

Electroweak Symmetry Breaking & CEPC

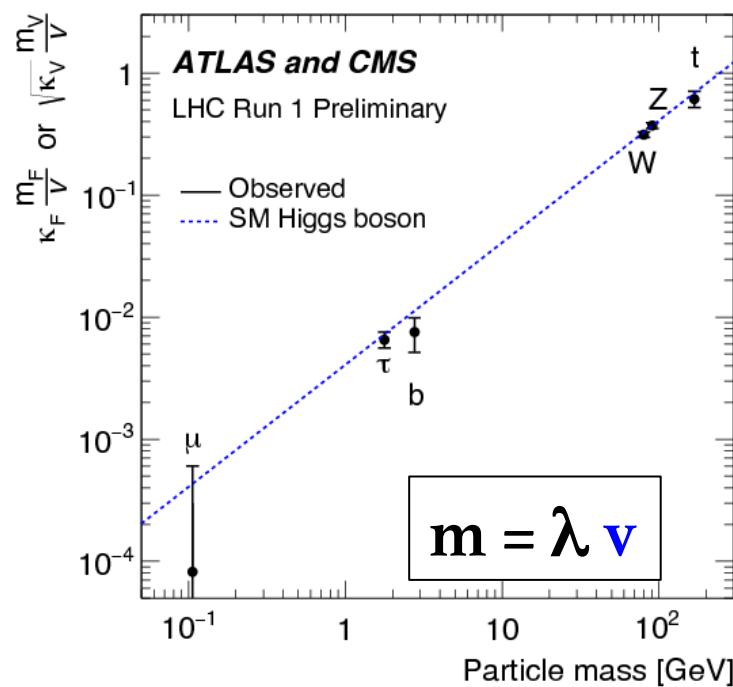
Andrew J. Long
University of Michigan – LCTP
@ IHEP – CEPC Workshop
November 14, 2018

What we know and what we don't know about the Higgs

Large Hadron Collider experiment



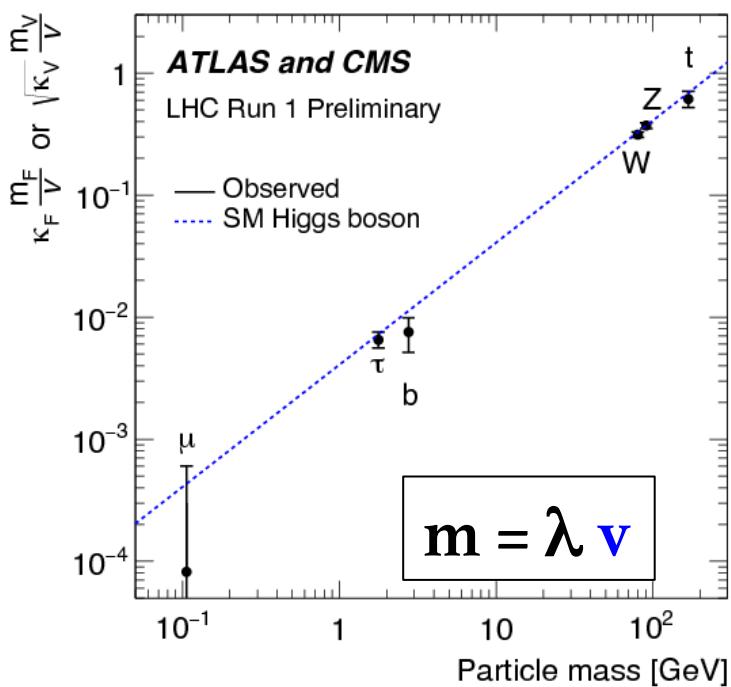
$$m_h \simeq 125.09 \pm 0.24 \text{ GeV}/c^2$$



$$\text{SM}) \quad V = \frac{1}{2}m^2 h^2 + \frac{1}{4}\lambda h^4$$

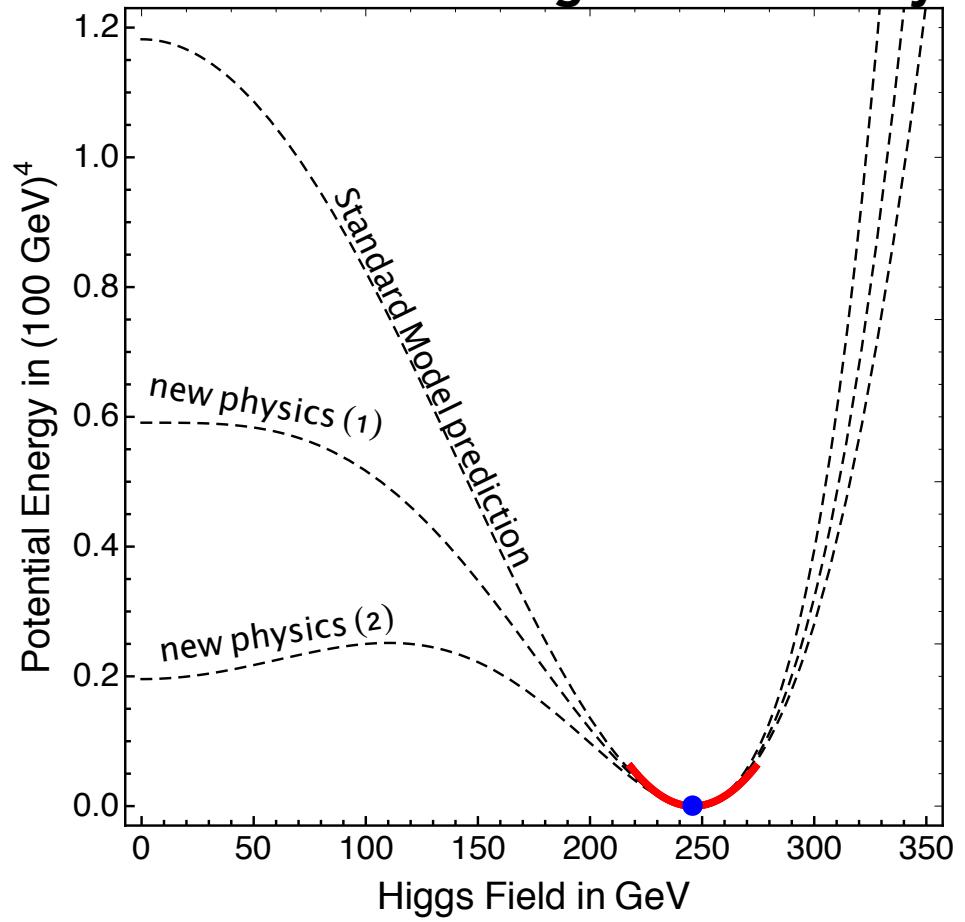
$$\text{NP 1}) \quad V = \frac{1}{4}\lambda h^4 \log \frac{h^2}{\Lambda^2}$$

$$\text{NP 2}) \quad V = \frac{1}{2}m^2 h^2 + \frac{1}{4}\lambda h^4 + \frac{1}{8\Lambda^2}h^6$$



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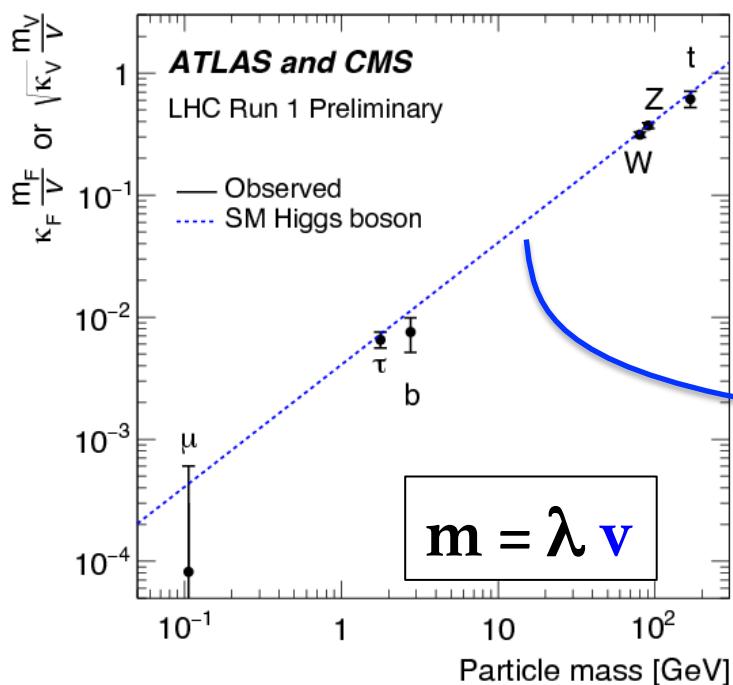
How does this data guide our theory?



