

Data Processing for Particle Physics

- Focus on LHC

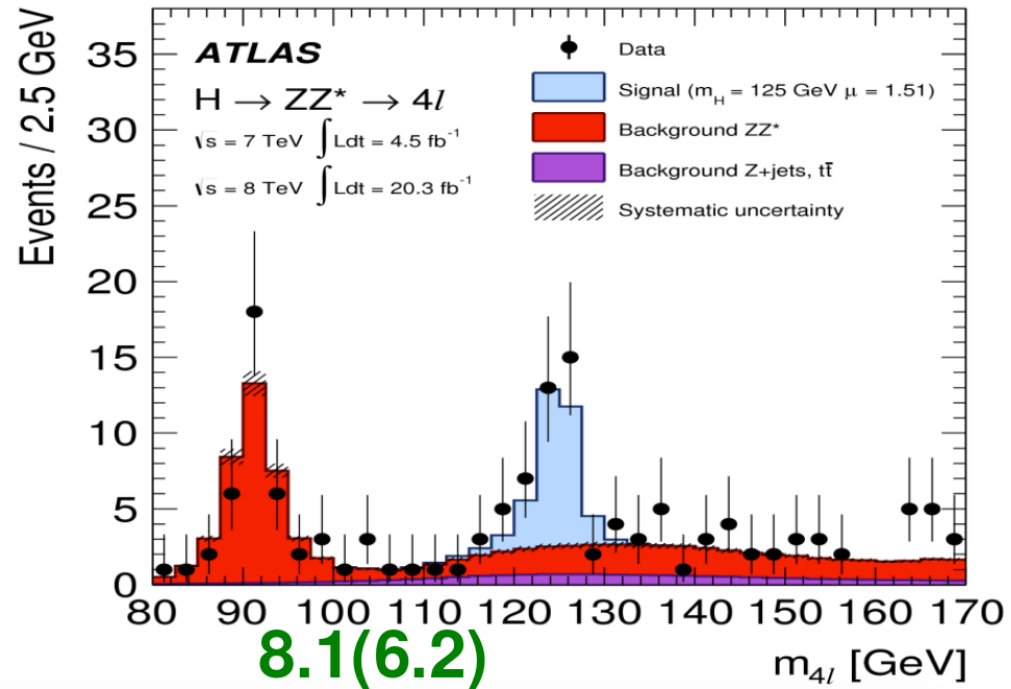
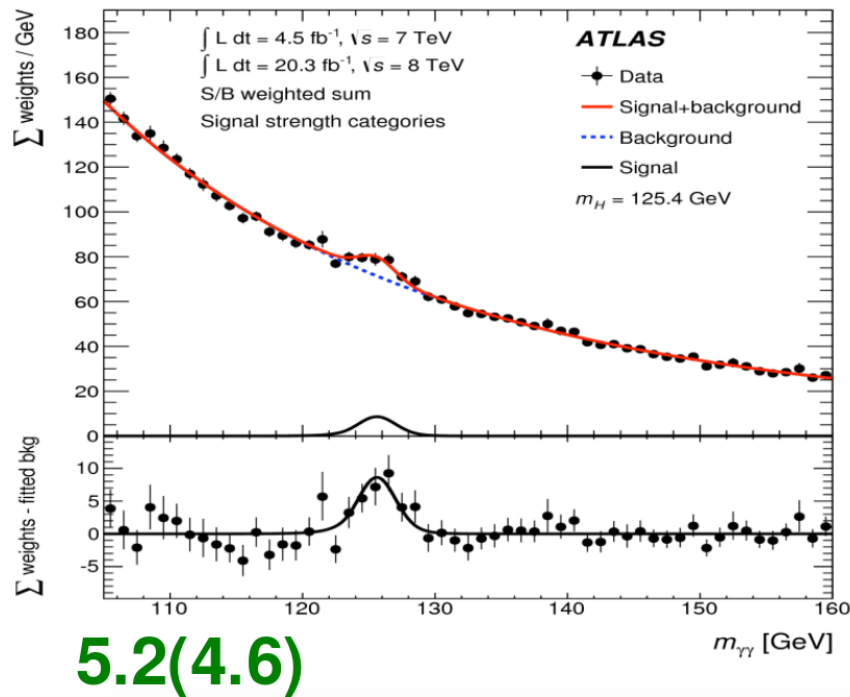
Jike Wang

声明 : lots of materials borrowed from M. Elsing,
B. Dahmes, etc.

18/July/2018, iSTEP2018, Wuhan, China

Higgs Plots

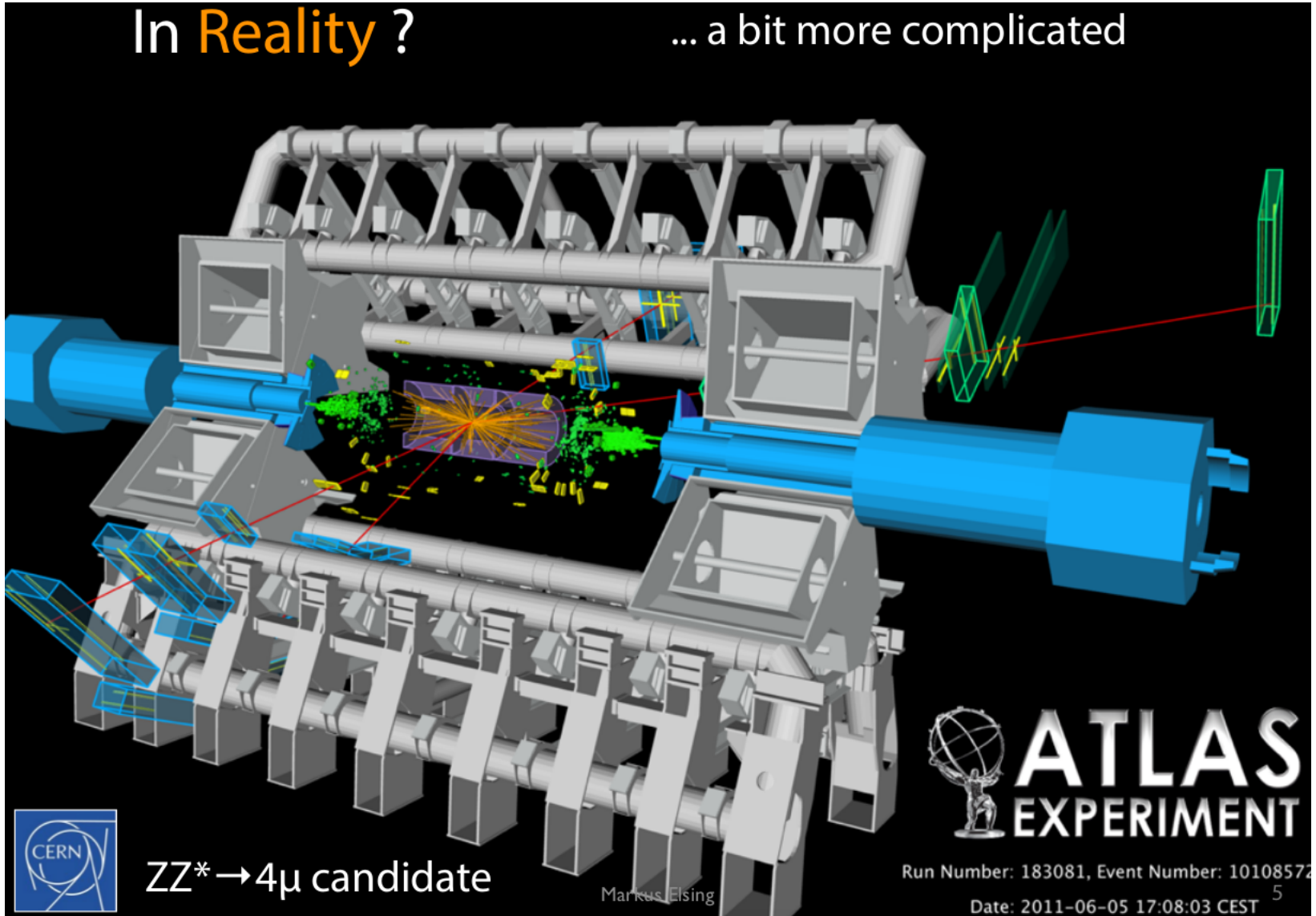
- This is a beautiful mass distribution. But where are the data come from and how ?
- In detector we only have electronic info



Higgs \rightarrow ZZ \rightarrow 4l

In **Reality** ?

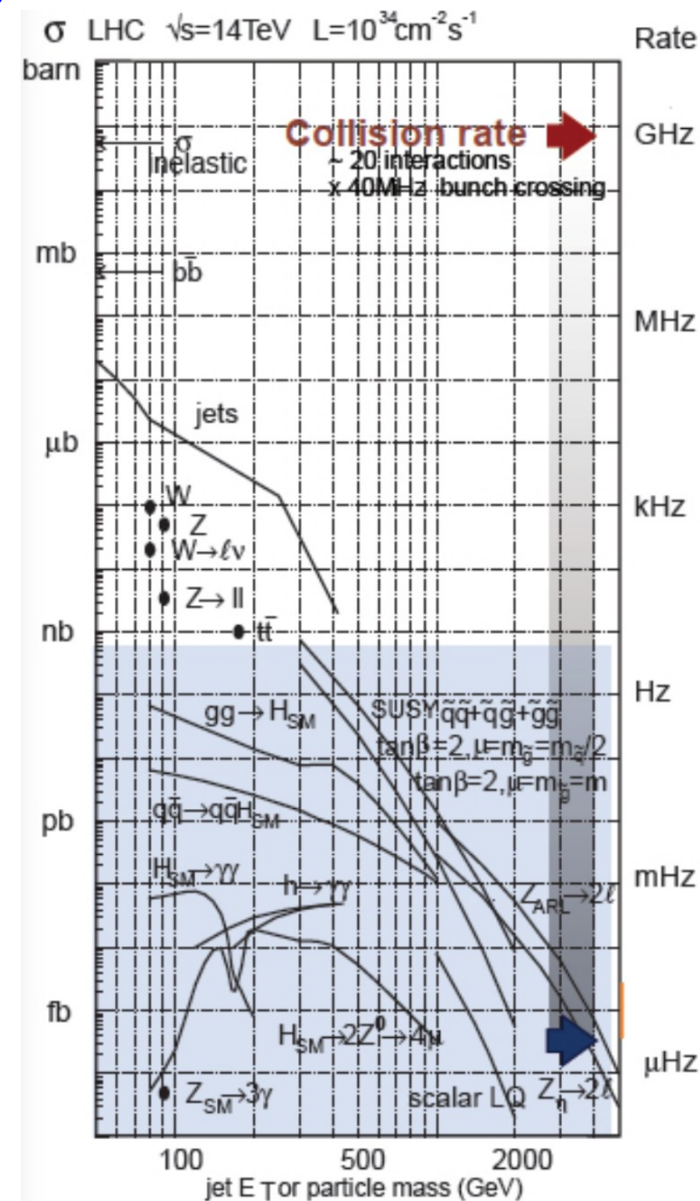
... a bit more complicated



Challenging

- Most of the interesting physics processes have very low production rates
- Most are rubbish

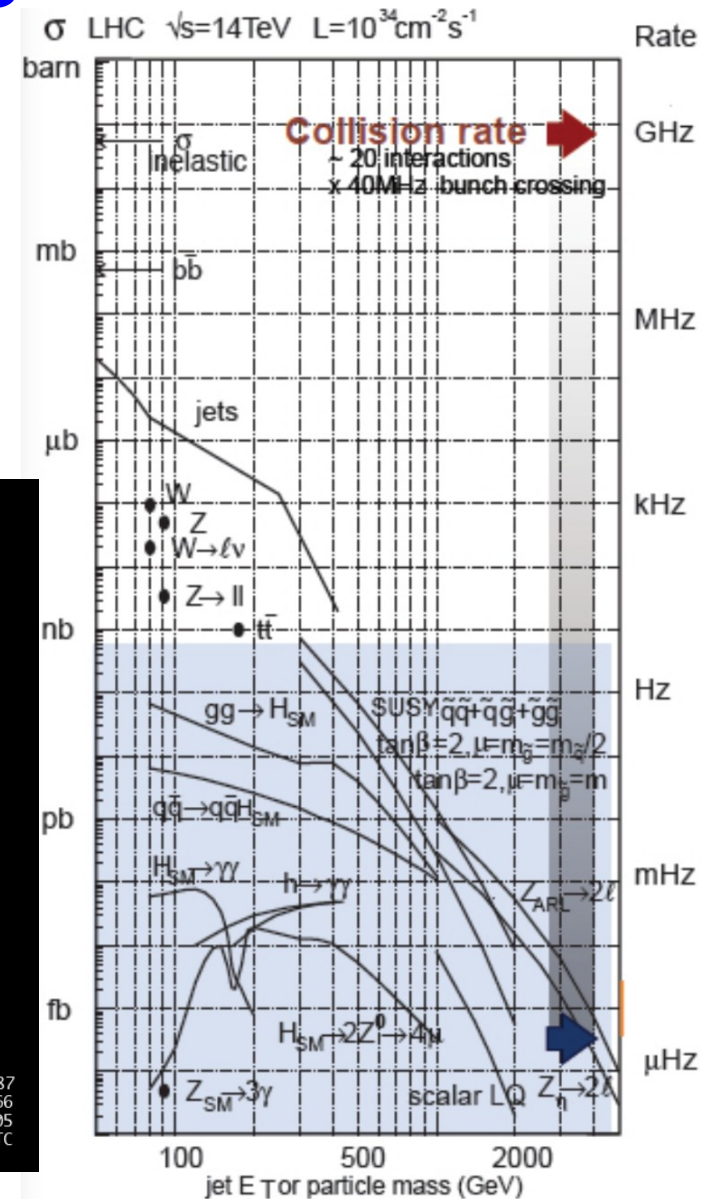
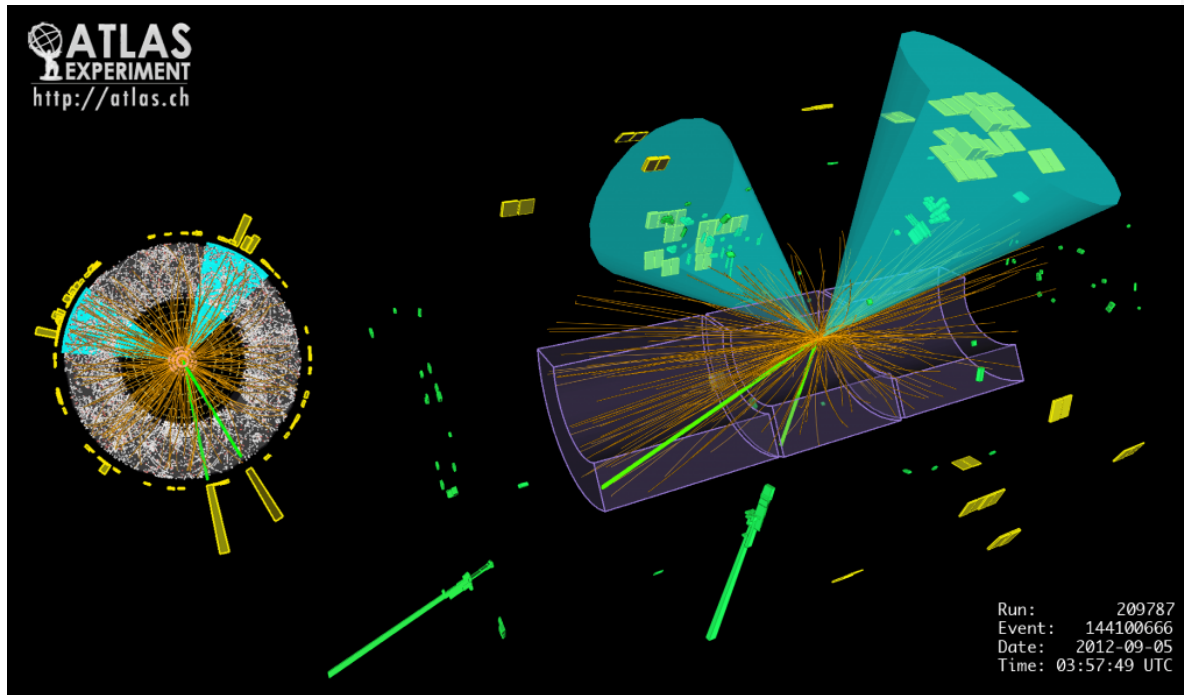
Process	Production Rate $10^{34} \text{ cm}^{-2} \text{ s}^{-1}$
inelastic	~1 GHz
bbbar	5 MHz
$W \rightarrow \ell \nu$	150 Hz
$Z \rightarrow \ell \nu$	15 Hz
ttbar	10 Hz
Z'	0.5 Hz
H(125) SM	0.4 Hz



Challenging

- Roughly one higgs produced for every **10,000,000,000** pp interactions

A $Zh \rightarrow \mu\mu b\bar{b}$ candidate



Challenging

- 1 in 10,000,000,000:
 - Like looking for a single drop of water from the Jet d'Eau over 30 minutes



Trigger ?!

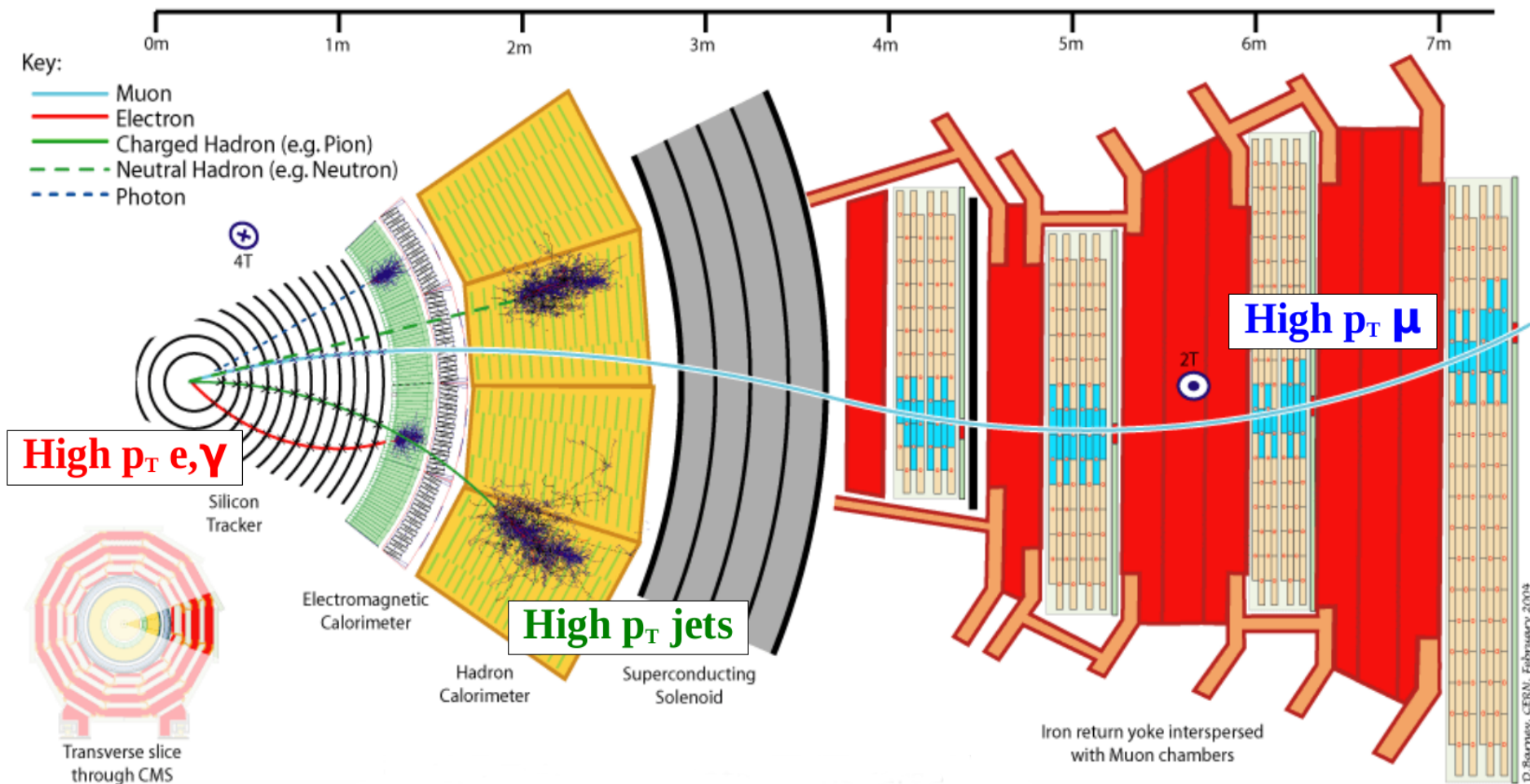
- Trouble: We must analyze and **reject most** LHC collisions prior to storage

