



Higgs to di-photon analysis and photon energy reconstruction

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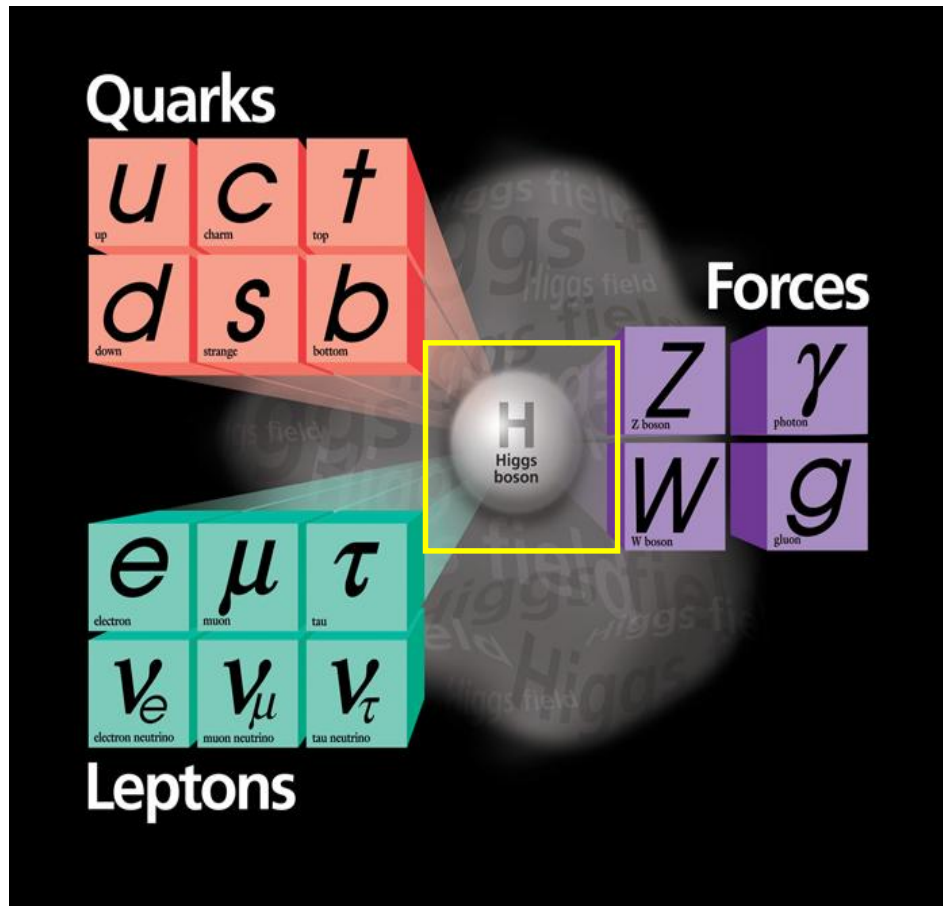
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Outline

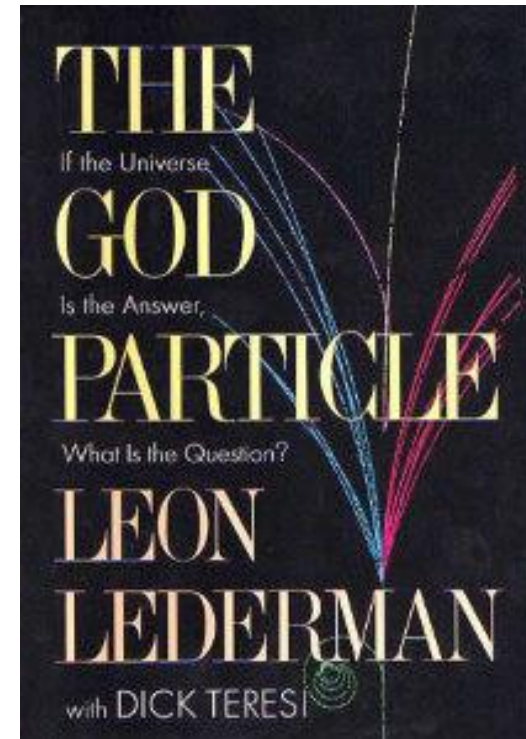
- From the Higgs to CEPC
- Analysis of Higgs to di-photon with fast simulation
- Photon reconstruction with full simulation
- Summary and plan

Standard model & Higgs

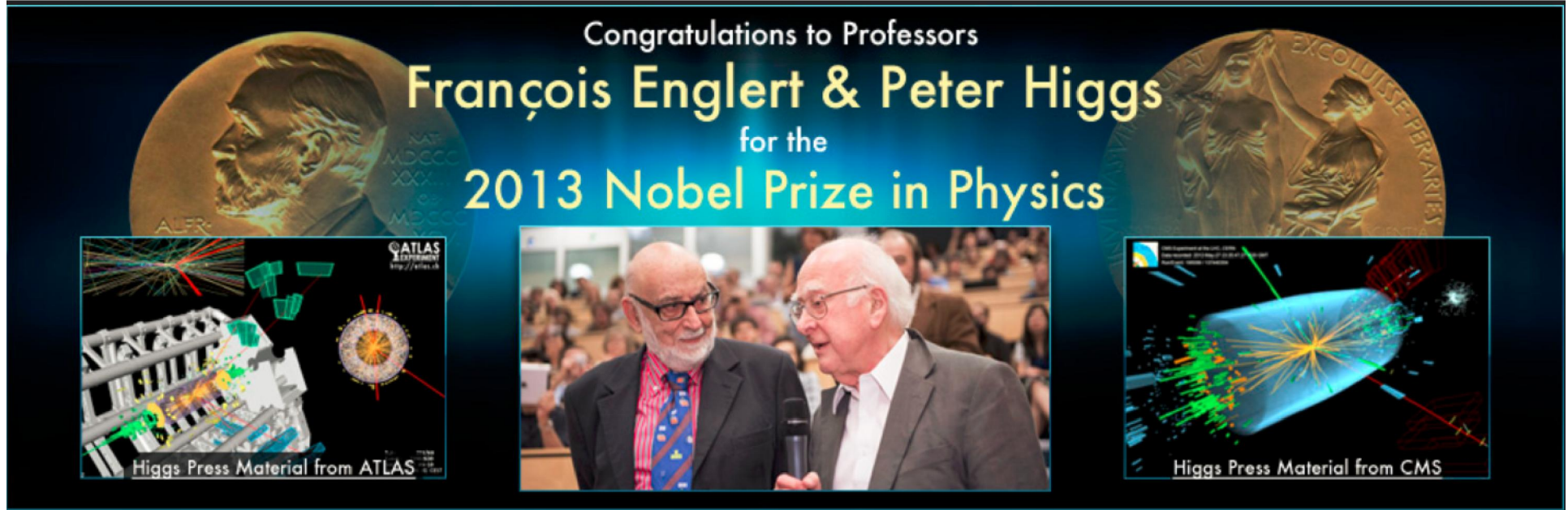


→ **Higgs** explains origin of mass, and is regarded as “the God particle”.

→ Looking for **Higgs** is a main objective at (LEP, Tevatron, **LHC**).

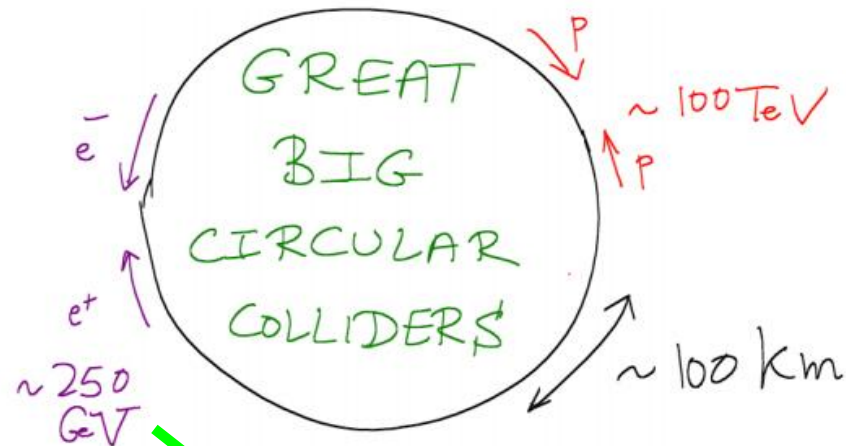


Nobel Prize in Physics in 2013

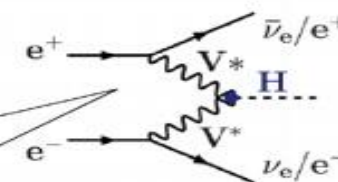
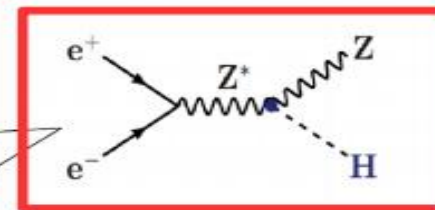
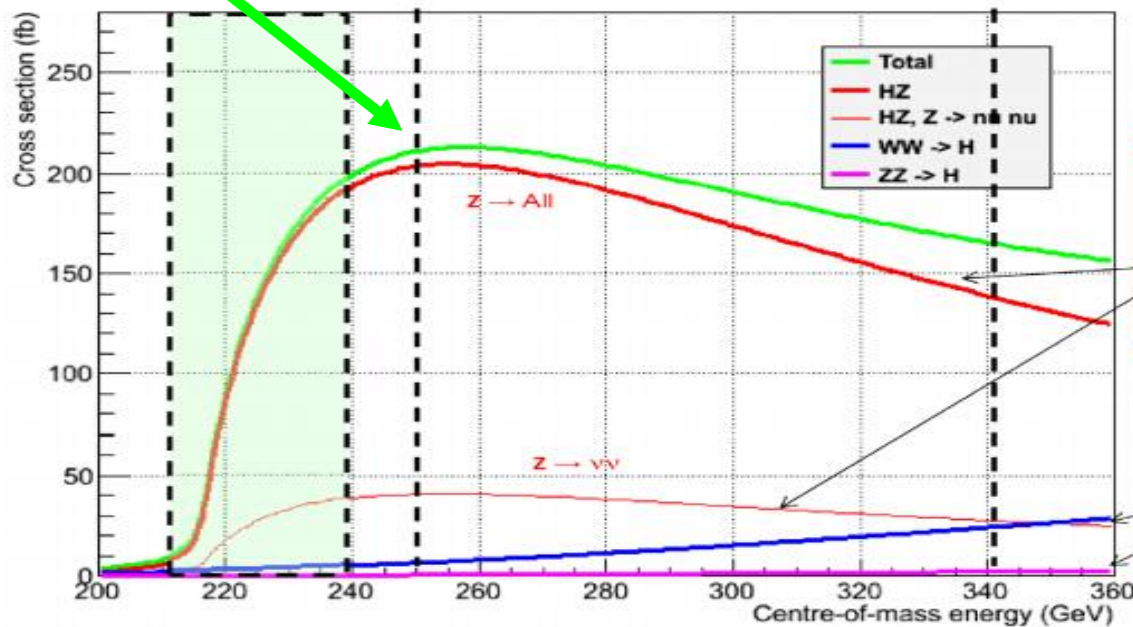


The Nobel Prize in Physics 2013 was awarded jointly to François Englert and Peter W. Higgs *“ for the theoretical discovery of a mechanism that contributes to our understanding of the origin of mass of subatomic particles, and which recently was confirmed through the discovery of the predicted fundamental particle, by the ATLAS and CMS experiments at CERN’s Large Hadron Collider”*

Circle Electron Positron Collider



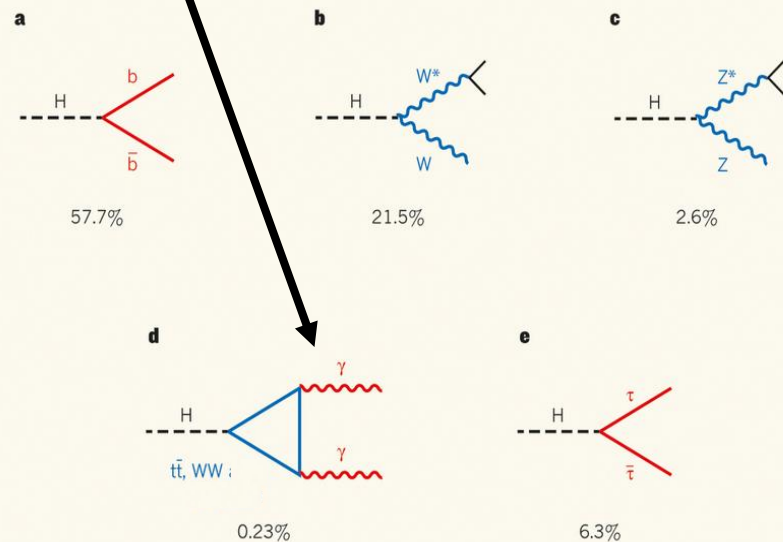
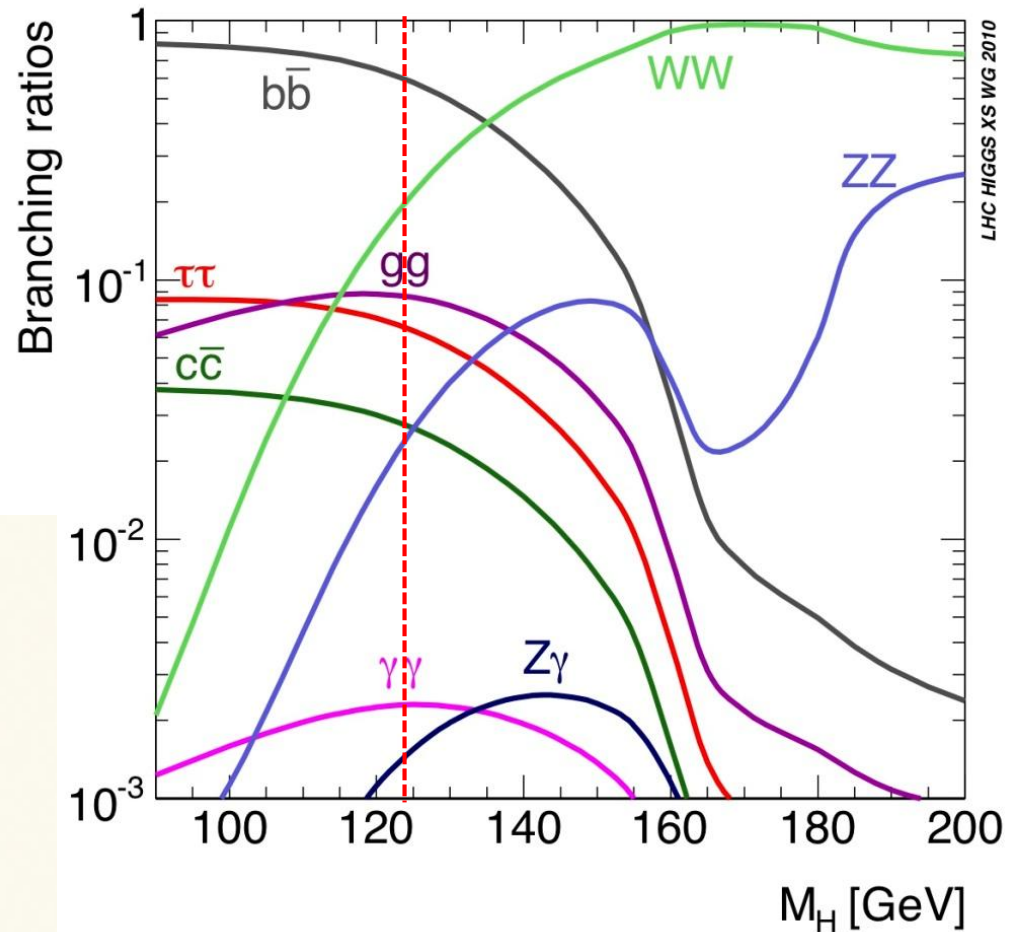
1. The Higgsstrahlung process (ZH process)
2. The weak boson (WW or ZZ) fusion reactions



