

Hard Probes, 2016

**Probing Transverse Momentum Broadening  
via  
Dihadron & Hadron-jet Angular Correlations**

**Shu-yi Wei (CCNU)**

In collaboration with L. Chen, G.Y. Qin, B.W. Xiao & H.Z. Zhang

**arXiv:1607.01932**



# Contents

- ☑ Introduction
- ☑ Sudakov Resummation
- ☑ Extract  $\hat{q}$  from dihadron & hadron-jet correlations
- ☑ Summary

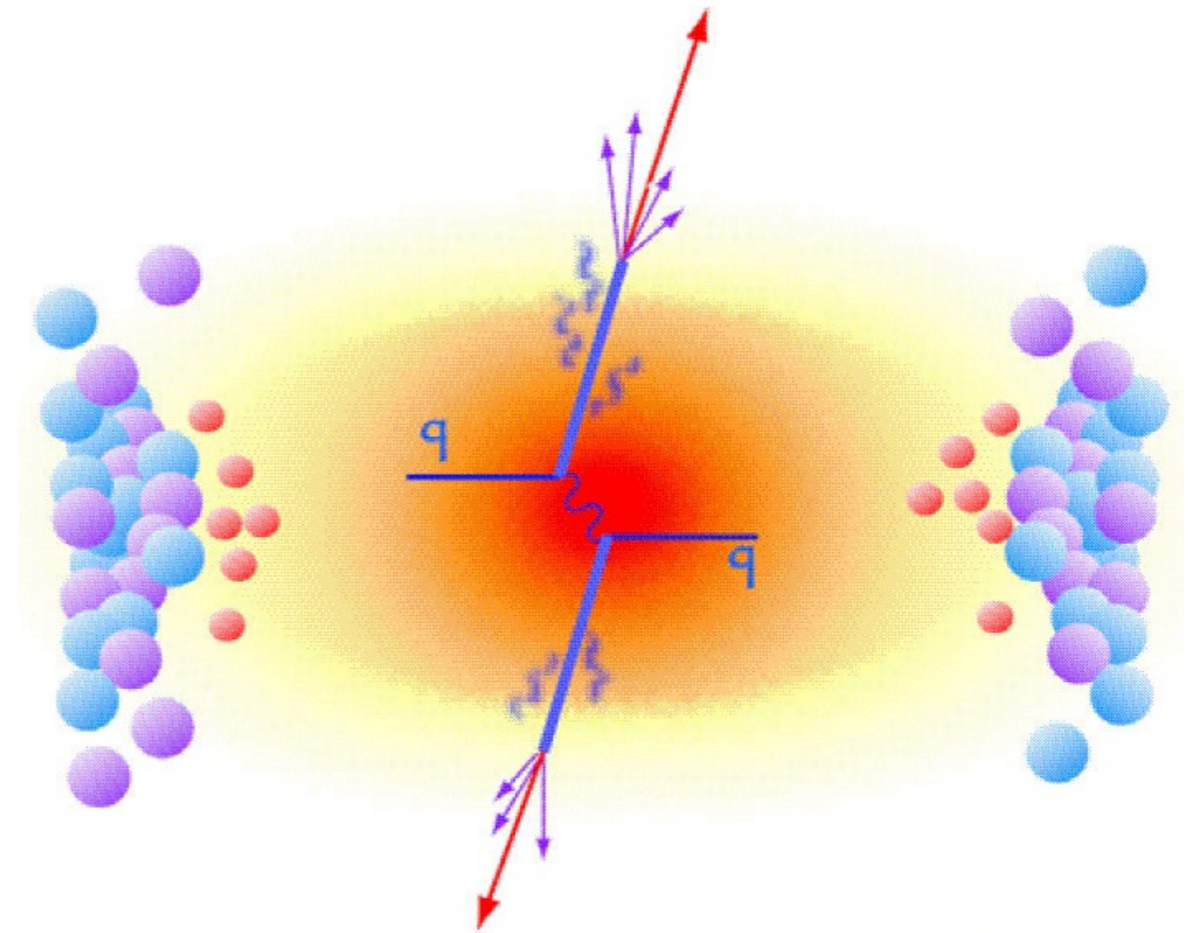


# Introduction: Jet Quenching

## Jet-medium interaction

- ✓  $k_{\perp}$  broadening
- ✓ Energy loss

Two sides of the same coin.



## BDMPS approach

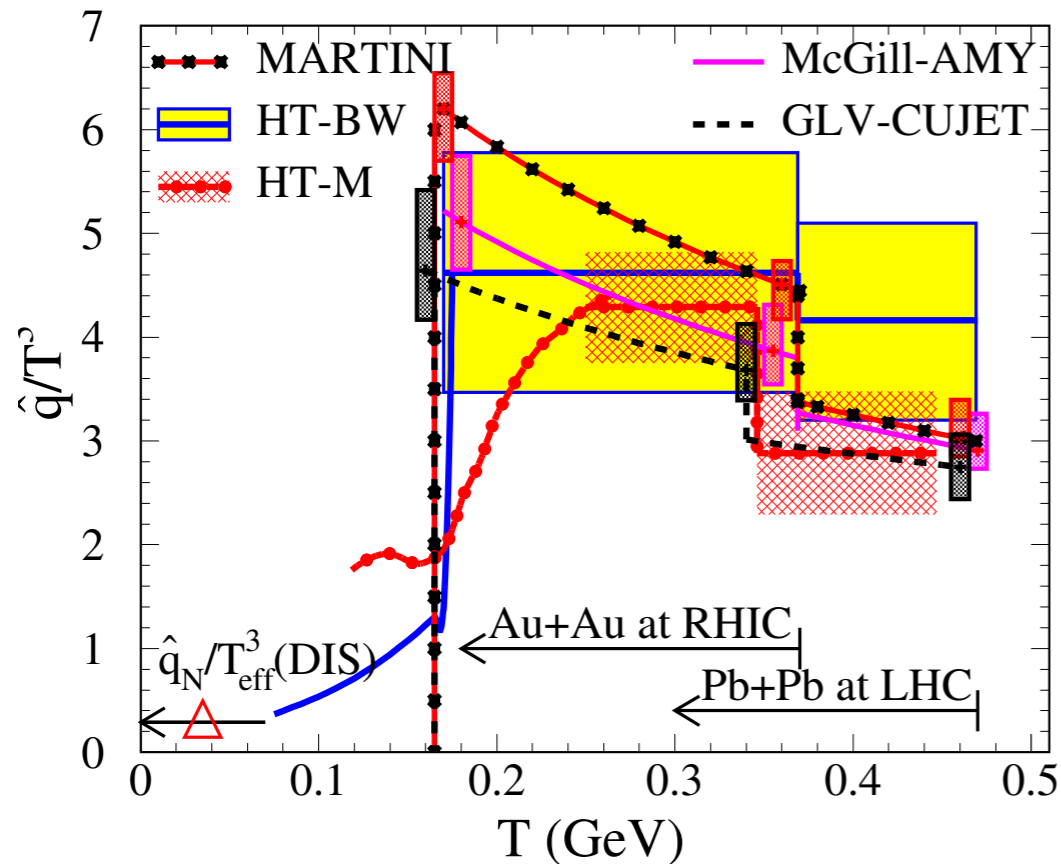
Jet transport parameter  $\hat{q} = \frac{\Delta k_{\perp}^2}{L}$

$$-\frac{dE}{dx} = \frac{\alpha_s N_c}{4} \hat{q} L$$

- ✓  $\hat{q}$  reflects the density of QGP

**Baier, Dokshitzer, Mueller, Peigne, and Schiff  
NPB 483 (1997), 484 (1997), 531 (1998).**

## Energy loss - Single hadron $R_{AA}$



$$\hat{q} \approx \begin{cases} 1.2 \pm 0.3 \\ 1.9 \pm 0.7 \end{cases} \text{ GeV}^2/\text{fm} \text{ at } \begin{cases} T=370 \text{ MeV,} \\ T=470 \text{ MeV,} \end{cases}$$

