

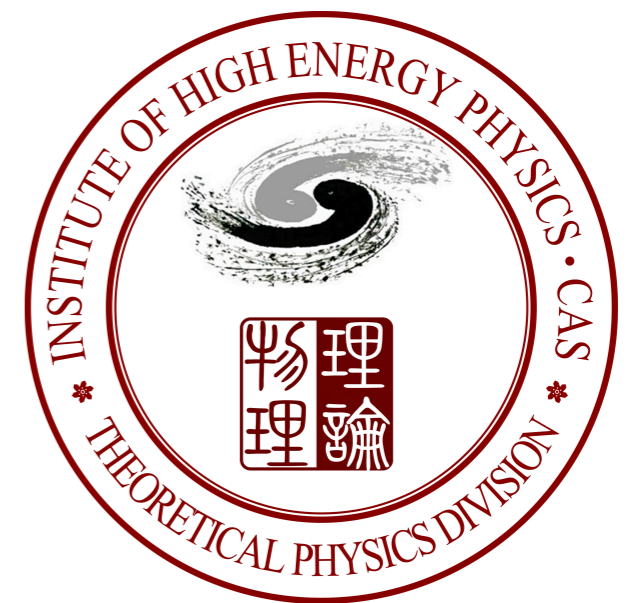
# Ideas on Electroweak Fit

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Cen Zhang

Institute of High Energy Physics  
Chinese Academy of Sciences

CEPC workshop, CHEP, Beijing  
July 4 2019



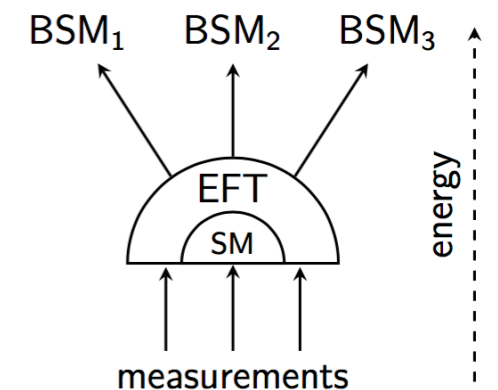
- Not an expert of EW
  - Not exactly sure why this topic was assigned...
- Will present a mixture of
  - Some results from past works
  - Some very preliminary results from an ongoing fit
  - A collection of ideas on EW measurements, from other people's work
    - Some are not related to the CEPC, but could be important for a comprehensive understanding of the current status, which provides input for future strategies.

# Global SMEFT fit

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Global SMEFT fit is useful in several ways

- **Testing the SM** → need a framework for deviations from the SM
- **Quantify the constraining power** of different colliders and scenarios, HL/HE-LHC, CEPC/SppC, ILC, FCC, ...
- **Investigate new observables/techniques** and their impacts.



Global SMEFT fit can be conveniently organized by different sectors:  
**Higgs**, **Top**, **Electroweak**, Flavor... (but situation might change in the future)

# Higgs + EW fit

In the past, the precision of the electroweak Z-pole data has been such that the coefficients of the operators affecting them could initially be considered independently of those entering into other observables. **However, such a segregated approach** is theoretically unsatisfactory, with some bases being more correlated across measurements than others, and **is becoming obsolescent with the advent of more precise LHC data on Higgs production and diboson production** where the latter, in particular, **can no longer be interpreted solely as a measurement of anomalous triple-gauge couplings** [50, 51].

50 [Z. Zhang 1610.01618]

51 [Baglio, Dawson, Lewis 1708.03332]

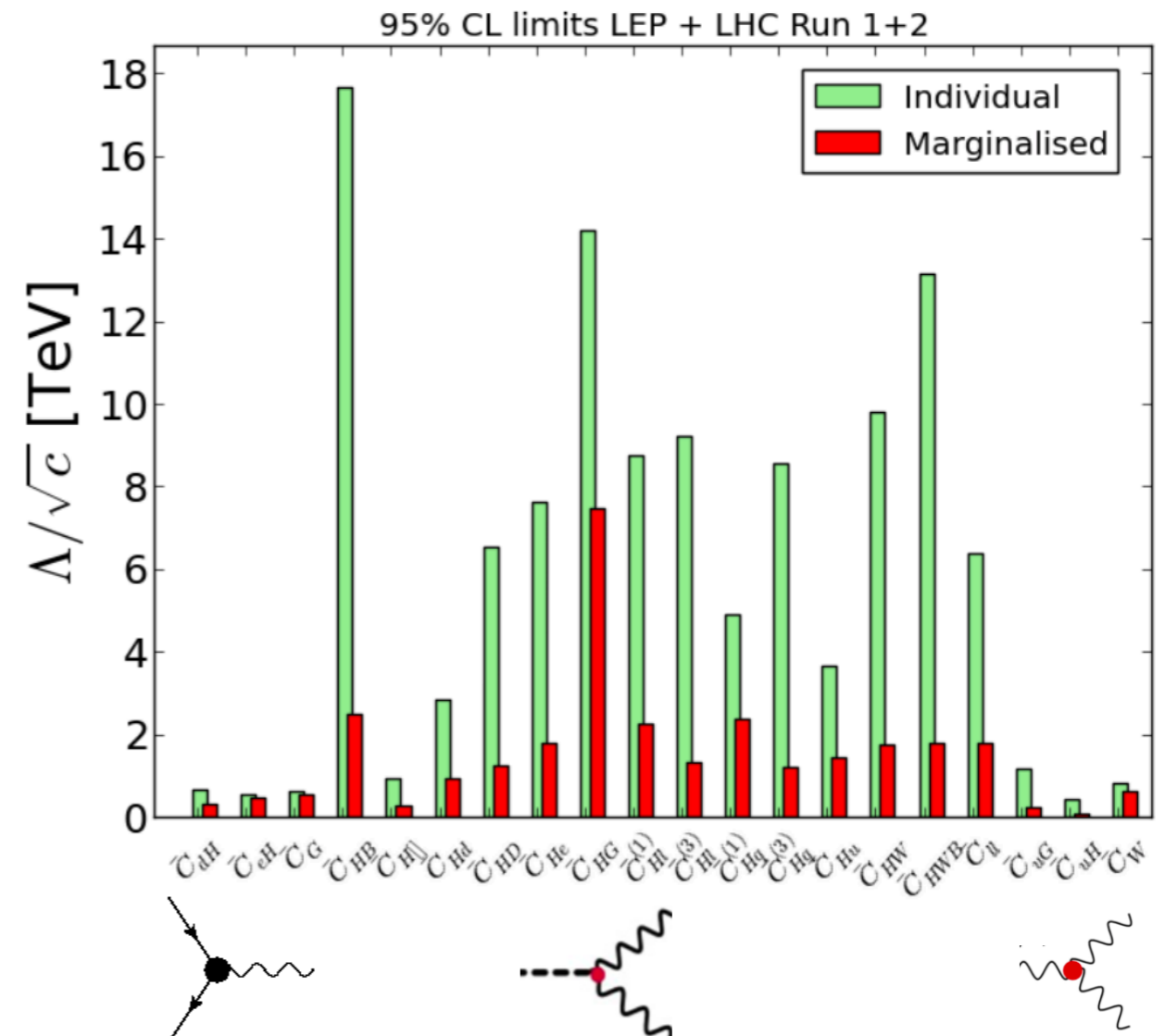
See also Biekotter, Corbett, Plehn '18, J. de Blas et al. '16, and many other Higgs fitters.

[J. Ellis et al. 1803.03252]

LEP: Z pole, WW

LHC run-1: H signal strength

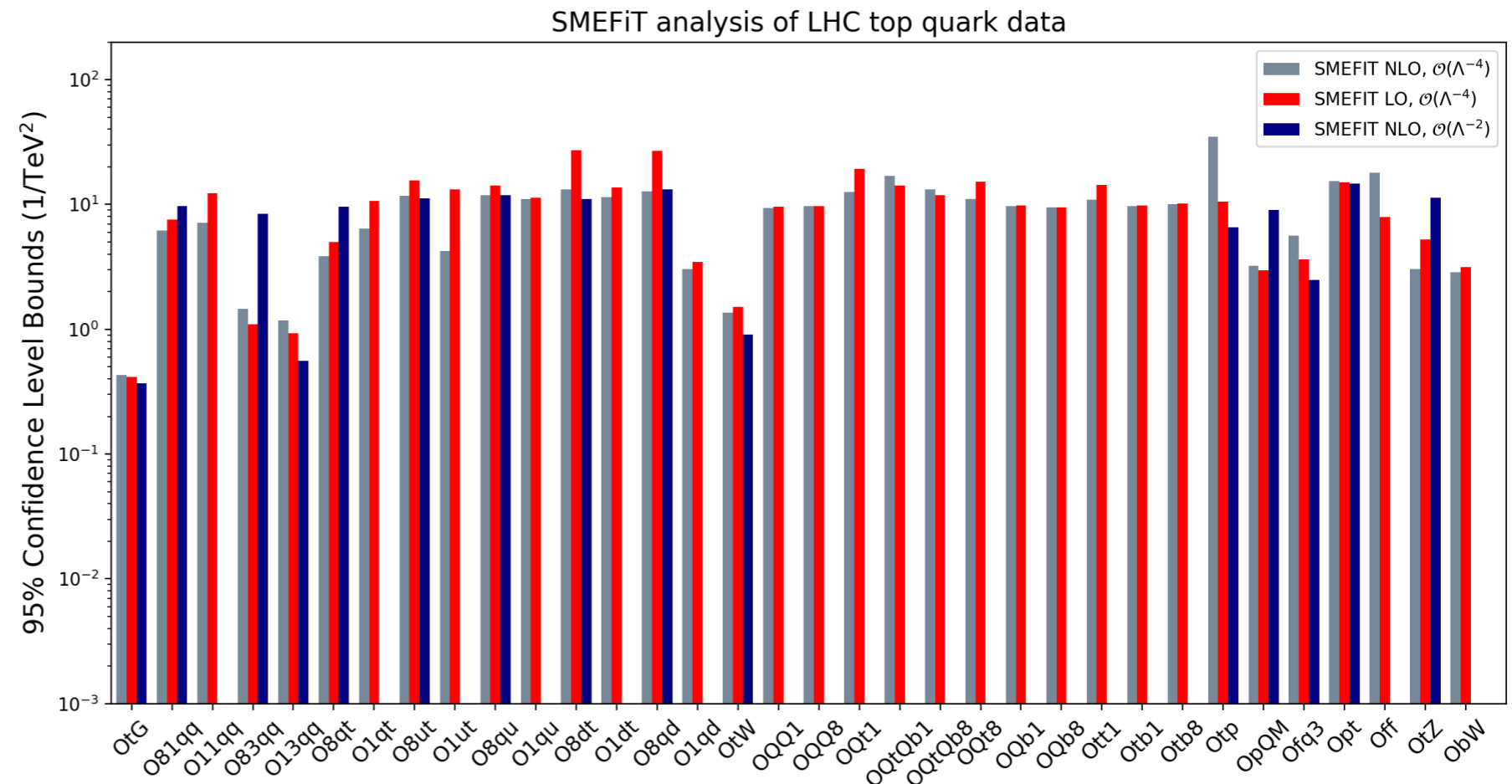
LHC run-2: H STXS and WW



# Top fit: SMEFiT

[Hartland, Maltoni, Nocera, Rojo, Slade, Vryonidou, **CZ** 19]

- Fitting approach based on **NNPDF**: MC replicas + cross validation and closure test
- Theory predictions from **MG5\_aMC@NLO**, i.e. operator contributions are at NLO in QCD
- Parametrization & operator basis etc. are consistent with TOP working group EFT recommendation

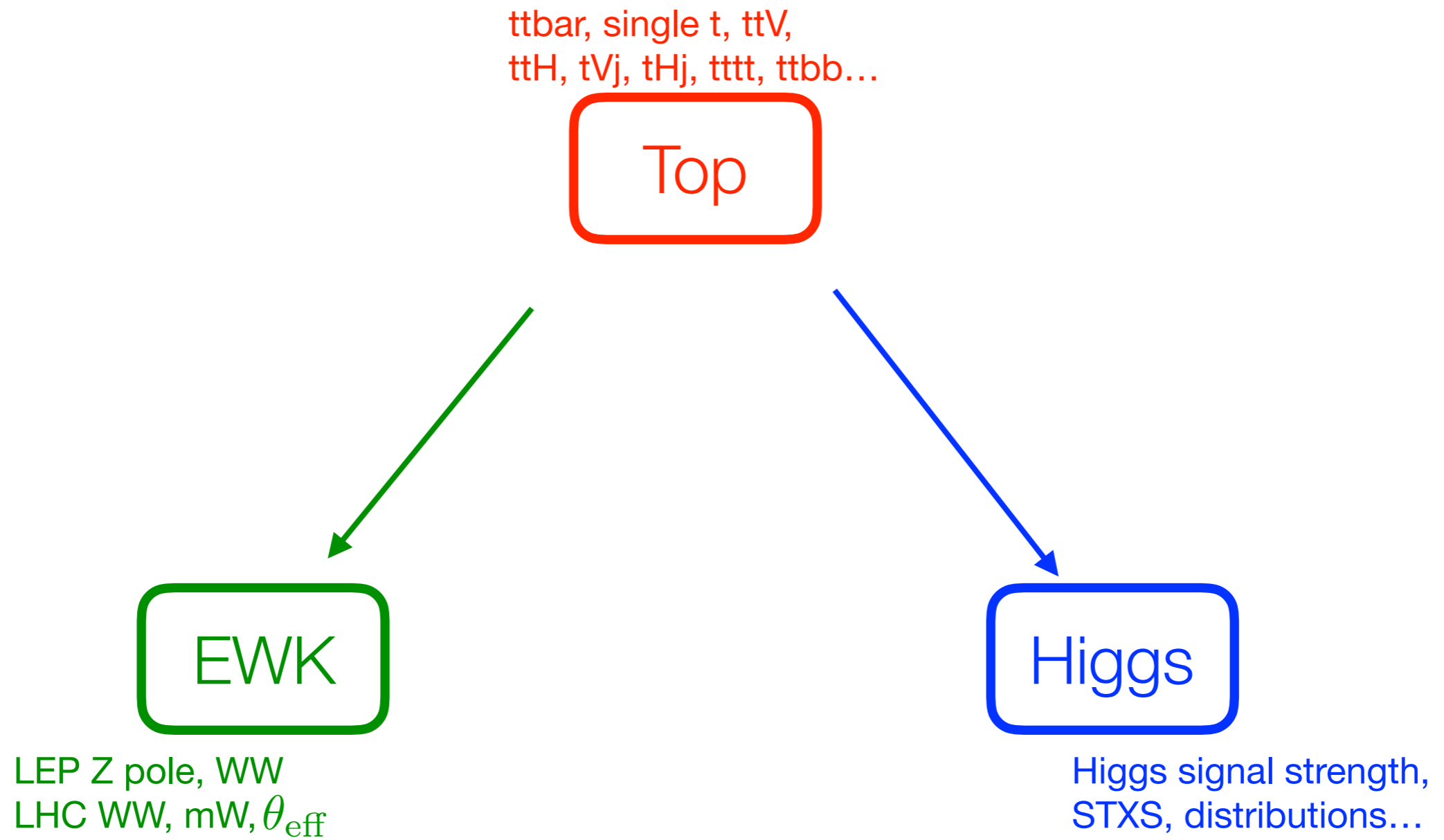


Next step: to extend and include EW and Higgs data

See also TopFitter, A. Buckley et al. '15

# Global EFT fit at the LHC era

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# Global EFT fit at the LHC era

Z>bb leads to correlation between neutral and charged top EW couplings

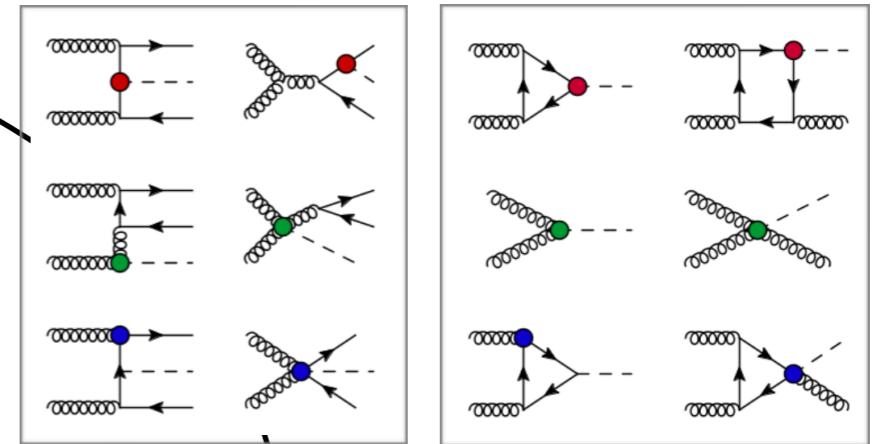
$$\begin{pmatrix} O_{\varphi q}^{1(33)} \\ O_{\varphi q}^{3(33)} \end{pmatrix} = \begin{pmatrix} (\varphi^\dagger \overleftrightarrow{D}_\mu \varphi)(\bar{q}_3 \gamma^\mu q_3) \\ (\varphi^\dagger \overleftrightarrow{D}'_\mu \varphi)(\bar{q}_3 \gamma^\mu \tau^I q_3) \end{pmatrix} = \begin{pmatrix} -1 & 1 \\ 1 & 1 \\ 0 & 1 \\ 0 & 1 \end{pmatrix}^T \begin{pmatrix} \frac{+e}{2s_w c_w} (\bar{t} \gamma^\mu P_L t) Z_\mu (v+h)^2 \\ \frac{-e}{2s_w c_w} (\bar{b} \gamma^\mu P_L b) Z_\mu (v+h)^2 \\ \frac{g}{\sqrt{2}} (\bar{t} \gamma^\mu P_L b) W_\mu^+ (v+h)^2 \\ \frac{g}{\sqrt{2}} (\bar{b} \gamma^\mu P_L t) W_\mu^- (v+h)^2 \end{pmatrix}$$

$c_{\varphi Q}^- \equiv C_{\varphi q}^{1(33)} - C_{\varphi q}^{3(33)}$  enters in  $pp \rightarrow t\bar{t}Z$   
 $c_{\varphi Q}^3 \equiv C_{\varphi q}^{3(33)}$  enters in  $t \rightarrow bW^+$   
 $c_{\varphi Q}^+ \equiv C_{\varphi q}^{1(33)} + C_{\varphi q}^{3(33)}$  enters in  $e^+e^- \rightarrow b\bar{b}$  (or  $pp \rightarrow b\bar{b}Z$ )

ttbar, single t, ttV,  
ttH, tVj, tHj, tttt, ttbb...

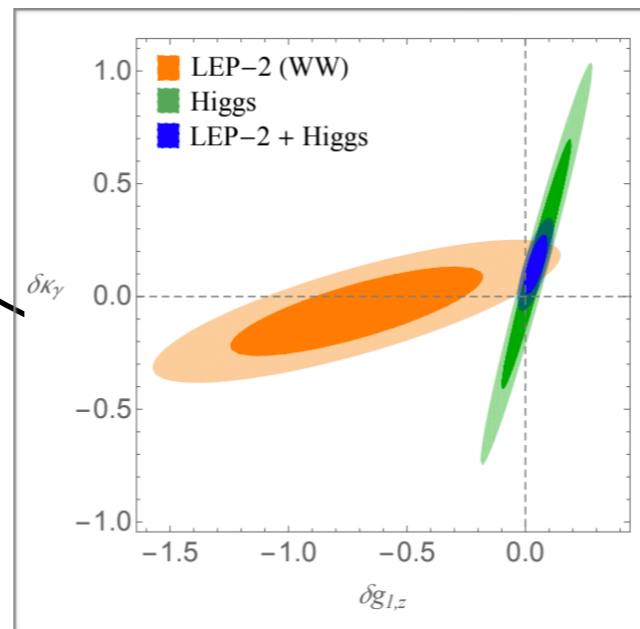
Top

Top/Higgs operators entering  
ttH and top-loop induced channels  
[F. Maltoni, E. Vryonidou, CZ '16]



EWK

LEP Z pole, WW  
LHC WW, mW,  $\theta_{\text{eff}}$



Higgs

Higgs signal strength,  
STXS, distributions...

Higgs measurements help  
to determine TGC  
[A. Falkowski et al. '16]

# New ideas are changing this picture

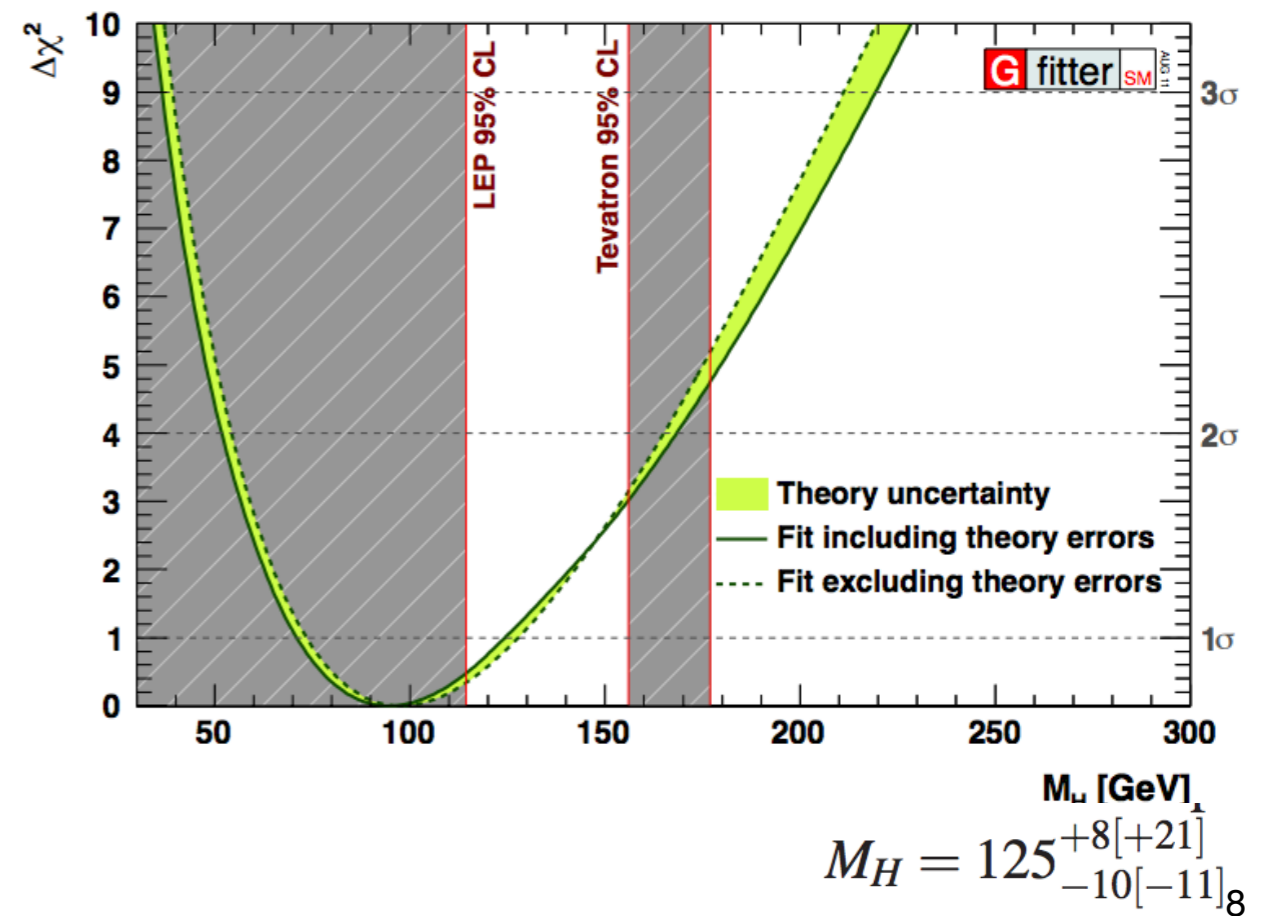
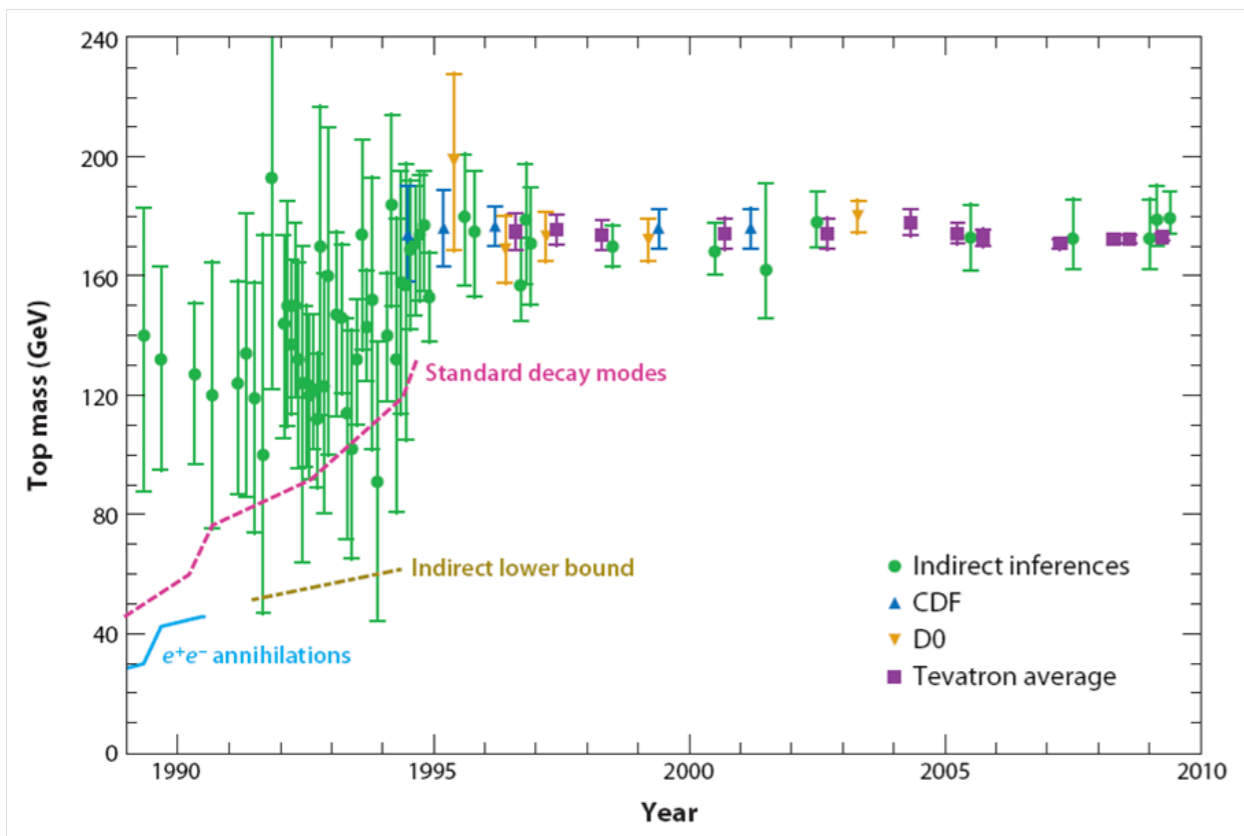
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## There are more to implement:

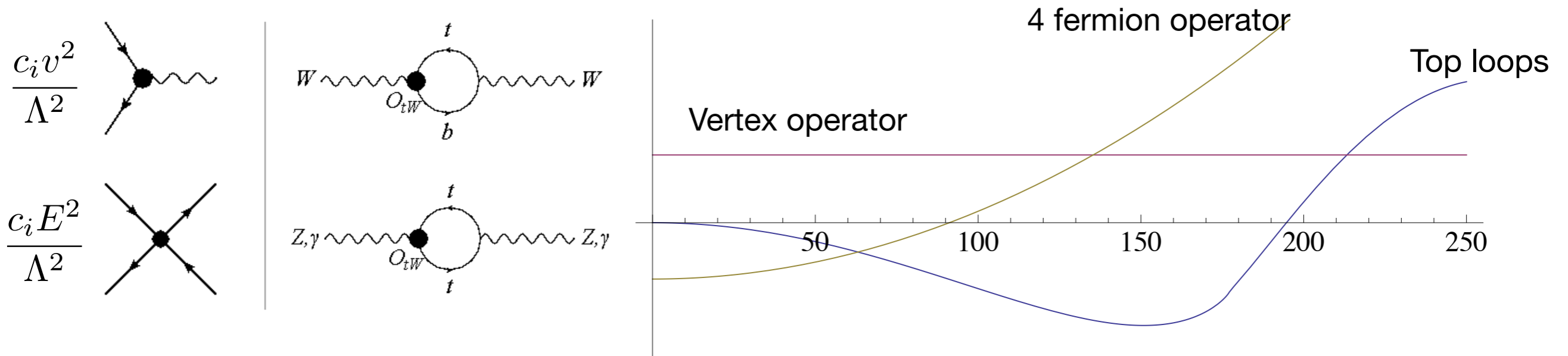
- At LEP1/2, low-energy precision measurements, and ee collider in the future:
  - Excellent **precision**, **limited energy and channels**
  - Use loops to open up more possibilities. Loop factor suppression will be compensated for by the precision.
- At the LHC, and future HL/HE upgrades:
  - **Large energy**, but **precision limited** by large systematic effects.
  - Use energy-growth effects to avoid the precision “floor”, i.e. same precision but at larger energy means much better constraining power.
- People have explored different ideas that in the above 2 categories, with limited channels/scenarios, to demonstrate their usefulness.
- **Still, the ultimate reach should be assessed with a global fit with these new observables/ideas/calculations implemented.**



# Precision with loops

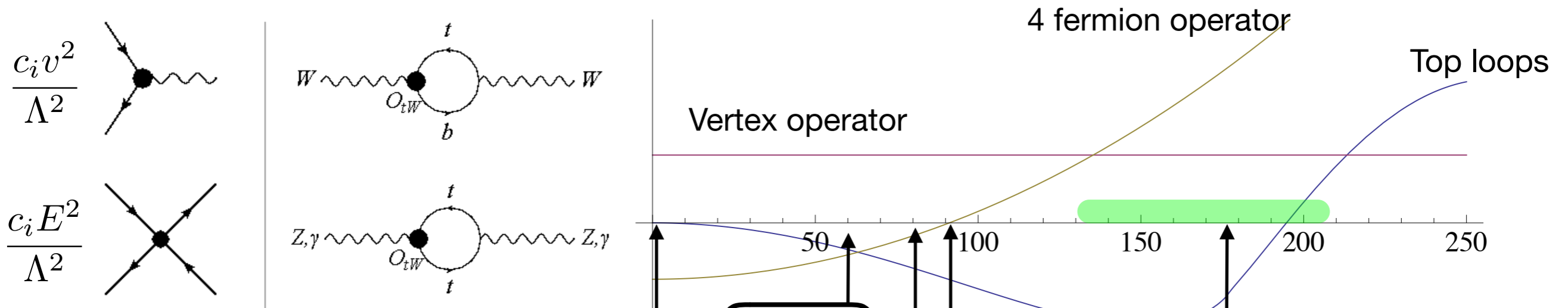


# EW fit: top couplings enter through loops



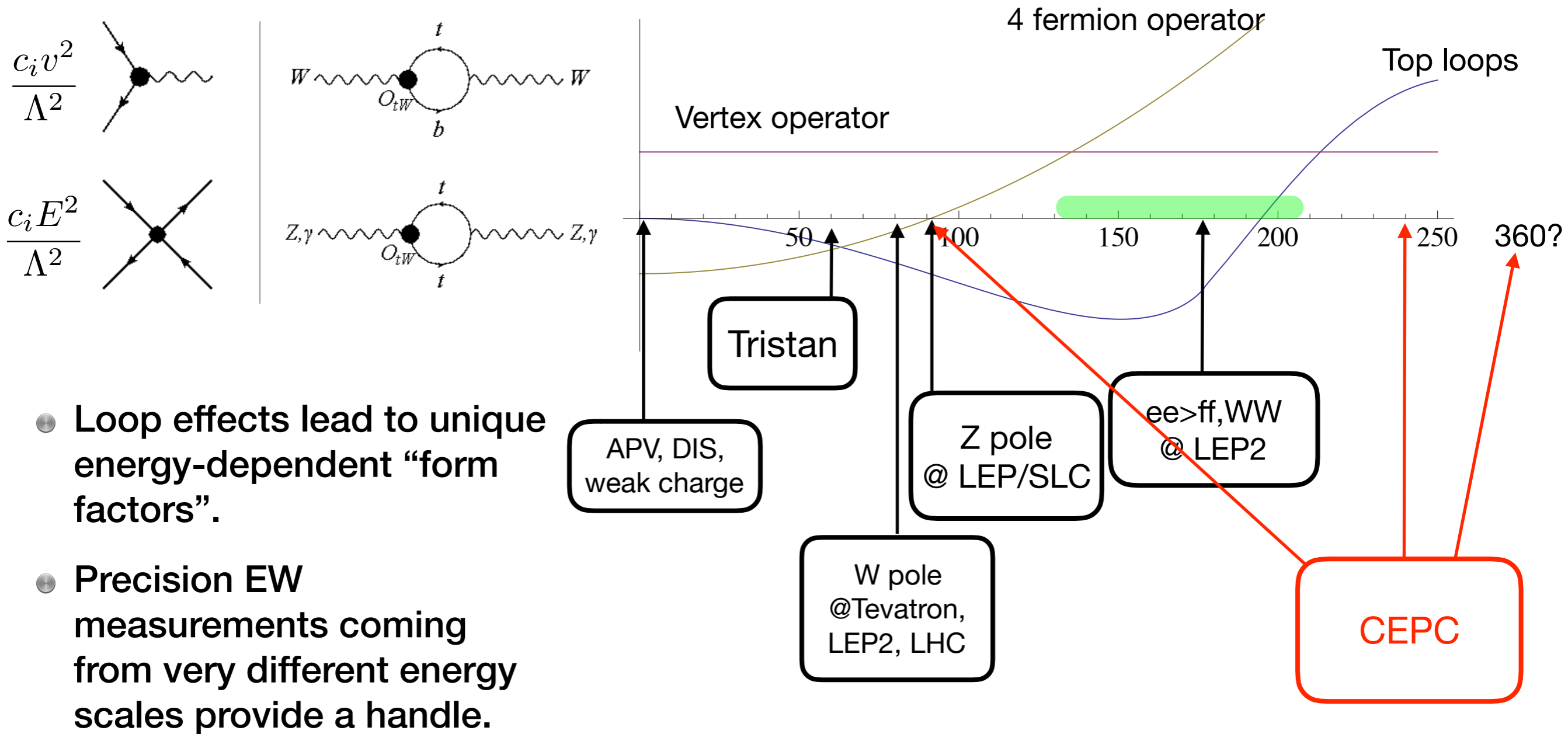
- Loop effects lead to unique energy-dependent “form factors”.
- Precision EW measurements coming from very different energy scales provide a handle.

# EW fit: top couplings enter through loops

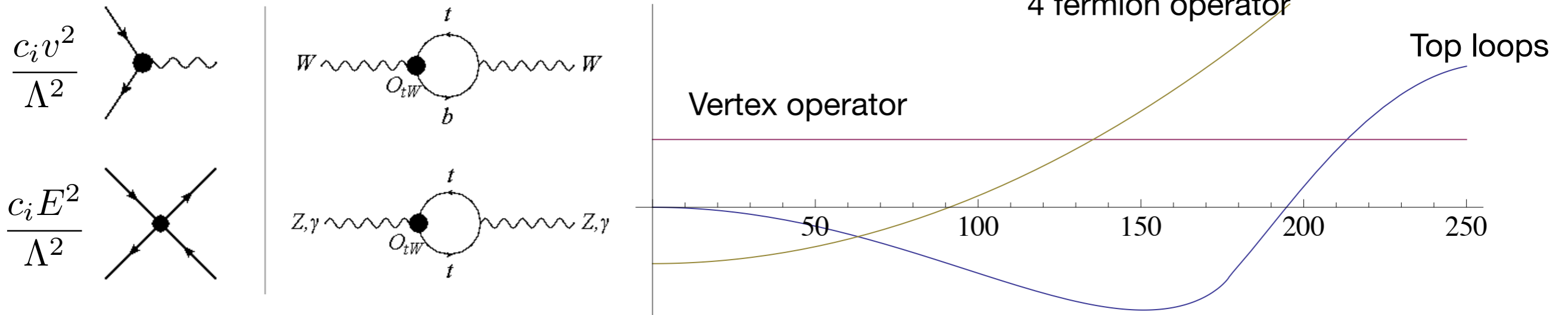


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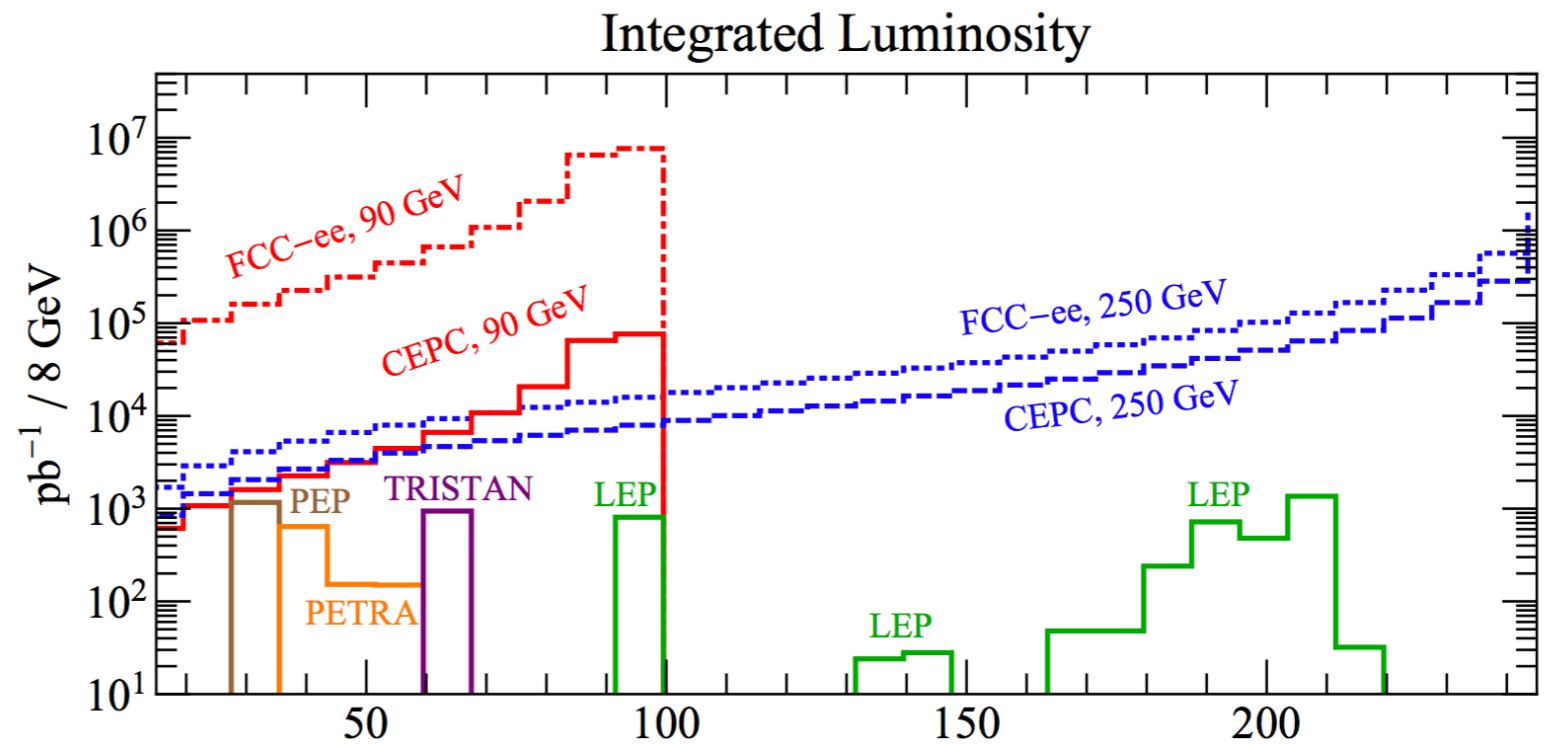
# EW fit: top couplings enter through loops



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- Loop effects lead to unique energy-dependent “form factors”.
- Precision EW measurements coming from very different energy scales provide a handle.



[M. Karliner 1503.07209]

# EW fit: top couplings enter through loops

[CZ, Greiner, Willenbrock 1201.6670]

$$\begin{pmatrix} -0.702 & -0.701 & -0.000 & +0.128 & -0.003 & +0.000 & -0.000 & -0.000 \\ -0.094 & -0.087 & -0.002 & -0.992 & -0.019 & +0.001 & -0.001 & -0.000 \\ -0.342 & +0.349 & -0.398 & +0.017 & -0.761 & +0.056 & -0.136 & -0.039 \\ -0.326 & +0.323 & -0.591 & -0.009 & +0.632 & -0.065 & -0.191 & +0.015 \\ +0.137 & -0.137 & +0.128 & -0.000 & -0.003 & +0.138 & -0.935 & -0.229 \\ +0.034 & -0.034 & +0.039 & +0.001 & -0.094 & -0.745 & -0.244 & +0.610 \\ -0.003 & +0.003 & +0.007 & -0.000 & +0.025 & +0.646 & -0.090 & +0.757 \\ +0.505 & -0.505 & -0.689 & -0.000 & -0.108 & +0.014 & +0.054 & +0.009 \end{pmatrix}$$

$$\times \frac{1}{\Lambda^2} \begin{pmatrix} C_{\phi q}^{(3)} \\ C_{\phi q}^{(1)} \\ C_{\phi t} \\ C_{\phi b} \\ C_{tW} \\ C_{bW} \\ C_{tB} \\ C_{bB} \end{pmatrix} = \begin{pmatrix} -0.011 & \pm 0.014 \\ +0.59 & \pm 0.27 \\ -0.23 & \pm 1.10 \\ -1.75 & \pm 1.62 \\ -2.2 & \pm 11.9 \\ -9.2 & \pm 21.1 \\ +102.4 & \pm 50.4 \\ -1.36e+3 & \pm 1.38e+3 \end{pmatrix} \text{TeV}^{-2}.$$

Top operators

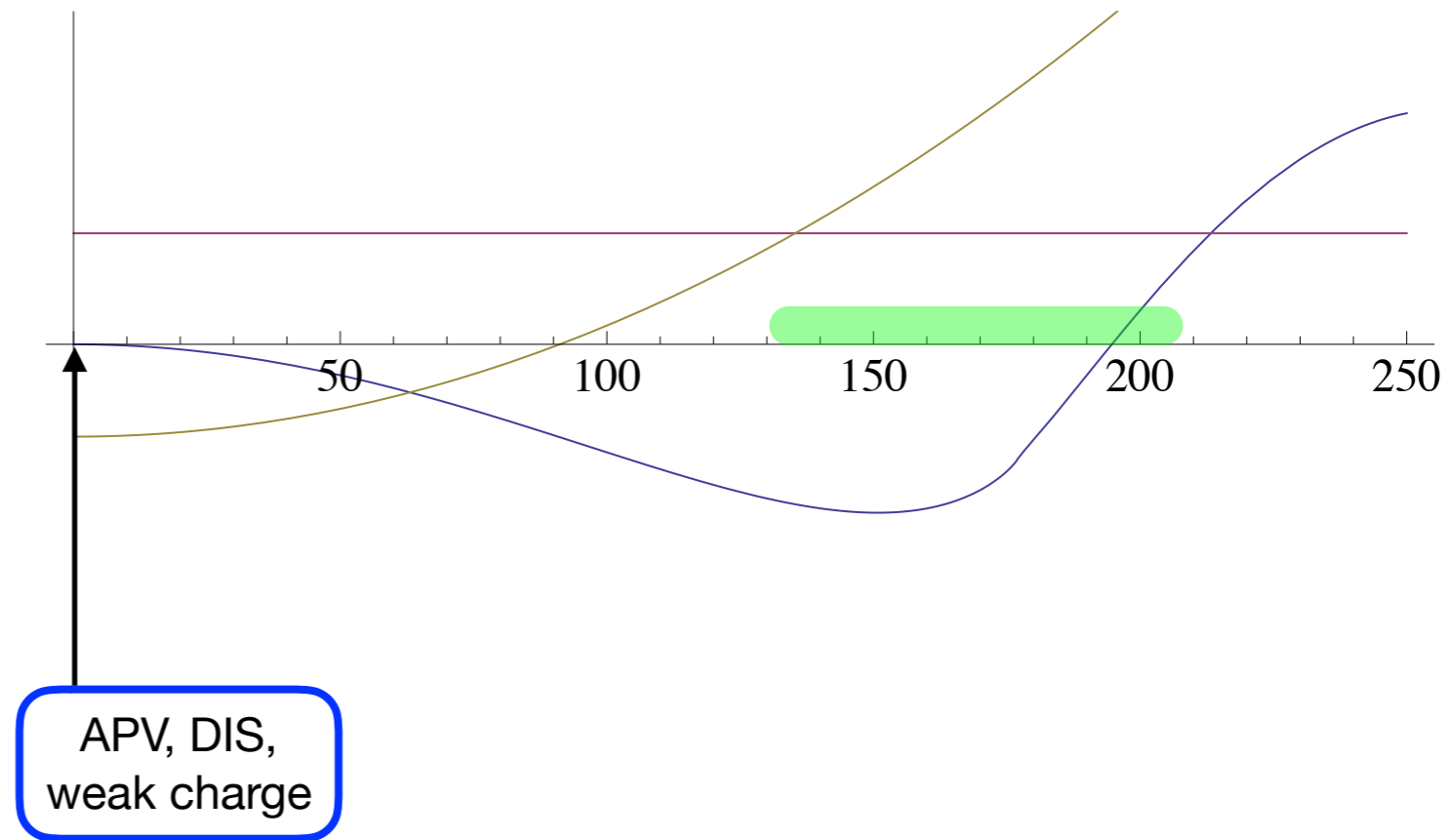
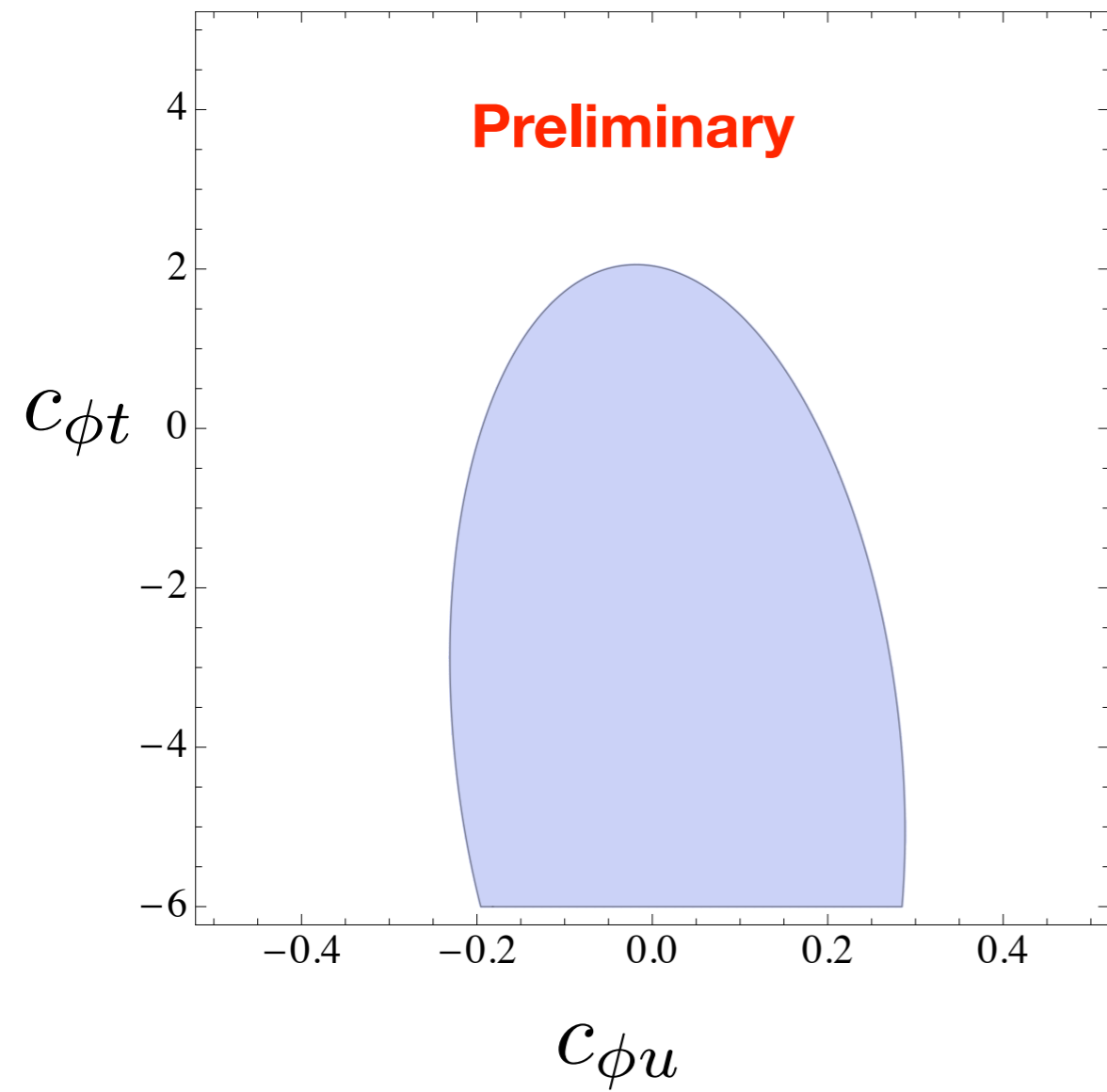
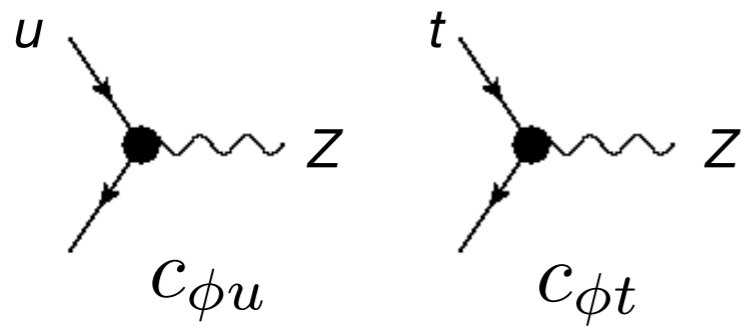
1 sigma limits

[SMEFIT 1901.05965]

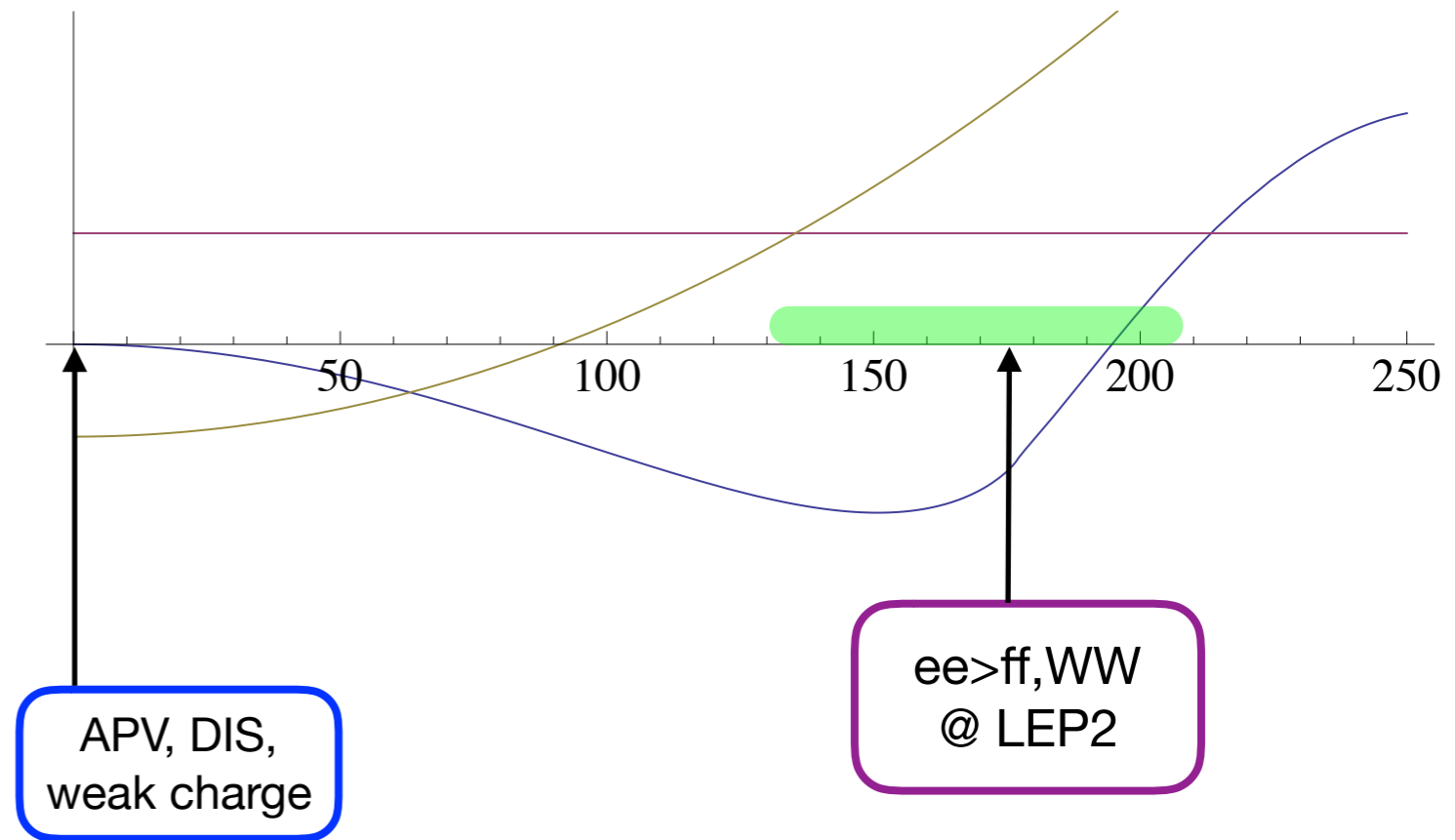
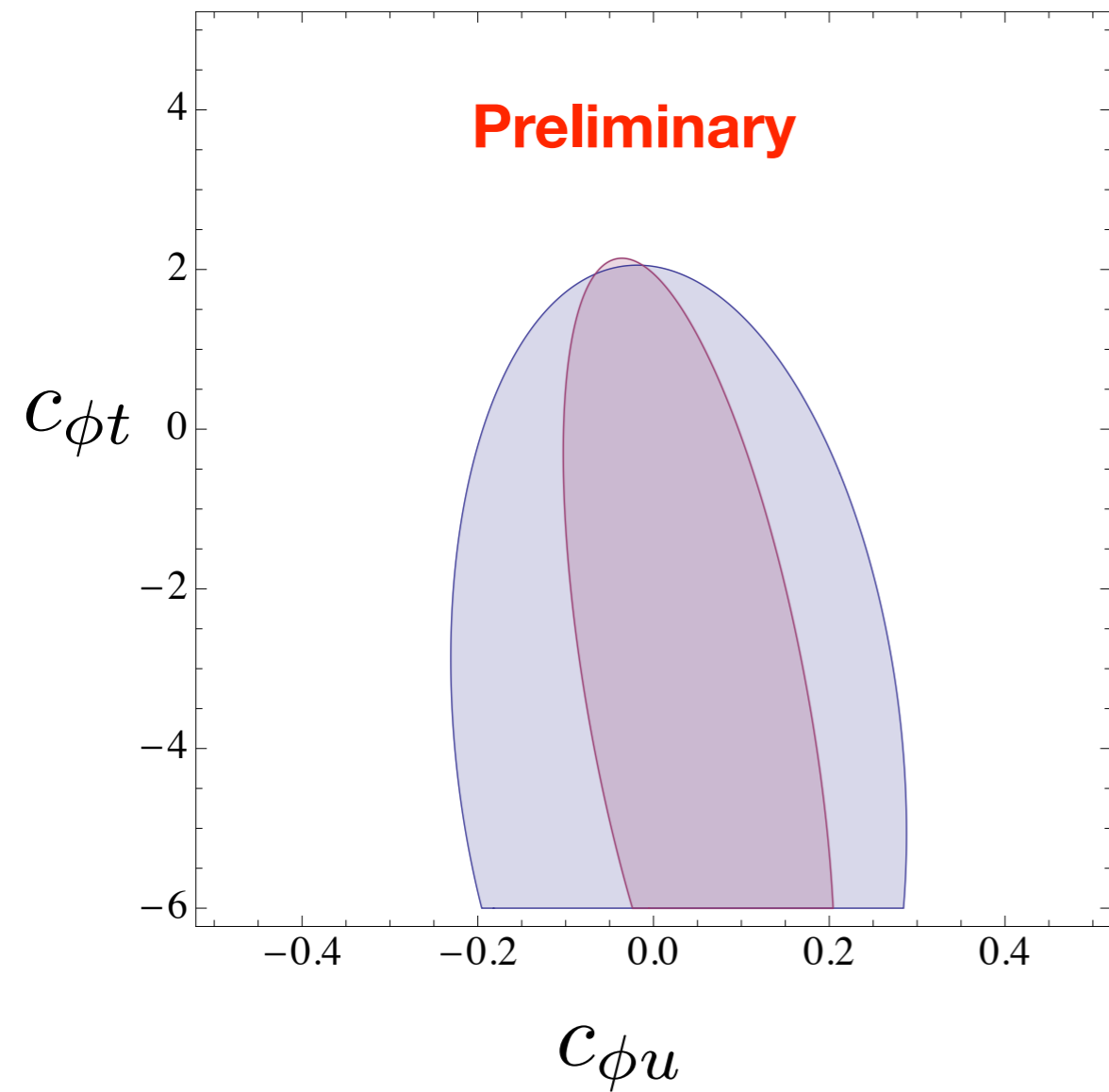
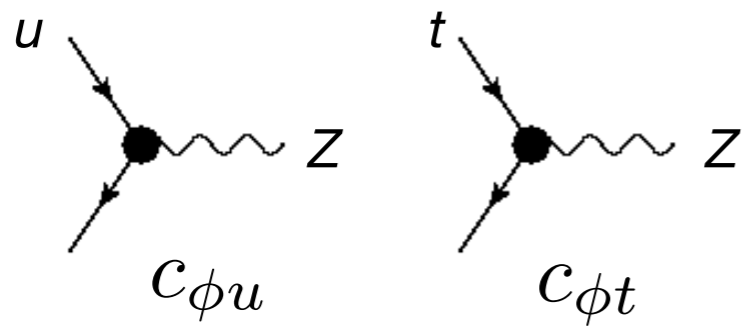
	Direct LHC	Indirect EW
$c_{tG}$	$[-0.4, 0.4]$	
$c_{tW}$	$[-1.8, 0.9]$	$[-2.8, 2.0]$ (EW)
$c_{bW}$	$[-2.6, 3.1]$	$[-15, 37]$ (EW)
$c_{tZ}$	$[-2.1, 4.0]$	$c_{tB}: [-5.8, 15.4]$ (EW)
$c_{\phi tb}$	$[-27, 8.7]$	
$c_{\phi Q}^3$	$[-5.5, 5.8]$	
$c_{\phi Q}^-$	$[-3.5, 3]$	$[-3.4, 7.4]$ (EW)
$c_{\phi t}$	$[-13, 18]$	$[-2.0, 5.6]$ (EW)
$c_{t\phi}$	$[-60, 10]$	