Higgs Boson Decay

Higgs decay branching ratio at $m_H=125$ GeV

- $b\bar{b}$: 57.7%
- WW : 21.5%
- $\tau\tau$: 6.3%
- ZZ^* : 2.6%
- $\gamma\gamma$: 0.23%



Nature, 496, 439–441 (25 April 2013)

Signal

- Information

Integrated luminosity: 5 ab^{-1}

Generator: Whizard 1.95

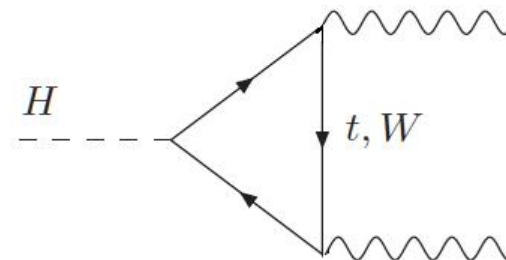
- $ZH \rightarrow (\nu\nu, \ell\ell, qq) \gamma\gamma$ event:

Mode	qq	$\nu\nu$	$\ell\ell$
BR(%)	70	20	10

four final state particles

two final state particles

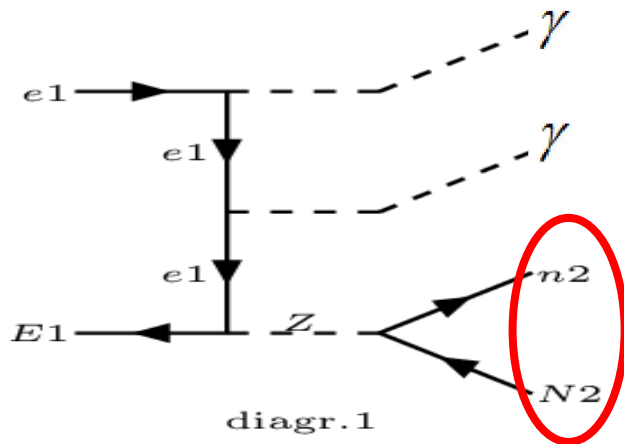
The Higgs decay into two photons through massive charged particle



Background

Main background:

$$e^+e^- \rightarrow (q\bar{q}, \nu\bar{\nu}, l\bar{l})\gamma\gamma$$



+ topology

Can be replaced by qq & ll

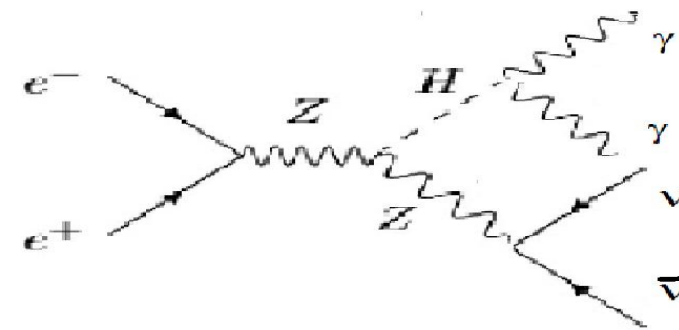
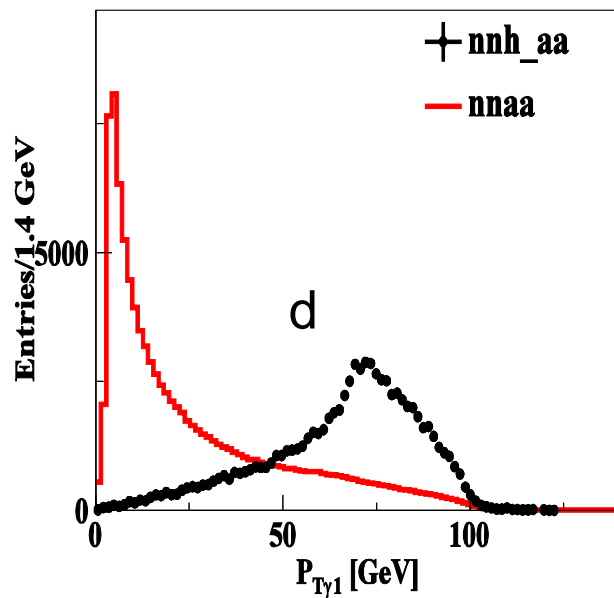
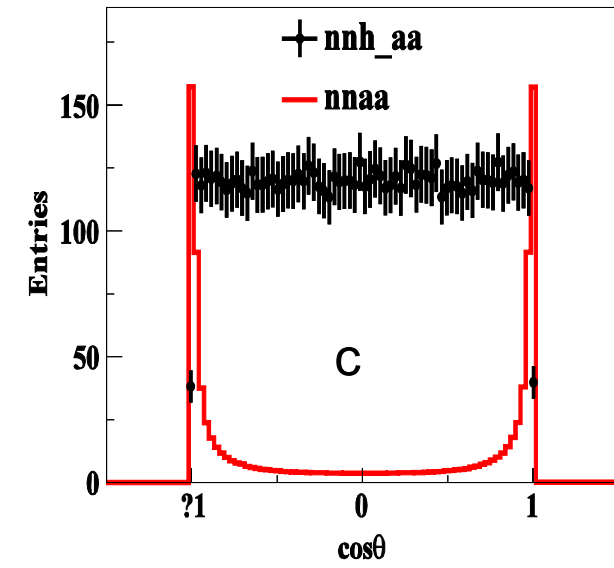
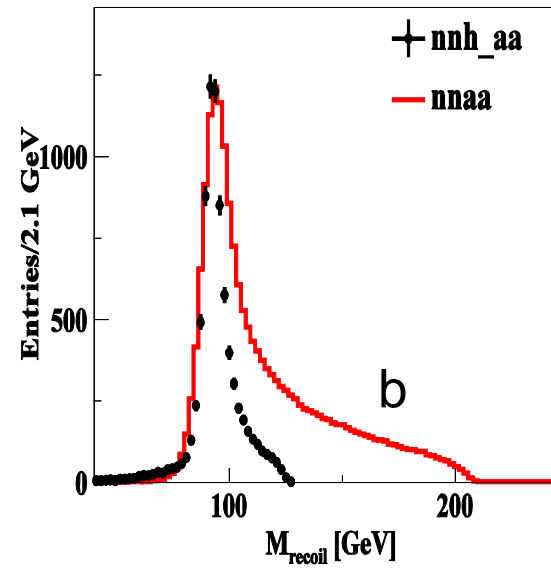
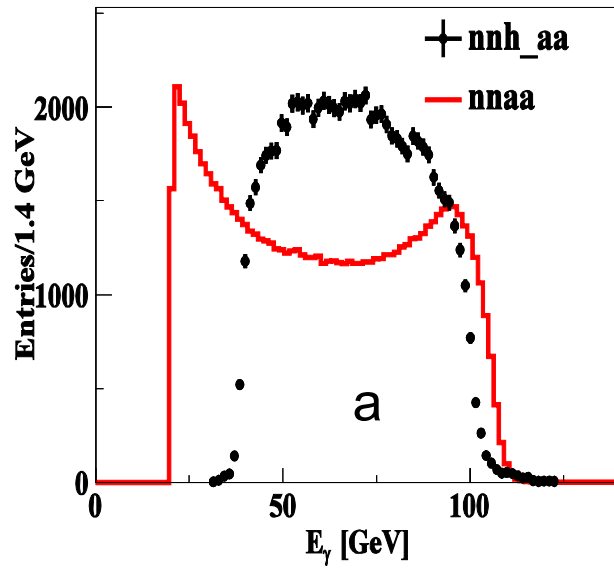
other background:

$$e^+e^- \rightarrow ww, zz$$

Analysis

- Signal
 - large photon energy
 - the largest two-photon invariant mass
- Background
 - almost along the beam direction
 - low transverse momentum

Two final state objects



Cut chain

Beam without pol.		Events			
Channel	Generate	cut1	cut2	cut3	cut4
nnH_aa	Efficiency	100%	82.94%	61.22%	57.45%
nnH_aa	557	557	462	341	320
nnaa	1276400	401626	105008	16182	13231

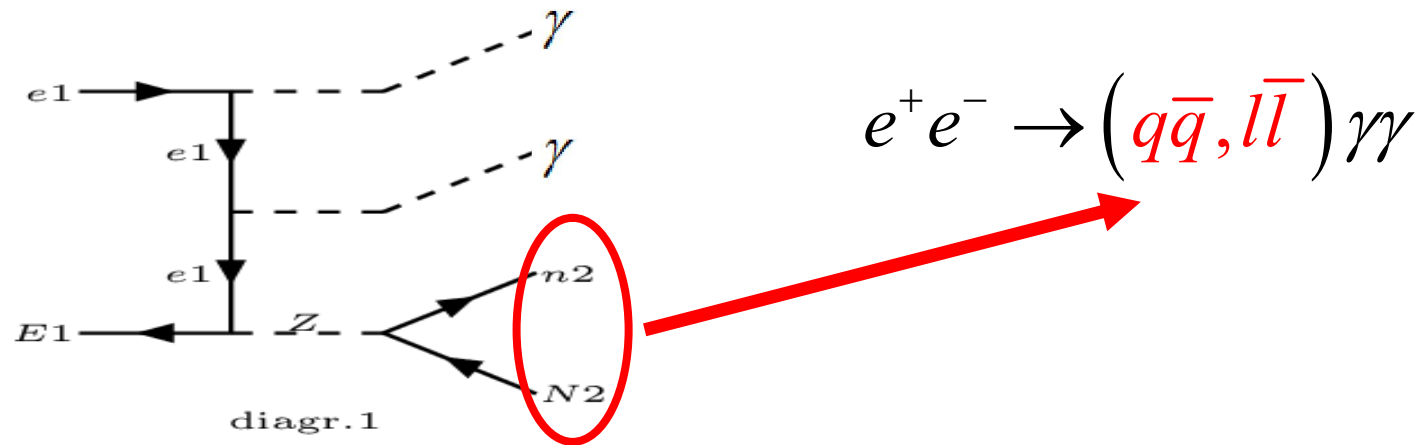
Cut1: $E_\gamma > 35\text{GeV}$

Cut3: $\begin{cases} P_{\text{low}} > 48\text{GeV} \\ P_{\text{high}} > 37\text{GeV} \end{cases}$

Cut2: $|\cos\theta_p| < 0.84$

Cut4: $M_{\text{reco}} < 110\text{GeV}$

Four final state objects



- Kinematic fitting

In four final state objects channel, kinematic fitting are used to improve the performance.

Cut chain

Beam without pol.		Events					
Channel	Generate	cut1	cut2	cut3	cut4	cut5	cut6
qqH_aa	Efficiency	100%	88.38%	74.94%	53.75%	34.38%	34.38%
qqH_aa	1652	1652	1460	1238	888	568	568
qqaa	11011914	2027271	803856	228018	93878	24390	19184
ww	42455430	46318	20339	6616	17	0	0
zz	5805561	15716	2913	990	51	17	11
wworzz	19700221	18953	8723	3630	14	14	14

$$\text{cut1} = E_\gamma > 35\text{GeV}$$

$$\text{cut3} = \begin{cases} 20\text{GeV} < P_{Tlow} < 97\text{GeV} \\ 26\text{GeV} < P_{Thigh} < 100\text{GeV} \end{cases}$$

$$\text{cut5} = P_{T\gamma1} + P_{T\gamma2} > 118\text{GeV}$$

$$\text{cut2} = |\cos \theta_p| < 0.9$$

$$\text{cut4} = 85\text{GeV} < M_{reco} < 100\text{GeV}$$

$$\text{cut6} = 130\text{GeV} < E_{\gamma1} + E_{\gamma2} < 150\text{GeV}$$

Cut and fit

■ Cut

cut chain optimized to maximize signal to background ratio $\frac{S}{\sqrt{S+B}}$
efficiency for