for a 10 GeV quark JET

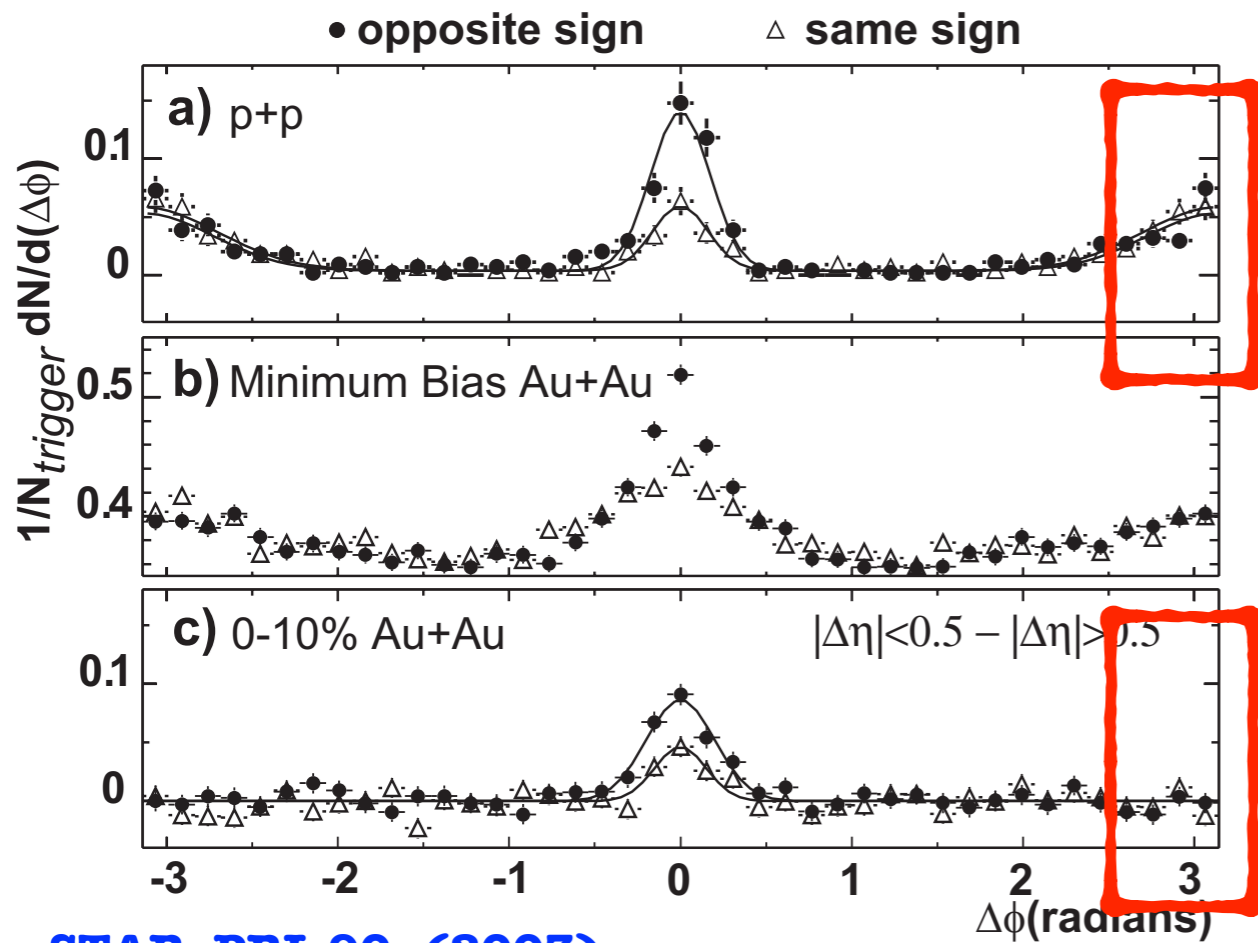
**Jet Collaboration. PRC 90, 014909, (2014)**

## Angular decorrelation - New and complimentary method

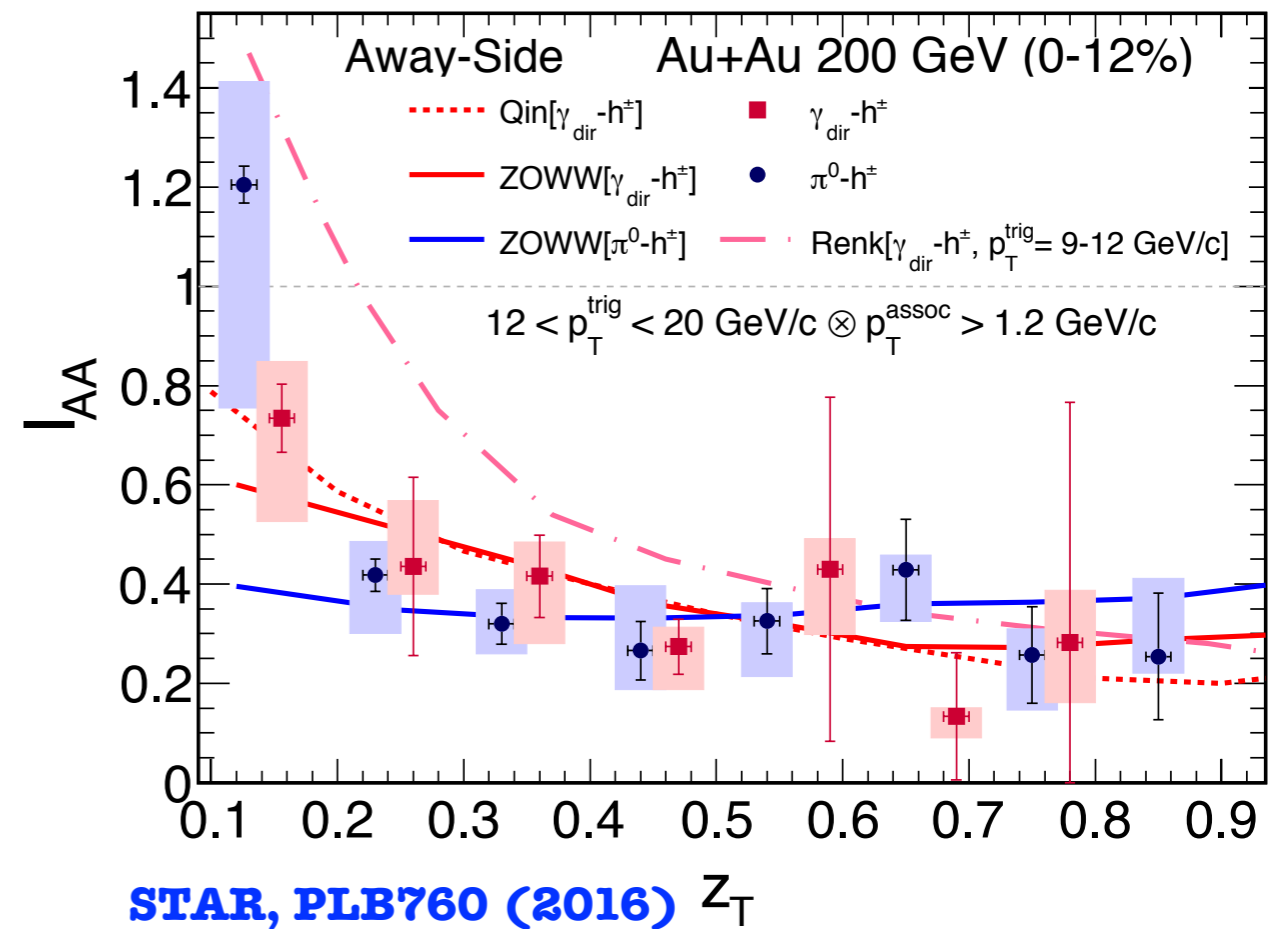
- ☑ Extract  $\hat{q}$  via angular decorrelation in the back-to-back region.

## Dihadron Angular decorrelation @ RHIC

back-to-back region



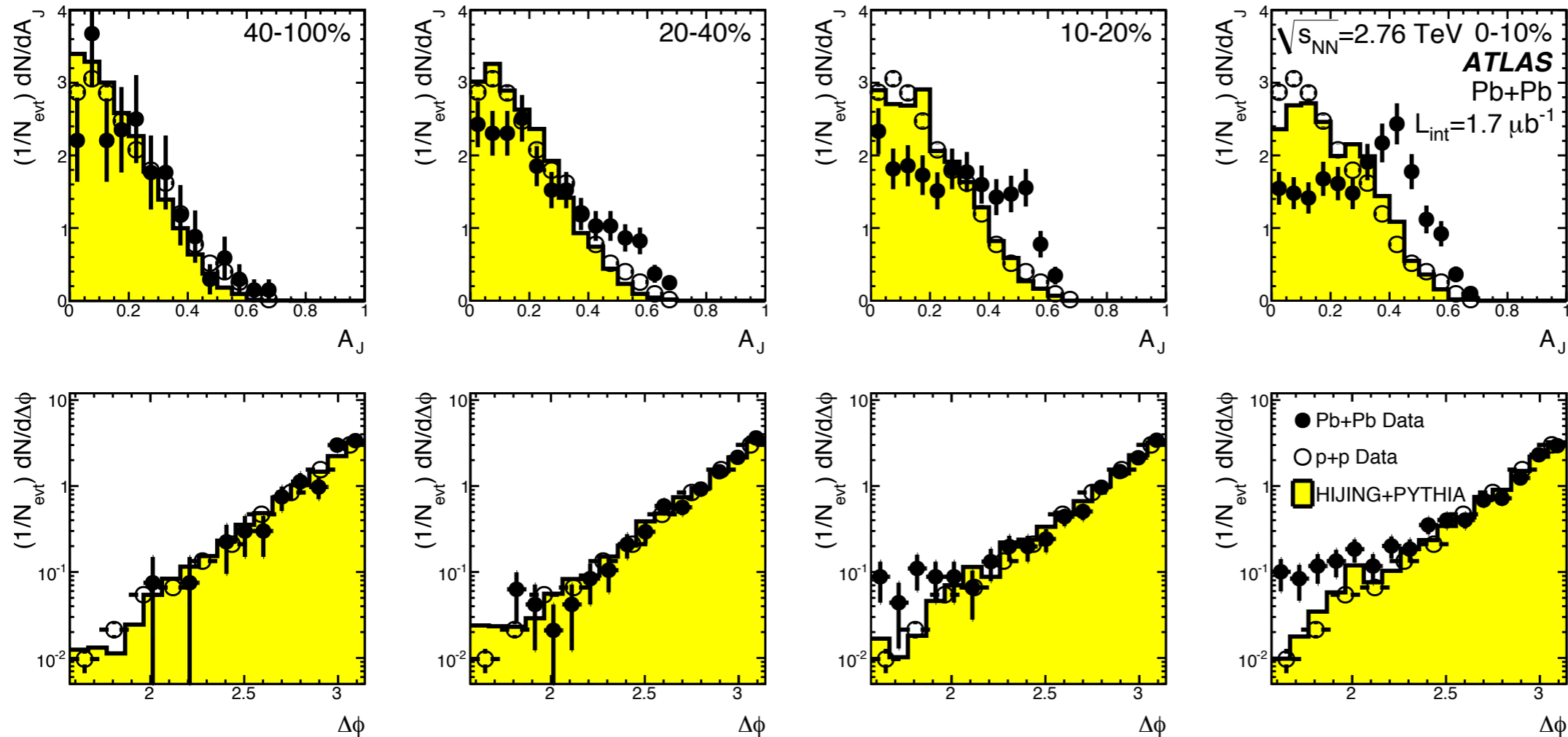
STAR, PRL 90, (2003)



