

new method for measurement of
the Higgs boson mass at e^+e^-

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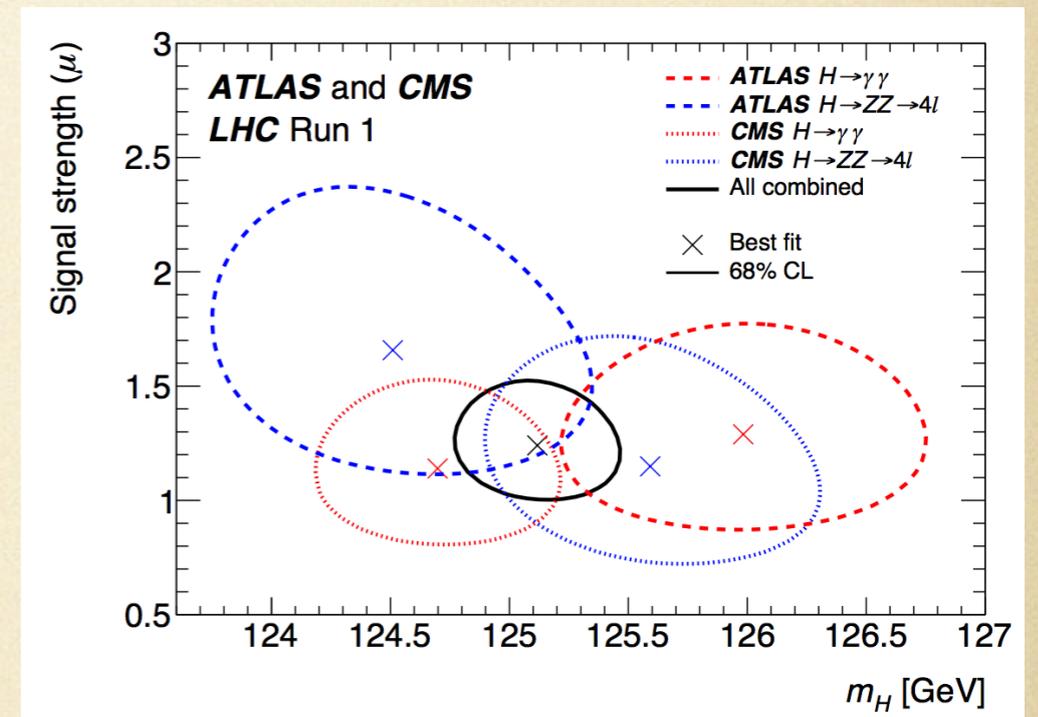
**International Workshop on High Energy
Circular Electron Positron Collider @
IHEP, Nov. 6-8, 2017**

introduction: methods to measure Higgs mass

- at LHC: direct reconstruction from decay, e.g. $H \rightarrow \gamma\gamma$ or $H \rightarrow ZZ \rightarrow 4l$

$$m_H^{\text{Run1}} = 125.09 \pm 0.21(\text{stat}) \pm 0.11(\text{sys})\text{GeV}$$

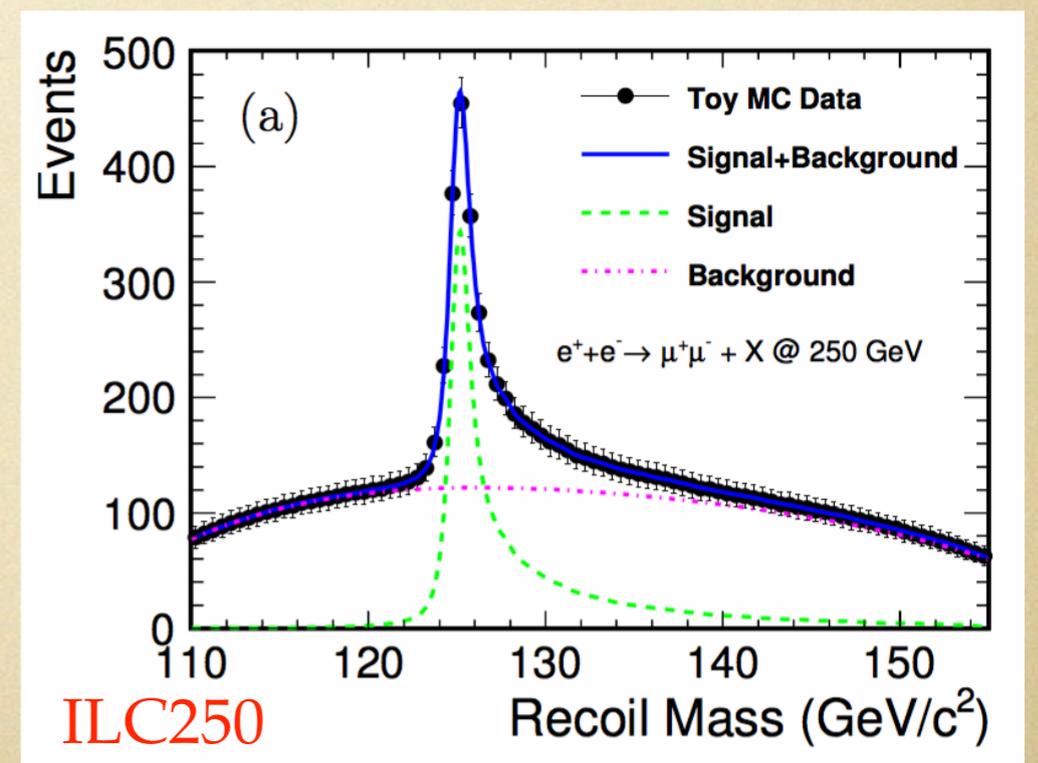
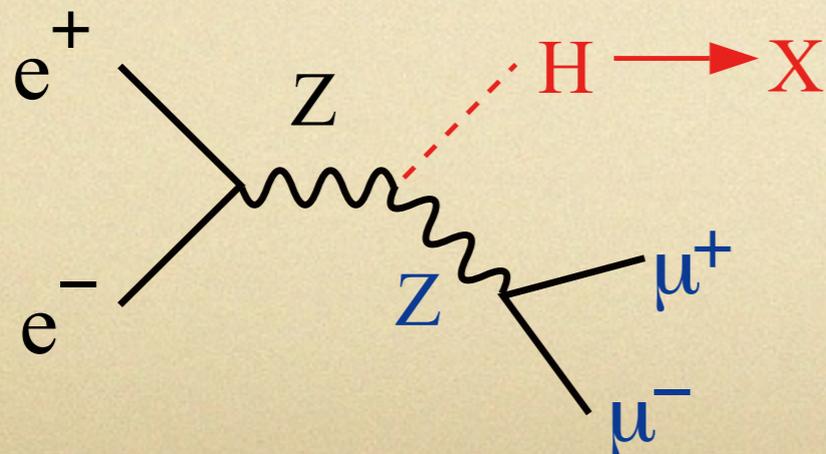
1503.07589



- at e^+e^- : recoil mass against $Z \rightarrow ll$

$$\Delta m_H^{\text{H20}} = 14\text{MeV}$$

1604.07524



introduction: why δm_H is important

- partial widths of $H \rightarrow ZZ^* / WW^*$ is very sensitive to the Higgs boson mass (due to phase space)
- δm_H becomes one main source of systematic errors for theory prediction of $\Gamma(H \rightarrow ZZ)$ and $\Gamma(H \rightarrow WW)$

1404.0319

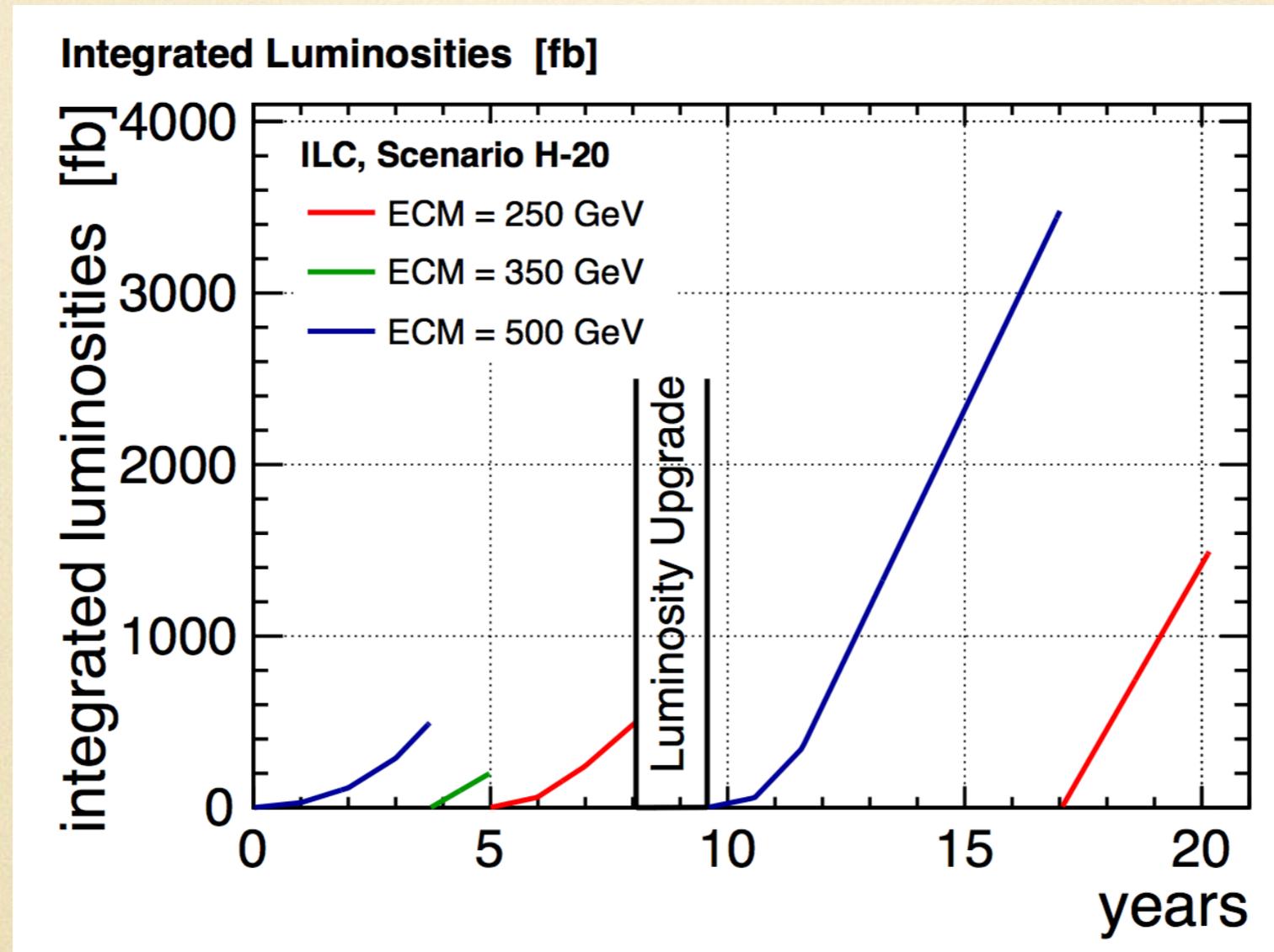
$$\delta_W = 6.9 \cdot \delta m_H \quad \delta_Z = 7.7 \cdot \delta m_H$$