$\nu\nu h_{\gamma\gamma}$ channel: 54.5%

$qqh_{\gamma\gamma}$ channel: 34.3%

$\mu\mu h_{\gamma\gamma}$ channel: 42.2%

$\tau\tau h_{\gamma\gamma}$ channel: 41.9%

■ Fit

Gaussian function for sig

Polynomial for bkg

Fast simulation result

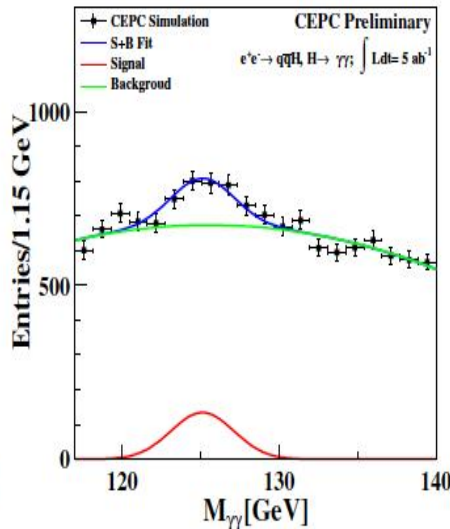
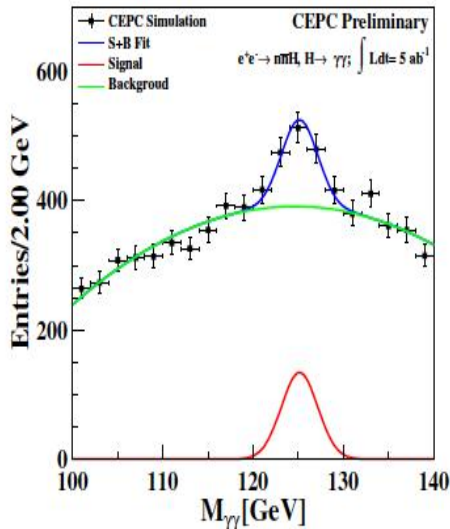
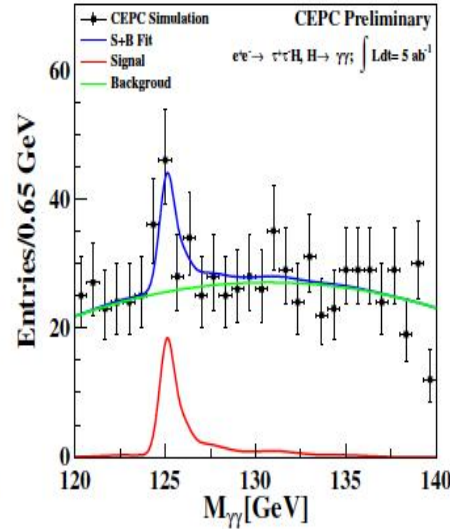
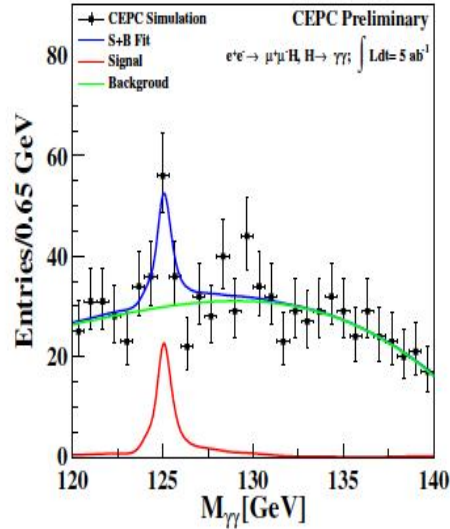


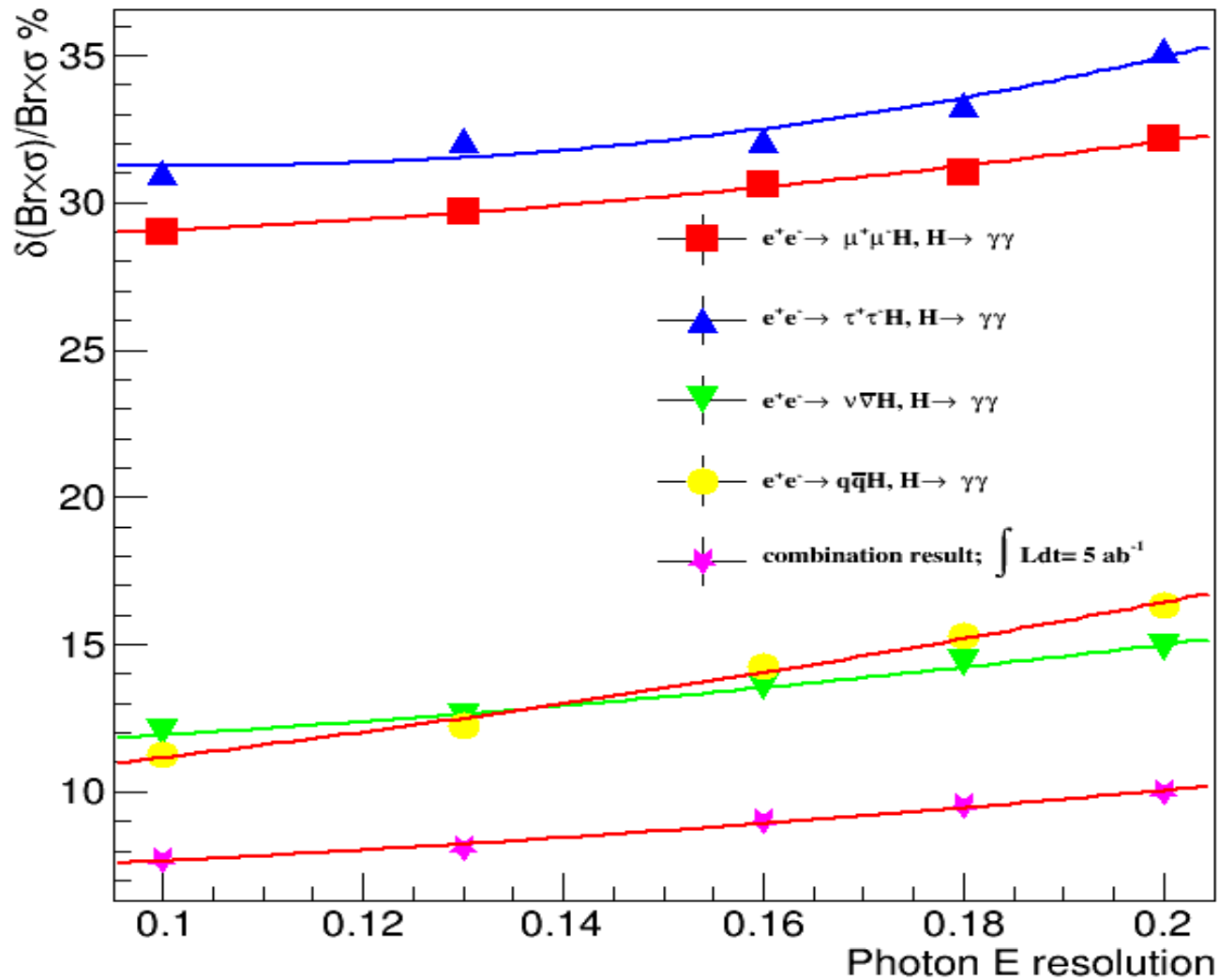
Table 12: Expected event yields for signal and backgrounds in $H \rightarrow \gamma\gamma$ channel, normalized to 5 ab^{-1} .

Channel		$\frac{\delta(E)}{E} = \frac{10\%}{\sqrt{(E)}} \oplus 1\%$	$\frac{\delta(E)}{E} = \frac{16\%}{\sqrt{(E)}} \oplus 1\%$	$\frac{\delta(E)}{E} = \frac{20\%}{\sqrt{(E)}} \oplus 1\%$
$Z \rightarrow \mu^+ \mu^-$	Signal/efficiency	$62 \pm 18/42.2\%$	62 ± 19	59 ± 19
	background	832 ± 33	831 ± 34	826 ± 33
	$\delta(Br \times \sigma)/(Br \times \sigma)$	29.03%	30.64%	32.20%
$Z \rightarrow \tau^+ \tau^-$	Signal/efficiency	$58 \pm 18/41.9\%$	56 ± 18	54 ± 19
	background	760 ± 32	757 ± 32	762 ± 32
	$\delta(Br \times \sigma)/(Br \times \sigma)$	31.03%	32.14%	35.18%
$Z \rightarrow \nu\nu$	signal	$334 \pm 40/57.5\%$	339 ± 46	342 ± 51
	background	7059 ± 91	7053 ± 94	7047 ± 96
	$\delta(Br \times \sigma)/(Br \times \sigma)$	11.98%	13.56%	14.91%
$Z \rightarrow qq$	signal	$594 \pm 67/34.3\%$	582 ± 83	575 ± 94
	background	13053 ± 130	12831 ± 138	12566 ± 144
	$\delta(Br \times \sigma)/(Br \times \sigma)$	11.28%	14.26%	16.35%
Total	$\delta(Br \times \sigma)/(Br \times \sigma)$	7.7%	9.0%	10.0%

A relative precision of 9.0% can be obtained

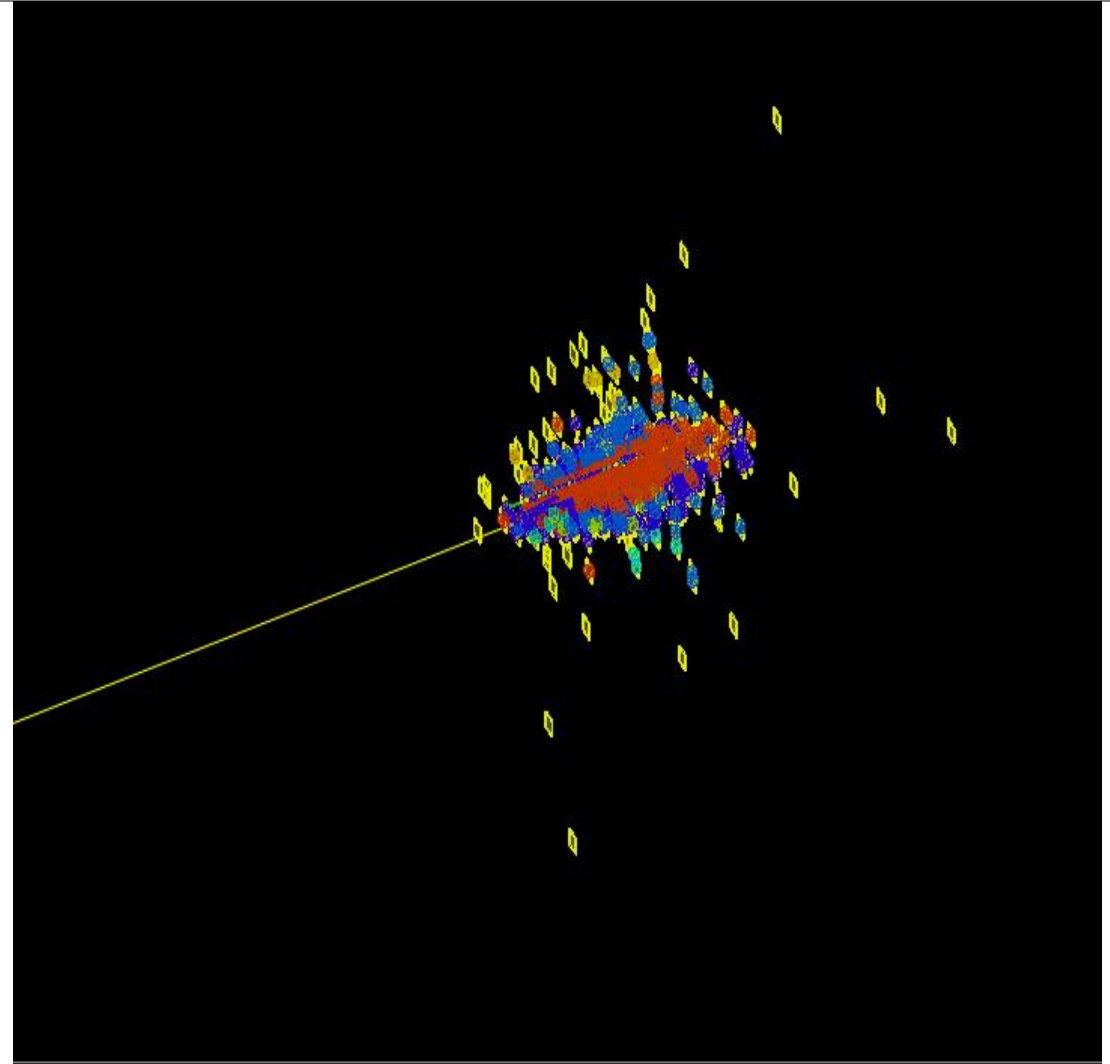
Fast simulation result

$\delta(\text{Br}\times\sigma)/\text{Br}\times\sigma$ vs $\delta E/E$



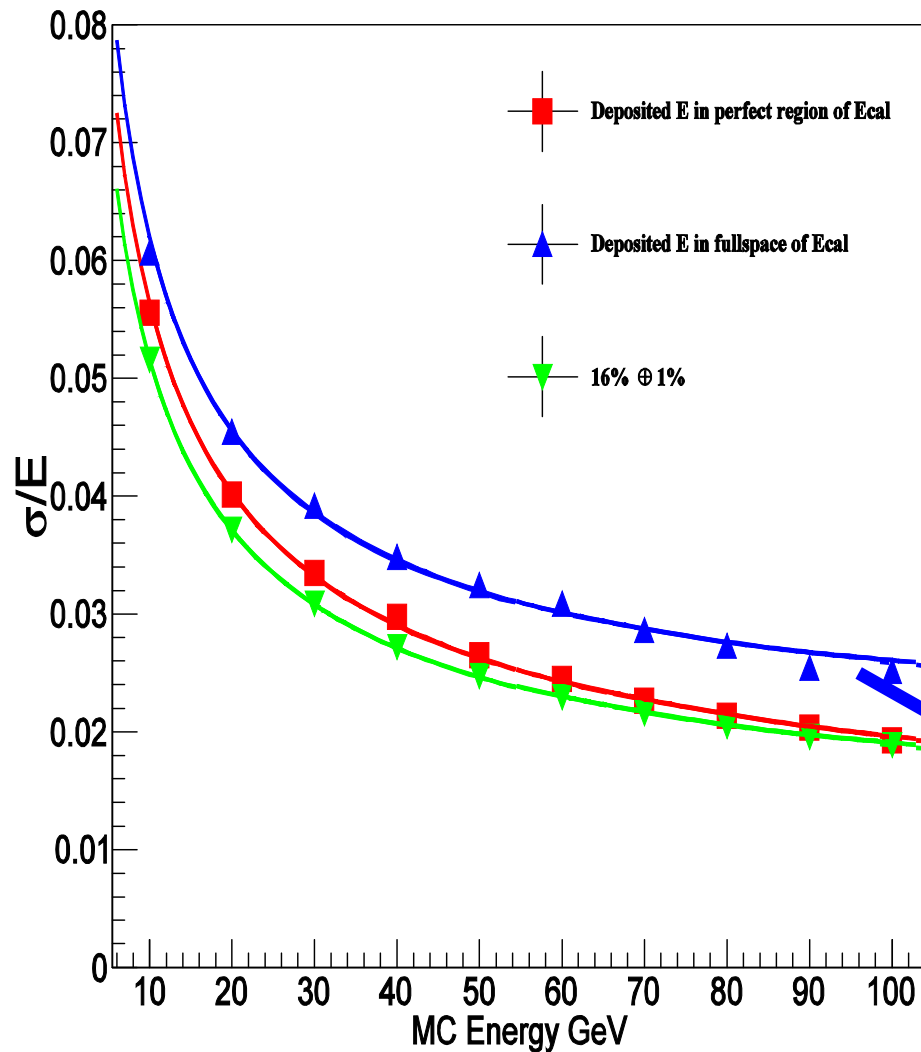
Photon reconstruction with full simulation

- 1. Photon energy estimator
- 2. Photon energy estimator correction according to Ecal geometry
- 3. Photon conversion