STAR, PLB760 (2016)

- Yield suppression
- Angular decorrelation: quantitative calculation is lacking

ATLAS [PRL 105, (2010)] & CMS [PRC 84, (2011)]



$$A_J \equiv \frac{p_T^1 - p_T^2}{p_T^1 + p_T^2}$$

peripheral



central

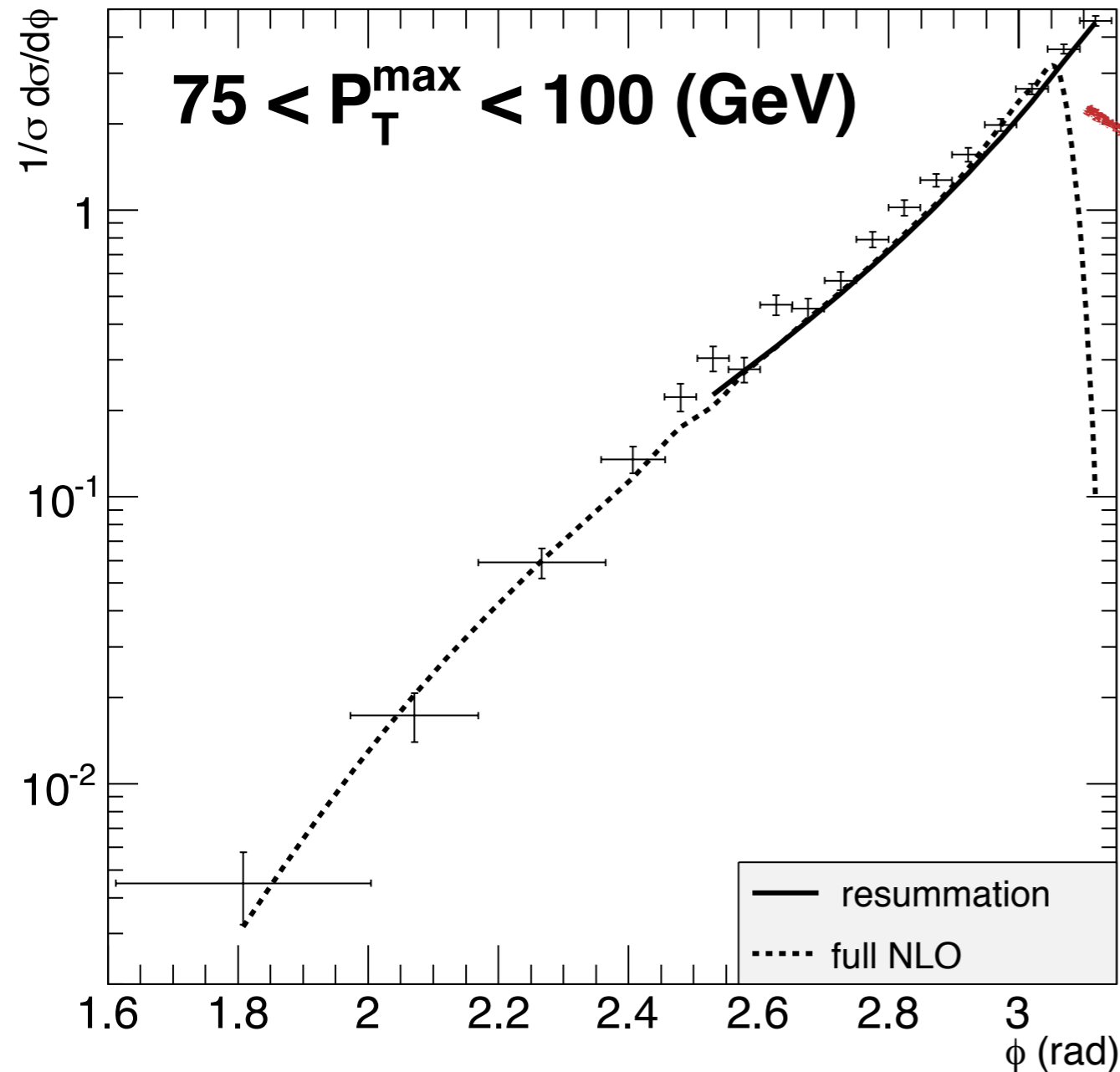
- Energy imbalance increases: Energy Loss
- No clear sign of angular decorrelation

Qin, Muller, PRL 106 (2011)

Is  $\hat{q} \simeq 0$ ?