e.g. if $\Delta m_H = 200 \text{ MeV} \rightarrow \delta_Z \sim 1.2\%$ (\gg other sources)

$$\text{ILC 250: } \Delta m_H = 14 \text{ MeV} \rightarrow \delta_Z \sim 0.1\%$$

note: δ_Z is relative error for HZZ coupling, which is defined as
1/2 of relative error of partial width of $H \rightarrow ZZ^*$

introduction: the motivation for a new method

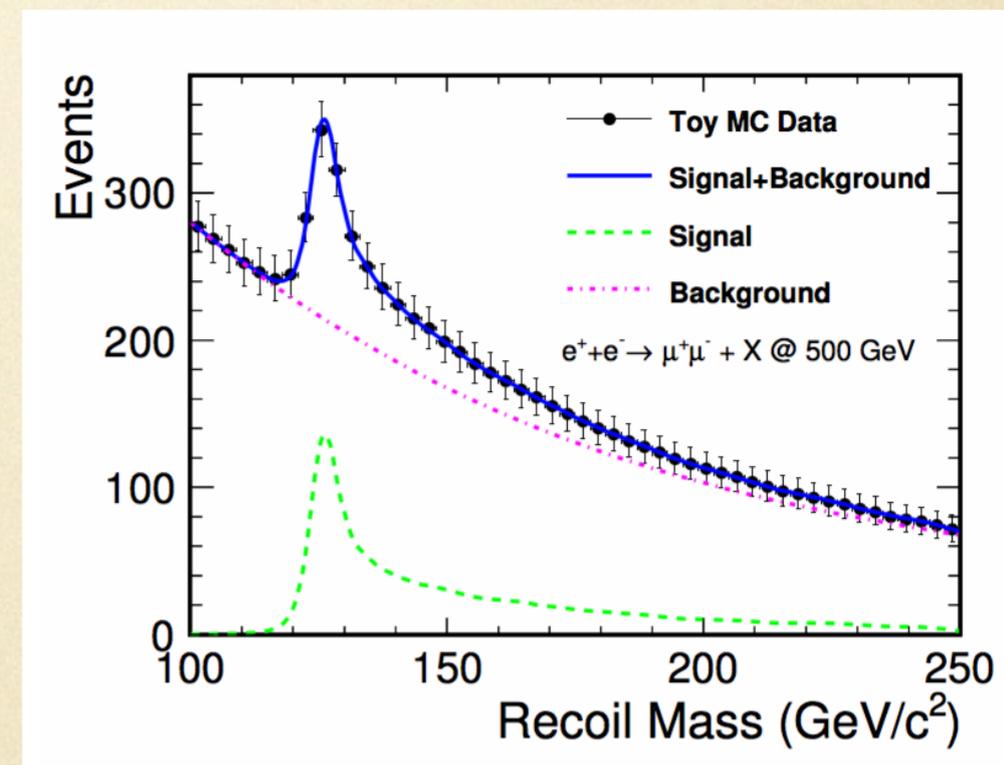
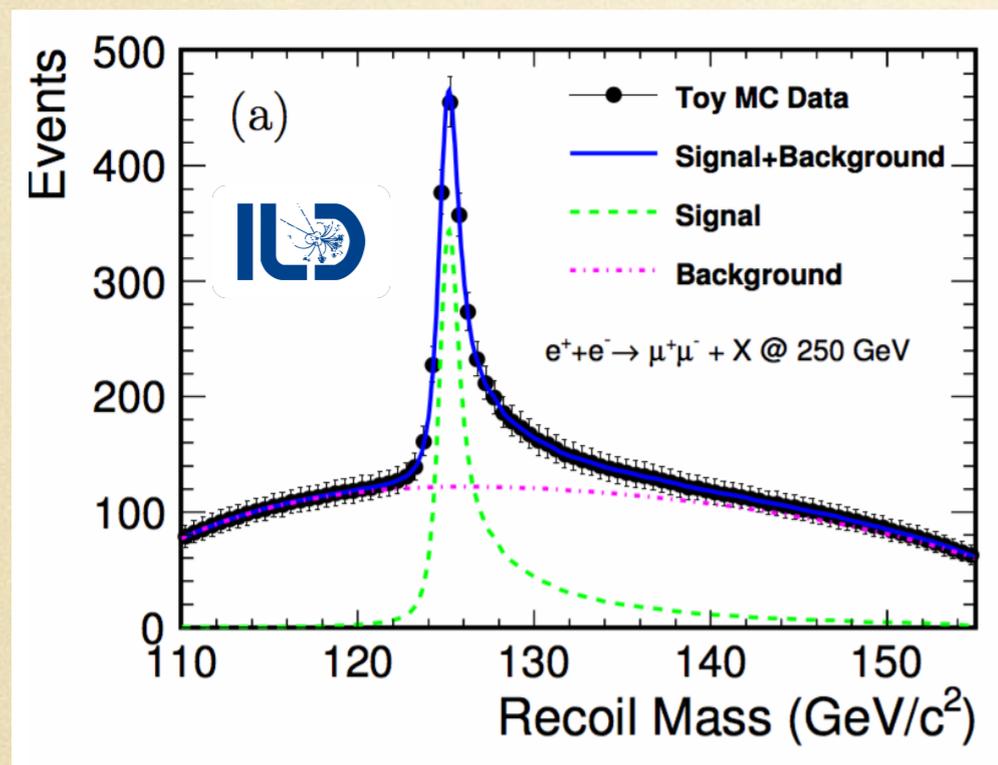


ILC H20: why, for significant fraction of time, the 500 GeV machine is running at 250 GeV? (was really a pity to me)

introduction: the motivation for a new method

at $E_{cm}=250$ GeV: $\Delta m_H = 14$ MeV

at $E_{cm}=500$ GeV: $\Delta m_H = 218$ MeV



1604.07524

can we improve Δm_H at e.g. $\sqrt{s} \geq 500$ GeV?

idea of a new method for measurement of m_H

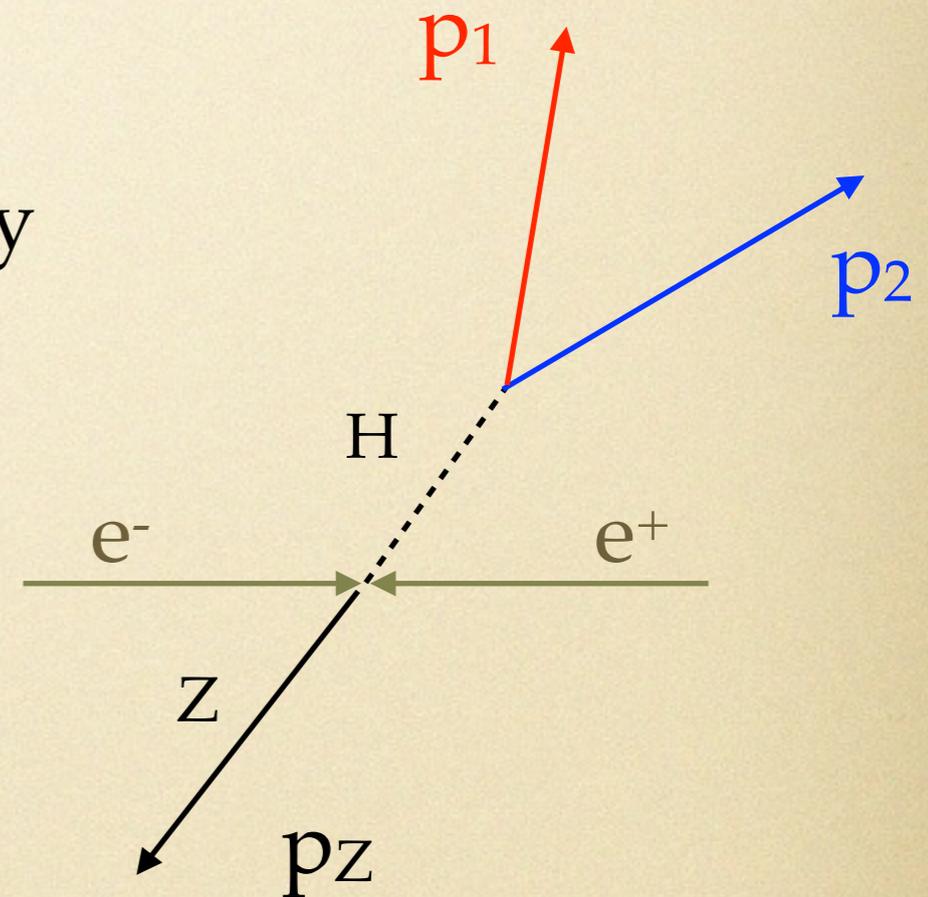
(talk at LCWS16)

strategy

- require momentum balance only in transverse direction
- use measured jet direction, but not energy
- two constraints \rightarrow two unknown (p_1, p_2)

advantage

- insensitive to beam energy
- insensitive to beamstrahlung / ISR
- insensitive to (b)-jet energy resolution

