

# **Digitization: induction & electronics**

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With a lot of discussions with  
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# Digitization: induction & electronics

## Goal 1 -

Have compatible results with

1. **full induction**, *i.e.* Ramo & weighting field
2. **fast induction**, *i.e.* collected charge

- rewrite the weighting field according to Riegler calculations
- improve the charge collection calculation in GTS

## Goal2 -

Refine the APV-25 simulation

- implement the different steps of APV-25 operation

# Induced charge

W. Riegler

## Signal Induction by Moving Charges

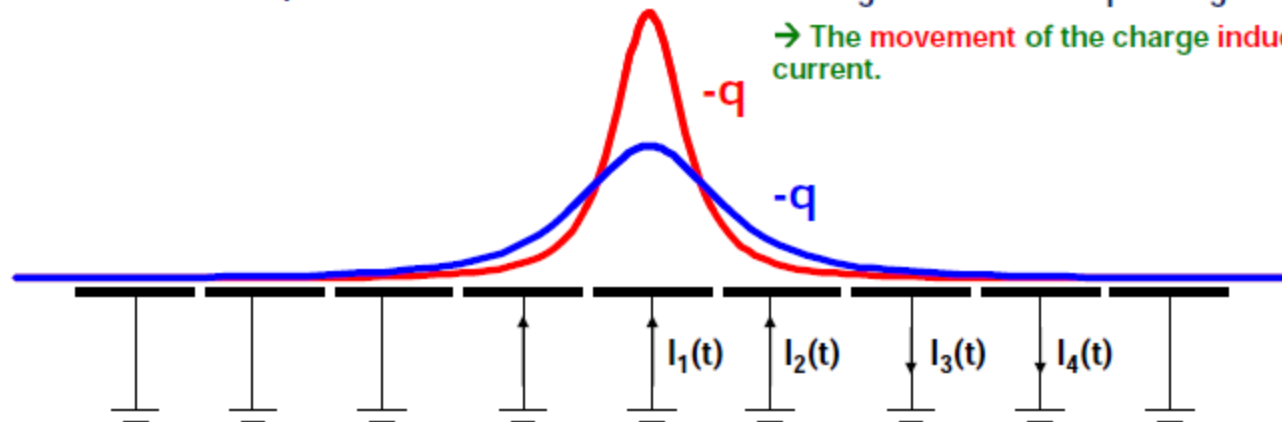
If we segment the grounded metal plate and if we ground the individual strips, the surface charge density doesn't change with respect to the continuous metal plate.



The charge induced on the individual strips is now depending on the position  $z_0$  of the charge.

If the charge is moving there are currents flowing between the strips and ground.

→ The movement of the charge induces a current.



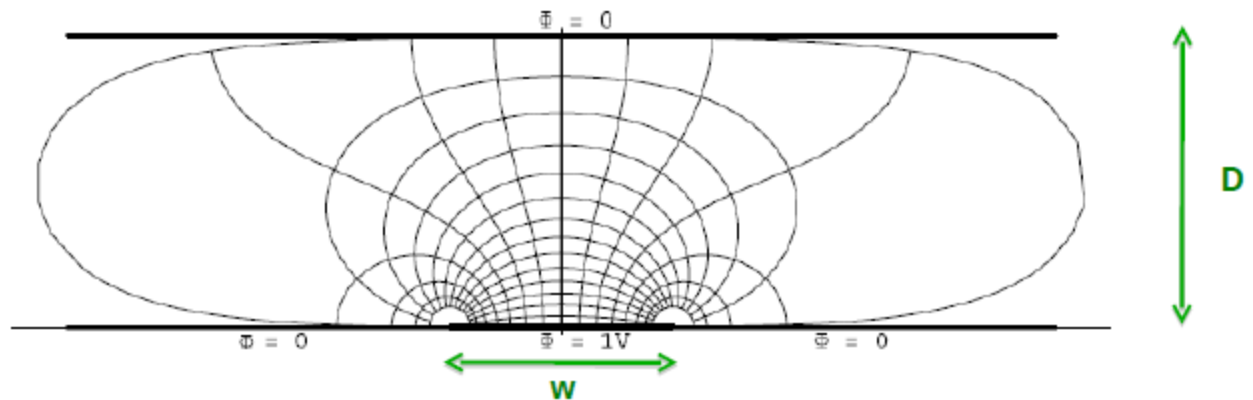
$$Q_1(z_0) = \int_{-\infty}^{\infty} \int_{-w/2}^{w/2} \sigma(x, y) dx dy = -\frac{2q}{\pi} \arctan\left(\frac{w}{2z_0}\right) \quad z_0(t) = z_0 - vt$$