**Puzzle:** Large Energy Loss, Small  $p_T$  Broadening?

## Dijet angular correlation in $pp$



### Perturbative Expansion

$$2 \rightarrow 2, 2 \rightarrow 3$$

$$2 \rightarrow 4, \dots$$

large logarithms

$$\left(\alpha_s \ln^2 \frac{p_T^2}{q_\perp^2}\right)^n$$

Not Stable

paradigm shift

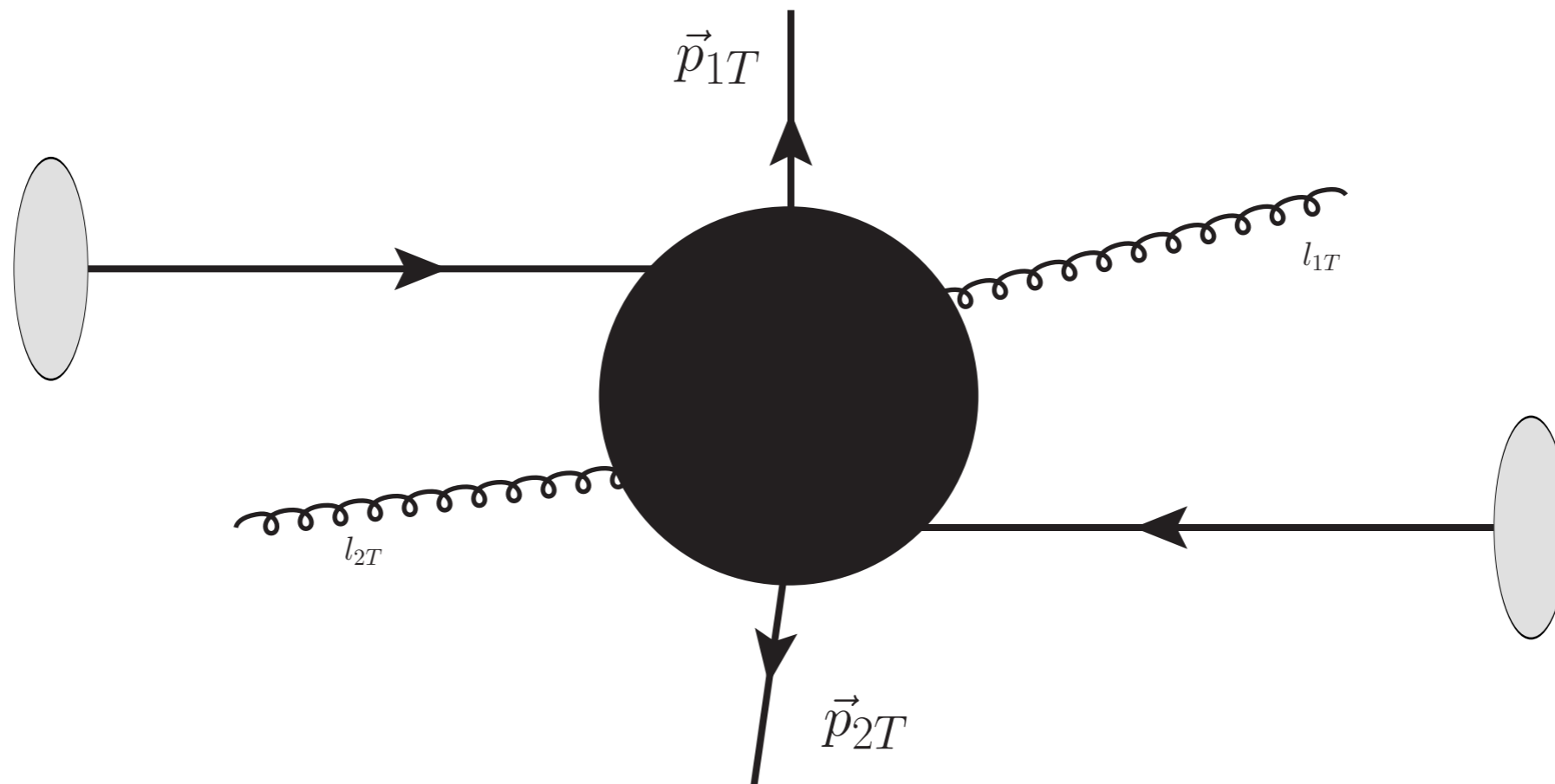
### Sudakov Resummation

$$2 \rightarrow 2 + n \quad \text{Soft gluon radiations (parton shower)}$$

$pp$  at  $\sqrt{s} = 1.76$  TeV Tevatron

Sun, Yuan, Yuan, **PRL113 (2014), PRD92 (2015)**

## Central rapidity back-to-back dijet production



Picture: Inertia

Kinematic region:  $|\vec{q}_\perp| = |\vec{p}_{1T} + \vec{p}_{2T}| \ll |\vec{p}_{1T}| \simeq |\vec{p}_{2T}|$  small angle

Back-to-back correlations are very sensitive to the soft gluon radiations.

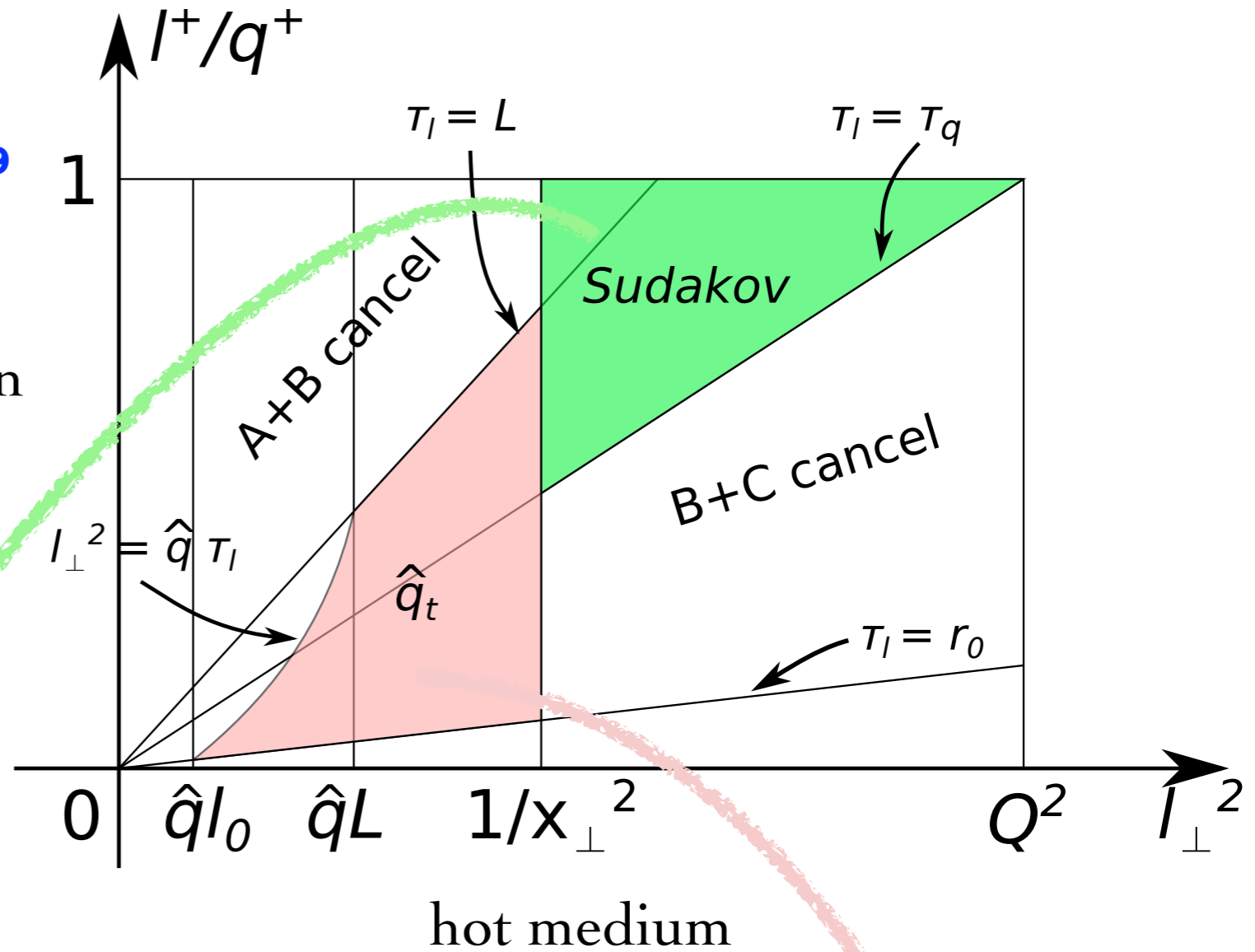


# Sudakov Resummation

From  $pp$  to  $AA$

Mueller, Wu, Xiao, Yuan, arXiv:1608.07339

Considering one gluon radiation in the large medium,  
 Medium Induced Radiation and Vacuum Parton Shower can be separated.



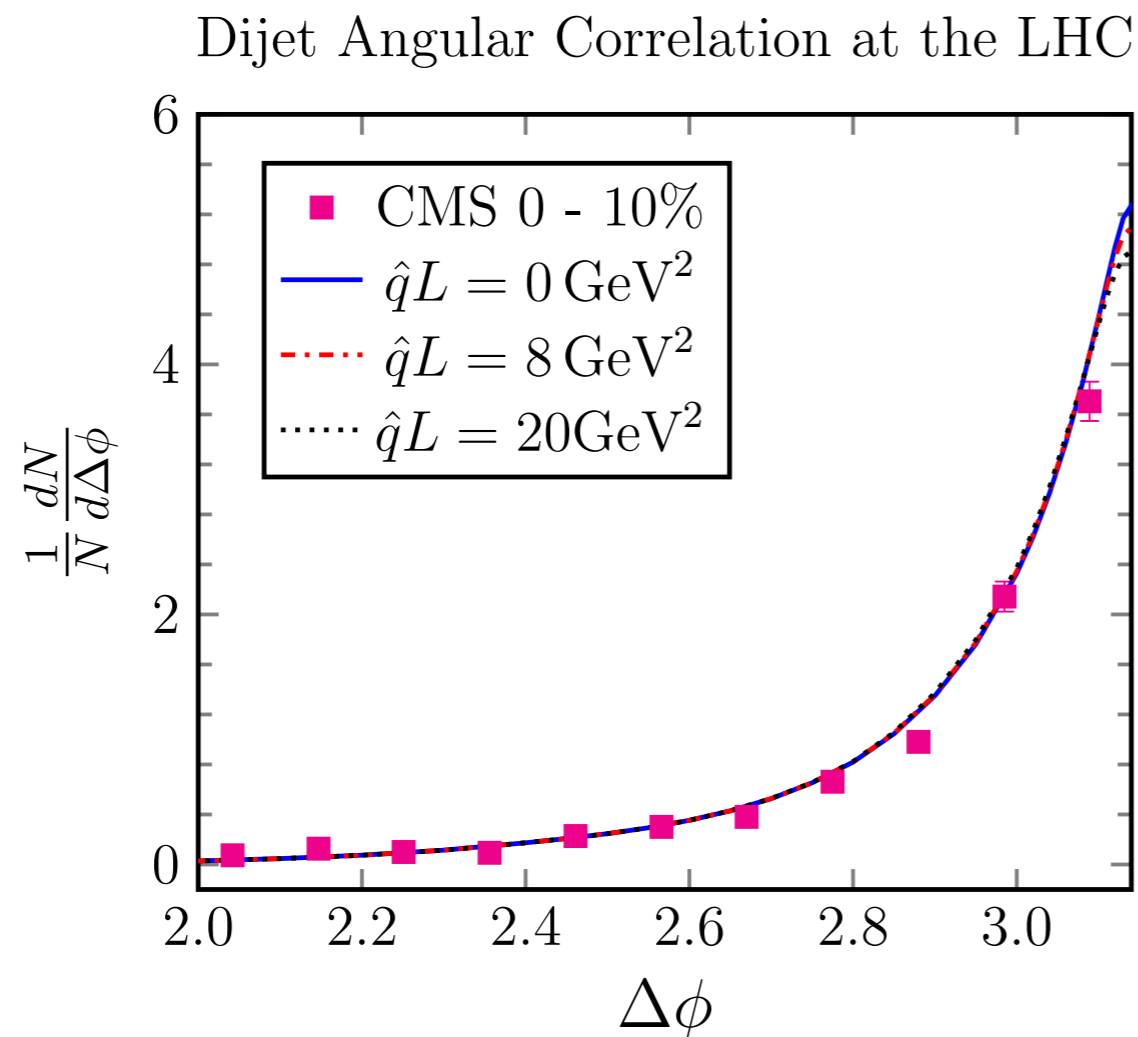
$$S_{AA}(Q, b) = S_{pp}(Q, b) + \frac{\langle \hat{q}L \rangle b^2}{4}$$

