

WIMP-Nucleon effective interactions study from PandaX- II Experiment

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On behalf of PandaX Collaboration

6/22/2018

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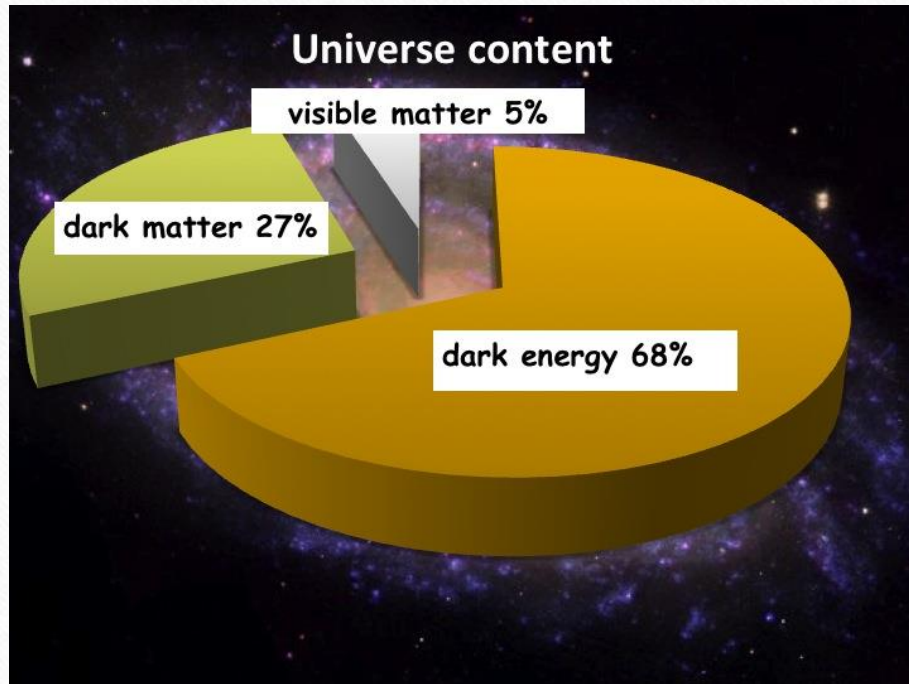
Outline

- PandaX-II introduction
- Effective field theory
- Results
- Summary

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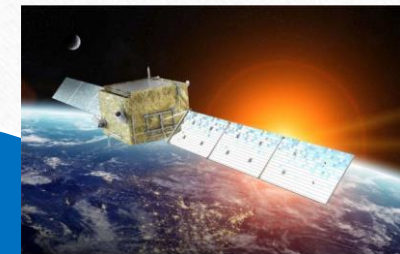
Dark Matter(DM) in the universe



Weakly interacting massive particles (WIMPs):
a class of theoretically well-motivated candidates for dark matter.

