Two-Photon physics : the LEP Legacy

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Introduction: the origins

- Two-Photon physics started 50 years ago with the advent of the first low energy e^+e^- colliders.
- Paul Kessler (1926-2014) initiated the study of Two-Photon physics in France.
- He already published in II Nuovo Cimento (1960) "A simplified computing method for the relativistic processes in QED" mastering helicity amplitudes computation and factorization techniques.
- The motivation of a Note to the Scientific Academy in 1969 was that the future e⁺e[−] colliders were in preparation and it was the time to quantify the idea of Calogero and Zemach to study "ee → eeAĀ events, with A being a muon, a pion or a kaon".



Introduction: the origins

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1 APRIL 1971

Photon-Photon Collisions, a New Area of Experimental Investigation in High-Energy Physics*

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AN

J. PARIST Laboratoire de Physique Générale, Faculté des Sciences de l'Université Paris VI, Paris, France (Received 7 December 1970)

The pupped of this paper is to show that the confilions of photon-photon collisions at high energy can be a most perfectly reproduced by using the "quarkaria" photon spectro of quarkaria fragments and collising beams. We show that (a) the problem if background infinitation can be properly where by detection of the photon spectra particle spectra of the photon spectra photon spectra of the pho

- Two papers were published in Phys. Rev. in april and november 1971 : "Photon-Photon Collisions, a New Area of Experimental Investigation" and "Comment on the Experimental Investigation of Photon-Photon Collisions in Electron-Positron Storage Rings".
- P. Kessler and J. Parisi attended the 1970 e⁺e⁻ storage rings conference in Frascati.
- In 1972 Marcel Froissart unified the Francis Perrin and the Leprince-Ringuet laboratories : LPA (Atomic Physics) + LPN(Nuclear Physics) = LPC (Corpuscular Physics Laboratory)
- Paul Kessler prepared in 1972 the first 1973 conference.
 The "International Colloquium on photon-photon collisions in electron-positron storage rings"

Introduction and a few comments

A bit of history

- The physics of two photon interactions has really started at PETRA in the 80's.
- The evolution of the ideas concerning the hadronic structure of a real or virtual photon has followed the advent of e⁺e⁻ colliders : PETRA/PEP, TRISTAN, LEP/SLC (γγ, γγ* and γ*γ*), ep with HERA (γp,γ*p) and the LHC (γγ from pp collisions).
- The photon structure is still not yet exactly known : quark and gluon content of the photon , $\gamma\gamma$ total cross section, heavy quark production, mixed QED-QCD processes.

40 years ago the basic tools were available:

- Witten for $F_2^{\gamma} \simeq \ln Q^2$ asymptotically in QCD (but true also in QED ...)
- Altarelli-Parisi equations and the russian, french, american and japanese "schools"
- VDM and GVDM
- The LUND Monte Carlo (ancestor of PYTHIA)
- OPE vs DGLAP : F_2^{γ} vs MC approaches

Basic process and experimental setup

- A photon fluctuates in many virtual pairs but only another photon can make them real.
- $W^2 = (p+q)^2$ with $P^2 = -p^2$, $Q^2 = -q^2$ and $x = \frac{Q^2}{2pq}$
- At e⁺e⁻ colliders photons are "tagged" or "antitagged" by a forward calorimeter.
- Need a correct treatment of radiative corrections.
- < P² >≠ 0 and < Q² >≠ 0 source of difficulties to extract σ^{γγ} from σ^{e⁺e[−]}

 $\gamma\gamma^* \to X$



QED factorisation considered as one of the fine arts

 The art of QED factorisation developped from 1934 (Weiszacker-Williams) to nowadays through HERA and LEP200.



QED factorisation considered as one of the fine arts

Experimentally
$$y \ll 1$$

$$d\sigma(e\gamma \to eX) = 2\pi\alpha^{2}[1 + (1 - y)^{2}]\frac{dQ^{2}}{Q^{2}}\frac{dx}{x} \cdot \frac{[2xF_{T} + F_{L}]}{F_{2}^{\gamma}(x, Q^{2})}$$
"Physics"
• Scales $Q^{2} \gg P^{2} \simeq 0$
• If $P^{2} \neq 0$ consider $F_{2}^{\gamma \text{ eff}}(x, Q^{2}, P^{2})$
• If $Q^{2} \simeq 0 \sigma^{\gamma\gamma} = \sigma_{TT}$ and
 $d\sigma(e^{+}e^{-} \to X) = \frac{dW_{e^{+}}(\gamma)dW_{e^{-}}(\gamma)}{dL_{\gamma\gamma}}\sigma^{\gamma\gamma}$
Think always in terms of total cross-section even when discussing structure functions

