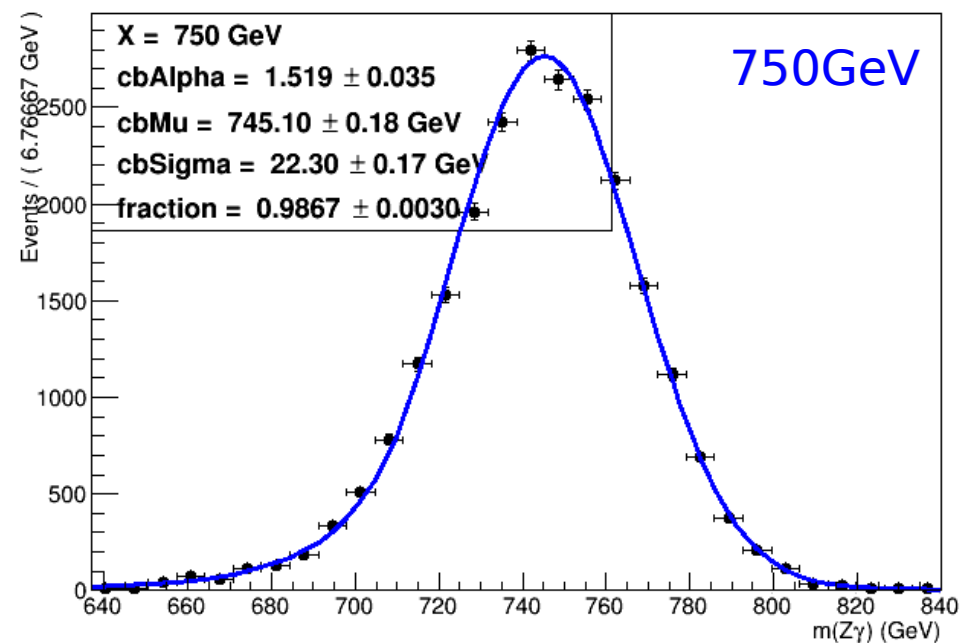
- Signal model is CB+Gauss
- Use the same μ in both CB and Gauss
- Use k as a factor to scale CB sigma to Gauss sigma

$$f(m(\gamma J)) = f_{CB} CB(m(\gamma J); \mu, \sigma_{CB}, \alpha_{CB}, N_{CB}) + (1 - f_{CB}) Gauss(m(\gamma J); \mu, k\sigma_{CB})$$

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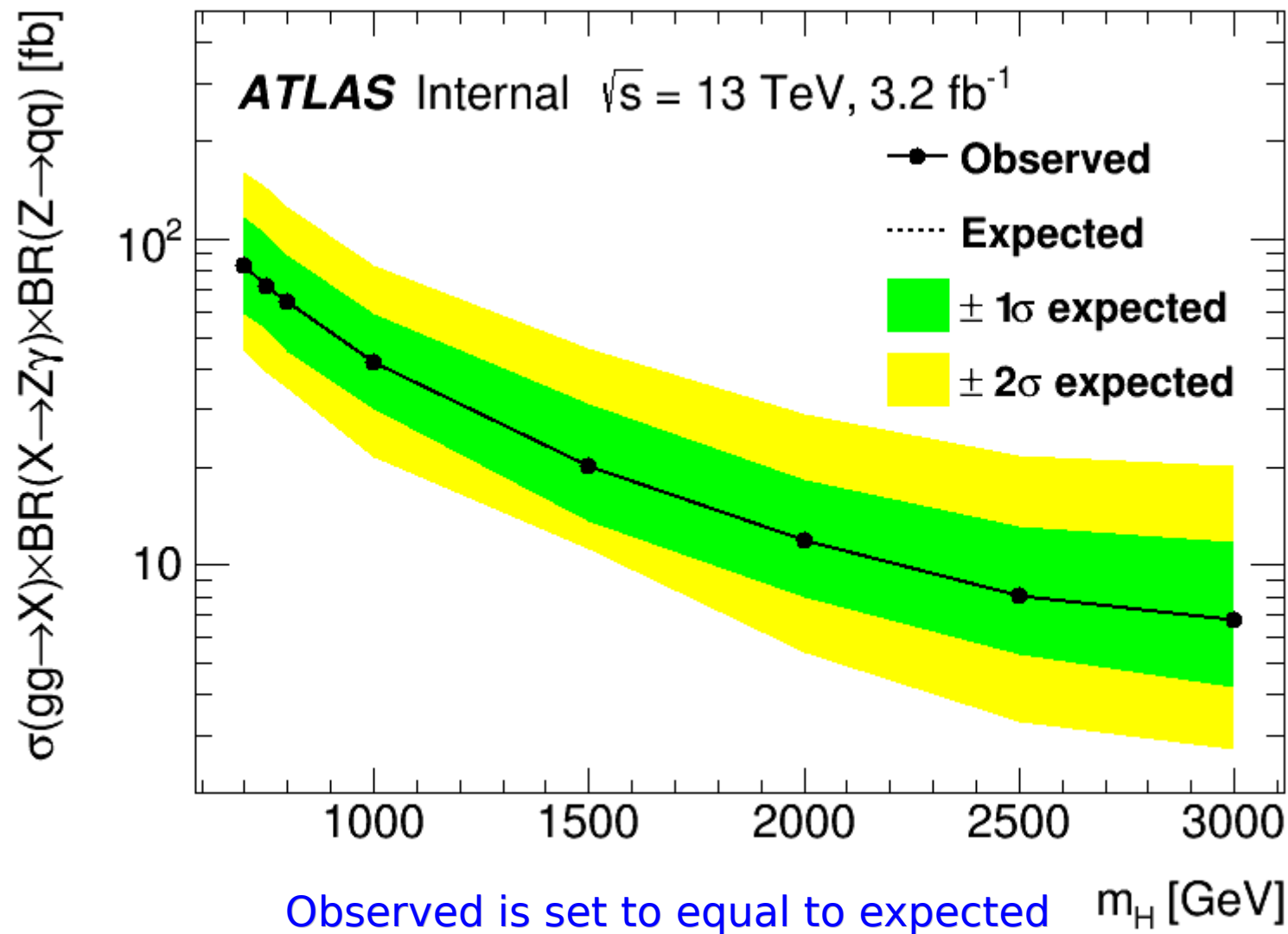
Signal model fit to MC

