Upgrade VBF H -> $\gamma\gamma$ analysis

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Upgrade LHC at $\sqrt{s} = 14TeV$ has different cross section and performance compared with 13TeV

Do some MC simulation in VBF $H \rightarrow \gamma \gamma$ events to analysis the influences of these differences

MC sample

Row Monte Carlo sample:

Signal: VBF mc15_14TeV.160024.PowhegPythia8_AU2CT10_VBFH125_gamgam.merge.DAOD_T RUTH3.e1337_p2768

Background:

ggH event:

mc15_14TeV.341000.PowhegPythia8EvtGen_CT10_AZNLOCTEQ6L1_ggH125_ga mgam.merge.DAOD_TRUTH3.e5529_p2768

QCD

process:mc15_14TeV:mc15_14TeV.181782.MadGraphPythia8_AU2CTEQ6L1_Ga mmaGammaJetJet.merge.DAOD_TRUTH3.e2473_p2768

Smearing function

Use Upgrade Performance Function

Detector layouts: reference scenario with LoI strips, LoI-VF pixels to η =4.0, sFCal, new BI RPC and sMDT

Average pileup values: $\langle \mu \rangle = \frac{\mathcal{L} \times \sigma_{inel}}{n_b \times f_r} \sim \mathcal{L} = 200$

Electron performance:

- Working point: looseElectron
- Requiring pT>10 GeV, |eta|<2.47, and remove eta crack region [1.37, 1.52]
- including fake electron from HS jet

Photon performance:

- Working point: tightPhoton
- Requiring pT>25 GeV, |eta|<2.37, remove eta crack region [1.37, 1.52]
- Including fake photon from electron, HS jet, PU jet

Smearing function

Muon performance

- tight muon
- Requiring pT>10GeV, |eta|<2.7

Jet performance

 Hard scattering jets and pile up jets all require pT>25GeV, |eta|<4.5, track confirmation

Overlap removal

Remove objects in close region to prevent potential double-counting of objects in the detector

Order:

- 1. Remove electrons within $\Delta R = 0.4$ of any photon
- 2. Remove muons within $\Delta R = 0.4$ of any photon
- 3. Remove jets within $\Delta R = 0.4$ of any photon
- 4. Remove jets within $\Delta R = 0.2$ of any electron
- 5. Remove electrons within $\Delta R = 0.4$ of any jet
- 6. Remove muons within $\Delta R = 0.4$ of any jet

 $\succ H \rightarrow \gamma \gamma + jj \text{ event selection}$ Cut-based selection for $\gamma \gamma + jj$ event

- Number of jets ≥ 2
- Number of photon ≥ 2
- $\frac{pT_{leading photon}}{m_{\gamma\gamma}} > 0.35$
- $\frac{pT_{sub-leading photon}}{m_{\gamma\gamma}} > 0.25$

• 105 GeV <
$$m_{\gamma\gamma}$$
 < 160 GeV

➢Preselection:

 $\Delta \eta_{jj} > 2$, $\left| \eta_{\gamma\gamma}^{Zepp} \right| < 5$ to help BDT focus on VBF event phase-space

➢ BDT training

VBF vs Madgraph background training

| type | Sample | Number of events | | | |
|---|-----------------|------------------|--|--|--|
| Signal | VBF | 28721 | | | |
| Background | MC Madgraph QCD | 9063 | | | |
| we abandoned ggH background in training because of its low cross section*branching ratio The samples are separated into 2 trees apart for training(70%) and testing(30%) | | | | | |

