



中国科学院高能物理研究所
Institute of High Energy Physics Chinese Academy of Sciences

MVA method in $ZH \rightarrow$ $qq\gamma\gamma$ analysis in CEPC

Fangyi Guo, Yaquan Fang, Xinchou Lou
Institute of High Energy Physics, CAS

CEPC Physics Workshop
3rd July, 2019, Peking University

Content

Review of CEPC CDR

MC sample and simulation

Selection adjustment

MVA method

2-D signal and background fit

Results

Further work

Conclusion

Review of CEPC CDR

CEPC CDR release: Nov 2018, IHEP

Higgs $\rightarrow \gamma\gamma$ physics analysis:

- Design point at CEPC_v4, $\sqrt{s} = 240\text{GeV}$, $\mathcal{L} = 5.6\text{ab}^{-1}$
- Whizard 1.95 + MoccaC generator, dedicated fast simulation based on parametrized detector response.
- Considered $H \rightarrow \gamma\gamma$ signal and 2 fermion dominant background
- Result: $\delta(Br(H \rightarrow \gamma\gamma) \times \sigma(ZH)) = 6.84\%$ in 3 combined channel, and 9.84% in $q\bar{q}\gamma\gamma$ channel.
- Could be improved by applying MVA method

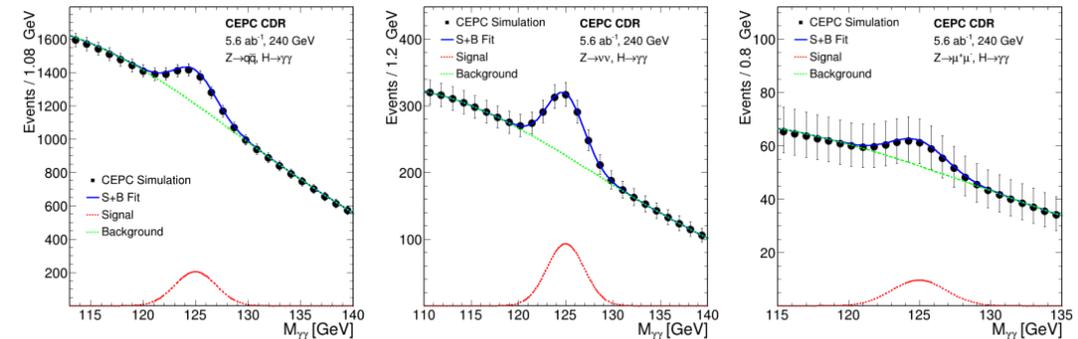


Figure1. di-photon invariant mass distributions in 3 sub-channel

Results

The combination of three sub-channel provides a final result of $\sigma(ZH) \times BR(H \rightarrow \gamma\gamma)$ measurement precision

| Sub-channel | $q\bar{q}\gamma\gamma$ | $l\bar{l}\gamma\gamma$ | $\nu\bar{\nu}\gamma\gamma$ | combined |
|-------------|------------------------|------------------------|----------------------------|----------|
| precision | 9.84% | 23.7% | 10.5% | 6.84% |

Arxiv: [1810.09037](https://arxiv.org/abs/1810.09037)

Report in 2018 CEPC WS

MC sample and simulation

In order to keep consistent with CDR:

MC sample:

- Signal: $ee \rightarrow ZH \rightarrow q\bar{q}\gamma\gamma$, 100k events.
- Background: $ee \rightarrow qq$ +radiation photons, 20M events.

Simulation and event reconstruction

- Fast simulation: smear the objects with the resolution and efficiency with parametrized detector response, $\frac{\Delta E}{E} \sim \frac{16\%}{\sqrt{E}} \oplus 1\%$
- Event reconstruction: FSClasser FastJetClustering processor.
reconstructed 2 on-shell photon with $m_{\gamma\gamma} \sim 125\text{GeV}$ and 2 jets
define: γ_1/j_1 as photon/jet with lower energy, and γ_2/j_2 as higher energy one.

