# Reconstruction of $K_S^0$ and $\Lambda$ in $Z \to q\bar{q}$ events at CEPC Baseline Detector

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## Introduction

Importance of $Z$ (and $W$)

- Flavor physics

- Precise measurements are critical to test SM

- Many BSM models predict their couplings to other elementary particles

- CEPC will operate in $Z$ pole for at least two years and will produce up to $10^{12}$ $Z$ bosons

- Etc…

# Introduction

The $K_S^0$ and $\Lambda$:

- abundant in $Z \rightarrow qq$ events. (1.0 $K_S^0$ and 0.17 $\Lambda$ per event).

- decay into a pair of charged particles. BR($K_S^0 \rightarrow \pi^+\pi^-$ or $\Lambda \rightarrow p\pi^-$) > 60%.

- relatively long life time ($c\tau > 2$ cm), and require secondary vertex reconstruction.
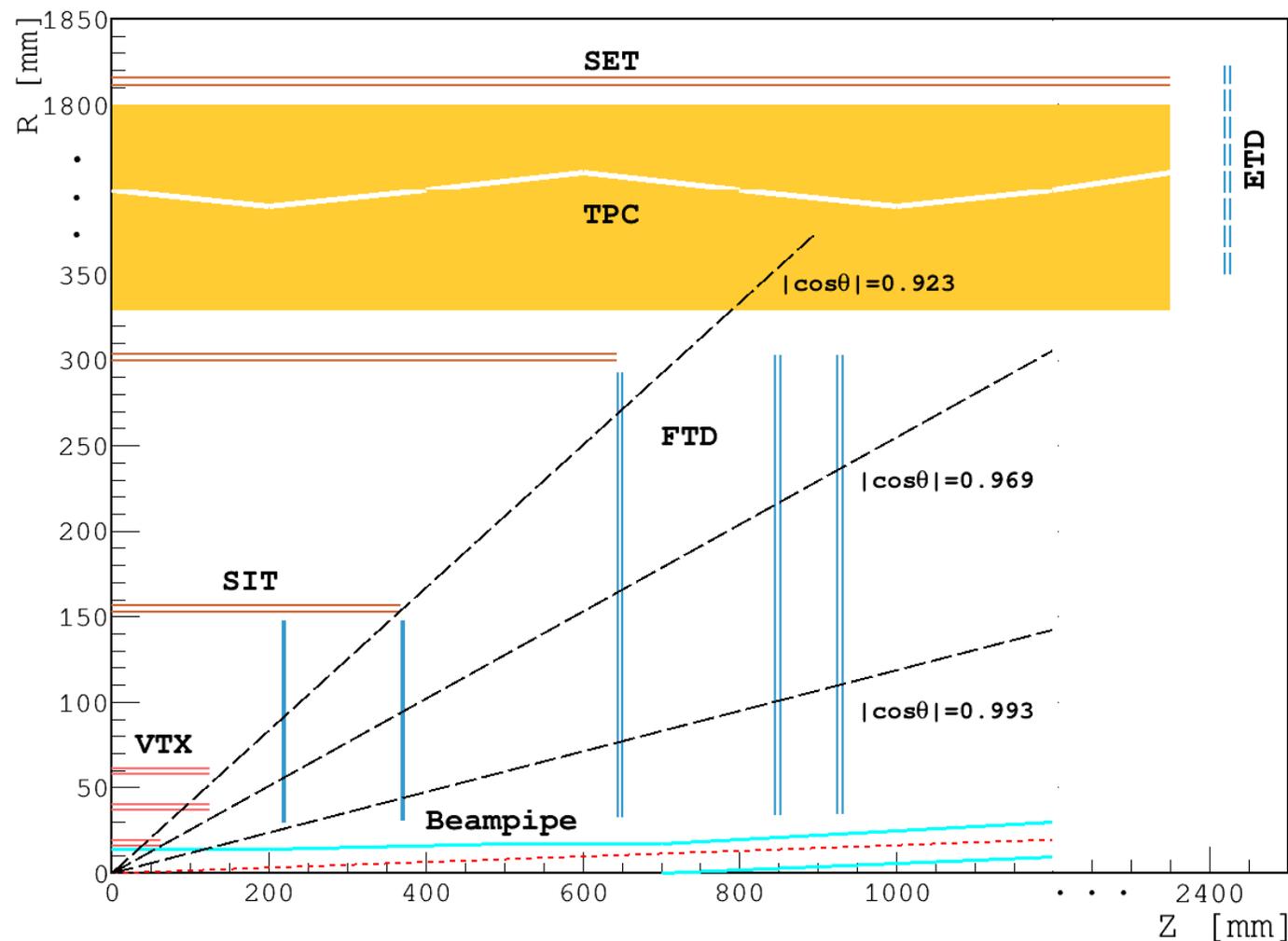
## Introduction

Their reconstruction is useful for:

- Calibrate and monitor the tracking system and the PID performance operation.