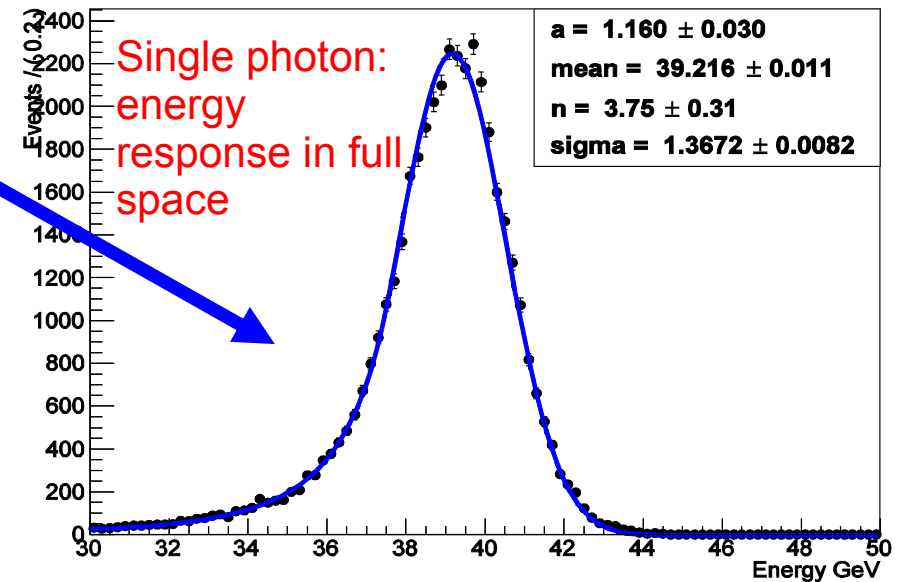
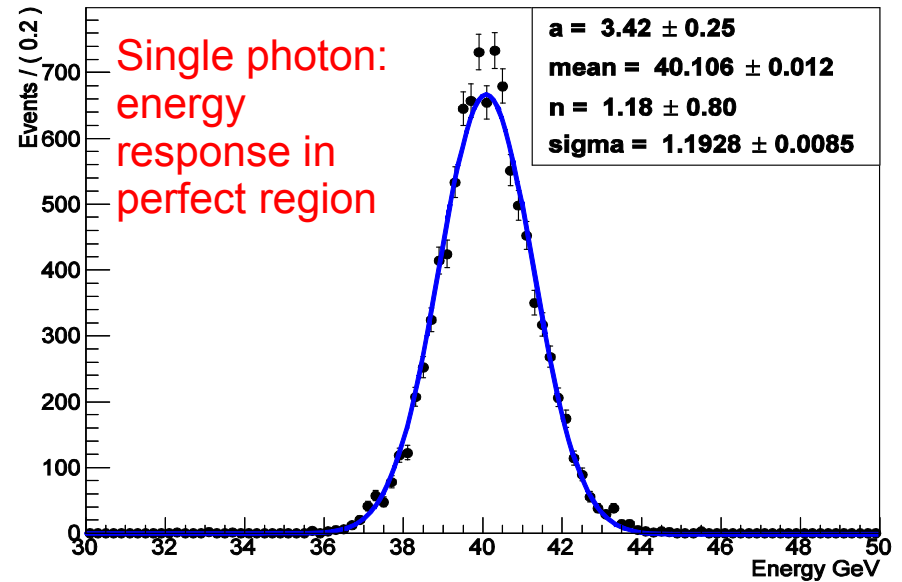


Photon energy estimator

Photon energy resolution

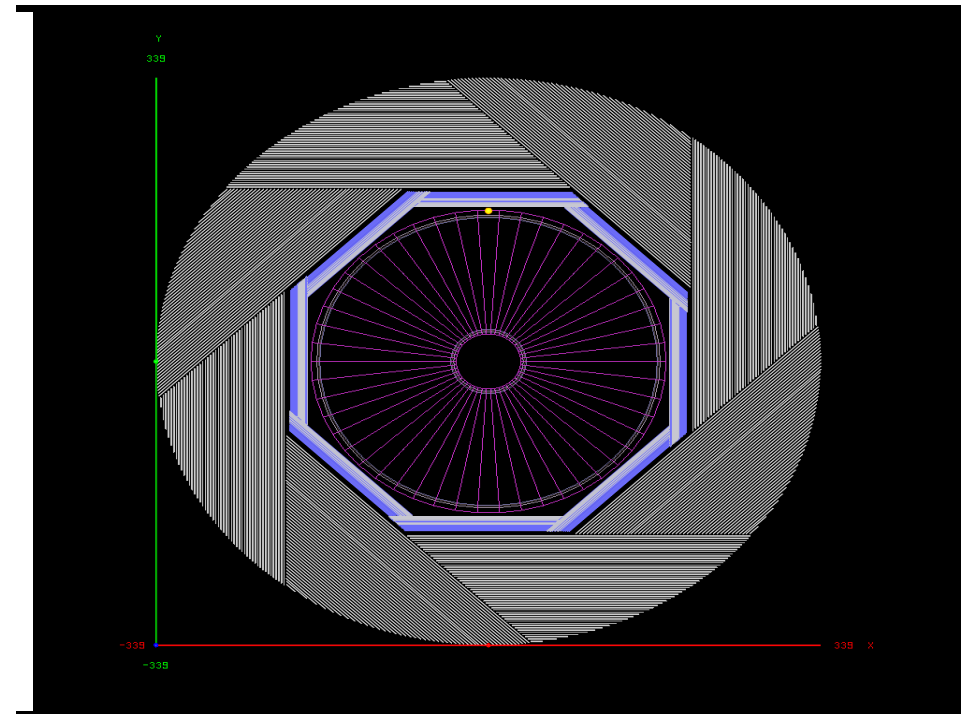
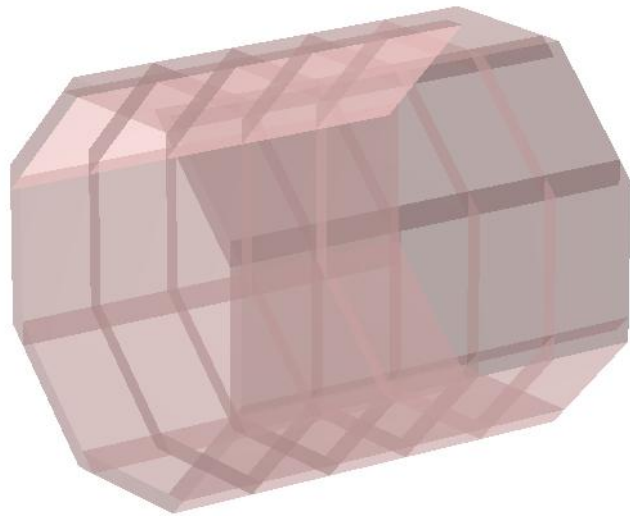


Reconstruction energy (deposit E)



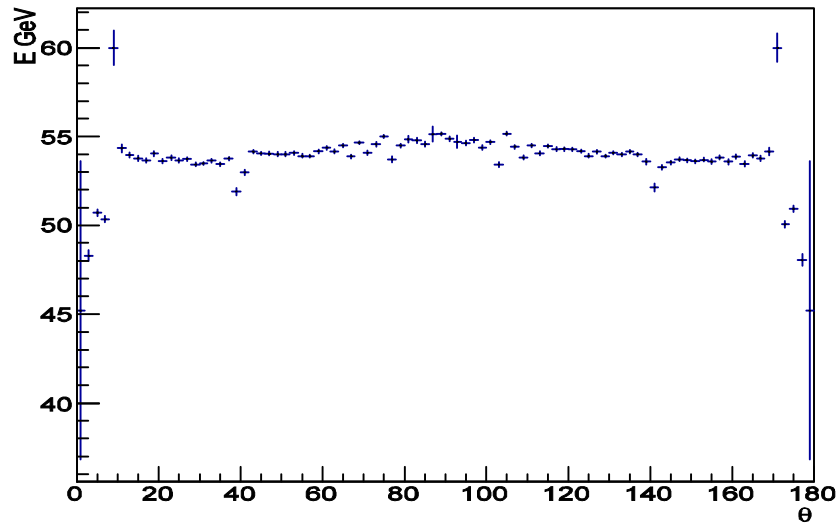
Photon angular resolution correction

Theta & Phi Dependence

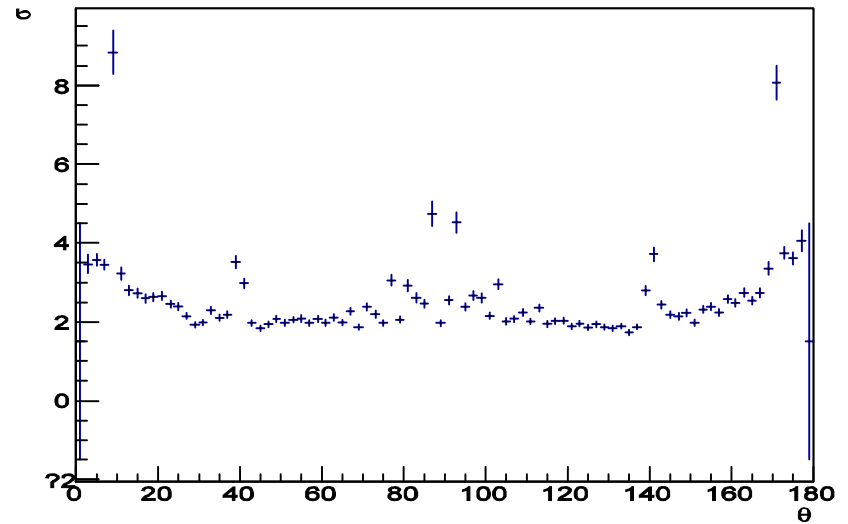


Photon angular resolution correction

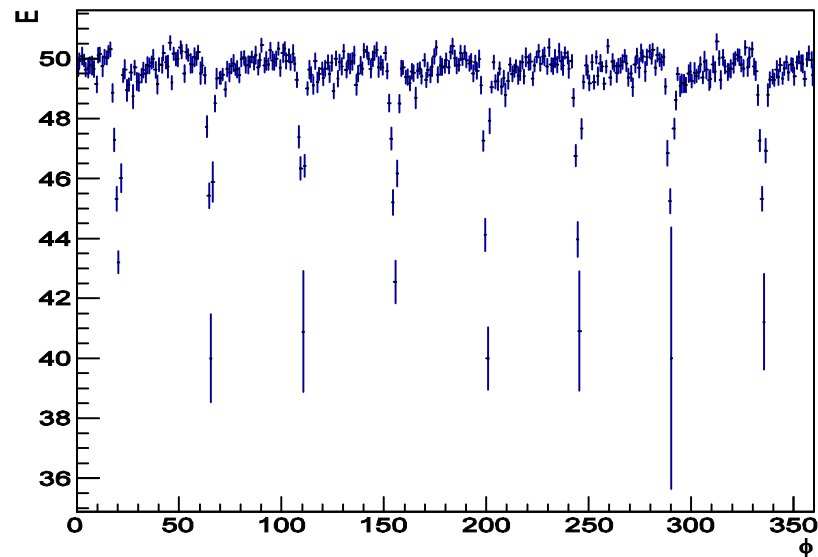
E vs θ (no gamma conversion)



