



# DELPHES Fast and Public Detector Simulation

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**CERN** 





#### Theorist answer:

A particle is an irreducible representation of the Poincare group ...

#### ON UNITARY REPRESENTATIONS OF THE INHOMOGENEOUS LORENTZ GROUP\*

By E. WIGNER

(Received December 22, 1937)

#### 1. Origin and Characterization of the Problem

It is perhaps the most fundamental principle of Quantum Mechanics that the system of states forms a linear manifold, in which a unitary scalar product is defined. The states are generally represented by wave functions in such a way that  $\varphi$  and constant multiples of  $\varphi$  represent the same physical state. It is possible, therefore, to normalize the wave function, i.e., to multiply it by a constant factor such that its scalar product with itself becomes 1. Then, only a constant factor of modulus 1, the so-called phase, will be left undetermined in the wave function. The linear character of the wave function is called the superposition principle. The square of the modulus of the unitary scalar product  $(\psi, \varphi)$  of two normalized wave functions  $\psi$  and  $\varphi$  is called the transition probability from the state  $\psi$  into  $\varphi$ , or conversely. This is supposed to give the probability that an experiment performed on a system in the state  $\varphi$ , to see whether or not the state is  $\psi$ , gives the result that it is  $\psi$ . If there are two or more different experiments to decide this (e.g., essentially the same experiment,





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#### **Experimentalist reaction:**

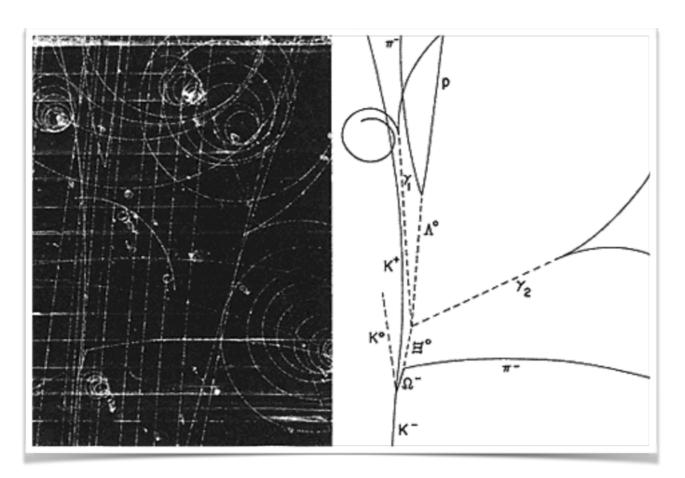






#### **Experimentalist answer:**

A particle is an object that interacts with your detector such that its track can be followed



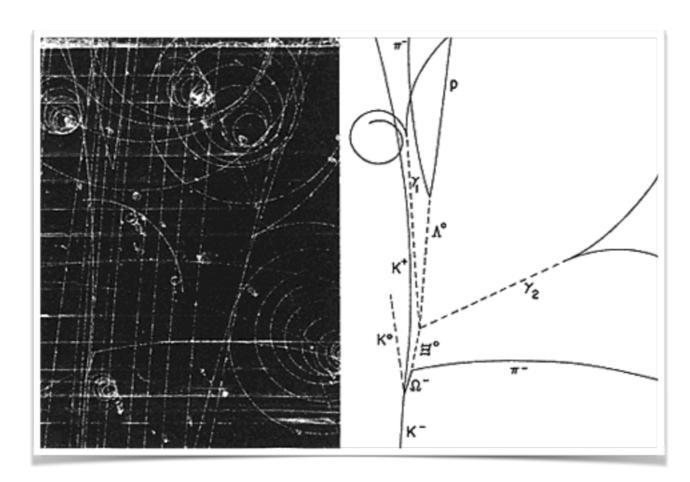
 $\Omega$ - discovery (1964)





#### **Experimentalist answer:**

A particle is an object that interacts with your detector such that its track can be followed



 $\Omega$ - discovery (1964)

#### Stable particles:

electrons, photons, protons, neutrinos, (neutrons)



# Un-(stable) particles?



Collider Detector size: L = 10 m

• 
$$\mu \rightarrow \tau = 10^{-6} \text{ s} \rightarrow L_{\text{decay}} = 1 \text{ km}$$

• 
$$\pi^{+/-}$$
  $\rightarrow$   $\tau = 10^{-8} \text{ s}$   $\rightarrow$  L<sub>decay</sub> = 10 m

• 
$$K^{+/-}$$
  $\rightarrow \tau = 5 \cdot 10^{-9} \text{ s}$   $\rightarrow L_{\text{decay}} = 5 \text{ m}$ 

• 
$$K^0 L \rightarrow \tau = 10^{-8} s \rightarrow L_{decay} = 15 m$$

• 
$$K^0_S$$
  $\rightarrow \tau = 10^{-11}_S$   $\rightarrow L_{decay} = 2 \text{ cm}$ 

• 
$$\tau^{+/-}$$
  $\rightarrow$   $\tau = 10^{-13} \text{ s}$   $\rightarrow$   $L_{decay} = 100 \ \mu \text{m}$ 

• B 
$$\rightarrow \tau = 5 \cdot 10^{-13} \text{ s} \rightarrow L_{\text{decay}} = 500 \, \mu\text{m}$$



## Un-(stable) particles in colliders?



Collider Detector size: L = 10 m

• 
$$\mu \rightarrow \tau = 10^{-6} \text{ s} \rightarrow L_{\text{decay}} = 1 \text{ km}$$

$$\pi^{+/-} \rightarrow \tau = 10^{-8} \text{ s} \rightarrow L_{decay} = 10 \text{ m}$$

• 
$$K^{+/-}$$
  $\rightarrow \tau = 5 \cdot 10^{-9} \text{ s}$   $\rightarrow L_{decay} = 5 \text{ m}$ 

• 
$$K^0L \rightarrow \tau = 10^{-8}s \rightarrow L_{decay} = 15 \text{ m}$$

Stable particles:

e, p, 
$$\gamma$$
,  $\mu$ ,  $\pi$ ,  $K^{+/-}$ ,  $K^{0}$ <sub>L</sub>,  $n$  ...