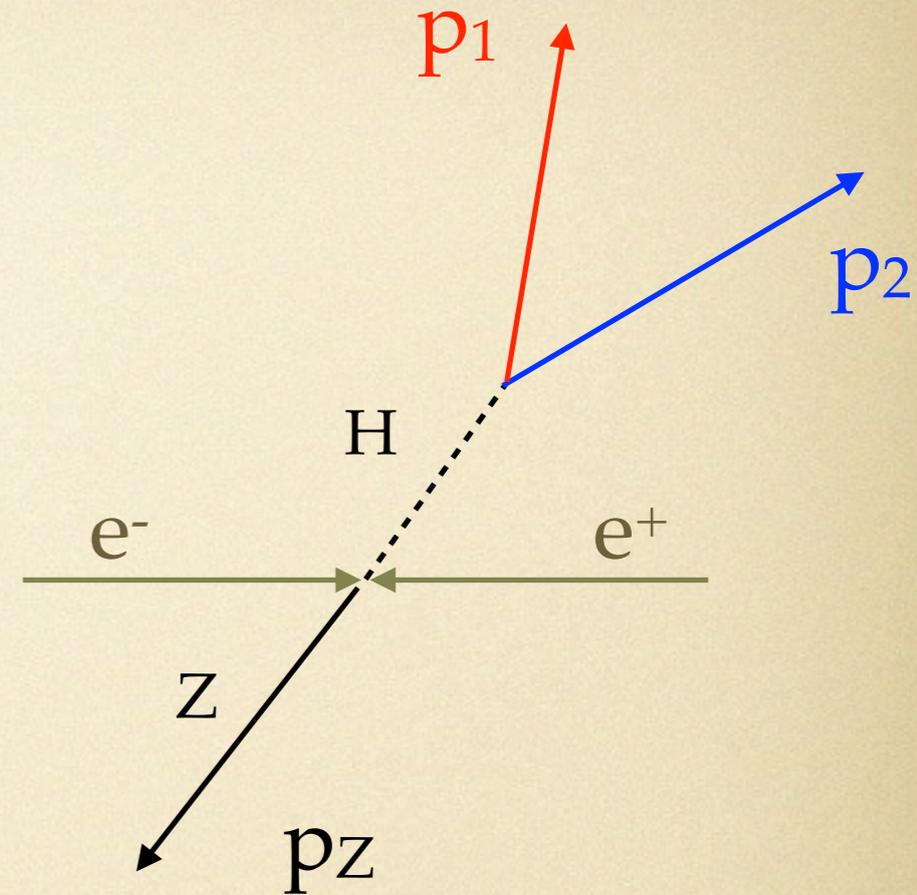


analytic results

$$p_1 \sin \theta_1 \cos \phi_1 + p_2 \sin \theta_2 \cos \phi_2 = p_x$$

$$p_1 \sin \theta_1 \sin \phi_1 + p_2 \sin \theta_2 \sin \phi_2 = p_y$$

(p_x, p_y : measured from p_z)

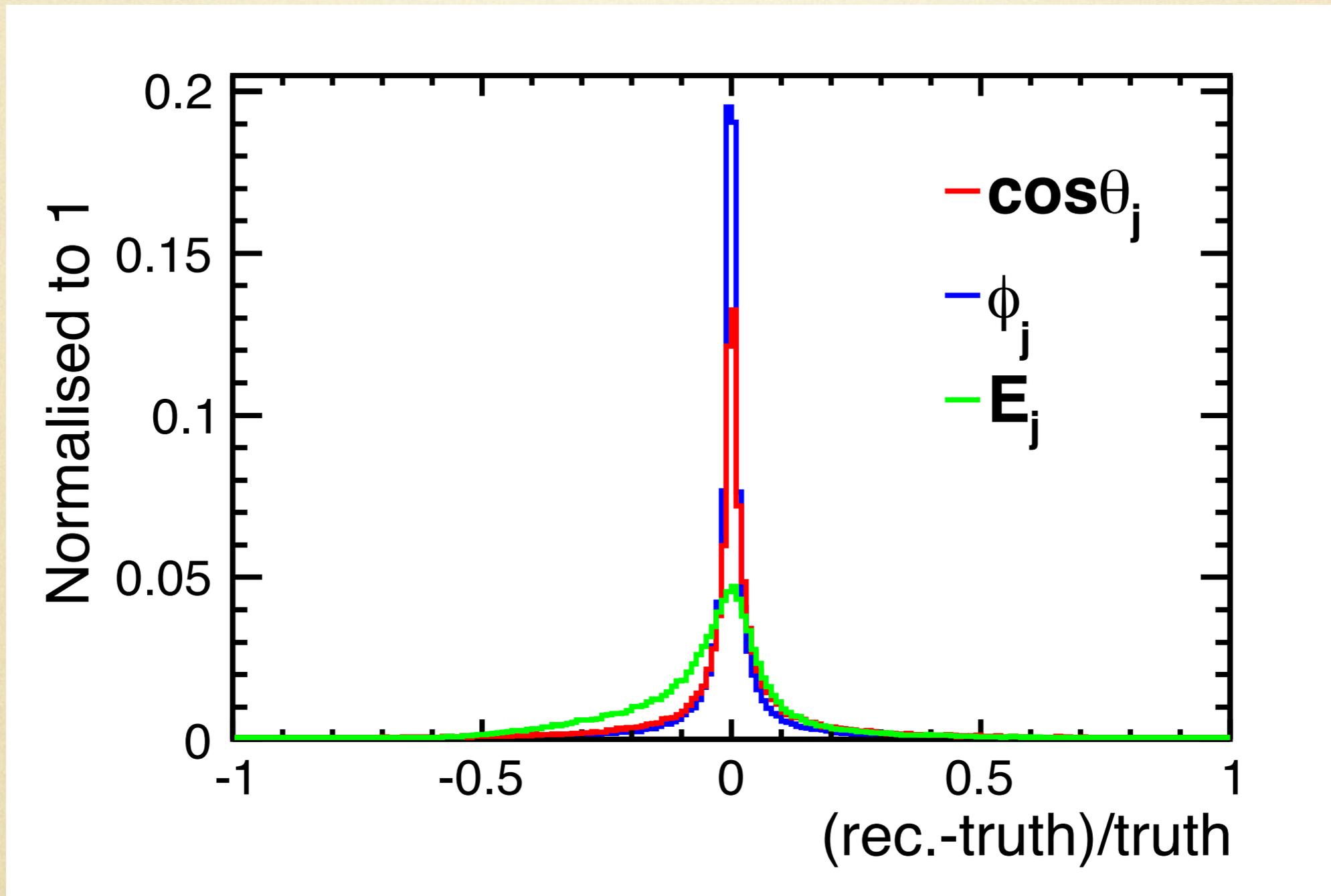


$$\begin{pmatrix} p_1 \\ p_2 \end{pmatrix} = \frac{p_t}{\sin \phi} \begin{pmatrix} \frac{\sin(\phi - \phi_2)}{\sin \theta_1} \\ \frac{\sin(\phi_1 - \phi)}{\sin \theta_2} \end{pmatrix}$$

$$\phi = \phi_1 - \phi_2 \quad p_t = \sqrt{p_x^2 + p_y^2}$$

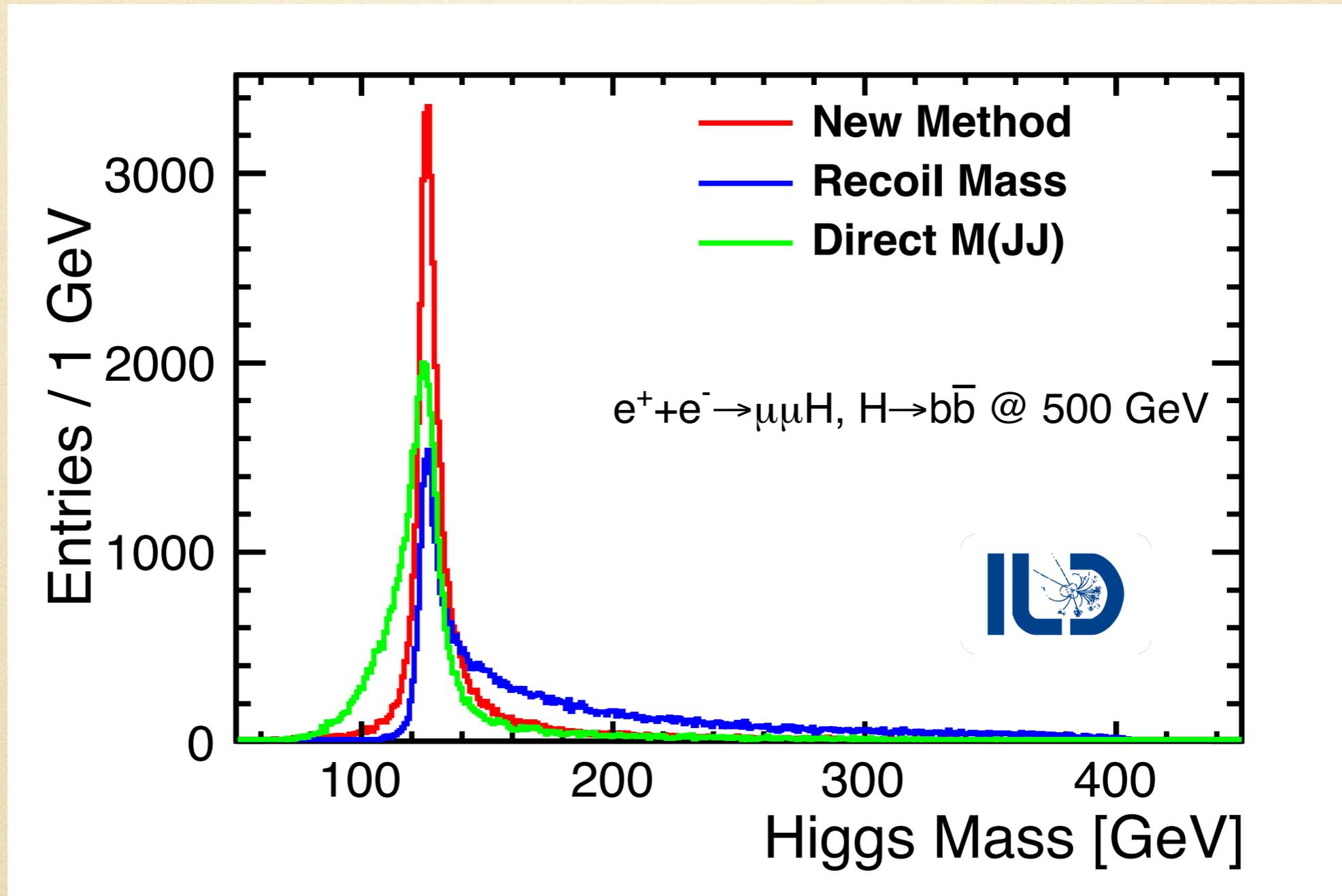
results for full simulation — resolutions

