

Current result of
 WW fusion, $H \rightarrow bb$ Cross-
section measurement

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Outline

- Sample Generation
- Cut Chain
- How to fit to extract the WW fusion cross section
- Kinematic fit
 - Jet energy & direction resolution for b jets
- The result

Sample

- Signal: WW fusion, H->bb
- Higgs sample:
 - ~100k WW fusion(signal) and ZH (background), H->anything events respectively
 - Interference between ZH and WW fusion sample can't be generated
- SM Background:
 - 2fermions + 4fermions

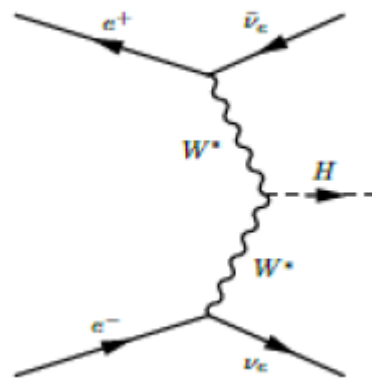
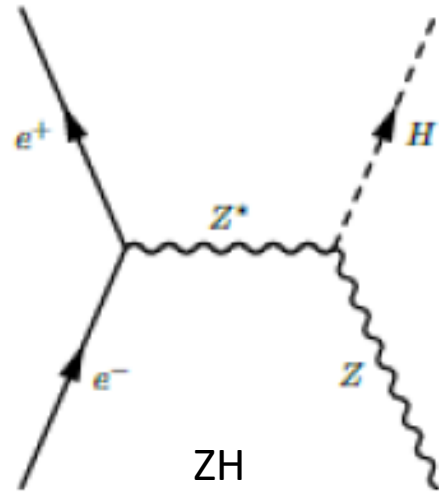
Cut Chain

- Definition:

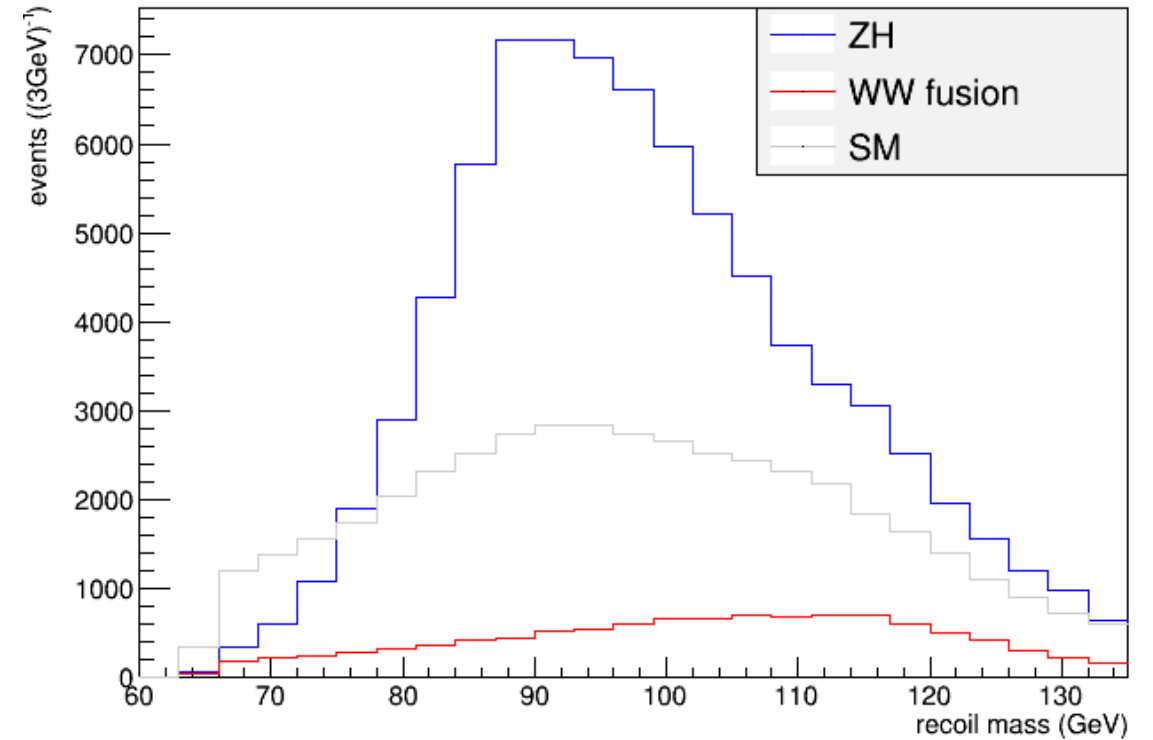
- $N_{PFO} > 20$
- $105 < E < 155 \ \&\& \ P_t > 13$
- *Isolep veto*
- $100 < M < 135 \ \&\& \ 65 < M_{recoil} < 135$
- $y_{12} > 0.15 \ \&\& \ y_{23} < 0.06 \ \&\& \ y_{34} < 0.01$
- $-0.98 < \theta_{2jets} < -0.4$
- $bb - likeness > 0.4$ ($bb - likeness = bb / (bb + (1 - b)(1 - b))$)