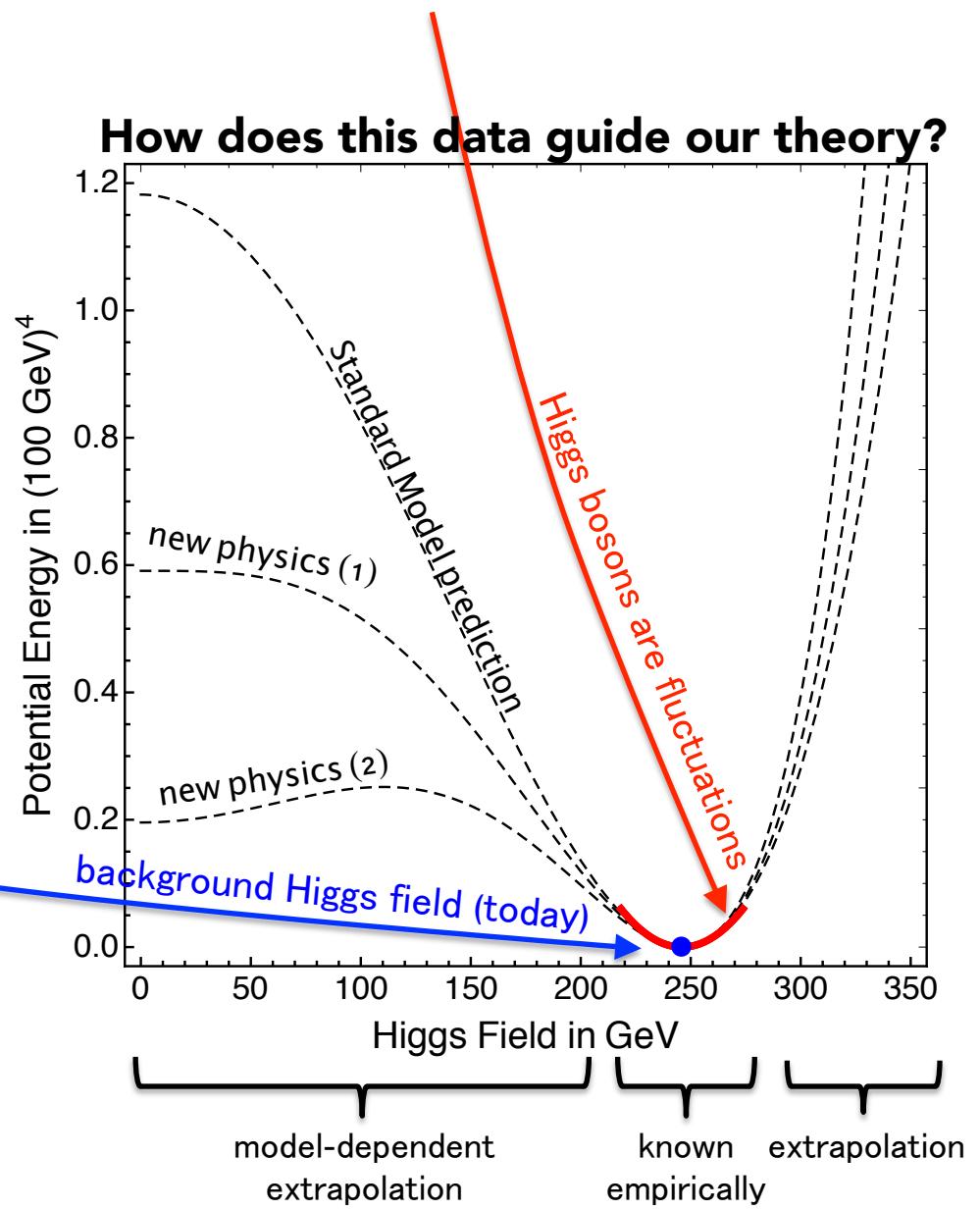
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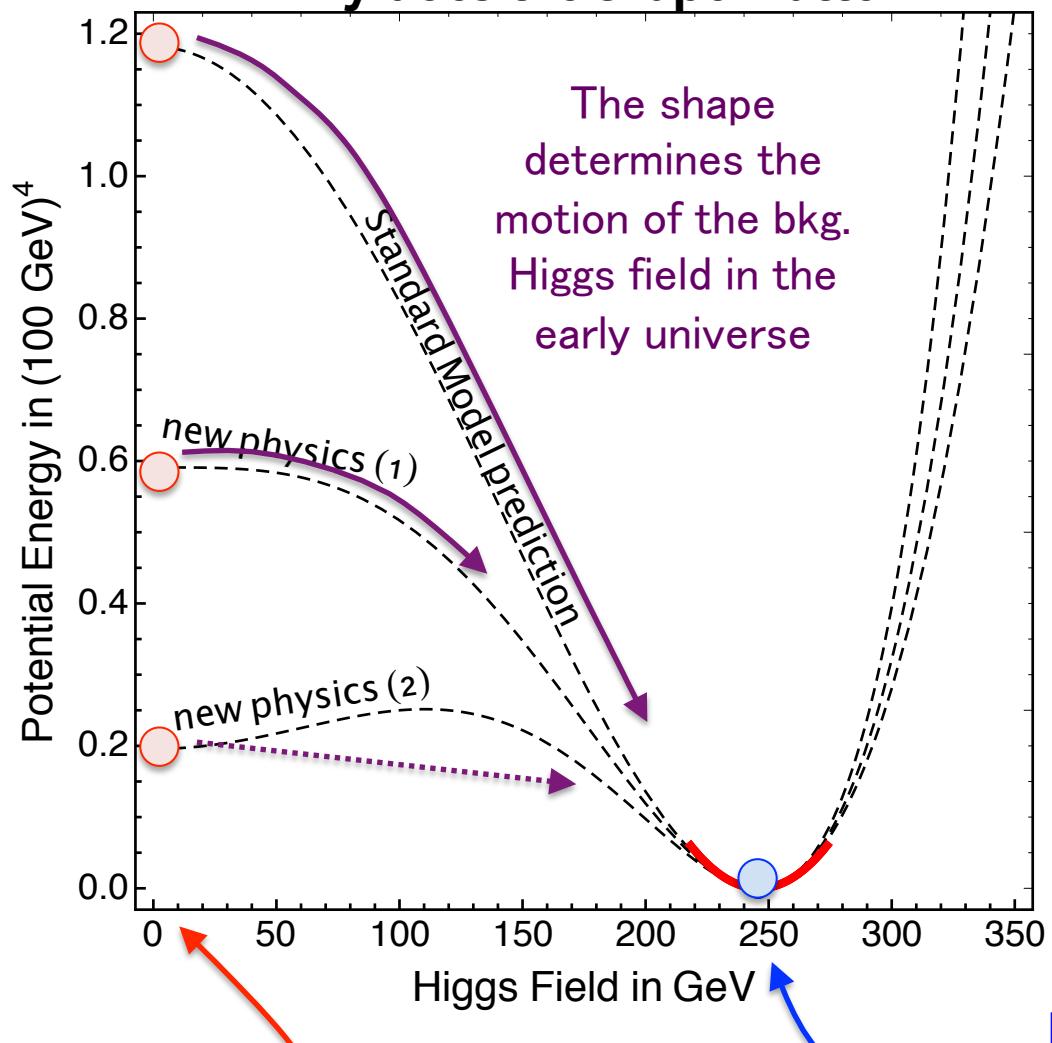
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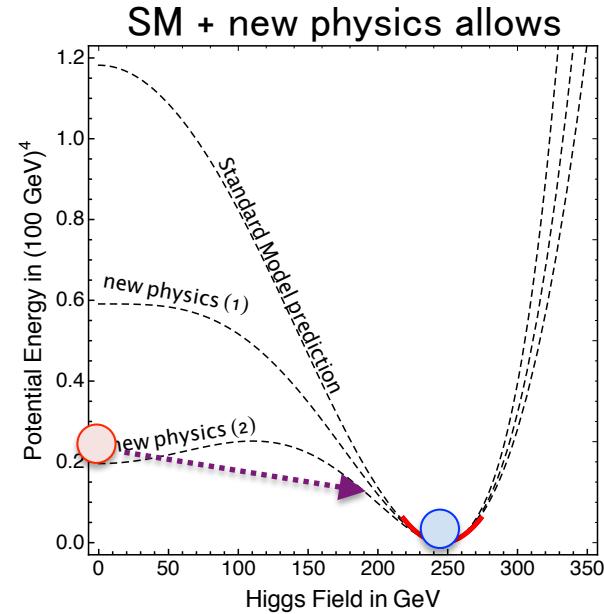
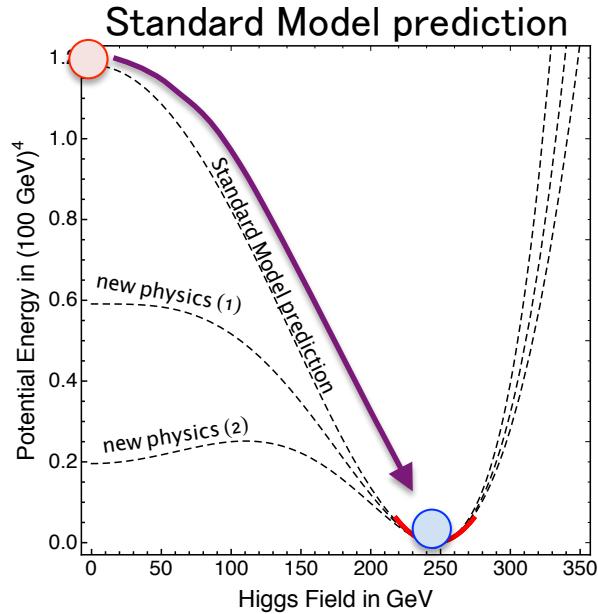
Why does the shape matter?



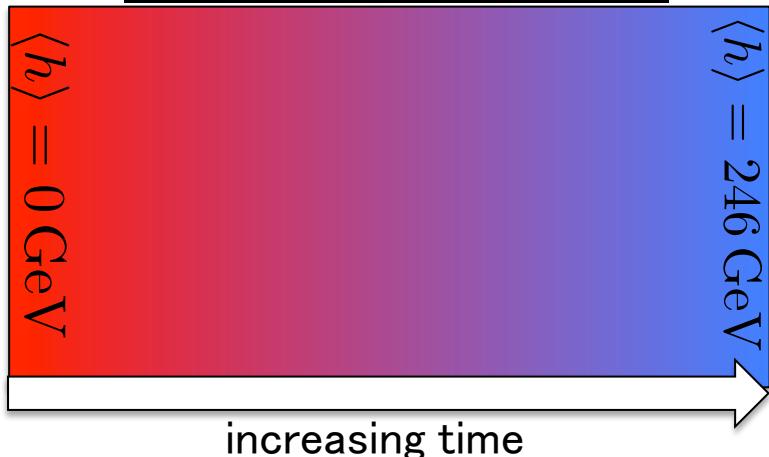
background Higgs field was here
in the early universe ($T > 100 \text{ GeV}$)
recall: $F = E - TS \rightarrow \min[F] = \max[S]$

background Higgs
field is here today ... gives mass to
SM particles

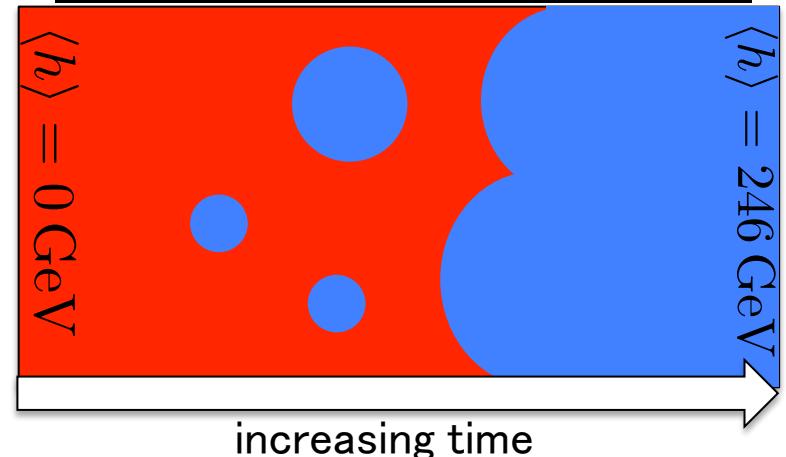
Electroweak Phase Transition. How does the background Higgs field move from zero in the early universe to its nonzero value today? ($T \sim 100$ GeV, $t \sim 10$ ps)



