

Influence of initial-state momentum anisotropy on the final-state collectivity in small collision systems

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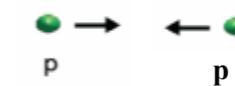
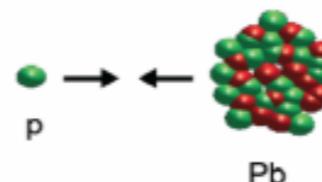
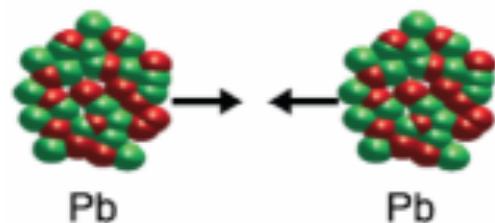
October 10, 2019

Based on : [arXiv:1906.01422](https://arxiv.org/abs/1906.01422)

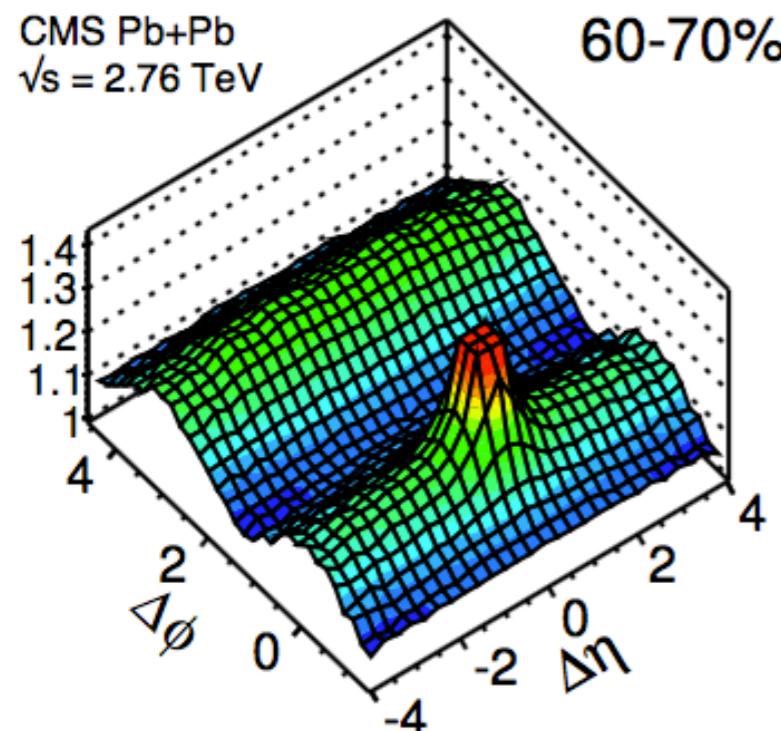
Collaborators: Li Yi, Jiangyong Jia, Guoliang Ma



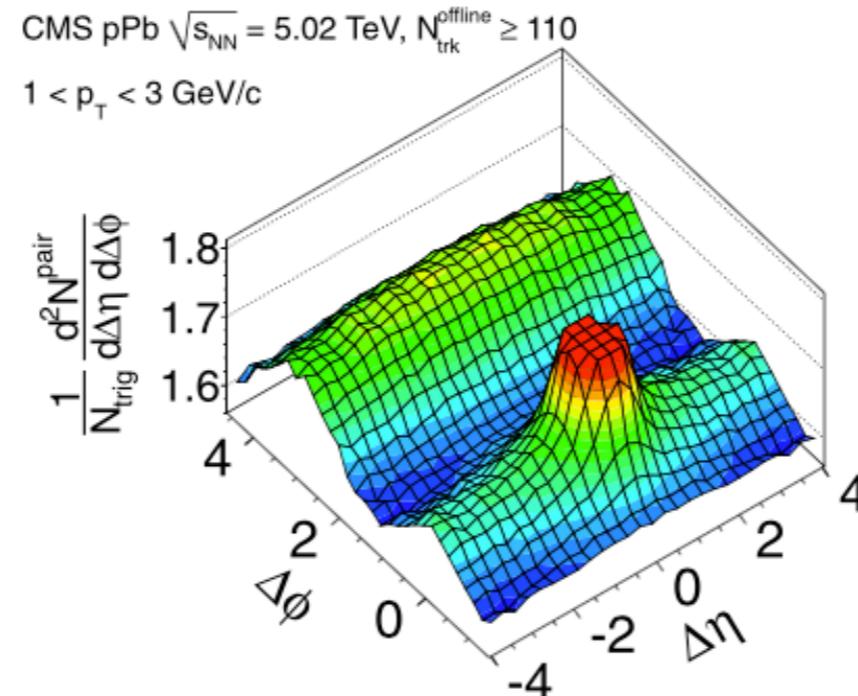
“ridge” in different collision system



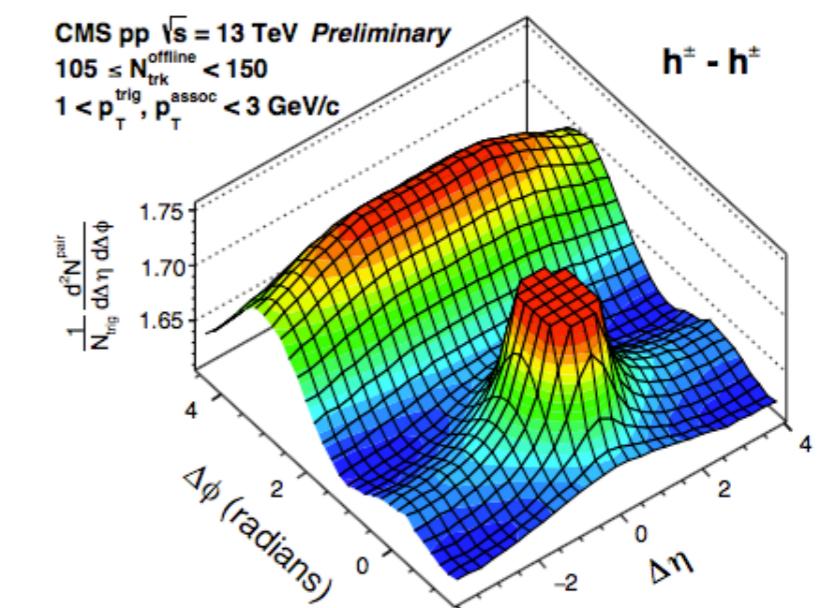
CMS, PLB 718, 795 (2013)



CMS, PRL116, 172302 (2016)



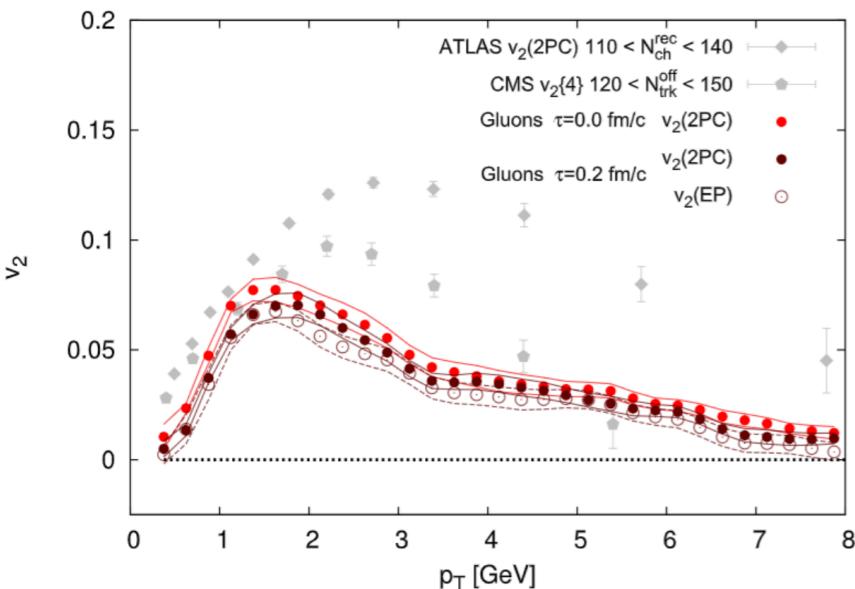
CMS, EPJC 72, 2012 (2012)



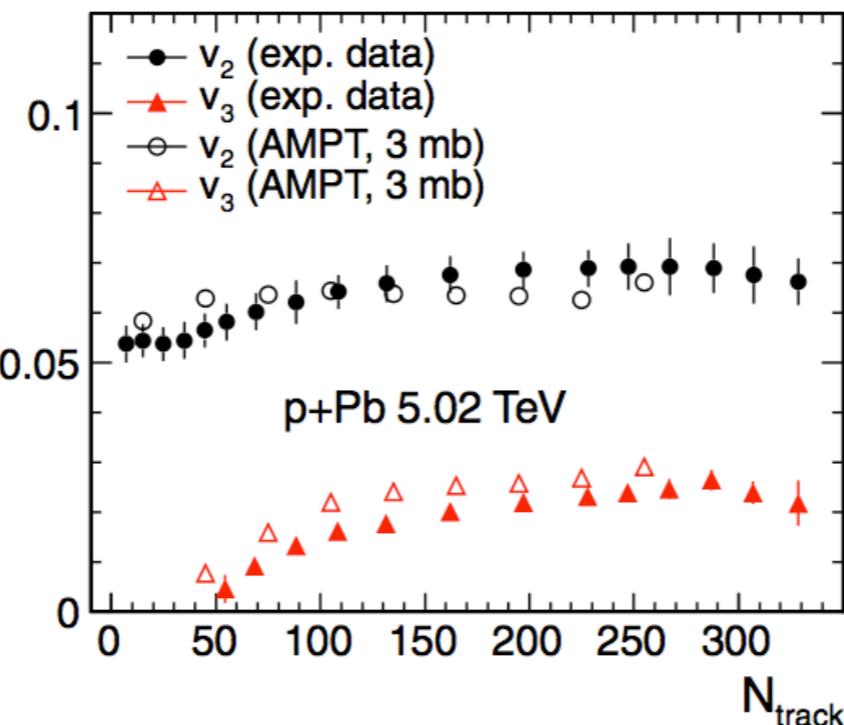
Where is the onset of collectivity flow if any?