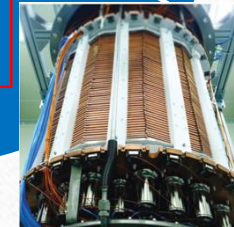


Collider
production



Indirect
search

Direct
search

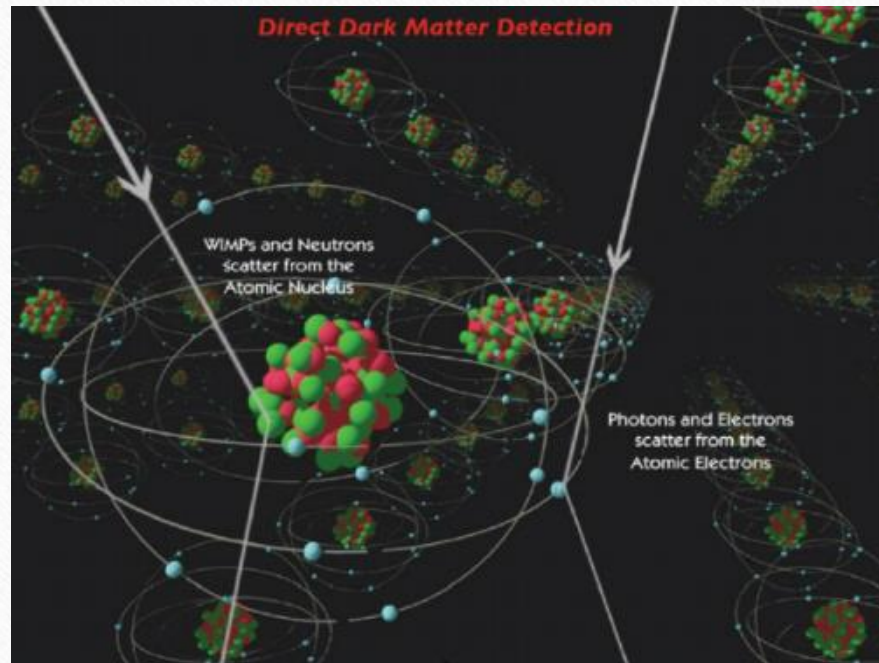


PandaX-II TPC

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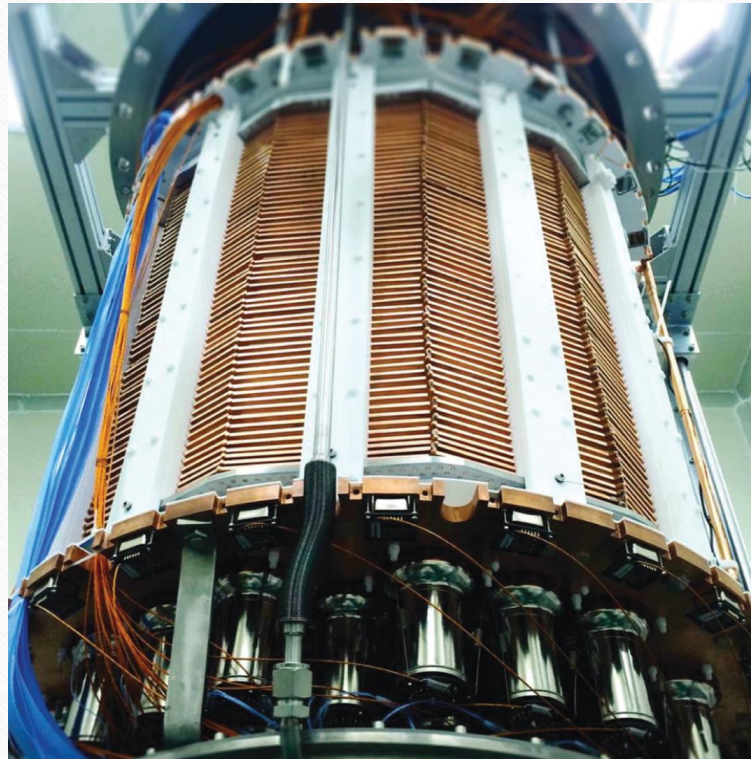
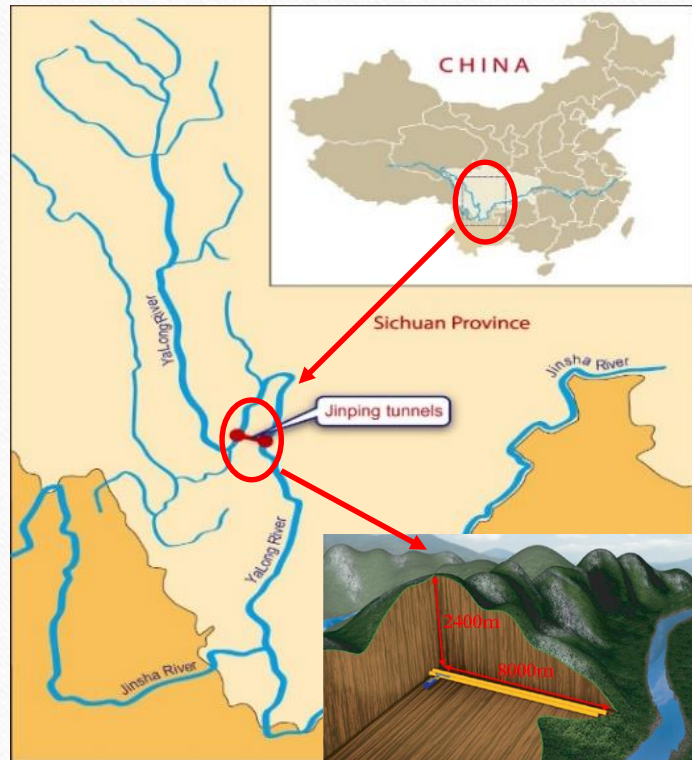
DM direct detection



Direct detection: searching for WIMP-nuclear recoils in terrestrial detectors

- **Spin-independent (SI)** interaction: coherent scattering on all nucleons
- **Spin-dependent (SD)** interaction: can be viewed as scattering with outer unpaired nucleon

PandaX-II experiment



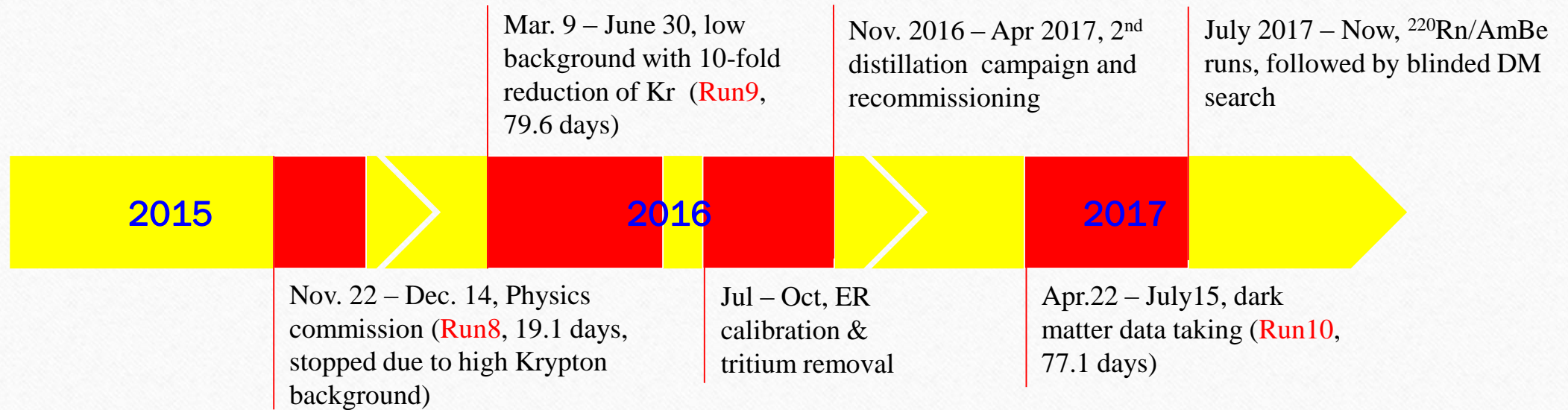
PandaX-II detector:

- 60 cm * 60 cm cylindrical TPC
- **580-kg** of LXe in sensitive region
- 55 top + 55 bottom R11410 3" target PMTs
- 24 top + 24 bottom R8520 1" VETO PMTs

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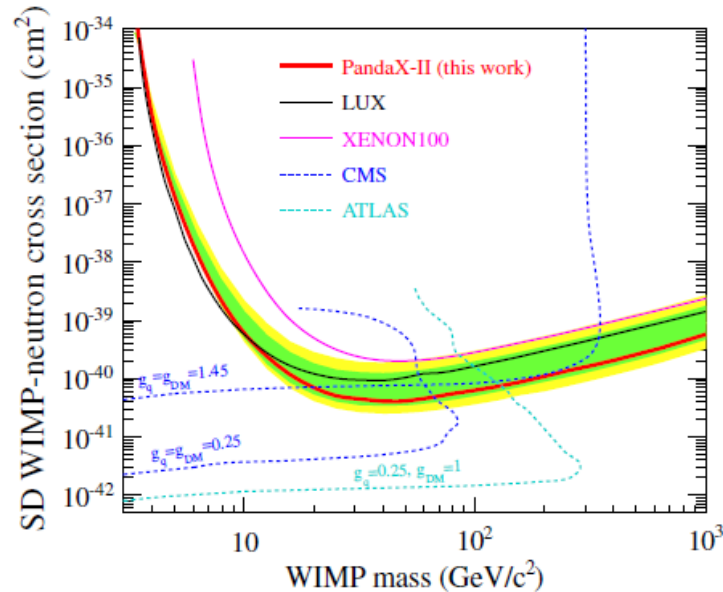
PandaX-II run history



- Run9 = 79.6 days, exposure: 26.2 ton-day
 - Run10 = 77.1 days, exposure: 27.9 ton-day
- } 54 ton-day

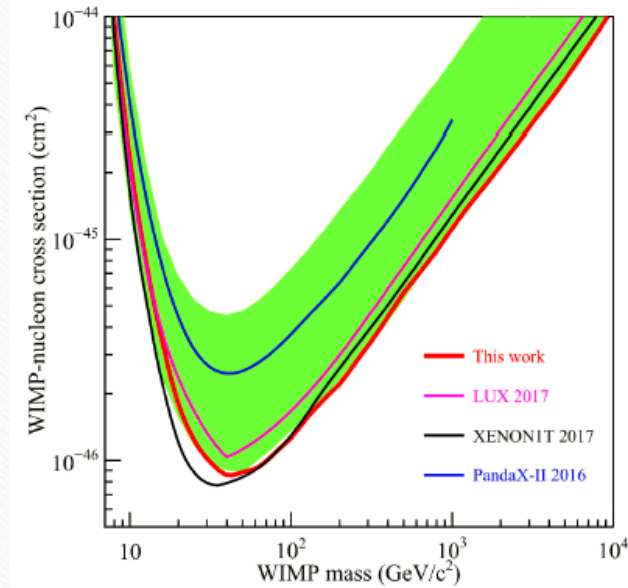
Previous SI and SD results

Run8+9(33 t-day) SD Results
PRL 118, 071301 (2017)



Minimum χ -n SD cross section limit:
 $4.1 \times 10^{-41} \text{ cm}^2$ at $40 \text{ GeV}/c^2$

Run9+10(54 t-day) SI Results
PRL 119, 181302 (2017)



Minimum elastic SI cross section limit:
 $8.6 \times 10^{-47} \text{ cm}^2$ @ $40 \text{ GeV}/c^2$

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Effective field theory (EFT)

- The traditional SI/SD approach:
 - take only leading-order terms in a WIMP-nucleon interaction
 - present a simple treatment on nuclear structure
- A more sophisticated EFT approach for WIMP scattering was developed:
 - Consider all leading-order and next-to-leading order operators.
 - Combination of four basic terms:
 - ✓ Relative perpendicular velocity between the WIMP and the nucleon (\vec{v}^\perp)
 - ✓ Momentum transfer (\vec{q})
 - ✓ Spins of WIMP (\vec{S}_χ)
 - ✓ Spins of nucleon (\vec{S}_N)