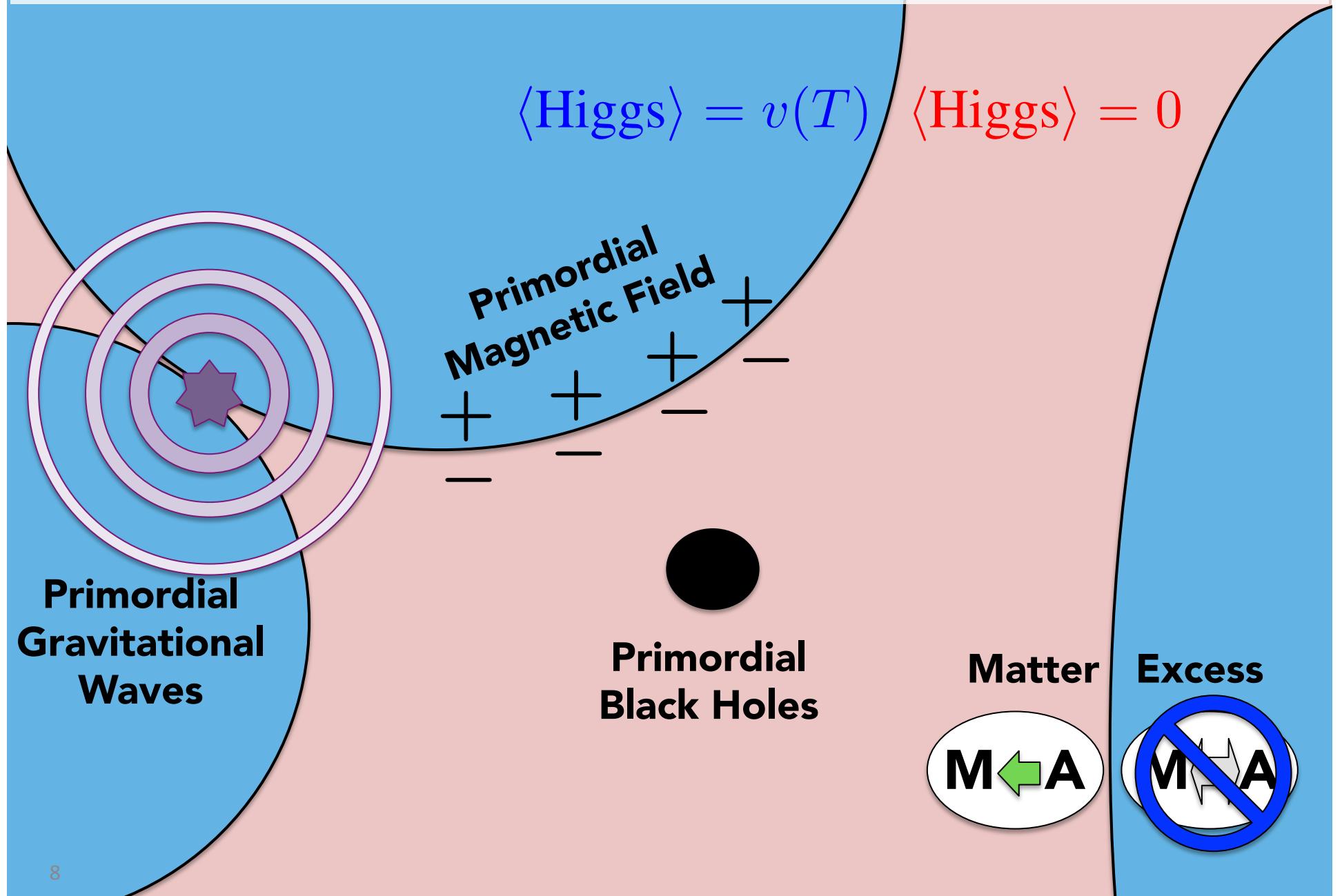
Continuous Crossover



First Order Phase Transition

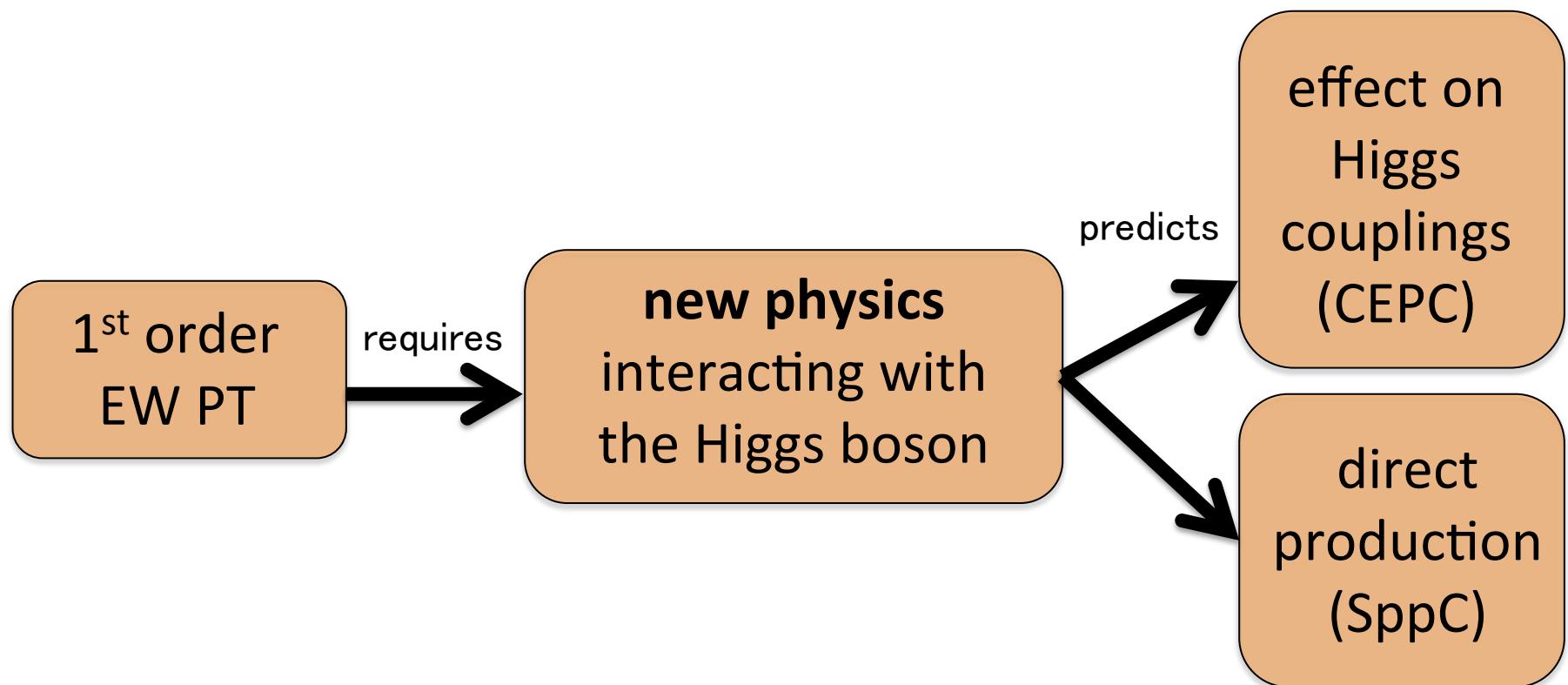


1st Order EWPT has profound implications for cosmology



Studying the Higgs @ CEPC

How can we learn about the electroweak phase transition?



Effect on Higgs couplings

Higgs cubic self-coupling (hhh)

$$\lambda_3 = h \cdots h \quad h$$

PRO:
Directly related to
the shape of the
Higgs potential (V''').

CON:
Very challenging to
measure. Target of
FCC-hh & SppC.

Higgs coupling to Z-boson (hZZ)

$$g_{hZZ} = Z \cdots Z \quad h$$

CON:
An indirect probe
of new physics &
the EWPT.

PRO:
It can be measured
very precisely. Target
of Higgs factories:
FCC-ee, CEPC, & ILC.

Higgs Factories – precision Higgs measurements

Lepton colliders provide “clean” environment to study Higgs physics.

At $E = 250$ GeV, the production of Higgs + Z-boson is optimized.

Precision measurements of Higgs-Z-Z coupling at the sub-percent level!

