

CEPC draft meeting — 2017.10.16

$H \rightarrow ZZ^*$ decay

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Updates

- A. FCC-ee analysis and ILC analysis on $h \rightarrow ZZ^*$?
- B. Analysis detail for $H \rightarrow ZZ^*$
- C. For correlative signal fit:
 - 1. (VBF) $ee \rightarrow \nu\nu h$ contributes $\sim 14\%$ $\nu\nu h$ signal?
 - 2. $Z[\nu\nu]H[mumu jj]$: 10%~20% background is $Z[jj]H[WW^* \rightarrow e\bar{e}\nu\nu]$
 - 3. $Z[mumu]H[\nu\nu jj]$: $> \sim 90\%$ background are $ZH[b\bar{b}/WW^*]$

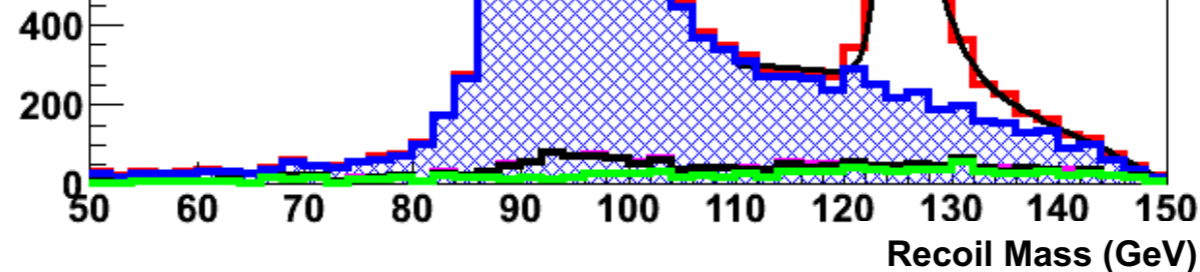


Figure 9. Distribution of the mass recoiling against the lepton pair in the $e^+e^- \rightarrow HZ$ channel, in the $Z \rightarrow \ell^+\ell^-$ final state ($\ell = e, \mu$), taken from ref. [36], for an integrated luminosity equivalent to one year of data taking with one TLEP detector (assumed to be the CMS detector). The number of Higgs boson events (the red histogram) obtained from a fit of this distribution is proportional to the inclusive HZ cross section, σ_{HZ} .

to this distribution of the signal and background contributions allows the total $e^+e^- \rightarrow HZ$ cross section to be measured with a precision of 0.4% at TLEP. As pointed out in ref. [41], the measurement of the total $e^+e^- \rightarrow HZ$ cross section is a sensitive probe of possible new physics that can reduce the fine-tuning of the Higgs boson mass. Such new physics would also renormalize the Higgs couplings by a universal factor, and the TLEP measurement of the $e^+e^- \rightarrow HZ$ cross section with a precision of 0.4% would be sensitive to new particles that could not be meaningfully probed in any other way.

A summary of the statistical precision of the measurements presented in ref. [36] for $\sqrt{s} = 240$ GeV — extrapolated to the TLEP luminosity and to four detectors — is given in table 4. In this table, a few numbers are added with respect to ref. [36]. First, the precision for $\sigma_{HZ} \times \text{BR}(H \rightarrow c\bar{c})$ and $\sigma_{HZ} \times \text{BR}(H \rightarrow gg)$ is extrapolated from the ILC prediction, as would be obtained if the CMS detector were upgraded with a vertex detection device with adequate c-tagging performance. Secondly, the precision for $\sigma_{HZ} \times \text{BR}(H \rightarrow ZZ)$ is obtained from an almost background-free dedicated search for ZZZ final states including four leptons, recently developed for that purpose.