- Important for flavor physics measurements, such as CP violation in $\tau \to \pi^- K_S^0 \nu_\tau$,

    the search for $K_S^0 \to \mu^+ \mu^-$.

# CEPC Tracker Layout

1. Silicon hits → silicon tracks

2. TPC hits → TPC tracks

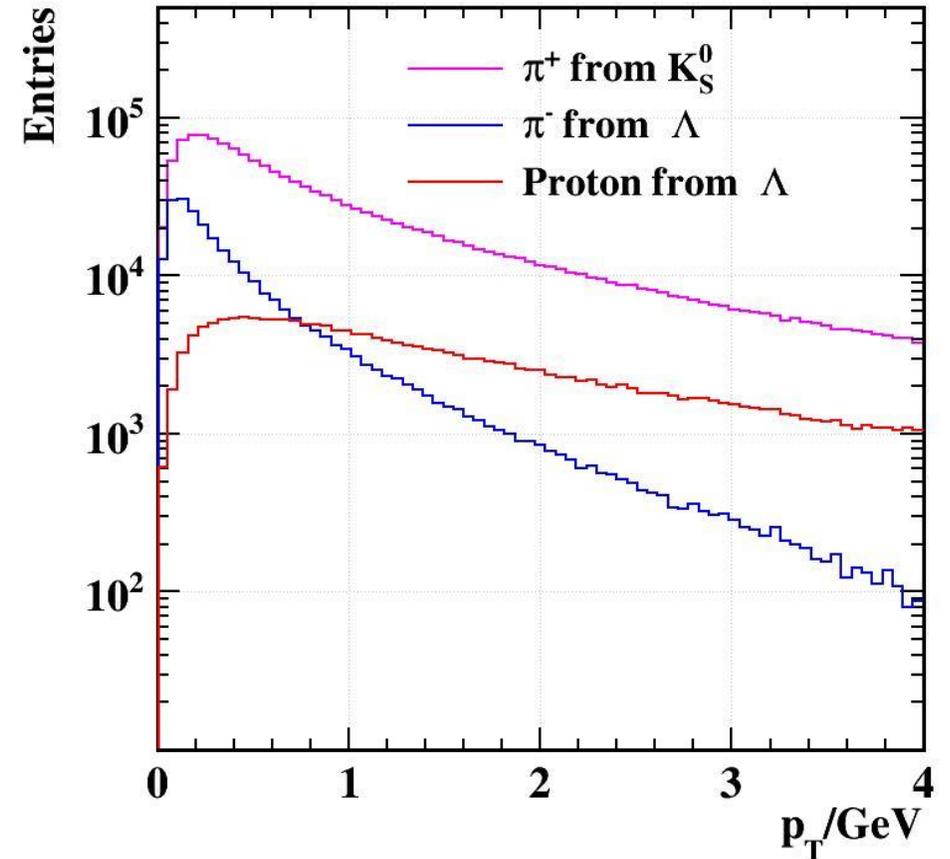3. Silicon track + TPC track + leftover hits → final track

# Track Momentum

The tracker is in a 3 T magnetic field.

Therefore:

- $p_T > 0.15$ GeV, the particle reaches TPC.