Proposed Higgs factories:

- FCC-ee (Europe / CERN)
- CEPC (China)
- ILC (Japan)

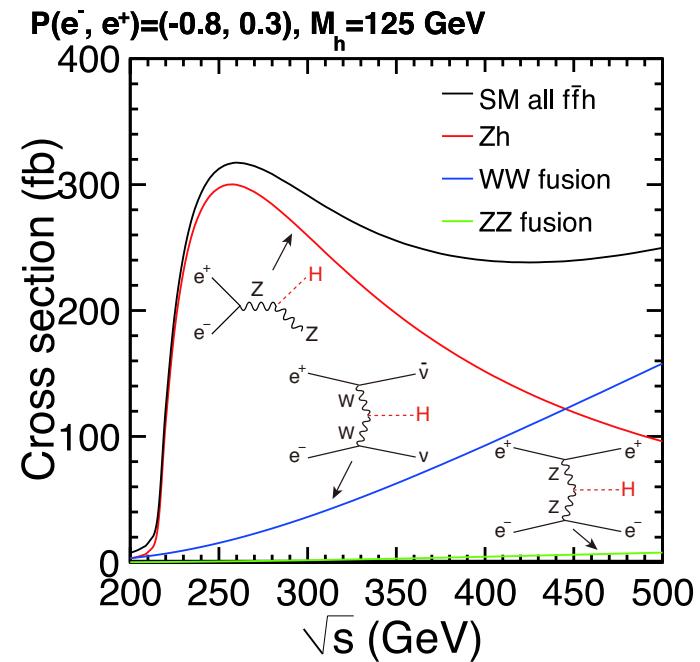
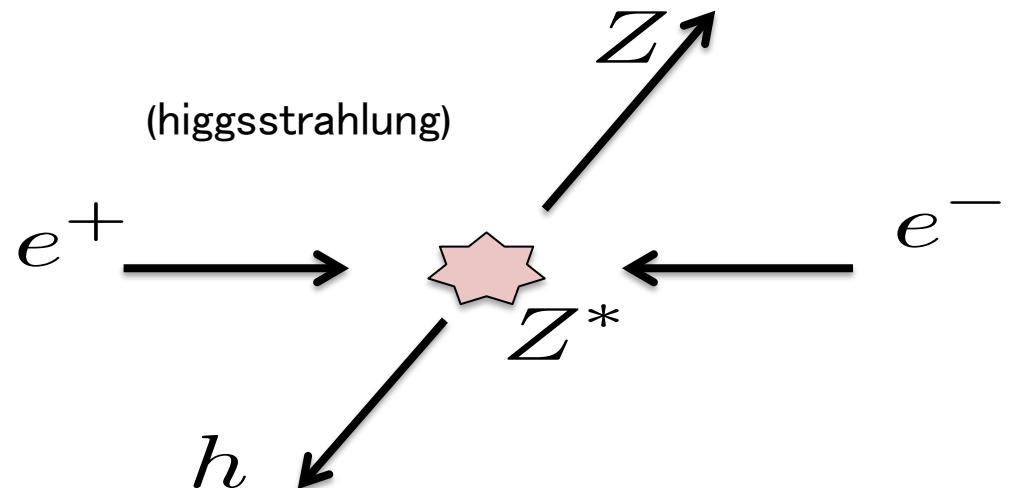


figure: ILCTDR, 1306.6352

Precision Higgs measurements

Projected sensitivities to various Higgs couplings at current & future colliders:

	current	HL-LHC	CEPC	ILC	FCC-ee	FCC-hh
hZZ	27%	7%	0.25%	0.25%	0.15%	-
$\Gamma(h \rightarrow \gamma\gamma)$	20%	8%	4%	-	1.5%	-
hhh	-	[-0.8 , 7.7] 95% CL	43%	27%	43%	10%

Assumptions & references:

hZZ current = 5 fb^{-1} at $\sqrt{s} = 7 \text{ TeV}$ & 20 fb^{-1} at 8 TeV (1606.02266)

hZZ @ HL-LHC = 3000 fb^{-1} at $\sqrt{s} = 14 \text{ TeV}$ (1307.7135, CMS)

hZZ @ CEPC = 5000 fb^{-1} at $\sqrt{s} = 250 \text{ GeV}$ (pre-CDR)

hZZ @ ILC = 2000 fb^{-1} at $\sqrt{s} = 250 \text{ GeV}$ (1506.05992)

hZZ @ FCC-ee = 2600 fb^{-1} at $\sqrt{s} = 250 \text{ GeV}$ (1601.0640)

hhh @ HL-LHC = 3000 fb^{-1} at $\sqrt{s} = 14 \text{ TeV}$ (ATL-PHYS-PUB-2017-001, hh->bb $\gamma\gamma$)

hhh @ ILC = 4000 fb^{-1} at $\sqrt{s} = 500 \text{ GeV}$ (1506.05992, e⁺e⁻>Zhh, hh->bbbb & bbWW)

hhh @ FCC-hh = 30000 fb^{-1} at $\sqrt{s} = 100 \text{ TeV}$ (1606.09408)

hhh @ CEPC/FCC-ee = 5000 fb^{-1} at $\sqrt{s} = 240 \text{ GeV}$ + 1700 fb^{-1} at $\sqrt{s} = 350 \text{ GeV}$ (1711.03978)

Time to reach design sensitivity depends on run plan (not yet determined).

New physics coupled to the Higgs

[Grojean, Servant, & Wells (2005)]

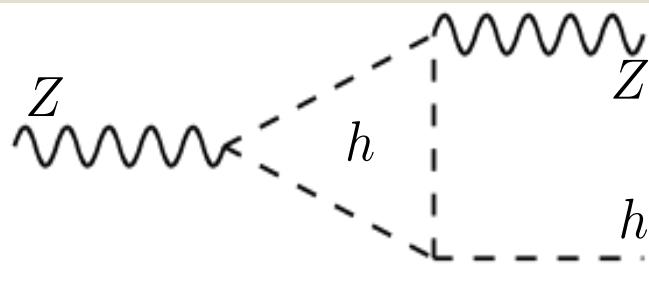
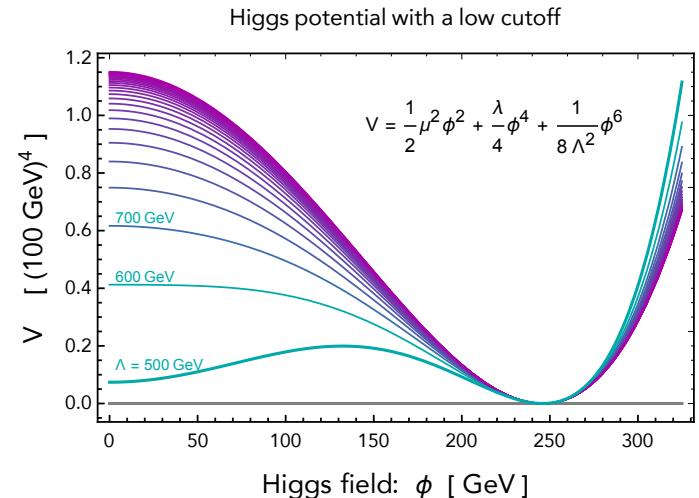
[Grinstein & Trott (2008)]

[Delaunay, Grojean, & Well (2008)]

Effective field theory description

Consider the SM with a low cutoff

$$-\mathcal{L} \supset \mu^2 H^\dagger H + \lambda(H^\dagger H)^2 + \Lambda^{-2}(H^\dagger H)^3$$



$$\delta g_{hhh} \equiv \frac{g_{hhh}}{g_{hhh}^{\text{SM}}} - 1 \simeq 70\% \left(\frac{\Lambda}{1 \text{ TeV}} \right)^{-2}$$

$$\delta g_{hZZ} \simeq 0.006 \delta g_{hhh} \simeq 0.4\% \left(\frac{\Lambda}{1 \text{ TeV}} \right)^{-2}$$

A low cutoff can be probed at CEPC through its effect on the hZZ coupling.

Simplified models (with a new scalar)

Let the SM be extended by a new scalar field

$$V_\Phi = m_0^2 |\Phi|^2 + \kappa |\Phi|^2 |H|^2 + \eta |H|^4$$

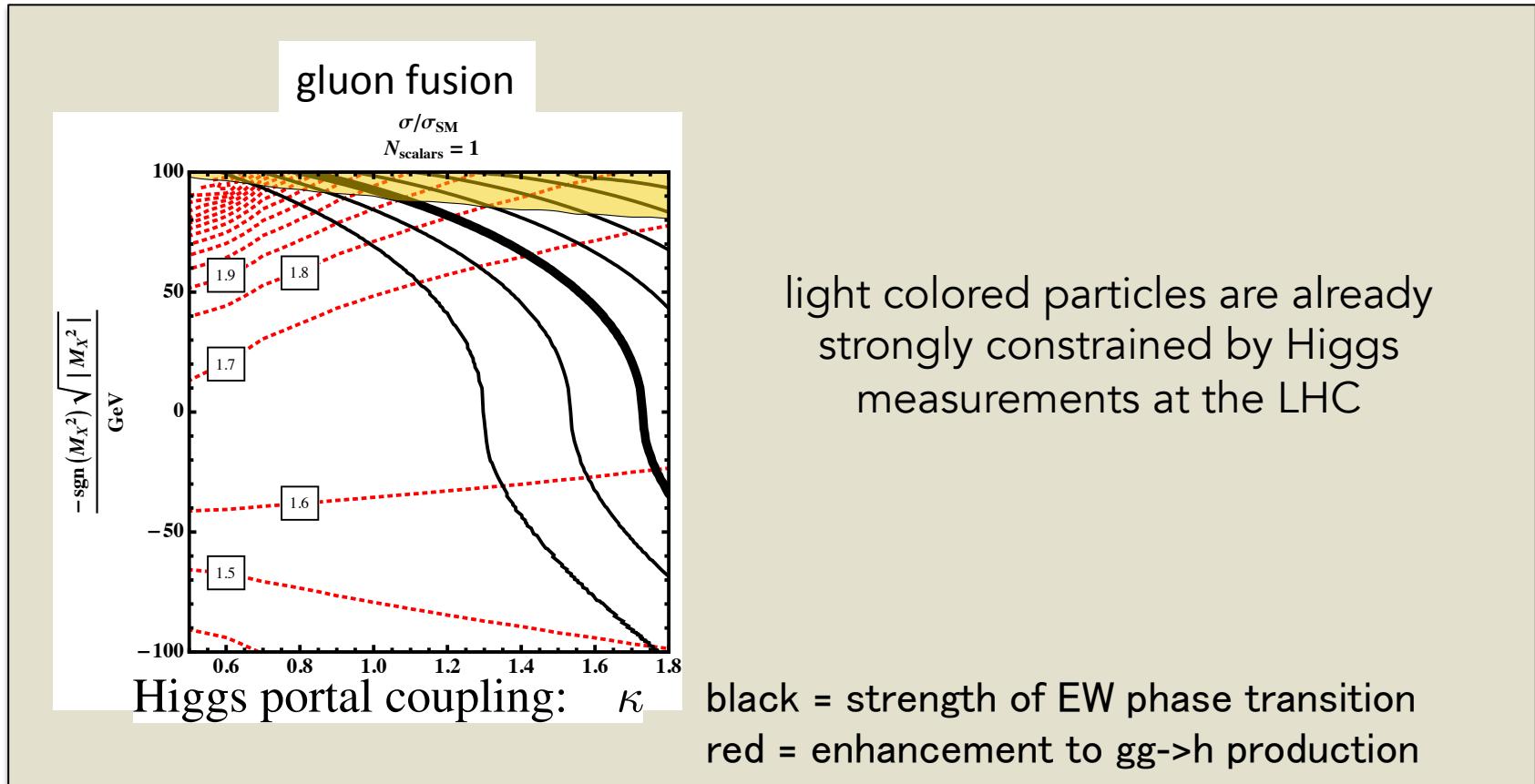
Model	$(SU(3), SU(2))_{U(1)}$	g_Φ	C_3	C_2	$\frac{\Pi_W}{g^2 T^2}$	$\frac{\Pi_B}{g'^2 T^2}$	$\frac{\Delta \Pi_h}{\kappa T^2}$
“RH stop”	$(\bar{3}, 1)_{-2/3}$	6	4/3	0	11/6	107/54	1/4
Exotic triplet	$(3, 1)_{-4/3}$	6	4/3	0	11/6	131/54	1/4
Exotic sextet	$(\bar{6}, 1)_{8/3}$	12	10/3	0	11/6	227/54	1/2
“LH stau”	$(1, 2)_{-1/2}$	4	0	3/4	2	23/12	1/6
“RH stau”	$(1, 1)_1$	2	0	0	11/6	13/6	1/12
Singlet	$(1, 1)_0$	2	0	0	11/6	11/6	1/12