Interplay of Top & EW sectors  
due to precision loop effects

95% limits on  $(c_{\phi u}, c_{\phi t})$ , marginalized over  $c_{\phi e}, c_{\phi WB}$  ( $\Lambda = 1$  TeV)

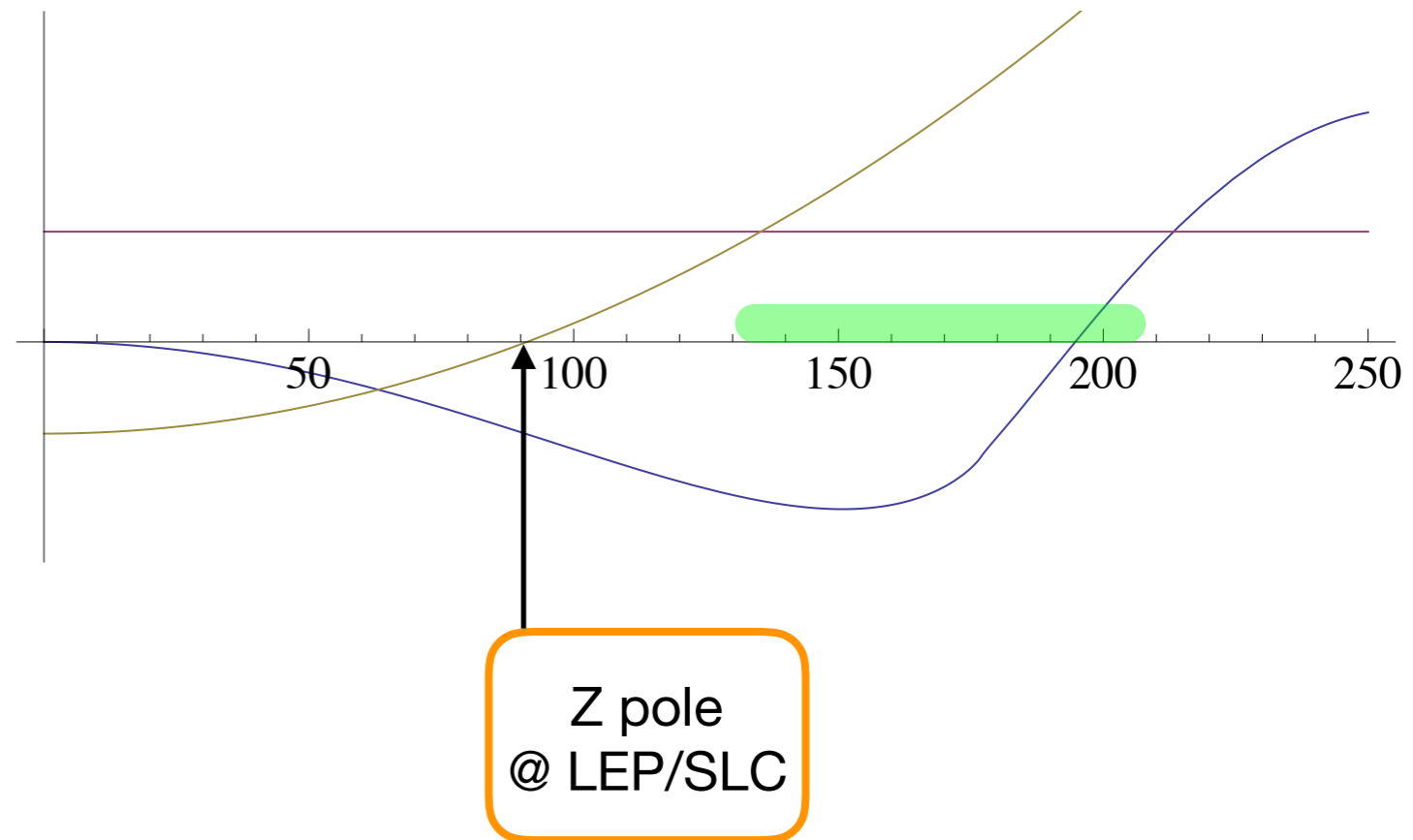
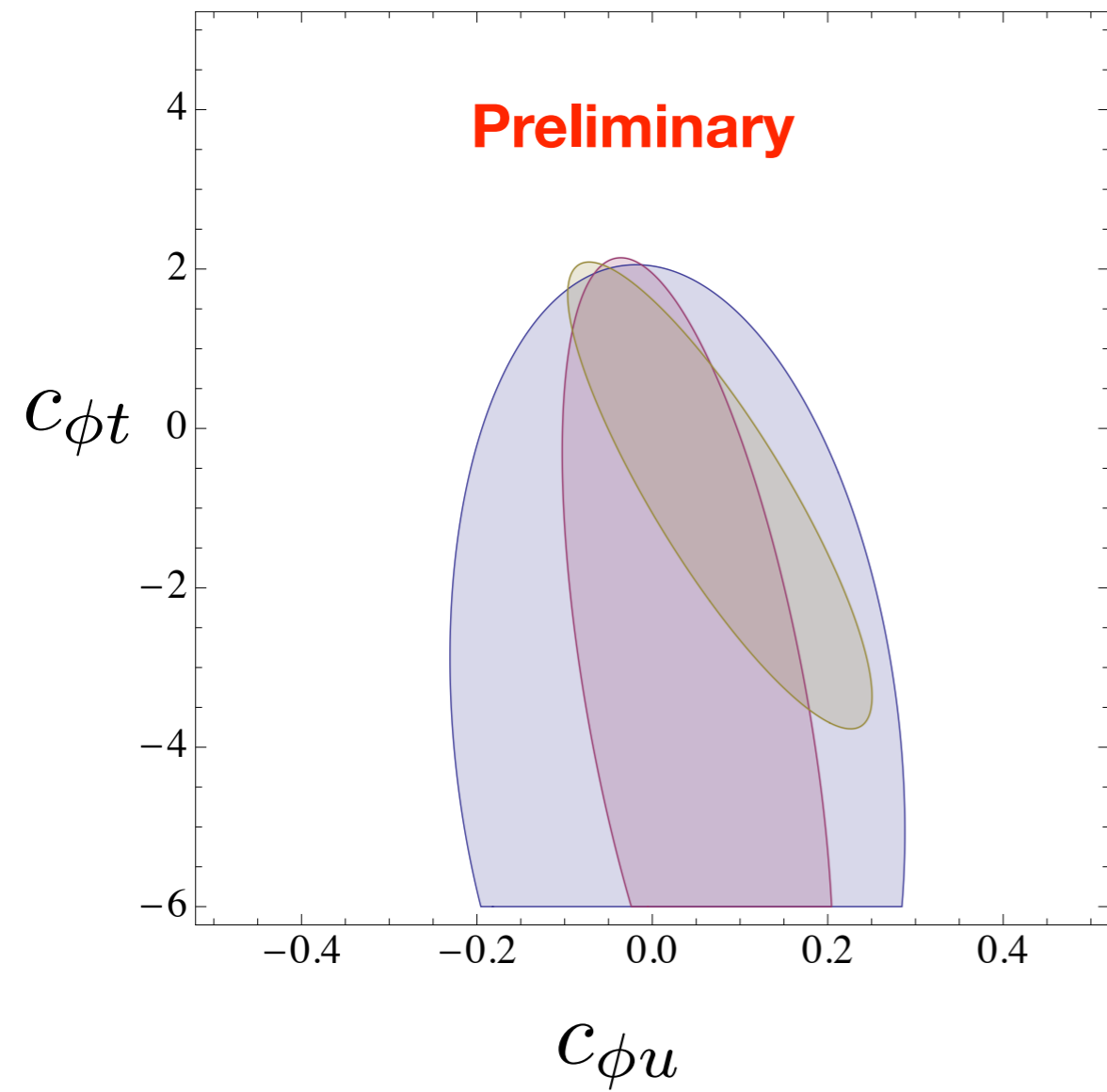
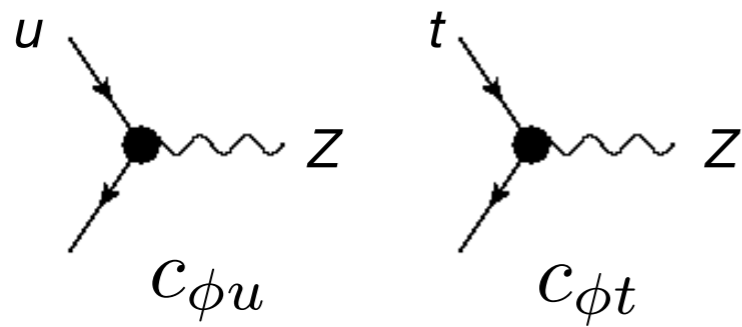


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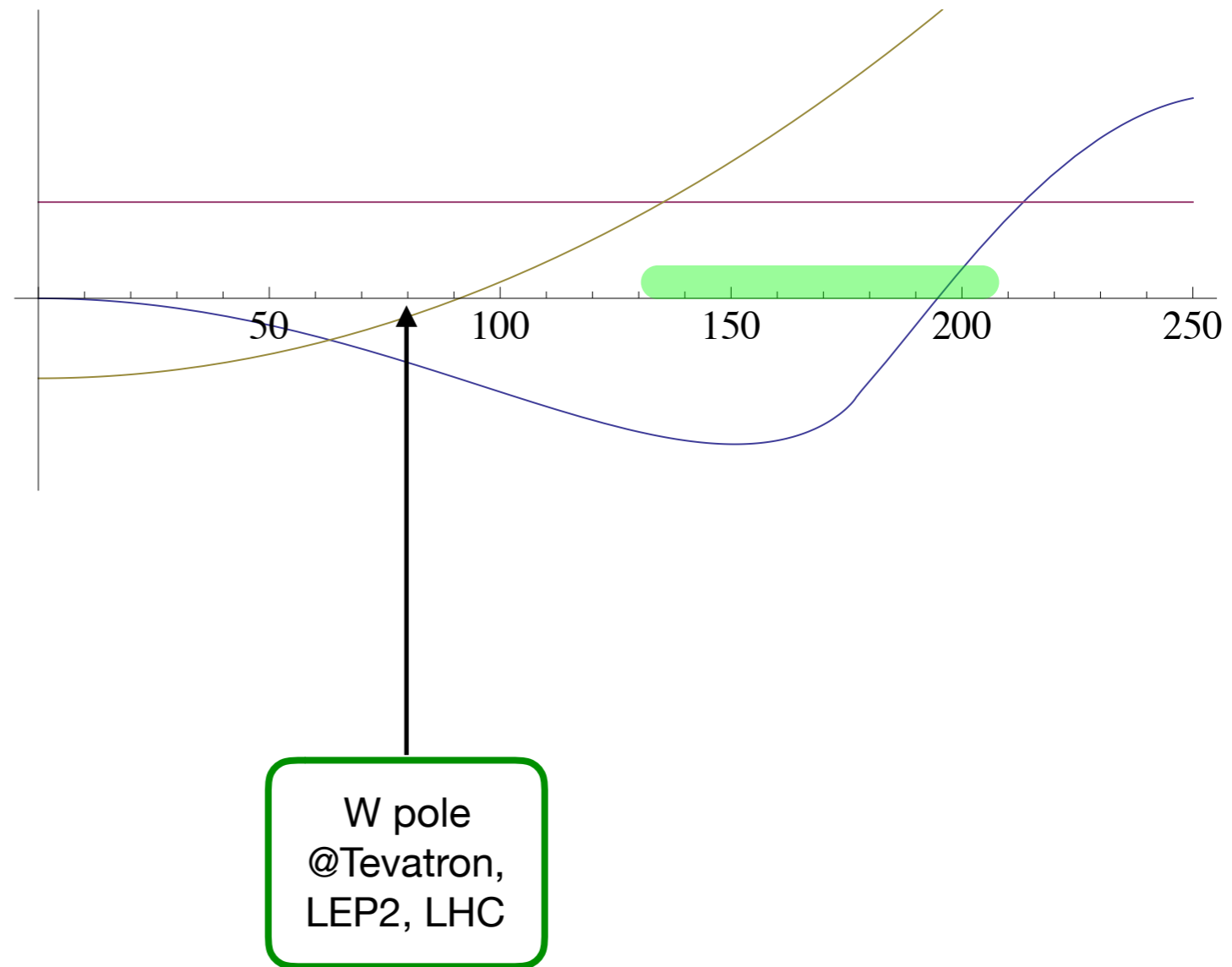
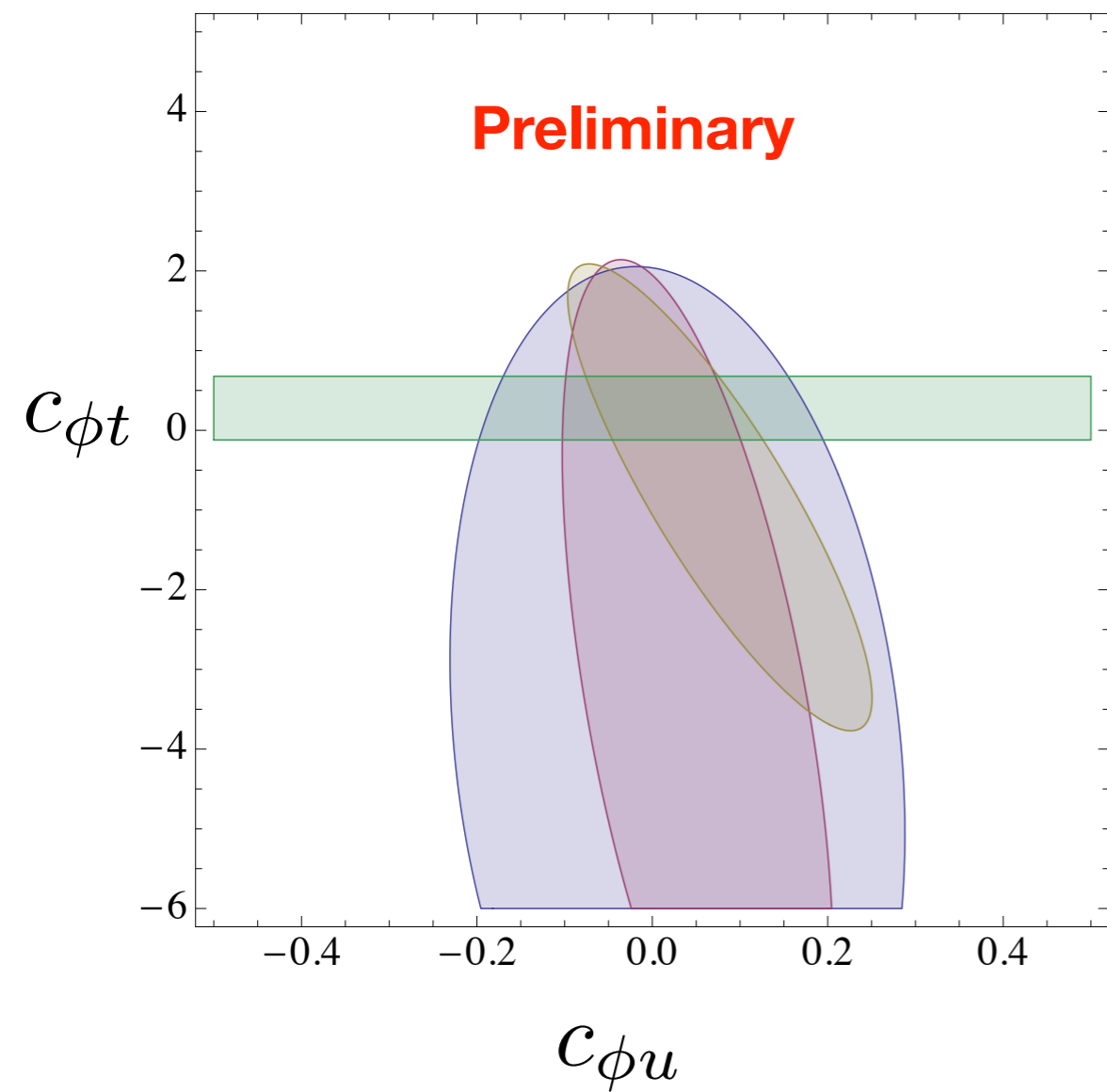
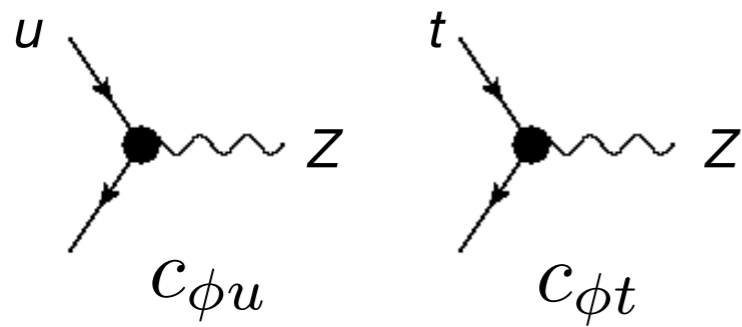




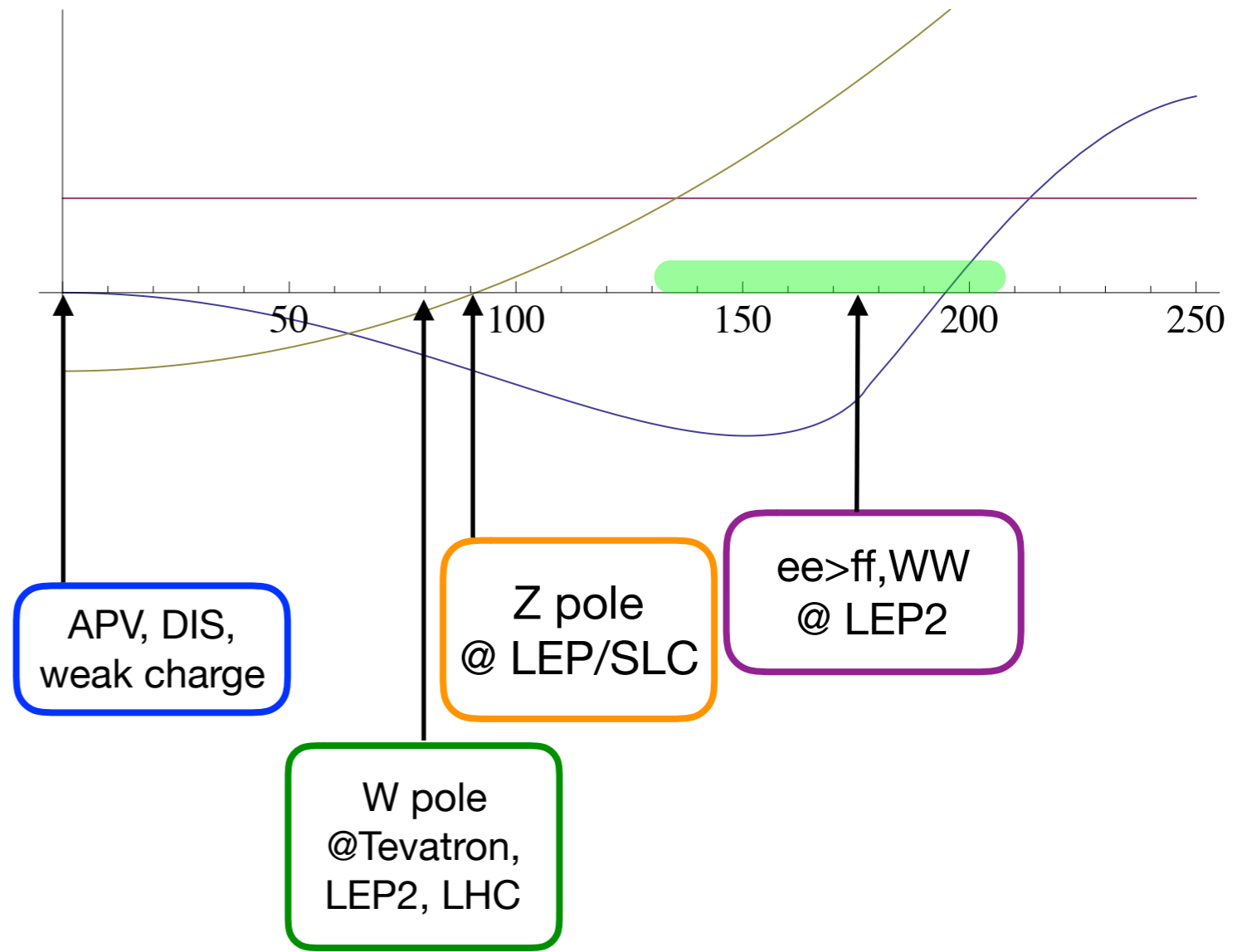
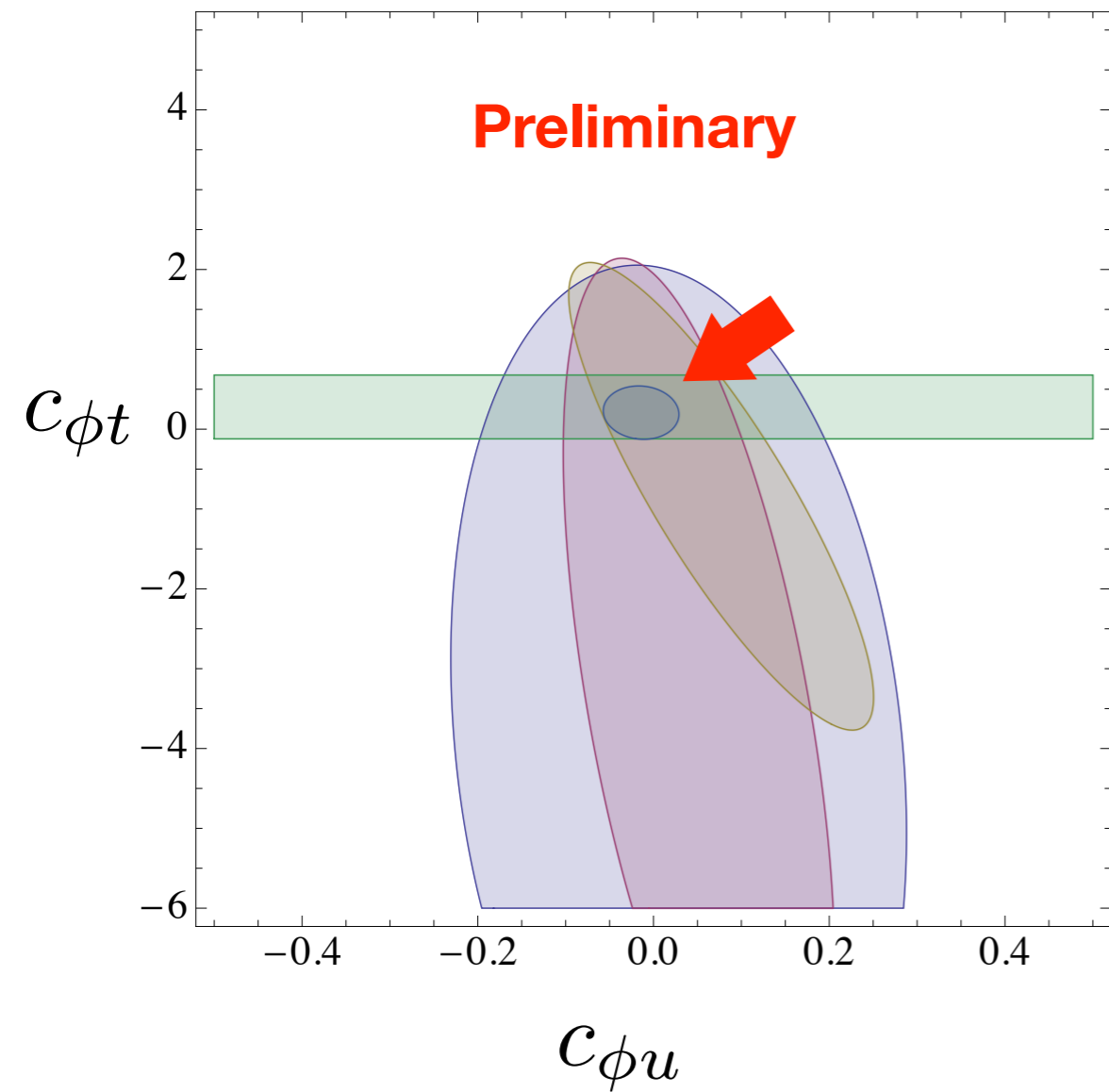
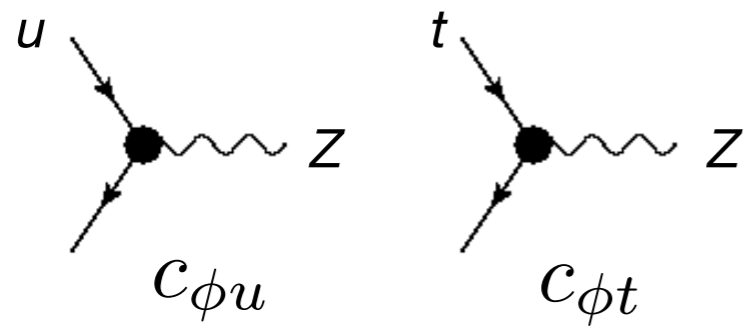
95% limits on  $(c_{\phi u}, c_{\phi t})$ , marginalized over  $c_{\phi e}, c_{\phi WB}$  ( $\Lambda = 1$  TeV)