	WW fusion, H->bb	ZH, H->bb	qq	sw-sl	sznu-sl	ww-sl	zz-sl
Cut chain	52.8%	64.9%	25630	124	5745	3230	9764
Fit window with kinematic fit	51.2%(~10k @5ab ⁻¹)	63.8%(~79k @5ab ⁻¹)	22980	112	4018	2187	6503

Recoil mass

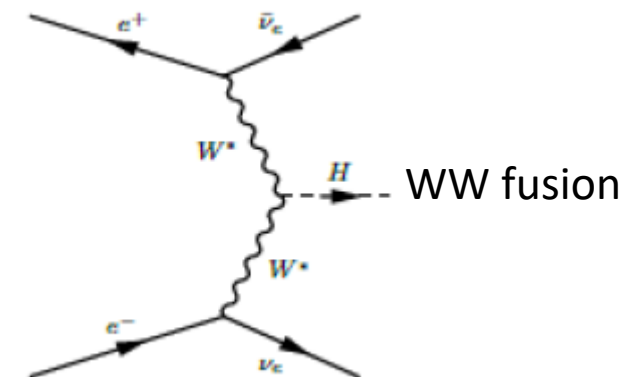
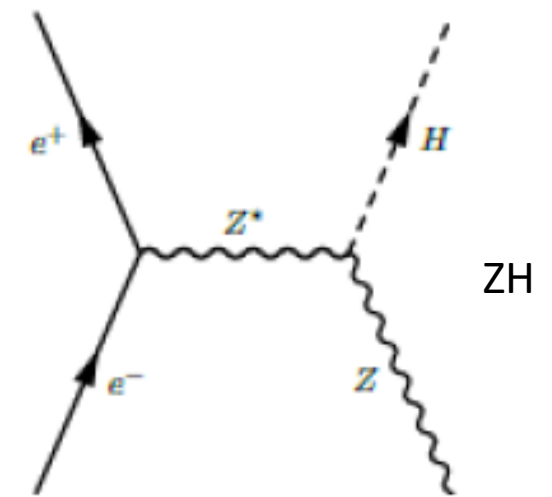
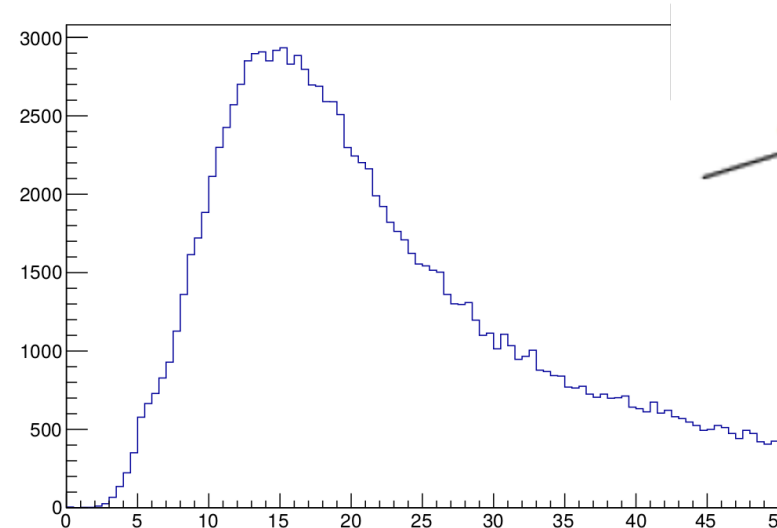
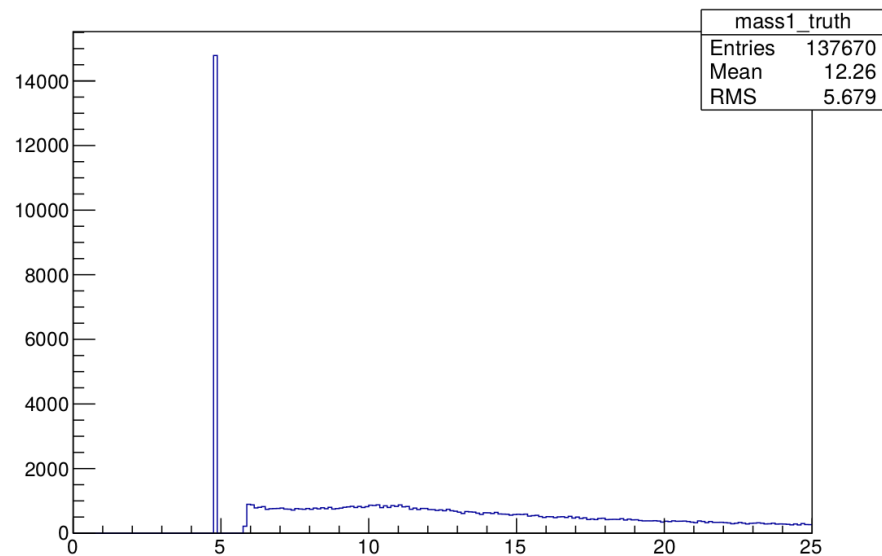