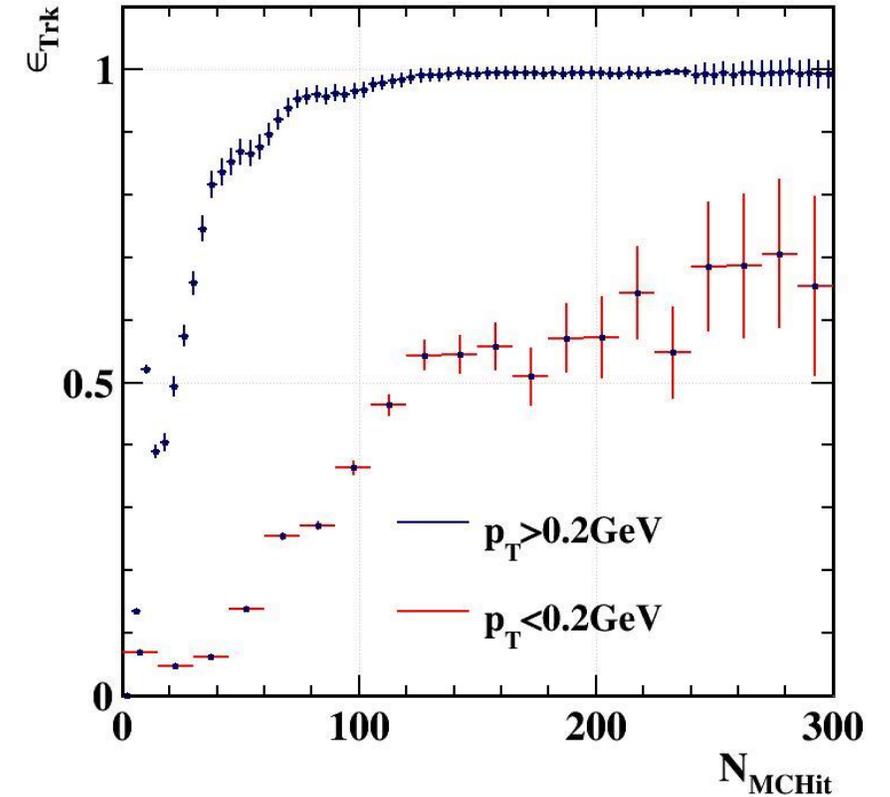- $p_T > 0.8$ GeV, the particle penetrates the tracker barrel.

# Track Reconstruction Efficiency

$$\epsilon_{Trk} = \frac{Number\ of\ reconstructed\ \pi^+\ tracks}{Number\ of\ K_S^0 \rightarrow \pi^+\pi^-\ events}$$

The $\epsilon_{Trk}$ for $\pi^+$ from $K_S^0$ is 86.5%. Resulted

mainly from low efficiency for $\pi^+$s with $p_T < 0.2$

GeV.



73.64% of $K_S^0 \rightarrow \pi^+\pi^-$ & 62.9% of $\Lambda \rightarrow p\pi^-$ have

both daughter tracks reconstructed.

**Definitions of Efficiency and Purity for $K_S^0$ and $\Lambda$**
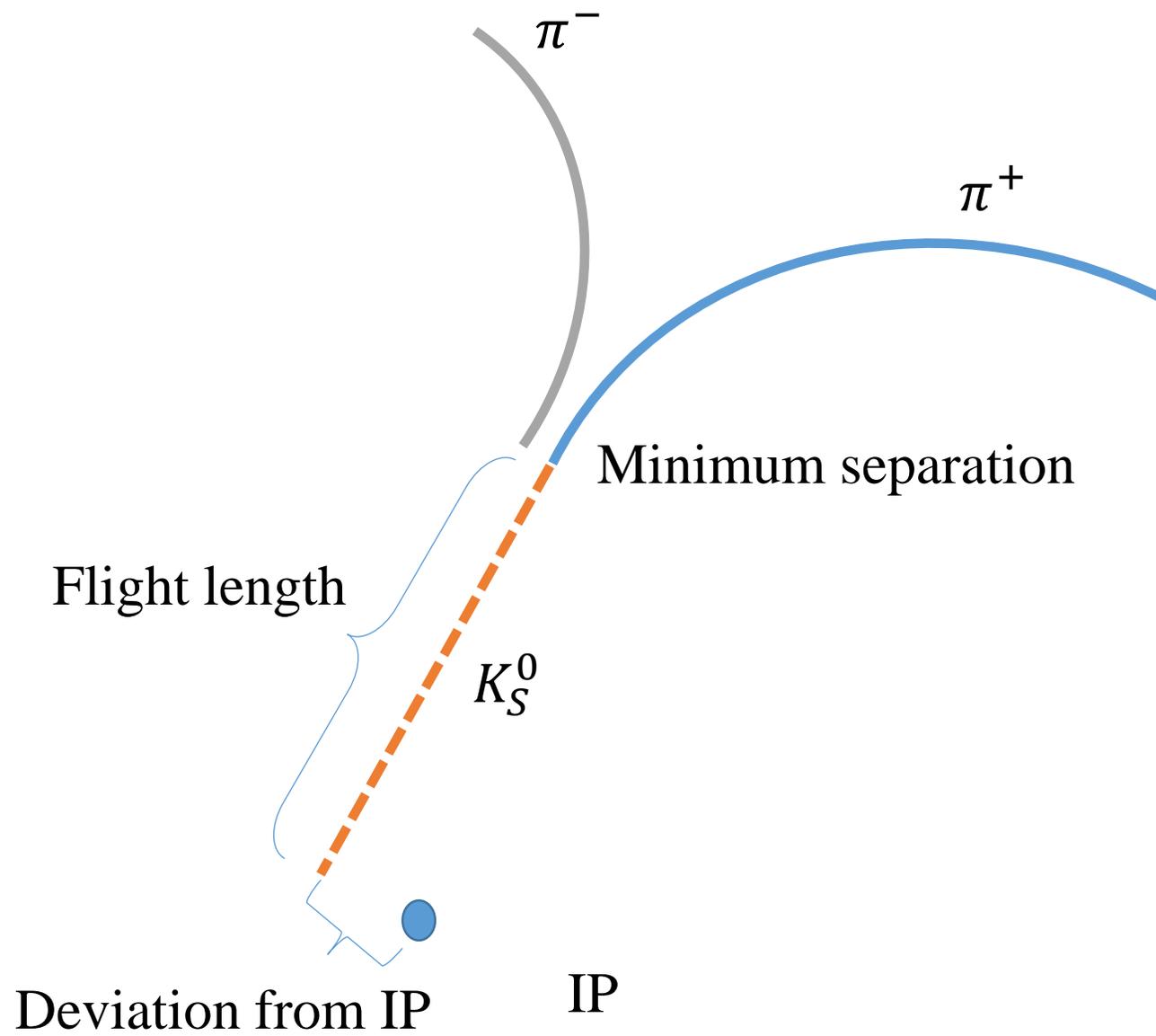
Reconstruction efficiency:

$$\epsilon_R = \frac{Number\ of\ correctly\ tagged\ track\ pairs}{Number\ of\ K_S^0\ /\ \Lambda\ daughter\ track\ pairs}$$

Purity:

$$P = \frac{Number\ of\ correctly\ tagged\ track\ pairs}{Number\ of\ tagged\ track\ pairs}$$

The inclusive efficiency $\epsilon_T = \epsilon_R \times \epsilon(Both\ tracks\ reconstructed) \times BR\big(K_S^0 \to$

**Reconstruction Method**

$\pi^-$

$\pi^+$

Minimum separation

Flight length

$K_S^0$

Deviation from IP

IP

# Reconstruction Method

Use the purity distribution on the Armenteros plot to demonstrate the performance:

y axis: positive daughter's transverse momentum $p_T^+$.
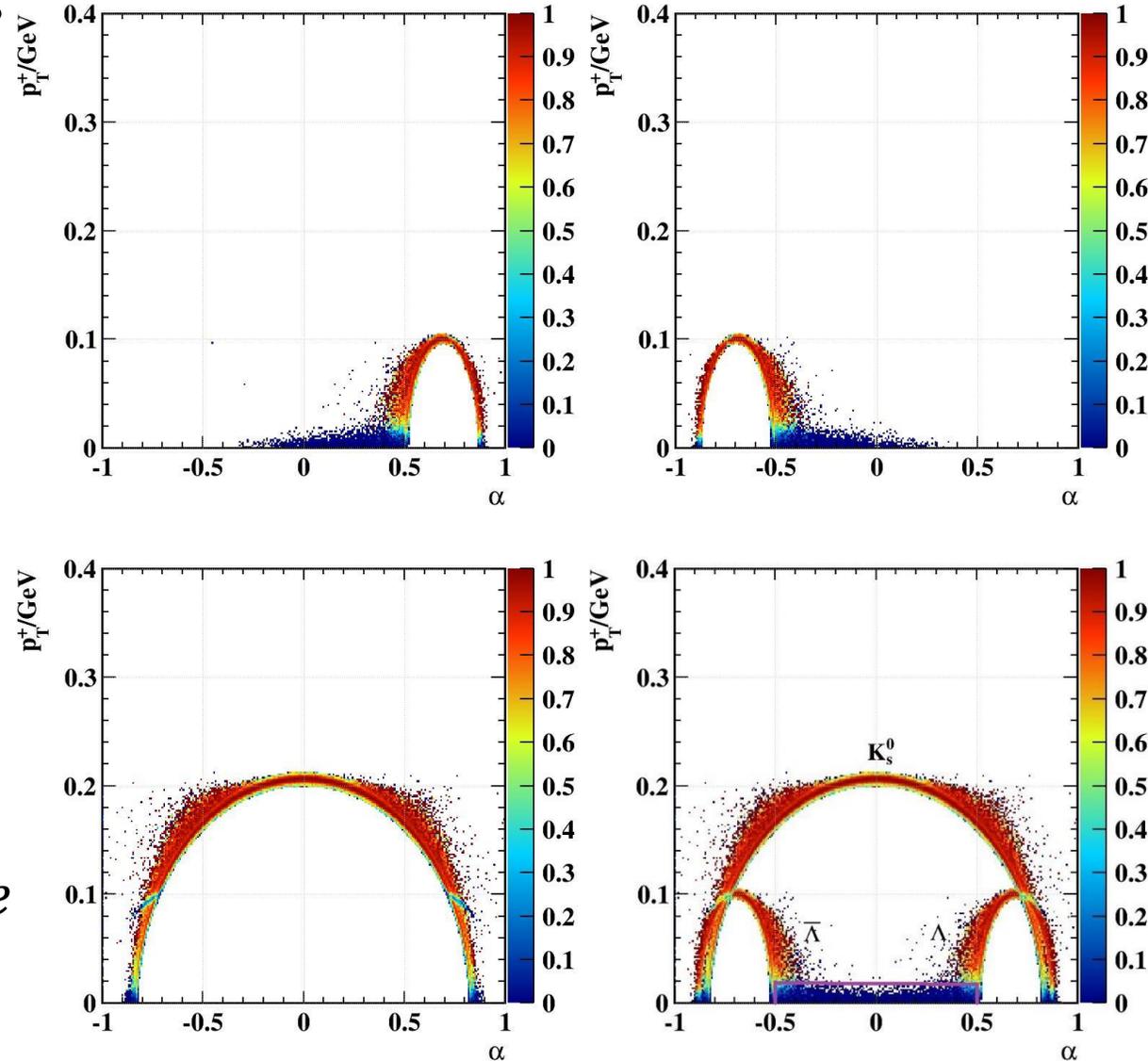
x axis: longitudinal momentum asymmetry, defined as:

$$\alpha = \frac{p_L^+ - p_L^-}{p_L^+ + p_L^-}$$

, all in respect to the parent's momentum.

The three arcs represent $K_S^0 / \Lambda / \bar{\Lambda}$ respectively.
The low purity tails of $\Lambda / \bar{\Lambda}$ are mostly $\gamma \to ee$

Cut off where $p_T^+ < 0.02$ GeV and $|\alpha| < 0.5$.

# Results
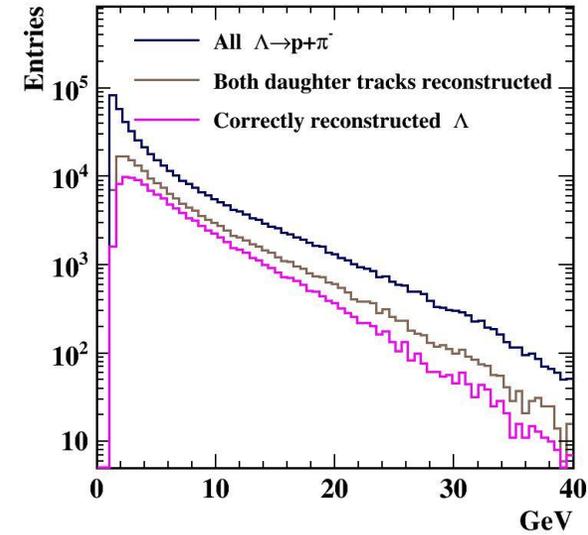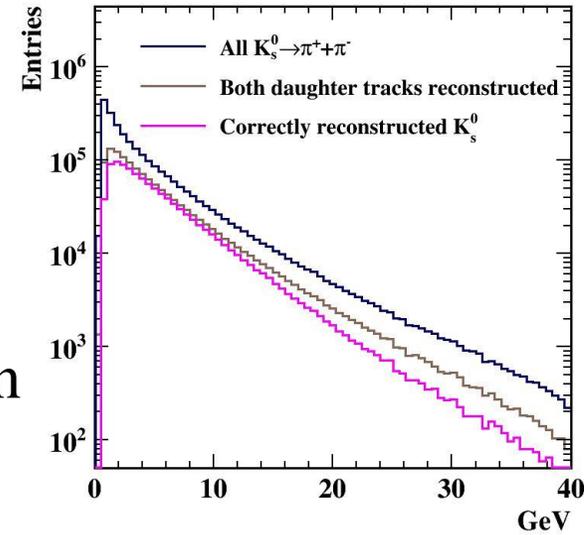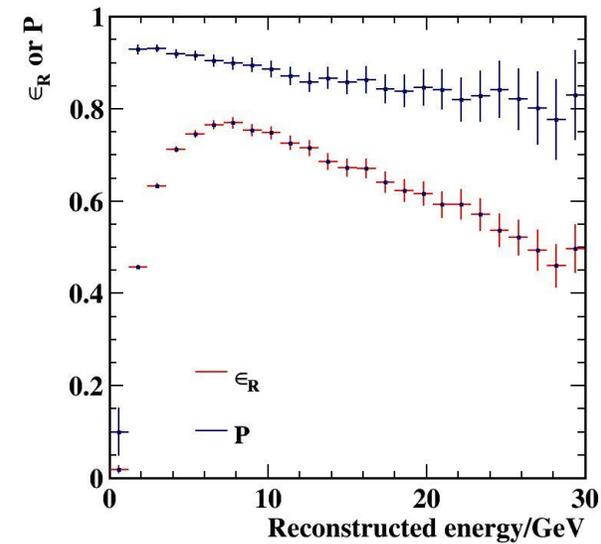
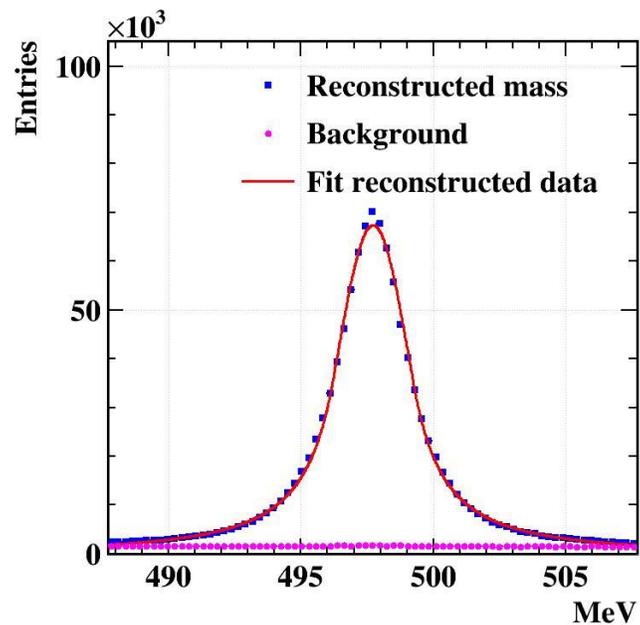| Particle | $K_S^0$ | $\Lambda$ |
|----------|---------|-----------|
| $\varepsilon_R$ | 79.7% | 65.1% |
| $\varepsilon_T$ | 39.8% | 25.5% |
| $P$ | 89.7% | 87.9% |
| $\varepsilon_R \cdot P$ | 0.715 | 0.572 |
| $\varepsilon_T \cdot P$ | 0.357 | 0.224 |

