

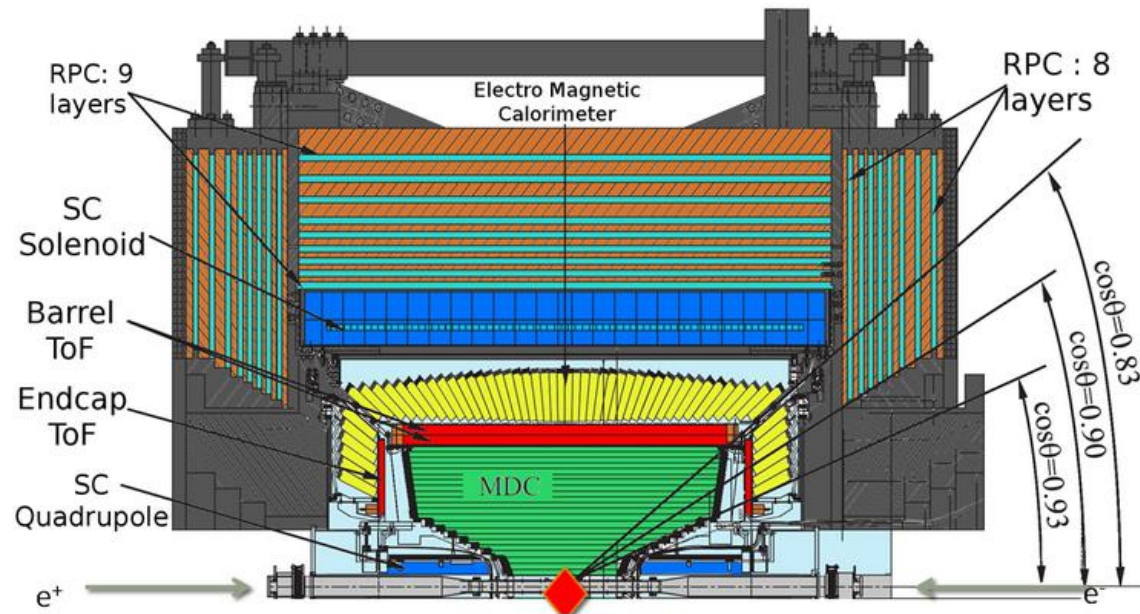
# TOF sub-detector

Suyu XIAO from IHEP

20181221

# TOF -- Time Of Flight sub-detector

- A Time-Of-Flight system(TOF) for particle identification; time resolution is about 80 ps in the barrel, and about 110 ps in the endcaps, corresponding to a K/ $\pi$  separation of more than  $2\sigma$  level up to about 1.0 GeV



# TOF -- Time Of Flight sub-detector

- TOF is to measure the flight time of **charged particles** for particle identification (PID) by comparing the measured time against the predicted time.

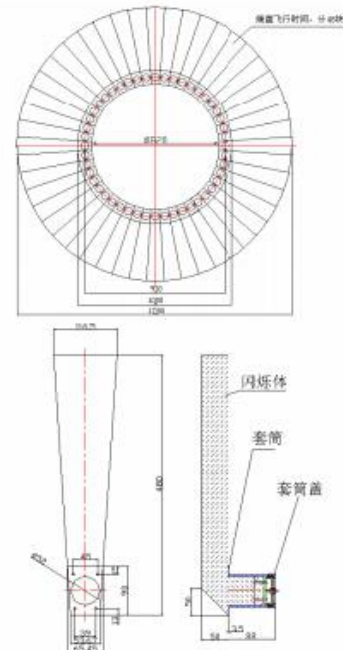
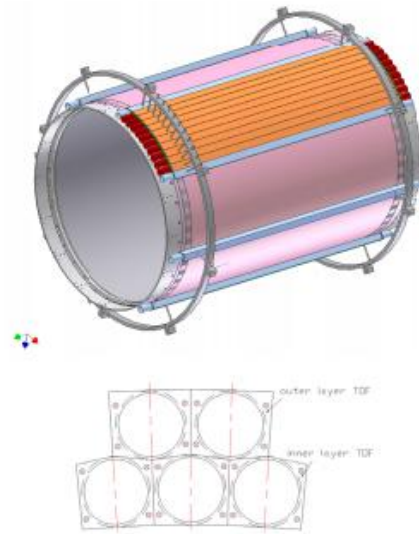
Table 1 Analysis of time resolution for PID

