

September 26, 2018

**Search for physics beyond the standard model in high-mass diphoton events with p-p collisions at  $\sqrt{s} = 13$  TeV with the CMS at LHC**



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Peking Univ. (CN)**



# About the speaker



1) → B.Sc. in Physics & M.Sc. in Particle & Nuclear Physics from Athens (GR)



→ Ph.D. based at CERN, from Athens (GR)  
[2012-2016] Supersymmetry searches (1I, 2I) and more



2) Postdoctoral associate at Rutgers Univ. NJ (US),  
[2016-2018] Diphoton search + HCAL service work and more



3) Postdoctoral associate at Peking University (CN),  
[2018-2020] Triboson searches (and more to come... soon!)

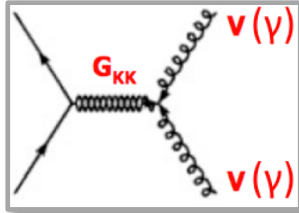


→ Always at CMS experiment [~2008 - till present]

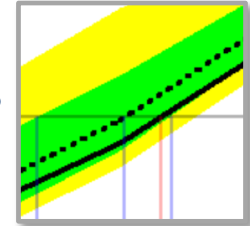
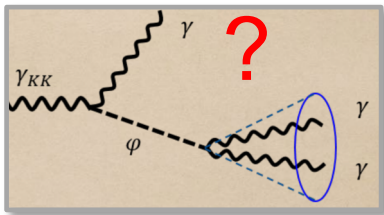
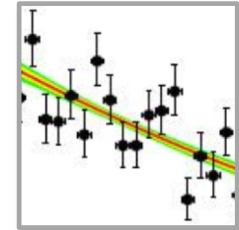
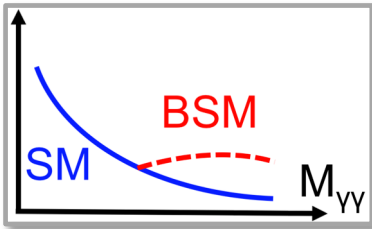
→ Large outreach & science communication activity (guides etc)



# In this talk - Outline



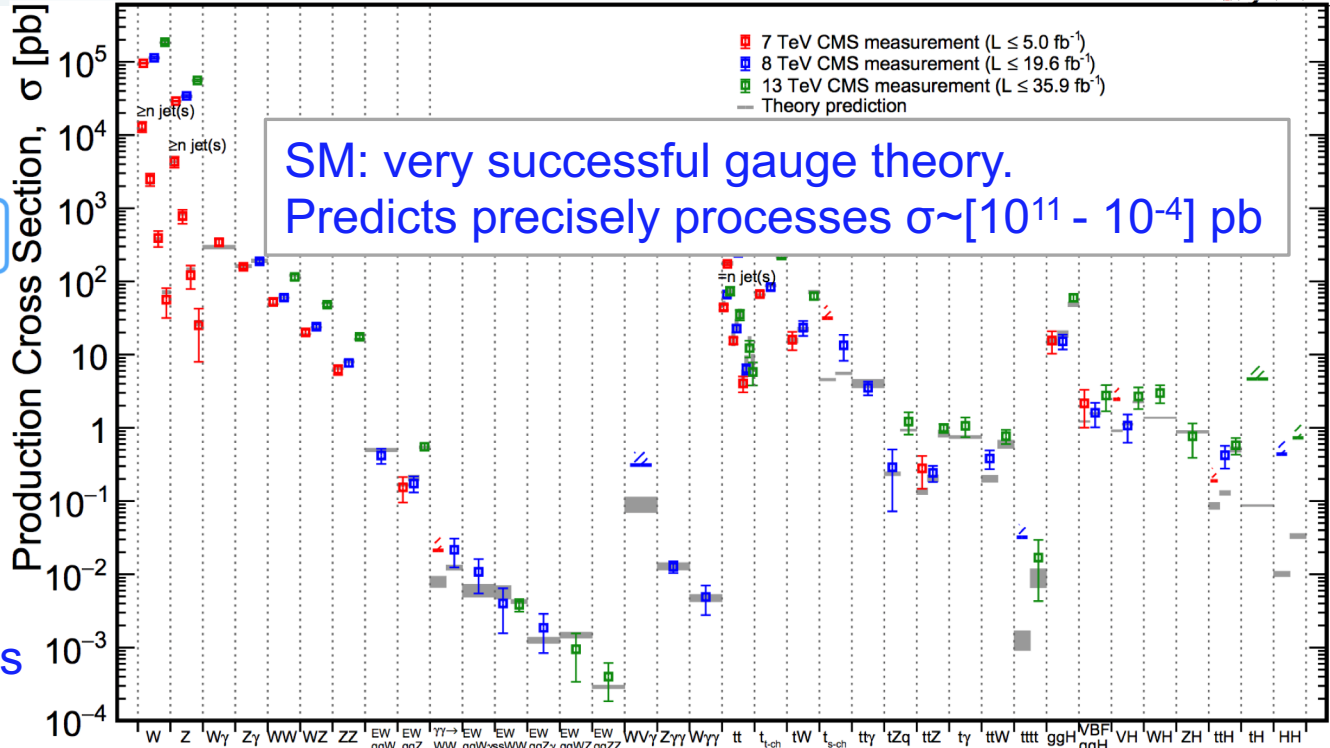
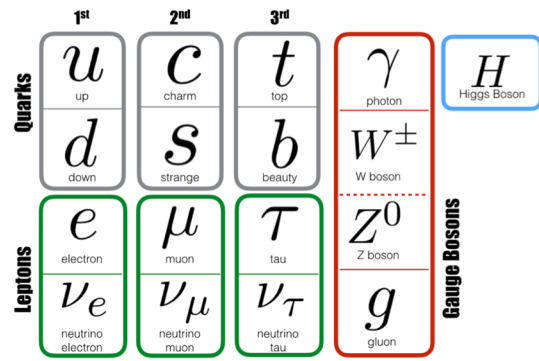
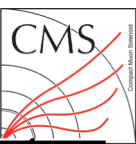
- 1) Motivation for a  $\gamma\gamma$  search
- 2) Reconstruction and event selection
- 3) Signals' generation, simulation & features; MC samples, datasets and triggers used
- 4) (Data-driven) Background estimate
- 5) Systematic uncertainties treatment
- 6) Results' interpretation, limits for 2 models
- 7) Diphoton next steps and overview



- Diphoton paper accepted at PRD: [arXiv:1809.00327v1](https://arxiv.org/abs/1809.00327v1) (CWR review and by PKU)
- This includes also a search for resonant signal
- CMS "coordinates": EXO-17-017, AN-2017/030, AN-2017/206

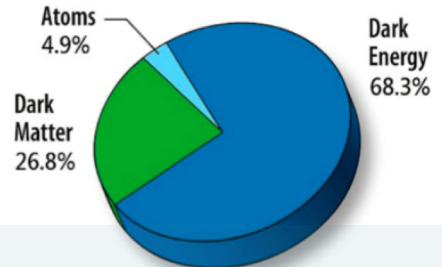


# SM: successes & shortcomings



However SM looks like is not a complete theory:

- $m_{\text{Higgs}}$ : renormalizable  $\rightarrow m_{\text{Higgs}}^2 = m_{\text{bare}}^2 - [ \pm \lambda \Lambda_{\text{cut}}^2 \pm \dots ] = 125^2 \text{ GeV}^2$   
 New Physics at:  $\Lambda_{\text{cut}} \sim 10^2 - 10^{18} \text{ GeV} \leftrightarrow$  "Hierarchy" or "Naturalness" Problem  
 $\Lambda_{\text{cut}} \sim 10^{18} \text{ GeV}$ , Pl.-scale:  $125^2 = 12345678901234567890123456789012345 - 12345678901234567890123456788996720$
- Unification GUT? Gravity QFT? 25 free parameters, 3 fermion families, why?
- Also shortcomings in Cosmology: Dark Matter, Dark Energy  
 $\rightarrow$  SM looks "effective" rather than fundamental theory



SM shortcomings indicate some kind of BSM physics (at least at Plank scale):

## Large Extra Dimension – “ADD” [Arkani-Hamed, Dimopoulos, Dvali]

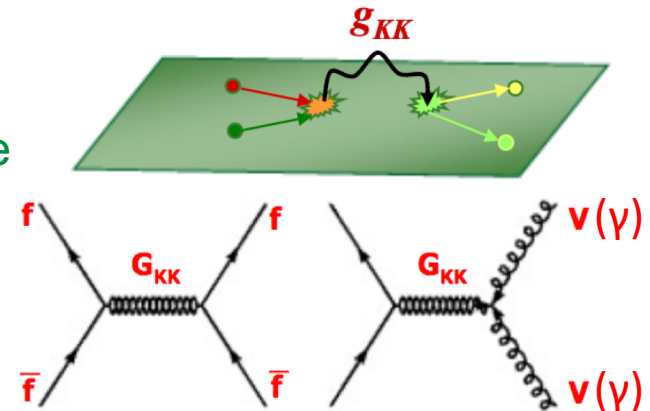
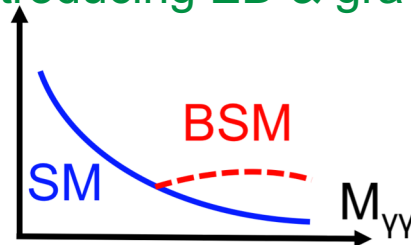
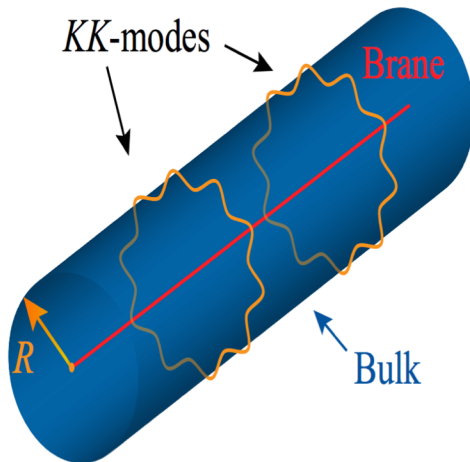
- Bulk consisting of  $[3+1] + n_{ED}$  Extra Dimension (ED)
- ED compactified with average radius  $R$
- SM confined to 4D brane, gravity throughout bulk
- Gravity’s strength comparable to the rest forces but dilutes in ED
- Effective  $M_{Pl} \sim \text{TeV-scale}$ :  $M_{Pl}^2 \sim M_{Pl(4+n)}^{2+n} R^n$
- KK excitations of gravitons ( $G_{KK}$ ) decay to SM particles

## Continuum Clockwork

- Coincides with a 5D gravitational theory
- Mechanism that can take large effective interaction scales from dynamics occurring at much lower energies (arxiv:161007962).

These models are:

- Solving hierarchy problem by modifying the eff. Pl. scale
- Introducing ED & graviton

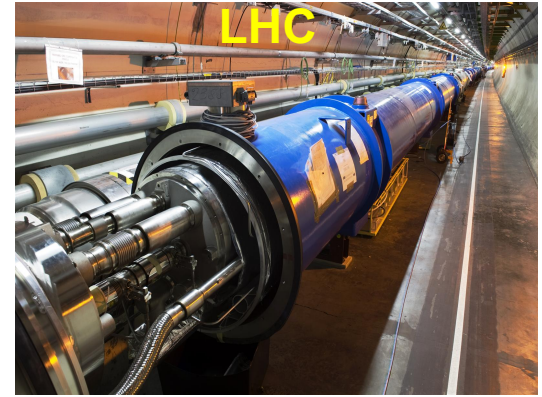
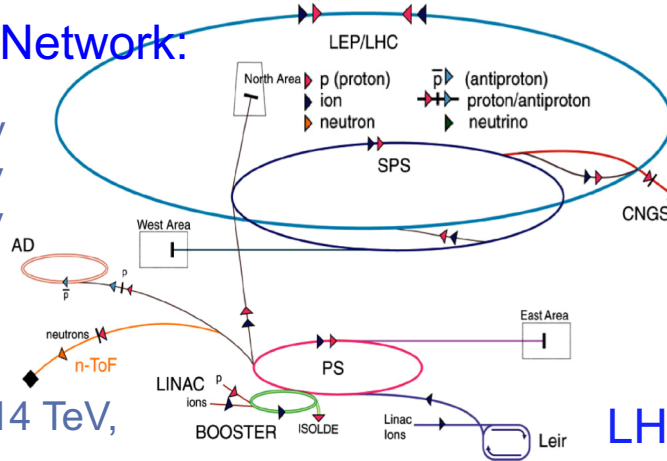


- Can be visible at TeV-scale, through KK graviton modes, leading to SM (non-resonant) discrepancies in  $\gamma\gamma$  final state

# CERN, LHC, pp beams & CMS

## CERN's Accelerators Network:

- LINAC2 → 50 MeV
- PS-Booster → 1.4 GeV
- PS-Rink → 26 GeV
- SPS → 450 GeV
- LHC → 7 TeV

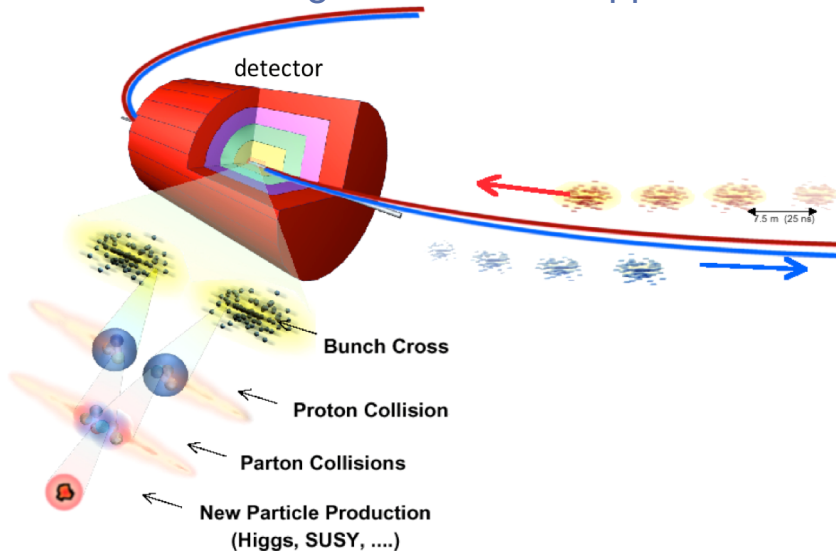


## LHC Beams:

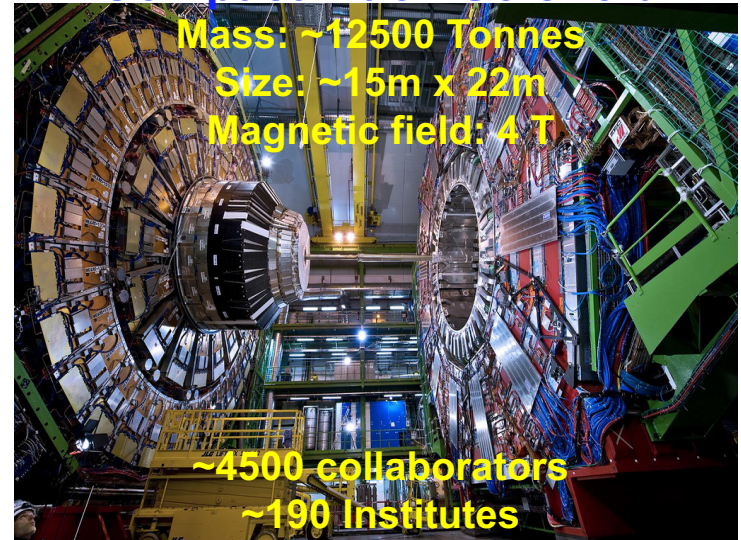
- 2x7 TeV pp beams = 14 TeV,
- $L \sim 10^{34} \text{ sec}^{-1} \text{ cm}^{-2}$
- ~2800x2 p-bunches,
- 25ns, 7.5m spacing
- 4 collision points: ATLAS, CMS... PU~25-50
- 40 M bunch-x-ing/sec → 800 M pp collisions/s

**LHC:** 26.7 km, 40-175 m bellow ground

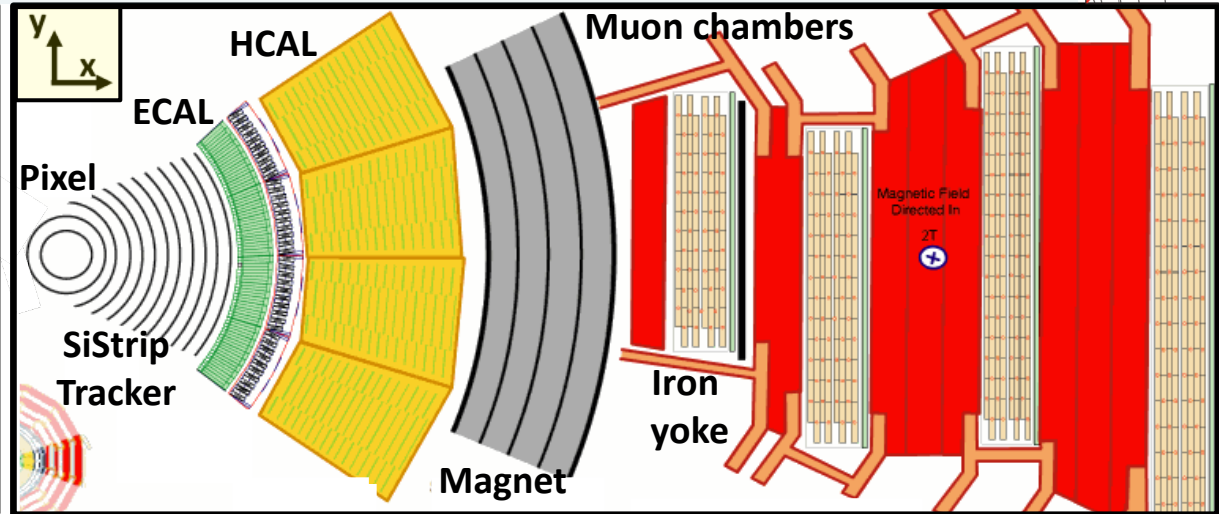
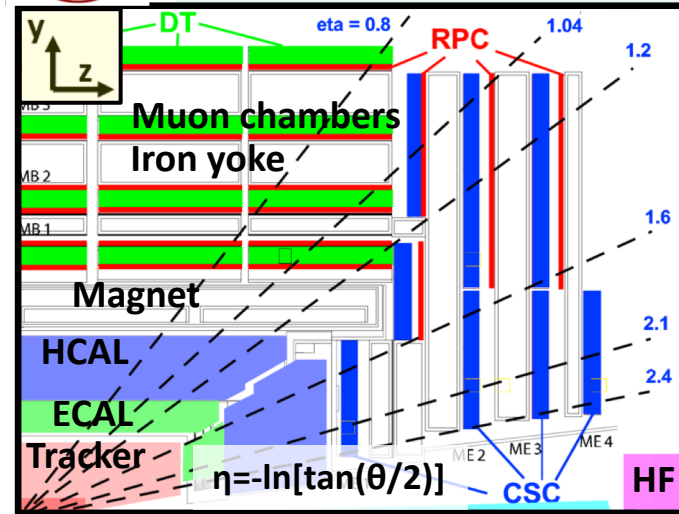
- 1232 dipoles, 392 quadrupoles, 2x8 RF-cav
- $B = 8.33 \text{ T}$ ,  $I \sim 12 \text{ 500 Ampere}$ ,
- NbTi supercond.  $T = 1.9 \text{ K} = -271.3 \text{ C}^\circ$  (He)



## Compact Muon Solenoid

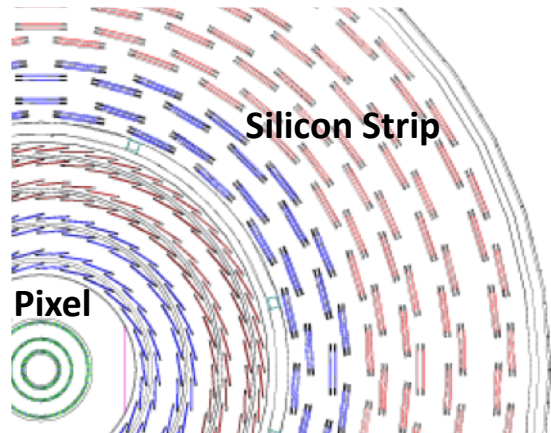


# CMS Sub-detectors (a glance)



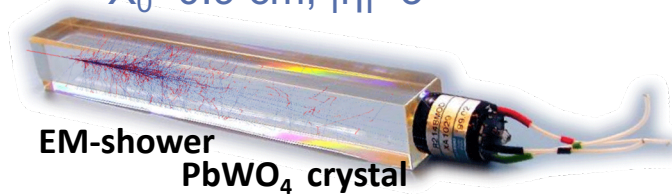
## Pixel & Silicon Tracker

- 70M pixels
- “e-holes” pairs → signal
- $|\eta| < 2.5, 2.4$  (hits: 11 barrel)



## ECAL ( $e^\pm, \gamma$ )

- Lead Tungstate
- 76k crystals  $\text{PbWO}_4$
- $X_0 \sim 0.9 \text{ cm}, |\eta| < 3$



## HCAL ( $p^\pm, n, \pi, K, \Delta \dots$ )

- HB, HE (16 layers), HO, HF
- Plastic scint.: Quartz fibers
- Brass(Cu-Zn) absorber
- $X_0 \sim 1.5 \text{ cm}, |\eta| < 3$

## Solenoid Magnet, Iron Yoke

- NiTi,  $T \sim 1.8 \text{ K}, I \sim 19 \text{ kA}, B \sim 4 \text{ T}$

## Muon chambers:

- DTs, CSCs, RPCs,  $|\eta| < 2.4$
- Argon-based gasses

## Trigger:

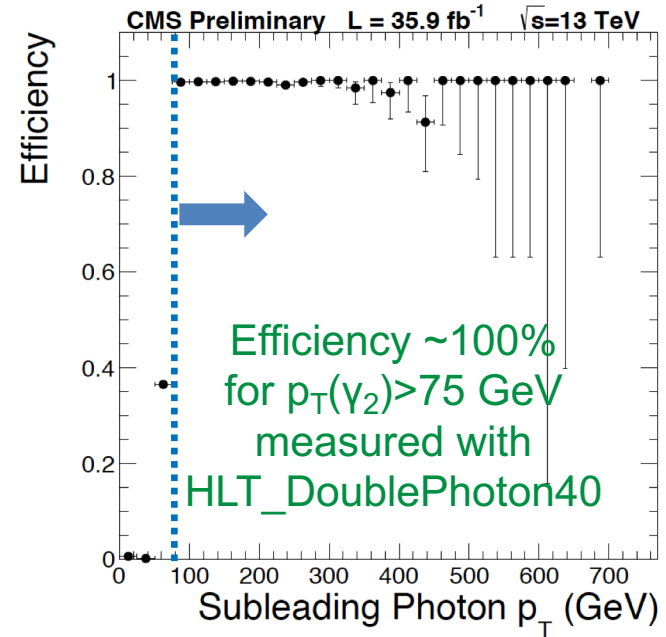
- L1 → HLT → DAQ
- 40M → 40K →  $\sim 100 \text{ ev./s}$
- Store: Tier-0-1-2 → GRID...

## Triggers: [2016 DoubleEG data, 35.9 fb<sup>-1</sup>]

- Use HLT\_DoublePhoton60  
"or" HLT\_ECALHT800 for main analysis
- Use HLT\_Ele27\_WPTight\_Gsf  
for Z→e<sup>+</sup>e<sup>-</sup> control sample  
(energy scale and efficiency measurement)
- Diphoton vertex identification:  
Use H→γγ BDT discriminant

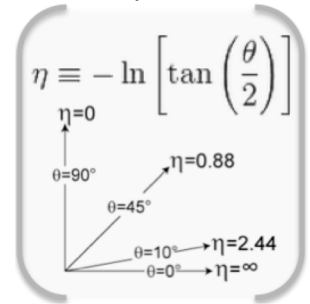
## Photon identification (high-p<sub>T</sub> γ ID):

- 1)  $\sigma_{\text{in}} < 0.0105$  [0.0112] for EB  
 $< 0.028$  [0.03] for EE
- 2) H/E < 0.05
- 3) Iso<sub>γ</sub><sup>corr</sup> < 2.75(2.0) GeV for EB(EE),  
correction for "pileup"
- 4) Iso<sub>CH</sub> < 5 GeV  
in a cone:  $\Delta R = \sqrt{(\eta - \eta_\gamma)^2 + (\phi - \phi_\gamma)^2}$
- 5) CSEV: applied  
(conversion safe e<sup>±</sup> veto)
- 6) R<sub>9</sub> > 0.8  
3x3 ECAL cluster E / Seed crystal E



## Kinematic selection:

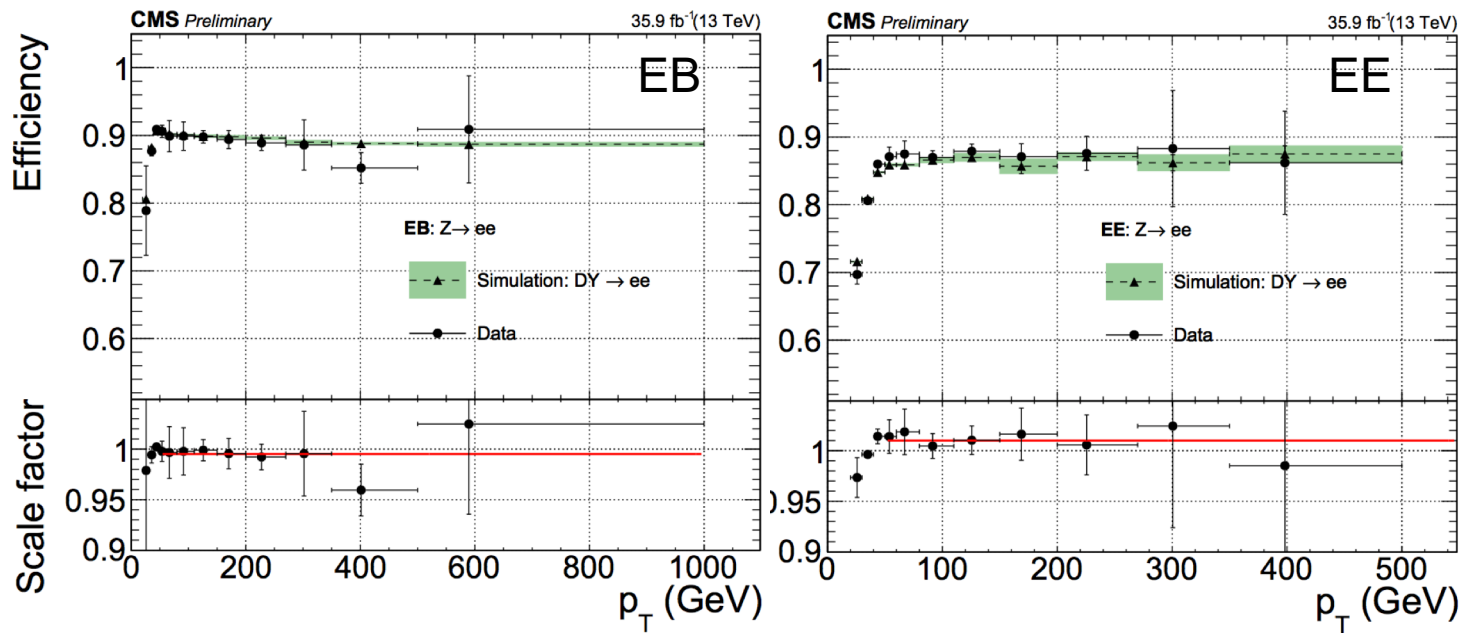
- 1) N<sub>γ</sub> ≥ 2,
- 2) p<sub>Tγ</sub> > 75 GeV,
- 3) |η<sub>γ</sub>|: [0, 1.4442] or [1.566, 2.5],
- 4) At least one γ in EB  
→ EBEB, EBEE
- 5) M<sub>γγ</sub> > 500 GeV