Reconstruction performance

Energy distribution

$\epsilon_R$ and $P$ versus reconstructed energy
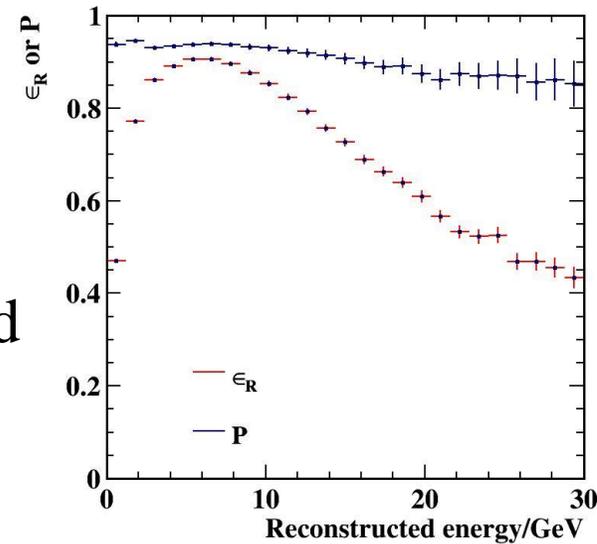


$K_S^0$

$\Lambda$

# The Value of Mass



$K_S^0$

$\Lambda$
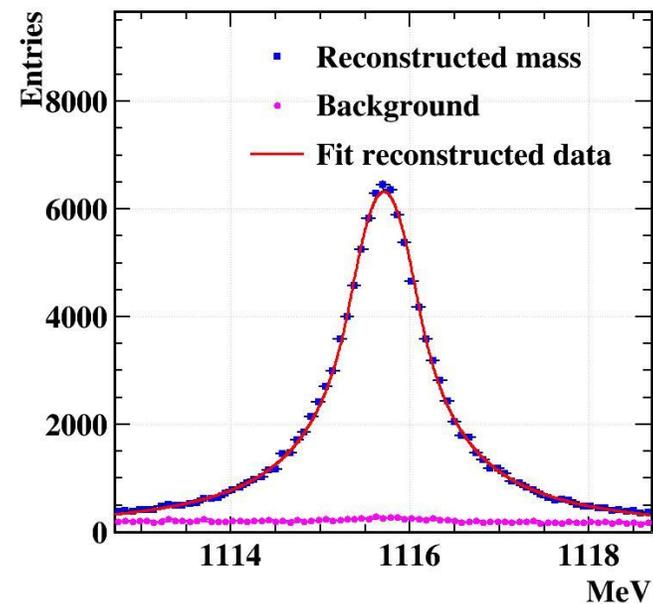
| Particle | $K_S^0$ | | | $\Lambda$ | |
|---|---|---|---|---|---|
| Experiment | CEPC | KLOE [11] | NA48 [10] | CEPC | AGS [12] |
| Mass/MeV | 497.719 | 497.583 | 497.625 | 1115.708 | 1115.678 |
| Statistical error/MeV | 0.002 | 0.005 | 0.001 | 0.003 | 0.006 |
| Systematical error/MeV | — | 0.020 | 0.031 | — | 0.006 |