Item	Barrel time reso.	Endcap time reso.
Intrinsic time reso. of one TOF layer for 1 GeV muon	80~90 ps	80 ps
Uncertainty from bunch length	15 mm,35 ps	15 mm,35 ps
Uncertainty from bunch time	~20 ps	~20 ps
Uncertainty from Z position	5 mm,25 ps	10 mm,50 ps
Uncertainty from electronics	25 ps	25 ps
Resolution of expected time of flight	30ps	30ps
Time walk	10ps	10ps
Total time reso, one layer of TOF for 1 GeV muon	100~110ps	110~120ps
Total time reso, double layer of TOF for 1 GeV muon	90ps	

# TOF -- Structure

- 2.4m long plastic scintillators arranged as a cylinder with two layers for the barrel, 5cm thick each, and 96 fan-shaped, 5 cm thick, plastic scintillators for two endcaps

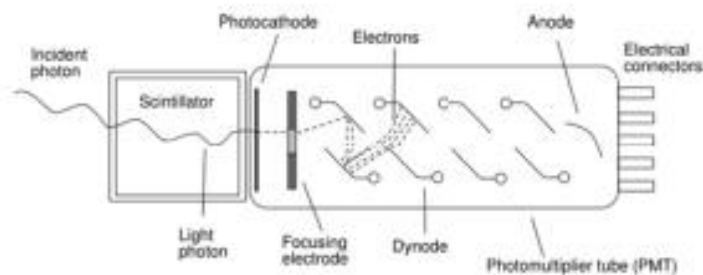
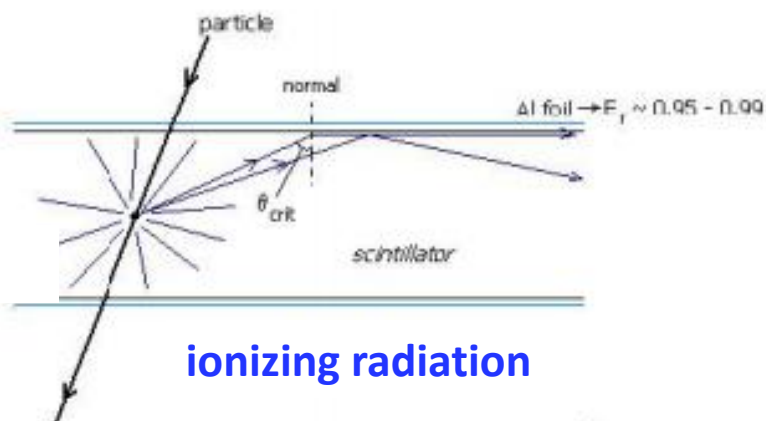
plastic scintillator bar  
directly coupled with FM-PMT



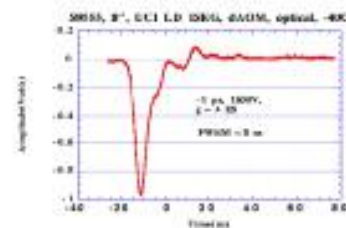
MRPC:  
Multi-air gap resistive plate chamber

# TOF -- Structure

- Scintillator & PMT
- 光电倍增管输出信号，测量量：
  - Time Digital Conversion
  - 脉冲幅度 (QTC)  
正比于产生的光子数目



PMT: PhotonMultiplier Tube



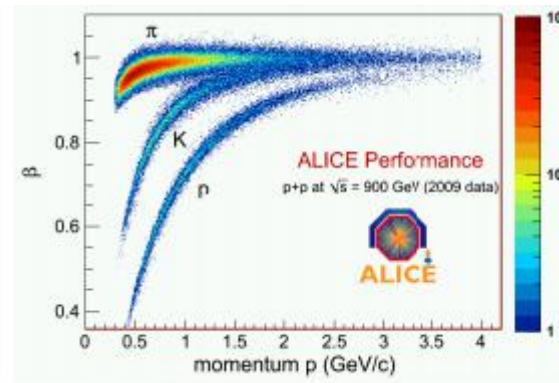
PMT 输出信号

# TOF -- PID

- PID can be done by measuring time

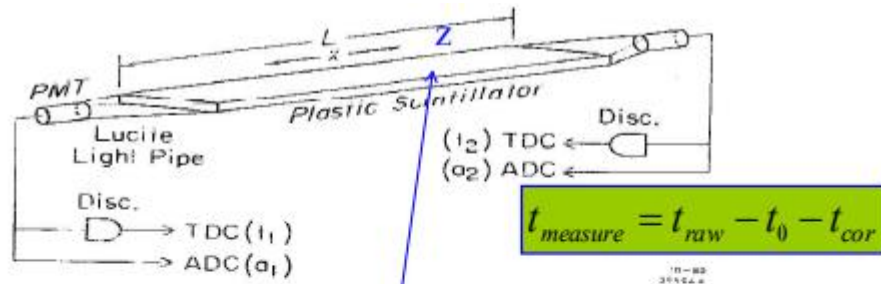
$$\beta = \frac{v}{c} = \frac{L}{c \cdot t} \quad \beta = \frac{p \cdot c}{E} = \frac{1}{\sqrt{\left(\frac{m \cdot c}{p}\right)^2 + 1}}$$