WW fusion



Kinematic fit(1)

- Constraints:
 - $M_{2jets,fit} = m_H = 125\text{GeV}$
 - Use a rude approximation that:
 - $M_{each\ jet,fit} = M_{each\ jet,raw}$ for each jet



Kinematic fit(2)

- Minimize χ^2 to determine the fitted 4-momenta

- $\chi^2 = \sum_{j=1}^2 (P_{j,fit} - P_{j,raw})^T U_j^{-1} (P_{j,fit} - P_{j,raw})$

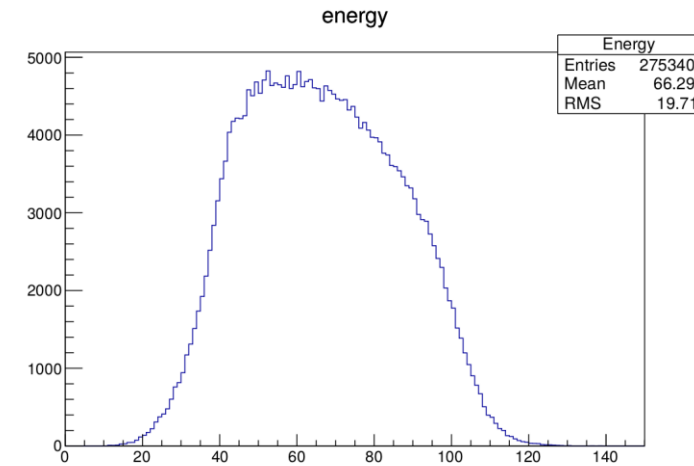
- U_j is the covariance matrix of 4-momentum of each jet. We can σ_θ , σ_ϕ and σ_E as input to calculate this matrix.

- Implement KF

- *KinFit* produce almost same result as self-written code, if both code did the fit successfully. But *KinFit* is more robust
 - Correctly, the fit was done by my own code
 - Plan to use *KinFit* in the future (more robust)

Jet energy & direction resolution(1)

- Sample
 - **100k vvH, H->bb**
 - independent to the sample generated for analysis
- Reconstructed jet energy distribution
 - The energy was divided into several bins based on right Figure
 - Number of events in each bin are of same order of magnitude.



Jet energy & direction resolution(2)

- Match quark and reconstructed jet
 - 1st approach: Minimize a χ^2
 - $\chi^2 = \sum_{j=1}^2 (\mathbf{p}_{i,jet} - \mathbf{p}_{j,quark}^2)^2$
 - 2nd approach: Find the root of every particles in a jets using MC truth and link information (See Gang Li's FSClasser)
 - The results from these two approach seems same. But the latter approach was used finally.

Jet energy & direction resolution(3)

- Resolution

- Energy scale: E_{jet}/E_{quark}

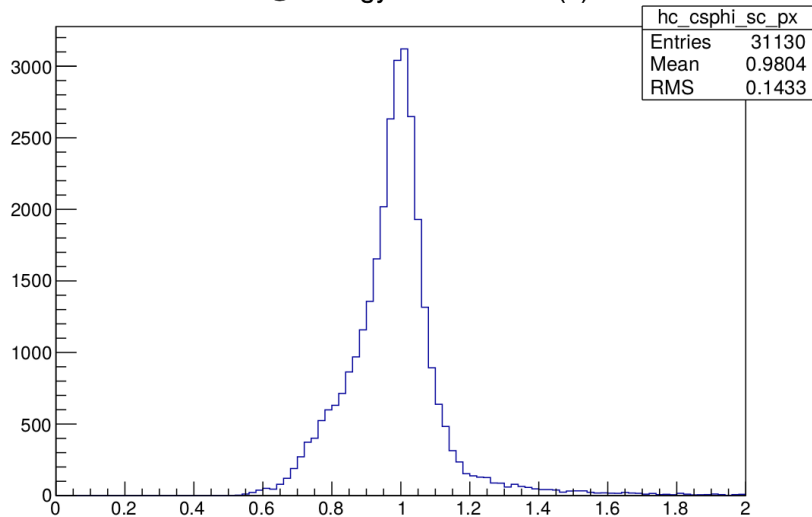
- $\Delta\phi$: $\phi_{jet} - \phi_{quark}$