The phase transition doesn't “care about” quantum numbers.
 → only depends on mass and couplings

(1) A colored scalar: strongly constrained

Let the SM be extended by a new scalar field

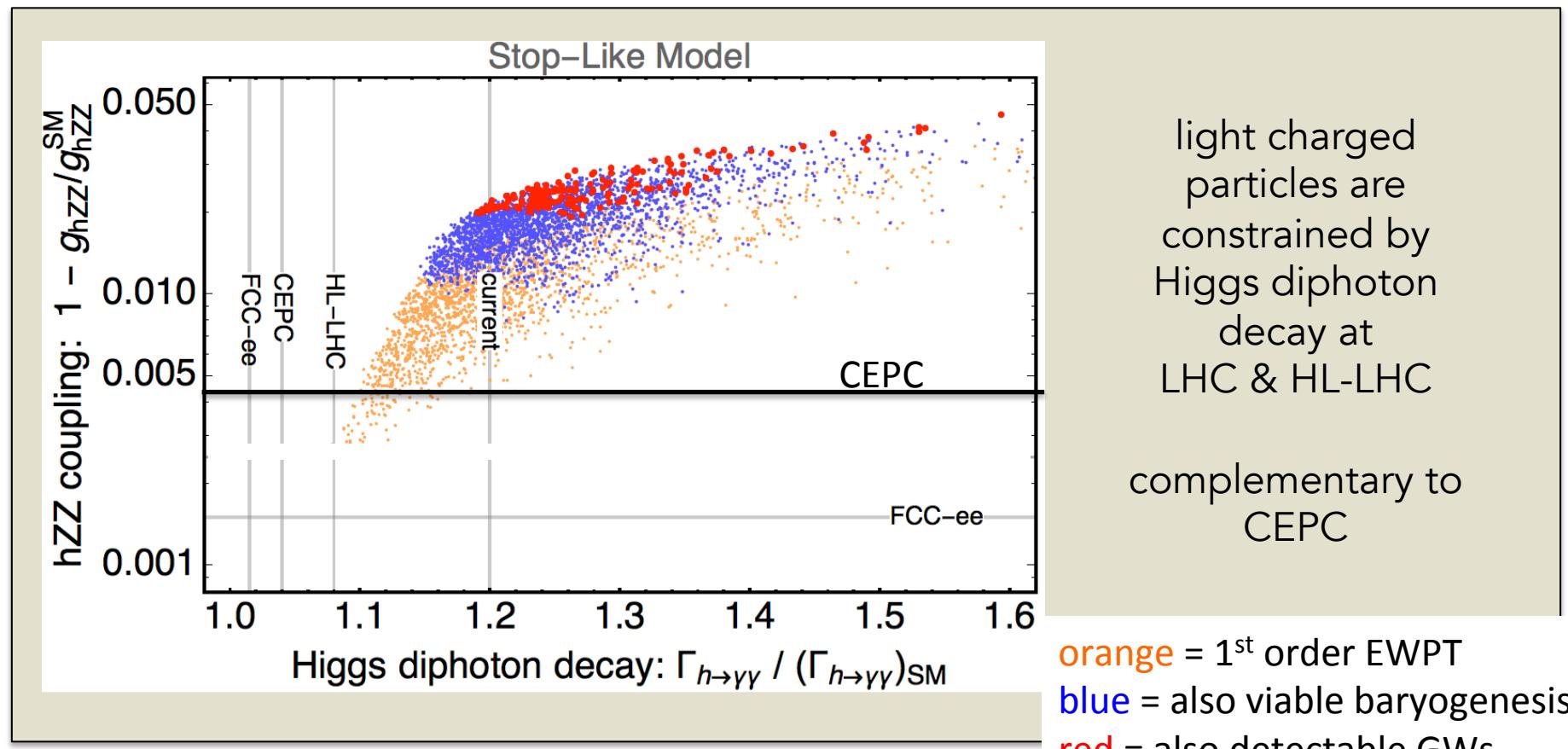
$$V_\Phi = m_0^2 |\Phi|^2 + \kappa |\Phi|^2 |H|^2 + \eta |H|^4 \quad \text{with} \quad \Phi \sim (\mathbf{3}, \mathbf{1}, 0)$$



(2) A charged scalar: tested at HL-LHC & CEPC

Let the SM be extended by a new scalar field

$$V_\Phi = m_0^2 |\Phi|^2 + \kappa |\Phi|^2 |H|^2 + \eta |H|^4 + \dots \quad \text{with} \quad \Phi \sim (\mathbf{1}, \mathbf{2}, q_Y)$$



(3) A singlet scalar: requires CEPC to test

Consider the theory:

SM + spin-0, colorless, uncharged particle (aka., real scalar singlet)

The new particle does not interact via the SM forces (strong, weak, EM)

- ➔ difficult to produce and detect at colliders
- ➔ (dark matter candidate if stable)

The new particle interacts with the Higgs boson

- ➔ induces 1st order phase transition
- ➔ affects Higgs couplings

Interactions:

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \frac{1}{2} (\partial \phi_s)^2 - \frac{m_s^2}{2} \phi_s^2 - \frac{a_s}{3} \phi_s^3 - \frac{\lambda_s}{4} \phi_s^4 - \lambda_{hs} H^\dagger H \phi_s^2 - 2a_{hs} H^\dagger H \phi_s$$

real scalar singlet

five model parameters

Higgs portal

Higgs-singlet mixing:

$$\langle H \rangle = (0, v/\sqrt{2}) \quad \text{and} \quad \langle \phi_s \rangle = v_s$$

$$\sin 2\theta = \frac{4v(a_{hs} + \lambda_{hs}v_s)}{M_h^2 - M_s^2}$$

hhh coupling (see e.g., Profumo, Ramsey-Musolf, Wainwright, & Winslow, 2014)

$$\begin{aligned}\lambda_3 \equiv g_{hhh} = & (6\lambda_h v) \cos^3 \theta + (6a_{hs} + 6\lambda_{hs} v_s) \sin \theta \cos^2 \theta \\ & + (6\lambda_{hs} v) \sin^2 \theta \cos \theta + (2a_s + 6\lambda_s v_s) \sin^3 \theta\end{aligned}$$

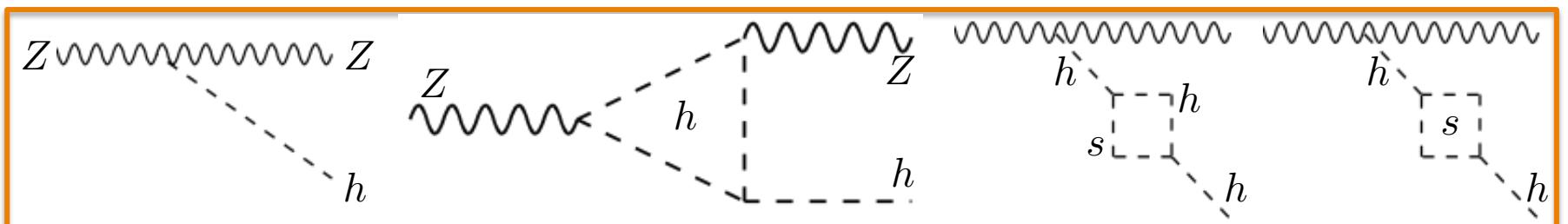
hZZ coupling (adapted from: Craig, Englert, & McCullough 2013; McCullough, 2014; Curtin, Meade, & Yu, 2014)

$$\frac{g_{hZZ}}{g_{hZZ,SM}} \approx \cos \theta + 0.006 \left(\frac{\lambda_3}{\lambda_{3,SM}} - 1 \right) - 2 \frac{|a_{hs} + \lambda_{hs} v_s|^2}{16\pi^2} I_B(M_h^2; M_h^2, M_s^2) - \frac{|\lambda_{hs}|^2 v^2}{16\pi^2} I_B(M_h^2; M_s^2, M_s^2).$$