Origin of v_n in small system

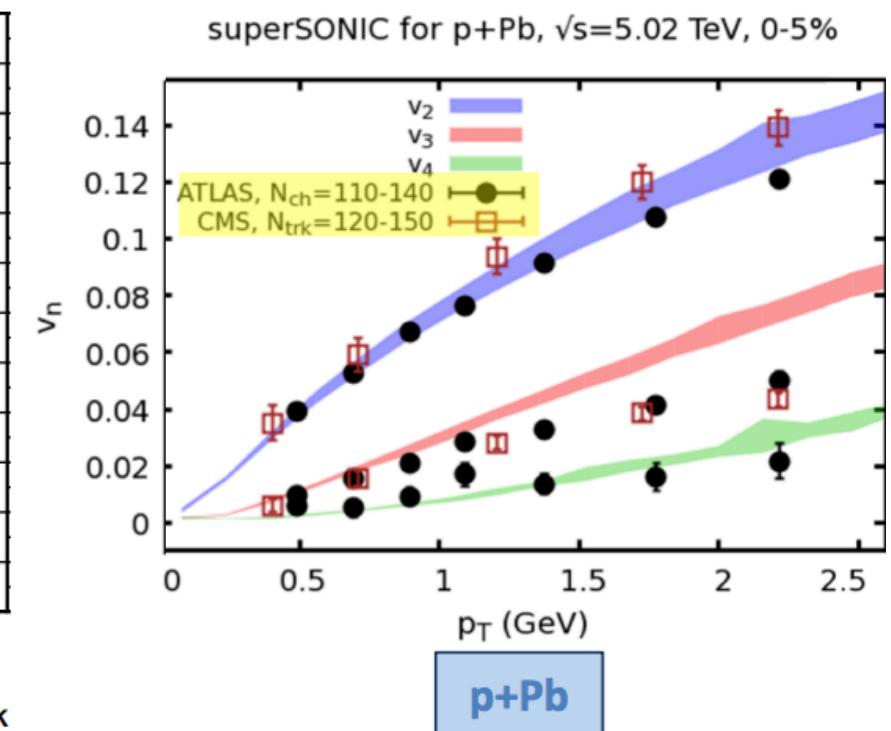
B. Schenke et al. PLB747 (2015) 76–82



A. Bzdak and G. Ma PRL 113, 252301 (2014)



R. Weller and P. Romatschke, PLB 774, 351-356 (2017)



CGC

Initial momentum anisotropy, before QGP.

AMPT

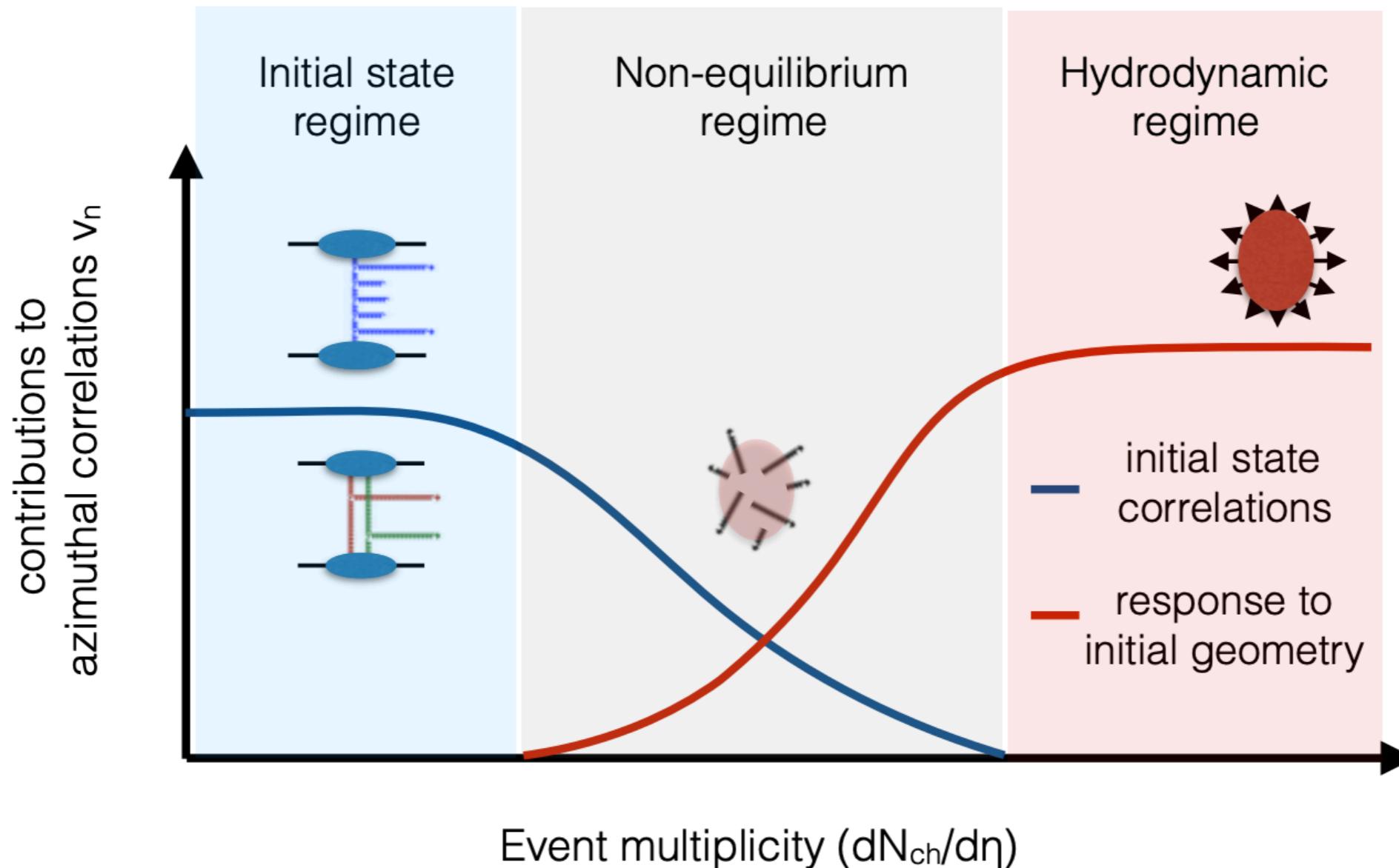
Initial spatial anisotropy.
 Kinetic transport model
 “parton escape”

Hydro

Initial spatial anisotropy, driven by pressure gradient
 QGP droplet?

Emergence of collectivity

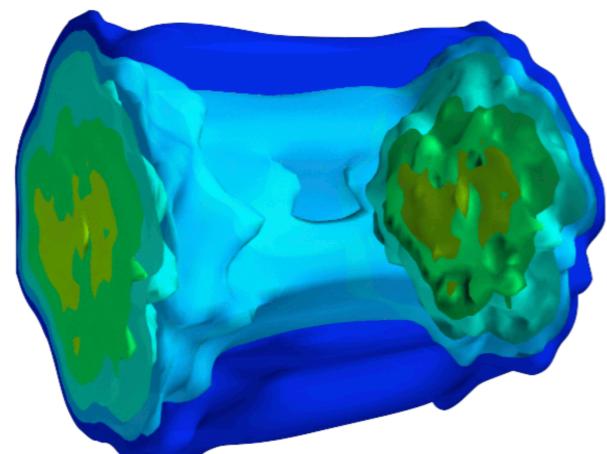
Credit: Sören Schlichting, IS2019



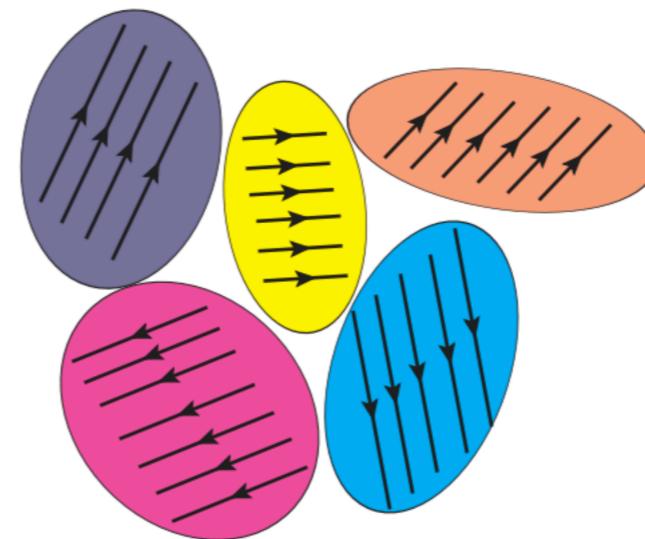
Qualitatively not Quantitatively!