η <sub>γ2</sub>	EBEE	EEEE
	EBEB	EBEE
		η <sub>γ1</sub>



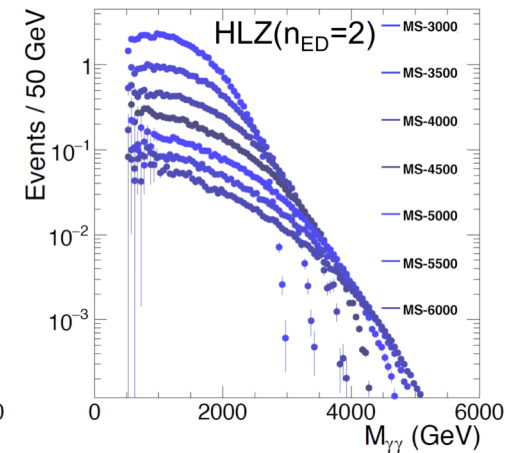
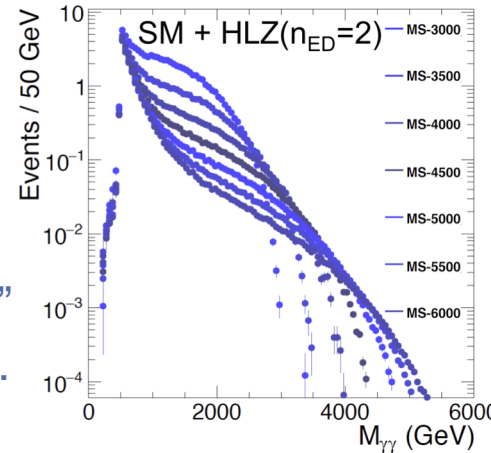
- Use MC  $Z \rightarrow e^+e^-$  events and SingleElectron dataset
- Photon ID eff. measured with: “Tag & Probe”
  - Tag : tight  $e^\pm$ -ID +  $M_{ee}$  cut
  - Probe: loose preselection + analysis ID with inverted CSEV



- Scale Factors are flat vs  $p_{TY}$  and are compatible with  $\sim 1$  (no trend within stat.)
  - Uncertainty per leg  $\sim 3\%$  (averaging last 3 bins)
  - Total sys. uncertainty attributed per event: 6%

- Total cross section of SM+ADD process:  $\sigma_{\text{total}} = \sigma_{\text{SM}} + \frac{\mathcal{F}}{M_S^4} \sigma_{\text{int}} + \frac{\mathcal{F}^2}{M_S^8} \sigma_{\text{ADD}}$
- Parametrization:  $M_S$ : UV cutoff scale,  $n_{\text{ED}}$ : number of extra dimensions.
- Include the interference term  $\rightarrow$  production “SM+ADD” & “SM-only”  $\rightarrow$  Use SHERPA (LO) to extract ADD.

$$\mathcal{F}\text{-conventions: } \mathcal{F} = \begin{cases} 1 & (\text{GRW}), \\ \log\left(\frac{M_S^2}{s}\right), & \text{if } n_{\text{ED}} = 2 \quad (\text{HLZ}), \\ \frac{2}{n_{\text{ED}} - 2}, & \text{if } n_{\text{ED}} > 2 \\ \pm \frac{2}{\pi} & (\text{Hewett}), \end{cases}$$

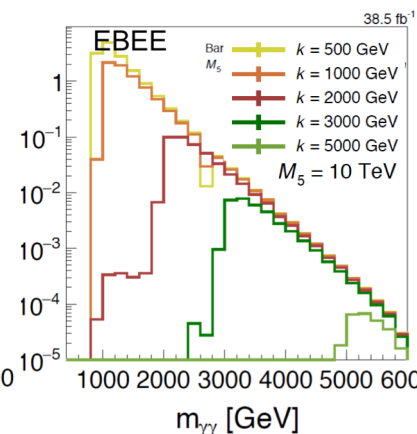
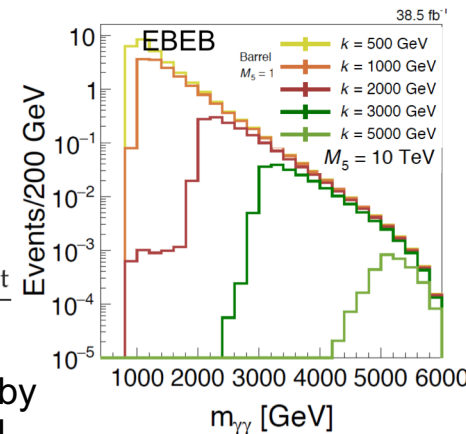


## C. Clockwork:

- KK modes all on-shell  $\rightarrow$  no interference
- Use ADD sample [CMS central production]  $\rightarrow$  translate in CW  $\rightarrow$  write the x-secs as:

$$\left. \begin{aligned} \sigma_{\text{Hewett}} &= \frac{-2/\pi}{M_S^4} \sigma_{\text{int}} + \frac{4/\pi^2}{M_S^8} \sigma_{\text{ADD}} \\ \sigma_{\text{GRW}} &= \frac{1}{M_S^4} \sigma_{\text{int}} + \frac{1}{M_S^8} \sigma_{\text{ADD}} \end{aligned} \right\} \frac{\sigma_{\text{ADD}}}{M_S^8} = \frac{\sigma_{\text{GRW}} + \frac{\pi}{2} \sigma_{\text{Hewett}}}{1 + \frac{2}{\pi}}$$

This direct term is scaled by a factor to form CW signal.



[Use only the range  $M_{\gamma\gamma} > 0.9$  TeV]

# $\gamma\gamma$ real background prediction

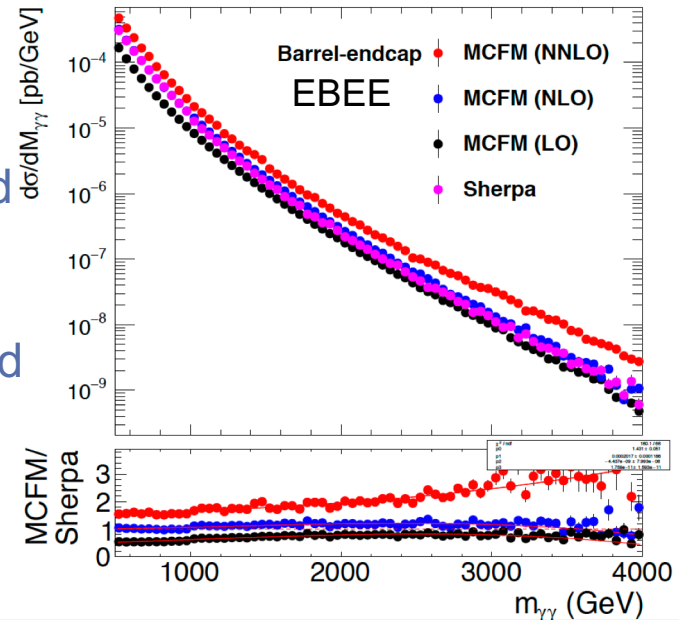
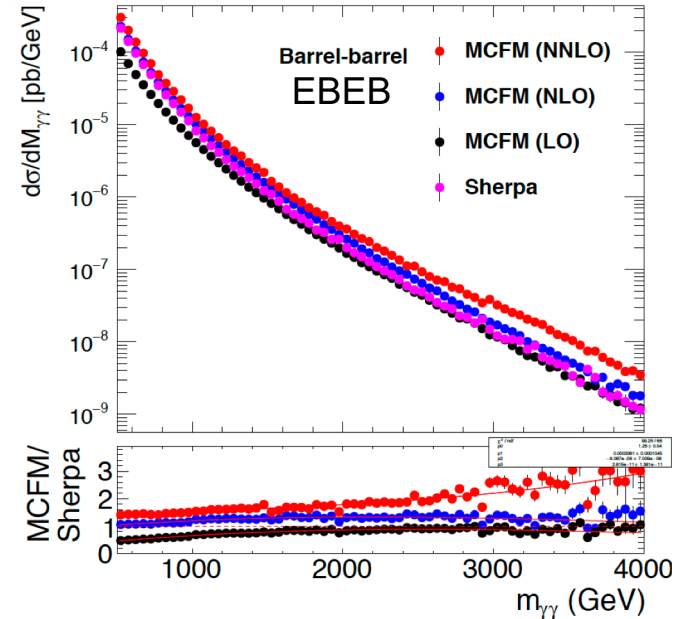
Two different types of BKG mainly contributing:

- 1) prompt (real)  $\gamma\gamma$
- 2) fake  $j\gamma, jj$

- Irreducible prompt SM diphoton “ $\gamma\gamma$ ”  
Generated using SHERPA 2.1.1, CT10 PDFs set  
→ Box process  
→ Born process with up to 3 additional final state jets/partons



- NNLO contribution calculated using the MCFM and corrected by reweighting events at  $m_{\gamma\gamma}$  gen-level
- K factor:  $MCFM^{NNLO} / SHERPA$  function of  $m_{\gamma\gamma}$  used to reweight simulated prompt diphoton (SHERPA) events for prediction.  
→ K factor ranges:  $\sim 1.4-1.8$  for  $m_{\gamma\gamma} < 2$  TeV EBEB



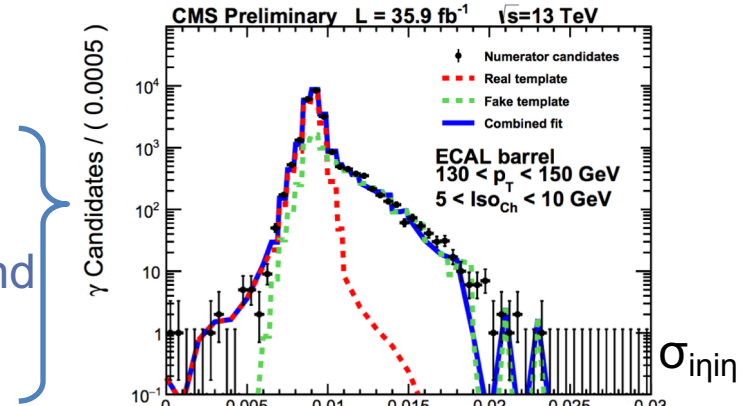
# Fake BKG: $\gamma$ , $jj$ - Rate & estimate

Fake BKG  $\gamma$ ,  $jj$ . Events where 1,2 jets with large EM activity fake a “ $\gamma$ ”, typically  $\pi^0, \eta^0$

- Define the: Fake Rate (FR):  $f = \frac{\text{number of jets passing high } p_T \text{ ID}}{\text{number of jets passing denominator definition}}$
- Measure FR in a jet-rich dataset [JetHT, DoubleMu] as a function of  $p_{T\gamma}$ , EB, EE
- Use FR to reweight data to estimate the fake BKG:  $M_{\gamma\gamma}^{\text{Fake}}$

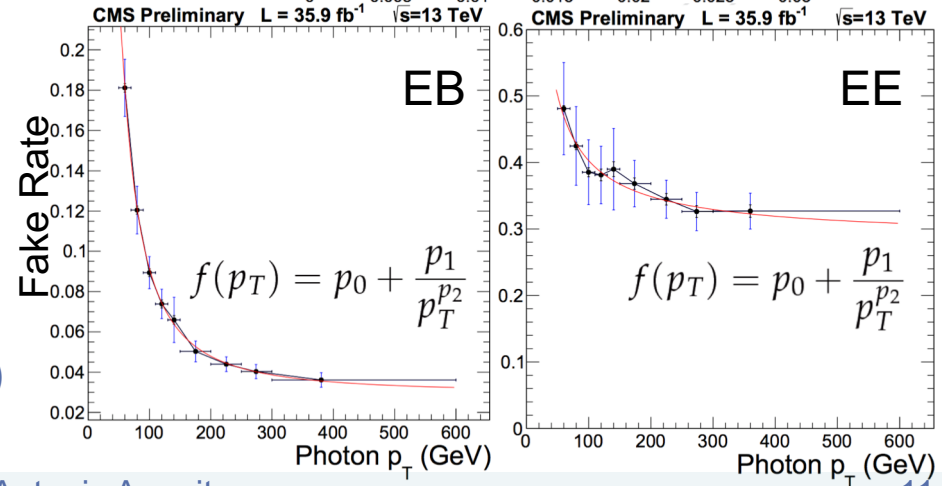
Numerator  $\rightarrow$  must have only fake objects

- Use “fake-sensitive” template variable  $\sigma_{i\eta i\eta}$
- Real template** from MC
- Fake template** from  $5 < \text{Iso}_{\text{CH}} < 10$  GeV sideband
- MLE-fit in data to get # pure fake numerator objects

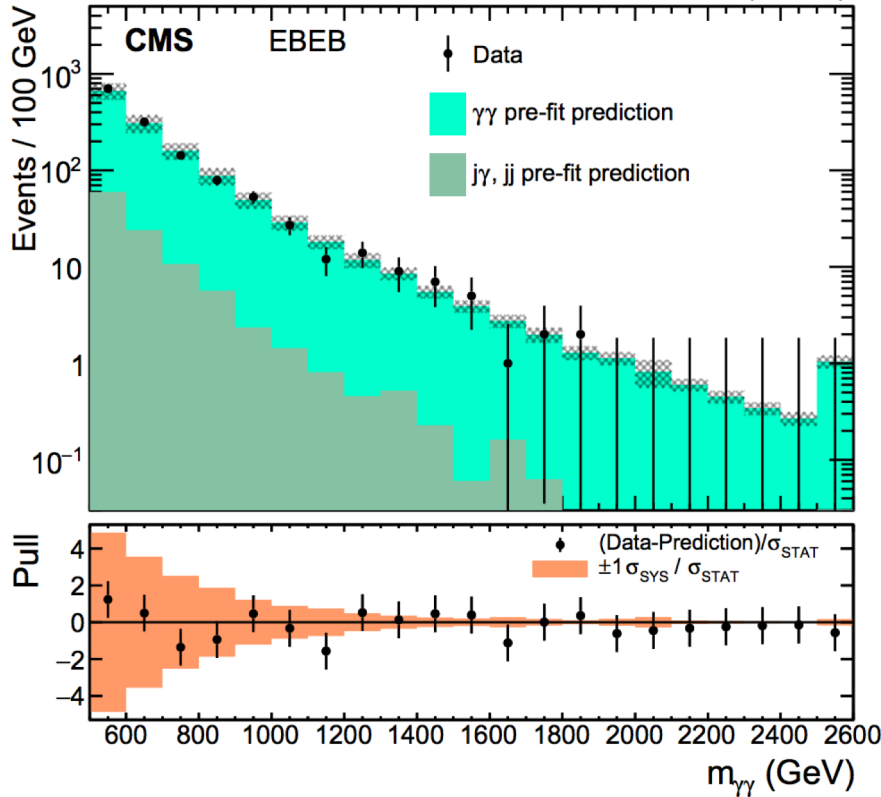


Denominator  $\rightarrow$   $\gamma$ -like obj. in a loose sel.

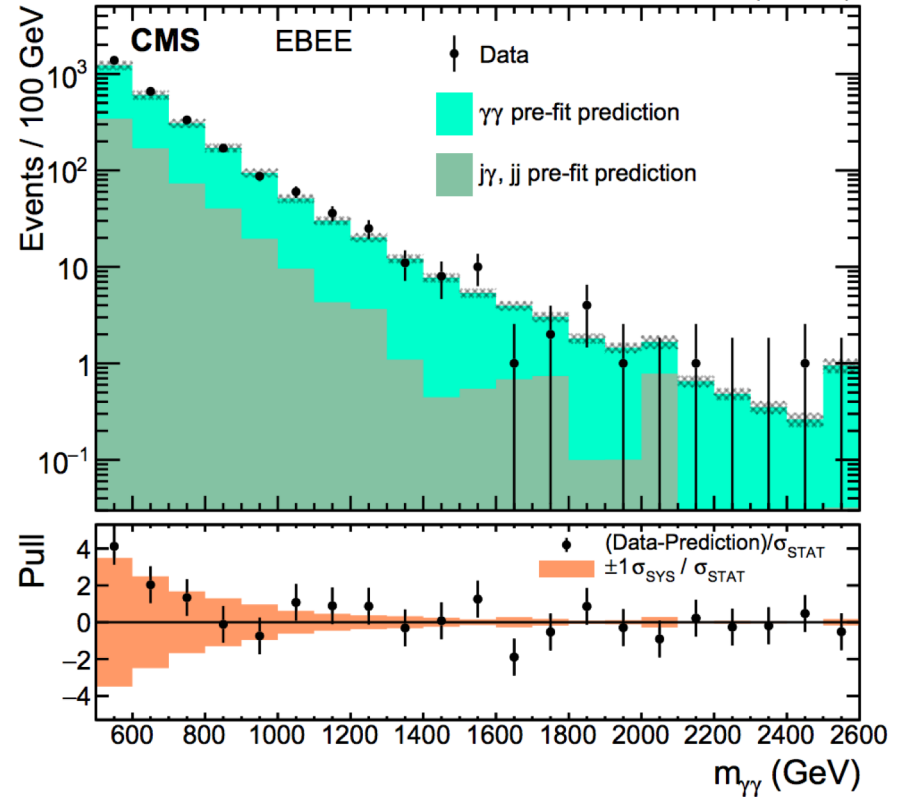
- Pass CSEV
- $\text{Iso}_{\text{CH}} < 0.2 p_T$
- $\text{Iso}_{\gamma}^{\text{CORR}} < 0.2 p_T$  (2 GeV) EB(EE)
- $H/E < 0.1$
- Fail at least 1 “ $\gamma$  ID” cut (orthogonality)



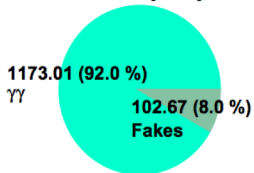
35.9 fb<sup>-1</sup> (13 TeV)



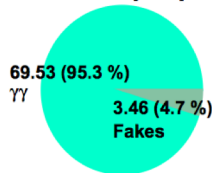
35.9 fb<sup>-1</sup> (13 TeV)



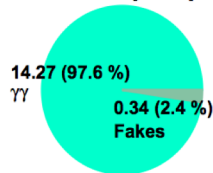
EBEB Pre-fit [0.5-1] TeV



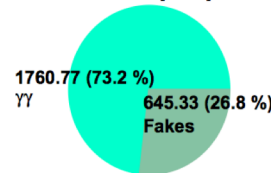
EBEB Pre-fit [1-1.5] TeV



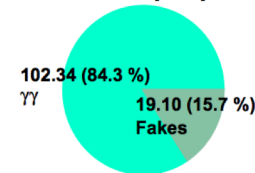
EBEB Pre-fit [1.5-13] TeV



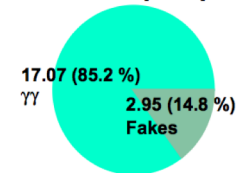
EBEE Pre-fit [0.5-1] TeV



EBEE Pre-fit [1-1.5] TeV



EBEE Pre-fit [1.5-13] TeV



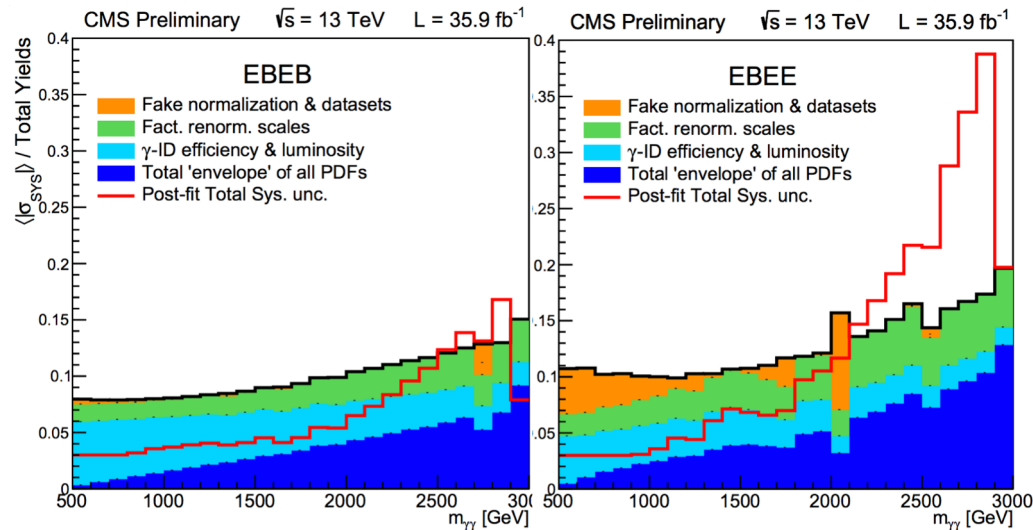
- This pre-fit prediction consist of the 1<sup>st</sup> of the two “layers” of our prediction
- The 2<sup>nd</sup> and final predictions comes from the marginalization of nuis. param.
- **Good agreement in general** (apart from a weak trend at [0.5-1] TeV EBEE)

## The Approach:

- We attribute a nuisance parameter to each source of uncertainty
- Perform “Bayesian Marginalization” (MLE fit) to the data to extract posteriors
- Fit (dominated by low  $M_{\gamma\gamma}$ ) constrains the tails’ sys. unc. → Post-fit  $M_{\gamma\gamma}$  spectra

## Prompt $\gamma\gamma$ BKG:

- Normalization: float arbitrarily → absorbs uncertainties in higher order terms not included in our NNLO K factor; absorbs Lumi 2.5%,  $\gamma$ -ID eff. 6%
- Scale variations:  $\mu_r$ ,  $\mu_f$  on K-factor calculation
- PDFs: 26 NLO CT10 eigenvector pair variations using DIPHOX<sup>NLO</sup>
- Shape difference in MCFM<sup>NNLO</sup> and MCFM<sup>NLO</sup> and DIPHOX<sup>NLO</sup>



## Fake BKG:

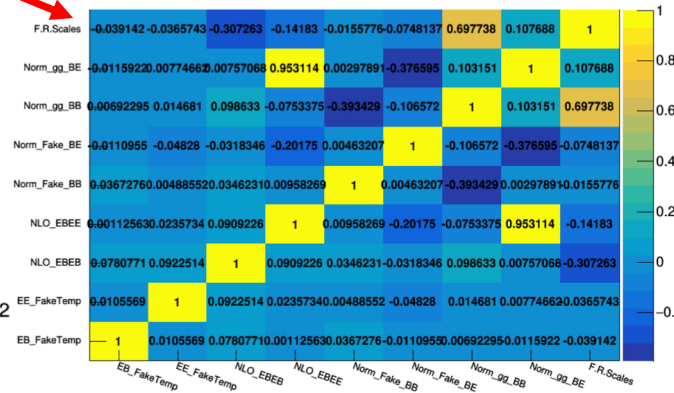
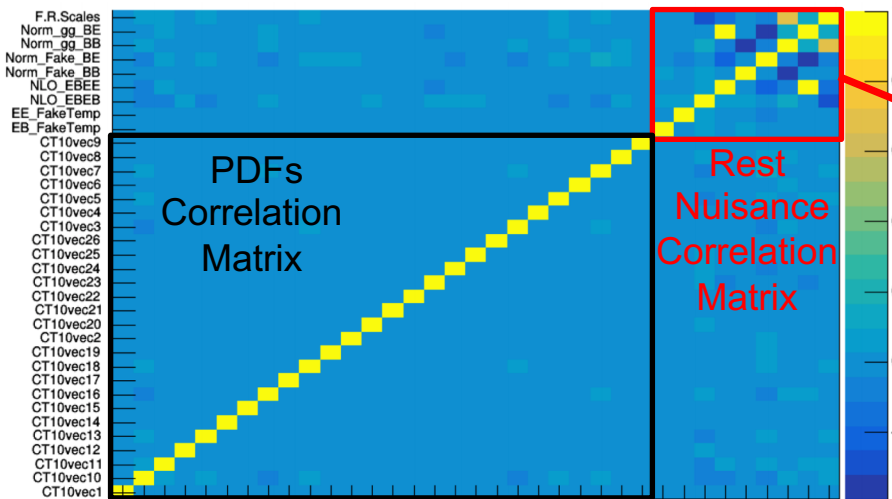
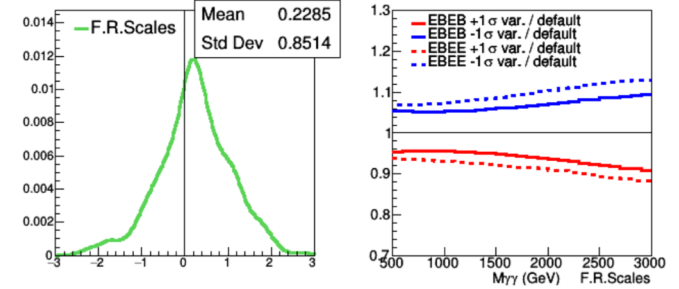
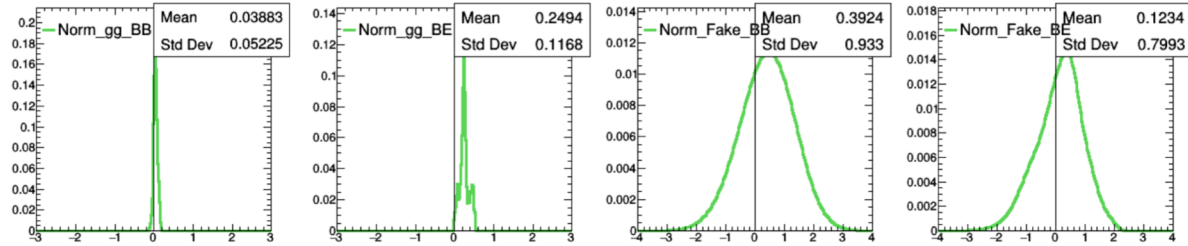
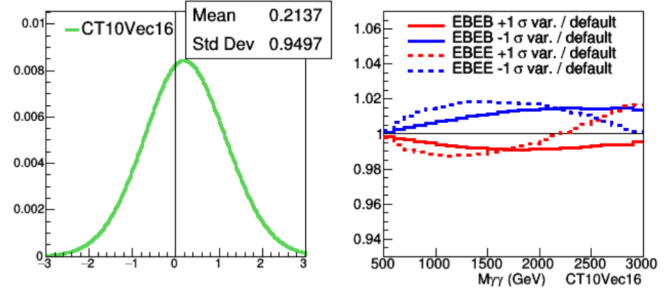
- Normalization 30% uncertainty (pileup, non-closure)
- Shape differences in fake rate from JetHT and DoubleMuon datasets

