^{& highlights} 21cm limits on (the energy injection of) dark matter and primordial black holes

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What does 21cm tell us...

- The cosmological reionization history (mean temperature)
- Distribution of neutral Hydrogen gas (temperature map & power spectrum) at high reshift (~ reionization epoch, 10<z<30) & late time (post-reionization, z<1 galactic gas)

Reionization in the `standard' astrophysics





The average `brightness temperature',

ignoring over-density and comoving velocity gradients

$$T_{21} \approx 0.023 \text{K} \cdot x_{\text{H}_{\text{I}}}(z) \left(\frac{0.15}{\Omega_{\text{m}}} \cdot \frac{1+z}{10}\right)^{\frac{1}{2}} \frac{\Omega_{\text{b}}h}{0.02} \left(1 - \frac{T_{\text{CMB}}}{T_{\text{S}}}\right)$$

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First claim of observation: The EDGES 21cm result

J. D. Bowman, A. E. E. Rogers, R. A. Monsalve, T. J. Mozdzen, and N. Mahesh, Nature 555, 67 (2018).



Figure 2 | Best-fitting 21-cm absorption profiles for each hardware case.

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Figure 2 | Best-fitting 21-cm absorption profiles for each hardware case.

The dark matter connection

- Dark matter can cool down T_G via collision
- Barkana, et.al. : A millicharged DM with $\sigma \sim v^{-4}$
- Dark matter can affect T_s via SD scattering
- Non-CDM affects the 21cm temperature & power spectrum M. Sitwell, et.al, MNRAS, 438, 2664
- Dark matter, or black holes, can indirectly ruin the 21cm signal if they have emissions, and ...

G. D'Amico, et.al., 1803.03629 (DM annilihation)
S. Clark, et.al. 1803.09390 (DM decay & PBH rad.)
K. Cheung, et.al, 1803.09398 (DM annihilation)
A. Hektor, et.al, 1803.09697 (PBH accretion)
T. Slatyer, C.-L. Wu, 1803.09734 (DM ann. & decay)

• enhance ionized fraction of gas, affect CMB propagation

T. Slatyer, 1506.03811T. Slatyer and C.-L. Wu, 1610.06933.S. Clark, et.al. 1612.07738



Dark matter as an explanation to the EDGES data

 10^{-35}

ionized fraction $\Omega_{\gamma} = 1\% \cdot \Omega_{DM}$

Cooling H₁ gas needs a very large scattering cross-section need to avoid constraint from direct detection



Millicharged DM $\mathop{\rm med}\limits^{m_{\chi}\,[{\rm MeV}]}$ to be at percent level abundance, and $\mathop{\rm relic}\limits^{m_{\chi}\,[{\rm MeV}]}$ requires alternative annihiliation / depletion procecess A.Berlin, et.al. 1803.02804

A few non-DM scenarios: Earlier T_{G} - T_{CMB} decoupling

Charge sequestration:

A. Falkowski, K. Petraki, 1803.10096 A negatively charged (- ϵ), stable particle to replace some electrons in the Universe * reduces x_e during recombination

* fasten CMB - HI decoupling



`Early' dark energy?

J. Colin Hill, E. Baxter. 1803.07555 Addition dark energy component with w=-1 and it decays away by $z_c \sim 20$ -1000.

* faster expansion rate `early on'* Earlier CMB - HI decoupling



A few non-DM scenarios:

Modification in CMB:

M. Pospelov, et.al. 1803.07048 Order~1 increase in the Raileigh-Jeans tail of CMB: e.g. osc. with a very light dark photon A' via mixing $\epsilon F'_{\mu\nu}F_{\mu\nu}$

Can be of interest in precision 21cm tests, when A' - A oscillate resonantly at the effective A mass (in plasma) $m_A \sim m_{A'}$ Radio-wavelength backgrounds C. Feng, G. Holder. 1801.05396

other than CMB is detected by ARCADE

- non black body CMB, enhancing the signal
- EDGES can place a bound on early rad. fields





What 21cm can be sensitive to...

- Injection of energy into intergalactic gas suppresses 21cm during reionization epoch
- The observation of (any) 21cm signal means an upper limit
- EDGES may have a lot systematics, future 21cm experiments awaits.

Energy injection effects

- (Historic, cumulative) high-energy injection of electrons/photons
- Increased x_e
- Later CMB gas decoupling
- Higher T_G
- May reduce or wipe out the 21cm signal



z

21cm signal suppression by injection



The observation as an upper limit



Annihilation: over-density boost B~217 at z~20

Upper limit on DM decay lifetime



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S.Clark, B.Dutta, Y.Gao, Y.-Z.Ma, L.E.Strigari, 1803.09390

Upper limit on DM decay lifetime

 ΔT_{21} < +100 or +150 mK at z=17 Gives 1-2 orders of magnitude better bounds on DM injection in comparison to PLANCK TT+TE+EE+lowP data

Lower sensitivity at large DM mass due to poorer effective energy loss efficiency

O(0.1-1) correction from cosmological parameter variations (PLANCK)

S. Clark, B. Dutta, Y. Gao, Y.-Z. Ma, L.E.Strigari, 1803.09390

Photon line signals:

Very good limit in KeV range. Testing the 3.5 KeV line needs $O(mK) T_{21}$ sensitivity Comparable to X-ray line search ~10²⁶s in (sub) MeV range. Less than Fermi-LAT's pass8 ~10²⁹s in GeV range.