The latter measurement has an important consequence for the determination of the total Higgs decay width. In e^+e^- collisions, it is not possible to directly observe the width of the Higgs boson if it is as small as the Standard Model prediction of 4 MeV. However, the total width of the Higgs boson is given by $\Gamma_{\text{tot}} = \Gamma(H \rightarrow ZZ)/\text{BR}(H \rightarrow ZZ)$. As the partial decay width $\Gamma(H \rightarrow ZZ)$ is directly proportional to the inclusive cross section σ_{HZ} , Γ_{tot} can be measured with the same precision as the ratio $\sigma_{HZ}^2/\sigma_{HZ} \times \text{BR}(H \rightarrow ZZ)$. Therefore,

Figure 2.11. Distribution of the angle ϕ between two decay planes of W and W^* from the decay $H \rightarrow WW^* \rightarrow 4j$ with the inclusion of anomalous couplings [97]. (a) The SM curve along with that for $a = 1$, $b = \tilde{b} = 0$, $\Lambda = 1$ TeV; the position of the minimum is the same for both distributions. (b) The SM result with the cases $\tilde{b} = \pm 5$, $a = b = 0$, $\Lambda = 1$ TeV; the position of the minimum is now shifted as discussed in the text. From [97].

the absolute partial width $\Gamma(ZZ)$. However, to use this value to normalize the other Higgs partial widths in a completely model-independent analysis, we would need to use the formula similar to (2.34)

$$\Gamma(A) = \Gamma(ZZ) \cdot \frac{BR(A)}{BR(ZZ)}, \quad (2.35)$$

and so we again need to measure the branching ratio for $h \rightarrow ZZ^*$. This is not easy to do at the ILC because it is a rare mode giving low statistics for a Higgs boson with $m_h \simeq 120$ GeV. No full simulation study of the $h \rightarrow ZZ^*$ branching ratio in $e^+e^- \rightarrow Zh$ is currently available. We will therefore use the result of the $h \rightarrow WW^*$ study [85] and scale accordingly. The error for the $h \rightarrow WW^*$ decay implies a 26% relative error for the $h \rightarrow ZZ^*$ branching ratio. The use of the formula (2.35) then implies that the uncertainties in absolute partial widths or Higgs couplings are those listed convolved with $2.5 \oplus 26\%$. This significantly degrades the precision information obtained at the ILC.

An alternative is to use the theoretical assumption

$$g(hWW)/g(hZZ) = \cos^2 \theta_W \quad (2.36)$$

to tie together the hZZ and hWW couplings. Now $BR(WW^*)$ can be used in the denominator of Eq.(2.35). The error added in converting from branching ratios to partial widths is $2.5 \oplus 8.6\% = 9.0\%$.

A better way is to use the WW fusion process, $e^+e^- \rightarrow \nu\bar{\nu}h$. The cross section for this process is proportional to $g^2(hWW)$ and thus to the $h \rightarrow WW^*$ partial width [95]. Although the WW fusion cross section is small at $\sqrt{s} = 250$ GeV, 18 fb for $m_h = 120$ GeV and the standard left-hand beam combination, $(P_{e-}, P_{e+}) = (-0.8, +0.3)$, the expected yield exceeds 4k events and allows the measurement of the WW fusion cross section to $\Delta\sigma(WW)/\sigma(WW) = 7.2\%$ for the 250 fb^{-1} . Combining the $BR(WW^*)$ measurement, this implies that the total width can be determined to 11% in a completely model-independent way from 250 GeV data alone [96]. As we will see below,

Channels Table (now 43)

Kaili-0925



Observed=tagged signal after cutflow and in fit range.
All events are weighted and normalized to 5ab^{-1} .