$$m = \frac{p}{c} \sqrt{\left(\frac{c \cdot t}{L}\right)^2 - 1}$$





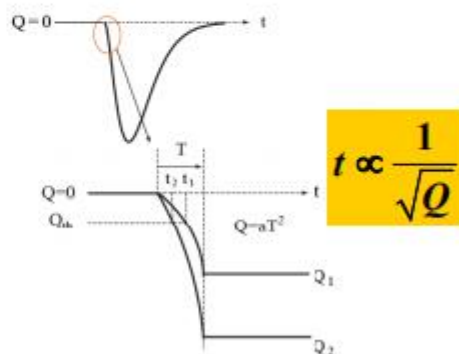
# TOF -- Calibration



经验公式:

$$t_{cor} = P_0 + \frac{P_1 + P_2 \times z}{\sqrt{Q}} + \frac{P_3}{Q} + P_4 \times z + P_5 \times z^2 + P_6 \times z^3$$

$P_0 - P_6$ : 刻度常数



- 刻度常数
  - $P_0$ : 时间延迟
  - $P_1 - P_3$ : 时幅修正
  - $P_4 - P_6$ : 等效速度的修正项
- 从MDC重建的径迹计算预期时间 (与测量时间无关)
 
$$t_{predicted} = L / \beta c, \quad L: \text{flight path}, \quad \beta = p / \sqrt{p^2 + m^2}$$
- 最小化 $\chi^2$ 方法
 
$$\chi^2 (\text{counter, readout unit}) = \sum_{\text{events}} (t_{measure} - t_{predicted})^2$$
- $P_0 - P_6$ 的获得:
 
$$\frac{\partial \chi^2}{\partial P_i} = 0, \quad i = 0, 1 \dots 6$$

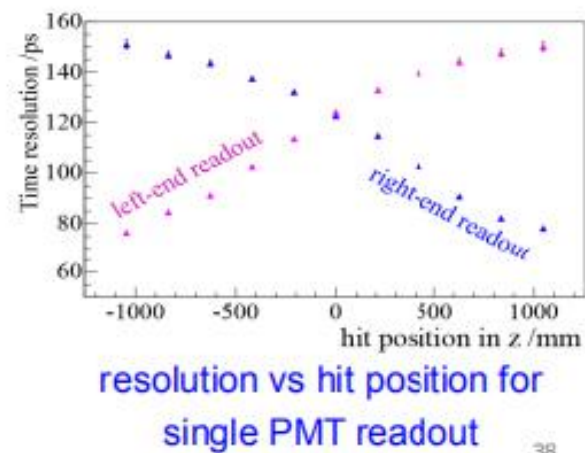
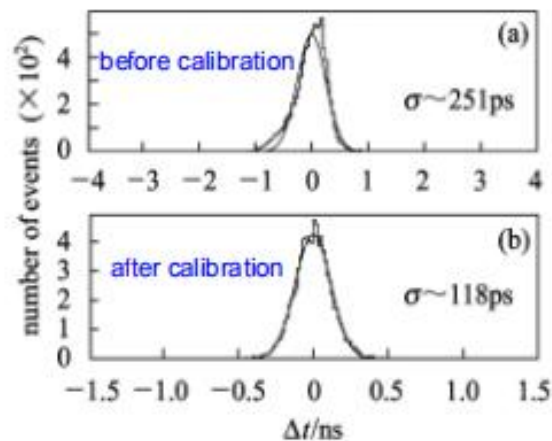
- TOF测量量: 每个PMT: 一个TDC和一个QTC
  - 原始时间TDC  $\rightarrow t_{measure}$ , 刻度依赖于脉冲幅度, 击中位置  $\rightarrow$  一套刻度常数
  - 径迹拟合+径迹外推  $\rightarrow$  预期时间 $t_{predict}$
  - 最小化 $\sum (t_{measure} - t_{predict})^2$ 得到单个PMT时间刻度常数

# TOF -- Resolution

- 分辨的定义：  
测量时间—预期时间

$$\sigma^2 \equiv \frac{1}{n} \sum_{\text{events}} (t_{\text{measure}} - t_{\text{truth}})^2$$
$$\sigma = \sqrt{\sigma^2}$$