- Sizable azimuthal anisotropy can be induced by the initial state correlations or parton escape mechanism at low multiplicity.

**Go beyond the long ongoing debate
between**



and



AMPT model

- AMPT-string melting
- parton cross section
 $\sigma=3\text{mb}$
- $p+\text{Pb } \sqrt{s_{\text{NN}}} = 5.02 \text{ TeV}$

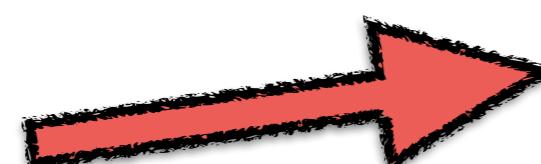
initial state



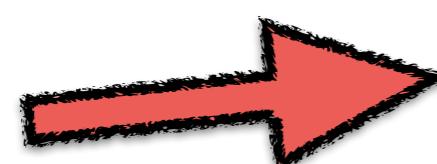
after parton cascade



after coalescence



after hadronic rescatterings



A+B
↓

HIJING (PDFs, nuclear shadowing):
minijet partons, excited strings, spectators

ZPC (Zhang's Parton Cascade)

Partons freeze out

Hadronization (Quark Coalescence)

ART (A Relativistic Transport model for hadrons)

Hadrons freeze out (at a global cut-off time);
strong-decay all remaining resonances

Final particle spectra

Melt to q & $q\bar{q}$ via
intermediate hadrons



AMPT model setup

- AMPT-string melting
- parton cross section
 $\sigma=3\text{mb}$
- p+Pb $\sqrt{s_{\text{NN}}}=5.02 \text{ TeV}$

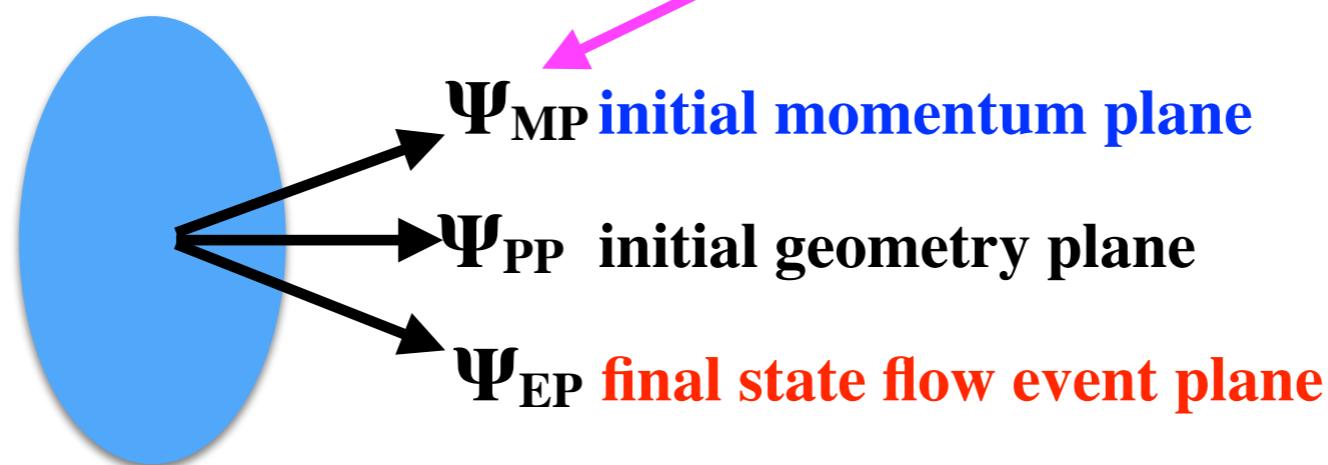
M. MASERA et al PRC 79, 064909 (2009)

A so-called “initial flow”
is introduced at the initial
stage.

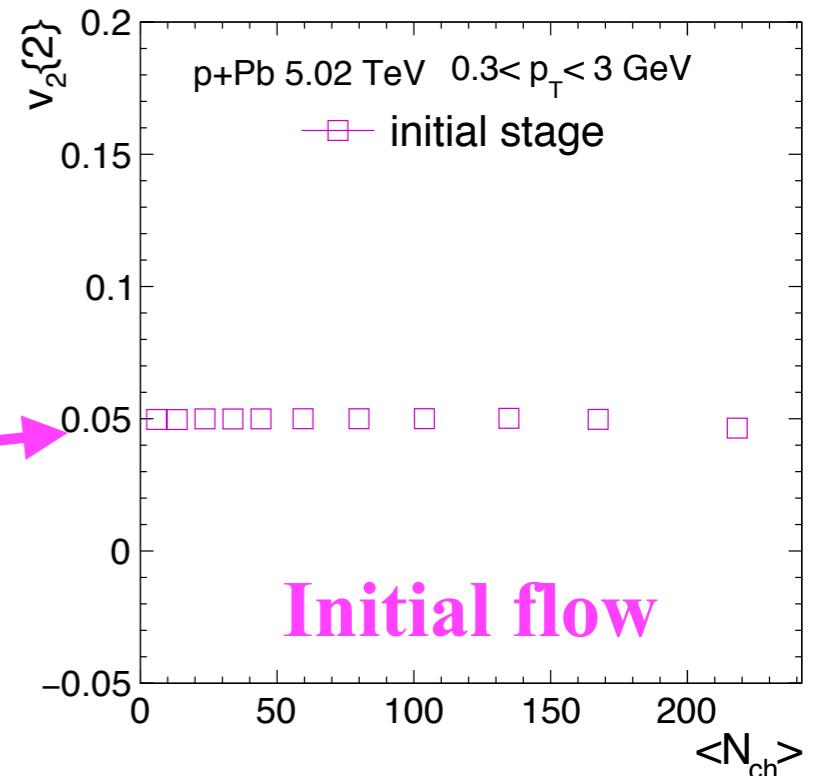
for each parton:
keep the x, y, z unchanged (geometry response remains)
keep the p_T, η unchanged,
change the ϕ

$$\phi = \sum \frac{2}{n} v_n \sin(n(\phi - \Psi_n)) = \phi_0$$

v_n is controllable in the equation!
 Ψ_{MP} is randomly choose from $0-2\pi$



Simplify the idea



Initial flow



Final-state interaction

VS.