• 
$$K^0_S$$
  $\rightarrow \tau = 10^{-11}_S$   $\rightarrow L_{decay} = 2 \text{ cm}$ 

• 
$$\tau^{+/-}$$
  $\to$   $\tau = 10^{-13} \, \text{s}$   $\to$   $L_{decay} = 100 \, \mu \text{m}$   
• B  $\to$   $\tau = 5 \, 10^{-13} \, \text{s}$   $\to$   $L_{decay} = 500 \, \mu \text{m}$ 

• B 
$$\rightarrow \tau = 5 \cdot 10^{-13} \text{ s} \rightarrow L_{\text{decay}} = 500 \ \mu\text{m}$$

Vertex detectors:

give rise to displaced vertices

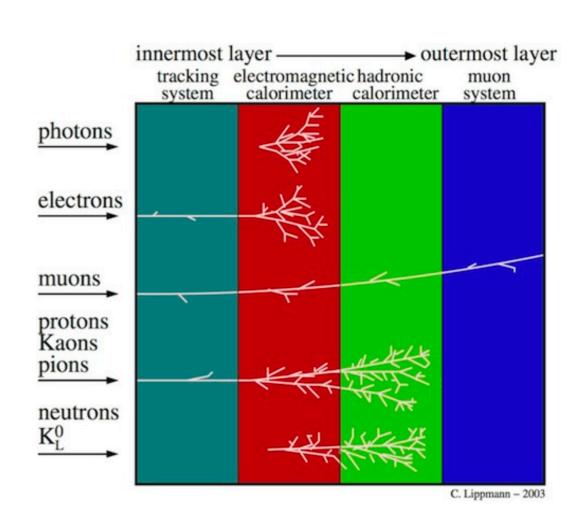


## Particle Detectors



# Particles are detected via their interaction with matter:

- electro-magnetic (e,  $\mu$ ,  $\gamma$ , p,  $\pi^{+/-}$ ,  $K^{+/-}$ )
  - charged particle ionisation loss
  - EM cascades (γ pair production + brehmstrahlung)
- strong (p, n, K)
  - hadronic shower
- weak (v) → negligible at colliders, gives missing energy



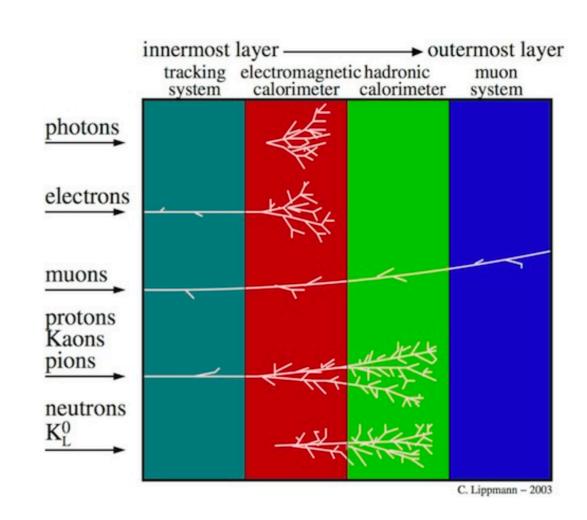


## Particle Detectors



#### • Trackers:

- Measures momenta of charged particles through curvature of trajectory inside magnetic field
- Calorimeters (EM, hadronic):
  - Measures total energy of particles by destroying it (scintillation light, ionisation loss)...



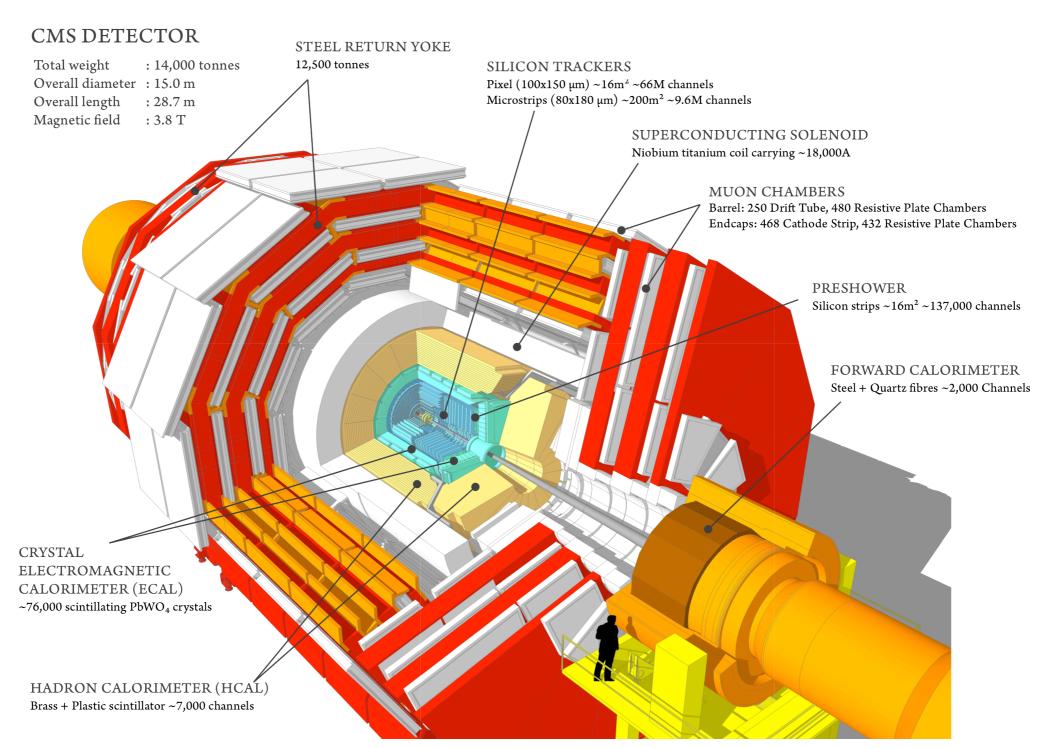
- These considerations tightly constrain the layout of a (collider) detector:
  - Tracker
  - EM calo
  - Hadronic calo
  - Muon chambers