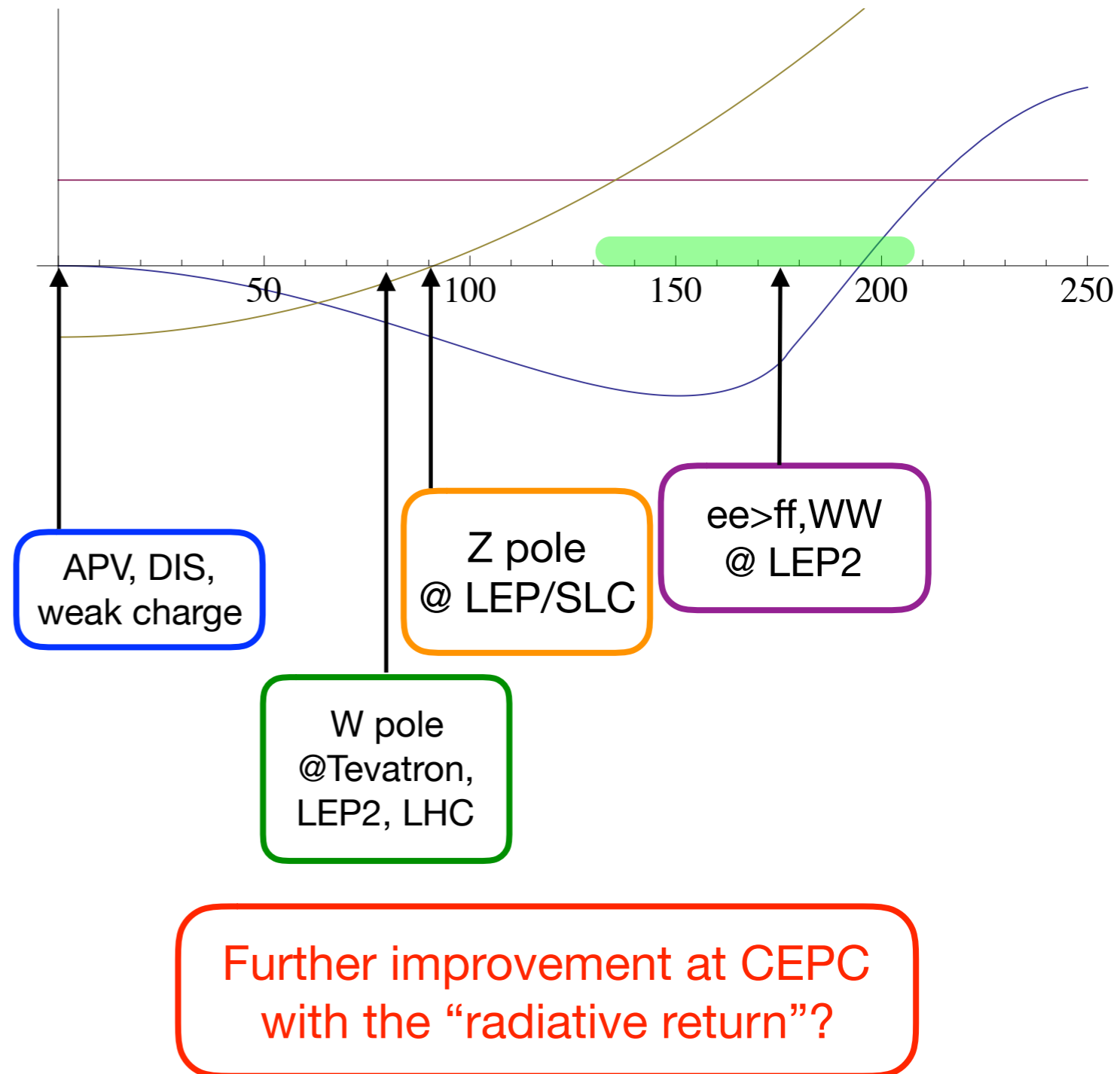
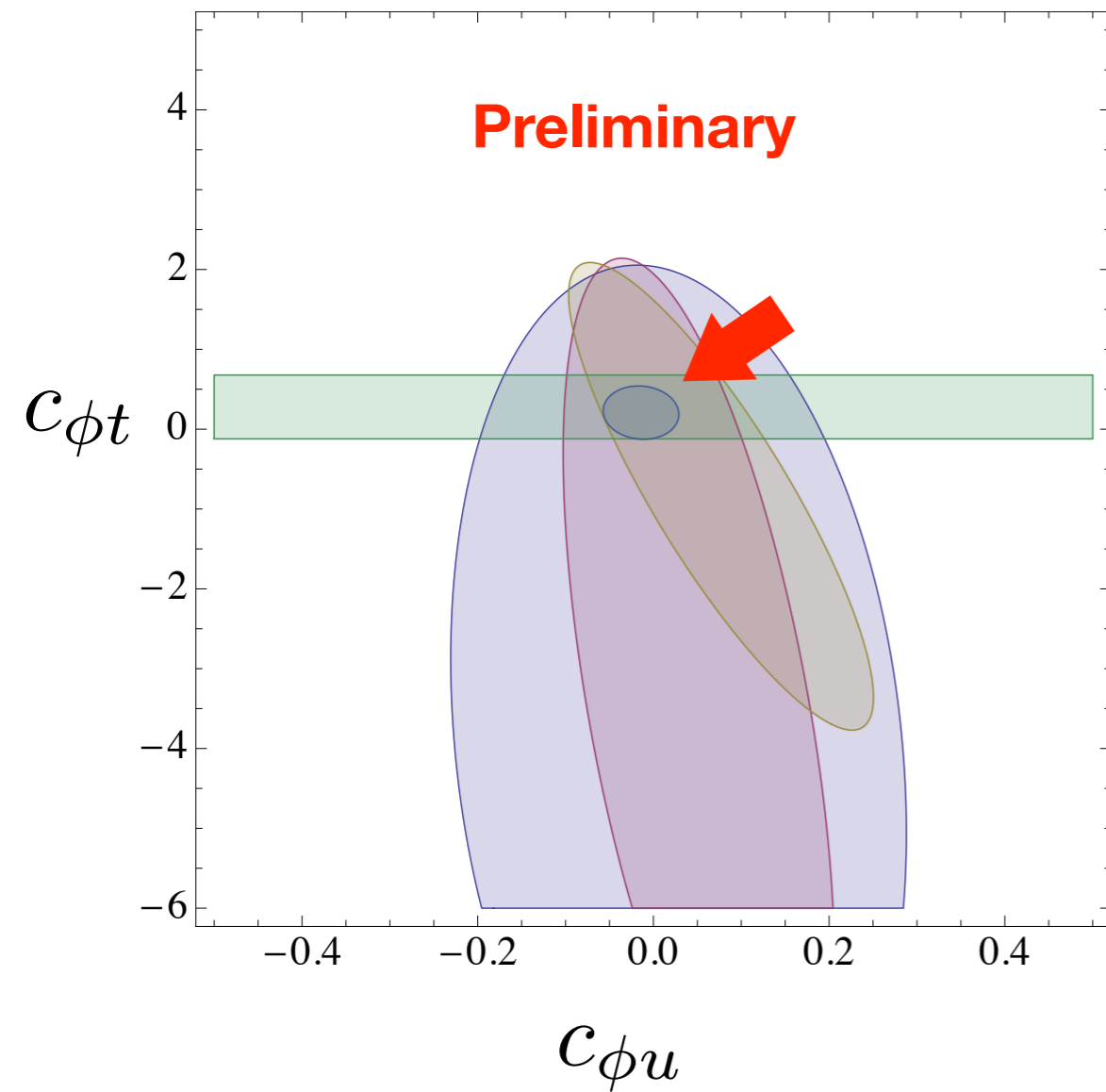
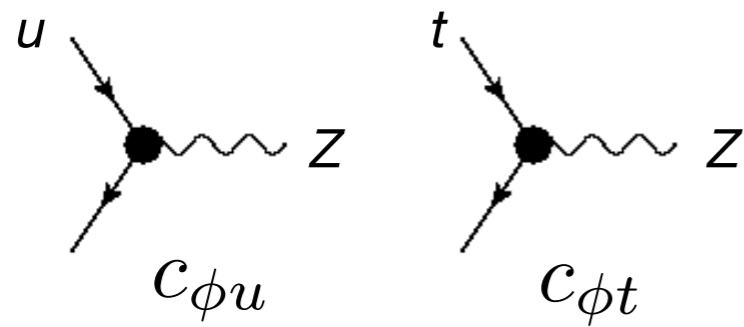
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95% limits on  $(c_{\phi u}, c_{\phi t})$ , marginalized over  $c_{\phi e}, c_{\phi W B}$  ( $\Lambda = 1$  TeV)



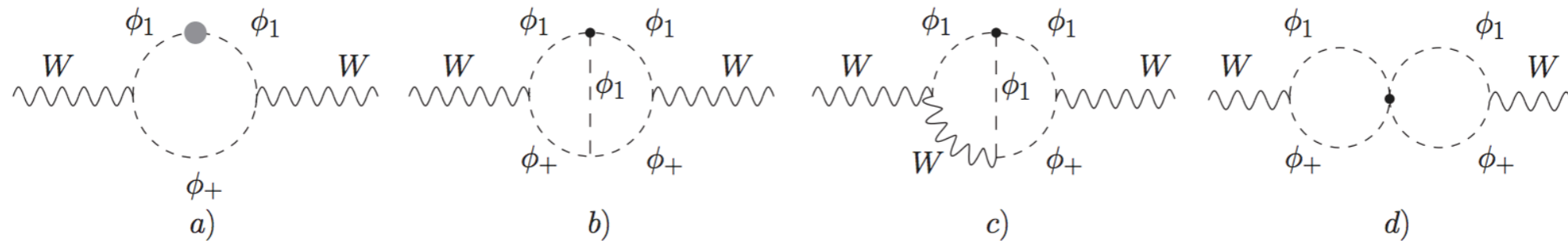
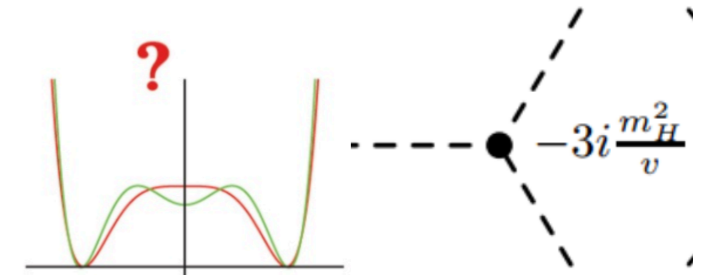
# EW fit: going to two loop

[Degrassi, Fedele, Giardino 1702.01737]

H couplings at one-loop are less interesting [Chen, Dawson, CZ '13]

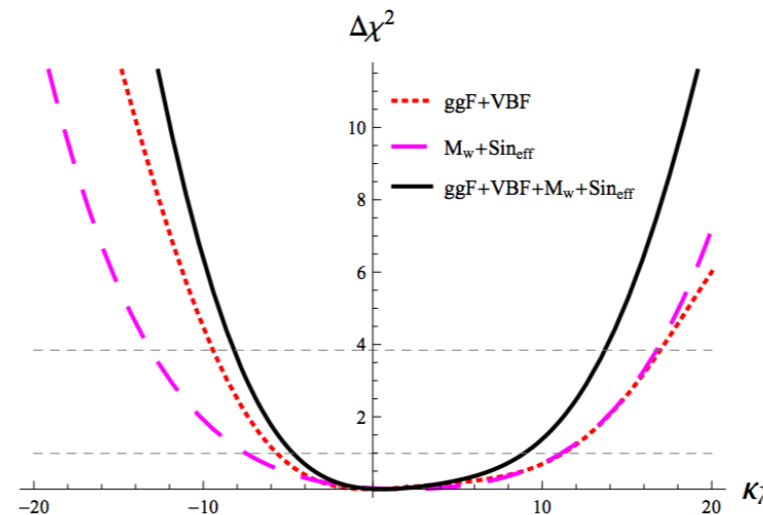
But: **Higgs trilinear coupling**

- Direct probe via di-Higgs at LHC
- One loop effect with single Higgs
- Two loop effects in EWPO: through W/Z self energies



$$O = O^{\text{SM}} [1 + (\kappa_\lambda - 1)C_1 + (\kappa_\lambda^2 - 1)C_2] ,$$

	$C_1$	$C_2$
$m_W$	$6.27 \times 10^{-6}$	$-1.72 \times 10^{-6}$
$\sin^2 \theta_{\text{eff}}^{\text{lep}}$	$-1.56 \times 10^{-5}$	$4.55 \times 10^{-6}$

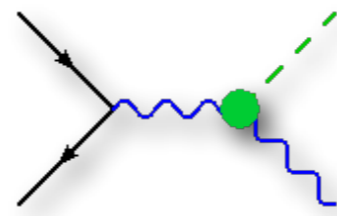


Currently  $O(10)$  bound.  
 ~10 improvement with  
 CEPC Z/W pole projection

# Higgs fit with loops

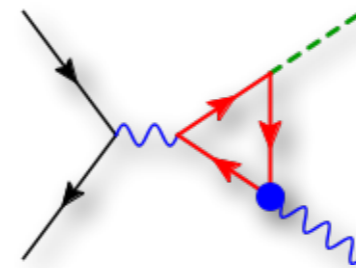
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- Higgs/diboson channels can reach ~5% precision at HL-LHC, and even better with future lepton collider. When this happens, we want to be able to disentangle



Dim-6 tree

and

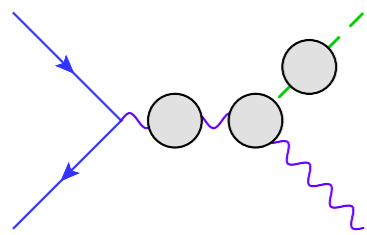


Dim-6 top loops

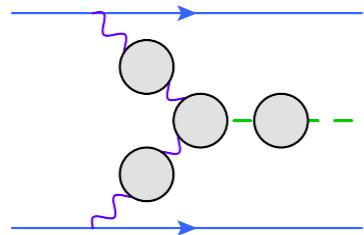
- NLO EW in SMEFT may not be small:

$$\mathcal{O}(\alpha_{EW}/\pi \cdot C_t/C_H) \text{ instead of } \mathcal{O}(\alpha_{EW}/\pi)$$

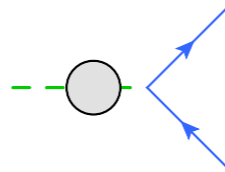
given that in general  $C_t$  is less constrained than  $C_H$ .



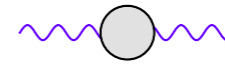
WH,ZH



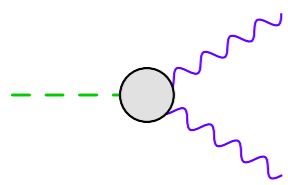
VBF



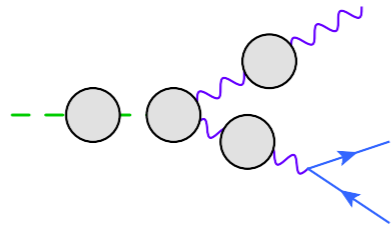
$H \rightarrow \mu\mu, \tau\tau$



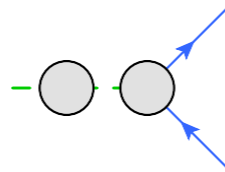
W,Z masses, oblique parameters



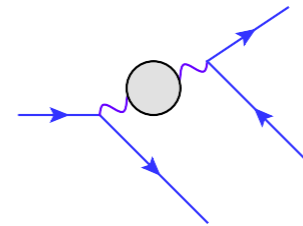
$H \rightarrow \gamma\gamma, \gamma Z$



$H \rightarrow Zll, Wll\nu$



$H \rightarrow bb$

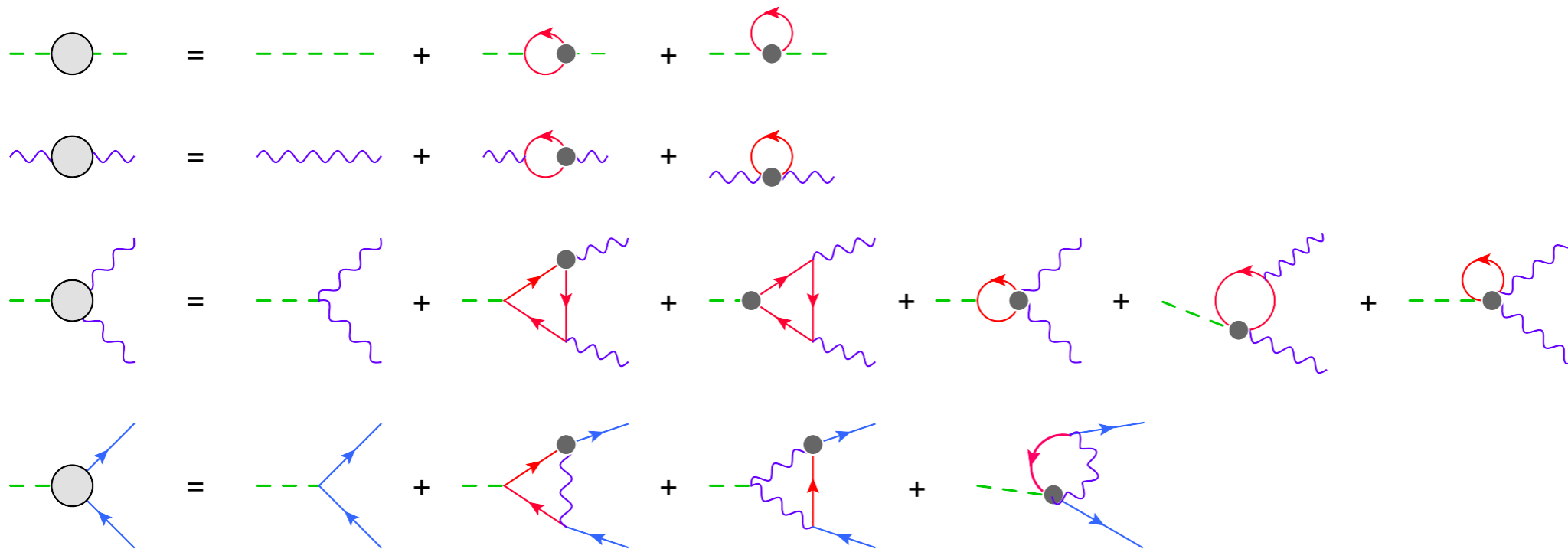


$\mu$  decay

All dim-6 top loop contributions in Higgs

Automated with  
**MG5\_aMC@NLO**

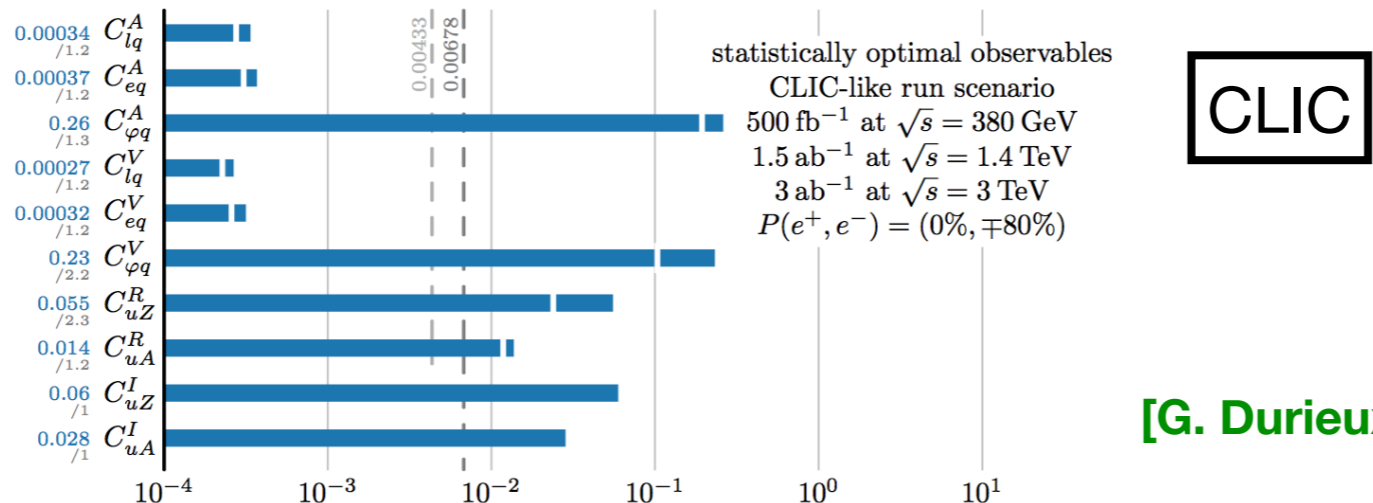
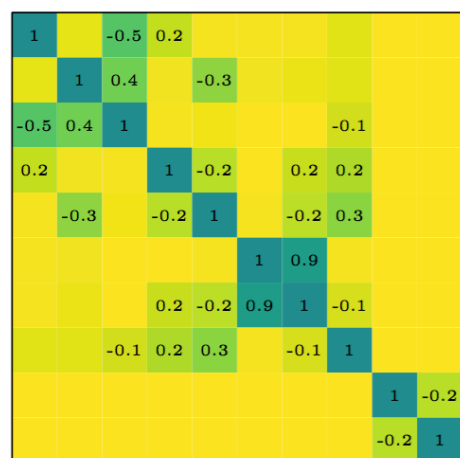
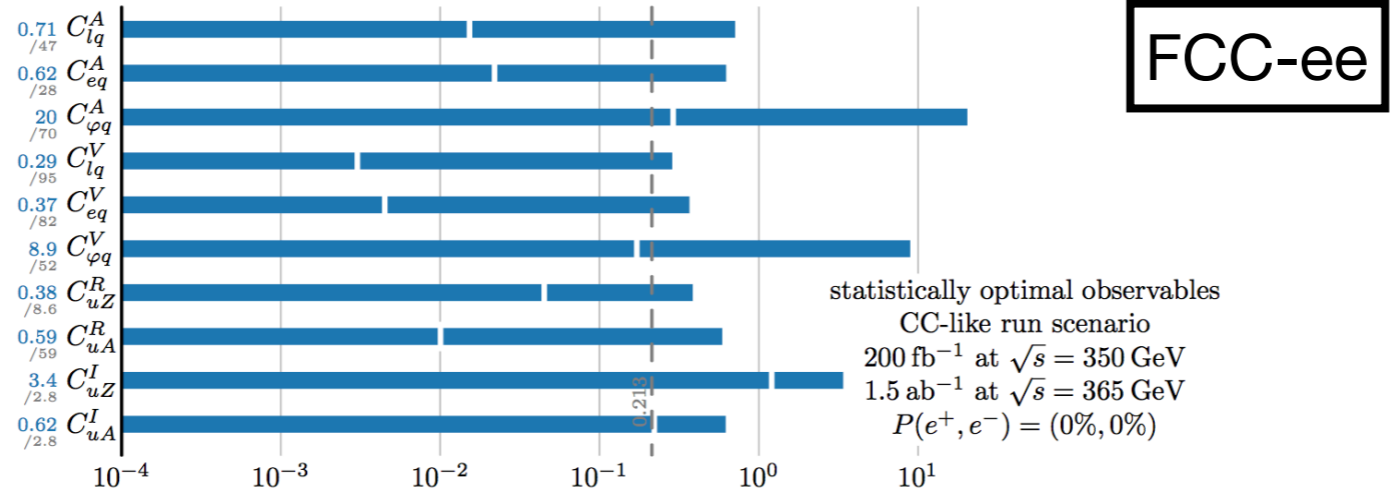
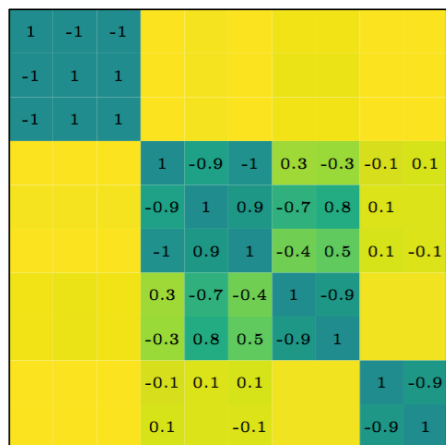
[Vryonidou, CZ '18]



# Top loops at CEPC

This is useful for CEPC because

- The 240 GeV run cannot access top couplings (except for FCNC couplings)
- A single 350 GeV run only adds 2 additional DoFs and is not enough to disentangle 10 operators:



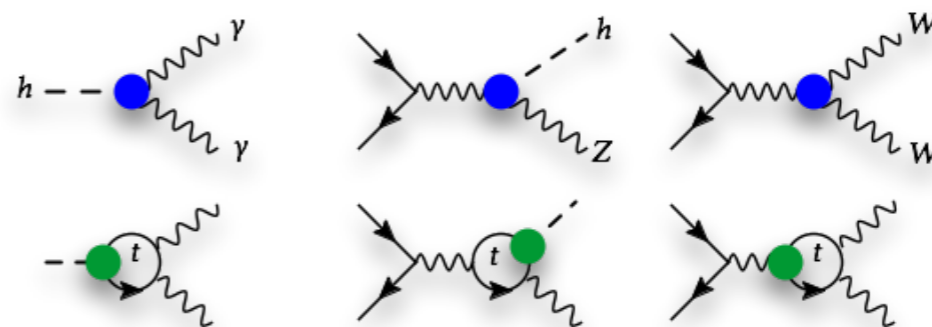
[G. Durieux, M. Perello, M. Vos, CZ '18]



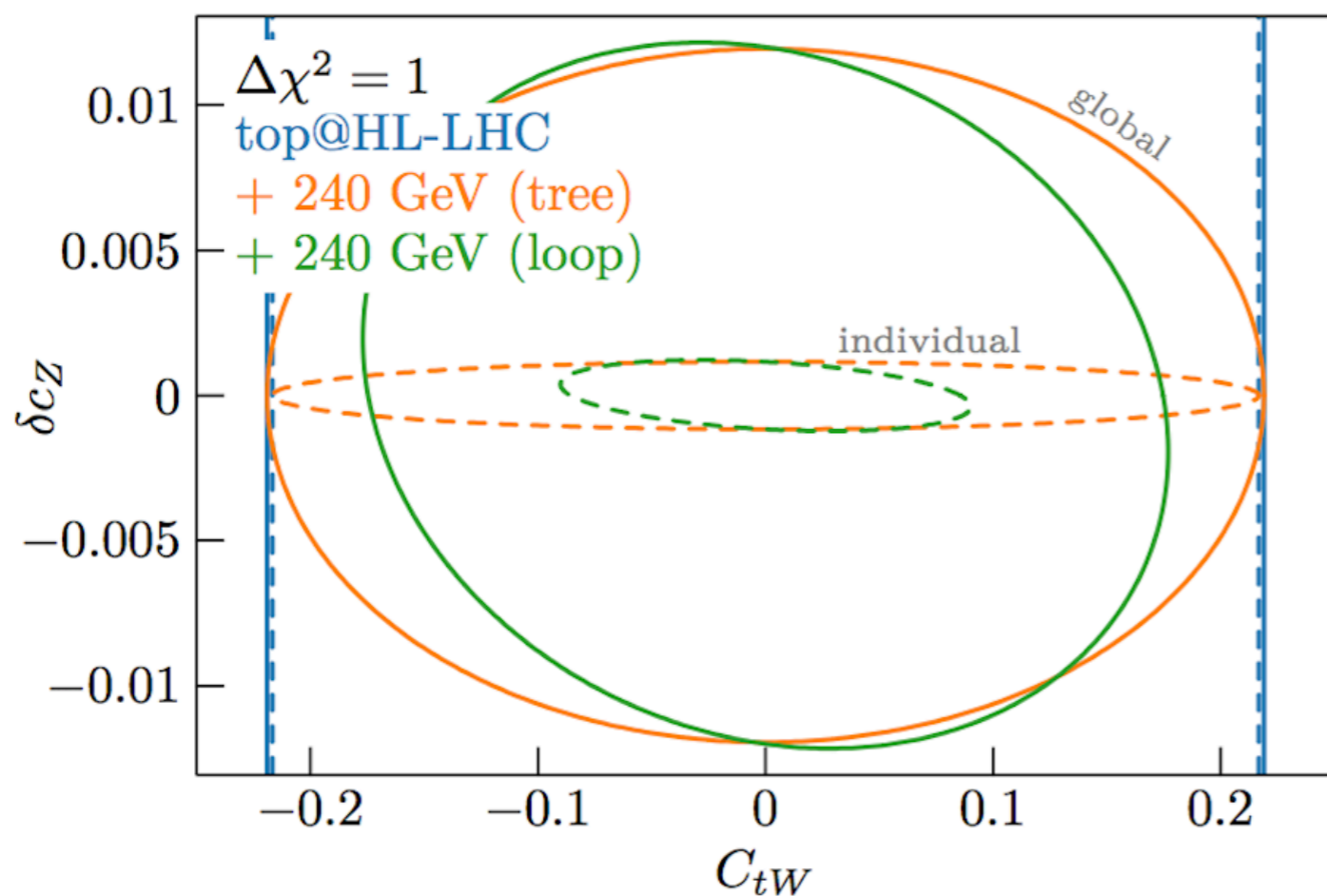
# Top loops at CEPC

[Durieux, Gu, Vryonidou, CZ '18]

Probing the tops below  $t\bar{t}$  threshold:



On a linear scale, in the  $(C_{tW}, \delta c_Z)$  plane:



Important information to add  
in a global top & Higgs fit

- extra parameter space covered thanks to loop sensitivity

# Higgs trilinear couplings in loops

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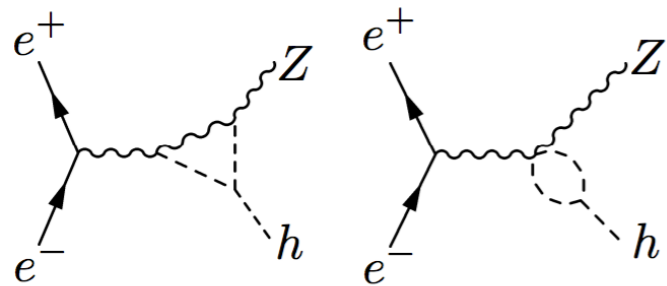


FIG. 1: NLO vertex corrections to the associated production cross section which depend on the Higgs self-coupling. These terms lead to a linear dependence on modifications of the self-coupling  $\delta_h$ .