$\sqrt{s} = 500 \text{ GeV}$ $e^+e^- \rightarrow \mu\mu H, H \rightarrow b\bar{b}$ w/o overlay



comparison between momentum of jets and b-quarks

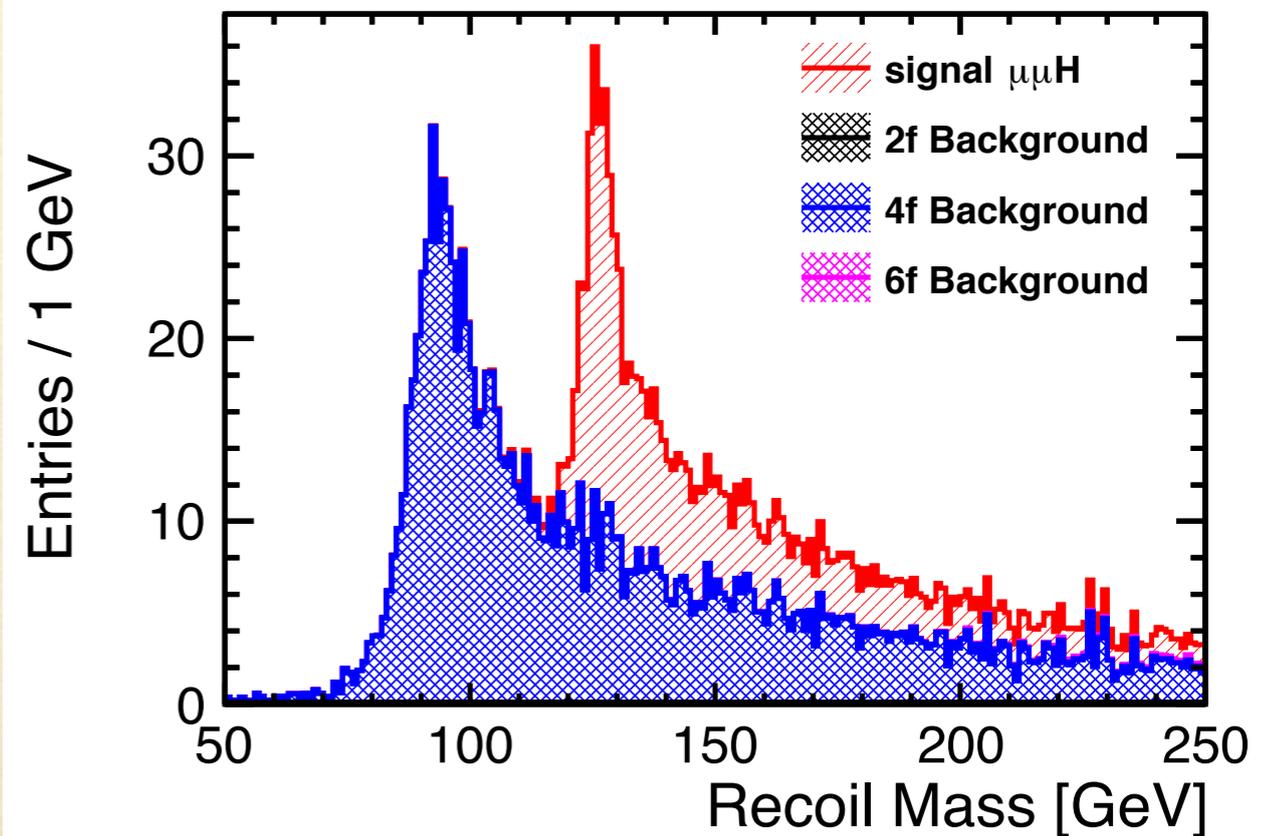
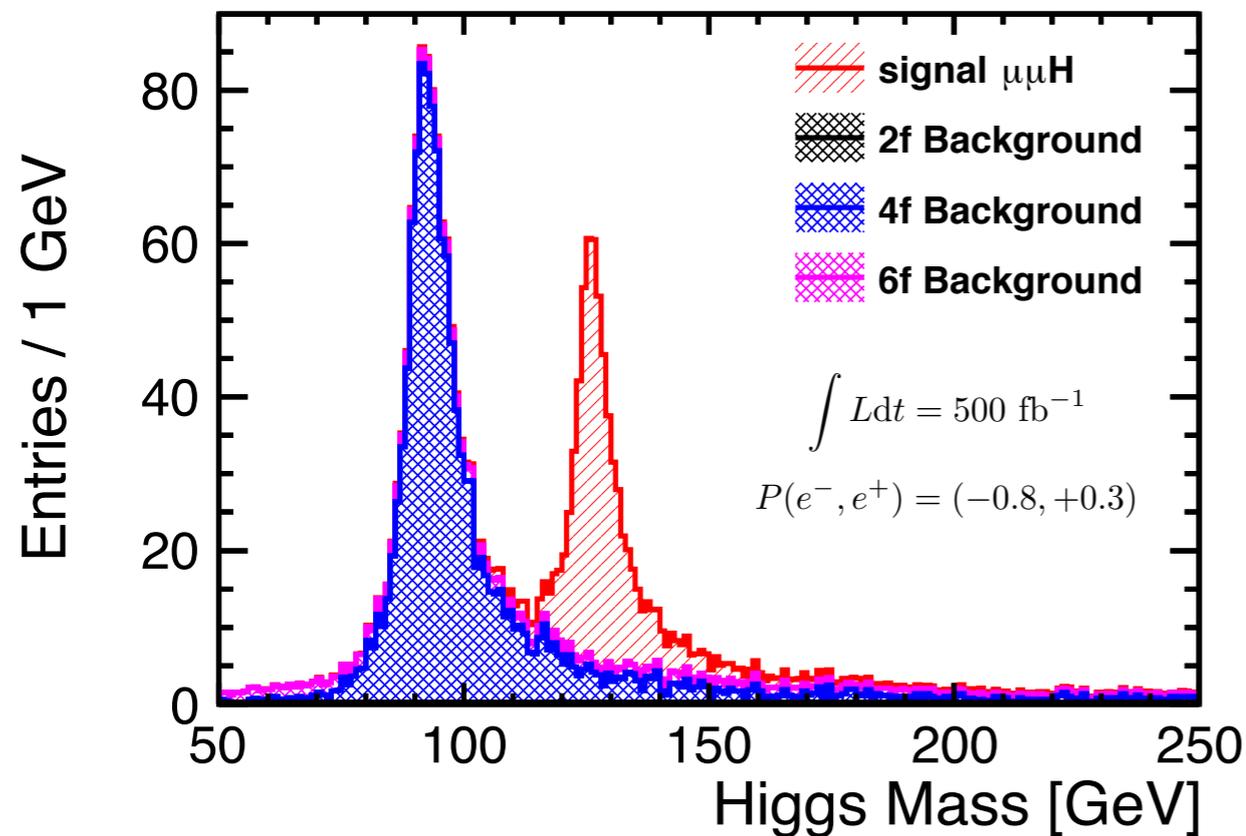
performance of new method (compared with others)



ILD full simulation

results for full simulation — including full SM background

$$\sqrt{s} = 500 \text{ GeV} \quad e^+e^- \rightarrow \mu\mu H, H \rightarrow b\bar{b}$$



new method

$\Delta m_H \sim 70 \text{ MeV}$

recoil method

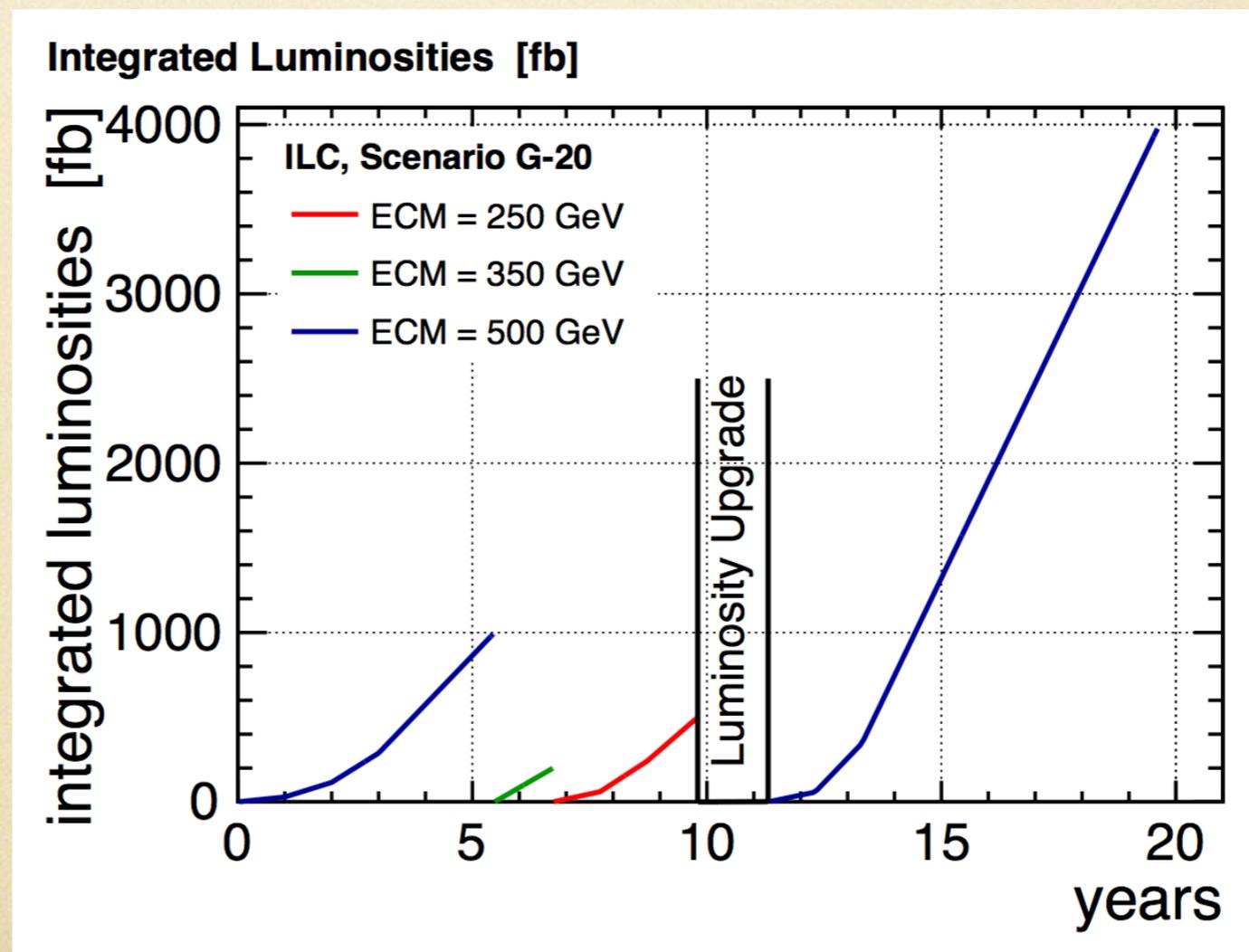
$\Delta m_H \sim 218 \text{ MeV}$

(leptonic channels & only 500 GeV data in H20)