- **Solution: Trigger**

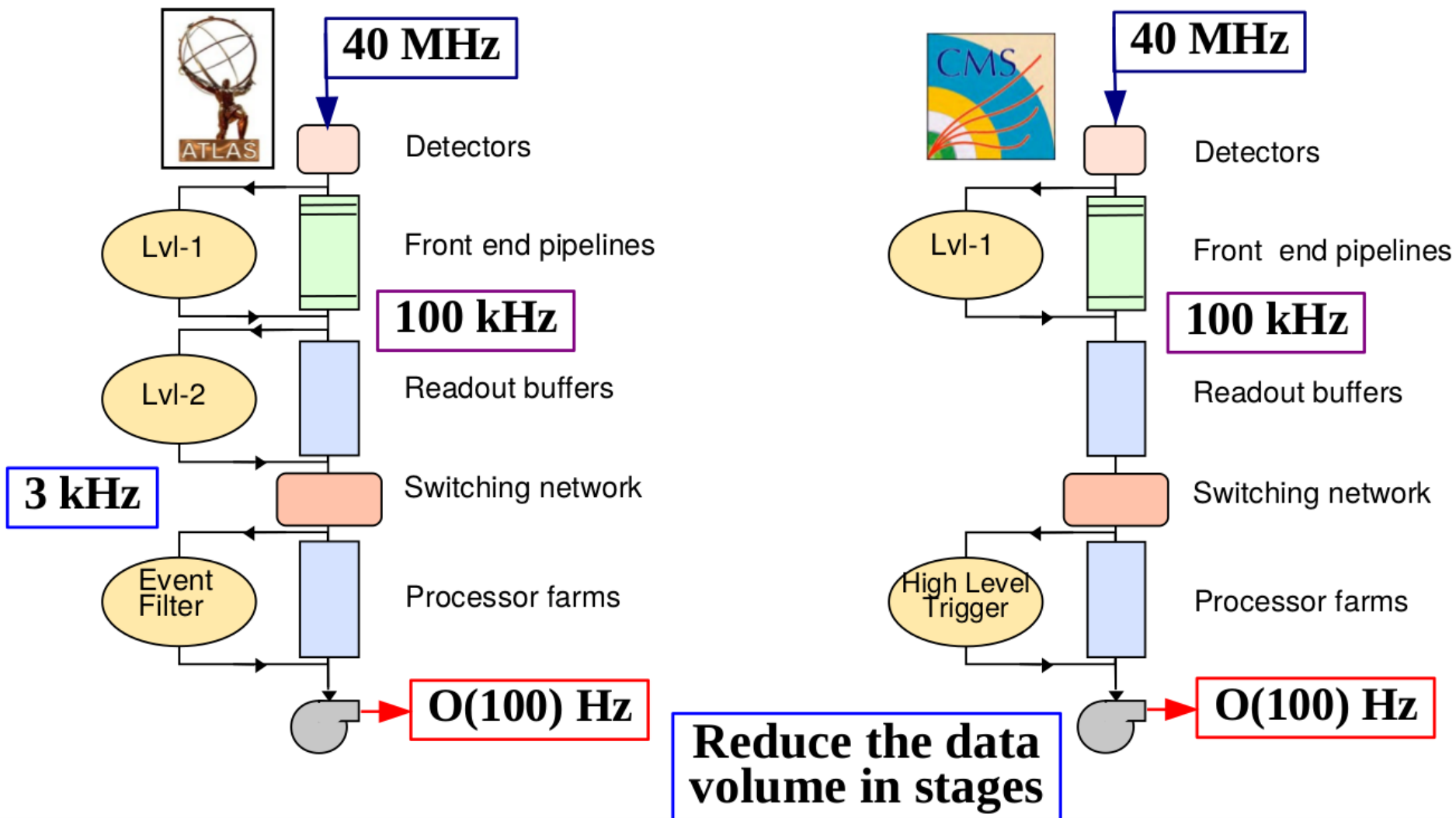


- **Should be:**
 - Fast processing
 - High rejection factor
 - High efficiency for interesting physics
 - If most of signals are killed, why we do all the thing ??
 - Flexible
 - Affordable

Trigger Objects



Trigger Setup



Trigger Setup

- **Level 1: Custom hardware and firmware:**

- Reduces the rate from 40 MHz to 100 kHz
- Advantage: speed

- **Level 2: Computing farm (software):**

- Further reduces the rate to a few kHz
- Reconstruct a region surrounding the L1 trigger object
- Advantage: Further rejection, still relatively fast

- **Level 3: Computing farm (software):**

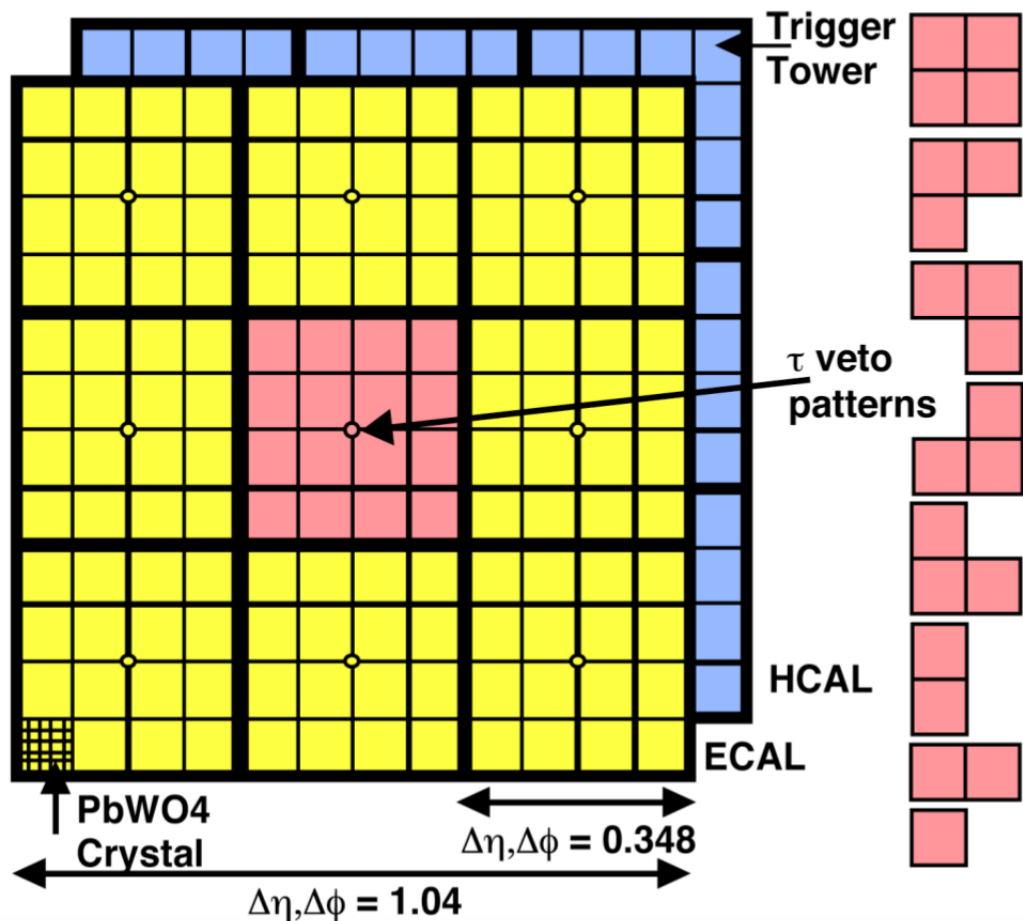
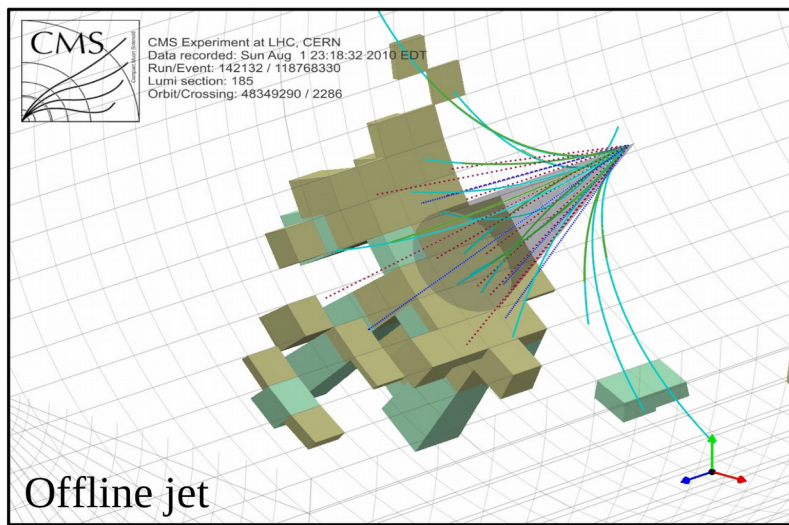
- Store events passing final selection for offline analysis
- Advantage: The best reconstruction

High Level Trigger

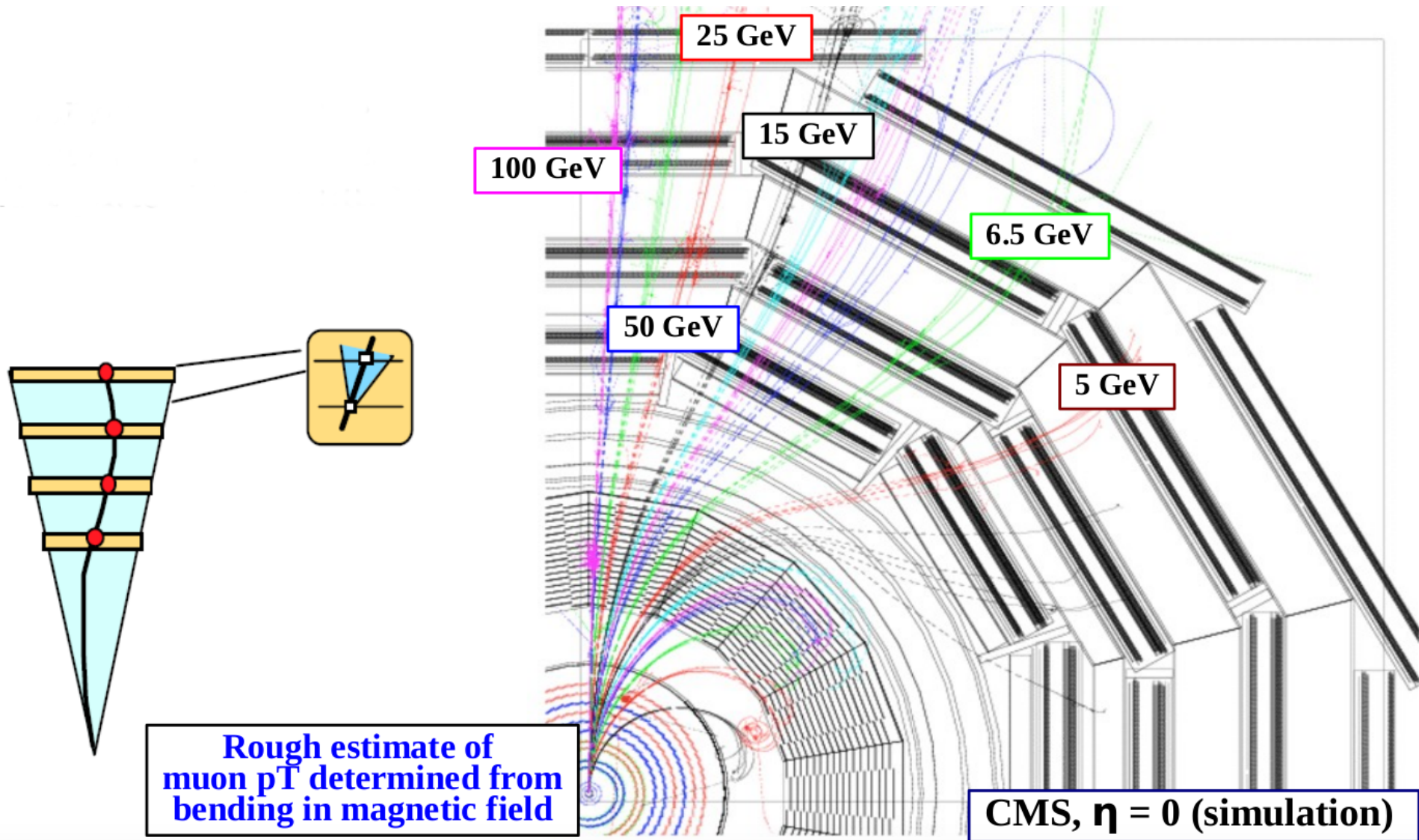
L1 Trigger

- **Custom electronics designed to make very fast decisions:**
 - Application-Specified Integrated Circuits (ASICs)
 - Field Programmable Gate Arrays (FPGAs)
- **Must be able to cope with input rate of 40 MHz:**
 - Otherwise trigger wasting time (and money), as new events keep arriving
 - Event buffering is expensive, too
- **L1 Trigger: Pipeline**
 - Process many events at once
 - Parallel processing of different inputs as much as possible

L1 Calorimeter Trigger



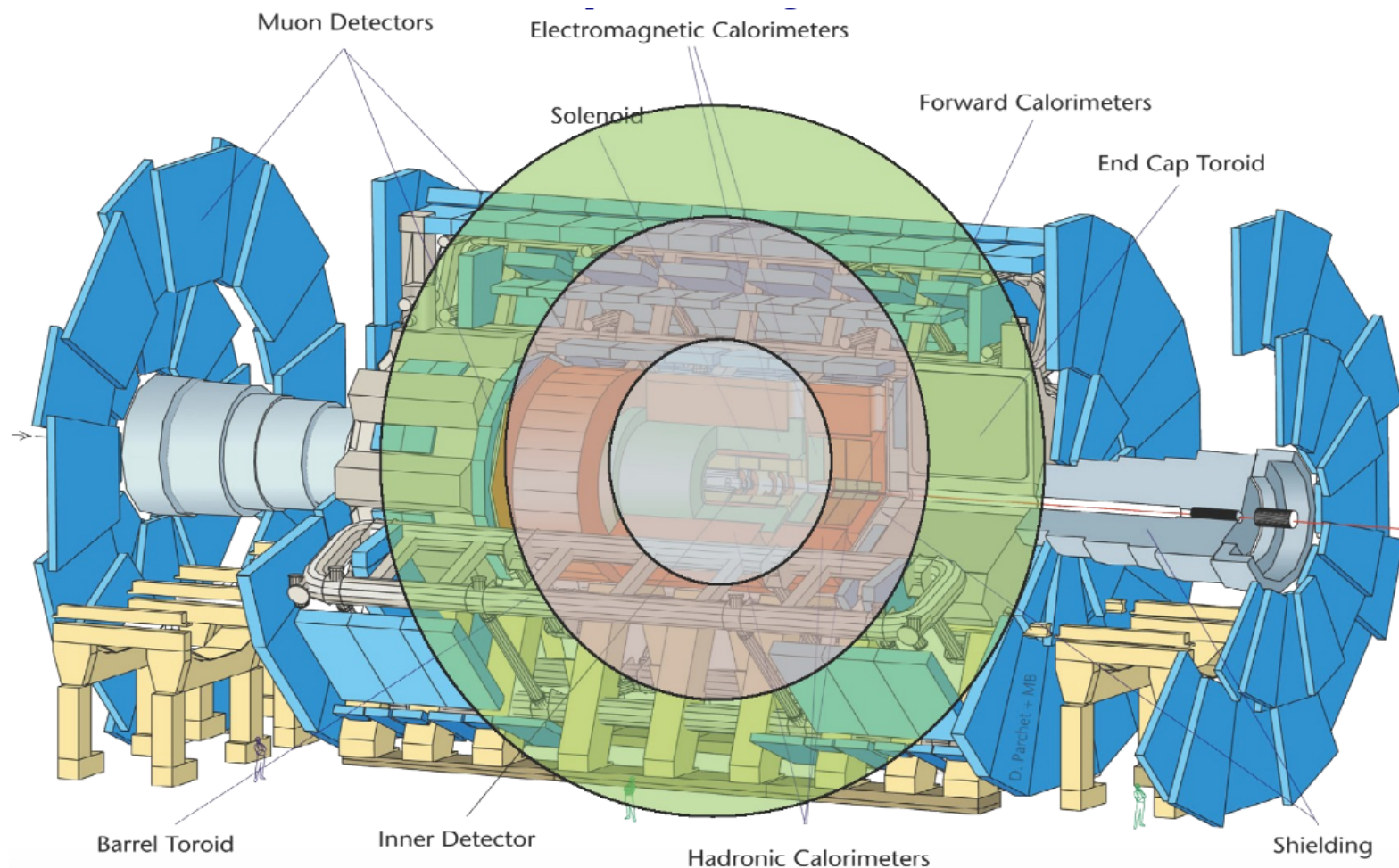
L1 Muon Trigger



Global

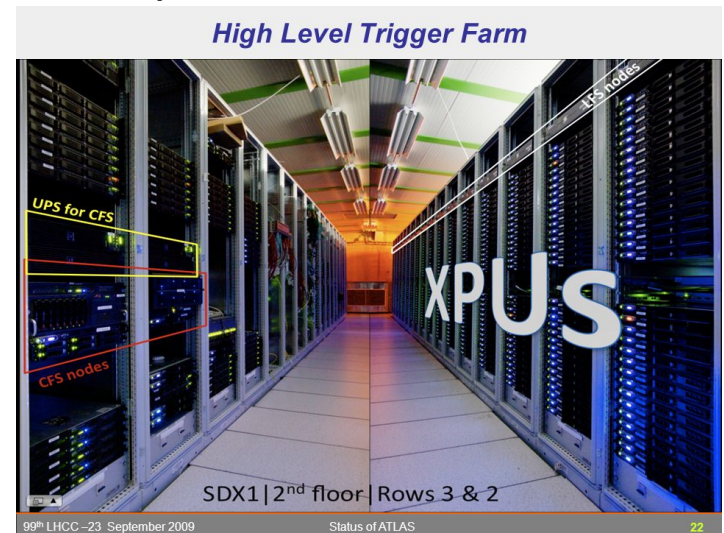
- **We still need a global decision**

- We have the information, does the event pass?
- Decision needs to be made quickly



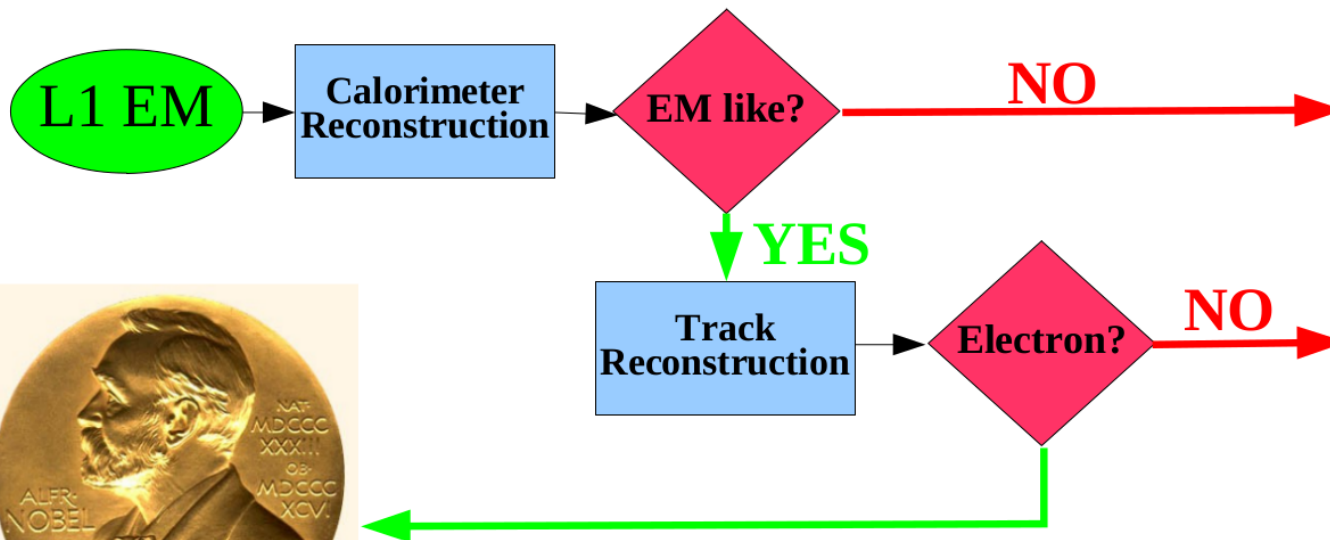
High Level Trigger

- From L1 we expect a large rate (up to 100 kHz) of events that “might be interesting”
- These events are not kept yet (rate too high for storage), but sent to the HLT for additional filtering
 - Massive commercial computer farm
 - ATLAS: L2 and L3 handled by separate computing farms
Roughly 17k CPUs that can be freely assigned to either
CMS: Single computing farm (roughly 13k CPUs)
- Parallel processing, each CPU processes individual event
- Resources are still limited
 - Offline: Full reconstruction takes seconds (minutes)
 - Online latency: milliseconds (input rate dependent)



Should Be Fast

- HLT is composed of hundreds of trigger algorithms
 - Software design, so no strict limit on the number of algorithms
 - Each designed with a specific physics signature in mind
- Algorithm speed enhanced by various checkpoints
 - Opportunity to reject early and save processing time



HLT Electrons/Photons

- **Start from L1 e/y seed with sufficient ET Reconstruct the cluster in EM Calorimeter**

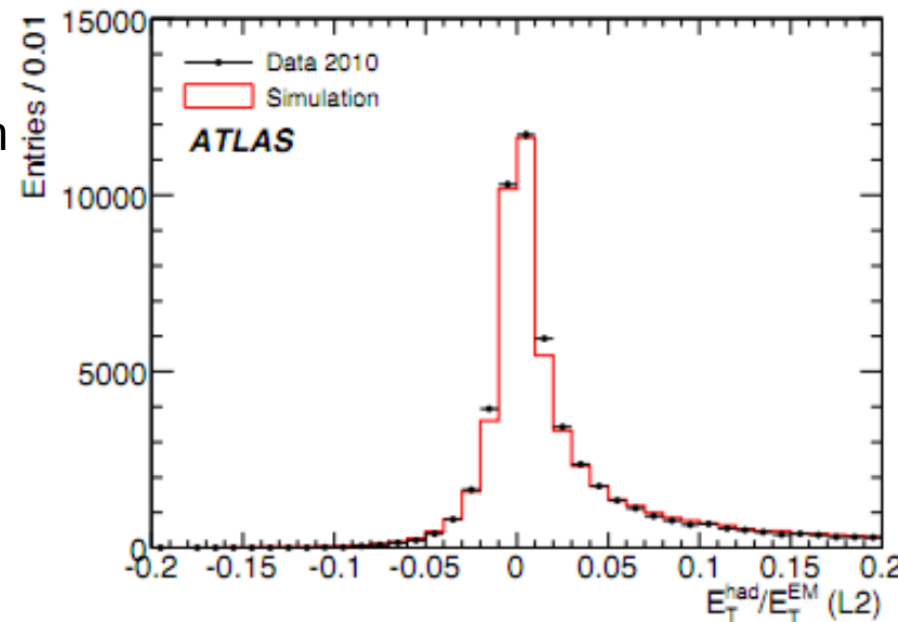
- Is there enough energy to continue?
- Does the cluster shape look like that of an electron/photon?
- Make sure the cluster is not a hadron (check Hadronic Calorimeter)
- Is the candidate isolated in the calorimeters?