[M. McCullough 1312.3322]

- **Problem:** loop probes are “indirect”, i.e. rely on assumptions that other BSM effects are not present.

# Higgs trilinear couplings in loops

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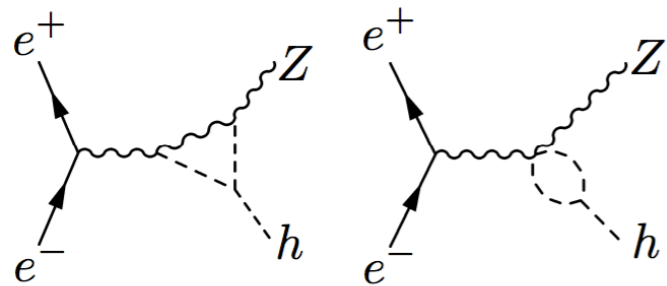


FIG. 1: NLO vertex corrections to the associated production cross section which depend on the Higgs self-coupling. These terms lead to a linear dependence on modifications of the self-coupling  $\delta_h$ .

[M. McCullough 1312.3322]

- **Problem:** loop probes are “indirect”, i.e. rely on assumptions that other BSM effects are not present.
- ➔ **The standard solution:** will have to use global fit to determine all couplings in a model-independent way

# Higgs trilinear couplings in loops

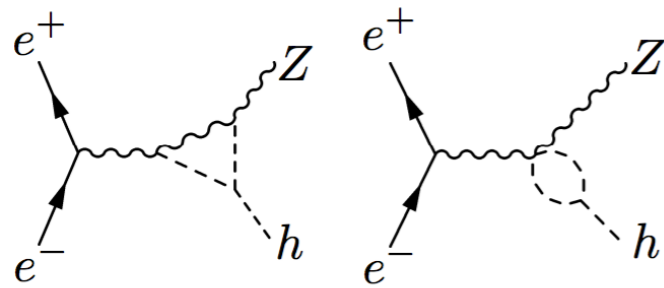


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[S. Di Vita et al. 1711.03978]

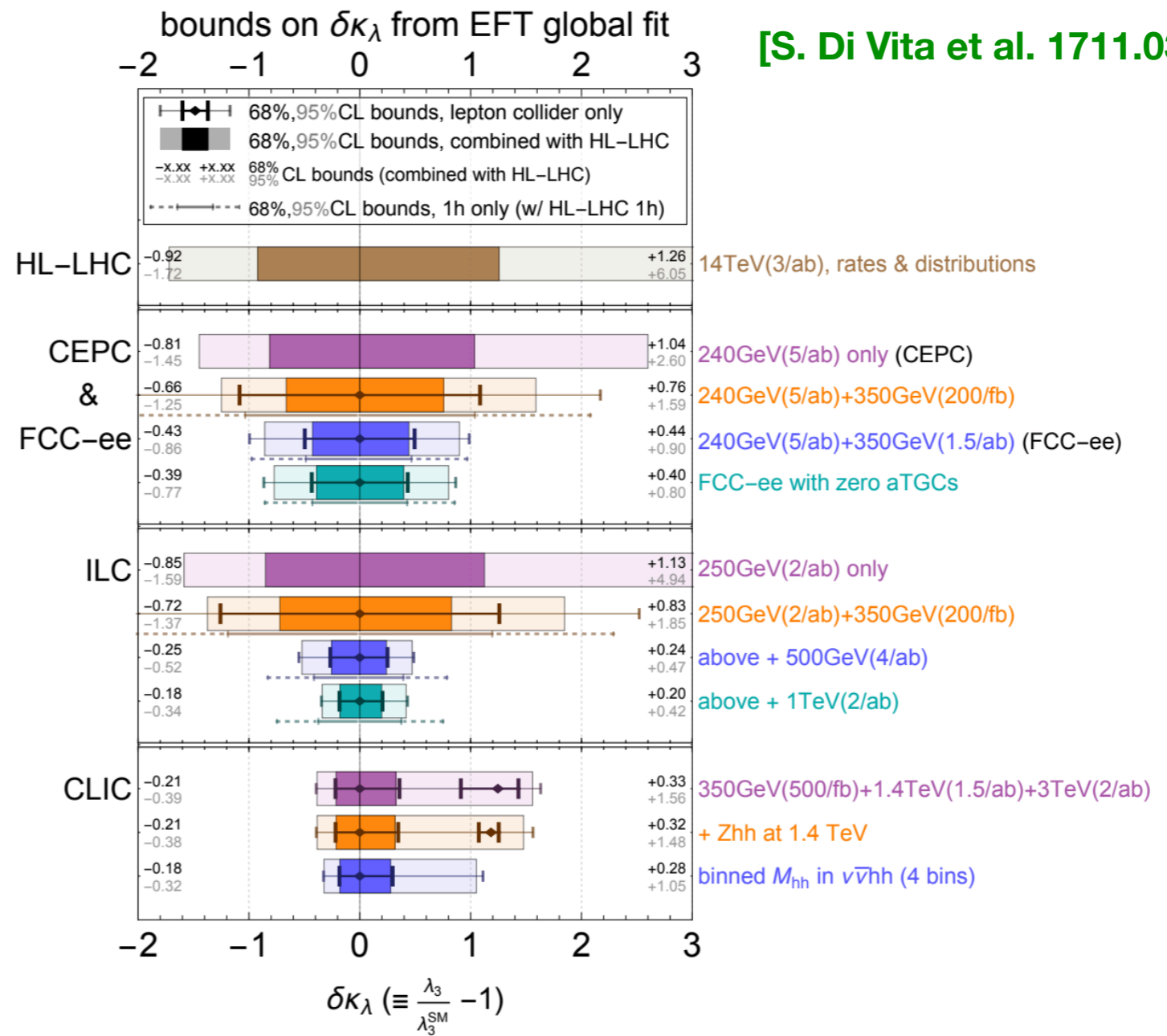


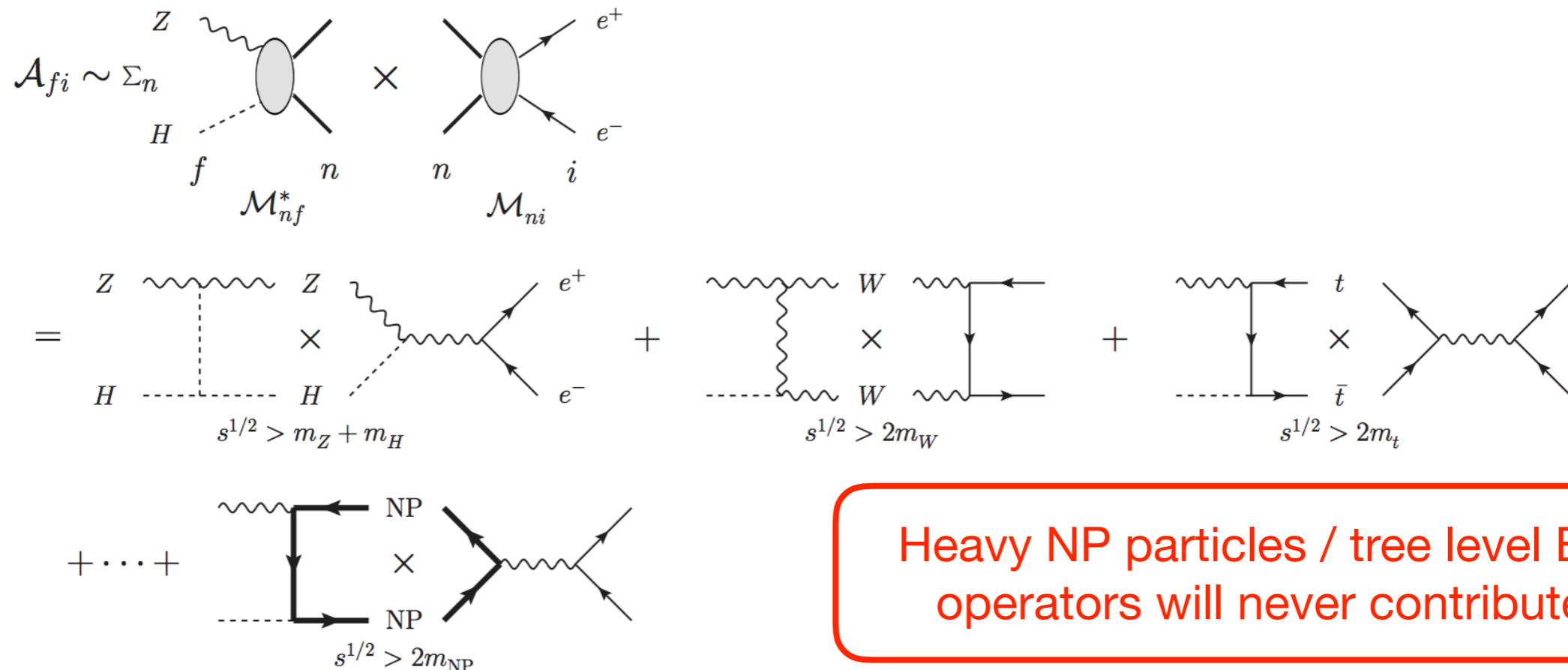
Figure 12: A summary of the bounds on  $\delta\kappa_\lambda$  from global fits for various future collider scenarios. For the “1h only” scenario, only single Higgs measurements at lepton colliders are included.

# Another solution: loops as “direct” probes

[J. Nakamura & A. Shivaji 1812.01576]

- **New idea:** choose the “right” observable (**naive time-reversal odd**) and turn the loop effects into “direct” measurement.

If T (or equally CP) is conserved, T-odd observables are proportional to the absorptive part



# Loops as “direct” probes

[J. Nakamura & A. Shivaji 1812.01576]

## • Consider $Z(\rightarrow ll) + H$

Under  $T$  transformation without interchanging the initial and final states,

$$\frac{d^3\sigma}{d\cos\Theta d\cos\theta d\phi} \rightarrow \underbrace{F_1(1 + \cos^2\theta) + F_2(1 - 3\cos^2\theta) + F_3\sin 2\theta\cos\phi + F_4\sin^2\theta\cos 2\phi}_{\text{T-even}}$$
$$+ \underbrace{F_5\cos\theta + F_6\sin\theta\cos\phi}_{\text{T-even}} - \underbrace{F_7\sin\theta\sin\phi + F_8\sin 2\theta\sin\phi + F_9\sin^2\theta\sin 2\phi}_{\text{T-odd}},$$

Define  $T$ -odd asymmetries ( $A_7, A_8, A_9$ ) by

$$A_{(7,8,9)} \equiv \frac{F_{(7,8,9)}}{F_1}, \quad A_7 \propto \frac{N(\sin\phi > 0) - N(\sin\phi < 0)}{N(\sin\phi > 0) + N(\sin\phi < 0)} \text{ etc}$$

8/11

# Loops as “direct” probes

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Define T-odd asymmetries ( $A_7, A_8, A_9$ )

$$A_{(7,8,9)} \equiv \frac{F_{(7,8,9)}}{F_1}$$

$$\begin{aligned} \mathcal{J}(q^2, \theta_1, \theta_2, \phi) = & J_1(1 + \cos^2\theta_1 \cos^2\theta_2 + \cos^2\theta_1 + \cos^2\theta_2) \\ & + J_2 \sin^2\theta_1 \sin^2\theta_2 + J_3 \cos\theta_1 \cos^2\theta_2 \\ & + (J_4 \sin^2\theta_1 \sin^2\theta_2 + J_5 \sin 2\theta_1 \sin 2\theta_2) \sin\phi \\ & + (J_6 \sin\theta_1 \sin\theta_2 + J_7 \sin 2\theta_1 \sin 2\theta_2) \cos\phi \\ & + J_8 \sin^2\theta_1 \sin^2\theta_2 \sin 2\phi + J_9 \sin^2\theta_1 \sin^2\theta_2 \cos 2\phi \end{aligned}$$

$$N(\sin\phi > 0) + N(\sin\phi < 0)$$

8/11

See talk by Abdualazem Fadol

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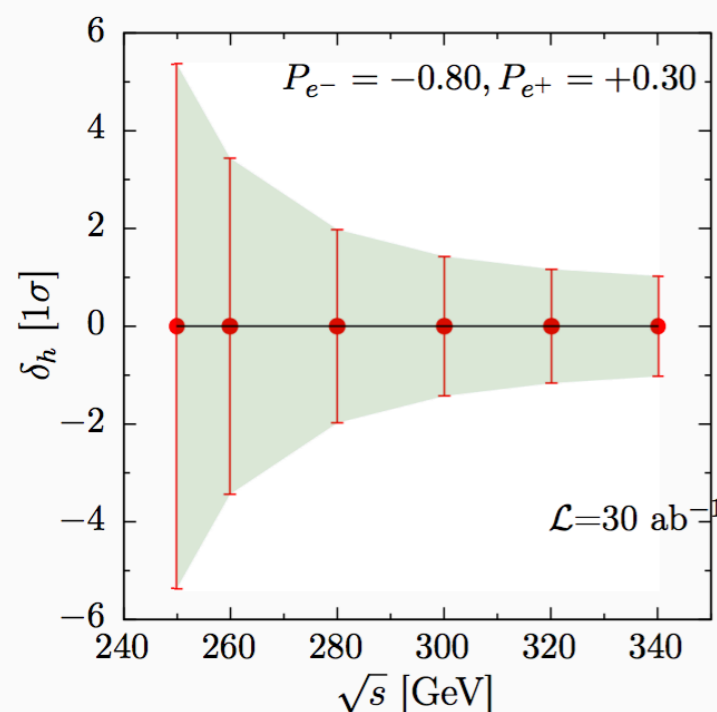
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8/11

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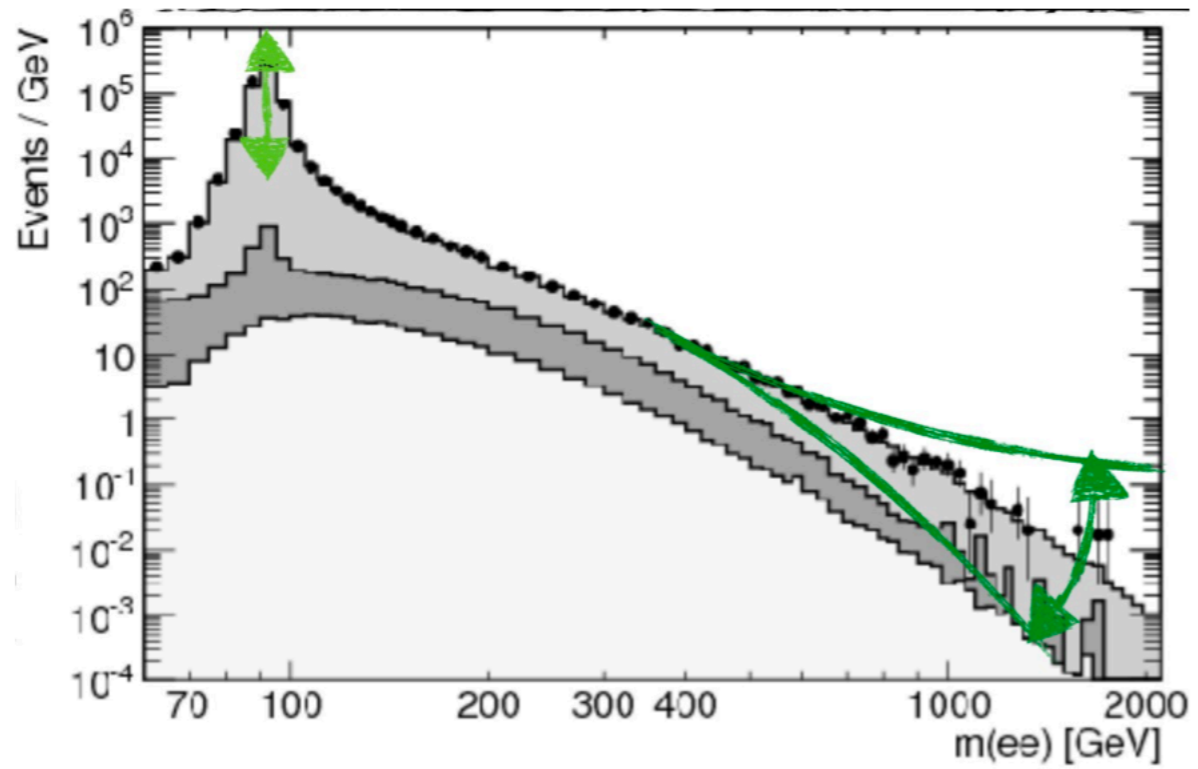
Difficult method, but

- Useful method to constrain HHH below 340
- Provide additional observable to isolate HHH from other couplings, **should be added to a global H/EW fit**
- May trigger other ideas in different channels



# EW at large energy

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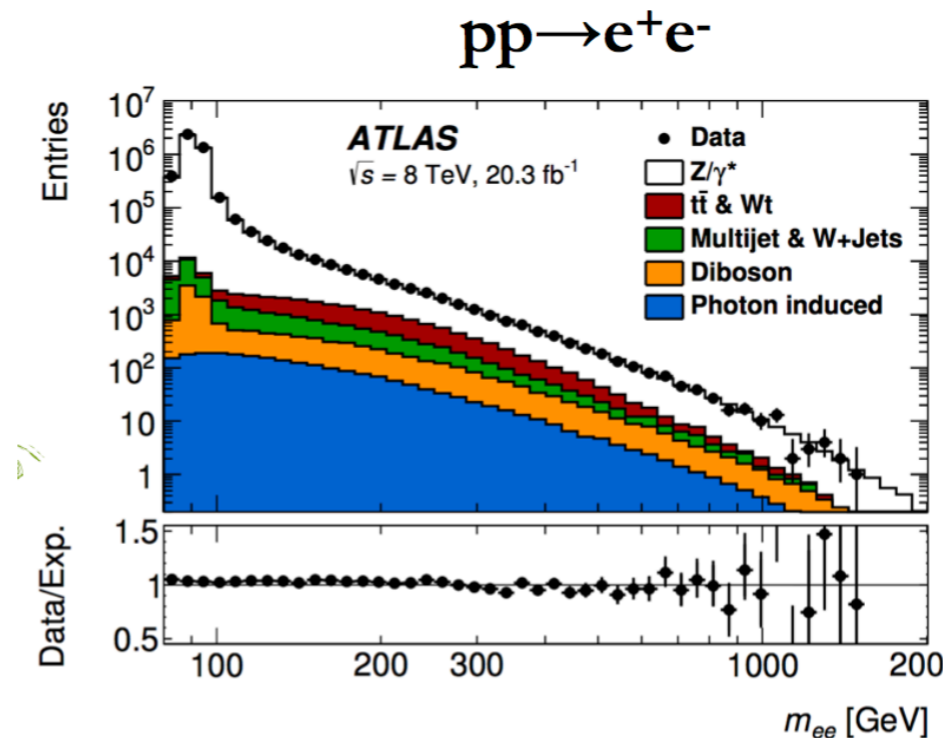
# DY at the LHC

Drell-Yan  $\sim 5\%$  precision, the **quark couplings** cannot compete with LEP

$$\frac{\sigma_{\text{LO}}(pp \rightarrow Z)}{\sigma_{\text{SM, LO}}(pp \rightarrow Z)} = 1 + 2.20 \delta g_L^{Zu} - 1.01 \delta g_R^{Zu} - 1.89 \delta g_L^{Zd} + 0.34 \delta g_R^{Zd},$$

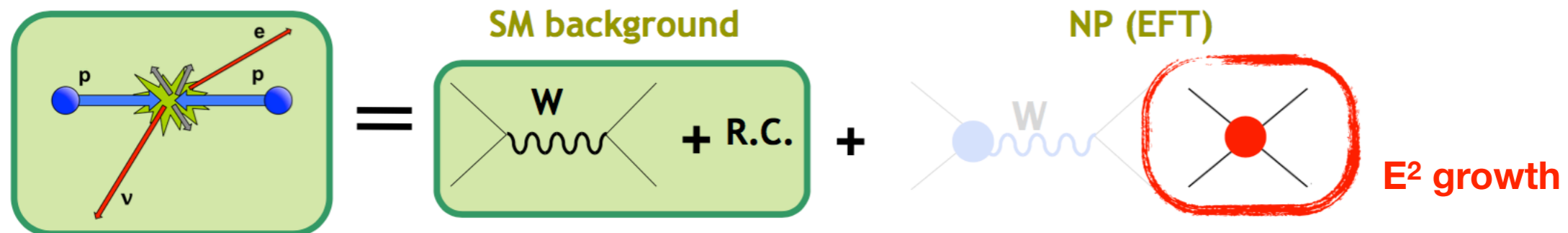
$$\frac{\sigma_{\text{LO}}(pp \rightarrow W)}{\sigma_{\text{SM, LO}}(pp \rightarrow W)} = 1 + 1.73 (\delta g_L^{Zu} - \delta g_L^{Zd}),$$

However, at the LHC we play with the energy lever arm:



$$\frac{\delta\sigma(\hat{s})}{\sigma_{\text{SM}}(\hat{s})} \sim \delta g_i \frac{\hat{s}}{m_Z^2}.$$

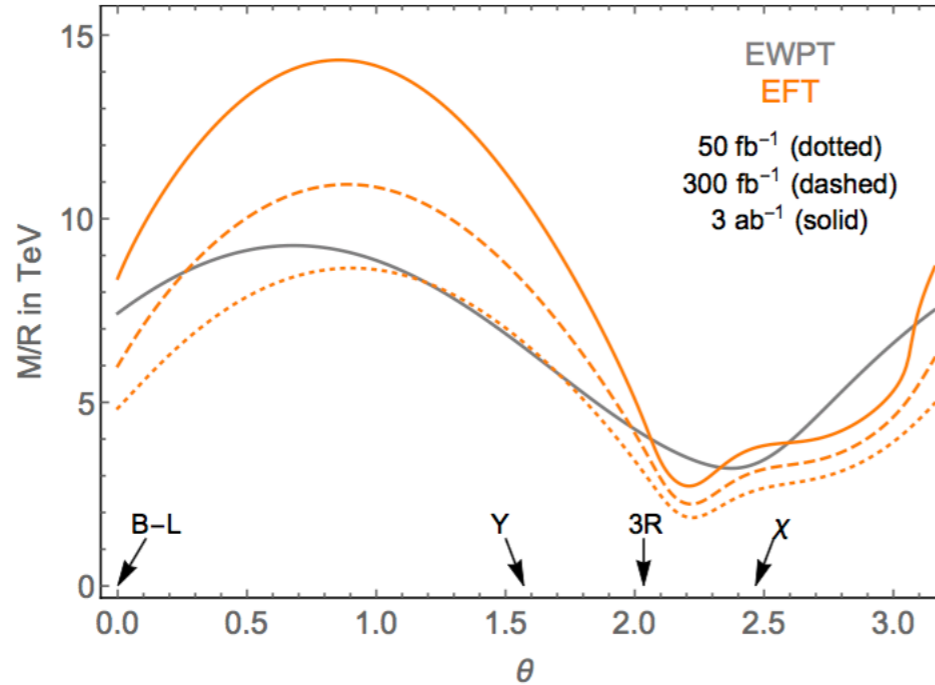
30% in  $\delta\sigma \Rightarrow 0.3\%$  in couplings



# DY at the LHC: LHC is now competing with PEWO

[S. Alioli et al., 1712.02347]

Z' model



[M. Farina et al. 1609.08157]

Oblique parameters W and Y

	universal form factor ( $\mathcal{L}$ )	contact operator ( $\mathcal{L}'$ )
W	$-\frac{W}{4m_W^2} (D_\rho W_{\mu\nu}^a)^2$	$-\frac{g_2^2 W}{2m_W^2} J_{L\mu}^a J_{L\mu}^a$
Y	$-\frac{Y}{4m_W^2} (\partial_\rho B_{\mu\nu})^2$	$-\frac{g_1^2 Y}{2m_W^2} J_{Y\mu} J_{Y\mu}$

[Falkowski, González-Alonso, Mimouni 1706.03783]