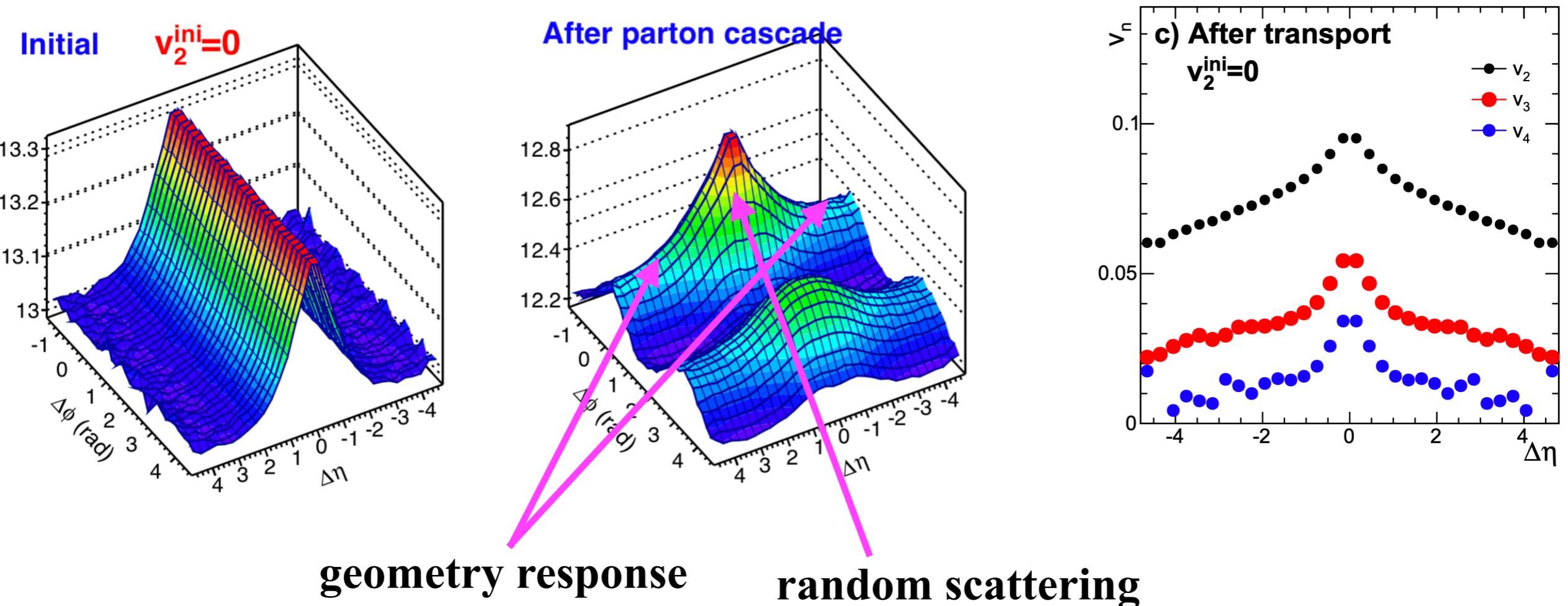


=



Test with AMPT

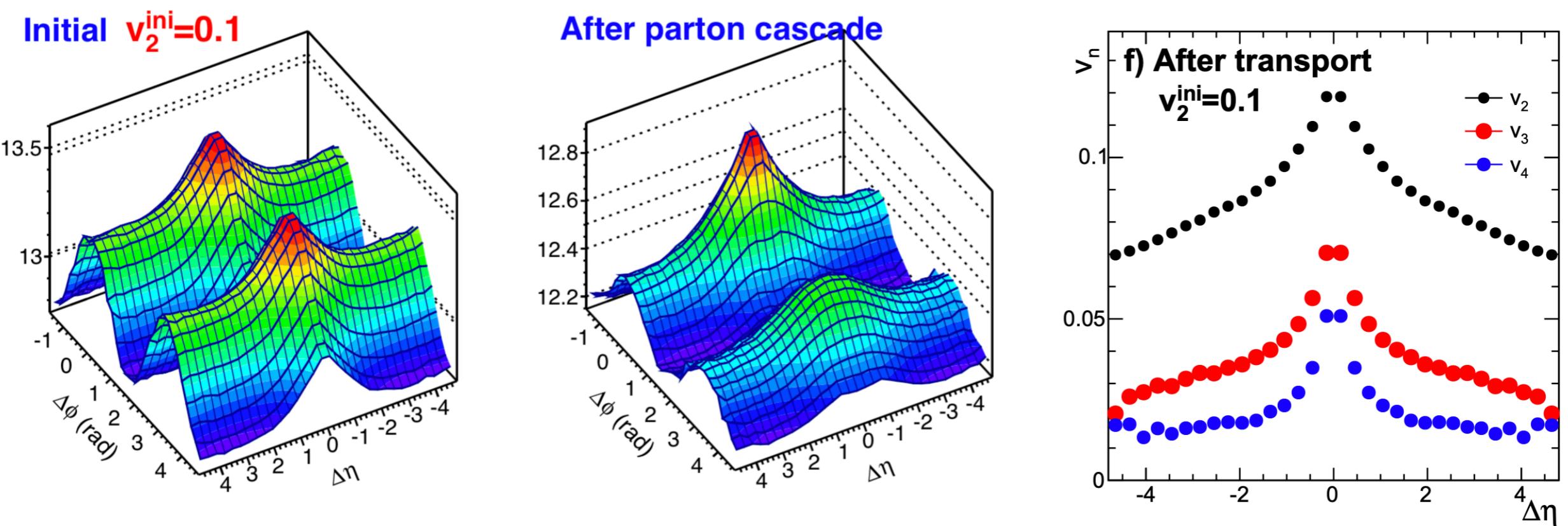
- randomize azimuthal angle of the parton, $v_2^{\text{ini}} = 0$



- long-range correlation (LRC) -> geometry response
- short-range correlation (SRC) -> non-equilibrium dynamics

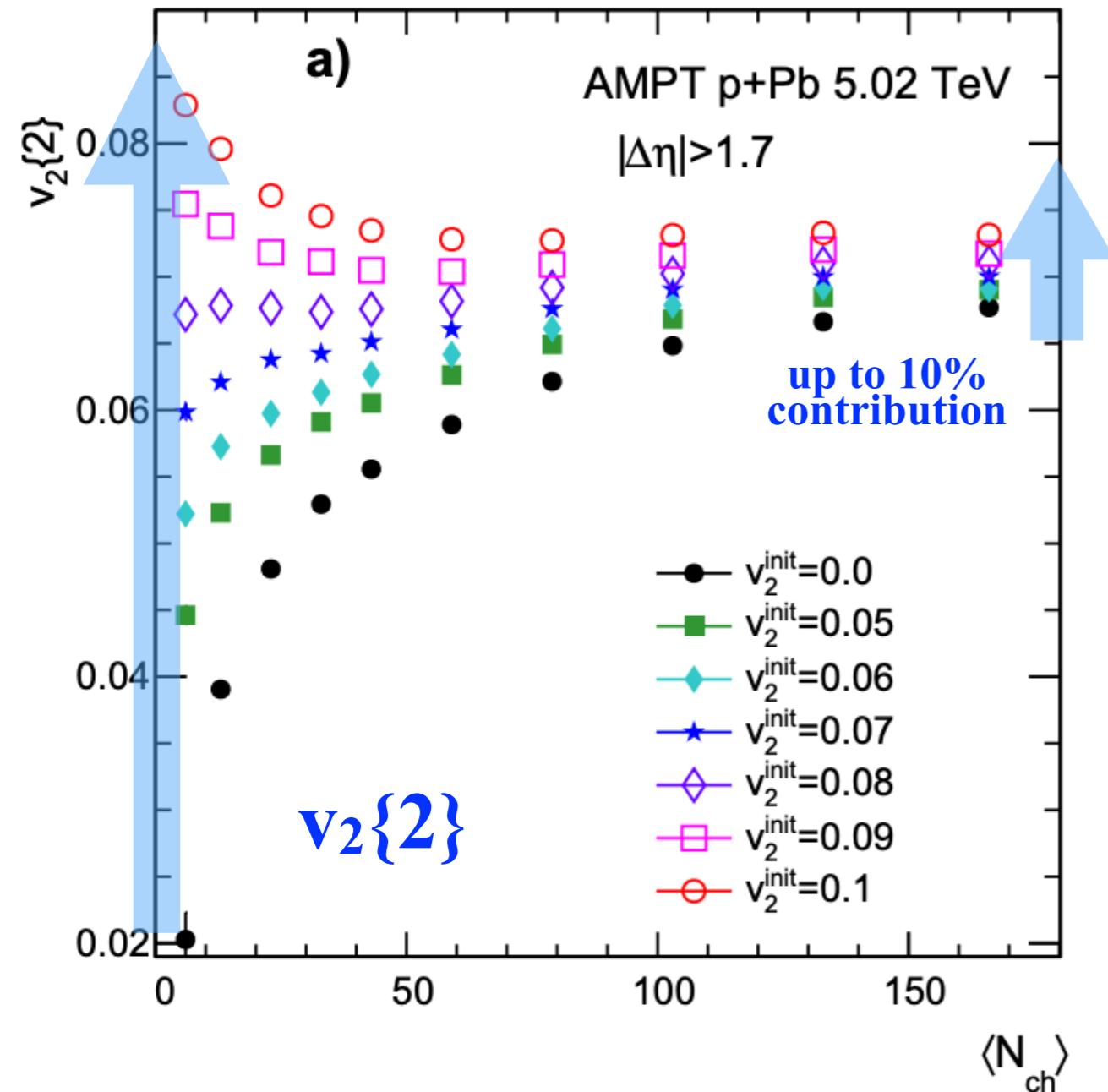
Test with AMPT

- With an input $v_2^{\text{ini}} = 0.1$ at initial stage



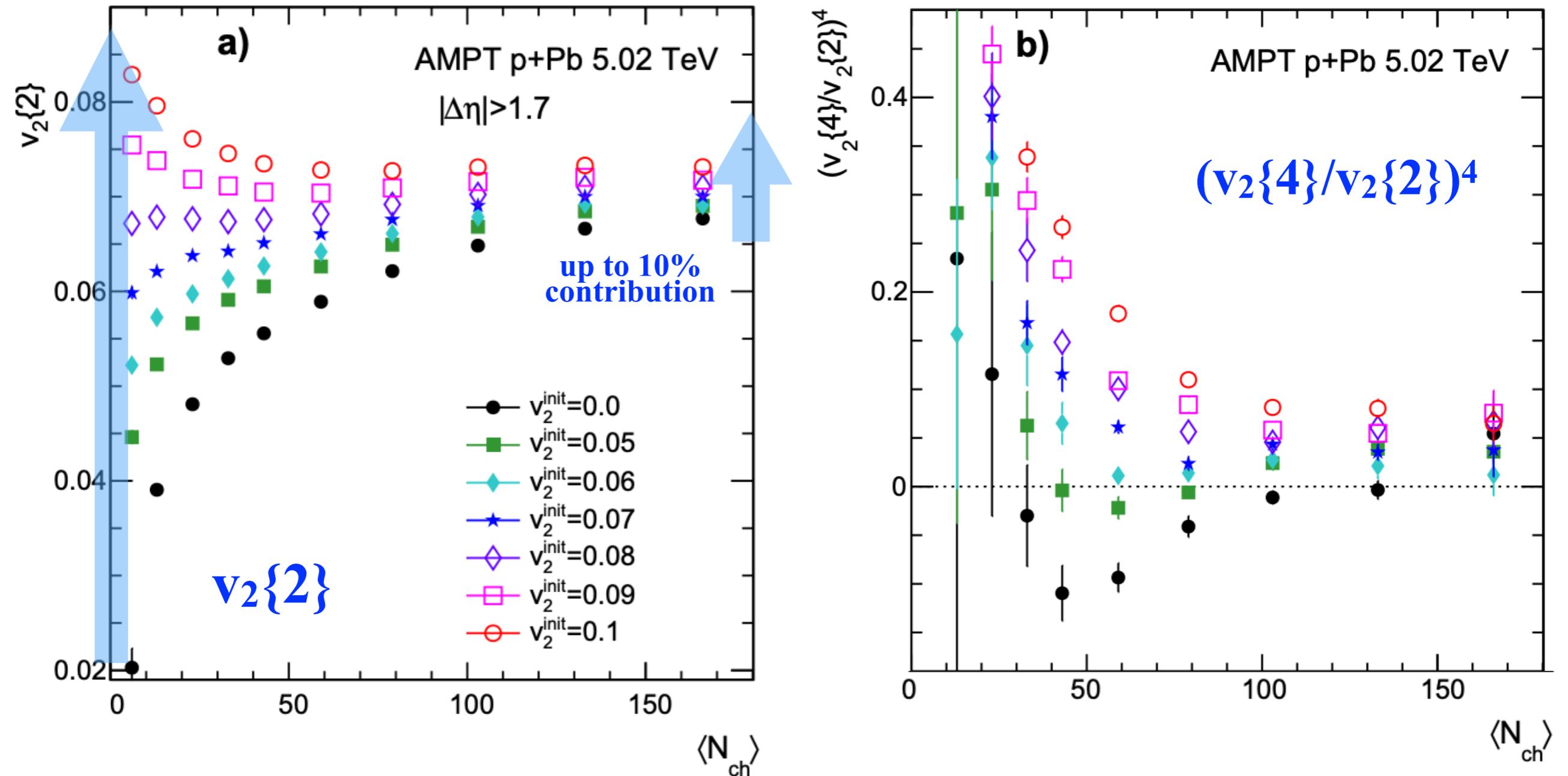
A simultaneous study of LRC and SRC are essential to disentangle
the geometry response and non-equilibrium behavior.