- **Electrons:**

- Is there a track matched to the cluster?
- Is the electron isolated in the tracker?

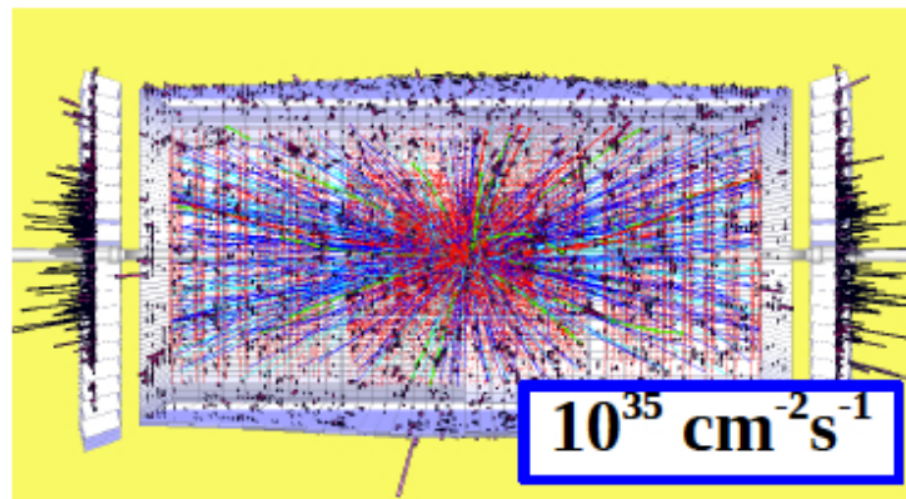
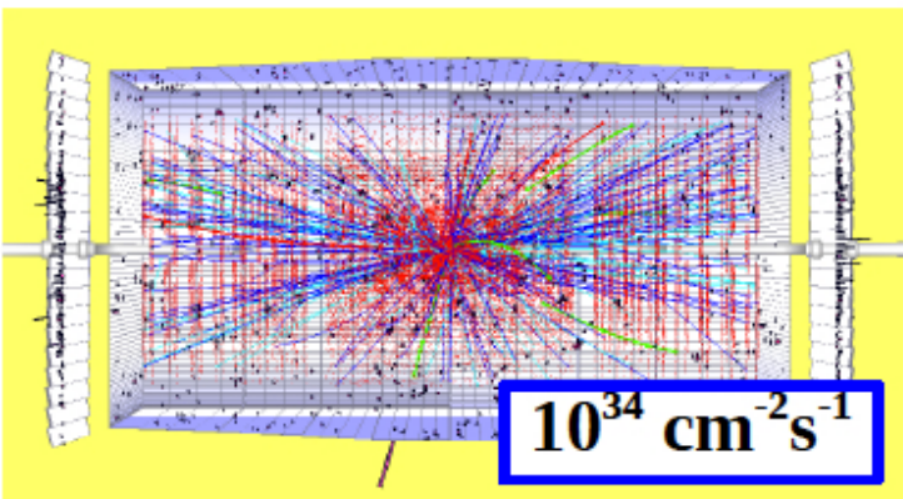
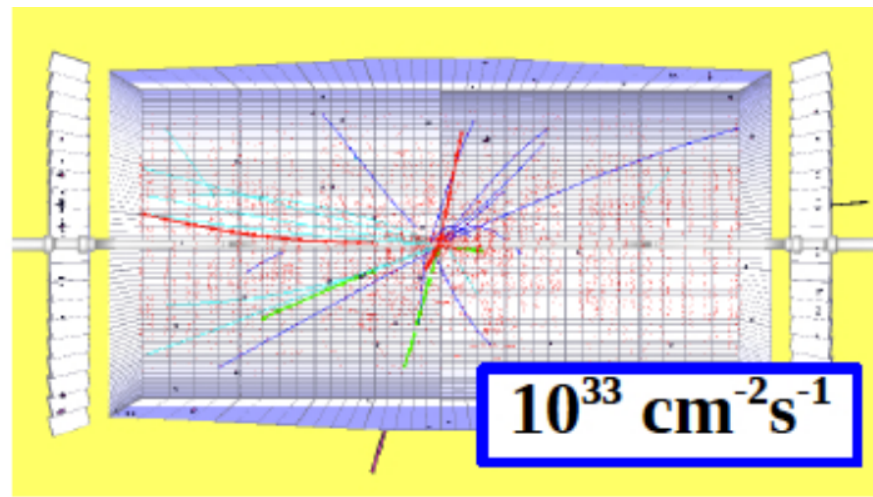
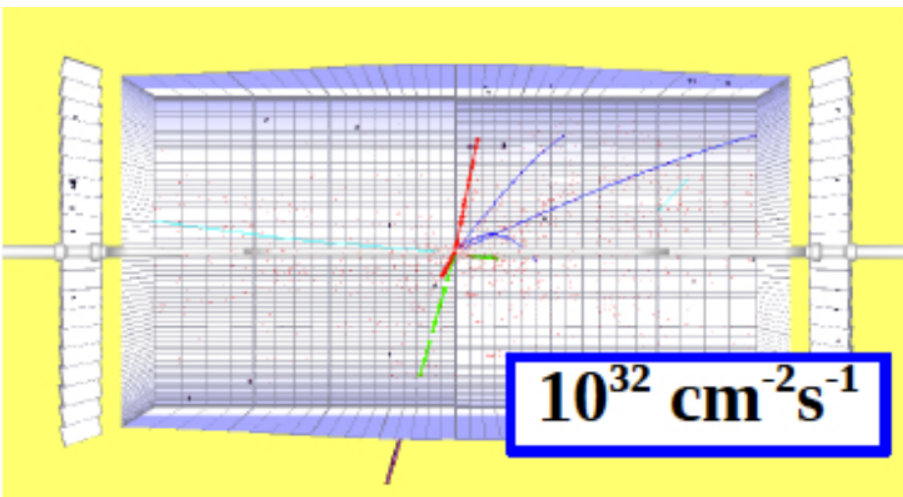
- **Photons:**

- Check for tracks pointing to the cluster



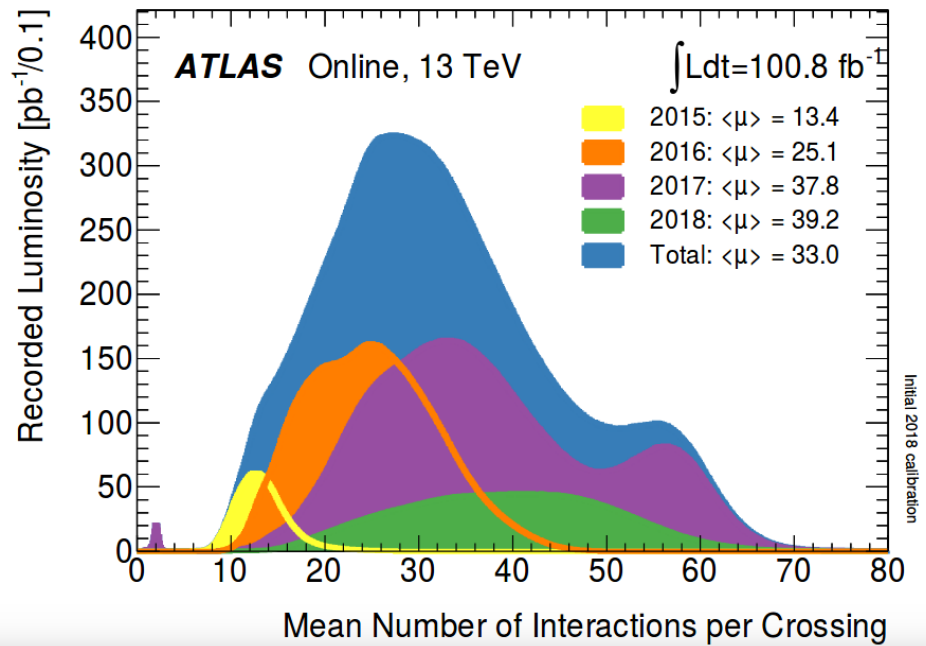
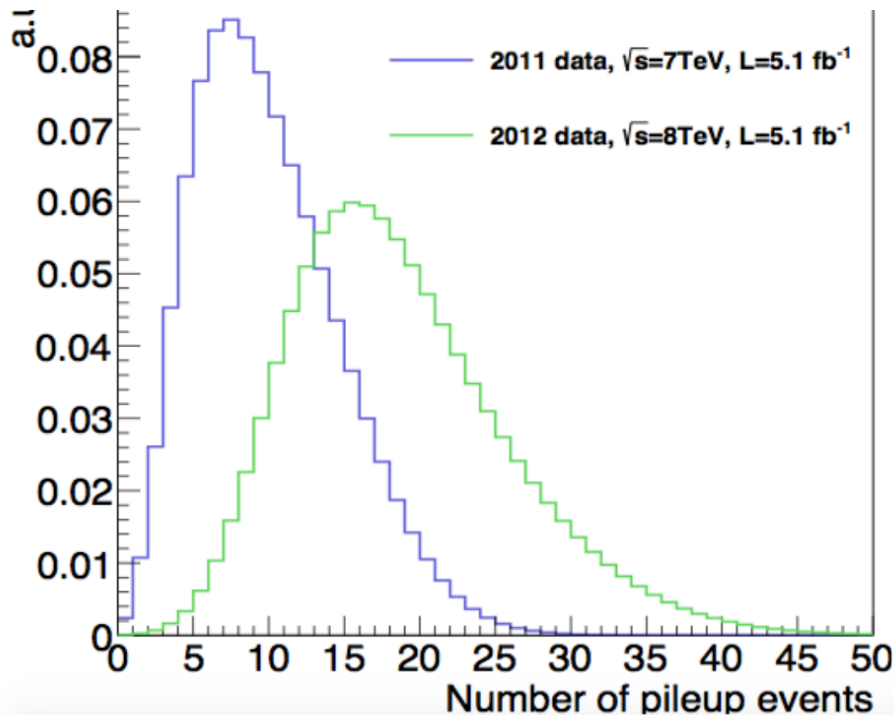
Pileup

- Simulation of 300 GeV $H \rightarrow ZZ \rightarrow ee\mu\mu$



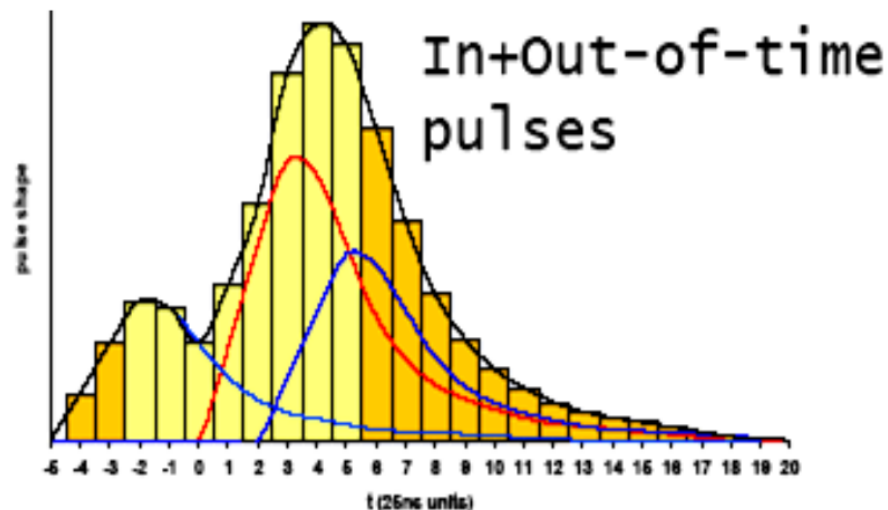
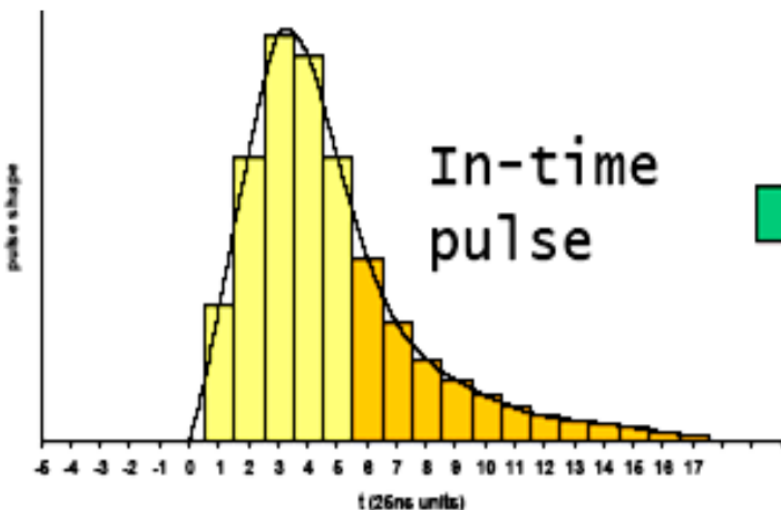
Pileup

- LHC Design: 20 collisions per crossing
- Today:



L1 at high pileup

- L1 Trigger must cope with high collision rate
 - Tighten trigger requirements to reject extra background
 - Trade-off: Possible loss of signal efficiency
- Multiple collisions per crossing impacts the L1 trigger
- All this was “known” already, as part of the LHC detector design
 - HL-LHC: New challenges



Evolution of Trigger

- **The trigger is by design very flexible:**

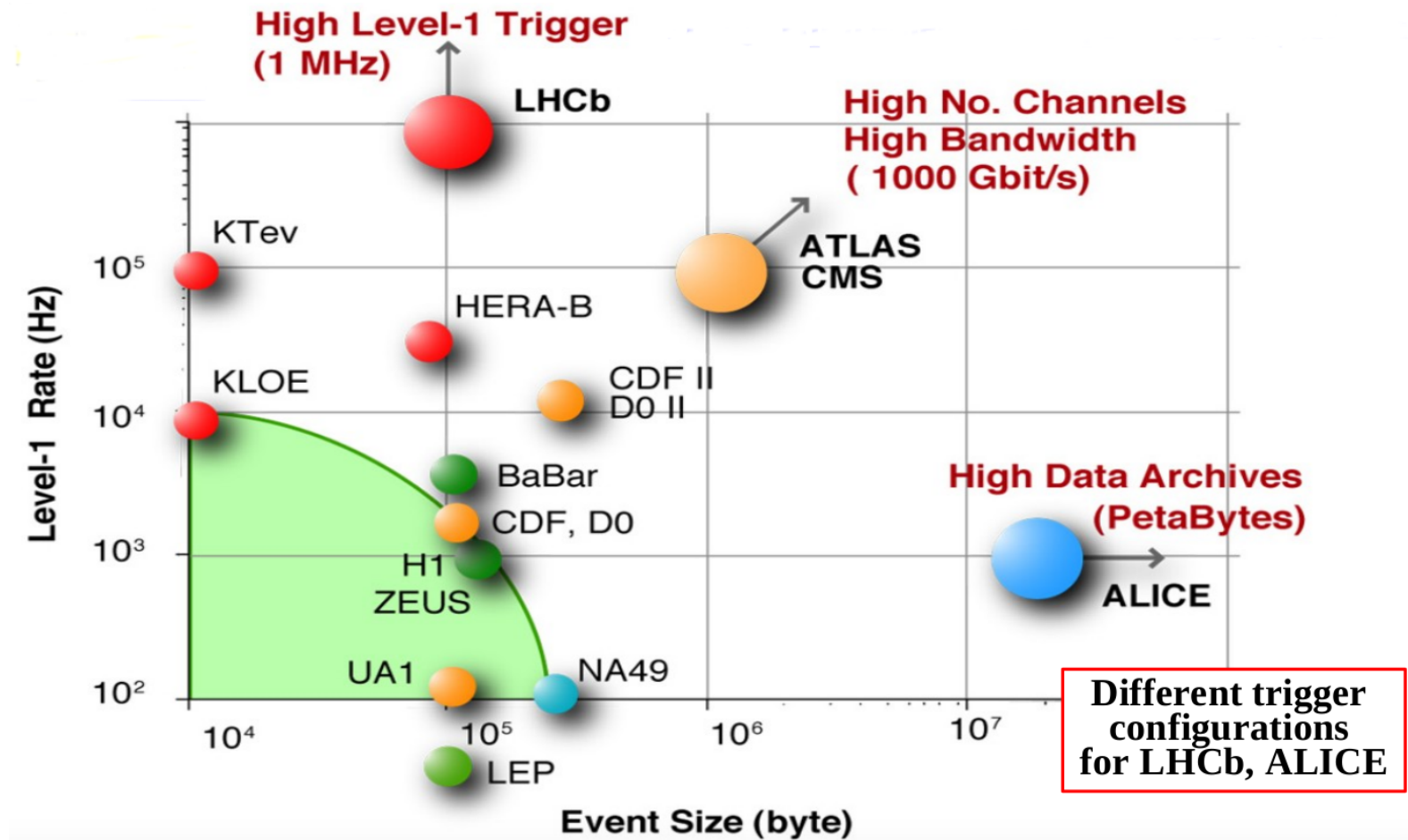
- Should always be able to respond to the present physics demand
- And demands can change quickly!

(e.g. 2010 → 2012
increase of 1,0000)



Trigger at Experiments

- LHC experiments have much higher trigger requirements than previous experiments



Trigger Interface with Analysis

- **Physicists start with an analysis idea:**

- Determine what you want to look for (i.e. where you want to go)
- Then figure out how to select the data

- There is little point in trying to do an analysis if every “interesting” event fails the trigger

- Want to build a trigger that has loose requirements that you tighten up offline

- Design a trigger to meet analysis goals, but ... (next page)



Competing

- **There are hundreds to thousands of physicists on a LHC collaboration**

- All are competing for the same resources
- Only $O(100)$ Hz of collision data available
 - At $L = 10^{34}$, this is roughly the rate of $W \rightarrow l\nu$ production!

- **How do you make sure your (very important) data is kept for later analysis?**

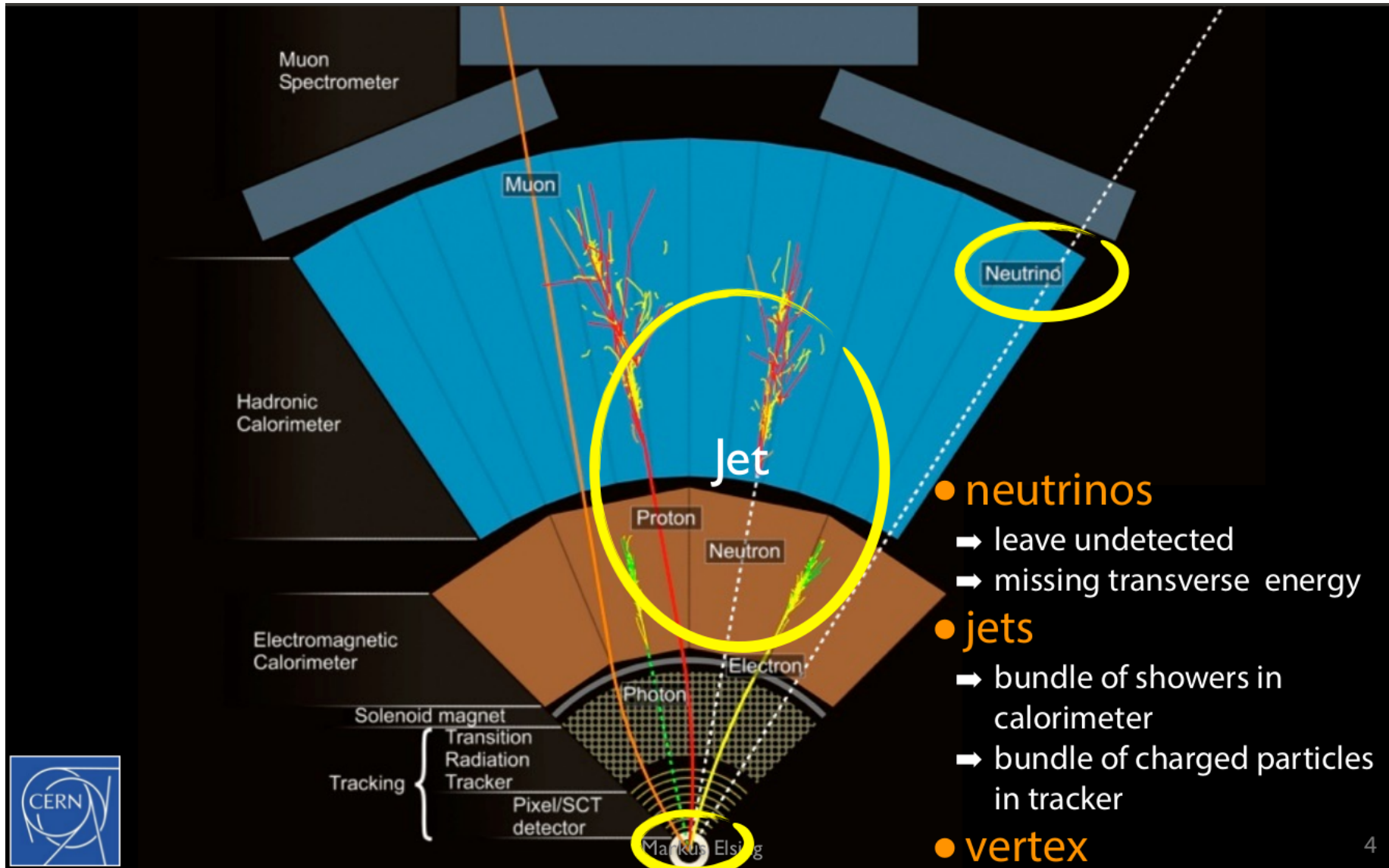
- Need to meet physics needs with limited bandwidth