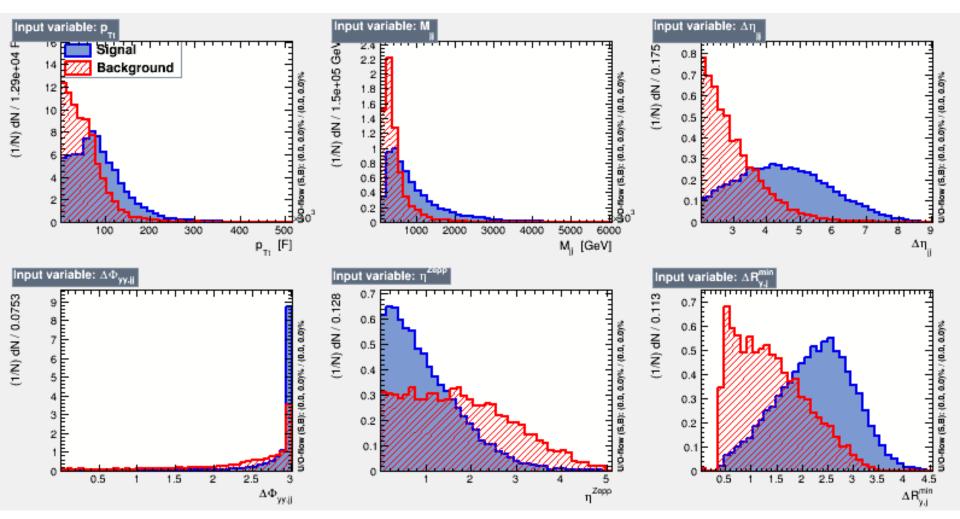
➤Selection efficiency

| | VBF | ggH | QCD background |
|---|-------|-------|----------------|
| $N_{\gamma} \ge 2$ | 0.273 | 0.235 | 0.215 |
| $\frac{pT}{m_{\gamma\gamma}} \ge 0.35(0.25)$ | 0.891 | 0.931 | 0.795 |
| $105 < m_{\gamma\gamma} < 160$ | 0.954 | 0.974 | 0.262 |
| $N_{jet} \ge 2$ | 0.423 | 0.091 | 0.583 |
| $\Delta \eta_{jj} > 2$ | 0.836 | 0.414 | 0.281 |
| $\left \eta_{\gamma\gamma}^{Zepp}\right < 5$ | 0.999 | 0.996 | 0.992 |
| Total | 0.082 | 0.008 | 0.007 |

6 BDT training variables

| Variable | Description |
|---------------------------------|---|
| m_{jj} | Invariant mass of leading 2 jets |
| $\Delta \eta_{jj}$ | Pseudorapidity separation between the leading 2 jets |
| p_{Tt} | Diphoton pT projected perpendicular to the diphoton thrust axis |
| $\Delta \phi_{\gamma\gamma,jj}$ | Azimuthal angle between the diphoton and dijet systems |
| $\Delta R_{\gamma,j}^{min}$ | Minimum ΔR between leading/subleading photon and the leading/subleading jet |
| $\eta^{Zepp}_{\gamma\gamma}$ | Zeppenfeld variable $\eta_{\gamma\gamma} - (\eta_{j1} + \eta_{j2})/2$ |

MVA VBF category

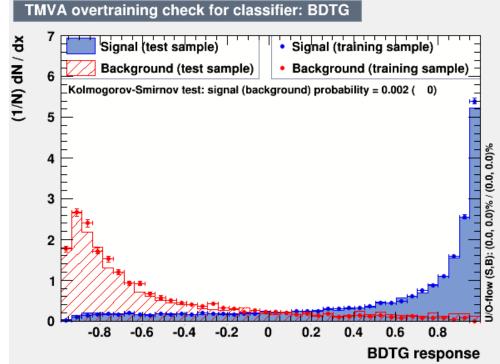


Distribution of input variables

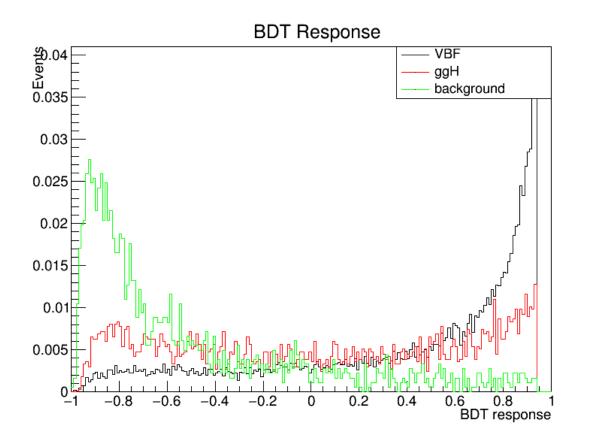
BDT training options:

NTrees=900: nEventsMin=50: BoostType=Grad: Shrinkage=0.06: UseBaggedGrad: GradBaggingFraction=0.6: nCuts=20: MaxDepth=4

Output of training



➢BDT out of three samples



Choice of optimal BDTG event categorization

Scan Kcut on BDTG response to maximize VBF significance

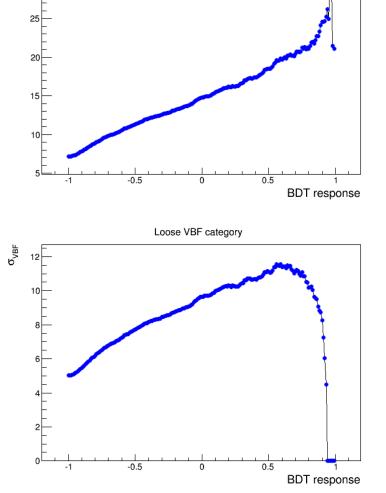
$$\sigma_{VBF} = \sqrt{2 \times \left(\left(N_{VBF} + N_{ggH} + N_{bkg} \right) \times \ln \left(1 + \frac{N_{VBF}}{N_{ggH} + N_{bkg}} \right) - N_{VBF} \right)}$$

 N_{VBF} :VBF event number satisfying BDTG>Kcut in $m_{\gamma\gamma}$ window [120,130]GeV N_{ggH} :ggH event number satisfying BDTG>Kcut in $m_{\gamma\gamma}$ window [120.130]GeV N_{bkg} :Madgraph QCD background event number satisfying BDTG>Kcut in $m_{\gamma\gamma}$ window [120,130] GeV

Tight VBF category: determine $kCut_{tight}$ with maximum σ_{VBF} using all events(abandon oscillation nearby 1)

0.94

Loose VBF category: determine kCut in the same way using events with BDTG< $kCut_{tight}$ 0.56



Tight VBF category

 σ_{VBF}

➢ Results

| | Loose(0.56 <bdtg<0.94)< th=""><th>Tight(BDTG>0.94)</th></bdtg<0.94)<> | Tight(BDTG>0.94) | |
|-----------------------|--|------------------|--|
| VBF signal | 10124.2 | 8049.89 | |
| ggH | 84575.9 | 25382.1 | |
| background | 679113 | 66435 | |
| VBF purity | 10.690 | 24.080 | |
| VBF significance | 11.56 | 26.19 | |
| combined significance | 28.63 | | |

The event number are calculated in mass window [120,130]GeV, weighted to $\int L = 3000 \ fb^{-1}$ luminosity. Combined significance is the quadratic sum of significance in loose and tight VBF categories