Upper limit on DM annihilation & decays

 $T_{c}(z=17.2) = 5.2K$ limit, no cooling Non-Standard Recombination Non-Standard Recombination 10^{-25} 10^{2} Maximum $\langle \sigma v \rangle / m_{\chi} \ [\text{cm}^3 \text{ s}^{-1} \text{ GeV}^{-1}]$ Minimum Decay Lifetime τ [s] 10^{25} 10^{-26} 10^{24} $(1 + z)_{td} = 500, T_m = 5.2 \text{ K}$ $(1 + z)_{td} = 500, T_m = 5.2 \text{ K}$ 10^{-27} ······ e⁺e⁻ $e^+e^$ qq 10^{2} $W^+W^ \mu^+\mu^ W^+W^$ $q\overline{q}$ $\mu^{+}\mu^{-}$ Z^0Z^0 $Z^{0}Z^{0}$ $c\overline{c}$ $b\overline{b}$ hh---- hh ---- 10^{22} 10^{-28} 10^{10} 1011 10^{12} 10^{12} 10^L 10^{T} Dark Matter Mass m_{χ} [eV] Dark Matter Mass m_{χ} [eV]

H. Liu, T. R. Slatyer, 1803.09739

Upper limit on DM annihilation



Upper limit on primordial BH's Hawking radiation

 $\Delta T_{_{21}}$ < +100 or +150 mK at z=17

Applicable to long-lived (m>10¹⁵g), evaporating black holes



Upper limit on massive PBH's accretion



Summary

- EDGES results can be interpreted in many ways
- Exitence of reionization epoch 21cm signal imposes a strong limit on historic energy injection
- Like CMB, injection bounds extend to low energy/mass
- 21cm bounds on DM, PBH are very powerful, even at the current proof-of-principle estimates
- Future 21cm experiments await.

Backup: Injection corrections

Extra contributions to ionization & heating

• Reduce neutral hydrogen fraction

• IGM

$$\begin{split} T_{\rm S} &= \frac{T_{\rm CMB} + y_{\rm c} T_{\rm G} + y_{\rm Ly\alpha} T_{\rm Ly\alpha}}{1 + y_{\rm c} + y_{\rm Ly\alpha}}, \\ y_{\rm c} &= \frac{C_{10}}{A_{10}} \frac{T_{\star}}{T_{\rm G}}, \\ y_{\rm Ly\alpha} &= \frac{P_{10}}{A_{10}} \frac{T_{\star}}{T_{\rm Ly\alpha}}, \end{split}$$
For Lyman-alpha during reionization, See B. Ciardi and P. Madau, astro-ph/0303249

• Energy deposit rate (ionization, excitations, heating)

$$\begin{split} I_{\mathrm{X}_{\mathrm{i}}}(z) &= \frac{f_{\mathrm{i}}(E,z)}{\mathrm{H}_{H}(z)E_{\mathrm{i}}} \frac{\mathrm{d}E}{\mathrm{d}V\mathrm{d}t},\\ I_{\mathrm{X}_{\alpha}}(z) &= (1-C)\frac{f_{\alpha}(E,z)}{n_{\mathrm{H}}(z)E_{\alpha}} \frac{\mathrm{d}E}{\mathrm{d}V\mathrm{d}t},\\ K_{\mathrm{h}}(z) &= \frac{f_{\mathrm{h}}(E,z)}{n_{\mathrm{H}}(z)} \frac{\mathrm{d}E}{\mathrm{d}V\mathrm{d}t}\\ C &= \frac{1+K\Lambda_{2s,1s}n_{\mathrm{H}}(1+x_{\mathrm{e}})}{1+K\Lambda_{2s,1s}n_{\mathrm{H}}(1-x_{\mathrm{e}})+K\beta_{\mathrm{B}}n_{\mathrm{H}}(1-x_{\mathrm{e}})}.\end{split}$$

- The `effective' rate *f*(E,z) is cumulative of historic injection
- Electrons are more effective in energy deposit
- *f* is averaged over injection spectra and species $f_c(m_{\rm DM}, z) = \frac{\sum_s \int f_c(E, z, s) E(dN/dE)_s dE}{\sum_s \int E(dN/dE)_s dE},$

 Ionization history can be a powerful test (at z>7) on `prolonged' electron & gamma ray injection from new physics



Num. computation by HyRec

Backup: PBHs (CMB)

Hawking radiation, `lifetime' and BH mass

• BH evaporates at a temperature

Hawking 75'

$$T_{PBH} = \frac{1}{8\pi GM} = 1.06 \text{TeV} \times \frac{10^{10} \text{g}}{M_{PBH}}$$