EFT operators

- Parametrizing the WIMP-nucleus interaction in terms of 14 operators, O_i :

$$\begin{aligned}
 \mathcal{O}_1 &= 1_\chi 1_N & \mathcal{O}_9 &= i\vec{S}_\chi \cdot \left(\vec{S}_N \times \frac{\vec{q}}{m_N} \right) \\
 \mathcal{O}_3 &= i\vec{S}_N \cdot \left(\frac{\vec{q}}{m_N} \times \vec{v}^\perp \right) & \mathcal{O}_{10} &= i\vec{S}_N \cdot \left(\frac{\vec{q}}{m_N} \right) \\
 \mathcal{O}_4 &= \vec{S}_\chi \cdot \vec{S}_N & \mathcal{O}_{11} &= i\vec{S}_\chi \cdot \left(\frac{\vec{q}}{m_N} \right) \\
 \mathcal{O}_5 &= i\vec{S}_\chi \cdot \left(\frac{\vec{q}}{m_N} \times \vec{v}^\perp \right) & \mathcal{O}_{12} &= \vec{S}_\chi \cdot (\vec{S}_N \times \vec{v}^\perp) \\
 \mathcal{O}_6 &= \left(\vec{S}_\chi \cdot \frac{\vec{q}}{m_N} \right) \left(\vec{S}_N \cdot \frac{\vec{q}}{m_N} \right) & \mathcal{O}_{13} &= i(\vec{S}_\chi \cdot \vec{v}^\perp) \left(\vec{S}_N \cdot \frac{\vec{q}}{m_N} \right) \\
 \mathcal{O}_7 &= \vec{S}_N \cdot \vec{v}^\perp & \mathcal{O}_{14} &= i \left(\vec{S}_\chi \cdot \frac{\vec{q}}{m_N} \right) (\vec{S}_N \cdot \vec{v}^\perp) \\
 \mathcal{O}_8 &= \vec{S}_\chi \cdot \vec{v}^\perp & \mathcal{O}_{15} &= - \left(\vec{S}_\chi \cdot \frac{\vec{q}}{m_N} \right) \left[(\vec{S}_N \times \vec{v}^\perp) \cdot \frac{\vec{q}}{m_N} \right]
 \end{aligned}$$

The EFT interaction would take the form:

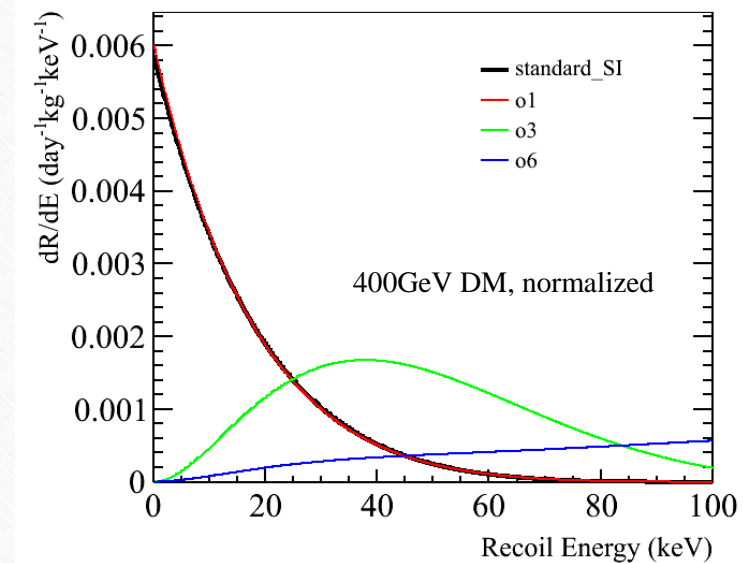
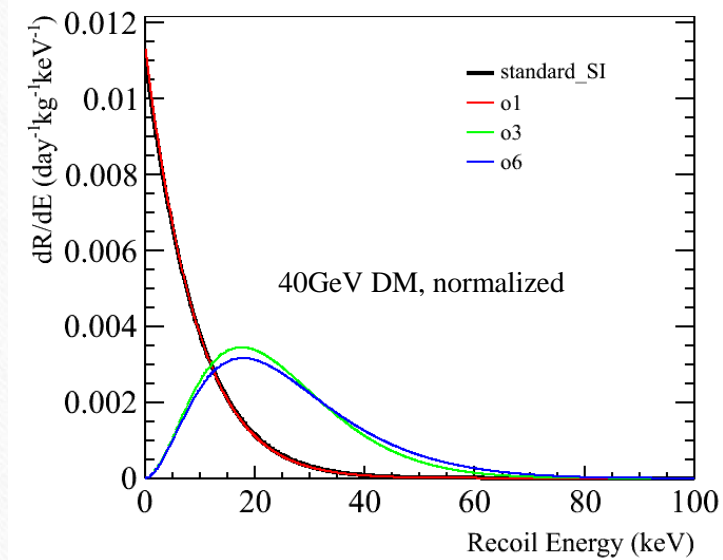
$$\sum_{\alpha=n,p} \sum_{i=1}^{15} c_i^\alpha \mathcal{O}_i^\alpha, \quad c_2^\alpha \equiv 0.$$

- Each EFT operator has independent couplings to protons and neutrons,
- The framework allows interference between certain operators.

Following the convention from N. Anand et al, Phys. Rev. C89, 065501 (2014).