## MC signal:

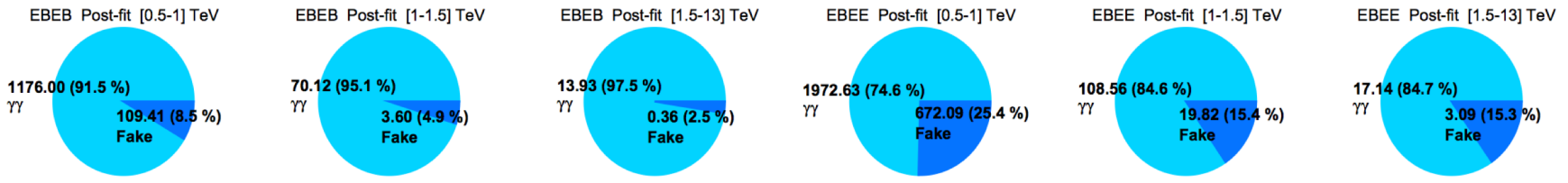
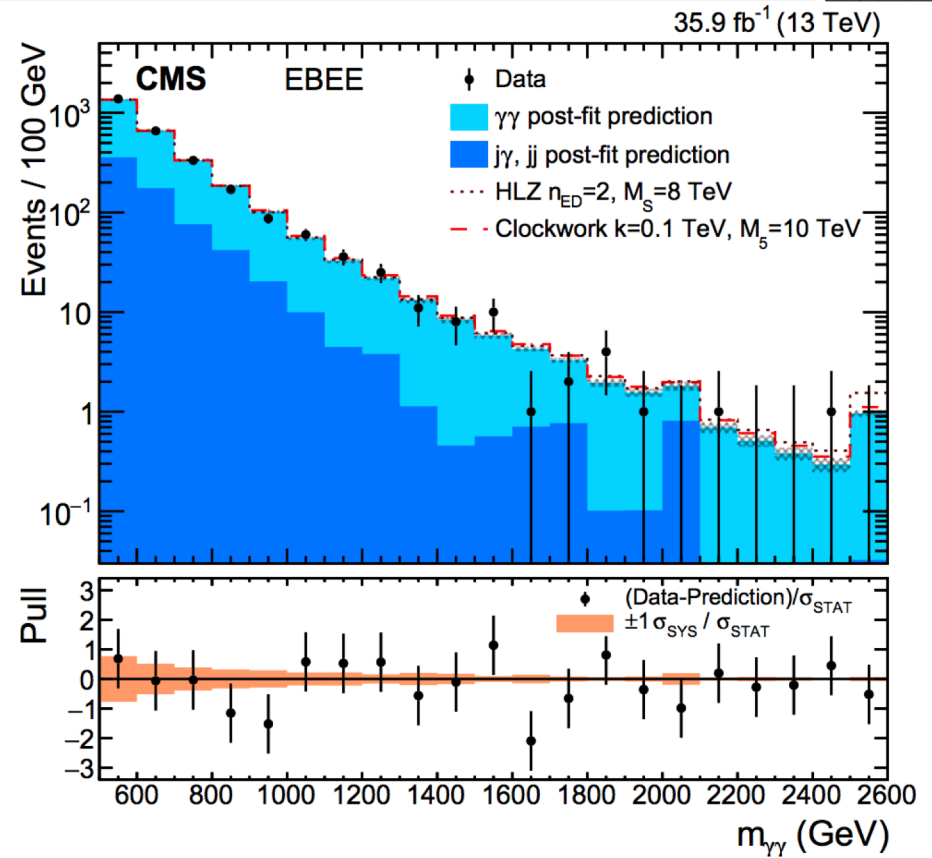
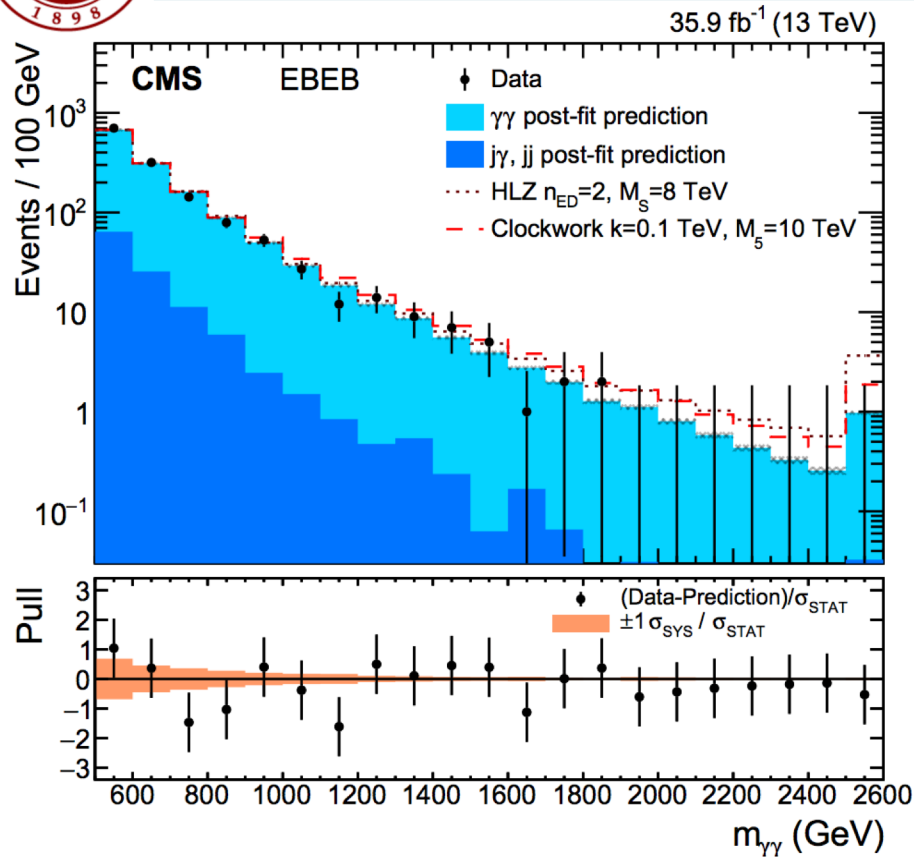
- Lumi. 2.5%,  $\gamma$ -ID eff. 6%
- PDFs: 26 NLO CT10 eigenvector pair variations using DIPHOX at NLO

We use in total 35 nuisance parameters.  
A few examples of posterior distributions are:

- A typical example (over 26) from the PDF → posteriors (are gaussian-like)
- Four normalization nuisance parameters → (spike-like for real- $\gamma\gamma$ )
- Scale variations  $\mu_r, \mu_f$  on K-factor calculation →
- Correlation Matrix:



# Post-fit Predicted Spectra



- This Post-fit prediction consist of the “final layer” of the two of our prediction
- Good agreement within uncertainties.



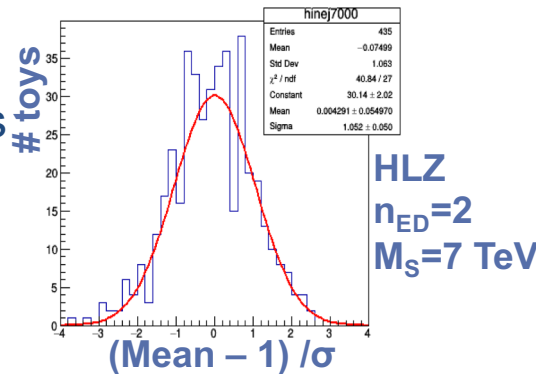
**ADD:** no indication of a signal

- We set upper limits on signal strength  $\rightarrow$  lower limits on  $M_S$  (UV-cutoff scale):

Signal:	GRW	Hewett		HLZ					
		negative	positive	$n_{ED}=2$	$n_{ED}=3$	$n_{ED}=4$	$n_{ED}=5$	$n_{ED}=6$	$n_{ED}=7$
Expected:	$7.1^{+0.7}_{-0.5}$	$5.5^{+0.1}_{-0.3}$	$6.3^{+0.6}_{-0.4}$	$8.4^{+1.3}_{-1.1}$	$8.4^{+0.8}_{-0.6}$	$7.1^{+0.7}_{-0.5}$	$6.4^{+0.6}_{-0.5}$	$6.0^{+0.6}_{-0.4}$	$5.6^{+0.6}_{-0.4}$
Observed:	7.8	5.6	7.0	9.7	9.3	7.8	7.0	6.6	6.2

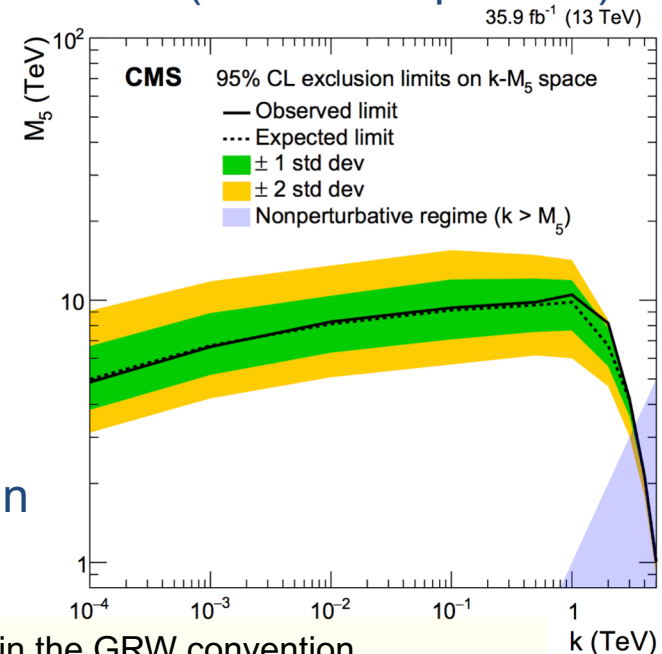
- Obs. limits are  $\sim 1\sigma$  stronger than the exp. (data under-fluctuation  $> 2\text{TeV}$ )
- Better by  $\sim 0.9\text{ TeV}$  wrt ATLAS limits: arXiv:1707.04147 (see back up slides).

- Signal injection tests showed no biases:



**Continuum Clockwork:**

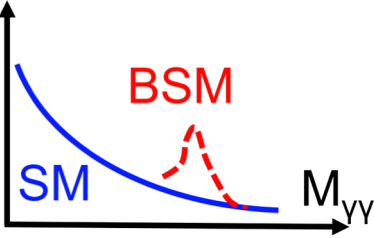
- Perform marginalization over  $m_{YY} > 0.9\text{ TeV}$  (due to poor statistics of the ADD model used in signal construction).
- For  $k = 100\text{ GeV}$  we exclude up to  $M_5 < 8\text{ TeV}$



$M_S$ : defined in the GRW convention,  
 $M_5$ : fundamental scale of the grav. interactions  
 $k$ : 'clockwork spring'



# Exclusion limits for Resonant signal

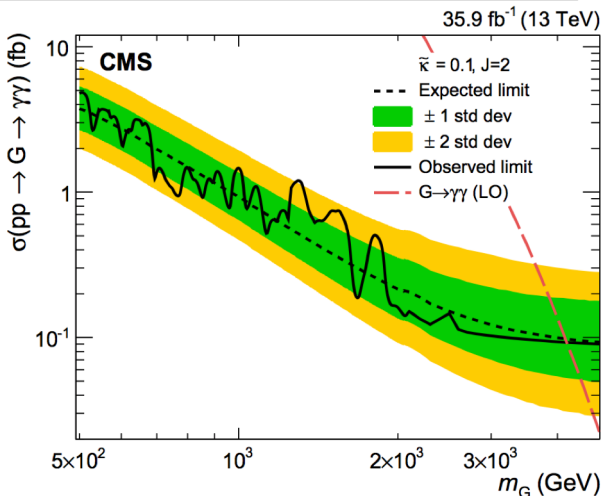
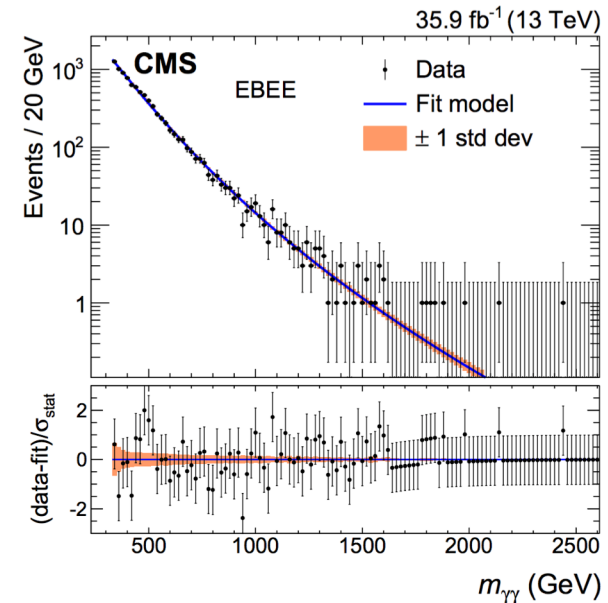
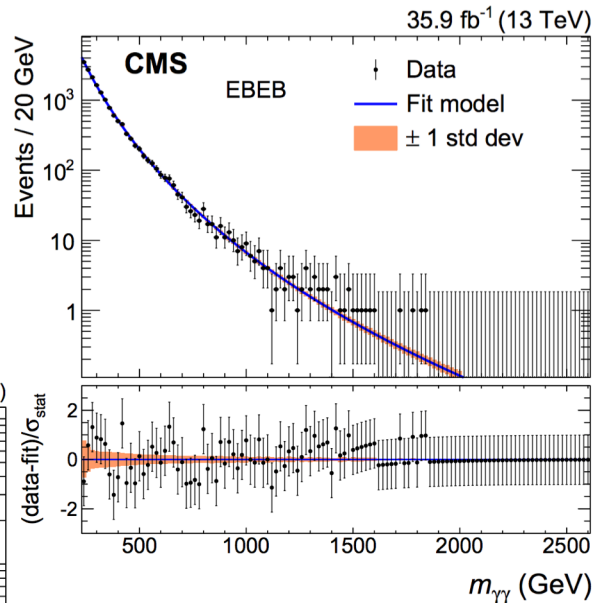


- Having a look at the same data (very similar selection) for a narrow structure:

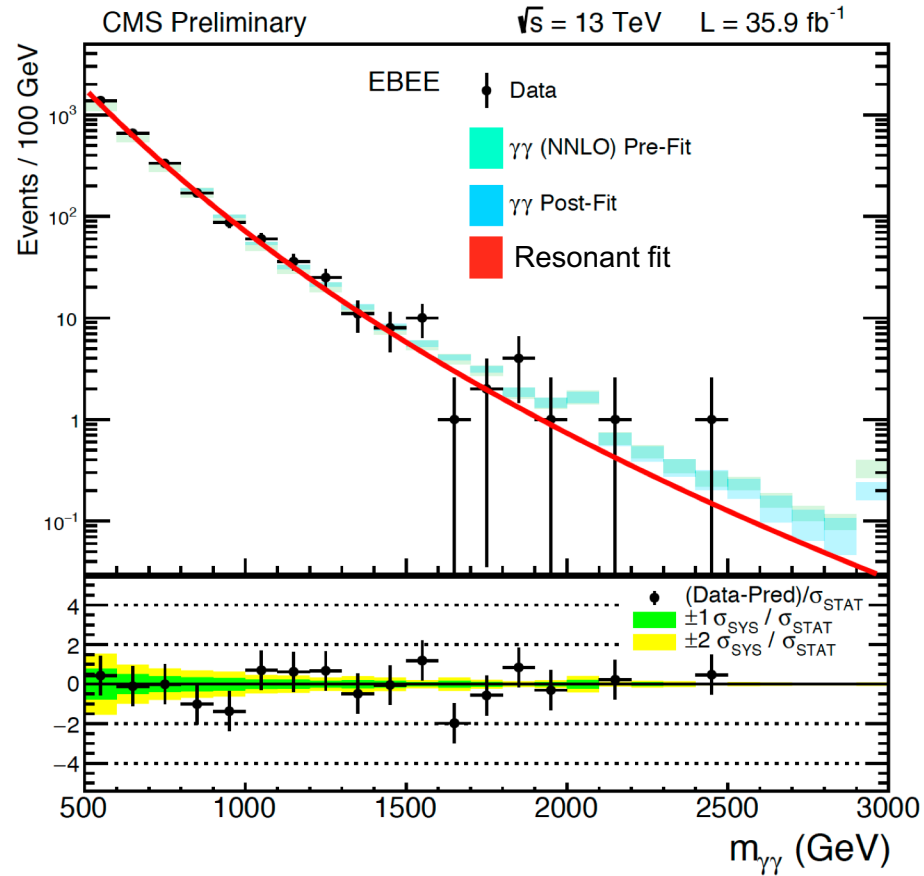
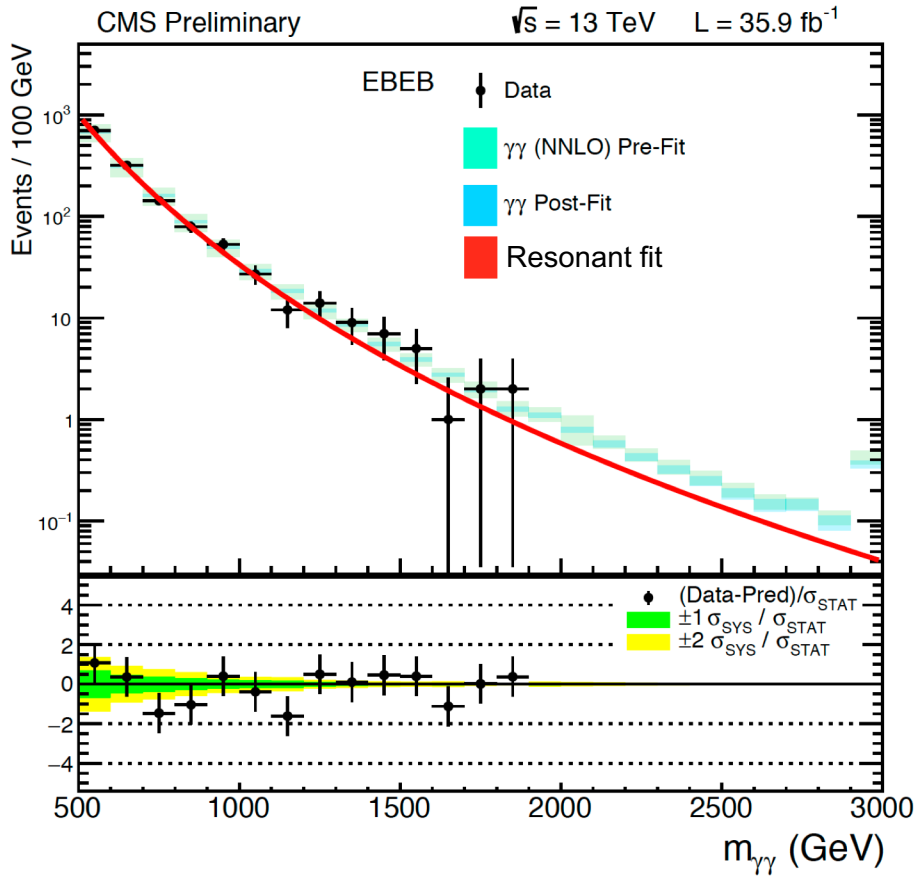
- SM BKG parametrized as:  $g(m_{\gamma\gamma}) = m_{\gamma\gamma}^{a+b \log(m_{\gamma\gamma})}$   
 $\rightarrow$  2 param. treated as **unconstrained nuisance param.** in the **unbinned maximum likelihood fit.**

## RS graviton (warped ED)

- one extra dimension
- compactified with  $r_c$
- curvature  $k$
- scales masses in 4D as:  
 $m = e^{-kr_c \pi} m_0$
- scaling  $M_{Pl} \sim \text{TeV-scale}$   
 $(kr_c \sim 11-12)$



- 95% Limits set using: **Asymptotic CLs method**
- Much more on our paper: [arXiv:1809.00327v1](https://arxiv.org/abs/1809.00327v1)  
 (J=2, J=0, EBEB/EBEE breakdown, various  $\Gamma/m_x$ )

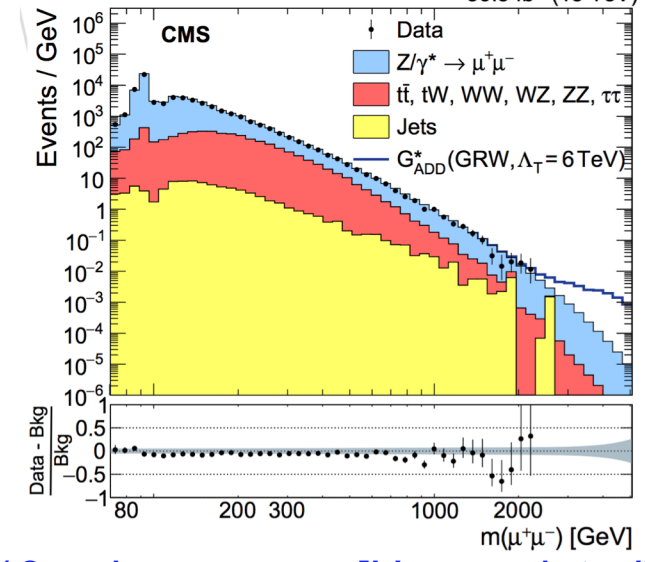
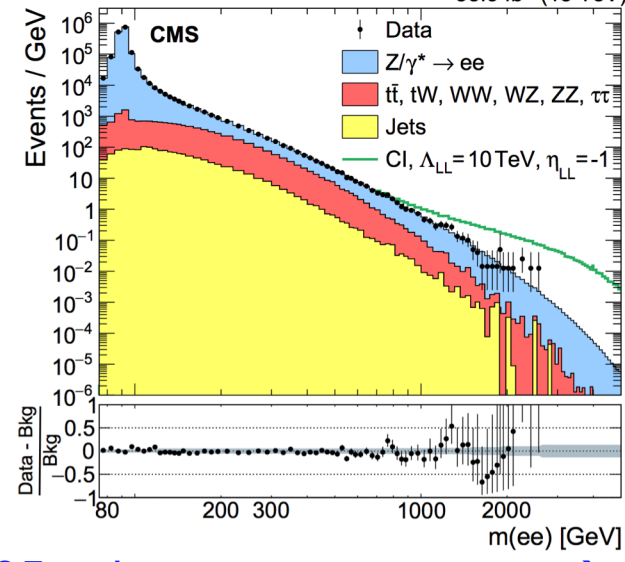
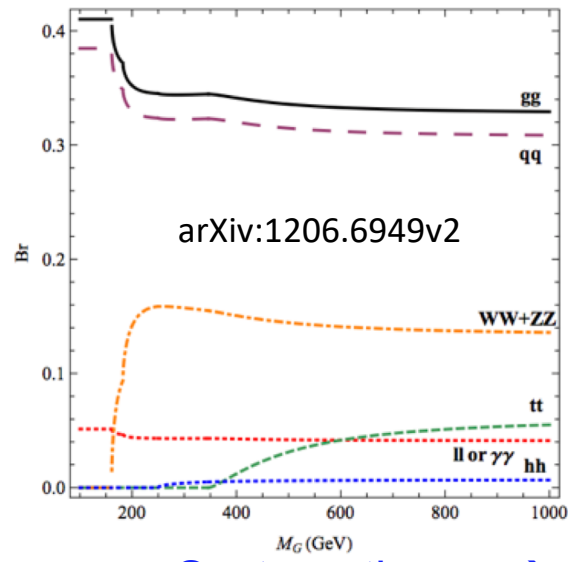


The two approaches/methods for  $M_{\gamma\gamma}$  spectra are in a good agreement

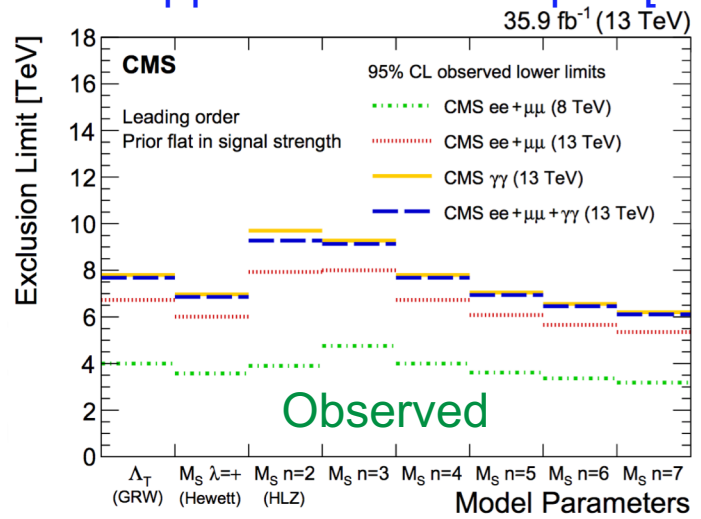
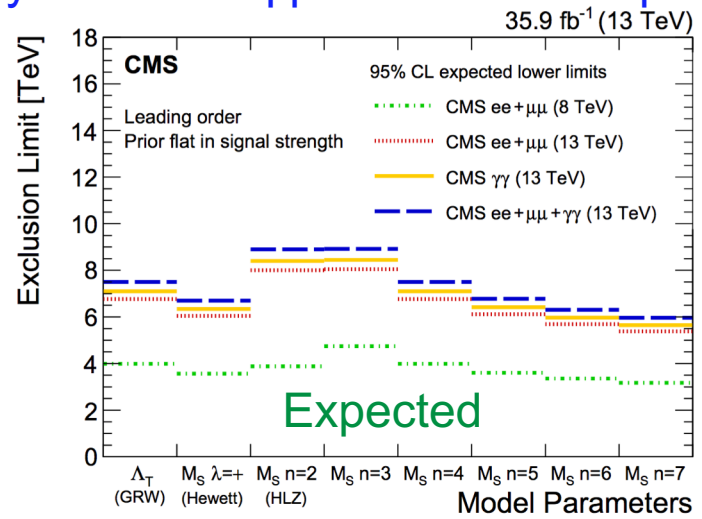
- Good agreement up to  $\sim 1.4 \text{ TeV}$
- Small deviations above  $\sim 1.7 \text{ TeV}$  where we have poor statistics.

# ADD Exclusion limits for $\gamma\gamma + \mu\mu + ee$

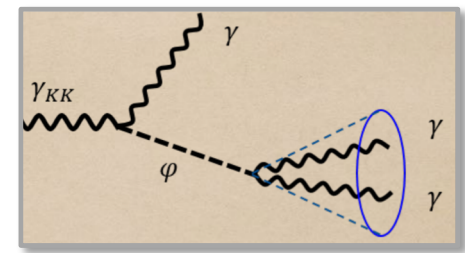
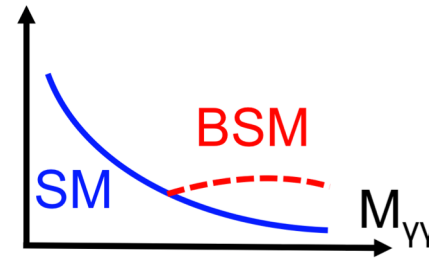
- CMS combined the three channels to set stronger limits
- Similar kinematics/selection: 4 M-bins,  $M_{ll} > 1.6$  TeV for dilepton, BB/BE events



- Systematics:  $\gamma\gamma \rightarrow 35$  nuisance param.  $ee+\mu\mu \rightarrow 13$  nuisance par. [Uncorrelated]



- A search for BSM physics in **diphoton final state** has been performed.
- **Non-Resonant** signatures probed at the tail of  $M_{\gamma\gamma}$  distribution:
  1. ADD with 2,3,...,7 large extra dimension (HLZ, GRW, Hewett $\pm$ )
  2. Continuum Clockwork model
- No indication for BSM physics observed
  - Set exclusion limits at 95%CL
  - The new limits improve current best in  $\gamma\gamma$  Final State
- Combination with  $ee+\mu\mu$  → better sensitivity improving by  $\sim 0.4\text{TeV}$  the Expected (Observed lim. still dominated by diphotons)
- Graviton / BSM physics strongly constrained at  $\gamma\gamma$  FS,
  - But new ideas coming up with  $3\gamma$ :  
Tri-boson, Di-resonant, coming soon – stay tuned!



Thank you for your attention, interest, and hospitality!



