

# Further studies on the IPCHI2 fit

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$\Omega_c^0$  lifetime measurement meeting

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# MC samples used in this study

## ■ 2016 MC samples

Event Type	Decay mode	$\tau(b)$	$\tau(c)$
12165031	$B^+ \rightarrow \bar{D}^0(\rightarrow K^+ K^- \pi^+ \pi^-) \pi^+$	1.638 ps	0.410 ps
16265034	$\Omega_b^- \rightarrow \Omega_c^0(\rightarrow p K^- K^- \pi^+) \pi^-$	$1.1^{+0.5}_{-0.4}$ ps	0.069 ps

## ■ Stripping

- B2DOPiD2HHHHBeauty2CharmLine
- Omegab20megac0Pi0megac02PKKPiBeauty2CharmLine

## Fit procedure

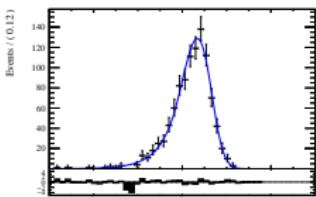
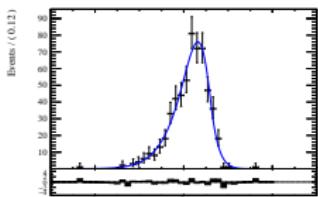
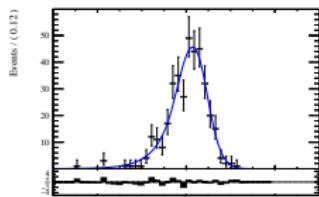
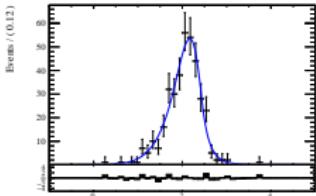
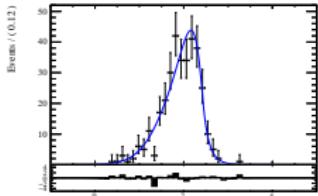
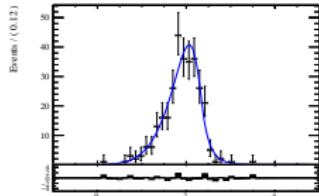
- Calculate decay time w.r.t. PV

$$t = \frac{\vec{p} \cdot \vec{r}}{p^2} \times m$$

- Decay-time bins are partially overlapped with the signal mode
  - [ 0.57, 0.63, 0.69, 0.75, 0.81, 0.9, 1.05, 2.0, 3.0, 5.0, 10.0 ] ps
- Fit to  $\log(\text{IPCHI2})$  with the Bukin function with all parameters free

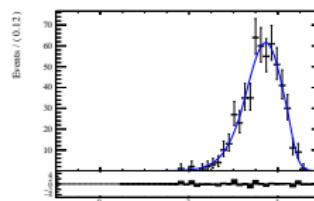
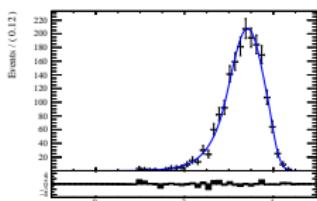
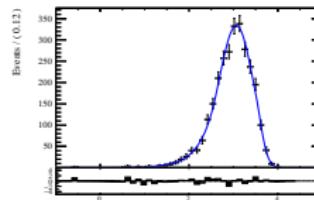
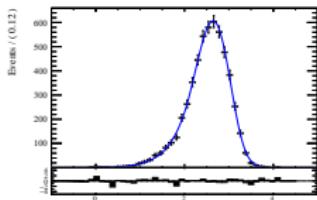
# Fit results of $D^0$

## ■ Bin 0 to 5



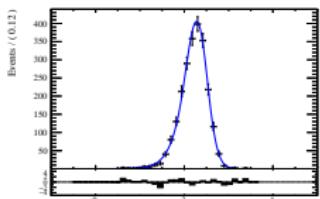
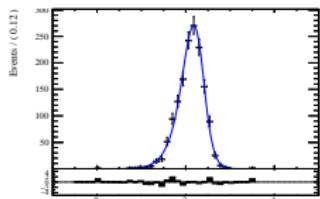
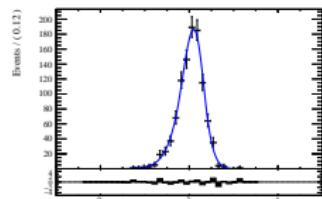
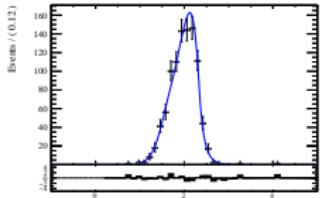
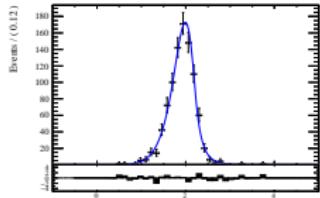
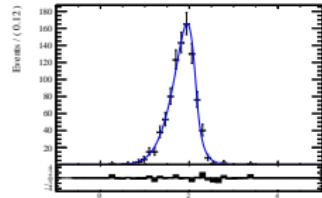
# Fit results of $D^0$

