

Current result of  
 $WW$  fusion,  $H \rightarrow bb$  Cross-  
section measurement

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# Outline

- Sample Generation
- Cut Chain
- How to extract the  $WW$  fusion cross section by fit on the recoil mass
- Kinematic fit
  - Jet energy & direction resolution for  $b$  jets
- The result

# Sample Generation for both pdf and fake data

- Signal: WW fusion, H->bb
- Higgs sample:
  - ~WW fusion(signal) and ZH (background), H->anything events re100k
  - Sample for interference between ZH and WW fusion can't be generated
- SM sample:
  - 2fermions + 4fermions

# Cut Chain

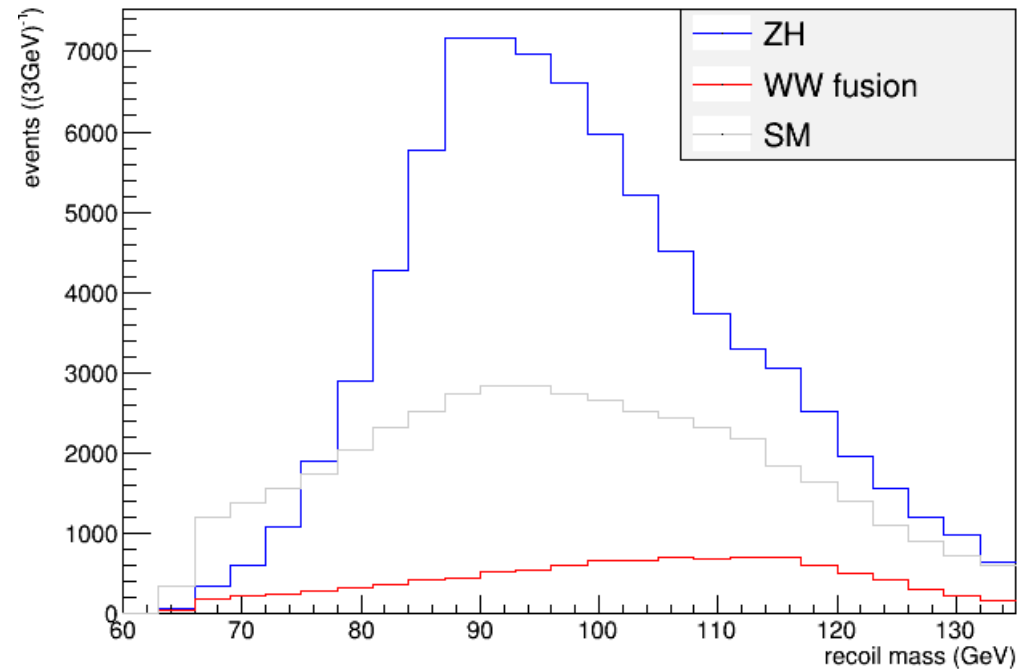
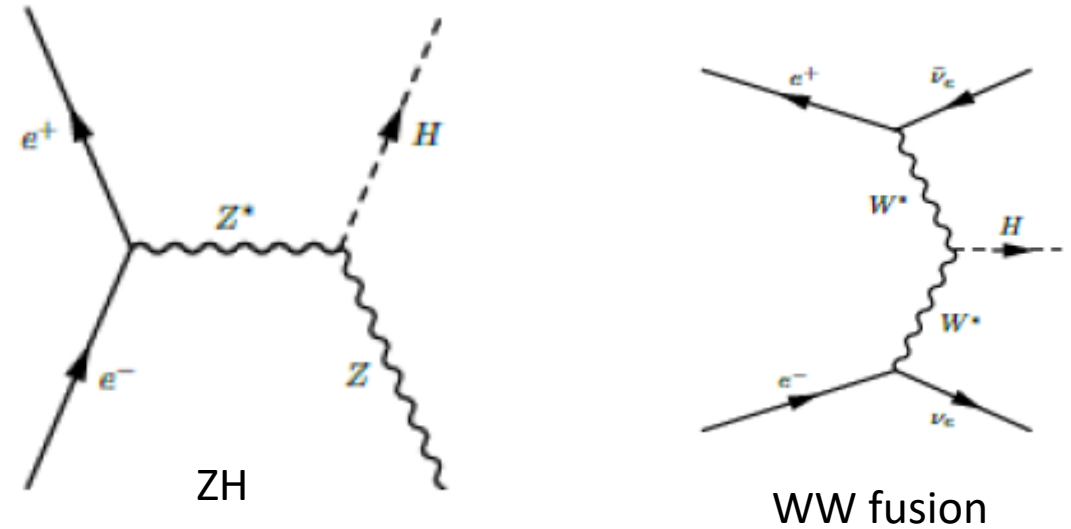
- Definition:

- $N_{PFO} > 20$
- $105 < E < 155 \ \&\& \ P_t > 13$
- *Isolep veto*
- $100 < M < 135 \ \&\& \ 65 < M_{recoil} < 135$
- $y_{12} > 0.15 \ \&\& \ y_{23} < 0.06 \ \&\& \ y_{34} < 0.01$
- $-0.98 < \theta_{2jets} < -0.4$
- $bb - likeness > 0.4$  ( $bb - likeness = bb / (bb + (1 - b)(1 - b))$ )

	WW fusion, H->bb	ZH, H->bb	qqbar	sw-sl	sznu-sl	ww-sl	zz-sl
Cut chain	52.8%	64.9%	25630	124	5745	3230	9764
Fit window with kinematic fit	51.2%(~10k @5ab <sup>-1</sup> )	63.8%(~79k @5ab <sup>-1</sup> )	22980	112	4018	2187	6503

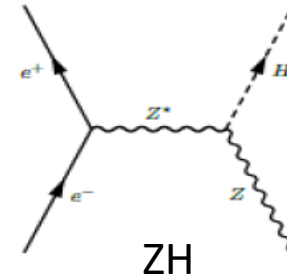
# Recoil mass

- We can extract the WW fusion events number by fitting the recoil mass or recoil angle

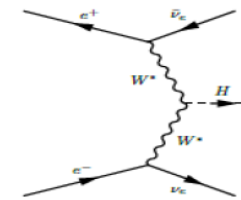


# Kinematic fit(1)

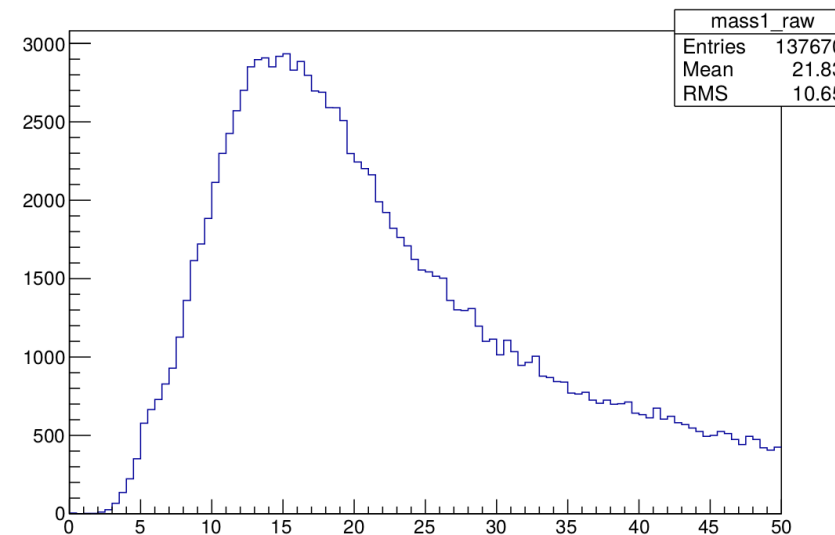
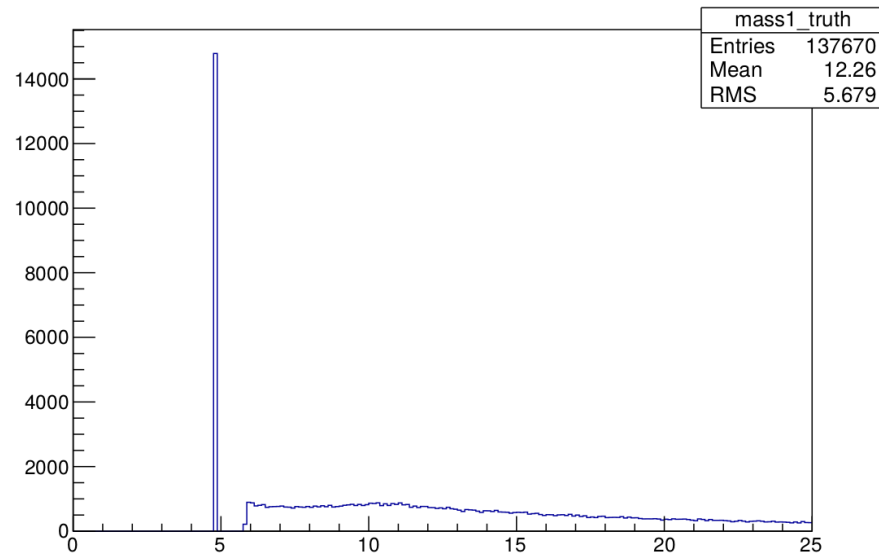
- Constraints:
  - $M_{2jets,fit} = m_H = 125\text{GeV}$
  - Use a rude approximation that:
    - $M_{each\ jet,fit} = M_{each\ jet,raw}$  for each jet



ZH



WW fusion



# Kinematic fit(2)

- Minimize  $\chi^2$  to determine the fitted 4-momenta

- $\chi^2 = \sum_{j=1}^2 (P_{j,fit} - P_{j,raw})^T U_j^{-1} (P_{j,fit} - P_{j,raw})$