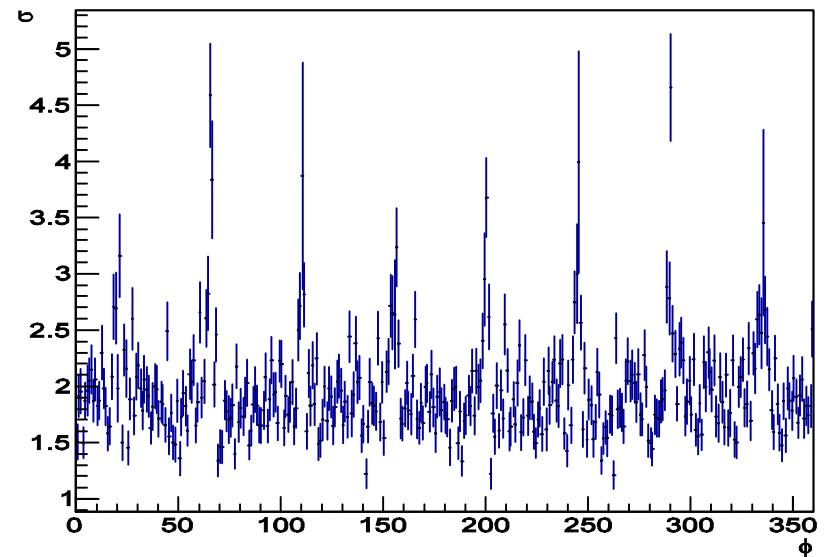
σ vs θ



E vs ϕ

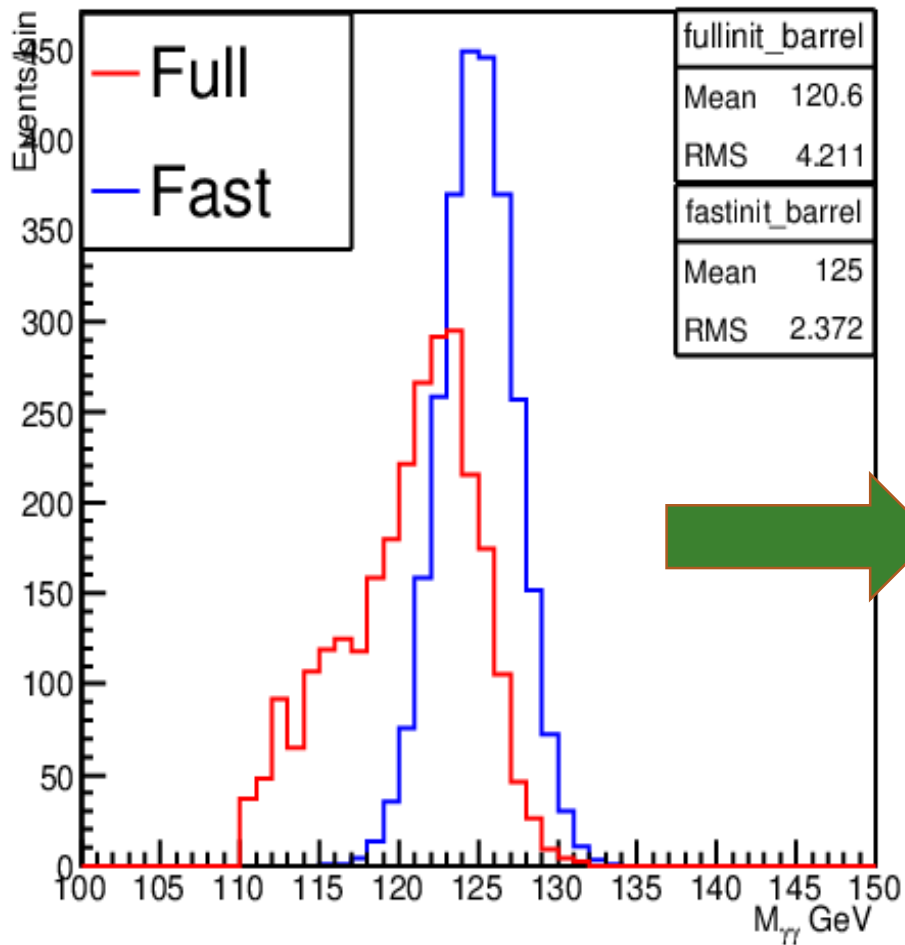


σ vs ϕ

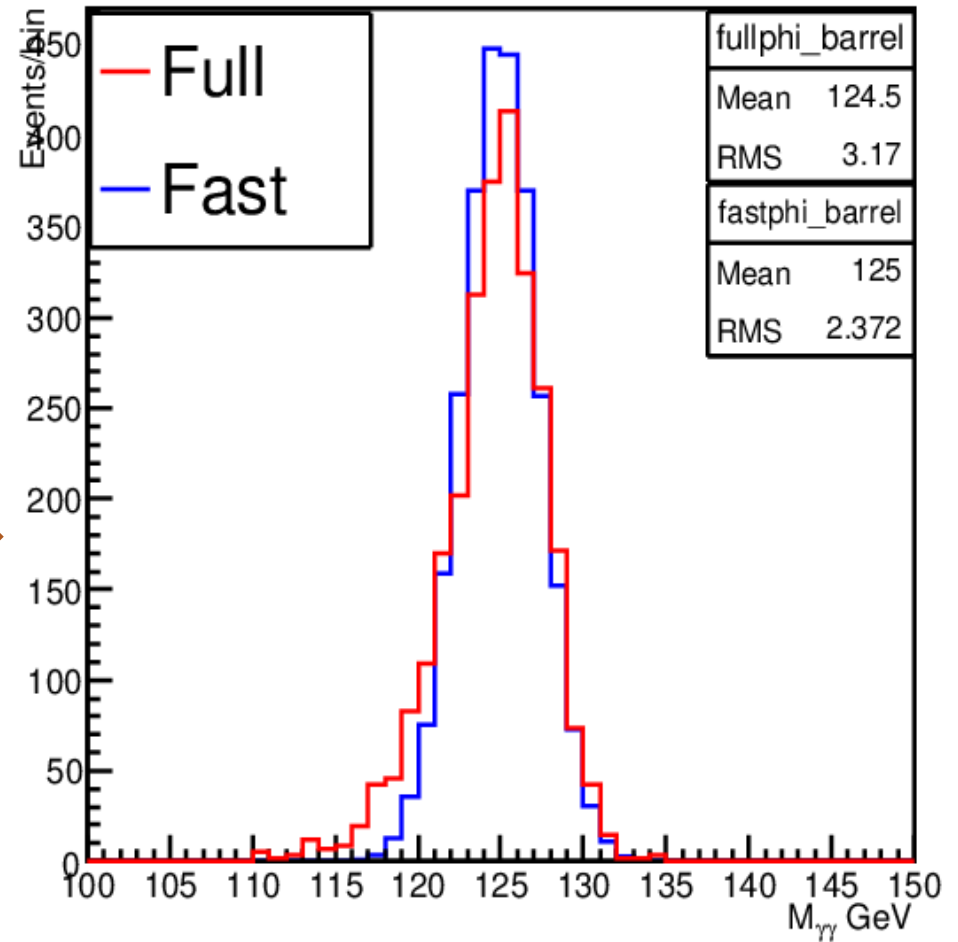


Photon angular resolution correction

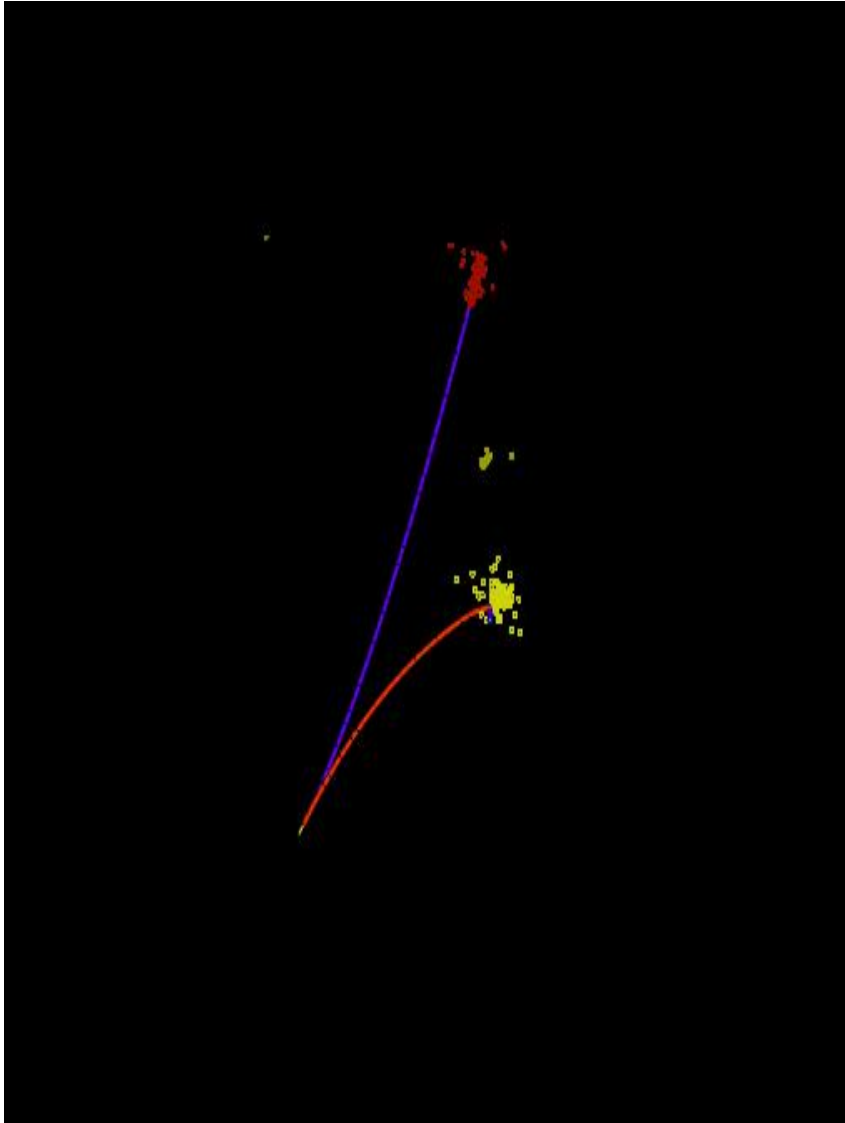
$M_{\gamma\gamma}$ without geometry correction



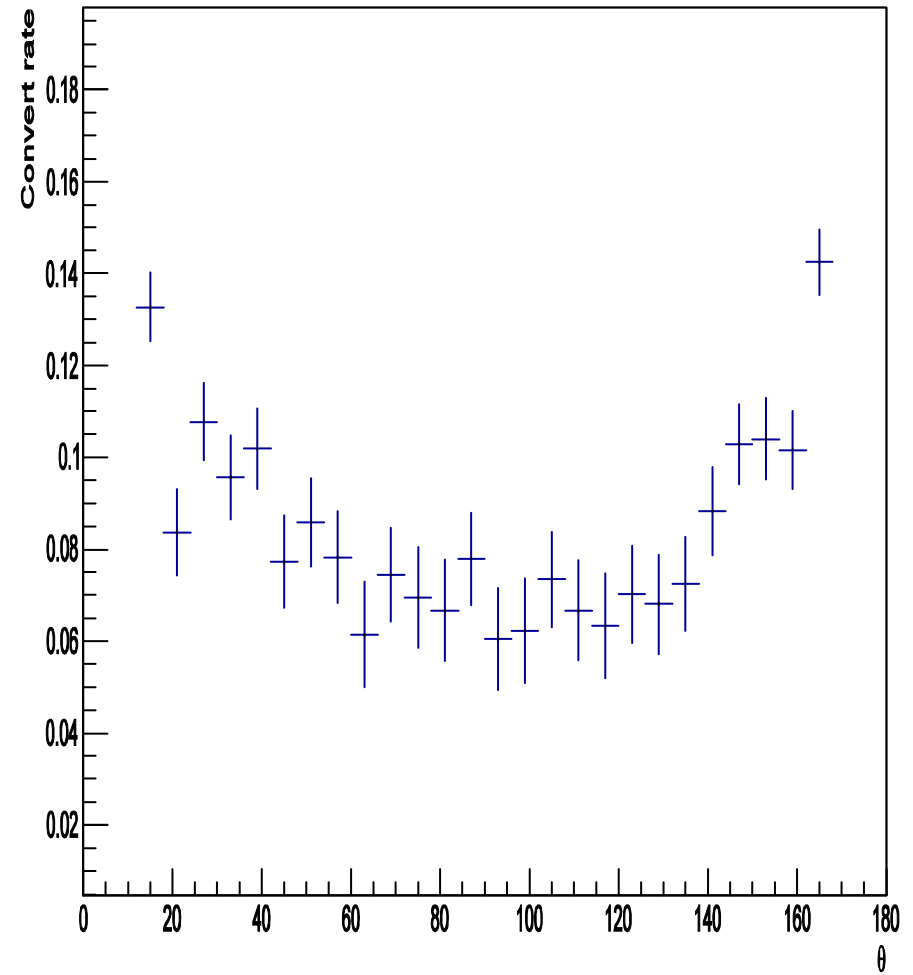
$M_{\gamma\gamma}$ with θ & ϕ correction



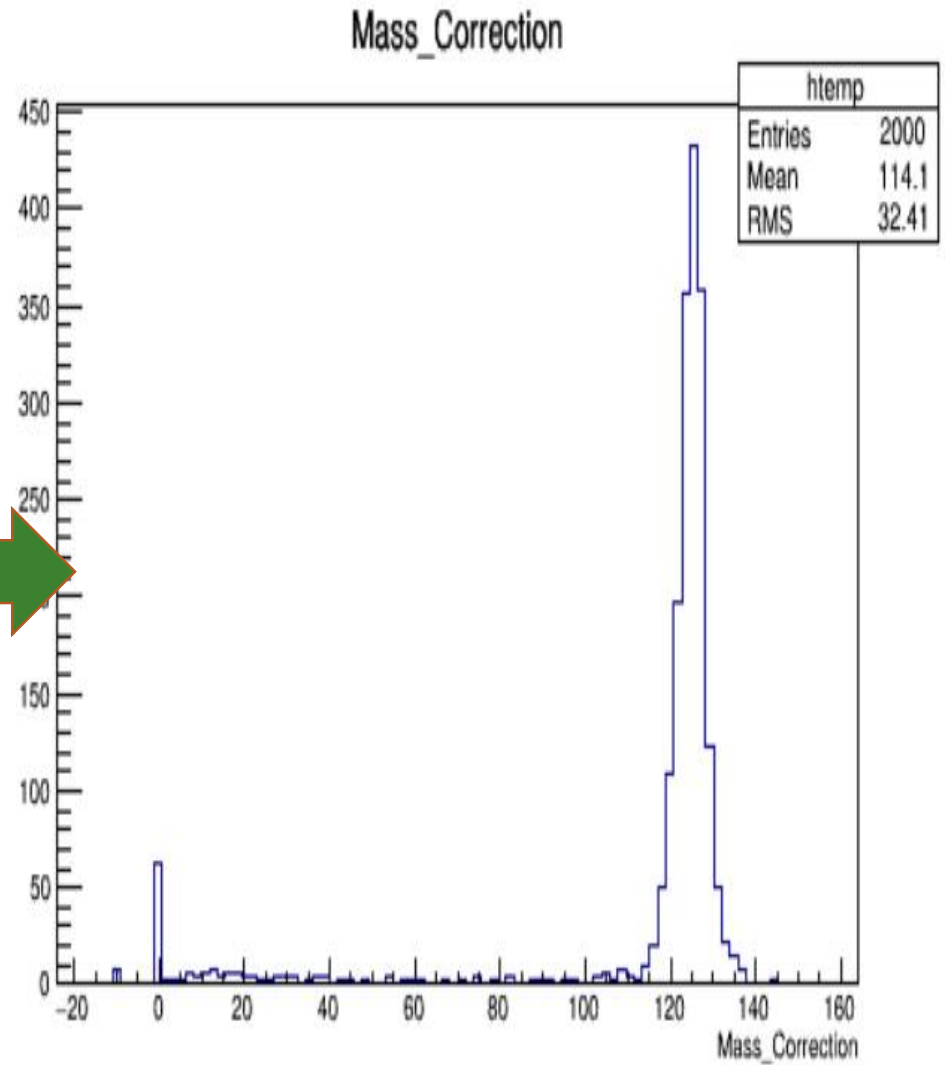
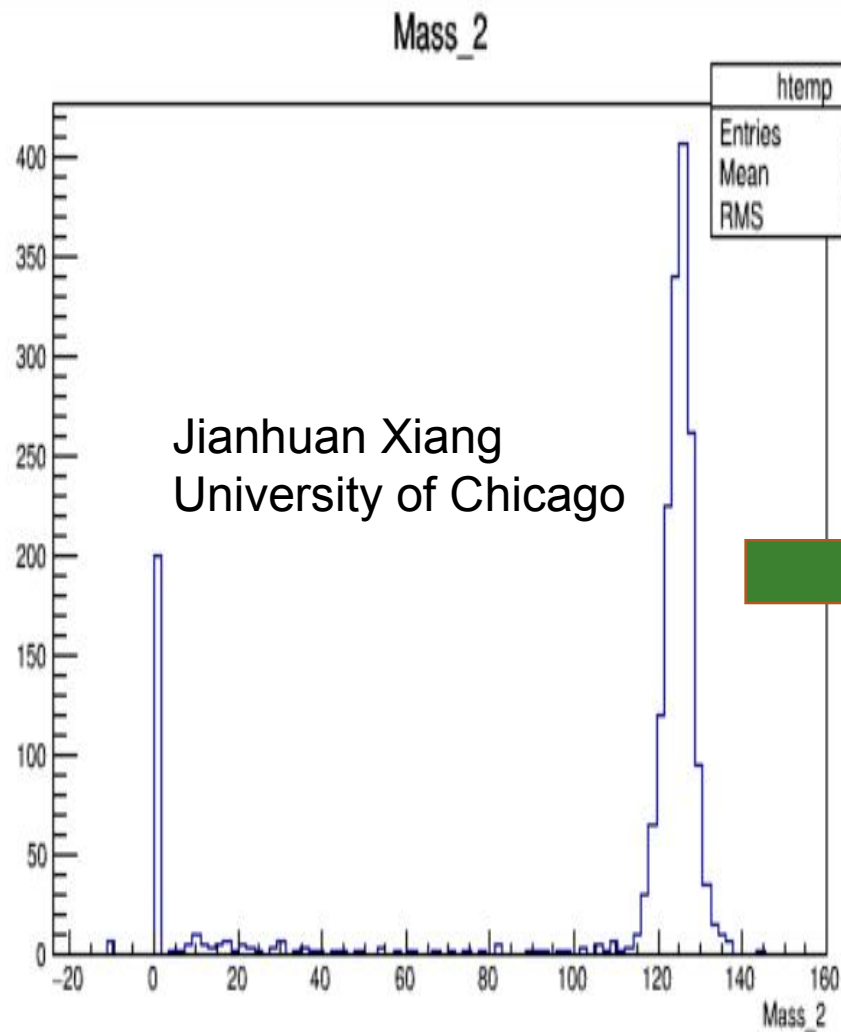
Gamma conversion