back to LCWS16

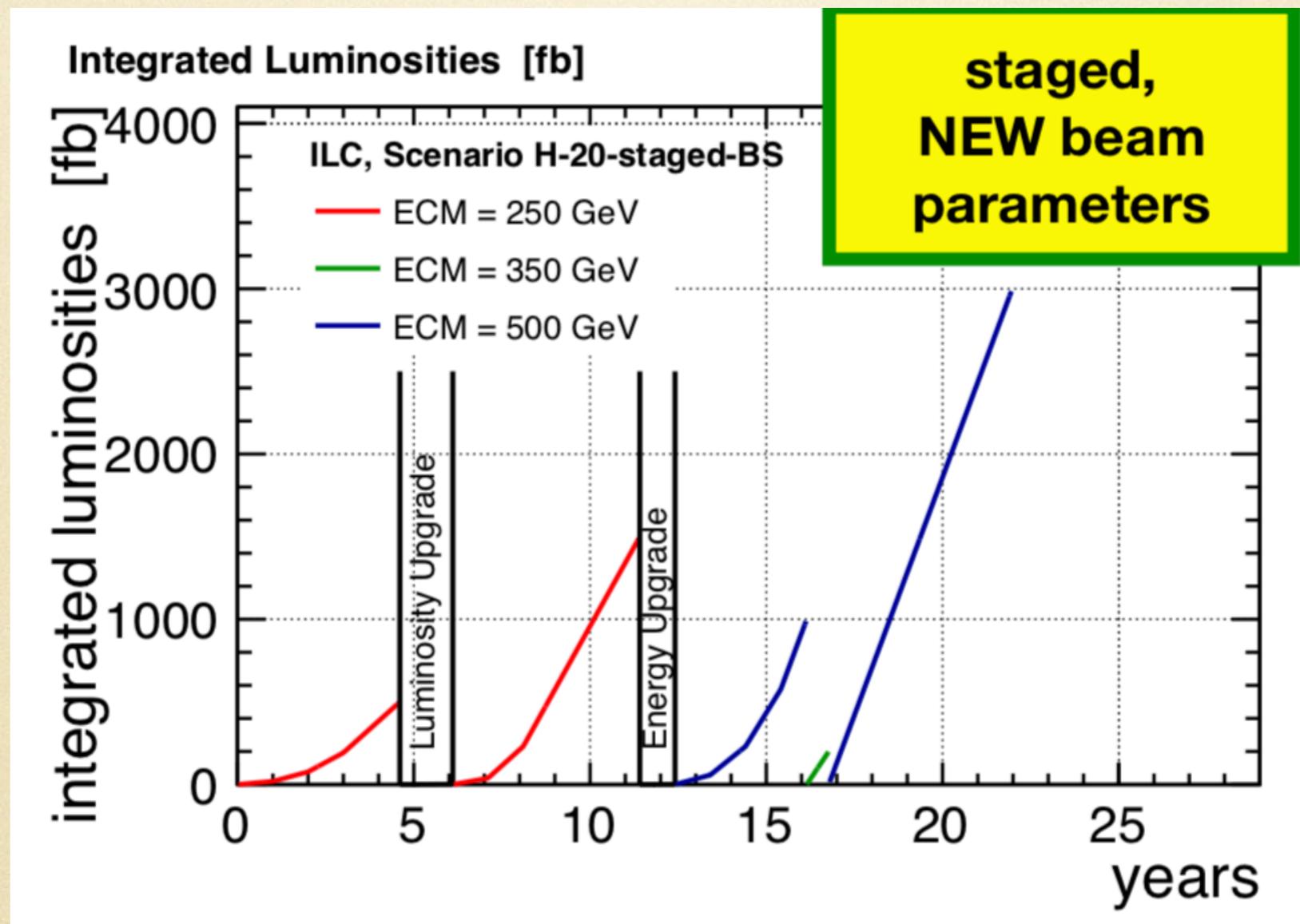
- new method: very promising m_H measurement at 500 GeV
- was about to include $Z \rightarrow qq$ channel
- maybe we can forget about 250 GeV running

e.g. some
variation of
G-20



another news from LCWS16

- o we would have to run ILC at $\sqrt{s} = 250$ GeV first anyway...



J.List @ LCWS17

in that case, isn't recoil method good enough?
in fact, I did forget about my study of new method

higher luminosity at 250 GeV

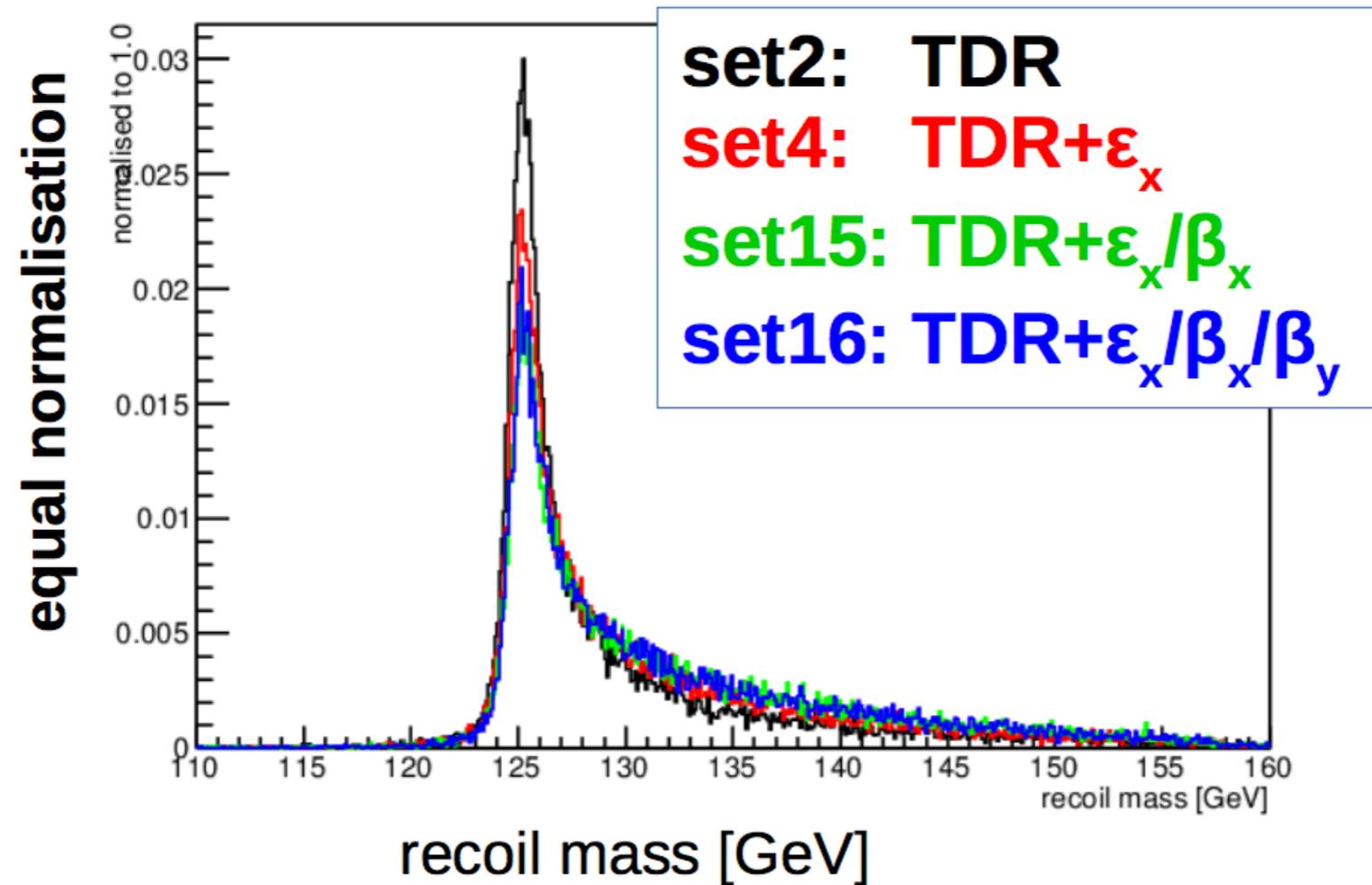
K.Yokoya @ AWLC 2017

$$\mathcal{L} \approx C \frac{P_B}{E} \sqrt{\frac{\delta_{BS}}{\epsilon_{y,n}}} \min \left(1, \sqrt{\sigma_z / \beta_y} \right)$$

$$\delta_{BS} = \left\langle -\frac{\Delta E}{E} \right\rangle \approx 0.836 \frac{N^2 r_e^3 \gamma}{\sigma_z \sigma_x^2}, \quad \sigma_x = \sqrt{\frac{\epsilon_{x,n} \beta_x^*}{\gamma}}$$