# Back-up slides and more

TABLE I. Branching ratio for the massive graviton to SM particle with  $l = e, \mu$  and  $q = u, d, s, c, b$ .

channels	$HH$	$gg$	$\gamma\gamma$	$W^+W^-$	$ZZ$	$t\bar{t}$	$q\bar{q}$	$l^+l^-$
$Br$	2/293	96/293	12/293	24/293	12/293	16/293	90/293	12/293

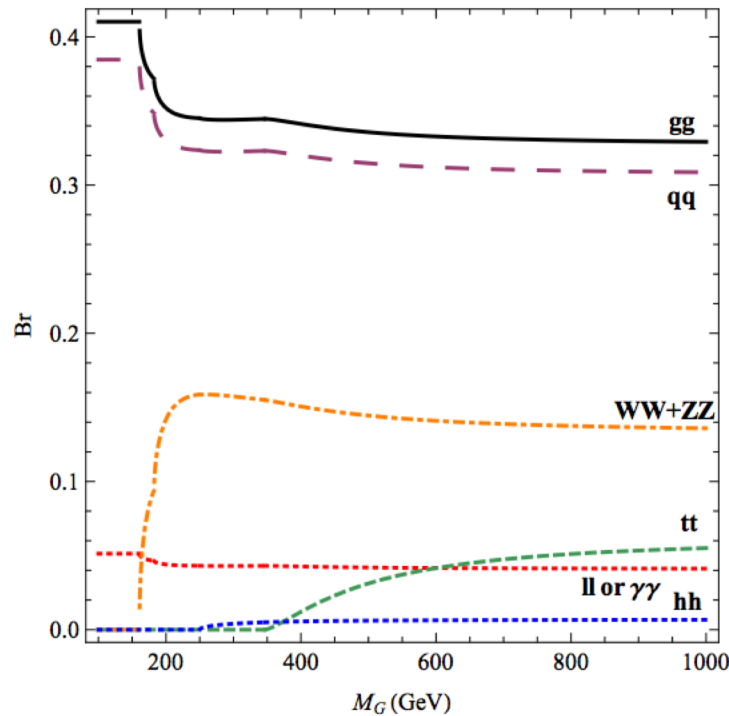
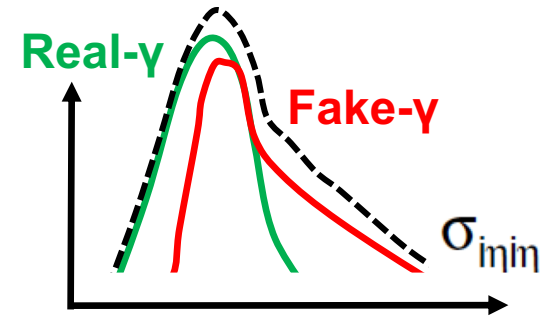


FIG. 3. Branching ratios, where  $q = u, d, c, s, b$  and  $l = e, \mu$ . We have  $Br(G \rightarrow ll) \simeq Br(G \rightarrow \Gamma\Gamma)$  as shown above.

◆  $\sigma_{i\eta i\eta}$ , the 2<sup>nd</sup> moment of the cluster about its average “ $\eta$ ” position:

$$\sigma_{i\eta i\eta}^2 = \frac{\sum_i^{5 \times 5} (0.0175\eta_i + \eta_{\text{seed}} - \bar{\eta}_{5 \times 5})^2 \times w_i}{\sum_i^{5 \times 5} w_i} ; \quad w_i = \max\{0.0, 4.7 + \ln \frac{E_i}{E_{5 \times 5}}\}$$



- $i$  is the enumeration index of a crystal in a  $5 \times 5$  array centered on the highest energy crystal,
- $\eta_i$  is the pseudorapidity of the  $i^{\text{th}}$  crystal,
- $\eta_{\text{seed}}$  is the pseudorapidity of the seed crystal,
- $\bar{\eta}_{5 \times 5}$  is the average pseudorapidity of the crystals in the  $5 \times 5$  array,
- $E_i, E_{5 \times 5}$  are the  $i$ -crystal and the full 25 crystals energy deposits, respectively.

◆  $R_9 = 3 \times 3$  ECAL cluster Energy / Seed crystal Energy.

◆  $\rho$ -Corrected Iso:

$$\overline{\text{Iso}}_\gamma = \alpha + \text{Iso}_\gamma - \rho A - \kappa p_T$$

Detector region	$\alpha$ [GeV]	A	$\kappa$
$ \eta_{\text{SC}}  < 0.9$	0.99	0.15	0.0016
$0.9 <  \eta_{\text{SC}}  < 1.4442$	0.99	0.13	0.0016
$1.566 <  \eta_{\text{SC}}  < 2.0$	0.77	0.093	0.00075
$2.0 <  \eta_{\text{SC}}  < 2.2$	0.77	0.15	0.00075
$2.2 <  \eta_{\text{SC}}  < 2.5$	0.77	0.21	0.00075





# $\rho$ -Corrected Iso

The presence of additional  $pp$  interactions in the same bunch crossing, known as ‘pileup’, will increase the energy deposited in the calorimeter and the detector occupancy. It has been shown in the resonant diphoton analysis that pileup only appreciably affects the measurement of photon isolation. The photon isolation is rho corrected using the ‘fixedGridRhoAll’ rho value from the MiniAOD. There is also an additional correction based on the photon  $p_T$ . The definition of the corrected photon isolation  $\overline{Iso}_\gamma$  is summarized in Equation 8

$$\overline{Iso}_\gamma = \alpha + Iso_\gamma - \rho A - \kappa p_T \tag{8}$$

where  $Iso_\gamma$  is the uncorrected photon isolation,  $A$  is the effective area,  $\kappa$  is a coefficient giving the  $p_T$  dependence of the correction, and  $\alpha$  is an empirical constant chosen to make the corrected isolation peak near 0. The parameters  $\alpha$ ,  $A$ , and  $\kappa$  depend on the supercluster pseudorapidity  $|\eta_{SC}|$  and are listed in Table 7.

Where appropriate, variables are corrected for data/MC discrepancies. This is the case regarding  $\overline{Iso}_\gamma$ ; a so-called “stochastic correction” was used. Details on this correction can be found in Appendix A of [19]. In addition, we apply the 8\_0\_X version of the standard EGamma energy regression as well as the energy smearing and scaling corrections to MC and data, respectively.

Detector region	$\alpha$ [GeV]	$A$	$\kappa$
$ \eta_{SC}  < 0.9$	0.99	0.15	0.0016
$0.9 <  \eta_{SC}  < 1.4442$	0.99	0.13	0.0016
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$2.0 <  \eta_{SC}  < 2.2$	0.77	0.15	0.00075
$2.2 <  \eta_{SC}  < 2.5$	0.77	0.21	0.00075



# ADD x-section



Using Eq. (6.175), one can calculate cross sections for various processes relevant to collider experiments. For instance, the cross section with two photons in the final state is

$$\frac{d\sigma}{dt}(f\bar{f} \rightarrow \gamma\gamma) = \frac{\pi}{N_f s^2} \left[ \alpha Q_f^2 G_1 \left( \frac{t}{s} \right) + \frac{s^2}{M_S^4} G_2 \left( \frac{t}{s} \right) \right]^2 \quad (6.176a)$$

$$\frac{d\sigma}{dt}(gg \rightarrow \gamma\gamma) = \frac{\pi}{512} \frac{s^2}{M_S^8} G_3 \left( \frac{t}{s} \right) \quad (6.176b)$$

where  $G_1 \sim G_3$  are given in Appendix C [467]. A similar expression can be obtained for  $f\bar{f} \rightarrow f\bar{f}$ . A generic form often used for data fitting for the sum of the SM and KK processes can be written as [593]

$$\frac{d^2\sigma}{d\cos\theta^* dM} = f_{\text{SM}} + f_{\text{int}} \left( \frac{F}{M_S^4} \right) + f_{\text{KK}} \left( \frac{F}{M_S^4} \right)^2 \quad (6.177)$$
$$F = \begin{cases} 1 & \text{GRW [467]} \\ \begin{cases} \ln \frac{M_S^2}{M^2} & \delta = 2 \\ \frac{2}{\delta-2} & \delta > 2 \end{cases} & \text{HLZ [594]} \\ \frac{2\lambda}{\pi} = \pm \frac{2}{\pi} & \text{Hewett [595]} \end{cases}$$

◆ Taken from: Nagashima, Beyond the SM of Elementary Particle Physics.

# Outline

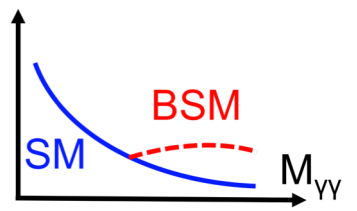
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• The goal of these “twin analyses” is to search for evidence of **BSM** physics in  $pp \rightarrow \gamma\gamma$  events using  $M_{\gamma\gamma}$

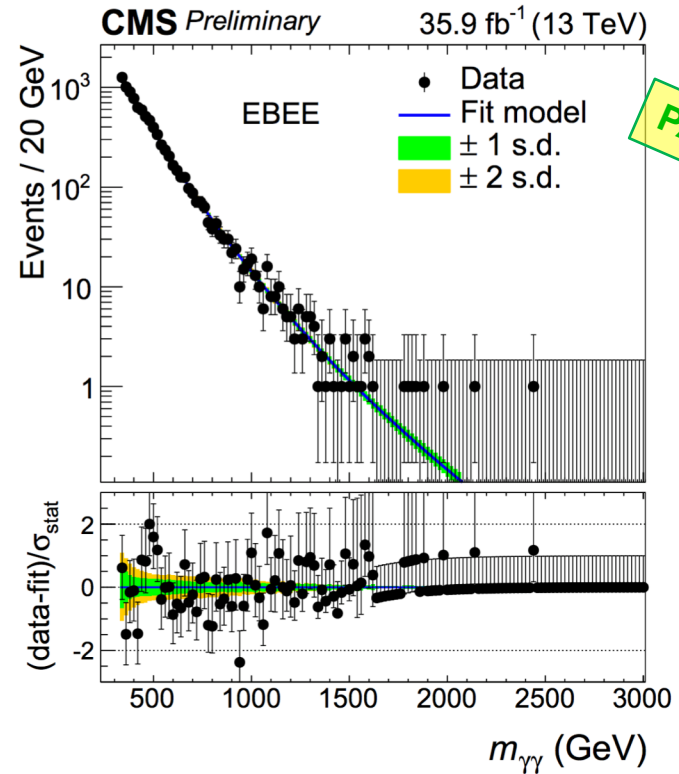
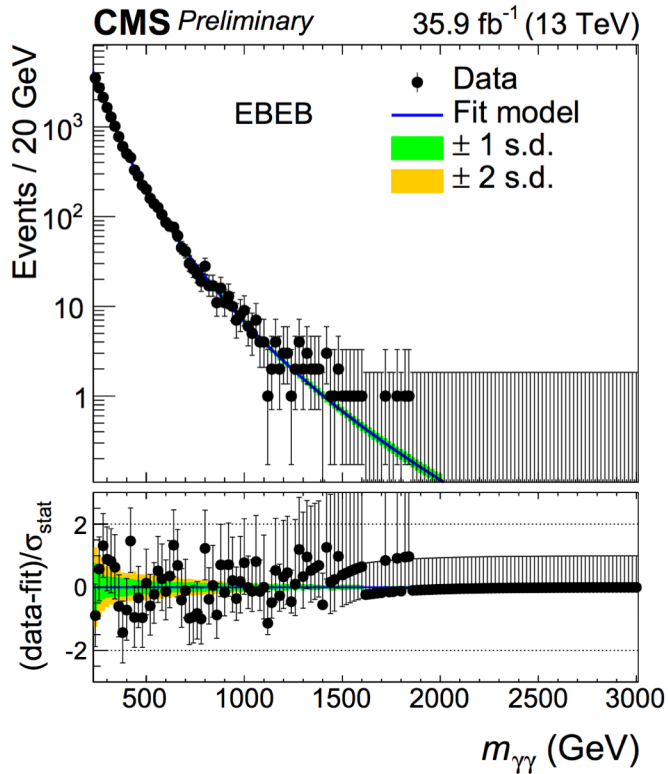
• Search for non-resonant signal:  $\rightarrow$  ADD extra dimensions  $\rightarrow$   
 $\rightarrow$  Continuum clockwork  $\rightarrow$



- 1) Reconstruction and event selection
- 2) Signals' generation, simulation & features;  
MC samples, datasets and triggers used
- 3) Background estimate
- 4) Systematic uncertainties treatment
- 5) Results interpretation / limits

# M<sub>γγ</sub> BKG Determination - Fit

- SM background parametrized as:  $g(m_{\gamma\gamma}) = m_{\gamma\gamma}^{a+b \log(m_{\gamma\gamma})}$   
 → 2 parameters treated as **unconstrained nuisance parameters** in the unbinned maximum likelihood fit.



- No statistically significant structures on the data  
 → No indication for BSM physics.

- Total cross section of SM+ADD process:

$$\sigma_{\text{total}} = \sigma_{\text{SM}} + \frac{\mathcal{F}}{M_S^4} \sigma_{\text{int}} + \frac{\mathcal{F}^2}{M_S^8} \sigma_{\text{ADD}}$$

$$\mathcal{F} = \begin{cases} 1 & \text{(GRW),} \\ \log\left(\frac{M_S^2}{s}\right), & \text{if } n_{\text{ED}} = 2 \\ \frac{2}{n_{\text{ED}} - 2}, & \text{if } n_{\text{ED}} > 2 \\ \pm \frac{2}{\pi} & \text{(Hewett),} \end{cases} \quad \text{(HLZ),}$$

- Conventions for **F**: GRW, HLZ, Hewett

Our parametrization:  $M_S$ : UV cutoff scale,  $n_{\text{ED}}$ : number of extra dimensions.

- Include the interference term  $\rightarrow$  production “SM+ADD” and “SM-only”

$\rightarrow$  Use SHERPA (LO) to extract ADD signal.

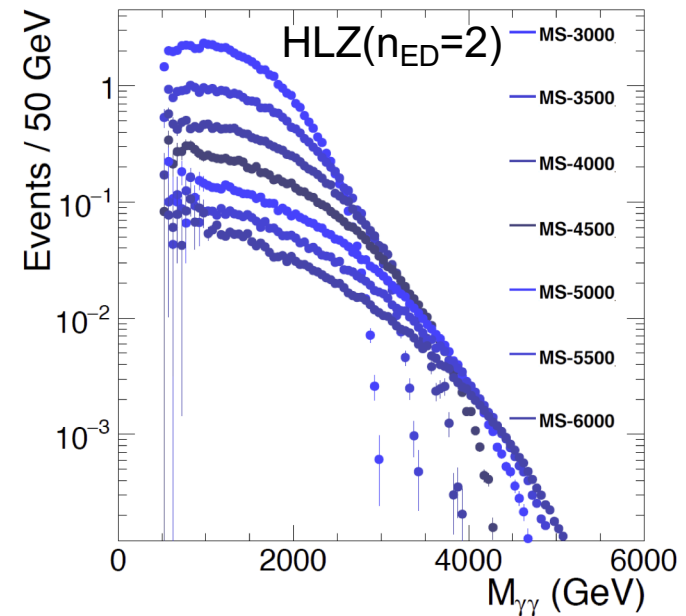
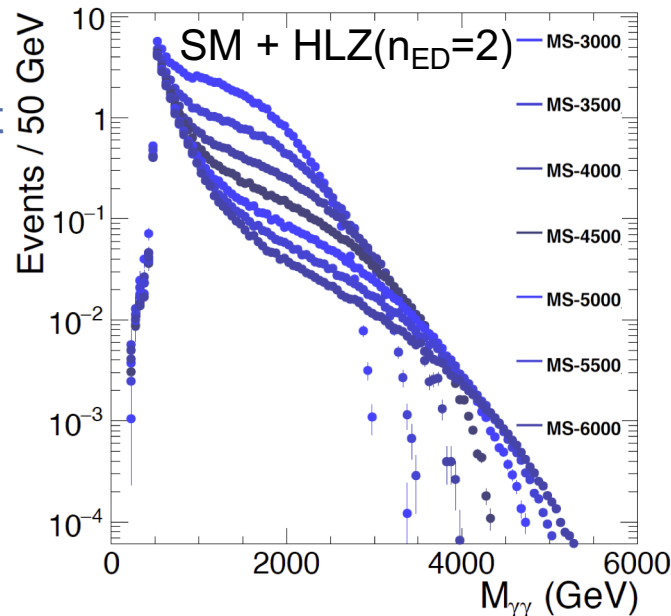
(Computationally not feasible to include additional final state partons into SM+ADD)

- HLZ example  $\rightarrow$  similar with the rest

- Scan parameter space:

$M_S$ : 3-11 TeV

$n_{\text{ED}}$ : 2, 3, ..., 7



# Signal MC: Continuum Clockwork

- Use the ADD sample [CMS central production] → to translate in CW

$$\sigma_{\text{total}} = \sigma_{\text{SM}} + \frac{\mathcal{F}}{M_S^4} \sigma_{\text{int}} + \frac{\mathcal{F}^2}{M_S^8} \sigma_{\text{ADD}}$$

$M_S$ : defined in the GRW convention,  
 $M_5$ : fundamental scale of the gravitational interactions  
 $k$ : 'clockwork spring', (Perturbativity constrains  $k < M_5$ )

- Direct term can be rescaled by:

$$\theta(m_{\gamma\gamma} - k) \frac{30 M_S^8}{283 \pi M_5^3} \sqrt{1 - \frac{k^2}{m_{\gamma\gamma}^2}} \frac{1}{m_{\gamma\gamma}^5} \left[ 1 + \frac{5^2 \cdot 7 \cdot 17}{283 \cdot 2^8} \left(1 - \frac{k}{m_{\gamma\gamma}}\right)^9 \sqrt{\frac{m_{\gamma\gamma}}{k}} \right]^{-1}$$

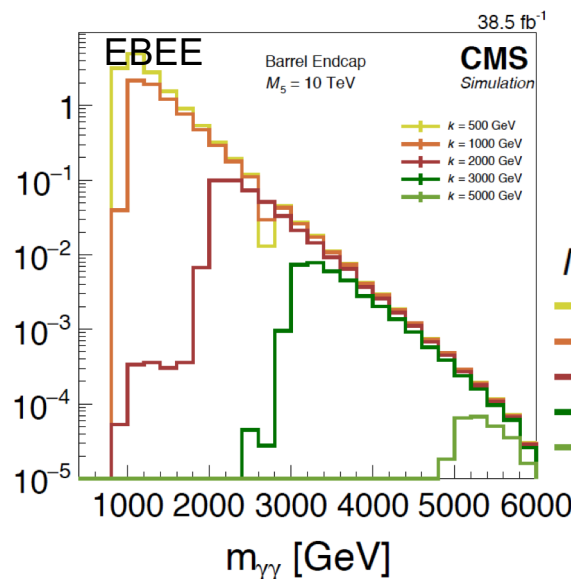
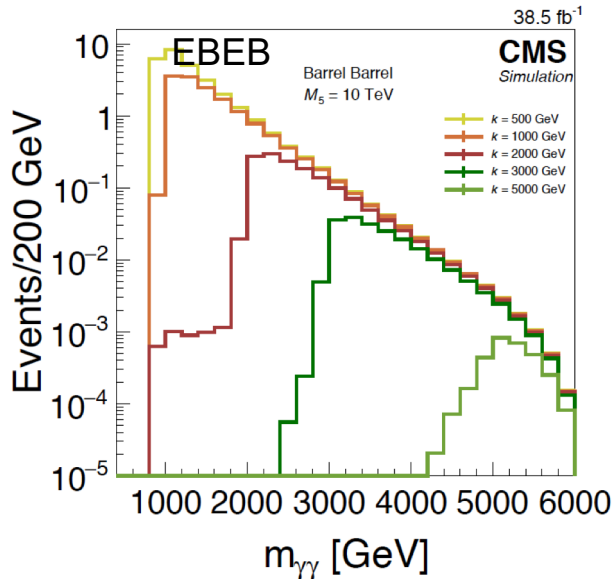
- Write the x-secs as:  
and extract direct term

$$\sigma_{\text{Hewett}} = \frac{-2/\pi}{M_S^4} \sigma_{\text{int}} + \frac{4/\pi^2}{M_S^8} \sigma_{\text{ADD}}$$

$$\sigma_{\text{GRW}} = \frac{1}{M_S^4} \sigma_{\text{int}} + \frac{1}{M_S^8} \sigma_{\text{ADD}}$$

$$\frac{\sigma_{\text{ADD}}}{M_S^8} = \frac{\sigma_{\text{GRW}} + \frac{\pi}{2} \sigma_{\text{Hewett}}}{1 + \frac{\pi}{2}}$$

This direct term is scaled by the factor to form CW signal



$M_{\gamma\gamma} > 0.9 \text{ TeV}$



# Continuum Clockwork arxiv:161007962

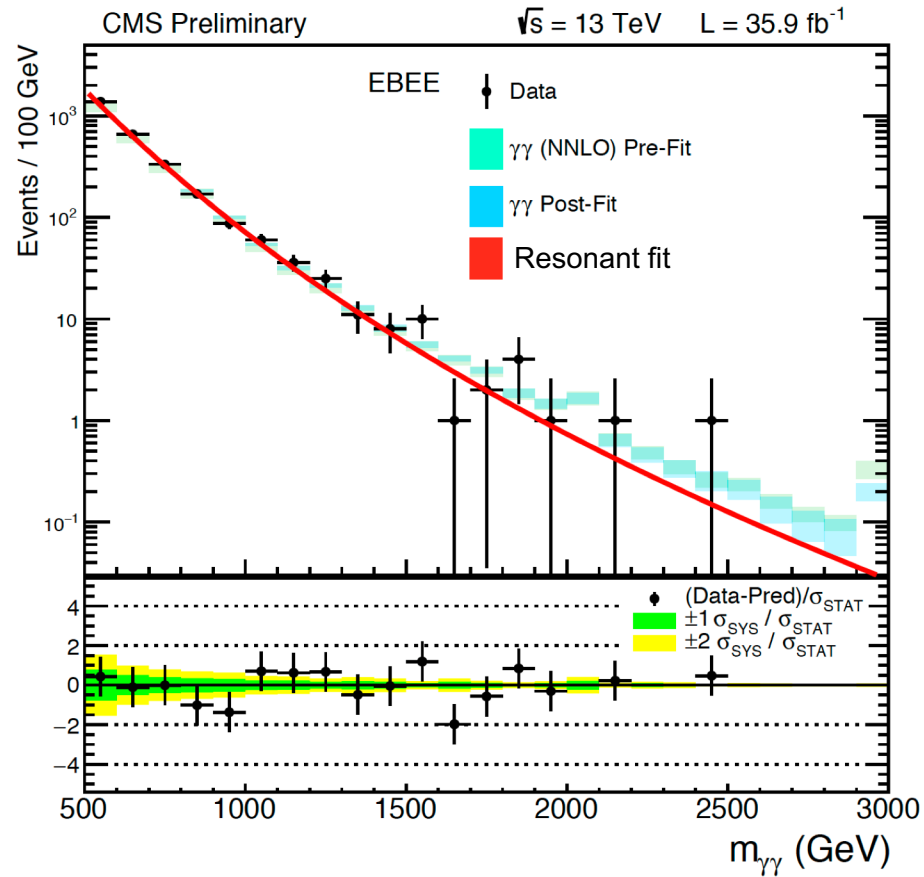
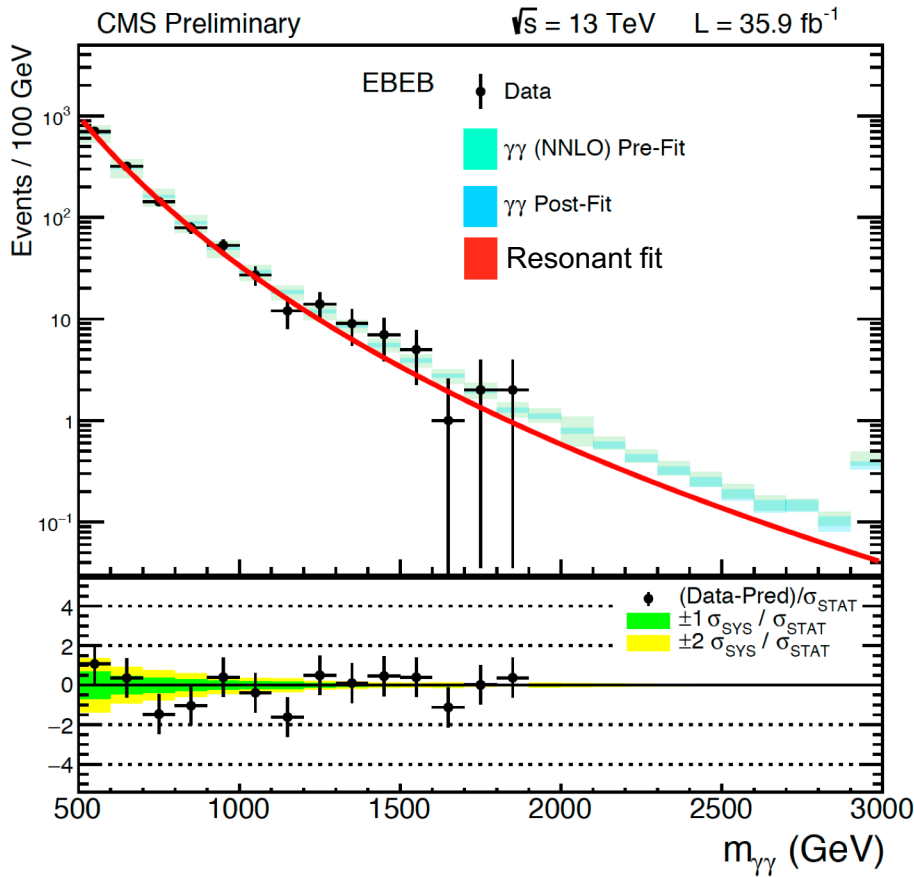


A third proposed solution to the hierarchy problem that we consider in this paper is the continuum clockwork mechanism [8], which coincides with a 5D gravitational theory on a linear dilaton background [9, 10]. The clockwork [11, 12] is a general mechanism that can introduce large effective interaction scales from dynamics occurring at much lower energies. This is achieved by introducing  $N$  copies of some particle content on different sites forming a one-dimensional lattice in theory space. The physical mass spectrum consists of a single massless mode localized on the end site of the lattice and a set of massive modes ('gears') distributed along the sites. In the continuum limit of the clockwork with  $N \rightarrow \infty$ , this lattice is interpreted as a physical extra dimension.

No additional samples are needed to generate the clockwork signal; instead the ADD signal samples are reinterpreted to produce the clockwork prediction. In the clockwork model, the KK modes are all on shell, so there is no interference effect, while the ADD prediction includes both a direct term and an interference term. The GRW and negative Hewett models have opposite signs for the interference term, so the direct term can be isolated by linearly adding, with appropriate weights, the predictions assuming the GRW and negative Hewett conventions. The direct term is then rescaled by Eq. (2), provided by the authors of Ref. [14]:

$$\theta(m_{\gamma\gamma} - k) \frac{30M_S^8}{283\pi M_5^3} \sqrt{1 - \frac{k^2}{m_{\gamma\gamma}^2} \frac{1}{m_{\gamma\gamma}^5}} \left[ 1 + \frac{(5^2)(7)(17)}{(283)(2^8)} \left(1 - \frac{k}{m_{\gamma\gamma}}\right)^9 \sqrt{\frac{m_{\gamma\gamma}}{k}} \right]^{-1}. \quad (2)$$

Here,  $M_S$  is defined in the GRW convention,  $M_5$  is the fundamental scale of the gravitational interactions, and  $k$  is the 'clockwork spring', which, phenomenologically, controls the energy scale at which the KK modes can be excited. To solve the hierarchy problem,  $M_5$  should be close to the electroweak scale. Demanding perturbativity of the theory imposes the constraint  $k < M_5$ .