γ convert rate vs θ



Gamma conversion



Summary & plan

■ Fast simulation

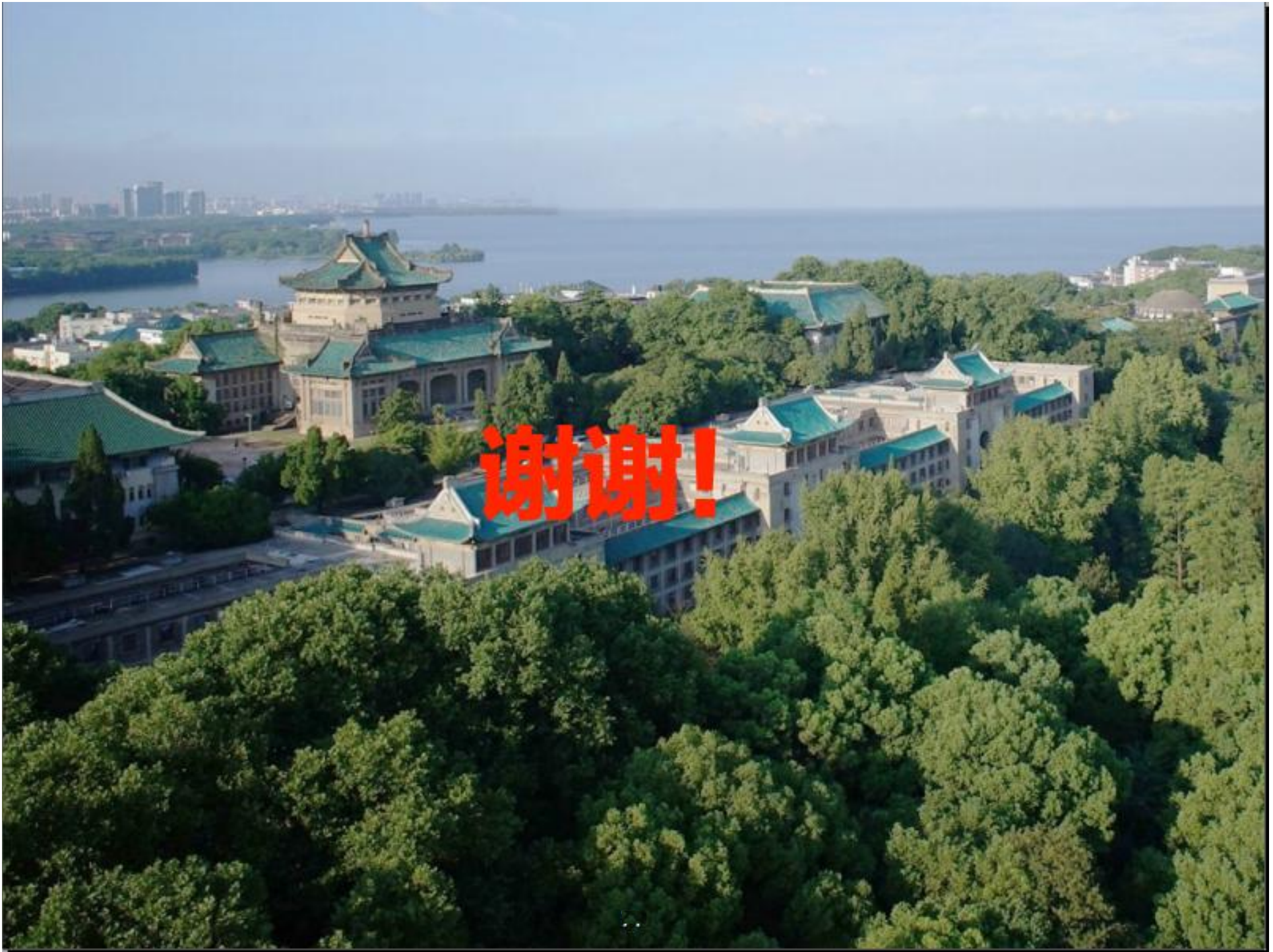
1. A relative precision of 9.0% can be obtained for the $\sigma(\text{ZH}) \times \text{BR}(\text{H} \rightarrow \gamma\gamma)$ measurement.
2. By varying the stochastic term of the ECAL energy resolution, its impact on the expected precision has been evaluated.

■ Photon reconstruction

1. Energy estimator
2. Energy angular resolution correction
3. Gamma conversion correction

■ Plan

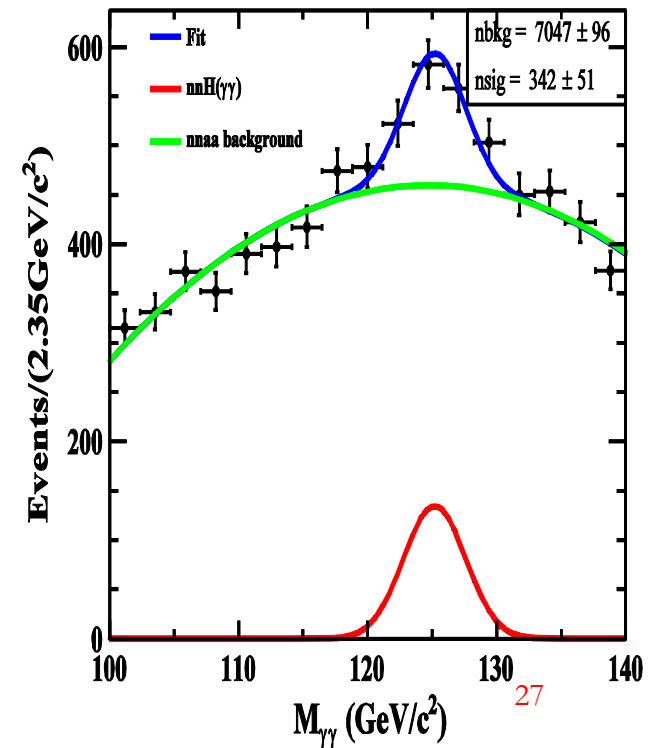
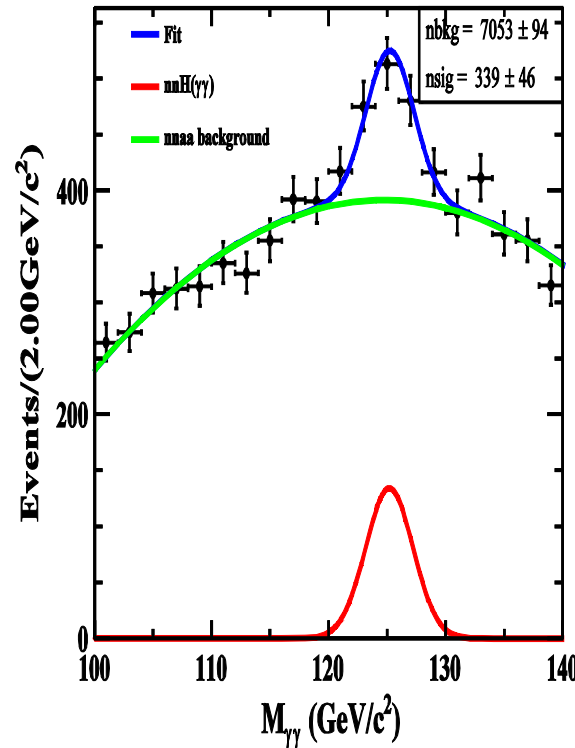
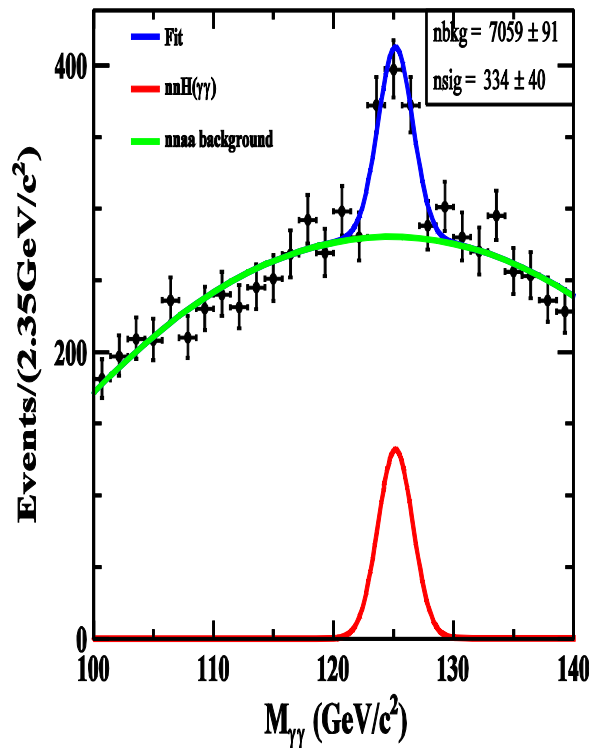
Analysis of Higgs to di-photon with full simulation.



Back up

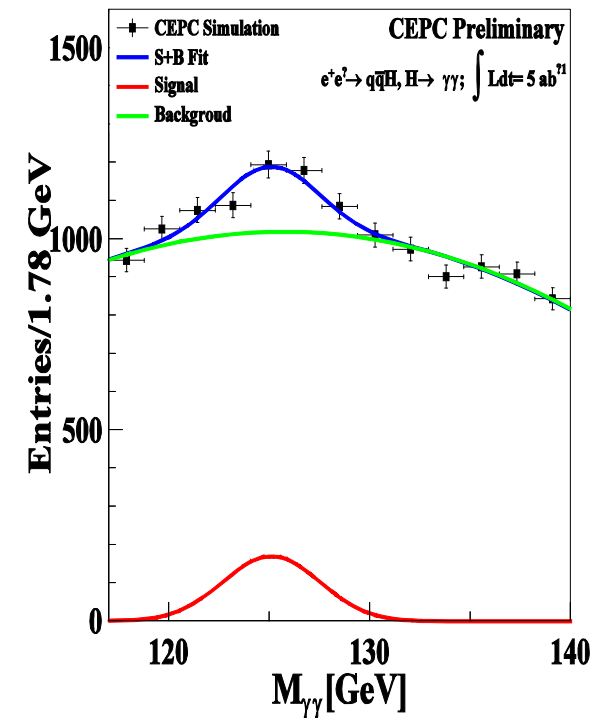
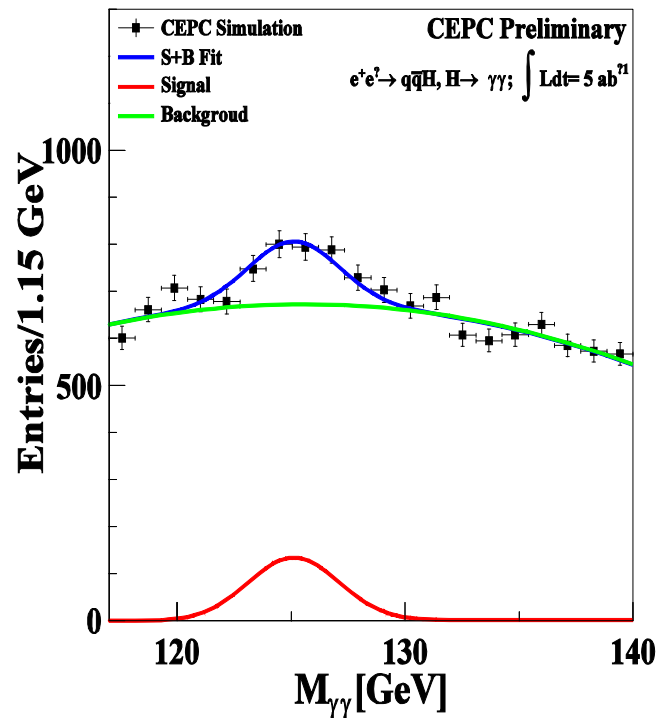
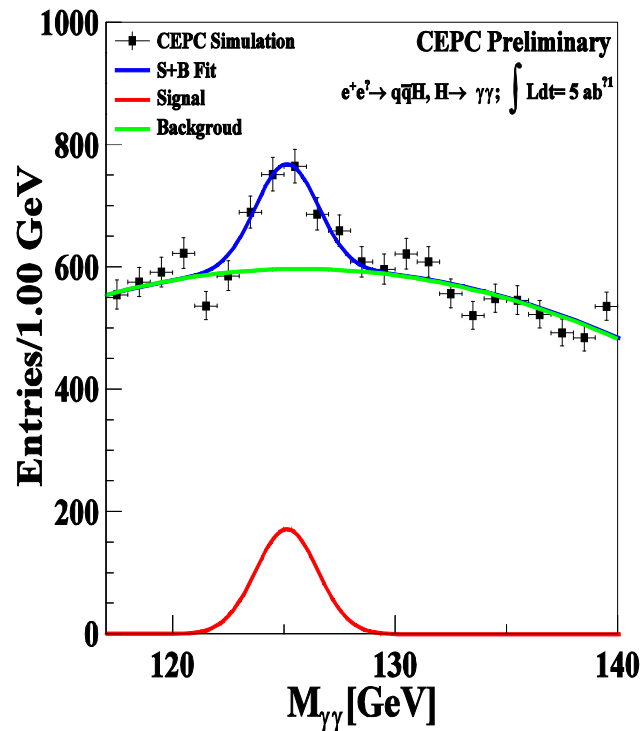
ZH->nn $\gamma\gamma$: performance under the different Ecal energy resolution