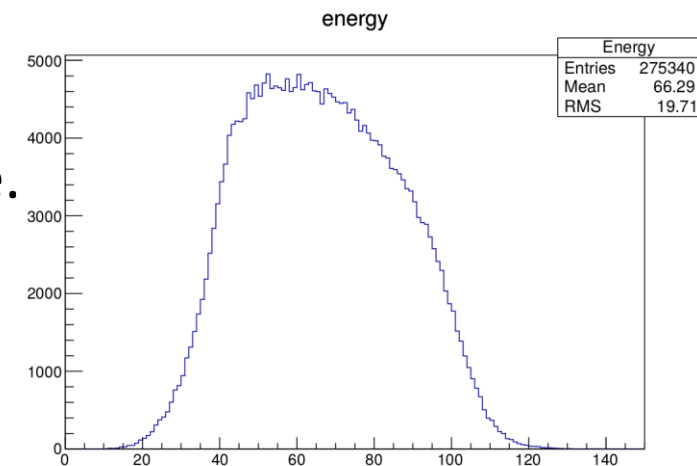
- $U_j$  is the covariance matrix of 4-momentum of each jet. We can  $\sigma_\theta$ ,  $\sigma_\phi$  and  $\sigma_E$  as input to calculate this matrix.

- Implement KF

- *KinFit* produce almost same result as self-written code, if both code did the fit successfully. But *KinFit* is more robust
  - Correctly, the fit was done by my own code
  - Plan to use *KinFit* in the future (more robust)

# Jet energy & direction resolution(1)

- Sample
  - **~100k,  $\nu\nu H$ ,  $H \rightarrow b\bar{b}$**
  - independent to the sample used in main analysis
- Reconstructed jet energy distribution
  - The energy was divided into several bins based on right Figure
  - Number of events in each bin are of same order of magnitude.





# Jet energy & direction resolution(2)

- Match quark and reconstructed jet
  - 1<sup>st</sup> approach: Minimize a  $\chi^2$ 
    - $\chi^2 = \sum_{j=1}^2 (\mathbf{p}_{i,jet} - \mathbf{p}_{j,quark}^2)^2$
  - 2<sup>nd</sup> approach: Find the root of every particles in a jets using MC truth and link information (See Gang Li's FSClasser)
  - The results from these two approach seems same. But the latter approach was used finally.

# Jet energy & direction resolution(3)

- Resolution

- Energy scale:  $E_{jet}/E_{quark}$

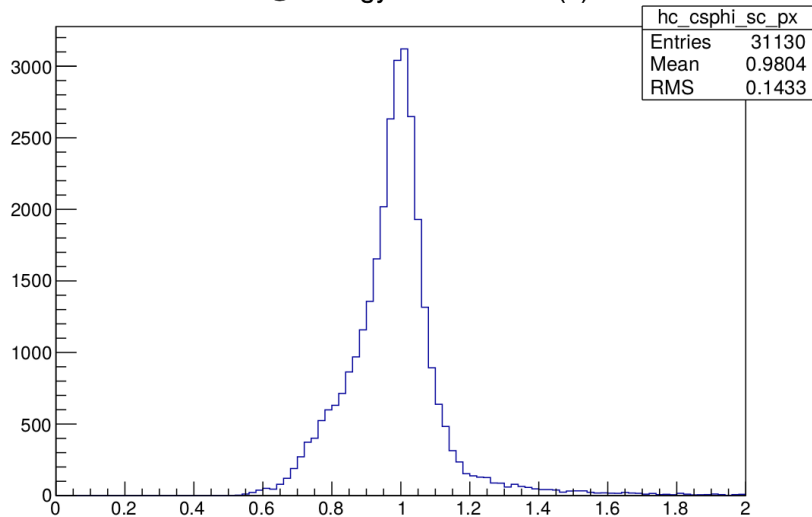
- $\Delta\phi$ :  $\phi_{jet} - \phi_{quark}$

- $\Delta\theta$ :  $\theta_{jet} - \theta_{quark}$

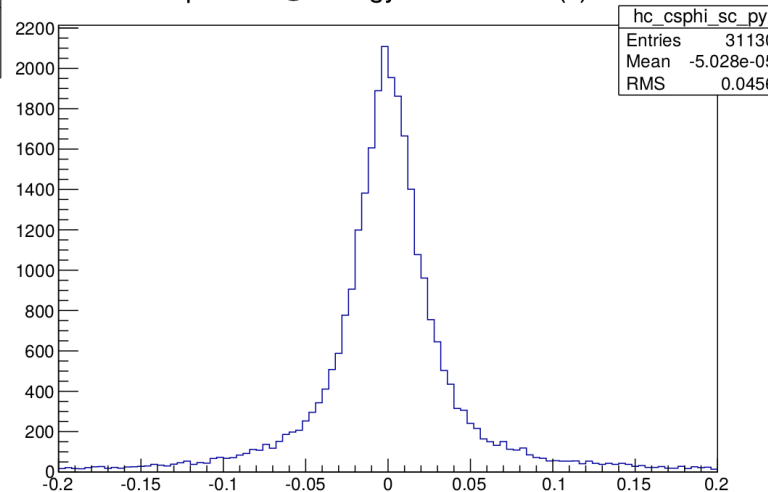
- The resolution can be described by a covariance matrix

- E.g The  $cov(scale, scale) = \overline{(scale - \overline{scale})^2}$  etc.