Vacuum parton shower

$k_T$  broadening

Multiple scattering  
 Medium induced radiation

## Dijet angular correlation in $AA$



$$S_{AA}(Q, b) = S_{pp}(Q, b) + \frac{\langle \hat{q}L \rangle b^2}{4}$$

$$\sqrt{S_{NN}} = 2.76 \text{ TeV}$$

$$p_T^1 > 150 \text{ GeV}$$

$$p_T^2 > 50 \text{ GeV}$$

Vacuum Sudakov Effect  $\gg$  Medium Broadening Effect

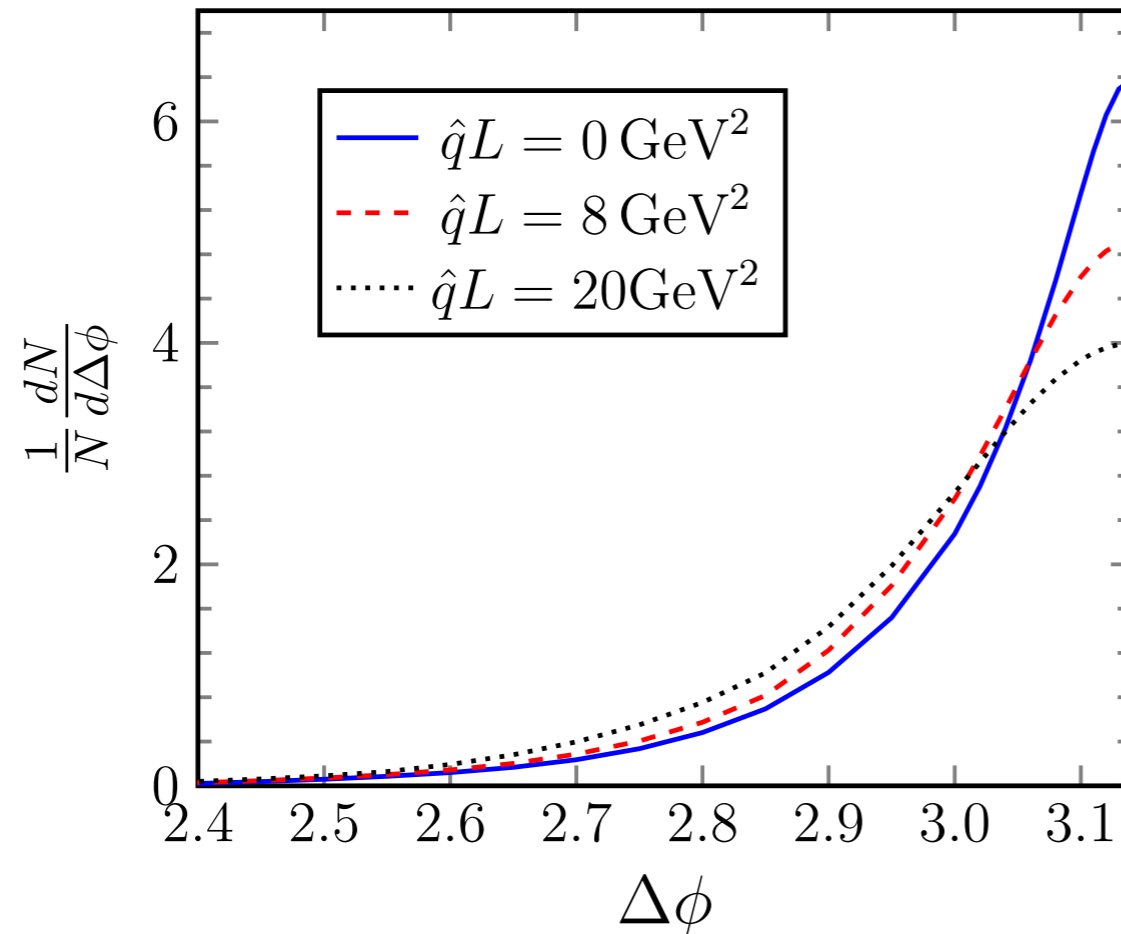
This explains why the LHC did not observe the angular decorrelation.

Mueller, Wu, Xiao, Yuan, arXiv:1604.04250



## Dijet angular correlation in $AA$

Dijet Angular Correlation at RHIC



$$S_{AA}(Q, b) = S_{pp}(Q, b) + \frac{\langle \hat{q}L \rangle b^2}{4}$$

$$\sqrt{S_{NN}} = 200 \text{ GeV}$$

$$p_T^1 > 35 \text{ GeV}$$

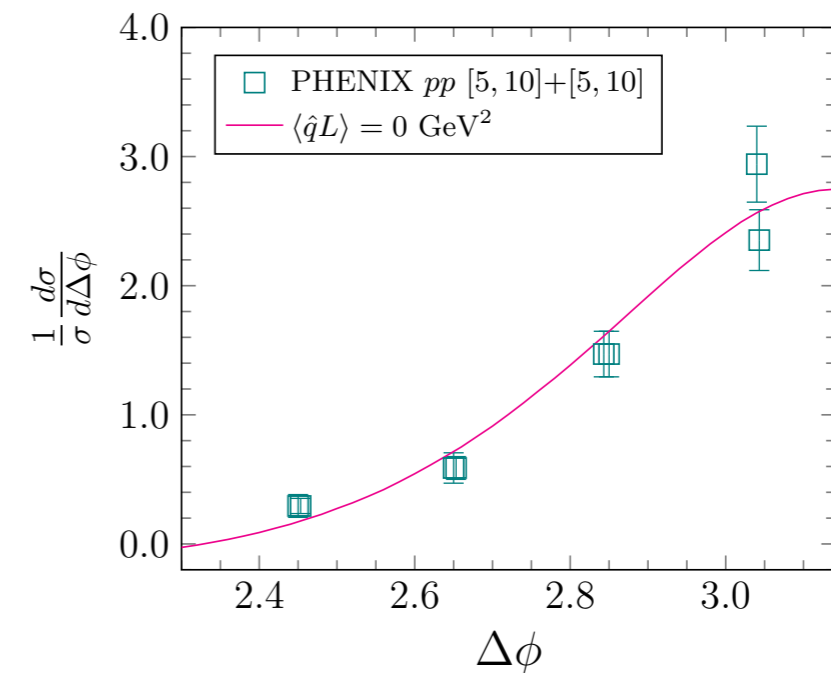
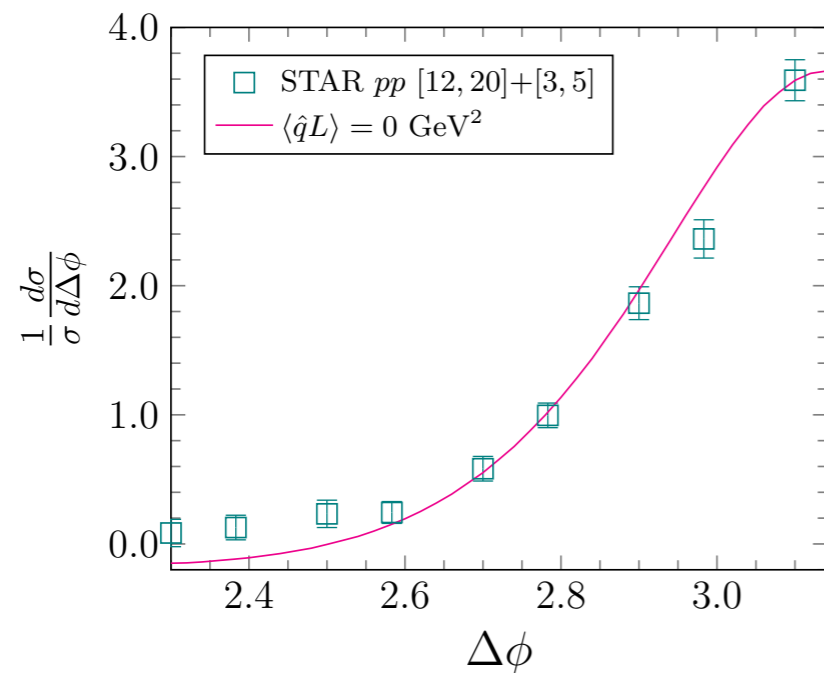
$$p_T^2 > 15 \text{ GeV}$$