Influence of final flow by initial flow



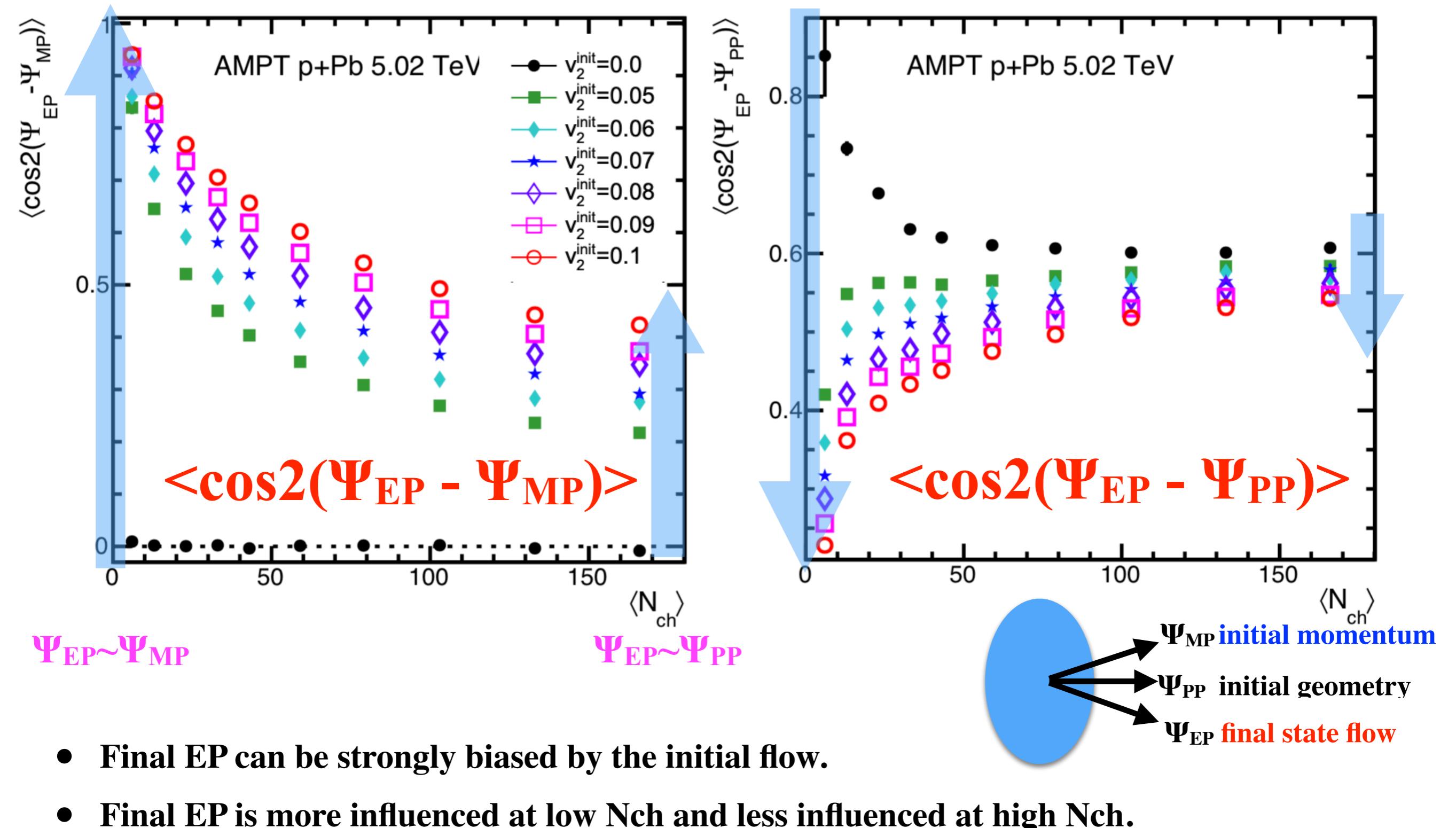
- **Low Nch:** final flow strongly biased by initial flow.
- **High Nch:** final flow increases slowly with initial flow.

Influence of final flow by initial flow

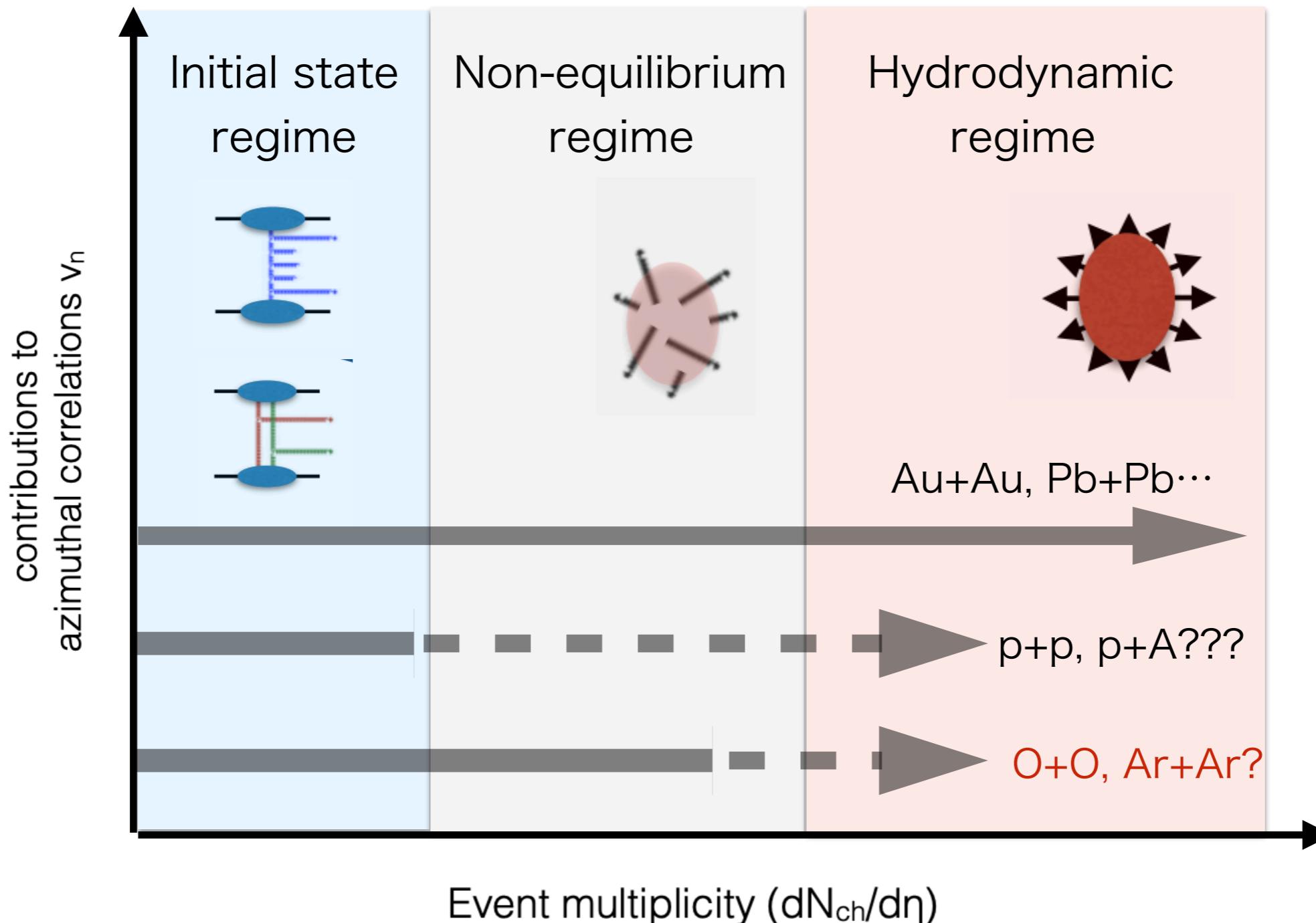


- **Low Nch:** final flow strongly biased by initial flow.
- **High Nch:** final flow increases slowly with initial flow.
- **Initial anisotropy survives and biases both the geometry-driven flow and flow fluctuation.**

phase correlation



What do we learn so far...