## Particle Detector in real life

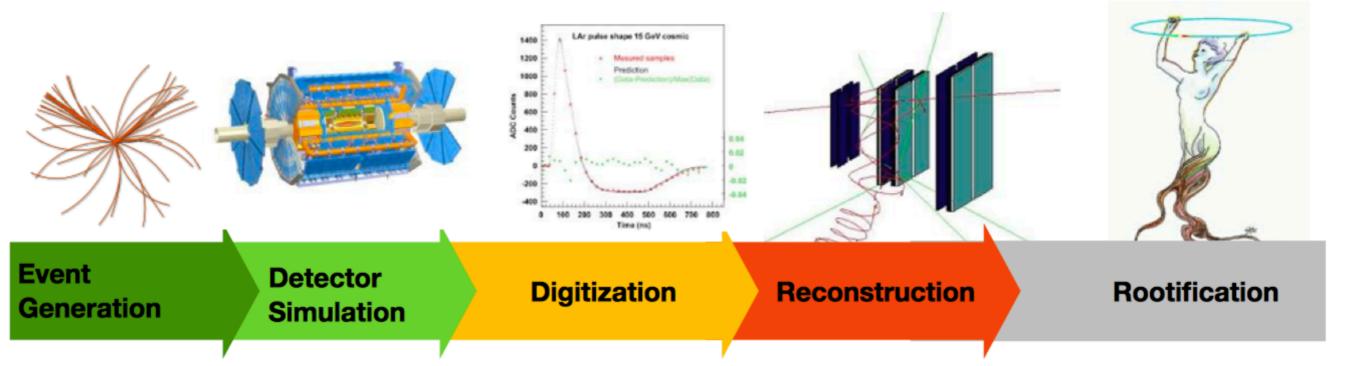






## MonteCarlo EvGen







## **Detector Simulation**

- Full simulation (GEANT):
  - simulates all particle-detector interaction (e.m/hadron showers, nuclear interaction, brem, conversions)
- Experiment Fast Simulation (ATLAS, CMS ..)
  - simplify geometry, smear at the level of detector hits, frozen showers

10-10<sup>2</sup> s/ev

- Parametric simulation (Delphes, PGS):
  - parameterise detector response at the particle level(efficiency, resolution on tracks, calorimeter objects)
  - reconstruct complex objects and observables (use particle-flow, jets, missing ET, pile-up ..)

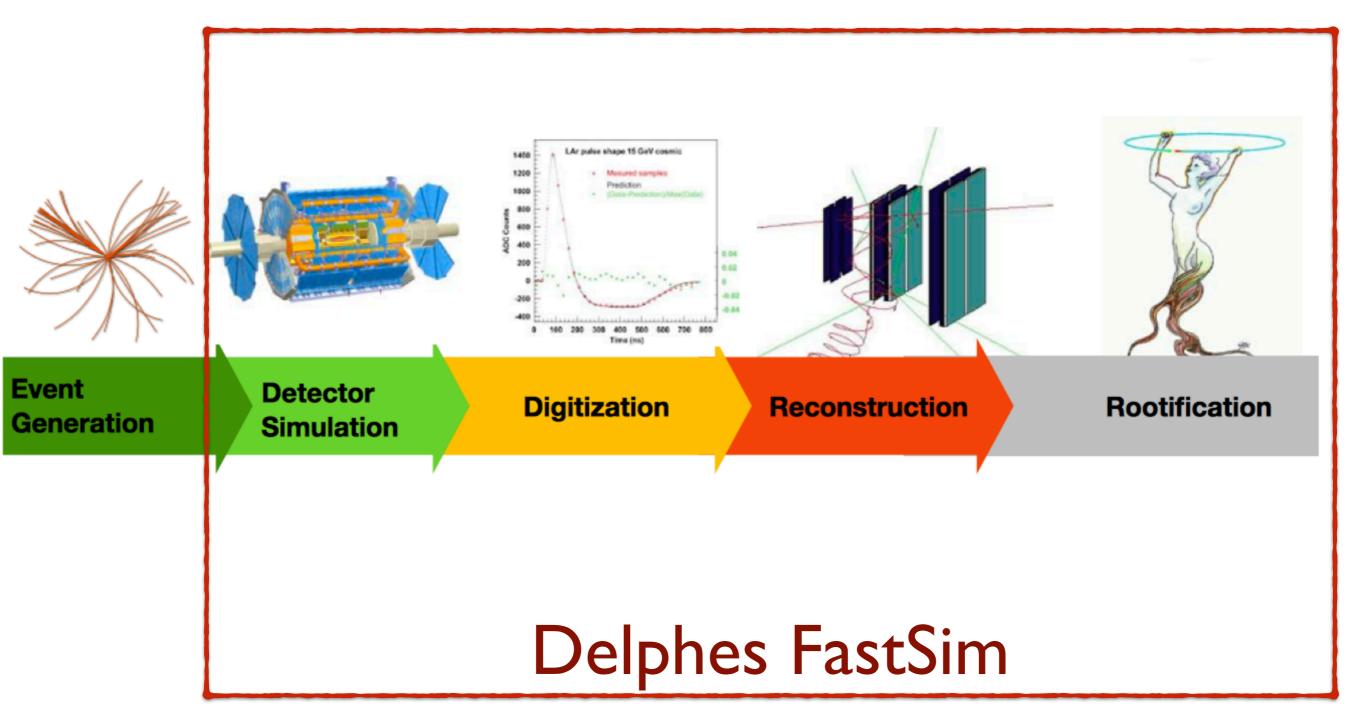
10-2 - 10-1 s/ev

- Ultra Fast (ATOM, TurboSim):
  - from parton to detector object (smearing/lookup tables)



# MonteCarlo EvGen



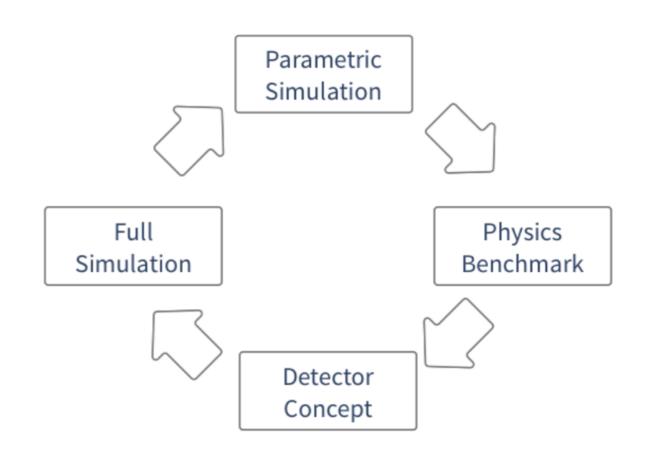




# Introductory remarks

Why fast parametric detector simulation?