## ■ Bin 6 to 10



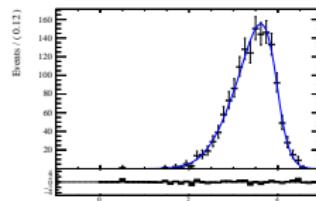
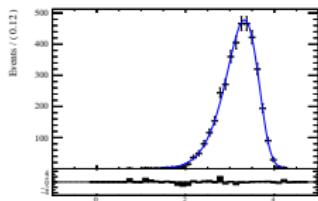
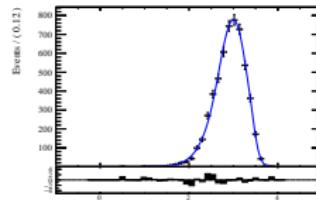
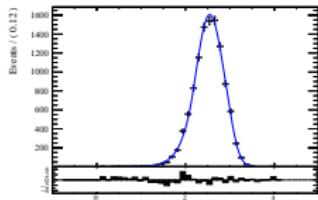
# Fit results of $\Omega_c^0$

## ■ Bin 0 to 5



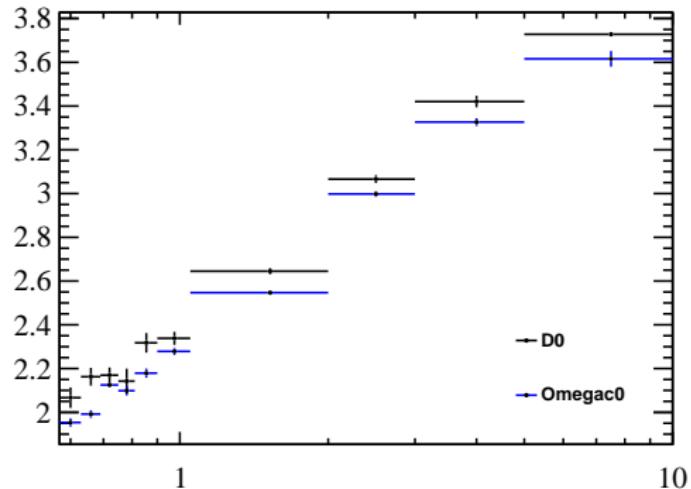
# Fit results of $\Omega_c^0$

## ■ Bin 6 to 10



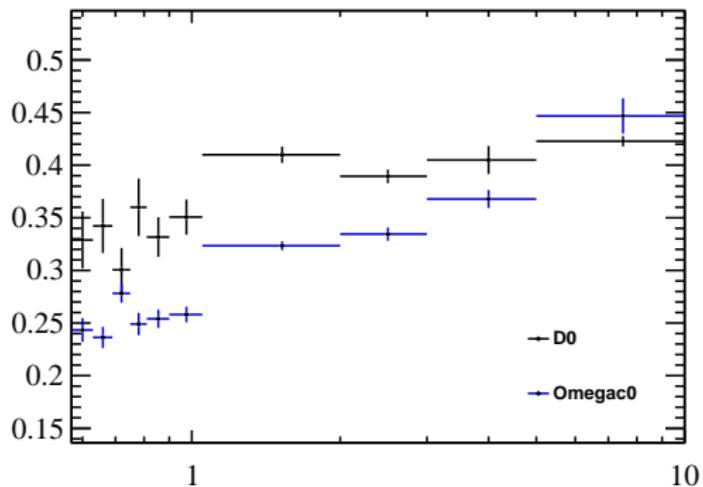
# Fit results in decay-time bins

- $\mu$
- Increase with decay-time bins
- $\mu(D^0)$  larger than  $\mu(\Omega_c^0)$  may be due to the larger lifetime of  $B^+$