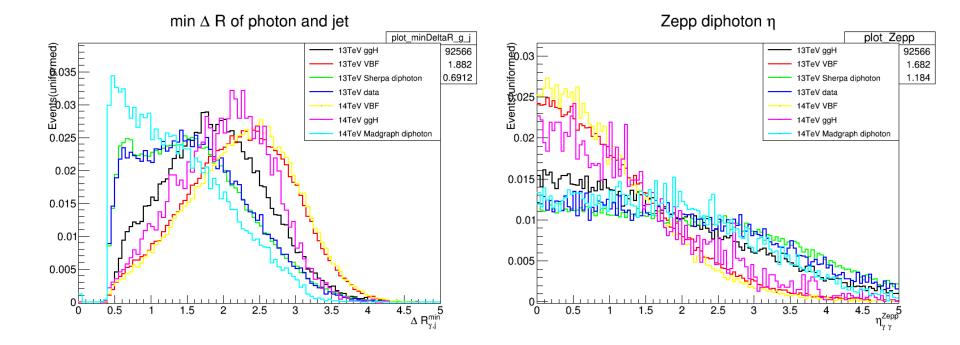
Further work

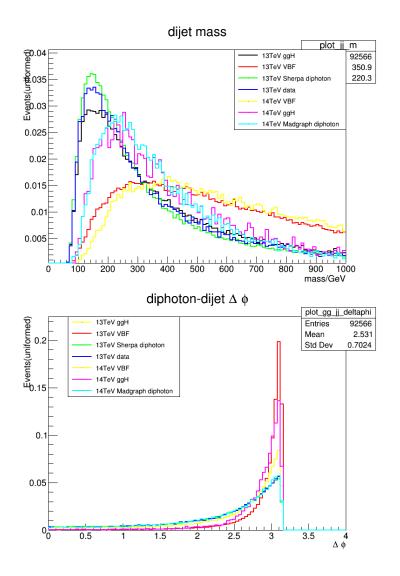
Tuning BDT to seek better performance

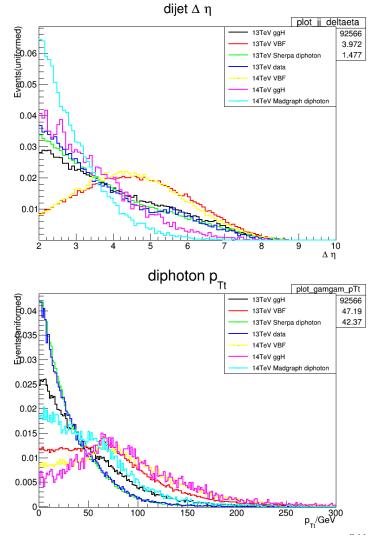
• 2-D BDT to enhance VBF purity

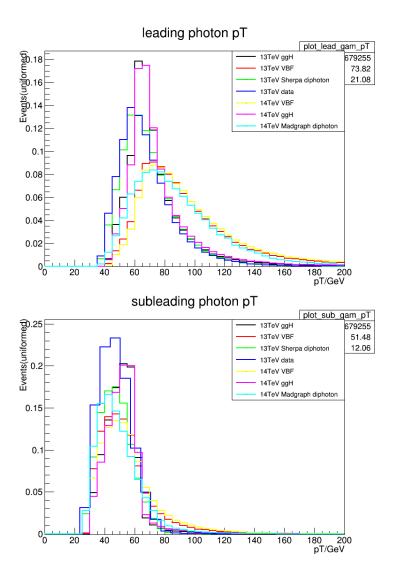
Fit diphoton mass distribution and do other measurements

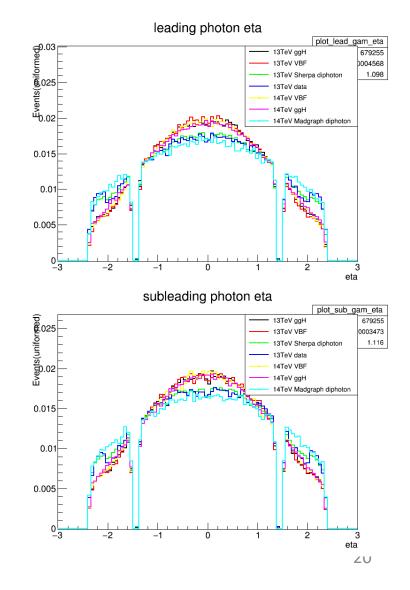
>Variable distribution(including 13TeV)