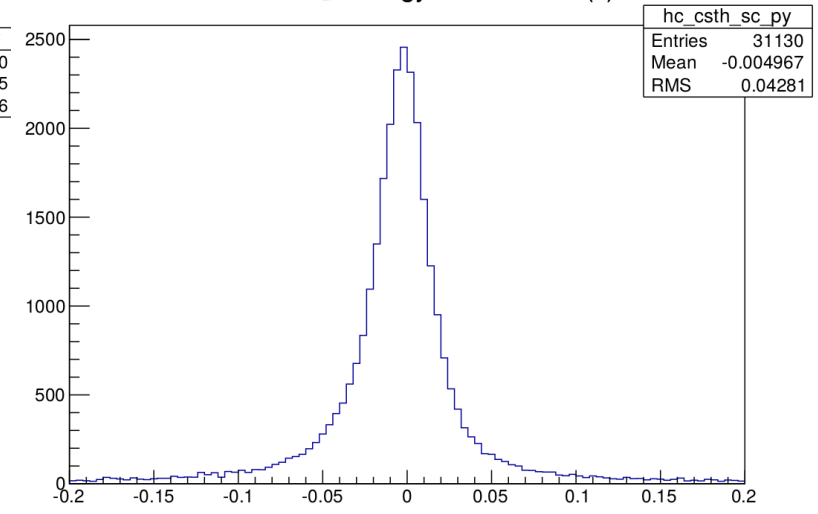
scale hist @ energy center &  $\cos(\theta) \sim 0.6$



delta phi hist @ energy center &  $\cos(\theta) \sim 0.6$



delta theta hist @ energy center &  $\cos(\theta) \sim 0.6$



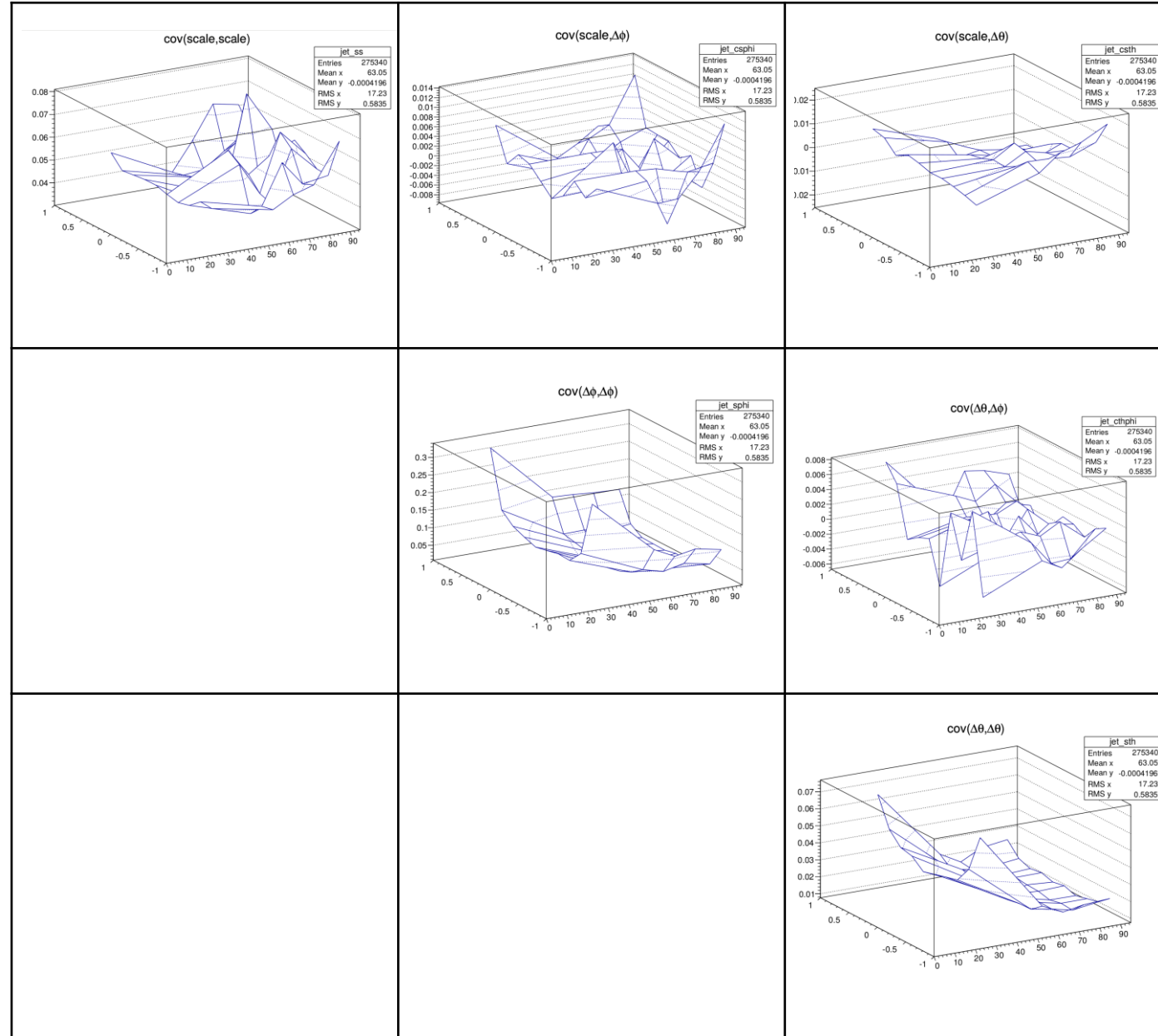
# Covariance matrix as a function of jet energy and polar angle