Signal		Observed Events	Who takes charge	Last update	Signal		Observed Events	Who takes charge	Last update	
Z	H				Z	H				
H->Inclusive					vvH(WW fusion)					
vv	Inclusive	164170	Libo	2017.8	vv	bb	10256	LiangHao	2017.9	
μμ	Inclusive	29552			H->WW					
ee	Inclusive	22200			Libo	2017.4				
H->qq										
ee	bb	7655	Baiyu	2017.7			μμ	μνμν	52	
	cc	351						eνν	36	
	gg	1058						ενμν	105	
μμ	bb	11108		ee				ενqq	663	
	cc	567						μνqq	717	
	gg	1762					μνμν	44		
qq	bb	176542					2017.9	eνν	22	
	cc	8272						ενμν	81	
	gg	25293		ενqq				612		
vv	bb	70608		2017.7			μνqq	684	vv	qqqq
	cc	3061			H->γγ					
	gg	9633			vv	μμjj	190	Yuqian		2016.9
H→γγ,Zγ					μμ	ννjj	200			
					ee	ννjj	69			
H→γγ,Zγ					H→ll					
ll	γγ	93	Feng	2015	μμ	ττ	2068	Dan	2017.9	
νν		309	Yitian	2017.4	qq		36023			
qq		822			νν		12456			
qq	Zγ	219	Weimin	2017.9	qq	μμ	71	Zhenwei	2017.8	
H->Invisible					ee		1			
qq	vvvv	202	MoXin	2017.7	μμ		4			
ee		8			νν		14			
μμ		18								

Questions on $H \rightarrow ZZ^*$:

- (Pre)selection cuts, BDT, TMVA? (Need description)
- Signal: Full simulation;
Background: Fast simulation (ZH bkg)
- Kaili's fit (based on YQ's 2016.09 update):

$z \rightarrow \nu\nu$, $h \rightarrow mmjj$ is +7.53%, -7.19%

$z \rightarrow mm$, $h \rightarrow \nu\nu jj$ is +10.5%, -10.1%.

$z \rightarrow ee$, $h \rightarrow \nu\nu jj$ is +34.9%, -33.8%.

$\Delta(Br * \sigma)$ fit Result



	PreCDR	Current
$\sigma(ZH)$	0.51%	0.50%
$\sigma(ZH) * Br(H \rightarrow bb)$	0.28%	$\{+0.27\%$ -0.27%
$\sigma(ZH) * Br(H \rightarrow cc)$	2.2%	$\{+3.45\%$ -3.43%
$\sigma(ZH) * Br(H \rightarrow gg)$	1.6%	$\{+1.43\%$ -1.42%
$\sigma(ZH) * Br(H \rightarrow WW)$	1.5%	$\{+1.20\%$ -1.20%
$\sigma(ZH) * Br(H \rightarrow ZZ)$	4.3%	$\{+5.91\%$ -5.74%
$\sigma(ZH) * Br(H \rightarrow \tau\tau)$	1.2%	$\{+0.68\%$ -0.67%
$\sigma(ZH) * Br(H \rightarrow \gamma\gamma)$	9.0%	$\{+8.26\%$ -8.17%
$\sigma(ZH) * Br(H \rightarrow \mu\mu)$	17%	$\{+15.8\%$ -14.9%
$\sigma(vvH) * Br(H \rightarrow bb)$	2.8%	$\{+3.12\%$ -3.11%
$Br(H \rightarrow inv.)$	0.28%	0.18%
$\sigma(ZH) * Br(H \rightarrow Z\gamma)$	\	$4\sigma(\{+15.4\%$ -14.9%

Separate sensitivities on Zh and vvH production channel?

Table 13. Estimated precision of Higgs boson property measurements at the CEPC. All the numbers refer to relative precision except for m_H and $\text{BR}(H \rightarrow \text{inv})$ for which Δm_H and 95% CL upper limit are quoted respectively.

Δm_H	Γ_H	$\sigma(ZH)$	$\sigma(\nu\bar{\nu}H) \times \text{BR}(H \rightarrow b\bar{b})$
5.9 MeV	2.8%	0.50%	3.12%

Decay mode	$\sigma(ZH) \times \text{BR}$	BR
$H \rightarrow b\bar{b}$	0.27%	0.57%
$H \rightarrow c\bar{c}$	3.5%	3.5%
$H \rightarrow gg$	1.4%	1.5%
$H \rightarrow \tau^+\tau^-$	0.68%	0.84%
$H \rightarrow WW^*$	1.2%	1.3%
$H \rightarrow ZZ^*$	5.9%	5.9%
$H \rightarrow \gamma\gamma$	8.2%	8.2%
$H \rightarrow \mu^+\mu^-$	15%	15%
$H \rightarrow \text{inv}$	—	0.18%

Then fit the 2(prod)*9(decay) channels simultaneously?