- The final flow (both magnitude and phase) can be largely influenced by the initial anisotropy, especially at low N_{ch} .
- Smaller systems (O+O, Ar+Ar) can shed light on the mechanism of collectivity.

Summary

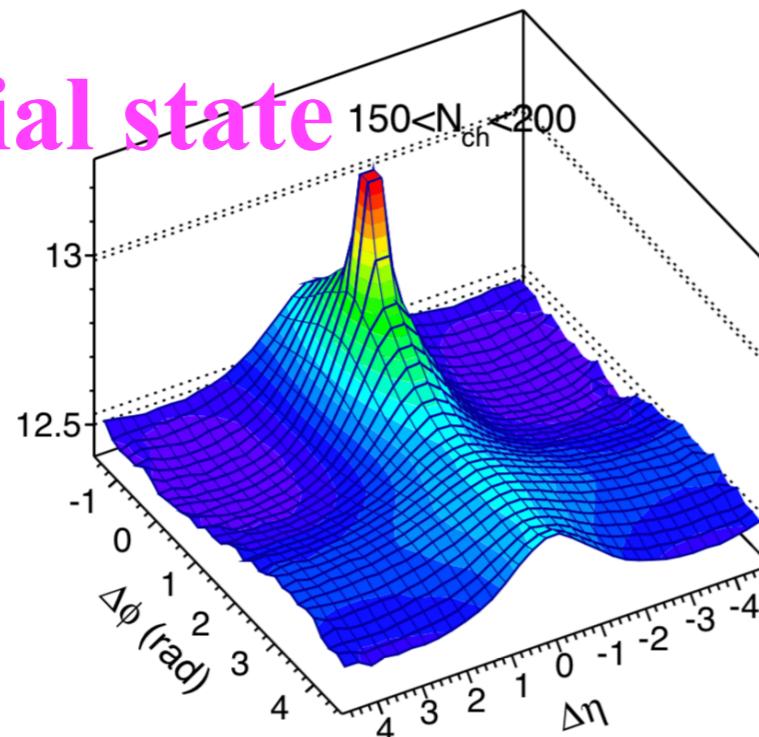
- ◆ The presence of initial momentum anisotropy can change dramatically the final observed flow.
- ◆ Mere evidence for geometry response does not rule out possible large contributions from initial state in small systems.
- ◆ Disentangling these requires further detailed small system scan ($O+O$, $Ar+Ar$).