- **Cutting at the trigger level throws away data forever**

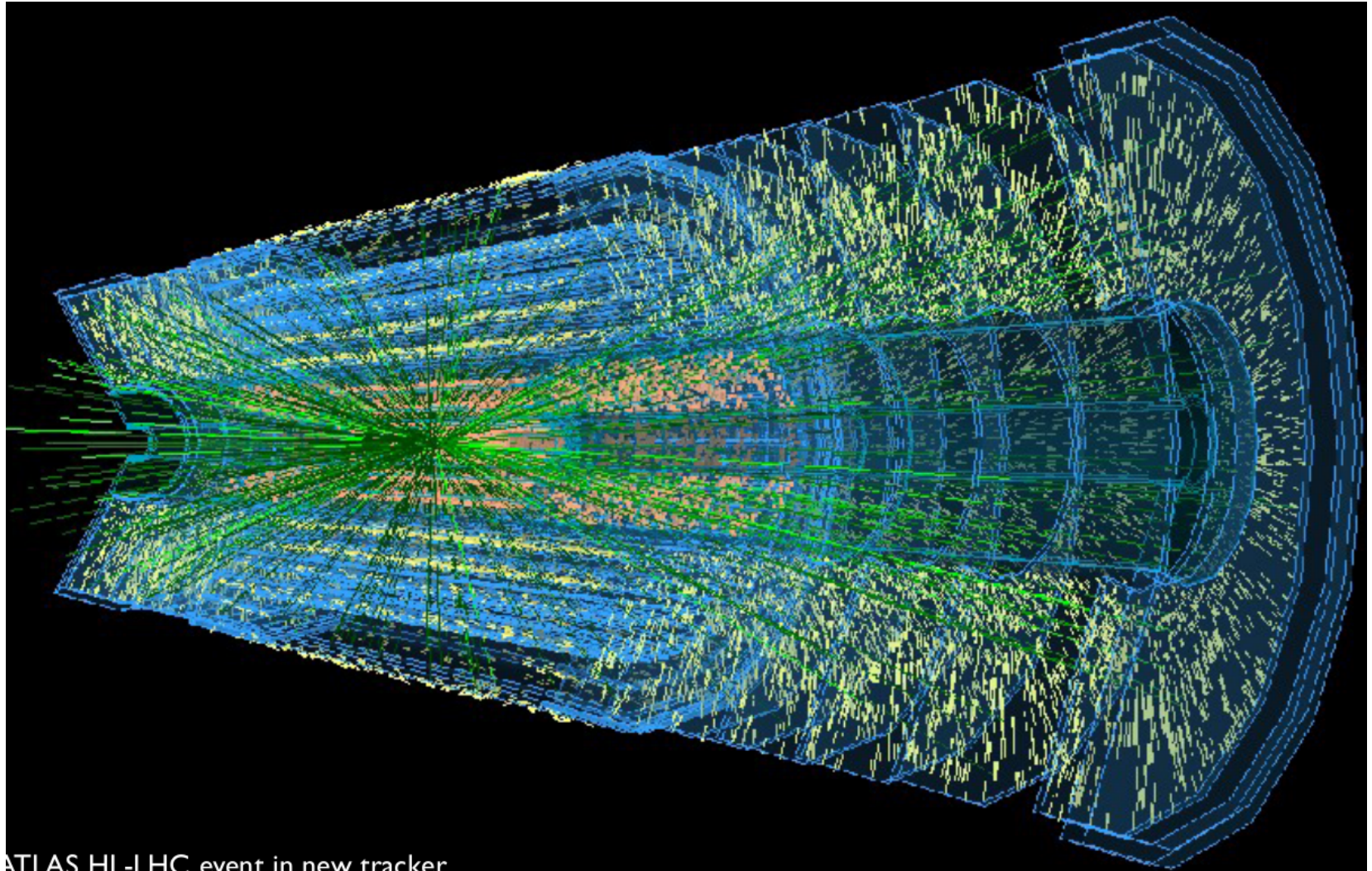
- Potential bias to events that you analyze
- Loss of interesting data

“The Trigger does not determine which Physics Model is right, only which Physics Model is left”

Move to Reconstruction



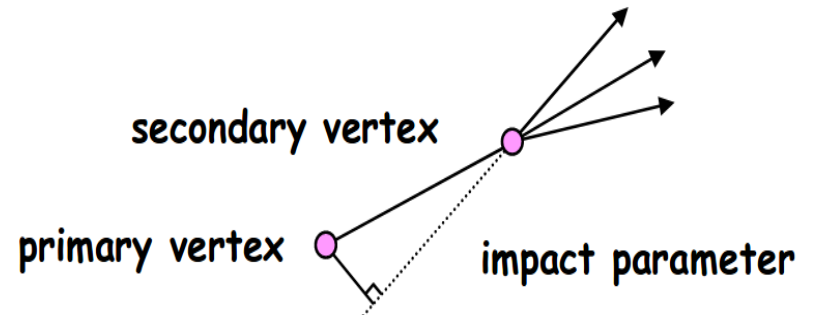
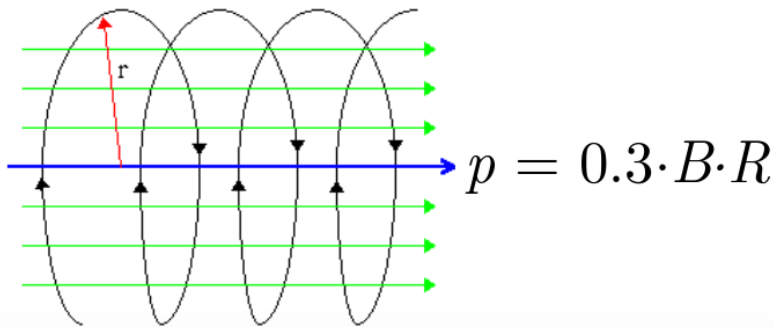
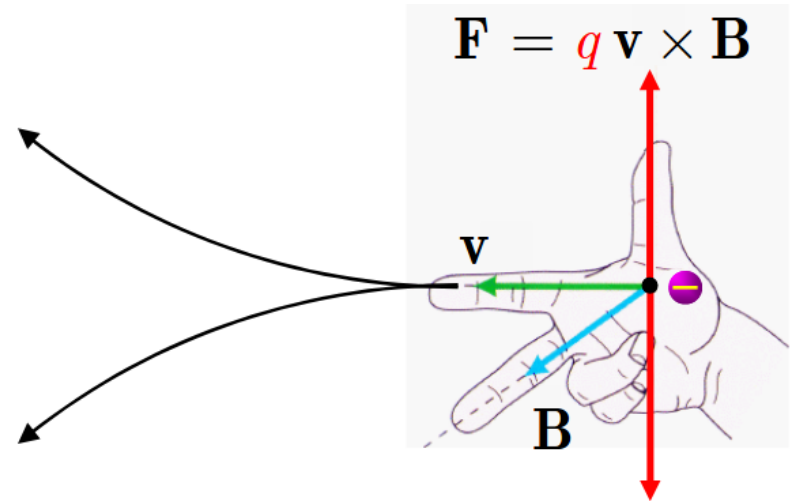
Tracking



ATLAS HL-LHC event in new tracker

Tracking

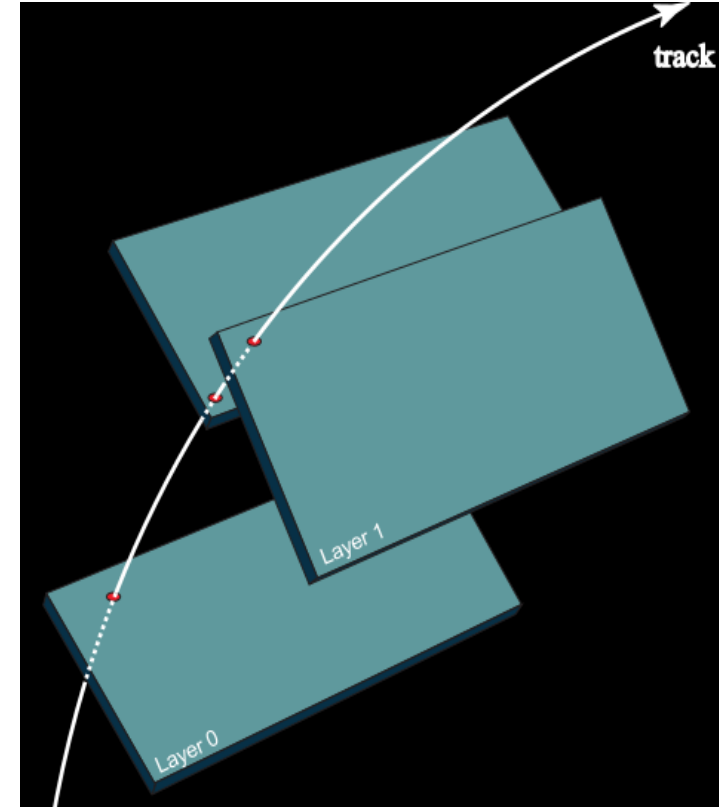
- Tracking is concerned with the reconstruction of charged particles trajectory (tracks)
- in experimental particle physics the aim is to measure (not a full list):



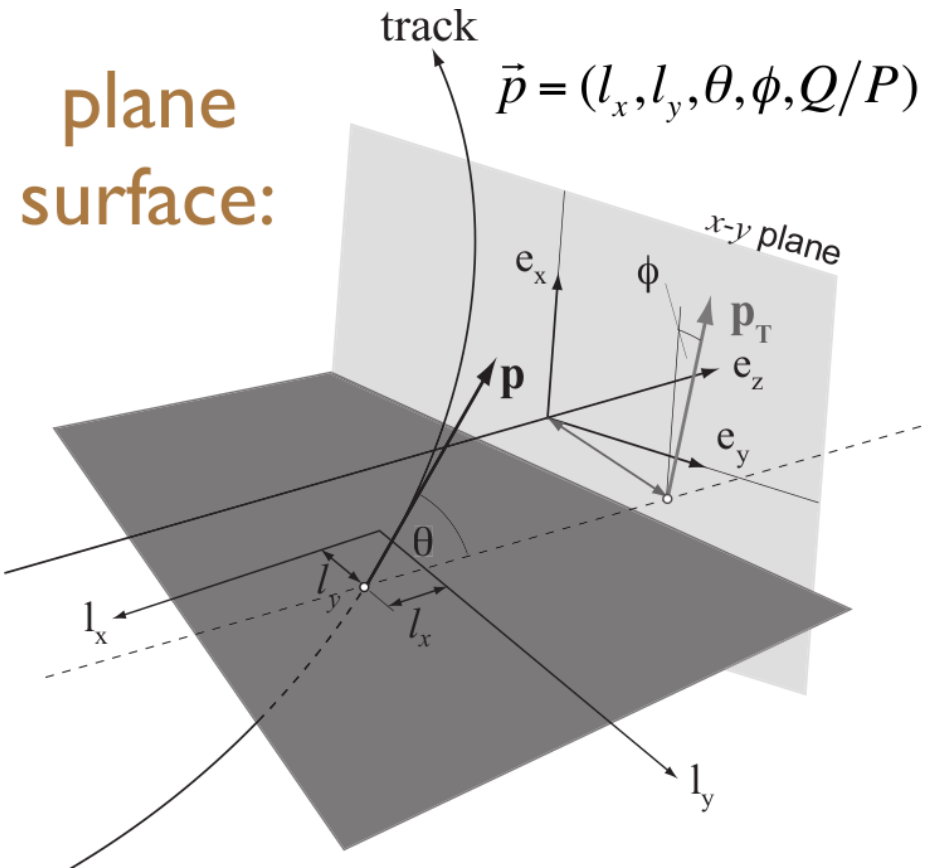
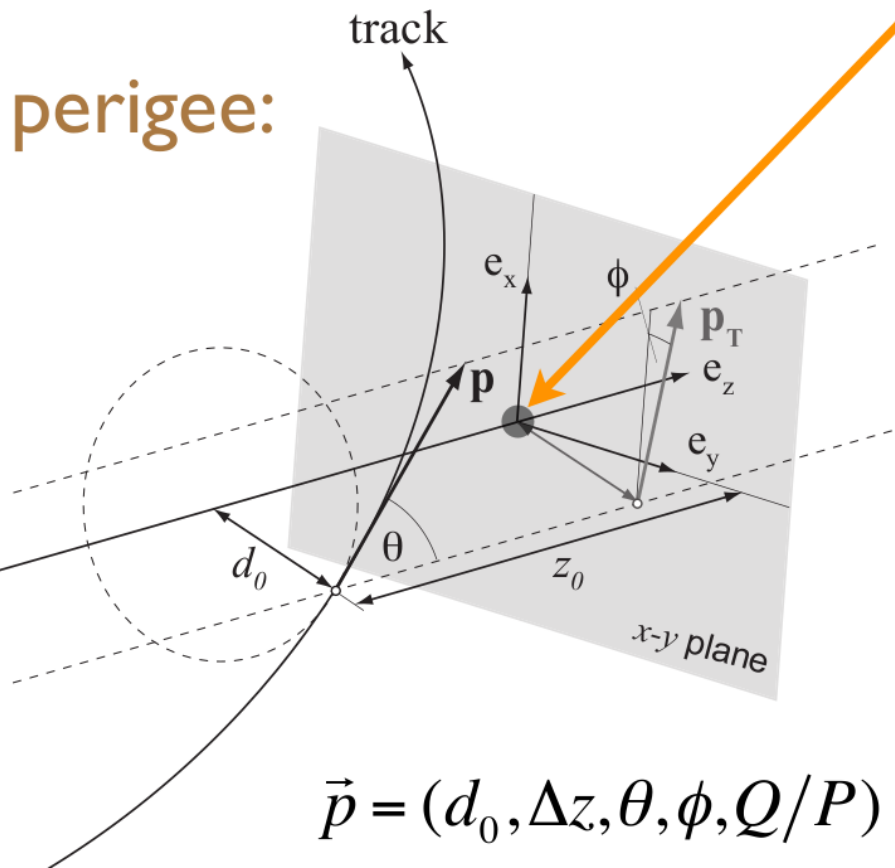
Track Fitting

A Trajectory of a Charged Particle

- in a solenoid B-field a charged particle trajectory is describing a helix
 - a circle in the plane perpendicular to the field ($R\phi$)
 - a path (not a line) at constant polar angle(θ) in the R-Z plane
- a trajectory in space is defined by 5 parameters
- the local position (l_1 , l_2) on a plane, a cylinder, on the surface or reference system
- the direction in θ and ϕ plus the Curvature q/pT



The Perigee Parametrization



To express the track parameters near the production vertex or on plane surface

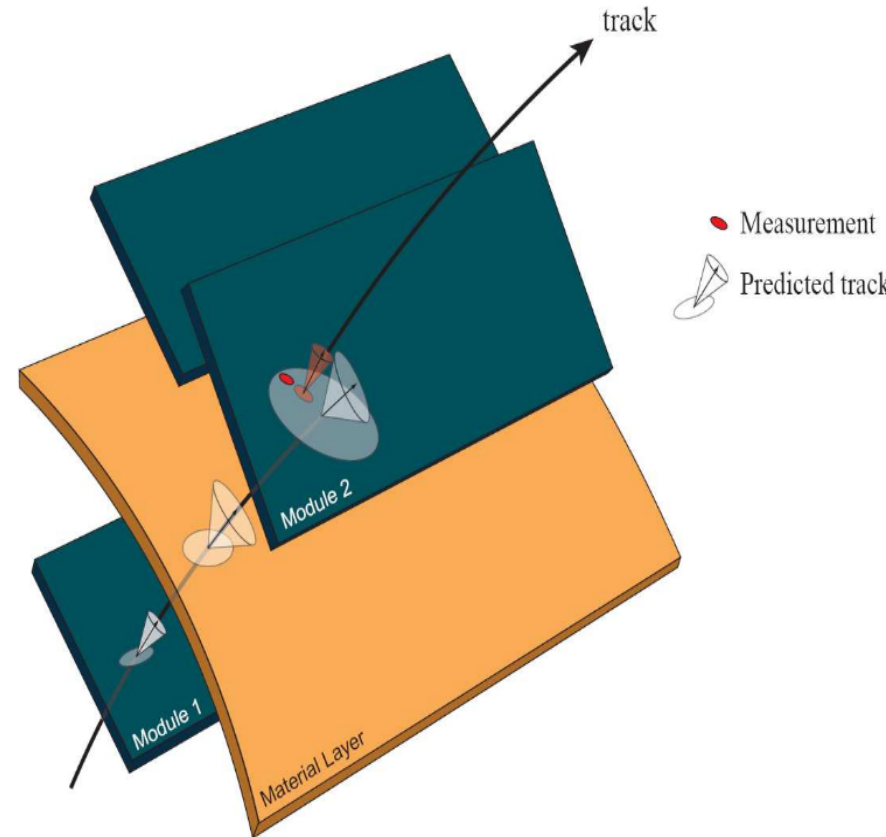
Following the Particle Trajectory

- **basic problems** to be solved in order to follow a track through a detector:

- ➔ next detector module that it intersects?
- ➔ what are its parameters on this surface?
what is the uncertainty of those parameters?
- ➔ for how much material do I have to correct for ?

- **requires:**

- ➔ a detector geometry track surfaces for active detectors passive material layers
- ➔ a method to discover which is the next surface (navigation)
- ➔ a propagator to calculate the new parameters and its errors
often referred to as “track model”



Tracking

- Almost all High Energy experiments done at accelerators have a magnetic spectrometer to measure the momentum of charged particles

The equation of motion for a particle with charge q in magnetic field \vec{B} :

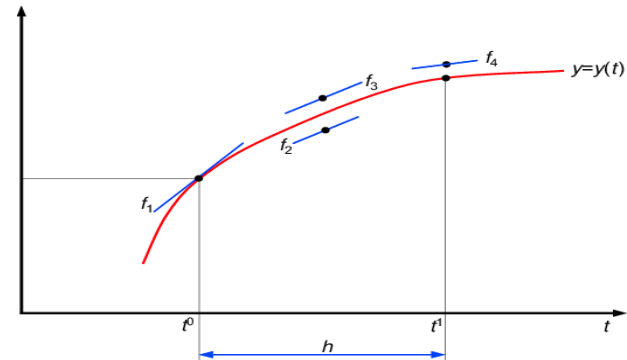
$$\frac{d\vec{p}}{dt} = q\vec{v} \times \vec{B}$$

Can be written as set of differential equations for motion along z with $x(z)$

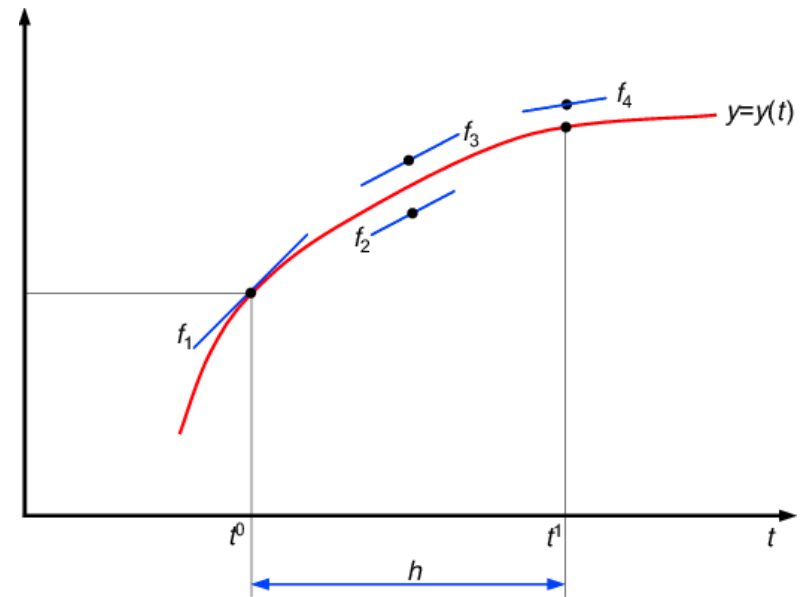
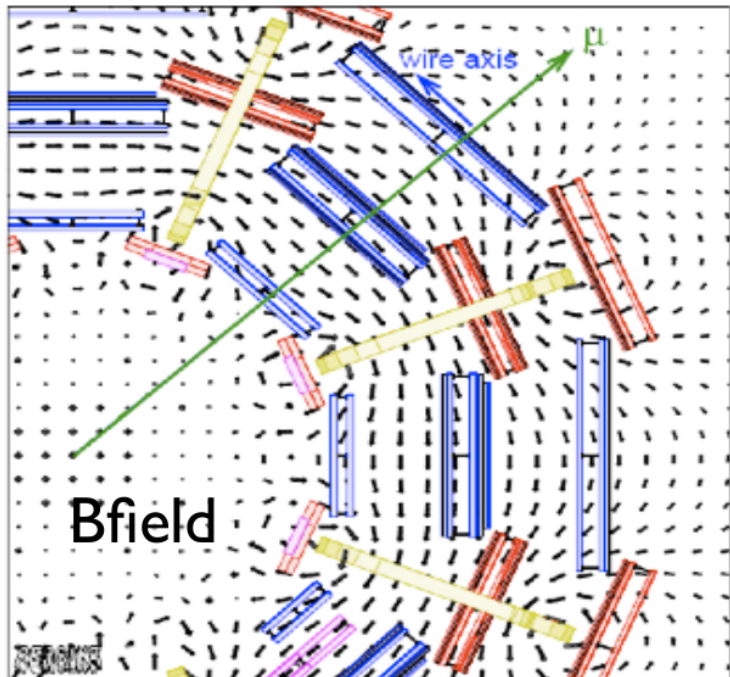
$$\frac{d^2x}{dz^2} = \frac{q}{p} R \left[\frac{dx}{dz} \frac{dy}{dz} B_x - \left(1 + \left(\frac{dx}{dz} \right)^2 \right) B_y + \frac{dy}{dz} B_z \right]$$

$$\frac{d^2y}{dz^2} = \frac{q}{p} R \left[\left(1 + \left(\frac{dy}{dz} \right)^2 \right) B_x - \frac{dx}{dz} \frac{dy}{dz} B_y - \frac{dx}{dz} B_z \right]$$