$$I_1^{ind}(t) = -\frac{d}{dt} Q_1[z_0(t)] = -\frac{\partial Q_1[z_0(t)]}{\partial z_0} \frac{dz_0(t)}{dt} = \frac{4qw}{\pi[4z_0(t)^2 + w^2]} v$$

# Induced charge

W. Riegler

## Weighting Field for a Strip in a Parallel Plate Geometry



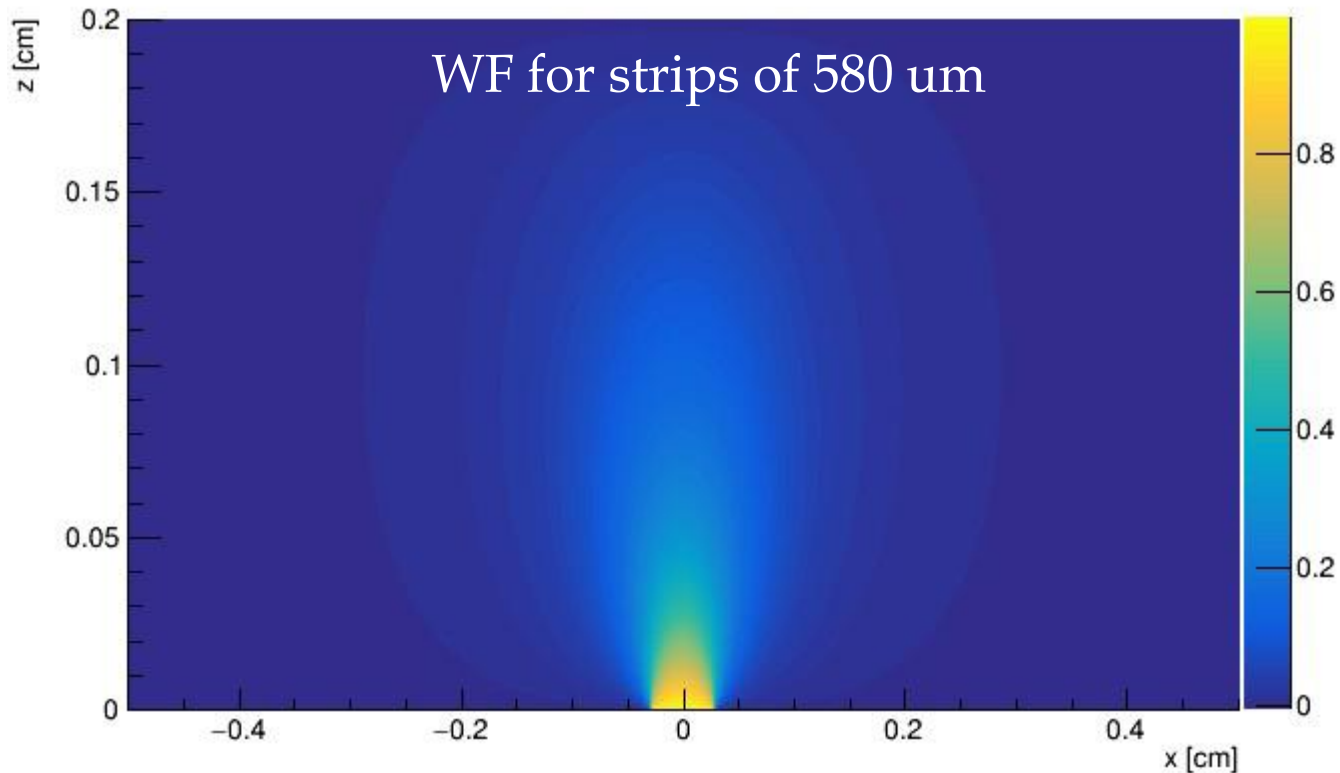
$$\Phi_1(x, z) = \frac{V_1}{\pi} \left[ \arctan \left( \cot \left( \frac{z\pi}{2D} \right) \tanh \left( \pi \frac{x + w/2}{2D} \right) \right) - \arctan \left( \cot \left( \frac{z\pi}{2D} \right) \tanh \left( \pi \frac{x - w/2}{2D} \right) \right) \right]$$