Energy resolution	$\frac{10\%}{\sqrt{E}} \oplus 1\%$	$\frac{16\%}{\sqrt{E}} \oplus 1\%$	$\frac{20\%}{\sqrt{E}} \oplus 1\%$
Signal yield	334 ± 40	339 ± 46	342 ± 51
Significance	8.65σ	7.11σ	6.37σ
$\delta(\text{Br} \times \sigma)/\text{Br} \times \sigma$	11.98%	13.56%	14.91%



ZH→qqγγ : performance under the different Ecal energy resolution

Energy resolution	$\frac{10\%}{\sqrt{E}} \oplus 1\%$	$\frac{16\%}{\sqrt{E}} \oplus 1\%$	$\frac{20\%}{\sqrt{E}} \oplus 1\%$
Signal yield	594 ± 67	582 ± 87	575 ± 94
Significance	8.14σ	5.90σ	4.87σ
Precision	11.28%	14.26%	16.35%



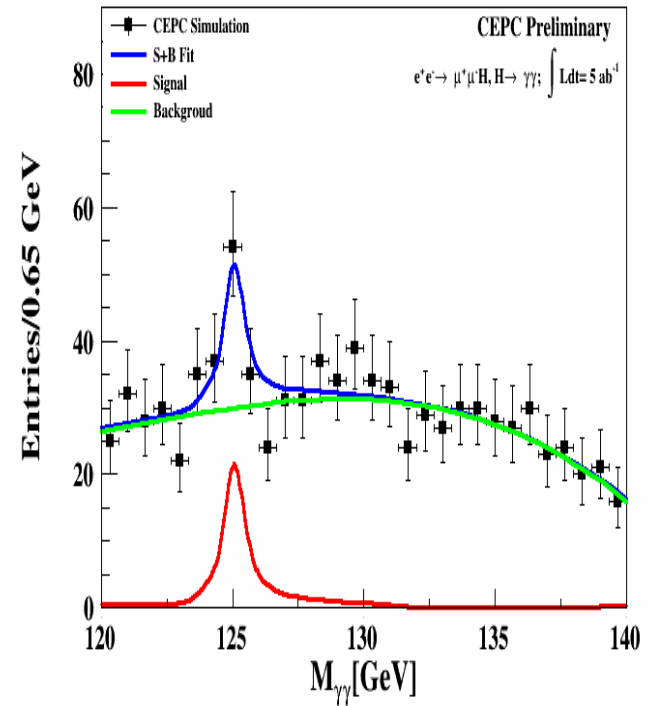
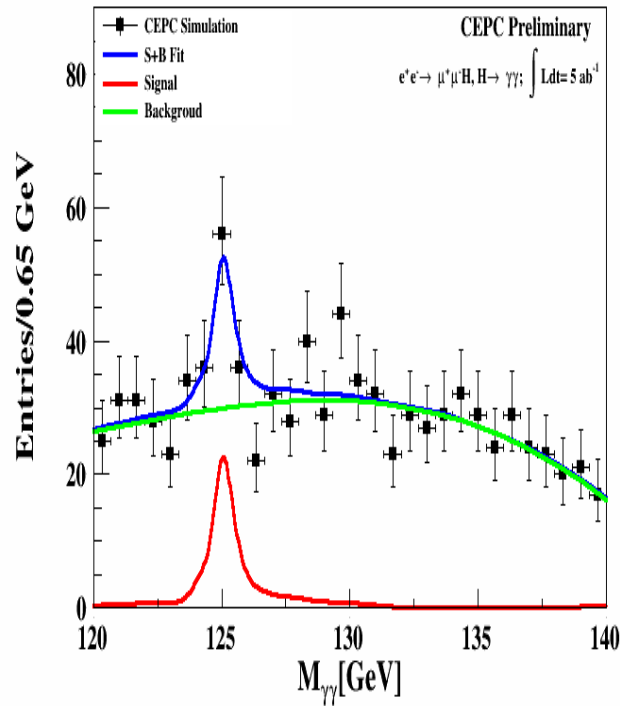
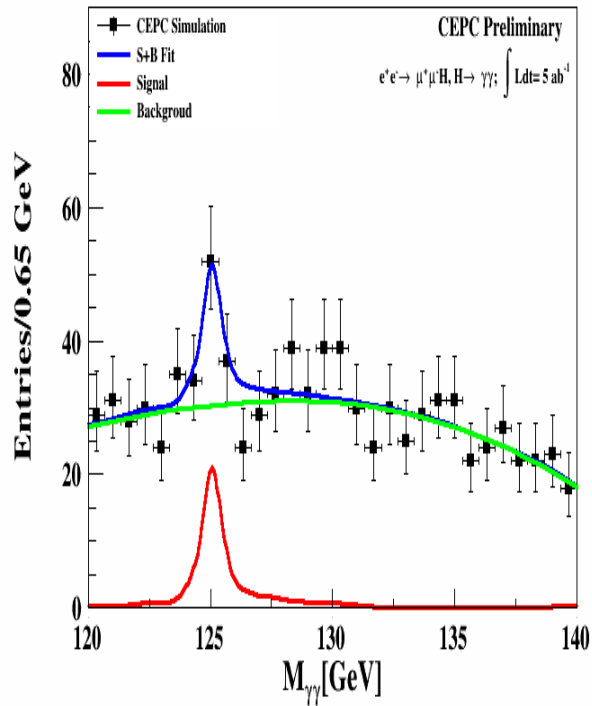
Cut chain

Beam without pol.		Events					
Channel	Generate	cut1	cut2	cut3	cut4	cut5	cut6
$\mu\mu H_{aa}$	Efficiency	100%	91.56%	72.28%	55.42%	54.21%	42.17%
$\mu\mu H_{aa}$	83	83	76	60	46	45	35
$\mu\mu aa$	1135659	214725	66703	23786	6427	1884	1026

$$\begin{aligned}
 \text{cut1} &= E_\gamma > 35\text{GeV} & \text{cut3} &= \begin{cases} 93\text{GeV} > P_{Tlow} > 20\text{GeV} \\ 100\text{GeV} > P_{Thigh} > 30\text{GeV} \end{cases} \\
 \text{cut2} &= |\cos\theta_p| < 0.9 & \text{cut4} &= 86\text{GeV} < M_{reco} < 100\text{GeV} \\
 \text{cut5} &= 136\text{GeV} < M_{\gamma\gamma} < 148\text{GeV} & \text{cut6} &= |\cos\theta_{\mu\gamma}| < 0.9
 \end{aligned}$$

ZH->e2e2γγ : performance under the different Ecal energy resolution

Energy resolution	$\frac{10\%}{\sqrt{E}} \oplus 1\%$	$\frac{16\%}{\sqrt{E}} \oplus 1\%$	$\frac{20\%}{\sqrt{E}} \oplus 1\%$
Signal yield	59 ± 19	61 ± 19	62 ± 18
Significance	3.18σ	3.21σ	3.23σ
$\delta(\text{Br} \times \sigma)/\text{Br} \times \sigma$	31.03%	32.14%	35.18%



Cut chain

Beam without pol.		Events					
Channel	Generate	cut1	cut2	cut3	cut4	cut5	cut6
$\tau\tau H_{aa}$	Efficiency	98.67%	89.33%	61.33%	48.00%	46.67%	41.89%
$\tau\tau H_{aa}$	75(0.9)	74	67	46	36	35	31
$\tau\tau aa$	429975	146922	49424	14533	3562	1778	1410

$$\text{cut1} = E_\gamma > 35 \text{ GeV}$$

$$\text{cut2} = |\cos \theta_p| < 0.9$$

$$\text{cut5} = 130 \text{ GeV} < M_{\gamma\gamma} < 148 \text{ GeV}$$

$$\text{cut3} =$$

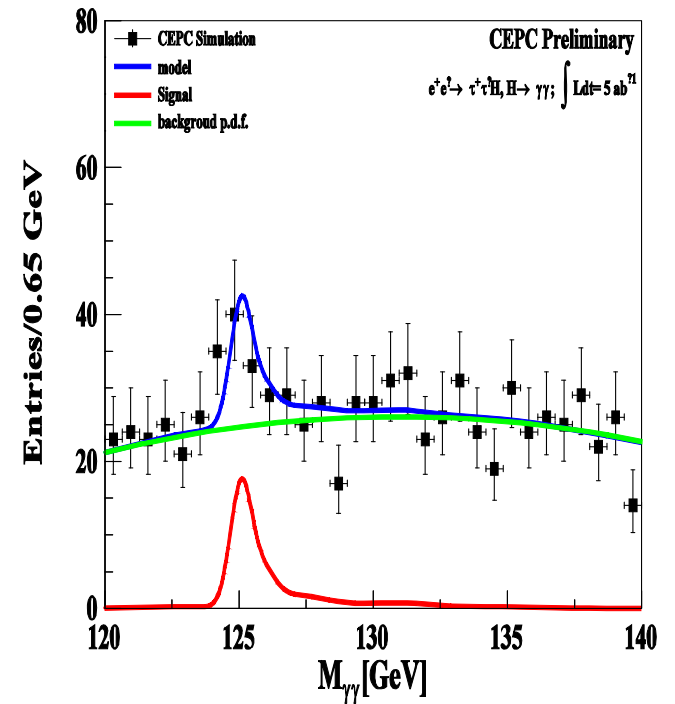
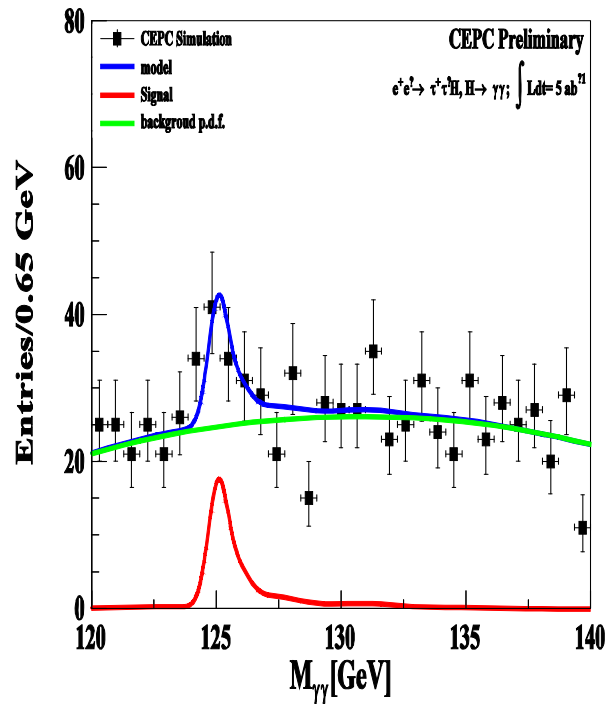
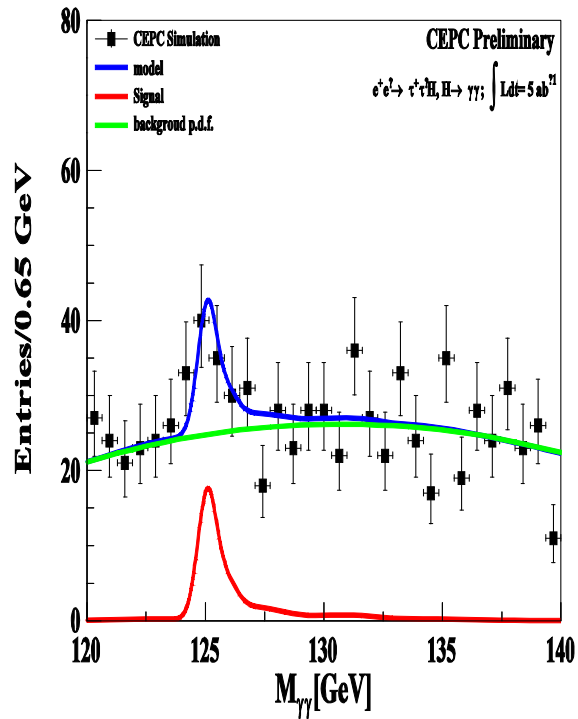
$$\text{cut4} =$$

$$\text{cut6} =$$

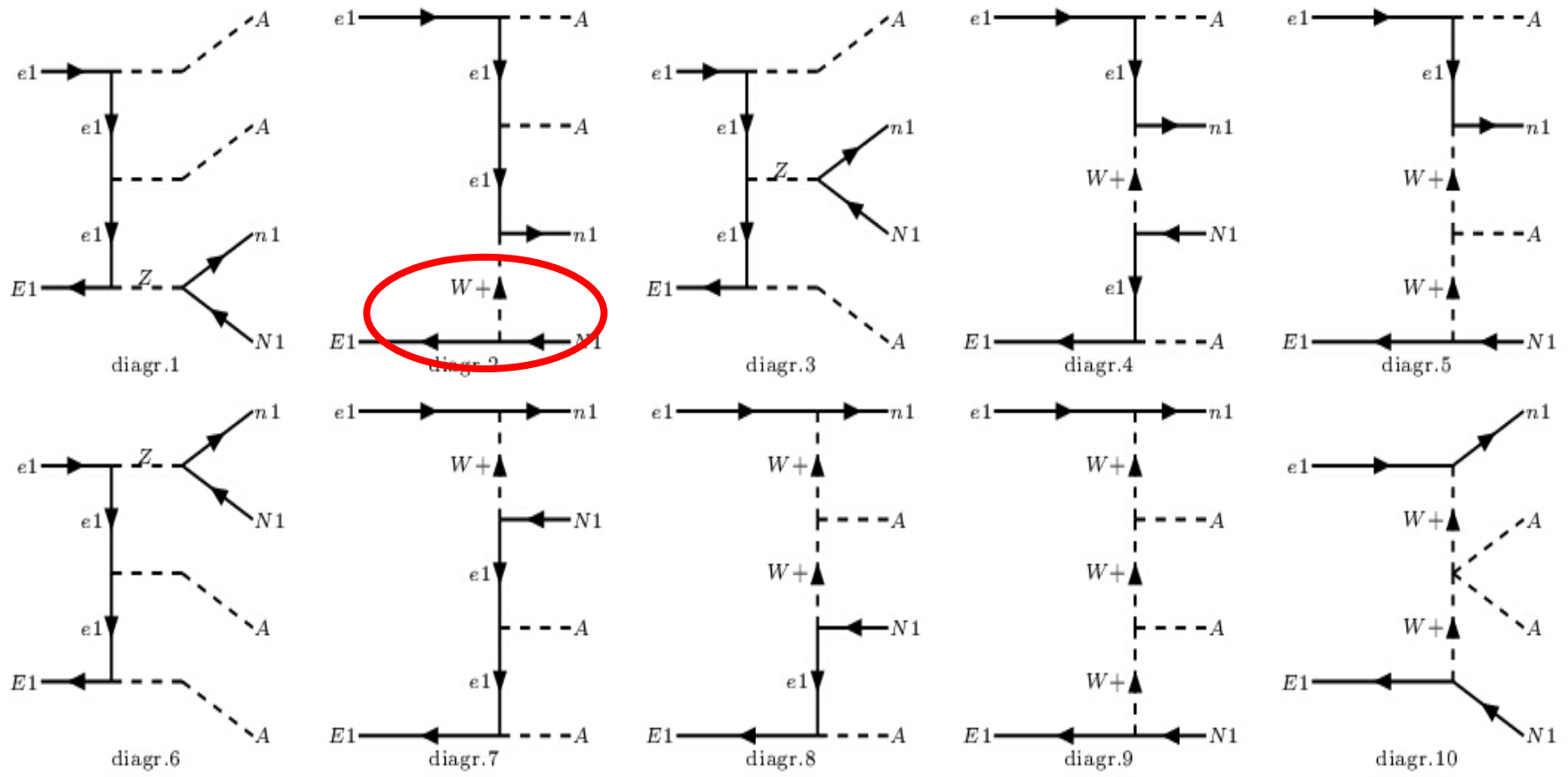
$$\begin{cases} 93 \text{ GeV} > P_{Tlow} > 30 \text{ GeV} \\ 100 \text{ GeV} > P_{Thigh} > 36 \text{ GeV} \\ 86 \text{ GeV} < M_{reco} < 100 \text{ GeV} \\ |\cos \theta_{\mu\gamma}| < 0.99 \end{cases}$$