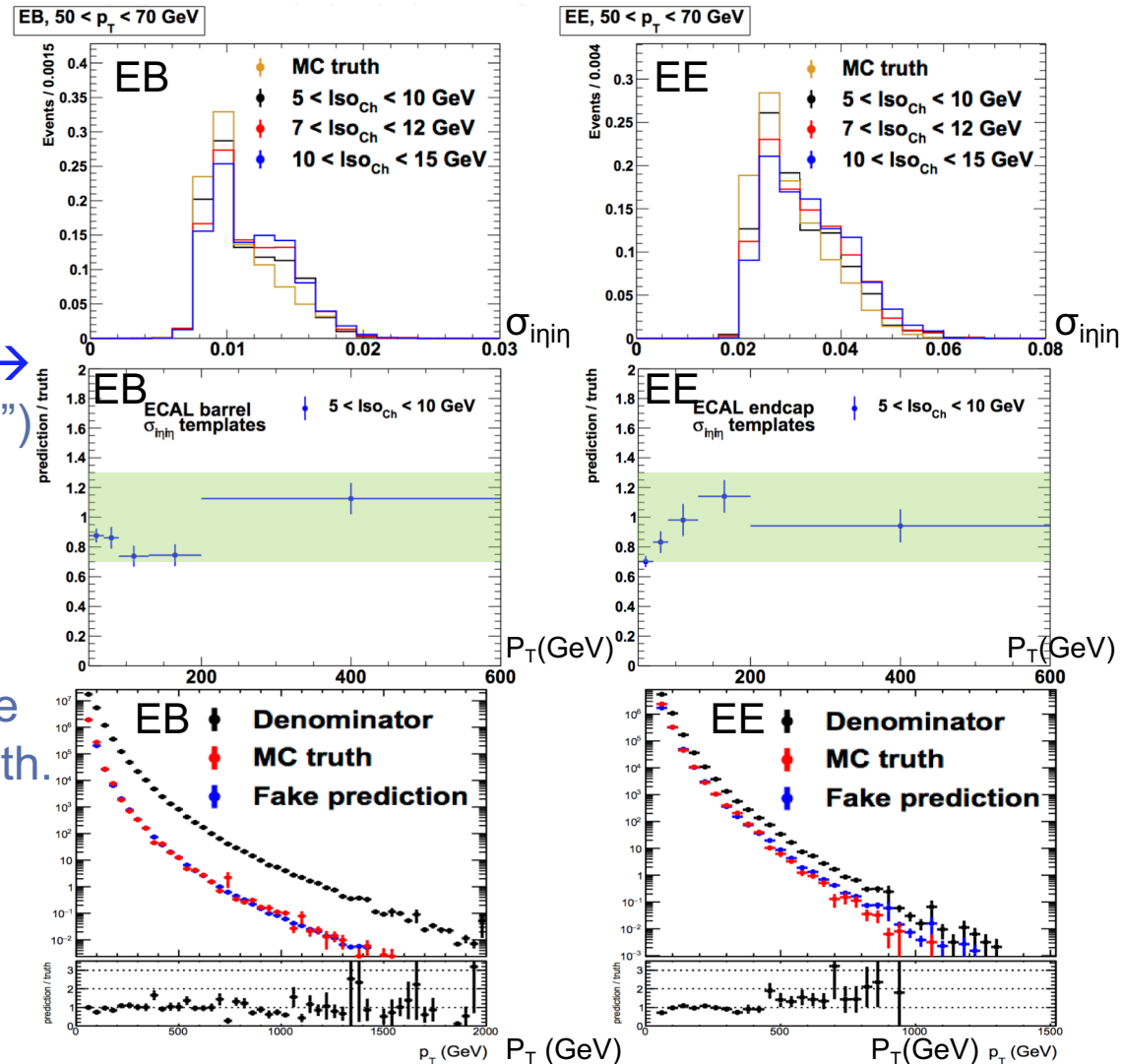


The two approaches/methods for  $M_{\gamma\gamma}$  spectra are in a good agreement

- Good agreement up to  $\sim 1.4 \text{ TeV}$
- Small deviations above  $\sim 1.7 \text{ TeV}$  where we have poor statistics.

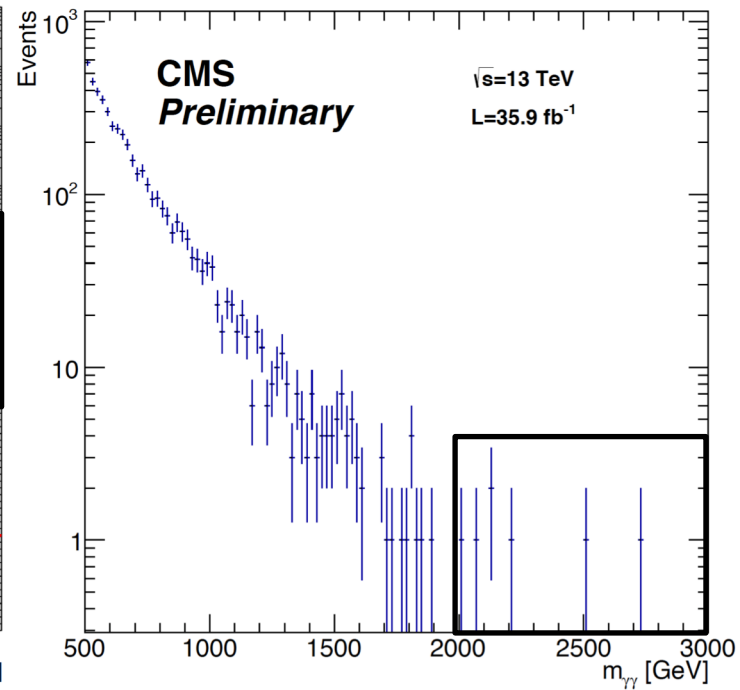
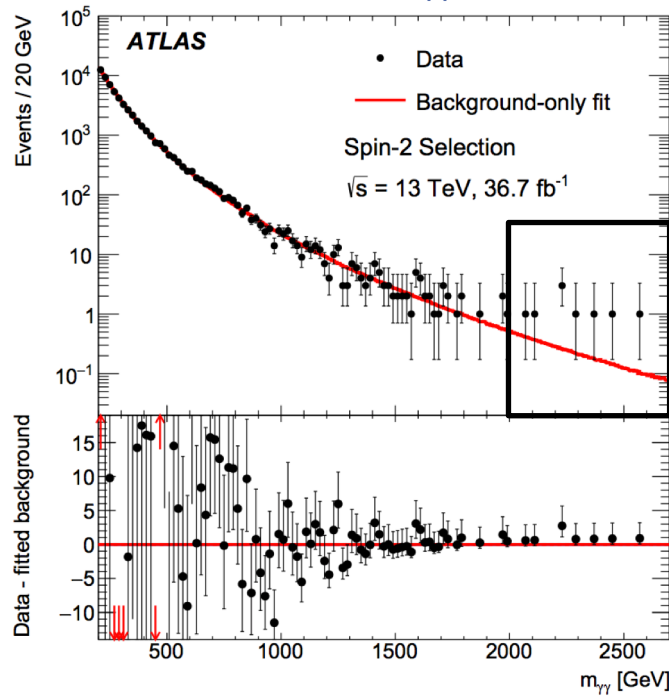


- We can use MC events, treating them exactly as data to extract FR. Which can be compared to the known fakes in MC sample using the MC truth info.
- Test the “Fake Templates” derived from the template MLE-fit vs MC-truth.
- Test the FR forming  $\text{Ratio} = \text{Pred} / \text{Truth} \rightarrow$  (ie: “fake yields from fit / true”) → attribute systematic unc.
- Closure within  $\sim 30\%$
- Kinematic distribution closure  $p_T$  re-weighting events vs truth.
- Good closer in general (much more on AN...)



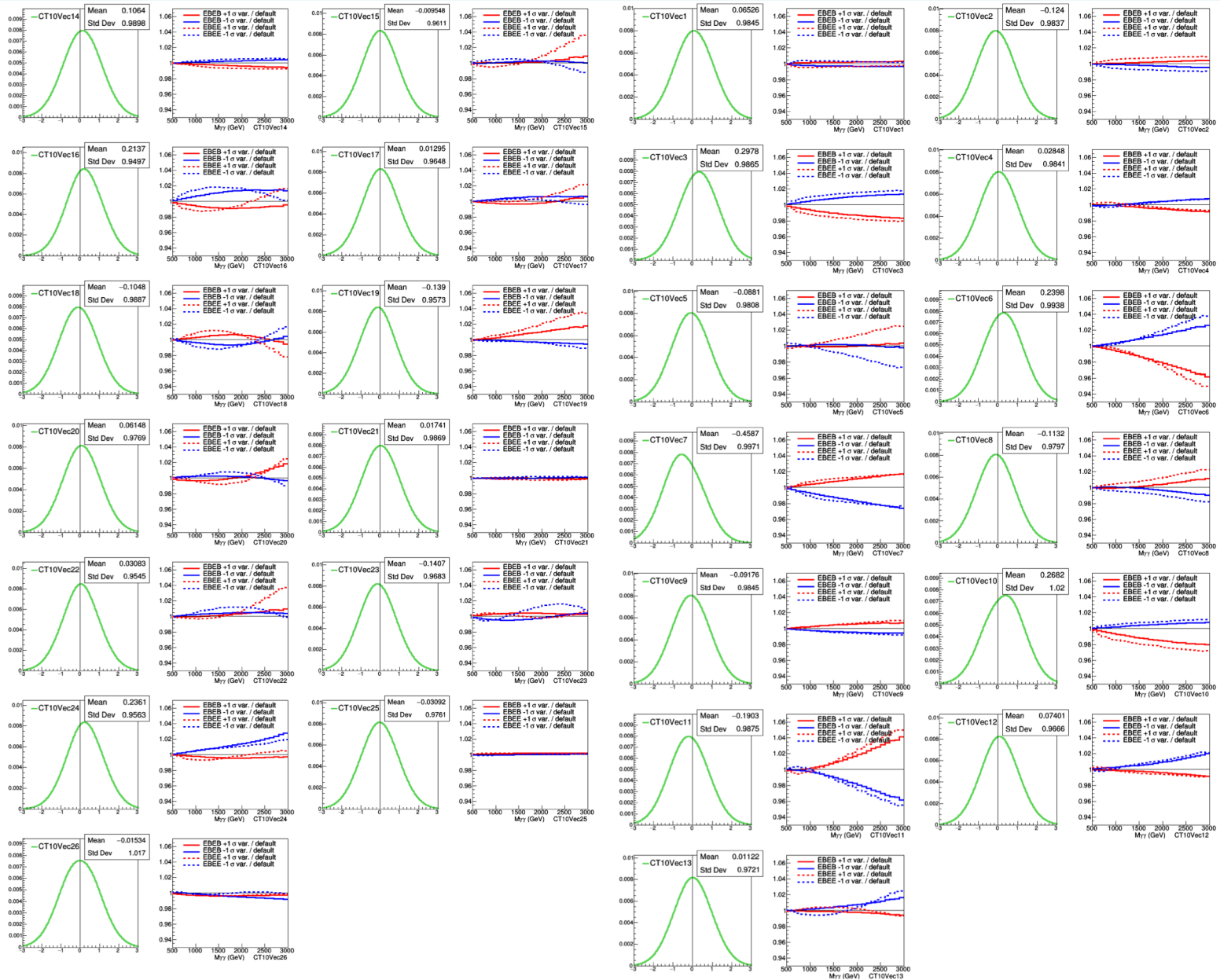
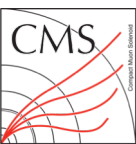
Atlas:  
 EBEB + EBEE + EEEE  
 9 events for  $M_{\gamma\gamma} > 2$  TeV

CMS:  
 EBEB + EBEE  $_{[|\eta| < 2.37]}$  + EEEE  $_{[|\eta| < 2.37]}$   
 7 events for  $M_{\gamma\gamma} > 2$  TeV

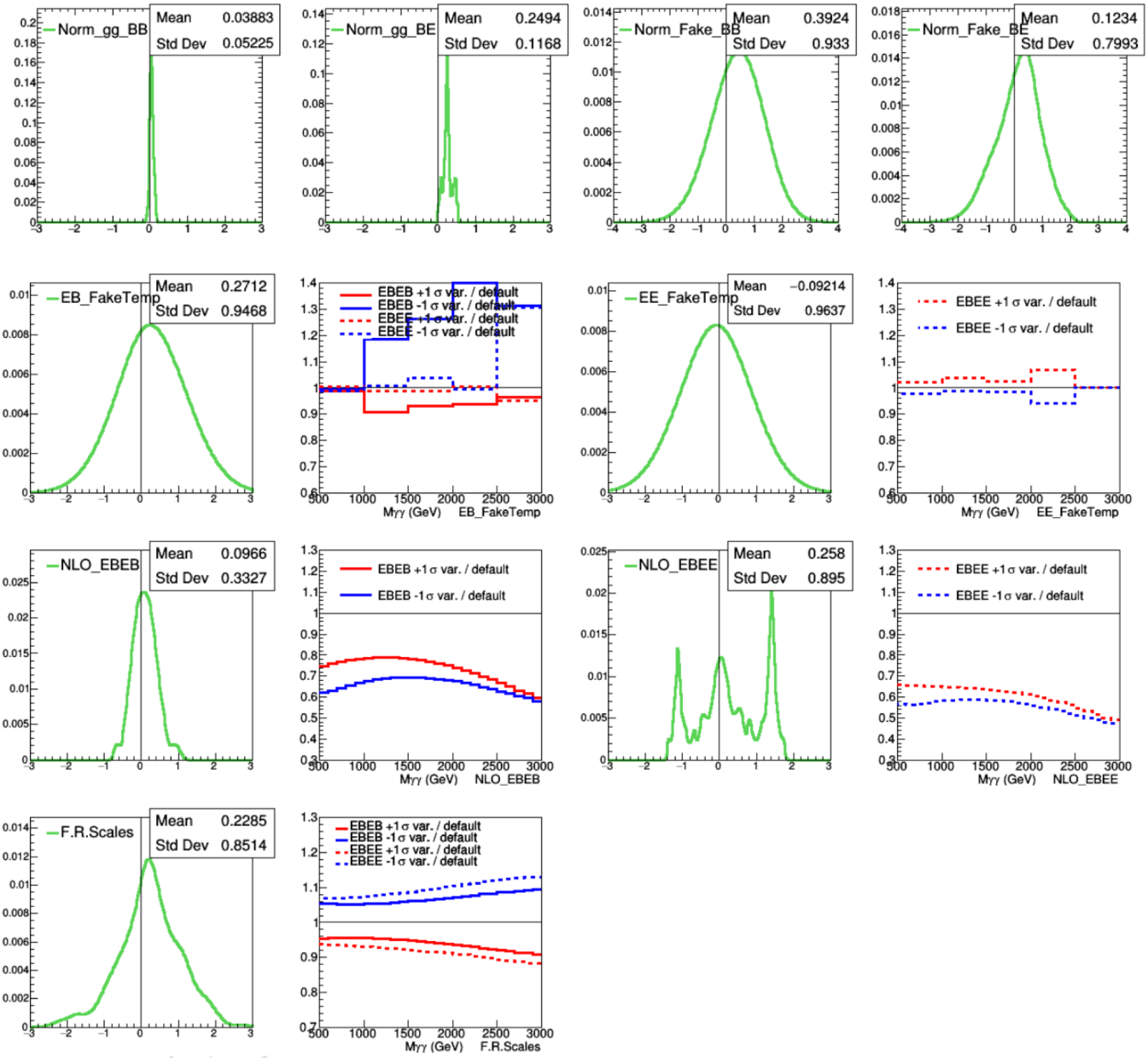




# PDFs Posterior Distributions



# Non-PDF Posterior Distributions

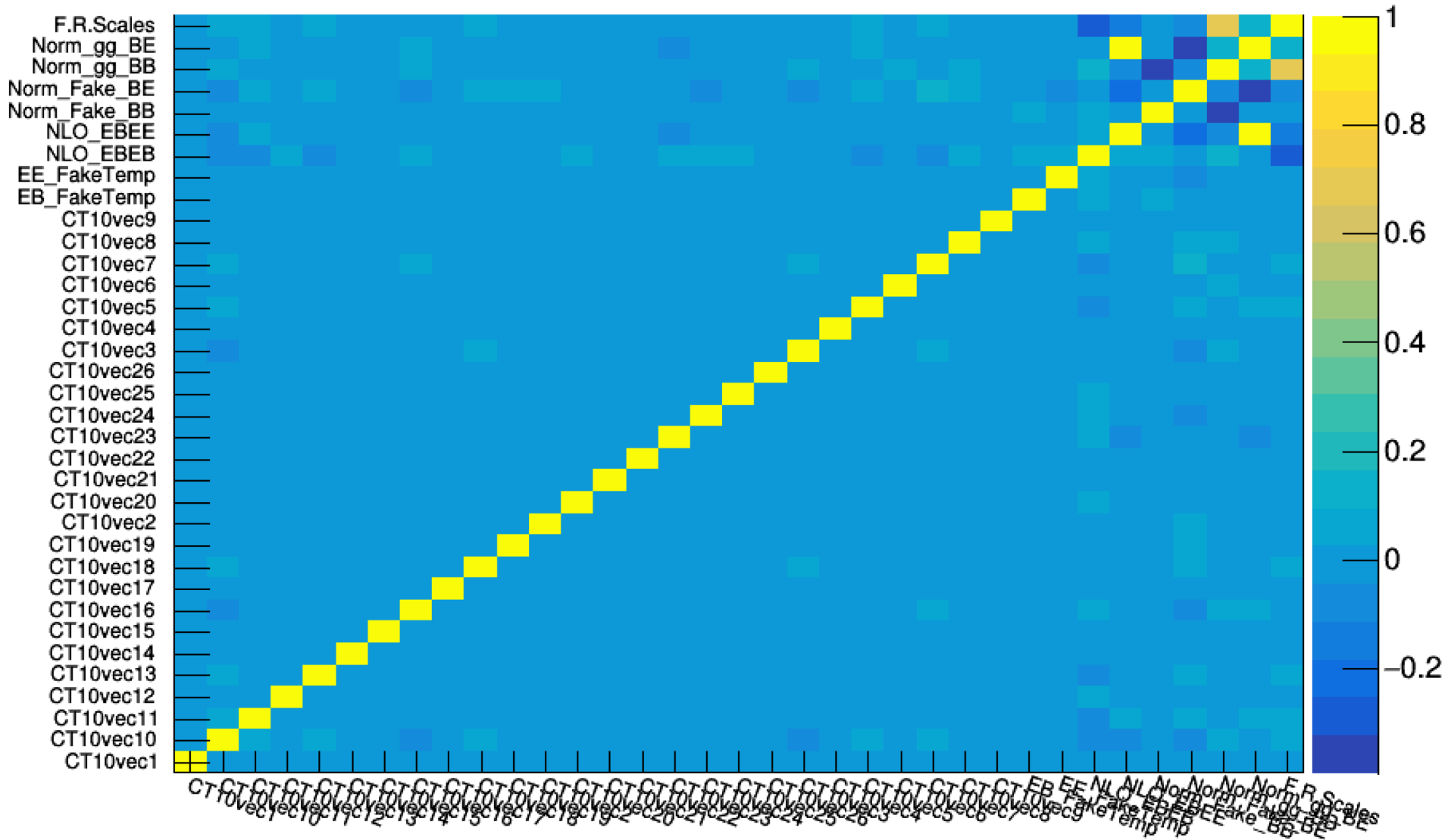




# Correlation matrix of 35 nu.param.



## Correlation Matrix of the 35 nuisance parameters

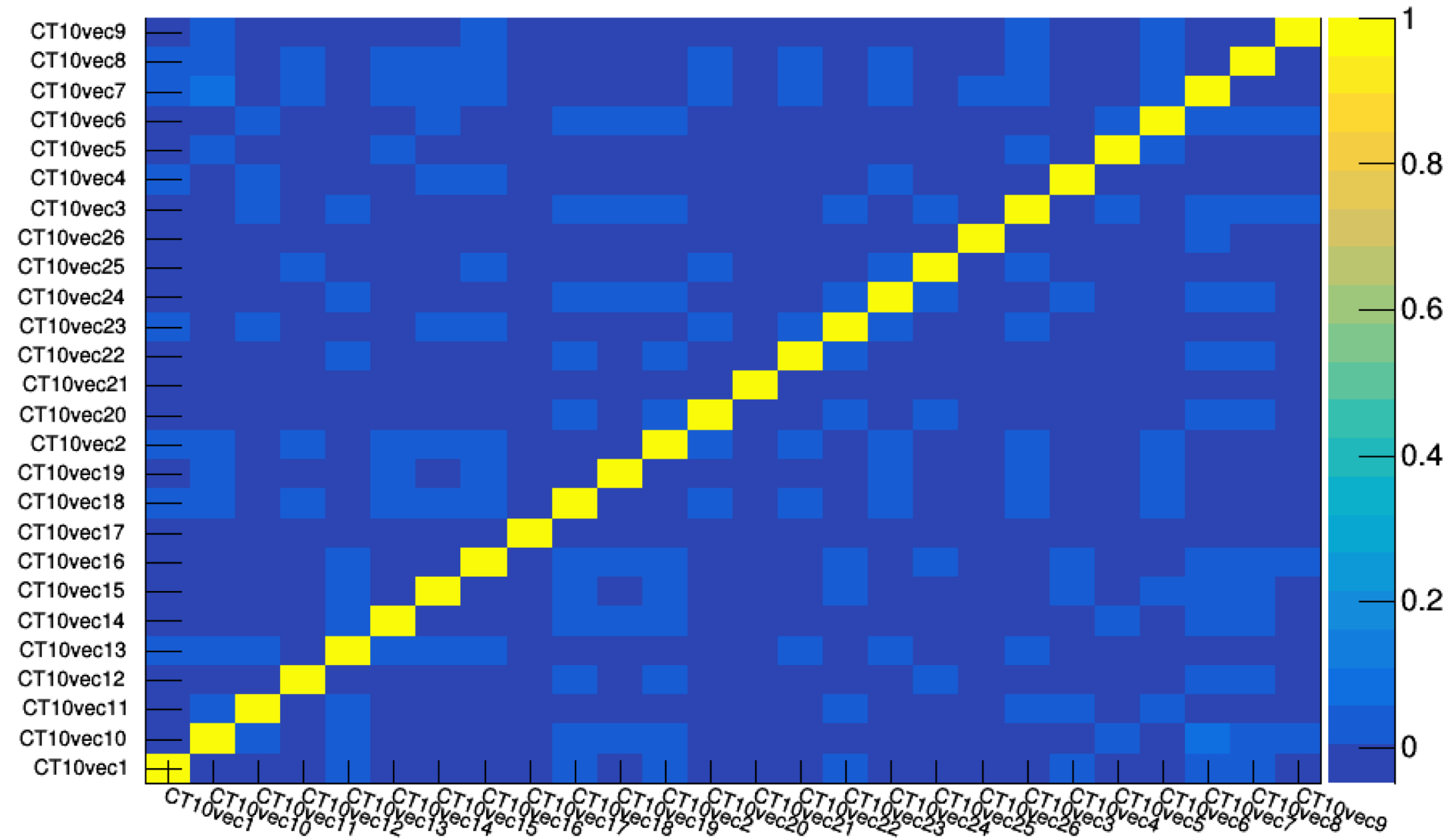




# Correlation matrix of 26 nu.param.

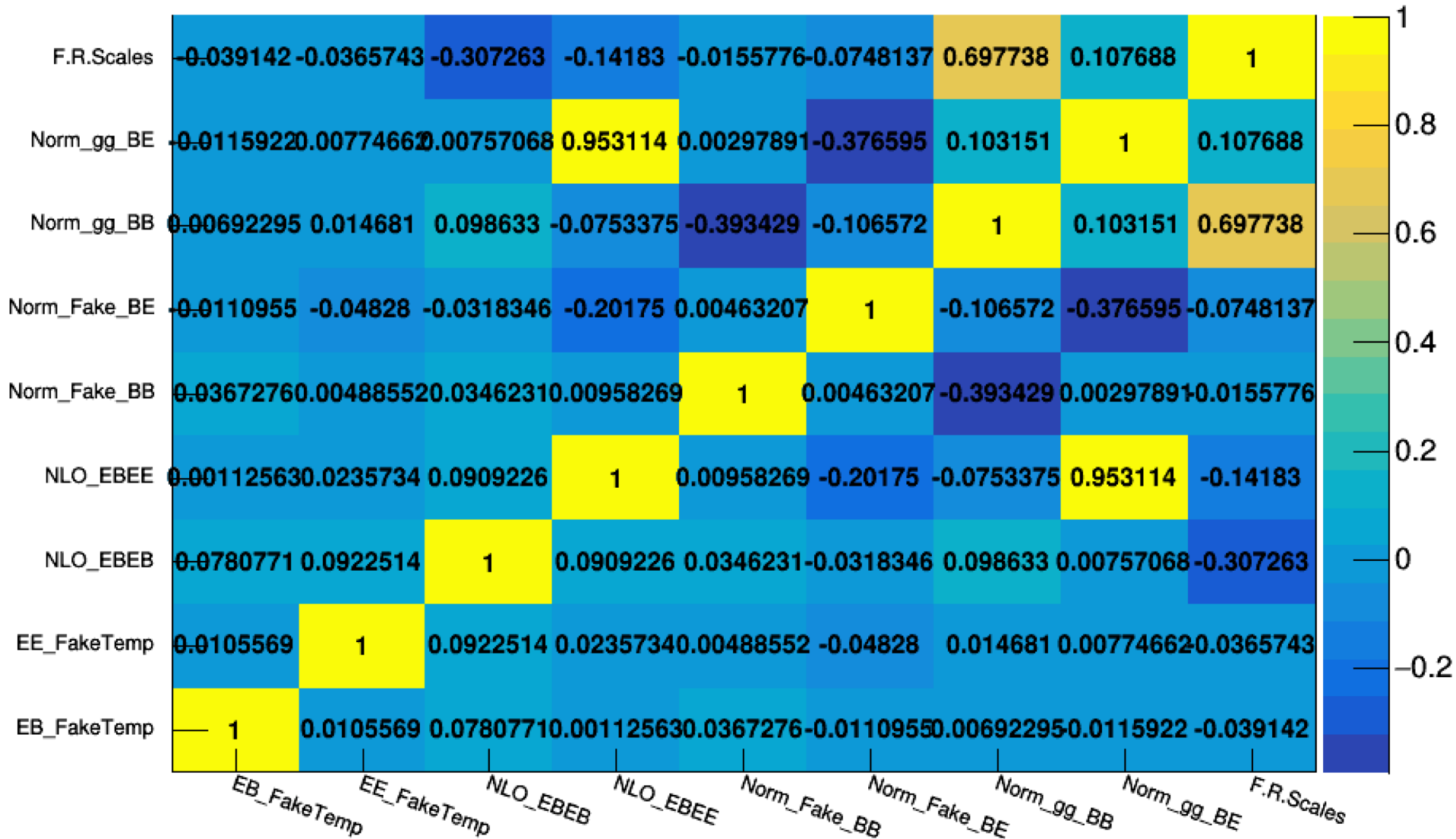


PDFs Correlation Matrix of the 26 CT10 eigenvectors



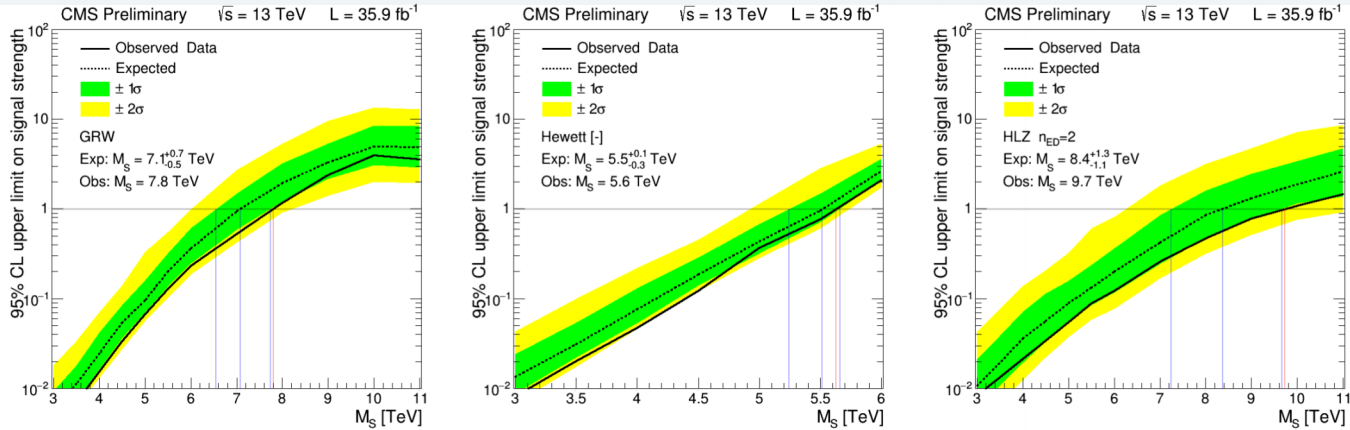
# Correlation matrix of 9 nu.param.