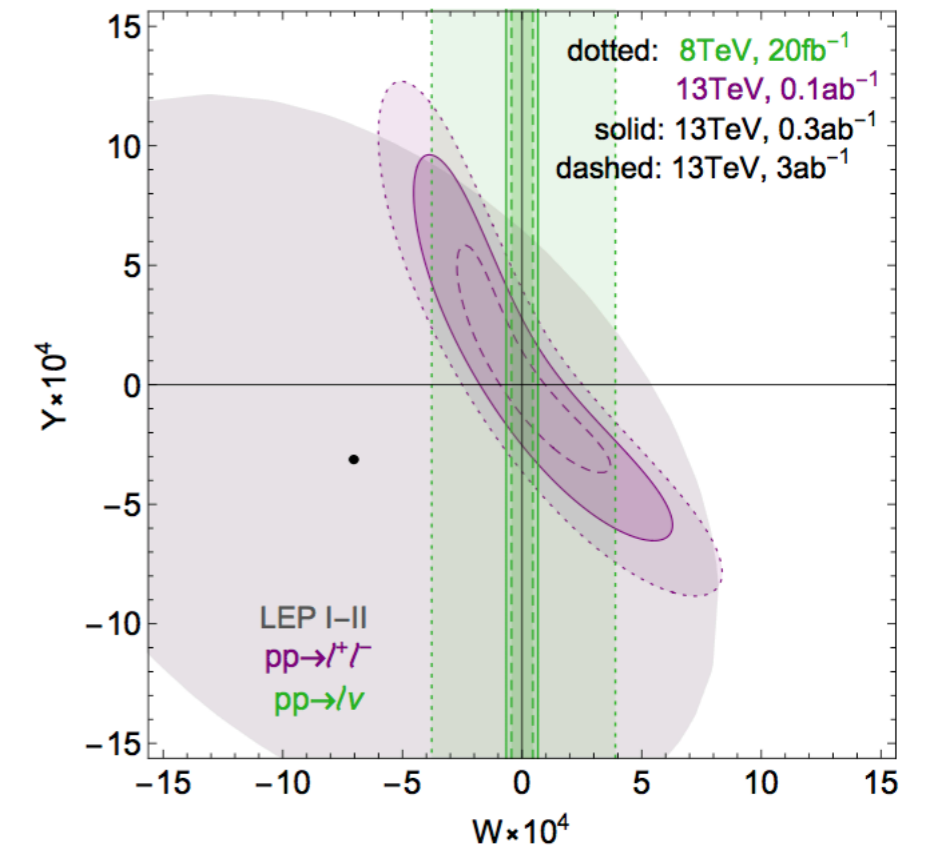
SMEFT 4-f operators

$(ee)(qq)$

	$[c_{\ell q}^{(3)}]_{1111}$	$[c_{\ell q}]_{1111}$	$[c_{\ell u}]_{1111}$	$[c_{\ell d}]_{1111}$	$[c_{eq}]_{1111}$	$[c_{eu}]_{1111}$	$[c_{ed}]_{1111}$
Low-energy	$0.45 \pm 0.28$	$1.6 \pm 1.0$	$2.8 \pm 2.1$	$3.6 \pm 2.0$	$-1.8 \pm 1.1$	$-4.0 \pm 2.0$	$-2.7 \pm 2.0$
LHC <sub>1.5</sub>	$-0.70^{+0.66}_{-0.74}$	$2.5^{+1.9}_{-2.5}$	$2.9^{+2.4}_{-2.9}$	$-1.6^{+3.4}_{-3.0}$	$1.6^{+1.8}_{-2.2}$	$1.6^{+2.5}_{-1.5}$	$-3.1^{+3.6}_{-3.0}$
LHC <sub>1.0</sub>	$-0.84^{+0.85}_{-0.92}$	$3.6^{+3.6}_{-3.7}$	$4.4^{+4.4}_{-4.7}$	$-2.4^{+4.8}_{-4.7}$	$2.4^{+3.0}_{-3.2}$	$1.9^{+2.5}_{-1.9}$	$-4.6^{+5.4}_{-4.1}$
LHC <sub>0.7</sub>	$-1.0^{+1.4}_{-1.5}$	$5.9 \pm 7.2$	$7.4 \pm 9.0$	$-3.6 \pm 8.7$	$3.8 \pm 5.9$	$2.1^{+3.8}_{-2.9}$	$-8 \pm 10$

$(\mu\mu)(qq)$

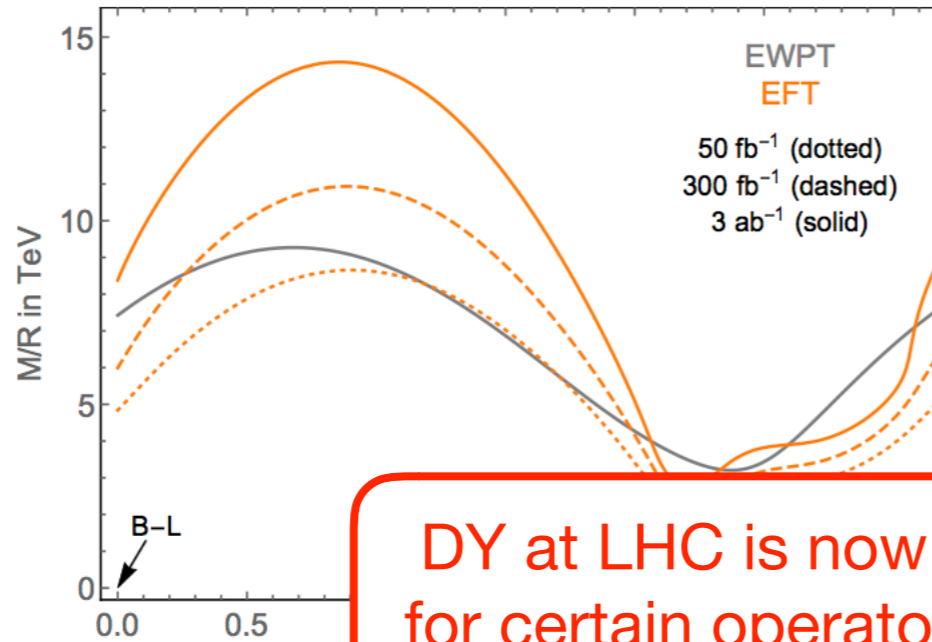
	$[c_{\ell q}^{(3)}]_{2211}$	$[c_{\ell q}]_{2211}$	$[c_{\ell u}]_{2211}$	$[c_{\ell d}]_{2211}$	$[c_{eq}]_{2211}$	$[c_{eu}]_{2211}$	$[c_{ed}]_{2211}$
Low-energy	$-0.2 \pm 1.2$	$4 \pm 21$	$18 \pm 19$	$-20 \pm 37$	$40 \pm 390$	$-20 \pm 190$	$40 \pm 390$
LHC <sub>1.5</sub>	$-1.22^{+0.62}_{-0.70}$	$1.8 \pm 1.3$	$2.0 \pm 1.6$	$-1.1 \pm 2.0$	$1.1 \pm 1.2$	$2.5^{+1.8}_{-1.4}$	$-2.2 \pm 2.0$
LHC <sub>1.0</sub>	$-0.72^{+0.81}_{-0.87}$	$3.2^{+4.0}_{-3.5}$	$3.9^{+4.8}_{-4.4}$	$-2.3^{+4.9}_{-4.7}$	$2.3^{+3.1}_{-3.2}$	$1.6^{+2.3}_{-1.8}$	$-4.4 \pm 5.3$
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DY at LHC is now competing with PEWO for certain operators (4f and W/Y, not qqV)

[Falkowski, González-Alonso, Mimouni 1706.03783]

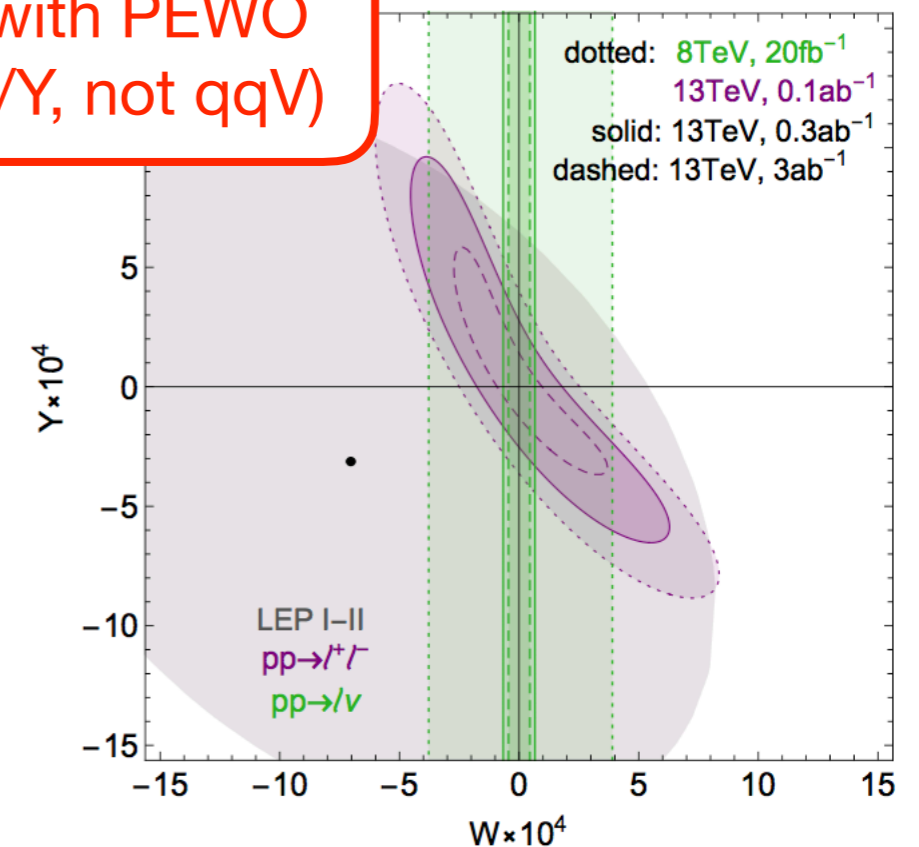
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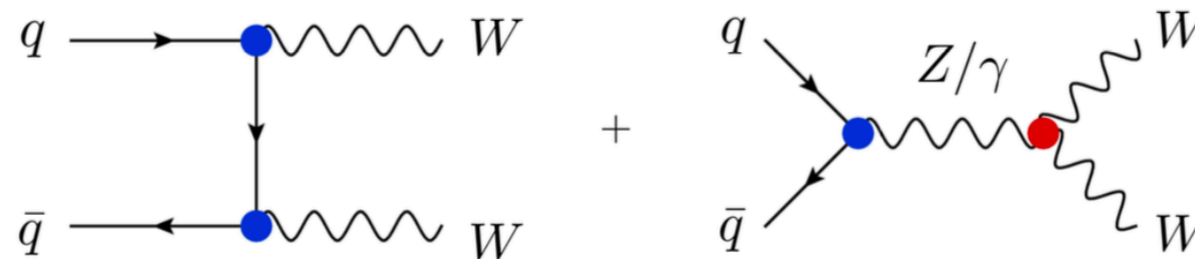
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# Diboson at the LHC

The most constraining limits on quark EW couplings are given by diboson at LHC, instead of DY



$$\mathcal{L}_{Vq\bar{q}} = \sqrt{g^2 + g'^2} Z_\mu \left[ \sum_{f \in u,d} \bar{f}_L \gamma_\mu (T_f^3 - s_W^2 Q_f + \delta g_L^{Zf}) f_L + \sum_{f \in u,d} \bar{f}_R \gamma_\mu (-s_W^2 Q_f + \delta g_R^{Zf}) f_R \right] + \frac{g}{\sqrt{2}} (W_\mu^+ \bar{u}_L \gamma_\mu (I_3 + \delta g_L^{Wq}) d_L + \text{h.c.}) \quad (3)$$

$$\mathcal{L}_{\text{TGC}} = ie (W_{\mu\nu}^+ W_\mu^- - W_{\mu\nu}^- W_\mu^+) A_\nu + ie [(1 + \delta\kappa_\gamma) A_{\mu\nu} W_\mu^+ W_\nu^-] + ig c_W [(1 + \delta g_{1,z}) (W_{\mu\nu}^+ W_\mu^- - W_{\mu\nu}^- W_\mu^+) Z_\nu + (1 + \delta\kappa_z) Z_{\mu\nu} W_\mu^+ W_\nu^-] + i \frac{e}{m_W^2} \lambda_\gamma W_{\mu\nu}^+ W_{\nu\rho}^- A_{\rho\mu} + i \frac{g c_W}{m_W^2} \lambda_z W_{\mu\nu}^+ W_{\nu\rho}^- Z_{\rho\mu}$$

$$\delta g_L^{Zu}, \delta g_R^{Zu}, \delta g_L^{Zd}, \delta g_R^{Zd}$$

$$\delta\kappa_\gamma, \delta g_{1,z}, \lambda_\gamma$$

- The quark couplings are well constrained by LEP. Lets focus on TGC...
- The LEP constraints on  $\delta g_L^Z$  are not strong enough to make them negligible...

[Z. Zhang 1610.01618]

- In fact, at large energy, WW/WZ/WH/ZH give the best bounds on  $\delta g_L^{Zu}, \delta g_R^{Zu}, \delta g_L^{Zd}, \delta g_R^{Zd}$ .

# “High Energy Primaries”

[R. Franceschini et al. 1712.01310]

- The  $E^2$ -growth piece that interferes with the SM can only come from the longitudinal amplitude
- The high energy behavior of  $qq > V_L V_L, V_L H$  are related
- They determined only by 4 parameters

	SM	BSM
$q_{L,R} \bar{q}_{L,R} \rightarrow V_L V_L(h)$	$\sim 1$	$\sim E^2/M^2$
$q_{L,R} \bar{q}_{L,R} \rightarrow V_{\pm} V_L(h)$	$\sim m_W/E$	$\sim m_W E/M^2$
$q_{L,R} \bar{q}_{L,R} \rightarrow V_{\pm} V_{\pm}$	$\sim m_W^2/E^2$	$\sim E^2/M^2$
$q_{L,R} \bar{q}_{L,R} \rightarrow V_{\pm} V_{\mp}$	$\sim 1$	$\sim 1$

Non-interference of transversal V

[A. Azatov et al. 1607.05236]

Amplitude	High-energy primaries	Low-energy primaries
$\bar{u}_L d_L \rightarrow W_L Z_L, W_L h$	$\sqrt{2} a_q^{(3)}$	$\sqrt{2} \frac{g^2}{m_W^2} [c_{\theta_W} (\delta g_{uL}^Z - \delta g_{dL}^Z)/g - c_{\theta_W}^2 \delta g_1^Z]$
$\bar{u}_L u_L \rightarrow W_L W_L$ $\bar{d}_L d_L \rightarrow Z_L h$	$a_q^{(1)} + a_q^{(3)}$	$-\frac{2g^2}{m_W^2} [Y_L t_{\theta_W}^2 \delta \kappa_{\gamma} + T_Z^{uL} \delta g_1^Z + c_{\theta_W} \delta g_{dL}^Z/g]$
$\bar{d}_L d_L \rightarrow W_L W_L$ $\bar{u}_L u_L \rightarrow Z_L h$	$a_q^{(1)} - a_q^{(3)}$	$-\frac{2g^2}{m_W^2} [Y_L t_{\theta_W}^2 \delta \kappa_{\gamma} + T_Z^{dL} \delta g_1^Z + c_{\theta_W} \delta g_{uL}^Z/g]$
$\bar{f}_R f_R \rightarrow W_L W_L, Z_L h$	$a_f$	$-\frac{2g^2}{m_W^2} [Y_{fR} t_{\theta_W}^2 \delta \kappa_{\gamma} + T_Z^{fR} \delta g_1^Z + c_{\theta_W} \delta g_{fR}^Z/g]$



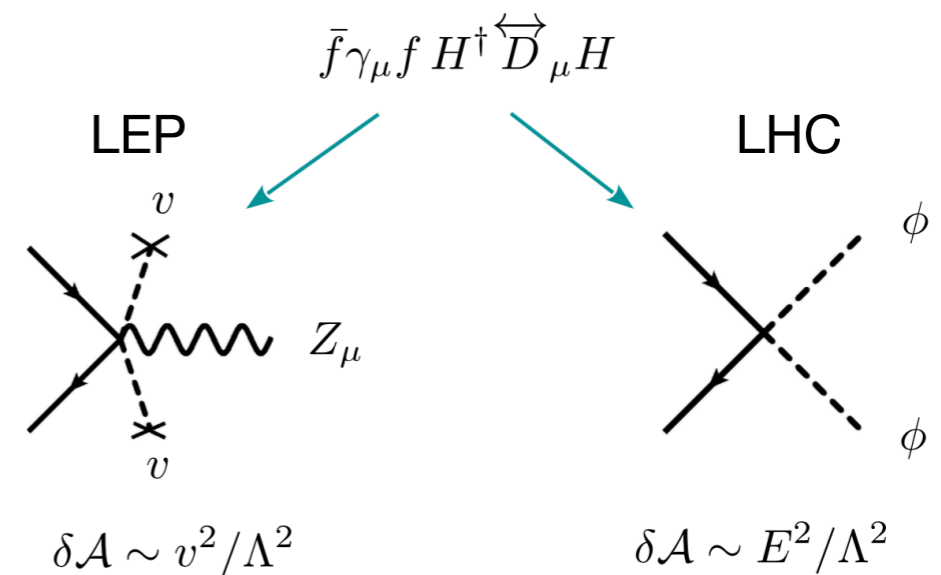
Warsaw Basis

$$\mathcal{O}_L^{(3)} = (\bar{Q}_L \sigma^a \gamma^\mu Q_L) (i H^\dagger \sigma^a \overleftrightarrow{D}_\mu H)$$

$$\mathcal{O}_L = (\bar{Q}_L \gamma^\mu Q_L) (i H^\dagger \overleftrightarrow{D}_\mu H)$$

$$\mathcal{O}_R^u = (\bar{u}_R \gamma^\mu u_R) (i H^\dagger \overleftrightarrow{D}_\mu H)$$

$$\mathcal{O}_R^d = (\bar{d}_R \gamma^\mu d_R) (i H^\dagger \overleftrightarrow{D}_\mu H)$$



# “High Energy Primaries”

[R. Franceschini et al. 1712.01310] [S. Banerjee et al. 1807.01796]

[Grojean, Montull, Riemann 1810.05149]

Leptonic WZ and Zh(->bb),  $W, Y \ll 1$

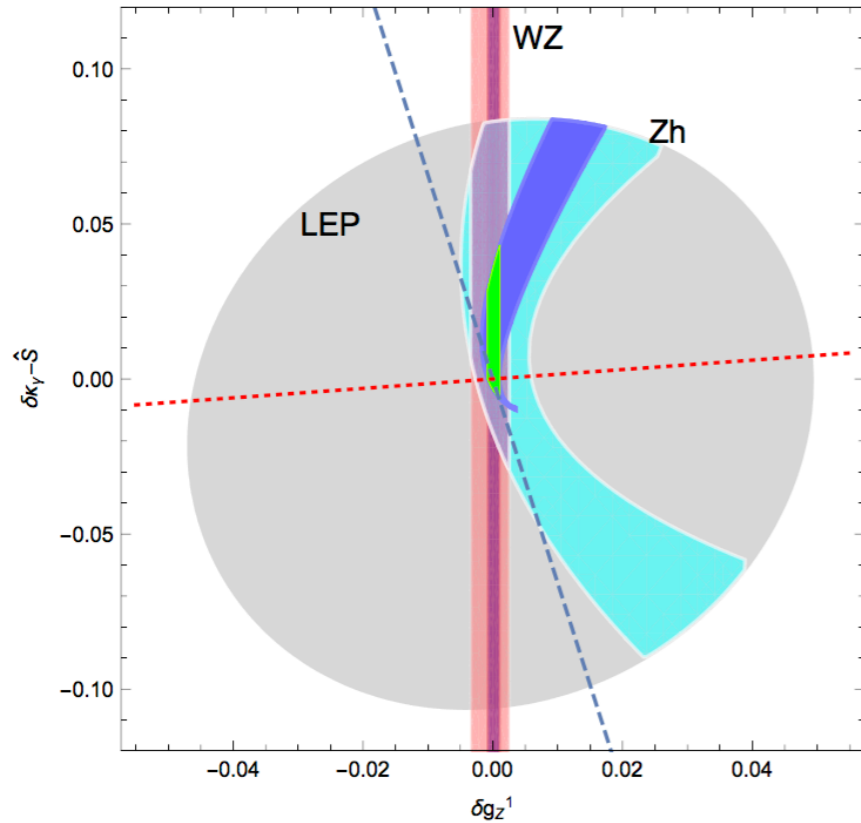
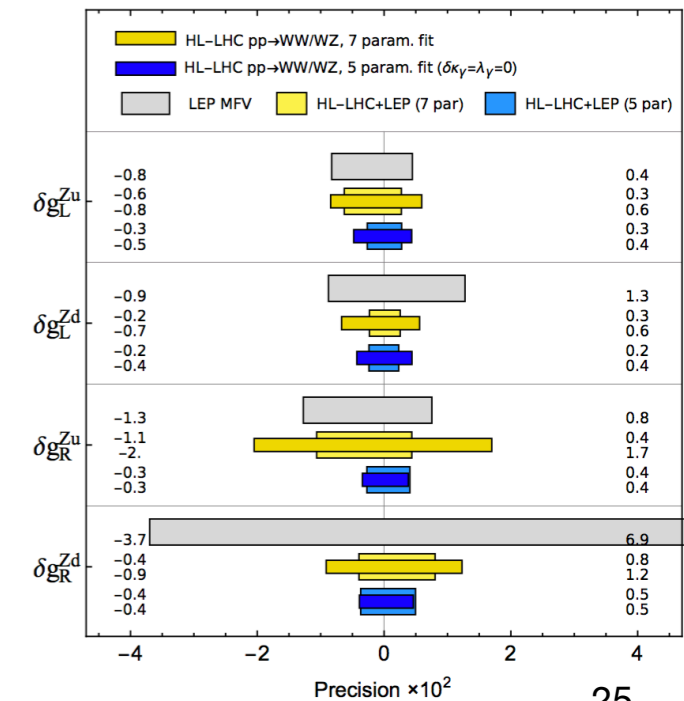
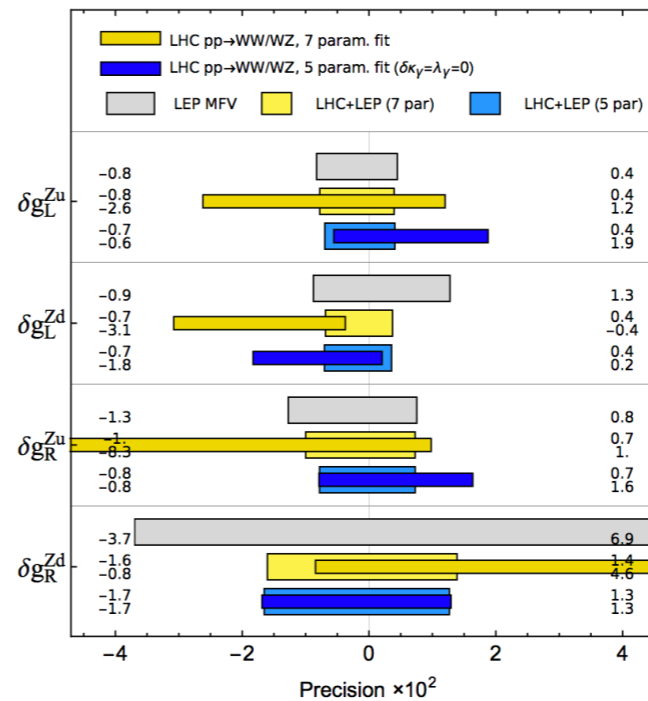
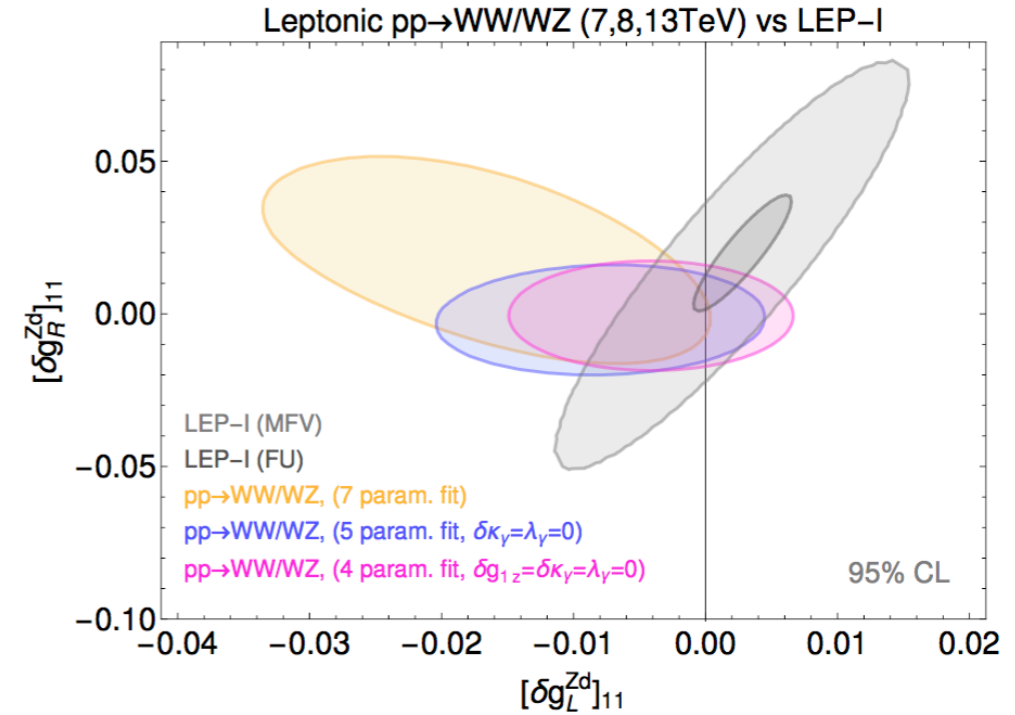


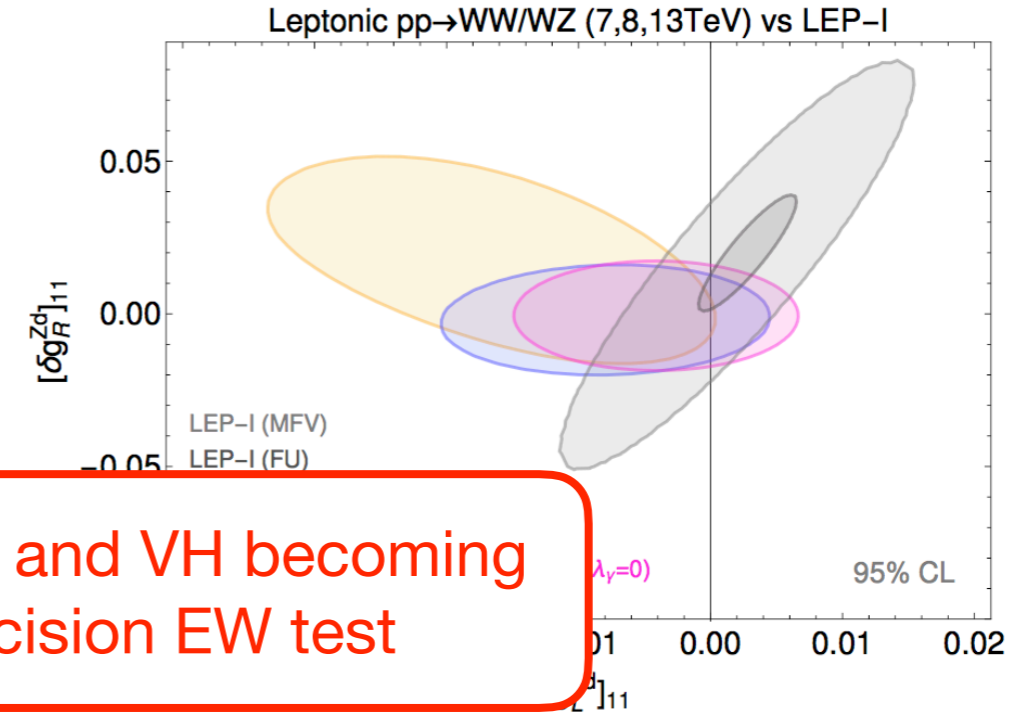
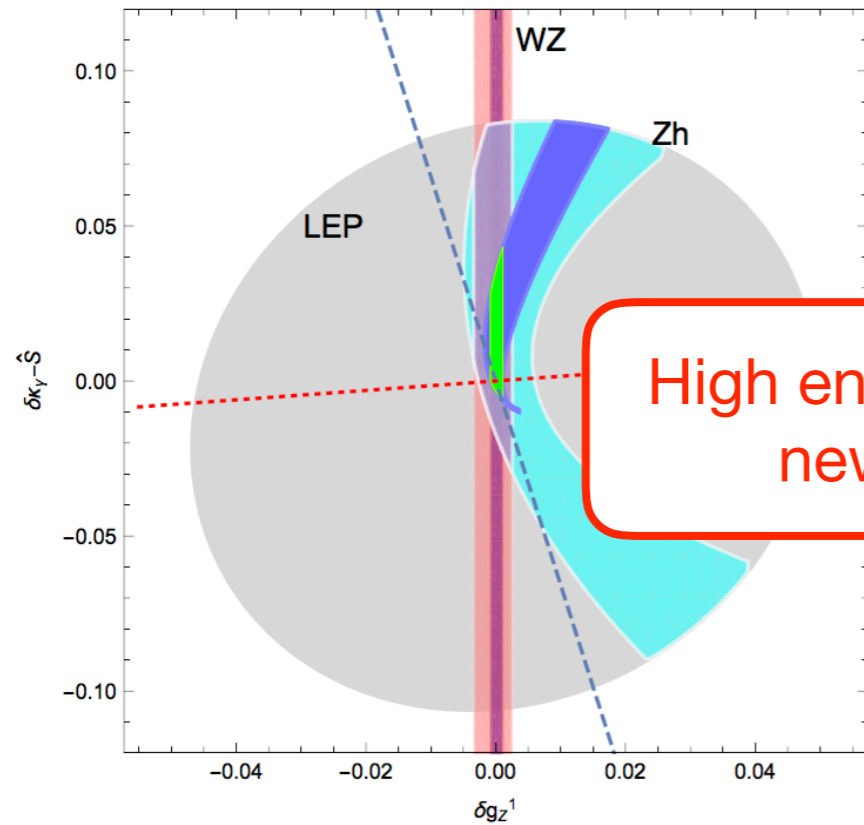
FIG. 2: We show in light blue (dark blue) the projection for the allowed region with  $300 \text{ fb}^{-1}$  ( $3 \text{ ab}^{-1}$ ) data from the  $pp \rightarrow Zh$  process for universal models in the  $\delta\kappa_\gamma - \hat{S}$  vs  $\delta g_1^Z$  plane. The allowed region after LEP bounds (taking the TGC  $\lambda_\gamma = 0$ , a conservative choice) are imposed is shown in grey. The pink (dark pink) region corresponds to the projection from the  $WZ$  process with  $300 \text{ fb}^{-1}$  ( $3 \text{ ab}^{-1}$ ) data derived in Ref. [20] and the purple (green) region shows the region that survives after our projection from the  $Zh$  process is combined with the above  $WZ$  projections with  $300 \text{ fb}^{-1}$  ( $3 \text{ ab}^{-1}$ ) data.