- Easily scan detector parameters
- Reverse engineer detector that maximises performance
- Preliminary sensitivity studies for key physics benchmarks



→ paradigm adopted in the context of FCC studies



# What is Delphes?



- Delphes started in 2007 as a project for Fast Detector Simulation
- Delphes 3, released in 2013 is community based:
  - on gitHub, ticket system
  - several user proposed patches
  - docker, singularity image in <u>hepsim</u>
- Reference FastSim tool for pheno community, SnowMass, ECFA, FCC, CMS
- Dependencies:
  - gcc, tcl, ROOT
  - is shipped with FastJet

github: github.com/delphes

website: cp3.irmp.ucl.ac.be/projects/delphes



# Delphes in a nutshell



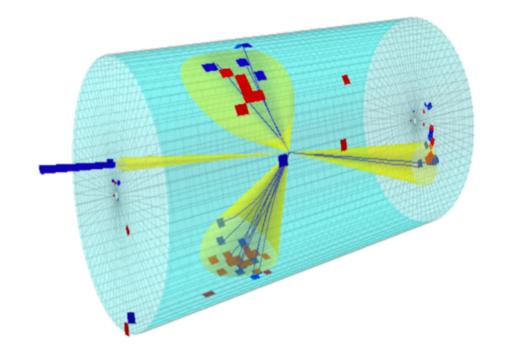
 Delphes is a modular framework that simulates the response of a multipurpos detector in a parameterised fashion

#### Includes:

- pile-up
- charged particle propagation in B field
- EM/Had calorimeters
- particle-flow

#### Provides:

- leptons, photons, neutral hadrons
- jets, missing energy
- heavy flavour tagging



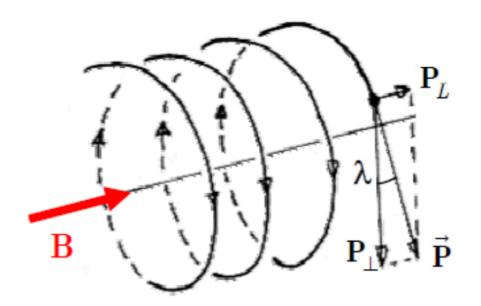
- designed to deal with hadronic environment
- well-suited also for e+e- studies
- detector cards for: CMS (current/PhaseII) ATLAS LHCb FCC-hh ILD CEPC



## Charged Particle parameterisation



- Charged and neutral particles are propagated in B field until they reach calorimeters
- Propagation parameters:
  - magnetic field B
  - Radius and half-length (R<sub>max</sub>, z<sub>max</sub>)
- Efficiency and resolution depends on:
  - particle ID (electron, muon or charged hadron)
  - particle 4-momentum

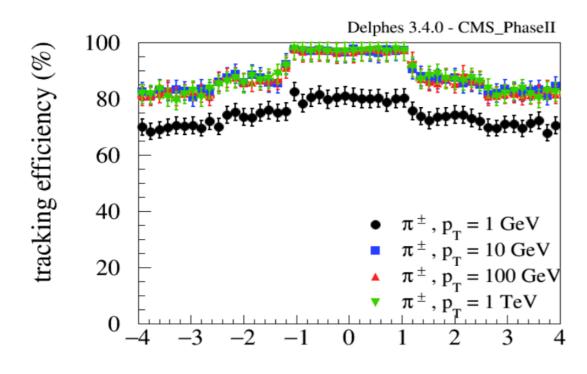


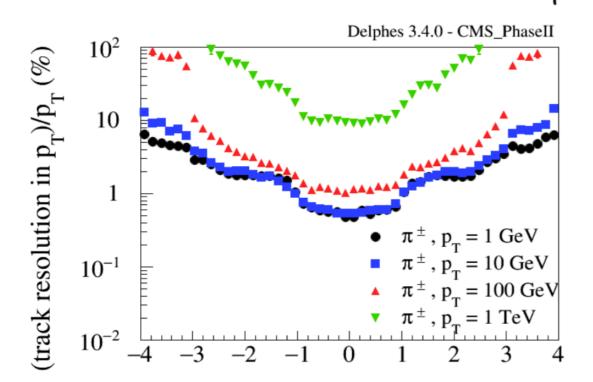




# Tracking parameterisation







```
# Charged hadron tracking efficiency
module Efficiency ChargedHadronTrackingEfficiency {
 ## particles after propagation
 set InputArray ParticlePropagator/chargedHadrons
 set OutputArray chargedHadrons
 # tracking efficiency formula for charged hadrons
 set EfficiencyFormula {
     (pt \le 0.2) * (0.00) + \
         (abs(eta) \le 1.2) * (pt > 0.2 \&\& pt \le 1.0) * (pt * 0.96) + \
         (abs(eta) \le 1.2) * (pt > 1.0) * (0.97) + 
         (abs(eta) > 1.2 \&\& abs(eta) <= 2.5) * (pt > 0.2 \&\& pt <= 1.0) * (pt*0.85) + \
         (abs(eta) > 1.2 && abs(eta) <= 2.5) * (pt > 1.0) * (0.87) + \setminus
         (abs(eta) > 2.5 \&\& abs(eta) <= 4.0) * (pt > 0.2 \&\& pt <= 1.0) * (pt*0.8) + \
         (abs(eta) > 2.5 \&\& abs(eta) <= 4.0) * (pt > 1.0) * (0.82) + \
         (abs(eta) > 4.0) * (0.00)
```