Recoil spectra from EFT

- Unlike the standard SI/SD, some EFT operators depend explicitly on \vec{q} :
 - Scattering rate peaks at nonzero recoil energy
 - For high WIMP masses, rate may even maximize outside typical analysis windows



Effective field theory

- Four **dimension-four** effective interactions corresponding to the possible relativistic vector/axial-vector interactions (left)

$$\mathcal{L}_{\text{int}}^5 \equiv \bar{\chi} \gamma^\mu \chi \bar{N} \gamma_\mu N \rightarrow \mathcal{O}_1$$

$$\mathcal{L}_{\text{int}}^7 \equiv \bar{\chi} \gamma^\mu \chi \bar{N} \gamma_\mu \gamma^5 N \rightarrow -2\mathcal{O}_7 + 2 \frac{m_N}{m_\chi} \mathcal{O}_9$$

$$\mathcal{L}_{\text{int}}^{13} \equiv \bar{\chi} \gamma^\mu \gamma^5 \chi \bar{N} \gamma_\mu N \rightarrow 2\mathcal{O}_8 + 2\mathcal{O}_9$$

$$\mathcal{L}_{\text{int}}^{15} \equiv \bar{\chi} \gamma^\mu \gamma^5 \chi \bar{N} \gamma_\mu \gamma^5 N \rightarrow -4\mathcal{O}_4$$

$$\begin{aligned} \mathcal{L}_{\text{int}}^9 &\equiv \bar{\chi} i \sigma^{\mu\nu} \frac{q_\nu}{m_M} \chi \bar{N} \gamma_\mu N \\ &\rightarrow -\frac{\vec{q}^2}{2m_\chi m_M} \mathcal{O}_1 + \frac{2m_N}{m_M} \mathcal{O}_5 - \frac{2m_N}{m_M} \left(\frac{\vec{q}^2}{m_N^2} \mathcal{O}_4 - \mathcal{O}_6 \right) \end{aligned}$$

$$\mathcal{L}_{\text{int}}^{17} \equiv i \bar{\chi} i \sigma^{\mu\nu} \frac{q_\nu}{m_M} \gamma^5 \chi \bar{N} \gamma_\mu N \rightarrow \frac{2m_N}{m_M} \mathcal{O}_{11}$$

$$\mathcal{L}_{\text{int}}^{10} \equiv \bar{\chi} i \sigma^{\mu\nu} \frac{q_\nu}{m_M} \chi \bar{N} i \sigma_{\mu\alpha} \frac{q^\alpha}{m_M} N \rightarrow 4 \left(\frac{\vec{q}^2}{m_M^2} \mathcal{O}_4 - \frac{m_N^2}{m_M^2} \mathcal{O}_6 \right)$$

- Dimension-five** operators coupling the WIMP **magnetic moment or electric dipole moment** with the nucleon's vector current (first two in right)
- Dimension-six** operator coupling WIMP and nucleon **magnetic moments** (last in right)

Outline

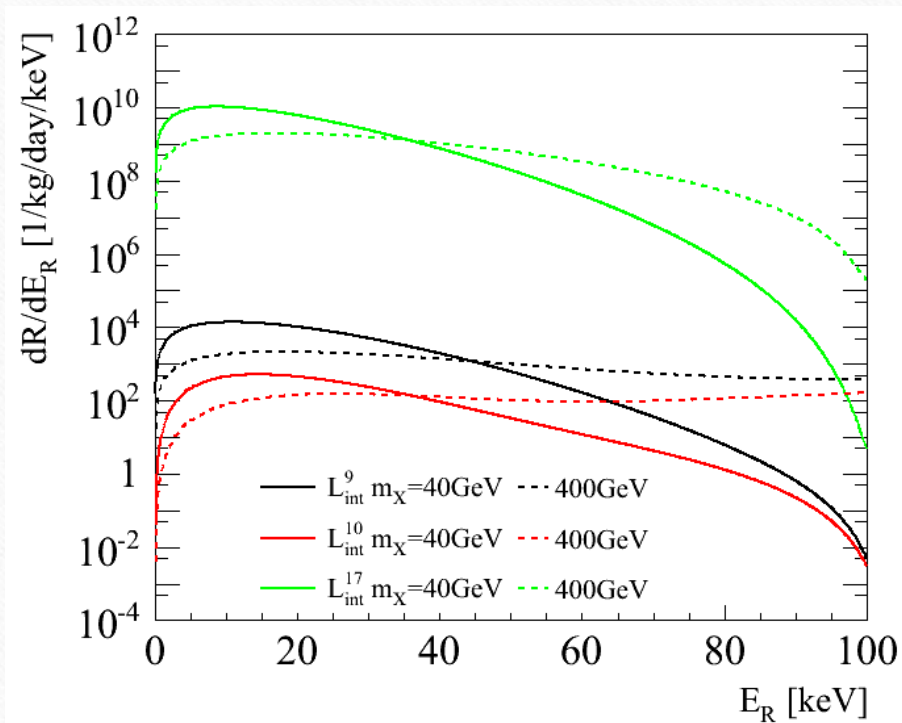
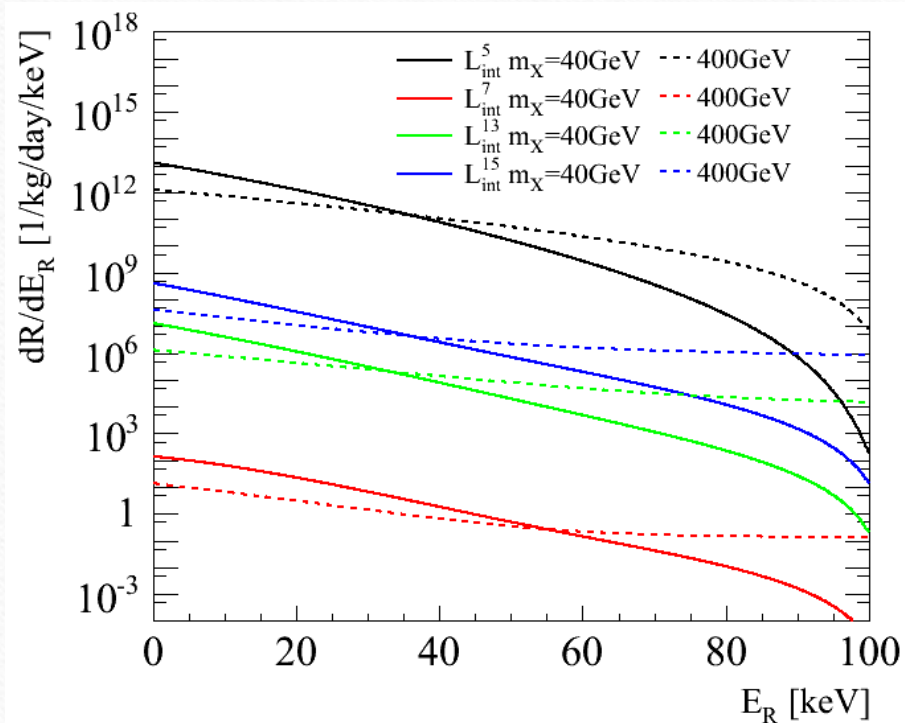
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Numerical work assumptions