- luminosity can be increased by higher δ_{BS} (beamstrahlung energy loss, which is 1% at TDR)
- higher δ_{BS} can be achieved by smaller $\epsilon_{x,n}$ or β_x^*
- set of new beam parameters with smaller $\epsilon_{x,n}$ is being tried \rightarrow x1.6 higher luminosity is promising
- if works \rightarrow can further try smaller β_x^*

impact of higher beamstrahlung



D.Jeans @ AWLC 2017

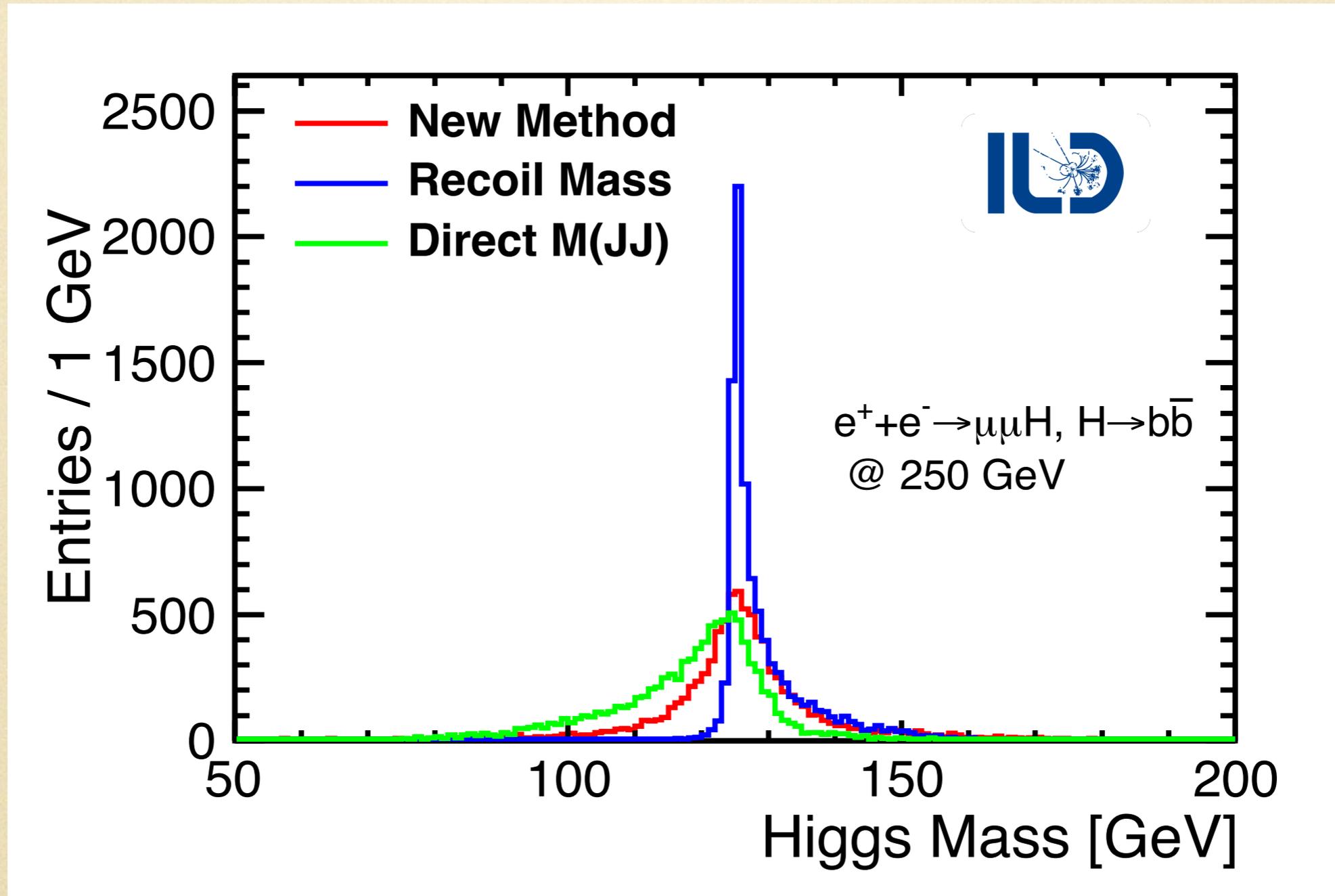
- set4 : Δm_H larger by $\sim 25\%$
- set15/16: Δm_H larger by $\sim 50\%$

—> ILC250: $\Delta m_H \sim 20$ MeV for new beam parameters

new motivation of the new method

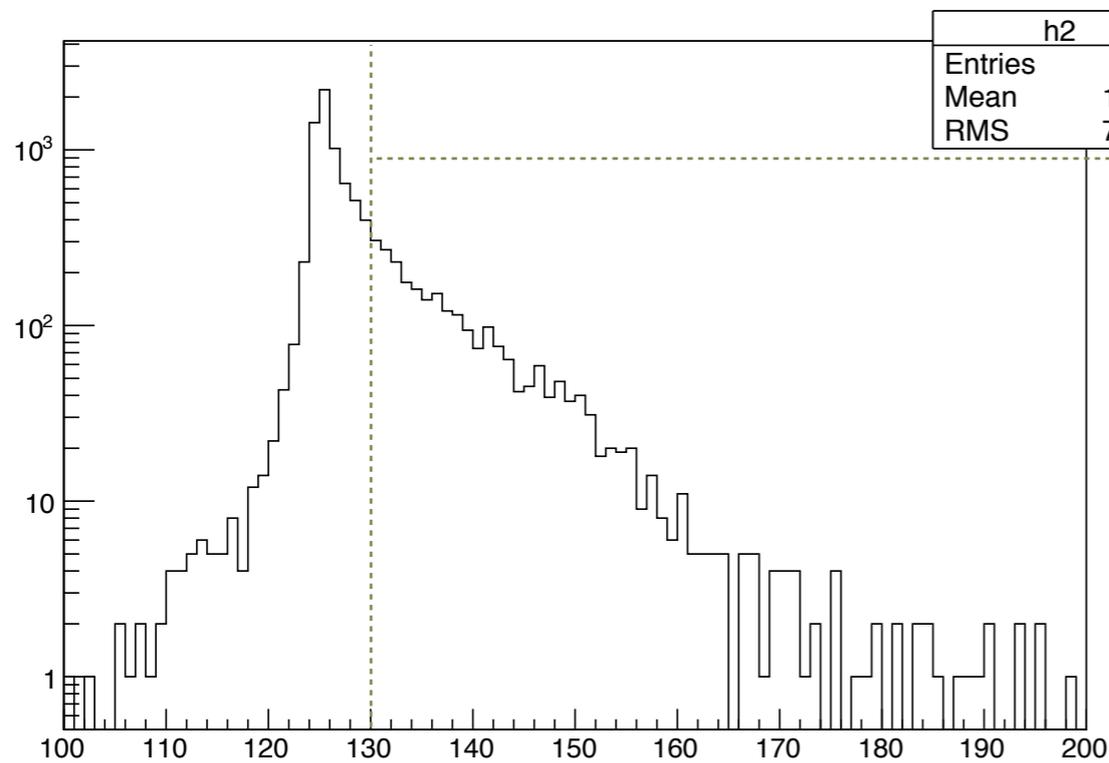
- insensitive to the beam energy \rightarrow complementary in terms of systematic errors CEPC
- insensitive to beamstrahlung / ISR \rightarrow improve statistical error by applying the new method to those events with large beamstrahlung / ISR, e.g. a combined approach CEPC
- might be useful, in supporting new beam parameters with even higher luminosity at 250 GeV
- improve separation between signal background CEPC

performance of new method: single approach at 250 GeV

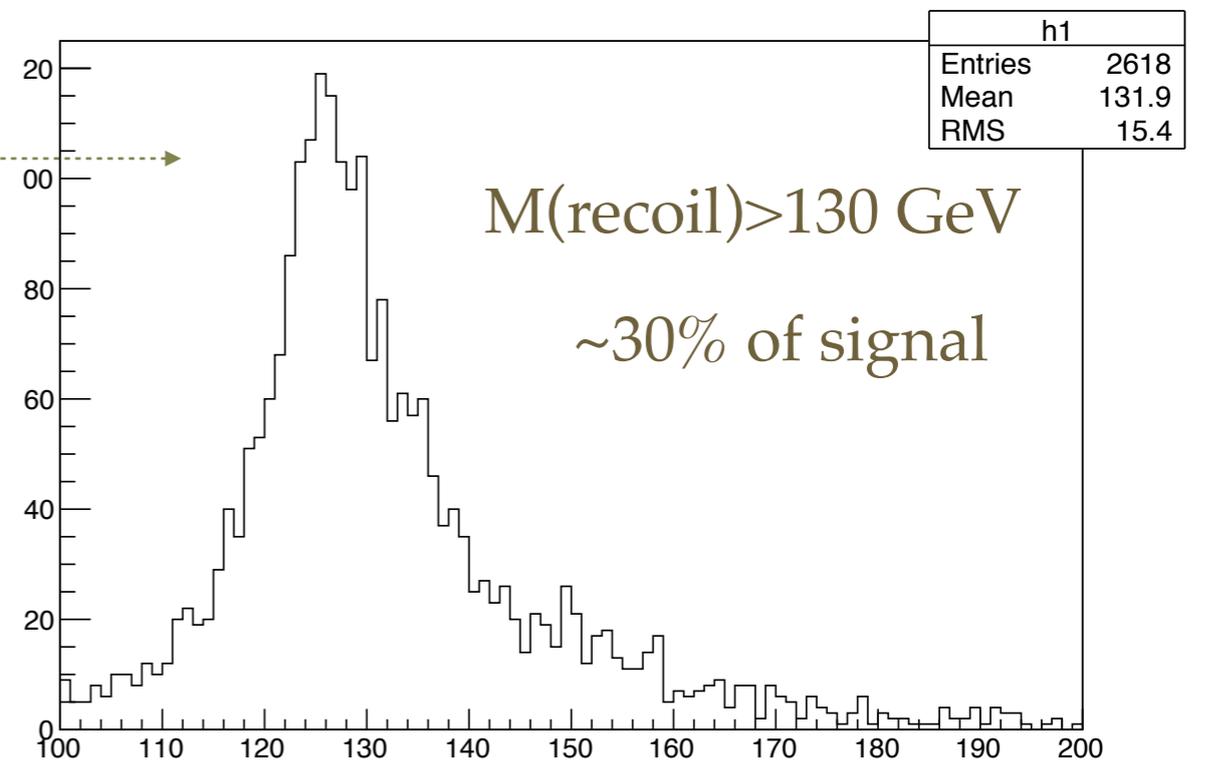


a possible combined approach

$$\sqrt{s} = 250 \text{ GeV} \quad e^+ e^- \rightarrow \mu\mu H, H \rightarrow b\bar{b}$$