- 刻度结果

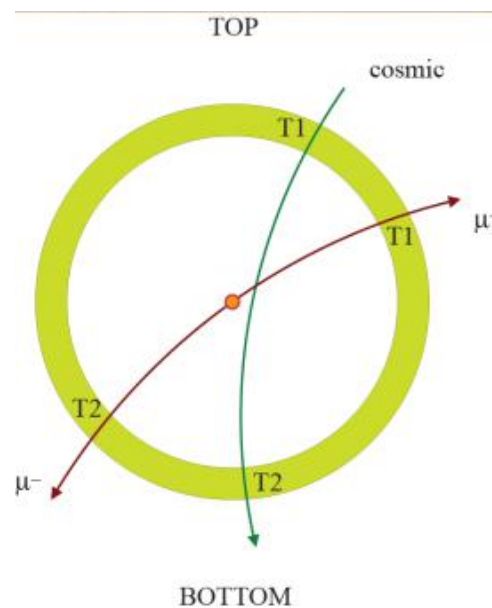
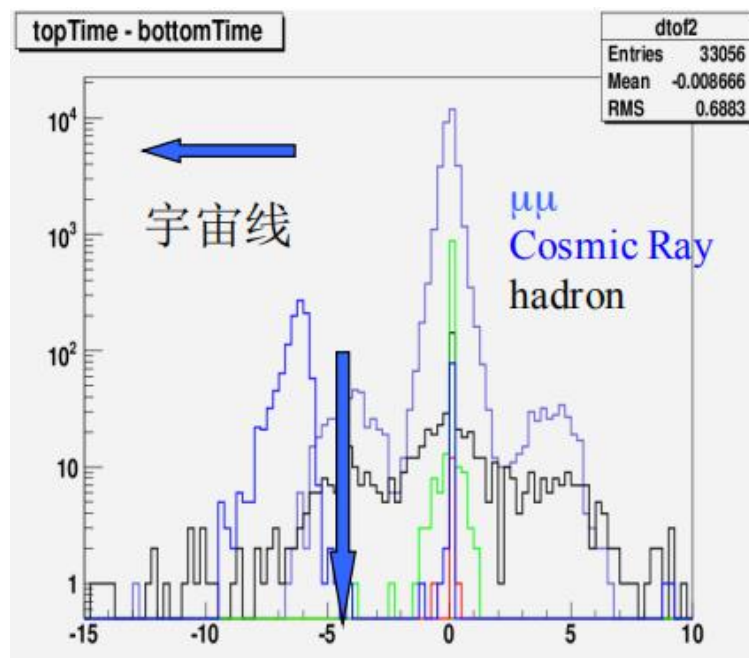


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# TOF -- Veto bkg

veto cosmic rays:

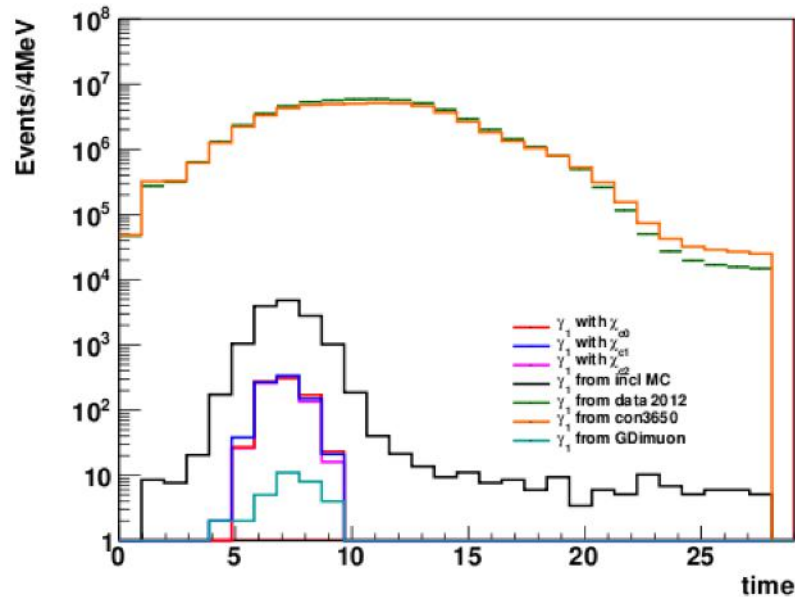


对撞事例:  $T1 \sim T2$   
宇宙线:  $T1 < T2$

[0, 14] to veto bkg from other events.

# TOF -- Neutral case?

In my previous  $\chi_c \rightarrow \text{invisible}$  case:



I used [4, 10] to veto bkg.

In BESIII Collaboration in Wuhan I was told that (-10, 10) is recommend and generally accepted(in case someone will do neutral invisible analysis).