$$E_{1x} = V_1 \frac{1}{2D} \left[ \frac{\sin \left( \frac{z\pi}{D} \right)}{\cosh \left( \pi \frac{x - w/2}{D} \right) - \cos \left( \frac{z\pi}{D} \right)} - \frac{\sin \left( \frac{z\pi}{D} \right)}{\cosh \left( \pi \frac{x + w/2}{D} \right) - \cos \left( \frac{z\pi}{D} \right)} \right]$$

Weighting Field:

$$E_{1z} = -V_1 \frac{1}{2D} \left[ \frac{\sinh \left( \pi \frac{x - w/2}{D} \right)}{\cosh \left( \pi \frac{x - w/2}{D} \right) - \cos \left( \frac{z\pi}{D} \right)} - \frac{\sinh \left( \pi \frac{x + w/2}{D} \right)}{\cosh \left( \pi \frac{x + w/2}{D} \right) - \cos \left( \frac{z\pi}{D} \right)} \right]$$

# Induced charge



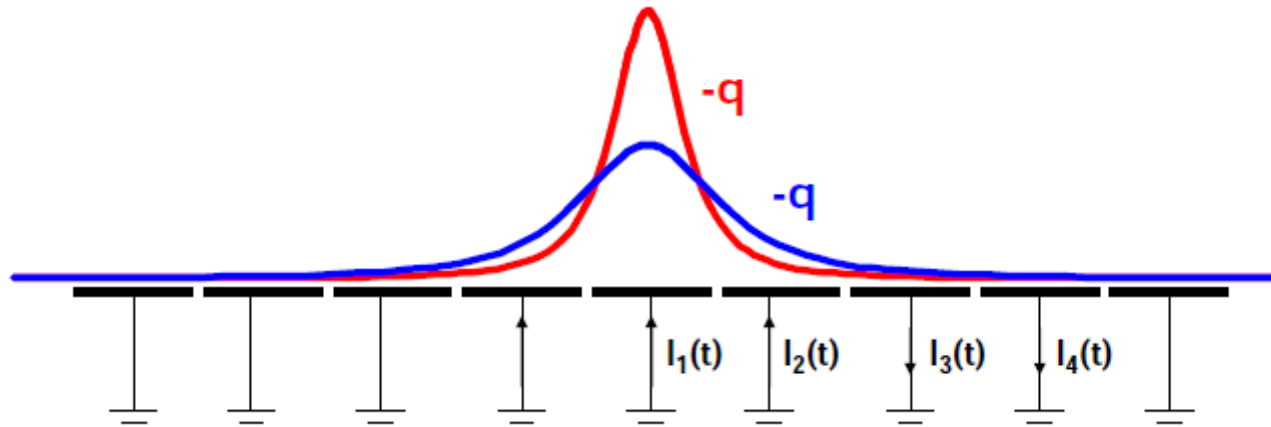
$$I(t, x) = -e_0 * E_z[x, D - v * t] * v$$

or

$$Q(t, x) = -e_0 * V_w(x, D - v * t)$$

with steps  $dt = 1\text{ns}$

# Collected charge



- For each  $e^-$  in the avalanche entering the induction gap  
→ compute the final position on the anode on the  $i$ -th strip  
→ consider the electron charge as the charge collected by  $i$ -th strip
- For each strip  
→ sum-up all the collected charges
- Use only charges ending on the active area  
→ 580  $\mu\text{m}$   
→ still to be tested with 130  $\mu\text{m}$