ZH->e3e3γγ : performance under the different Ecal energy resolution

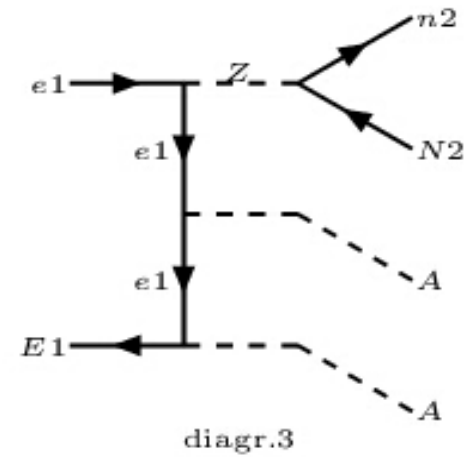
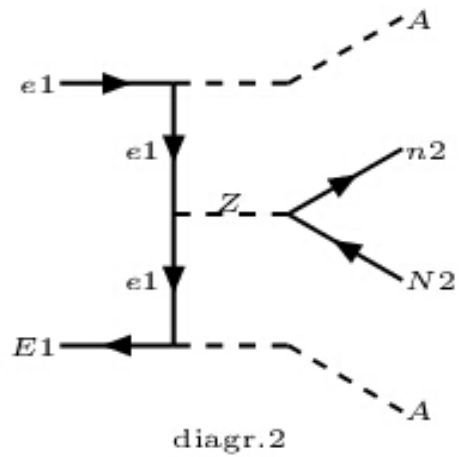
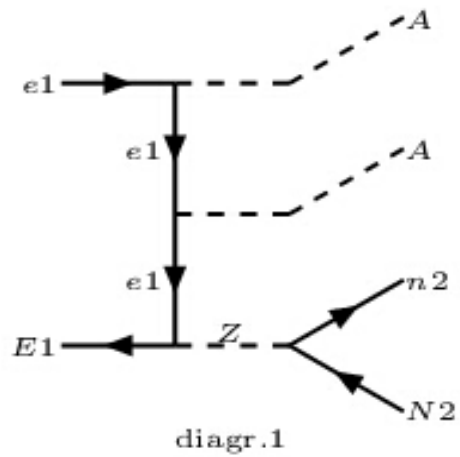
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Signal yield	58 ± 18	56 ± 18	54 ± 19
Significance	3.23σ	3.21σ	3.18σ
$\delta(\text{Br} \times \sigma)/\text{Br} \times \sigma$	31.03%	32.14%	35.18%



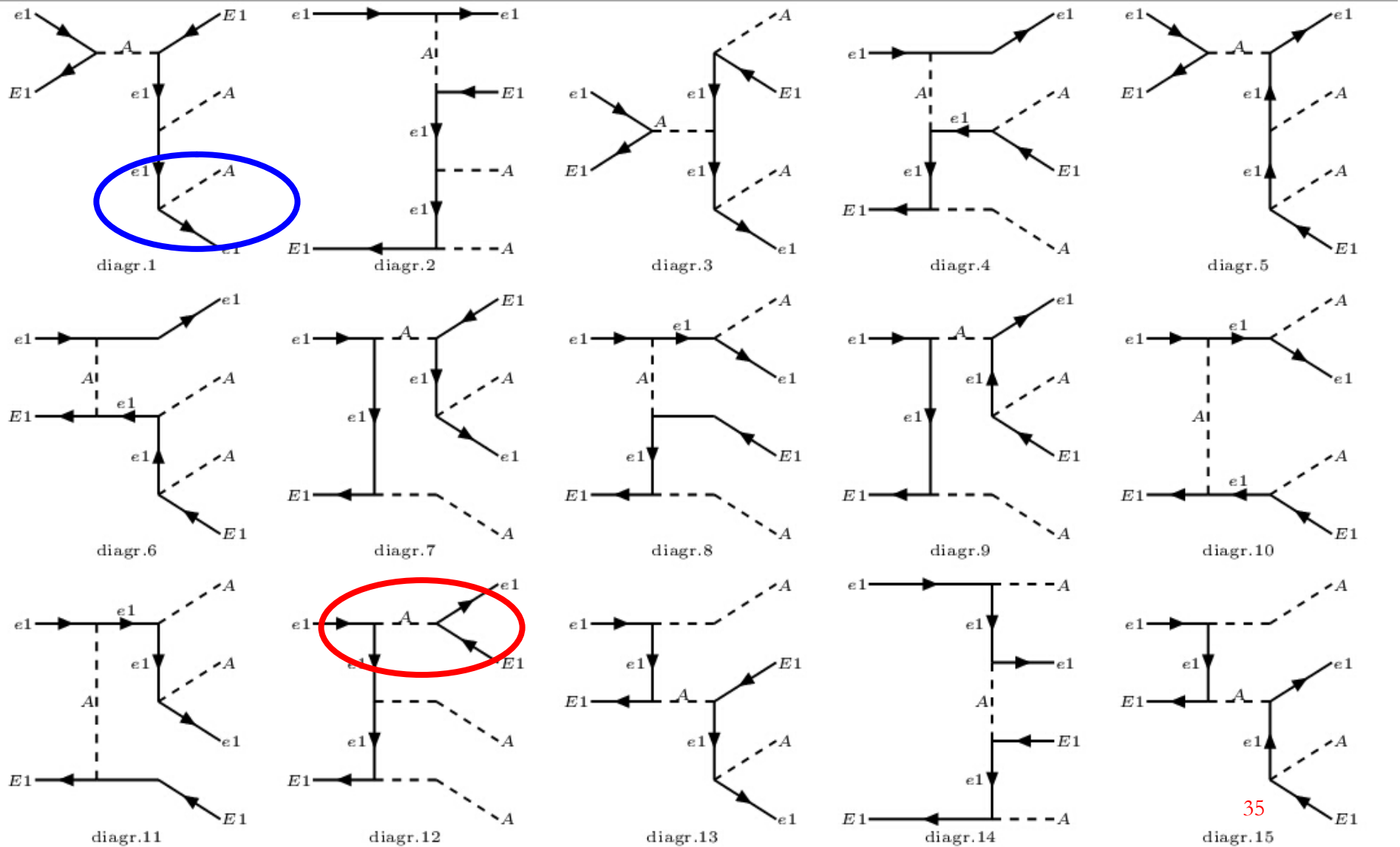
Feynman Diagrams for $\nu_{e+}\nu_{e-}aa$



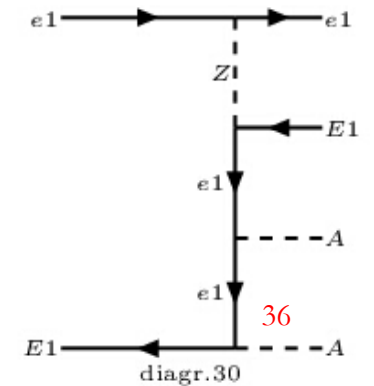
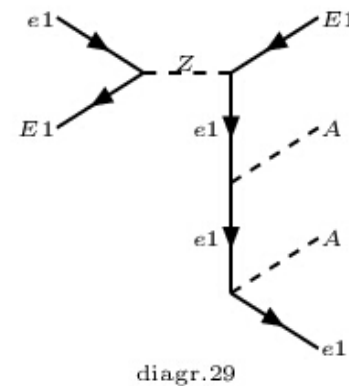
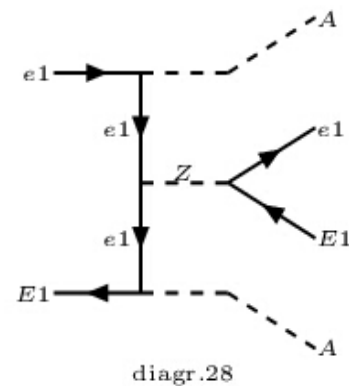
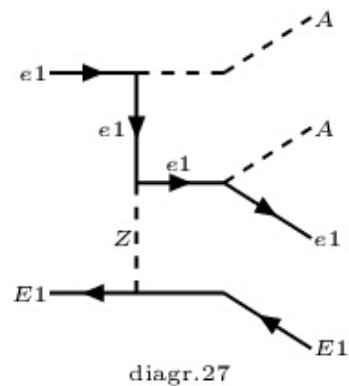
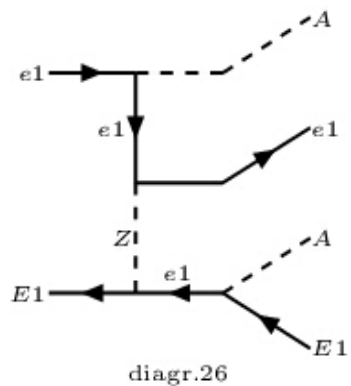
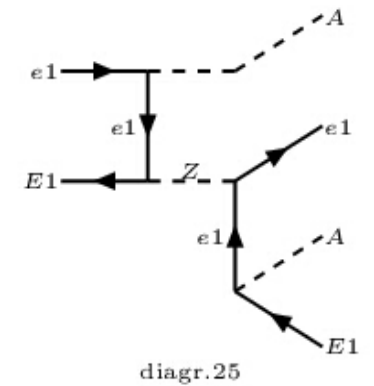
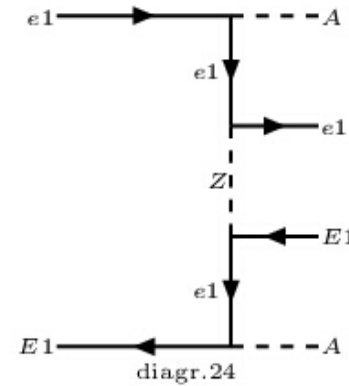
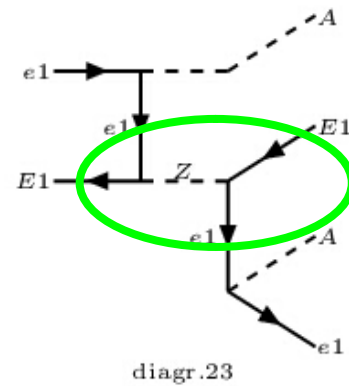
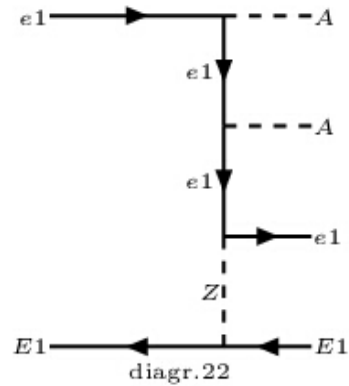
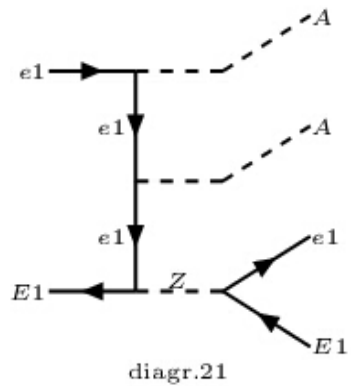
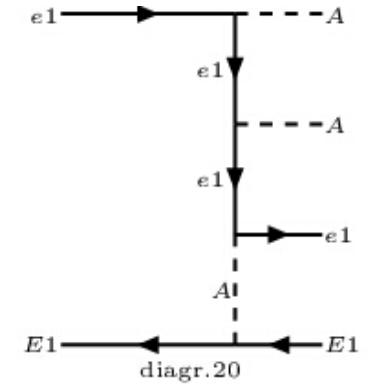
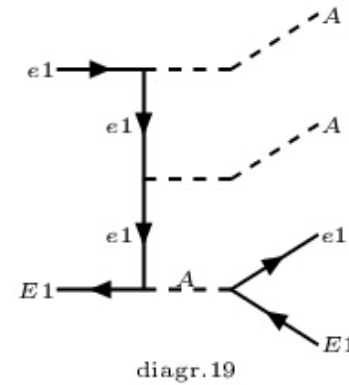
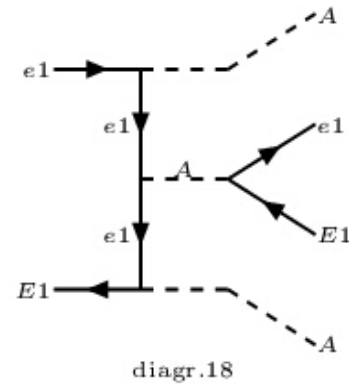
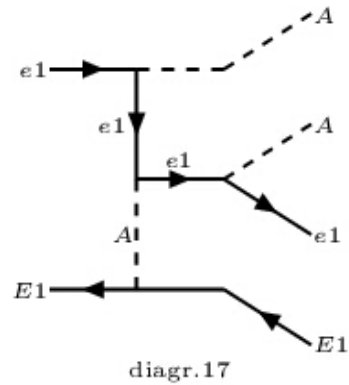
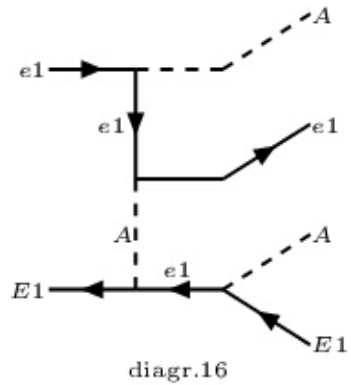
Feynman Diagrams for $\nu_{\mu^+} \nu_{\mu^-} \text{aa}$



Feynman Diagrams for e^+e^-aa



Feynman Diagrams for e^+e^-aa



Feynman Diagrams for $uu\bar{a}a$