Correlation Matrix of the rest (non-PDFs) nuisance parameters





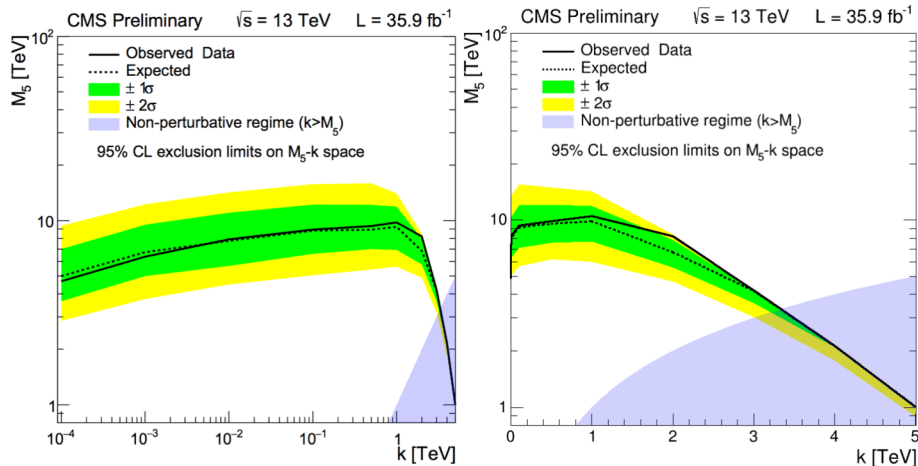
# Exclusion (lower) limits on $M_S$



Signal:	GRW	Hewett		HLZ						
		negative	positive	$n_{ED}=2$	$n_{ED}=3$	$n_{ED}=4$	$n_{ED}=5$	$n_{ED}=6$	$n_{ED}=7$	
Expected:	$7.1^{+0.7}_{-0.5}$	$5.5^{+0.1}_{-0.3}$	$6.3^{+0.6}_{-0.4}$	$8.4^{+1.3}_{-1.1}$	$8.4^{+0.8}_{-0.6}$	$7.1^{+0.7}_{-0.5}$	$6.4^{+0.6}_{-0.5}$	$6.0^{+0.6}_{-0.4}$	$5.6^{+0.6}_{-0.4}$	
Observed:	7.8	5.6	7.0	9.7	9.3	7.8	7.0	6.6	6.2	

ATLAS  
Limits

	ADD formalism Parameter	GRW	Hewett positive	HLZ			
				$n = 3$	$n = 4$	$n = 5$	$n = 6$
Without K-factor	$M_S$ observed limit [TeV]	6.8	6.1	8.1	6.8	6.1	5.7
With K-factor	$M_S$ observed limit [TeV]	7.2	6.5	8.6	7.2	6.5	6.1





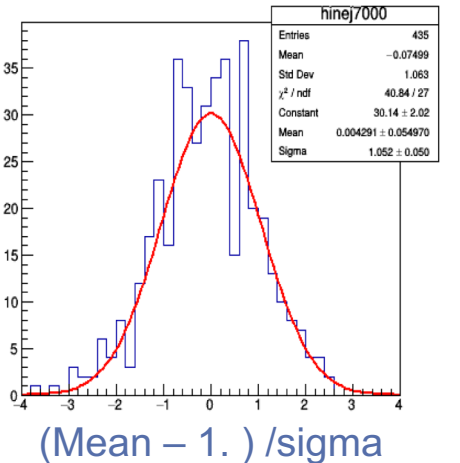
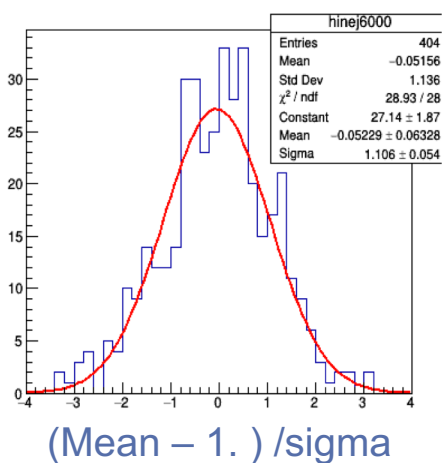
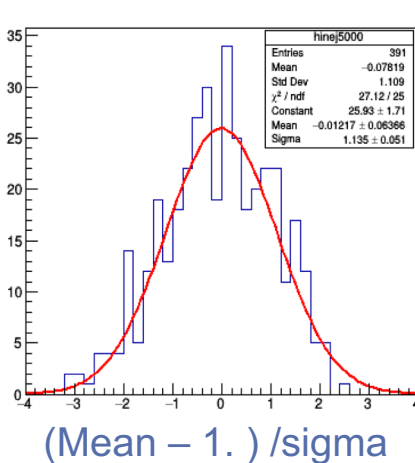
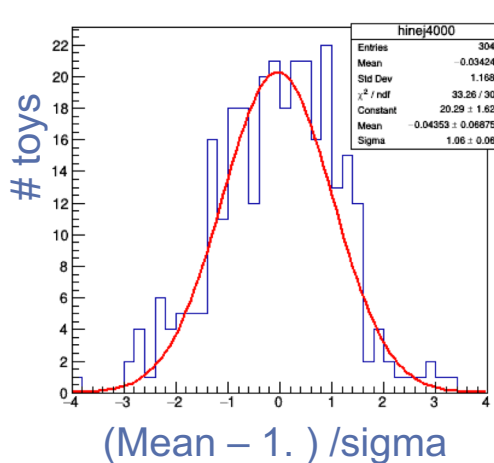
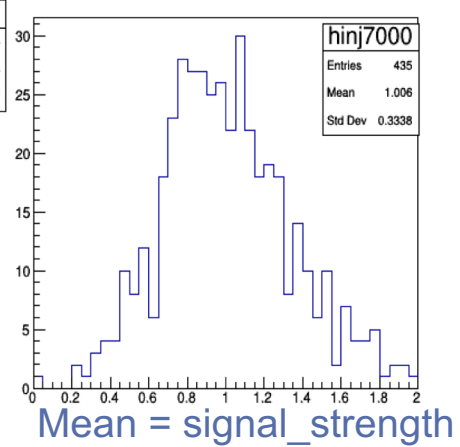
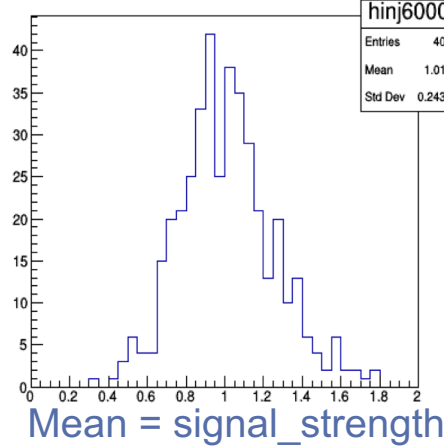
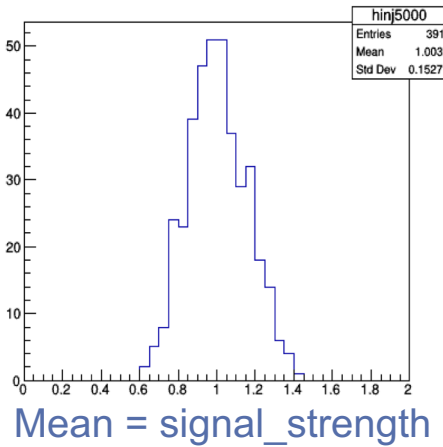
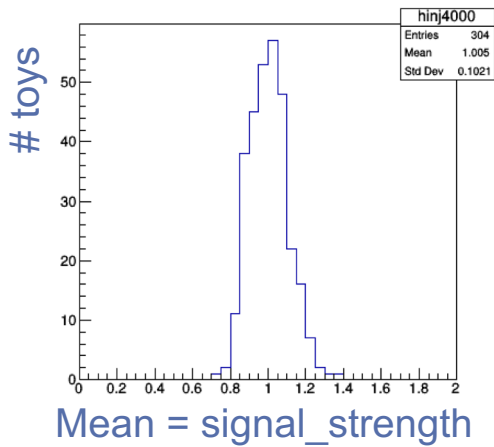
# Signal injection HLZ $n_D=2$ (1k toys)

Ms: 4 TeV

Ms: 5 TeV

Ms: 6 TeV

Ms: 7 TeV

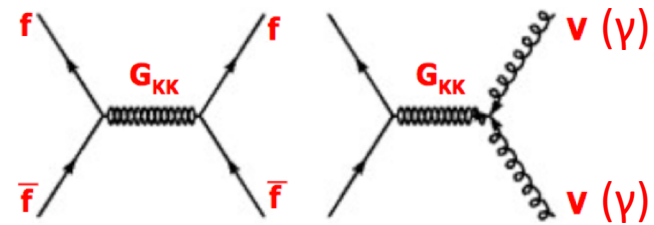
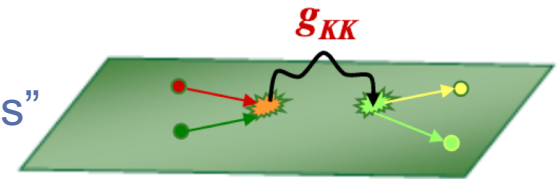


◆ **Hierarchy Problem:**

- $M_H^{\text{bare}}$  undergoes Q-corrections up to  $M_{\text{Pl}} \sim 10^{19}$  GeV where Q-gravity is involved.
- Whereas we observed (surprisingly) low  $M_H \sim 10^2$  GeV.

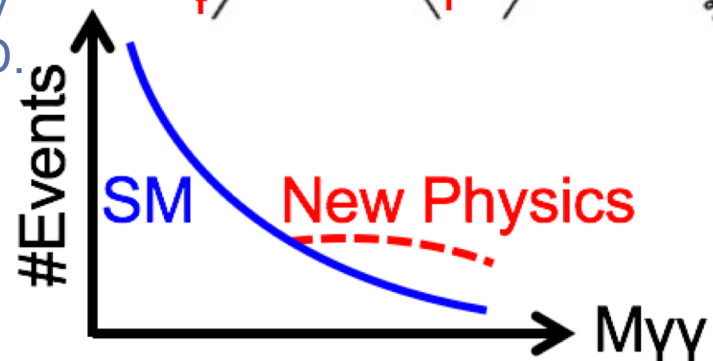
◆ **Extra Dimensions (ED), ADD model** proposes:

- Compactified ED, with radius  $R$ , produces an eff.  $M_{\text{Pl}} \rightarrow M_{\text{Pl}}^2 \sim M_{\text{Pl}(4+n)}^{2+n} R^n$
  - So, for some  $n, R$ , the fundamental  $M_{\text{Pl}}$  can be at  $\sim \text{TeV}$ .
  - Gravity has a strength comparable with the rest forces but “dilutes” in ED.
  - Graviton momentum along ED is quantized and “adds” to its mass  $\rightarrow G_{\text{KK}}$  is virtual with “continues” mass.
- (arxiv:9803315)

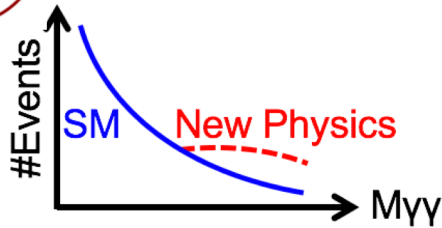


◆ **Clockwork (CW) model** (arxiv:161007962). Introduced ED, the effective  $M_{\text{Pl}}$  (and gravity strength) varies exponentially across the ED.

◆ Both models has a high mass  $\gamma\gamma$  system as a final state.



# Datasets & MC



- ◆ We probe the high mass diphoton events' shape.
- ◆ DATA 2016:
  - Dataset: /DoubleEG/2016\*.../ → 35.9/fb
  - Global tag: 80X\_dataRun2\_2016SeptRepro\_v7

Data period	Good run JSON
2016, Run B–G	Collisions16/13TeV/Reco/Final/Cert_271036-284044_13TeV_23Sep2016Reco_Collisions16_JSON.txt
2016, Run H	Collisions16/13TeV/Final/Cert_271036-284044_13TeV_PromptReco_Collisions16_JSON.txt
/DoubleEG/Run2016B-03Feb2017_ver2-v2	5.788 fb <sup>-1</sup>
/DoubleEG/Run2016C-03Feb2017-v1/MINIAOD	2.573 fb <sup>-1</sup>
/DoubleEG/Run2016D-03Feb2017-v1/MINIAOD	4.248 fb <sup>-1</sup>
/DoubleEG/Run2016E-03Feb2017-v1/MINIAOD	4.009 fb <sup>-1</sup>
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/DoubleEG/Run2016H-03Feb2017_ver3-v1/MINIAOD	0.215 fb <sup>-1</sup>

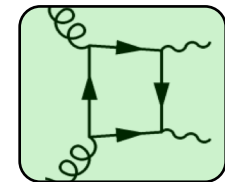
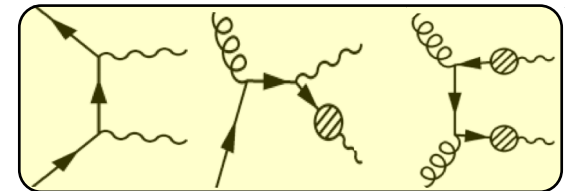
- ◆ Dominant BKG: “γγ”-real, → SHERPA 2.1.1, CT10, [LO +3partons +box].
- ◆ Subdominant BKG: “γj”, “jj” fake.

MC samples used:

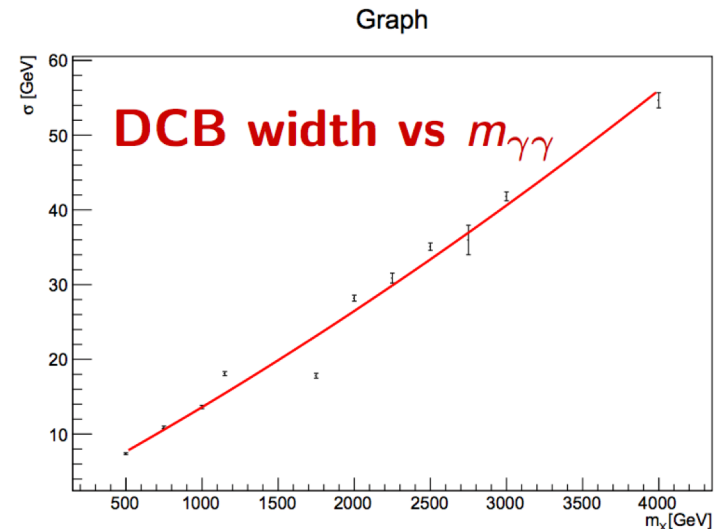
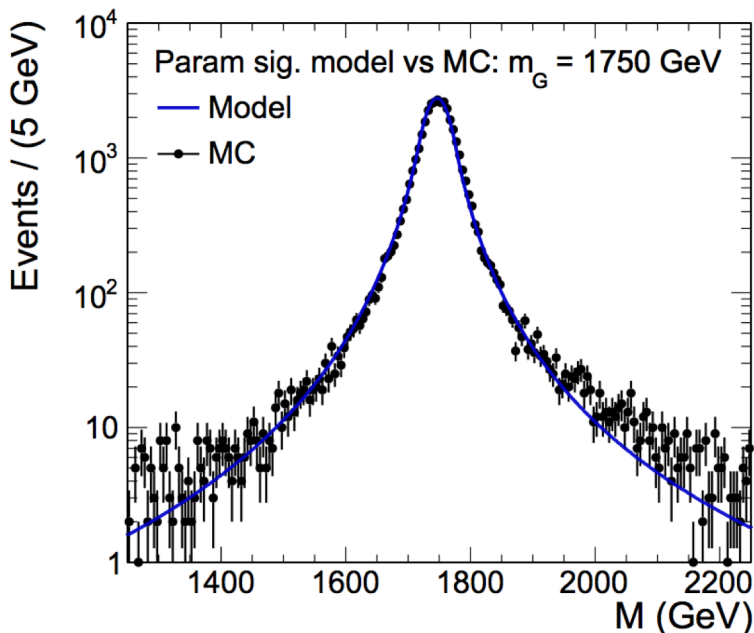
γγ: DiPhotonJets\_MGG-80toInf\_13TeV\_amcatnloFXFX\_pythia8  
 GGJets\_M-\*\*\*To\*\*\*\_Pt-50\_13TeV-sherpa

γ,jet: Gjets\_HT-\*\*\*To\*\*\*\_TuneCUETP8M1\_13TeV-madgraphMLM-pythia8

jets: QCD\_Pt-\*\*\*to\*\*\*\_EMEnriched\_TuneCUETP8M1\_13TeV\_pythia8

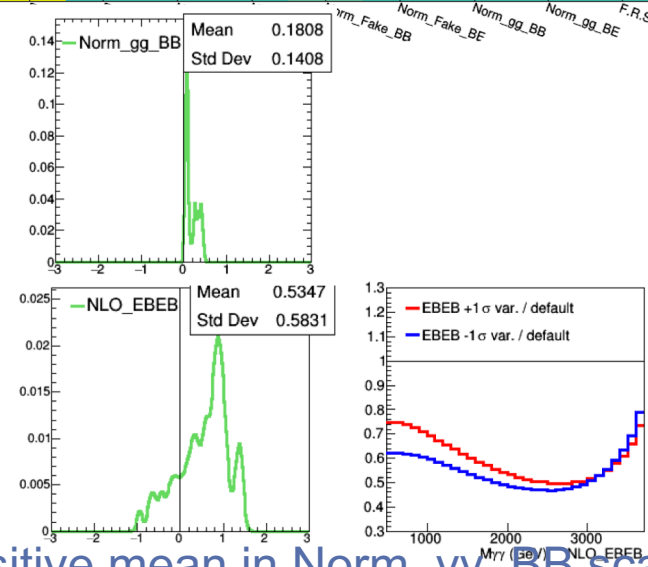
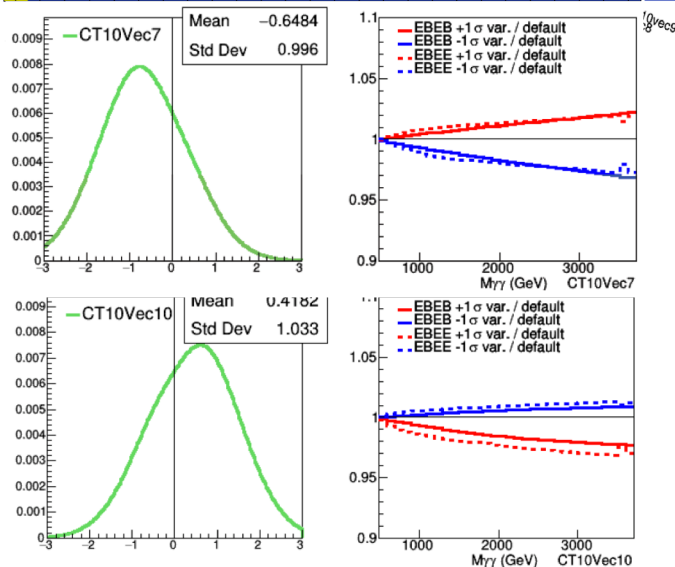
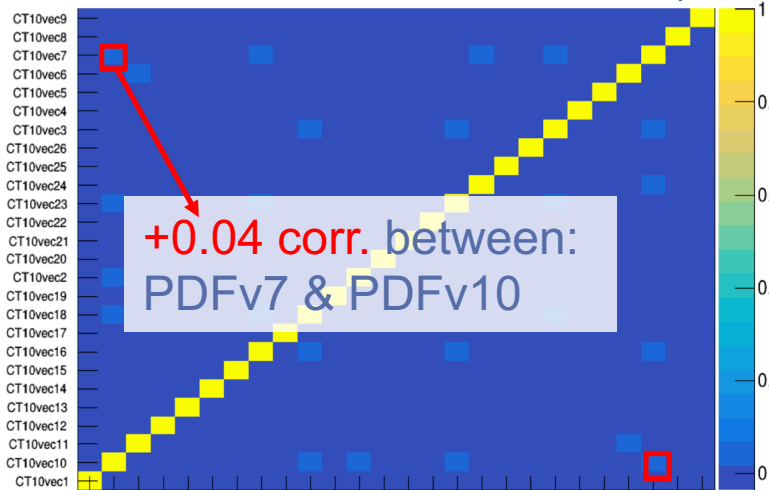


- **Signal shape** from simulation:
  - The reconstructed signal shape is fitted with the convolution of a double-sided crystal ball (detector response) and the theoretical line-shape.
  - Energy corrections from  $E_{\gamma}$  (in bins of  $E_T$ ,  $\eta$ ,  $R_9$  and ECAL gain of seed channel).
  - The signal shape is then described uniquely with a DCB obtained from fit to Asymov dataset generated from the previous fit.
  - **DCB coefficients evolution as a function of  $m_{\gamma\gamma}$  parametrized with a polynomial.**



# Do we understand correlations?

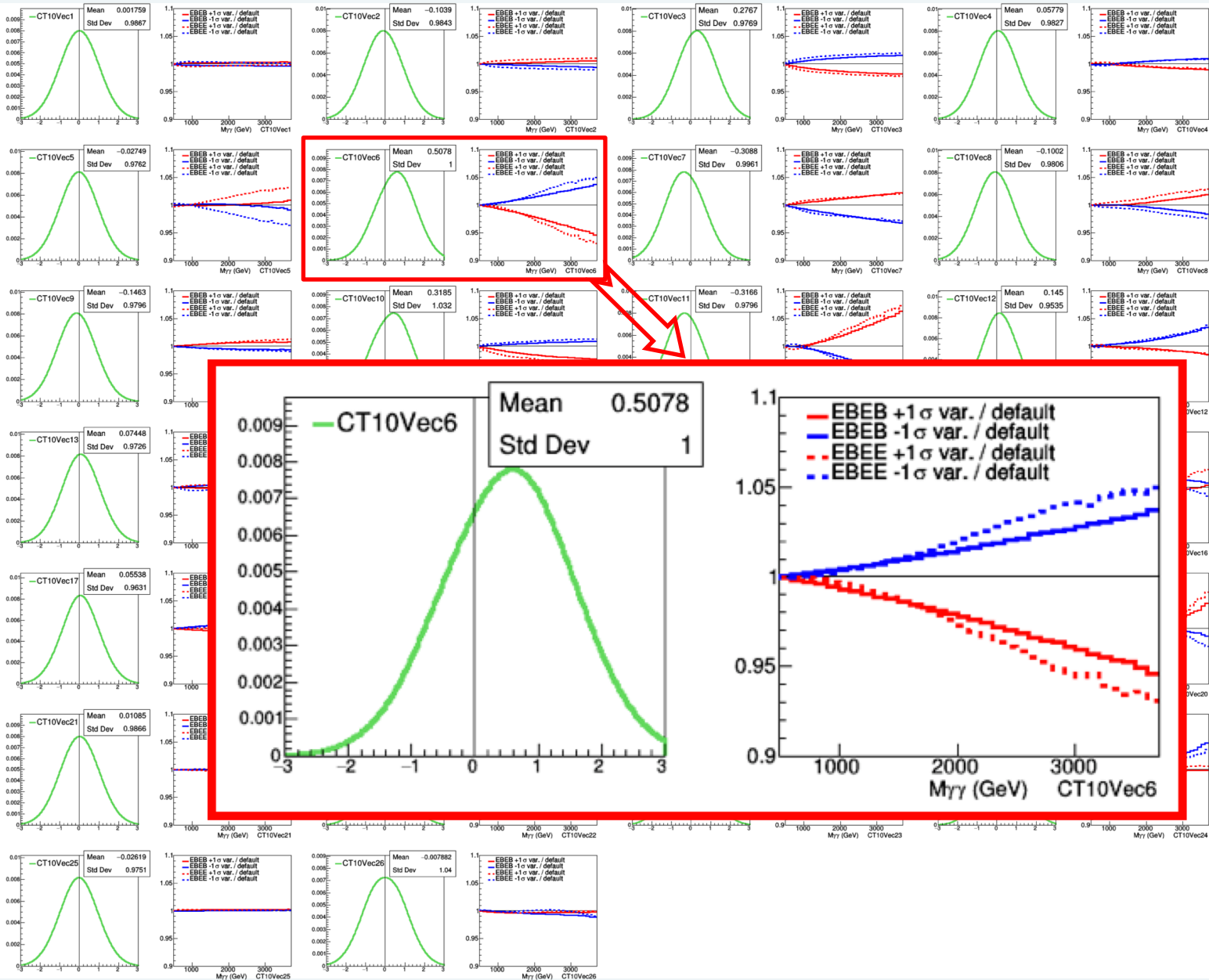
Pick an extreme cases (value) from each correlation matrix:



◆ Posteriors "point" coherently to steeper falling  $M_{\gamma\gamma}$  spectra.

◆ Positive mean in Norm\_yy\_BB scales  $M_{\gamma\gamma}$  yields up, whereas positive NLO\_BB does the opposite.

# 26 PDFs' posterior distributions



# DIPHOX 1.1.3: some of its structure

perl start.pl --parameter parameter.indat --histo param\_histo.indat



Makes the  
\*.exe scripts



Input 58  
parameters  
for the process



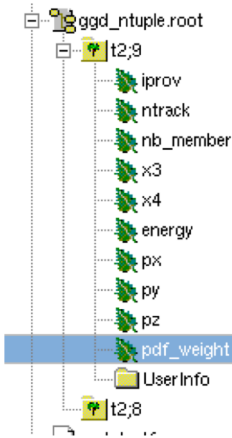
9 parameters &  
histo definitions



## ◆ Configurable parameters / our default choices:

- PDF set used → CT10nlo.Lhgrid
- All PDF error sets → False/True
- Value of cm initial state factorization scale → 1.0
- Value of cm renormalization scale → 1.0
- Value of cm final state factorization scale → 1.0
- $\alpha_{EM} \rightarrow 0$  const.,  $\alpha_s \rightarrow 0 = \text{LHAPDF}$
- Number of active flavors → 5
- For the direct → “born level” + “H.O.”
- Contributions → direct: dir & fragment. onef, twof.
- Cross-section calculation at: LO+HO = NLO
- $\Delta R$  iso. cone → 0.3, Abs\_Iso < 5 GeV
- ...and much more...

## ◆ Tree product content:

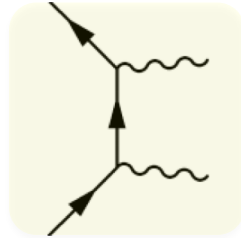


## ◆ Basic cuts at the ntuple level & more:

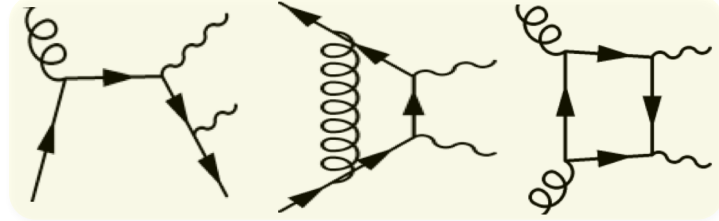
- 1)  $PT(\gamma) > 50$  GeV
- 2)  $|\eta|(\gamma) < 2.5$
- 3)  $M(\gamma\gamma) > 200$  GeV
- 4)  $Iso_{abs}(\Delta R:0.3) < 5$  GeV
- 5) 8M events / ntuple

- ◆ Diphox covers both: direct and indirect (hadron “fragmentation” originated photons) productions.