- No analytical solution for inhomogeneous B-field, requires numerical integration
- numerical integration done using Runge-Kutta technique



Track Propagation in realistic B-Field



$$k_1 = hf(x_n, y_n)$$

$$k_2 = hf(x_n + h/2, y_n + k_1/2)$$

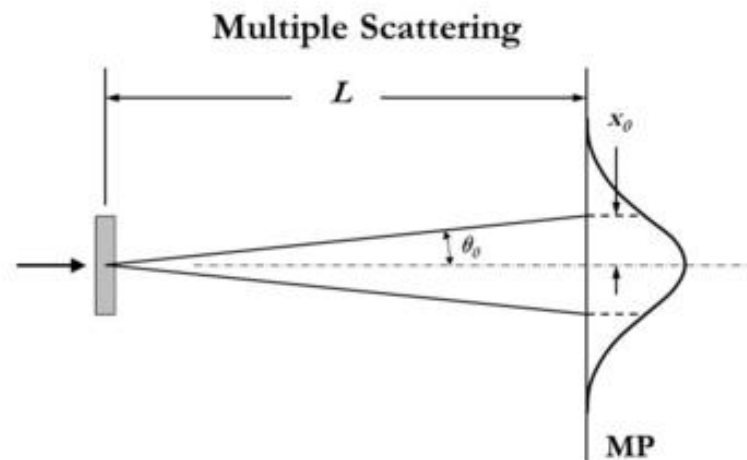
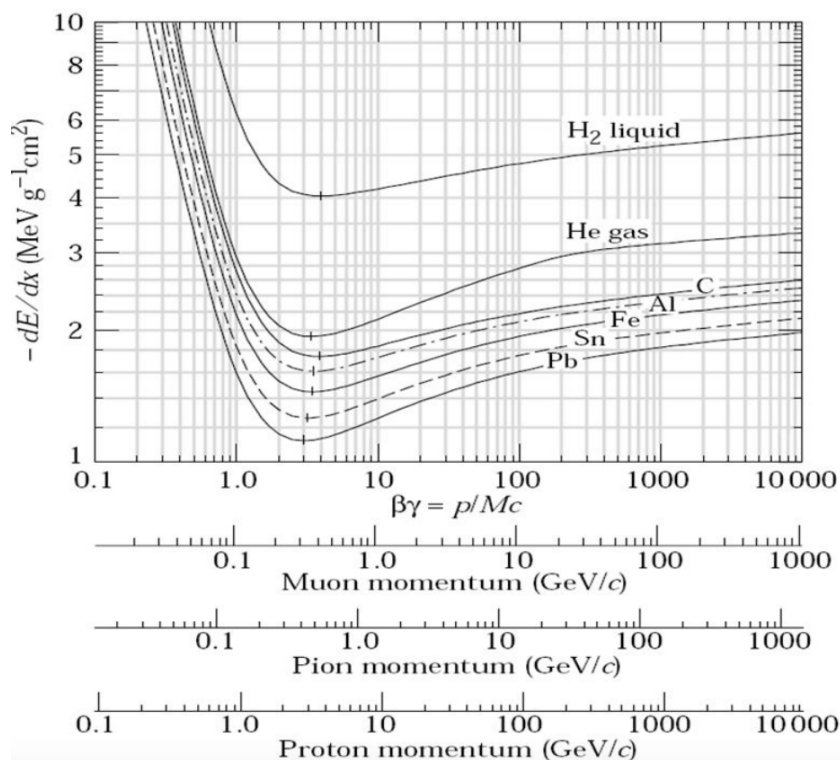
$$k_3 = hf(x_n + h/2, y_n + k_2/2)$$

$$k_4 = hf(x_n + h, y_n + k_3)$$

$$y_{n+1} = y_n + \frac{k_1}{6} + \frac{k_2}{3} + \frac{k_3}{3} + \frac{k_4}{6}$$

Well, not only B-field

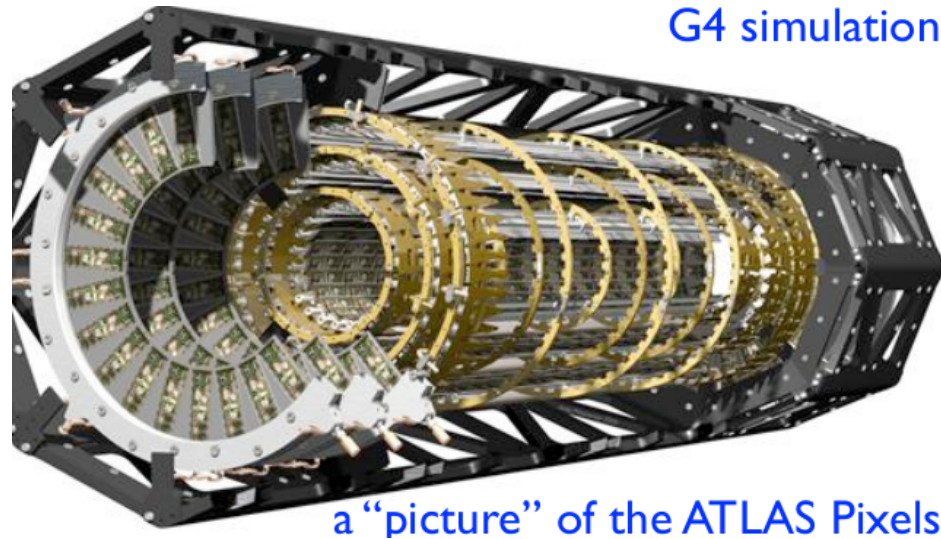
- Energy loss
 - impact on the momentum
- Multi-scattering
 - increases uncertainty on direction of track



When protons pass through a slab of material they suffer millions of collisions with atomic nuclei. The statistical outcome is a *multiple scattering angle* whose distribution is approximately Gaussian. For protons, this angle is always small so the projected displacement in any measuring plane **MP** is also Gaussian. The width parameter of the angular distribution is θ_θ . The corresponding displacement, x_θ , can easily be measured by scanning a dosimeter across the MP. The task of multiple scattering theory is to predict θ_θ given the scattering material and thickness, and the incident proton energy.

Detector Geometry

- interactions in detector material limiting tracking performance:
 - LHC detectors are complex require a very detailed description of their geometry
 - experiments developed geometry models (translation into G4 Simulation) huge number of volumes
- physics requirement to reach LHC goals (e.g. W mass)
 - control material close to beam pipe at % level



	model	placed volumes
ALICE	Root	4.3 M
ATLAS	GeoModel	4.8 M
CMS	DDD	2.7 M
LHCb	LHCb Det.Des.	18.5 M

Weighing Detectors during Construction

- Huge effort in experiments:
 - ➔ important to reach good description in simulation and reconstruction
 - ➔ each individual detector part was put on balance and compare with model
 - ➔ CMS and ATLAS measured weight of their tracker and all of its components
 - ➔ correct the geometry implementation in simulation and reconstruction



CMS	estimated from measurements	simulation
active Pixels	2598 g	2455 g
full detector	6350 kg	6173 kg

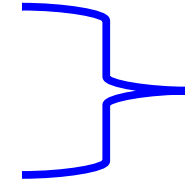
ATLAS	estimated from measurements	simulation
Pixel package	201 kg	197 kg
SCT detector	672 ±15 kg	672 kg
TRT detector	2961 ±14 kg	2962 kg

preliminary

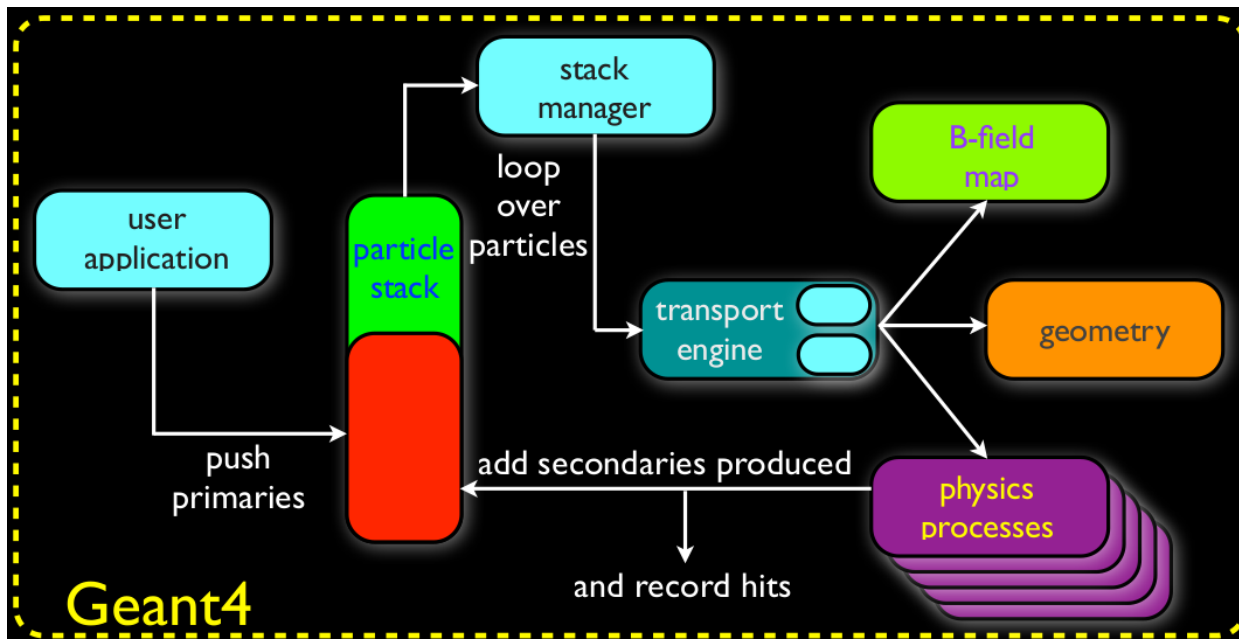
Simulation (Geant4)

- Geant4 is based upon:

- stack to keep track of all particles produced and stack manager
- extrapolation system to propagate each particle
 - transport engine with navigation
 - geometry model
 - B-field
- set of physics processes describing interaction of particles with matter
- a user application interface



Same concepts as
track reconstruction



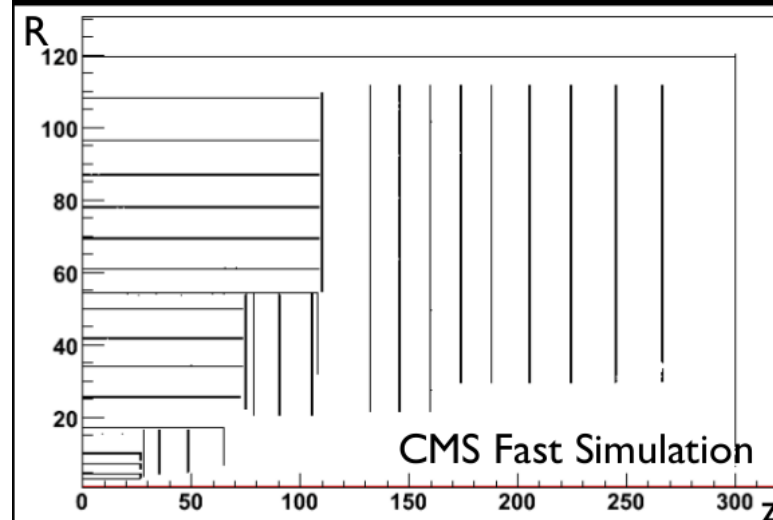
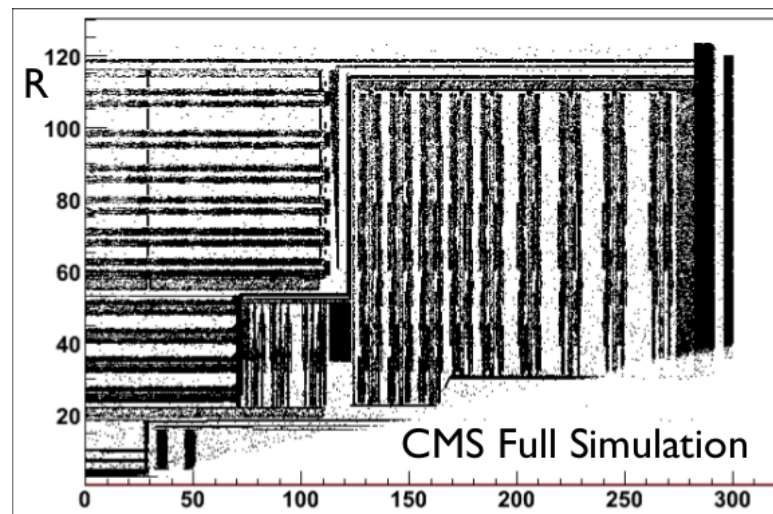
Fast Simulation

- CPU needs for Geant4:
 - simulation strategies of experiments mix full G4 and fast simulation

	G4	fast sim.
CMS	360	0.8
ATLAS	1990	7.4

(ttbar events, in seconds)

- fast simulation engines:
 - fast calo. simulation (parameterisation, showers libraries, ...)
 - simplified tracking geometries
 - simplify physics processes w.r.t. G4
 - output in same data model as full sim.
 - able to run full reconstruction (trigger)



From Measurements to Track Fitting

- A measurement model is like:

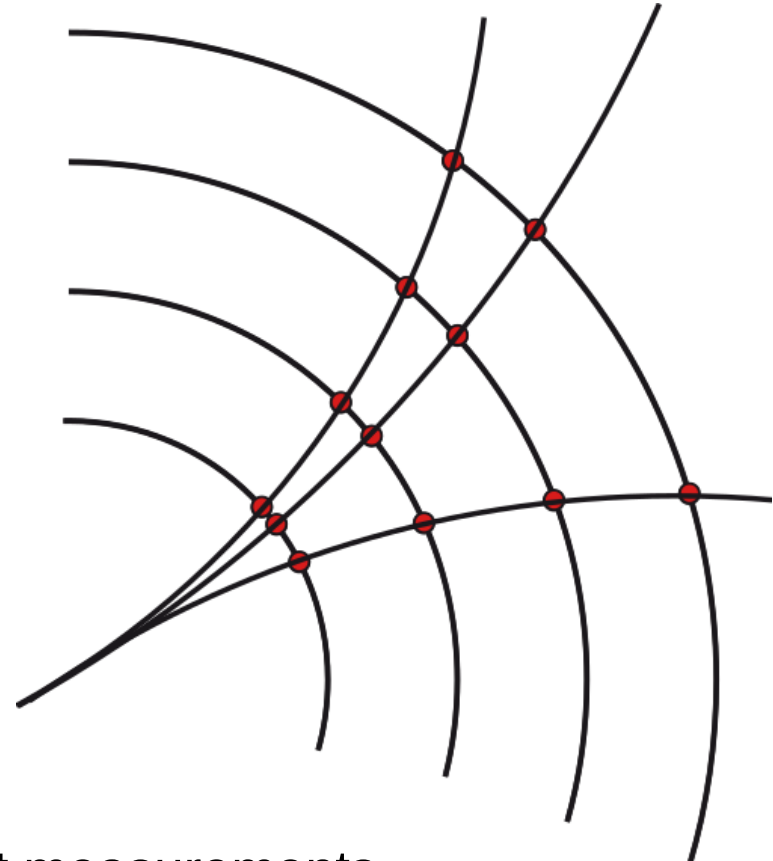
$$\mathbf{m}_k = \mathbf{h}_k(\mathbf{q}_k) + \boldsymbol{\gamma}_k$$

with: $\mathbf{h}_k \sim$ functional dependency of measurement on e.g. track angle

$\boldsymbol{\gamma}_k \sim$ error (noise term)

$\mathbf{H}_k = \frac{\partial \mathbf{m}_k}{\partial \mathbf{q}_k} \sim$ Jacobian, often contains only rotations and projections

Measurements \mathbf{m}_k . In practice those \mathbf{m}_k are clusters, drift circles ...



- Task of track fit:
 - estimate the track parameters from a set measurements
- Examples of fitting techniques:
 - Least Square; Kalman Filter
 - Gaussian Sum Filter or Deterministic Annealing Filters

Classical Least Square Track Fit

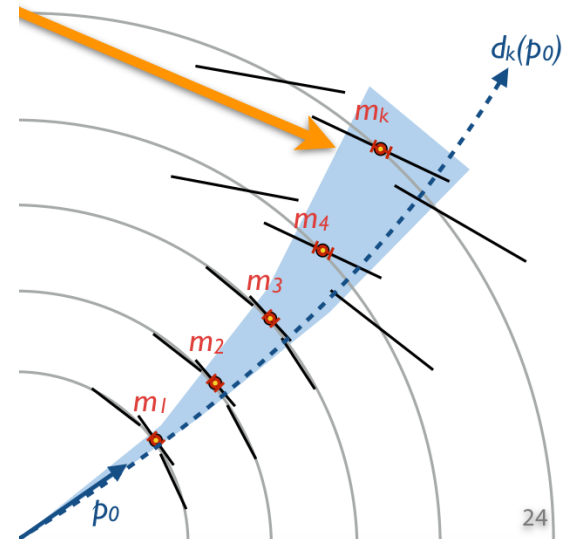
Construct and minimise the χ^2 function:

- Carl Gauss is credited with developing the fundamentals of the basis for least-squares analysis in 1795 at the age of eighteen
- Legendre was the first to publish the method, however



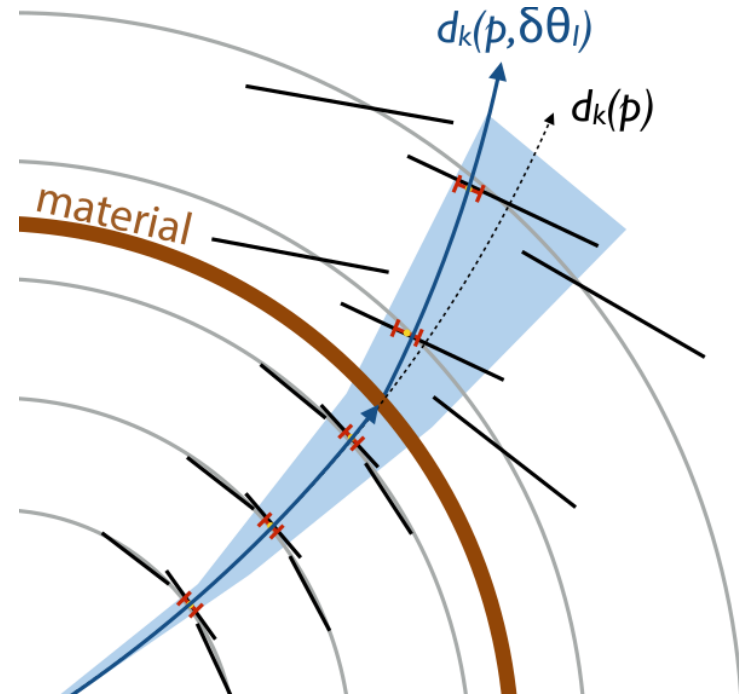
➡ Write down Least Square function:

$$\chi^2 = \sum_k \Delta m_k^T G_K^{-1} \Delta m_k \quad \text{with:} \quad \Delta m_k = m_k - d_k(p)$$



Classical Least Square Track Fit

- Allowing for material effects in fit:
 - ➔ can be absorbed in track model, provided effects are small
 - ➔ for substantial multiple scattering, allows for scattering angles in the fit
- Introduce scattering angles on material surfaces:
 - ➔ on each material surface, add 2 angles $\delta\theta_i$ as free parameters to the fit
- Results in additional term in χ^2 equations:



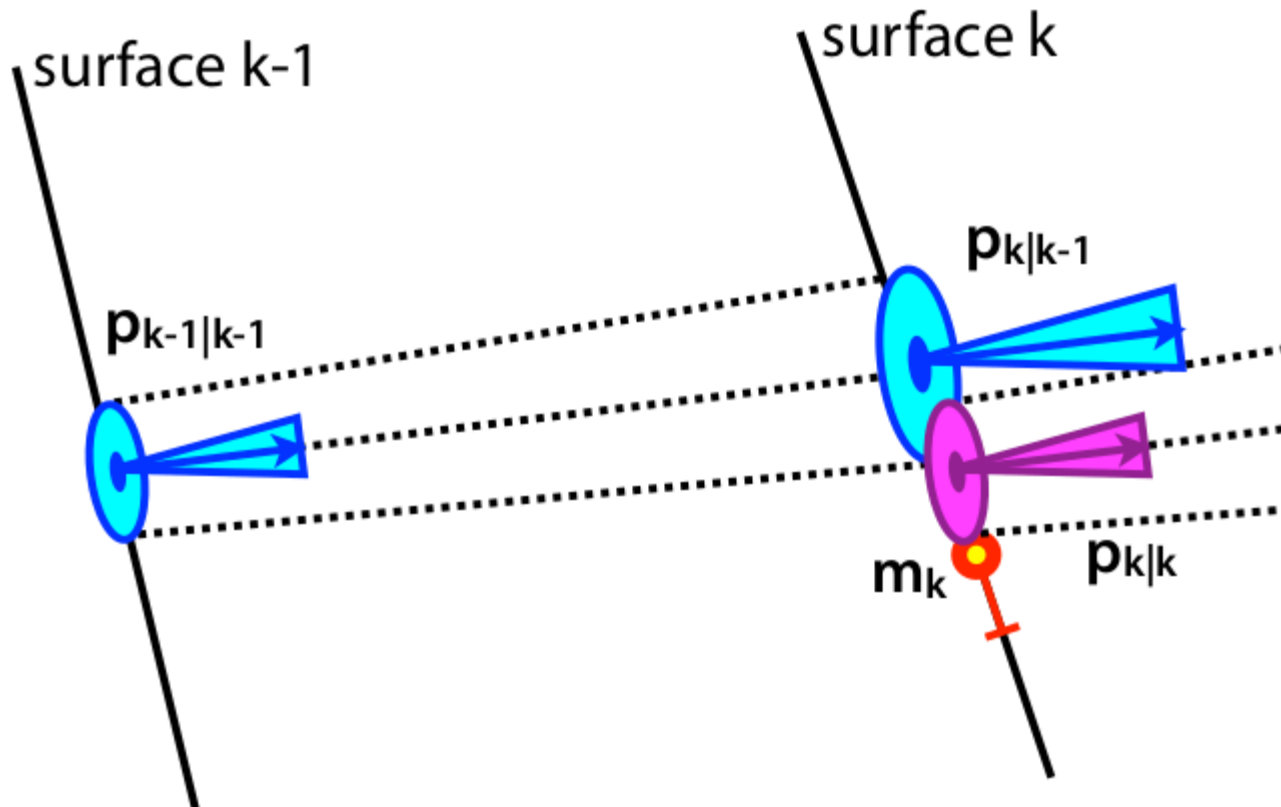
$$\chi^2 = \sum_k \Delta m_k^T G_K^{-1} \Delta m_k + \sum_i \delta\theta_i^T Q_i^{-1} \delta\theta_i$$

with: $\Delta m_k = m_k - d_k(p, \delta\theta_i)$

The Kalman Filter Track Fit

A Kalman Filter is a progressive way of performing a least square fit

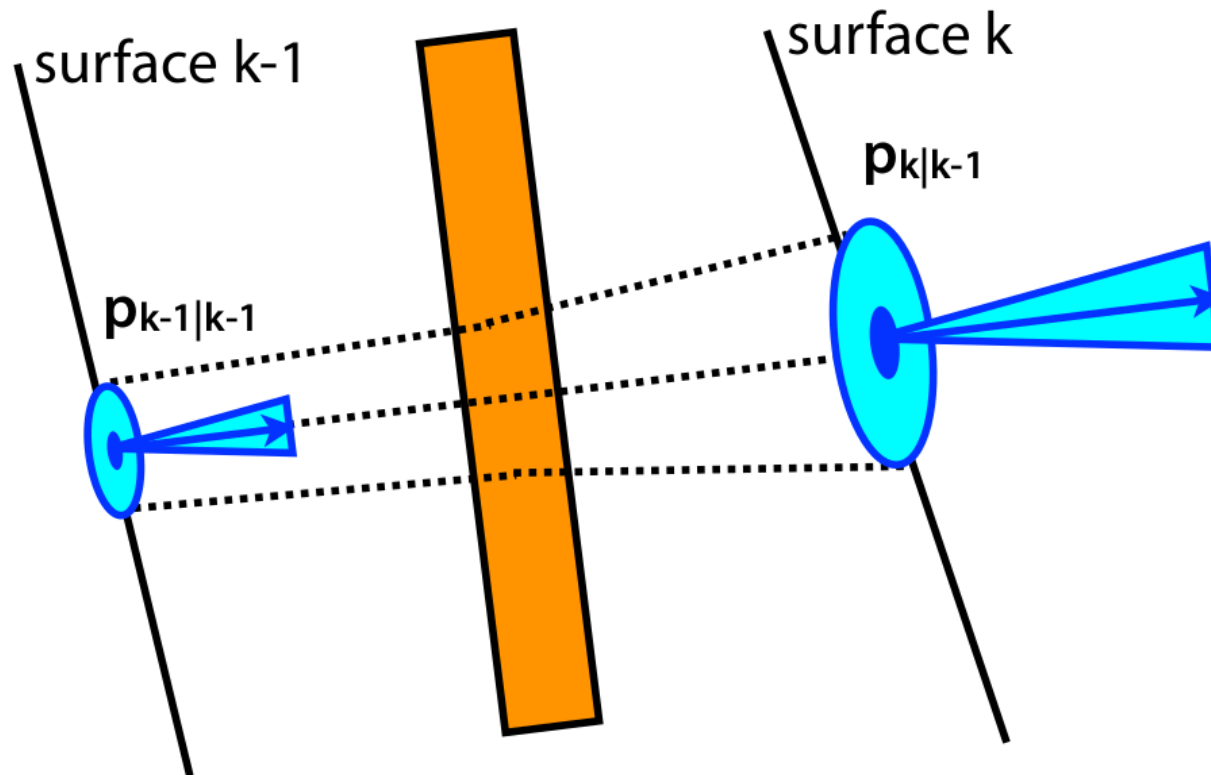
→ can be shown that it is mathematically equivalent



The Kalman Filter Track Fit

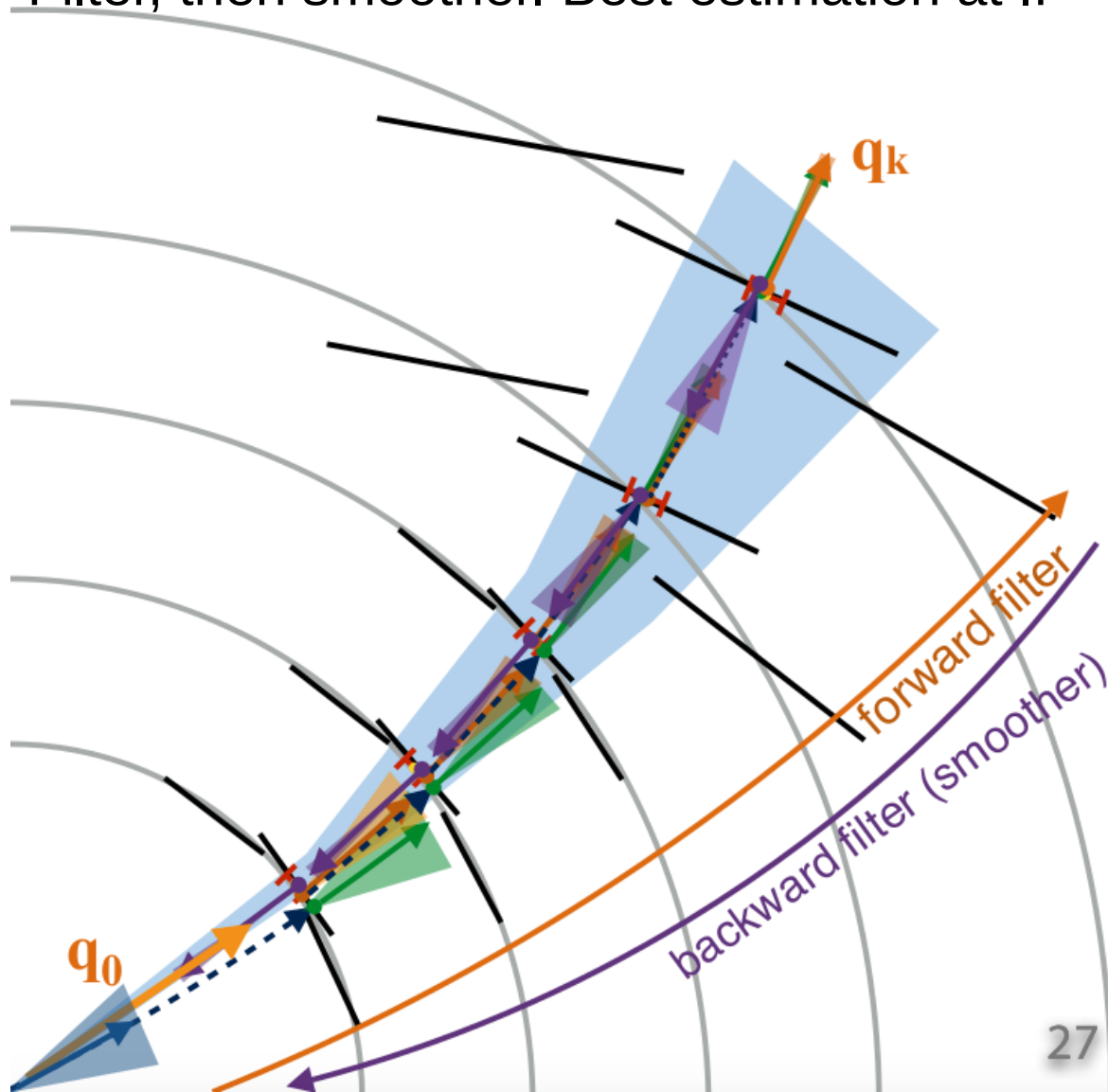
Material effects (multiple scattering and energy loss):

- incorporated in the propagated parameters $p_{k|k-1}$ (extrapolated prediction)
- and therefore enters automatically in the updated parameters $p_{k|k}$ at point k



Filter and Smoother

- Initial parameters could be a bit arbitrary
- Filter, then smoother. Best estimation at IP



Fitting for Electron

material in tracker:

→ e-Bremsstrahlung and γ -conversions

Electron efficiency limited:

momentum loss due to Bremsstrahlung leads to sudden large changes in track curvature

→ losing hits after Brem. leads to inefficiency

→ fit either biased towards small momenta or fails completely because of bad χ^2

Techniques to allow for Bremsstrahlung in track fitting:

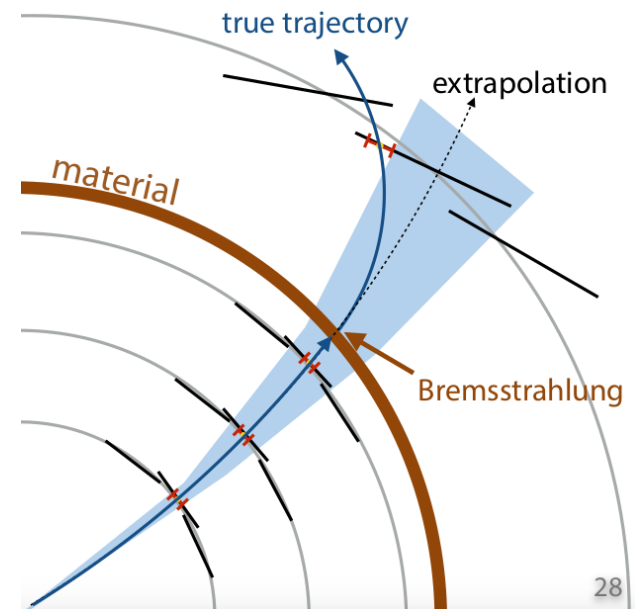
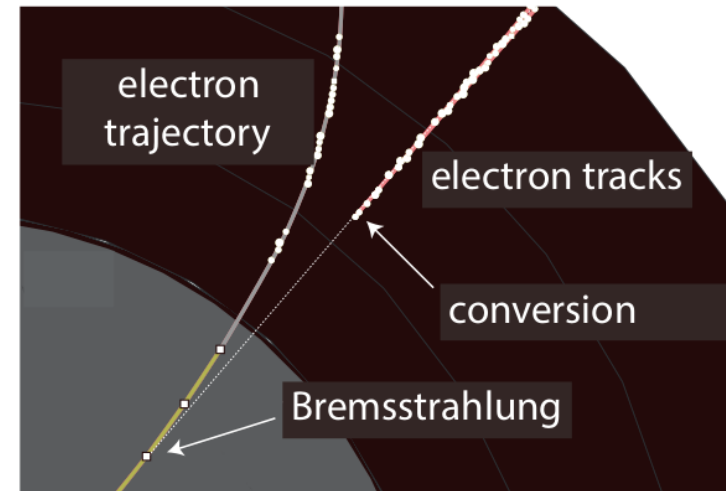
→ for Least Square track fit

allow Brem. effect to change curvature, additional term similar is to scattering angle

→ for Kalman Filter

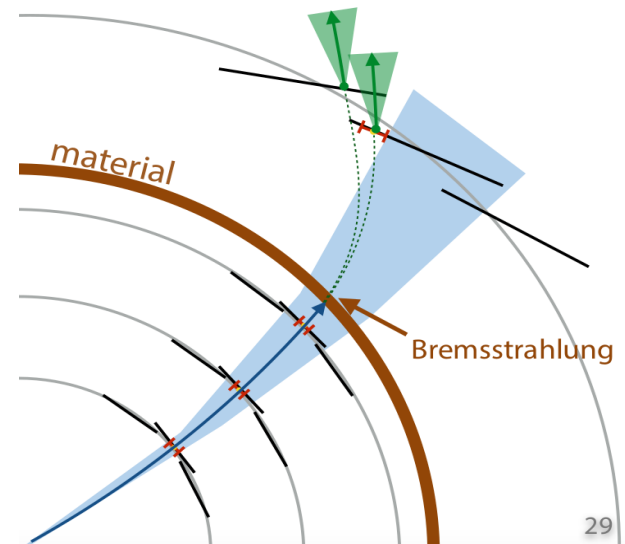
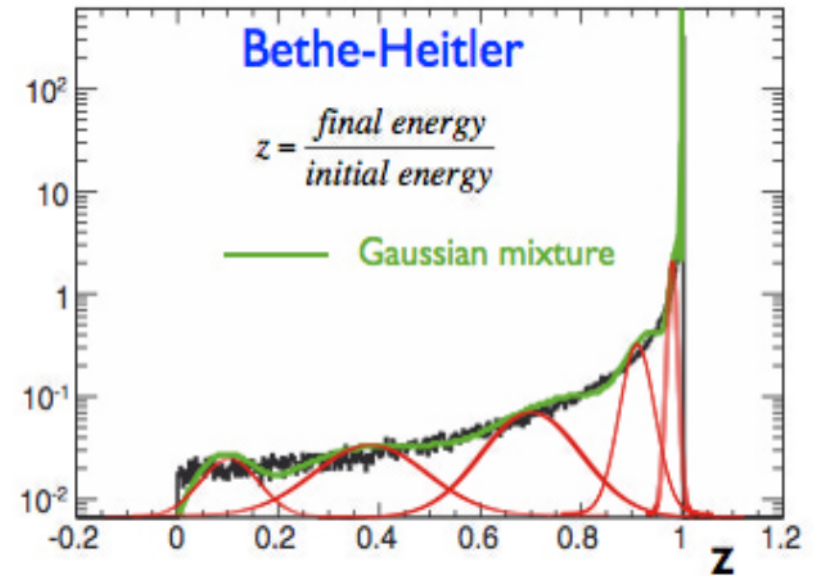
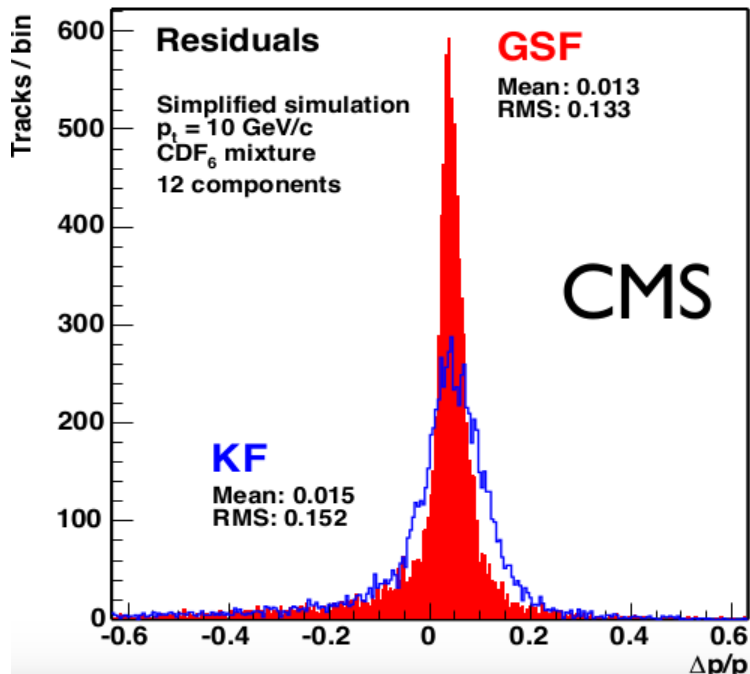
increase correction for material effects in propagation to allow for Brem.

→ better: Gaussian Sum Filter



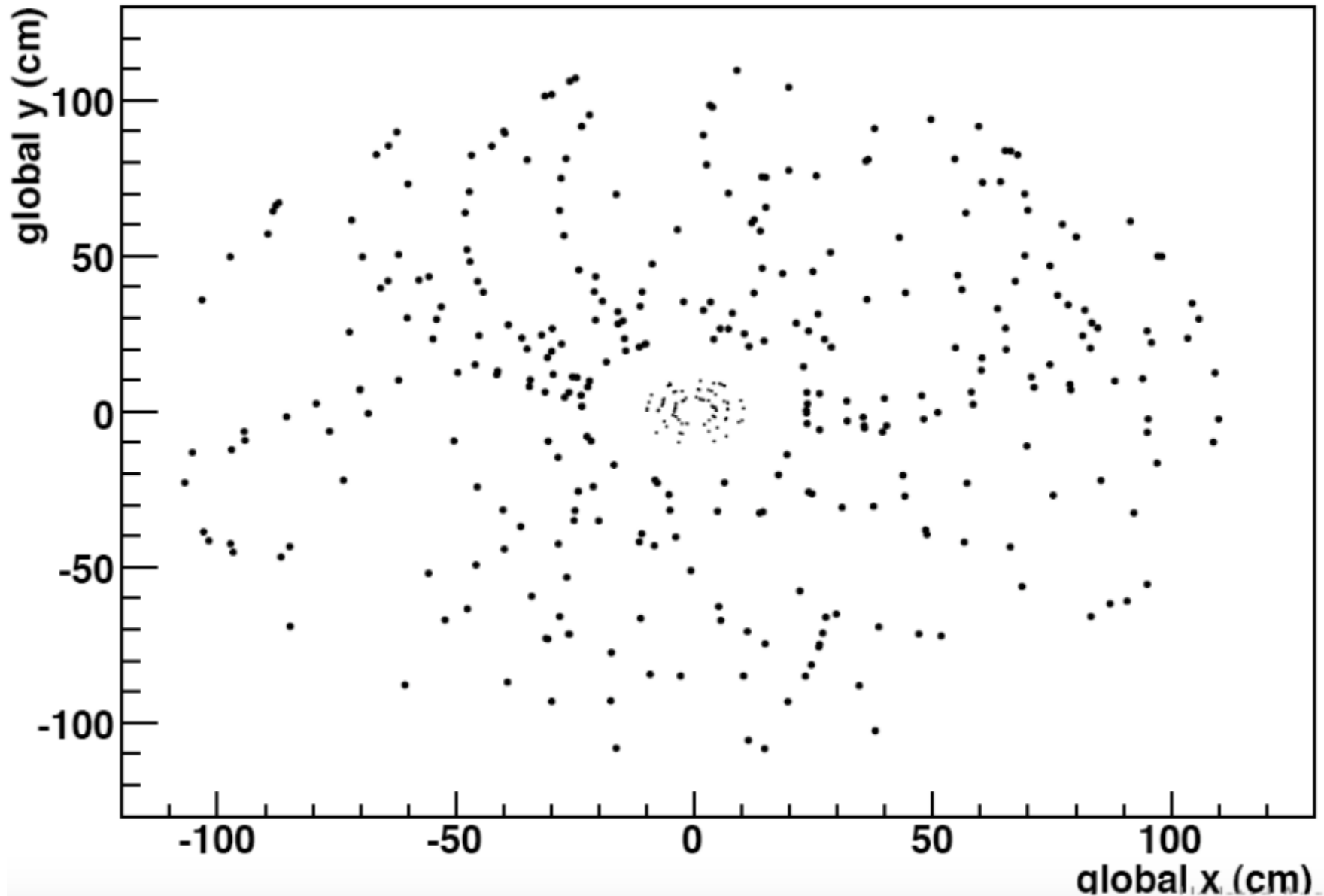
The GSF

- Approximate Bethe-Heitler distribution as Gaussian mixture
- GSF step resembles set of parallel Kalman Filters computationally expensive !

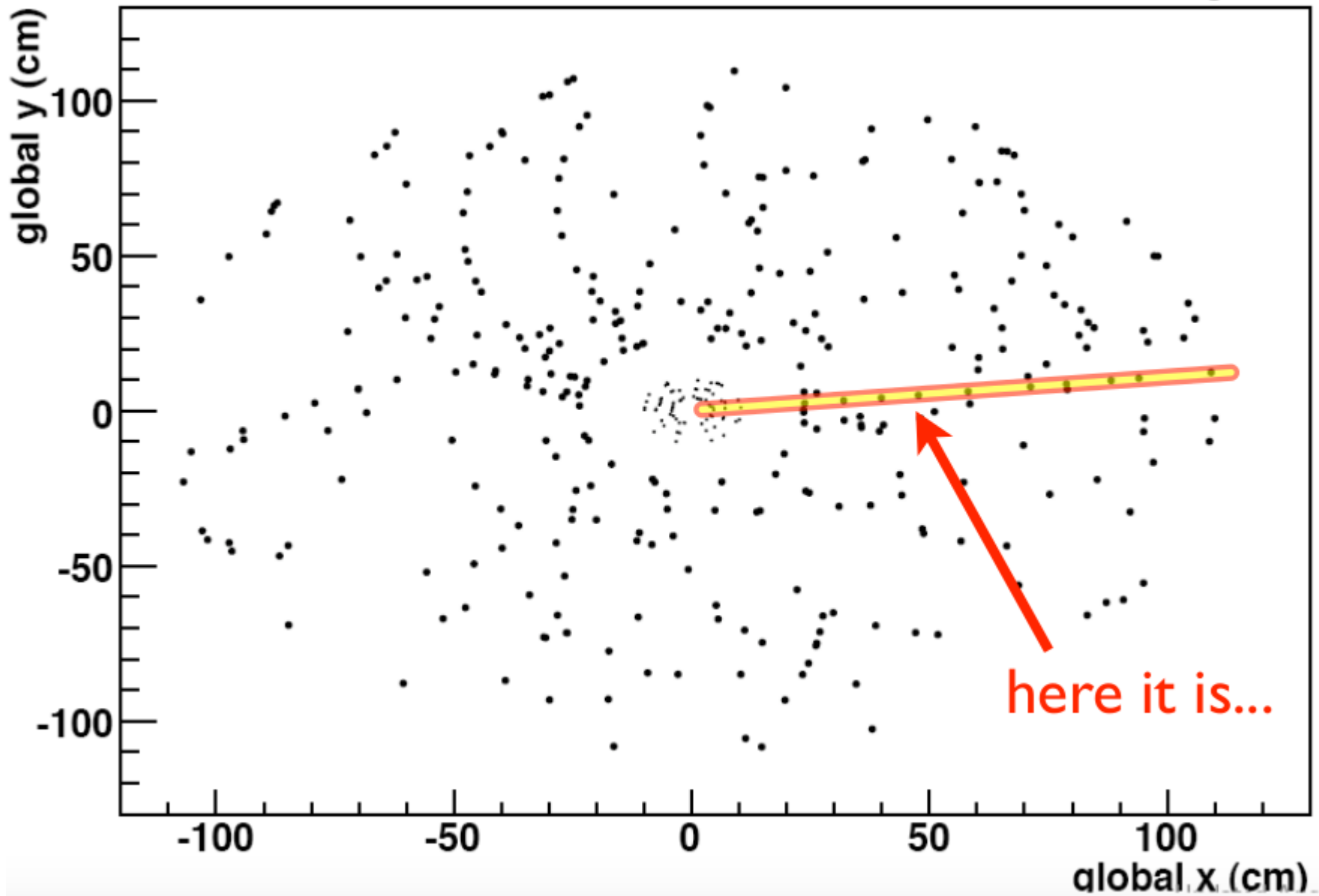


Track Finding

Can you find a 50GeV track ??