scale

Direction angle

Polar angle

scale



Direction angle

Polar angle

# Covariance matrix as a function of jet energy and polar angle

scale

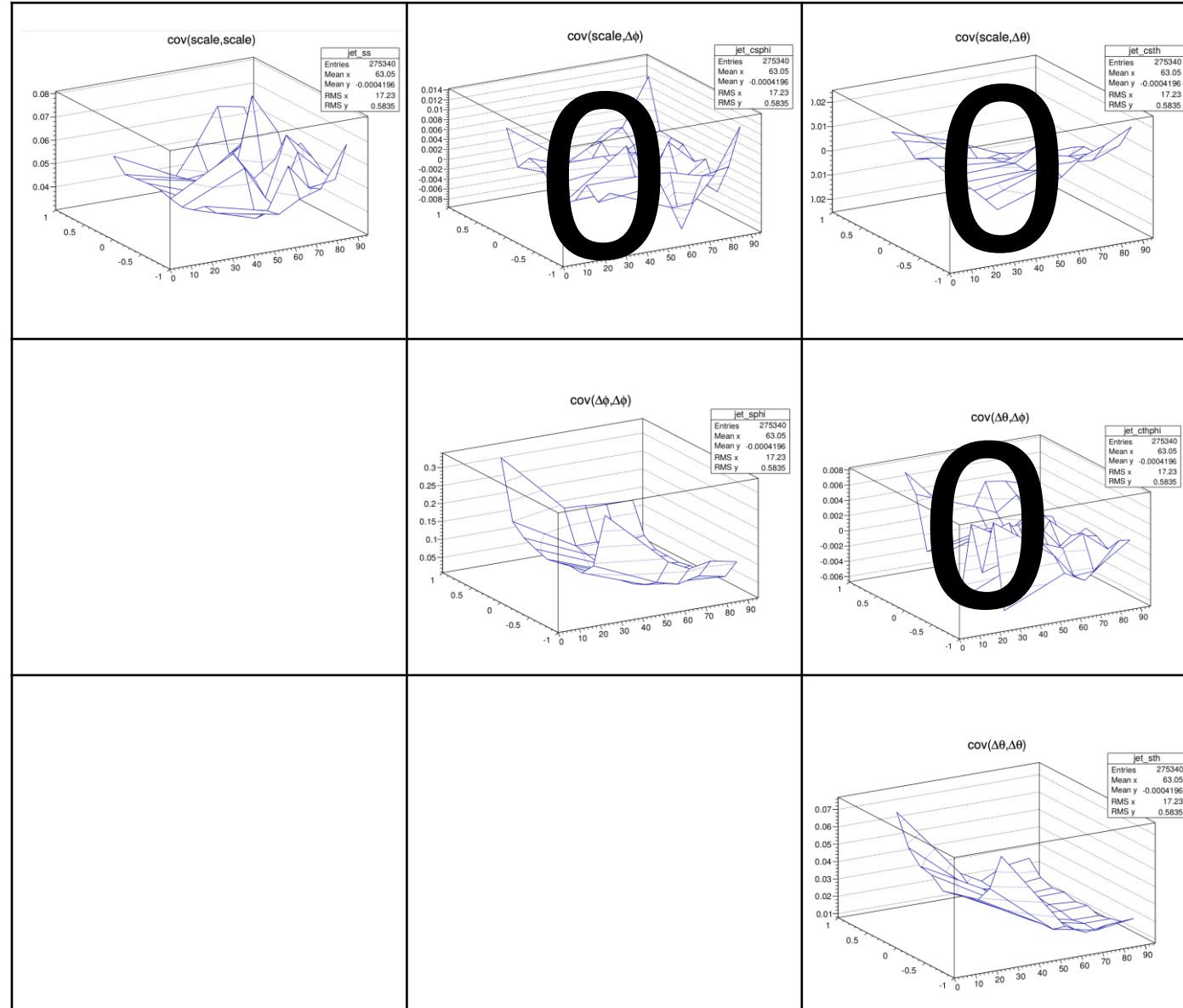
Direction angle

Polar angle

scale

Direction angle

Polar angle



**Values used in the kinematic fit**

# How to fit to extract the $ww$ fusion, $H \rightarrow bb$ cross-section(1)

- I hope the expected number of SM backgrounds can be determined very well by some control region. The error could be negligible.
- The expected number of  $ZH$ ,  $Z \rightarrow \nu\nu$ ,  $H \rightarrow bb$  would be measured very well by  $eeH$ ,  $\mu\mu H$  and  $qqH$  channels (We also assume we have known the electroweak very very well here). But the uncertainty is still not negligible.

- The uncertainty of  $ZH$ ,  $Z \rightarrow \nu\nu$ ,  $H \rightarrow bb$  =  $1 / \sqrt{\frac{1}{\sigma_{eeH, H \rightarrow bb}^2} + \frac{1}{\sigma_{\mu\mu H, H \rightarrow bb}^2} + \frac{1}{\sigma_{qqH, H \rightarrow bb}^2}}$

- $1 / \sqrt{\left(\frac{1}{1.2\%}\right)^2 + \left(\frac{1}{1.1\%}\right)^2 + \left(\frac{1}{0.4\%}\right)^2} = 0.375\%$

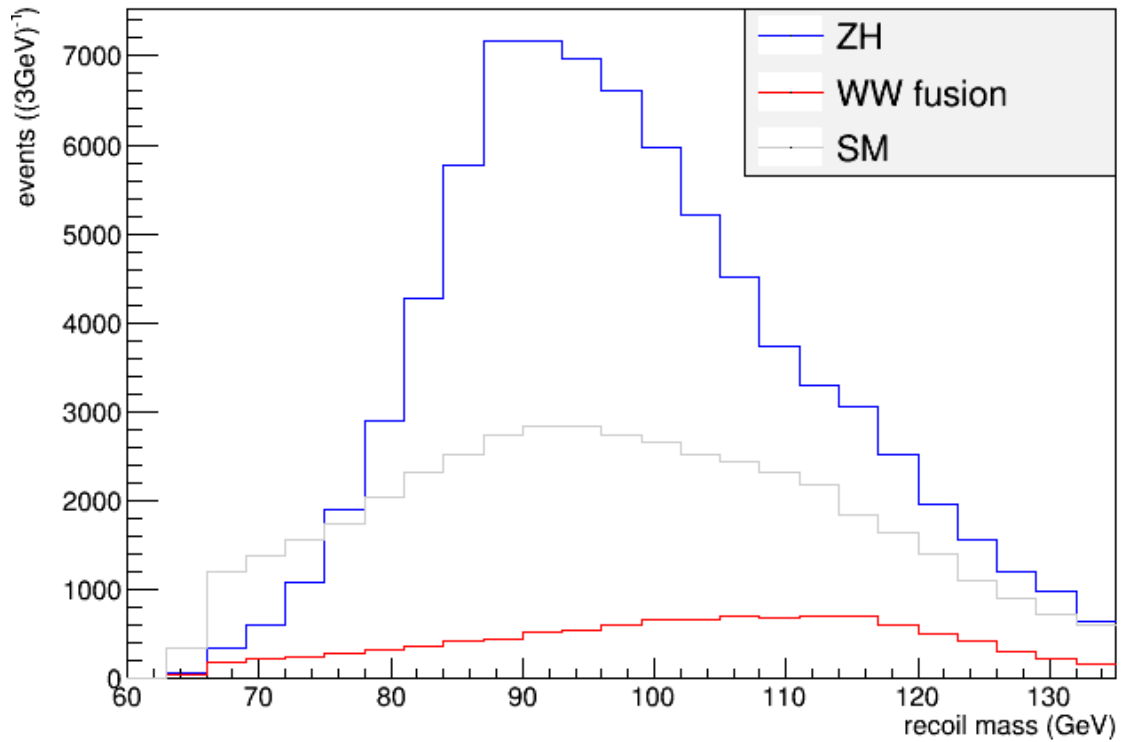
# How to fit to extract the $ww$ fusion, $H \rightarrow bb$ cross-section(2)