# $Q_{IND}$ vs $Q_{COLL}$ comparison

W. Riegler

## Total Induced Charge

If a charge is moving from point  $x_0$  to point  $x_1$ , the induced charge is

$$Q_n^{ind} = \int_{t_0}^{t_1} I_n^{ind}(t) dt = -\frac{q}{V_w} \int_{t_0}^{t_1} E_n[x(t)] \dot{x}(t) dt = \frac{q}{V_w} [\psi_n(x_1) - \psi_n(x_0)]$$

If a pair of charges  $+q$  and  $-q$  is produced at point  $x_0$  and  $q$  moves to  $x_1$  while  $-q$  moves to  $x_2$ , the charge induced on electrode  $n$  is given by

$$Q_n^{ind} = \int_{t_0}^{t_1} I_n^{ind}(t) dt = \frac{q}{V_w} [\psi_n(x_1) - \psi_n(x_2)]$$

If the charge  $q$  moves to electrode  $n$  while the charge  $-q$  moves to another electrode, the total induced charge on electrode  $n$  is  $q$ , because the  $\psi_n$  is equal to  $V_w$  on electrode  $n$  and equal to zero on all other electrodes.

In case both charges go to different electrodes the total induced charge is zero.

After ALL charges have arrived at the electrodes, the total induced charge on a given electrode is equal to the charge that has ARRIVED at this electrode.

Current signals on electrodes that don't receive a charge are therefore strictly bipolar.

02/07/19

W. Riegler, Signals in Detectors

45

## Induced Charge, 'Collected' Charge

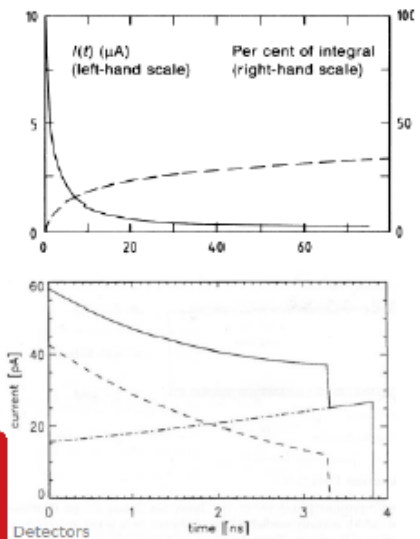
The fact that the total induced charge on an electrode, once ALL charges have arrived at the electrodes, is equal to the actual charge that has ARRIVED at the electrode, leads to very different 'vocabulary for detectors in different detectors.

In wire chambers the ions take hundreds of microseconds to arrive at the cathodes. Because the electronics 'integration time' is typically much shorter than this time, the reality that the signal is 'induced' is very well known for wire chambers, and the signal shape is dominated by the movement of the ions.

The longer the amplifier integration time, the more charge is integrated, which is sometimes called 'collected', but it has nothing to do with collecting charge from the detector volume ...

In Silicon Detectors, the electrons and holes take only a few ns to arrive at their electrodes, so e.g. for typical 'integration times' of amplifiers of 25ns, the shape is dominated by the amplifier response. The peak of the amplifier output is the proportional to the primary charge, and all the charge is 'collected'

Still, the signal is not due to charges entering the amplifier from the detector, it is due to induction by the moving charge. Once the charge has actually arrived at the electrode, the signal is over.