## Identification/ Fakes



- (Mis-)Identification maps can be defined both:
  - at the particle level (IdentificationMap)
  - at the jet level (JetFakeParticle)

```
# --- pions ---
add EfficiencyFormula {211} {211} {
                                         (eta <= 2.0)
                                                                                       *(0.00) +
                                         (eta > 2.0 && eta <= 5.0) *
                                                                            (pt < 0.8) * (0.00) +
                                         (eta > 2.0 && eta <= 5.0) *
                                                                            (pt >= 0.8)* (0.95) +
                                         (eta > 5.0)
                                                                                       * (0.00)}
add EfficiencyFormula {211} {-13} {
                                         (eta <= 2.0)
                                                                                     *(0.00) +
                                                                           (pt < 0.8) * (0.00) +
                                         (eta > 2.0 \& eta <= 5.0) *
                                         (eta > 2.0 && eta <= 5.0) *
                                                                           (pt >= 0.8)* (0.05 +
                                                                                                                   fake
                                                                                      * (0.00)}
                                         (eta > 5.0)
```



# Calorimetry

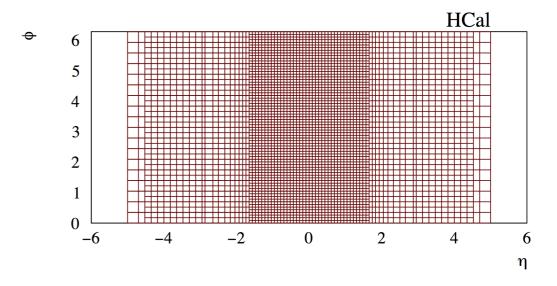


- ECAL/HCAL segmentation
   specified in (η,φ) coordinates
- Particles that reach calorimeters
   deposits fixed fraction of energy
   in f<sub>EM</sub> (f<sub>HAD</sub>) in ECAL(HCAL)

particles	f <sub>EM</sub>	f <sub>HAD</sub>
$e \gamma \pi^0$	1	0
Long-lived neutral hadrons ( $K^0_s$ , $\Lambda^0$ )	0.3	0.7
νμ	0	0
others	0	1

 Particle energy and position is smeared according to the calorimeter it reaches

$$\left(\frac{\sigma}{E}\right)^2 = \left(\frac{S(\eta)}{\sqrt{E}}\right)^2 + \left(\frac{N(\eta)}{E}\right)^2 + C(\eta)^2$$





## Particle-Flow



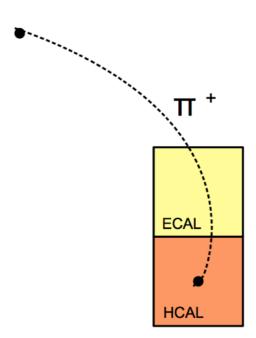
- Given charged track hitting calorimeter cell:
  - is deposit more compatible with charged only or charged + neutral hypothesis?
  - how to assign momenta to resulting components?
- We have two measurements ( $E_{trk}$ ,  $\sigma_{trk}$ ) and ( $E_{calo}$ ,  $\sigma_{calo}$ )
- Define E<sub>Neutral</sub> = E<sub>calo</sub> E<sub>trk</sub>

#### Algorithm:

- If  $E_{neutral}/\sqrt{(\sigma_{calo}^2 + \sigma_{trk}^2)} > S$ :
  - → create PF-neutral particle + PF-track
- Else:

create PF-track and rescale momentum by combined calo+trk estimate

- EM (had) deposit 100% in ECAL (HCAL)
- No propagation in calorimeters
- No clustering (topological) clustering, exploiting pre-defined grid