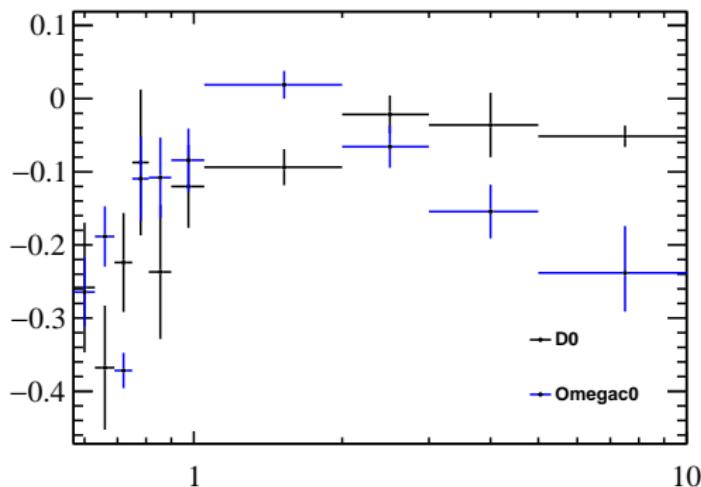
# Fit results in decay-time bins

- $\sigma$
- Increase with decay-time bins slightly



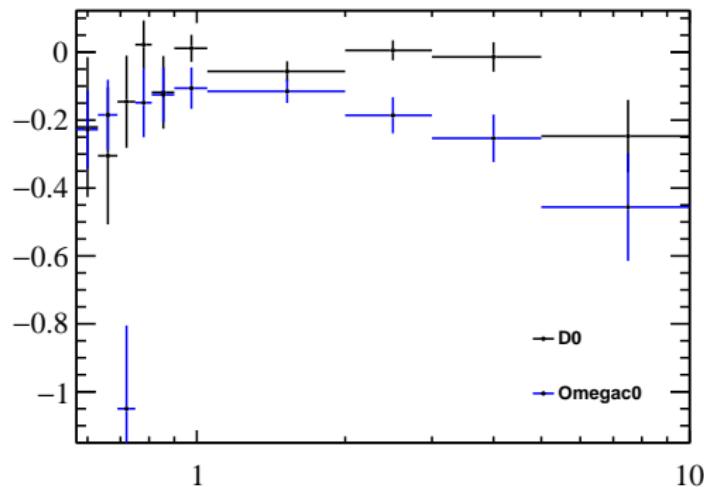
# Fit results in decay-time bins

- $\xi$
- The asymmetry tends to decrease for large decay-time bins



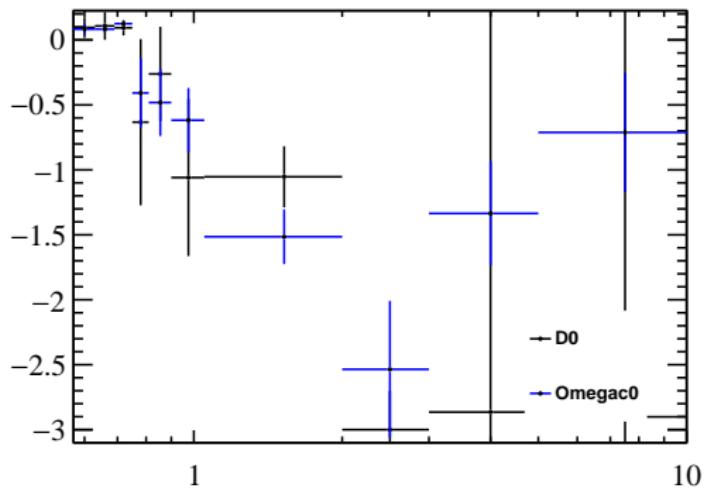
# Fit results in decay-time bins

- $\rho_1$
- Non-linear feature for  $\rho$



# Fit results in decay-time bins

- $\rho_2$
- Non-linear feature for  $\rho$



# BACKUP

# $\log \chi^2_{IP}$ modelling

- Bukin function, a modified Novosibirsk function with extended tail parameters

$$\mathcal{P}(x; \mu, \sigma, \xi, \rho_1, \rho_2) = \begin{cases} \exp \left\{ \frac{(x-x_1)\xi \sqrt{\xi^2+1}\sqrt{2\ln 2}}{\sigma \left( \sqrt{\xi^2+1}-\xi \right)^2 \ln \left( \sqrt{\xi^2+1}+\xi \right)} + \rho_1 \left( \frac{x-x_1}{\mu-x_1} \right)^2 - \ln 2 \right\} & x \leq x_1, \\ \exp \left\{ - \left[ \frac{\ln \left( 1+2\xi \sqrt{\xi^2+1} \frac{x-\mu}{\sigma \sqrt{2\ln 2}} \right)}{\ln \left( 1+2\xi^2-2\xi \sqrt{\xi^2+1} \right)} \right]^2 \times \ln 2 \right\} & x_1 < x < x_2, \\ \exp \left\{ \frac{(x-x_2)\xi \sqrt{\xi^2+1}\sqrt{2\ln 2}}{\sigma \left( \sqrt{\xi^2+1}-\xi \right)^2 \ln \left( \sqrt{\xi^2+1}+\xi \right)} + \rho_2 \left( \frac{x-x_2}{\mu-x_2} \right)^2 - \ln 2 \right\} & x \geq x_2. \end{cases}$$

where

$$x_1 = \mu + \sigma \sqrt{2 \ln 2} \left( \frac{\xi}{\sqrt{\xi^2+1}} - 1 \right)$$

$$x_2 = \mu + \sigma \sqrt{2 \ln 2} \left( \frac{\xi}{\sqrt{\xi^2+1}} + 1 \right)$$

# Illustration of Bukin functions

- Influence of asymmetry and tail parameters with  
 $\mu = 0, \sigma = 1, \rho_1 = 0$