Event selection adjustment

Release the event selection criteria for the further MVA method

Selection in CDR:

$$E_{\gamma 1} > 35\text{GeV}$$

$$35\text{GeV} < E_{\gamma 2} < 96\text{GeV}$$

$$\cos\theta_{\gamma\gamma} > -0.95, \cos\theta_{jj} > -0.95$$

$$pT_{\gamma 1} > 20\text{GeV}, pT_{\gamma 1} > 30\text{GeV}$$

$$110\text{GeV} < m_{\gamma\gamma} < 140\text{GeV}$$

$$125\text{GeV} < E_{\gamma\gamma} < 145\text{GeV}$$

$$\min|\cos\theta_{\gamma j}| < 0.9$$



Present:

$$E_{\gamma 1} > 25\text{GeV}$$

$$35\text{GeV} < E_{\gamma 2} < 96\text{GeV}$$

$$\cos\theta_{\gamma\gamma} > -0.95, \cos\theta_{jj} > -0.95$$

$$pT_{\gamma 1} > 20\text{GeV}, pT_{\gamma 1} > 30\text{GeV}$$

$$110\text{GeV} < m_{\gamma\gamma} < 140\text{GeV}$$

$$E_{\gamma\gamma} > 120\text{GeV}$$

$$\min|\cos\theta_{\gamma j}| < 0.9$$

| Old | signal | background |
|---------------------------------|--------|------------|
| Total efficiency | 53.08% | 0.010% |
| Scaled to 5.6 ab^{-1} | 923.13 | 29875.6 |

| New | signal | background |
|---------------------------------|--------|------------|
| Total efficiency | 53.34% | 0.010% |
| Scaled to 5.6 ab^{-1} | 927.65 | 31587.6 |

MVA method

Considered variables:

- P, E, pT, $\cos\theta$ of two photon and 2 jets
- P, E, pT, $\cos\theta$, recoil mass, pTt, Pt* of di-photon system
- P, E, mass, recoil mass, $\cos\theta$ of jj system
- ΔP , ΔE , $\Delta\phi$ between two photon, $\gamma\gamma$ -qq
- Cosine angle between 2 photon, 2 jets, 1 photon and 1 jet, $\gamma\gamma$ and jj system.
- Minimum ΔR between any photon and jet

Totally 42 variables

Separation power:

$$\langle S^2 \rangle = \frac{1}{2} \int \frac{(\hat{y}_s(y) - \hat{y}_b(y))^2}{\hat{y}_s(y) + \hat{y}_b(y)} dy.$$

Pt*: Di-photon P projected perpendicular to the di-photon thrust axis.(similar as pTt but replace pT with P)

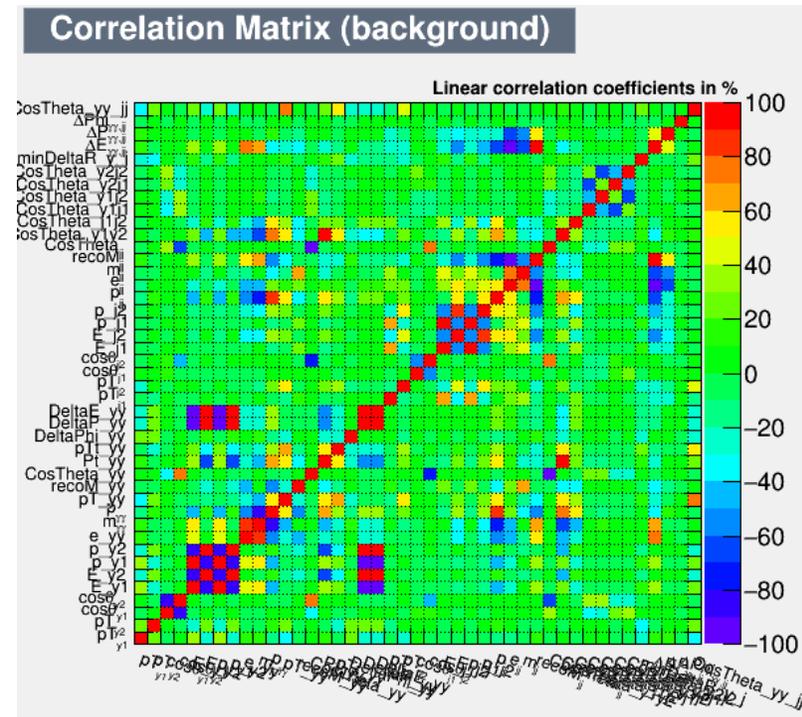
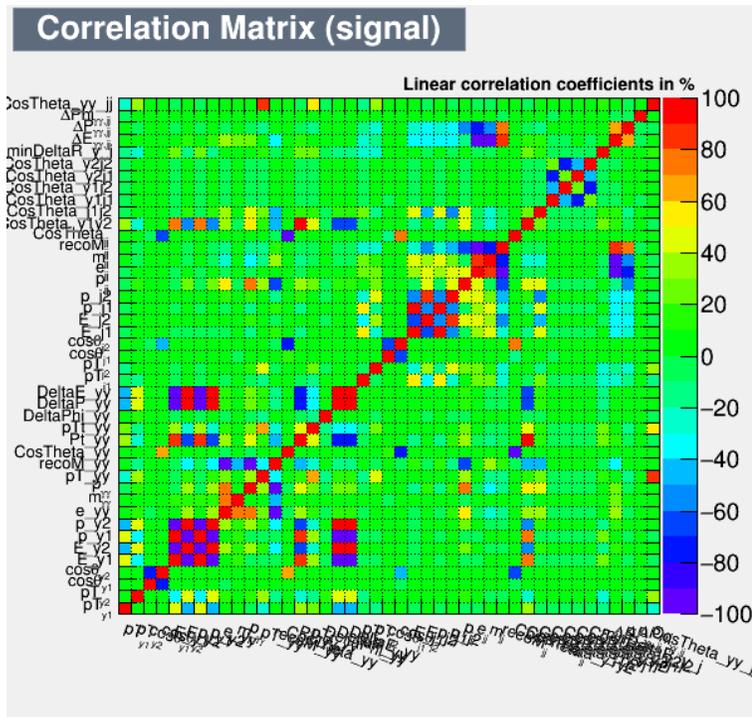
$$pTt = |(\vec{P}_1 + \vec{P}_2) \times \frac{\vec{P}_1 - \vec{P}_2}{|\vec{P}_1 - \vec{P}_2|}|$$