Section 6.2 Total Width

$$\sigma_{ZH}^{inc} \sim g_Z^2$$

$$\sigma_{ZH, H \rightarrow ZZ} \sim \frac{g_Z^2 g_Z^2}{\Gamma_H}$$

$$\Gamma_H \sim \frac{\sigma_{ZH}^{inc}}{\sigma_{ZH, H \rightarrow ZZ}}$$

$$\frac{\delta \Gamma_H}{\Gamma_H} \approx \frac{\delta \sigma_{ZH, H \rightarrow ZZ}}{\sigma_{ZH, H \rightarrow ZZ}}$$

Summary

- A. **Lacking** FCC-ee analysis and ILC analysis on $h \rightarrow ZZ^*$
- B. **Need** Analysis description for $H \rightarrow ZZ^*$ channels (cuts, BDT?)
- C. For correlative signal fit (**Step C depends on B!**):
 - 1. (VBF) $ee \rightarrow vvh$ contributes $\sim 14\%$ vvh signal? $\Rightarrow (vvH[ZZ^* \rightarrow mmqq, qqmm])$
 - 2. $Z[vv]H[mmjj]$: $10\% \sim 20\%$ background $\Rightarrow Z[jj]H[WW^*]$
 - 3. $Z[mm]H[vvjj]$: $\sim 80\%$ background $\Rightarrow Z[jj]H[WW^*]$

Current state

SM background : fastsimulation

ZZZ*	Yield	Object reconstructed	Signal Efficiency(%)	Main Background	Accuracy (%)	Comments
$\mu\mu\nu\nu q q$	128	118	63.3	$h \rightarrow ww&zz_sl$	12.9	Need a tau finder to increase the accuracy
$\mu\mu q q \nu\nu$	128	125	-	$h \rightarrow bb&zz_sl$	>25	
$ee\nu\nu q q$	132	91	53.8	$h \rightarrow ww&size_sl$	15.8	
$ee q q \nu\nu$	132	88	-	$h \rightarrow bb&zz_sl$	>25	
$\nu\nu\mu\mu q q$	152	121	61.4	$h \rightarrow t,w&zz_sl$	11.0	
$\nu\nu q q \mu\mu$	152	123	51.9	$h \rightarrow w,b&zz_sl$	12.9	
$\nu\nu ee q q$	151	118	43.1	$h \rightarrow w&size_sl$	21.3	Comparing to leptons&higgs channel,qq recoil mass couldn't offer enough distinguishing power to SM
$\nu\nu q q ee$	151	134	-	$h \rightarrow bb&size_sl$	>25	
$q q \mu\mu \nu\nu$	135	115	-	$h \rightarrow tt&zz_sl$	>25	
$q q \nu\nu \mu\mu$	135	122	-	$h \rightarrow t,w&zz_sl$	>25	
$q q ee \nu\nu$	127	107	-	$h \rightarrow tt&size_sl$	>25	
$q q \nu\nu ee$	127	123	-	$h \rightarrow t,w&size_sl$	>25	
$\mu\mu\mu\mu q q/q q \mu\mu$	43	39	69.8	$h \rightarrow tt&zz_sl$	19.9	Need a tau finder to increase the accuracy
$\mu\mu ee q q/q q ee$	43	39	60.5	$h \rightarrow tt&zz_sl$	21.2	
$eeee q q/ee q q ee$	43	33	-	$h \rightarrow tt&size_sl$	>25	reconstructed efficiency of electron need to be
$ee\mu\mu q q/ee q q \mu\mu$	43	41	58.2	$h \rightarrow tt&size_sl$	19.9	