- $\Delta\theta$: $\theta_{jet} - \theta_{quark}$

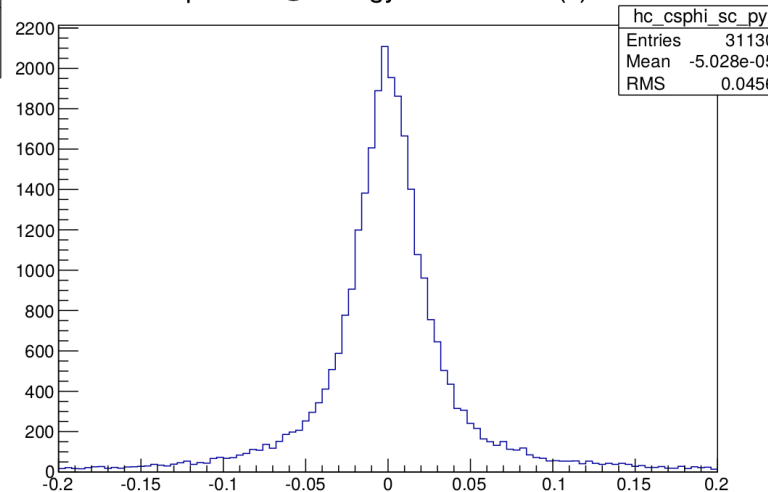
- The resolution can be described by a covariance matrix

- E.g The $cov(scale, scale) = \overline{(scale - \overline{scale})^2}$ etc.

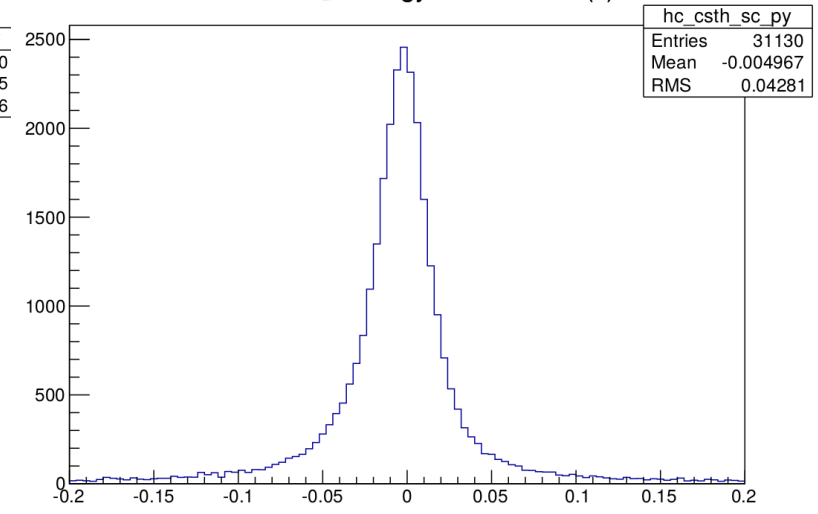
scale hist @ energy center & $\cos(\theta) \sim 0.6$



delta phi hist @ energy center & $\cos(\theta) \sim 0.6$



delta theta hist @ energy center & $\cos(\theta) \sim 0.6$



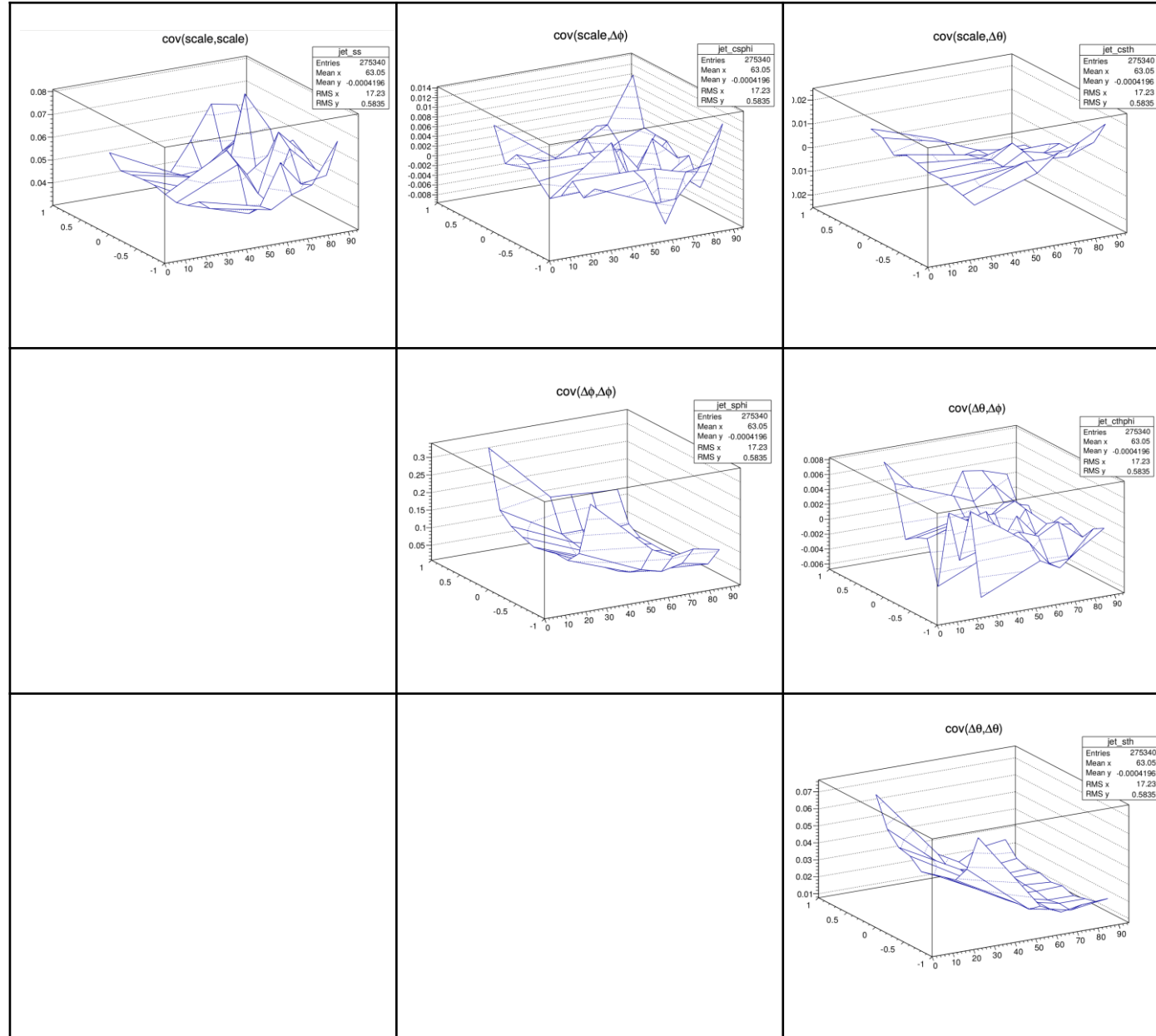
Covariance matrix as a function of jet energy and polar angle