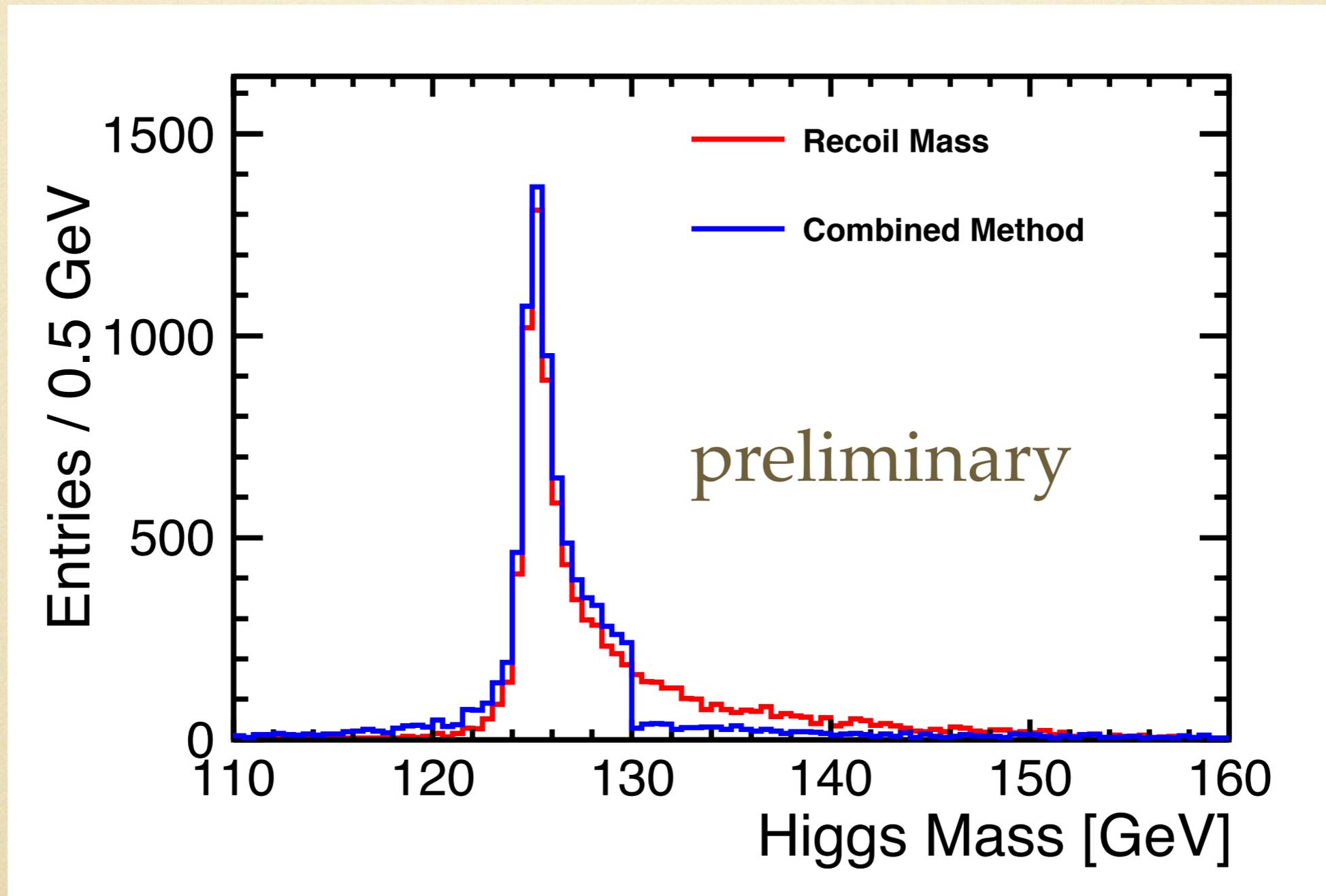
M(recoil)



M(new)

a possible combined approach

$$\sqrt{s} = 250 \text{ GeV} \quad e^+ e^- \rightarrow \mu\mu H, H \rightarrow b\bar{b}$$

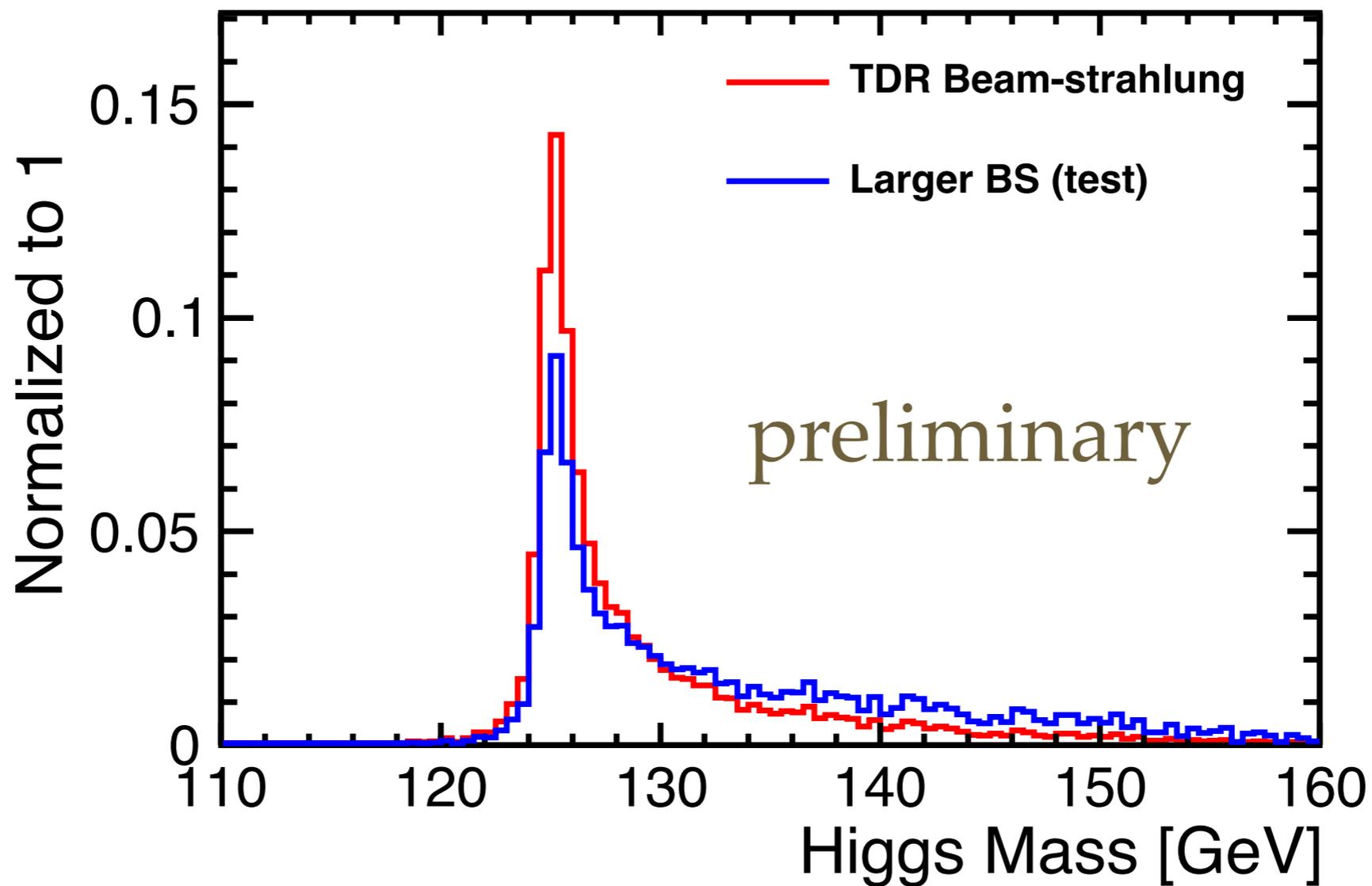


~10% increase of events in peak area, for free

test for higher beam-strahlung

$$\sqrt{s} = 250 \text{ GeV}$$

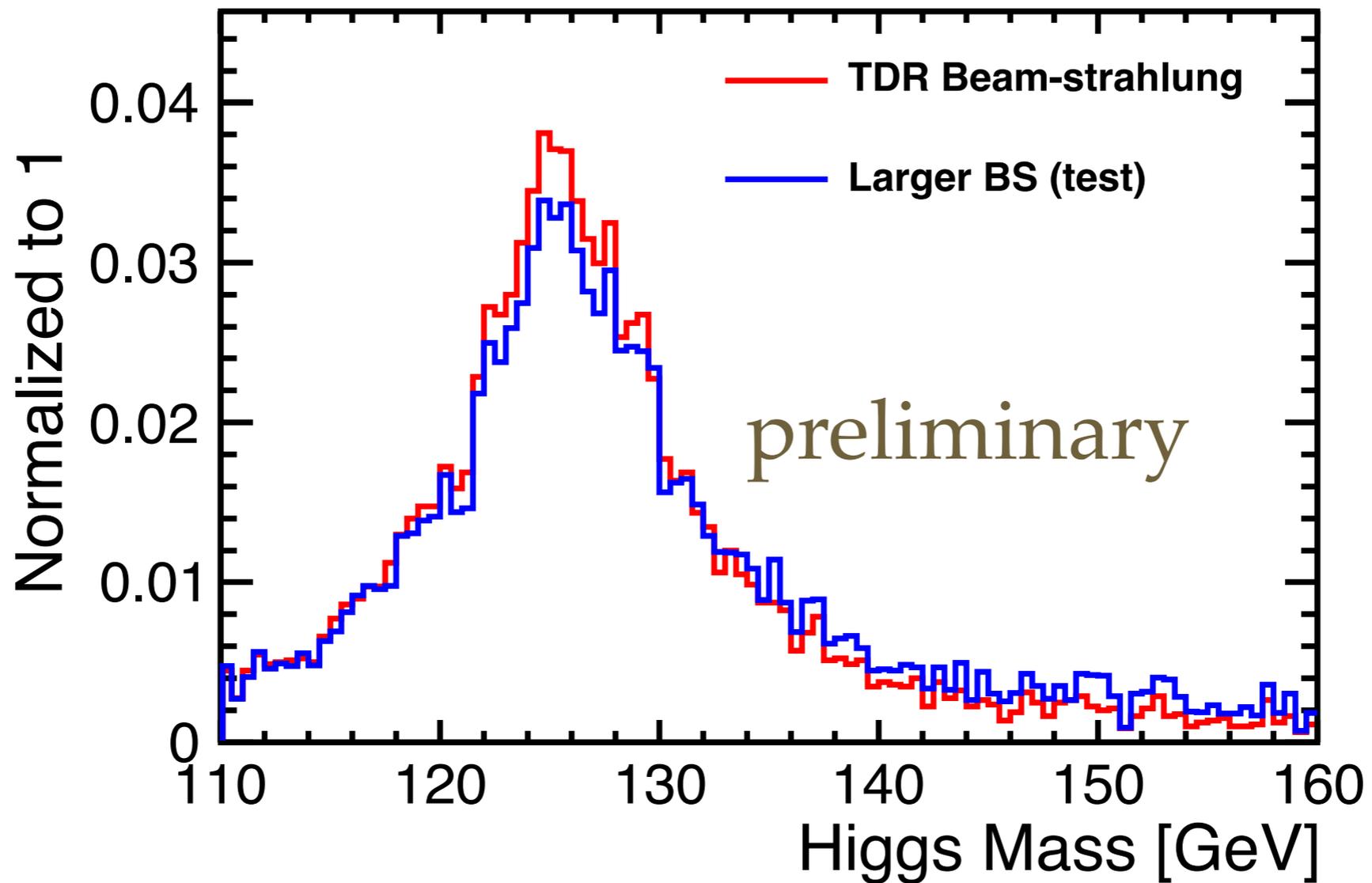
$$e^+ e^- \rightarrow \mu\mu H, H \rightarrow b\bar{b}$$