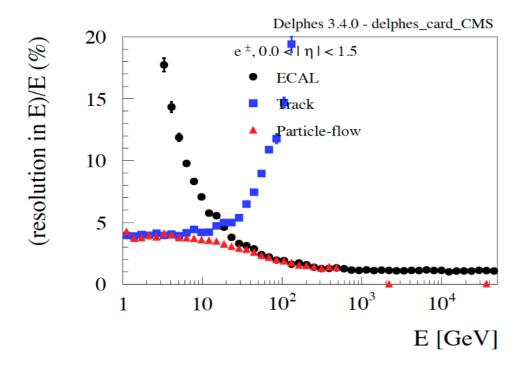


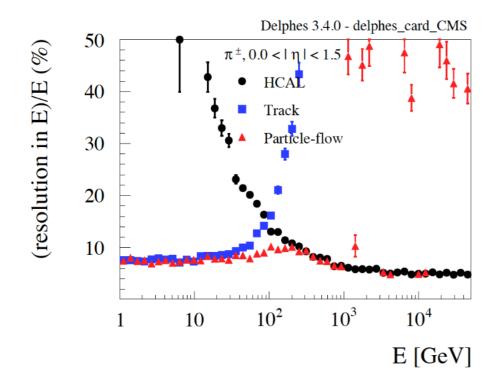


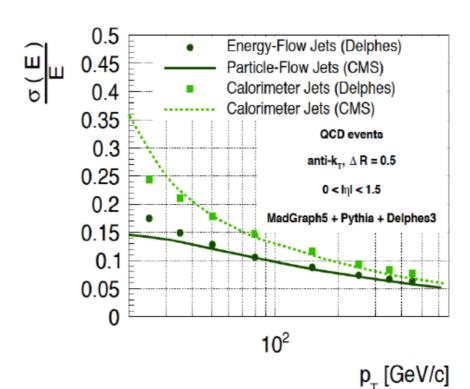


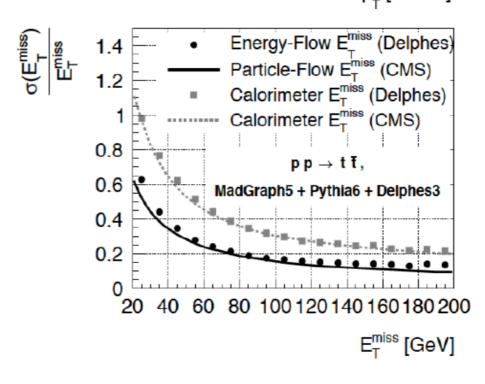
## Particle-Flow









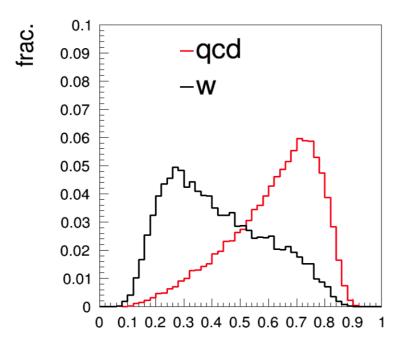




# Jets and Substructure



- FastJet performs jet clustering via the FastJetFinder module
- Most used Jet substructure algorithms are included (N-subjettiness, SoftDrop, Trimming, Pruning ...)
- Delphes can also be used as a library for producing detector 4-vector objects: tracks, calo-towers or particle-flow candidates (see info <u>here</u>)



```
############
# Jet finder
#############
module FastJetFinder FatJetFinder {
# set InputArray TowerMerger/towers
 set InputArray EFlowMerger/eflow
  set OutputArray jets
  set JetAlgorithm 5
  set ParameterR 0.8
 set ComputeNsubjettiness 1
  set Beta 1.0
  set AxisMode 4
  set ComputeTrimming 1
  set RTrim 0.2
  set PtFracTrim 0.05
  set ComputePruning 1
  set ZcutPrun 0.1
  set RcutPrun 0.5
  set RPrun 0.8
  set ComputeSoftDrop 1
  set BetaSoftDrop 0.0
  set SymmetryCutSoftDrop 0.1
 set R0SoftDrop 0.8
 set JetPTMin 200.0
```

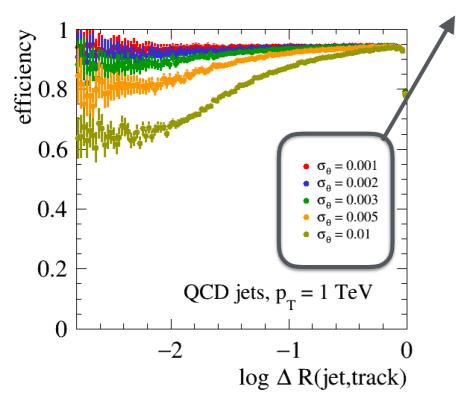


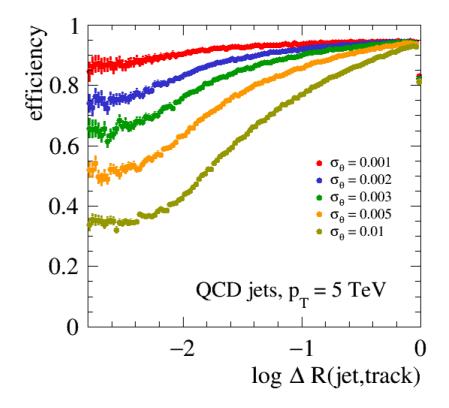


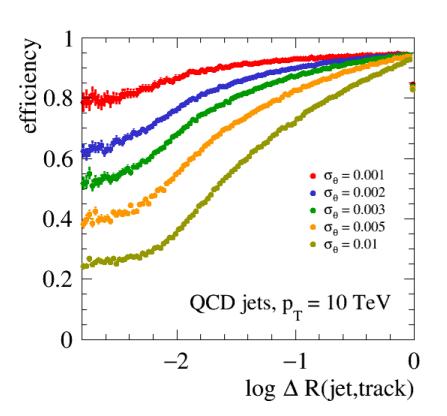
### Tracking in Dense environment (NEW!)

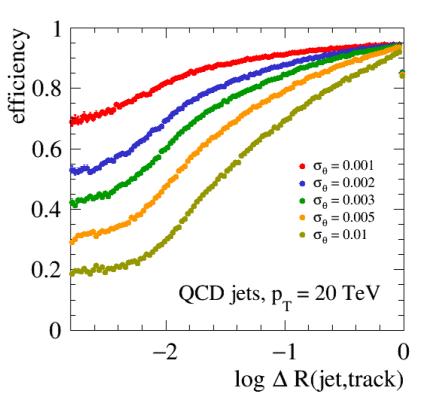


#### Instrinsic tracking angular resolution







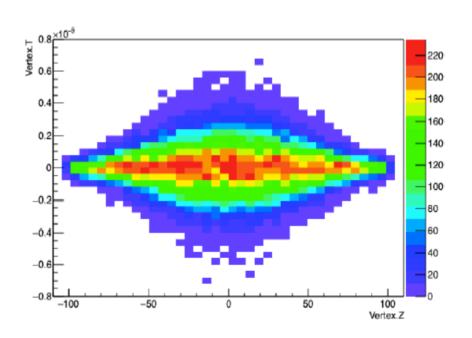


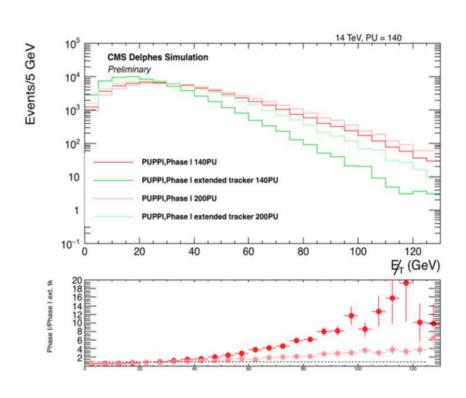


## Pile-up Simulation and Subtraction



- Pile-up can be mixed with hard event, with f(z,t) profile
- Charged Hadron Subtraction performed according to smearing longitudinal impact parameter
- Neutral Subtraction performed either with GridMedianEstimator, SoftKiller (FastJet) or PUPPI