Vacuum Sudakov Effect  $\sim$  Medium Broadening Effect

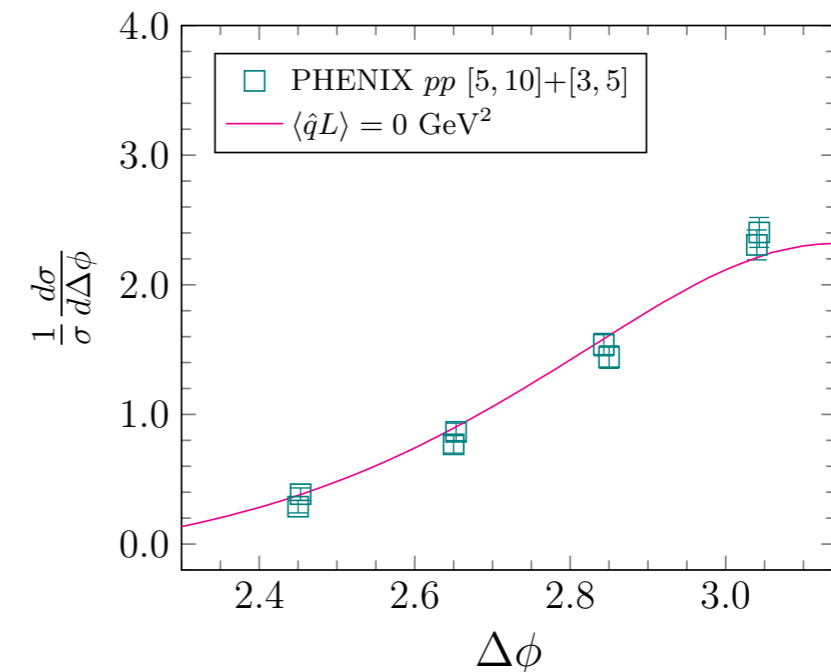
Decrease the center of mass energy or measure small  $p_T$  jet.

Mueller, Wu, Xiao, Yuan, arXiv:1604.04250

## Dihadron correlations in $pp$ - Establish Baseline



- ☑ For the first time we can describe the back-to-back angular correlation.
- ☑ Established a baseline to study the angular decorrelation in  $AA$  collisions.

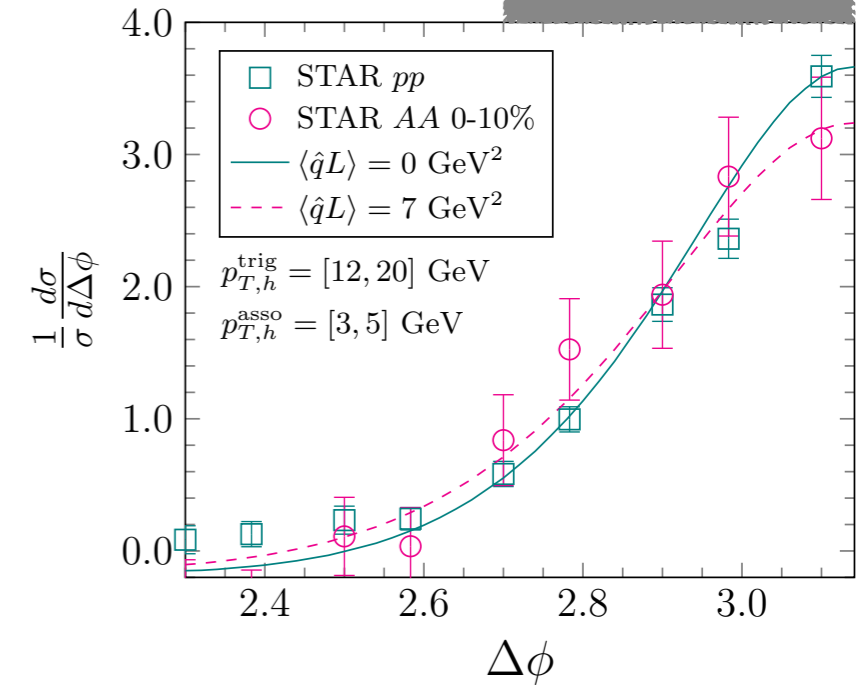
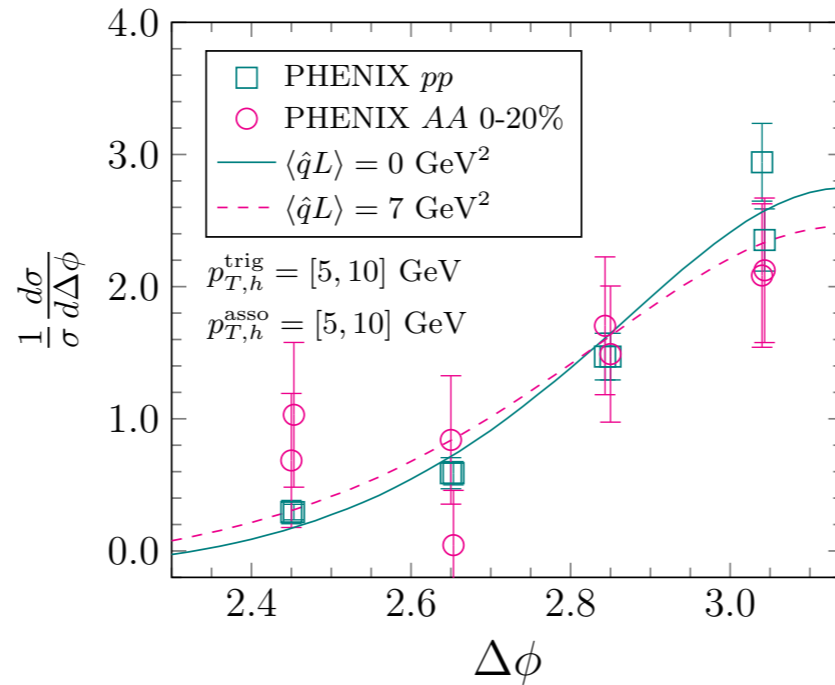
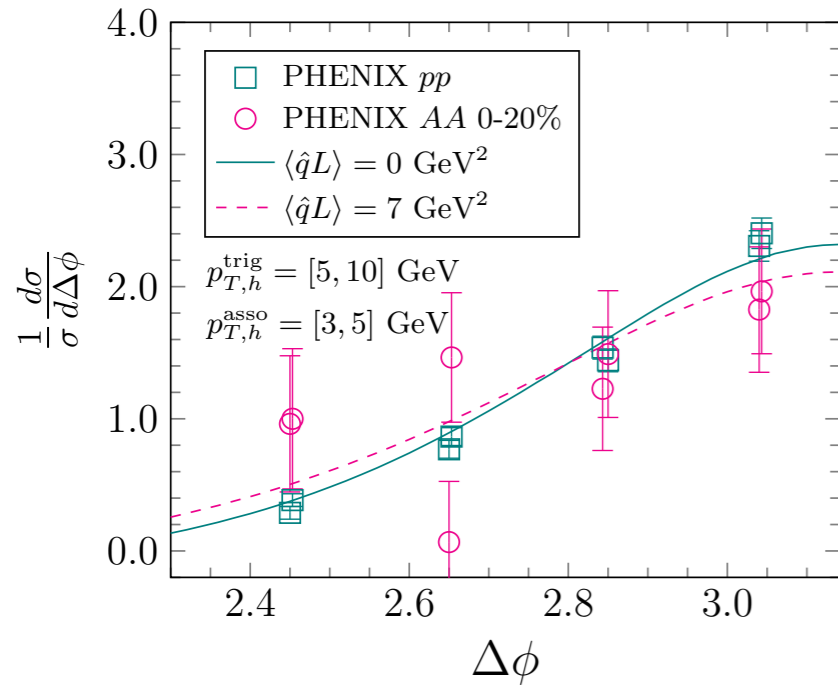