recoil mass method

test for higher beam-strahlung

$$\sqrt{s} = 250 \text{ GeV} \quad e^+ e^- \rightarrow \mu\mu H, H \rightarrow b\bar{b}$$



new method

summary & next step

- m_H measurement is important: $\Delta m_H = 14 \text{ MeV} \rightarrow 0.1\%$ systematic error for HZZ, HWW couplings
- a new method for m_H measurement is proposed
 - ▶ insensitive to beam energy, beamstrahlung / ISR
 - ▶ a factor of 3 better at $\sqrt{s} \geq 500 \text{ GeV}$ than recoil method
 - ▶ a combined approach is promising at $\sqrt{s} = 250 \text{ GeV}$
- next step: include $Z \rightarrow qq$; systematic errors, e.g. jet direction and jet mass; apply to new beam parameters

backup

ATLAS and CMS LHC Run 1

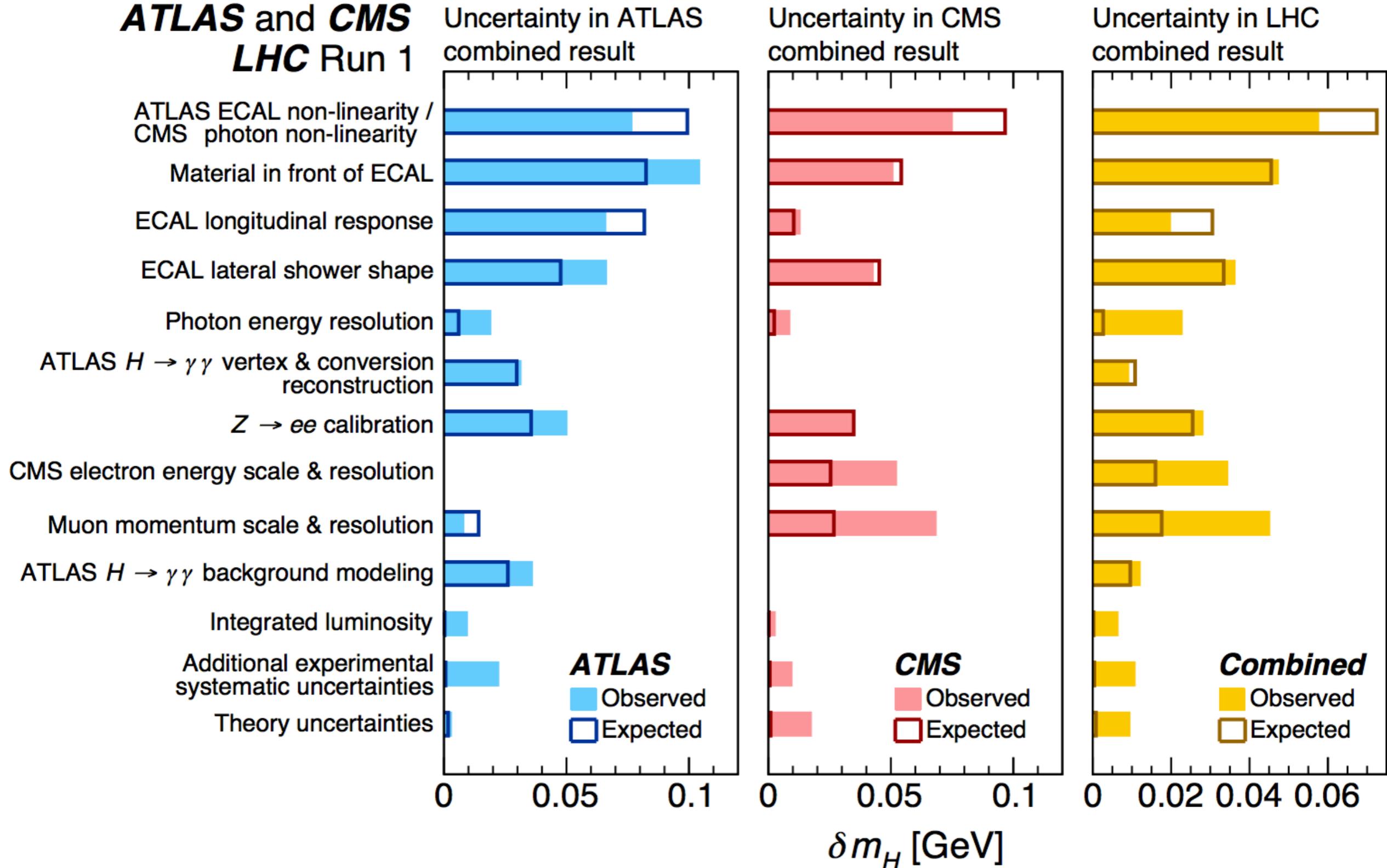
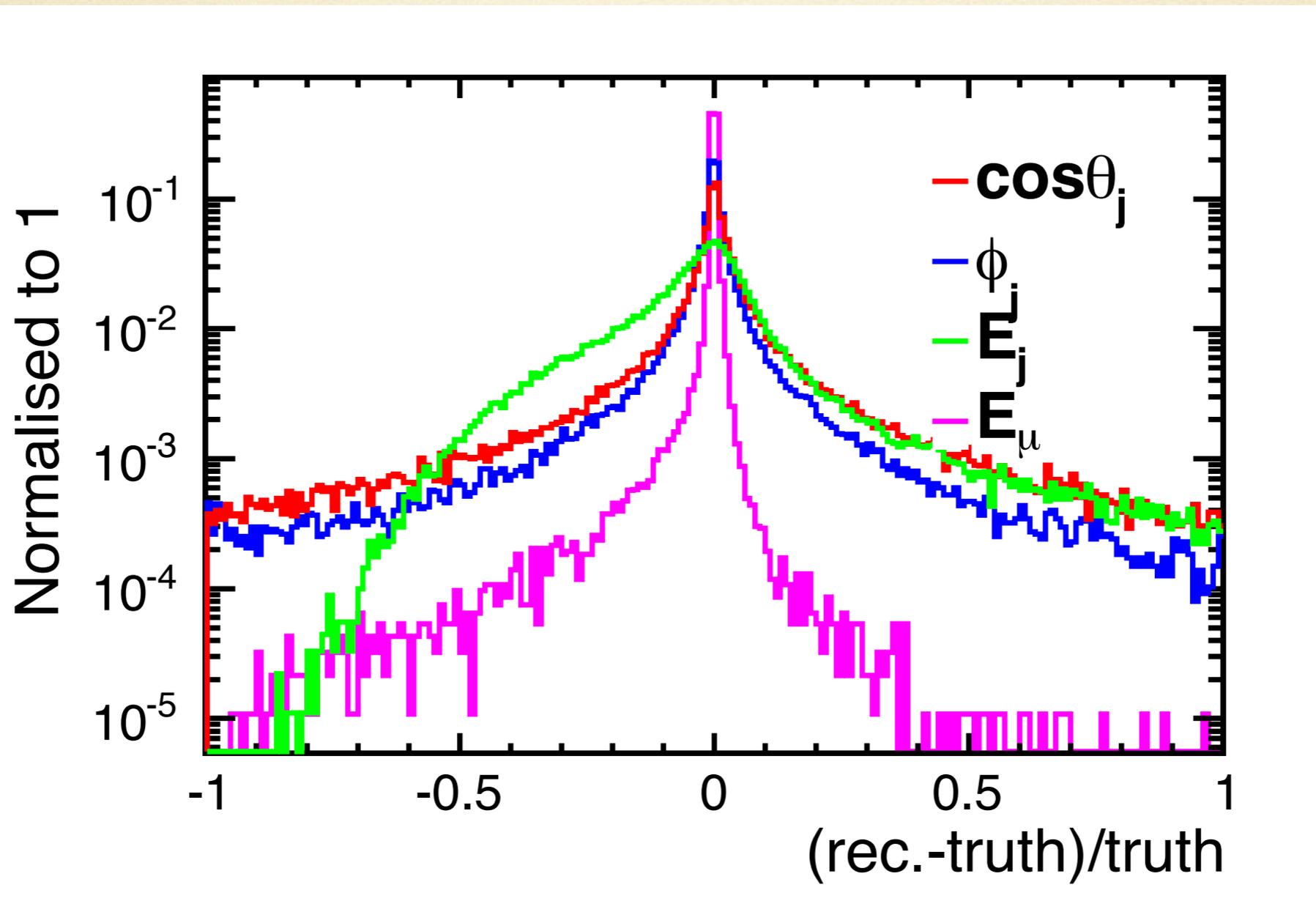


Figure 3: The impacts δm_H (see text) of the nuisance parameter groups in Table 1 on the ATLAS (left), CMS (center), and combined (right) mass measurement uncertainty. The observed (expected) results are shown by the solid (empty) bars.

$$\sqrt{s} = 500 \text{ GeV} \quad e^+e^- \rightarrow \mu\mu H, H \rightarrow b\bar{b}$$



$$\sqrt{s} = 250 \text{ GeV} \quad e^+e^- \rightarrow \mu\mu H, H \rightarrow b\bar{b}$$