Backup

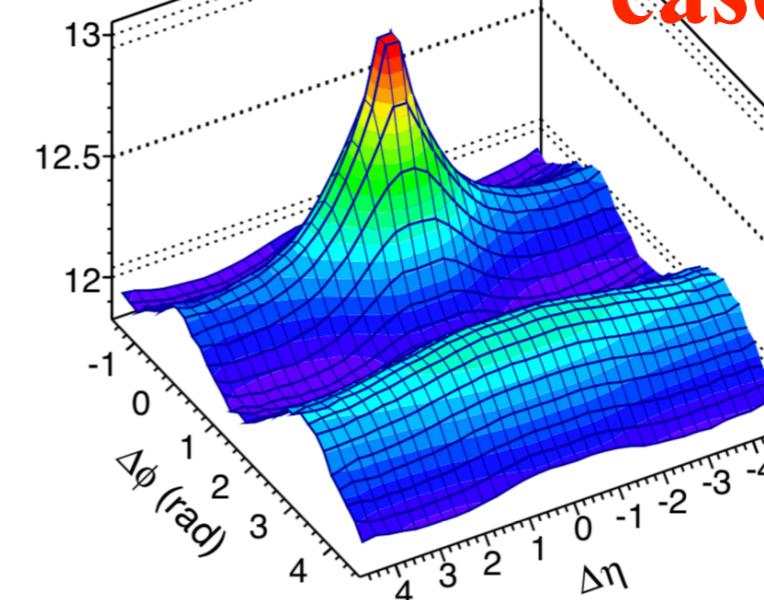
AMPT model

- eta-phi correlation for the four stages

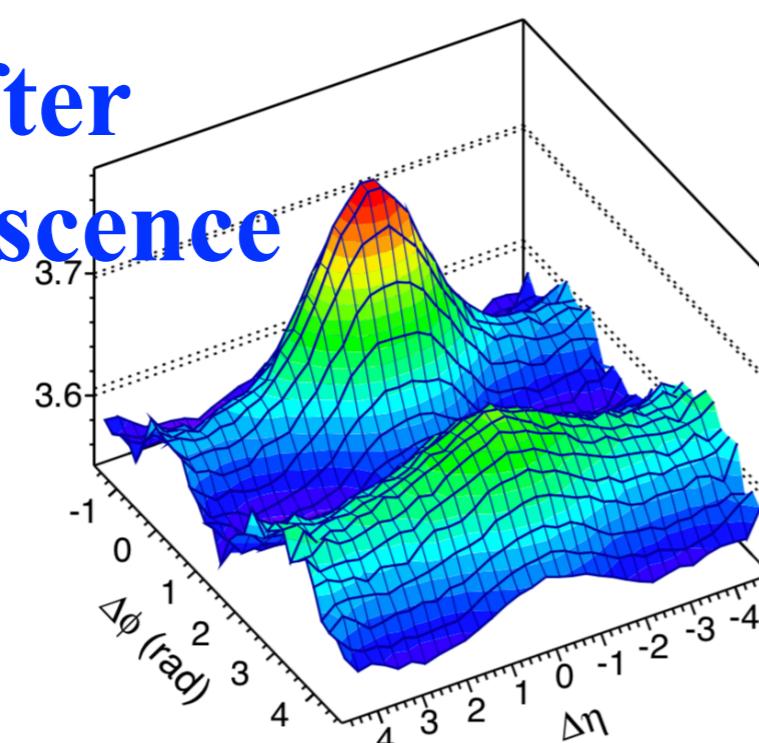
initial state



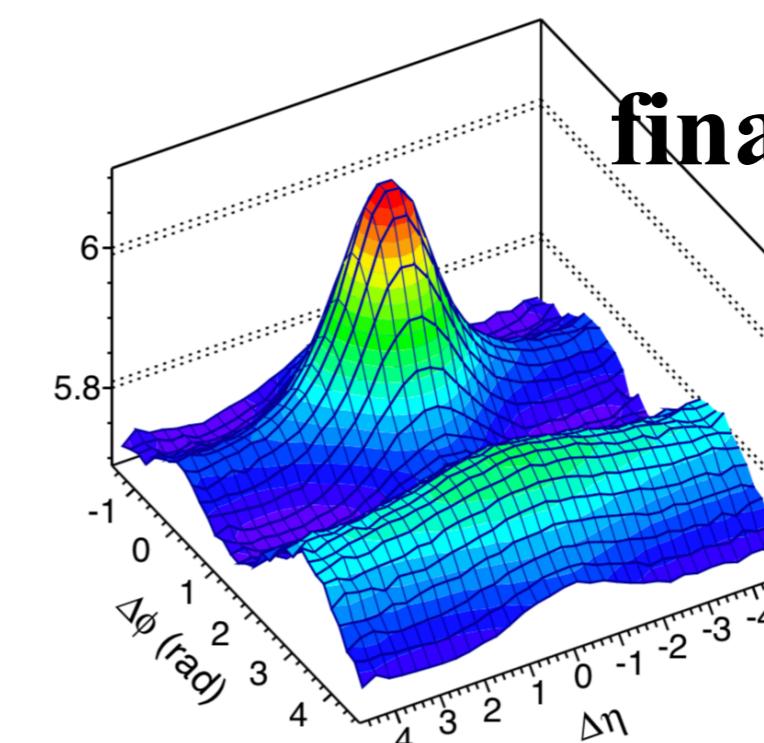
after parton cascade



after coalescence

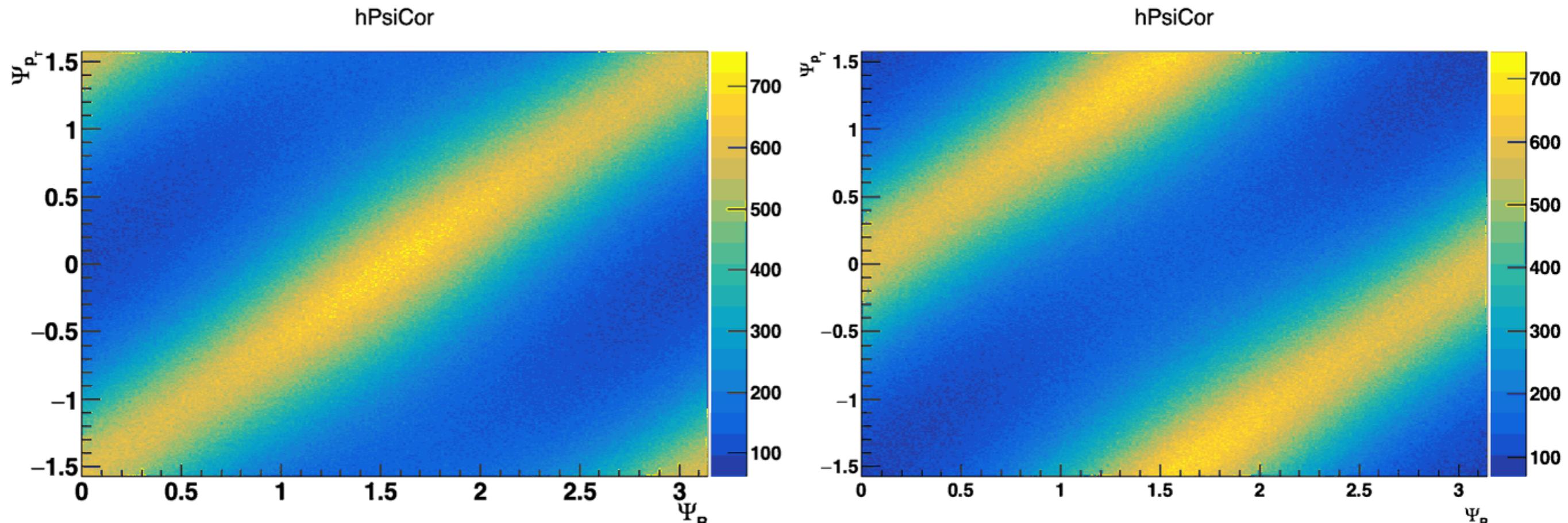


final state

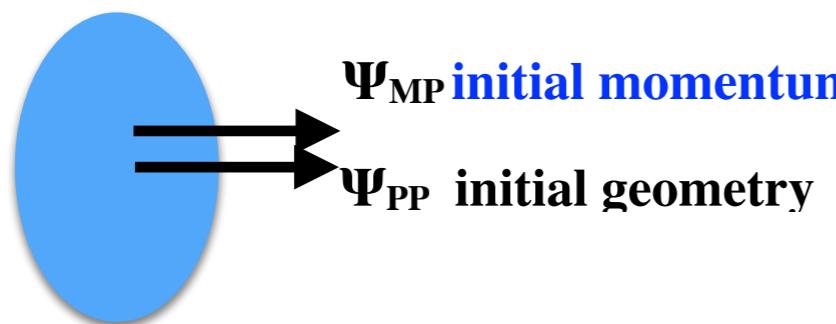


Further investigation with fixed Ψ_{MP}

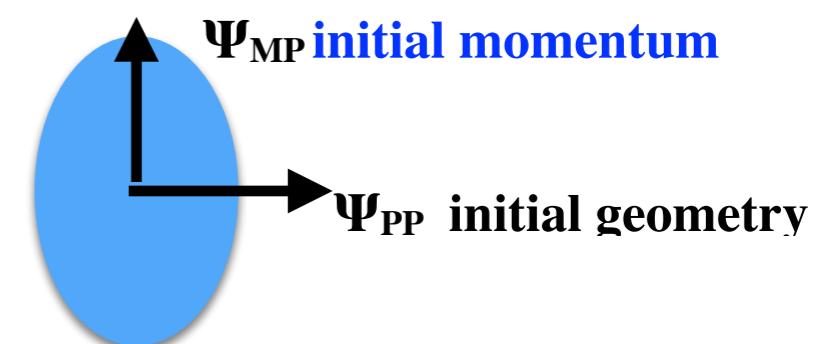
initial flow $v_2^{\text{ini}} = 0.05$



$$\Psi_{\text{MP}} = \Psi_{\text{PP}}$$

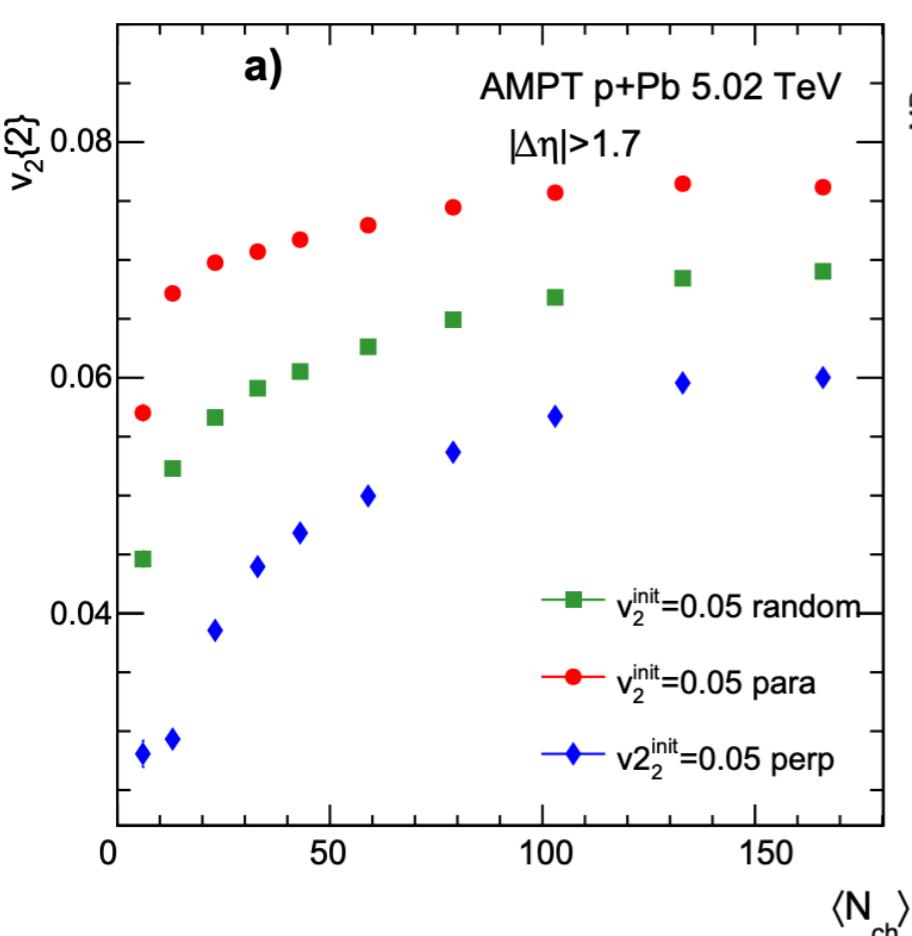


$$\Psi_{\text{MP}} = \Psi_{\text{PP}} + \pi/2$$