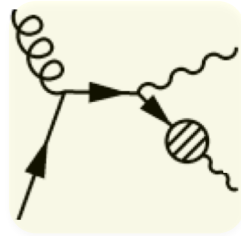
Direct LO:



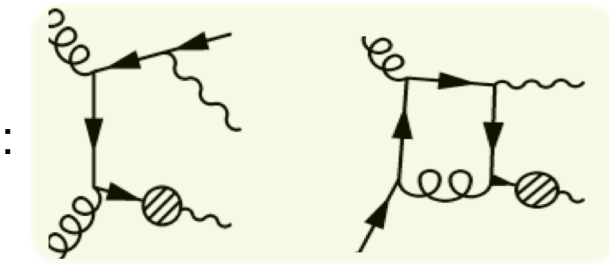
Direct HO:



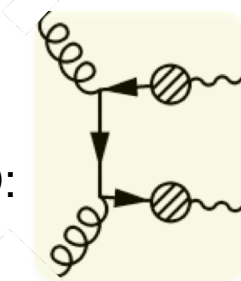
Single fragm. LO:



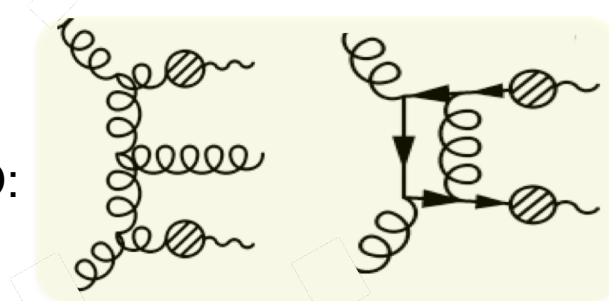
1-frag.HO:



Double fragm. LO:



2-frag.HO:

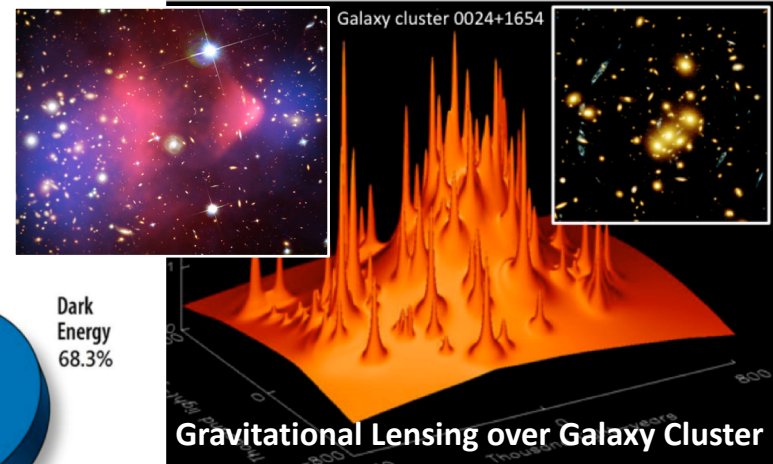
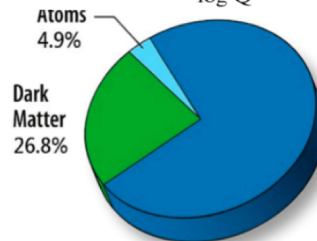
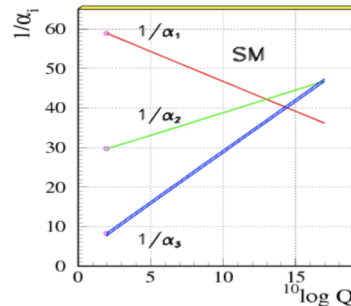
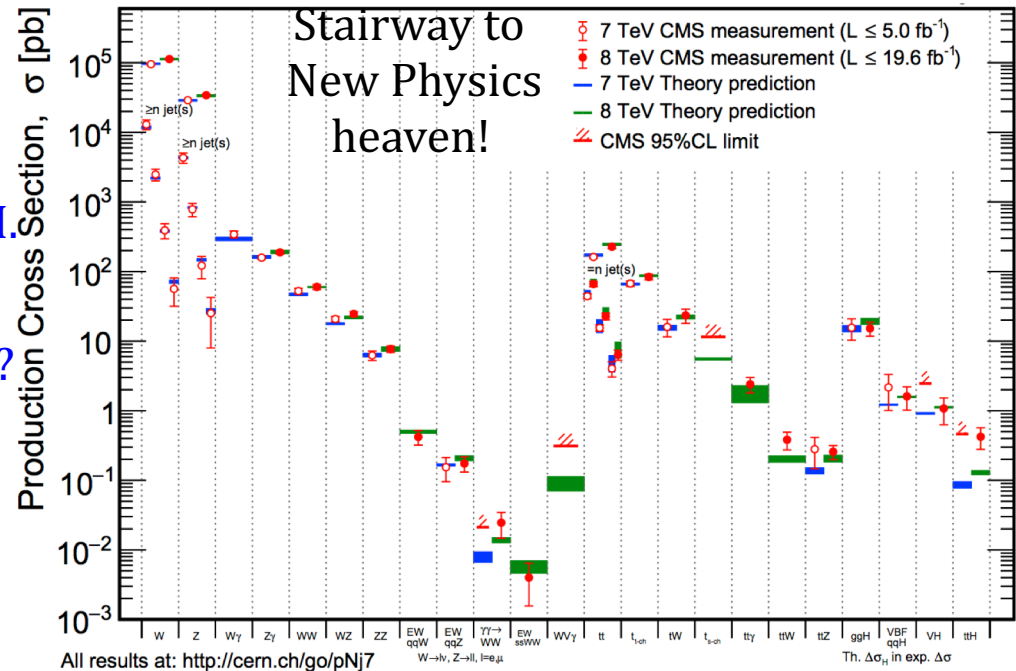
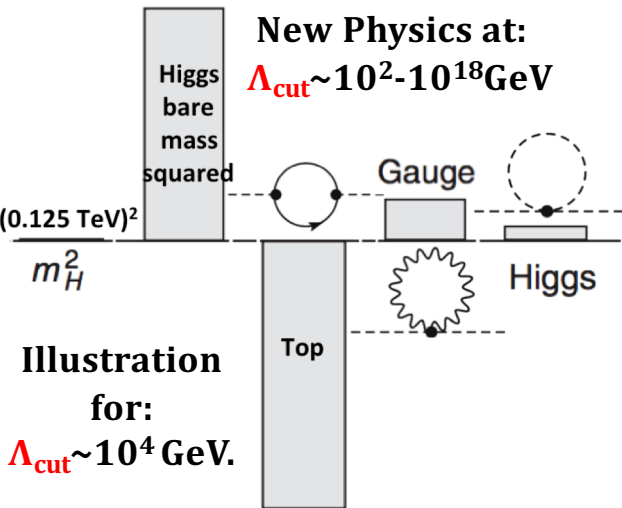


- ◆ DIPHOX produces separate x-sec calculation for “LO” and “HO” per  $M(\gamma\gamma)$  range. (Typically HO is  $\sim x10$  higher than the LO.)

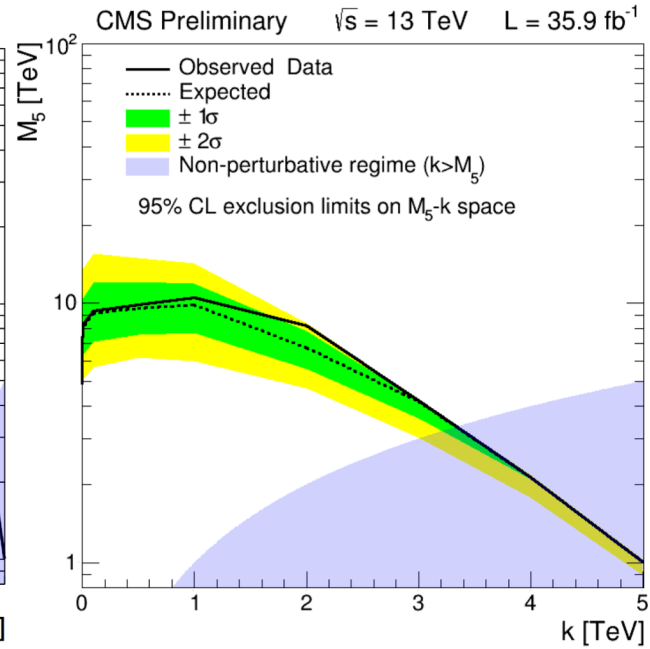
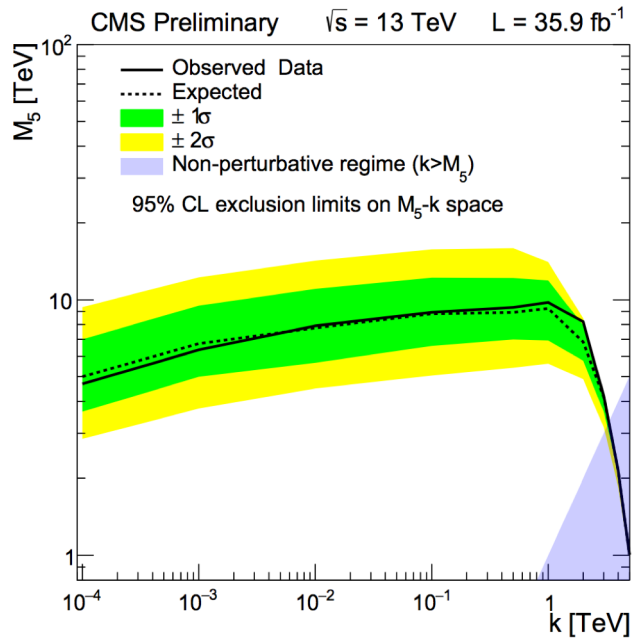


- ◆ SM: Very successful theory:
  - Precisely pred.:  $\sigma \sim [10^{11} - 10^{-3}] \text{ pb}$
  - Successful pred. of Higgs BRs.
  - No evidence for deviation from SM.
- ◆ But SM seems not a “final theory”:
  - “Hierarchy/Naturalness” problem?
  - GUT Unification?
  - Gravity QFT ?
- ◆ Dark Matter & Dark Energy ?

$$m_{\text{Higgs}}^2 = m_{\text{bare}}^2 - [\pm \lambda \Lambda_{\text{cut}}^2 \pm \dots] = 125^2 \text{ GeV}^2$$



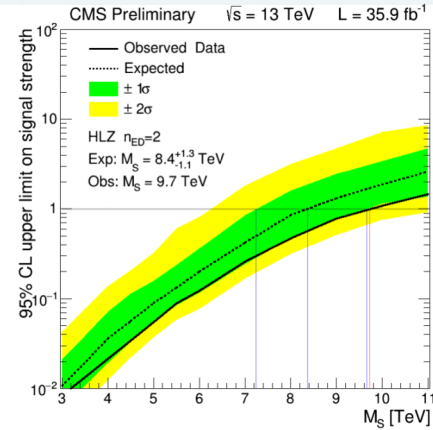
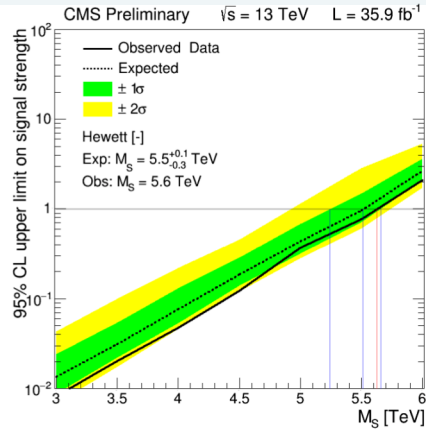
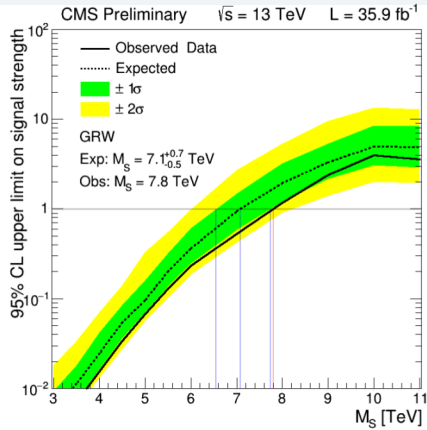
- A search for



-



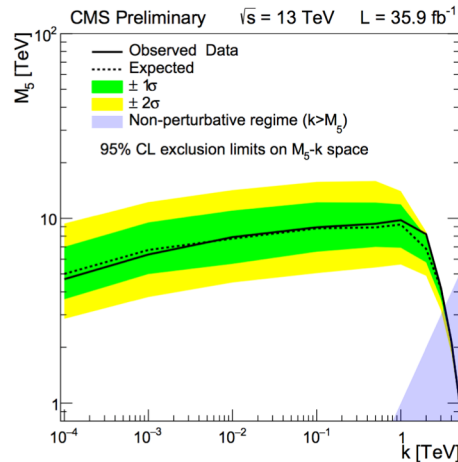
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ATLAS  
Limits

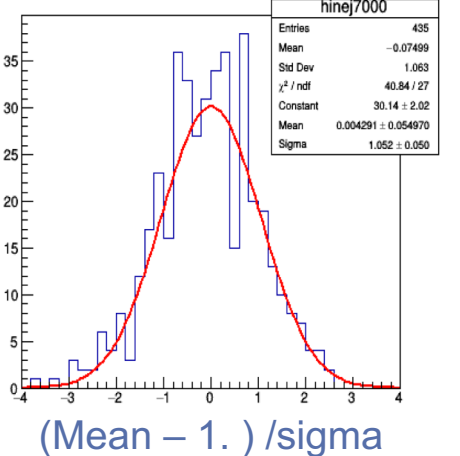
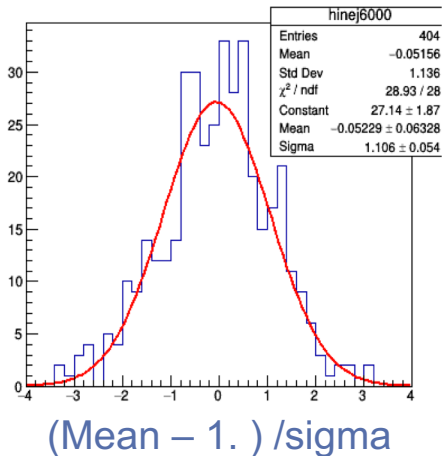
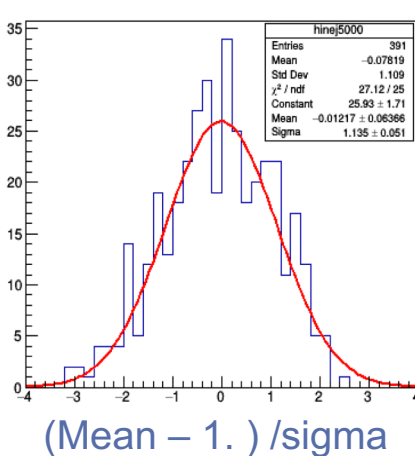
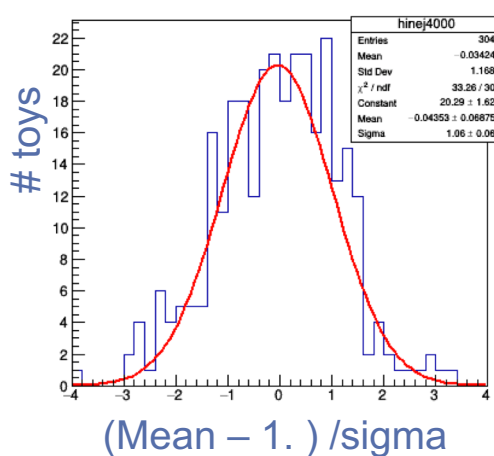
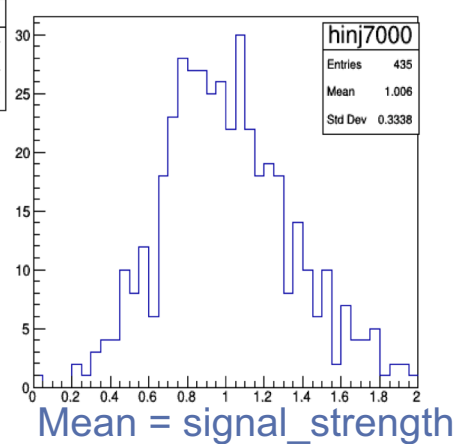
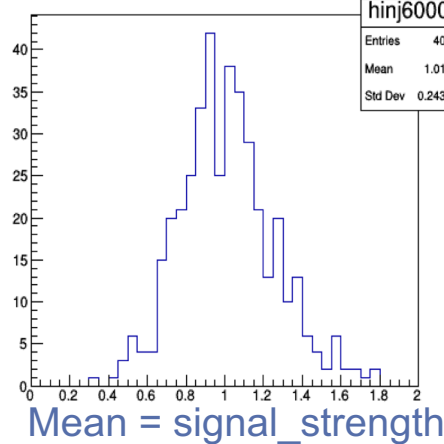
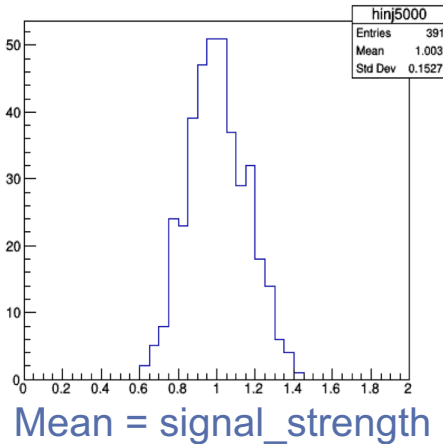
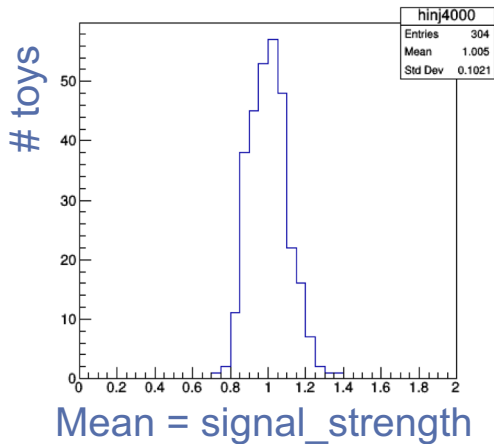


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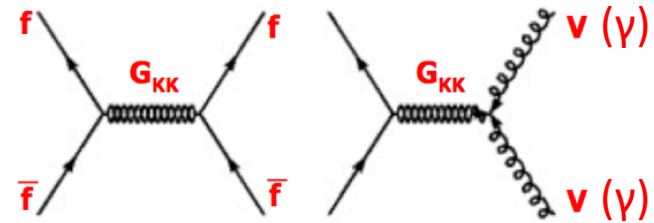
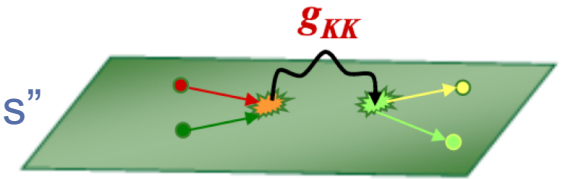


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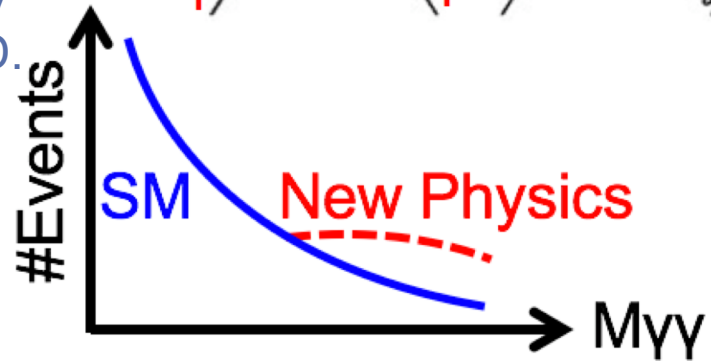
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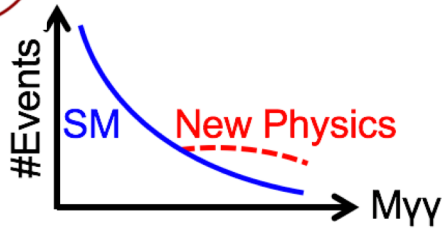
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/DoubleEG/Run2016G-03Feb2017-v1/MINIAOD	7.540 fb <sup>-1</sup>
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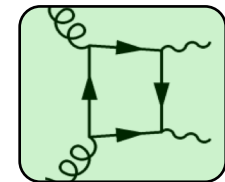
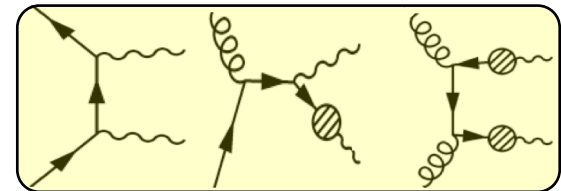
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MC samples used:

γγ: DiPhotonJets\_MGG-80toInf\_13TeV\_amcatnloFXFX\_pythia8  
 GGJets\_M-\*\*\*To\*\*\*\_Pt-50\_13TeV-sherpa

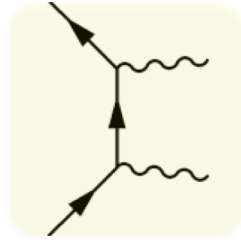
γ,jet: Gjets\_HT-\*\*\*To\*\*\*\_TuneCUETP8M1\_13TeV-madgraphMLM-pythia8

jets: QCD\_Pt-\*\*\*to\*\*\*\_EMEnriched\_TuneCUETP8M1\_13TeV\_pythia8

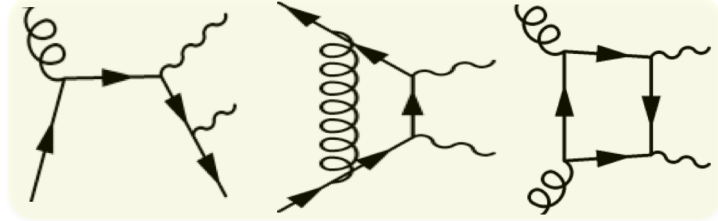


- ◆ Diphox covers both: direct and indirect (hadron “fragmentation” originated photons) productions.

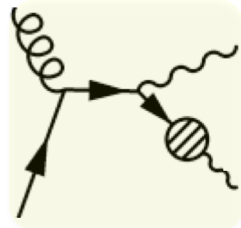
Direct LO:



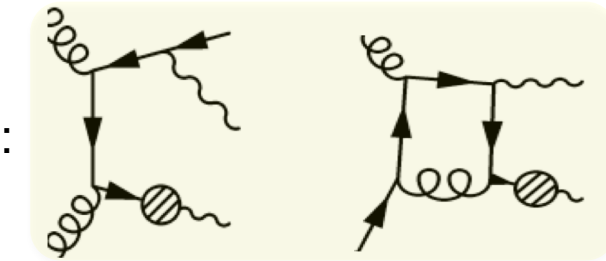
Direct HO:



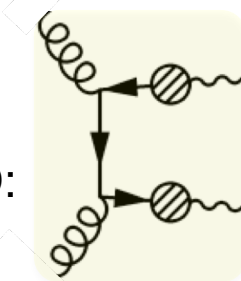
Single fragm. LO:



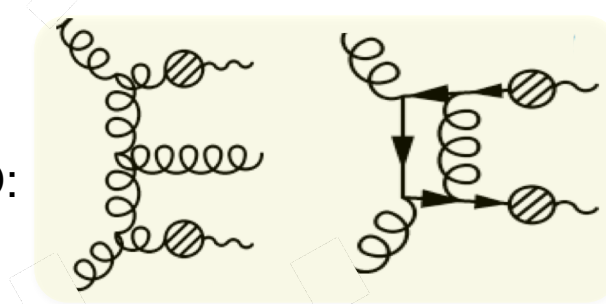
1-frag.HO:



Double fragm. LO:



2-frag.HO:



- ◆ DIPHOX produces separate x-sec calculation for “LO” and “HO” per  $M(\gamma\gamma)$  range. (Typically HO is  $\sim x10$  higher than the LO.)

◆  $\gamma$  identifications (high- $p_T$  photon ID)

- 1)  $\sigma_{\text{in}} < 0.0105$  [0.0112], (0.028 [0.03]) for EB(EE)
- 2)  $H/E < 0.05$
- 3) “Conversion-safe electron-veto”: applied.
- 4)  $\text{Iso}_\gamma$  (corrected)  $< 2.75(2.0)$  GeV for EB(EE)
- 5)  $\text{Iso}_{\text{CH}} < 5$  GeV
- 6)  $R_9 > 0.8$

◆ Std primary Vertex selection:

- 1)  $n_{\text{dof}} \geq 4$ ,
- 2)  $|z| < 24$  cm,
- 3)  $d_0 < 2$  cm

◆ Kinematics:

- 1)  $N_\gamma \geq 2$ ,
- 2)  $p_{T\gamma} > 75$  GeV,
- 3)  $|\eta_\gamma| : [0, 1.4442] \parallel [1.566, 2.5]$ ,
- 4) At least one “ $\gamma$ ” in EB  $\rightarrow$  EBEB, EBEE.
- 5)  $M_{\gamma\gamma} > 0.5$  TeV

$ \eta_{\gamma 2} $	EBEE	EEEE
	EBEB	EBEE
		$ \eta_{\gamma 1} $





# Fake ( $\gamma$ ,jj) BKG, rate & estimate



## ◆ Reducible Fake ( $\gamma$ ,jj) BKG.

Events where 1,2 jets with large EM activity fake a “ $\gamma$ ”, typically  $\pi^0, \eta^0$ )

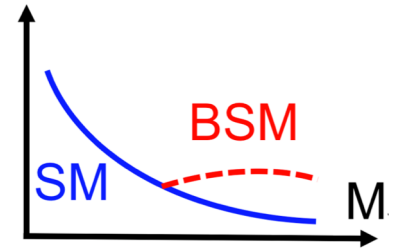
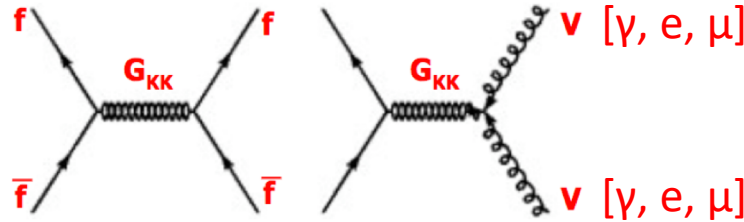
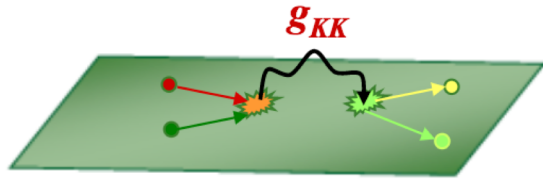
## ◆ We define the: *Fake Rate*:

$$f =$$

number of jets passing high  $p_T$  ID

number of jets passing denominator definition

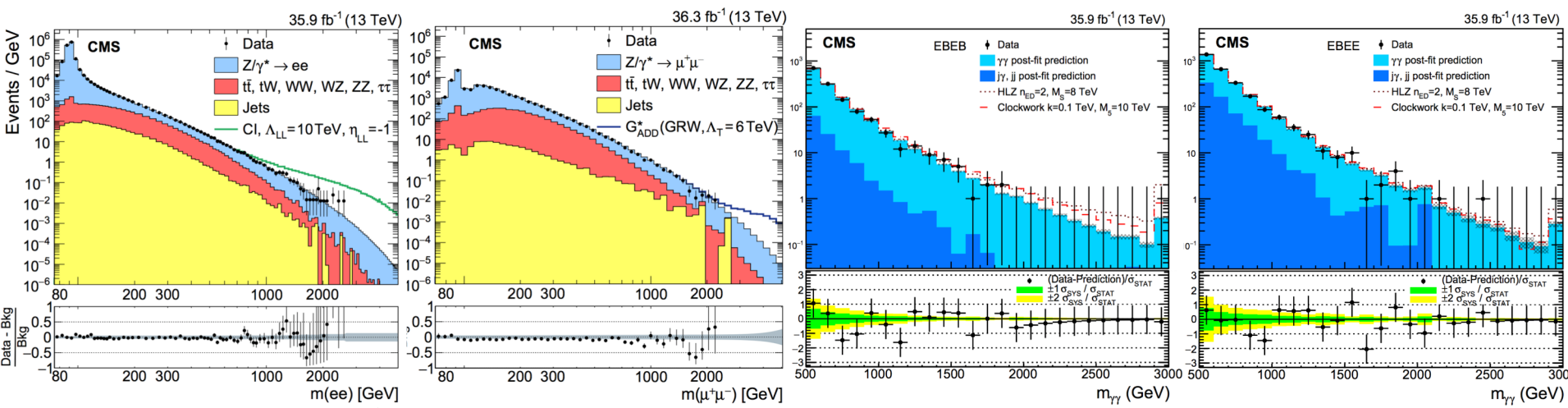
- Real photon are removed from **numerator**.
  - Real and fake photon templates are fit to data in a fake photons sensitive variable template:  $\sigma_{i\eta i\eta}$
  - *Fake Rate* measured in a jet-rich dataset (JetHT, DoubleMu)
  - as a function of  $p_T(\gamma)$  in EB and EE.
- ## ◆ Apply the *Fake Rate* to the data to estimate the fake BKG:
- Identify **denominator** object in data  $\rightarrow$  reweight by the Fake rate  $\rightarrow$  form  $M_{\gamma\gamma}^{Fake}$ .