4



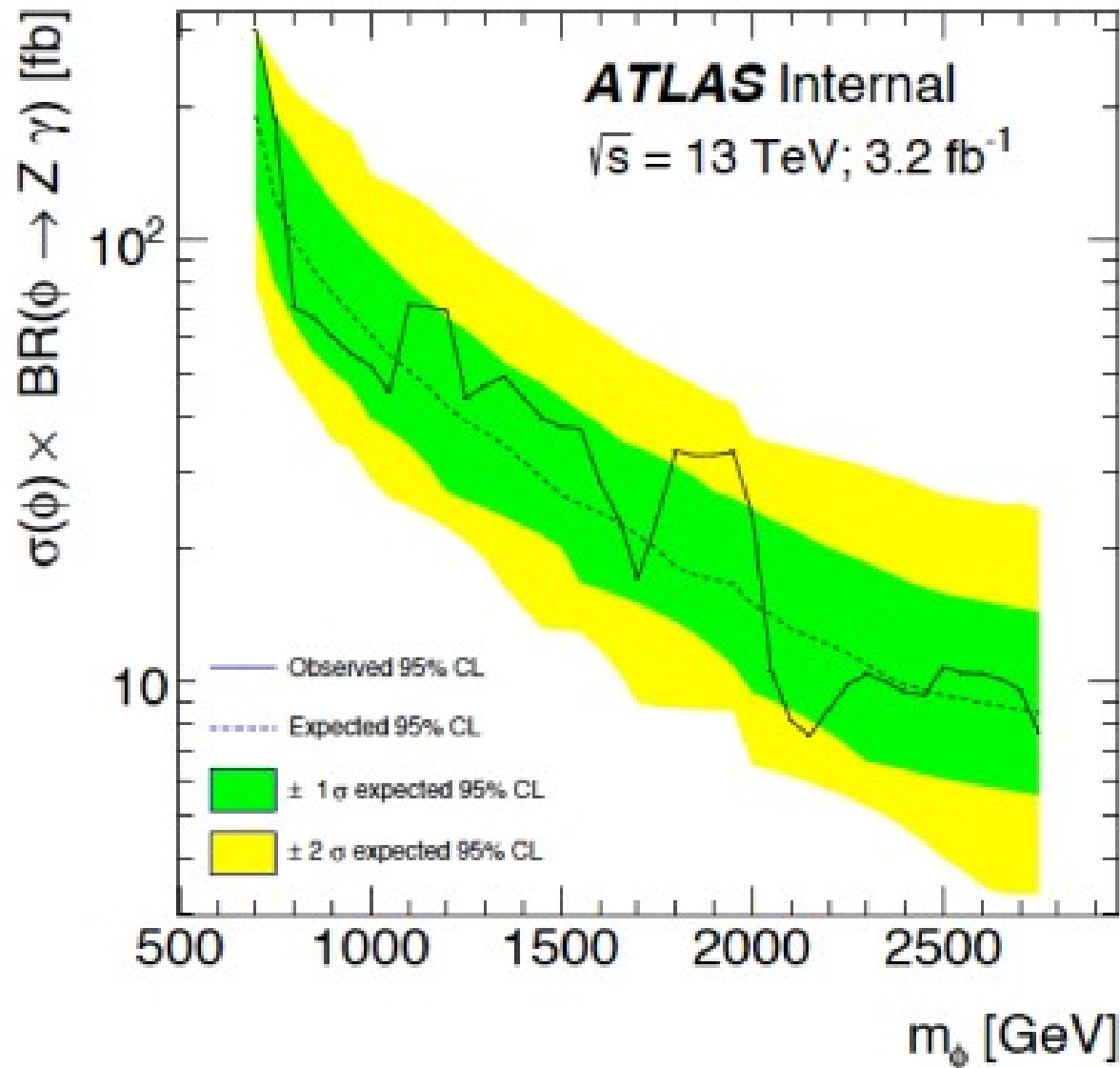
Expected limits

- Expected limits only (no systematics)



Compared to binned fit

- Limits with binned fit



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