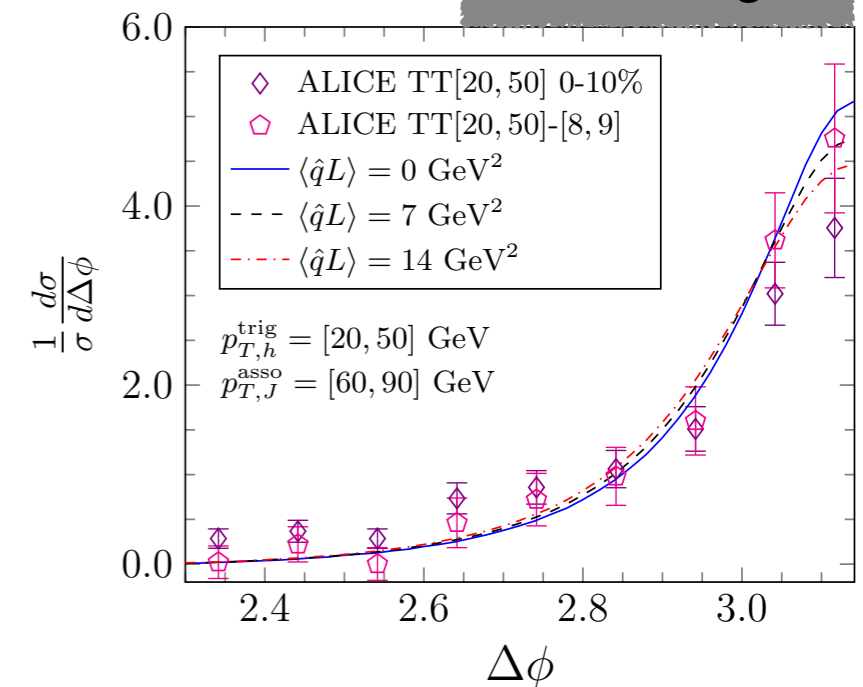
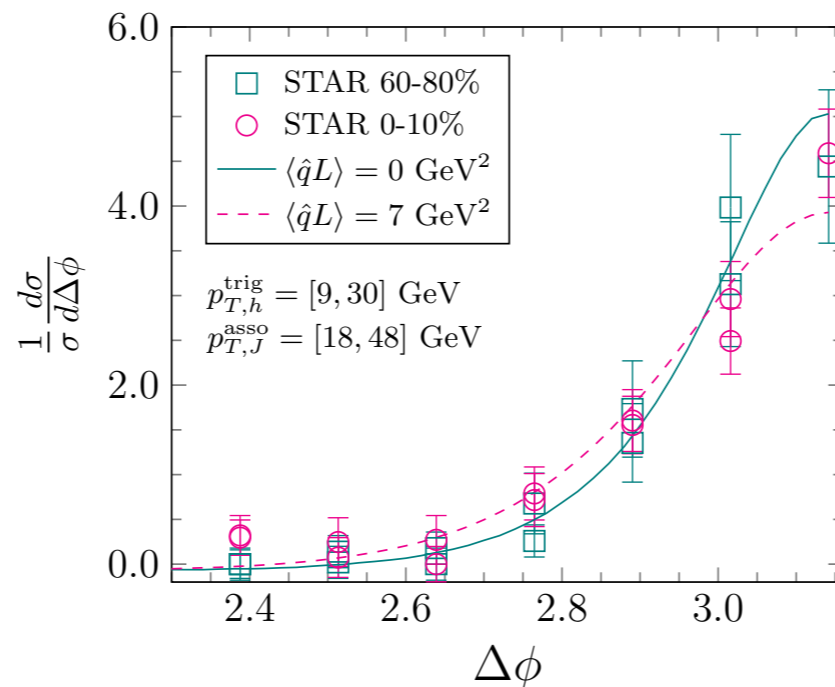
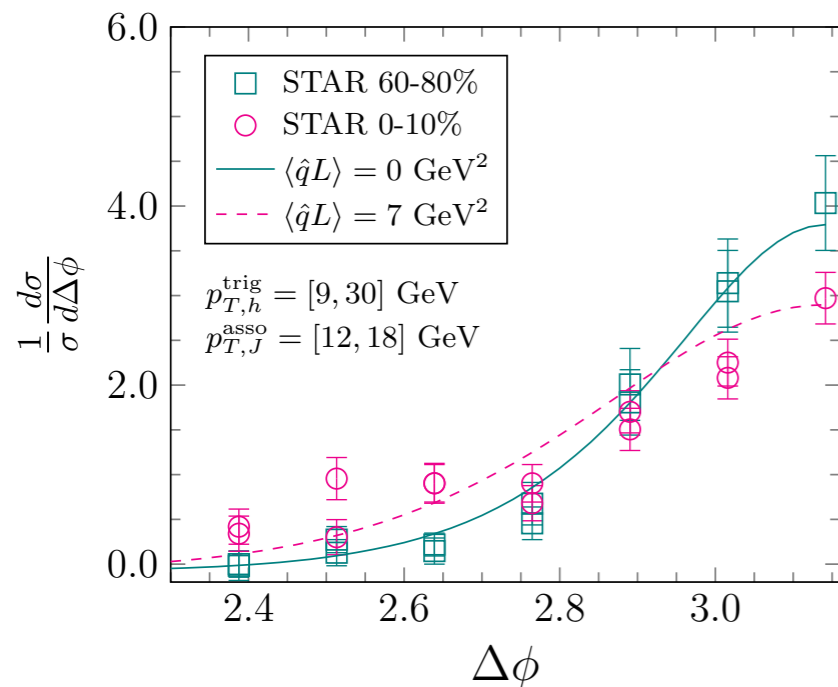
# Dihadron & hadron-jet correlations