scale

Direction angle

Polar angle

scale



Direction angle

Polar angle

Covariance matrix as a function of jet energy and polar angle

scale

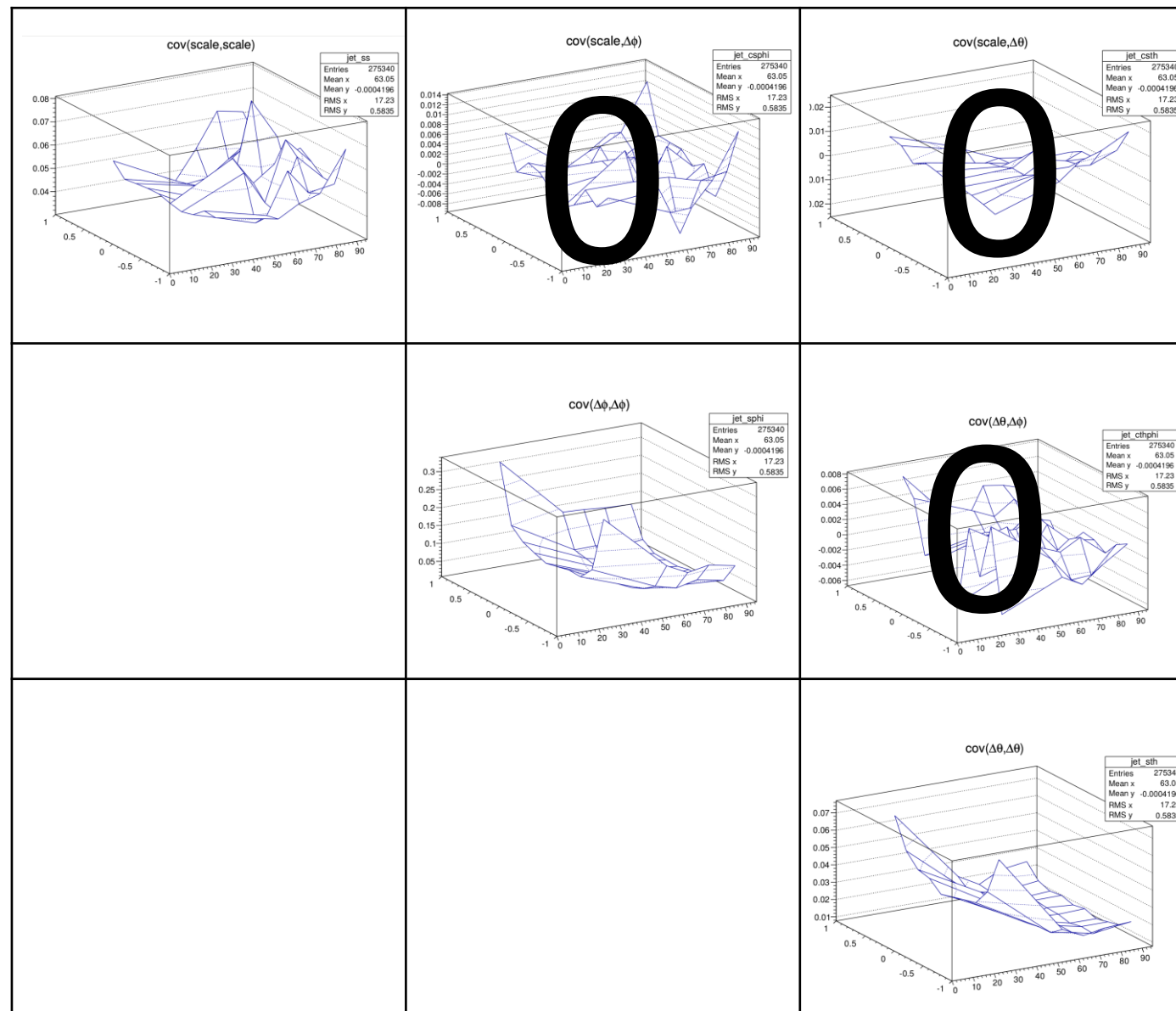
Direction angle

Polar angle

scale

Direction angle

Polar angle



Values used in the kinematic fit

How to fit to extract the ww fusion, $H \rightarrow bb$ cross-section(1)

- I hope the expected number of SM backgrounds can be determined very well by some control region. The error could be negligible.
- The expected number of ZH , $Z \rightarrow \nu\nu$, $H \rightarrow bb$ would be measured very well by eeH , $\mu\mu H$ and qqH channels (We also assume we have known the electroweak very very well here). But the uncertainty is still not negligible.

- The uncertainty of ZH , $Z \rightarrow \nu\nu$, $H \rightarrow bb$ = $1 / \sqrt{\frac{1}{\sigma_{eeH, H \rightarrow bb}^2} + \frac{1}{\sigma_{\mu\mu H, H \rightarrow bb}^2} + \frac{1}{\sigma_{qqH, H \rightarrow bb}^2}}$

- $1 / \sqrt{\left(\frac{1}{1.2\%}\right)^2 + \left(\frac{1}{1.1\%}\right)^2 + \left(\frac{1}{4\%}\right)^2} = 0.375\%$

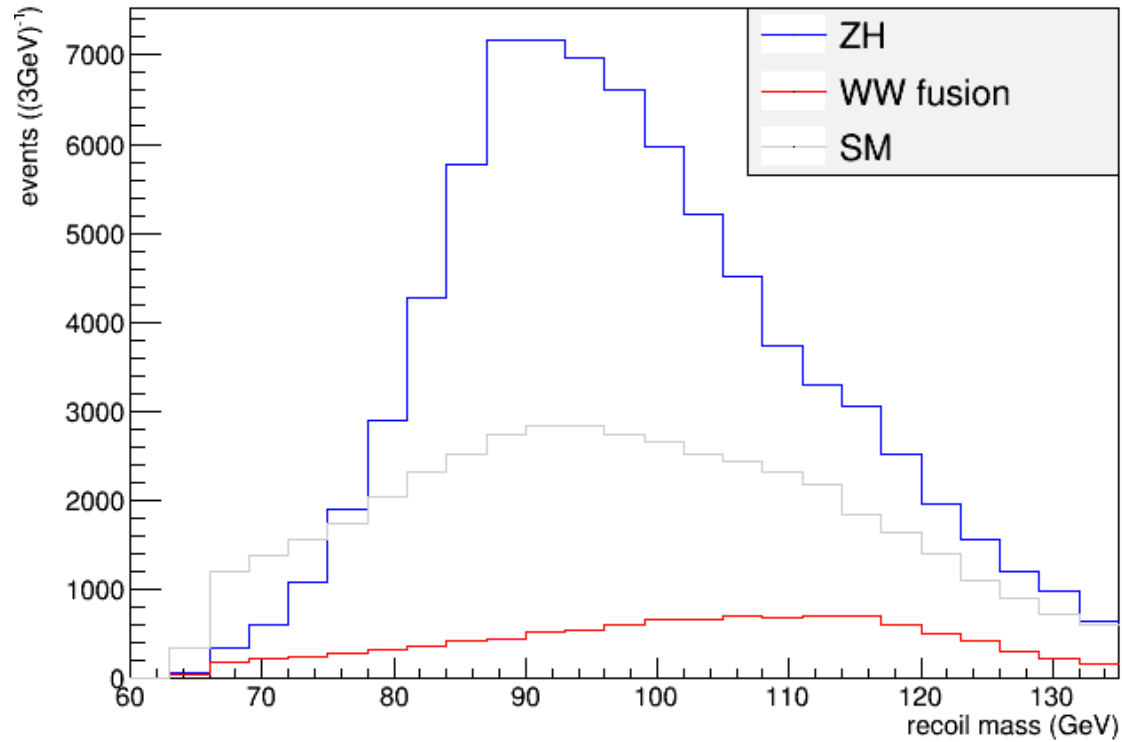
How to fit to extract the ww fusion, $H \rightarrow bb$ cross-section(2)