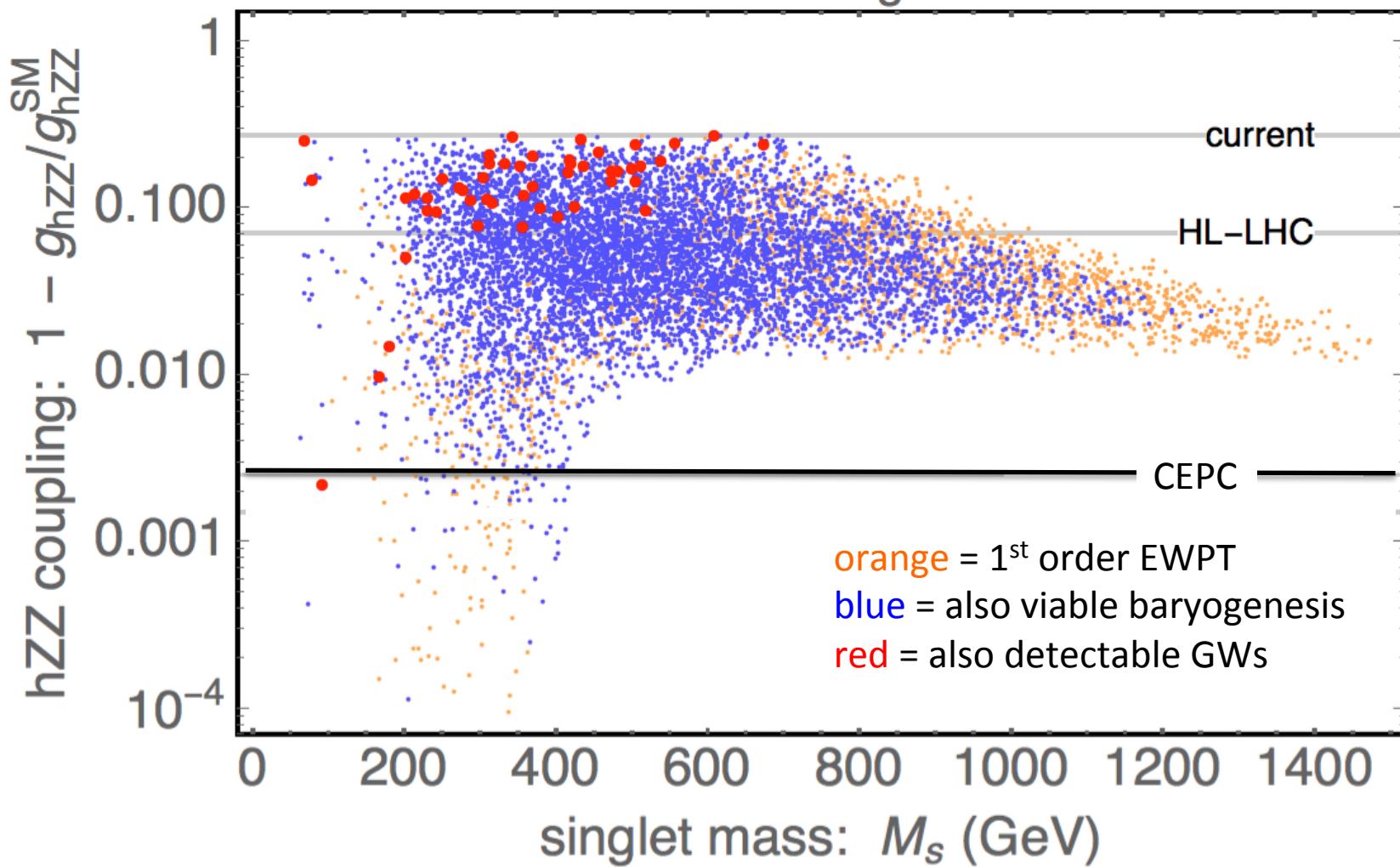
(leading effect is from mixing)

(triangle probes self-coupling)

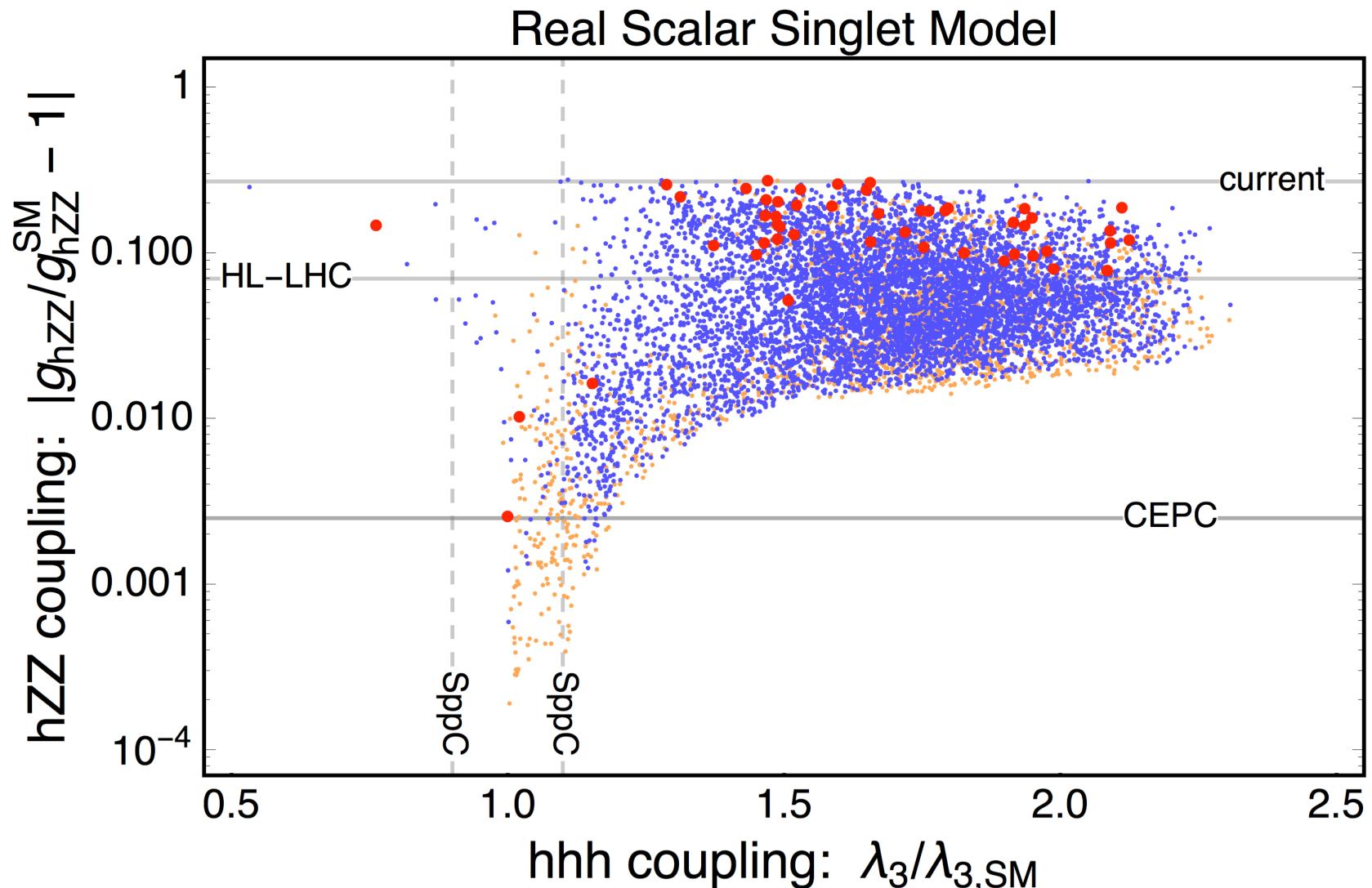
(Higgs wfcn. renorm.)



Real Scalar Singlet Model



even hZZ measurements alone are a powerful test of PT!

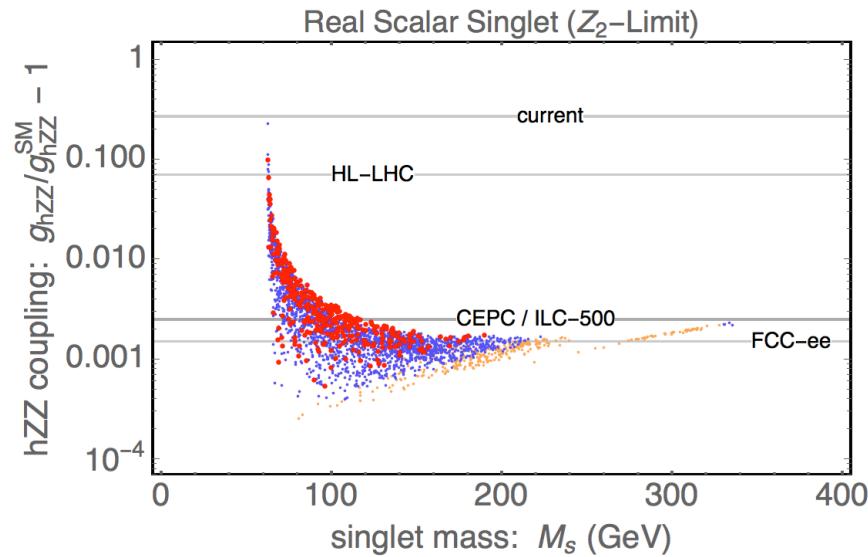


even hZZ measurements alone are a powerful test of PT!
 (including also hhh is better)

Poking into the dusty corners (of parameter space)