# “High Energy Primaries”

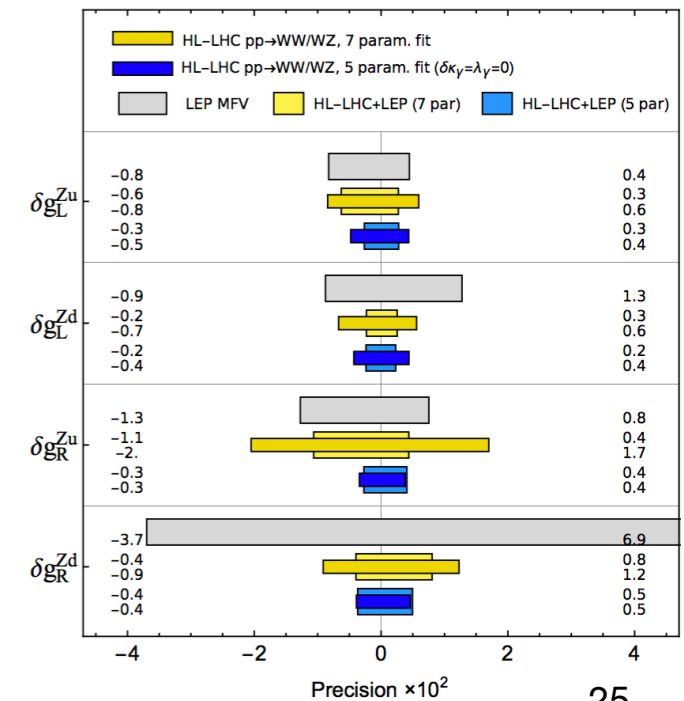
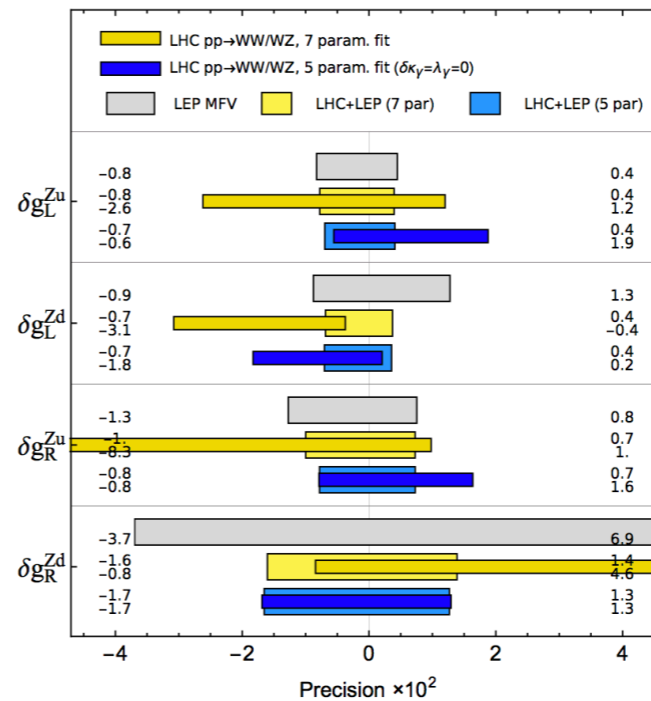
[R. Franceschini et al. 1712.01310] [S. Banerjee et al. 1807.01796] [Grojean, Montull, Riemann 1810.05149]

Leptonic WZ and Zh(->bb),  $W, Y \ll 1$



High energy diboson and VH becoming new tools in precision EW test

FIG. 2: We show in light blue (dark blue) the projection for the allowed region with  $300 \text{ fb}^{-1}$  ( $3 \text{ ab}^{-1}$ ) data from the  $pp \rightarrow Zh$  process for universal models in the  $\delta\kappa_\gamma - \hat{S}$  vs  $\delta g_1^Z$  plane. The allowed region after LEP bounds (taking the TGC  $\lambda_\gamma = 0$ , a conservative choice) are imposed is shown in grey. The pink (dark pink) region corresponds to the projection from the  $WZ$  process with  $300 \text{ fb}^{-1}$  ( $3 \text{ ab}^{-1}$ ) data derived in Ref. [20] and the purple (green) region shows the region that survives after our projection from the  $Zh$  process is combined with the above  $WZ$  projections with  $300 \text{ fb}^{-1}$  ( $3 \text{ ab}^{-1}$ ) data.



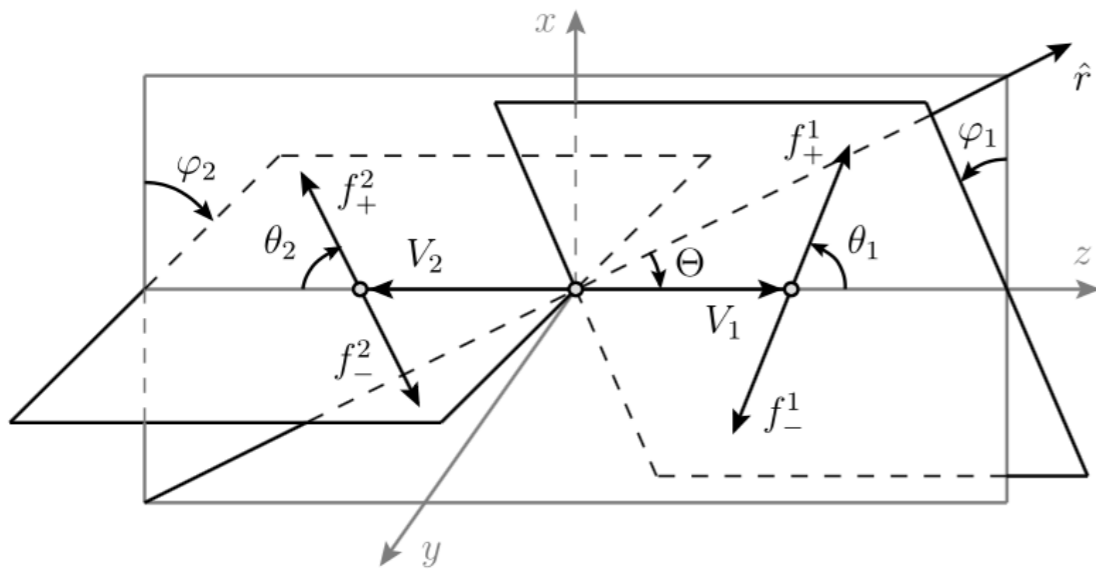


# Interference resurrection

[G. Panico, F. Riva, A. Wulzer 1708.07823]

	SM	BSM
$q_{L,R}\bar{q}_{L,R} \rightarrow V_L V_L(h)$	$\sim 1$	$\sim E^2/M^2$
$q_{L,R}\bar{q}_{L,R} \rightarrow V_{\pm} V_L(h)$	$\sim m_W/E$	$\sim m_W E/M^2$
$q_{L,R}\bar{q}_{L,R} \rightarrow V_{\pm} V_{\pm}$	$\sim m_W^2/E^2$	$\sim E^2/M^2$
$q_{L,R}\bar{q}_{L,R} \rightarrow V_{\pm} V_{\mp}$	$\sim 1$	$\sim 1$

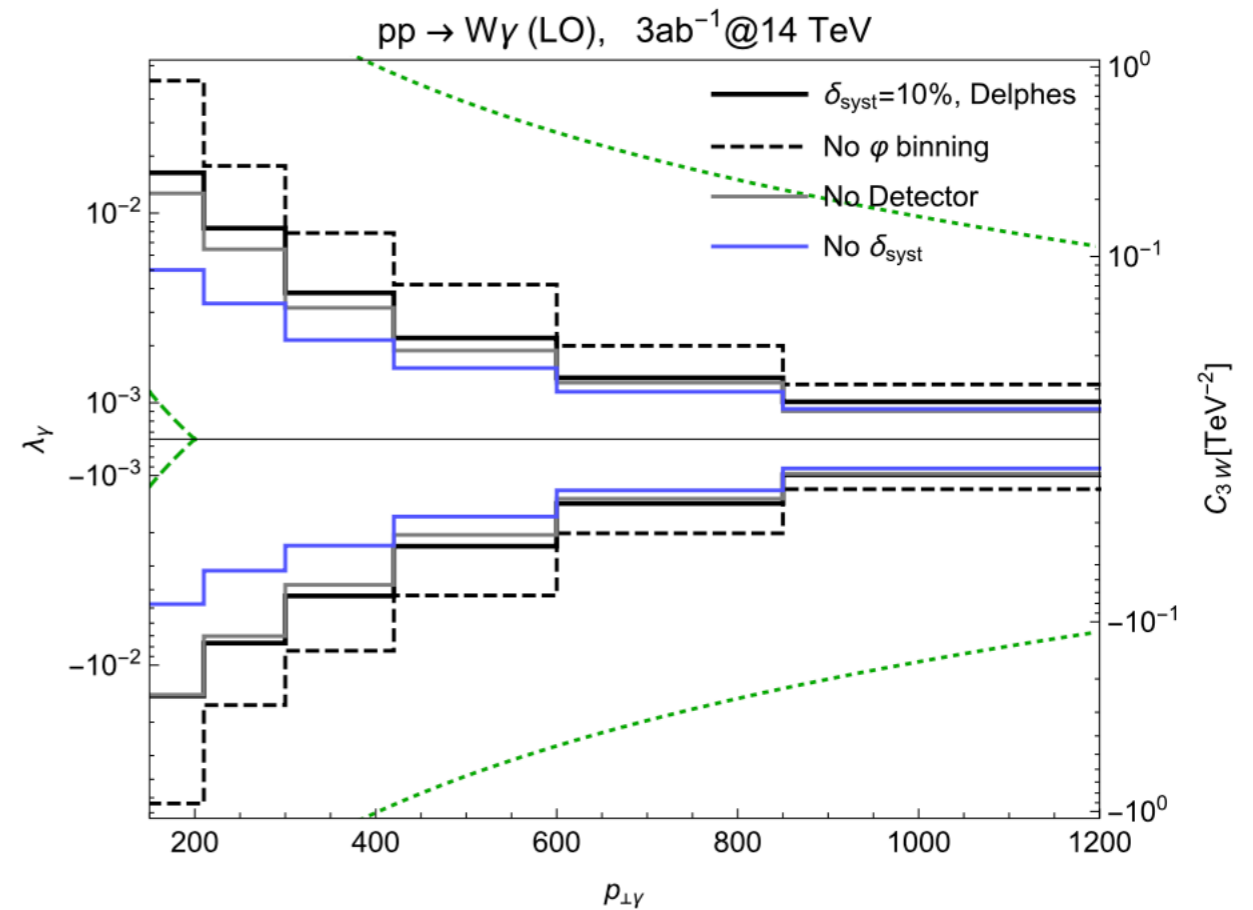
Interfering the V with different helicities will recover the  $E^2$  energy growth



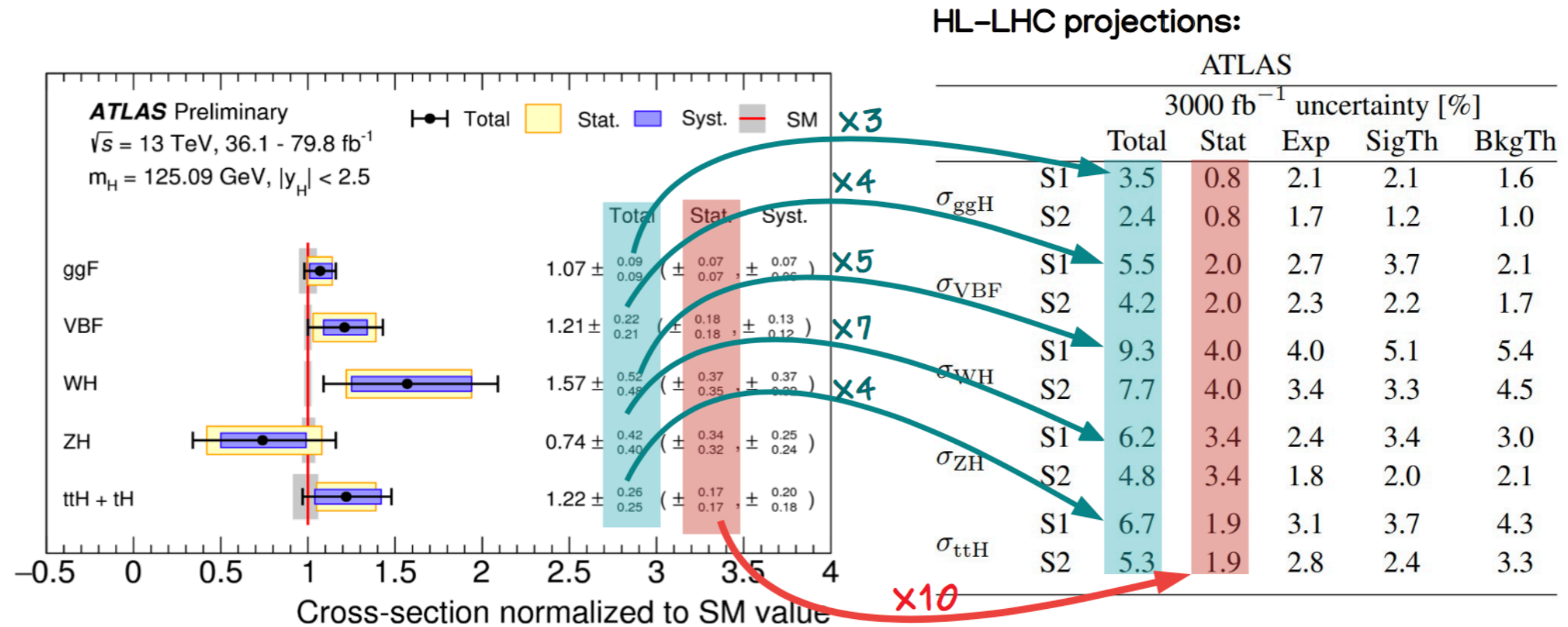
$$\mathbf{h} = (h_1, h_2) \quad \boldsymbol{\varphi} = (\varphi_1, \varphi_2)$$

$$I_{\mathbf{h}\otimes\mathbf{h}'}^{V_1 V_2} = T_{\mathbf{h}\mathbf{h}'}^{V_1 V_2} \left[ \mathcal{A}_{\mathbf{h}}^{\text{SM}} \mathcal{A}_{\mathbf{h}'}^{\text{BSM}+} + \mathcal{A}_{\mathbf{h}}^{\text{BSM}+} \mathcal{A}_{\mathbf{h}'}^{\text{SM}} \right] \cos[\Delta\mathbf{h} \cdot \boldsymbol{\varphi}],$$

$$I_{\mathbf{h}\otimes\mathbf{h}'}^{V_1 V_2} = iT_{\mathbf{h}\mathbf{h}'}^{V_1 V_2} \left[ \mathcal{A}_{\mathbf{h}}^{\text{SM}} \mathcal{A}_{\mathbf{h}'}^{\text{BSM}-} - \mathcal{A}_{\mathbf{h}}^{\text{BSM}-} \mathcal{A}_{\mathbf{h}'}^{\text{SM}} \right] \sin[\Delta\mathbf{h} \cdot \boldsymbol{\varphi}],$$



# Higgs at high energy: off shell measurements



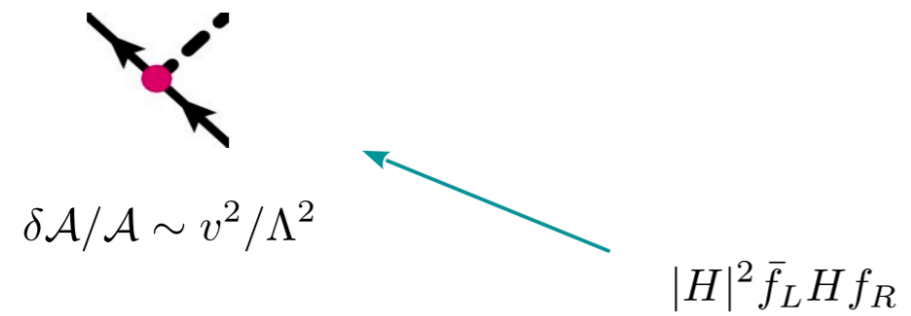
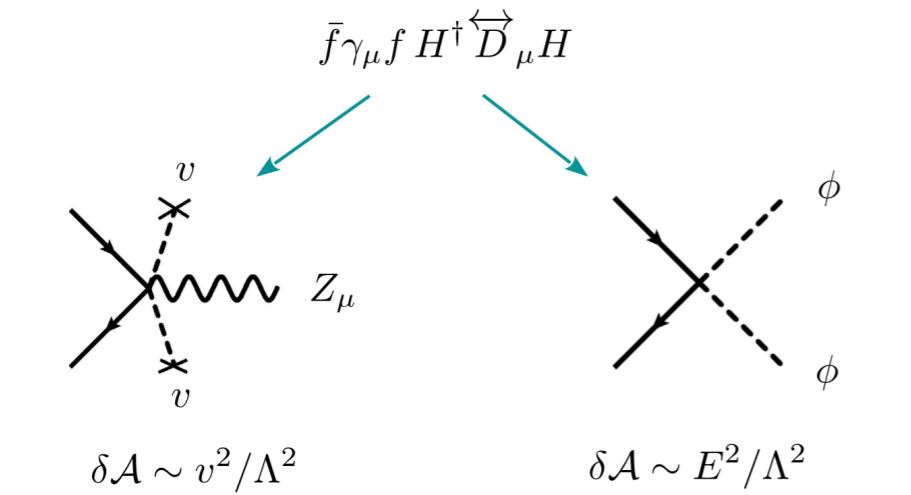
On shell Higgs measurements will be saturated by systematics.

Will not benefit from either  
 1) higher luminosity  
 2) higher energy

Off shell Higgs measurements are the opposite:

- 1) limited by statistics
- 2) Benefit from higher-energy colliders, HE-LHC/CLIC/SppC

The same logic that applied to diboson also apply here



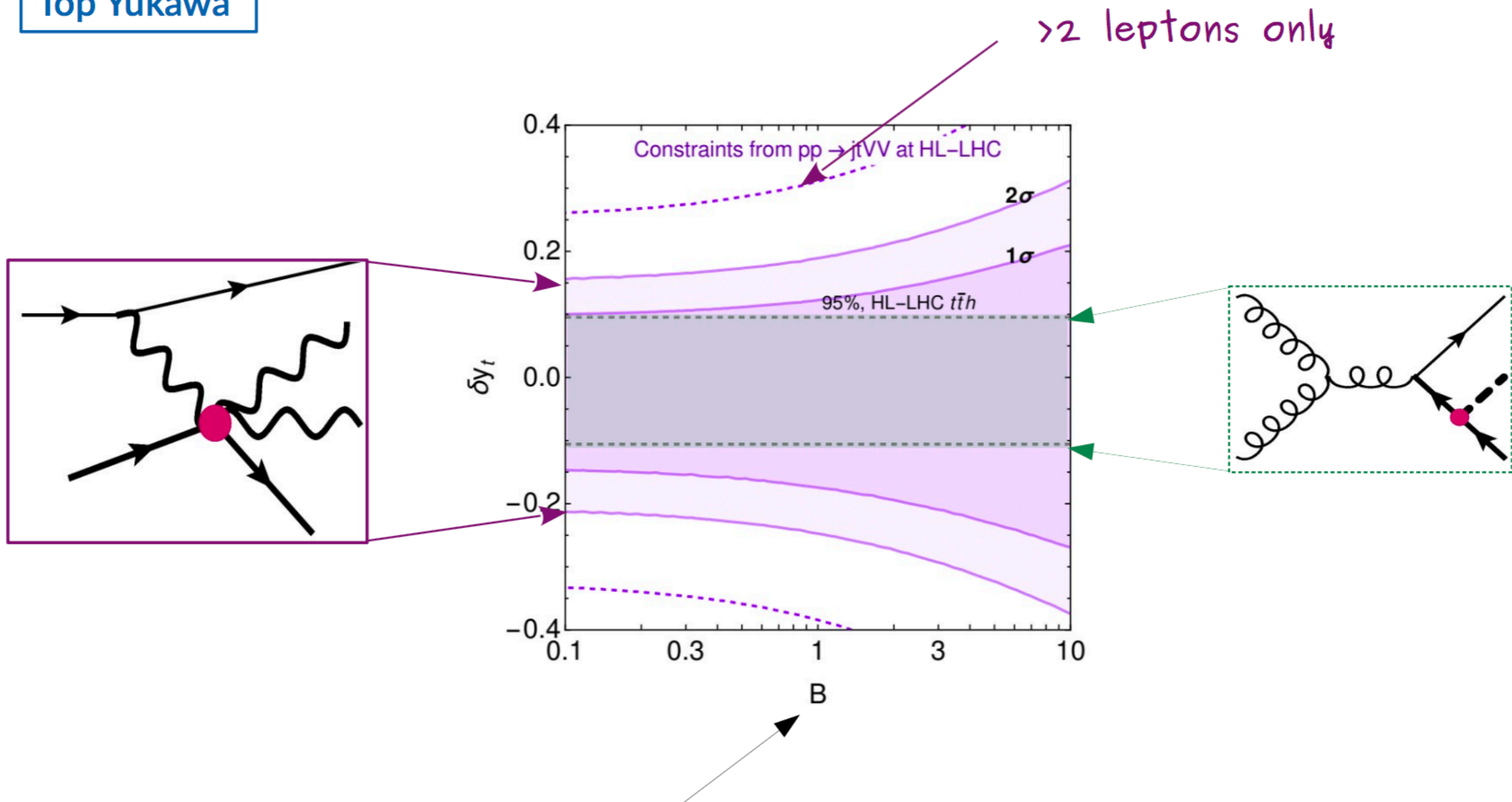
unanchor the Higgs from its vev

$\delta\mathcal{A}/\mathcal{A} \sim E^2/\Lambda^2$

		HC	HwH	Growth
$\kappa_t$	$\mathcal{O}_{yt}$			$\sim \frac{E^2}{\Lambda^2}$
$\kappa_\lambda$	$\mathcal{O}_6$			$\sim \frac{vE}{\Lambda^2}$
$\kappa_{Z\gamma}$ $\kappa_{\gamma\gamma}$ $\kappa_V$	$\mathcal{O}_{WW}$ $\mathcal{O}_{BB}$ $\mathcal{O}_r$			$\sim \frac{E^2}{\Lambda^2}$
$\kappa_g$	$\mathcal{O}_{gg}$			$\sim \frac{E^2}{\Lambda^2}$

[Henning, Lombardo, Riemann, Riva 1812.09299]

# Top Yukawa



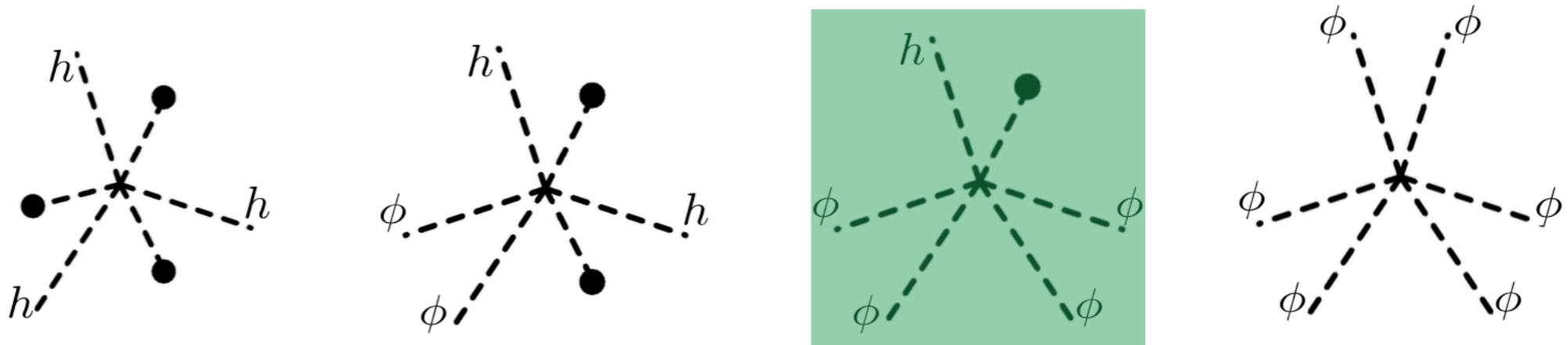
Again, we parametrize background with  $B \times$  signal

Competitive with on-shell Higgs measurements

Further improvements: background characterization, specially for hadronic, differential information, larger  $E^2$ , get rid of transverse polarizations

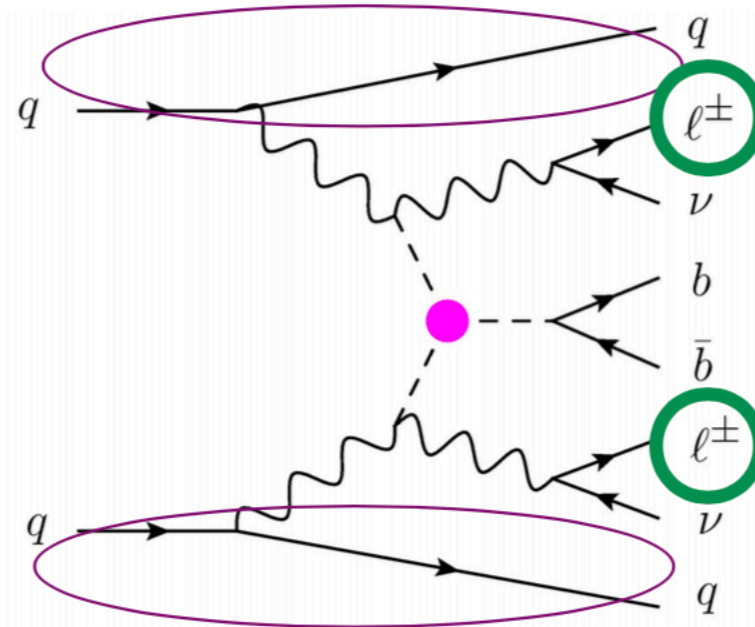
## Higgs self-coupling

$$\frac{1}{\Lambda^2} |H|^6 \supset \frac{1}{\Lambda^2} (v^3 h^3 + 3v^2 h^2 \phi^2 + \mathbf{3vh\phi^4} + \phi^6 + \dots)$$



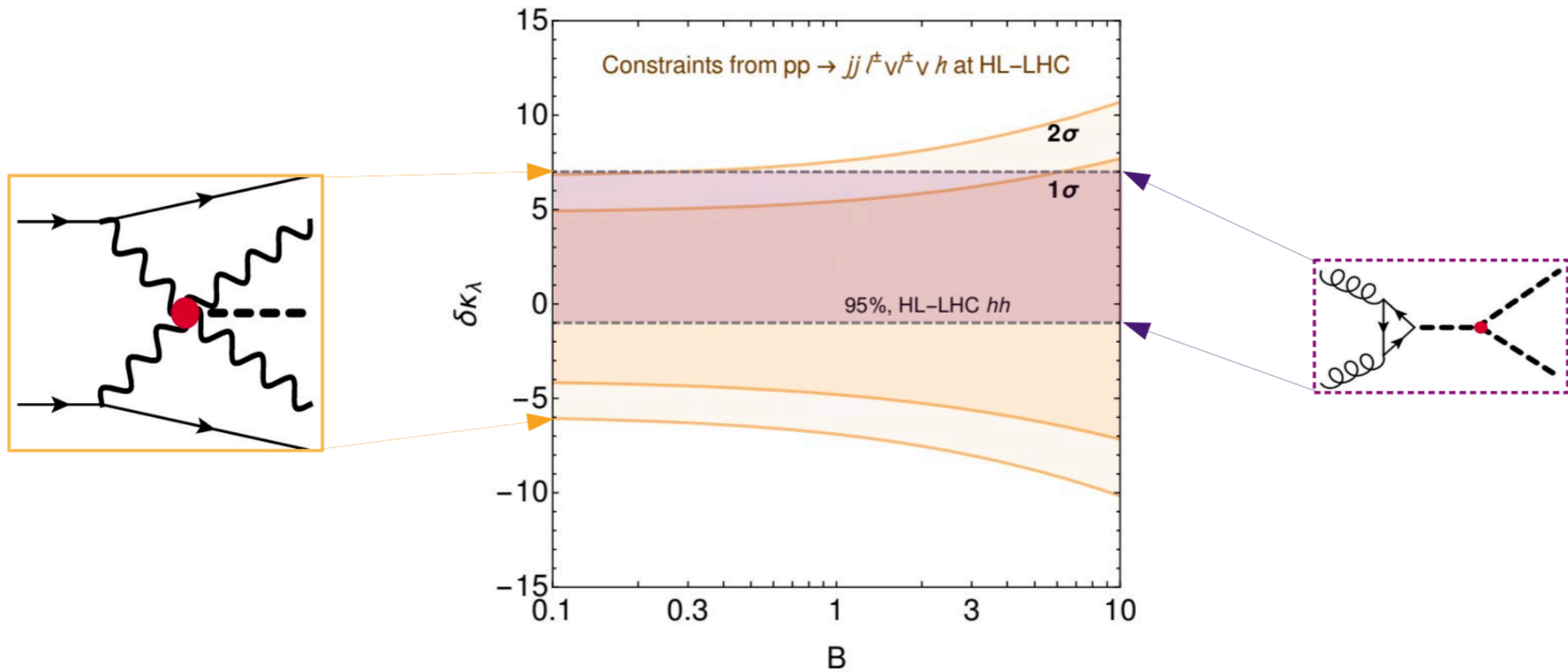
Signal enhanced only with a single power of energy,  
but extremely attractive and clean process experimentally!