- Construct the likelihood as

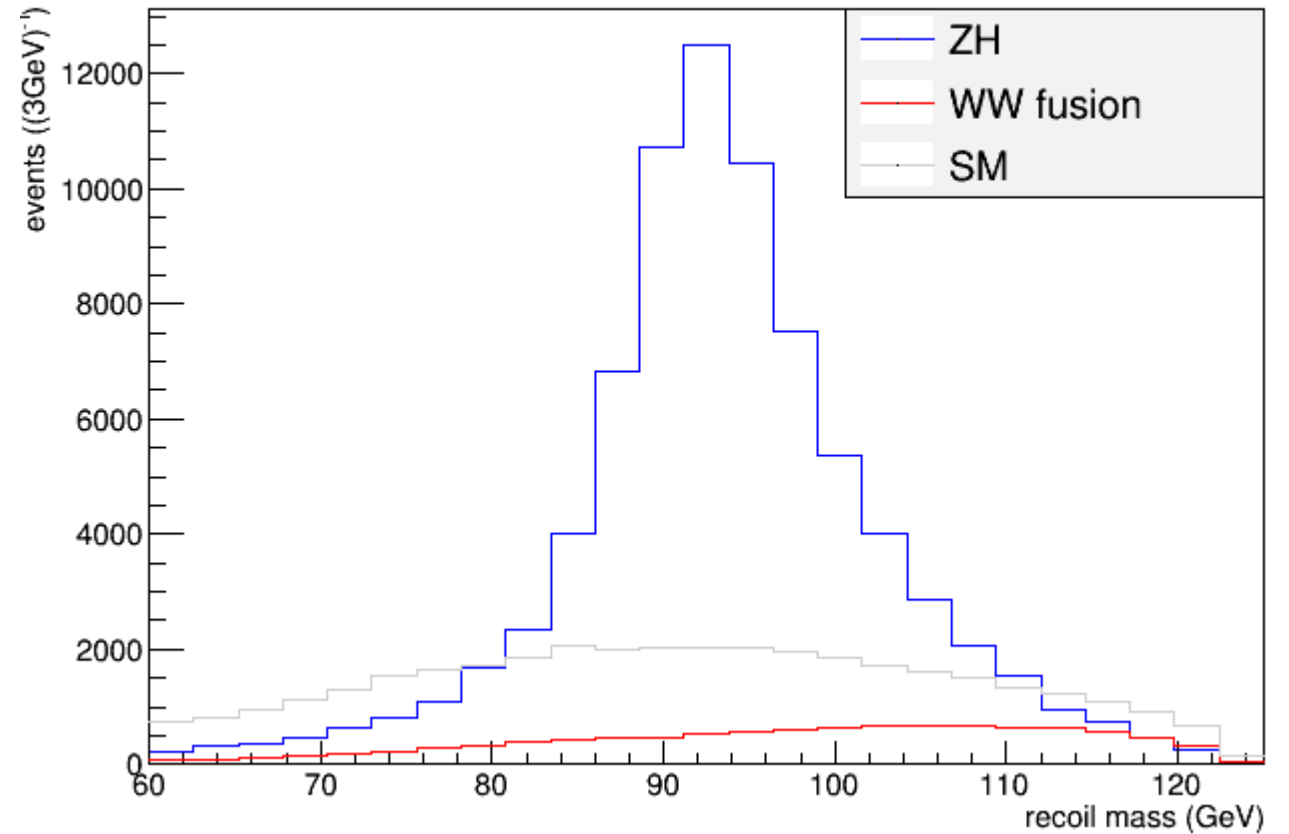
- $$-L = 0.5 \left(\frac{\mu_{ZH} - 1}{0.375\%} \right)^2 - P(\text{data} | \mu_{ZH} N_{ZH} pdf_{ZH} + \mu_{zh} N_{wwf} pdf_{wwf} + N_{SM} pdf_{SM})$$

- The μ_{zh}, μ_{wwf} is events number normalized by SM prediction for ZH and WW fusion respectively.
- The statistics uncertainty was determined by output message of *Tminuit* minimizer. In my experience, this error is quite close to the value determined by ToyMC.