When
$$X = \mu^+ \mu^-$$

$$d\sigma(e\gamma \to e\mu^+\mu^-) = dx \ dQ^2 \underbrace{\frac{4\pi\alpha^2}{Q^4}}_{e\mu \to e\mu} \cdot \underbrace{[\mu^\gamma(x,Q^2) + \bar{\mu}^\gamma(x,Q^2)]}_{\mu \ content \ of \ a \ photon}$$

The many scales basic process

- Basic process to test the tagging devices.
- Test of "Unfolding"
- Exact Computation of all Helicity Amplitudes
- Already for QED processes many scales appear. In DIS e_γ scattering we have
 P² >, < Q² >, m²_μ or p²_T + m²_μ scales.

•
$$F_2^{\gamma QED} \propto \ln \frac{t_{max}}{t_{min}}$$
 with $t_{max} \simeq Q^2/x$ and
 $t_{min} \simeq \frac{m_{\mu}^2}{1-x} + P^2 x$ plus $x(1-x)$ terms
coming from $2xm_{\mu}^2 \int_{t_{min}}^{t_{max}} \frac{dt}{t^2}$ giving
 $\frac{2x(1-x)m_{\mu}^2}{m_{\mu}^2 + P^2 x(1-x)}$

- Experimentally isolate "multiperipheral" diagrams with kinematical cuts.
- Study azimuthal correlations (interference terms)

 $e\gamma^*
ightarrow e\mu^+\mu^-$



QCD

40 years ago, QCD really started

- $\gamma\gamma \rightarrow$ jets inspired from QED : QPM or "QCD improved parton model"
- Hope to get from $F_2^{\gamma}(x, Q^2)$ obtained through Unfolding and according to Witten a measurement of Λ_{QCD}

Basic description of DIS $e\gamma$ for $Q^2 \ge 4GeV^2/c^4$ For one flavour $F_2^{\gamma}(x, Q^2, P^2 \simeq 0) = e_q^2 x(q + \bar{q})$



 $\langle q|\gamma \rangle = \sum_{V} \langle q|V \rangle \langle V|\gamma \rangle$ coherent or incoherent sum $\Rightarrow F_{2}^{\gamma}/\alpha \simeq 0.2(1-x)$ with undefined $Q^{2} \rightarrow 0$ limit.

With GVDM



$$\begin{split} &\sigma^{\gamma\gamma^*}(W^2,Q^2,P^2\simeq 0)\simeq \\ &F_{GVDM}(Q^2)(A+\frac{B}{W})(1-x) \\ &\text{leading to} \\ &F_2^{\gamma}/\alpha=a(Q^2)(1-x)+b(Q^2)\sqrt{x}(1-x) \\ &\text{for a finite } \sigma^{\gamma\gamma^*} \text{ at } Q^2=0 \end{split}$$

QCD : the FKP (Field-Kapusta-Poggioli) model

- Perturbative Non-Perturbative transition
- QCD modifies the x behavior
- $F_2^{\gamma}(x, Q^2) \Rightarrow q^{\gamma}(x, Q^2)$
- $\gamma\gamma \rightarrow jets \Rightarrow q^{\gamma}(x, p_T^2), g^{\gamma}(x, p_T^2)$
- Link between p_T^{jet} and $p_T^{inclusive}$
- \Rightarrow introduce a p_T (or t) cut.



 $\Rightarrow \text{ compact formula (1989)for the "point-like"} \\ \text{ component obtained from} \\ t \frac{d}{dt}q(x,t) = 3 \frac{\alpha}{2\pi} e_q^2 a(x) + \frac{\alpha_s(t)}{2\pi} \int_x^1 \frac{dz}{2\pi} P_{qq}(z)q(\frac{x}{2},t) \\ \end{cases}$

⇒ "valence" approximation
 ⇒ boundary conditions : physical ingredients

- $q^{PL}(x, t_0) = 0$ flavor per flavor
- $q^{PL}(x, Q^2) = \int_{t_0}^{Q^2/x t_0} dt \frac{d}{dt} q(x, t)$ to include simply the kinematics
- usually $q(x, Q_0^2) = q^{Data}(x, Q_0^2)$ with $Q_0^2 \simeq O(1) GeV^2$
- \Rightarrow No gluon density
- \Rightarrow Simplified interpolation at small x
- \Rightarrow No QCD corrections to the NP component