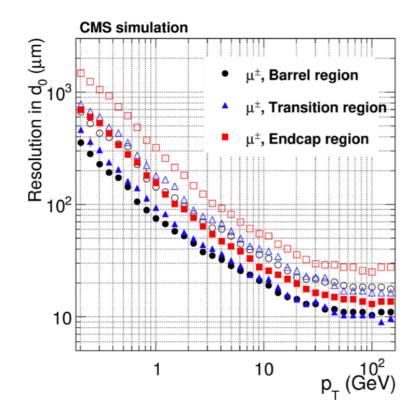


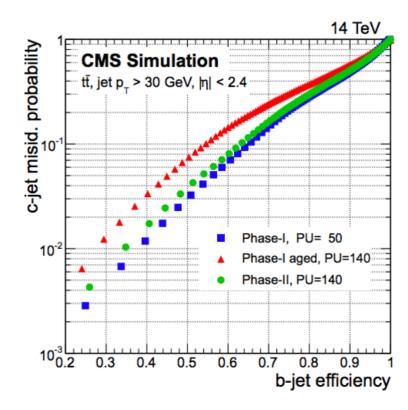


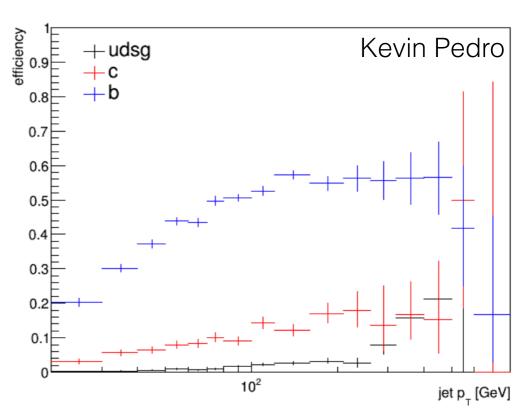
# Heavy flavour Flavor Tagging



- Parametric efficiencies and mis-identification rates (both for b and  $\tau$  tagging)
- Track Counting B-Tagging:
  - parameterise longitudinal and transverse impact parameter resolution
  - count number of tracks with significant displacement





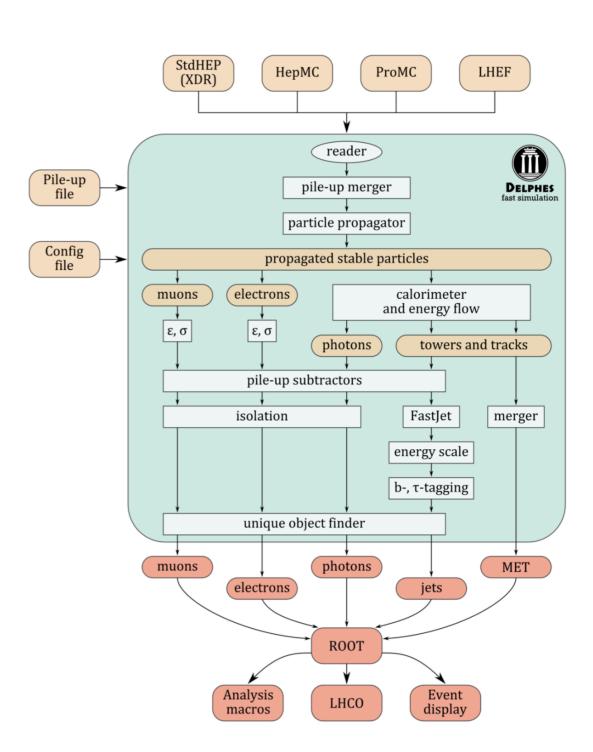




# Modularity



- The modular system allows the user to configure a detector a schedule modules via a configuration file (.tcl), add modules, change data flow, alter output information
- Modules communicate entirely via exchange of collections (vectors) of universal objects (TObjArray of Candidate, 4-vector-like objects)
- Any module can access TObjArrays produced by other modules.





#### Run



- Install ROOT from root.cern.ch
- Clone Delphes from github.com/delphes
- Run Delphes:
- > ./configure
- > make
- > ./DelphesHepMC [detector\_card] [output] [input(s)]
- Input formats: STDHEP, HepMC, ProMC, Pythia8
- Output: ROOT Tree





- Delphes configuration file is based on tcl scripting language
- This is where the detector parameters, the data-flow and the output content delphes root tree content are defined.
- Delphes provides tuned configurations for most existing detectors:
  - ATLAS, CMS, ILD, FCC, CEPC ...

The order of execution of the various modules is configured in the execution path (usually defined at the beginning of the card):

```
set ExecutionPath {
    ParticlePropagator
    TrackEfficiency
    ...
    Calorimeter
    ...
    TreeWriter
}
```





```
module FastJetFinder FastJetFinder {
  set InputArray EFlowMerger/eflow
  set OutputArray jets
  # algorithm: 1 CDFJetClu, 2 MidPoint, 3 SIScone, 4 kt, 5 Cambridge/Aachen, 6 antikt
  set JetAlgorithm 5
  set ParameterR 0.8
  set ComputeNsubjettiness 1
  set Beta 1.0
  set AxisMode 4
  set ComputeTrimming 1
  set RTrim 0.2
  set PtFracTrim 0.05
  set ComputePruning 1
  set ZcutPrun 0.1
  set RcutPrun 0.5
  set RPrun 0.8
  set ComputeSoftDrop 1
  set BetaSoftDrop 0.0
  set SymmetryCutSoftDrop 0.1
  set R0SoftDrop 0.8
  set JetPTMin 20.0
}
```