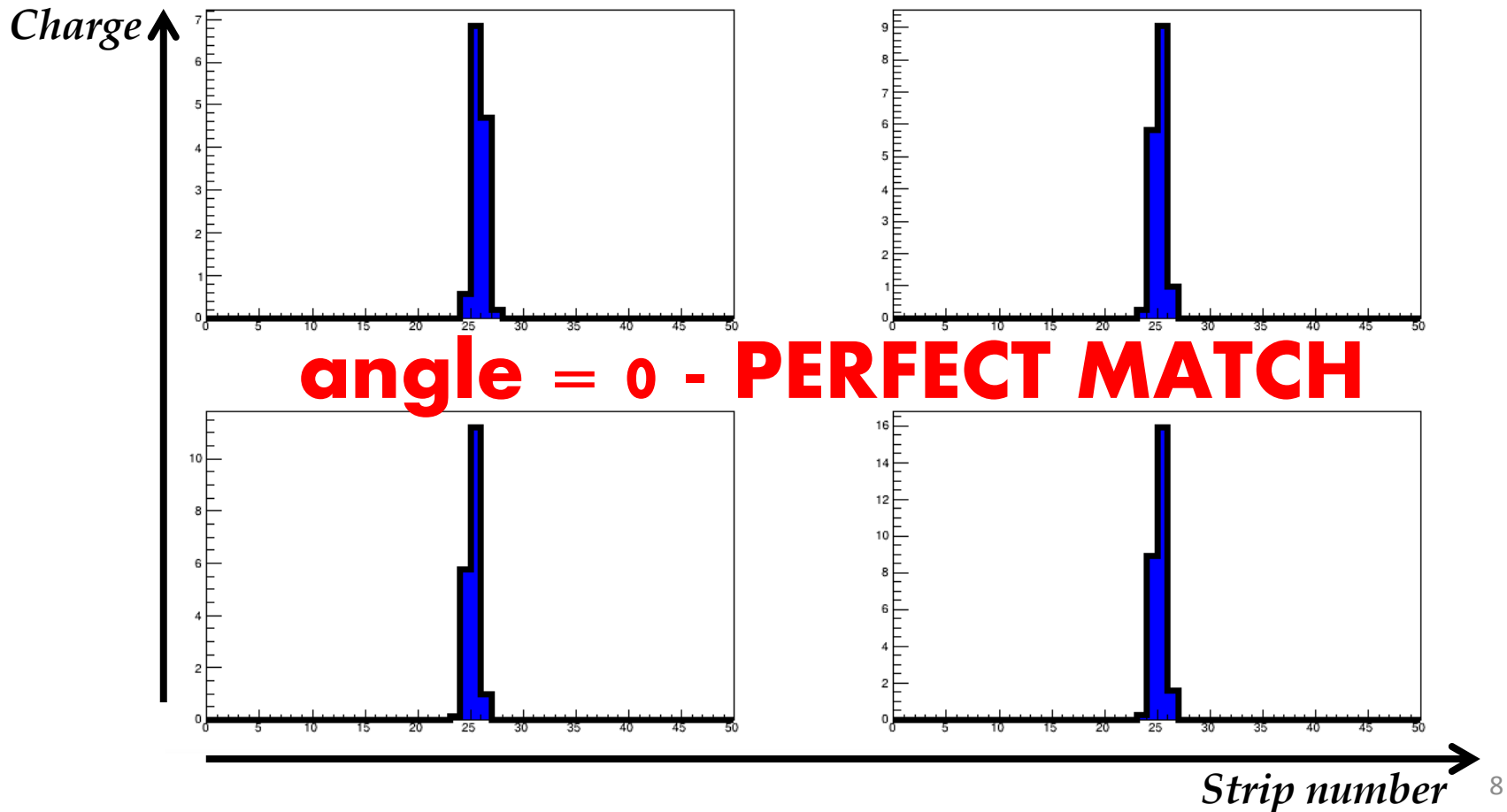
The induced and the collected charge on the strips **must be equal**, once all the electrons have arrived on the anode