From FKP to SaS

For $Q^2 \gg P^2$

$$F_2^{\gamma FKP}(x, Q^2, P^2) = 2 \sum_q e_q^2 xq(x, Q^2, P^2)$$

$$q(x, Q^2, P^2) = 3 \frac{\alpha}{2\pi} e_q^2 \{ \frac{a(x)}{xC + cf(x)} Y[1 - (\frac{Y_0}{Y})^{1 + Cf(x)}] + [6x(1 - x) - 1 + \frac{x(1 - x)(2m_q^2 - P^2)}{m_q^2 + \rho_{T_0}^2 + x(1 - x)P^2}] \}$$
with $Y_0 = \ln \frac{t_0}{\Lambda^2}$, $t_0 = \frac{m_q^2 + \rho_{T_0}^2}{(1 - x)} + P^2 x$, $C = \frac{8}{33 - 2N_f}$ and $f(x) = 2 \ln \frac{1}{(1 - x)} - x - \frac{1}{2}x^2$

- When $\Lambda \rightarrow 0$ i.e. $\alpha_s(t)$ recover $\simeq QPM$
- "Natural" P² dependence
- Importance of "constant" terms
- Natural introduction of two scales Q², p_T²
- Tribute to Tadao Nozaki (AMY) visiting Paris
- In 94-95 G. Schuler and T. Sjostrand introduce a p⁰_T cut in SaS1D_{LO} and SaS2D_{LO} to describe γγ and γp collisions
- Fontannaz too in AFG parametrisations, improved from the first 1985 Aurenche, Douiri, Baier, Fontannaz and Schiff inclusive distributions in γγ scattering



From FKP to SaS : comments

- Same for DELPHI
- BFKL treatment needed at low x : J. Forshaw and P. Harriman



All existing parametrisations come from a fit to all Q^2 existing unfolded data from ALEPH, DELPHI, L3, OPAL after TPC2 γ , CELLO, JADE, PLUTO, TASSO, AMY and TOPAZ (Plot from Maria Krawczyk who died in 2017)



Comments

- The right time to get new parametrizations of the partonic content of the photon with physical inputs.
- It took nearly 7 years to PYTHIA to include p_T cuts in SaS parametrizations, with comments on FKP by G. Schuler.
- FKP arose from the question of how to build a Monte Carlo from F^γ₂(x, Q²). Just unintegrate, using APE and choosing you kinematical boundaries. Thanks to the tuesday theory seminar at DESY in 1979 and the Reya QCD course.
- Even Fontannaz used a cut without saying it in the AFG parameterization.
- The 1992 Two-Photon Conference saw the end of PETRA, the start of LEP and the preparation of HERA (under the impulse of David Miller, Two Photon Conferences became PhotonXX starting 95, including officially single photon interactions).
- In the 1992 conference A. Finch commented the total γγ cross-section : difficult to unfold a component you do not see at low angles or only a few tracks.
- Rely anyway on Monte-Carlo for acceptance effects.
- Resonances and exclusive processes suffered from the lack of a good trigger simulation.

Jet production in $\gamma\gamma$ collisions : LEP after PETRA and TRISTAN

TRISTAN opened the door.

Data vs MC

First "real" Monte Carlo tests (TRISTAN, LEP) ~ 1990 $(q^{\gamma}(x, p_T^2), g^{\gamma}(x, p_T^2)) \otimes p_T^{min}$ Dominant contribution of the single and double resolved processes Looking for $q^{\gamma}(x, p_T^2, P^2)$ and $q^{\gamma}(x, p_T^2, P^2)$





- Donnachie Landshoff $\sigma^{\gamma p}(pb) = 115 E_{cmGeV}^{-0.56} + 74 E_{cm}^{0.085}$
- Simple approach with an effective parton density $P = g^{\gamma} + \frac{4}{9} \sum_{i} (q_{i}^{\gamma} + \bar{q}_{i}^{\gamma})$ with q^{γ} and $g^{\gamma} \propto \frac{1}{x^{1+\epsilon}}$
- For example , double resolved contribution at LO :

$$\sigma^{2-res} = \int \int dy_1 dy_2 \int dt P(y_1, t, 0) \frac{9}{4} 4\pi \frac{\alpha_s(t)}{t^2} P(y_2, t, 0)$$



- L3 an OPAL unfolded LEP data with PHOJET an PYTHIA
- $\sigma_{TOT}^{\gamma\gamma}(pb) = As^{\epsilon} + Bs^{-\eta}$ with $\eta \simeq 0.46$ and $\epsilon \simeq 0.15$
- Hard to unfold a component you hardly see or do not see.
- Tails of diffractive events and MC modelling.