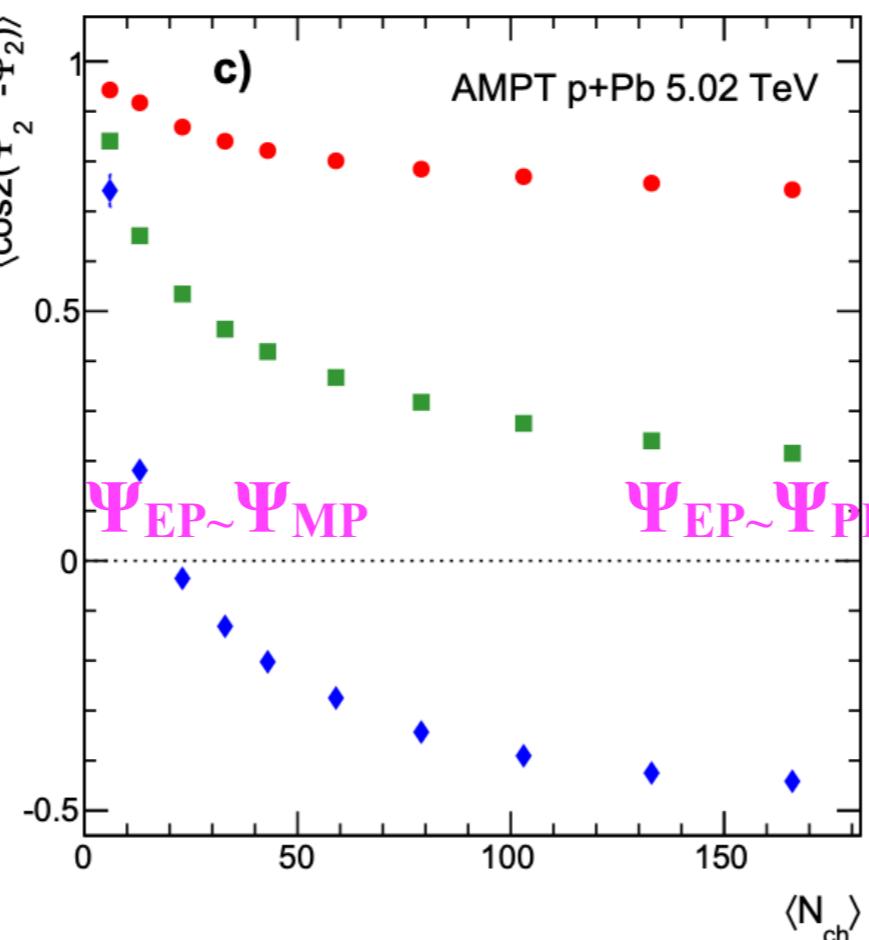


Further investigation with fixed Ψ_{MP}

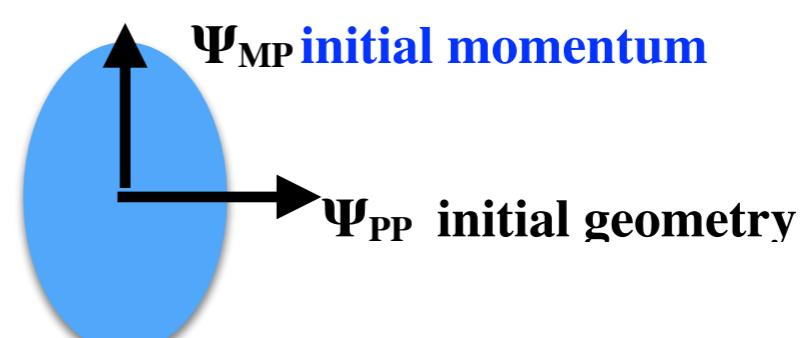
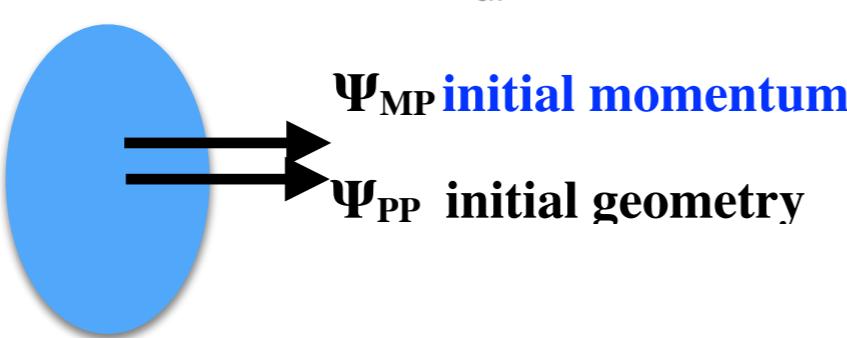
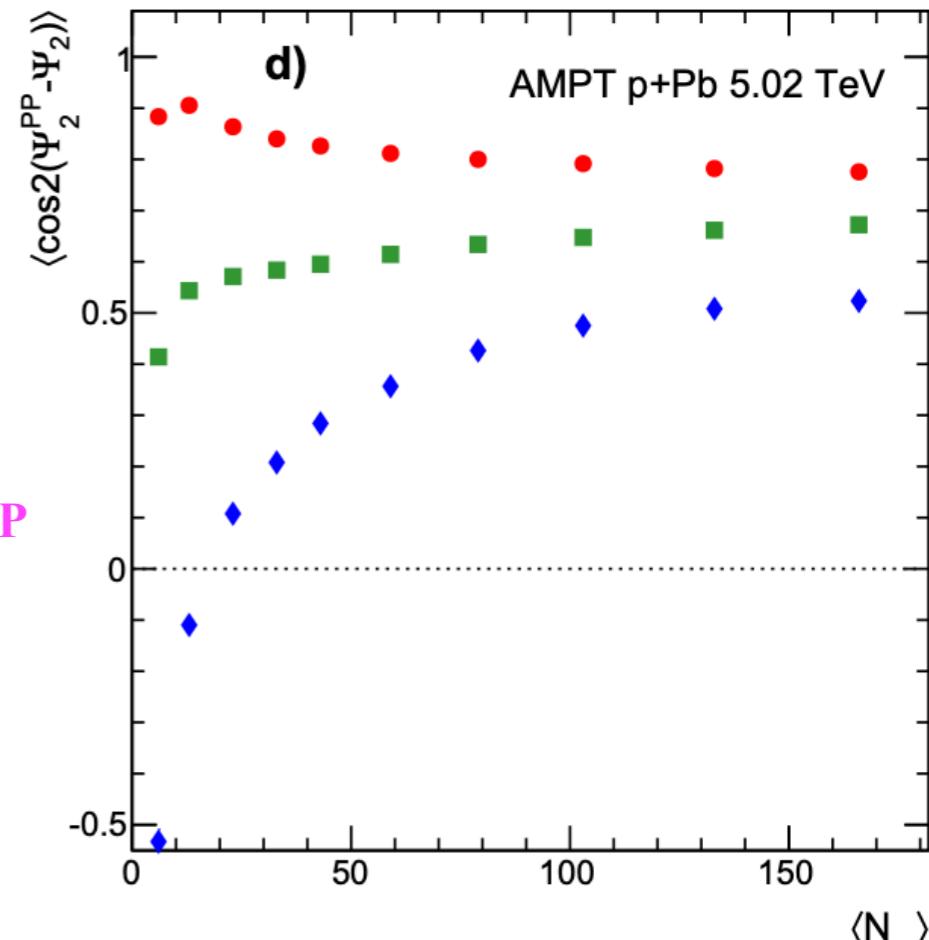
$v_2\{2\}$



$\langle \cos 2(\Psi_{\text{EP}} - \Psi_{\text{MP}}) \rangle$

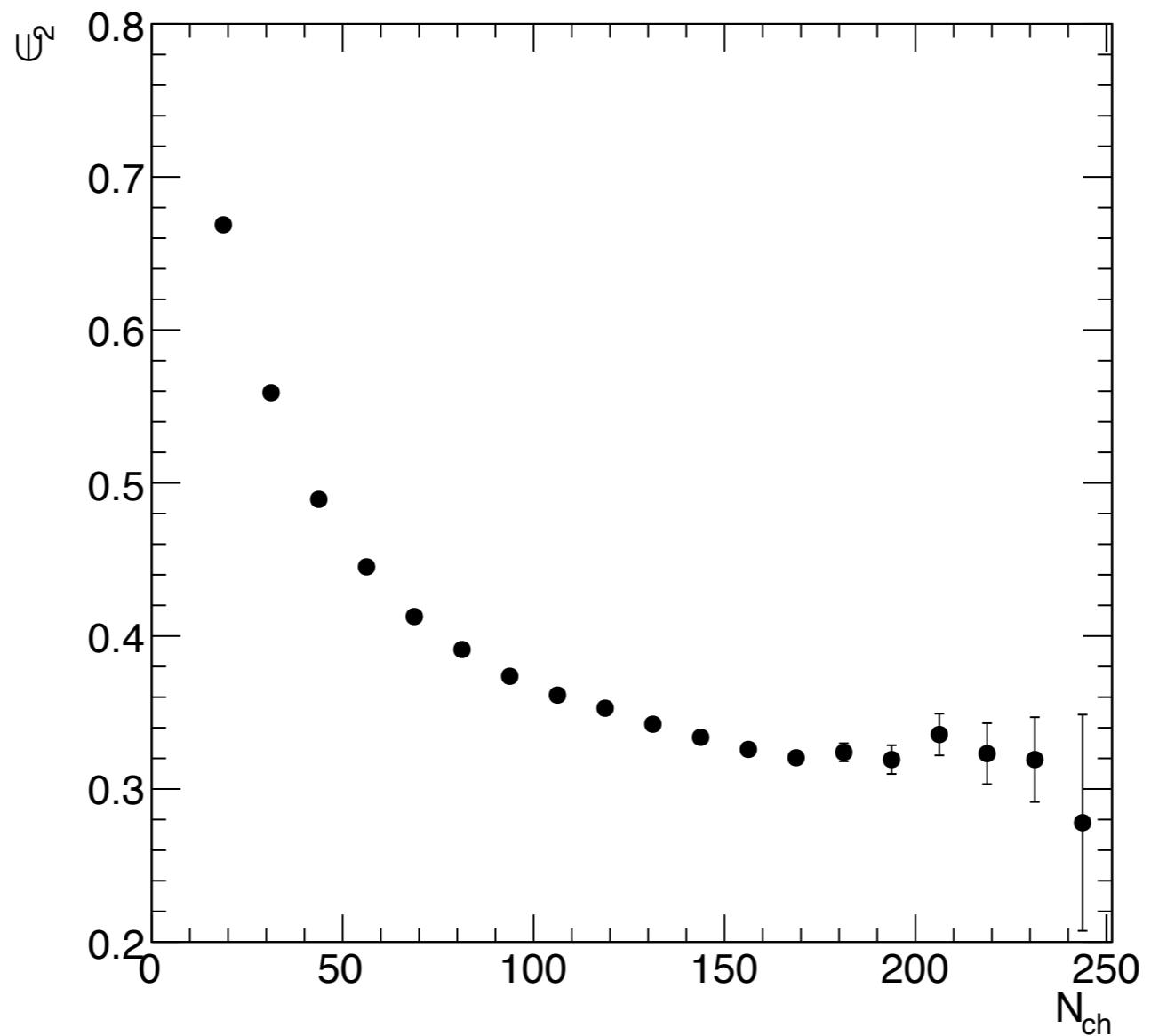


$\langle \cos 2(\Psi_{\text{EP}} - \Psi_{\text{PP}}) \rangle$



- When Ψ_{MP} is aligned with Ψ_{PP} , the final v_2 and the angular correlations are stronger.

eccentricity vs. Nch



$\langle N_{\text{coll}} \rangle$ vs. N_{ch}