# $Q_{IND}$ vs $Q_{COLL}$ comparison

Charge vs strip number

- Blue = collected
- Black = induced

*for four different tracks with incident angle = 0*



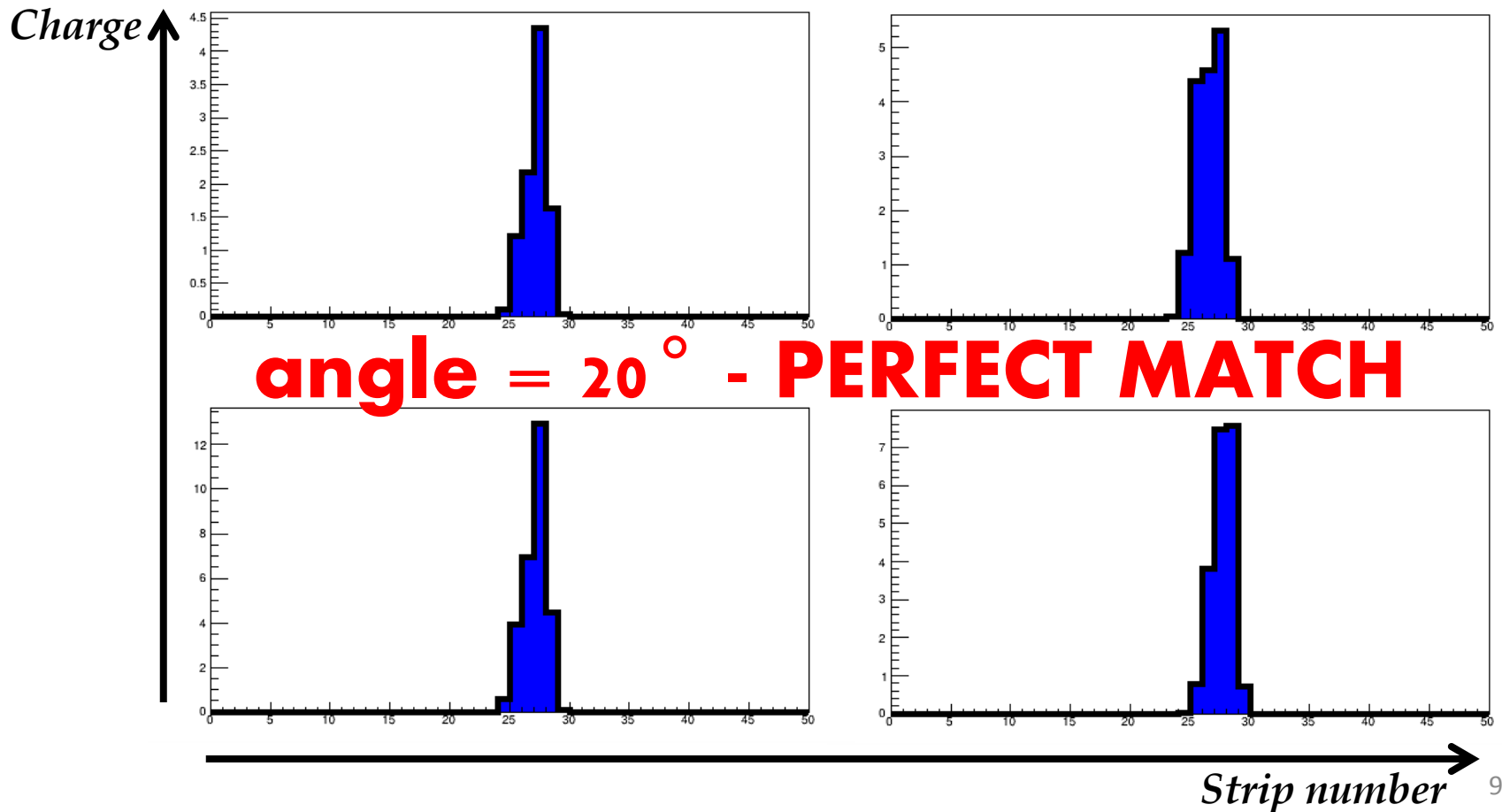


# $Q_{\text{IND}}$ vs $Q_{\text{COLL}}$ comparison

Charge vs strip number

- Blue = collected
- Black = induced

*for four different tracks with incident angle = 20 deg*



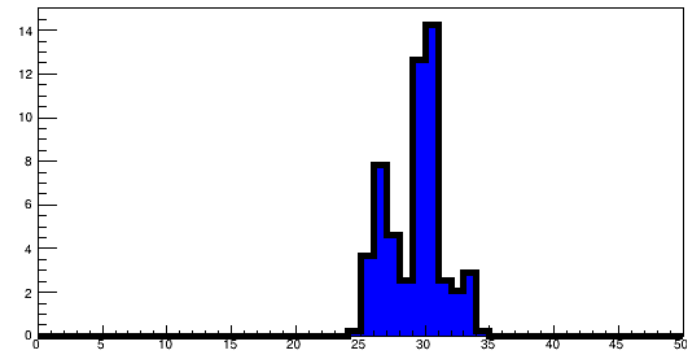
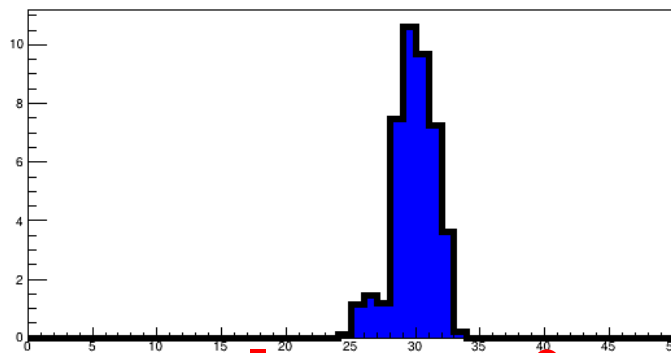
# $Q_{IND}$ vs $Q_{COLL}$ comparison

Charge vs strip number