y: discriminating variable

$\hat{y}_s(y)$ and $\hat{y}_B(y)$: the distributions of the variable for signal and background samples

MVA method

Variable correlation matrix



First step: remove high $m_{\gamma\gamma}$ -related variable

$$|Corr_{v-m_{\gamma\gamma}}| < 30\%$$

Second step: remove high co-related variables

$$|Corr_{v_1-v_2}| < 40\%$$

MVA method

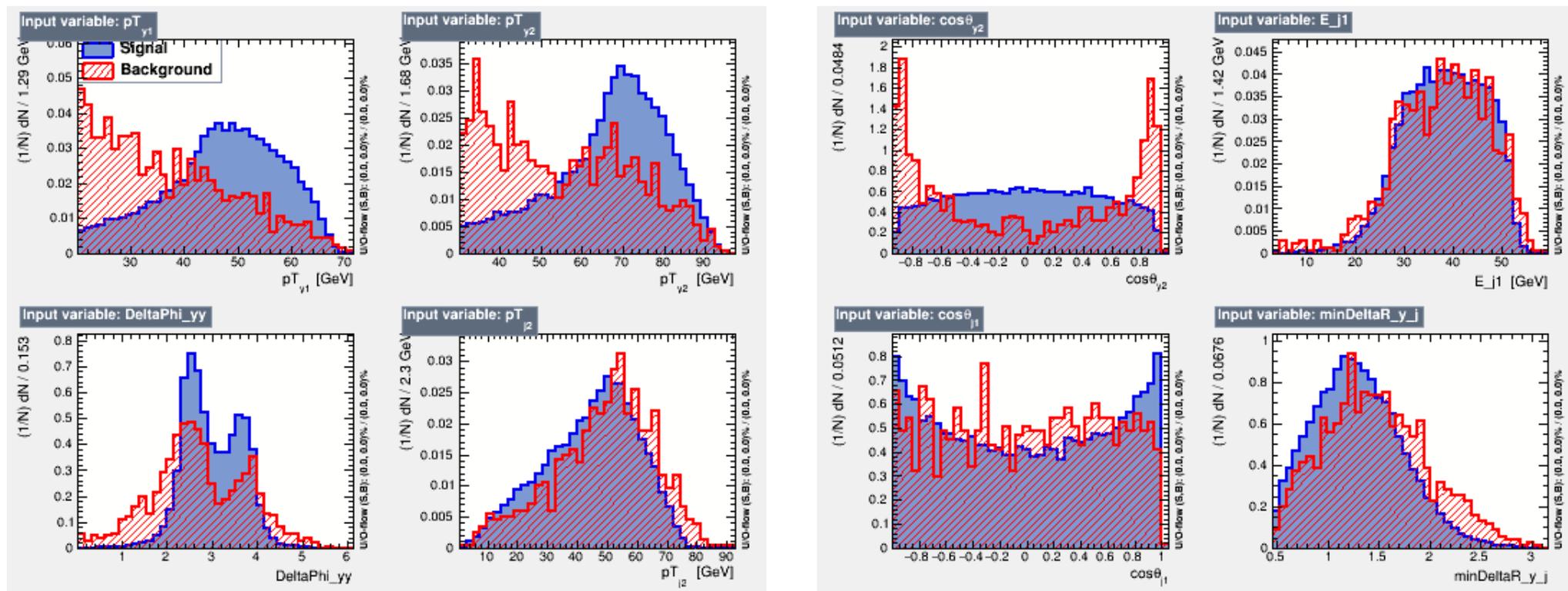
Remaining variables:

| Variable | Definition | $\langle S^2 \rangle$ |
|----------------------------------|--|-----------------------|
| $pT_{\gamma 1} / pT_{\gamma 2}$ | pT of $\gamma 1$ or $\gamma 2$ | 0.39 / 0.30 |
| $\cos\theta_{\gamma 2}$ | Cosine polar angle of $\gamma 2$ | 0.39 |
| $ \Delta\Phi_{\gamma\gamma} $ | $ \Delta\Phi $ between 2 photon | 0.30 |
| $\min\Delta R_{\gamma,j}$ | Minimum ΔR between photon and jet | 0.09 |
| $\cos\theta_{j1}$ | Cosine polar angle of $j1$ | 0.08 |
| pT_{j2} | pT of $j2$ | 0.08 |
| E_{j1} | Energy of $j1$ | 0.03 |
| $\cos\theta_{\gamma 2-j2}$ | Cosine value of the angle between $\gamma 2$ and $j2$ | 0.03 |
| $\cos\theta_{\gamma 1-j1}$ | Cosine value of the angle between $\gamma 1$ and $j1$ | 0.02 |
| $ \Delta\Phi_{\gamma\gamma-jj} $ | $ \Delta\Phi $ between $\gamma\gamma$ and jj system | 0.01 |
| $\cos\theta_{\gamma\gamma-jj}$ | Cosine value of the angle between $\gamma\gamma$ and jj system | 0.01 |

BDT training parameter:

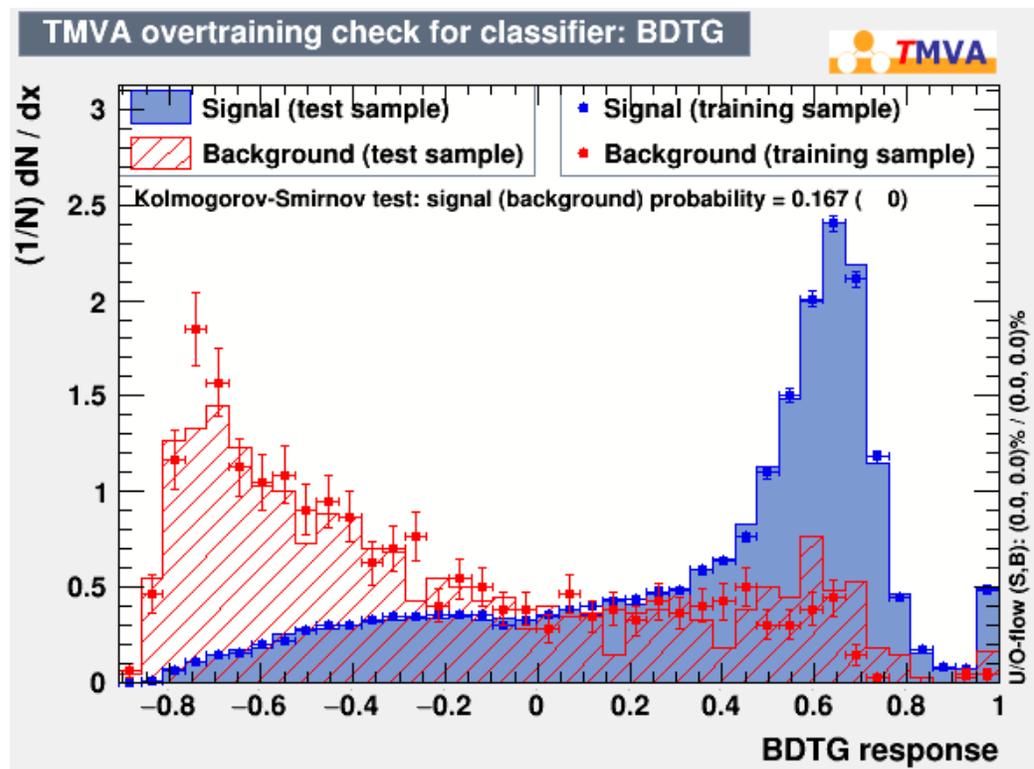
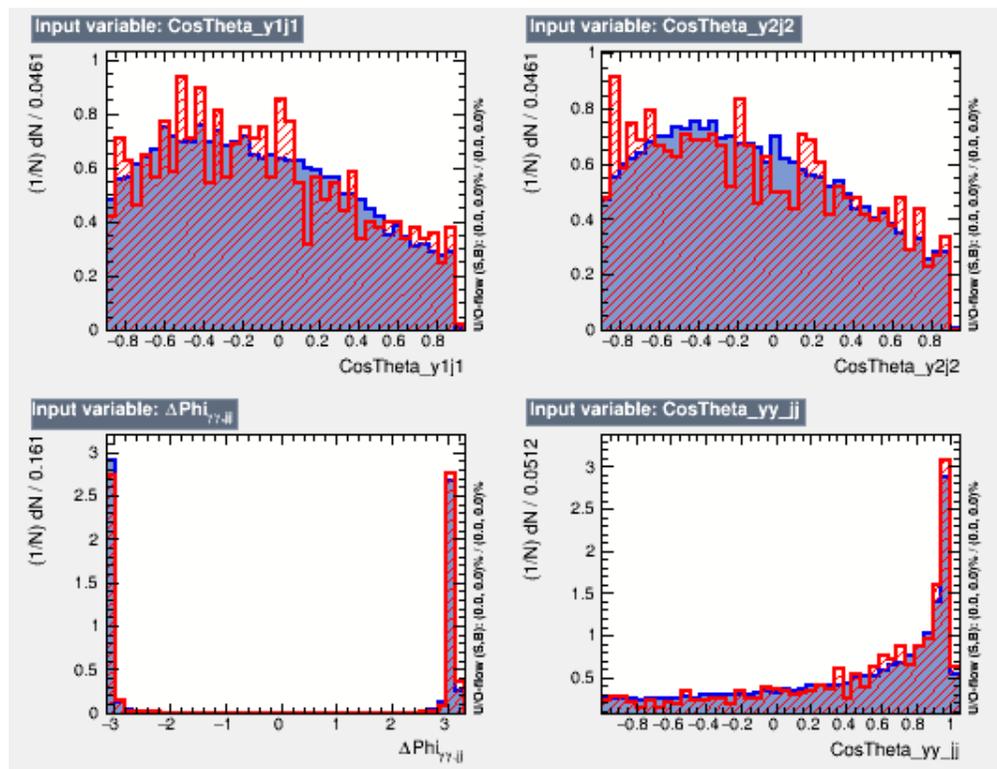
“BDTG”, “NTrees=900:nEventsMin=50:BoostType=Grad:Shrinkage=0.06:UseBaggedGrad:GradBaggingFraction=0.6:nCuts=20:MaxDepth=3”

MVA method



MVA variables distribution for signal(blue) and background(red)

MVA method



MVA variables distribution(left) and BDT response(right) for signal(blue) and background(red)