- Construct the likelihood as

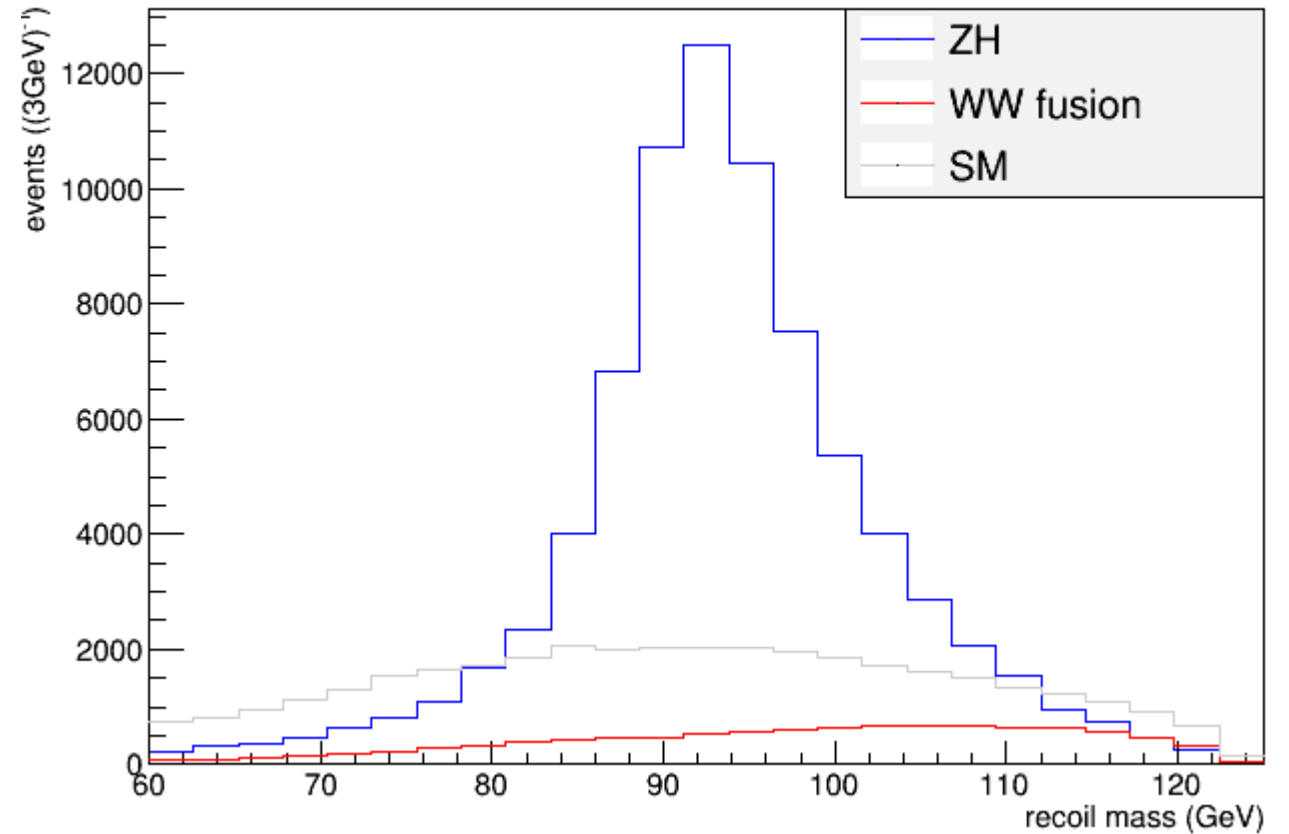
- $-\log L = 0.5 \left( \frac{\mu_{ZH} - 1}{0.375\%} \right)^2 - P(\text{data} | \mu_{ZH} N_{ZH} \text{pdf}_{ZH} + \mu_{zh} N_{wwf} \text{pdf}_{wwf} + N_{SM} \text{pdf}_{SM})$

- The  $\mu_{zh}, \mu_{wwf}$  is events number normalized by SM prediction for ZH and WW fusion respectively.
- The statistics uncertainty was determined by output message of *Tminuit* minimizer. In my experience, this error is quite close to the value determined by toy MC (fluctuate data and repeat fit again and again).