# Mass Resolution

Add two more conditions.

1.  $N^{\pm}_{TrkHit} > 200$ for $K^0_S$, $N^+_{TrkHit} > 200$ & $N^-_{TrkHit} > 100$ for $\Lambda$.
2.  The angle between the to momenta at closest approach is grater than $20°$ for $K^0_S$ and $10°$ for $\Lambda$.
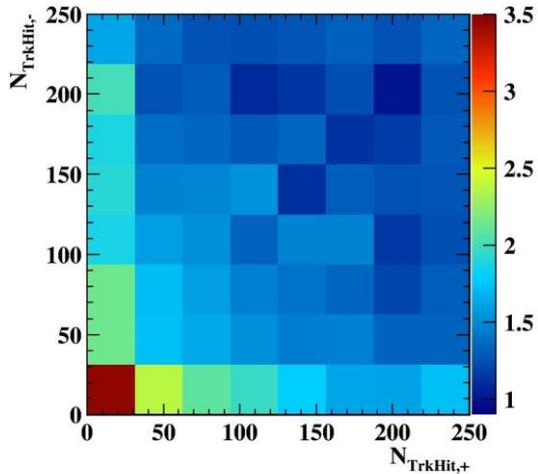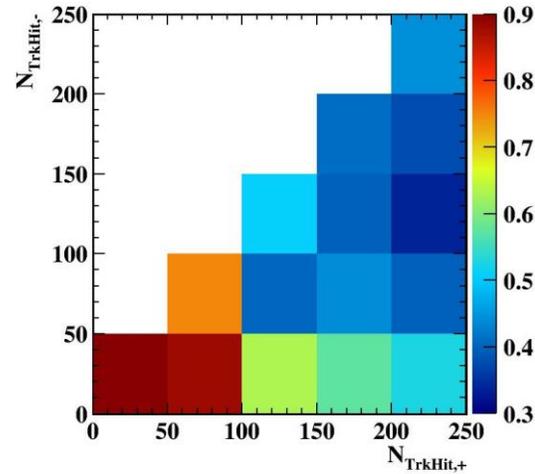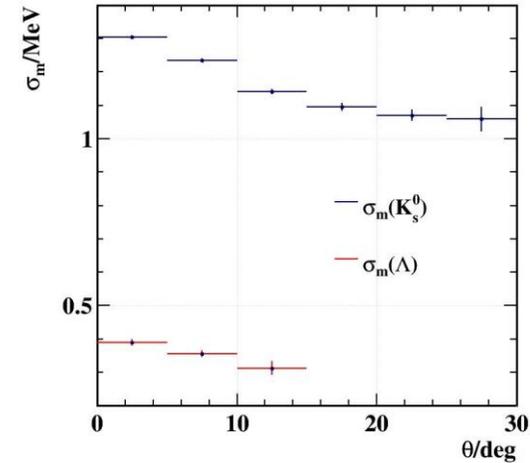


$\sigma_m$ versus $N^{\pm}_{TrkHit}$ $(K^0_S)$    $\sigma_m$ versus $N^{\pm}_{TrkHit}$ $(\Lambda)$    $\sigma_m$ versus the angle at closest approach

The achieved resolutions are $1.05 \pm 0.02$ / $0.32 \pm 0.02$ MeV for $K^0_S$ and $\Lambda$.