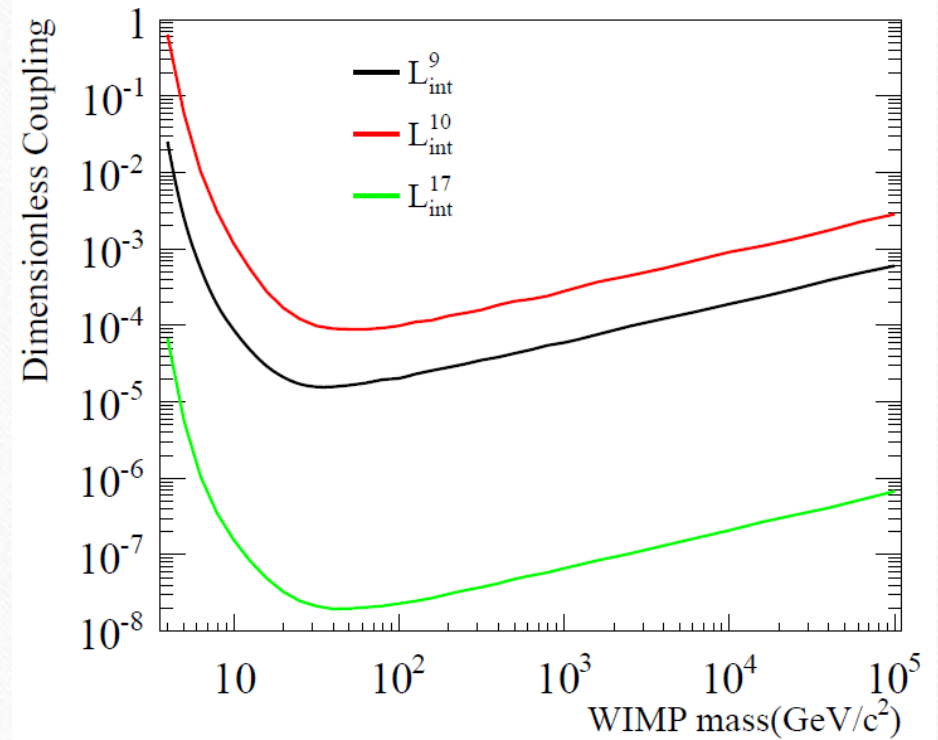
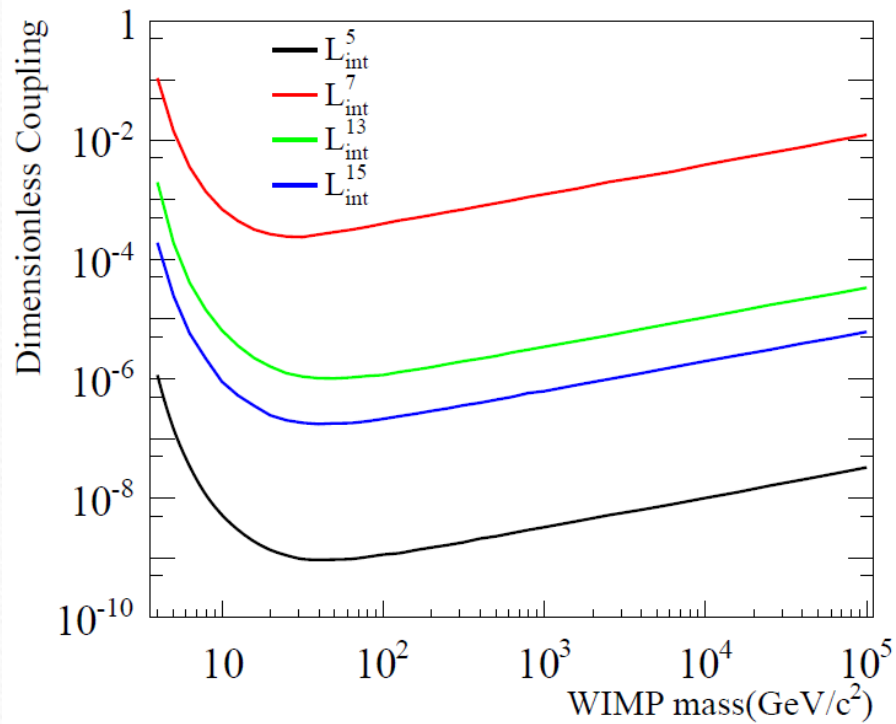
- Only consider a single individual operator at a time
- For general consideration, apply the coupling in **isoscalar** case, in which the operator is equally coupled to protons and neutrons
- In the spin-dependent analysis, similar as the standard approach, set the couplings **only to protons** and **only to neutrons**.