Giulia Pancheri (LC11, Trento 9/13/2011) Improved eikonalized minijet model



$\sigma_{\textit{TOT}}^{\gamma\gamma}$ and ILC/CLIC hadronic background

- The low W region is poorly described.
- Important for the hadronic background estimation at ILC/CLIC.
- Less critical at the ILC (Sitges 1999 Wilfrid da Silva : 0.05 evt/BX)



- Godbole : Beamstrahlung and Bremsstrahlung ⇒ from 1 to 4 evts/BX
- From Tim Barklow : SLAC model 3 to 4 evts/BX at 3 TeV : 50 GeV and 30 particles





• SLAC model isotropic for 0.2 < W < 2 GeV, not too much energy , but FWD occupancy

$\sigma_{TOT}^{\gamma\gamma}$, ILC/CLIC hadronic background and BELLE

- Impressive BELLE results : important for MC modelling, in the resonance region and for exclusive processes.
- "Return to the early times of HEP", but with more precise detectors and higher statistics.



From Sadaharu Uehara GPD2010, Trento.



$\sigma_{TOT}^{\gamma\gamma}$, ILC/CLIC hadronic background and BELLE



g-2 and HLBL

In a similar way to the vacuum polarisation contribution to g-2 ...



...the Hadronic Light By Light (HLBL) contribution enters the game. But dispersion relation not possible (4 point function) Model dependent with pole dominance



As for Form factors for the pion in R(s), Belle-II will test $\gamma^*\gamma$ and $\gamma^*\gamma^*$ for π and $\pi\pi$ production

Heavy Quarks : "too much beauty ?"

• $c\bar{c}$ and $b\bar{b}$ production at LEP



• μ semileptonic decays.



ALEPH not quoted : different selection criteria.





ILC Two-Photon Physics

- Beamstrahlung limit the acceptance and the tagging.
- But not so many studies of the standard processes studies at LEP/Belle.
- Update and continue the full LEP program.

Measure double tagged cross sections as proposed by Ken Sasaki



- 30 years ago, I. Ginzburg, G. Kotkin, V. Serbo and V. Telnov proposed the principle of a Photon Linear Collider at an e⁺e⁻ accelerator.
- Taken from Jeff Gronberg (ICHEP 2002)
- The Photon Linear Collider option should stay in the ILC baseline.
- PLC advertised so many years by V. Telnov.



- Total cross section computation Two identical lepton pairs production and infinite γγ center of mass energy, L.N. Lipatov et al (1969). Two identical pion pair production, H. Chen and al. (1970)
- Total and differential cross section. Different pairs produced, logarithmic approximation, $\gamma\gamma$ polarisation V. G. Serbo et al. (1970,1985,1998)
- Factorisation Formula

cf. Kessler and C. Carimalo thesis (1974) Powerful tools for Helicity Amplitudes calculation with Helicity Coupling.

- Motivation Today
 - Reference process for luminosity measurement at PLC
 - Can be a noise hit for low angle detector at ILC
 - Can be a background source to rare processes
 - Interesting mixed QED/QCD events and calculations

 \Rightarrow Only a realistic Monte-Carlo (at low and high angle) can give a correct answer.

• Pseudo Pair Configurations (peripheral diagrams)



Exact analytical expression for the first time (Photon 2007)

With $u = \frac{m'}{m}$ being the mass ratio,

$$\sigma = \frac{4\alpha^4}{9\pi mm'} \left\{ \frac{19}{16} \left[2\left(\frac{1}{u} - u\right) \ln u - \left(\frac{1}{u} + u\right) \left(2 + \ln^2 u\right) \right] + \left[\frac{25}{4} + \frac{19}{32} \left(\frac{1}{u} - u\right)^2 \right] P(u) \right\}$$

Very different masses i.e. $m \gg m'$

$$\sigma \simeq \frac{28\alpha^4}{27\pi m^2} \left(\ln^2 u^2 - \frac{103}{21} \ln u^2 + \frac{485}{63} \right)$$

Equal masses

$$\sigma = \frac{\alpha^4}{\pi m^2} \left(\frac{175}{36} \zeta(3) - \frac{19}{18} \right)$$

$$P(u) = \ln^2 u \ln \frac{1+u}{1-u} - 2 \ln u [Li_2(u) - Li_2(-u)] + 2 [Li_3(u) - Li_3(-u)]$$

Interesting when masses are not too different since no such an expression was available.