Can you find a 50GeV track ??



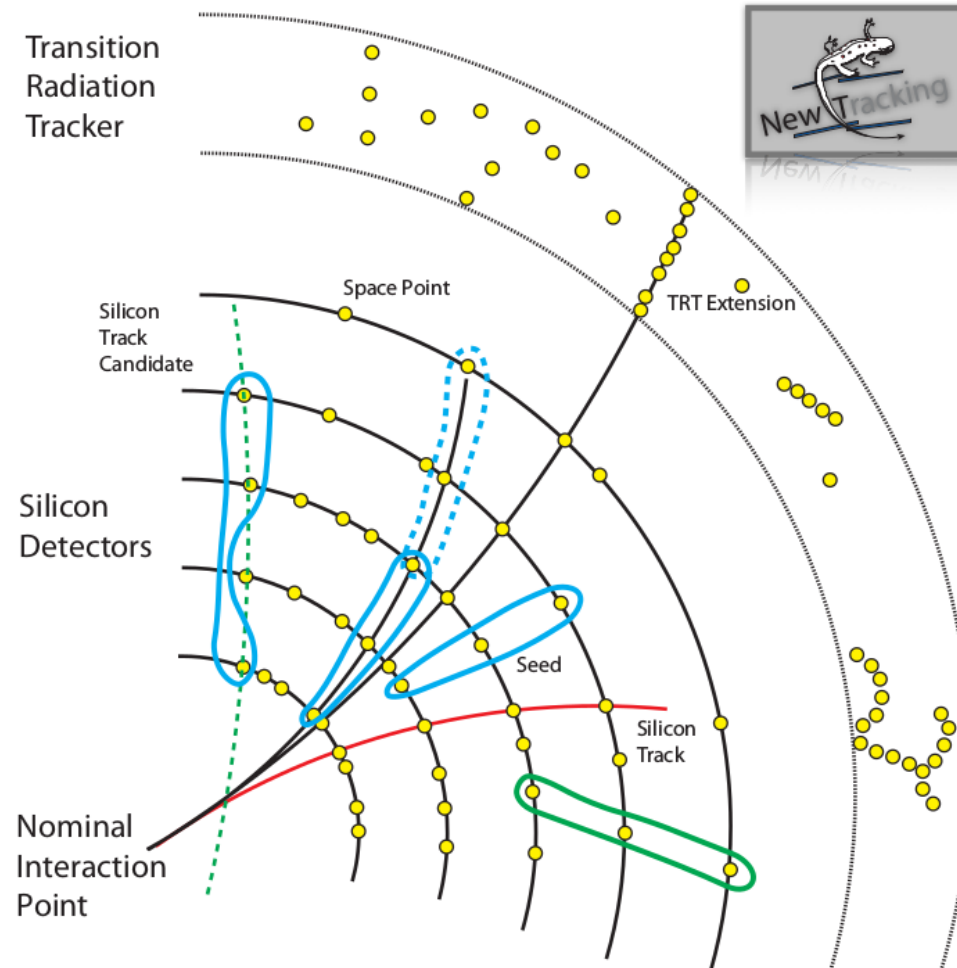
Track Finding

The task of the track finding

- identify track candidates in event
- cope with the combinatorial explosion of possible hit

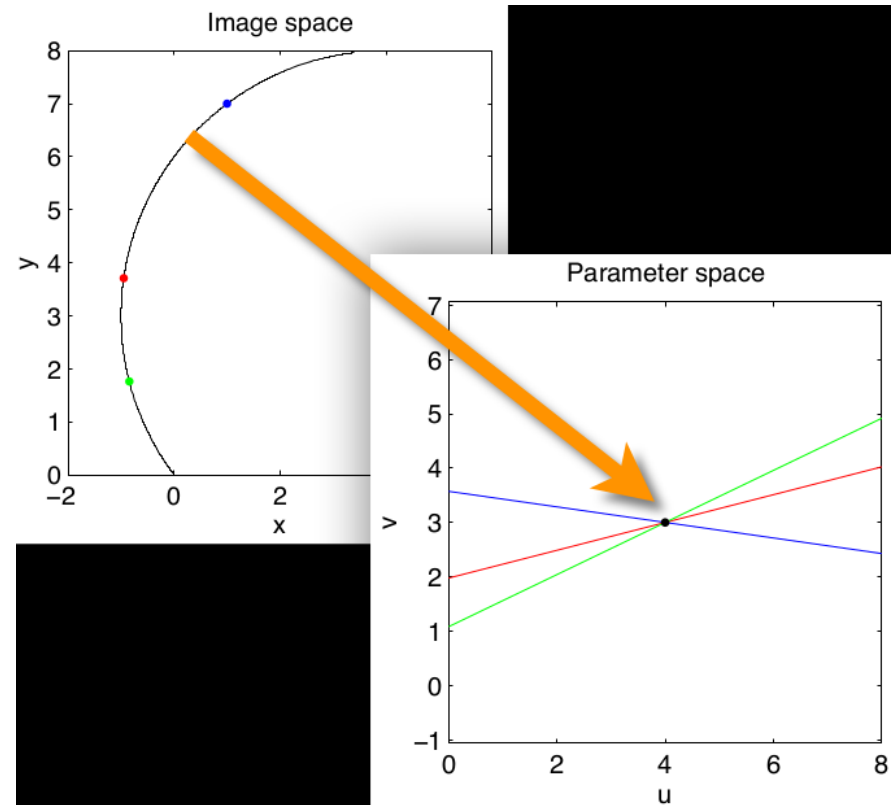
Different techniques:

- rough distinction: local/sequential and global/parallel methods
- local method: generate seeds and complete them to track candidates
- global method: simultaneous clustering of detector hits into track candidates

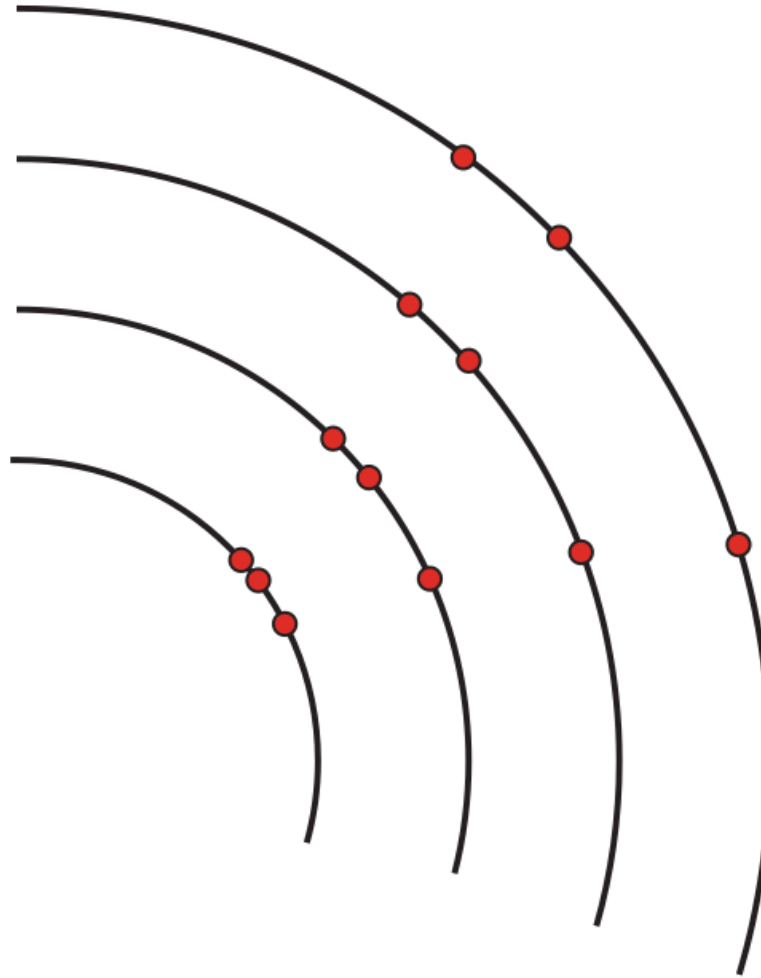


Conformal Mapping

- Hough transform:
 - cycles through the origin in x-y transform into point in u-v
 - each hit becomes a straight line
- Search for maxima in parameter space to find track candidates

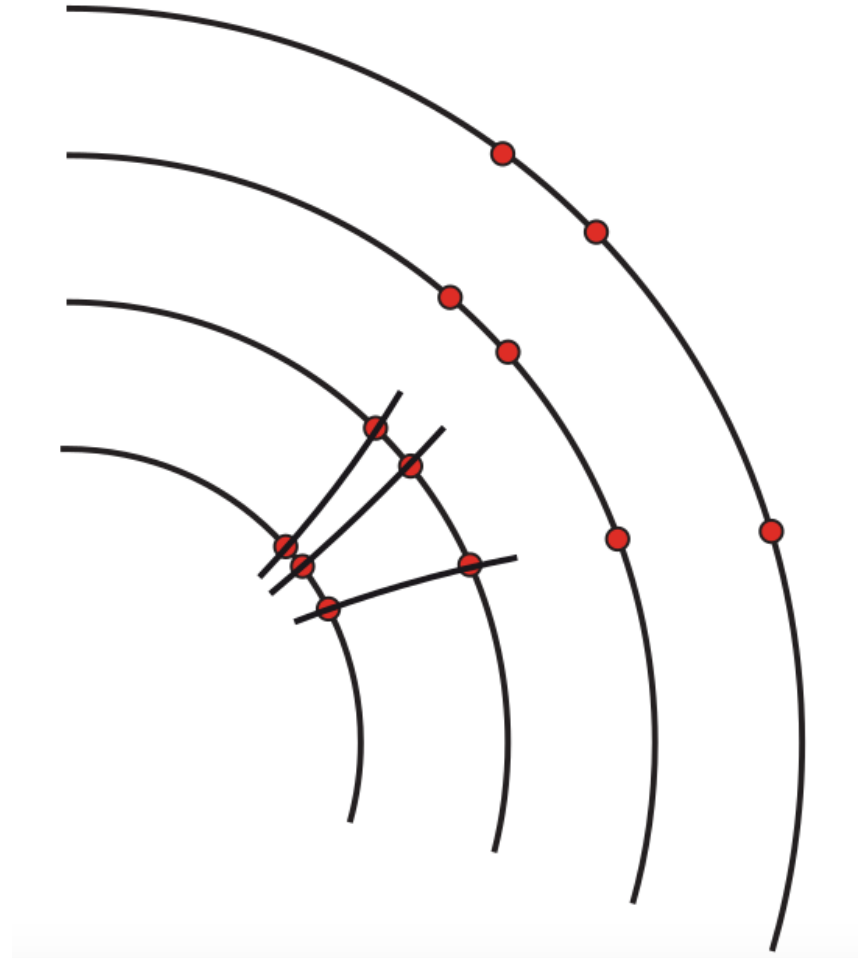


Local Track Finding



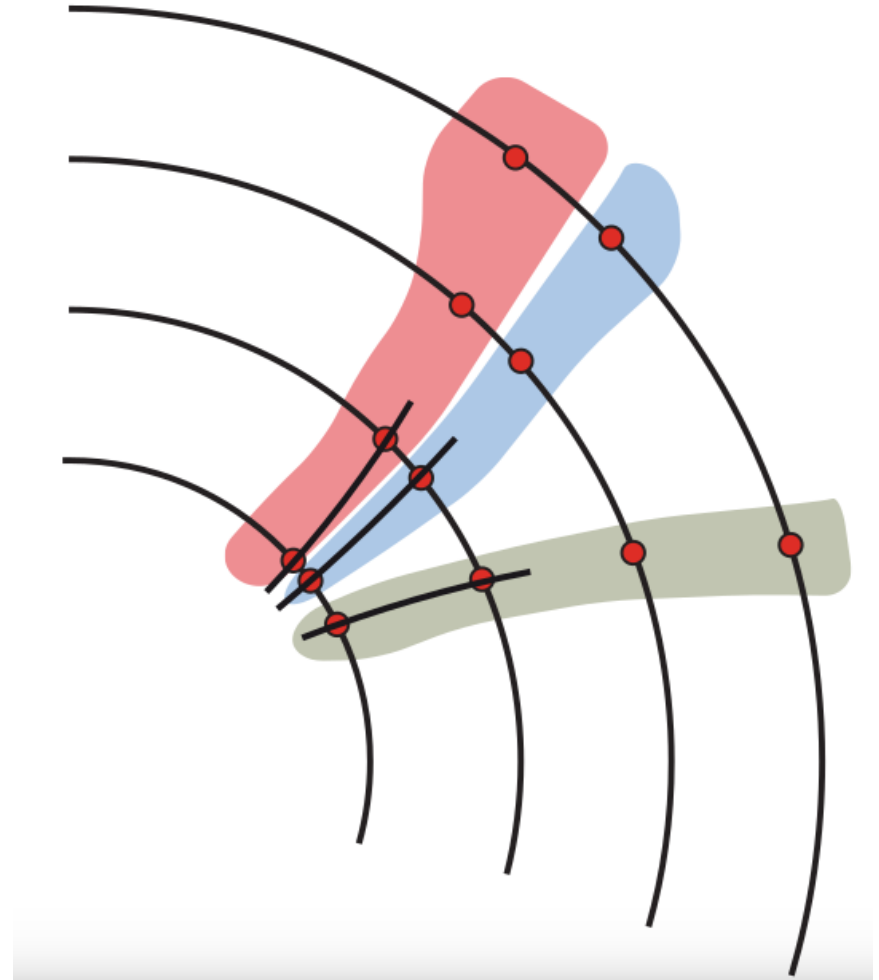
Local Track Finding

find seeds ~ combinations of 2-3 hits



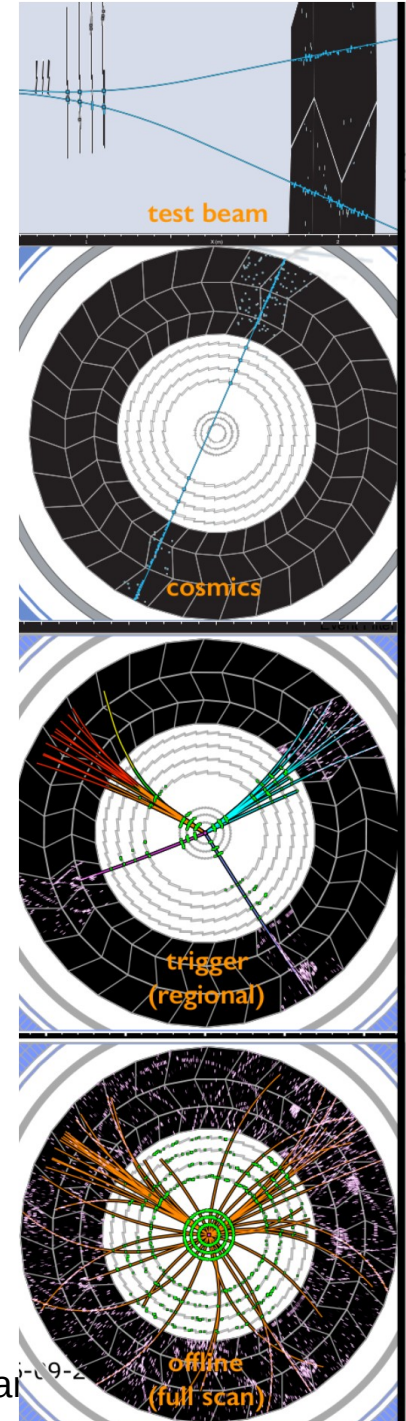
Local Track Finding

Build roads along the likely trajectory

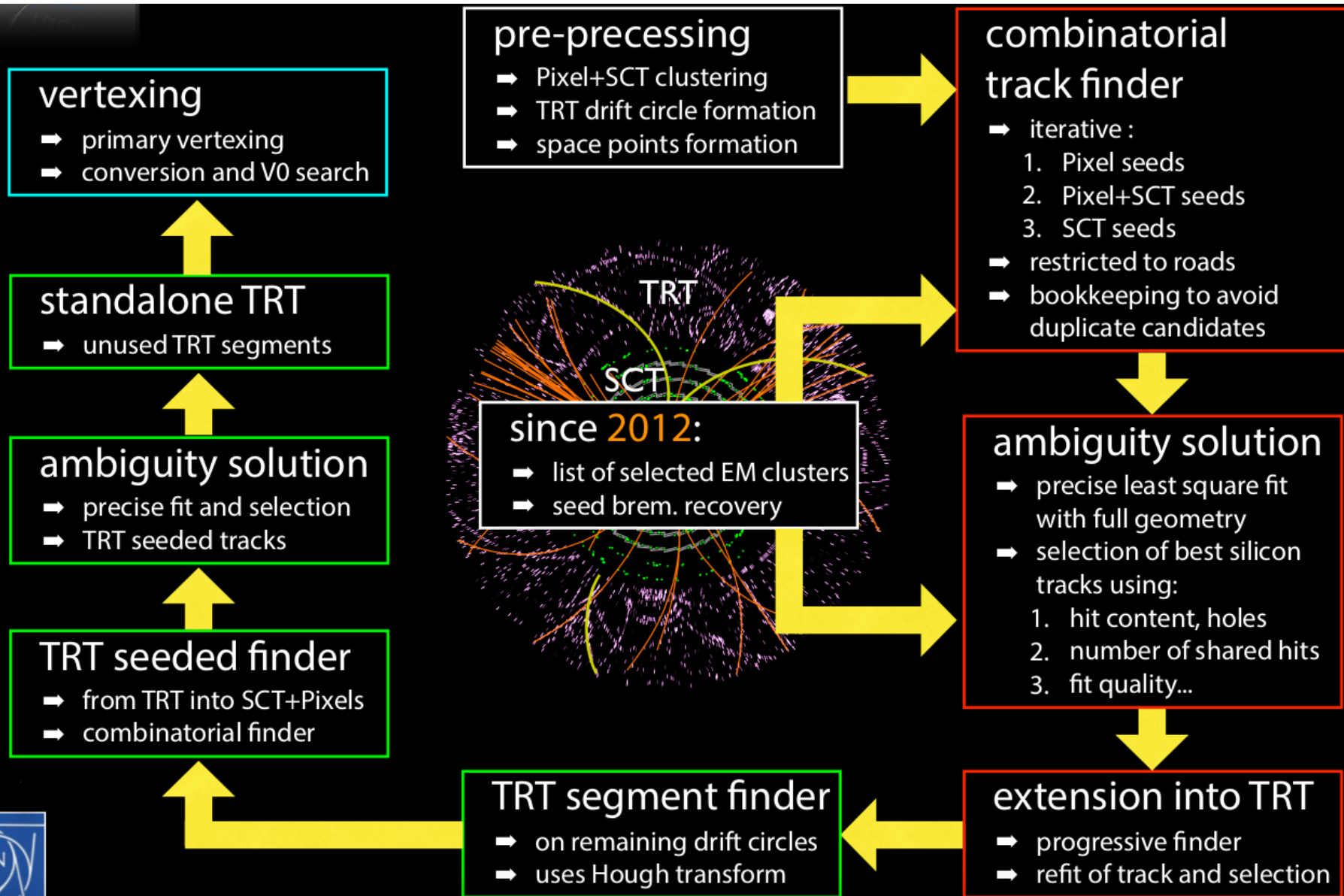


In practice

- Reconstruction strategy depends on:
 - detector technologies
 - physics/performance requirements
 - occupancy and backgrounds
 - geometry
 - technical constraints (CPU, memory)
- Even for same detector setup one looks at different types of events
- Track reconstruction used by experiments:
 - Usually apply a combination of different techniques
 - Often iterative ~ different strategies run on after the other to obtain best possible performance within
 - resource constraints