Recoil energy spectra

- In isoscalar case, $c^{\text{neutron}} = c^{\text{proton}}$



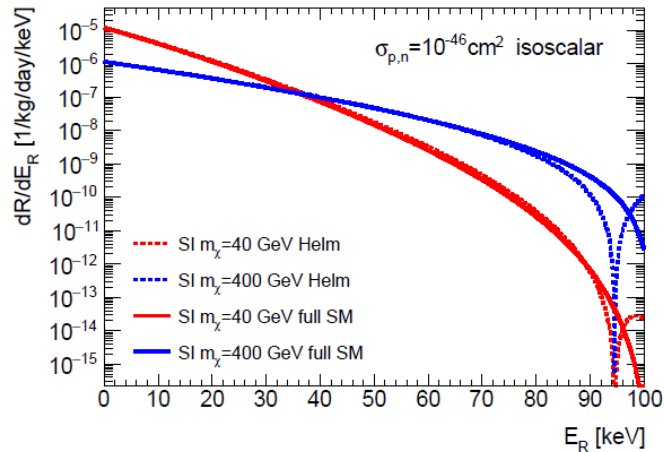
Limits on the couplings



Updated SD recoil spectra

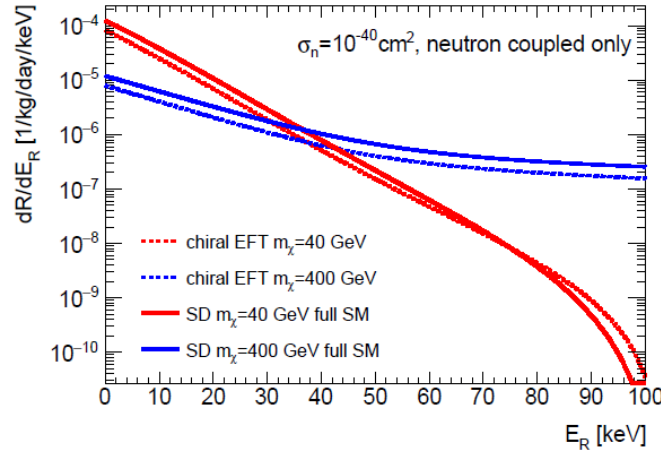
- Comparison between different treatments of SI/SD scattering
- Consider spin-1/2 WIMPs

SI scattering



Helm: traditional treatment, structure function given by the Helm form factor,
 Full SM: full-basis shell-model (SM) calculations, vector-vector interaction L_{int}^5

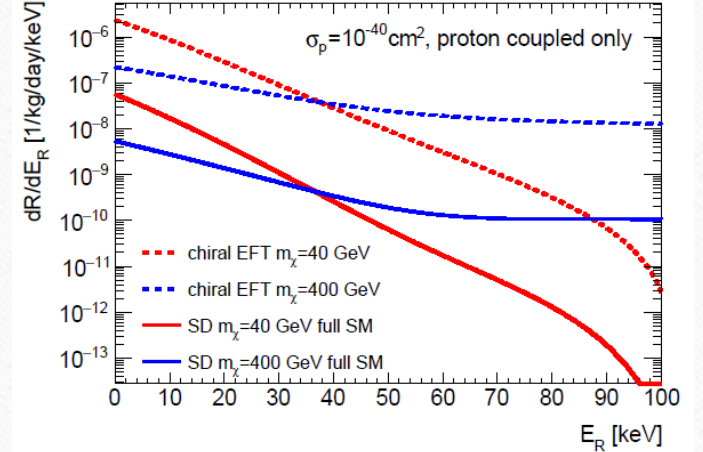
SD-neutron only



Chiral EFT: traditional treatment, with truncations on SM calculation and additional contributions from O_6 and a pion exchange current,