## $pp$ collisions + $AA$ collisions

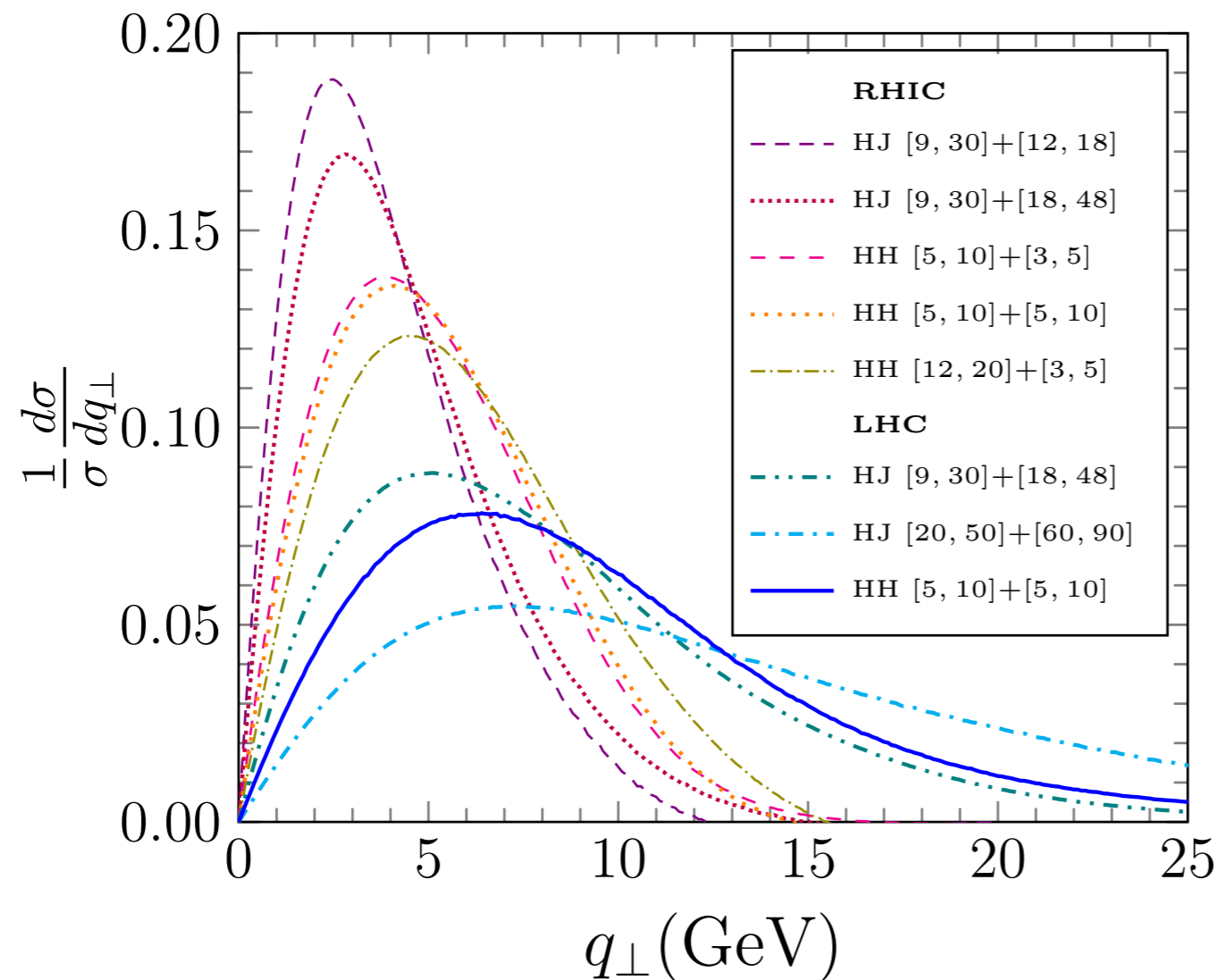


**dihadron**



**hadron-jet**

## Normalized $q_{\perp}$ distributions

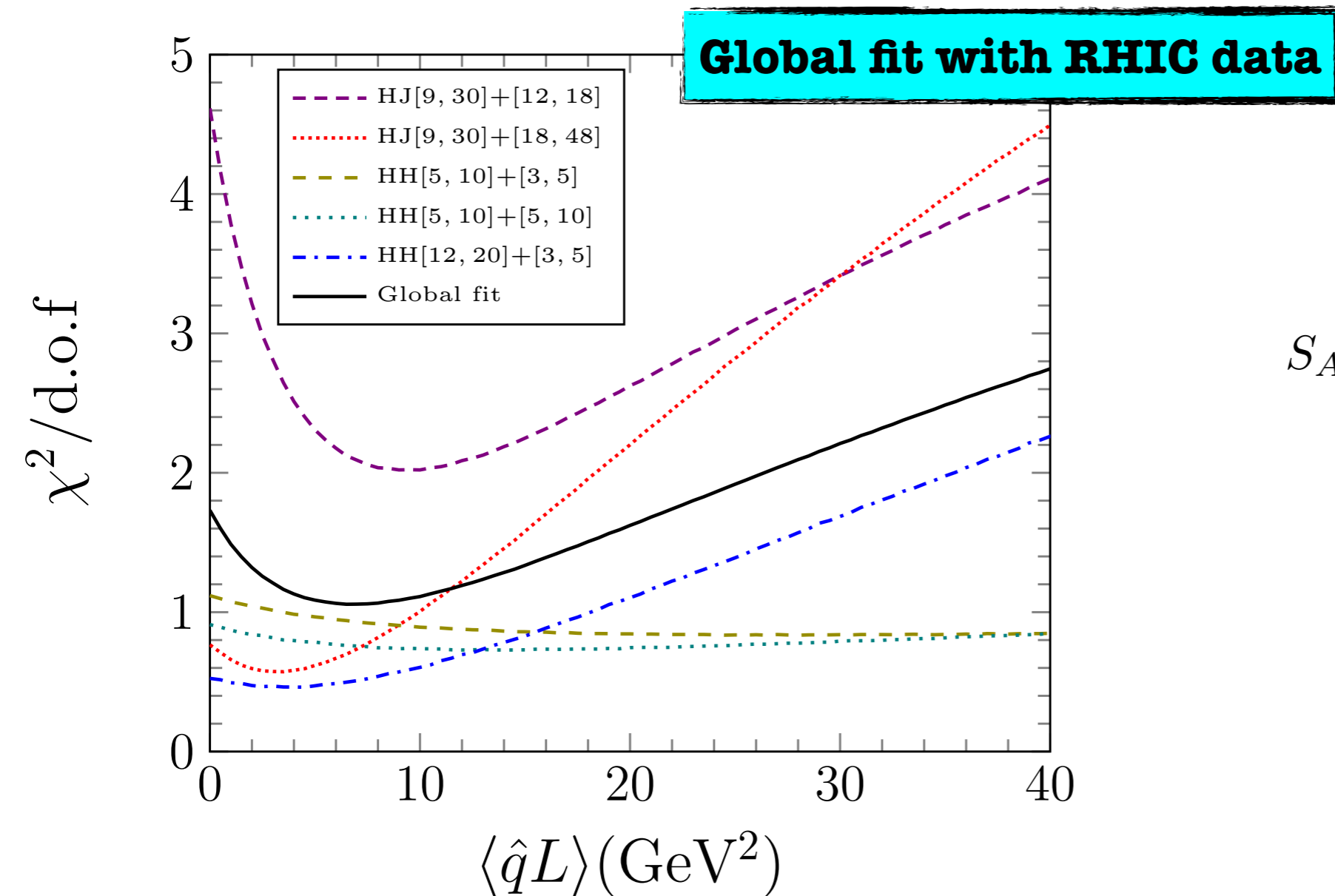


$$q_{\perp AA}^{*2} \simeq q_{\perp pp}^{*2} + \langle \hat{q}L \rangle$$

Large  $p_T$  events are not sensitive to the medium induced  $k_T$  broadening, since the vacuum Sudakov effect is too large.



# Dihadron & hadron-jet correlations



$$S_{AA}(Q, b) = S_{pp}(Q, b) + \frac{\langle \hat{q}L \rangle b^2}{4}$$

$$\langle \hat{q}L \rangle_{\text{tot}} = 14_{-14}^{+42} \text{ GeV}^2$$

larger than the value,  $\hat{q} = 1.2 \pm 0.3 \text{ GeV}^2/\text{fm}$   
 extracted from single hadron  $R_{AA}$  by  
 JET Collaboration

- Radiative correction
- Effective length

- ☑ For the first time we can describe the back-to-back dihadron/hadron-jet angular correlation measured at RHIC & LHC.
- ☑ The dijet, dihadron and hadron-jet angular correlations can provide a new gateway to quantify the medium induced  $k_T$  broadening.
- ☑ We extracted that  $\langle \hat{q}L \rangle_{\text{tot}} = 14_{-14}^{+42} \text{GeV}^2$  for a quark jet at RHIC energy.

## Outlook

- ☑ Energy loss.
- ☑ Dihadron per trigger yield.
- ☑  $A_J$  distribution.

- ✓ For the first time we can describe the back-to-back dihadron/hadron-jet angular correlation measured at RHIC & LHC.
- ✓ The dijet, dihadron and hadron-jet angular correlations can provide a new gateway to quantify the medium induced  $k_T$  broadening.
- ✓ We extracted that  $\langle \hat{q}L \rangle_{\text{tot}} = 14_{-14}^{+42} \text{GeV}^2$  for a quark jet at RHIC.

Thanks for your attention!

- ✓ Energy loss.
- ✓ Dihadron per trigger yield.
- ✓  $A_J$  distribution.



The End

## Dihadron azimuthal angle correlation (Chen, Qin, Wei, Xiao, Zhang, arXiv:1607.01932)

$$\frac{d\sigma}{d\Delta\phi} = \sum_{a,b,c,d} \int p_T^{h_1} dp_T^{h_1} \int p_T^{h_2} dp_T^{h_2} \int \frac{dz_c}{z_c^2} \int \frac{dz_d}{z_d^2} \int bdb J_0(q_\perp b) e^{-S(Q,b)}$$

$$x_a f_a(x_a, \mu_b) x_b f_b(x_b, \mu_b) \times \frac{1}{\pi} \frac{d\sigma_{ab \rightarrow cd}}{d\hat{t}} D_c(z_c, \mu_b) D_d(z_d, \mu_b)$$

## Hadron-JET azimuthal angle correlation

$$\frac{d\sigma}{d\Delta\phi} = \sum_{a,b,c,d} \int p_T^{h_1} dp_T^{h_1} \int k_\perp^{j_2} dk_\perp^{j_2} \int \frac{dz}{z^2} \int bdb J_0(q_\perp b) e^{-S(Q,b)}$$

$$x_a f_a(x_a, \mu_b) x_b f_b(x_b, \mu_b) \times \frac{1}{\pi} \frac{d\sigma_{ab \rightarrow cd}}{d\hat{t}} D_c(z, \mu_b)$$

## Sudakov factor



initial & **final** state parton shower

$$S(Q, b) = S_{\text{pert}}(Q, b) + S_{\text{non-pert}}(Q, b) + S_{\text{medium}}(\langle \hat{q}L \rangle, b)$$



Broken universality

factorization breaks down  
higher twist PDFs and FFs

# Sudakov Resummation

## Sudakov factor

$$S(Q, b) = S_{\text{pert}}(Q, b) + S_{\text{non-pert}}(Q, b) + S_{\text{medium}}(\langle \hat{q}L \rangle, b)$$

$$S_{\text{pert}}^i = \sum_{i=a,b} \int_{\mu_b^2}^{Q^2} \frac{d\mu^2}{\mu^2} \left[ A_i \ln \left( \frac{Q^2}{\mu^2} \right) + B_i \right] \quad \text{initial state Sudakov factor}$$

$$S_{\text{pert}}^f = \frac{1}{2} \sum_{f=c,d} \int_{\mu_b^2}^{Q^2} \frac{d\mu^2}{\mu^2} \left[ A_f \ln \left( \frac{Q^2}{\mu^2} \right) + B_f \right] \quad \text{for } f \text{ is a hadron}$$

$$S_{\text{pert}}^f = \sum_{f=c,d} \int_{\mu_b^2}^{Q^2} \frac{d\mu^2}{\mu^2} \left[ D_f \ln \frac{1}{R^2} \right] \quad \text{for } f \text{ is a JET}$$

## Non-perturbative Sudakov factor

- ✓ Not universal for dihadron, hadron-jet and dijet productions.
- ✓ Universal for different  $p_T$  regions or CME for the same process.

predictive power

$$S_{\text{np}} = C \times S_{\text{np}}^{\text{DIS}} \quad \begin{array}{l} C = 5 \text{ for dihadron production} \\ C = 2 \text{ for hadron-jet production} \end{array}$$