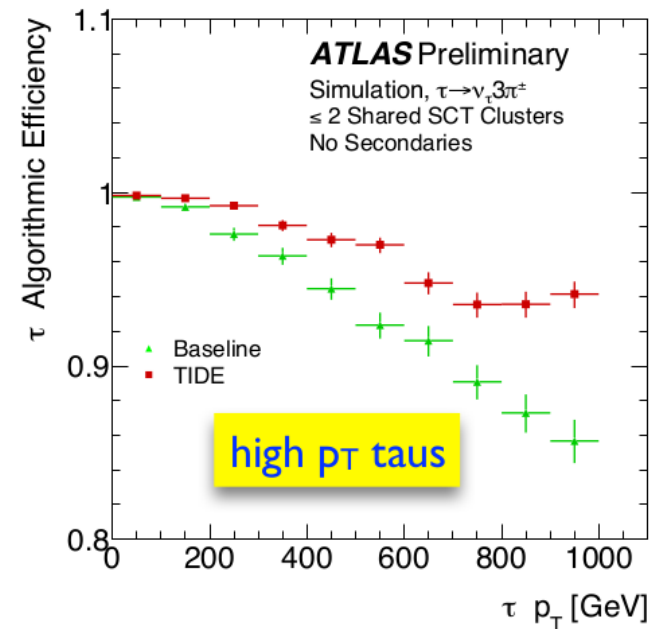
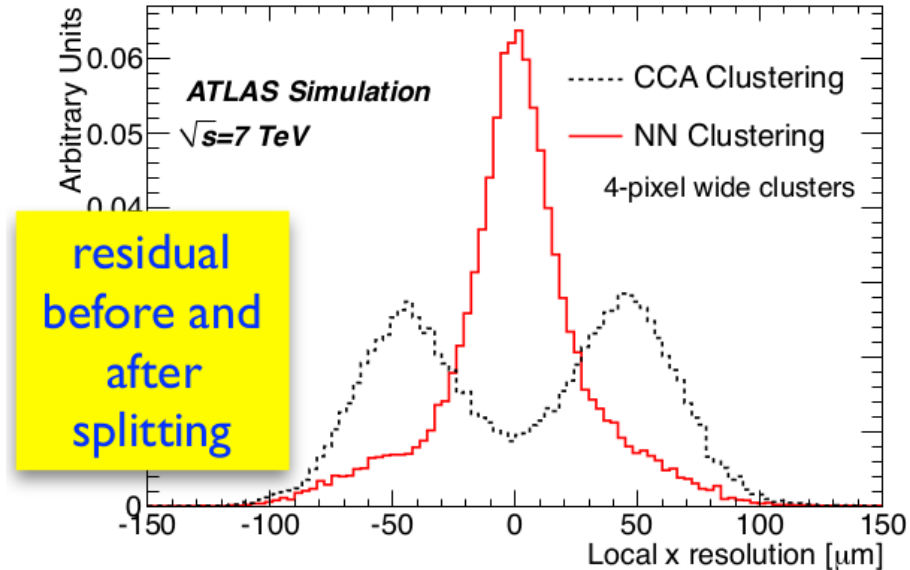


ATLAS Tracking Chain



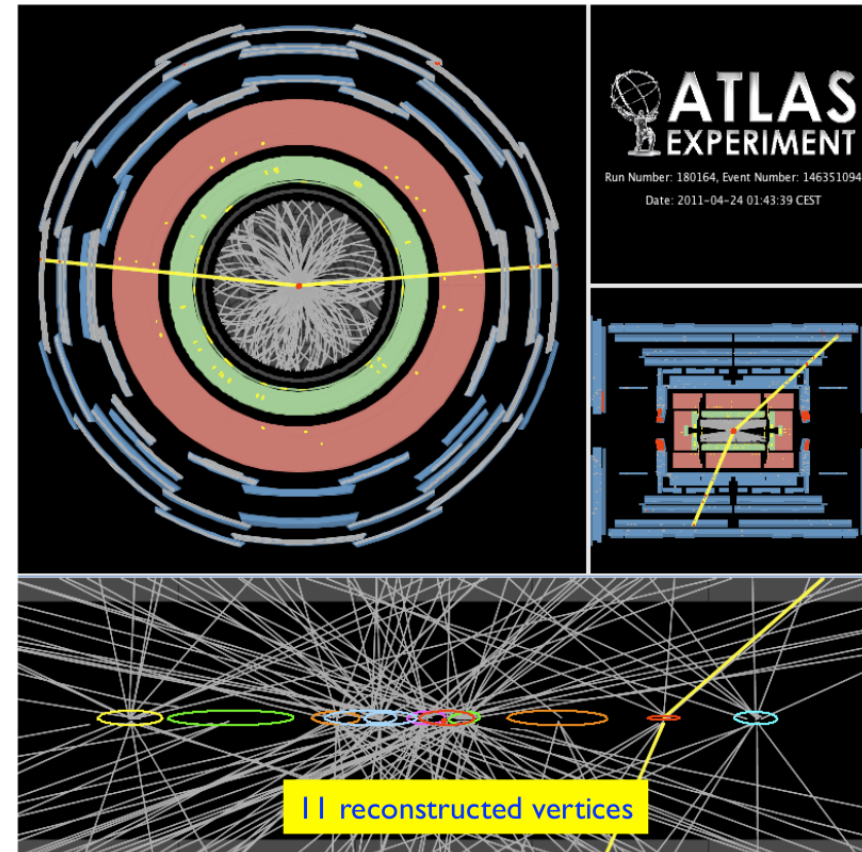
Tracking in Dense

- problem of cluster merging:
 - merging when track separation reaches single Pixel size
- Neural network (NN) Pixel clustering
 - identify merged clusters and splitting them
 - identify merge clusters, split them and correct positions
- Crucial in many areas:
 - ➔ b-tagging (especially at high momenta)
 - ➔ jet calibration and particle flow
 - ➔ 3-prong τ identification



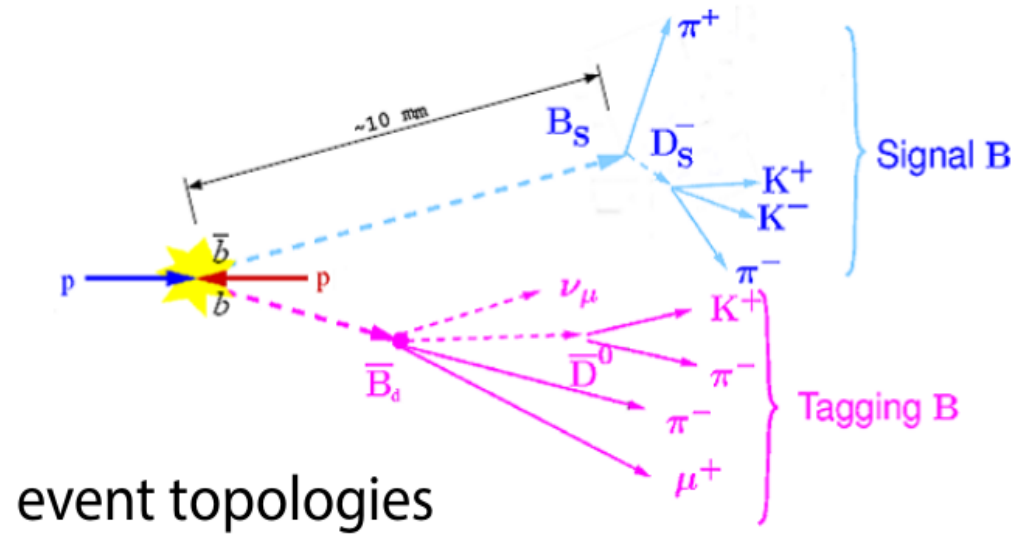
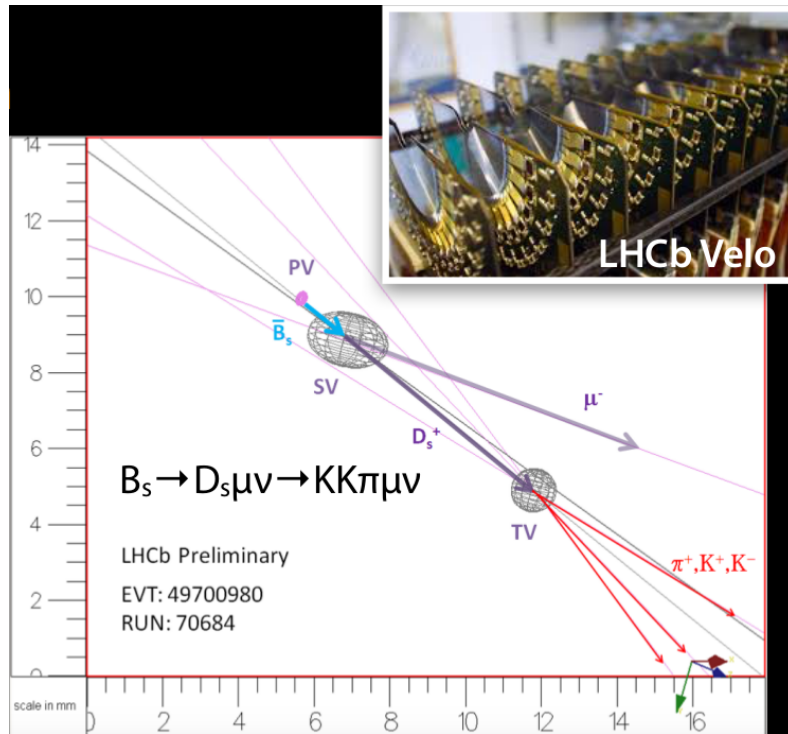
Vertexing

- Vertex fitting techniques play an important role:
 - in reconstruction chain following track reconstruction
 - primary interaction vertex reconstruction and identification
 - in time pileup estimation and pileup mitigation in particle flow reconstruction
 - secondary vertex finding for b-/c-jet identification, τ -reconstruction, photon conversions finding



Vertexing Application

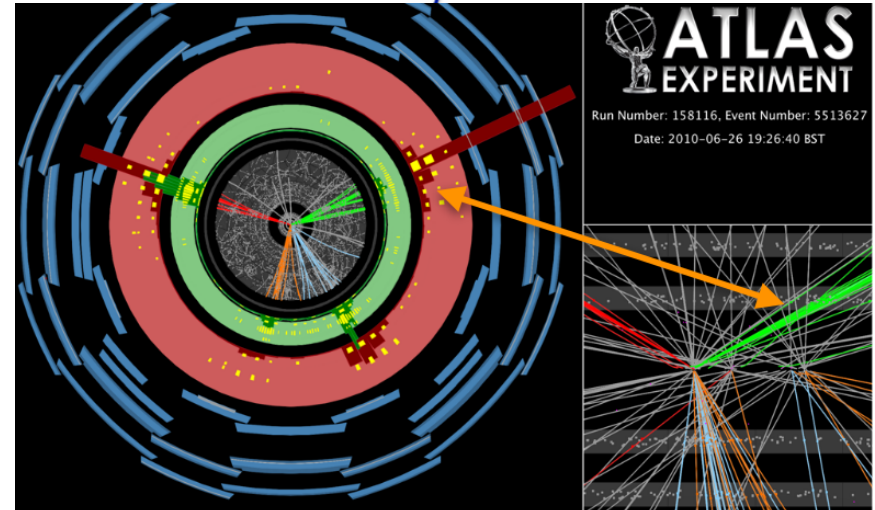
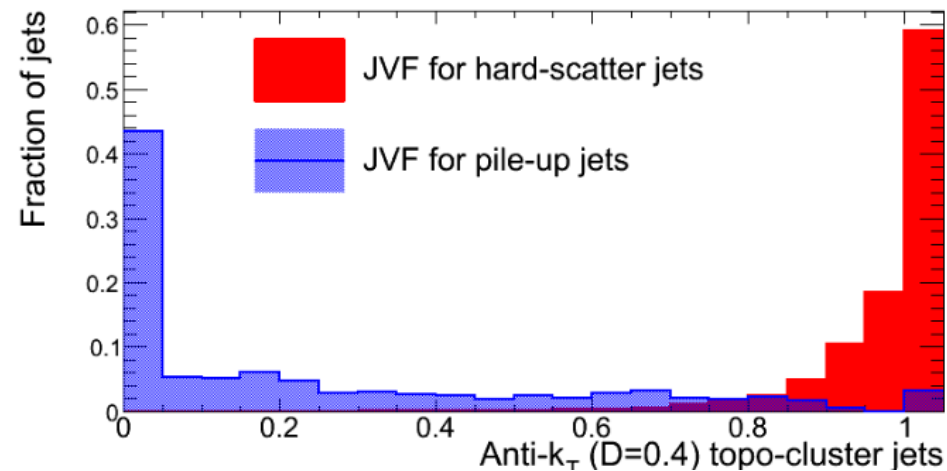
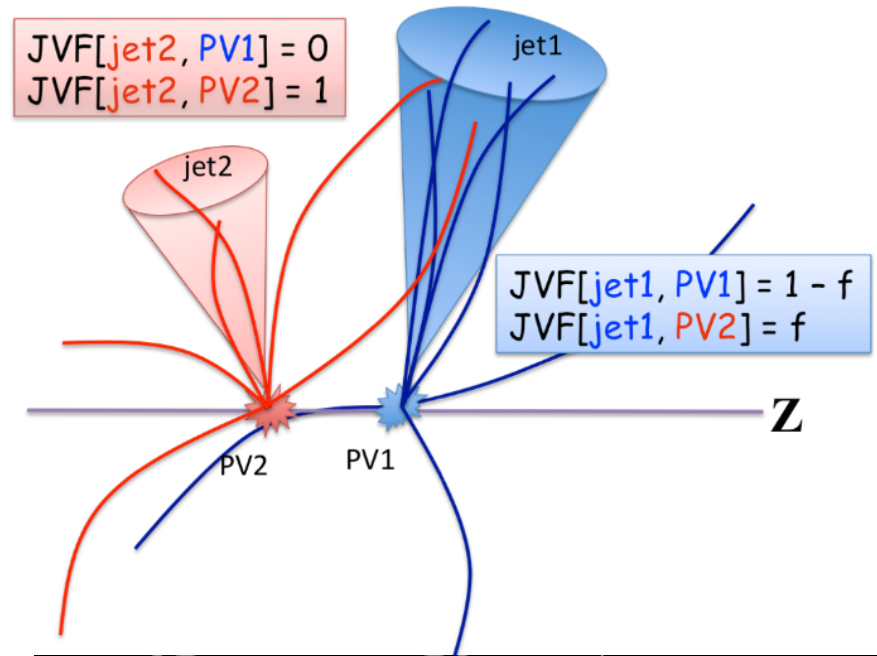
- Explores b- and c-hadron lifetime:



event topologies

Vertexing Application

$$JVF(\text{jet}_i, \text{vtx}_j) = \frac{\sum_k p_T(\text{trk}_k^{\text{jet}_i}, \text{vtx}_j)}{\sum_n \sum_l p_T(\text{trk}_l^{\text{jet}_i}, \text{vtx}_n)}$$



Vertex Fitting

- Task of a vertex fit:

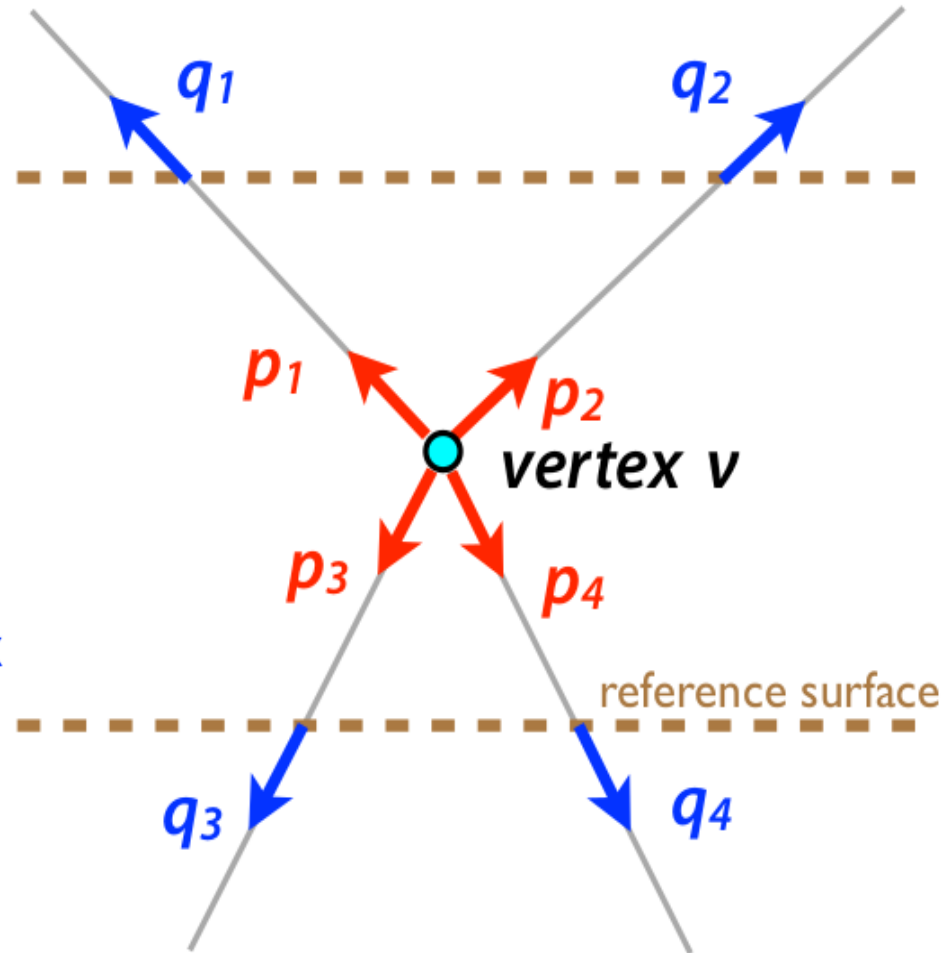
- ➔ start from a set of measured track parameters q_i
- ➔ estimate the vertex position v
- ➔ and the parameters p_i at the vertex

$$q_i = h_i(v, p_i) + \varepsilon_i$$

with: $h_i \sim$ dependency of track parameters on vertex v and parameters p_i at vertex

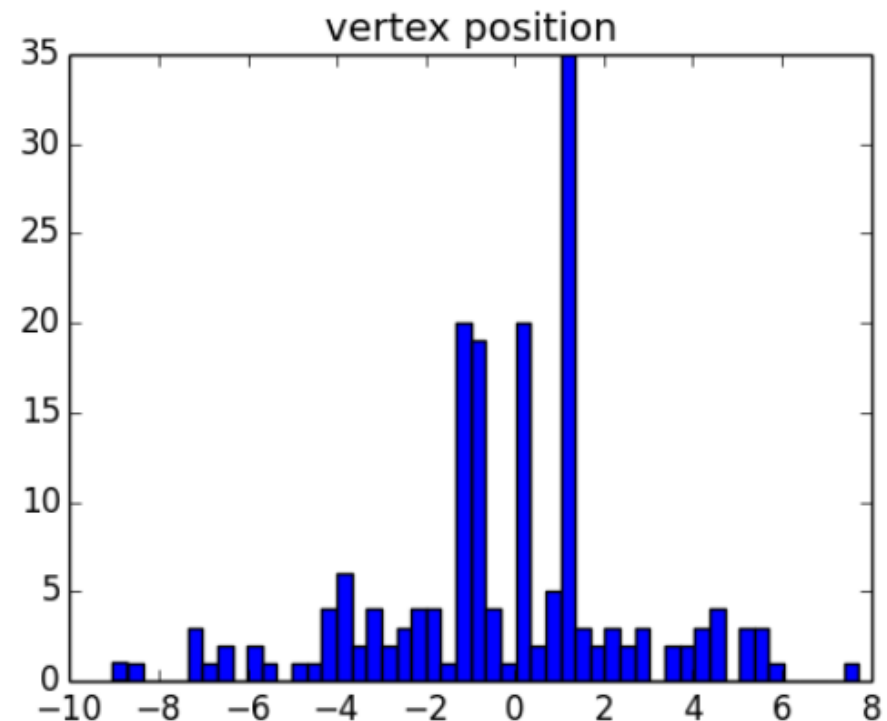
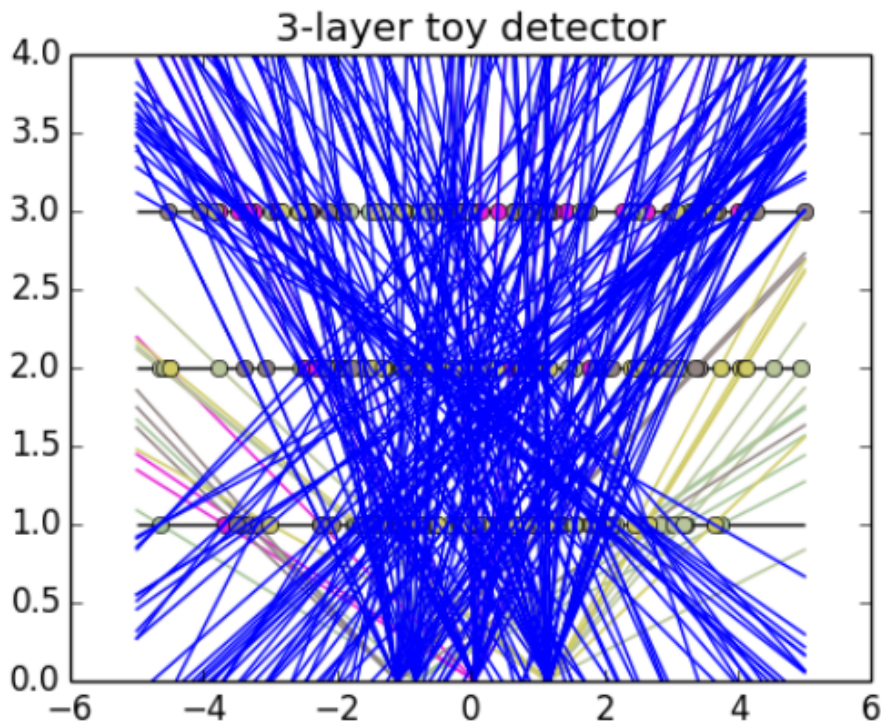
$\varepsilon_i \sim$ error of q_i (noise term)

Jacobians: $A_i = \frac{\partial h_i(v, p_i)}{\partial v} \quad B_i = \frac{\partial h_i(v, p_i)}{\partial p_i}$



Vertex Finding

- Vertex z-scan on beam line:
 - ➔ histogram technique that searches for peaks in z_0 of hit combinations extrapolated to beam line
 - ➔ used e.g. to seed primary vertex finding or to constrain HLT tracking to point to primary vertex



Let's Summarize

- I have briefly went through the techniques for trigger and tracking.
- Time limited, still miss many recent and interesting developments like:
 - Tracker trigger. Explore tracking at L0/L1
 - Machine learning for tracking
 - PF reconstruction
 - etc ...
- High Energy Physics could tightly connect with all kinds of fields ...