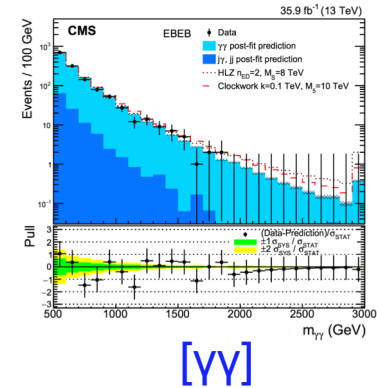
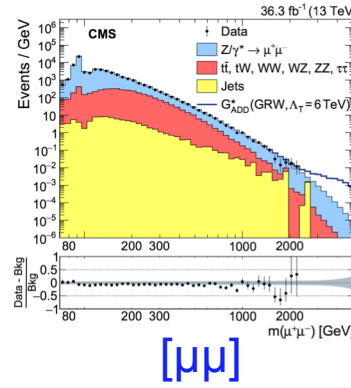
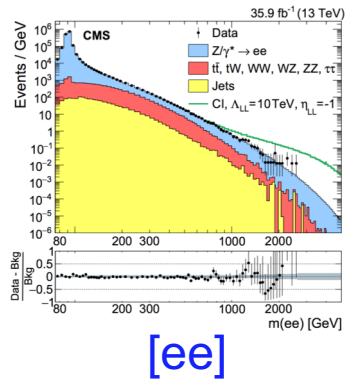
(Similar) Kinematic selection:

- 1)  $N_{\gamma, e, \mu} = 2$ ,
- 2) High  $p_T$  objects ( $\gamma, e, \mu$ )
- 3)  $|\eta|: [0, 1.4442]$  or  $[1.566, 2.5]$ ,
- 4) At least one obj. in Barrel  $\rightarrow$  BB, BE (rejecting EE)
- 5)  $M_{\gamma\gamma} > 0.5$  TeV,  $M_{ee} > 1.8$  TeV,  $M_{\mu\mu} > 1.8$  TeV

(Different) object definitions: we will not expand here – see EXO-17-017 & EXO-17-025.



# Combination binning break-down



$|\eta|$ :

BB, BE

BB, BE

BB, BE

Mass →

[1.8, 2.2] TeV  
 [2.2, 2.6] TeV  
 [2.6, 3.0] TeV  
 [3.0,  $\Lambda_T$ ] TeV

[1.8, 2.2] TeV  
 [2.2, 2.6] TeV  
 [2.6, 3.0] TeV  
 [3.0,  $\Lambda_T$ ] TeV

[0.5, 0.6] TeV  
 [0.6, 0.7] TeV  
 ...  
 0.1 TeV binning  
 ...  
 [..., 13.0] TeV

We set up limits in two different binning configurations:

1. with a single-bin for dileptons:  $M_{ll} > 3$  TeV, and
2. with the  $M_{ll}$ -multibin approach → This is supposed to be the “official”.

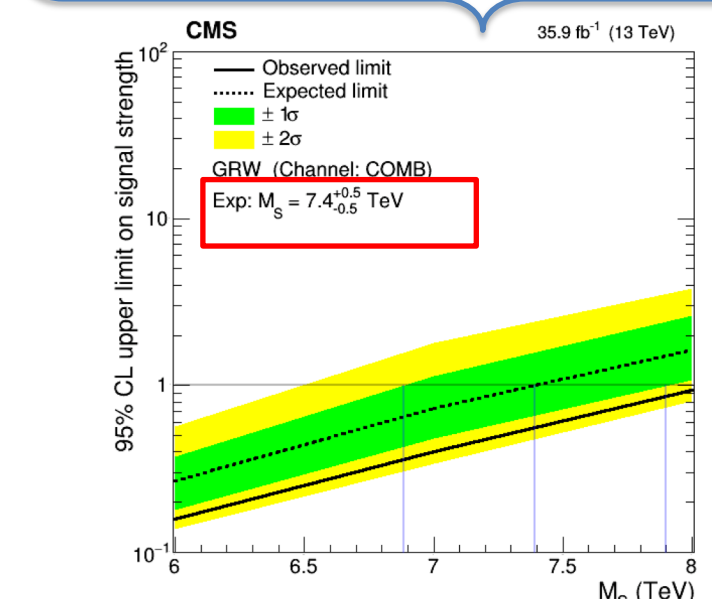
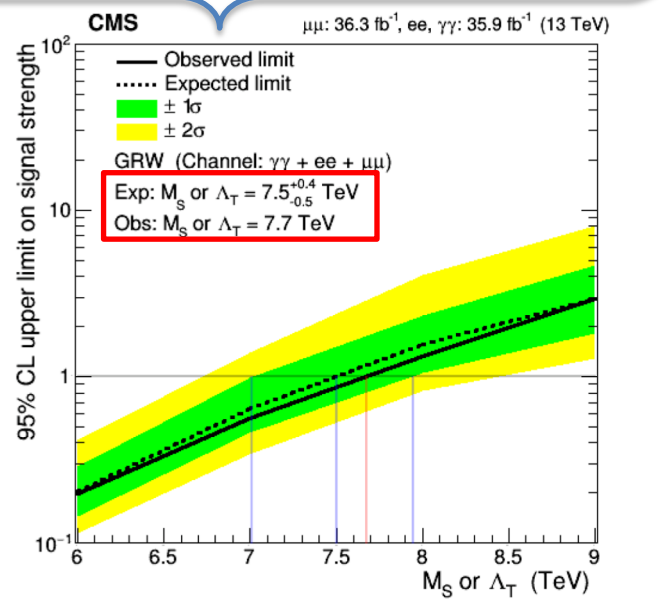
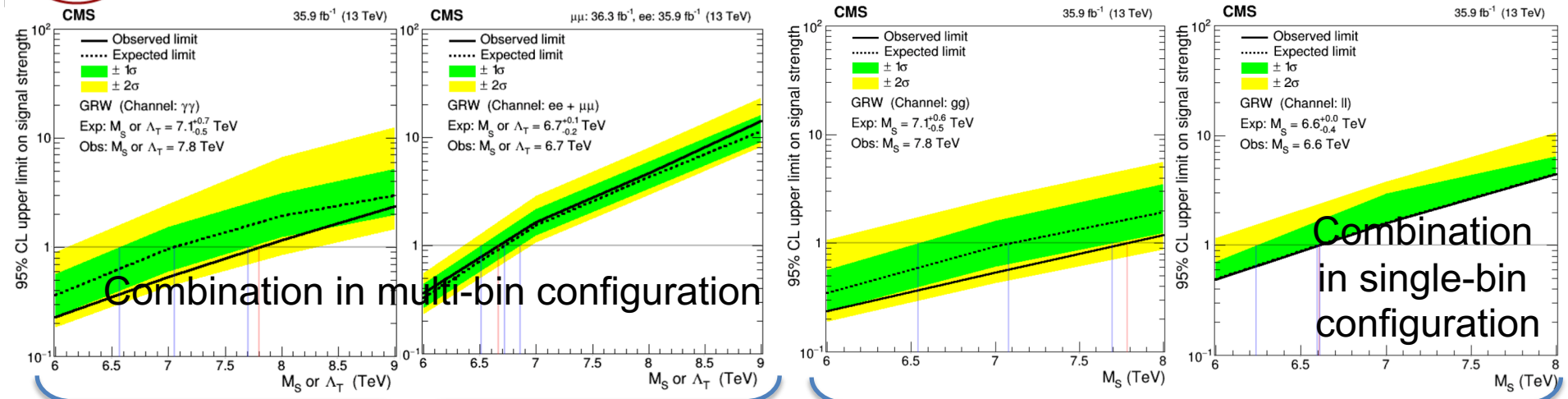


# Comb. Sys.Unc. & Limits setting



- $\gamma\gamma$  Diphoton Sys. Unc. → Exactly as in  $\gamma\gamma$  paper → 35 nuisance parameters.  
(26 for the individual PDFs + other 9 unc. See backups for more)
- $ee, \mu\mu$  Dilepton Sys. Unc. → 13 different sources (diff. nuisance parameters):  
[*EleEt*, *EleID*, *Gen\_systPileup*, *Muon\_systReconstruction*,  
*Muon\_systResolution*, *Muon\_systScale*, *crosssections*, *ddriven*, *lumi*, *mcstat*,  
*normalization*, *pdf\_total*, *trigger*]  
→ We use the same (lnN) prior of the 4 diff.  $M_{ll}$  bins.
  - Max of the 4-mass-bins for all sources (apart from “*mcstat*”)
  - Min of the 4-mass-bins for “*mcstat*”
- All nuisance par. are assumed uncorrelated with each other (including PDFs).  
→ Different approaches ( $\gamma\gamma/ee, \mu\mu$ ) makes difficult the addressing of correlations.
- Limits setting approach in Combination (exactly as in  $\gamma\gamma$ -paper):  
Perform “Bayesian Marginalization” (MLE fit) to the data to extract posteriors.
  - Extract signal strength posterior,
  - plot the 95% CL upper limit on signal strength per mass point,
  - translate it to lower limits on  $M_S$  or  $\Lambda_T$
- In this slides we set limits only on GRW → to be translated in HLZ, & Hewett.

# $\gamma\gamma + ee + \mu\mu$ Limits combination



- Finally, the GRW exp. limits is:  $7.50^{+0.44}_{-0.49}$  TeV (to be used in HLZ & Hewett)
- Observed: 7.68 TeV. (Multi-bin gain  $\sim 100$  GeV here).



# $\gamma\gamma+ee+\mu\mu$ Obs. Limits combination



Order	GRW $\Lambda_T$ [TeV]	Hewett $M_S$ [TeV]	HLZ $M_S$ [TeV]					
			$n = 2$	$n = 3$	$n = 4$	$n = 5$	$n = 6$	$n = 7$
<i>ee for <math>m_{ee} &gt; 1.8</math> TeV</i>								
LO	6.1 (6.4)	5.5 (5.7)	7.0 (7.5)	7.3 (7.6)	6.1 (6.4)	5.5 (5.8)	5.1 (5.4)	4.9 (5.1)
LO $\times 1.3$	6.3 (6.5)	5.7 (5.8)	7.3 (7.7)	7.5 (7.8)	6.3 (6.5)	5.7 (5.9)	5.3 (5.5)	5.0 (5.2)
<i><math>\mu\mu</math> for <math>m_{\mu\mu} &gt; 1.8</math> TeV</i>								
LO	6.7 (6.5)	6.0 (5.8)	7.9 (7.6)	7.9 (7.7)	6.7 (6.5)	6.0 (5.9)	5.6 (5.5)	5.3 (5.2)
LO $\times 1.3$	6.8 (6.6)	6.1 (5.9)	8.1 (7.8)	8.1 (7.9)	6.8 (6.6)	6.2 (6.0)	5.7 (5.6)	5.4 (5.3)
<i>Combined ee and <math>\mu\mu</math> for <math>m_{\ell\ell} &gt; 1.8</math> TeV</i>								
LO	6.7 (6.8)	6.0 (6.0)	7.9 (8.0)	8.0 (8.0)	6.7 (6.8)	6.1 (6.1)	5.7 (5.7)	5.4 (5.4)
LO $\times 1.3$	6.9 (6.9)	6.1 (6.2)	8.2 (8.2)	8.2 (8.2)	6.9 (6.9)	6.2 (6.2)	5.8 (5.8)	5.5 (5.5)
<i>Combined ee, <math>\mu\mu</math>, and <math>\gamma\gamma</math> for <math>m_{\ell\ell} &gt; 1.8</math> TeV and <math>m_{\gamma\gamma} &gt; 500</math> GeV</i>								
LO	7.7 (7.5)	6.9 (6.7)	9.3 (8.9)	9.1 (8.9)	7.7 (7.5)	6.9 (6.8)	6.5 (6.3)	6.1 (6.0)



# Summary & Conclusion on Comb.



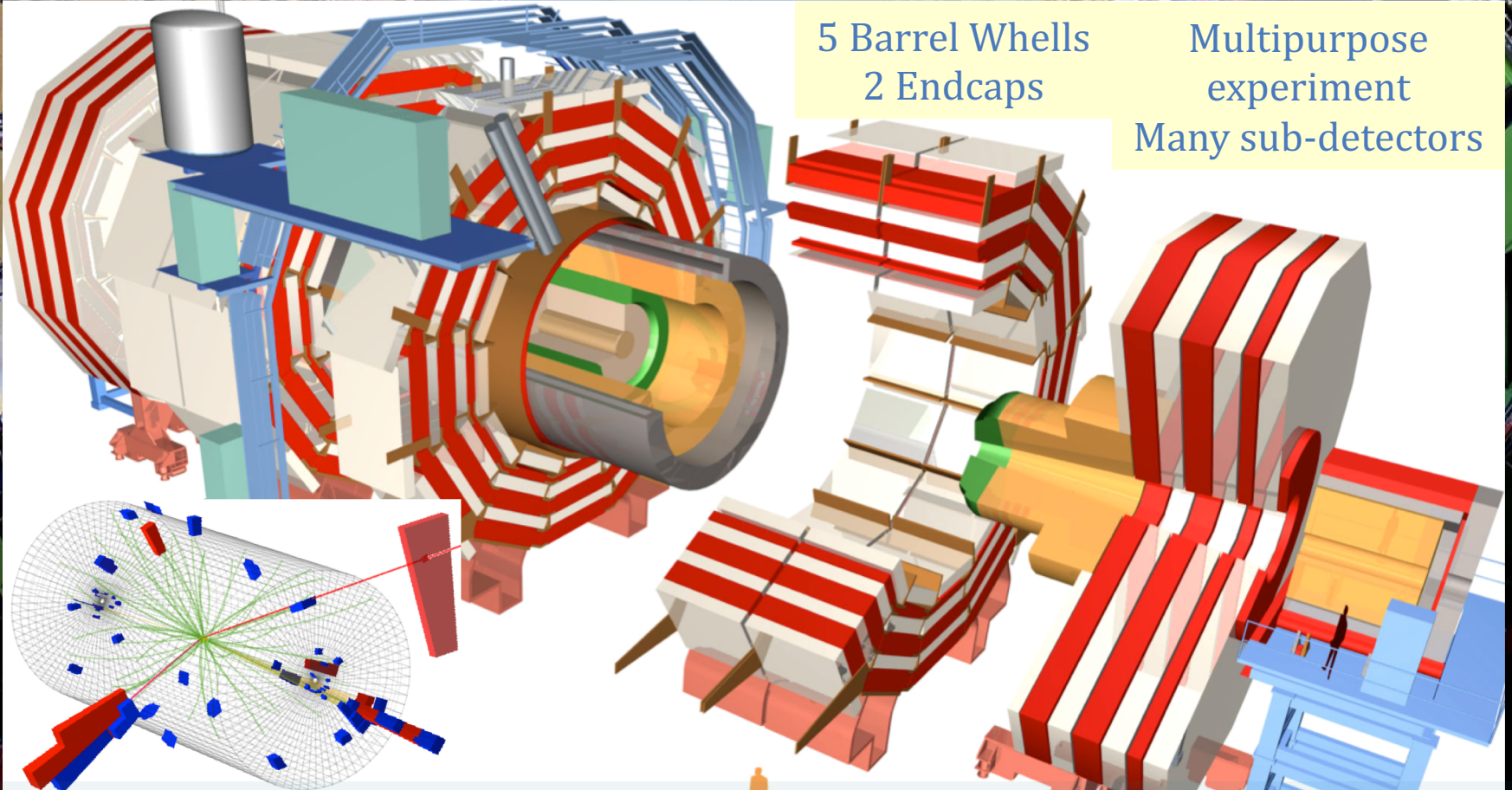
- Inclusion of BE events improves limits by  $\sim 0.1$  TeV (wrt BB-only) in all individual channels:  $\gamma\gamma$ ,  $ee$ ,  $\mu\mu$ .
- Multi-bin approach improves limits by  $\sim 0.3$  TeV (wrt single-bin) in the individual channels:  $ee$ ,  $\mu\mu$ .
- Diphoton & Dilepton combinations improves by  $\sim 0.4$  TeV the  $\gamma\gamma$ -result and by the  $\sim 0.8$  TeV the dilepton result.
- GRW excluded at (95% CL) below 7.5(7.7) TeV exp.(obs.).  
( $\gamma\gamma$  observed limits still stronger by 0.1 TeV due to data under-fluctuation in BB).
- Next steps:
  - Translate the results into HLZ & Hewett models.  
(HLZ  $n=2$  needs a separate set of signal cards; everything else can be translated naively using the usual formula)
  - Translation to “1.3 K-factored signal” is straight forward, intersecting s-strength bands with 1.3 (instead of 1.0). Assuming s-strength scale linearly with normalization.

# CMS Detector/Experiment

Compact Muon Solenoid  
~4500 collaborators  
~190 Institutes  
Mass: ~12 500 Tonnes  
Size: ~15m x 22m  
Magnetic field: ~4 T

5 Barrel Whells  
2 Endcaps

Multipurpose  
experiment  
Many sub-detectors

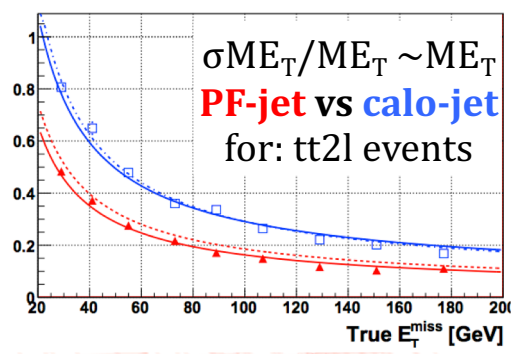
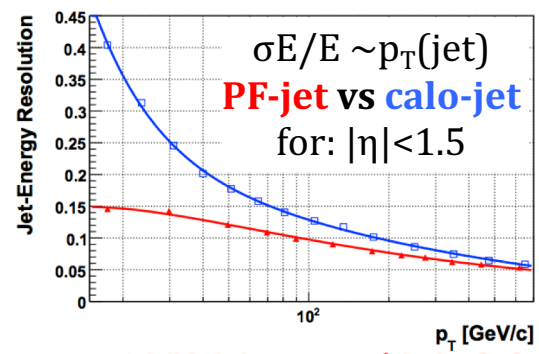




# From Signals $\rightarrow$ Physics Objects Reco 1/2

## ◆ Main Strategy: "Particle Flow"

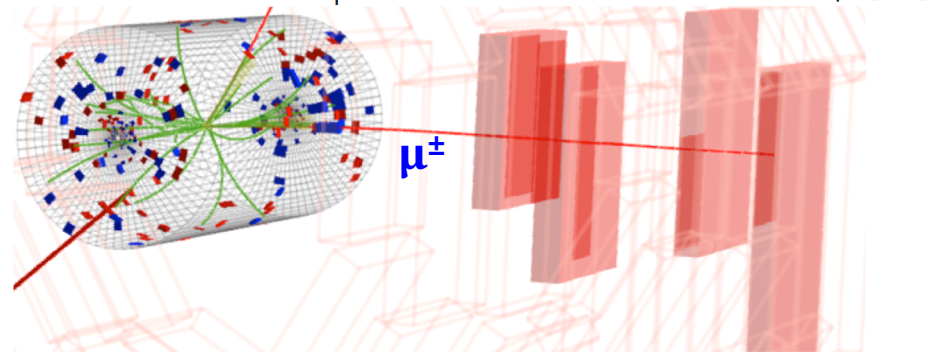
- Input: vertices/tracks/calor-clust.
- Clusterise to:  $\gamma, e^\pm, \mu^\pm, \text{had}^{\pm,0}$ .
- (more on PF performance  $\rightarrow$  backups)



## LEPTONS:

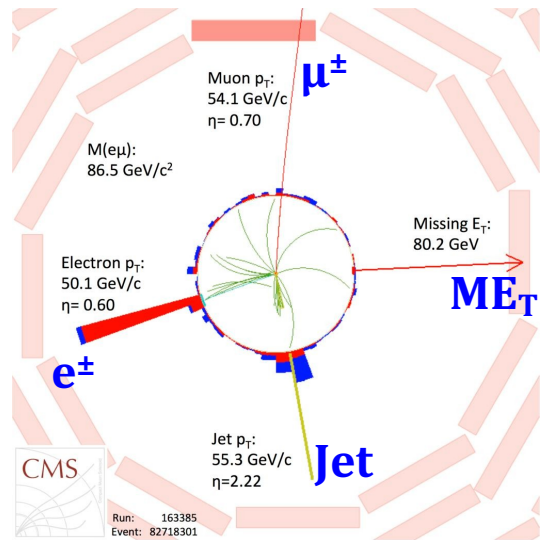
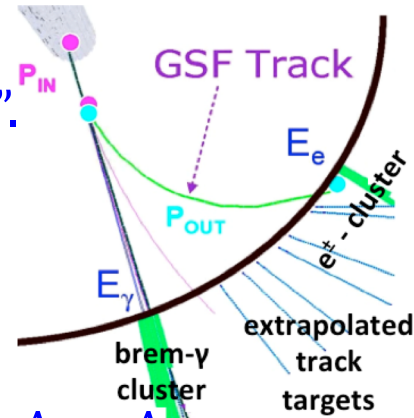
### ◆ Muons [ $\mu^\pm$ ] (~stable, helical track)

- Reco: Tracker &  $\mu$ -chambers info.
- Purity-Eff. enhance with cuts: hits, Iso,  $d_z$ ...



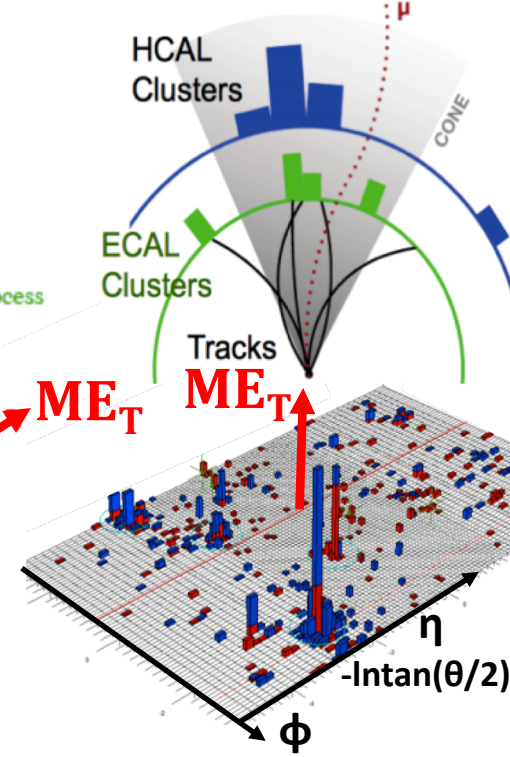
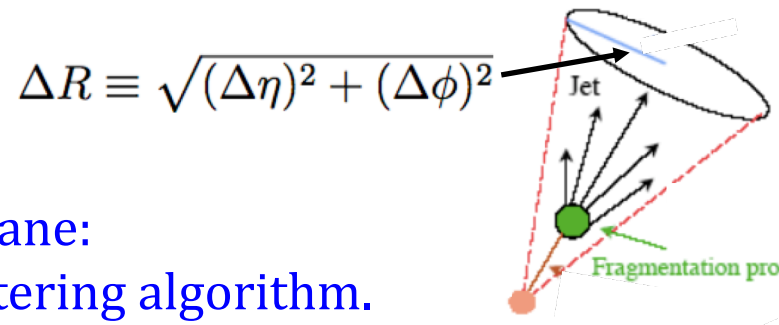
### ◆ Electrons [ $e^\pm$ ]

- $e^\pm$  interact with tracker  $\rightarrow$  radiates " $\gamma$ ".
- Reco: ECAL & Tracker info.
- Correct for brem- $\gamma$   $\rightarrow$  fit to get " $e^\pm$ ".
- Reject  $\gamma$ -conversion.
- Purity-Eff. enhance cuts:  $\chi^2/\text{ndf}$ , hits, Iso,  $d_{z,xy}$ ,  $E/p$ -match,  $E/H$ ,  $\Delta\phi_{in}, \Delta\eta_{in}$   $\rightarrow$  Correct MC eff-SF.

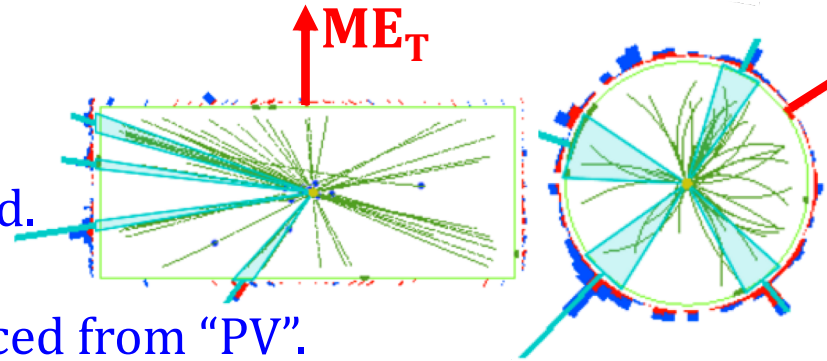


## COMPOSITE OBJECTS

- ◆ **Jets** = hadronized q,g.
  - Flow in cone:  $\Delta R$ ,  $\eta$ - $\phi$  plane:
  - Jet = "PF-objects" + clustering algorithm.
  - "anti- $k_T$ ",  $\Delta R=0.5$ .

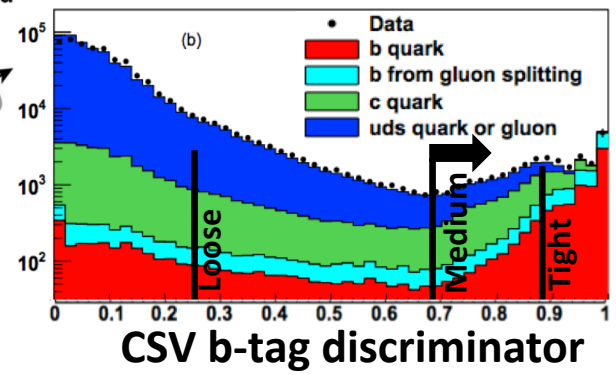
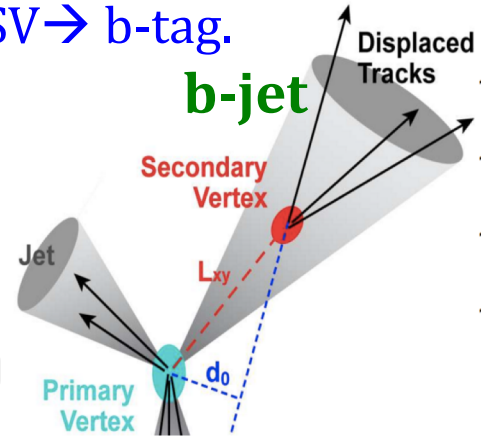


- ◆ **b-jets**
  - b-hadrons: long-lived.
  - Fly  $\sim$ mm.  $b \rightarrow Wc/u$ .
  - Produce "SV" displaced from "PV".
  - Identify "SV" → build variables CSV → b-tag.



- ◆  **$ME_T$** 
  - Momentum imbalance in "xy"-plane using all PF-objects:

$$\vec{E}_T \equiv - \sum_i \vec{p}_T$$



(I will skip " $\gamma$ ", " $\tau_h$ ", g-tagger, t-tagger, performance plots & calibr. Technics)