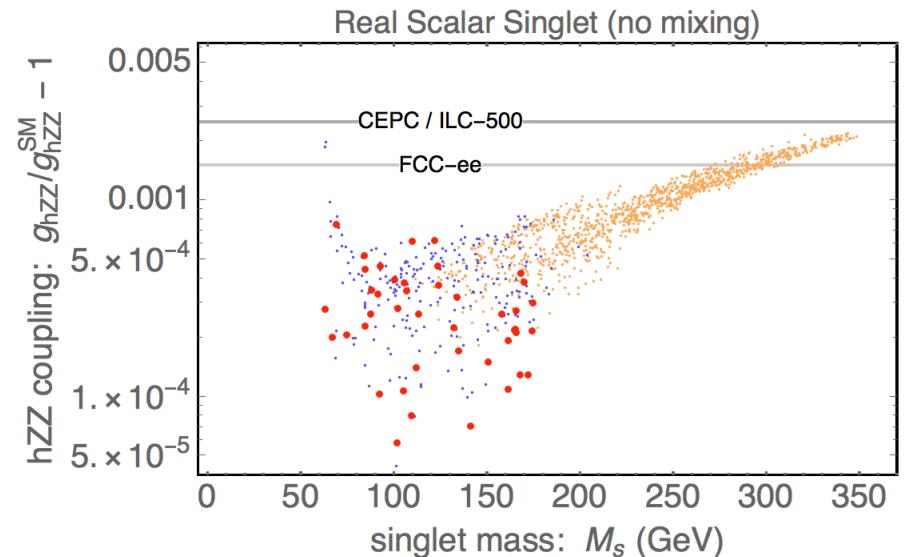
Z₂-Symmetric

$$a_s = a_{hs} = v_s = 0$$



Tuned Zero Mixing

$$a_{hs} + \lambda_{hs}v_s = 0$$

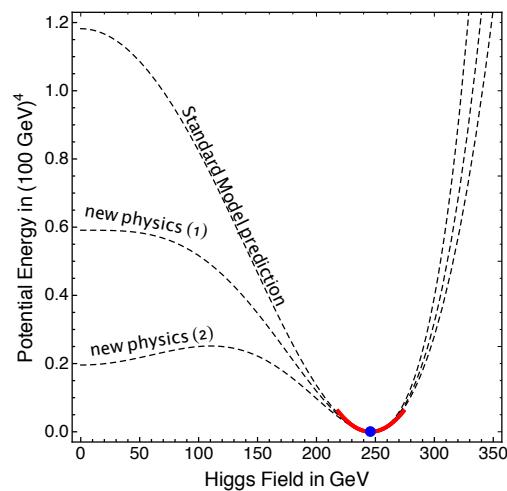
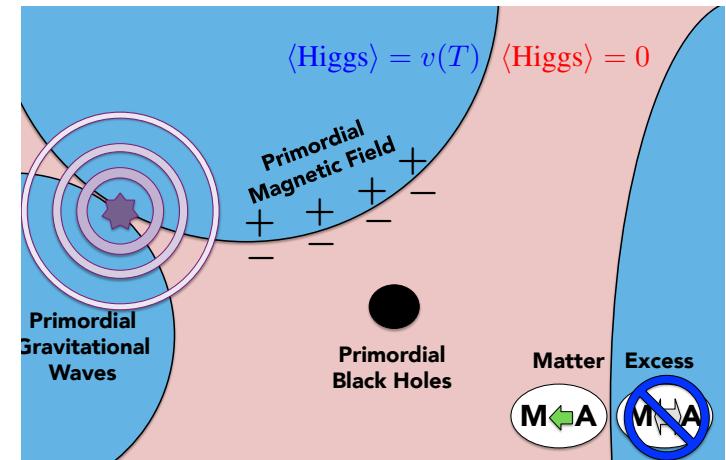


- aka, Z2xSM (Gonderinger, Li, Patel, Ramsey-Musolf)
- dubbed, “nightmare scenario” (Curtin, Meade, Yu)
- No Higgs-singlet mixing → hard to test.
- Singlet is stable. Dark matter candidate.

- A new “nightmare scenario” / “blind spot”
- Probed by non-resonant pair production $\text{pp} \rightarrow \text{ss}$ and $s \rightarrow \text{visible}$. (Chen, Kozaczuk, Lewis, 2017)

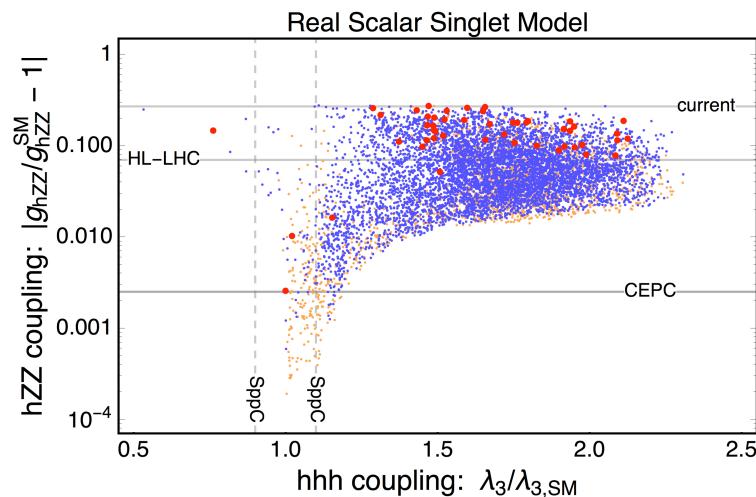
Conclusions

Cosmologists are asking:
What are the implications of the electroweak phase transition?



A Higgs factory like CEPC is ideally suited to probe the kind of new physics that leads to 1st order phase transition.

Particle physicists are asking:
Is there new physics coupled to the Higgs?



BACKUP SLIDES



(2) A charged scalar: tested at HL-LHC & CEPC

new particles: inert doublet + singlet

$$\begin{aligned}\tilde{Q} &\sim (\mathbf{1}, \mathbf{2}, 1/3) \times 3 \text{ flavor} & \langle \tilde{Q} \rangle &= (0, 0) \quad \text{and} \quad \langle \tilde{U} \rangle = 0 \\ \tilde{U} &\sim (\mathbf{1}, \mathbf{1}, 4/3) \times 3 \text{ flavor}\end{aligned}$$

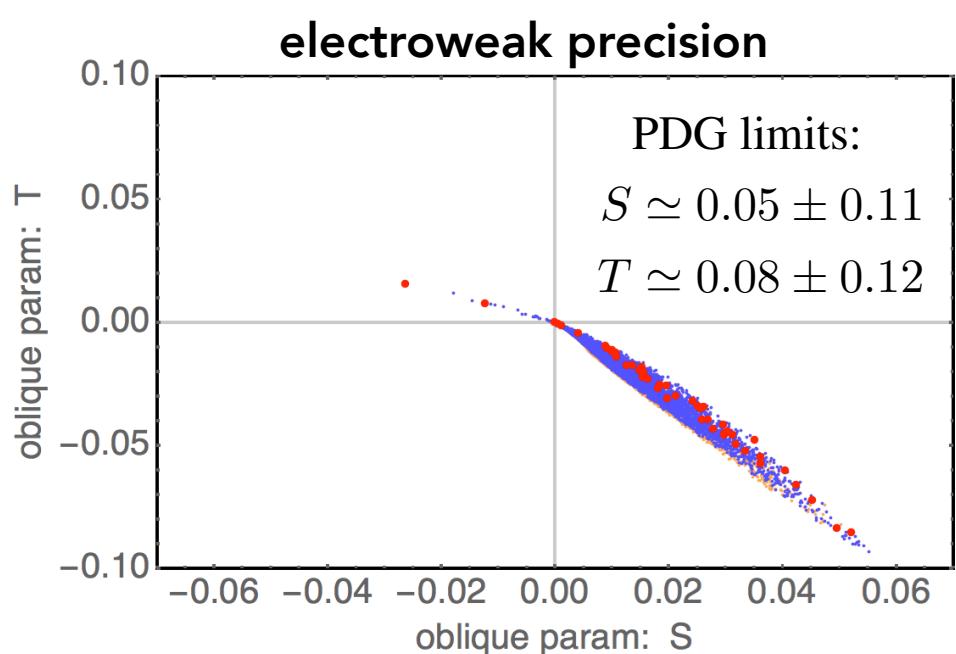
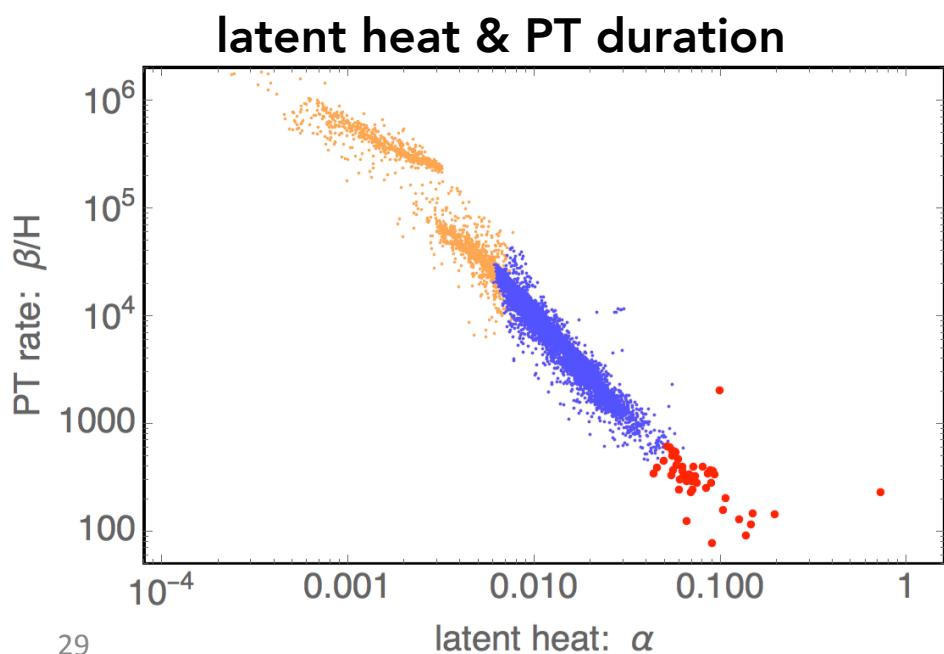
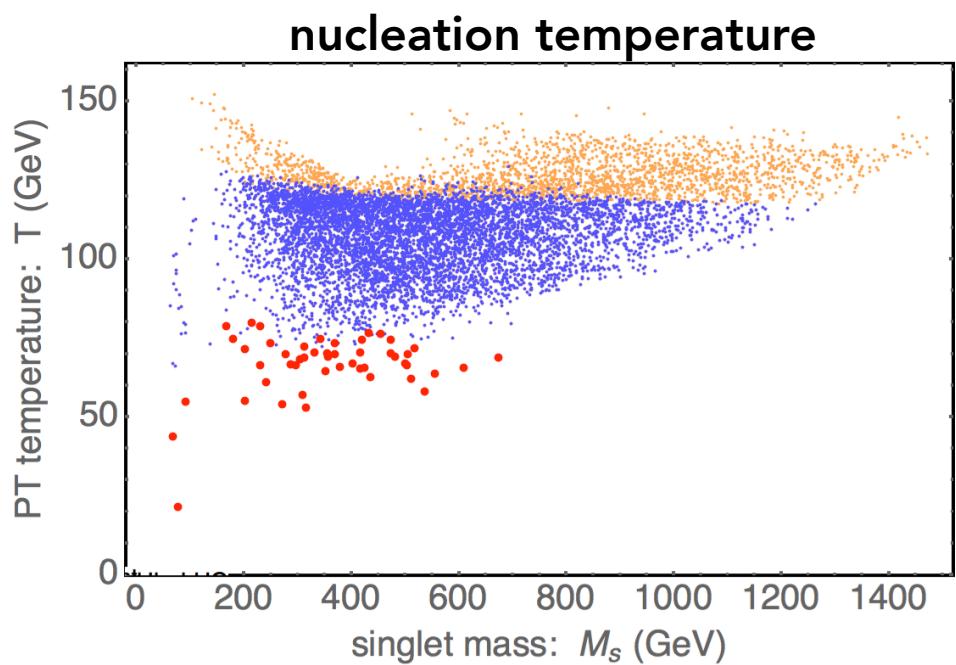
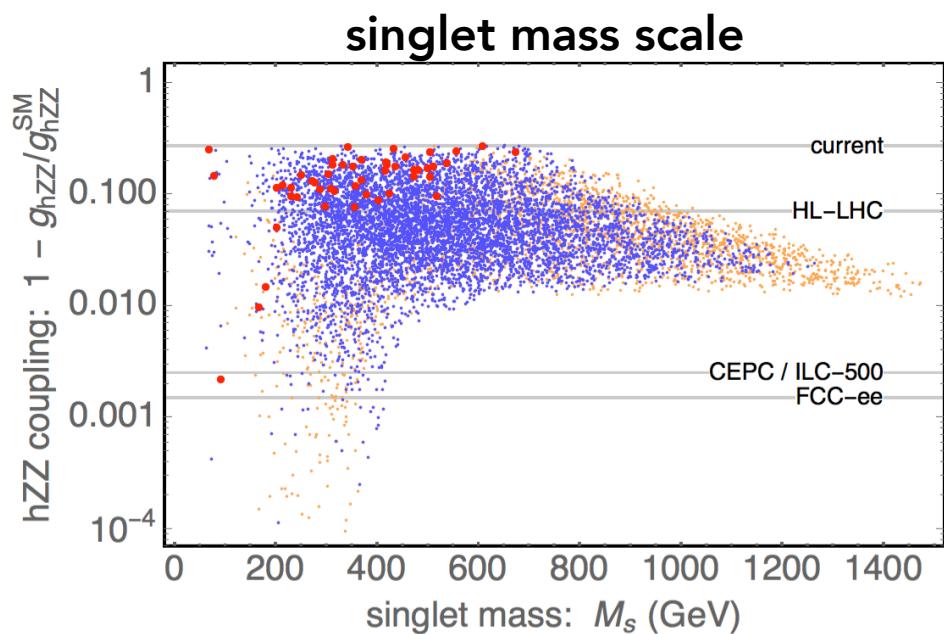
interactions