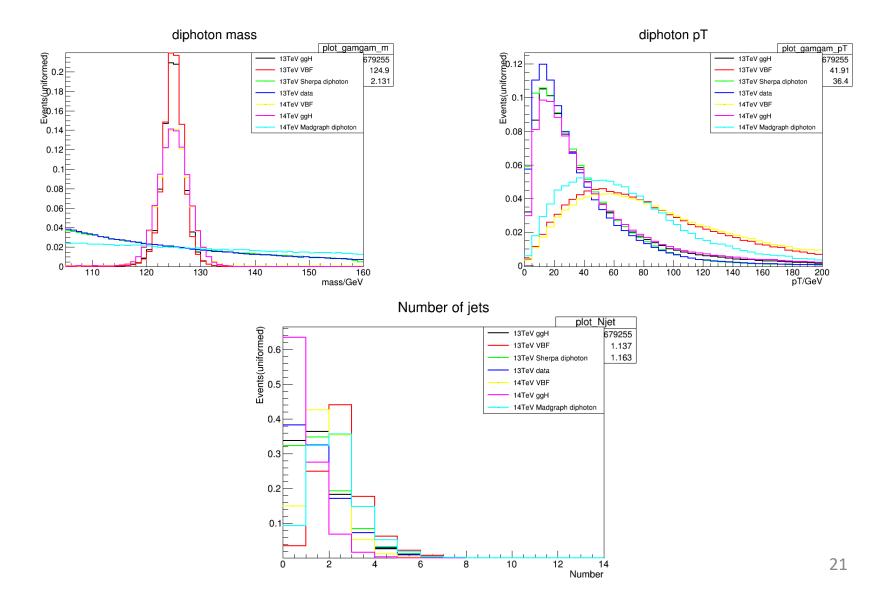


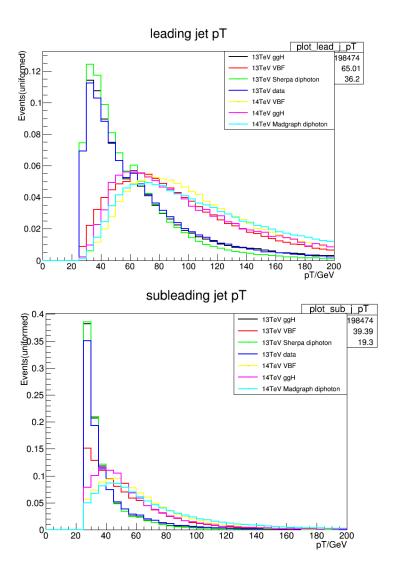


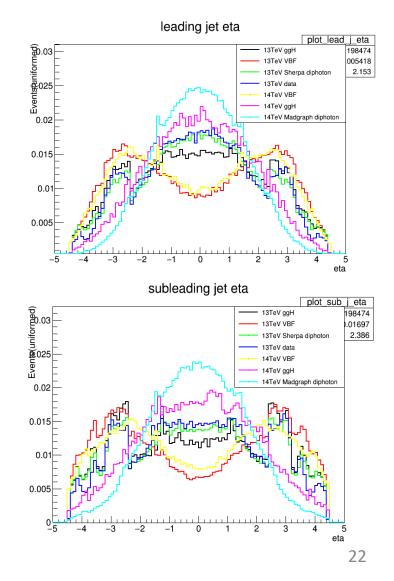




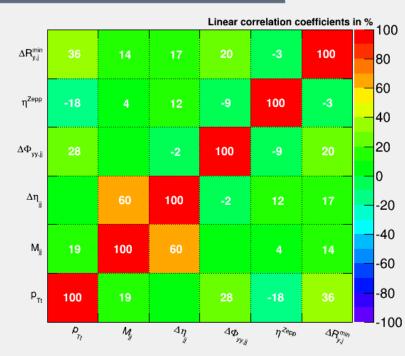








BDT variable correlation matrix



Correlation Matrix (background)

Linear correlation coefficients in % 100 $\Delta R_{\gamma,j}^{min}$ 100 80 60 η^{Zepp} 100 40 20 $\Delta \Phi_{yy,jj}$ 100 0 $\Delta \eta_{_{\rm B}}$ 78 100 -20 --40 M_{ii} 100 78 -60 -80 P_{Tt} 100 -100 4ø _{yy,jj} P_T 4η M $\eta^{\geq_{e_{pp}}}$ ARMIN

Correlation Matrix (signal)