• with a peak energy of radiation

$$E_{\gamma} = 5.71T_{PBH}, \ E_{\nu} = 4.22T_{PBH}, \ E_{e^{\pm}} = 4.18T_{PBH}$$

Mass loss rate:

$$\dot{M}_{10} = -5.34 \times 10^{-5} \left(\sum_{i} f_{i} \right) M_{10}^{-2} \text{ s}^{-1}$$
 lifetime:
 $\tau(M) \sim \frac{G^{2} M^{3}}{\hbar c^{4}} \sim 10^{64} \left(\frac{M}{M_{\odot}} \right)^{3} \text{ yr}$

• BH evaporation can be a good source of cosmic rays, injection particle species determined by BH mass

A steady radiation injection below ~100 MeV

- Relevant for PBH mass above 10¹⁵ g, or peak radiation energy below muon mass
- Hawking evaporation after recombination yields (mostly) e+e- and gamma rays
- For M>>10¹⁵g, mass loss negligible during the age of the Universe
- A steady and long-lasting injection of radiation that scales as $(1+z)^3$

Extra-galactic source

Of Hawking evaporation rate

$$\dot{M}_{10} = -5.34 \times 10^{-5} \left(\sum_{i} f_{i}\right) M_{10}^{-2} \text{ s}^{-1}$$

into light (massless) species,

$$f_0 = 0.267, \quad f_1^{\gamma} = 0.06, \quad f_{3/2} = 0.02,$$

 $f_2^g = 0.007, \quad f_{1/2}^{\nu} = 0.147, \quad f_{1/2}^{e^{\pm}} = 0.142$

J.MacGibbon, PRD, 1991

and photons & electrons affects the environment $\frac{dE}{dV dt} = N$ with unit volume $\frac{dE}{dV dt} = \frac{N}{N}$ injection rate, $= \frac{N}{N}$

a

dV

$$\begin{aligned} \frac{dE}{dVdt} &= \dot{M}_{PBH}\eta(E_i, z)n_{PBH} \\ &= \frac{\dot{M}_{10}}{M_{10}}\rho_{cr}(z)\Omega_{PBH}(z)\eta_i(E, z) \\ & \int_{\bullet}^{-1} \sim M/M \\ \frac{E}{Vdt}\Big|_{BH} \neq \frac{\dot{M}_{10}}{M_{10}}\rho_{cr}(z)\Omega_{PBH}(z)\eta(E_{PBH}, z) \end{aligned}$$

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Injection vs absorption

- photons interact via Compton scattering & absorptions
- electrons lose energy by inverse C. scattering & ionization

Not all energy is efficiently absorbed by the environment (gas) esp. if particles are too energetic

Energy "fraction" into ionization (of H)



BH Effective absorption efficiencies

- Average over injection (BH radiation) energy spectrum and particle species
- Delayed injection: integrated over earlier z (up to CMB)



Impact on the CMB Cls



Reduced optical depth



PLANCK constraint on PBH as `relic' abundance





Simple scaling, assume no entropy production after PBHs and $\Omega_r \sim 10^{-4}$ at CMB time, also $\beta' \sim \beta$:

$$\Omega_{\rm PBH} \simeq \beta \,\Omega_{\rm r} \,(1+z) \sim 10^6 \,\beta \,\left(\frac{t}{1\,\rm s}\right)^{-1/2} \sim 10^{18} \,\beta \,\left(\frac{M}{10^{15}\,\rm g}\right)^{-1/2} \quad (M > 10^{15}\,\rm g) \,,$$

Backup: 21cm prospects

SKA: Reionization epoch power spectrum



SKA white paper

Warm versus Cold DM at 21cm





Figure 3. Mean spin temperatures $\overline{T}_{\rm S}$ for CDM and WDM models. The dotted curves show $\overline{T}_{\rm S}$ for our fiducial CDM model (blue), WDM with $m_{\rm X} = 3 \, {\rm keV}$ (red), and CDM with $f_*/f_{*{\rm fid}} = 0.1$ (green). In addition, the mean kinetic temperature $\overline{T}_{\rm K}$ of each model is plotted with a dashed curve in the same colour used for $\overline{T}_{\rm S}$. The grey solid line is the CMB temperature. Figure taken from (Sitwell et al., 2014).

Figure 4. Mean 21 cm brightness temperature $\delta \bar{T}_{\rm b}$. The solid curve is the fiducial CDM model. The upper plot shows the results of WDM runs where the dashed, dotted-dashed, and dotted curves are for $m_{\rm X} = 2, 3, 4$ keV, respectively. The lower plot shows CDM runs where the dashed, dotted-dashed, and dotted curves are for CDM models with $f_*/f_{*\rm fid} = 0.03, 0.1, 0.5$, respectively. Figure taken from Sitwell et al. (2014).

SKA white paper



M. Sitwell, A. Mesinger, Y.-Z Ma, K. Sigurdson, 2014 MNRAS, 438, 2664