# Life Time

The measured value is $8.909 \pm 0.031_{stat} \times 10^{-11}\text{s}$

for $K_S^0$. The input value is $8.954 \times 10^{-11}\text{s}$.
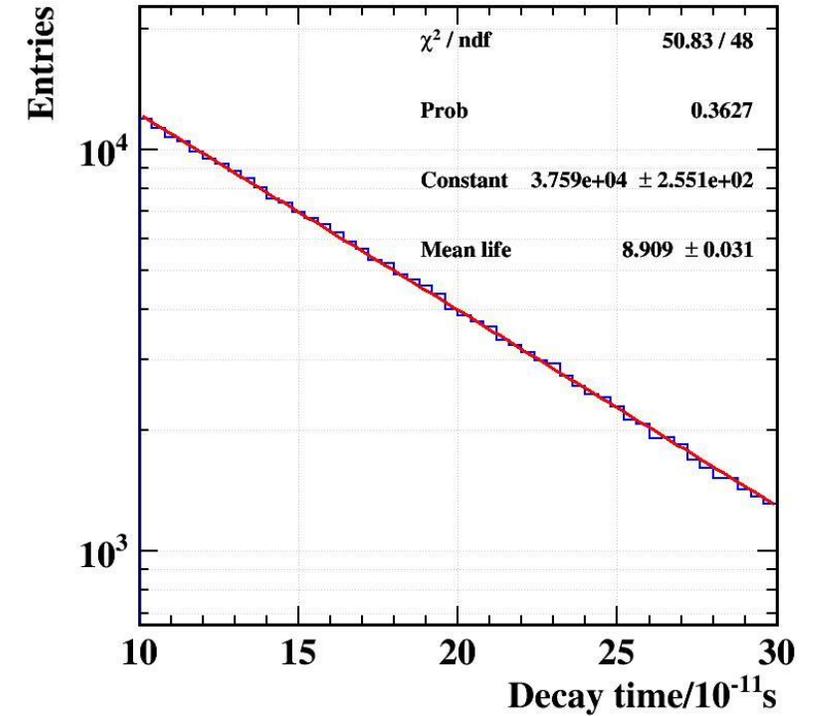
## Estimations for Future Improvements

1. A proper PID algorithm. Especially the proton identification will reduce $K_S^0$ backgrounds and increase $\Lambda$ efficiency.

   Assuming a perfect PID, we have

| Particle | $K_S^0$ | $\Lambda$ |
|---|---|---|
| $\varepsilon_R$ | 82.8% | 88.7% |
| $\varepsilon_T$ | 41.4% | 34.8% |
| $P$ | 93.1% | 91.2% |
| $\varepsilon_R \cdot P$ | 0.771 | 0.832 |
| $\varepsilon_T \cdot P$ | 0.385 | 0.326 |

# Estimations for Future Improvements

2. Ideal track reconstruction performance

for $p_T > 0.2$ GeV, $p_T > 0.1$ GeV, and (to

test the limit) all charged particles.

| Particle | $K^0_S$ | | | $\Lambda$ | | |
|---|---|---|---|---|---|---|
| $p_T$ threshold/GeV | 0.2 | 0.1 | — | 0.2 | 0.1 | — |
| $\varepsilon_T$ | 41% | 46% | 48% | 36% | 37% | 39% |
| $P$ | 89% | 89% | 88% | 87% | 87% | 86% |
| $\varepsilon_T \cdot P$ | 0.37 | 0.41 | 0.42 | 0.28 | 0.32 | 0.34 |

## Application on the Detector Material and Alignment Studies

Material studies:

- $K_S^0$ has high statistics, which could ensure it is populated inside the detector with fine granularity, and the detector material modeling could be done precisely at the small structure, even for the large decay radii and very forward region.

- $K_S^0$ has a large decay length ($c\tau \approx 2.7$ cm), which allows studying the detector material as a function of the radial position of the decaying vertex.

## Application on the Detector Material and Alignment Studies

Alignment:

Some detector global distortions preserve the helicoidal trajectory of the tracks. Hence

the track-based alignment algorithms have a low sensitivity to those distortions and it

is difficult to correct them. We can tackle the problem using the invariant mass

constraint of track pairs. This method limited by the maximum opening angle between

decaying product, so the low mass of the $K_S^0$ makes it particularly suitable.

## A Brief Touch on Other Mesons

Using similar methods for other mesons:

$\phi$: Mass: 1.02 GeV; full width $= 4.3$ MeV. $BR(\phi \rightarrow K^+ K^-) = 48.9\%$. $\epsilon_R = 77\%, P =$

72%.

$K^*(892)^0$: Mass: 0.896 GeV; full width $= 48.7$ MeV. $BR(K^*(892)^0 \rightarrow K^+ \pi^-) =$

$66.5\%, \epsilon_R = 21\%, P = 42\%.$

# A Brief Touch on Other Mesons

Combinatory $\pi^0$ and $\eta$ in fast simulation.



$Z \to q\bar{q}$

$Z \to \tau\tau$