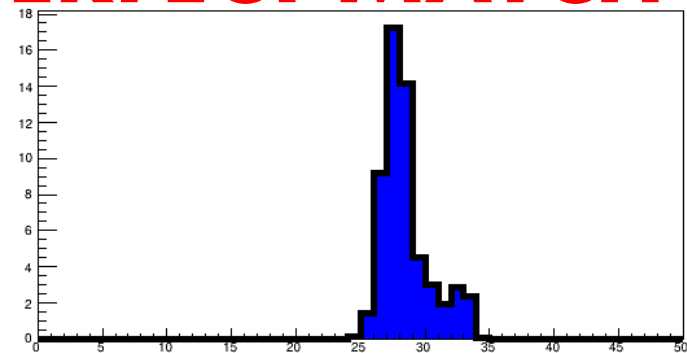
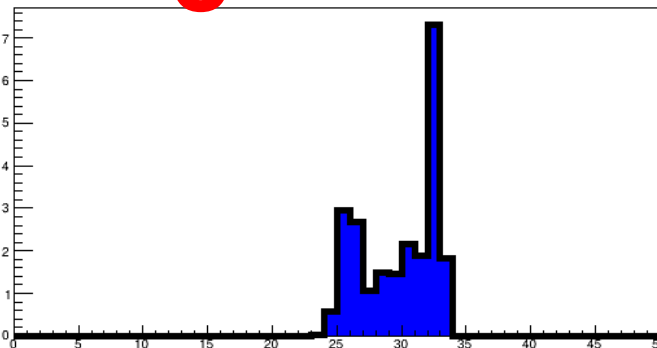
- Blue = collected
- Black = induced

*for four different tracks with incident angle = 45 deg*

Charge ↑



**angle = 45° - PERFECT MATCH**



Strip number → 10

# APV-25 simulation

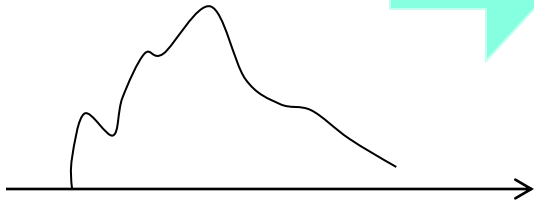
- CR-RC shaper
- $\tau = 50$  ns

$$h(t) = S_p \times \frac{t-t_0}{\tau} \exp\left(-\frac{t-t_0}{\tau}\right),$$

Induced current/charge

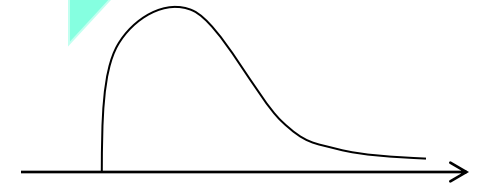
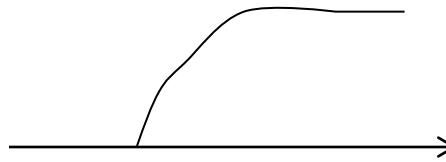
Pre-amplifier → INTEGRATOR