$|Corr_{m_{\gamma\gamma}-BDT_{out}}|$ is 5.4% in signal and 17% in background

2-D signal and background fit

Fit the sample in 2 dimension

- Di-photon invariant mass $m_{\gamma\gamma}$

Signal: Gaussian PDF

Background: 2nd polynomial exponential PDF

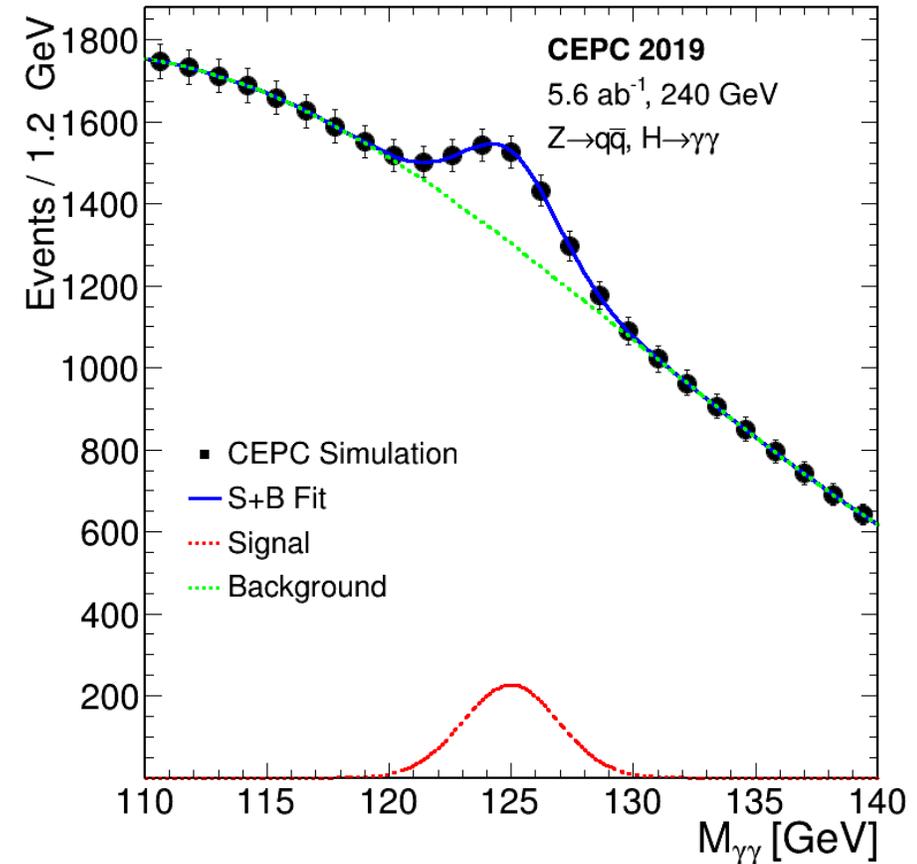
$$PDF_{m_{\gamma\gamma}} = \mu \times N_{sig}^{SM} \times PDF_{sig} + N_{bkg} \times PDF_{bkg}$$

- BDT response ($|Corr_{m_{\gamma\gamma}-BDT}| < 20\%$)

Binned PDF for signal and background

$$PDF_{BDT} = \mu \times N_{sig}^{SM} \times PDF_{sig} + N_{bkg} \times PDF_{bkg}$$

- $PDF_{2D} = PDF_{m_{\gamma\gamma}} \times PDF_{BDT}$



Results

Fit result in $ee \rightarrow ZH \rightarrow qq\gamma\gamma$ channel

$$\mu = 1.000 \pm 0.066$$

| | $qq\gamma\gamma$ channel | 3 Combined channel |
|----------------------|--------------------------|--------------------|
| Pre MVA (CDR result) | 9.84% | 6.80% |
| After MVA | 6.56% | 5.39% |
| Improvement | 33% | 21% |

*combined results are based on MVA $qq\gamma\gamma$ + no MVA ($ll\gamma\gamma$ + $\nu\nu\gamma\gamma$)

FCC-ee case:

- 3% @240GeV, $10ab^{-1}$, based on CMS ECal resolution, [TLEP physics, 2013](#)
- 9% @240GeV, $5ab^{-1}$, [FCC-ee CDR, 2018](#)

Future work

MVA method in $ZH \rightarrow ll\gamma\gamma$, $ZH \rightarrow \nu\nu\gamma\gamma$ channel

- Estimation: if the same improvement(30%) could be reached in these two channel

$ll\gamma\gamma$ channel: 23.7% \rightarrow 16.6%

$\nu\nu\gamma\gamma$ channel: 10.5% \rightarrow 7.4%

combined results after MVA: \sim 4.7%

Simulation sample

- Update the fast simulation sample to full simulation

Signal: broaden the $m_{\gamma\gamma}$ distribution, lose \sim 7.5% events

Background: include more high energy photon, might be excluded by reconstruction algorithm.

Conclusion

MVA method improvement in CEPC $H \rightarrow \gamma\gamma$ analysis

- $qq\gamma\gamma$ channel has been tested: 33% improvement in one sub-channel, reaching the result $\delta(Br \times \sigma) = 6.56\%$
- Prospect: 4.7% combined precision could be reached after MVA in 3 channels

Next step towards TDR

- Full simulation samples are ready, but a accurate reconstruction algorithm is necessary
- Based on previous study, a $\sim 20\%$ decrease would appear after converting to full simulation

Back up

Correlation matrix (after removing $m_{\gamma\gamma}$ -related variables)