$$\begin{aligned}\mathcal{L} = \mathcal{L}_{\text{SM}} + & (D_\mu \tilde{Q})^\dagger (D^\mu \tilde{Q}) + (D_\mu \tilde{U})^* (D^\mu \tilde{U}) - [a_{hQU} \tilde{Q} \cdot H \tilde{U}^* + \text{h.c.}] \\ & - m_Q^2 \tilde{Q}^\dagger \tilde{Q} - m_U^2 \tilde{U}^* \tilde{U} - \lambda_Q (\tilde{Q}^\dagger \tilde{Q})^2 - \lambda_U (\tilde{U}^* \tilde{U})^2 \\ & - \lambda_{QU} (\tilde{Q}^\dagger \tilde{Q}) (\tilde{U}^* \tilde{U}) - \lambda_{hU} (H^\dagger H) (\tilde{U}^* \tilde{U}) \\ & - \lambda_{hQ} (H^\dagger H) (\tilde{Q}^\dagger \tilde{Q}) - \lambda'_{hQ} (\tilde{Q} \cdot H)^* (\tilde{Q} \cdot H) - \lambda''_{hQ} (\tilde{Q}^\dagger H)^* (\tilde{Q}^\dagger H)\end{aligned}$$

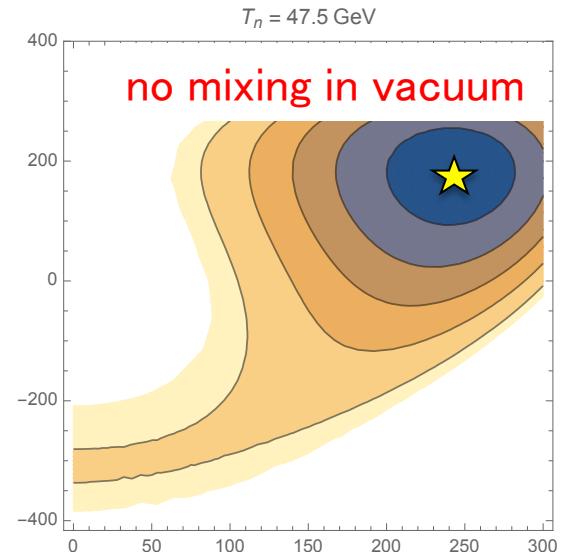
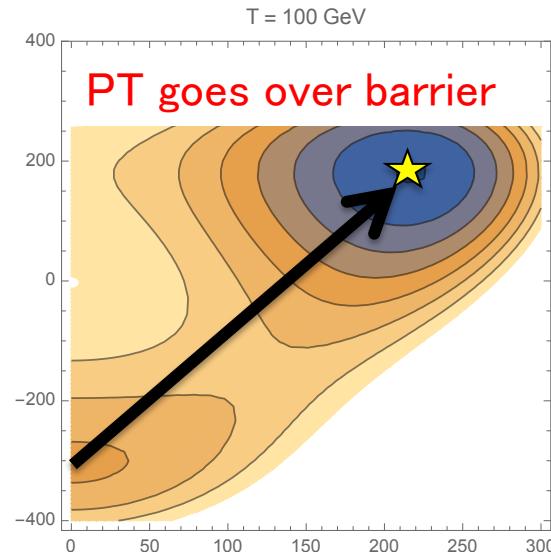
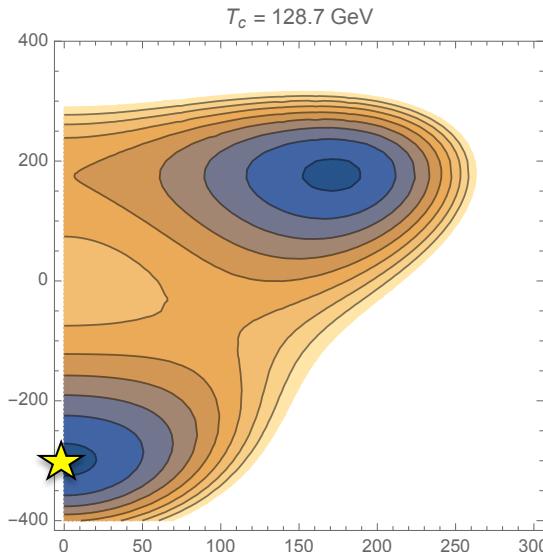
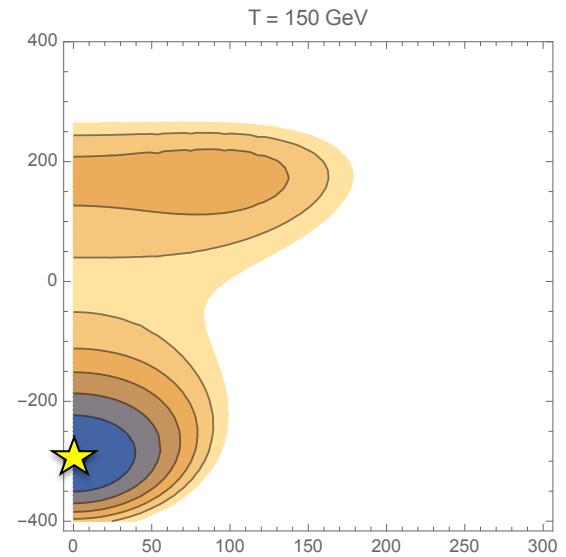
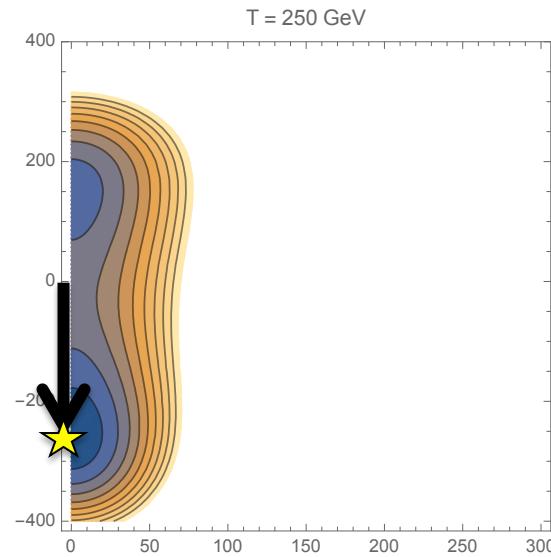
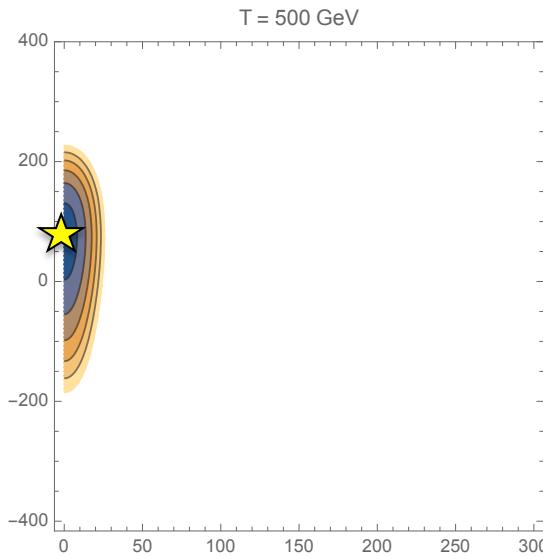
simplifying assumption

$$\lambda_Q = \lambda_U = \lambda_{QU} = \lambda_{hU} = \lambda_{hQ} = \lambda'_{hQ} = \lambda''_{hQ} \equiv \lambda$$

four model parameters



E.g., the “tuned zero mixing” limit



THE LAST SLIDE