Recoil mass with kinematic fit



raw

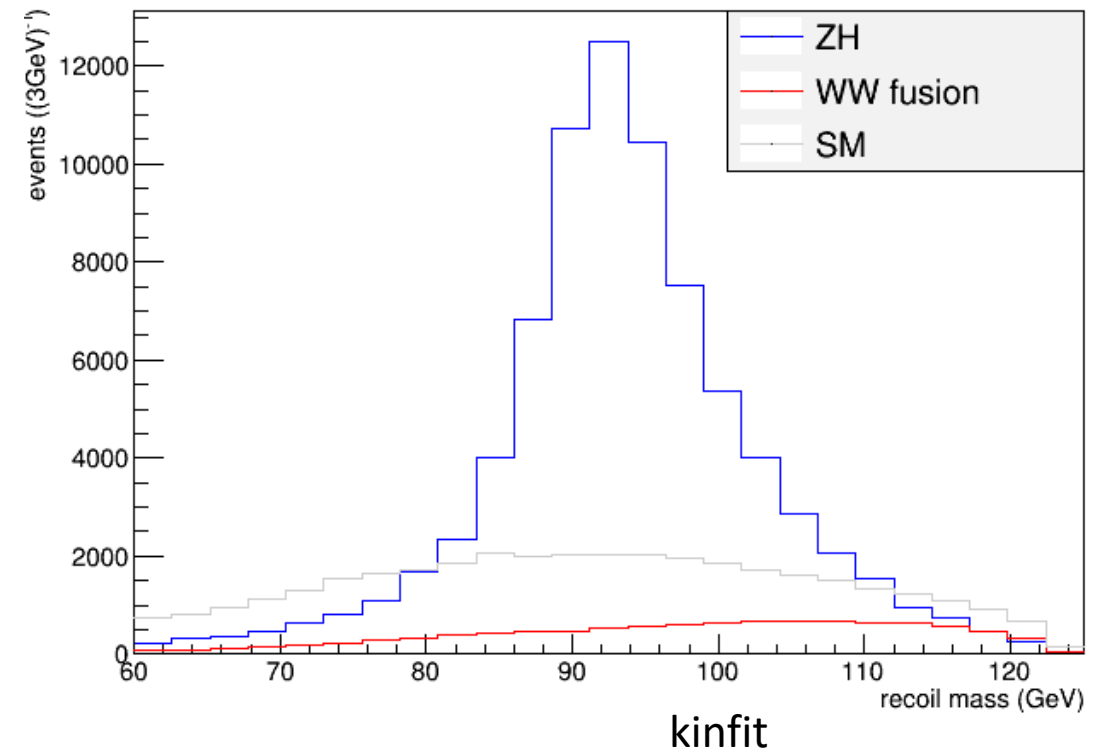
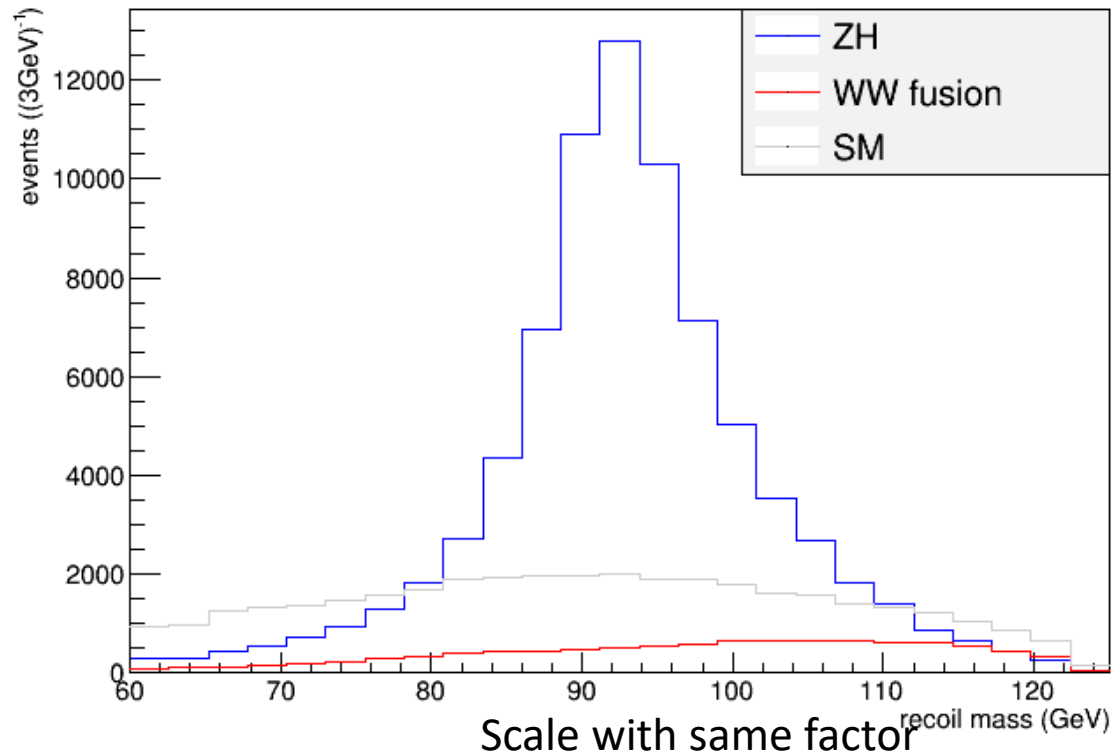


kinfit

A simple but effective approach to do kinematic fit

- Scale the two jets with same factor such that their invariant mass is

...



Result

	Fit recoil mass of 2 jets	Fit recoil mass and θ of 2 jets
Raw data	3.9%	3.8%
Kinematic fit	3.2%	3.1%
Simple Kinematic fit	3.2%	3.1%