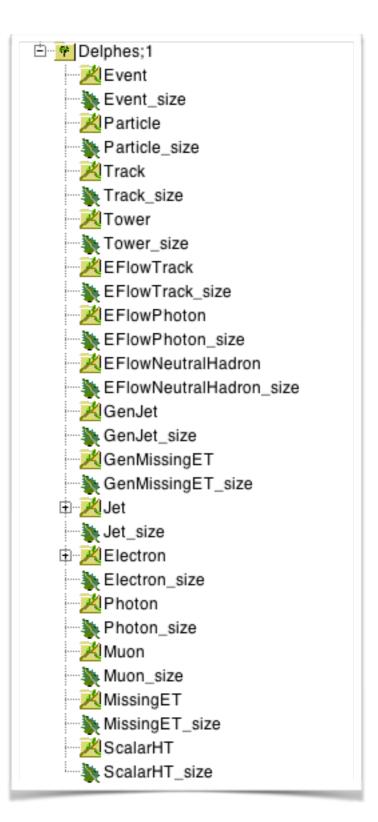
```
module Calorimeter Calorimeter {
         set ParticleInputArray ParticlePropagator/stableParticles
                                                                                                                                                                                                                                                                                                            input(s) candidates
         set TrackInputArray TrackMerger/tracks
        set TowerOutputArray towers
         set PhotonOutputArray photons
                                                                                                                                                                                                                                                                                                              output(s) candidates
         set EFlowTrackOutputArray eflowTracks
         set EFlowPhotonOutputArray eflowPhotons
         set EFlowNeutralHadronOutputArray eflowNeutralHadrons
         # 10 degrees towers
          set PhiBins {}
         for {set i -18} {$i <= 18} {incr i} {
                   add PhiBins [expr \{\$i * \$pi/18.0\}]
         foreach eta {-3.2 -2.5 -2.4 -2.3 -2.2 -2.1 -2 -1.9 -1.8 -1.7 -1.6 -1.5 -1.4 -1.3 -1.2 -1.1 -1 -0.9 -0.8
-0.7 -0.6 -0.5 -0.4 -0.3 -0.2 -0.1 0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9 1 1.1 1.2 1.3 1.4 1.5 1.6 1.7 1.8
1.9 2 2.1 2.2 2.3 2.4 2.5 2.6 3.3} {
                   add EtaPhiBins $eta $PhiBins
         set ECalResolutionFormula {
                                                         (abs(eta) \le 1.5) * (1+0.64*eta^2) * sqrt(energy^2*0.008^2 + energy*0.11^2 + 0.40^2) +
                                                         (abs(eta) > 1.5 \&\& abs(eta) <= 2.5) * (2.16 + 5.6*(abs(eta)-2)^2) * sqrt(energy^2*0.008^2 + 1.5 \&\& abs(eta) <= 2.5) * (2.16 + 5.6*(abs(eta)-2)^2) * sqrt(energy^2*0.008^2 + 1.5 \&\& abs(eta) <= 2.5) * (2.16 + 5.6*(abs(eta)-2)^2) * sqrt(energy^2*0.008^2 + 1.5 \&\& abs(eta) <= 2.5) * (2.16 + 5.6*(abs(eta)-2)^2) * sqrt(energy^2*0.008^2 + 1.5 \&\& abs(eta) <= 2.5) * (2.16 + 5.6*(abs(eta)-2)^2) * sqrt(energy^2*0.008^2 + 1.5 \&\& abs(eta) <= 2.5) * (2.16 + 5.6*(abs(eta)-2)^2) * sqrt(energy^2*0.008^2 + 1.5 \&\& abs(eta) <= 2.5) * (2.16 + 5.6*(abs(eta)-2)^2) * sqrt(energy^2*0.008^2 + 1.5 \&\& abs(eta) <= 2.5) * (2.16 + 5.6*(abs(eta)-2)^2) * sqrt(energy^2*0.008^2 + 1.5 \&\& abs(eta) <= 2.5) * (2.16 + 5.6*(abs(eta)-2)^2) * sqrt(energy^2*0.008^2 + 1.5 \&\& abs(eta) <= 2.5) * (2.16 + 5.6*(abs(eta)-2)^2) * sqrt(energy^2*0.008^2 + 1.5 \&\& abs(eta) <= 2.5) * (2.16 + 5.6*(abs(eta)-2)^2) * sqrt(energy^2*0.008^2 + 1.5 \&\& abs(eta) <= 2.5) * (2.16 + 5.6*(abs(eta)-2)^2) * (2.16 + 5.6*(abs
energy*0.11^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.40^2 + 0.4
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                               13
                                                         (abs(eta) > 2.5 \& abs(eta) <= 5.0) * sqrt(energy^2*0.107^2 + energy*2.08^2)
```





# Output collections are configured in the TreeWriter module

```
module TreeWriter TreeWriter {
# add Branch InputArray BranchName BranchClass
  add Branch Delphes/allParticles Particle GenParticle
  add Branch TrackMerger/tracks Track Track
  add Branch Calorimeter/towers Tower Tower
  add Branch Calorimeter/eflowTracks EFlowTrack Track
  add Branch Calorimeter/eflowPhotons EFlowPhoton Tower
  add Branch Calorimeter/eflowNeutralHadrons EFlowNeutralHadron Tower
  add Branch GenJetFinder/jets GenJet Jet
  add Branch GenMissingET/momentum GenMissingET MissingET
  add Branch UniqueObjectFinder/jets Jet Jet
  add Branch UniqueObjectFinder/electrons Electron Electron
  add Branch UniqueObjectFinder/photons Photon Photon
  add Branch UniqueObjectFinder/muons Muon Muon
  add Branch MissingET/momentum MissingET MissingET
  add Branch ScalarHT/energy ScalarHT ScalarHT
```





# Conclusion



- Delphes provides a simple, highly modular framework for performing fast detector simulation
- Integrated in MG5 suite and in the FCCSW framework
- Includes:
  - efficiency/ identification/ fake-rate maps
  - Tracking/Calorimeter smearing and Particle-Flow
  - Jet clustering (with FastJet) and jet substructure
  - pile-up simulation and modern PU subtraction techniques

- Can be used and configured for:
  - quick phenomenological studies
  - as an alternative for full-sim if accurately tuned



# TUTORIAL

Make sure your have properly installed ROOT, Pythia8 and Delphes and compiled Delphes with Pythia8 as showed here:

https://cp3.irmp.ucl.ac.be/projects/delphes/wiki/ WorkBook/Pythia8

#### Tutorial:

https://cp3.irmp.ucl.ac.be/projects/delphes/wiki/WorkBook/ Tutorials/Hefei