Shaper → CR-RC



**induction**

→ simulate charge in 1 ns time steps



**pre-amplifier**

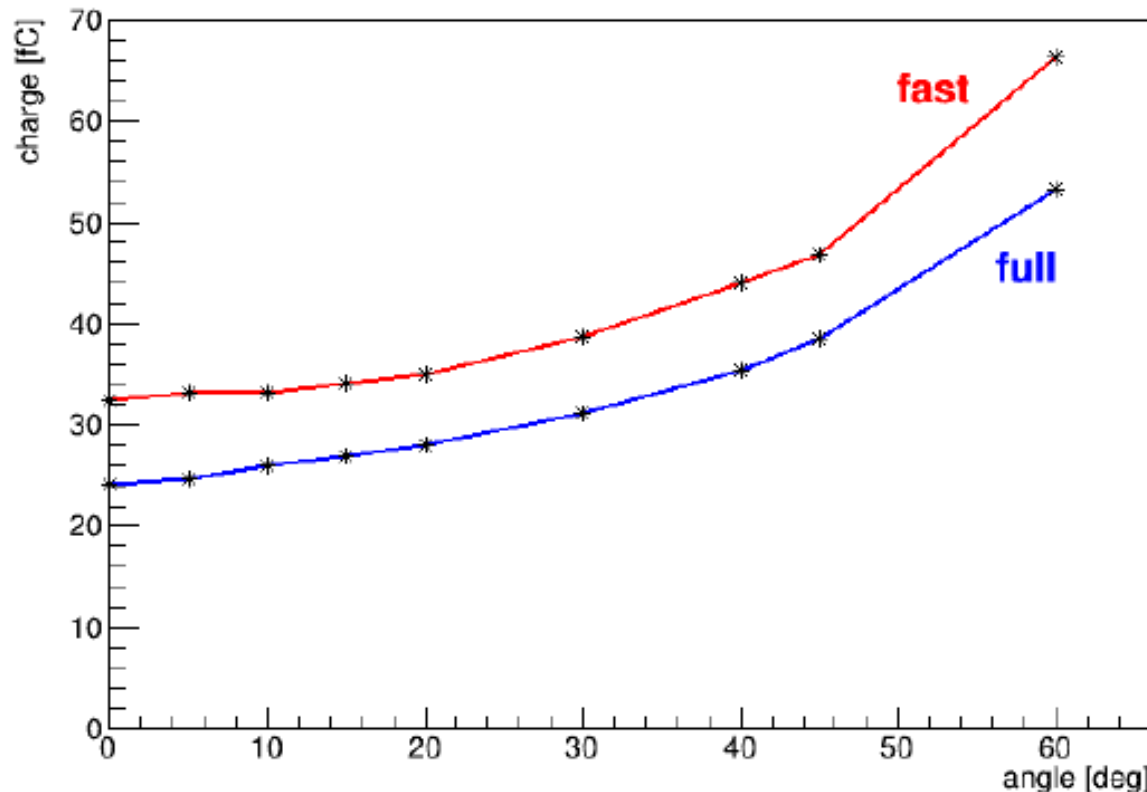
- $\forall$  time step get the induced charge
- $\forall$  time step update the integrated charge, adding the current  $dQ$

**shaper**

- create 27 functions (one for each APV-25 time bin, 25 ns each)
- get the induced charge in each 25 ns and apply the transfer function of CR-RC
- for each time bin, evaluate all the previous functions and sum

# APV-25 simulation

**Full induction + APV-25 measures 80% of the charge**  
This is due to the signal time > 50 ns (APV-25 shaping time)



# Next...

- we have agreement between the collected and induced charge

To do:

- Test with 130 um strips
  - Test with magnetic field on
  - Perform tuning on updated induction
- 
- port full and fast induction to CgemBoss
- 
- add simulation of TIGER chip

**THANK YOU FOR THE ATTENTION**