QCD/QED asymptotic cross-sections

• Recent extension $\gamma\gamma \rightarrow \pi^+\pi^- I \bar{I}$ and $\gamma\gamma \rightarrow \pi^+\pi^- K^+ K^-$ (LC11, Trento).



 All computed processes are included in Monte-Carlo Generator (Born Term)



• $\sigma_{ILC}^{\rm vis} \simeq 0.1 - 10 \ {\it fb}$ • Measurable with Belle-II data?

$\gamma m{g} ightarrow m{q} m{q} m{Q} m{ar{Q}}$ and $m{g} m{g} ightarrow m{q} m{Q} m{ar{Q}}$

- $\gamma\gamma$ collisions involve resolved photons.
- At Photon2007 it was shown that computing QCD helicity amplitudes involving gluons and quark-antiquark pairs need to get explicit color bases. The projection operator technique misses useful information coming from the various amplitudes recombination such as the separation of gauge invariant QED-like and pure QCD terms.



$$\begin{split} \mathcal{M} &= u_{2\ ik}^{a_1 i'} (\mathcal{M}_1 + \mathcal{M}_2 + ... + \mathcal{M}_8) + \\ \frac{1}{\sqrt{6}} u_{3\ ik}^{a_1 i'} (\mathcal{M}_1 - \mathcal{M}_2 ... + \mathcal{M}_{20}) + \sqrt{\frac{3}{2}} u_{4\ ik}^{a_1 i'} (\mathcal{M}_1 + ... + \mathcal{M}_{24}) \\ \sigma &= \frac{1}{8} \sigma_{QED-Space} + \frac{1}{8} \frac{1}{6} \sigma^{..} QED^{\prime\prime} + \frac{1}{8} \frac{3}{2} \sigma_{3g} \\ (\frac{1}{8} = \text{average gluon color, } |\mathcal{F}_1|^2 = 1, |\mathcal{F}_2|^2 = \frac{1}{6}, |\mathcal{F}_3|^2 = \frac{3}{2}) \end{split}$$



- 1991 was the year of the first official meeting in Saariselka concerning a future linear collider and a Photon Linear Collider project was presented in 1992 at San Diego by D. Borden.
- A lot of physics to check and measure again at low energy.
- LEP "the lord of the rings" has been dismantled abruptly in 2000, leaving physicists without additional high energy e⁺e⁻ collider data and the possibility to develop a demonstrator of real γγ collisions. And still now we miss a high energy e⁺e⁻ collider.
- Jeff Gronberg propopsed ten years after to build a "Photon Collider Experiment" based on the SLC : the principle accepted by SLAC and abandoned due to lack of money.
- Laser Compton backscattering is used for getting positron beams for the ILC/CLIC : POSIPOL.
- Maybe IHEP could envisage a LEPC.

 A Low (and Large) Energy Photon Collider (LEPC) has to be built to describe more precisely the partonic content of the photon before the LEP generation disappears

• There is a need for measuring low energy two photon cross sections and form factors.

 Photon beams and a Low Energy Photon Collider are necessary to validate a future PLC.

IHEP might have an important rôle to play in the advent of a CEPC for Two-Photon physics

Comment on the sociological aspect of Two-Photon Physics at LEP

- LEP1 and LEP2 periods correspond to the "Golden Age" of Two-Photon Physics with new data available.
- In DELPHI, request to Ugo Amaldi to create a T13 after showing that multihadrons from two-photon interactions where clearly present in visible energy plots. Agreed with two conveeners Igor Tyapkin and I, but imposing that not too many physicists would join. In ALEPH : Alex Finch, in L3 : John Field, Maria Kienzle, in OPAL : David Miller. HERA colleagues joined afterwards.
- Two Photon Physics : an eastern Europe activity at least in DELPHI. Strong links with Dubna, Krakow, Lund, Prague, Serpukhov and Warsaw.
- 2008 Dubna Scientific Prize for DELPHI $\gamma\gamma$.
- ALEPH, DELPHI, L3 and OPAL brought many results proportional to the weight of physicists in each experiment and the way two-photon physics was perceived by their colleagues.

A DELPHI unpublished result

• 2003 in Frascati



Conclusions

We are happy to have Higgs boson production with two photon decay



but would like to measure any decay of produced Higgs boson in two-photon collisions.



Hope to see some of you at Photon2019 in Frascati, june 3-7.