VBF topology



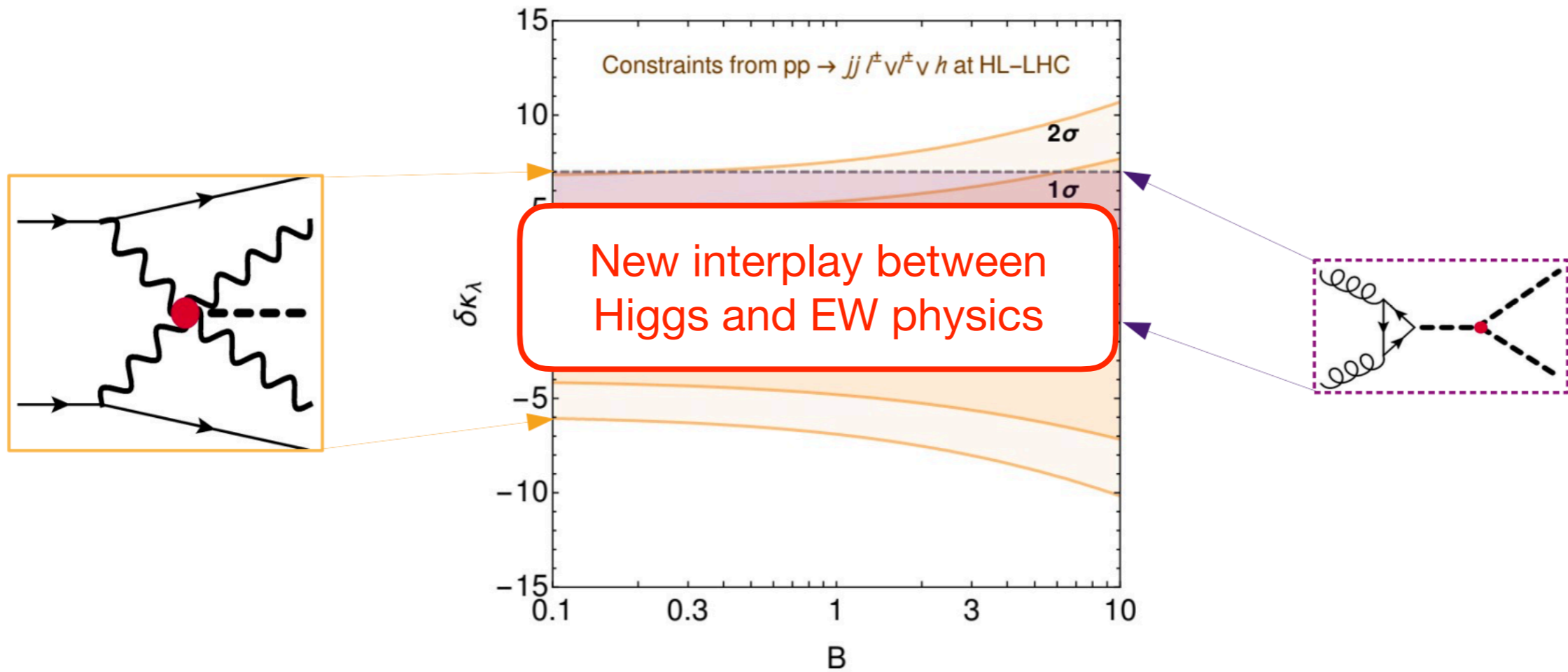
Same sign  
leptons!

# Higgs self-coupling



- 50-ish events in the SM
  - Irreducible background negligible
  - Background from  $t\bar{t}jj$  with lepton misidentification under control
  - Background from fake leptons is potentially the dominant one.
- We parametrize it with  $\#back = B \times \#signal$ .
- Rough cut-and-count analysis gives competitive results with double higgs production<sub>28</sub>

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# A different off-shell perspective: the oblique H parameter

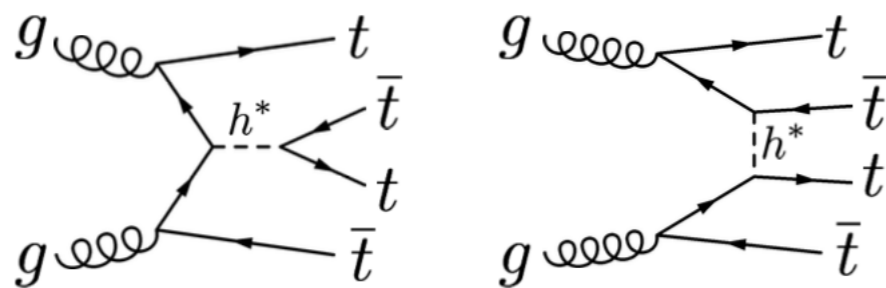
[Englert, Giudice, Greljo, McCullough 1903.07725]

In universal theories, the  $\mathcal{O}(q^4)$  terms in EW boson self-energy can be parametrized by

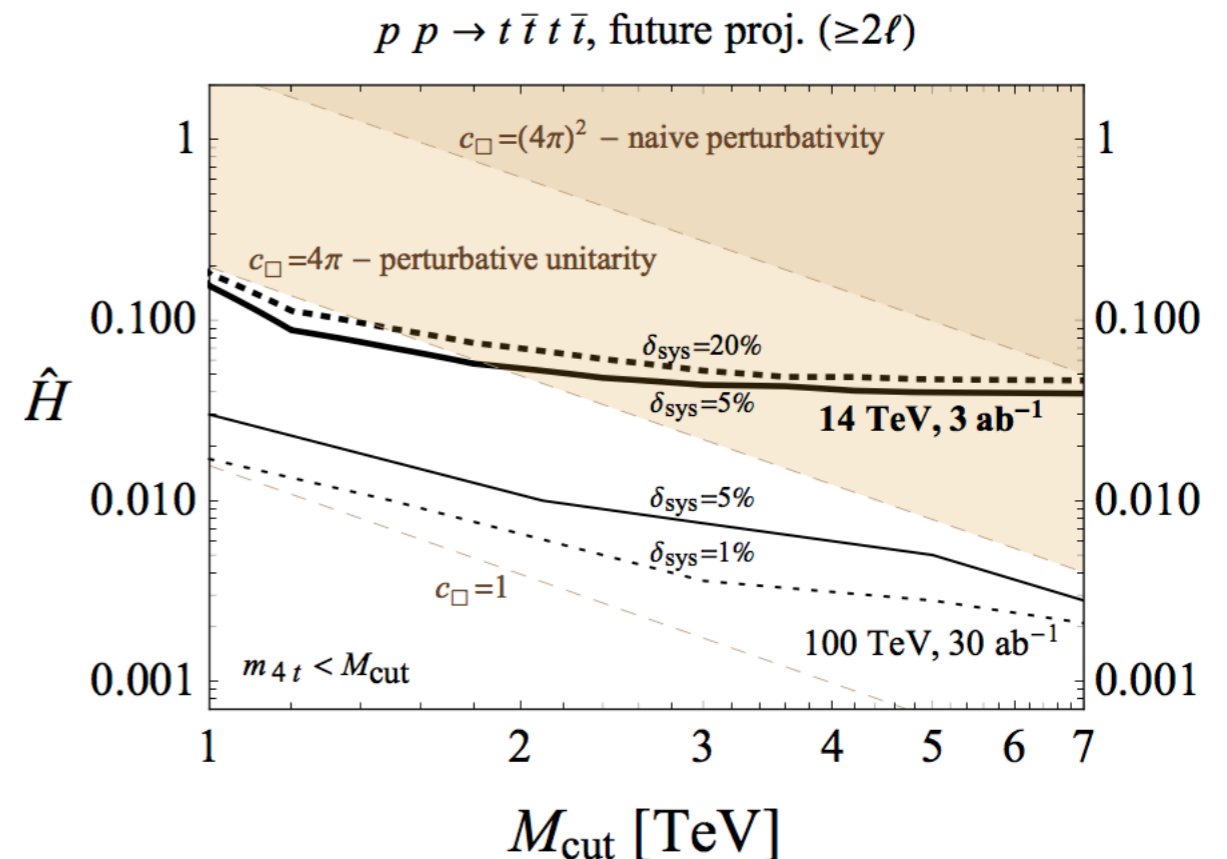
$$\mathcal{L}_{\hat{W}} = -\frac{\hat{W}}{4m_W^2} (D_\rho W_{\mu\nu}^a)^2, \quad \mathcal{L}_{\hat{Y}} = -\frac{\hat{Y}}{4m_W^2} (\partial_\rho B_{\mu\nu})^2, \quad \mathcal{L}_{\hat{H}} = \frac{\hat{H}}{m_h^2} |\square H|^2$$

- it is not possible to unambiguously determine  $\hat{H}$  by combining on-shell Higgs coupling measurements and a measurement of the trilinear coupling. -> Need off shell probe

- Best off-shell turns out to be four top



Top measurements revealing the off-shell propagation of the H





# Summary

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- Precision loop measurements:
  - **Top couplings** can be measured via loops in EW observables and in Higgs factory. **Complementary with direct top measurement.**
  - **Higgs self couplings** enters EWPO at two loop, and Higgs production at one-loop. **Complementary to di-Higgs at LHC.**
    - **The Naive T-odd observable** makes the indirect measurement direct.
- Use large energy to amplify BSM and to improve precision:
  - Drell-Yan: **4-fermion / W,Y. Complementary with LEP 1&2**
  - Diboson: **“High energy primaries” / quark EW couplings. Complementary with LEP Z-pole.**
    - **Diboson interference resurrection:** more energy dependence.
  - Off shell Higgs: **all Higgs couplings with the form  $HH^*\text{dim}4$ . Complementary to standard HC measurements.**
- Need a real global fit, with the above implemented, to assess the physical improvements.

Backups

Top

LHC Drell-Yan

Higgs off shell  
( $VVH, VVt\dots$ )

Higgs on-shell

LHC Diboson

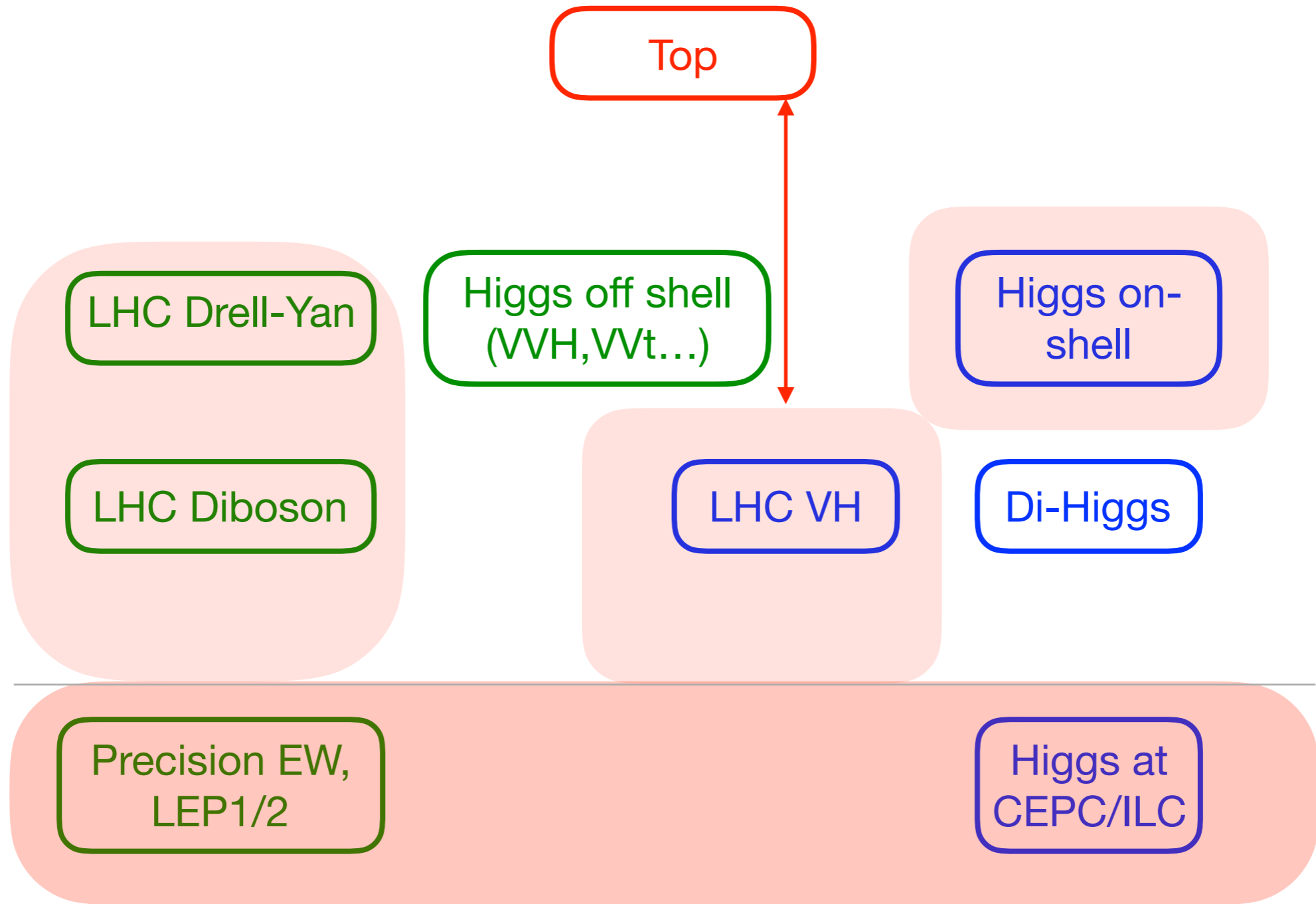
LHC VH

Di-Higgs

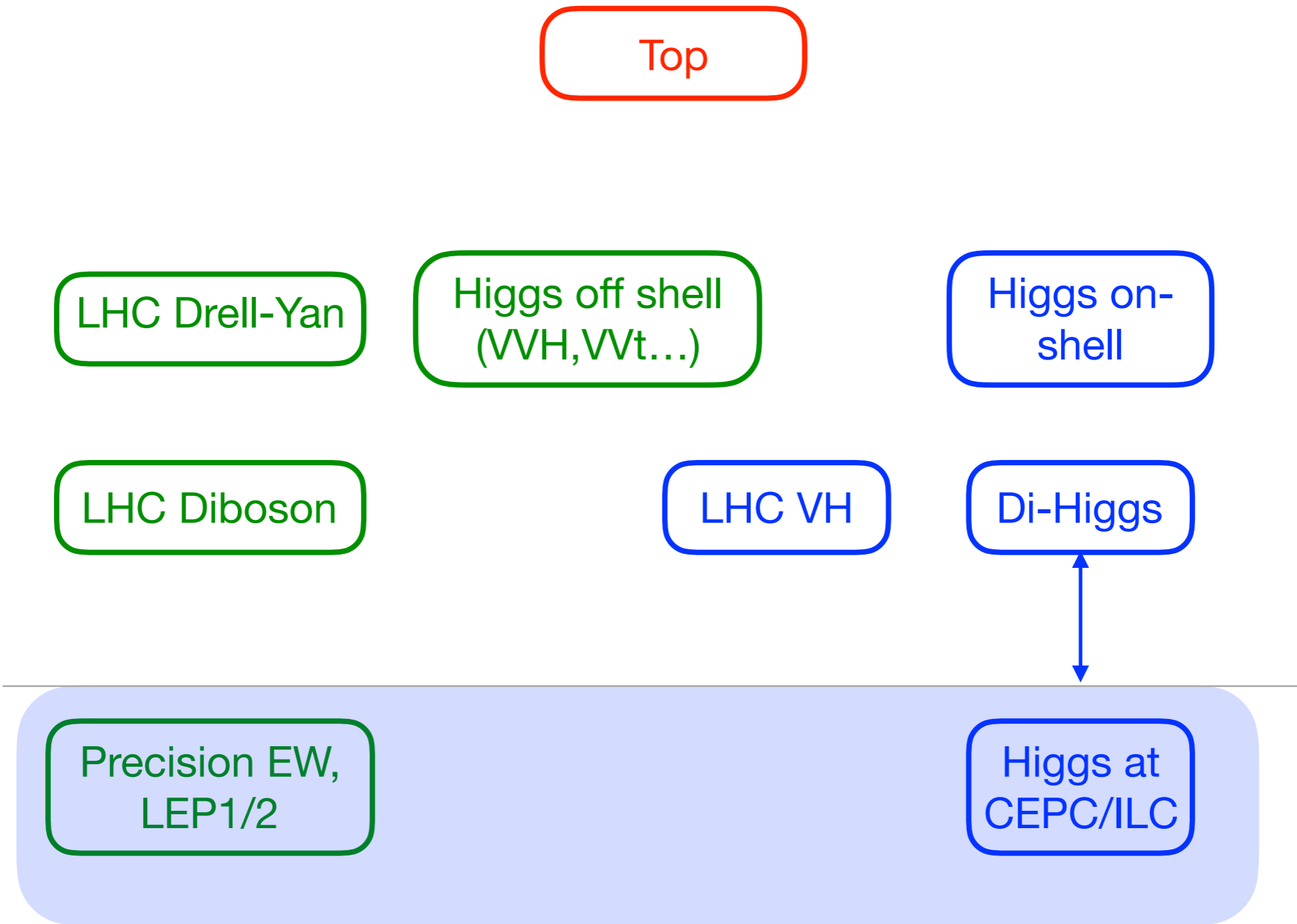
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Precision EW,  
LEP1/2

Higgs at  
CEPC/ILC



Precision top loop measurements



H trilinear at two loop

H trilinear at one loop

T-odd asymmetry as a direct loop probe

Top

EW measurements at large energy

LHC Drell-Yan

LHC Diboson

Non-interference resurrection

Higgs off shell (VVH, VVt...)

LHC VH

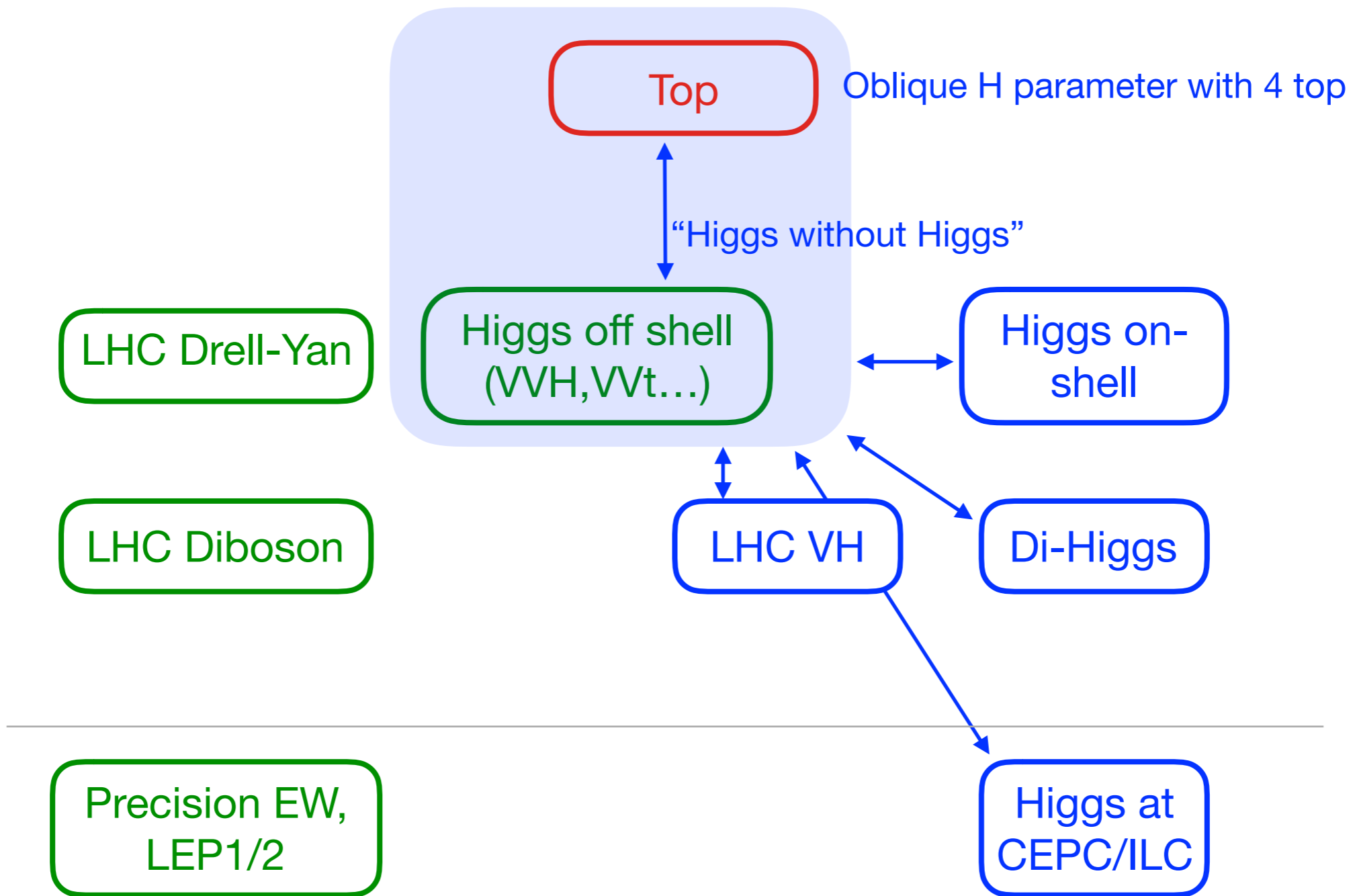
Higgs on-shell

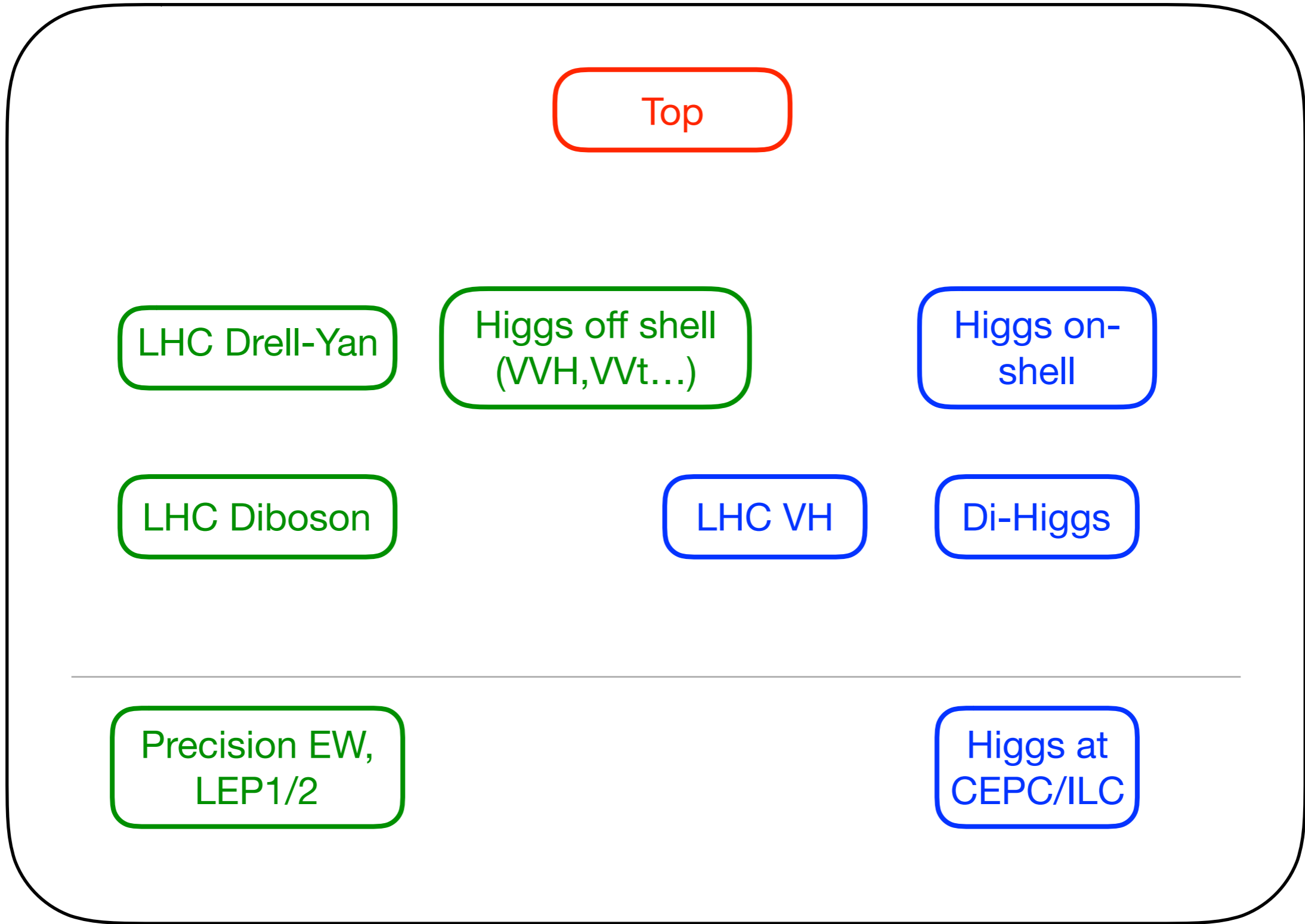
Di-Higgs

High energy primaries

Precision EW, LEP1/2

Higgs at CEPC/ILC





Final goal: the global Top+EW+Higgs SMEFT fit



Thank you