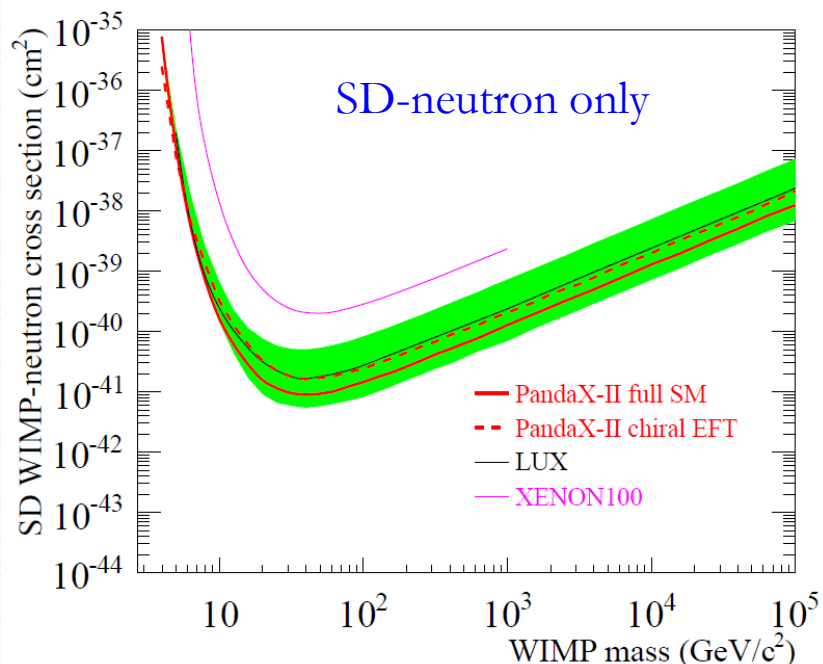
Full SM: full-basis shell-model (SM) calculations, axial vector-axial vector interaction L_{int}^{15}

SD-proton only

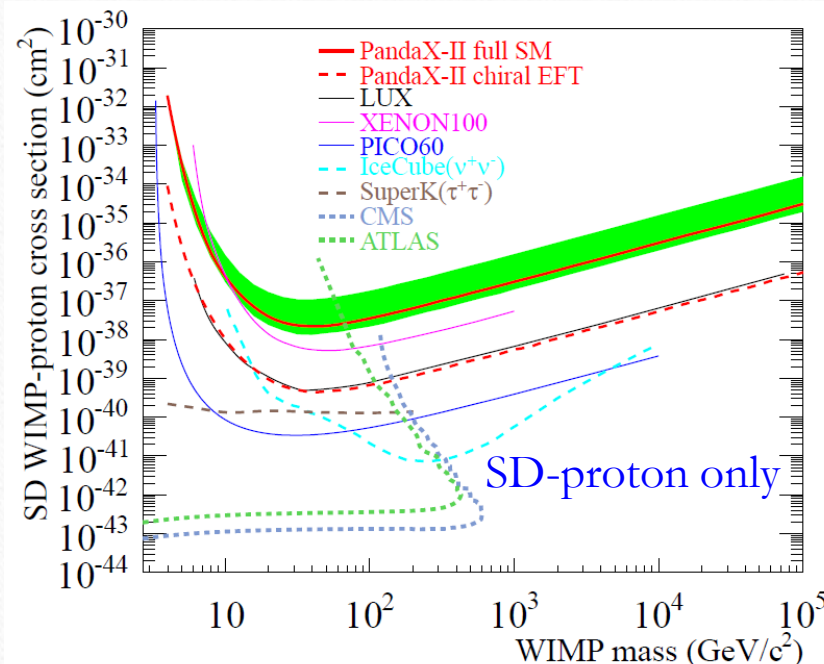


Updated SD cross section limits

- Calculated with the 54 ton-day dataset from PandaX-II



Minimum χ -n SD cross section limit(EFT):
 $9 \times 10^{-42} \text{ cm}^2$ at $40 \text{ GeV}/c^2$



Minimum χ -p SD cross section limit(EFT):
 $2.2 \times 10^{-38} \text{ cm}^2$ at $40 \text{ GeV}/c^2$

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Summary

- A Effective Field Theory model describing the WIMP-nucleus scattering is employed to analyze the 54 ton-day exposure data.
- Notice significant rate in high recoil energy (above 40 keV) for certain momentum-dependent EFT operators at large DM mass, leading to the idea of extending the energy window.
- New SD interaction results are presented, setting the most stringent upper limit to date on the SD WIMP-neutron cross section ($9.0e-42 \text{ cm}^2$) above WIMP mass of $40 \text{ GeV}/c^2$.

Thank you!

backups

Effective field theory

- Differential cross section for elastic scattering can be expressed as:

$$\begin{aligned}\frac{d\sigma(v, E_R)}{dE_R} &= 2m_T \frac{d\sigma(v, \vec{q}^2)}{d\vec{q}^2} \\ &= \frac{2m_T}{4\pi v^2} \left[\frac{1}{2J_\chi + 1} \frac{1}{2J_N + 1} \sum_{\text{spins}} |\mathcal{M}|^2 \right]\end{aligned}$$

$$\frac{dR}{dE_R} = \frac{\rho_\chi}{m_\chi} \int \frac{d\sigma(v, E_R)}{dE_R} v f(\vec{v}) d^3v$$

- For SI and SD case, the single-nucleon cross section could be expressed as:

$$\sigma_{p,n}^{\text{SI}}(v) = \left(\frac{c_1}{m_V^2} \right)^2 \frac{\mu_{p,n}^2}{\pi}$$

$$\sigma_{p,n}^{\text{SD}}(v) = \left(\frac{c_4}{m_V^2} \right)^2 \frac{\mu_{p,n}^2}{\pi} \frac{J_\chi(J_\chi + 1)}{4}$$