# Recoil mass with kinematic fit



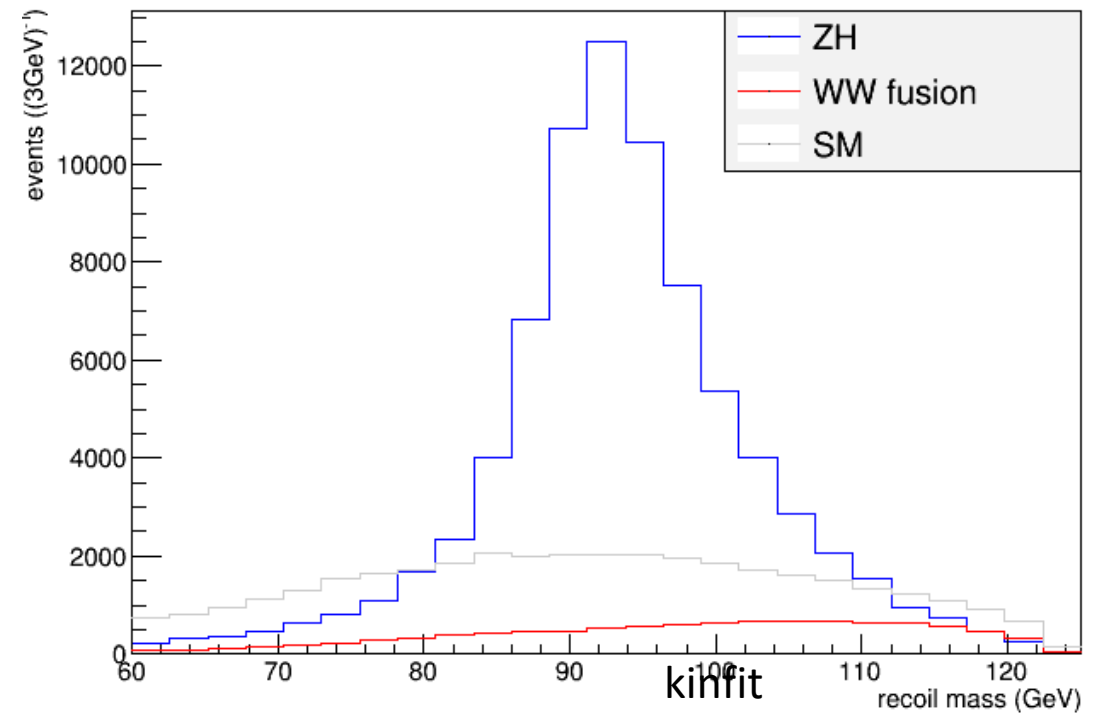
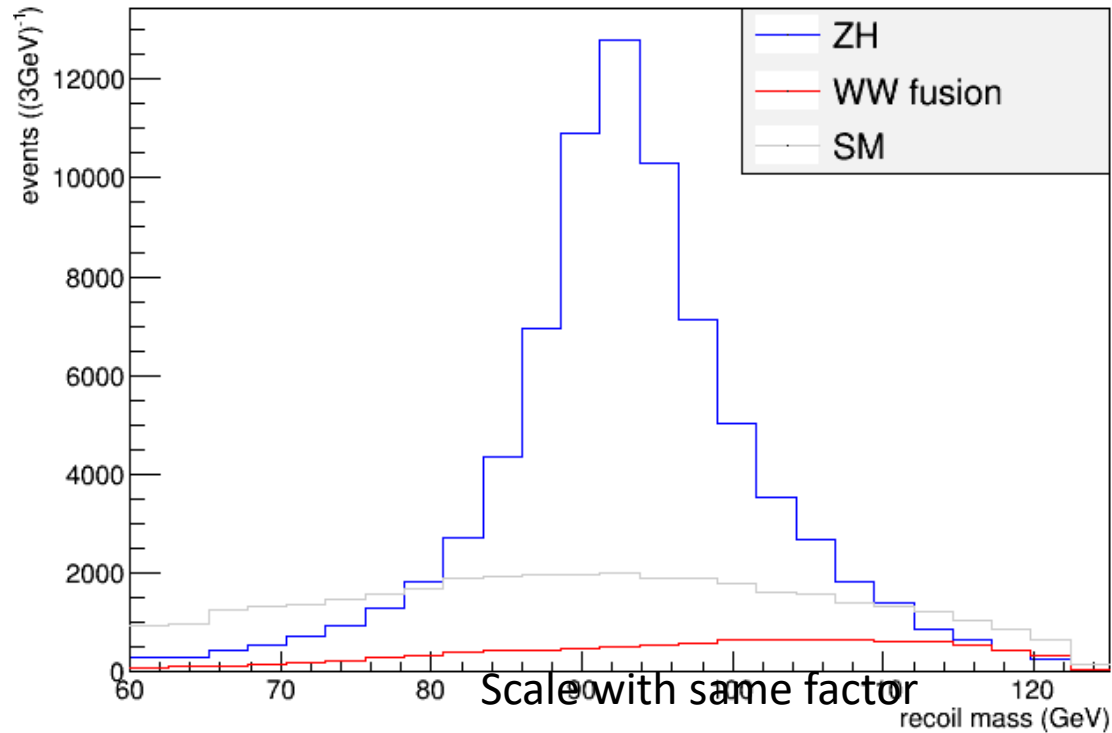
raw



kinfit

# A simple but effective approach to do kinematic fit

- Scale the two jets moment with same factor such that their invariant mass  $\sim m_H$





# Result

$5\text{ab}^{-1}$	Fit recoil mass of 2 jets	Fit recoil mass and $\theta$ of 2 jets
Raw data	3.9%	3.8%
Kinematic fit	3.2%	3.1%
Simple Kinematic fit	3.2%	3.1%

Pre-CDR (Zhenxing based on fast simulation): 2.8%

Junping Tian's result @ ICL, 250GeV &  $250\text{fb}^{-1}$ : 8.1% which would be **1.8%** at integrated luminosity of  $5\text{ab}^{-1}$